

The $h^0(125)$ decays to $c\bar{c}, b\bar{b}, \gamma\gamma$ and gg in the light of the MSSM with quark flavor violation

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Collaboration with

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References:

Phys. Rev. D 91 (2015) 015007 [arXiv:1411.2840 [hep-ph]]

JHEP 1606 (2016) 143 [arXiv:1604.02366 [hep-ph]]

H. Eberl, E. Ginina, K.H., in preparation

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Contents

1. Introduction

2. MSSM with QFV

3. Constraints on the MSSM

4. Parameter scan in the MSSM

5. $h^0 \rightarrow \text{photon photon} \ \& \ \text{gluon gluon}$

6. Theoretical Errors

7. Conclusion

1. Introduction

- *What is the SM-like Higgs boson discovered at LHC?*
- *It can be the SM Higgs boson.*
- *It can be a Higgs boson of New Physics.*
- *This is one of the most important issues in the present particle physics field!*
- *Here we study a possibility that it is the lightest Higgs boson h^0 of the Minimal Supersymmetric Standard Model (MSSM), focusing on the decays $h^0(125) \rightarrow c\bar{c}, b\bar{b}, \gamma\gamma$ and gg .*

2. MSSM with QFV

The basic parameters of the MSSM with QFV:

$$\{ \tan\beta, m_A, M_1, M_2, M_3, \mu, M^2_{Q,\alpha\beta}, M^2_{U,\alpha\beta}, M^2_{D,\alpha\beta}, T_{U\alpha\beta}, T_{D\alpha\beta} \}$$

(at $Q = 1 \text{ TeV}$ scale) ($\alpha, \beta = 1, 2, 3 = u, c, t$ or d, s, b)

$\tan\beta$: ratio of VEV of the two Higgs doublets $\langle H^0_2 \rangle / \langle H^0_1 \rangle$

m_A : CP odd Higgs boson mass (pole mass)

M_1, M_2, M_3 : $U(1), SU(2), SU(3)$ gaugino masses

μ : higgsino mass parameter

$M^2_{Q,\alpha\beta}$: left squark soft mass matrix

$M^2_{U\alpha\beta}$: right up-type squark soft mass matrix

$M^2_{D\alpha\beta}$: right down-type squark soft mass matrix

$T_{U\alpha\beta}$: trilinear coupling matrix of up-type squark and Higgs boson

$T_{D\alpha\beta}$: trilinear coupling matrix of down-type squark and Higgs boson

Key parameters in this study are:

QFV parameters: δ_{23}^{LL} , δ_{23}^{uRR} , δ_{23}^{uRL} , δ_{23}^{uLR}

QFC parameter: δ_{33}^{uRL}

$$\delta_{23}^{LL} (\sim M_{Q23}^2) = (\tilde{c}_L - \tilde{t}_L \text{ mixing parameter})$$

$$\delta_{23}^{uRR} (\sim M_{U23}^2) = (\tilde{c}_R - \tilde{t}_R \text{ mixing parameter})$$

$$\delta_{23}^{uRL} (\sim T_{U23}) = (\tilde{c}_R - \tilde{t}_L \text{ mixing parameter})$$

$$\delta_{23}^{uLR} (\sim T_{U32}) = (\tilde{c}_L - \tilde{t}_R \text{ mixing parameter})$$

$$\delta_{33}^{uRL} (\sim T_{U33}) = (\tilde{t}_L - \tilde{t}_R \text{ mixing parameter})$$

3. Constraints on the MSSM

We respect the following experimental and theoretical constraints:

- (1) The recent LHC limits on the masses of squarks, sleptons, gluino, charginos and neutralinos.*
- (2) The constraint on $(m_{A/H^+}, \tan\beta)$ from recent MSSM Higgs boson search at LHC.*
- (3) The constraints on the QFV parameters from the B meson data.*

$$\mathbf{B(b \rightarrow s \gamma) \quad \Delta M_{B_s} \quad B(B_s \rightarrow \mu^+ \mu^-) \quad B(B_u^+ \rightarrow \tau^+ \nu) \quad etc.}$$

- (4) The constraints from the observed Higgs boson mass at LHC
(allowing for theoretical uncertainty): $121.6 \text{ GeV} < m_{h^0} < 128.6 \text{ GeV}$.*
- (5) Theoretical constraints from the vacuum stability conditions for the trilinear couplings T_{Uab} and T_{Dab} .*
- (6) The experimental limit on SUSY contributions to the electroweak ρ parameter $\Delta\rho(\text{SUSY}) < 0.0012$.*

4. Parameter scan in the MSSM

- We compute the loop-induced decay widths $\Gamma(h^0 \rightarrow \text{photon photon})$ and $\Gamma(h^0 \rightarrow \text{gluon gluon})$ in the **MSSM with QFV**.
- Parameter points are generated by using random numbers in the following ranges (in units of GeV or GeV²):

$$1 \text{ TeV} < M_{\text{SUSY}} < 5 \text{ TeV}$$

$$10 < \tan\beta < 30$$

$$2500 < M_3 < 5000$$

$$200 < M_2 < 2500$$

$$200 < M_1 < 2500$$

(without assuming the GUT relation for M_1, M_2, M_3)

$$200 < \mu < 2500$$

$$800 < m_A(\text{pole}) < 3000;$$

$$MQ2_11 = 4500^2 \text{ (fixed)}$$

$$2500^2 < MQ2_22 < 4000^2$$

$$2500^2 < MQ2_33 < 4000^2$$

$$|MQ2_23| < 1000.^2$$

<=== *QFV* param.

$$MU2_11 = 4500^2 \text{ (fixed)}$$

$$1000.^2 < MU2_22 < 4000.^2$$

$$600.^2 < MU2_33 < 3000.^2$$

$$|MU2_23| < 1200.^2$$

<=== *QFV* param.

$$MD2_11 = 4500^2 \text{ (fixed)}$$

$$2500.^2 < MD2_22 < 4000.^2$$

$$1000.^2 < MD2_33 < 3000.^2$$

$$|MD2_23| < 1000.^2$$

$$ML2_11 = 1500^2 \text{ (fixed)}$$

$$ML2_22 = 1500^2 \text{ (fixed)}$$

$$ML2_33 = 1500^2 \text{ (fixed)}$$

$$ML2_23 = 0. \text{ (fixed)}$$

$$ME2_{11} = 1500^2 \text{ (fixed)}$$

$$ME2_{22} = 1500^2 \text{ (fixed)}$$

$$ME2_{33} = 1500^2 \text{ (fixed)}$$

$$ME2_{23} = 0. \text{ (fixed)}$$

$$|TU_{23}| < 4000 \quad <=== \text{ QFV param}$$

$$|TU_{32}| < 4000 \quad <=== \text{ QFV param}$$

$$|TU_{33}| < 4000 \quad <=== \text{ QFC param.}$$

$$|TD_{23}| < 1000$$

$$|TD_{32}| < 1000$$

$$|TD_{33}| < 1000$$

$$TE_{23} = 0. \text{ (fixed)}$$

$$TE_{32} = 0. \text{ (fixed)}$$

$$|TE_{33}| < 500$$

- *In the parameter scan, all of the relevant experimental and theoretical constraints are imposed.*

- *The number of generated parameter points satisfying all the constraints is 285000.*

5. $h^0 \rightarrow \text{photon photon} \ \& \ \text{gluon gluon}$

- We compute the loop-induced decay widths $\Gamma(h^0 \rightarrow \text{photon photon})$ and $\Gamma(h^0 \rightarrow \text{gluon gluon})$.

M. Spira et al., Nucl. Phys. B453(1995) 17 [hep-ph/9504378].

- The computation includes

(LO 1-loop contributions) + (gluonic 2-loop corrections).

(LO 1-loop contributions) = (SM particle loops) + (SUSY particle loops)
= (top-loop + ...) + (stop-loop + ...).

- Main contributions to $h^0 \rightarrow \text{photon photon}$: $W / \text{top} / \text{stop} - \text{loops}$
[(stop - loops) = (stop-scharm mixture loops)]
- Main contributions to $h^0 \rightarrow \text{gluon gluon}$: $\text{top} / \text{stop} - \text{loops}$
- The width $\Gamma(h^0 \rightarrow \text{gluon gluon})$ can be measured very precisely at ILC, but it can not be measured directly at LHC.

- Decay amplitude $M(h^0 \rightarrow \gamma\gamma / gg)$:

$$M = M^{1\text{-loop}} + M^{2\text{-loop}} + \dots$$

$$= \begin{array}{c} \gamma/g \\ \diagup \\ h^0 \\ \diagdown \\ \gamma/g \end{array} + \begin{array}{c} \gamma/g \\ \diagup \\ h^0 \\ \diagdown \\ \gamma/g \end{array} + \dots$$

$$M^{1\text{-loop}}(h^0 \rightarrow \gamma\gamma) =$$

$$= M(\text{W-loop}) + M(\text{top-loop}) + M(\text{stop-loop}) + \dots$$

$$M^{1\text{-loop}}(h^0 \rightarrow gg) =$$

$$= M(\text{top-loop}) + M(\text{stop-loop}) + \dots$$

5.1. Impact of QFV on h^0 decay

Main features of our QFV scenario:

- *Decoupling Higgs scenario*
- *Large scharm-stop mixing terms $M^2_{Q23}, M^2_{U23}, T_{U23}, T_{U32}$*
- *Large stop/scharm involved QFV/QFC trilinear couplings $T_{U23}, T_{U32}, T_{U33}$*



The stop/scharm loop contributions to the widths $\Gamma(h^0 \rightarrow \gamma\gamma / gg)$ are enhanced! (see next page)



Large deviation of the MSSM prediction for $\Gamma(h^0 \rightarrow \gamma\gamma / gg)$ from the SM prediction!

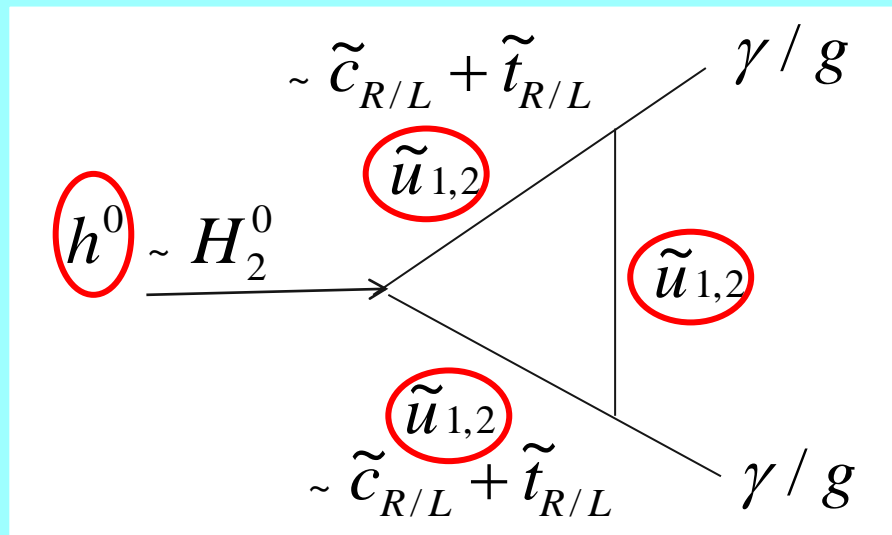


This makes it easier to discover the QFV SUSY effects in these decays $h^0 \rightarrow \gamma\gamma / gg$!

In this large $\tilde{c}_{R/L} - \tilde{t}_{R/L}$ & $\tilde{t}_L - \tilde{t}_R$ mixing scenario;

$$\tilde{u}_{1,2} \sim \tilde{c}_{R/L} + \tilde{t}_{R/L}$$

$$h^0 \sim H_2^0$$



In our scenario “trilinear couplings“ ($\tilde{c}_L - \tilde{t}_R - H_2^0$, $\tilde{c}_R - \tilde{t}_L - H_2^0$, $\tilde{t}_L - \tilde{t}_R - H_2^0$ couplings) = $(T_{U23} T_{U32}, T_{U33})$ are large!



$\tilde{u}_{1,2} - \tilde{u}_{1,2} - h^0$ couplings are large!



Stop/scharm loop contributions can be large!

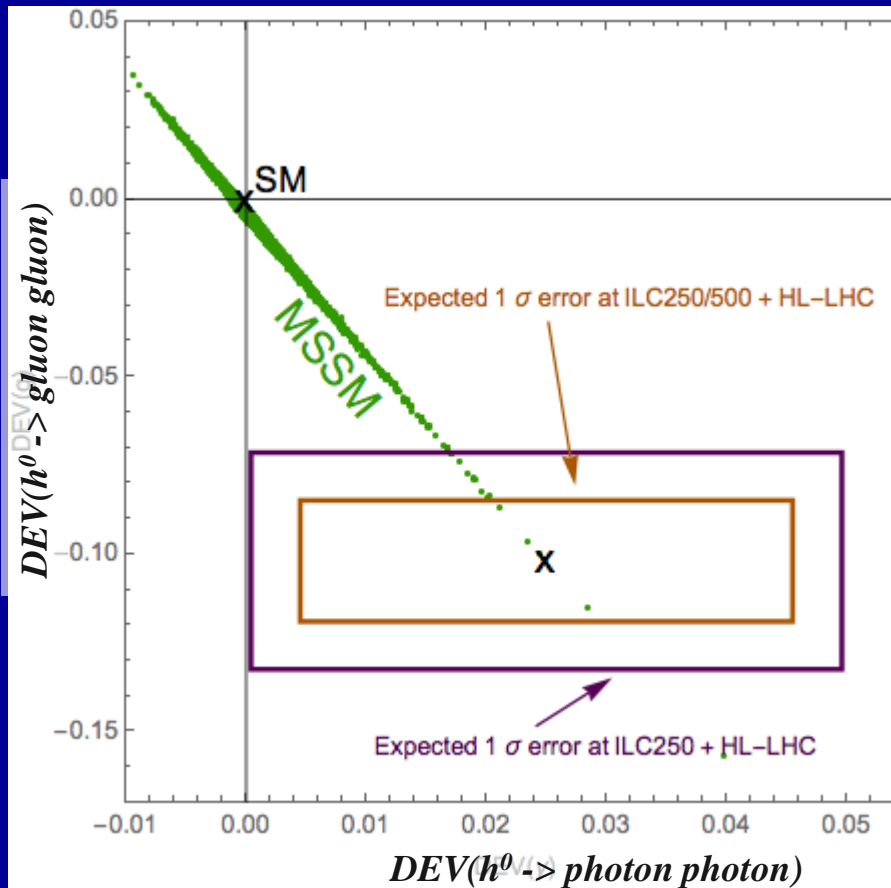
5.2 Deviation of the width from the SM prediction

- *The deviation of the width from the SM prediction:*

$$DEV(h^0 \rightarrow X X) = \Gamma(h^0 \rightarrow X X)_{MSSM} / \Gamma(h^0 \rightarrow X X)_{SM} - 1$$

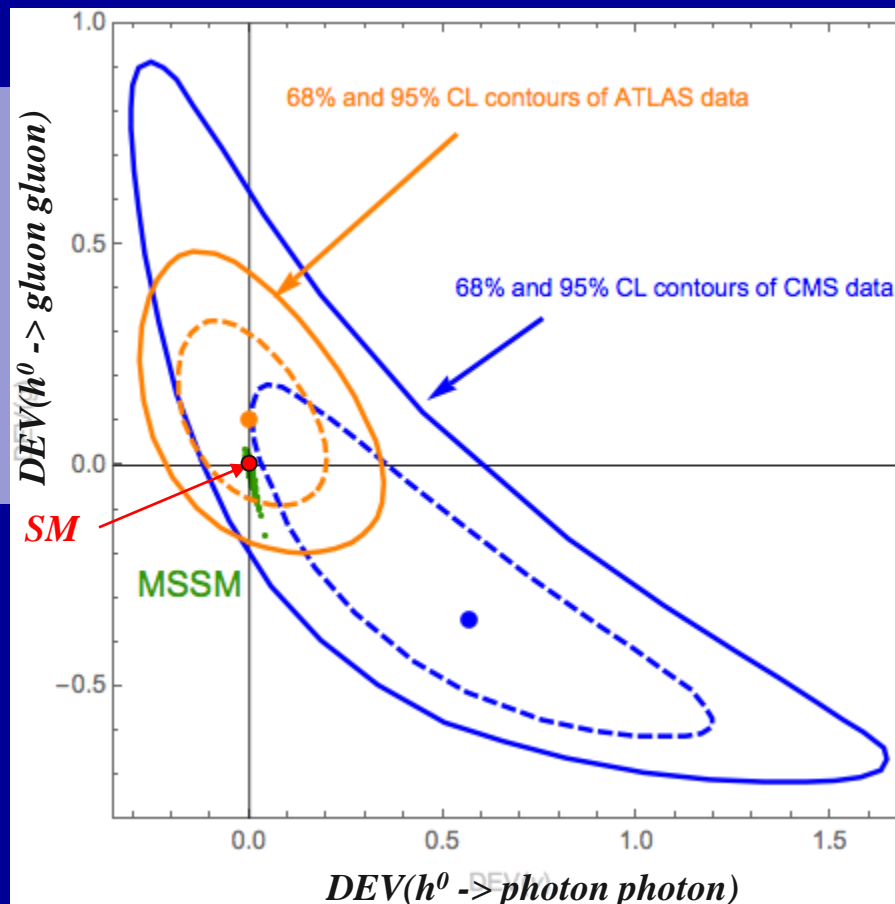
X = photon, gluon

Scatter plot in $DEV(h^0 \rightarrow \text{photon photon}) - DEV(h^0 \rightarrow \text{gluon gluon})$ plane



- $DEV(h^0 \rightarrow \text{photon photon})$ and $DEV(h^0 \rightarrow \text{gluon gluon})$ can be sizable simultaneously!
- There is a strong correlation between $DEV(h^0 \rightarrow \text{photon photon})$ and $DEV(h^0 \rightarrow \text{gluon gluon})$!
- This correlation is due to the fact that the stop-loop (stop-scharm mixture loop) contributions dominate the two DEVs.

Scatter plot in $DEV(h^0 \rightarrow \text{photon photon}) - DEV(h^0 \rightarrow \text{gluon gluon})$ plane



- **Both SM and MSSM are consistent with the recent ATLAS/CMS data!:**
 - ATLAS:** ATLAS-CONF-2018-031 (ICHEP2018)
 - CMS:** arXiv:1804.02716 (Submitted to JHEP)
- **The errors of the recent ATLAS/CMS data are too large!**

5.3 Deviation of width ratio from the SM prediction

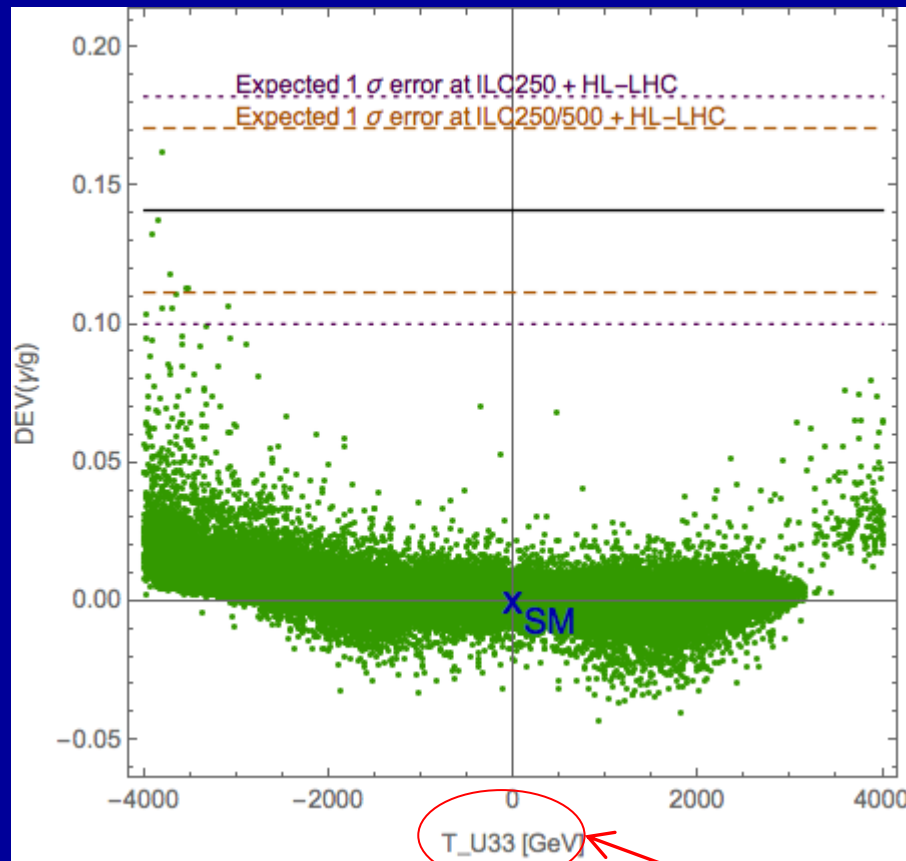
- *The deviation of the width ratio from the SM prediction:*

$$DEV(X/Y) = [\Gamma(X) / \Gamma(Y)]_{MSSM} / [\Gamma(X) / \Gamma(Y)]_{SM} - 1$$

$$\Gamma(X) = \Gamma(h^0 \rightarrow X X)$$

(X = photon, Y = gluon)

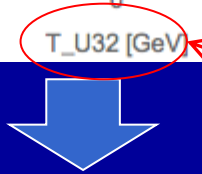
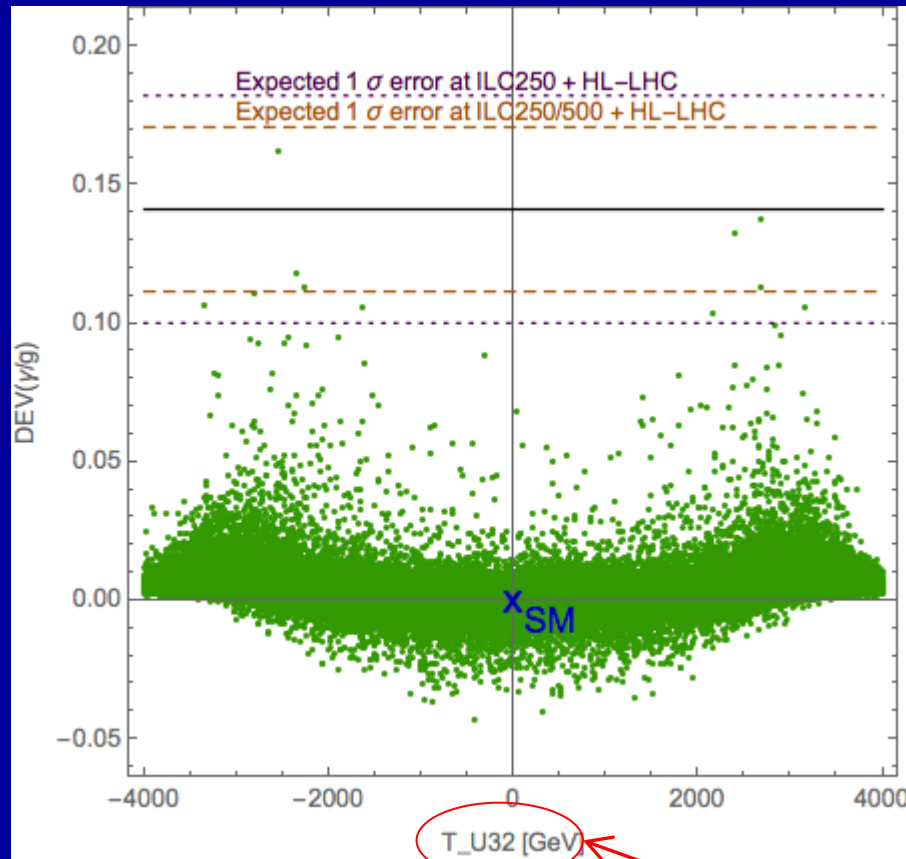
Scatter plot in T_{U33} - $DEV(\text{photon/gluon})$ plane



$$T_{U33} \approx (h^0 \tilde{t}_L \tilde{t}_R \text{ coupling})$$

- *The deviation of the width ratio $DEV(\text{photon/gluon})$ from the SM value can be large (roughly -5% to +15%) in the scanned parameter ranges!*
- *The correlation between T_{U33} and $DEV(\text{photon/gluon})$ is significant!*
- *This indicates the stop-loop contributions to these decays are significant!*

Scatter plot in T_{U32} - $DEV(\text{photon/gluon})$ plane



$$T_{U32} = (\tilde{c}_L - \tilde{t}_R \text{ mixing param.})$$

- *The deviation of the width ratio $DEV(\text{photon/gluon})$ from the SM value can be large (roughly -5% to +15%) in the scanned parameter ranges!*
- *The correlation between the QFV parameter T_{U32} and $DEV(\text{photon/gluon})$ is significant!*

6. Theoretical Errors

Theoretical errors tend to cancel in the ratio

$$DEV(X) = \Gamma(h \rightarrow X X)_{MSSM} / \Gamma(h \rightarrow X X)_{SM} - 1.$$

(Ex 1);

*Radiative correction effects on DEV(gluon) & DEV(photon)
are quite small:*

For bench1a scenario,

$$DEV(gluon)_{LO} = -1.01883635E-01$$

$$DEV(gluon)_{LNO} = -1.01883575E-01$$

$$DEV(photon)_{LO} = 2.52426192E-02$$

$$DEV(photon)_{LNO} = 2.49977168E-02$$

(Ex 2);

Uncertainties of DEVs due to scale dependence are very small:

For bench1a scenario,

$$\begin{aligned} \text{DEV}(\text{gluon})_{LNO} &= -1.04874991\text{E-}01 \quad (Q = m_h/2) \\ &= -1.01883575\text{E-}01 \quad (Q = m_h = 125 \text{ GeV}) \\ &= -0.992378294\text{E-}01 \quad (Q = 2m_h) \end{aligned}$$

$$\begin{aligned} \text{DEV}(\text{photon})_{LNO} &= 2.55689900\text{E-}02 \quad (Q = m_h/2) \\ &= 2.49977168\text{E-}02 \quad (Q = m_h = 125 \text{ GeV}) \\ &= 2.44694743\text{E-}02 \quad (Q = 2m_h) \end{aligned}$$

(Ex 3);

Uncertainties of DEVs due to errors of the SM input parameters

(parametric errors) should also be very small. (in progress)

7. Conclusion

- We have studied the correlation between the loop-induced decays

h^0 (125GeV) \rightarrow photon photon & gluon gluon in the *MSSM with QFV*.

- Performing a parameter scan, we have found the followings:

* *DEV($h^0 \rightarrow$ photon photon) and DEV($h^0 \rightarrow$ gluon gluon) can be large simultaneously!:*

DEV($h^0 \rightarrow$ photon photon) can be as large as $\sim +4\%$ and DEV($h^0 \rightarrow$ gluon gluon) can be as large as $\sim -15\%$.

* *There is a very strong correlation between DEV($h^0 \rightarrow$ photon photon) & DEV($h^0 \rightarrow$ gluon gluon)!*

This correlation is due to the fact that the stop-loop (stop-scharm mixture loop) contributions dominate the two DEVs .

* *The deviation of the width ratio $\Gamma(h^0 \rightarrow$ photon photon) / $\Gamma(h^0 \rightarrow$ gluon gluon)*

from the SM value can be as large as $\sim +20\%$!

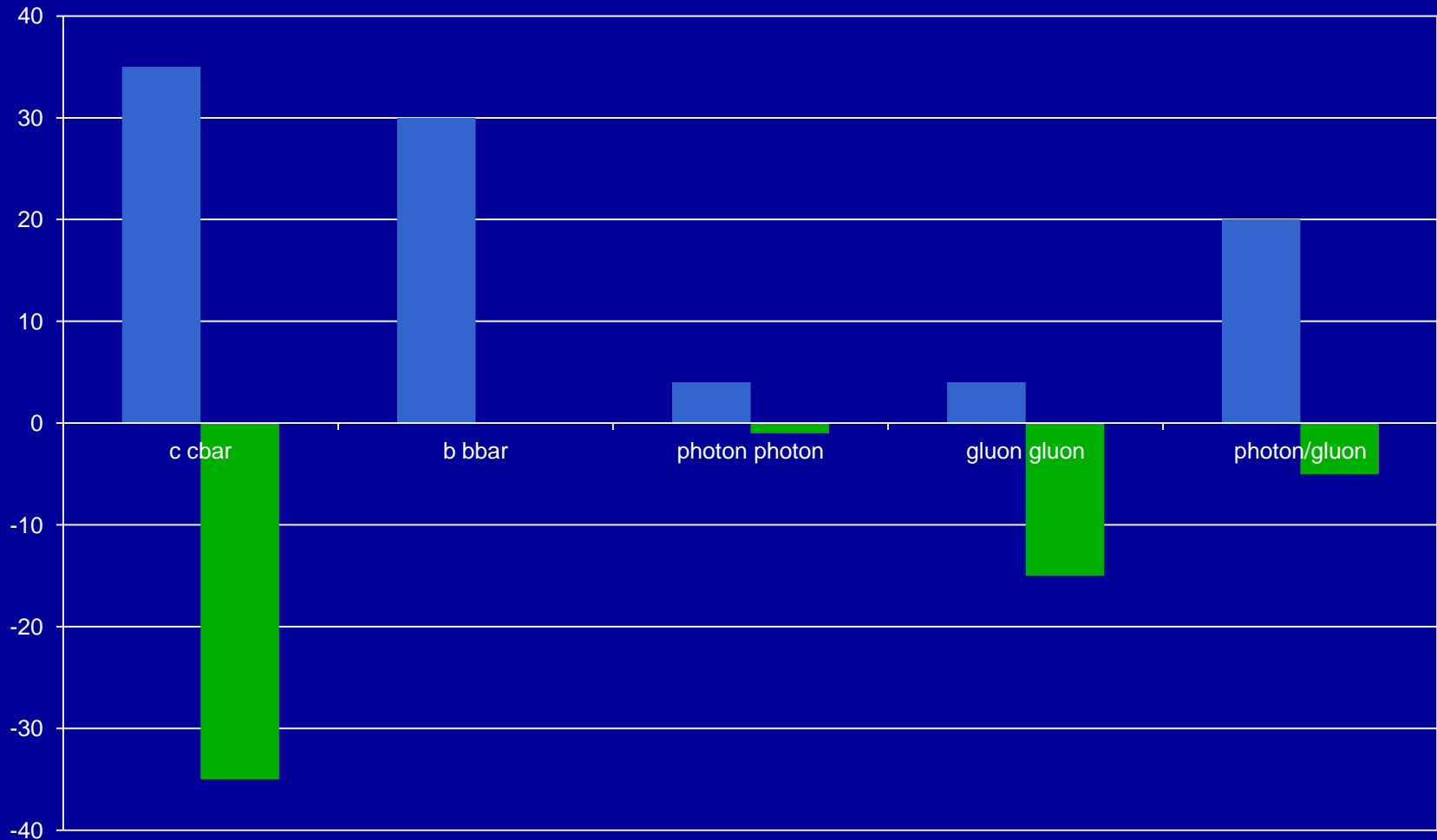
- *We have also performed similar studies for the decays $h^0 \rightarrow c \bar{c}$ and $b \bar{b}$ at full one-loop level in the MSSM with QFV and found the followings:
[Phys. Rev. D 91 (2015) 015007 [arXiv:1411.2840 [hep-ph]];
JHEP 1606 (2016) 143 [arXiv:1604.02366 [hep-ph]]]*

*The deviation of these decay widths from the SM values can be quite significant!;
 $DEV(h^0 \rightarrow c \bar{c})$ can be as large as $\sim \pm 35\%$ and $DEV(h^0 \rightarrow b \bar{b})$ can be as large as $\sim +30\%$!*

- *All of these large deviations in $h^0 \rightarrow c \bar{c}$, $b \bar{b}$, photon photon, gluon gluon are due to large scharm-stop mixing & large stop/scharm involved trilinear couplings T_{U32} , T_{U23} , T_{U33} !*
- *In case the deviation pattern shown here is really observed at ILC, then it would strongly suggest the discovery of QFV SUSY (MSSM with QFV)!*
- *See next slide also.*

Deviation pattern in the MSSM with *QFV*

DEV(%)



- *Our analysis suggests the following:*

PETRA/TRISTAN $e^- e^+$ collider discovered virtual Z^0 effect for the first time.

Later, CERN $p \bar{p}$ collider discovered the Z^0 boson.

Similarly, ILC could discover virtual Sparticle effects for the first time in $h^0(125\text{GeV})$ decays!

Later, HE-LHC/VLHC $p p$ collider could discover the Sparticles!

END

Thank you!

Backup Slides

Constraints on the MSSM parameters from B meson data and mh^0 data:

Table 3: Constraints on the MSSM parameters from the B-meson data relevant mainly for the mixing between the second and the third generations of squarks and from the data on the h^0 mass. The fourth column shows constraints at 95% CL obtained by combining the experimental error quadratically with the theoretical uncertainty, except for m_{h^0} .

Observable	Exp. data	Theor. uncertainty	Constr. (95%CL)
ΔM_{B_s} [ps^{-1}]	17.757 ± 0.021 (68% CL) [23]	± 2.7 (68% CL) [24]	17.757 ± 5.29
$10^4 \times \text{B}(b \rightarrow s \gamma)$	3.49 ± 0.19 (68% CL) [14, 23]	± 0.23 (68% CL) [25]	3.49 ± 0.58
$10^6 \times \text{B}(b \rightarrow s l^+ l^-)$ ($l = e$ or μ)	$1.60^{+0.48}_{-0.45}$ (68% CL) [26]	± 0.11 (68% CL) [27]	$1.60^{+0.97}_{-0.91}$
$10^9 \times \text{B}(B_s \rightarrow \mu^+ \mu^-)$	$2.8^{+0.7}_{-0.6}$ (68%CL) [28]	± 0.23 (68% CL) [29]	$2.80^{+1.44}_{-1.26}$
$10^4 \times \text{B}(B^+ \rightarrow \tau^+ \nu)$	1.14 ± 0.27 (68%CL) [30, 31]	± 0.29 (68% CL) [32]	1.14 ± 0.78
m_{h^0} [GeV]	125.09 ± 0.24 (68% CL) [33]	± 3 [34]	125.09 ± 3.48

-The SM prediction:

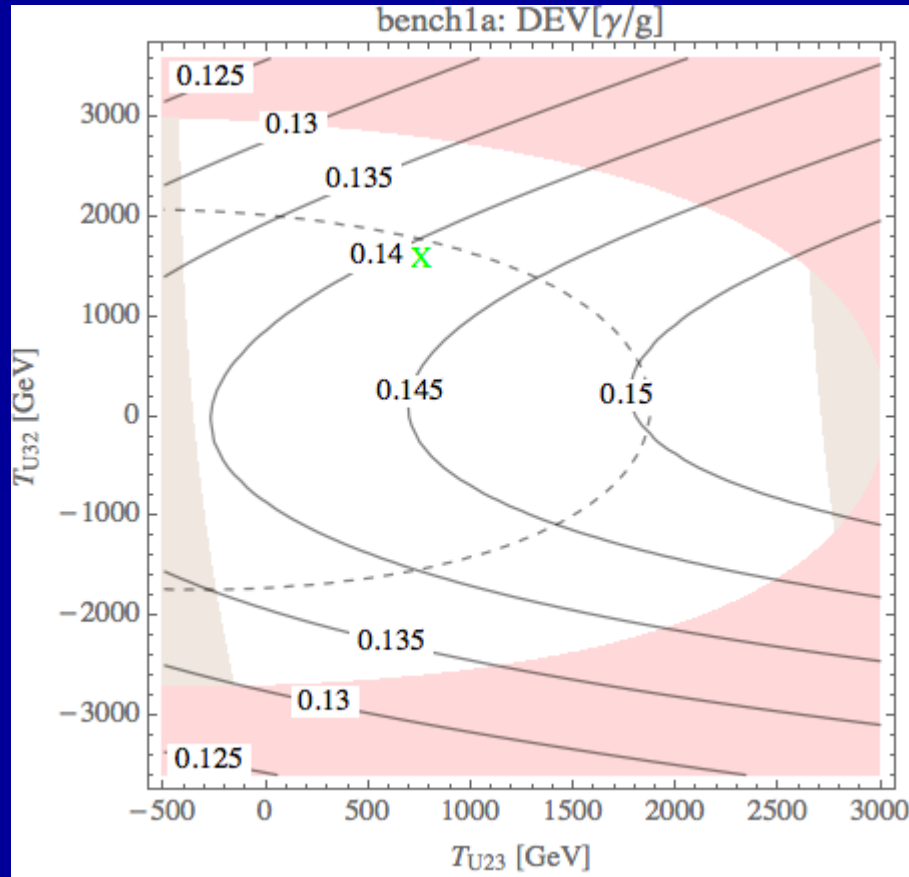
$$\Gamma(h^0 \rightarrow \text{photon photon})_{SM} = (1.064 + 0.029/-0.021) \times 10^{-5} \text{ GeV}$$

$$\Gamma(h^0 \rightarrow \text{gluon gluon})_{SM} = (3.56 + 0.06/-0.06) \times 10^{-4} \text{ GeV}$$

(Almeida et al., Phys. Rev. D 89 (2014) 033006 [arXiv:1311.6721v3])

Contour plots of $DEV(\text{photon/gluon})$

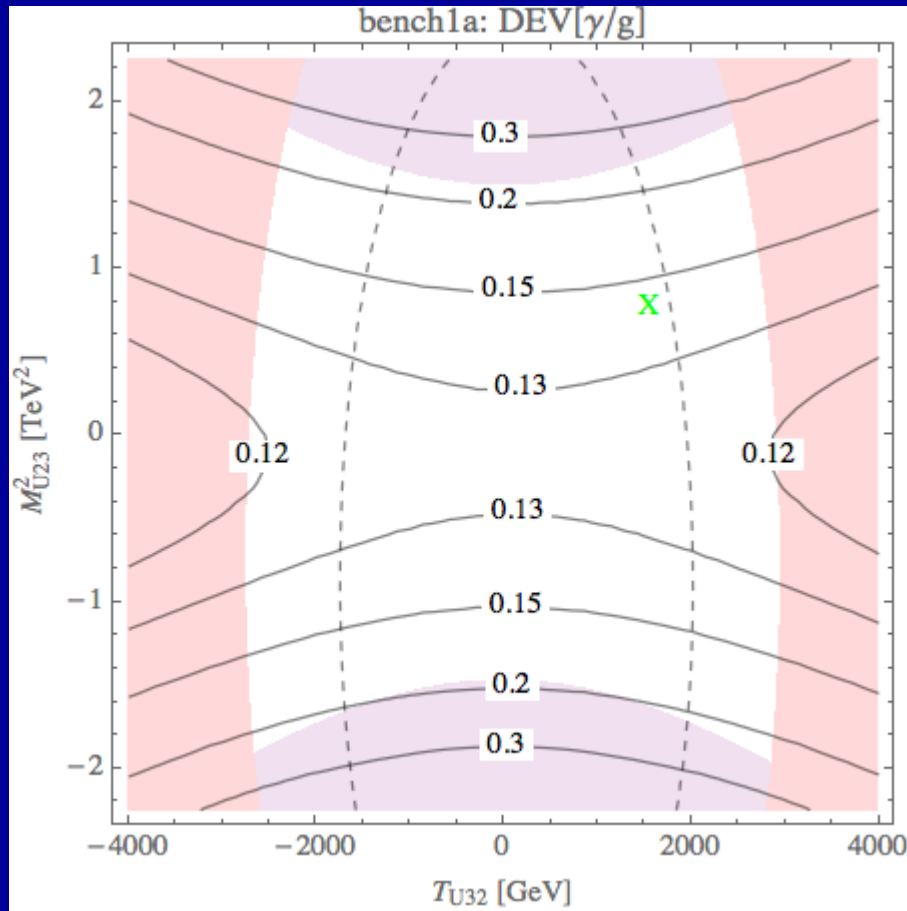
Contour plot of $DEV(\text{photon/gluon})$ in $T_{U23} - T_{U32}$ plane for benchmark scenario "bench1a"



light red: m_{h^0} constraint

light brown: $B_s \rightarrow \mu\mu$ constraint

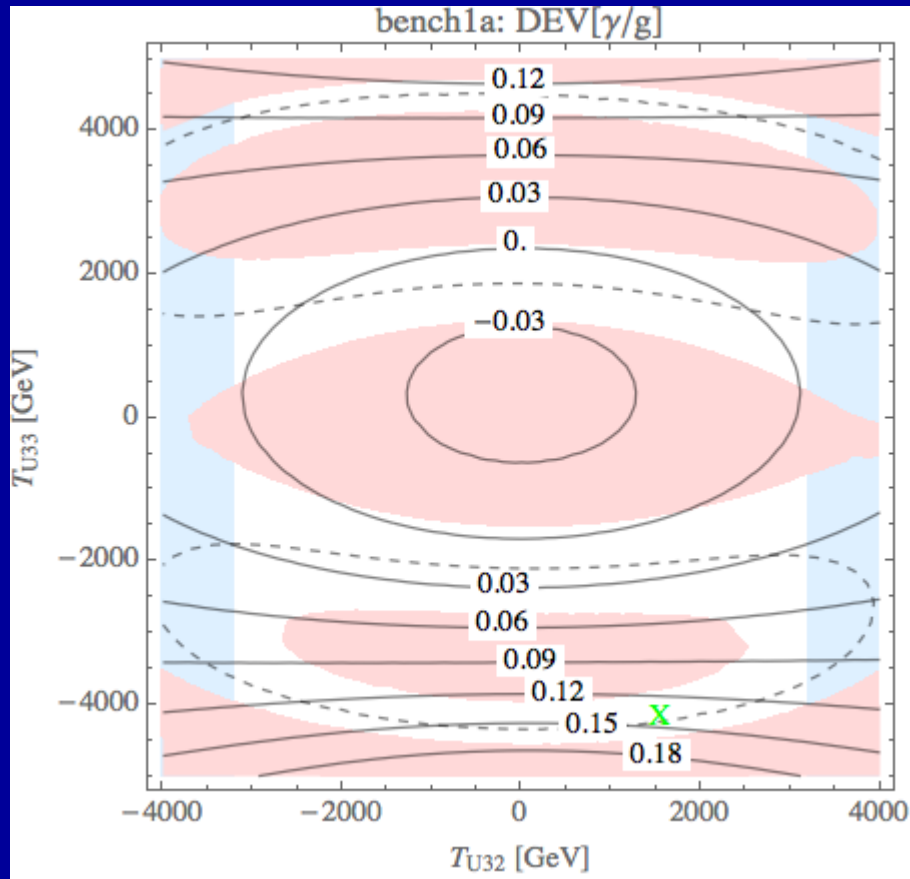
Contour plot of DEV(photon/gluon) in $T_{U32} - M^2_{U23}$ plane for benchmark scenario “bench1a”



light red: m_{h^0} constraint

light purple: m_{su_1} constraint

Contour plot of $DEV(\text{photon/gluon})$ in $T_{U32} - T_{U33}$ plane for benchmark scenario “bench1a”



light red: m_{h^0} constraint

light blue: Vacuum stability constraint

Benchmark scenario "bench1a" for $h^0 \rightarrow \text{photon photon} \& \text{gluon gluon}$:

```
BLOCK EXTPAR                                #
0      1000.                                # Q_scale
1      1270.                                # M_1
2      500.                                  # M_2
3      4800.                                 # M_3
23     1260.                                 # mu
25     16.                                   # tanb = tanb(Q_scale = 1 TeV)
26     1960.                                 # m_A(pole)
BLOCK MSQ2                                    #
1      1      2.025e7                         #
1      2      0.                             #
1      3      0.                             #
2      1      0.                             #
2      2      1.33956e7                      #
2      3      302500.                        # <=== M2Q23
3      1      0.                             #
3      2      302500.                        # <=== M2Q32
3      3      6.3504e6                       #
BLOCK MSU2                                    #
1      1      2.025e7                         #
1      2      0.                             #
1      3      0.                             #
2      1      0.                             #
2      2      1.37641e7                      #
2      3      765625.                        # <=== M2U23
3      1      0.                             #
3      2      765625.                        # <=== M2U32
3      3      2.059225e6                     #
```

<i>BLOCK MSD2</i>			#
1	1	2.025e7	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	1.31044e7	#
2	3	855625.	#
3	1	0.	#
3	2	855625.	#
3	3	7.3984e6	#
<i>BLOCK MSL2</i>			#
1	1	2.25e6	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	2.25e6	#
2	3	0.	#
3	1	0.	#
3	2	0.	#
3	3	2.25e6	#
<i>BLOCK MSE2</i>			#
1	1	2.25e6	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	2.25e6	#
2	3	0.	#
3	1	0.	#
3	2	0.	#
3	3	2.25e6	#

BLOCK TU

		#	
1	1	0.00001	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	0.00001	#
2	3	760.	# <=== TU23
3	1	0.	#
3	2	1560.	# <=== TU32
3	3	-4200.	# <=== TU33

BLOCK TD

		#	
1	1	0.00001	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	0.00001	#
2	3	-565.	#
3	1	0.	#
3	2	690.	#
3	3	270.	#

BLOCK TE

		#	
1	1	0.	#
1	2	0.	#
1	3	0.	#
2	1	0.	#
2	2	0.	#
2	3	0.	#
3	1	0.	#
3	2	0.	#
3	3	-470.	#

$h^0(125) \rightarrow c \bar{c}$ at full one-loop level in the MSSM with QFV

[Phys. Rev. D 91 (2015) 015007 [arXiv:1411.2840 [hep-ph]]]

Main one-loop contributions with SUSY particles

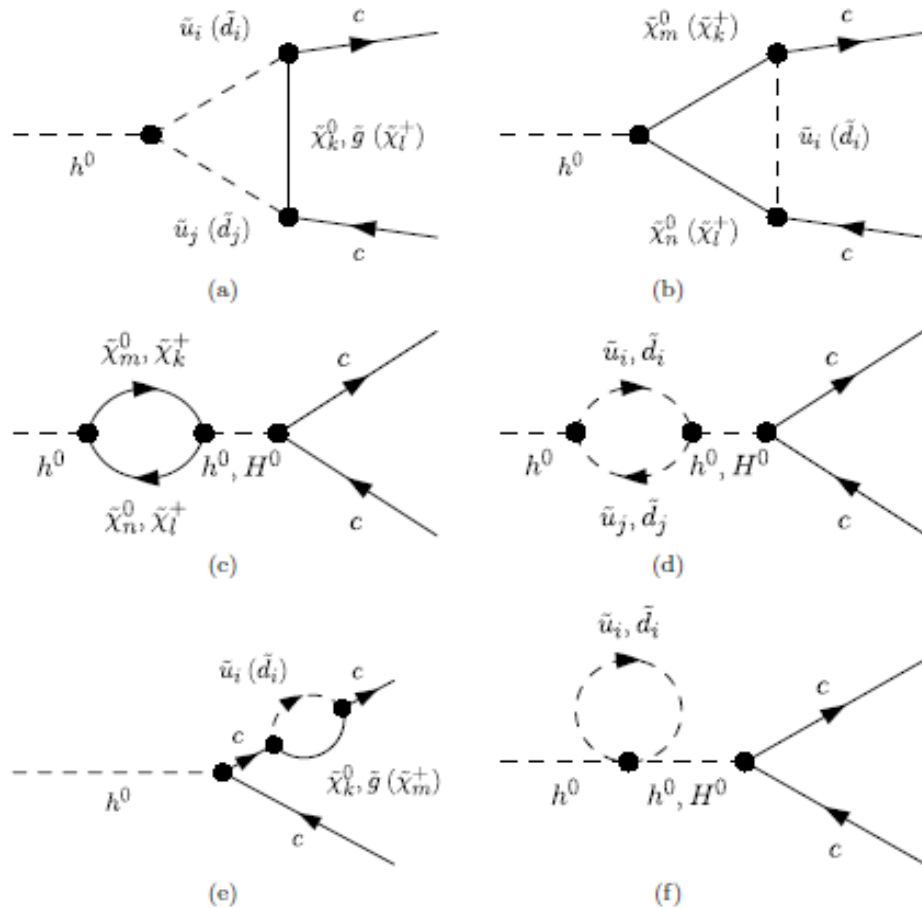
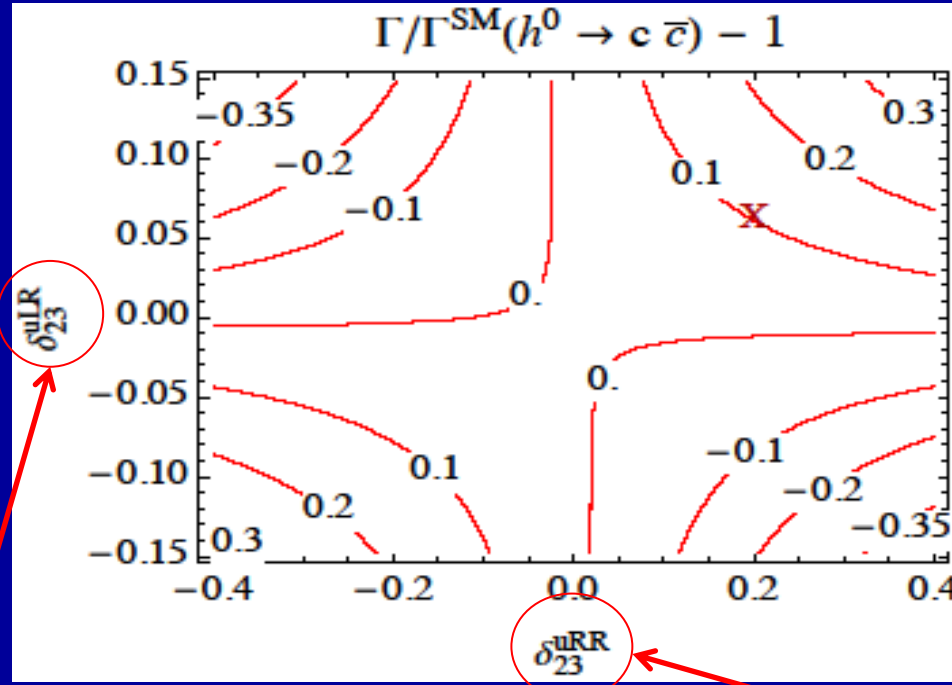


Figure 2: The main one-loop contributions with SUSY particles in $h^0 \rightarrow c\bar{c}$. The corresponding diagram to (e) with the self-energy contribution to the other charm quark is not shown explicitly.

Numerical results

Contour plot of the *deviation of the MSSM prediction from the SM prediction*

$\Gamma^{SM}(h^0 \rightarrow c\bar{c}) = 0.118\text{MeV}$ (PDG2014) in $\delta_{23}^{uRR} - \delta_{23}^{uLR}$ plane



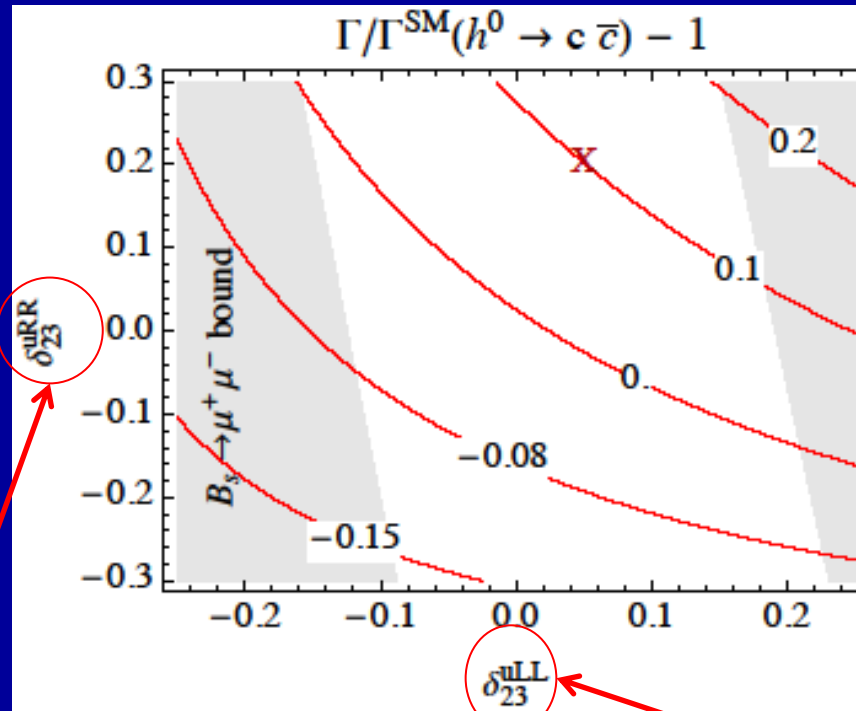
$\tilde{c}_L - \tilde{t}_R$ mixing parameter



$\tilde{c}_R - \tilde{t}_R$ mixing parameter

- The MSSM prediction $\Gamma(h^0 \rightarrow c\bar{c})^{full\ 1-loop}$ is very sensitive to the QFV parameters $\delta_{23}^{uRR} - \delta_{23}^{uLR}$!
- The deviation of the MSSM prediction from the SM prediction can be very large (as large as $\sim \pm 35\%$)!

Contour plots of the *deviation of the MSSM prediction from the SM prediction* in $\delta_{23}^{uLL} - \delta_{23}^{uRR}$ plane

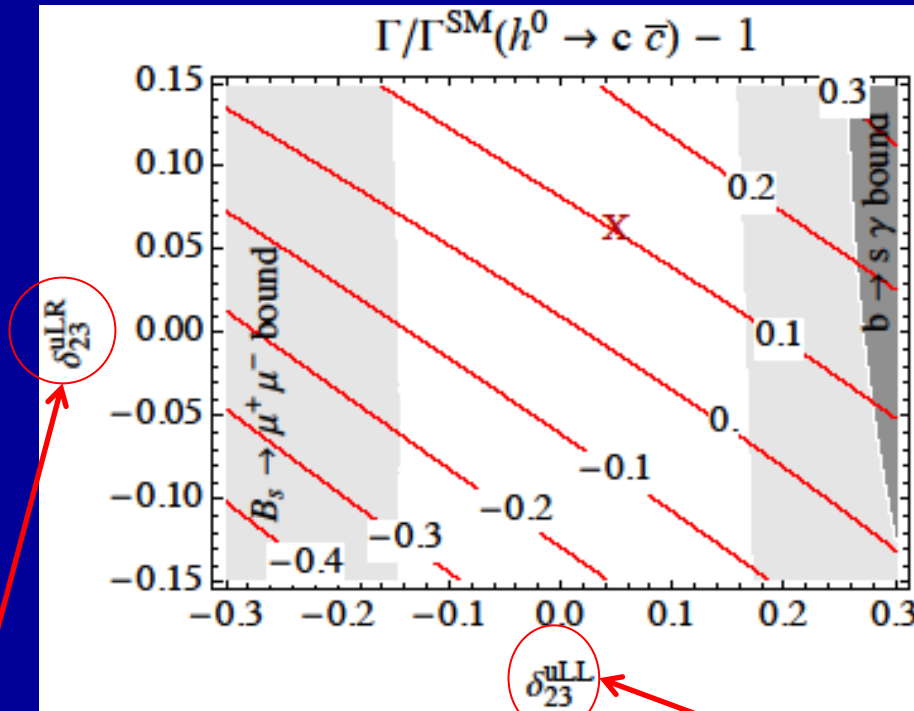


$\tilde{c}_R - \tilde{t}_R$ mixing parameter

$\tilde{c}_L - \tilde{t}_L$ mixing parameter

- The MSSM prediction $\Gamma(h^0 \rightarrow c \bar{c})^{\text{full-loop}}$ is very sensitive to the QFV parameters $\delta_{23}^{uLL} - \delta_{23}^{uRR}$!
- The deviation of the MSSM prediction from the SM prediction can be very large (as large as $\sim \pm 20\%$)!

Contour plots of the *deviation of the MSSM prediction from the SM prediction* in $\delta_{23}^{uLL} - \delta_{23}^{uLR}$ plane



$\tilde{c}_L - \tilde{t}_R$ mixing parameter



$\tilde{c}_L - \tilde{t}_L$ mixing parameter

- The MSSM prediction $\Gamma(h^0 \rightarrow c \bar{c})^{\text{full 1-loop}}$ is very sensitive to the QFV parameters $\delta_{23}^{uLL} - \delta_{23}^{uLR}$!
- The deviation of the MSSM prediction from the SM prediction can be very large (as large as $\sim \pm 30\%$)!

$h^0(125) \rightarrow b\bar{b}$ at full one-loop level in the MSSM with QFV

[JHEP 1606 (2016) 143 [arXiv:1604.02366 [hep-ph]].]

Benchmark QFV Scenario

Table 1. Reference scenario: shown are the basic MSSM parameters at $Q = 1$ TeV, except for m_{A^0} which is the pole mass (i.e. the physical mass) of A^0 , with $T_{U33} = 1450$ GeV (corresponding to $\delta_{33}^{uRL} = 0.1$). All other squark parameters not shown here are zero.

M_1	M_2	M_3
400 GeV	800 GeV	2000 GeV

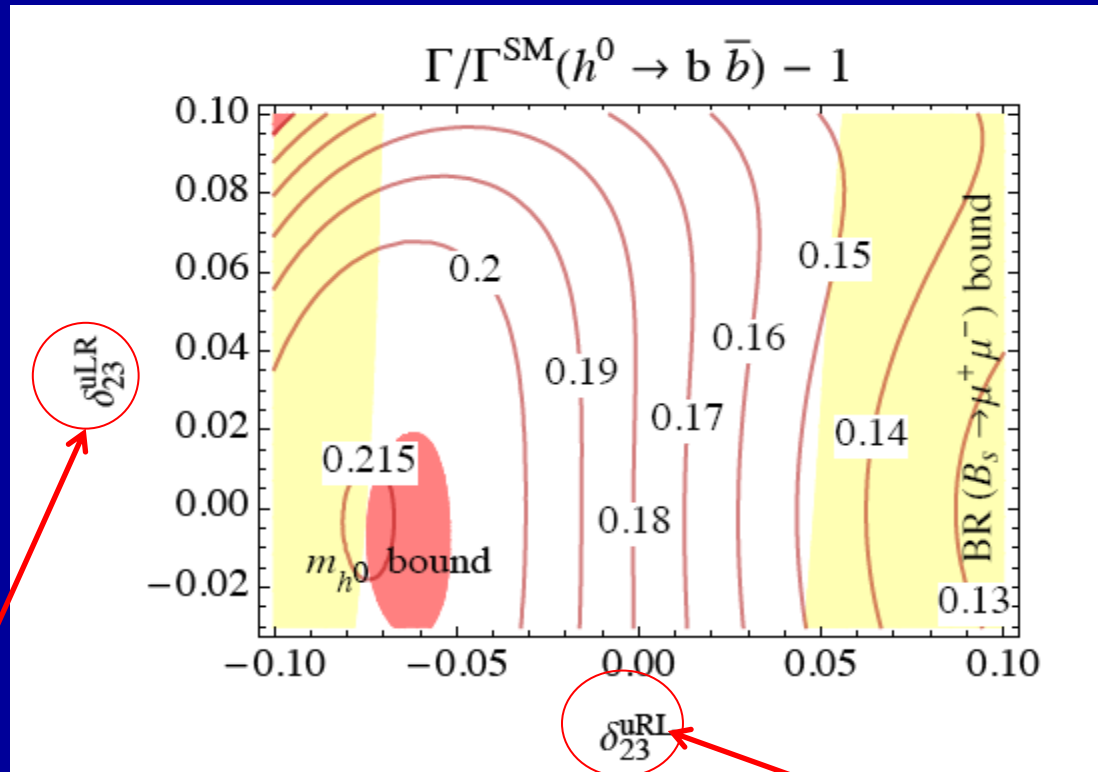
μ	$\tan \beta$	m_{A^0}
500 GeV	30	1500 GeV

	$\alpha = 1$	$\alpha = 2$	$\alpha = 3$
$M_{Q\alpha\alpha}^2$	3200^2 GeV^2	1550^2 GeV^2	1100^2 GeV^2
$M_{U\alpha\alpha}^2$	3200^2 GeV^2	2800^2 GeV^2	2050^2 GeV^2
$M_{D\alpha\alpha}^2$	3200^2 GeV^2	3000^2 GeV^2	2500^2 GeV^2

δ_{23}^{LL}	δ_{23}^{uRR}	δ_{23}^{uRL}	δ_{23}^{uLR}
0	0.8	0.02	0.02

Numerical results

Contour plot of the $DEV(h^0 \rightarrow b \bar{b})$ in $\delta_{23}^{uRL} - \delta_{23}^{uLR}$ plane

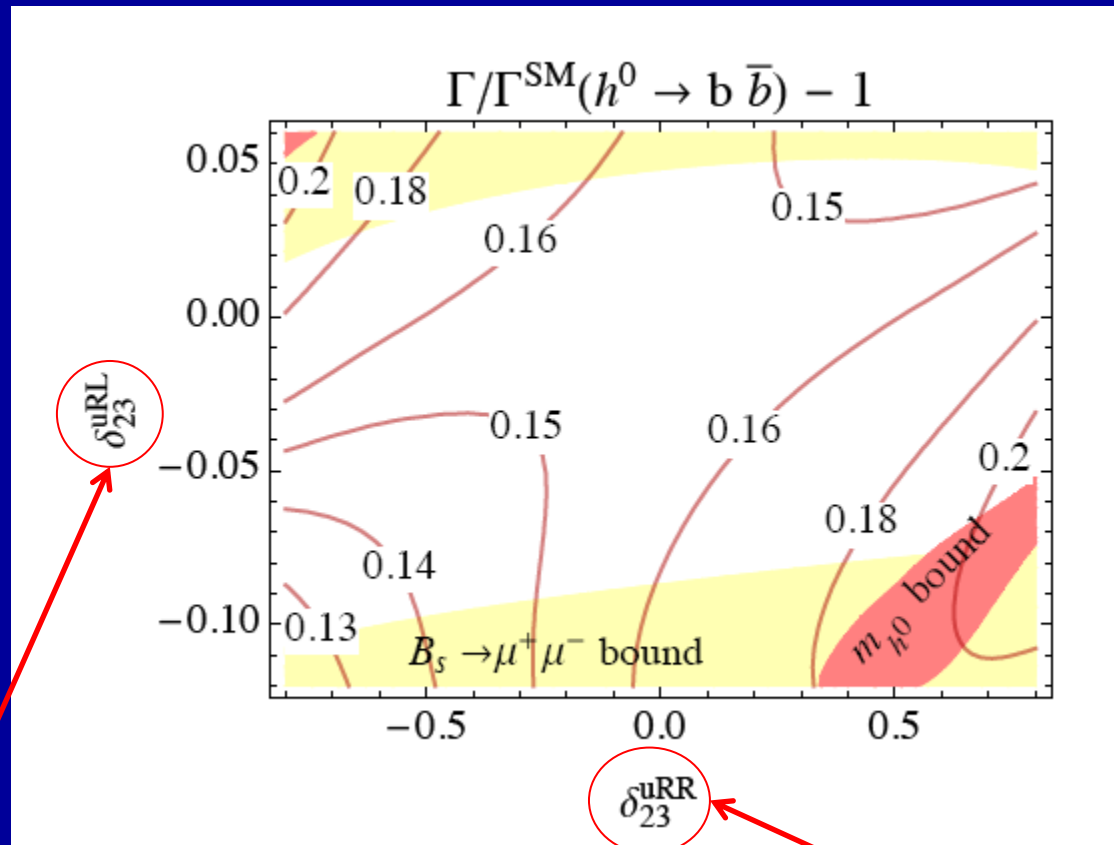


$\tilde{c}_L - \tilde{t}_R$ mixing parameter

$\tilde{c}_R - \tilde{t}_L$ mixing parameter

- The MSSM prediction $\Gamma(h^0 \rightarrow b \bar{b})^{full\ 1-loop}$ is very sensitive to the QFV parameters $\delta_{23}^{uRL} - \delta_{23}^{uLR}$!
- The deviation of the MSSM prediction from the SM prediction can be very large (as large as $\sim +20\%$)!

Contour plot of the $DEV(h^0 \rightarrow b \bar{b})$ in $\delta_{23}^{uRR} - \delta_{23}^{uRL}$ plane



$\tilde{c}_R - \tilde{t}_L$ mixing parameter

$\tilde{c}_R - \tilde{t}_R$ mixing parameter

- The MSSM prediction $\Gamma(h^0 \rightarrow b \bar{b})^{\text{full 1-loop}}$ is very sensitive to the QFV parameters $\delta_{23}^{uRR} - \delta_{23}^{uRL}$!
- The deviation of the MSSM prediction from the SM prediction can be very large (as large as $\sim +20\%$)!