

CMS Forward Physics Detectors: Plans for HL-LHC

HL-LHC Collaboration Meeting
16 October 2018

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on behalf of
The CMS Collaboration

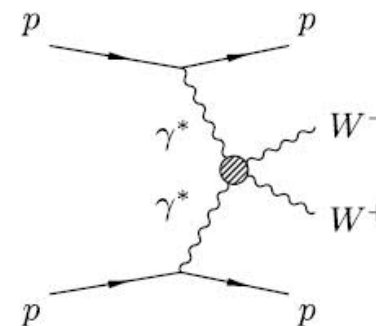
Many thanks for valuable discussions and material to
Riccardo De Maria, Stéphane Fartoukh, Paolo Fessia, Daniele Mirarchi,
many PPS colleagues

Physics motivations: central exclusive production

1) LHC as tagged photon-photon collider

EWK

- Measure $\gamma\gamma \rightarrow W^+W^-, e^+e^-, \mu^+\mu^-, \tau^+\tau^-$
- Search for AQGC with high sensitivity
- Search for SM forbidden $ZZ\gamma\gamma, \gamma\gamma\gamma\gamma$ couplings



2) LHC as tagged gluon-gluon collider

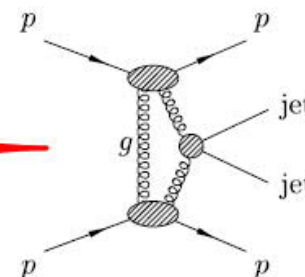
QCD

- Exclusive two and three jet events, M up to ~ 700 - 800 GeV.
- Test of pQCD mechanisms of exclusive production.
- Gluon jet samples with small quark jet component
- Proton structure (GPDs)

BSM

Search for new resonances in CEP

- Clean events (no underlying pp event)
- Independent mass measurement from pp system
- J^{PC} quantum numbers $0^{++}, 2^{++}$



NB mass of centrally produced system measured from scattered protons momenta

From CT-PPS TDR: CERN-LHCC-2014-021

CMS PPS at HL-LHC ?

- **Flagship channels, i.e. central exclusive production of WW, dileptons and dijets are statistics limited: factor 10 more luminosity welcome.**

Suppression of pileup (200) requires timing in the few ps range: not impossible given the current technology

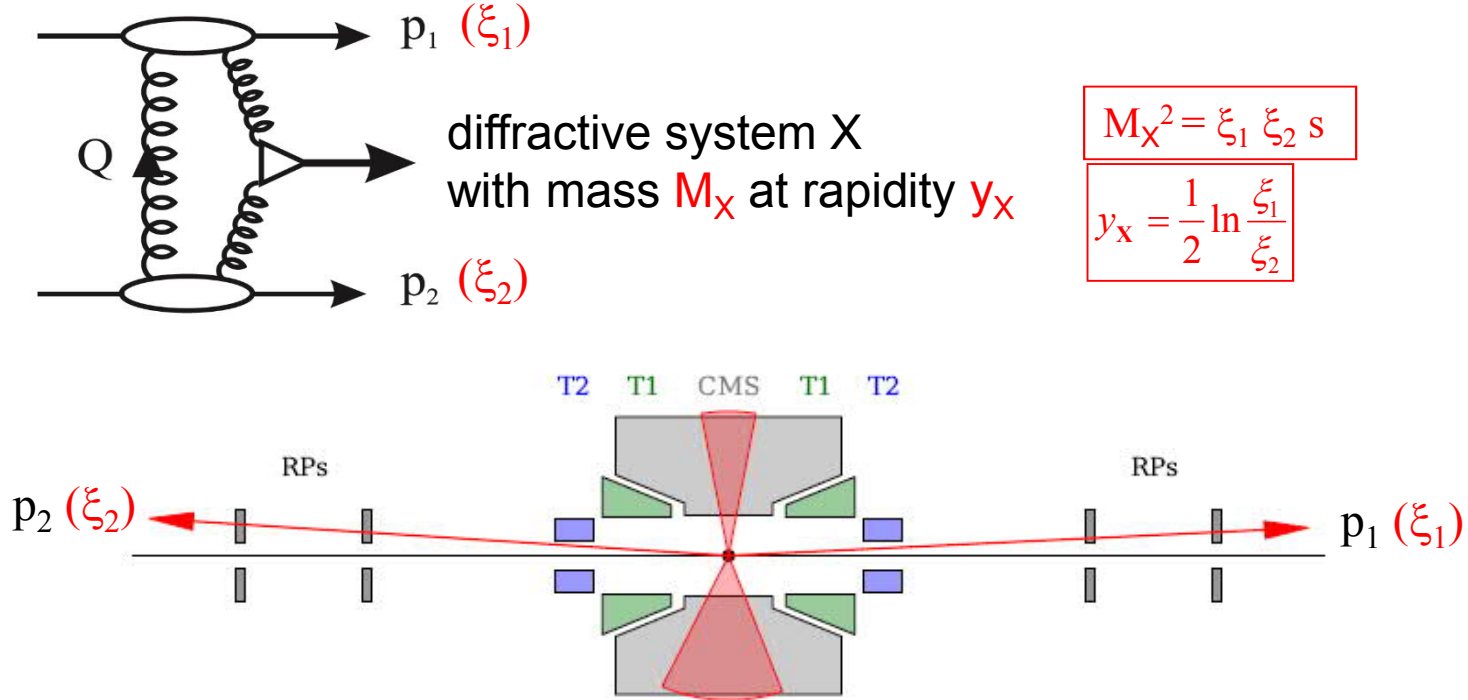
- **Only interested in standard high-lumi running (no special runs)**
- **Would need access to central diffractive masses**
 - **from O(100 GeV)**: Standard Model processes for alignment/calibration
 - **to a few TeV**: new physics.

- **Focus of this presentation:**

Calculation of mass reach at 4 promising forward detector locations using:

- **preview optics** as presently available
(simulations with MAD-X)
- **luminosity levelling trajectories** (crossing-angle, β^*) as presently foreseen
for **horizontal and vertical crossing** at IP5
- **collimation scheme** as presently foreseen
- **rules for near-beam detector insertions** as presently foreseen

Central Diffractive Production: Kinematics



X = all products except the 2 leading protons

$$\xi_{1/2} = \frac{\Delta p_{1/2}}{p} = \text{fractional momentum loss of surviving proton 1 / 2}$$

The acceptance for diffractive mass M is determined by acceptance for ξ_1 and ξ_2 in the 2 spectrometer arms.

$$M_{\min}^2 = \xi_{1,\min} \xi_{2,\min} s$$

The rapidity y quantifies how central ($y = 0$) or forward (large $|y|$) the centre-of-mass of X is:

Under certain conditions: $y \approx \text{pseudo-rapidity } \eta = -\ln \tan (\theta/2)$

HL-LHC Optics 1.3 up to 500 m

- for crossing angle $(\alpha/2, \beta^*) = (250 \mu\text{rad}, 15 \text{ cm})$
- XRPs @ $(12.9 + 3) \sigma + 0.3 \text{ mm}$

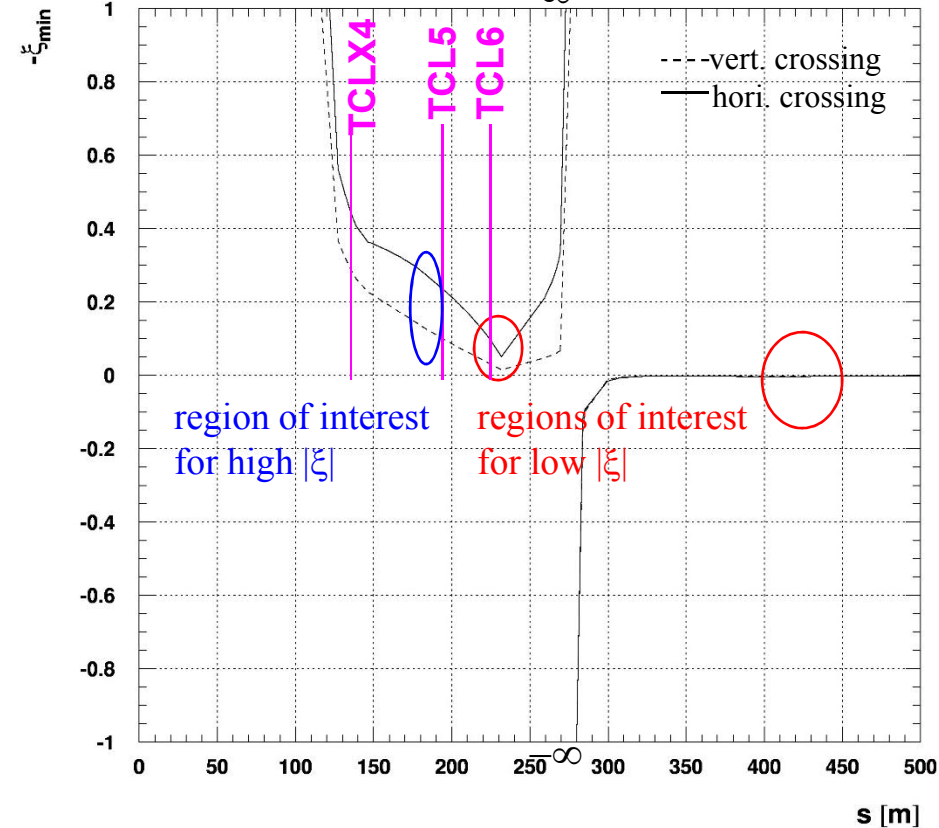
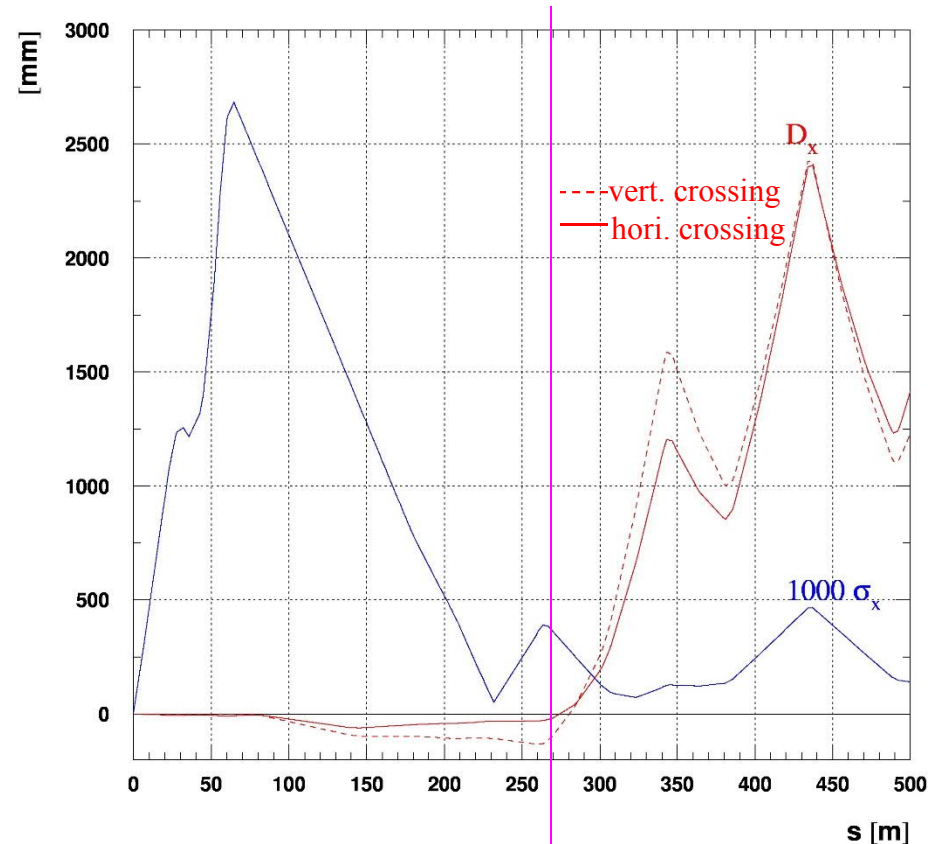
HL-LHC:

new standard emittance $\epsilon_n = 2.5 \mu\text{m rad}$ (instead of 3.5)

$$\xi \equiv \frac{\Delta p_{\text{proton}}}{p_{\text{proton}}} = \frac{x_{\text{track}}}{D_x}$$

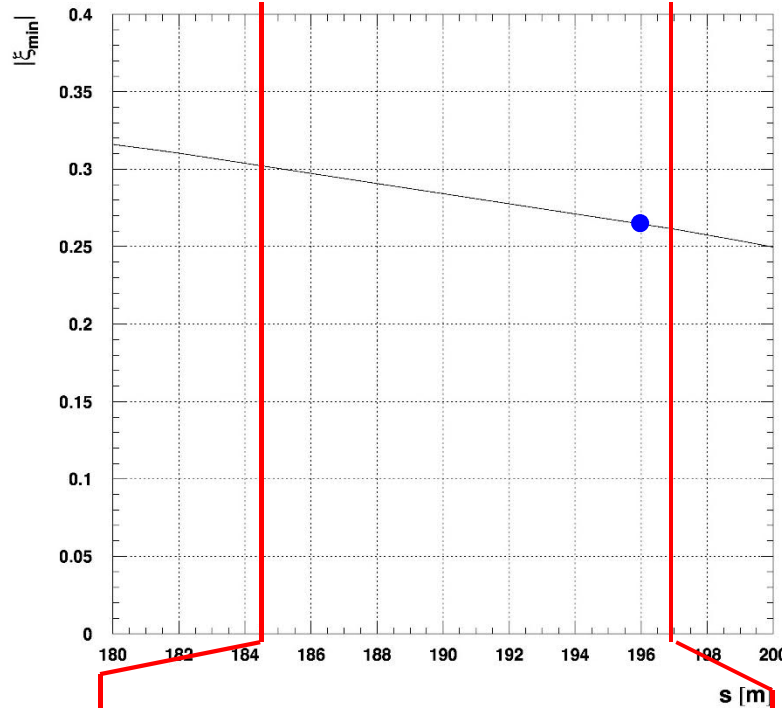
horizontal dispersion

$$\xi_{\text{min}} = (15.9 \sigma_x + 0.3 \text{ mm}) / D_x$$



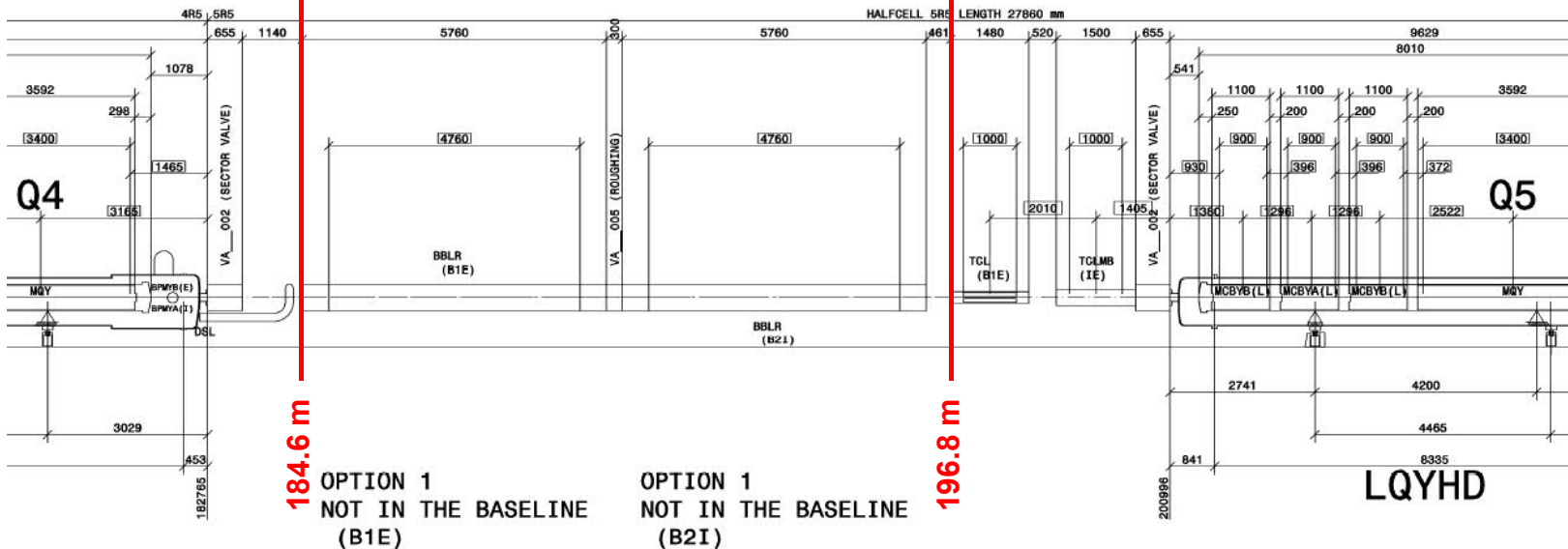
for $s > \sim 270 \text{ m}$: $D_x > 0$
 \rightarrow diffractive protons between the beam pipes
 \rightarrow no standard Roman Pot possible \rightarrow needs new technology
 Free only around 420 m.

Region of Interest: 180 – 200 m (for Classic Roman Pot Technology)

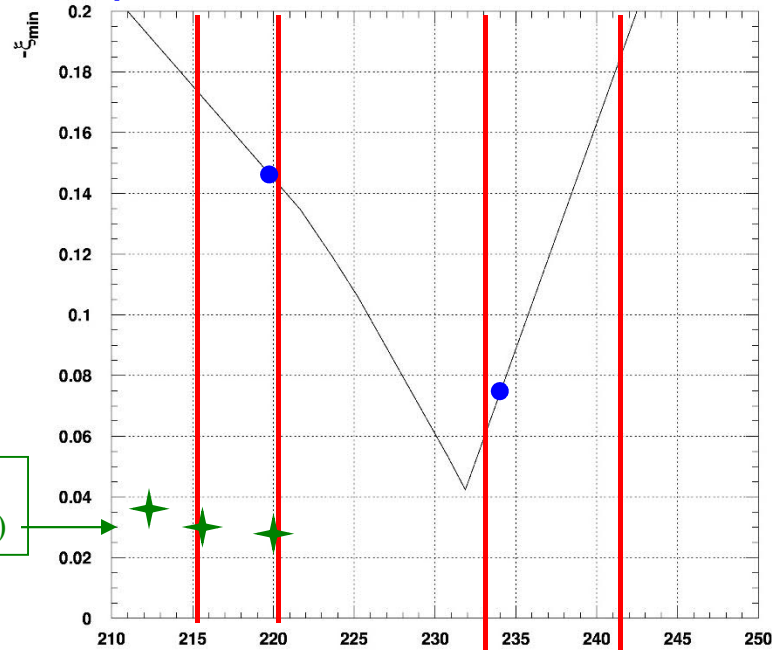


Region just before TCL.5
→ interesting for high $|\xi|$

more detailed studies for
 $s = 196$ m



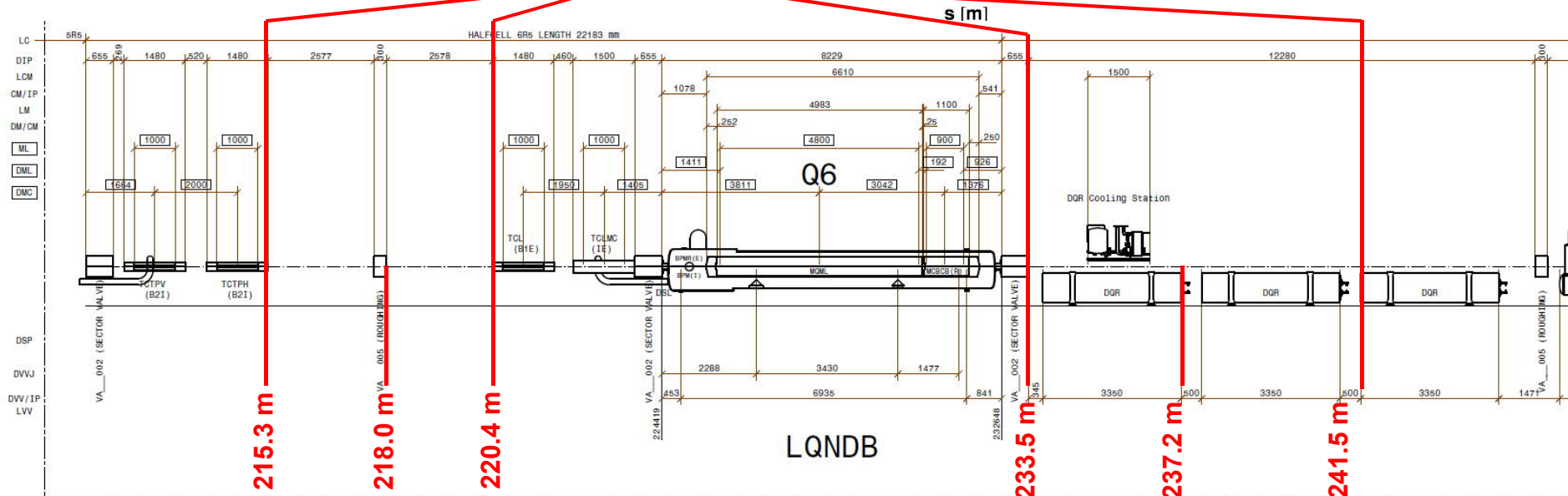
Region of Interest: 210 – 250 m (for Classic Roman Pot Technology)



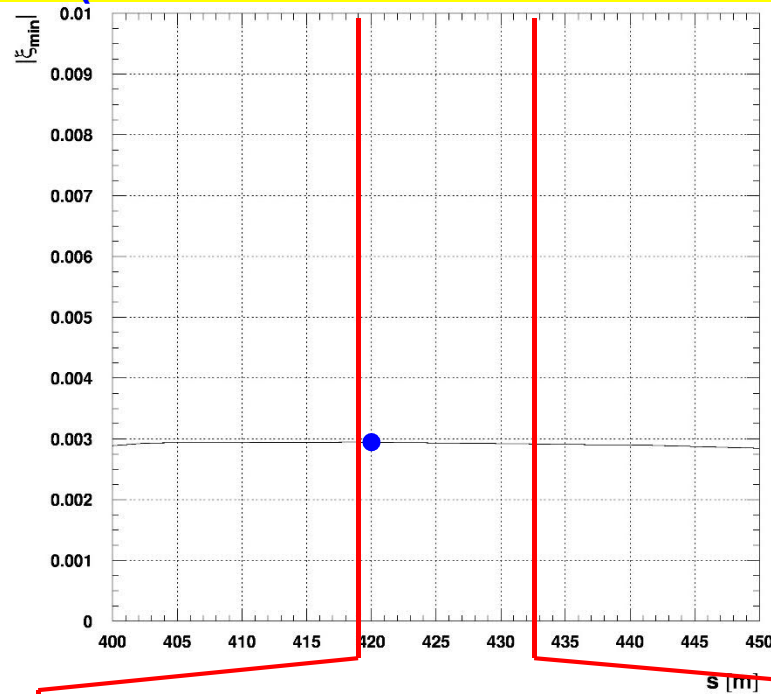
Comparison 2018
($\alpha/2, \beta^*$) = (130 μ rad, 30 cm)

more detailed studies for

- $s = 220$ m
- $s = 234$ m



Region of Interest: 400 – 450 m (for Future “Roman Pot” Technology)



more detailed studies for
 $s = 420$ m

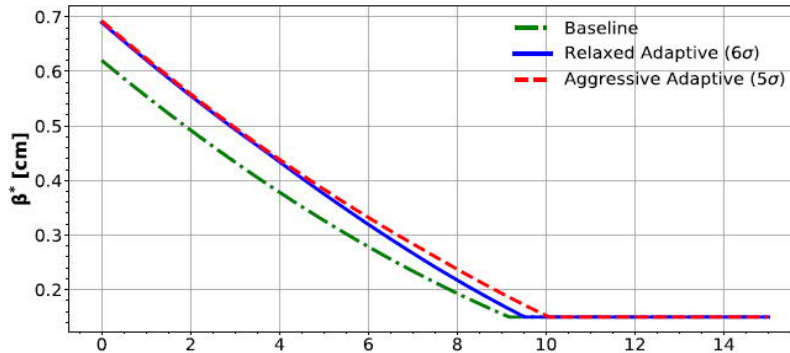
418819 (418.8m from IP5)

432535.7 (432.5m from IP5)

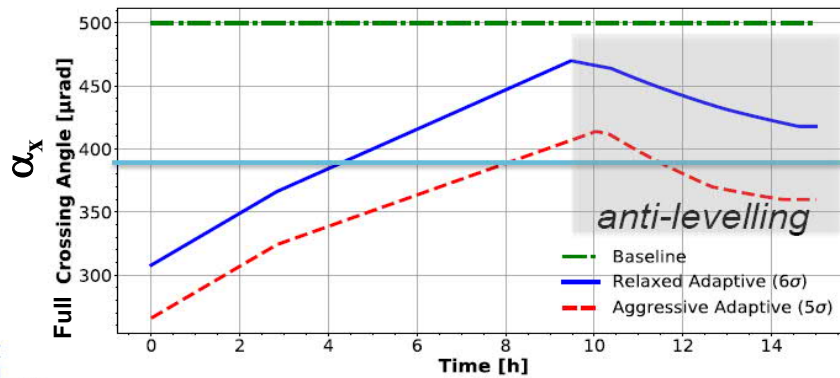
Q11

Evolution of Parameters

- For the adaptive scenarios, include **crossing angle** “**anti-levelling**” à la LHC after the end of levelling



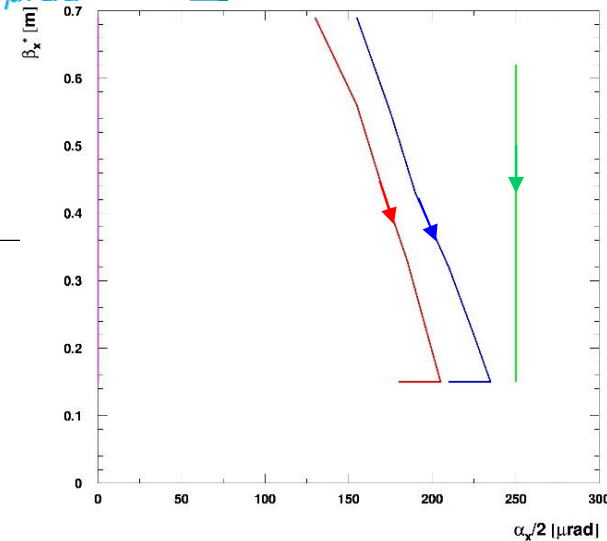
Slightly delay the end of levelling



max crabbing angle: 380 μ rad

anti-levelling

as 2-D plot:



N. Karastathis, D. Pellegrini et al., HL-LHC collaboration meeting 2017

Mass Acceptance Calculation

Calculate mass limits: $M_{\min/\max} = \xi_{\min/\max} \sqrt{s}$ in $(\alpha/2, \beta^*)$ plane
 (for symmetric optics in Beam 1 / Beam 2 with $\xi_{1 \min/\max} = \xi_{2 \min/\max}$)

Cannot simulate every $(\alpha/2, \beta^*)$ point \rightarrow analytical approach:

gap + insensitive XRP detector margin

$$M_{\min} = \xi_{\min} \sqrt{s} \text{ with } \xi_{\min} = \frac{d_{\text{XRP}}(\beta^*) + \delta}{D_{x,\text{XRP}}(\frac{\alpha_x}{2}, \xi_{\min})} \text{ resolved for } \xi_{\min}$$

d_{XRP} : detector distance from beam centre:
 analytical expression depending on
 TCT collimator settings
 and optics properties

D_{XRP} : hori. dispersion @ detector location,
 parametrisation in $(\alpha/2, \xi)$ from MAD-X

$$M_{\max} = \xi_{\max} \sqrt{s} = \frac{d_A}{D_A(\frac{\alpha}{2}, \xi_{\max})} \sqrt{s}$$

Based on full aperture study

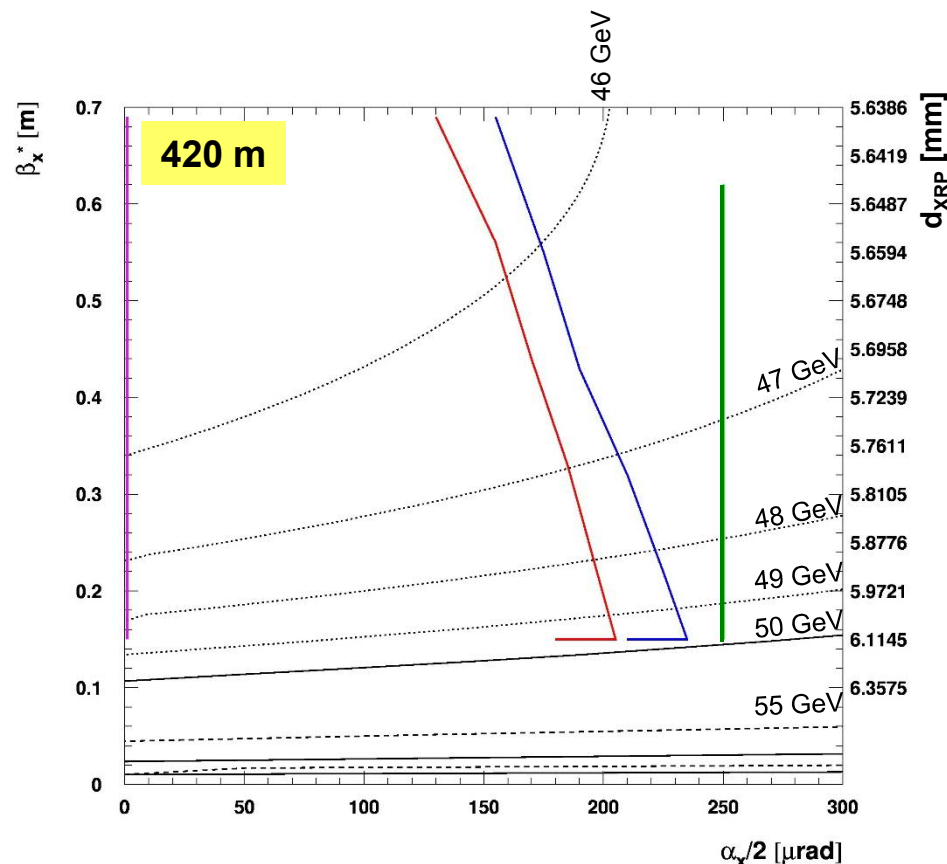
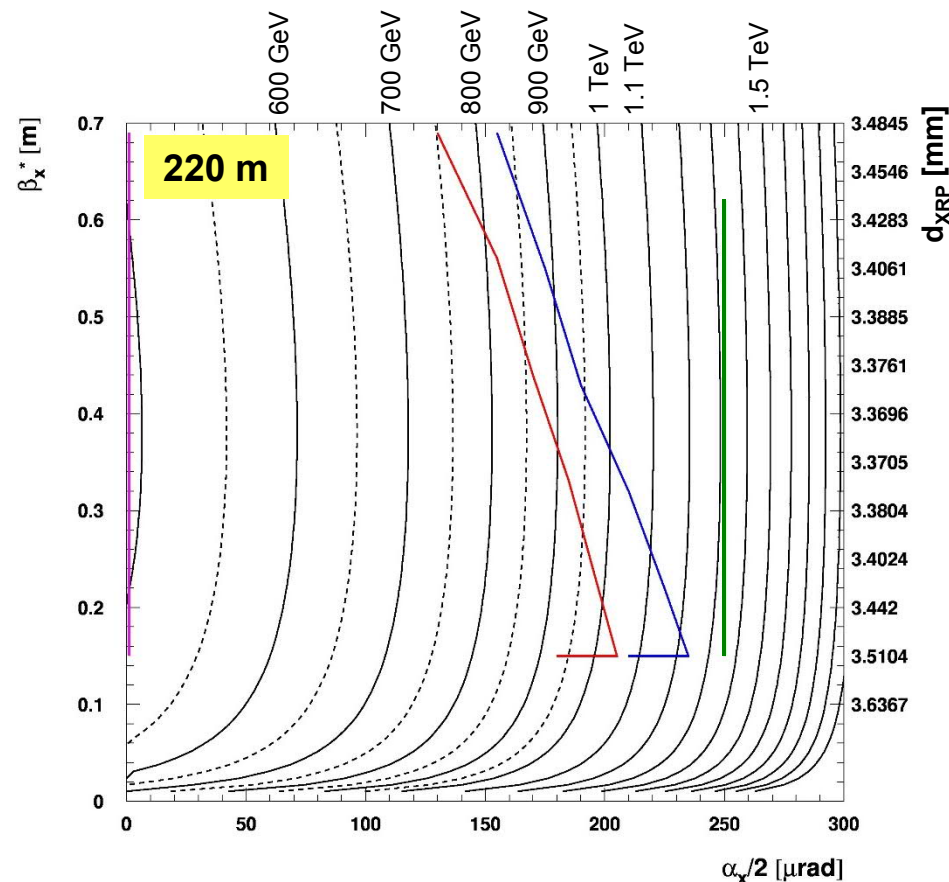
d_A : aperture limitation (hori. or vert.) upstream,
 in most cases: TCLs

D_A : dispersion (hori. or vert.) @ aperture limit.,
 parametrisation in $(\alpha/2, \xi)$ from MAD-X

Examples: Minimum “Mass” @ 220m and 420m

Contour lines for $M_{\min} = \xi_{\min} \sqrt{s}$

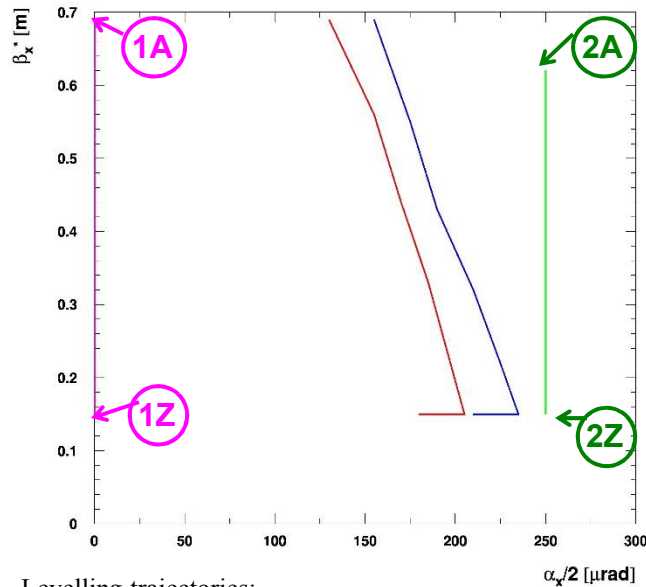
TCT settings: $d_{\text{TCT}} = \text{const.}$ (12.9σ @ $\beta^* = 15 \text{ cm}$)



Levelling trajectories:

- Baseline
- Relaxed adaptive
- Aggressive adaptive
- Vertical crossing (any trajectory)

Acceptance in the Mass – Rapidity Plane



Levelling trajectories:

- Baseline
- Relaxed adaptive
- Aggressive adaptive
- Vertical crossing (any trajectory)

For each point $(\alpha/2, \beta_x^*)$:

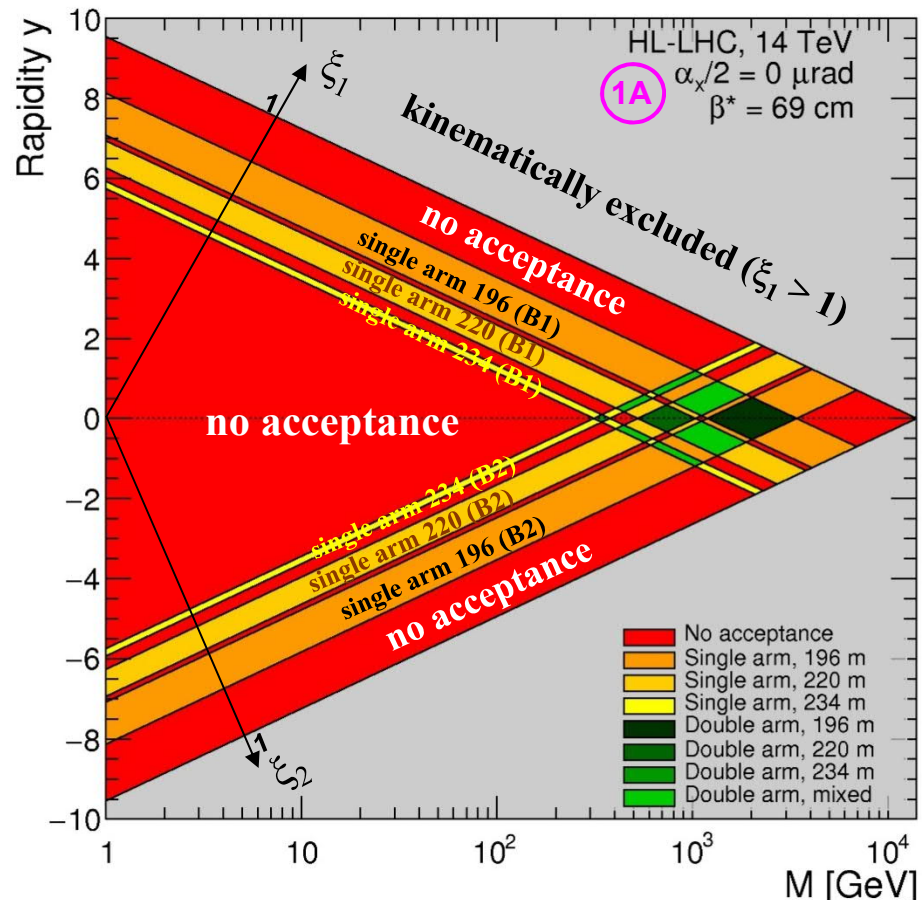
Acceptance for central diffractive events is defined in 2-dim space (ξ_1, ξ_2) or equivalently – after basis rotation – in (M, y) :

$$M^2 = \xi_1 \xi_2 s$$

$$\ln \frac{M}{\sqrt{s}} = \frac{1}{2} (\ln \xi_1 + \ln \xi_2)$$

$$y = \frac{1}{2} \ln \frac{\xi_1}{\xi_2}$$

$$y = \frac{1}{2} (\ln \xi_1 - \ln \xi_2)$$



Note on t or p_T :

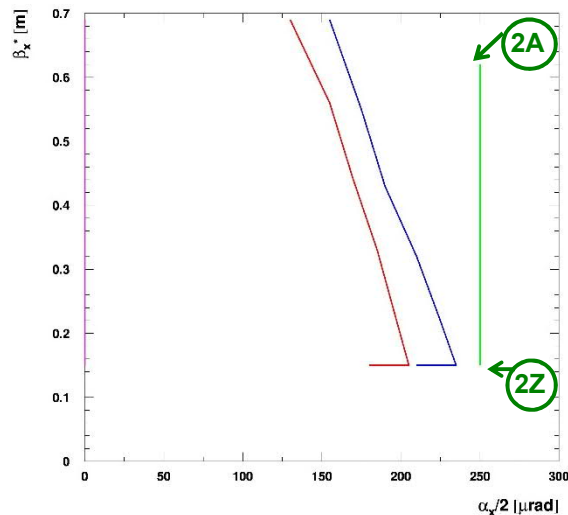
The M - y plot is for $t_1 = t_2 = 0$

- Fixed non-zero $t_{1/2}$ would shift the contours:

$$\Delta \xi_{\min} = -\frac{L_x \theta_x^*}{D_x} \quad (\text{dominated by angular vertex spread})$$

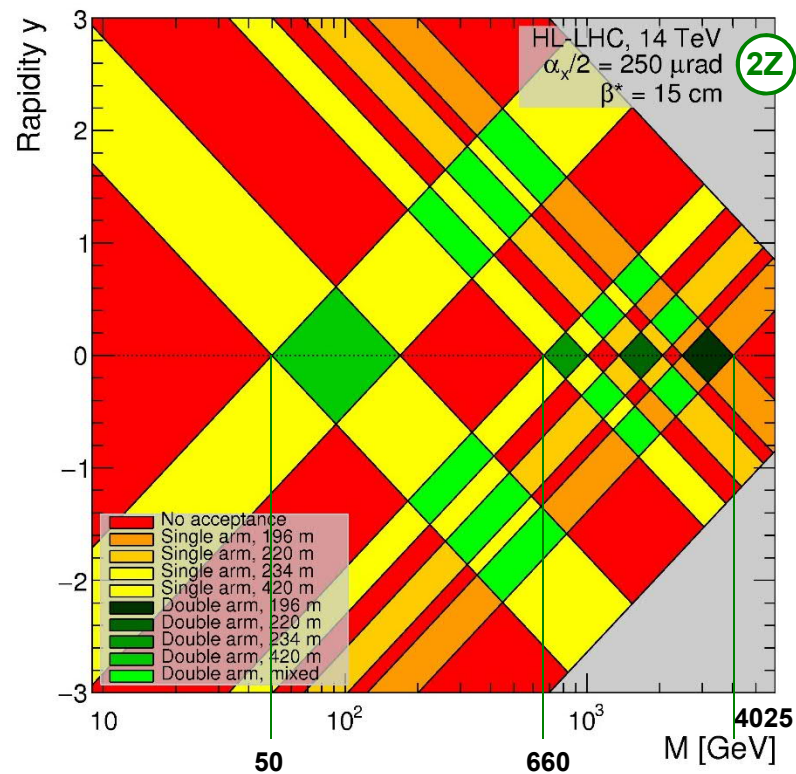
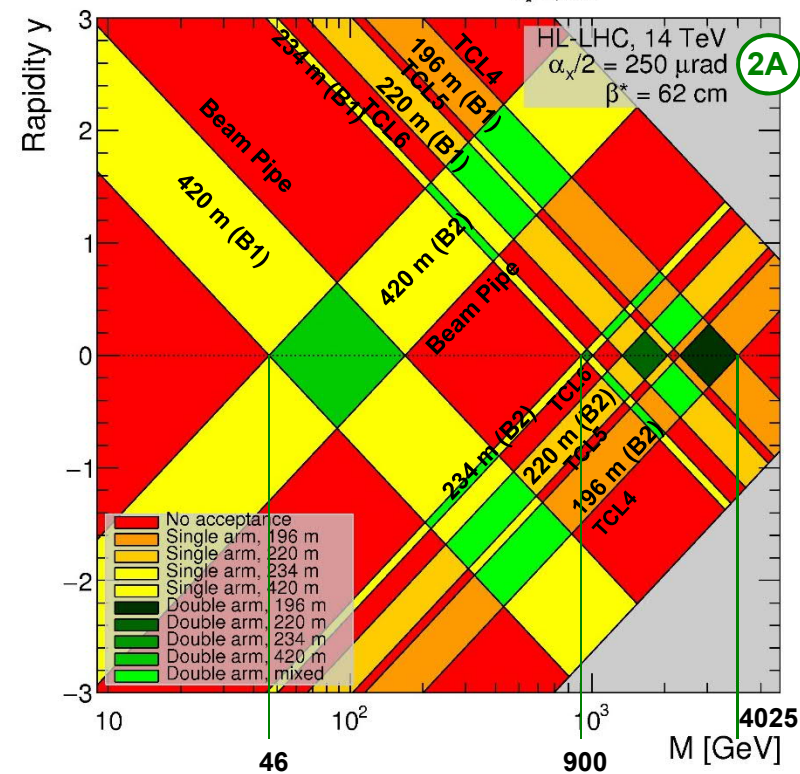
- Integration over process-dependent t -distribution would smear M_{\min} by 2 – 3 GeV

Acceptance in the Mass – Rapidity Plane: Horizontal Crossing, Baseline Trajectory

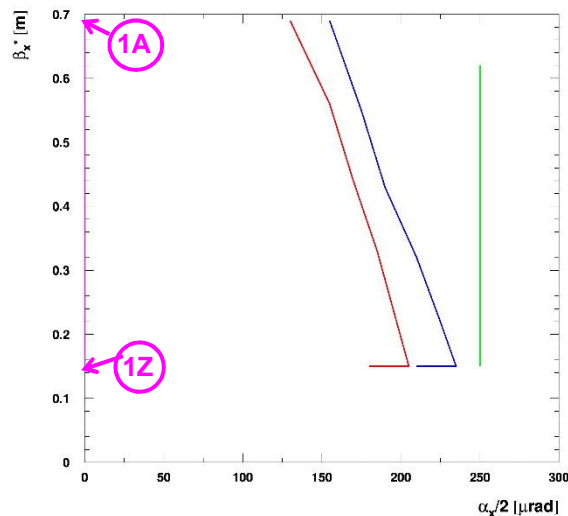


- Levelling trajectories:
- Baseline
 - Relaxed adaptive
 - Aggressive adaptive
 - Vertical crossing (any trajectory)

XRPs @ 196 m, 220 m, 234 m, 420 m

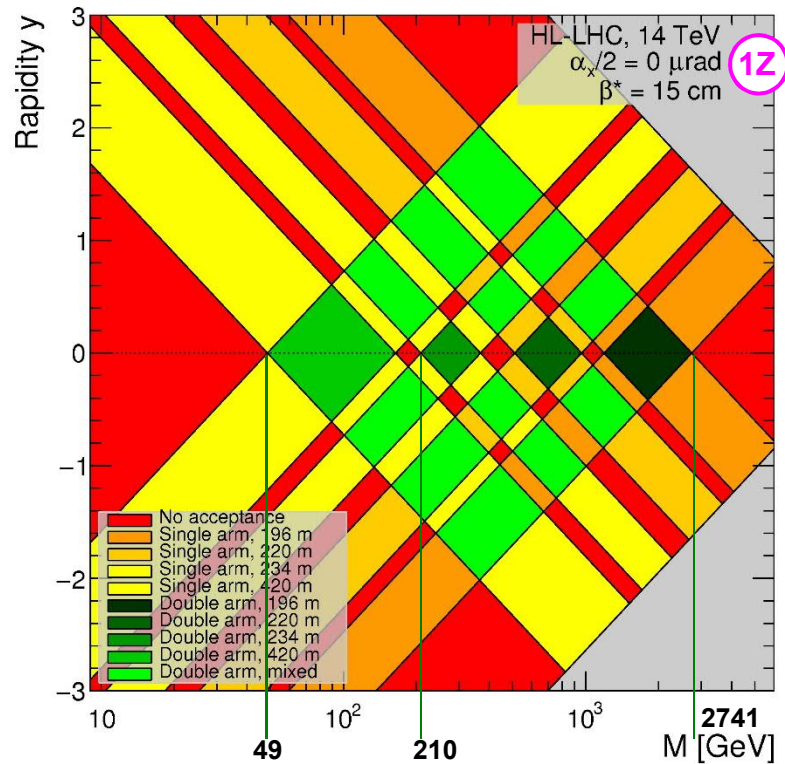
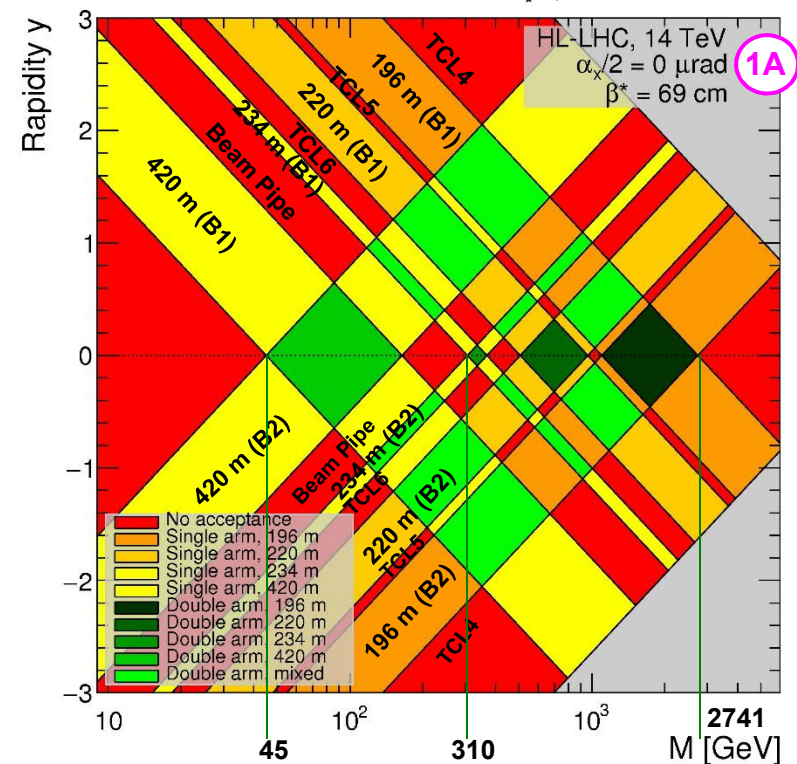


Acceptance in the Mass – Rapidity Plane: Vertical Crossing



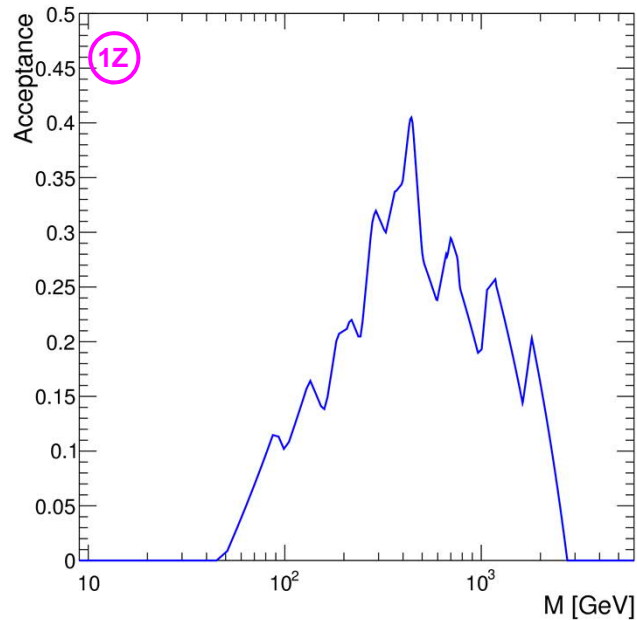
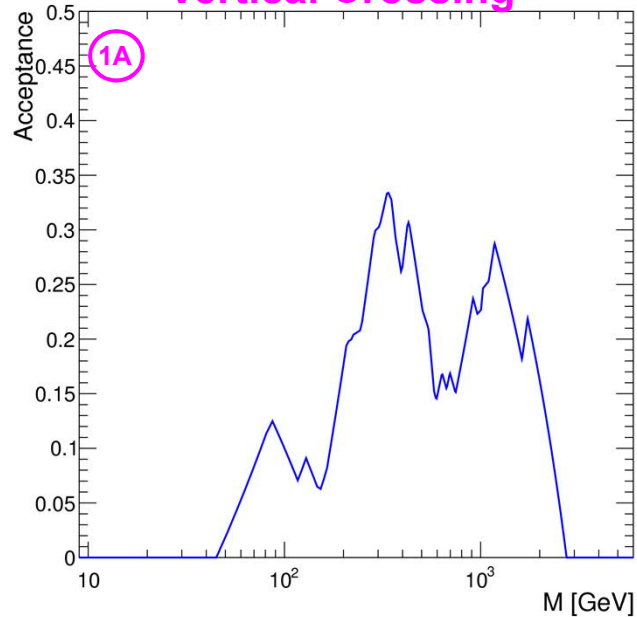
Levelling trajectories:
 - Baseline
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XRPs @ 196 m, 220 m, 234 m, 420 m

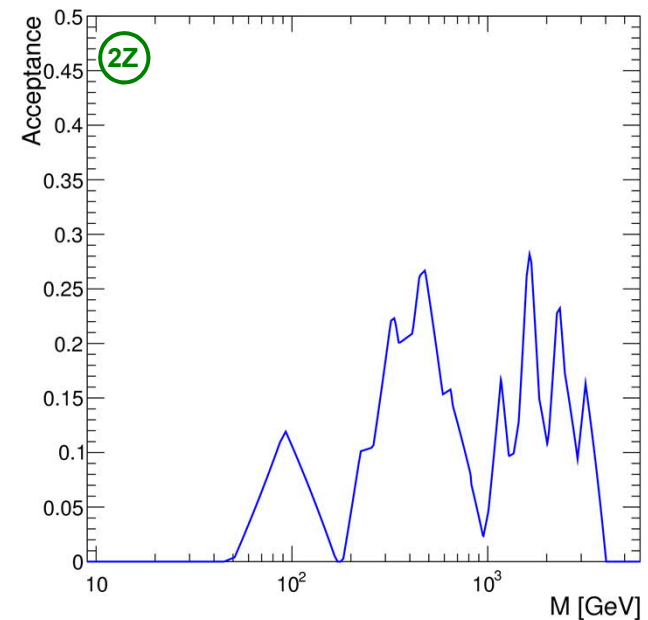
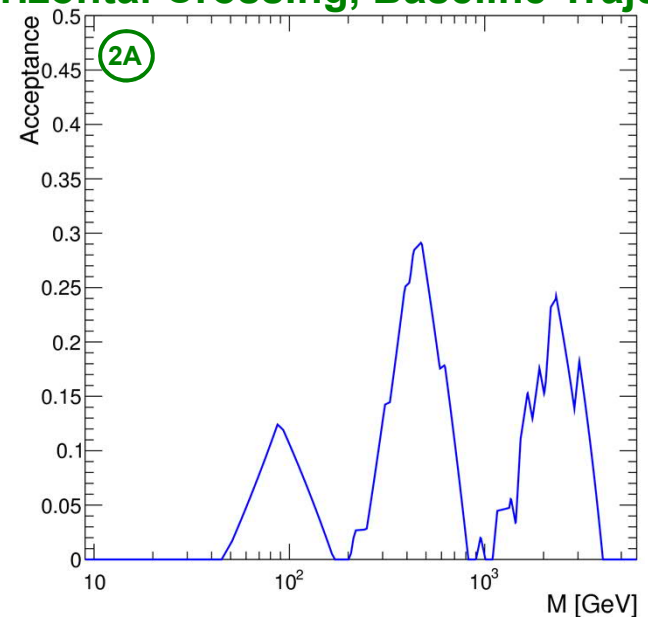


Mass Acceptance Integrated over y

Vertical Crossing



Horizontal Crossing, Baseline Trajectory



Conclusions

- 4 relevant locations:
 - just before TCL5 (~ 196 m) (high masses)
 - just before TCL6 (~ 220 m) (intermediate masses)
 - just after Q6 (~ 234 m) (lower masses)
 - 420 m: $D_x > 0 \rightarrow$ diffractive p between beam pipes \rightarrow needs new technology (lowest masses)
- Main driving factor for acceptance: dispersion !
- Advantages of vertical and horizontal crossing:
 - Vertical:
 - if 420 m unit is **not** present: better low-mass limit (210 GeV instead of 660 GeV)
 - if 420 m unit is present: same low-mass limit (50 GeV)
 - smaller acceptance gaps in the 100 – 200 GeV region
 - Horizontal:
 - access to higher masses (4 TeV instead of 2.7 TeV)
- \rightarrow preference for vertical crossing
- Mass acceptance gaps in ~ 1 TeV region could be closed if TCLs were slightly more open:
 - $d_{\text{TCL5}} = 18 \sigma_{15\text{cm}}$ instead of $14.2 \sigma_{15\text{cm}}$
 - $d_{\text{TCL6}} = 20 \sigma_{15\text{cm}}$ instead of $14.2 \sigma_{15\text{cm}}$
- Many technical issues to be addressed !

The End.

Appendix

Outlook: Other Issues to be Studied

- Debris showers → BLM rates:

max. lumi 2018: $2 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

max. lumi HL-LHC: $20 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

→ factor 10

At $2 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$: BLM of cylindrical pot is below threshold by factor 15 → should be ok

But all designs will change → to be watched

- Impedance:

- max protons / beam 2018: 3.2×10^{14}

HL-LHC: 6×10^{14}

→ factor 2 in current → factor 4 in heating

- bunch length ? → impact on power spectrum

- RP distance: already studied down to 1 mm

- impedance budget of the machine might become tighter

- Influence from crab cavities on scattered p trajectories should be negligible (H. Burkhardt)

- For detector instrumentation: the pileup:

$\mu \leq 200$ (w/o levelling, w/o crab cav.)

$\mu \leq 140$ (w/ levelling, w/ crab cav.)

- Radiation issues

XRP Insertion Distance vs. β^*

Assume insertion rule: $d_{\text{XRP}} = (n_{\text{TCT}} + 3)\sigma_{\text{XRP}} + 0.3 \text{ mm}$

Collimation scheme presently foreseen:

$$d_{\text{TCT}} = \text{const.} \rightarrow n_{\text{TCT}}(\beta^*) = n_{\text{TCT}}(\beta_0^*) \sqrt{\frac{\beta^*}{\beta_0^*}}$$

$$\sigma_{\text{XRP}} = \sqrt{\frac{\varepsilon_n \beta_{\text{XRP}}}{\gamma}}$$

We need $\beta_{\text{XRP}}(\beta^*)$!

ATS invariance of optical functions: $v_{\text{XRP}} = \sqrt{\frac{\beta_{\text{XRP}}(\beta^*)}{\beta^*}} \cos \mu_{\text{XRP}}(\beta^*)$: magnification independent of β^*

$L_{\text{XRP}} = \sqrt{\beta_{\text{XRP}}(\beta^*) \beta^*} \sin \mu_{\text{XRP}}(\beta^*)$: eff. length independent of β^*

$$\Rightarrow \left\{ \begin{array}{l} \tan \mu_{\text{XRP}}(\beta^*) = \frac{L_{\text{XRP}}}{v_{\text{XRP}}} \frac{1}{\beta^*} \\ \beta_{\text{XRP}}(\beta^*) = \frac{L_{\text{XRP}} v_{\text{XRP}}}{\sin \mu_{\text{XRP}}(\beta^*) \cos \mu_{\text{XRP}}(\beta^*)} \end{array} \right\} \Rightarrow \beta_{\text{XRP}}(\beta^*) = v_{\text{XRP}}^2 \beta^* + \frac{L_{\text{XRP}}^2}{\beta^*}$$

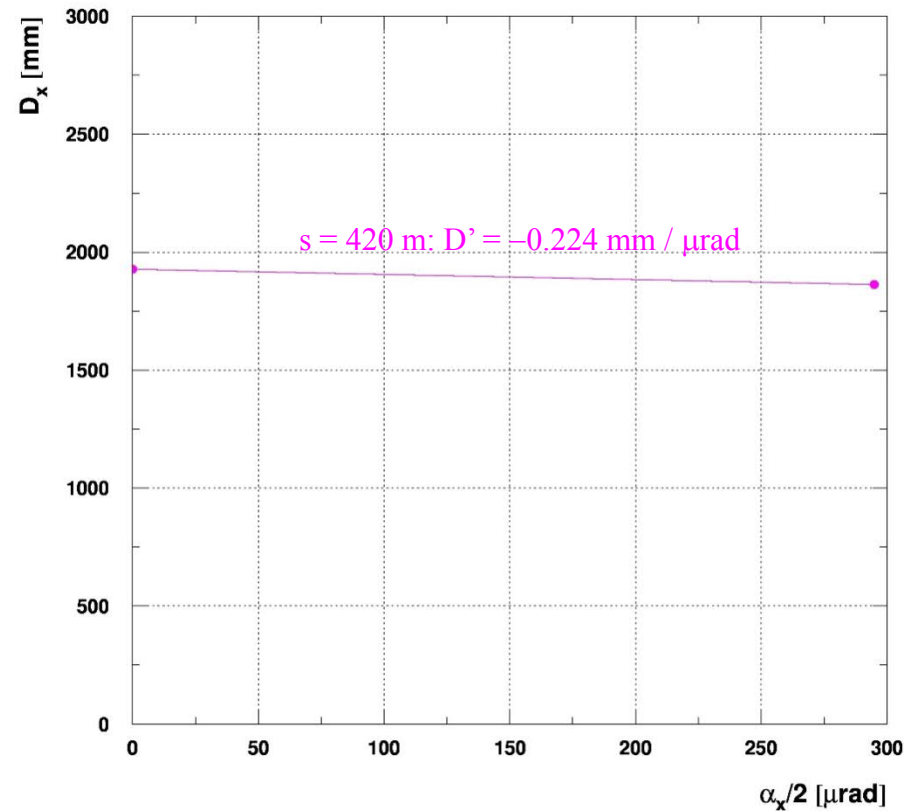
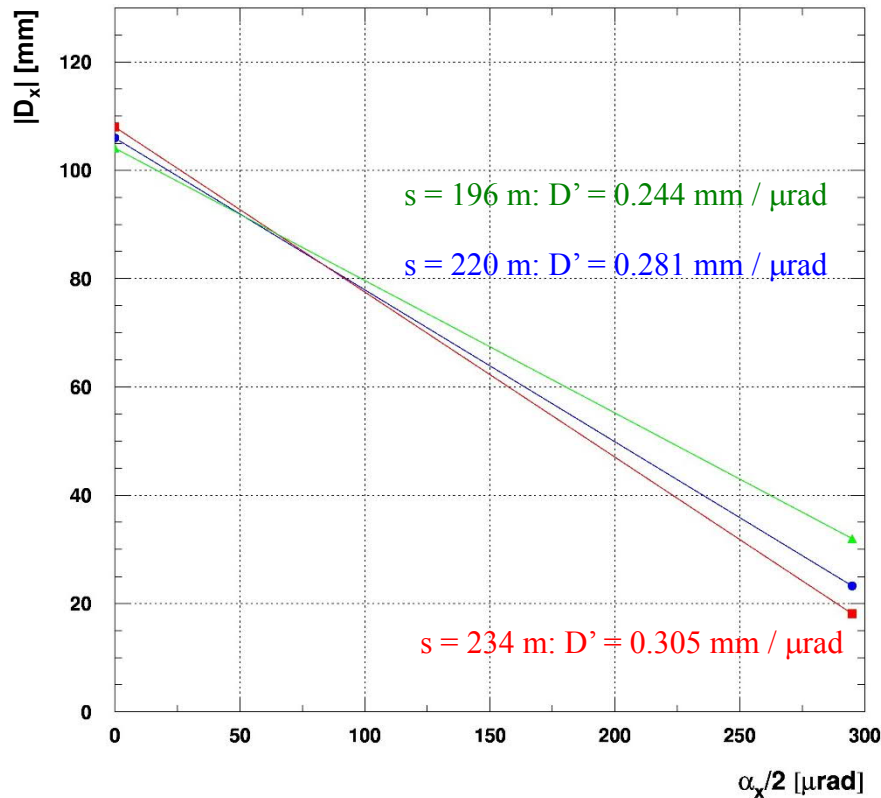
$$\sigma_{\text{XRP}} = \sqrt{\frac{\varepsilon_n}{\gamma} \left(v_{\text{XRP}}^2 \beta^* + \frac{L_{\text{XRP}}^2}{\beta^*} \right)}$$

$$d_{\text{XRP}} = \left(n_{\text{TCT}}(\beta_0^*) \sqrt{\frac{\beta^*}{\beta_0^*}} + 3 \right) \sqrt{\frac{\varepsilon_n}{\gamma} \left(v_{\text{XRP}}^2 \beta^* + \frac{L_{\text{XRP}}^2}{\beta^*} \right)} + 0.3 \text{ mm}$$

Dispersion vs. Crossing-Angle

MAD-X simulations:

- $(\alpha_x/2, \alpha_y/2, \beta_x^*, \beta_y^*) = (295 \mu\text{rad}, 0, 15 \text{ cm}, 15 \text{ cm})$:
 $D_x(196\text{m}) = -32.0 \text{ mm}$, $D_x(220\text{m}) = -23.3 \text{ mm}$, $D_x(234\text{m}) = -18.1 \text{ mm}$, $D_x(420\text{m}) = +1862 \text{ mm}$
- $(\alpha_x/2, \alpha_y/2, \beta_x^*, \beta_y^*) = (0, 295 \mu\text{rad}, 15 \text{ cm}, 15 \text{ cm})$:
 $D_x(196\text{m}) = -104 \text{ mm}$, $D_x(220\text{m}) = -106 \text{ mm}$, $D_x(234\text{m}) = -108 \text{ mm}$, $D_x(420\text{m}) = +1928 \text{ mm}$



Assume linearity:

$$D\left(\frac{\alpha}{2}\right) = D(0) + D' \frac{\alpha}{2}$$

(confirmed by 2017 data).

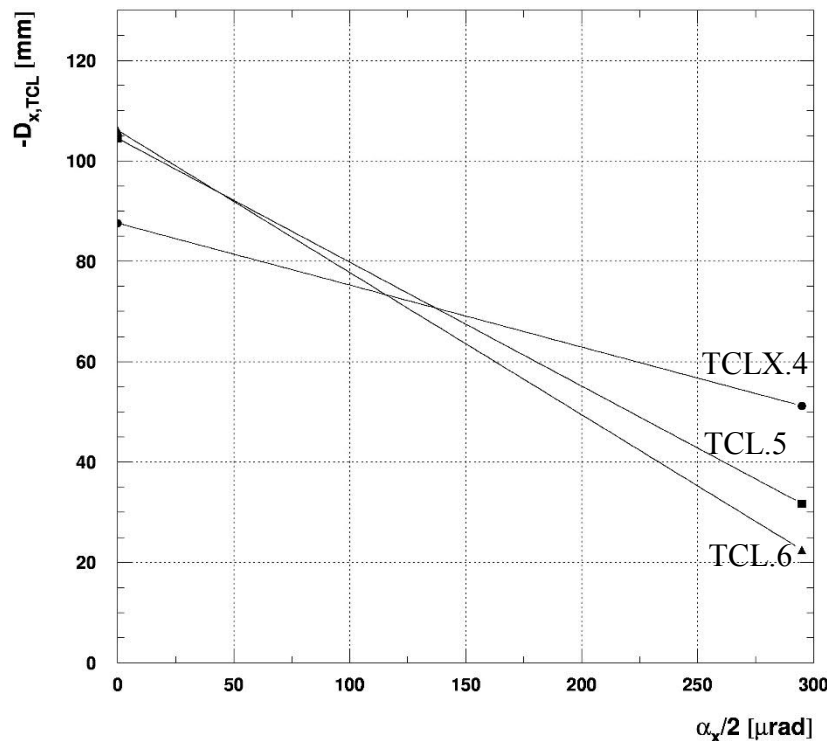
Maximum Mass: General Principle

M_{\max} is given by the tightest aperture cut of all TCL collimators upstream of the detector.

$$\tilde{M}_{\max} = \frac{d_{\text{TCL}}}{D_{\text{TCL}}(\frac{\alpha_x}{2})} \sqrt{s}$$

Dispersion at TCLX.4, TCL.5, TCL.6 vs. crossing-angle

M_{\max} depends only on $\alpha/2$, not on β^* !



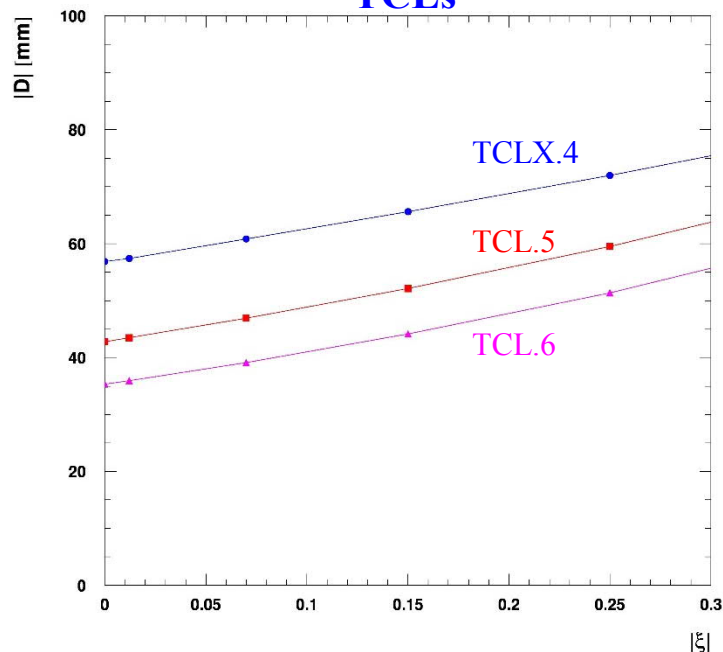
Collimation strategy for TCLs presently foreseen:

$d_{\text{TCL}} = 14.2 \sigma(\beta^*=15\text{cm})$ constant in absolute distance

ξ -Dependence of the Dispersion: Horizontal Crossing

Baseline Trajectory ($\alpha_x/2 = 250 \mu\text{rad}$)

TCLs

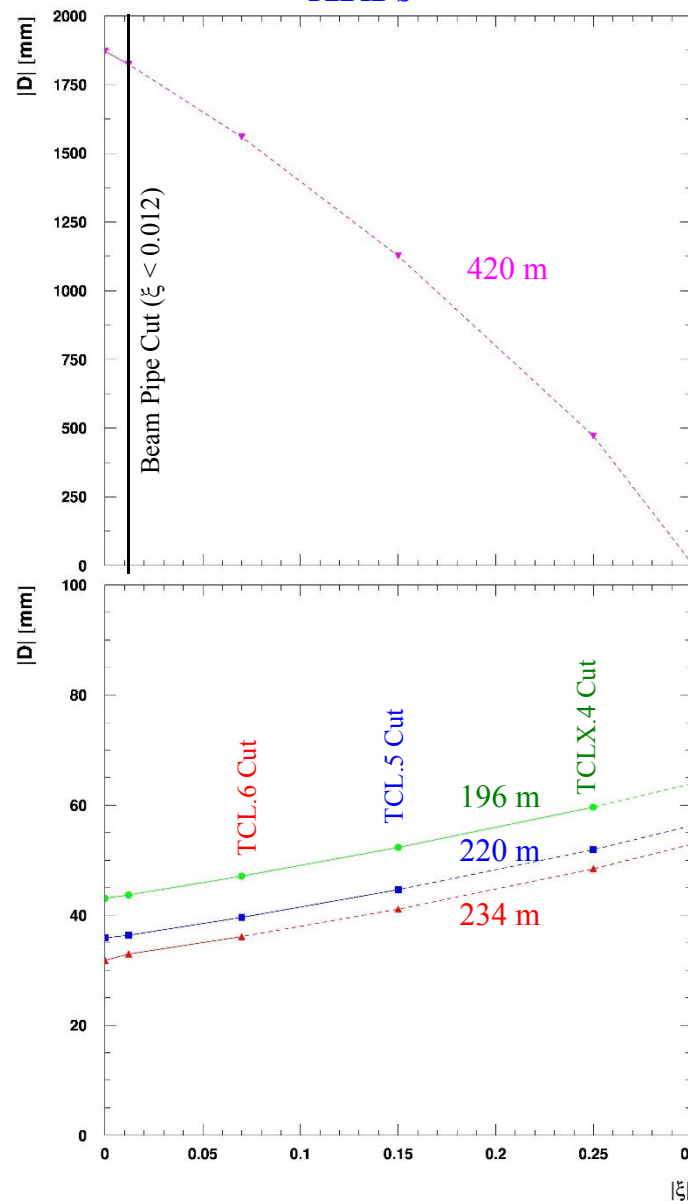


D @ TCLs increases with ξ
 \rightarrow max. mass cut tighter than anticipated
 using $D(\xi=0)$

For small ξ (within acceptance): approximately linear
 \rightarrow extended dispersion model:

$$D\left(\frac{\alpha}{2}, \xi\right) = D_0 + d_\alpha \frac{\alpha}{2} + d_\xi \xi + d_{\alpha\xi} \frac{\alpha}{2} \xi$$

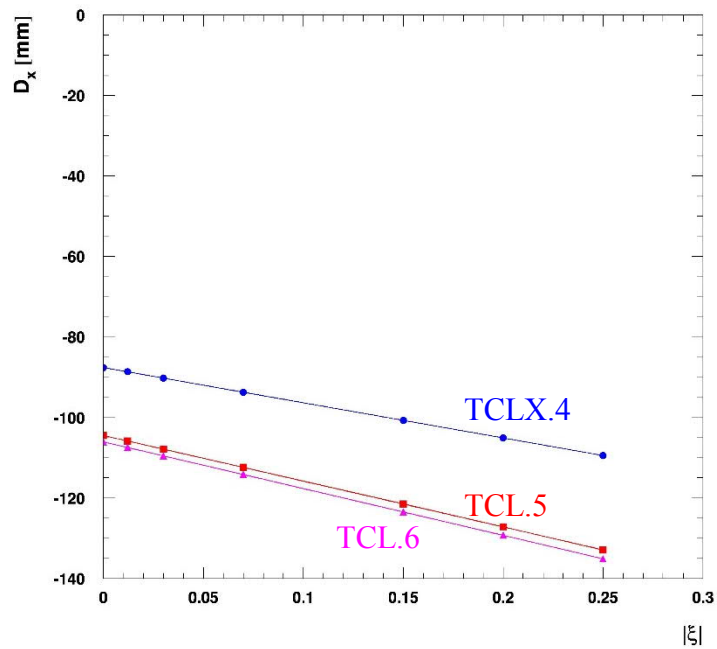
XRPs



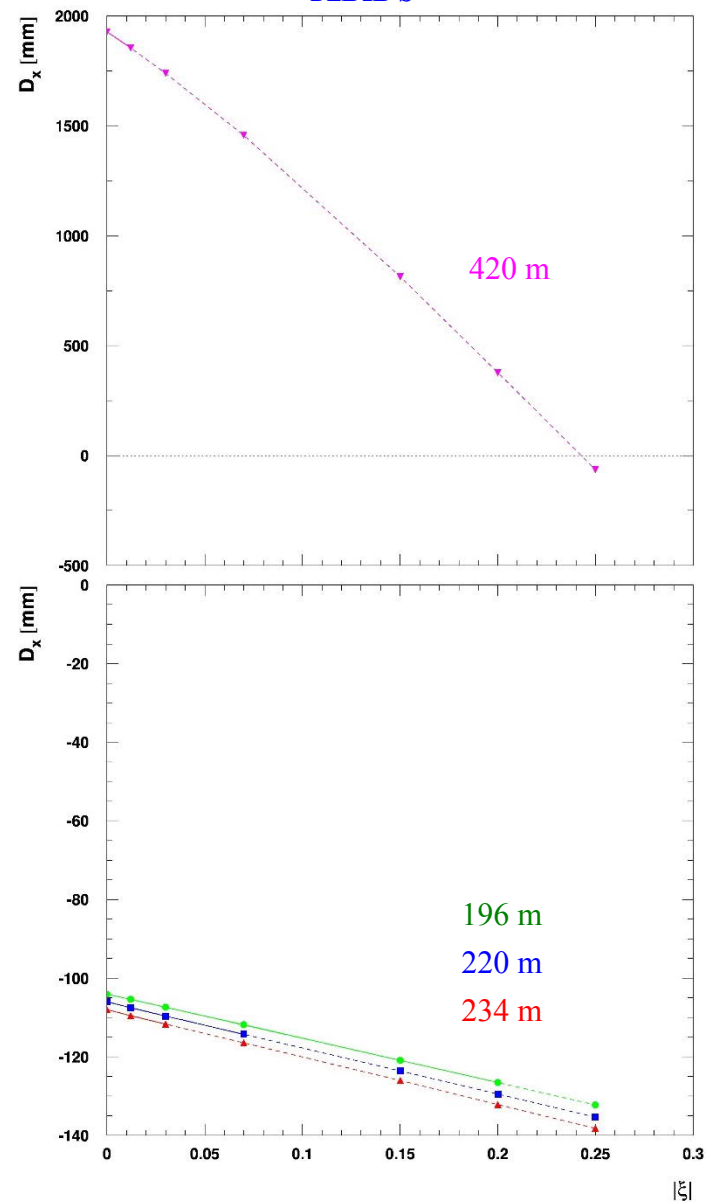
ξ -Dependence of the Dispersion: Vertical Crossing

Baseline Trajectory ($\alpha_y/2 = 250 \mu\text{rad}$) Horizontal Dispersion

TCLs

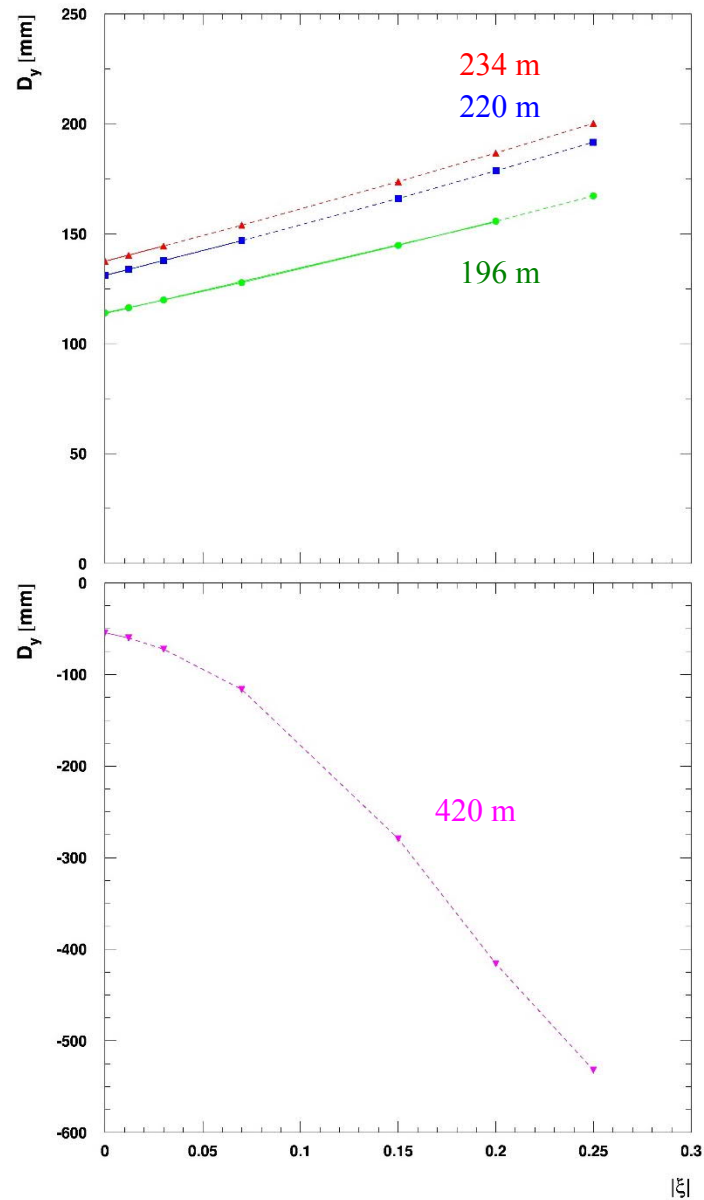


XRPs



ξ -Dependence of the Dispersion: Vertical Crossing

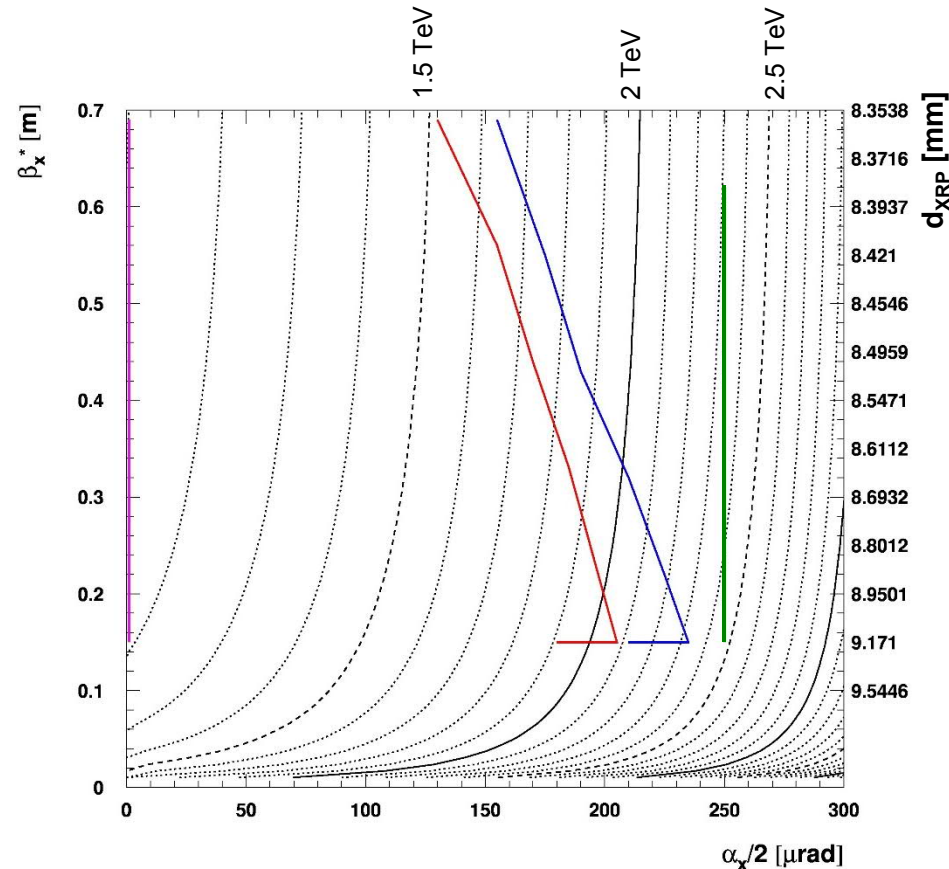
Baseline Trajectory ($\alpha_y/2 = 250 \mu\text{rad}$) Vertical Dispersion
XRPs



Minimum “Mass” @ 196 m with ξ -Dependent D

Contour lines for $\tilde{M}_{\min} = \xi_{\min} \sqrt{s}$ with $\xi_{\min} = \frac{d_{\text{XRP}}(\beta^*) + \delta}{D_x(\frac{\alpha}{2}, \xi_{\min})}$ resolved for ξ_{\min}

TCT settings: $d_{\text{TCT}} = \text{const.}$ (12.9σ @ $\beta^* = 15 \text{ cm}$)



Insertion distances very moderate !

Levelling trajectories:

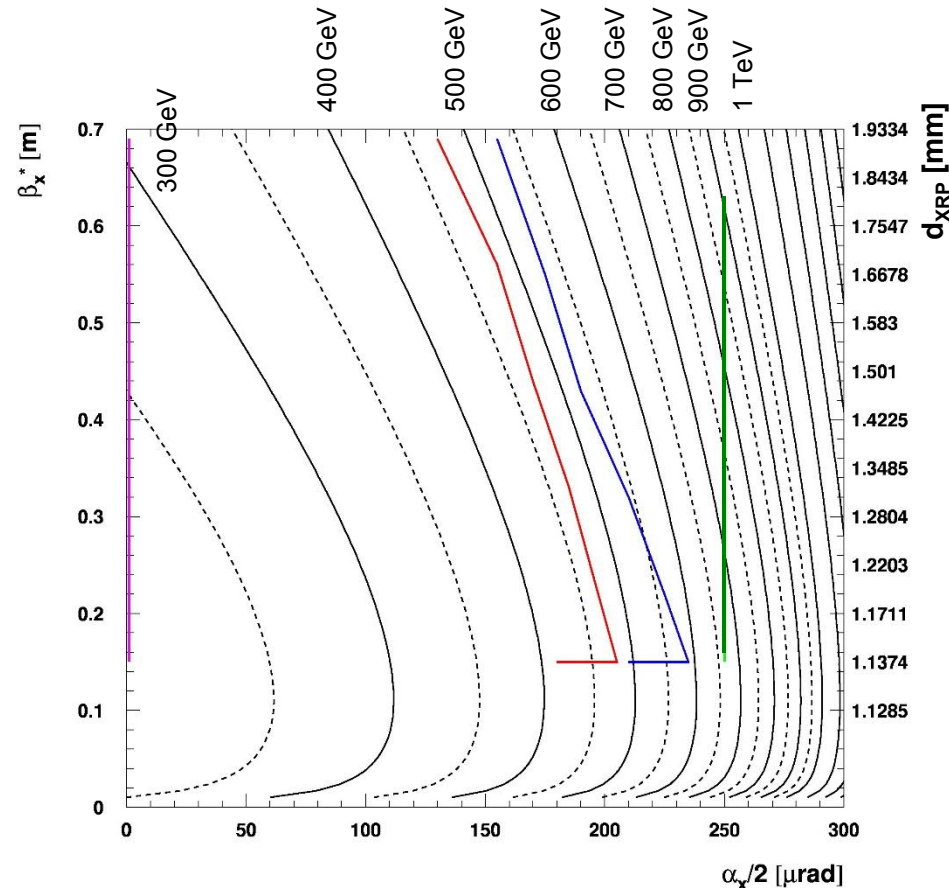
- Baseline
- Relaxed adaptive
- Aggressive adaptive
- Vertical crossing (any trajectory)

Inclusion of ξ -dependence improved M_{\min} by:
 Horiz., baseline: $\sim 580 \text{ GeV}$ (20%)
 Vert.: $\sim 100 \text{ GeV}$ (10%)

Minimum “Mass” @ 234 with ξ -Dependent D

Contour lines for $\tilde{M}_{\min} = \xi_{\min} \sqrt{s}$ with $\xi_{\min} = \frac{d_{\text{XRP}}(\beta^*) + \delta}{D_x(\frac{\alpha}{2}, \xi_{\min})}$ resolved for ξ_{\min}

TCT settings: $d_{\text{TCT}} = \text{const.}$ (12.9σ @ $\beta^* = 15 \text{ cm}$)



Levelling trajectories:

- Baseline
- Relaxed adaptive
- Aggressive adaptive
- Vertical crossing (any trajectory)

← assuming that the pots move during the fill to adapt to β^* !

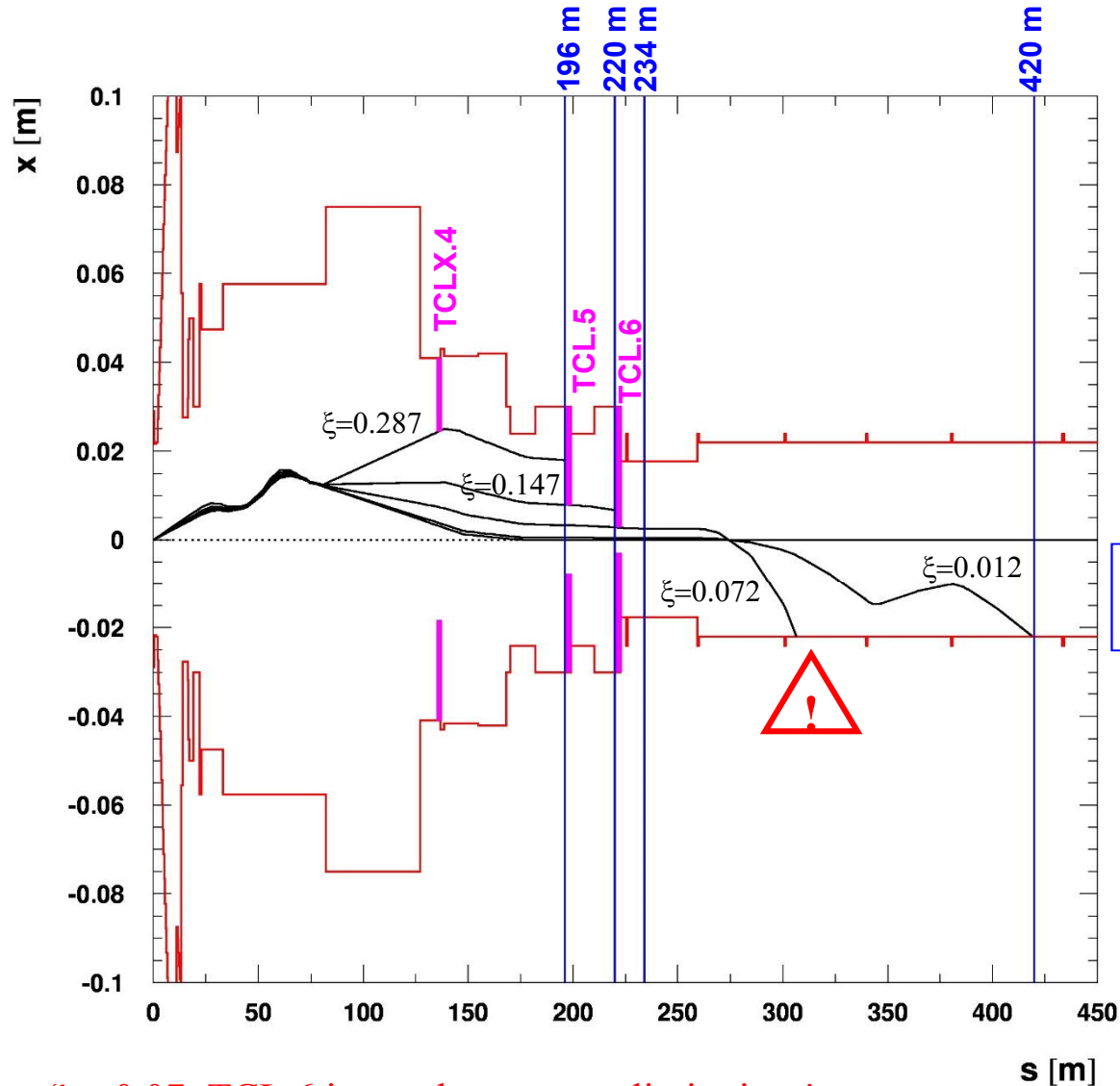
Insertion distances more aggressive ($< 1.5 \text{ mm}$)

Inclusion of ξ -dependence improved M_{\min} by:
 Horiz., baseline: $\sim 100 \text{ GeV}$ (10%)
 Vert.: $\sim 5 \text{ GeV}$ (2%)

Aperture Study: Horizontal Crossing

Baseline Levelling Trajectory ($\alpha/2 = 250 \mu\text{rad}$)

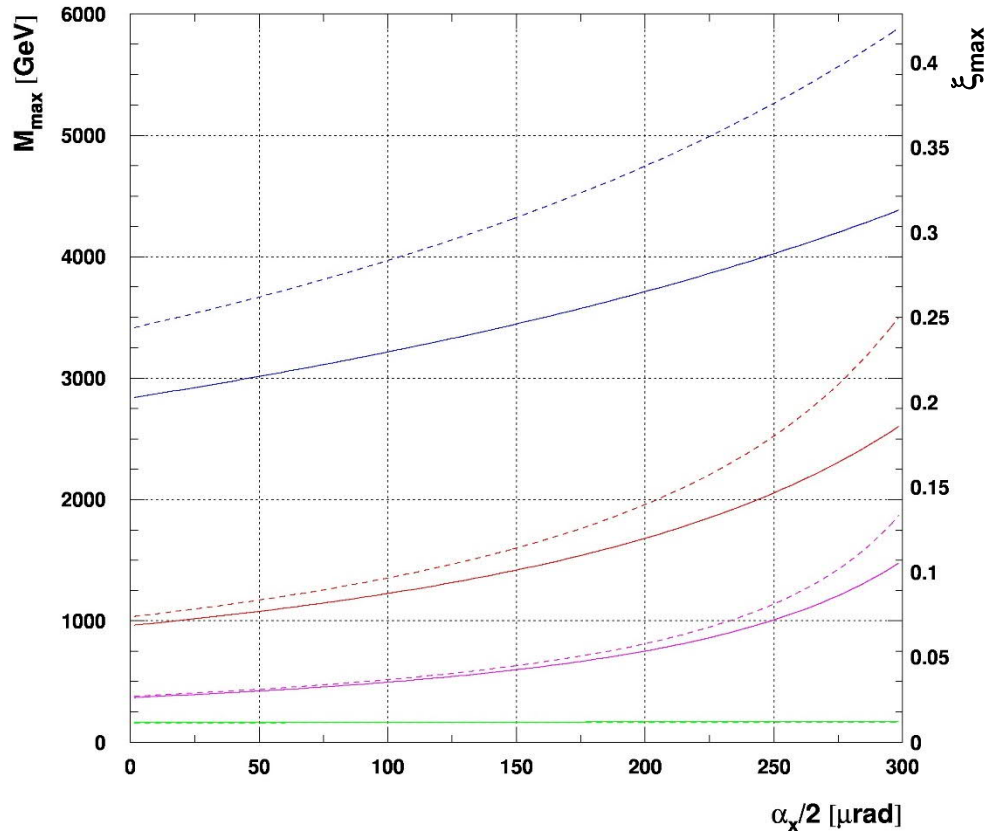
Horizontal tracks
with different ξ
(from MAD-X)



For $s > 306$ m or $\xi < 0.07$: TCL.6 is not the aperture limitation !
Protons run into the beampipe.

Maximum Mass: Horizontal Crossing

$$\tilde{M}_{\max} = \xi_{\max} \sqrt{s} = \frac{d_{\text{TCL}}}{D_{\text{TCL}}(\frac{\alpha_x}{2}, \xi_{\max})} \sqrt{s} \quad \rightarrow \text{quadratic equation for } \xi_{\max}$$



dashed: naive calculation with ξ -independent D

TCLX.4 determines M_{\max} at 196 m

TCL.5 determines M_{\max} at 220 m

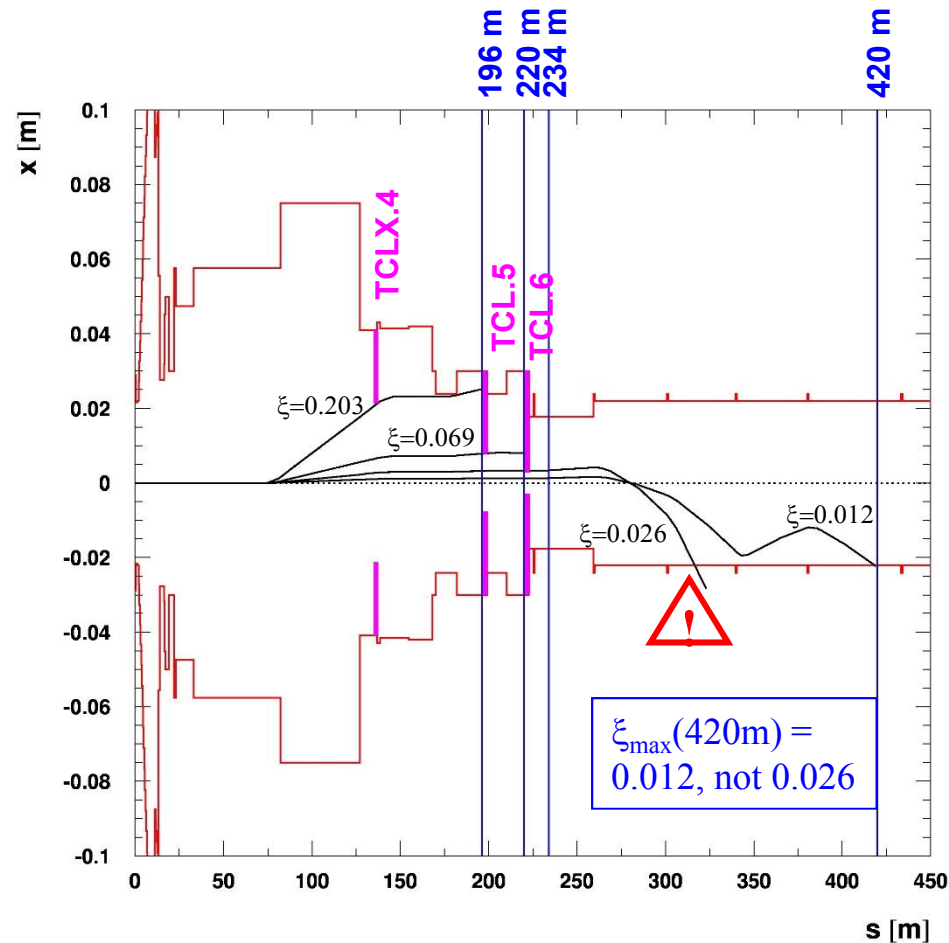
TCL.6 determines M_{\max} at 234 m

Beam pipe aperture determines M_{\max} at 420 m

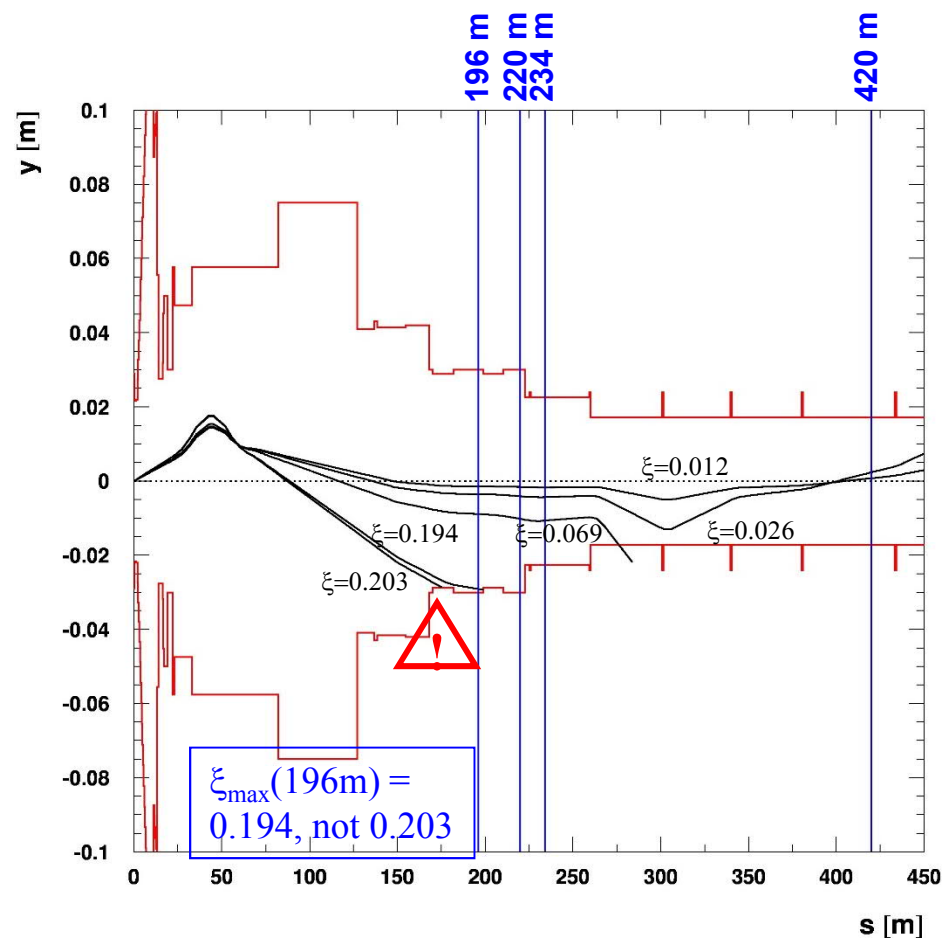
Aperture Study: Vertical Crossing

Baseline Levelling Trajectory ($\alpha_y/2 = 250 \mu\text{rad}$)

Horizontal Aperture



Vertical Aperture



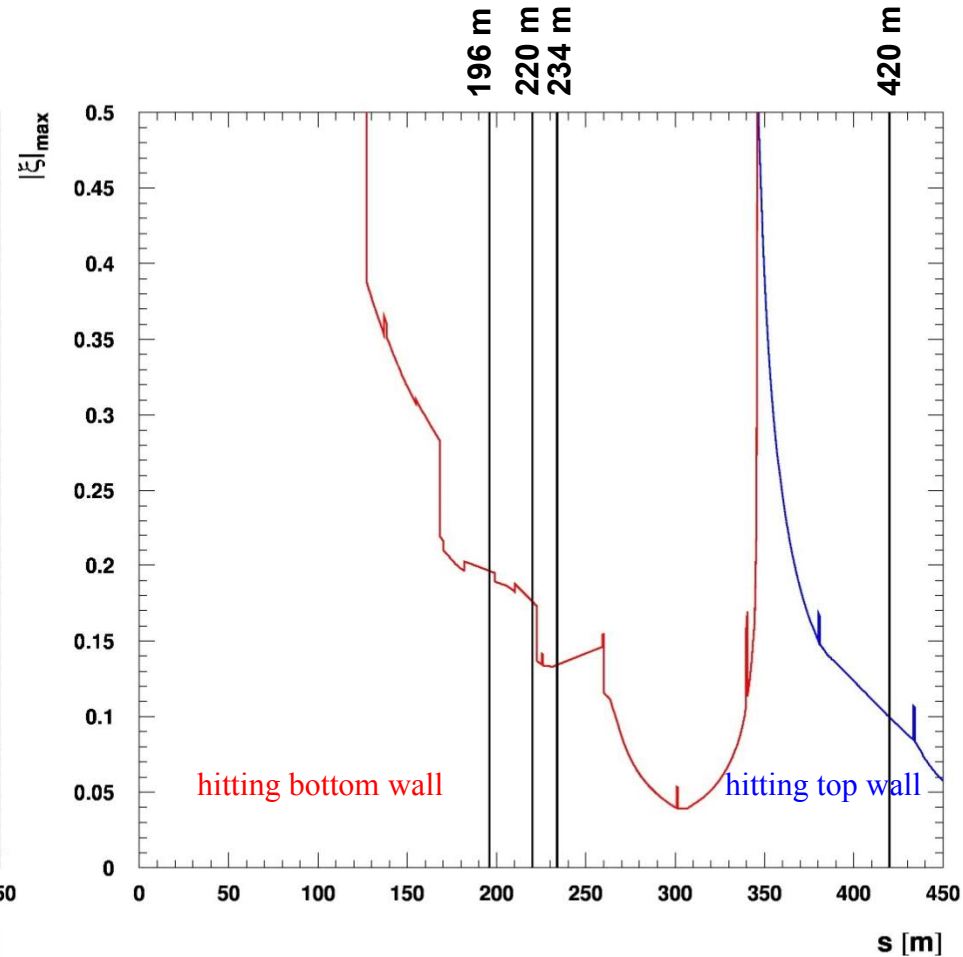
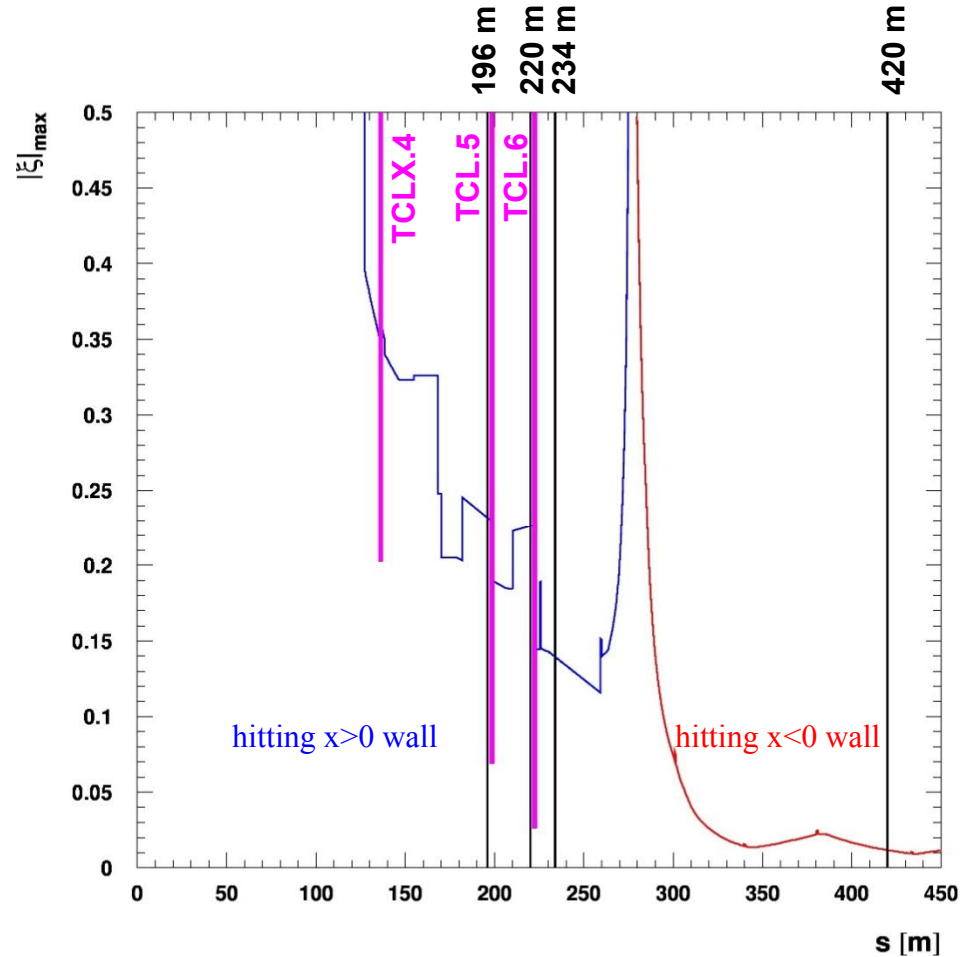
For $s > 315$ m or $\xi < 0.026$: TCL.6 is not the aperture limitation !
Protons run into the beampipe.

Maximum ξ from Aperture: Vertical Crossing

Baseline Levelling Trajectory ($\alpha_y/2 = 250 \mu\text{rad}$)

Horizontal Aperture

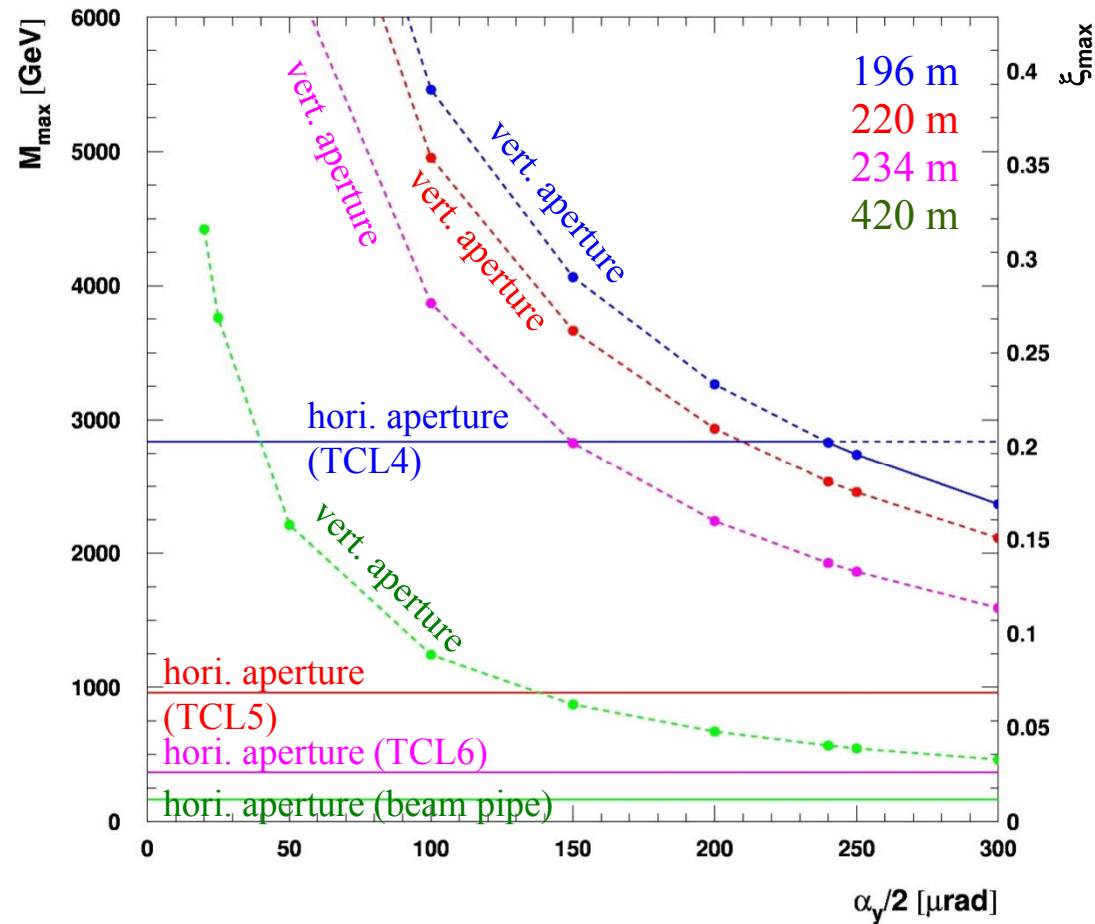
Vertical Aperture



Repeat this as a function of $\alpha_y/2$,
at each $\alpha_y/2$ look for the horizontal and vertical bottleneck upstream of each detector location.
→ $|\xi|_{\text{max}}(\alpha_y/2)$ for each detector location

Maximum Mass from Aperture: Vertical Crossing

Take minimum of horizontal and vertical aperture limitations.



horizontal and vertical aperture determine M_{\max} at 196 m

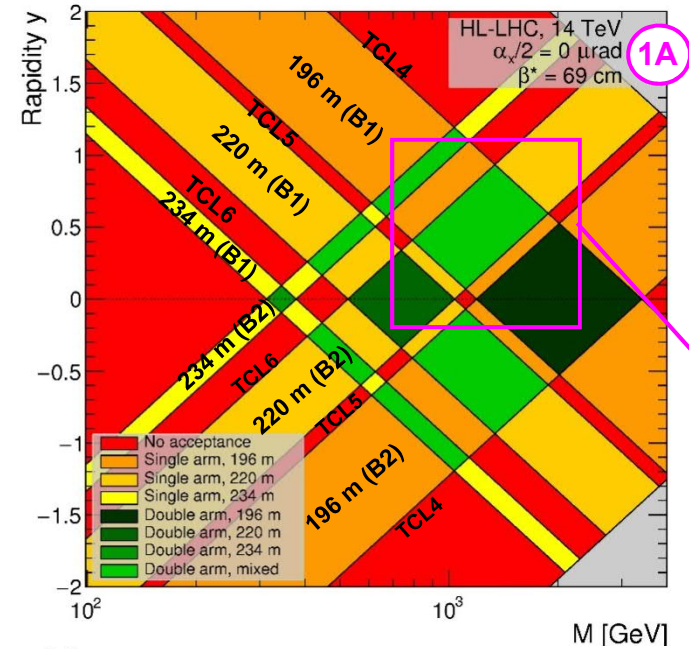
horizontal aperture determines M_{\max} at 220 m

horizontal aperture determines M_{\max} at 234 m

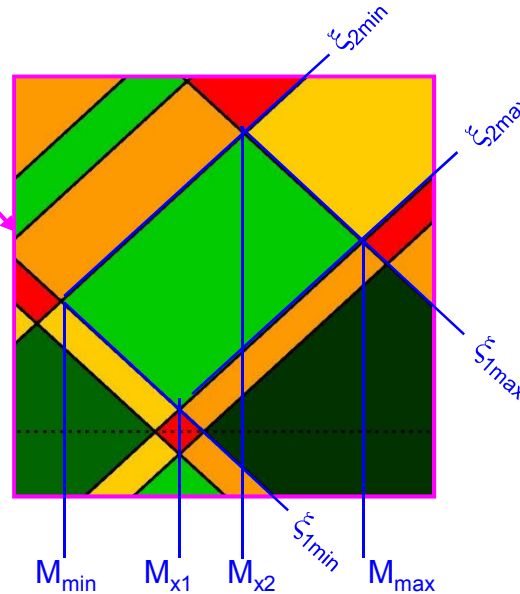
horizontal aperture determines M_{\max} at 420 m

For vertical crossing the maximum mass is independent of the crossing-angle (except at 196 m location for $\alpha/2 > 240 \mu\text{rad}$).

Mass Acceptance Integrated over y: Principle



M-acceptance of an overlap area relative to the total kinematically allowed y-interval, **assuming a flat rapidity distribution**:



$$A(M) = \begin{cases} \frac{\ln \frac{M}{M_{min}}}{\ln \frac{M}{\sqrt{s}}} & \text{for } M < M_{x1} \\ \frac{\ln \frac{M_{x1}}{M_{min}}}{\ln \frac{\sqrt{s}}{M}} & \text{for } M_{x1} < M < M_{x2} \\ \frac{\ln \frac{M_{max}}{M}}{\ln \frac{\sqrt{s}}{M}} & \text{for } M > M_{x2} \end{cases}$$

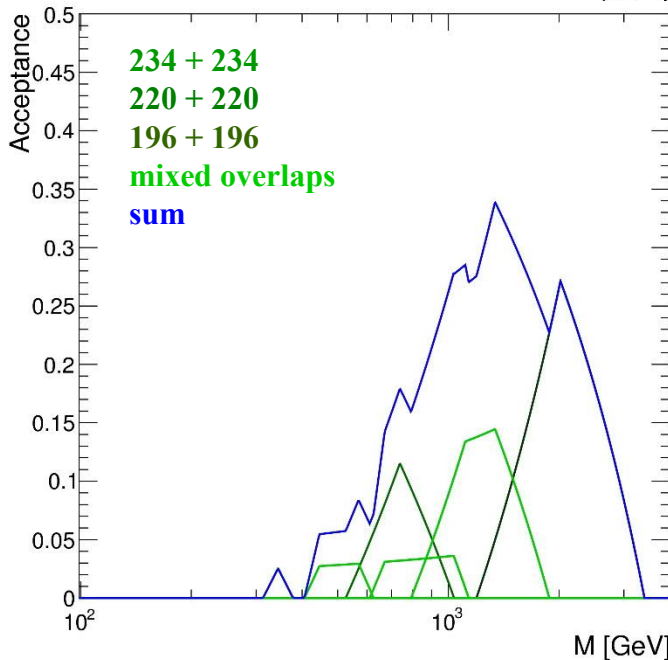
where

$$M_{min} = \sqrt{\xi_{1min} \xi_{2min} s}$$

$$M_{max} = \sqrt{\xi_{1max} \xi_{2max} s}$$

$$M_{x1} = \min(\sqrt{\xi_{1min} \xi_{2max} s}, \sqrt{\xi_{2min} \xi_{1max} s})$$

$$M_{x2} = \max(\sqrt{\xi_{1min} \xi_{2max} s}, \sqrt{\xi_{2min} \xi_{1max} s})$$



Reminder: this is for $t_1 = t_2 = 0$!

Including t would introduce process-dependent smearing.