>>> Quark matter 2018 impressions

>>> and photos

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2018 Quark Matter

Date: June 27, 2018

[-]\$ \_

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>>> Content

1. Photos

2. Talks summary

3. Brief news

[~]\$.

This edition of Quark Matter took place in an extraordinary location!

This edition of Quark Matter took place in an extraordinary location!

Palazzo del Cinema and Palazzo del Casino Lido di Venezia, where Venice International Film Festival takes place there every year



[1. Photos]\$ \_



Can you find LUHEP team members?

1. Photos]\$ \_ [4/23]



Can you find LUHEP team members?
Machine learning cluster recognition is needed!

[1. Photos] \$ \_ [4/23]



After application of magic machine learning techniques

[1. Photos]\$ \_



After application of magic machine learning techniques Absolutely unsupervised learning!



Significant contribution to the full program 280 talks, 400 posters in total And hard work paid off

[1. Photos] \$ \_ [6/23]



EA NA61 talk announced in the daily newsletter-->high attendance

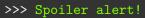
[1. Photos]\$ \_ [7/23]



Significant contribution to the conference program 280 talks, 400 posters in total!

And hard work paid off

[1. Photos]\$ \_



No major breakthroughs and discoveries were claimed. In this presentation we will discuss only topics and ideas that we liked and understood to some extent.

## Experimental flow observables

Single particle distribution

rticle distribution Flow vector: 
$$V_n = v_n e^{in\Phi_n}$$
 
$$\frac{dN}{d\phi d\eta dp_T} = N(p_T, \eta) \left[ 1 + 2 \sum_n v_n(p_T, \eta) \cos n \left( \phi - \Phi_n(p_T, \eta) \right) \right]$$
 
$$= N(p_T, \eta) \left[ \sum_{n=-\infty}^{\infty} V_n(p_T, \eta) e^{in\phi} \right]$$
 Radial flow Anisotropic flow

Two-particle correlation function

$$\left\langle \frac{dN_{_{1}}}{d\phi d\eta dp_{_{T}}} \frac{dN_{_{2}}}{d\phi d\eta dp_{_{T}}} \right\rangle \implies \left\langle V_{_{\text{I}}}(p_{_{T1}}, \mathbf{\eta}_{_{1}}) V_{_{\text{I}}}^{*}(p_{_{T2}}, \mathbf{\eta}_{_{2}}) \right\rangle \quad \text{v}_{_{\text{I}}} \text{ from 2PC}$$

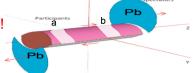
Multi-particle correlation function

$$\begin{split} \left\langle \frac{dN_{_{1}}}{d\phi d\eta dp_{_{T}}}..\frac{dN_{_{m}}}{d\phi d\eta dp_{_{T}}} \right\rangle & \Longrightarrow \left\langle \mathbf{\emph{V}}_{\mathbf{\textit{n}}_{_{1}}}\mathbf{\emph{V}}_{\mathbf{\textit{n}}_{_{2}}}...\mathbf{\emph{V}}_{\mathbf{\textit{n}}_{_{m}}} \right\rangle & n_{_{1}} + n_{_{2}} + ... + n_{_{m}} = 0 \\ & \downarrow \qquad \qquad \qquad \downarrow \\ p(v_{n}, v_{m}, ...., \Phi_{n}, \Phi_{m}, ....) & = \frac{1}{N_{\mathrm{evts}}} \frac{dN_{\mathrm{evts}}}{dv_{n} dv_{m} ... d\Phi_{n} d\Phi_{m} ...} \end{split}$$

### How to measure flow? $V_n = v_n e^{in\Phi_n}$

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By particle correlations!



Determine flow vector in one subevent:

Noise uncorrelated between two subevents, average over events:

$$\boldsymbol{q}_{n} = \frac{\sum_{i} e^{in\boldsymbol{\phi}_{n}^{i}}}{\sum_{i}} = v_{n}e^{in\boldsymbol{\Phi}_{n}^{i}} + \boldsymbol{\delta}_{\boldsymbol{\nabla}_{n}^{i}} \left\langle \boldsymbol{q}_{n}^{a}\boldsymbol{q}_{n}^{b^{*}} \right\rangle = \left\langle (v_{n}^{a}e^{in\boldsymbol{\Phi}_{n}^{a}} + \boldsymbol{\delta}^{a})(v_{n}^{b}e^{-in\boldsymbol{\Phi}_{n}^{b}} + \boldsymbol{\delta}^{b^{*}}) \right\rangle = \left\langle \boldsymbol{V}_{n}^{a}\boldsymbol{V}_{n}^{b^{*}} \right\rangle$$
Statistical noise

We often assume  $p(v_n)$  independent of  $p_T$  and q, i.e. ignoring intra-event fluctuation  $p(V_n) = f(p_T, \eta)p(\overline{v}_n)$ 

$$\langle V_n^a V_n^{b^*} \rangle = f(p_T^a, \eta^a) f(p_T^b, \eta^b) \langle v_n^2 \rangle$$

Event-plane or scalar-product methods, e.g. measure flow in subevent c wrt symmetric subevents a&b:

$$v_{n}^{meas} = \frac{\left\langle \boldsymbol{q}_{n}^{c} \boldsymbol{q}_{n}^{a^{*}} \right\rangle}{\sqrt{\left\langle \boldsymbol{q}^{a} \boldsymbol{q}^{b^{*}} \right\rangle}} = \frac{f(p_{T}^{c}, \boldsymbol{\eta}^{c}) f(p_{T}^{a}, \boldsymbol{\eta}^{a}) \left\langle \overline{v}_{n}^{2} \right\rangle}{\sqrt{f(p_{T}^{a}, \boldsymbol{\eta}^{a}) f(p_{T}^{b}, \boldsymbol{\eta}^{b})}} = f(p_{T}^{c}, \boldsymbol{\eta}^{c}) \sqrt{\left\langle \overline{v}_{n}^{2} \right\rangle} = f(p_{T}^{c}, \boldsymbol{\eta}^{c}) \sqrt{\left\langle \overline{v}_{n}^{2} \right\rangle} = \sqrt{\left\langle v_{n}^{c} v_{n}^{c} \right\rangle}$$

Lessons: 1) We often report RMS value of v<sub>n</sub>, 2) relies on factorization assumption!

[2. Talks summarv]\$ T11/231

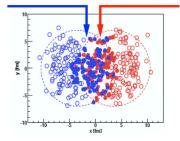
#### 38

# Flow fluctuation in longitudinal direction

Fluctuation of sources in two nuclei → fluctuation of transverse-shape



Bozek et.al., arXiv:1011.3354

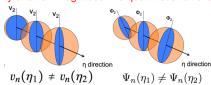


$$V_n^{\mathrm{B}}, \Psi_n^{\mathrm{B}}$$

$$oldsymbol{v}_n$$
 =  $v_n e^{in\Psi_n}$ 

### Consequences:

Asymmetry of a flow magnitude Torque/twist of an event plane

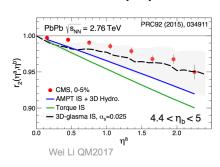


[2. Talks summary]\$ \_ [12/23]

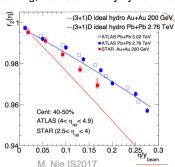
# Flow fluctuation in longitudinal direction

Observables: 
$$r_n^{\eta} = \frac{V_n(-\eta)V_n^*(\eta_{\text{ref}})}{V_n(\eta)V_n^*(\eta_{\text{ref}})} \sim \langle \cos n \left[ \Phi_n(\eta) - \Phi_n(-\eta) \right] \rangle$$

# Significant decorrelation, not described by any models



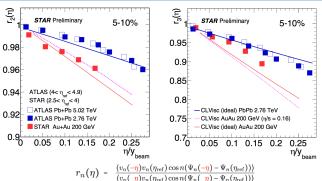
# Can't be explained by beam-rapidity scaling, not described by hydro model



[2. Talks summary]\$ \_

### Longitudinal Flow Decorrelation in 200 GeV Au+Au Collisions





- Stronger longitudinal flow decorrelation at RHIC than at LHC Hydro calculations can not simultaneously describe LHC and RHIC data

Maowu Nie #332, May 15 19:10

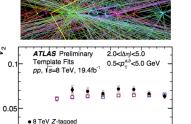
Quark Matter 2018, Venice, Italy

Zhenvu Ye for STAR Collaboration

Γ14/23<sub>1</sub> [2. Talks summary]\$ \_

### RIDGE IN Z-TAGGED PP COLLISIONS

- ➤ First attempt to control the impact parameter of pp by selecting a high-Q2 process
- ➤ 2PC for hadrons in events with Z bosons
- ➤ Analysis based on full 2012 pp data at 8 TeV with L=19.4 1/fb with 6.2M Z bosons
- Main challenge is high pileup: average μ is 20 (c.f. μ = 1 in previous ATLAS ridge studies)
- ➤ New technique is developed to subtract the pileup contribution in 2PC (~20% correction)
- ➤ v<sub>2</sub> is found to be 8±6% above that in the inclusive collisions at 13 TeV



○ 5 TeV inclusive

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ATLAS-CONF-2017-068

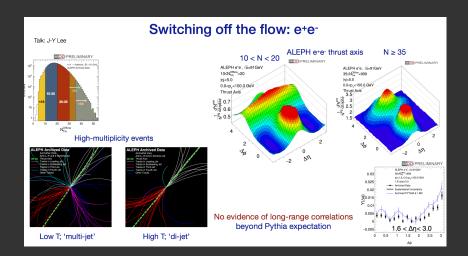
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Talk by B.Cole on Tue 15:40
Poster by A.Milov

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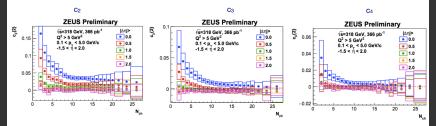
[2. Talks summary]\$ \_ [15/23]



[2. Talks summary]\$ \_ [16/23]

### Cumulants from in e-p data from ZEUS





Familiar behaviour: non-flow dominates at small multiplicity and without eta-gap

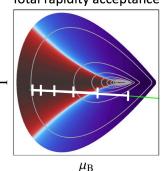
No flow-like signal seen in high-multiplicity, large eta gap for c2, c3, c4

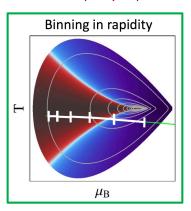
No flow with 'single string' ⇒ Need multiple interactions to set up initial geometry

[2. Talks summary]\$ \_ [17/23]

### There are several different ways to look at the rapidity dependence





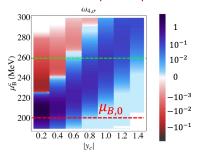


ne Brewer (MIT)

More crisp picture of the critical region

[2. Talks summary]\$ \_

Whether cumulants binned in rapidity increase or decrease as a function of rapidity **switches** when a critical point is passed



Independent test of critical behavior from  $\sqrt{s}$ -dependence of cumulants

Jasmine Brewer (MIT)

[2. Talks summary]\$ \_ [19/23]



### **General Balance Function Measurement**

$$B(\Delta y) = \frac{1}{2} \left[ C_2^{+-} - C_2^{++} + C_2^{-+} - C_2^{--} \right]$$

$$C_2^{a,b}(\Delta y) = \frac{\langle N^{a,b}(\Delta y) \rangle}{\langle N^a(y_1) \rangle} \qquad a, b \in \{+, -\}$$

$$a,b \in \{+,-\}$$

General charges: · e: (±)electric charge

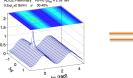
 S: (anti)strangeness B: (anti)baryon number

Bass, Danielewicz, Pratt PRL, 85, 2689 (2000)

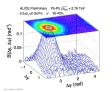
same for  $\Delta \phi$  and  $\Delta p_{\tau}$ 

 $B^{US}(\Delta y) = \frac{1}{2} \left[ C_2^{+-} + C_2^{-+} \right]$ ALICE Preliminary Pb-Pb Vs. = 2.76 TeV 3<sup>US</sup>(Δy, Δφ) (rad<sup>\*</sup>)

 $B^{LS}(\Delta y) = \frac{1}{2} \left[ C_2^{++} + C_2^{--} \right]$ ALICE Preliminary Pb-Pb Vs. = 2.76 TeV







Remove charge independent effects

Keep effects related to balancing pairs

**Experiment Method 1:** 
$$R_2^{ab}(\Delta y) = \frac{\langle N^{ab}(\Delta y) \rangle}{\langle N^a(y_1) \rangle \langle N^b(y_2) \rangle} - 1$$

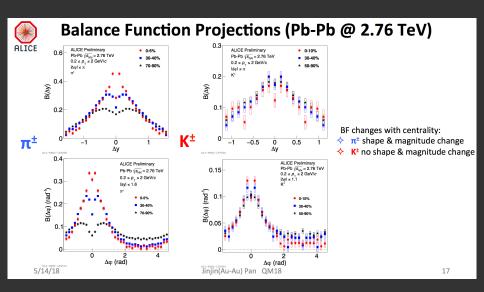
 $B(\Delta y) = \frac{1}{2} \frac{dN}{dy(N_1)} \left[ R_2^{+-} - R_2^{++} + R_2^{-+} - R_2^{--} \right]$ 

**Experiment Method 2:** Directly measure  $B(\Delta y) = \frac{1}{2} \left[ C_2^{+-} - C_2^{++} + C_2^{--} - C_2^{--} \right]$ 

-> detector acceptance and inefficiency correction

5/14/18

Jiniin(Au-Au) Pan OM18



[2. Talks summary]\$ \_ [21/23]

1. PYTHIA is now available for heavy ions - Angantyr

[3. Brief news]\$ \_

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- 4. CEP (from the Black Hole model (holography approach) fitted to selected lattice results) is located at  $\mu_B=724$  MeV, T=89 MeV NICA energies

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