



Neutrinos and the LHC

R. N. Mohapatra



June, 14-19, 2010

Neutrino mass → New physics beyond SM:

Two generic Issues:

- New mass scale to explain why $m_\nu \ll m_{q,l}$?
- How to understand the flavor puzzle :
Why quark and lepton mixing patterns are so different ?
- **Low energy probes:** Oscillations, $\beta\beta_{0\nu}$, $\mu \rightarrow e + \gamma$
- **Probing this new physics at LHC: → This talk**

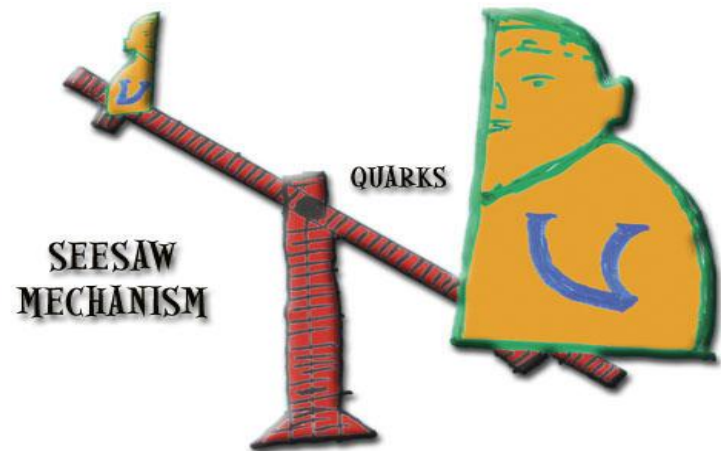
Scale of new physics

Why is

$$m_\nu \ll m_{q,l}$$

? Seesaw Paradigm:

Add **heavy** right handed neutrinos N to SM and play seesaw:



Seesaw scale is the new physics scale !!

Different experimental signatures depending on Majorana or Dirac

N

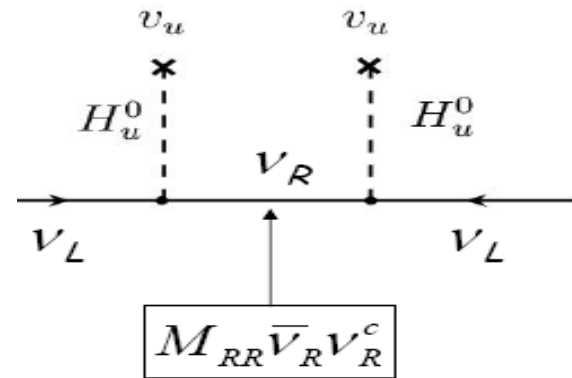
Type I seesaw

Majorana N

$$L_Y = h_\nu \bar{L} H N_R + M_R N N$$

M_R New scale

$$m_\nu \cong - \frac{h_\nu^2 v_{wk}^2}{M_R}$$



-Neutrino majorana

→ small nu mass natural since $M_R \gg h v_{wk}$

$$\frac{m_D}{M_R} \equiv \frac{h_\nu v_{wk}}{M_R}$$

key parameter to test seesaw

$$\sim 10^{-7} - 10^{-10}$$

Inverse Seesaw

■ Mostly Dirac N i.e. add another singlet S

$$L_Y = h_\nu \bar{L} H N_R + M S N_R + \mu S S \quad \mu \ll M$$

$$(\nu_L, \nu_R, S)$$

$$\begin{pmatrix} 0 & h\nu_{wk} & 0 \\ h\nu_{wk} & 0 & M \\ 0 & M & \mu \end{pmatrix}$$

$$m_\nu \cong -m_D^T M^{-1} \mu M^{-1} m_D$$

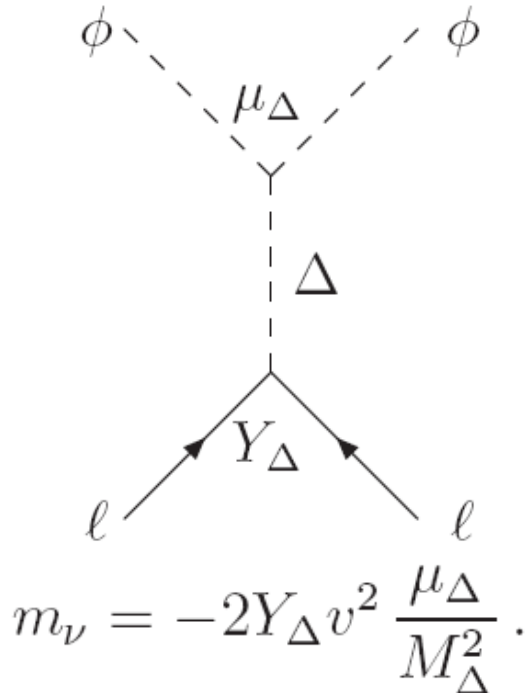
(RNM'86; RNM, Valle'86)

■ Seesaw testing parameter $\frac{m_D}{M} \sim 10^{-3}$ or larger;

Seesaws without RH Nus

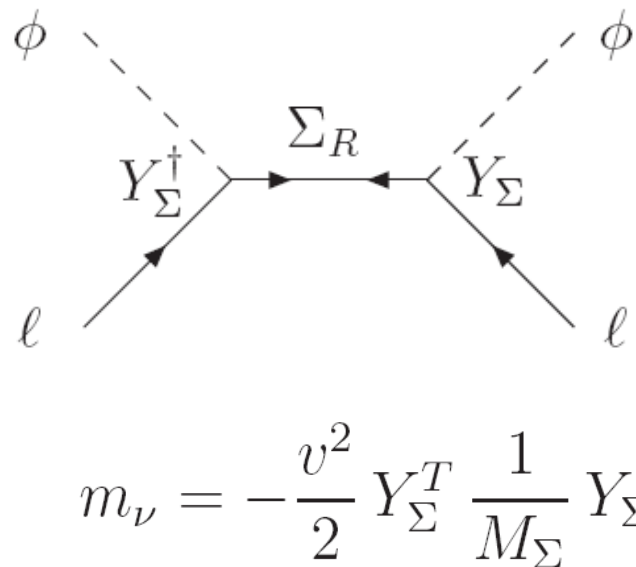
Type II (scalar triplet)

(Maag, Wetterich, Shafi, Lazaridis;
RNM, Senjanovic; Schechter, Valle)



Type III (fermion triplet)

(Foot, He, Lew, Joshi)



Loop models (Babu, Zee,...)

New seesaw related particles: Minimal case

- Type I and Inverse seesaw: **Right handed neutrinos:** N

- Type II: **Scalar bosons**

$$\Delta = \begin{pmatrix} \delta^+/\sqrt{2} & \delta^{++} \\ \delta^0 & -\delta^+/\sqrt{2} \end{pmatrix}.$$

- Type III: **triplet fermions:**

$$\Sigma = \begin{pmatrix} \Sigma^0/\sqrt{2} & \Sigma^+ \\ \Sigma^- & -\Sigma^0/\sqrt{2} \end{pmatrix}.$$

- Loop models \rightarrow particles similar to δ^{++}
- **If their masses (seesaw scale) are sub-TeV, LHC is ideal machine for their search:**

Decay modes:

- RH neutrino N : \sim Dirac (**Inverse**) $N \rightarrow l^- W^+$
 Majorana (**Type I**) $N \rightarrow l^\pm W^\mp$
- Scalar triplet (**Type II**) $\Delta = \begin{pmatrix} \delta^+/\sqrt{2} & \delta^{++} \\ \delta^0 & -\delta^+/\sqrt{2} \end{pmatrix}$
 $\delta^{++} \rightarrow l^+ l^+, W^+ W^+$
 $\delta^+ \rightarrow l^+ \bar{\nu}, W^+ Z$
- Fermion triplet: (**Type III**) $\Sigma = \begin{pmatrix} \Sigma^0/\sqrt{2} & \Sigma^+ \\ \Sigma^- & -\Sigma^0/\sqrt{2} \end{pmatrix}$
 $\Sigma^0 \rightarrow l^+ W^-$
 $\Sigma^+ \rightarrow l^+ Z, \dots$

Collider Production:

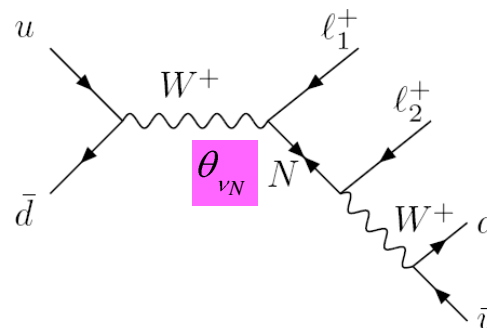
- Type II and type III**: New particles **couple** to W, Z and γ and can be produced via

$$\begin{aligned}
 q\bar{q} &\rightarrow Z^*/\gamma^* \rightarrow \Sigma^+\Sigma^- \quad \delta^{++}\delta^{--} \\
 q\bar{q}' &\rightarrow W^* \rightarrow \Sigma^+\Sigma^0 \quad \delta^{++}\delta^-
 \end{aligned}$$

- Type I and Inverse-N-** SM singlets,

do not couple to, W or Z -

Only production mode is via ν - N mixing.

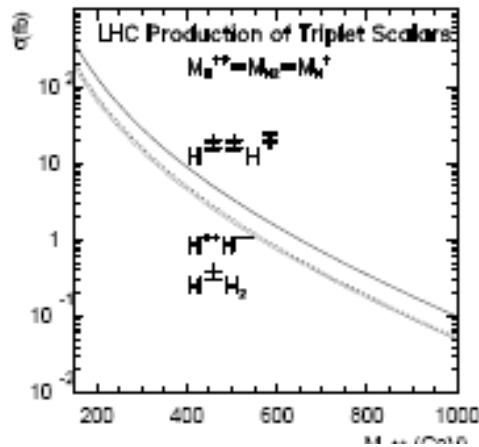


Testing Type II:

Doubly charged member \rightarrow **Striking signal**

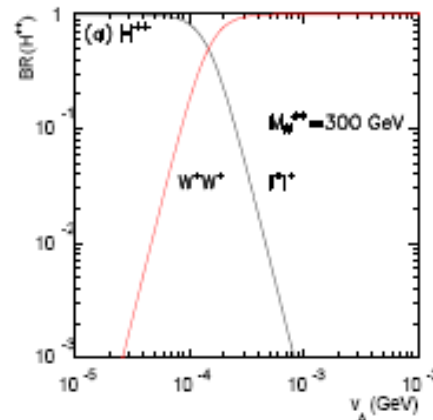
$$u\bar{u} \rightarrow \delta^{++}\delta^{--}; u\bar{d} \rightarrow \delta^{++}\delta^{-}$$

Production



$$\delta^{++} \rightarrow l^{+}l^{+}, W^{+}W^{+}$$

Decay



Final state: $l^{+}l^{+}l^{-}l^{-}$ inv mass can be used to reduce bg.

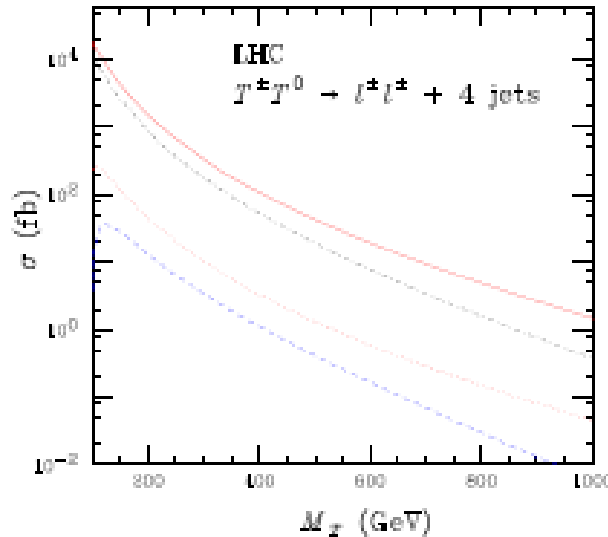
inv mass can be used to

LHC reach \sim TeV; leptonic couplings give nu mass matrix (roughly) (Han, Perez, Huang, Li, Wang; Akyroid, Aoki; Azuelos, Mukhopadhyay,)

Signals of Type III

■ $Y=0$, fermion triplet: (Bajc, Senjanovic, Nemesvek,..)

$$\begin{aligned}
 q\bar{q} &\rightarrow Z^*/\gamma^* \rightarrow \Sigma^+\Sigma^- \\
 q\bar{q}' &\rightarrow W^* \rightarrow \Sigma^+\Sigma^0 \quad \Sigma^0 \rightarrow l^+W^- \rightarrow jj
 \end{aligned}$$



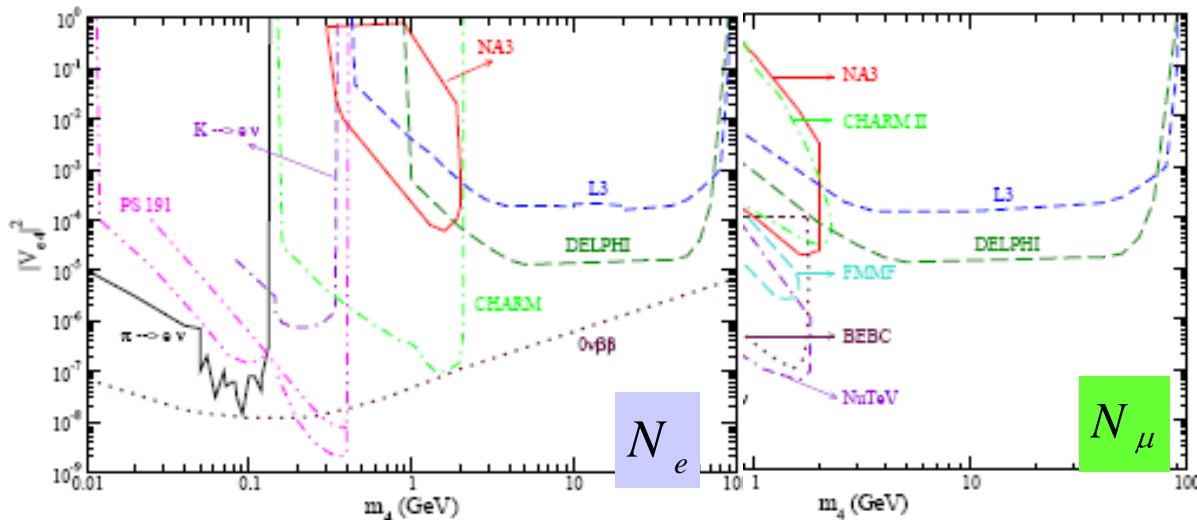
Like sign dileptons+ 4 jets

LHC Reach <TeV

Type I, Inverse: Need $\theta_{\nu N}$

Low energy bounds on $\theta_{\nu N} = \frac{m_D}{M}$ vs M_N

From NA3, CHARM, DELPHI, L3, NOMAD, double beta decay



Type I

$$\theta_{\nu N} \leq 10^{-6}$$

Atre, Han, Pascoli, Zhang

Only observable for inverse seesaw for $M_N < \text{TeV}$

but does not reveal the Majorana nature ! (Petcov, Molinaro'10)

Situation different with new gauge forces

- **How plausible are new gauge forces?**
- **Type I** : why seesaw scale below Planck scale:
Local B-L symmetry
- **Inverse seesaw case:**

Why

$$\begin{pmatrix} 0 & hv_{wk} & 0 \\ hv_{wk} & 0 & M \\ 0 & M & \mu \end{pmatrix}$$

why not

$$\begin{pmatrix} 0 & hv_{wk} & h'v_{wk} \\ hv_{wk} & M' & M \\ h'v_{wk} & M & \mu \end{pmatrix}$$

- **Case for new Gauge symmetry compelling !!**
- **LHC can see their signals !!**

What Gauge Symmetry ?

- Standard model: gauge sym. $SU(2)_L \times U(1)_Y$

- Fermions:

$$m_\nu = 0$$



$$\begin{pmatrix} u_L \\ d_L \end{pmatrix}$$

 u_R d_R

$$\begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$$

 e_R

What Gauge Symmetry ?

■ Standard model: gauge sym.

$$SU(2)_L \times U(1)_Y$$

■ Fermions:

$$m_\nu = 0$$



$$\begin{pmatrix} u_L \\ d_L \end{pmatrix} \quad \begin{matrix} u_R \\ d_R \end{matrix}$$

$$\begin{pmatrix} \nu_L \\ e_L \end{pmatrix} \quad \begin{matrix} e_R \end{matrix}$$

■ $N_R \rightarrow$ Gauge group:

$$SU(2)_L \otimes SU(2)_R \otimes U(1)_{B-L}$$

$$\begin{pmatrix} u_L \\ d_L \end{pmatrix} \xleftrightarrow{P} \begin{pmatrix} u_R \\ d_R \end{pmatrix}$$

$$\begin{pmatrix} \nu_L \\ e_L \end{pmatrix} \xleftrightarrow{P} \begin{pmatrix} \nu_R \\ e_R \end{pmatrix}$$

$$W_L^\pm$$

$$W_R^\pm$$

$$Z, Z', \gamma$$



■ New

Additional motivation: Parity an exact symmetry of nature

- The weak Lagrangian of model:

$$L = \frac{g}{2} [\vec{J}_L^\mu \cdot \vec{W}_{\mu L} + \vec{J}_R^\mu \cdot \vec{W}_{\mu R}]$$

- **Weak Lagrangian conserves Parity**
- **Low energy parity violation due to**

$$M_{W_R, Z'} \gg M_{W_L, Z}$$

BOUND ON LR SCALE

- Most stringent bounds come from CP viol. Observables e.g. $\varepsilon, \varepsilon', d_n^e$ depends on how CP is introduced:

Two minimal scenarios

- **Parity defined as usual: ($\psi_L \leftrightarrow \psi_R$) minimal model:**
- $\theta_L^{CKM} = \theta_R$; 2 CP phases $M_{W_R} \geq 4\text{TeV}$ (An, Ji, Zhang, RNM '07)
- **Parity as C (as in SUSY i.e. $\psi \leftrightarrow \psi^c$)** $\theta_L^{CKM} = \theta_R$ **more CP phases**
(Maezza, Nesti Nemevsek, Senjanovic'10)
 $M_{W_R} \geq 2.5\text{TeV}$
- **With SUSY: bounds weaker: $> 1\text{-}2\text{ TeV}$** (An, Ji, Zhang'08)
- **Collider (CDF, D0) 640-750 GeV;**

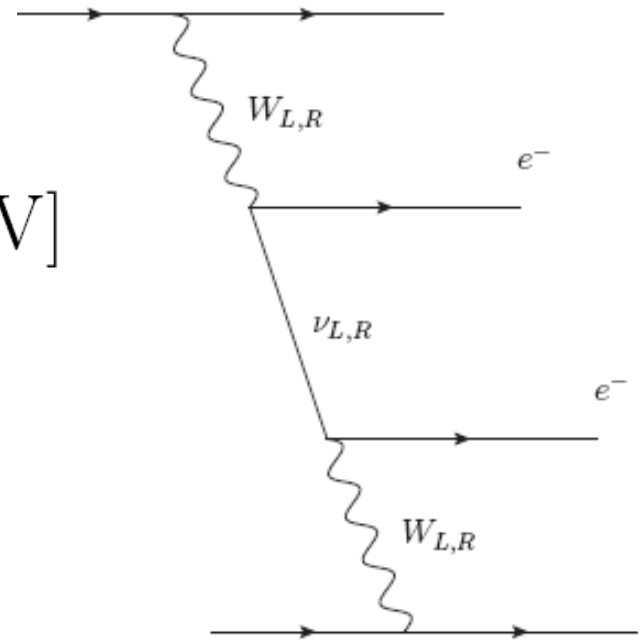
Bounds from Nu-less double beta decay

- New contributions from WR-N exchange (**only for Case I**) (RNM, 86; Hirsch, Klapdor, Panella 96)

- **Diagram:**

$$\rightarrow m_{W_R} \geq 1.1 \left(\frac{\langle m_N^{(V)} \rangle}{1\text{TeV}} \right)^{(-1/4)} [\text{TeV}]$$

From Ge76:



TeV Seesaw signal from $\beta\beta_{0\nu}$

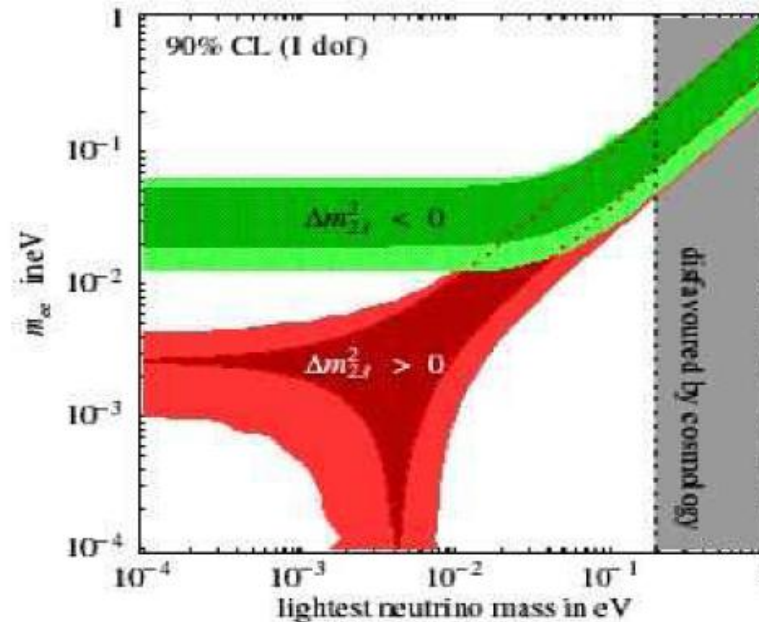
Nu contribution:

(Feruglio, Strumia, Vissani)

Inverse hierarchy

Normal hierarchy

(Rodejohann's talk)



Punch line:

- Suppose long baseline $\rightarrow \Delta m_{31}^2 > 0$
- and nonzero signal for $\beta\beta_{0\nu}$ (+ RP if susy)

\rightarrow could be a signal of TeV WR and type I

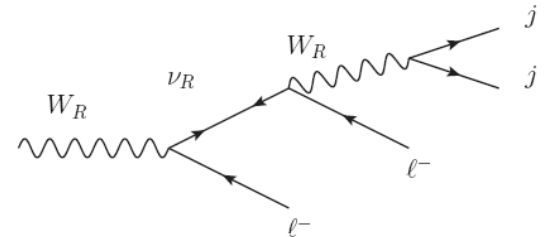
LR type I seesaw at LHC

■ WR and Z': $u\bar{d} \rightarrow W_R \rightarrow l^+ N$; $u\bar{u} \rightarrow Z' \rightarrow NN$

(Keung, Senjanovic; Han, Perez, Huang, Li, Wang; Del Aguila, Aguilar-Saavedra; de Blas, Azuelos,

■ N-decay: (a) ν_N mixing and/or (b) W_R exchange

■ **type I** $\theta_{\nu N} \ll 10^{-3}, M_{W_R} < 4\text{TeV}$ (a) negligible; $N \rightarrow l^\pm jj$

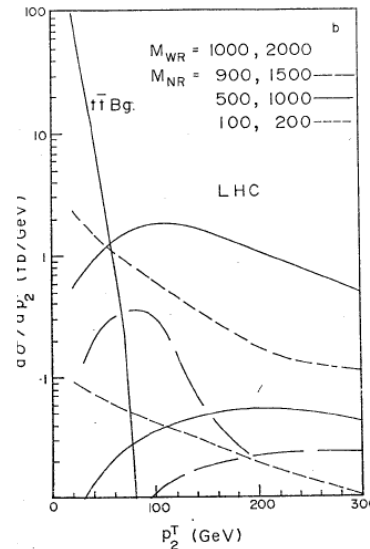
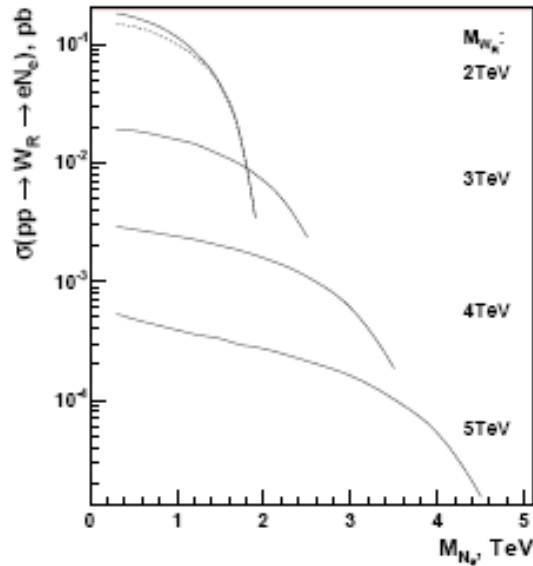


■ **Signal: like sign dileptons+jets; no missing E**

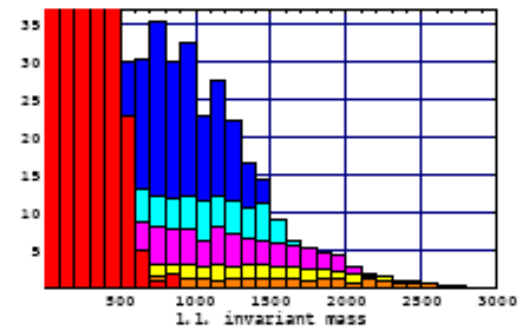
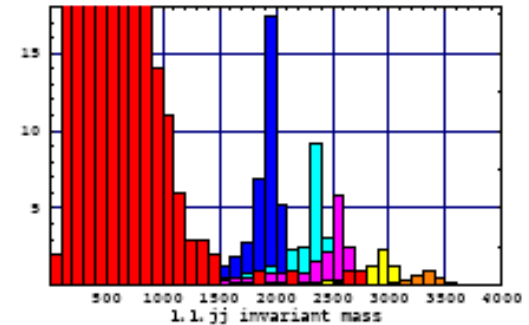
Background from $t\bar{t}nj, WZnj, WWnj, \dots$

LHC Reach for WR

(Ferrari et al'00 ; Gninenko et al, 07) Datta, Guchait, Roy'92



Maleza, Nemevsek, Nesti, Senjanovic



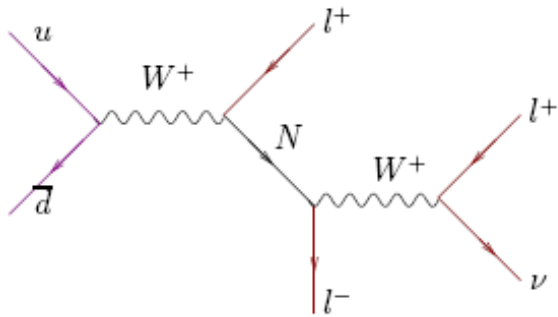
m_{W_R} [TeV]	m_{N_R} [TeV]	$\int L$	energy
4 (2)	2 (1)	30 /fb	14(7) TeV
2.1 (1.5)	2.1	100/pb	14(10) TeV

Signals of LR Inverse seesaw

N mostly Dirac and

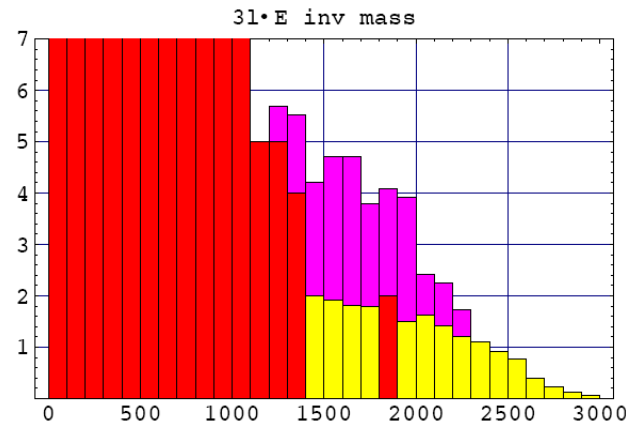
$$\theta_{\nu N} > 10^{-3}$$

$$N \rightarrow l^- jj, l^- l^+ \nu$$



$$pp \rightarrow l_{\alpha}^{\pm} l_{\beta}^{\pm} l_{\gamma}^{\mp} \nu(\bar{\nu}) + \text{jets}$$

Possible displaced vertex



F. Nesti

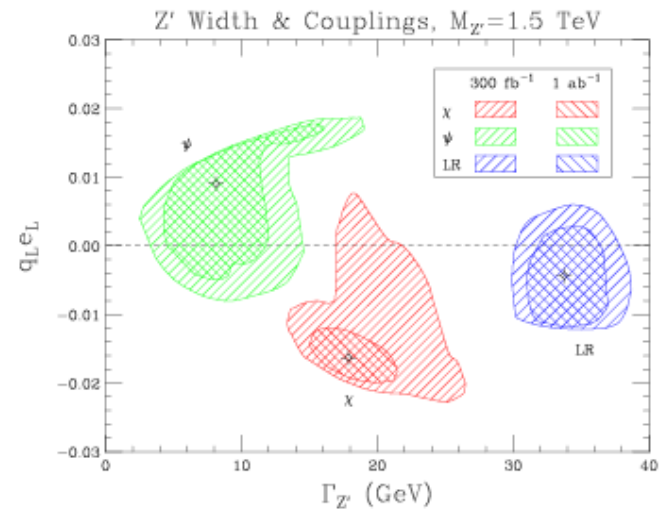
$$\tau_{\nu R} \gtrsim 1 \text{ cm for } m_{\nu R} \lesssim 10 \text{ GeV} \quad (m_{W_R} = 2.5 \text{ TeV})$$

Distinguishes between Type I and Inverse seesaw;

LR Z' at LHC

- Z' – first to show up at LHC; Current limit \sim TeV (Langacker)
- To tell it is related to neutrino mass (e.g. LR) is hard: couplings needed (Petriello, Quackenbush'09) $\sqrt{s} = 10\text{TeV}, M_{Z'} = 1.5\text{TeV}$

300 fb⁻¹ - 1000 fb⁻¹

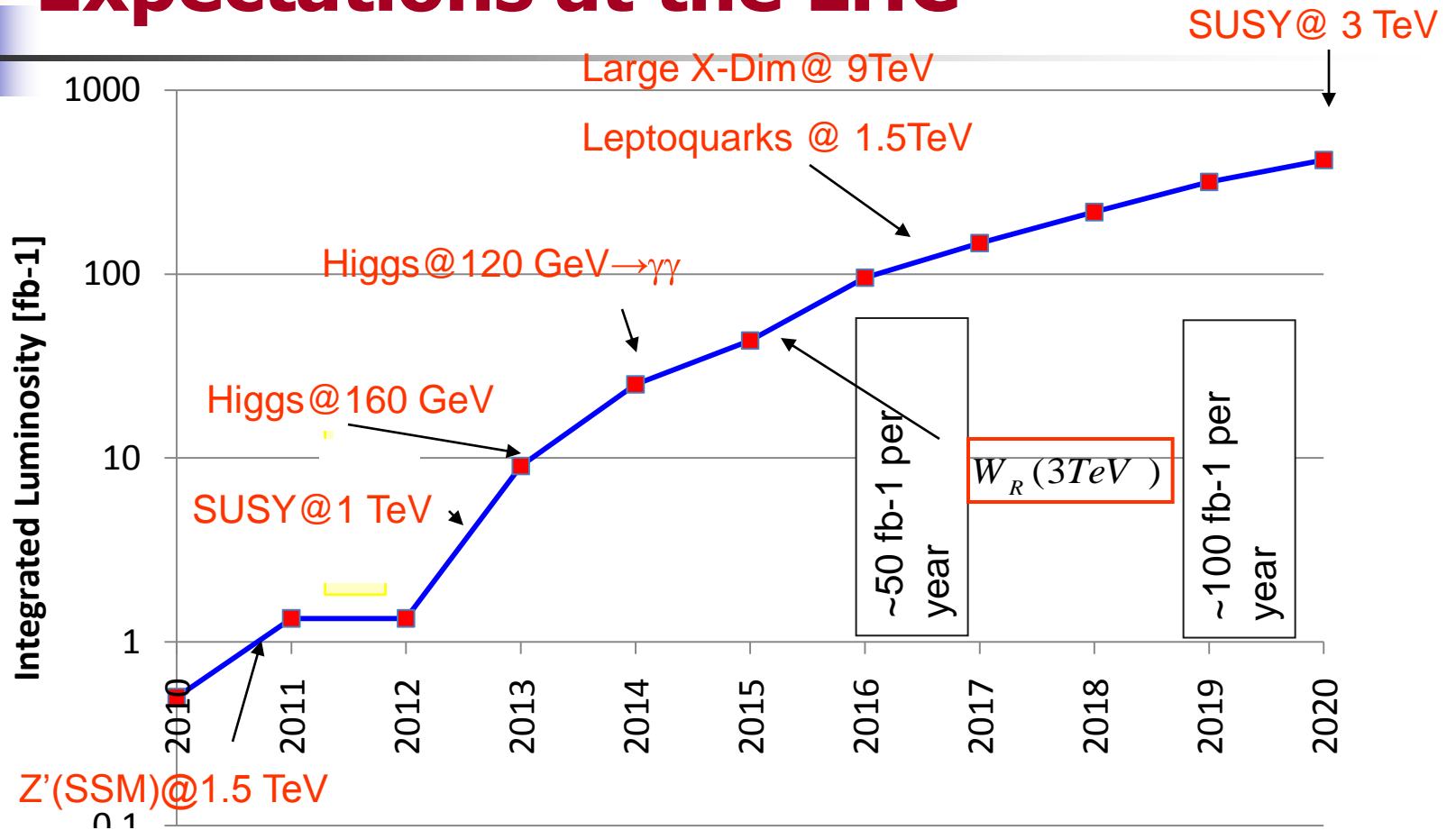


- **Heavier the Z', the harder it is.**

- In minimal LR models

$$M_{Z'} > 1.3 - 1.7 M_{W_R}$$

Expectations at the LHC

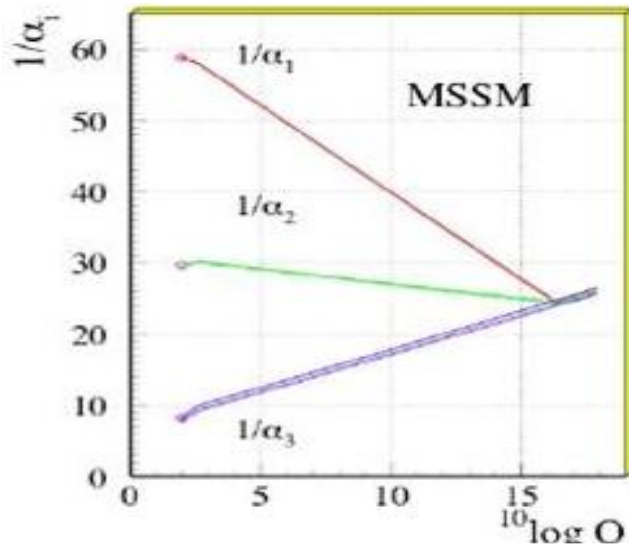


Physics updated from De Roeck

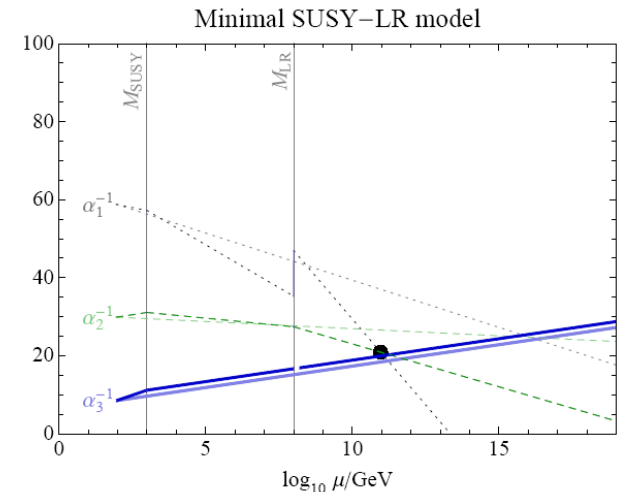
Luminosity projections - Jenni, 3/10 (Dawson Pheno2010)

Seesaw at LHC: what can it tell us about Grand unification

■ **MSSM**



**Type I
seesaw**



(Kopp, Lindner, Niro, Underwood'09;
Parida, Sarkar, Majee, Raichaudhuri'09)

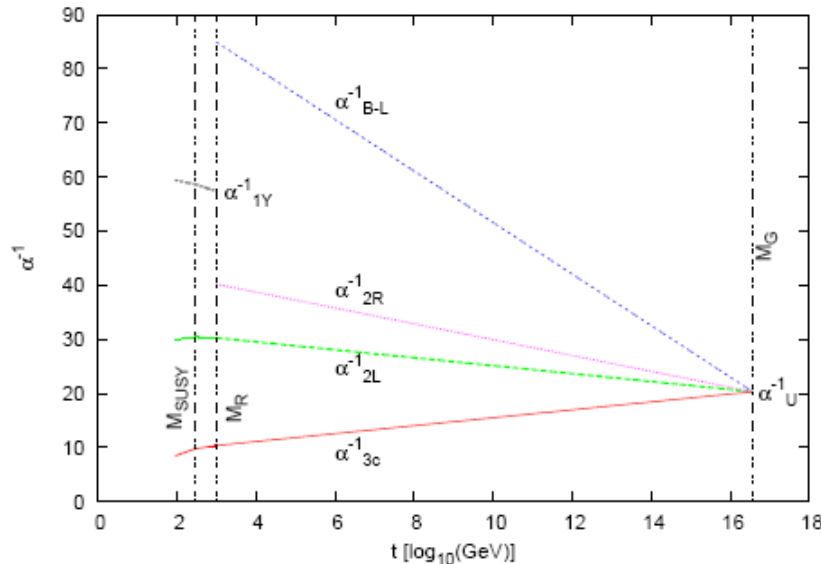
$$M_{U, BL} \cong 2 \times 10^{16} \text{ GeV}$$

TeV type I seesaw does not grand unify:

Discovery of doubly charged Higgs or type I signal at LHC will rule out GUTs.

TeV Inverse Seesaw (LR) does unify

New result! Inverse seesaw does unify –TeV WR and Z'



$$m_{\tilde{q}_{1,2}} \geq TeV$$

$$\bullet SO(10) \xrightarrow{M_G} 3_c 2_L 2_R 1_{B-L} \xrightarrow{M_R} 3_c 2_L 1_Y (\text{MSSM}) \xrightarrow{M_{\text{SUSY}}} 3_c 2_L 1_Y (\text{SM}) \xrightarrow{M_Z} 3_c 1_Q$$

$$M_U \cong 10^{16} GeV ; M_{BL,R} \cong TeV$$

(Dev, RNM, 09; PRD; arXiv: 1003:6102);

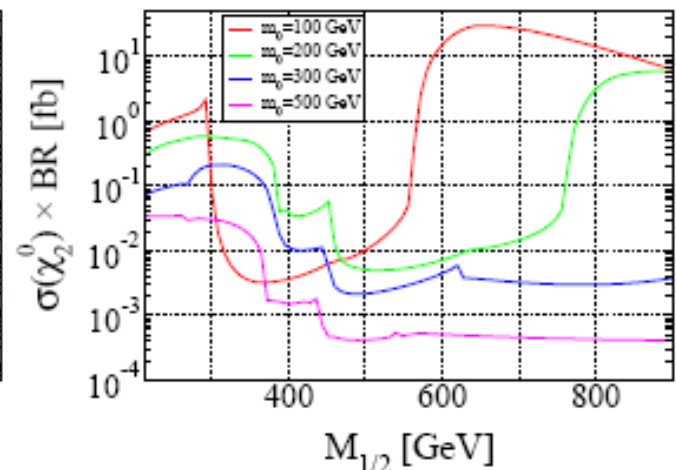
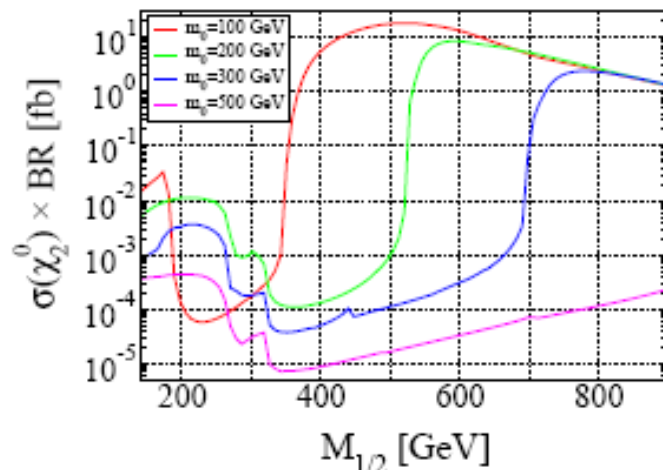
New motivation to search for WR,Z' at LHC !!

Testing GUT Scale Type I Seesaw

- In GUTs, type I seesaw scale is near GUT scale: no low energy tests.
- With susy**, LHC tests possible: Neutrino mixing \rightarrow lepton superpartners mixing \rightarrow flavor violating signals

$$\tilde{\tau} \rightarrow e + \chi_1^0, \mu + \chi_1^0$$

$$\chi_2^0 \rightarrow \chi_1^0 + \mu^- + \tau^+$$



(Porod, Hirsch,
Romao, Valle,
Moral)



Conclusion:

- Seesaw scale can be in the TeV range in very reasonable class of theories (**even SUSY GUTs**)
- A likely model of TeV scale seesaw is left-right sym. model - parity restored at TeV.
- Premium channel for probing WR and Z' at LHC are like sign dileptons or trileptons.
- Discovery of TeV seesaw signal will provide an understanding of the origin of the second mass problem in particle physics, that of m_ν **-will surpass in impact the discovery of the Higgs boson !!**