

heavy-quark production (for PDFs)



Rhorry Gauld
NNPDF meeting - Gargnano 2018

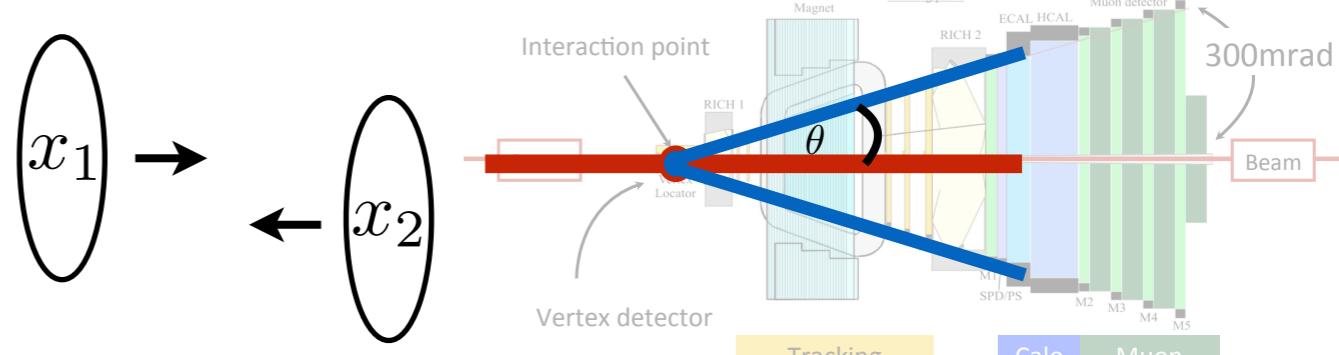


Netherlands Organisation
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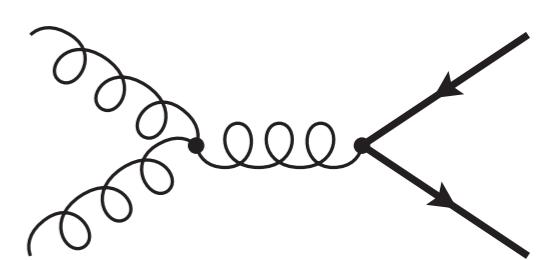
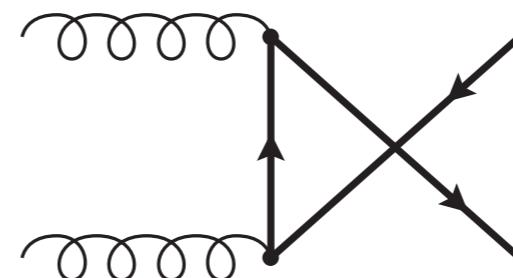
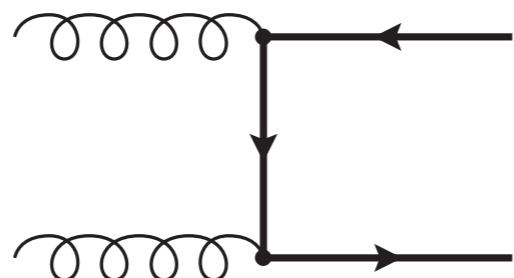
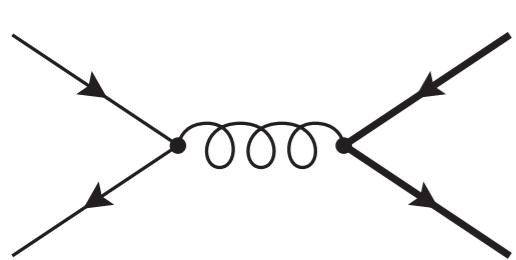
Overview

- **Introduction**
 - forward kinematics
- **Top-quark production**
 - LHCb results
 - Central results
- **D-hadron production**
 - Results from LHCb and impact on proton PDF
- **Concluding remarks**



LHCb detector

heavy-quark pair production



$$g(p_1) + g(p_2) \rightarrow Q(p_3) + \bar{Q}(p_4) + X$$

$$p_1 = \sqrt{S}/2 (x_1, 0, 0, x_1)$$

dominant subprocess at LHC

x_i : momentum fraction

y_j : rapidity

\sqrt{S} : hadronic COM

m_T : transverse mass

LO PDF sampling occurs at

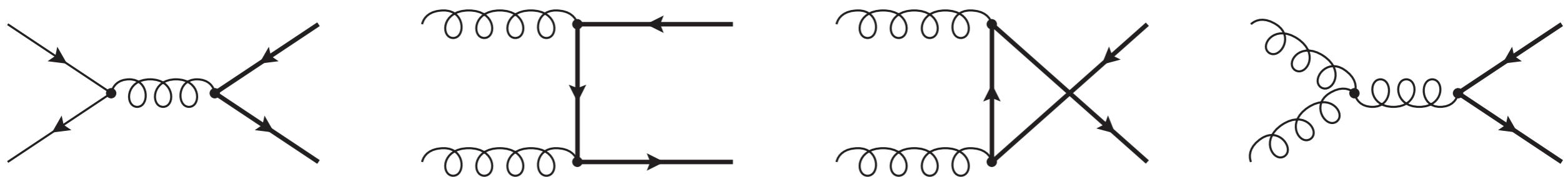
$$x_{1,(2)} = \frac{m_T}{\sqrt{S}} \left(e^{(-)y_3} + e^{(-)y_4} \right)$$

Interesting (less well constrained) region for PDFs:

Low-x, Low-Q

Large-x, Large-Q

heavy-quark pair production



$$g(p_1) + g(p_2) \rightarrow Q(p_3) + \bar{Q}(p_4) + X$$

$$p_1 = \sqrt{S}/2 (x_1, 0, 0, x_1)$$

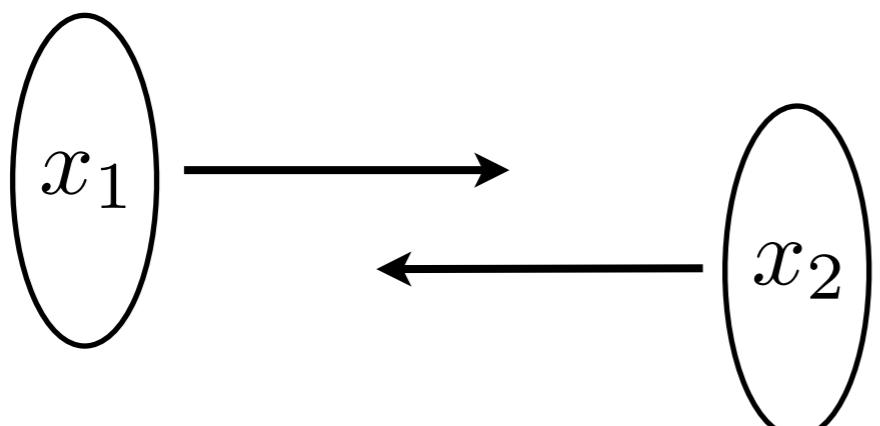
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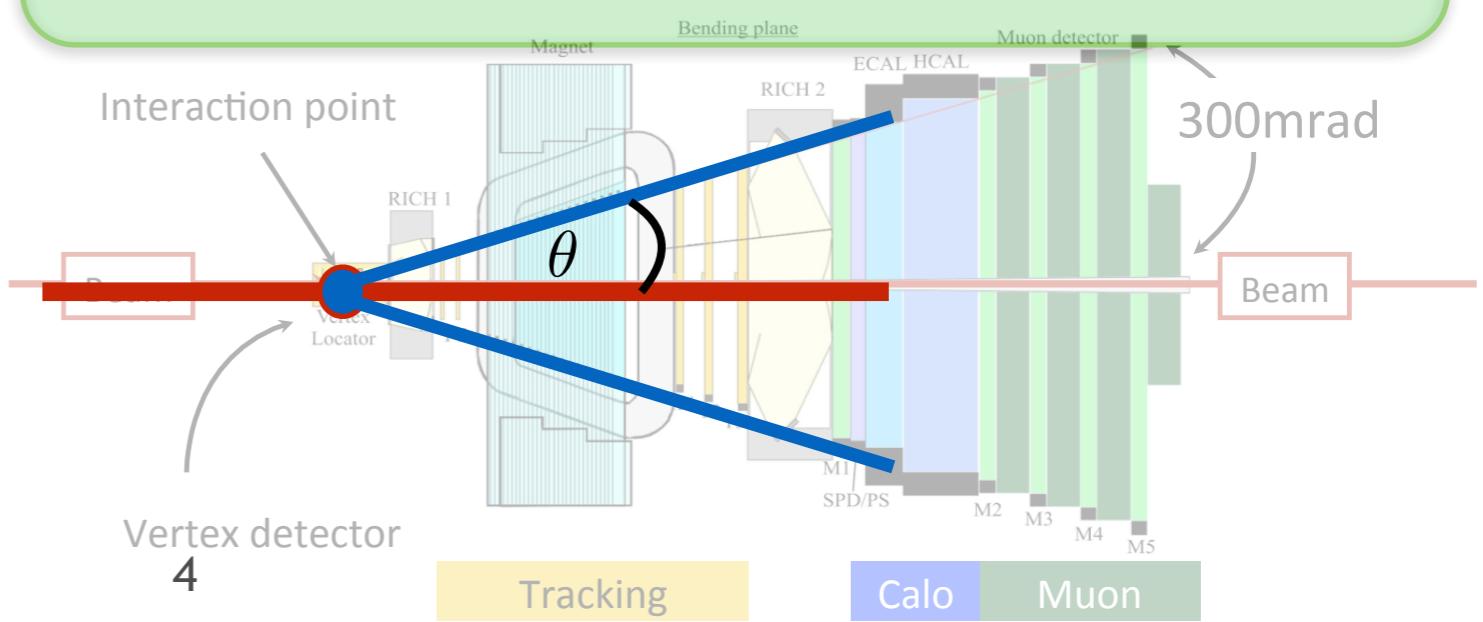
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m_T : transverse mass

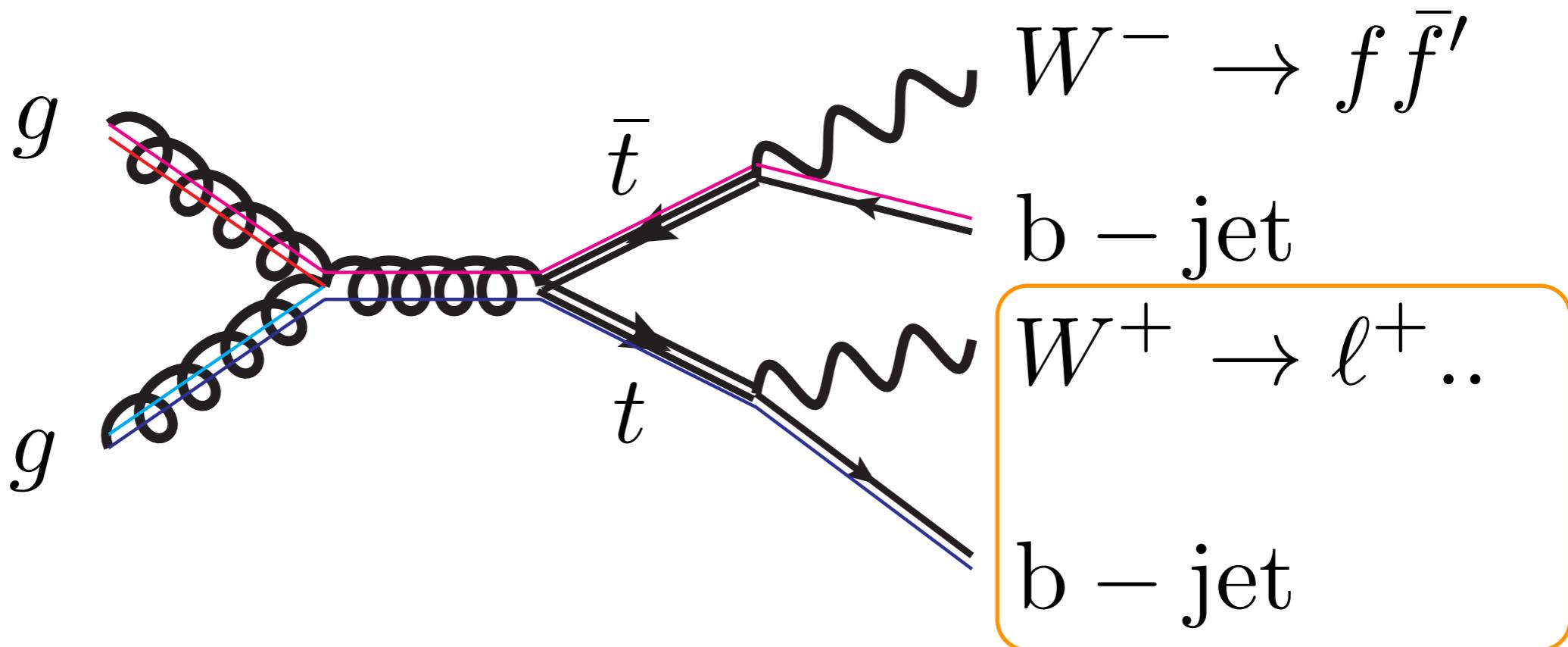


LO PDF sampling occurs at

$$x_{1,(2)} = \frac{m_T}{\sqrt{S}} \left(e^{(-)y_3} + e^{(-)y_4} \right)$$



top-quark (pair) production - LHCb

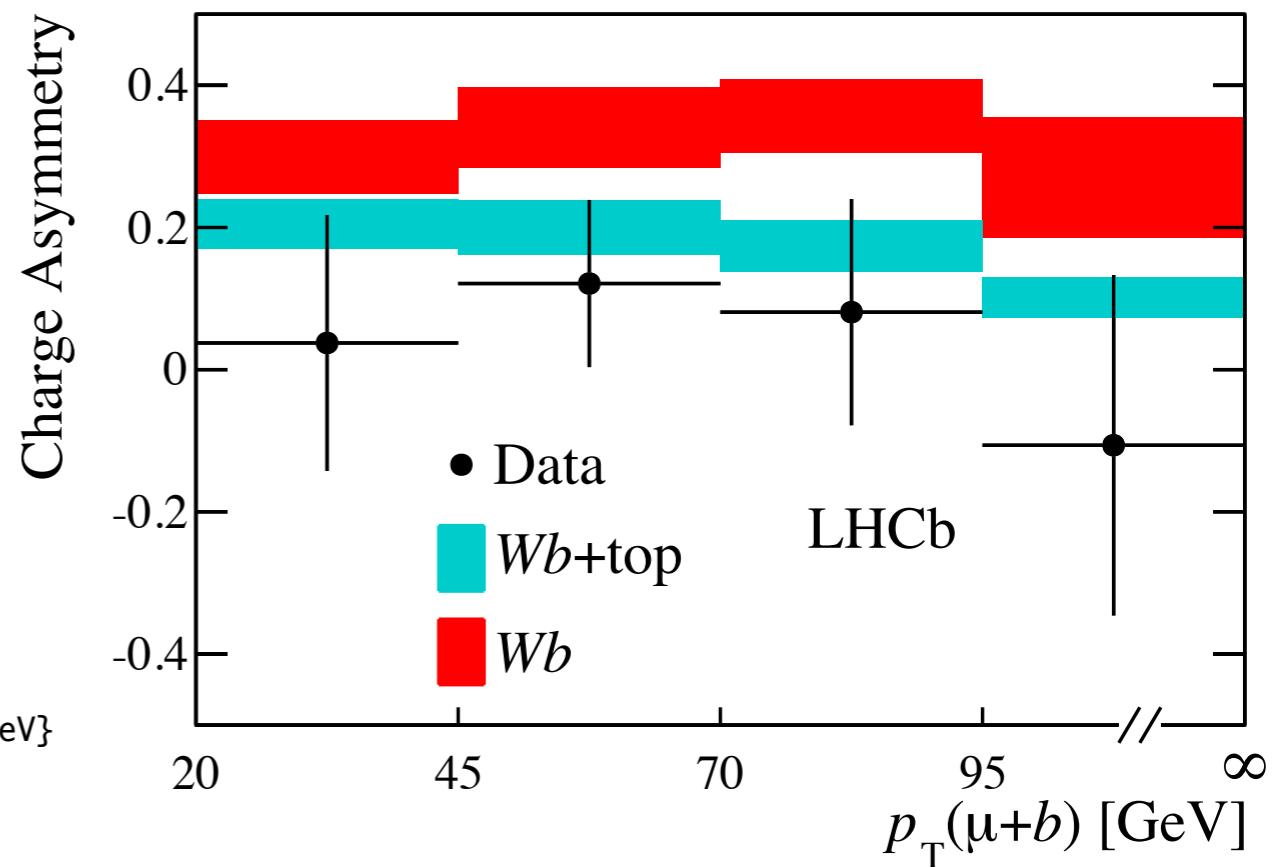
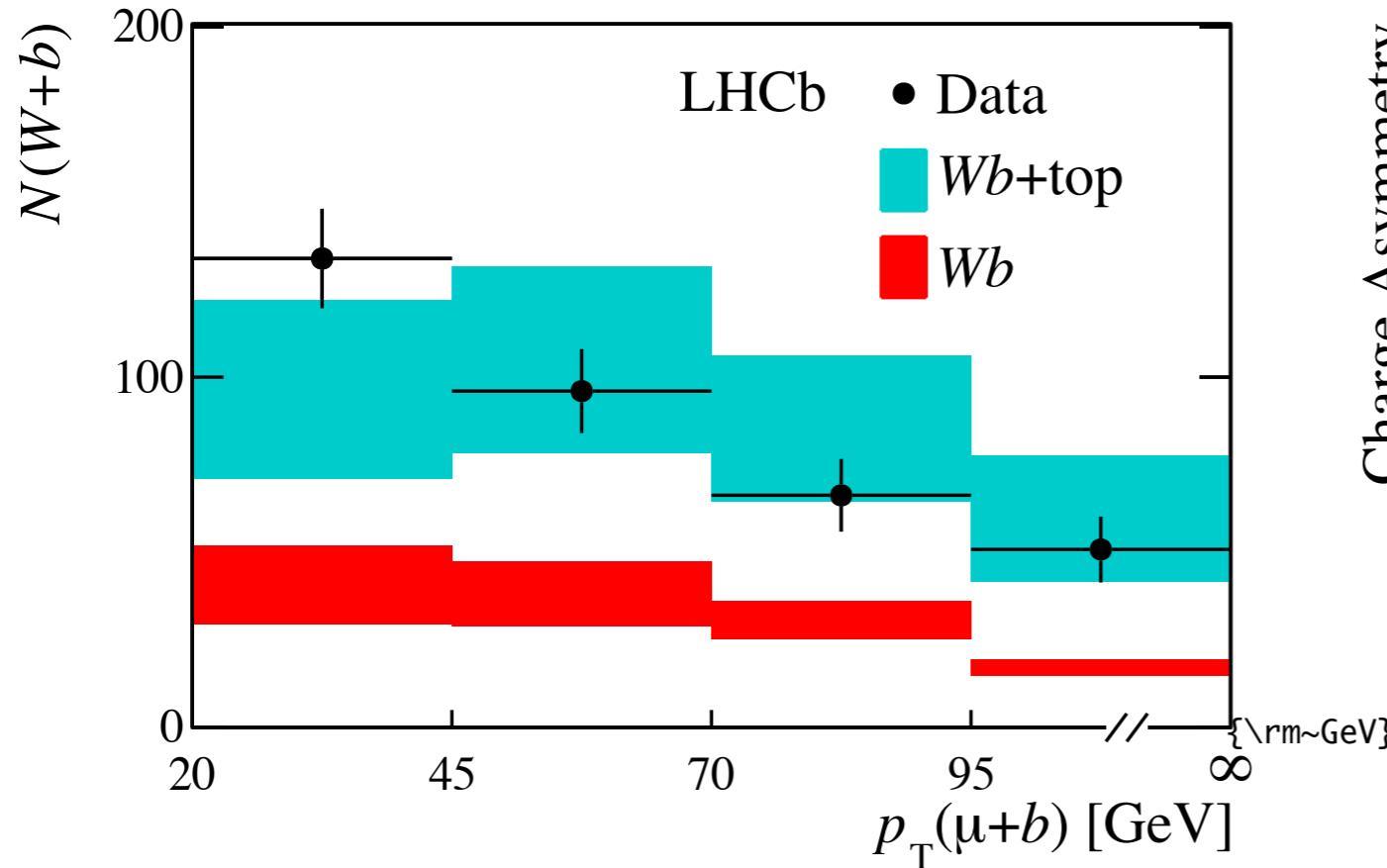


- Reconstruct all decay products: probe larger- x , smaller bkg
- Reconstruct all decay products: lower stats

Examples: $pp \rightarrow \ell b + X$, $pp \rightarrow \mu^+ e^- b + X$ (+c.c.)

Kagan, Kamenik, Perez, Stone - arXiv: 1103.3747
RG - arXiv: 1311.1810, 1409.8631

$\text{pp} \rightarrow \ell b + X$ - LHCb



$$\sigma(\text{top})[7 \text{ TeV}] = 259 \pm 53(\text{stat}) \pm 38(\text{sys}) \text{ fb}$$

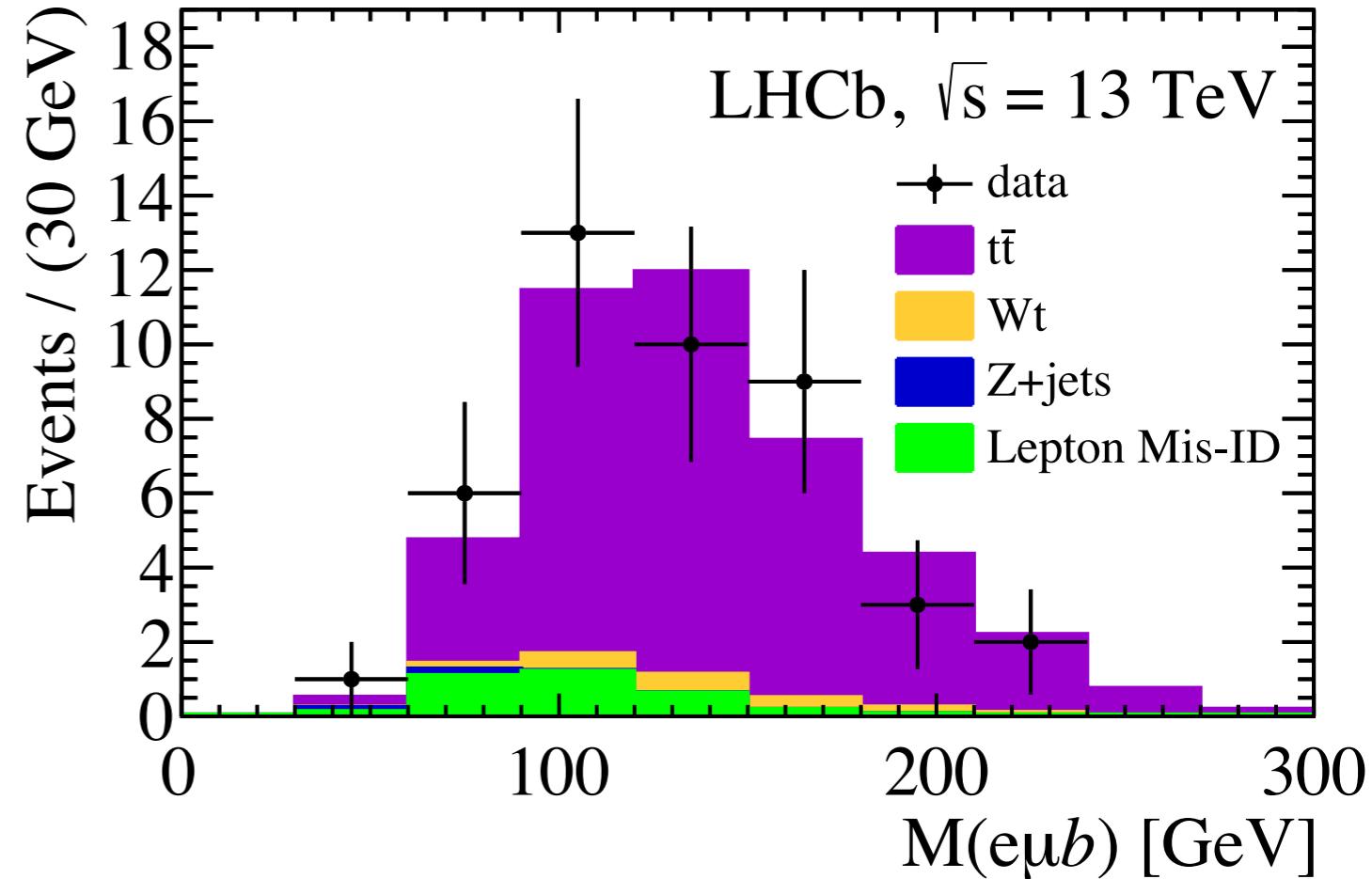
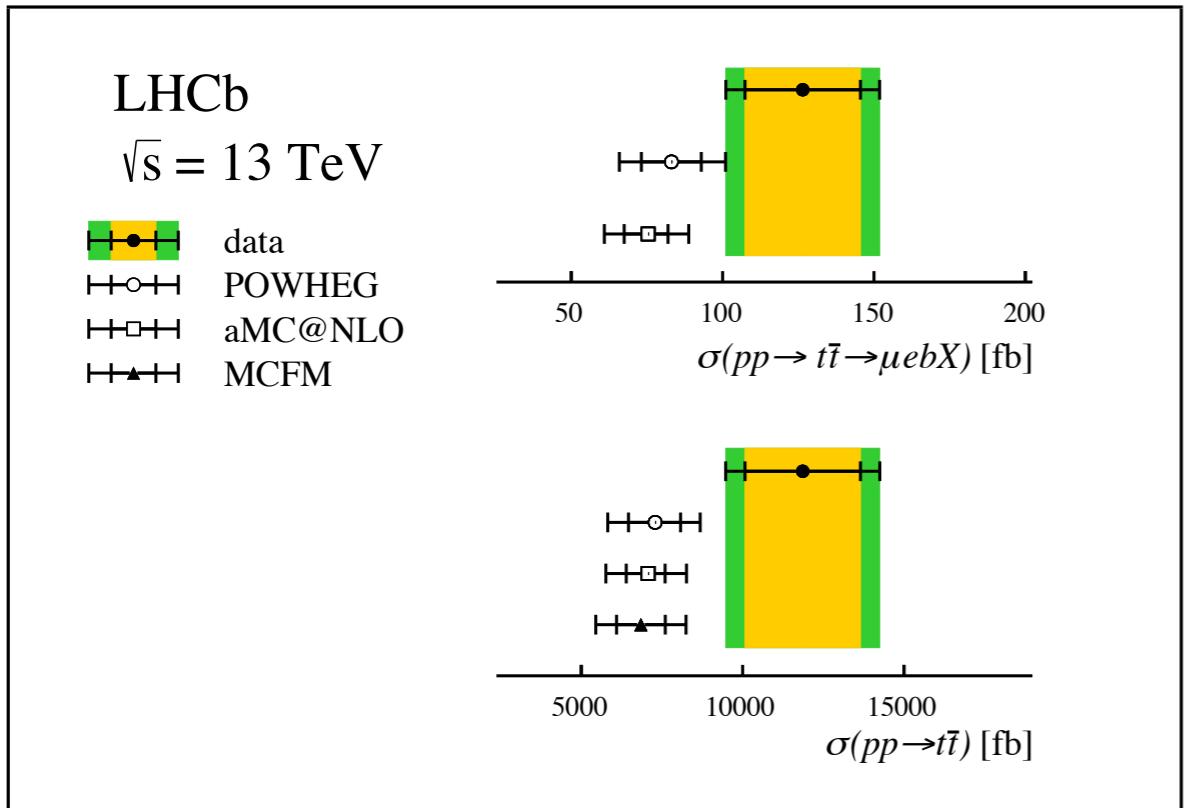
$$\sigma(\text{top})[8 \text{ TeV}] = 289 \pm 43(\text{stat}) \pm 46(\text{sys}) \text{ fb}$$

LHCb collaboration - arXiv: 1506.00903

Observation of forward top quark (ttbar and single-top) production

$$p_T^\mu > 25 \text{ GeV}, \quad 2.0(2.2) < \eta^{\mu(b)} < 4.5(4.2), \quad 50 < p_T^b < 100 \text{ GeV} \dots$$

$\text{pp} \rightarrow \mu^+ e^- b + X \text{ (+c.c.) - LHCb}$



$$\sigma(\mu eb)[13 \text{ TeV}] = 126 \pm 19(\text{stat}) \pm 16(\text{sys}) \pm 5(\text{lumi}) \text{ fb}$$

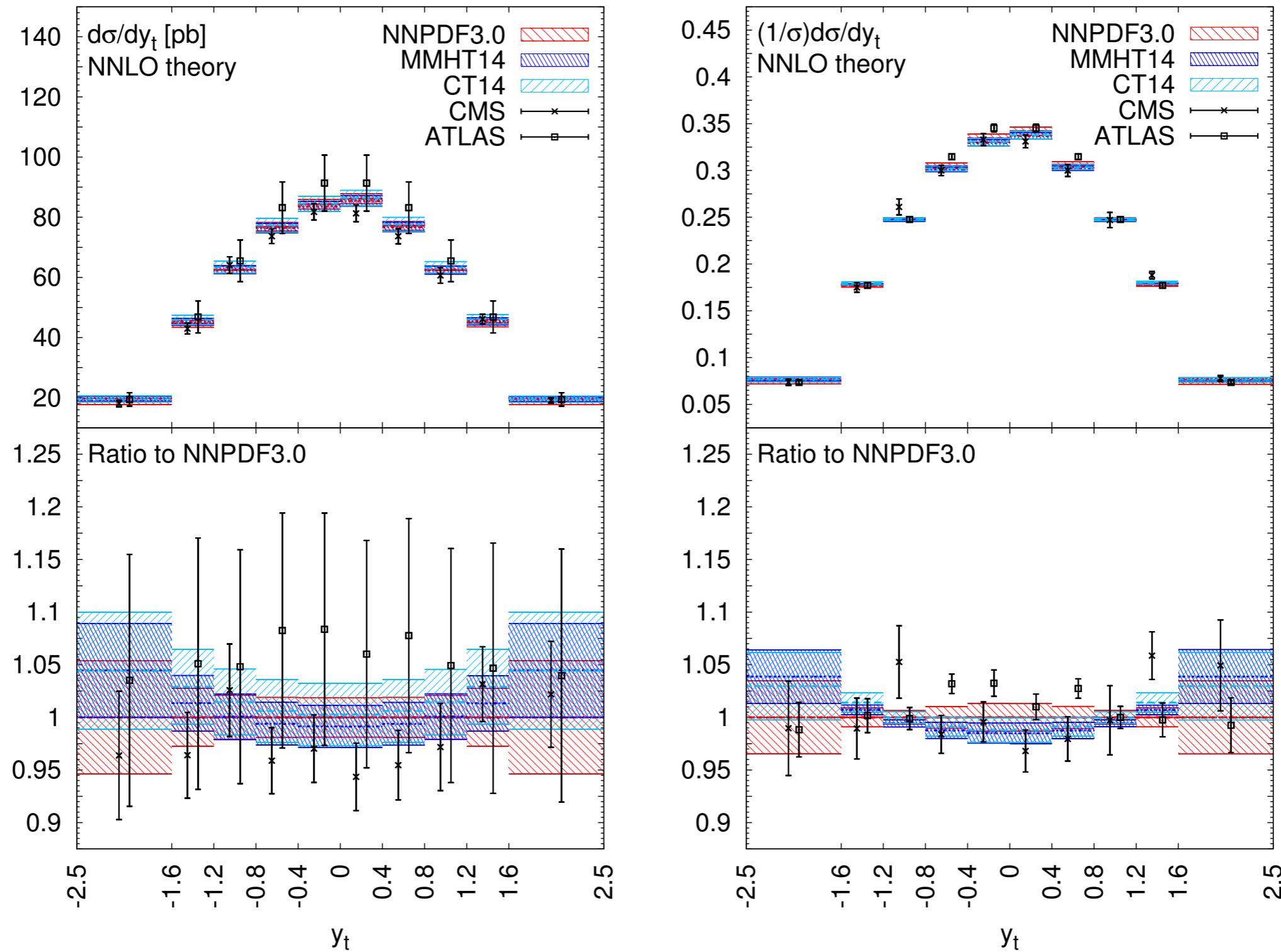
LHCb collaboration - arXiv: 1803.05188

$$p_T^\ell > 20 \text{ GeV}, \quad 2.0 < \eta^\ell < 4.5$$

$$p_T^b > 20 \text{ GeV}, \quad 2.2 < \eta^b < 4.2$$

Expect at least 20 times more data... work on systematics ($< 10\%$)

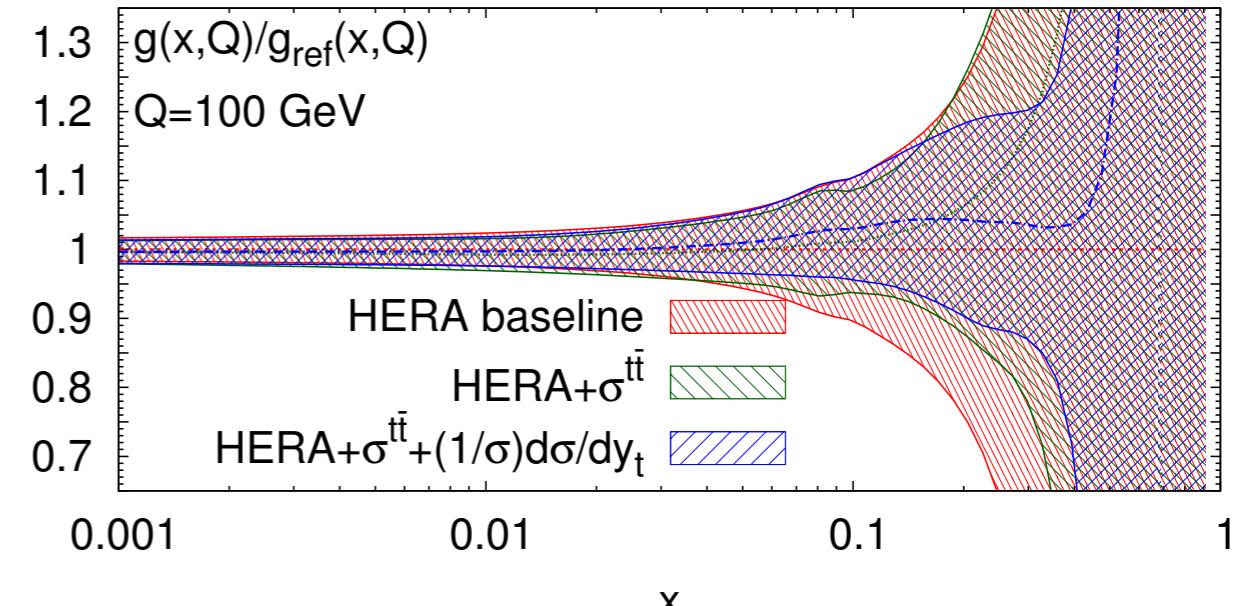
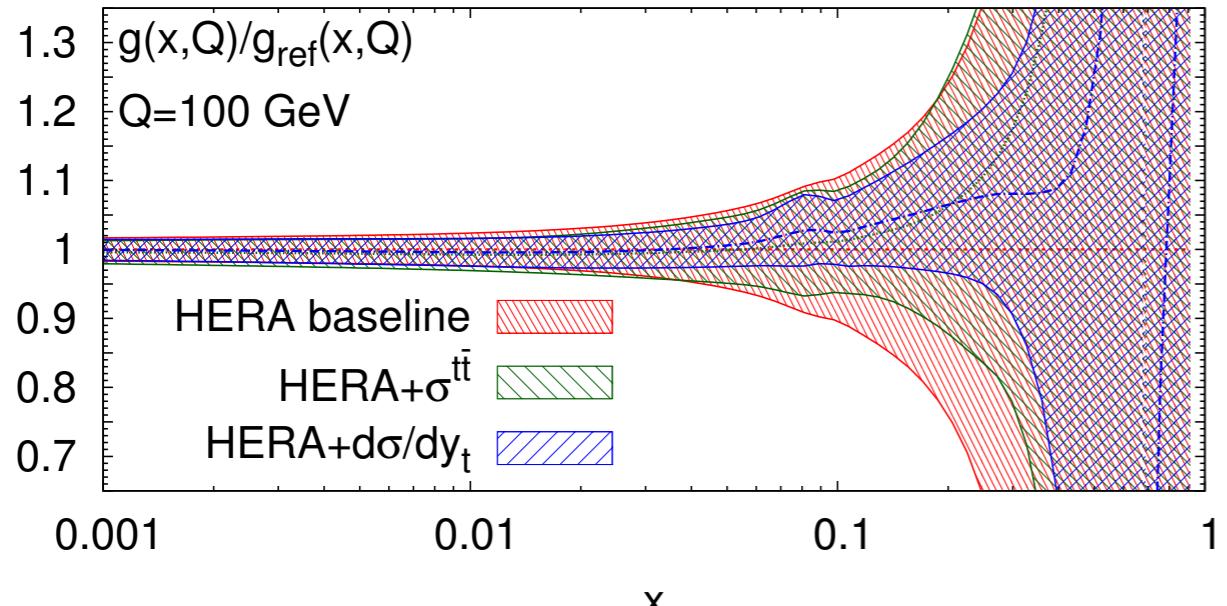
top-quark pair production - central



Comparison between NNLO and ATLAS/CMS 8 TeV data

Czakon et al - arXiv: 1611.08609

top-quark pair production - central



PDF fit - HERA + top quark rapidity distributions

Czakon et al - arXiv: 1611.08609

(In)consistency of ATLAS and CMS rapidity distributions:

ATLAS $d\sigma/dy_t$

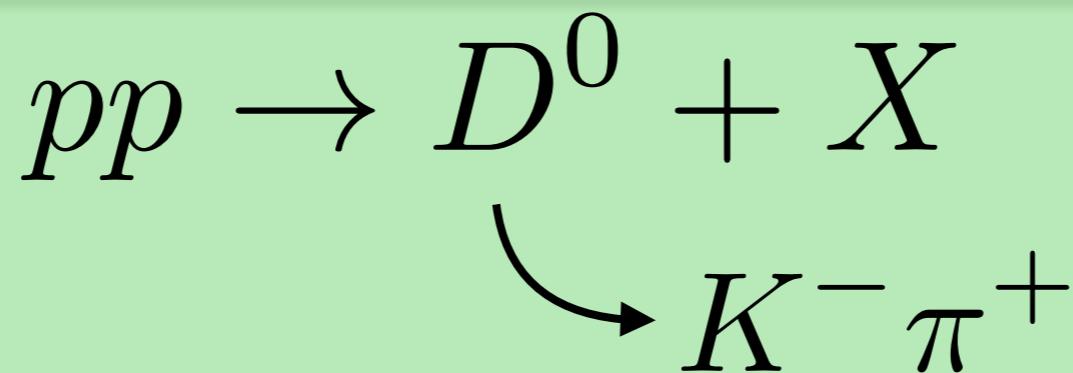
NNPDF3.0	0.73	(0.28)
CT14	1.28	(0.20)
MMHT14	1.36	(0.29)
HERA2.0	0.72	(0.99)
ABM12	5.32	(1.45)

CMS $d\sigma/dy_t$

NNPDF3.0	3.04	(1.05)
CT14	2.23	(1.47)
MMHT14	2.12	(0.98)
HERA2.0	3.65	(1.49)
ABM12	22.1	(9.78)

LHCb can provide forward data for $\ell b(\approx y_t)$ as well as $e\mu b(\approx y_{t\bar{t}})$

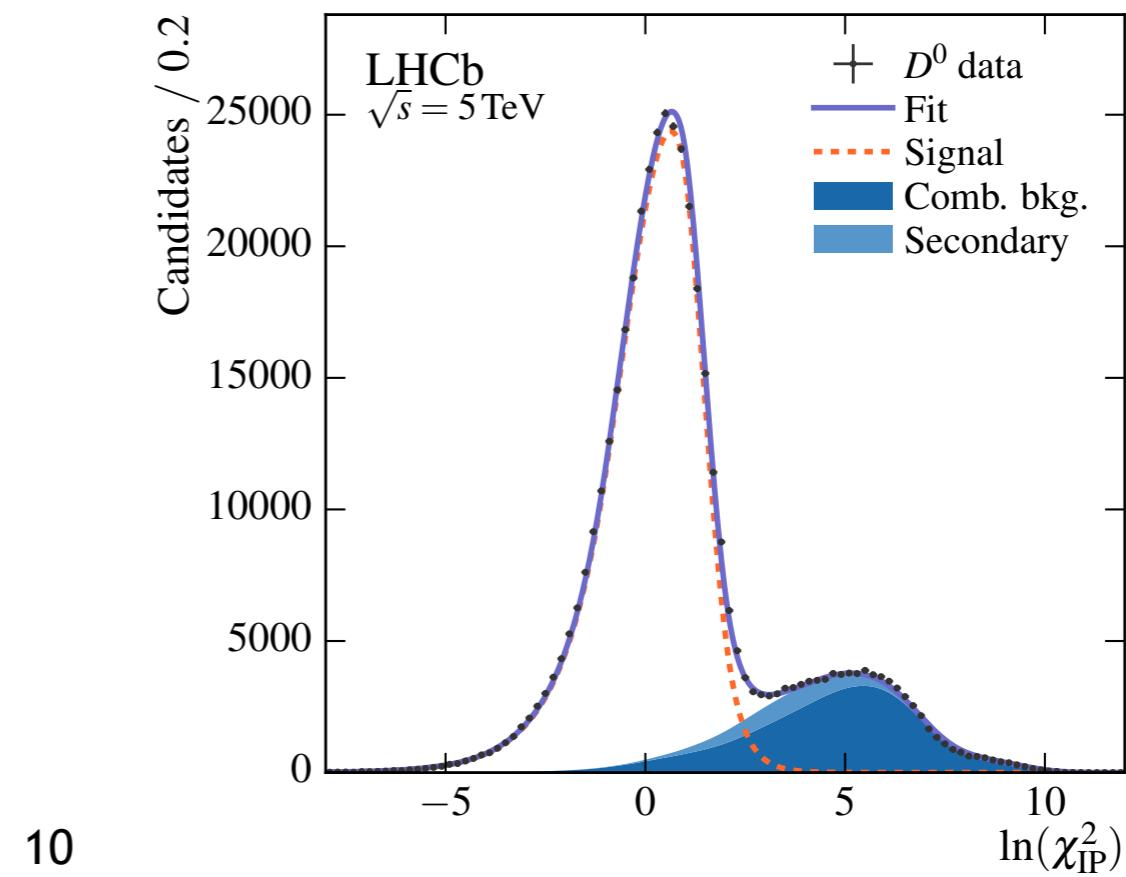
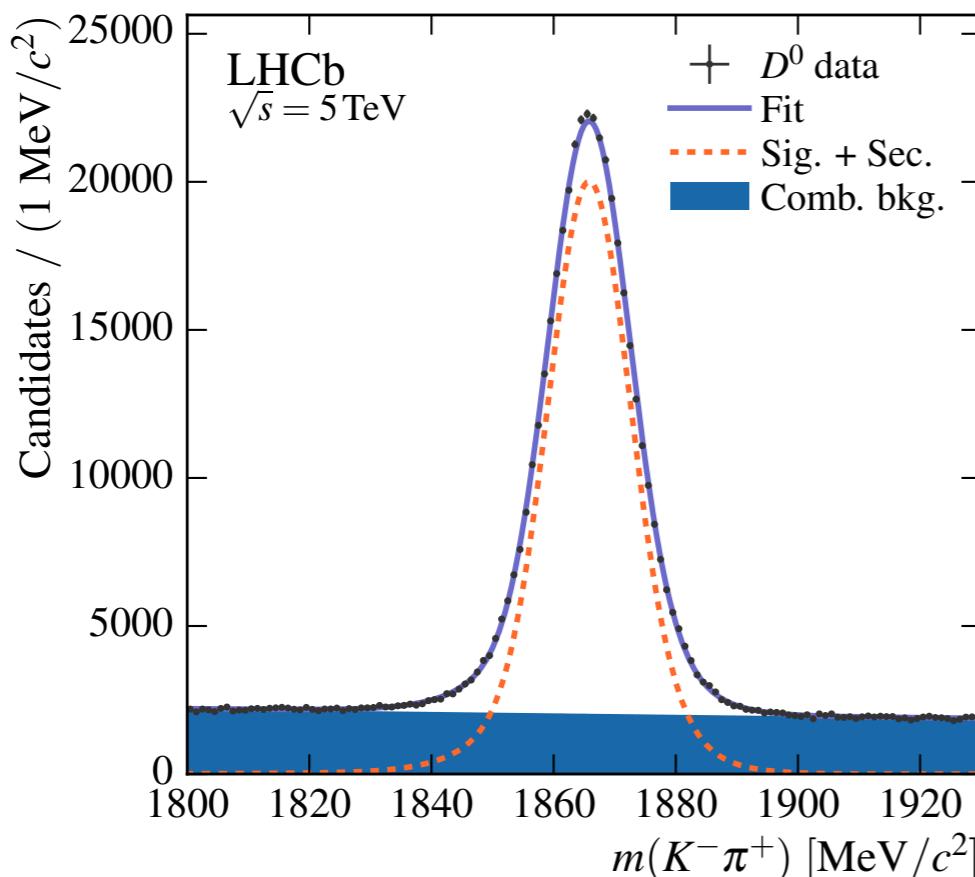
charm-quark (pair) production - LHCb



Exclusively reconstruct D-hadrons within experimental acceptance

For example, LHCb fiducial region:

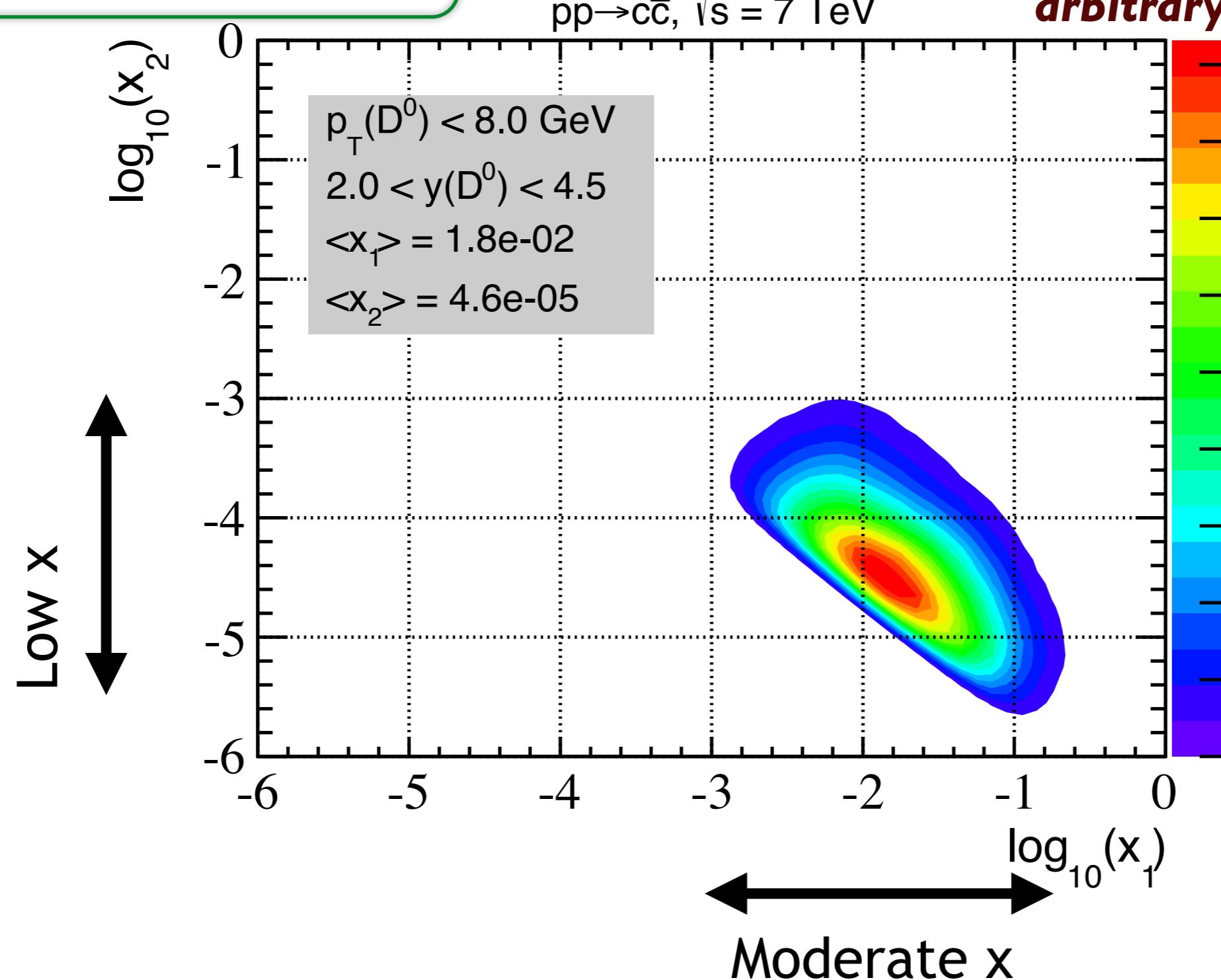
$$p_T^D < 8 \text{ GeV}$$
$$2.0 < y^D < 4.5$$



$$x_{1,(2)} = \frac{m_T}{\sqrt{S}} \left(e^{(-)y_3} + e^{(-)y_4} \right)$$

$$\sqrt{\hat{s}} = \sqrt{x_1 x_2 S} \geq 2m_c$$

arbitrary units

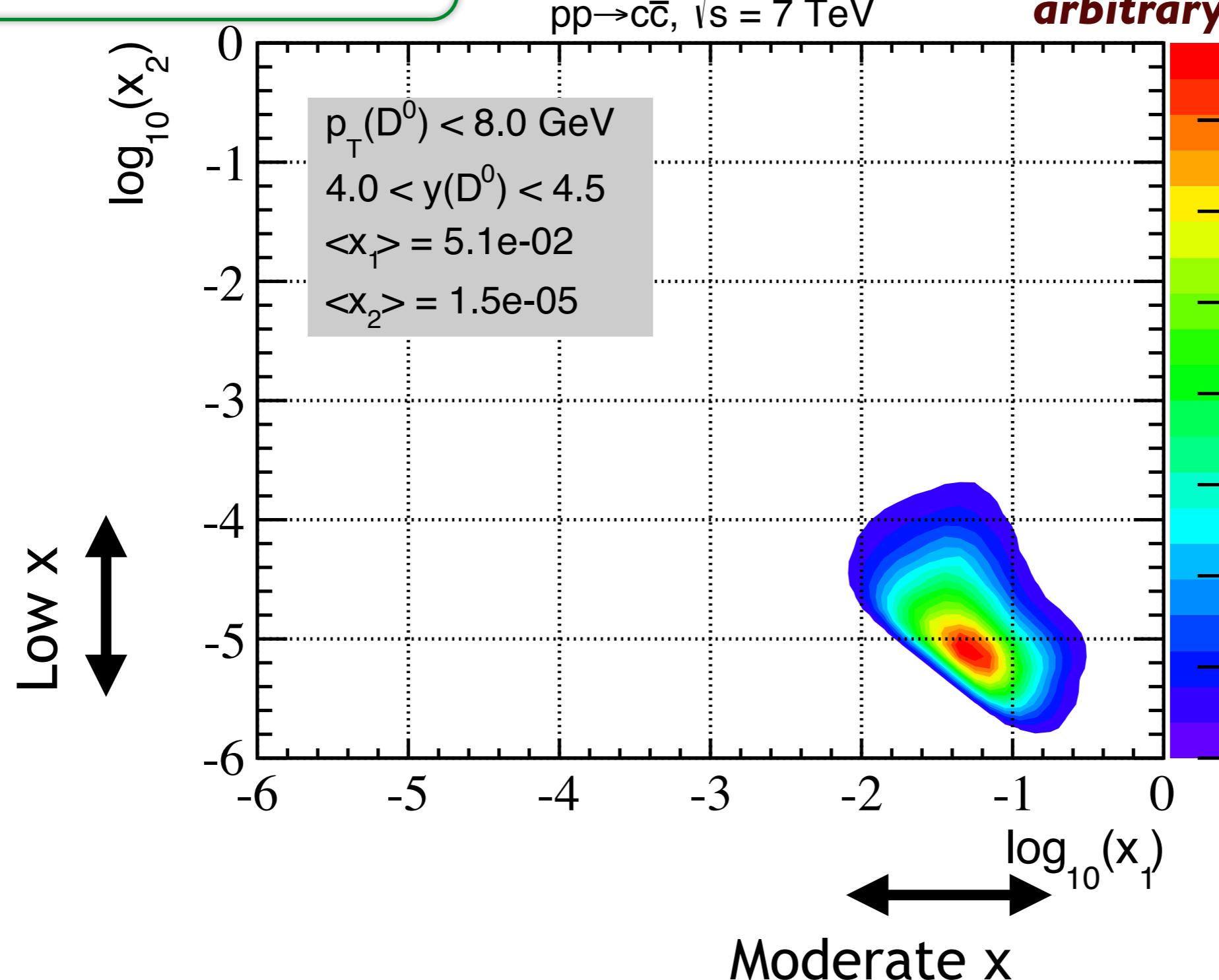


Require a D hadron within LHCb acceptance at 7 TeV

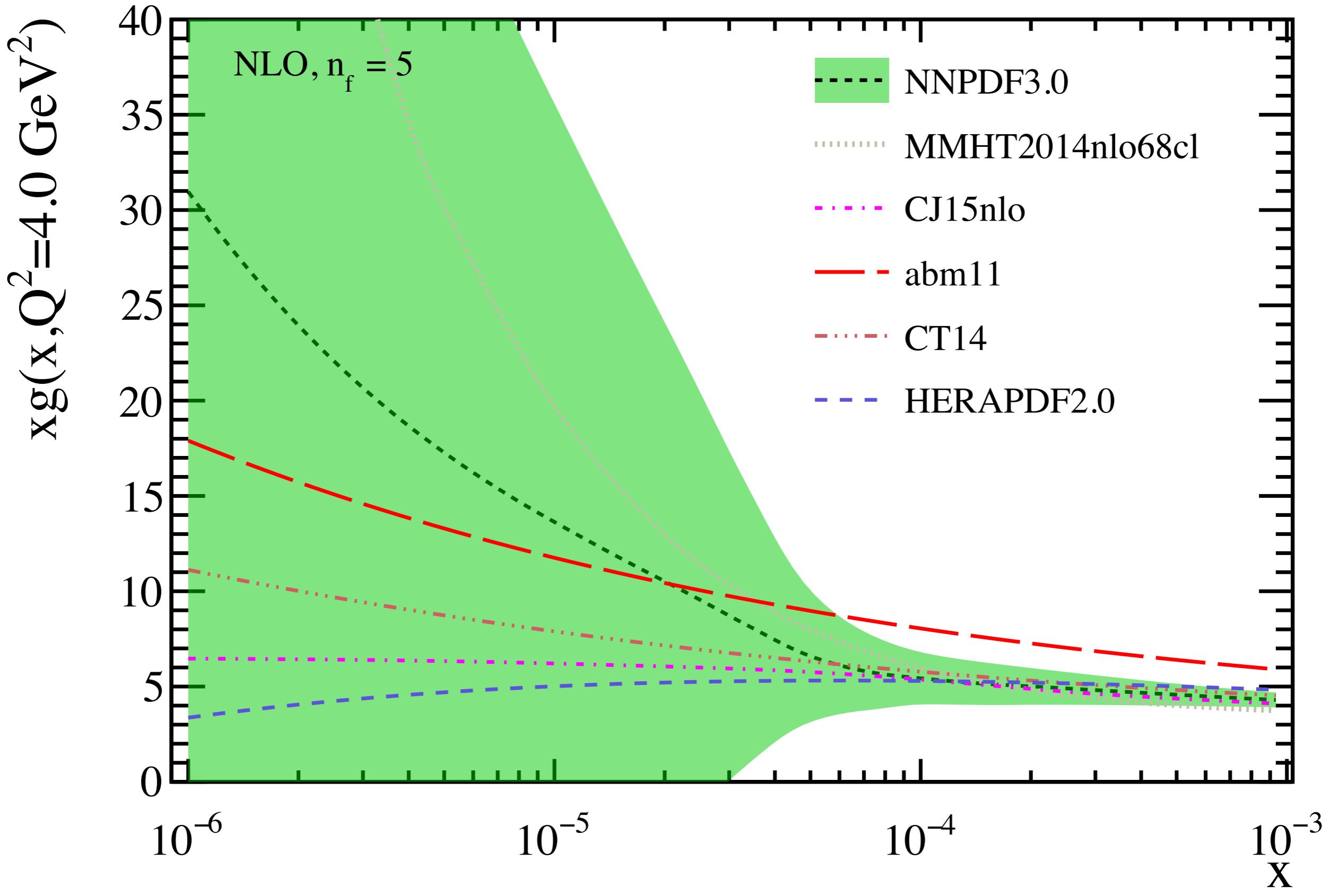
$$x_{1,(2)} = \frac{m_T}{\sqrt{S}} \left(e^{(-)y_3} + e^{(-)y_4} \right)$$

$$\sqrt{\hat{s}} = \sqrt{x_1 x_2 S} \geq 2m_c$$

arbitrary units



Require a D hadron within LHCb acceptance at 7 TeV



What exactly is measured?

$$pp \rightarrow D + X$$

$\curvearrowright D^0, D^+, D_s, D^{*+} (+c.c.)$

$$\frac{d^2\sigma}{dp_T^D dy^D} = \frac{1}{\Delta p_T^D \Delta y^D} \cdot \frac{N_i(D \rightarrow f + c.c.)}{\epsilon_i(D \rightarrow f) \mathcal{B}(D \rightarrow f) \kappa \mathcal{L}_{\text{int}}} \longrightarrow \text{lumi}$$

Number of events

bins

efficiency to measure f

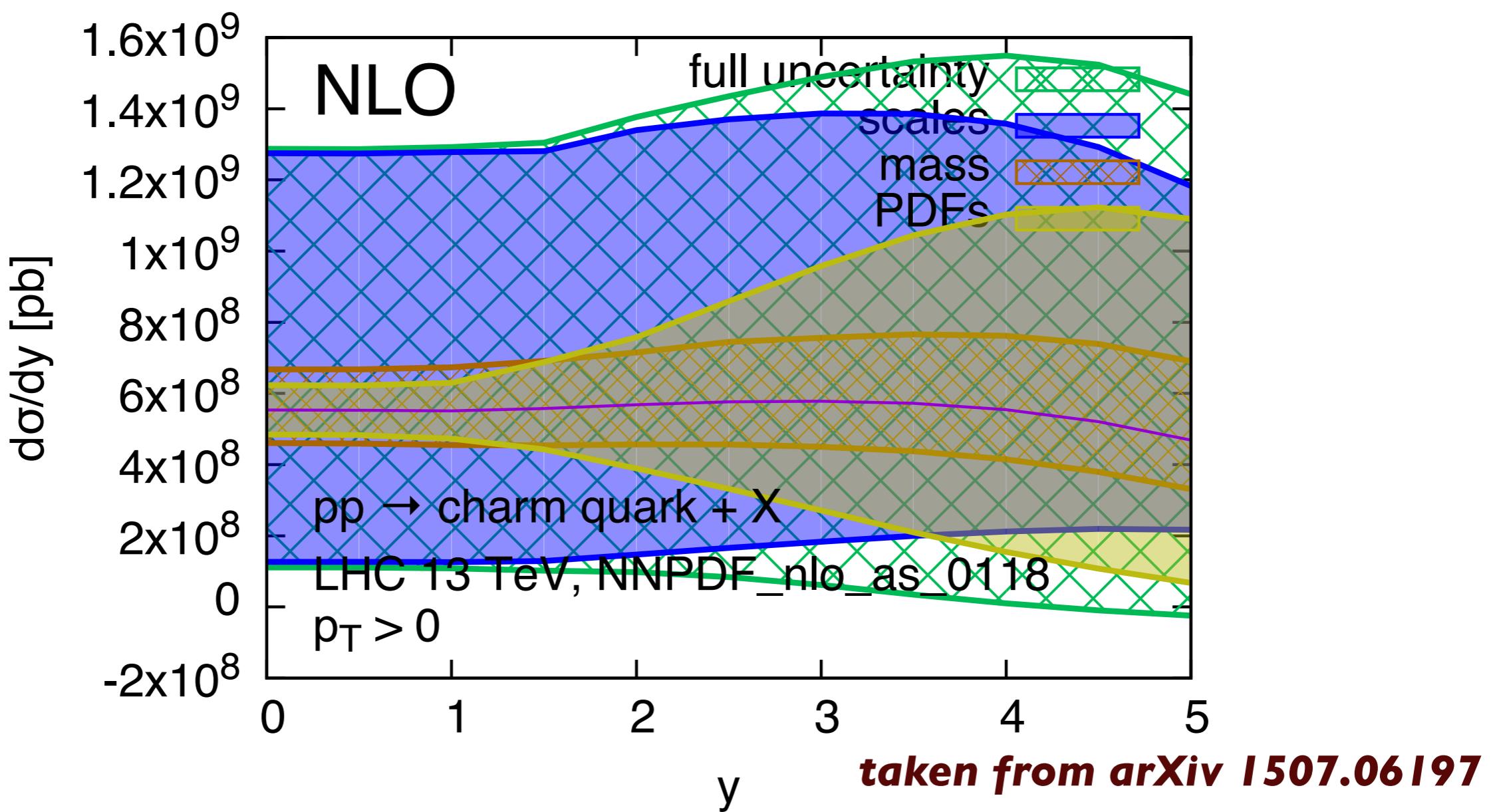
branching fraction to f

hardware efficiency

```
graph TD; NE[Number of events] --> Nid[D → f + c.c.]; L[lumi] --> Denom["epsilon_i(D → f)B(D → f)κL_int"]; subgraph BinWidths [""]; direction LR; B1[1 / ΔpT^D Δy^D] --- B2[ ]; end; subgraph Efficiency [""]; direction LR; E1[ ] --- E2[ ]; end; subgraph Branching [""]; direction LR; BF1[ ] --- BF2[ ]; end; subgraph HardwareEfficiency [""]; direction LR; HE1[ ] --- HE2[ ]; end;
```

- Measurements performed at 3 CoM Energies (5, 7, 13 TeV)
- 8 bins within $p_T^D < 8.0$ GeV, 5 bins within $2.0 < y^D < 4.5$ (40 total)

In total approximately 480 data points



$$\hat{\sigma}_{ij}(\beta, m, \mu_F) = \frac{\alpha_s^2(\mu_R)}{m_Q^2} \left(\sigma_{ij}^{(0)} + \alpha_s(\mu_R) \left[\sigma_{ij}^{(1)} + \bar{\sigma}_{ij}^{(1)}(\mu_F, \mu_R) \right] + \dots \right)$$

Scale uncertainties at low energy scales overwhelming

$$\mu \sim \sqrt{m_Q^2 + p_{T,Q}^2} \sim 2.2 \text{ GeV}$$

$$\alpha_s(2.2 \text{ GeV}) \sim 0.3$$

Measurements performed double differentially in p_T^D and y_D

$$N_X^{ij} = \frac{d^2\sigma(\text{X TeV})}{dy_i^D d(p_T^D)_j} \Bigg/ \frac{d^2\sigma(\text{X TeV})}{dy_{\text{ref}}^D d(p_T^D)_j}$$

Measurements performed at multiple hadronic CoM values

$$R_{13/X}^{ij} = \frac{d^2\sigma(13 \text{ TeV})}{dy_i^D d(p_T^D)_j} \Bigg/ \frac{d^2\sigma(\text{X TeV})}{dy_{\text{i}}^D d(p_T^D)_j}$$

$$x_{1,(2)} = \frac{m_T}{\sqrt{S}} \left(e^{(-)y_3} + e^{(-)y_4} \right)$$

Hadronic CoM Energy

Measurements performed double differentially in p_T^D and y_D

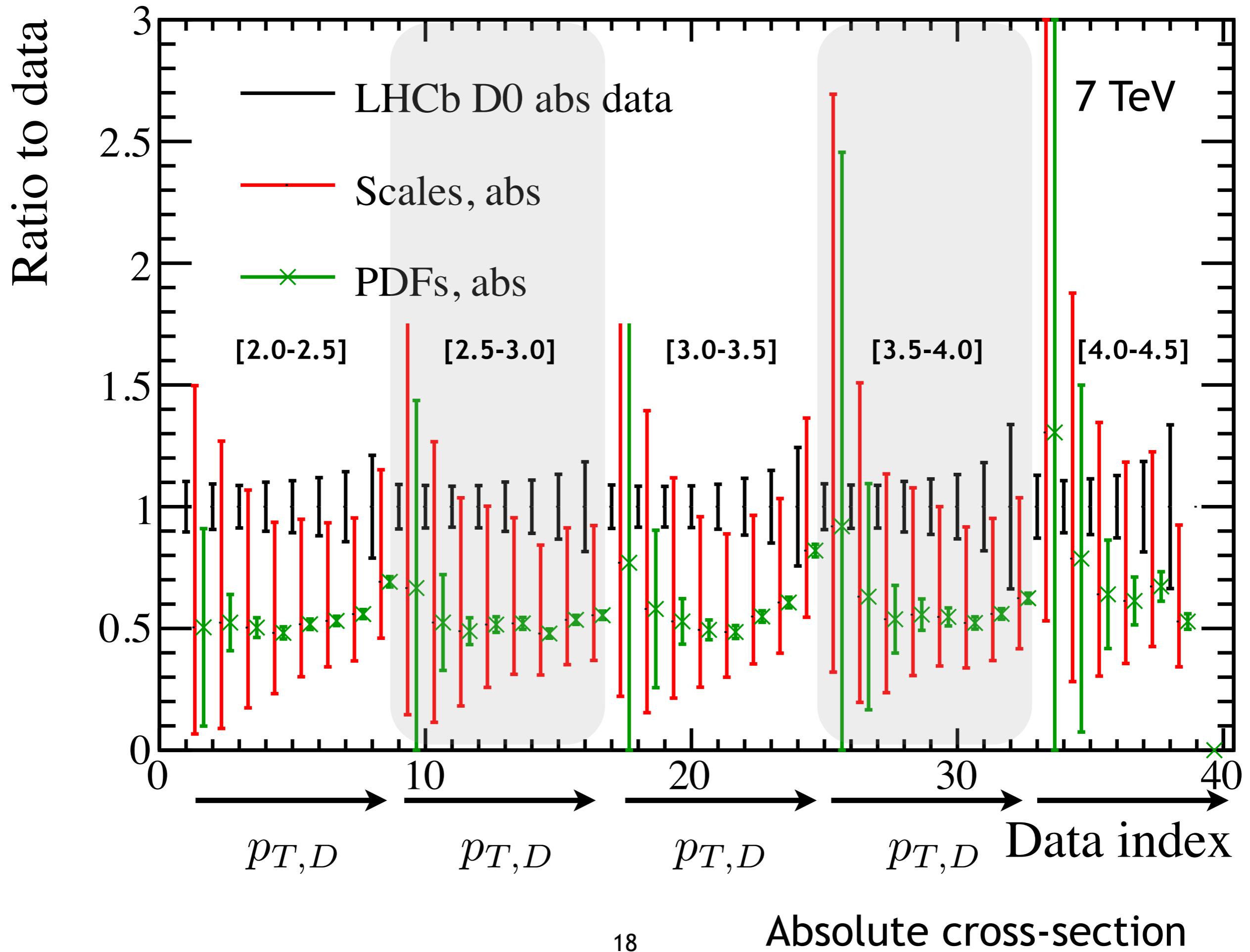
$$N_X^{ij} = \frac{d^2\sigma(\text{X TeV})}{dy_i^D d(p_T^D)_j} \Bigg/ \frac{d^2\sigma(\text{X TeV})}{dy_{\text{ref}}^D d(p_T^D)_j}$$

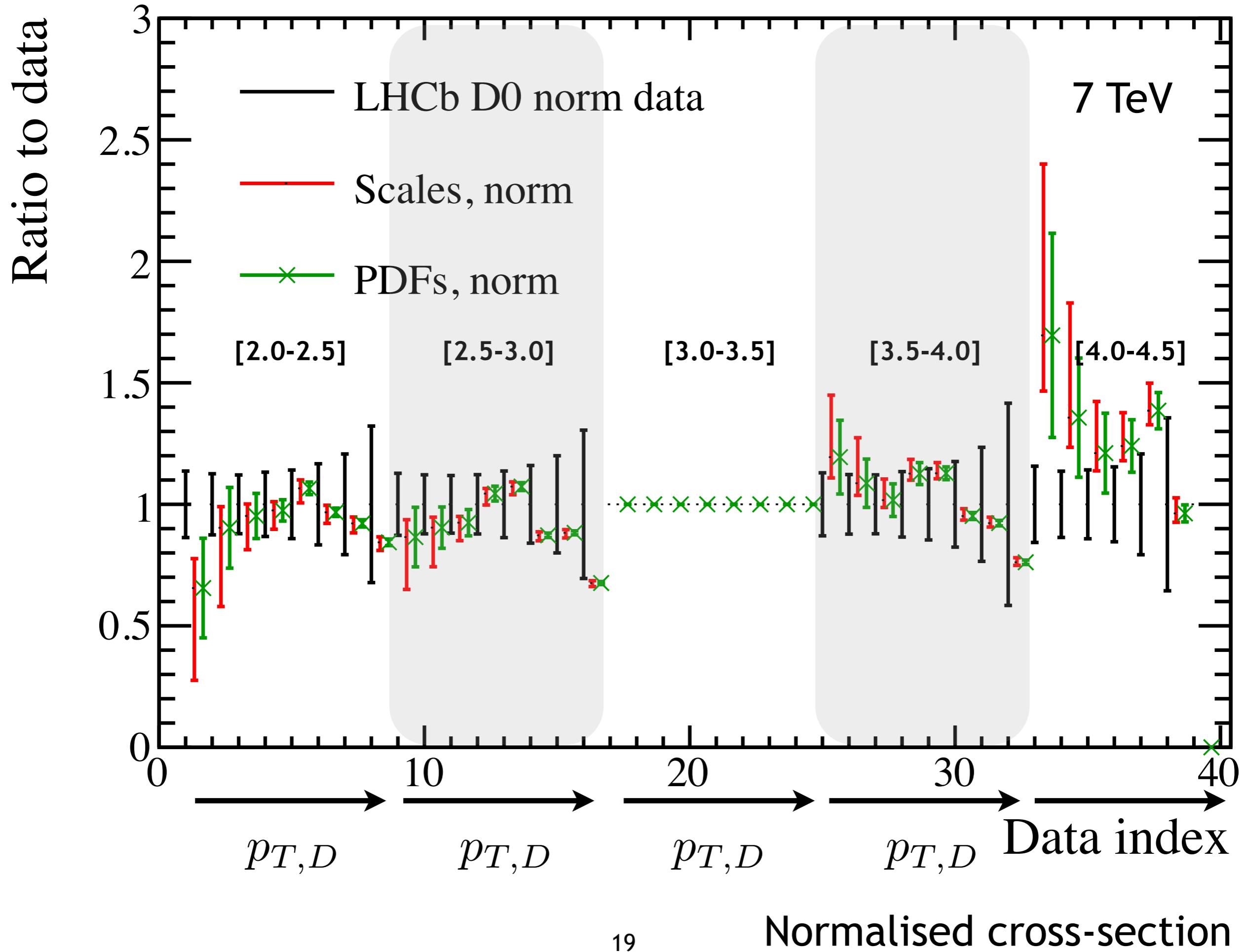
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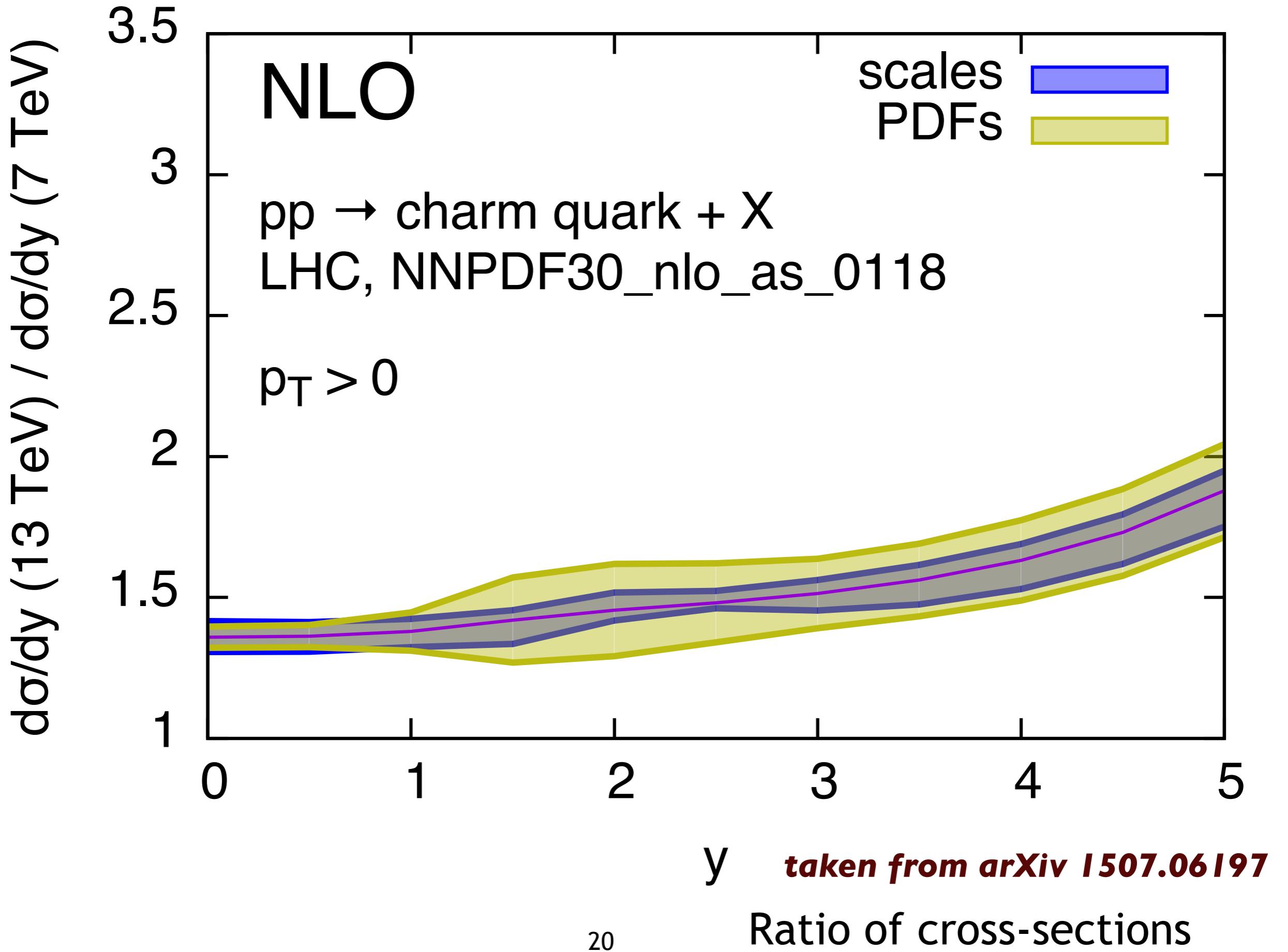
$$R_{13/X}^{ij} = \frac{d^2\sigma(13 \text{ TeV})}{dy_i^D d(p_T^D)_j} \Bigg/ \frac{d^2\sigma(\text{X TeV})}{dy_{\text{i}}^D d(p_T^D)_j}$$

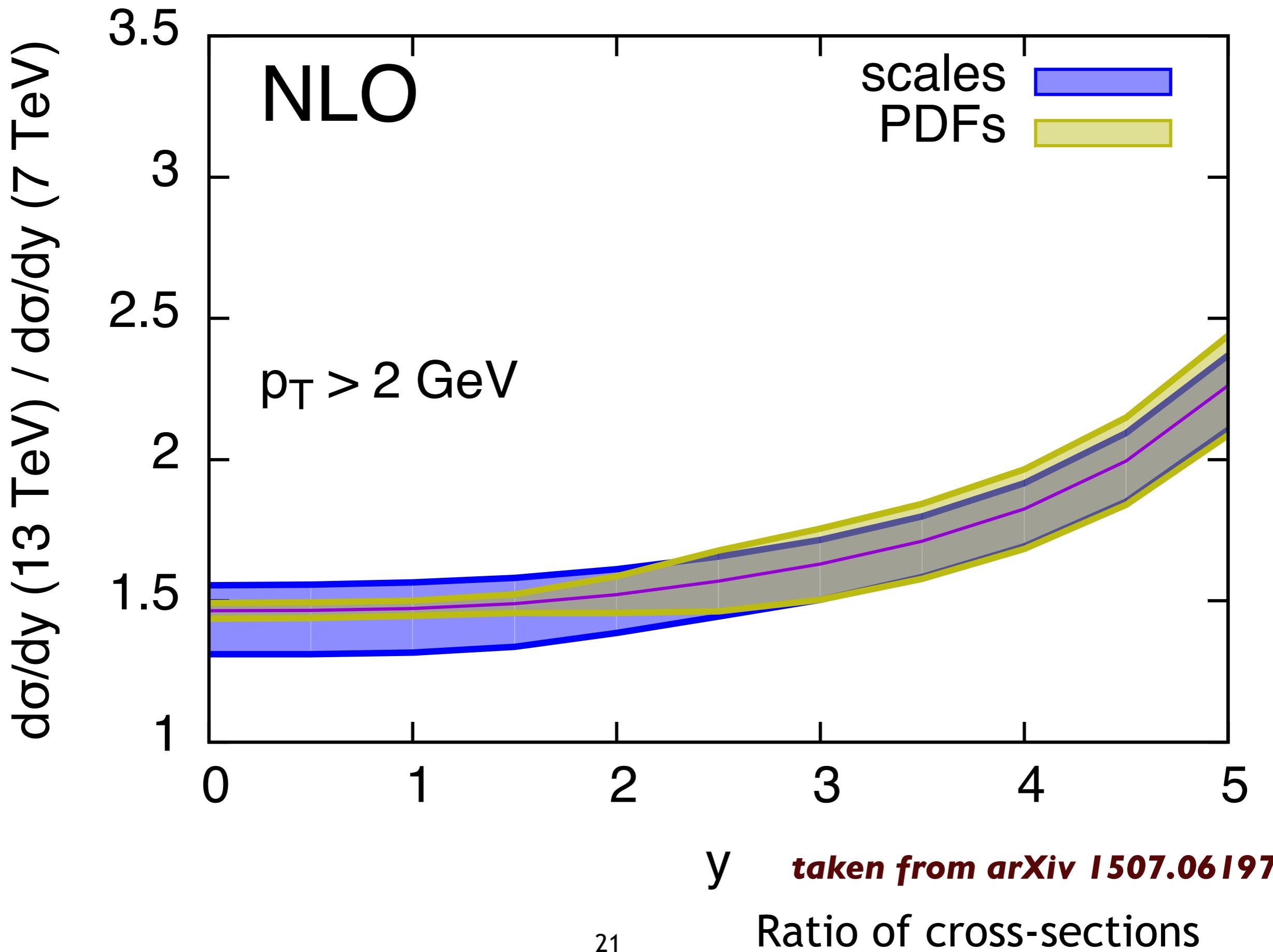
pros: theoretical (and experimental) uncertainties highly correlated

cons: PDF uncertainties also correlated (lose sensitivity to PDFs)









Summary of LHCb data

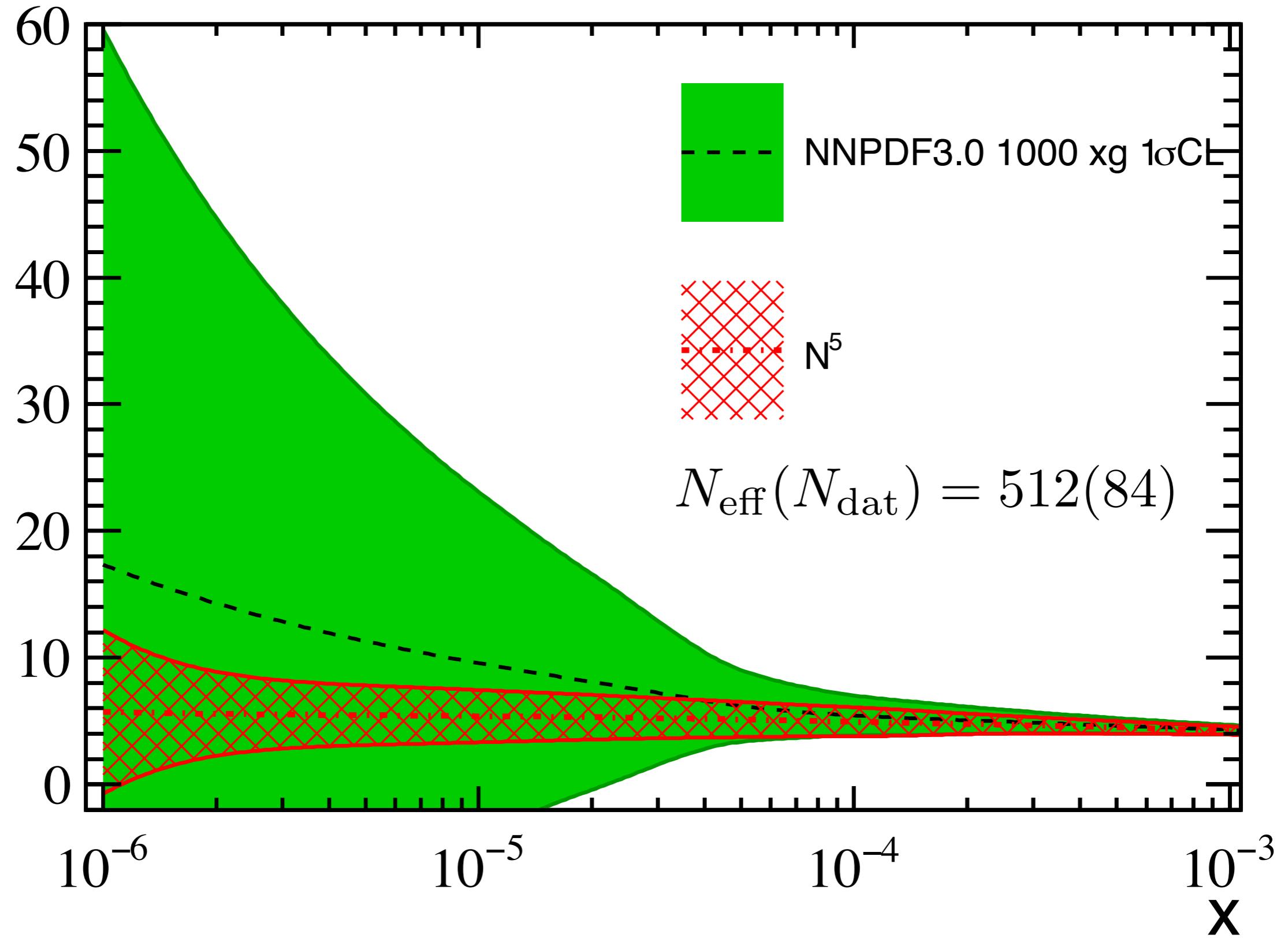
- Prompt charm production at 13 TeV (and 13/7 ratio), [arXiv:1510.01707](#)
Erratum: September 2016
Erratum: May 2017
- Prompt charm production at 5 TeV (and 13/5 ratio), [arXiv:1610.02230](#)
Erratum: May 2017
- Prompt charm production at 7 TeV, [arXiv:1302.2864](#)
- Prompt B production at 13 TeV (and 13/7 ratio), [arXiv:1612.05150](#)
Erratum: September 2017
- Prompt B production at 7 TeV, [arXiv:1306.3663](#)

Summary of PDF analyses (reweighting or fits)

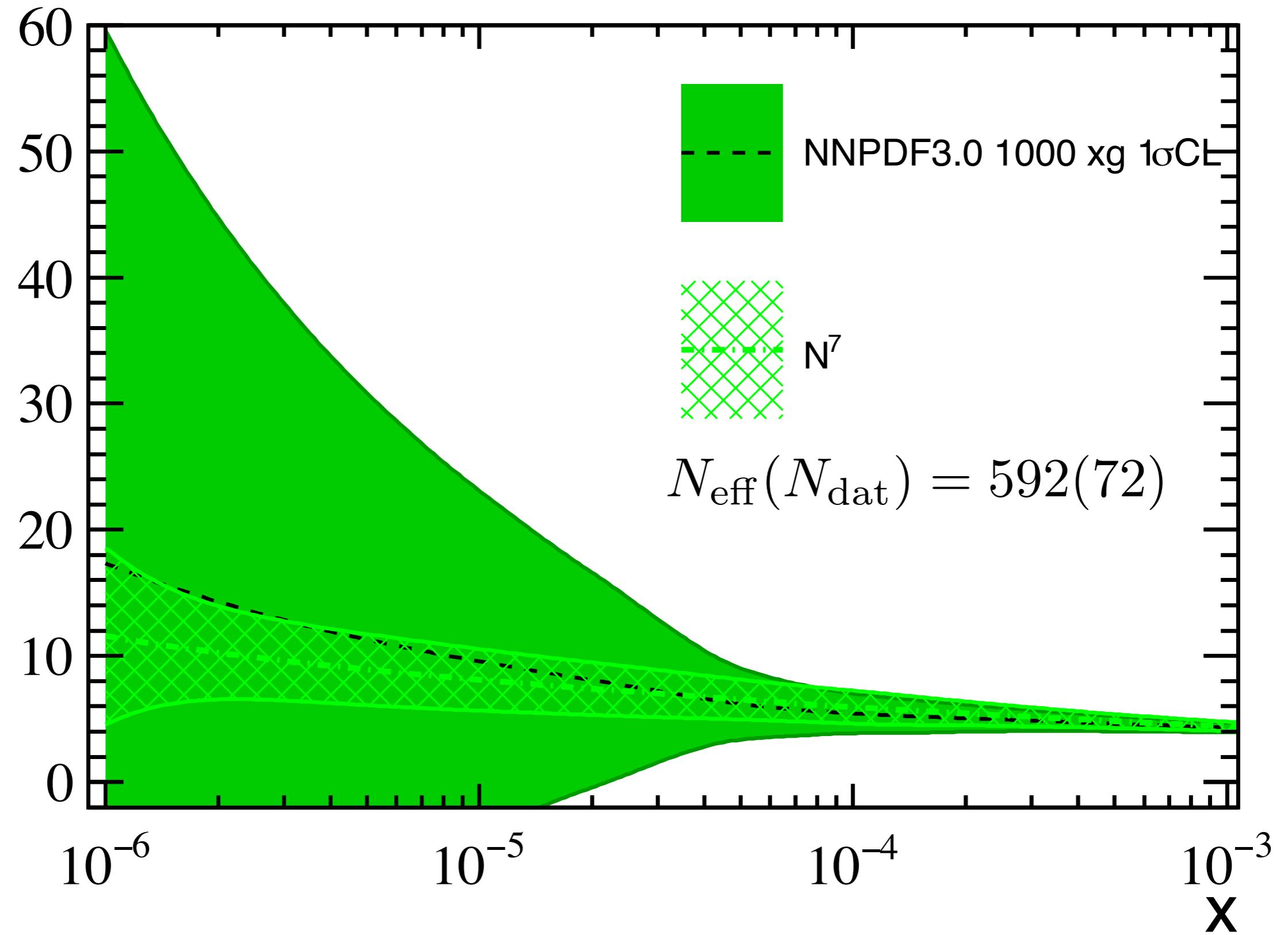
- NLO analysis, HERA + LHCb B/D 7 TeV data, [arXiv:1503.04581](#)
Prosa Collaboration
- NNPDF3.0 NLO Global fit + LHCb D 7 TeV data, [arXiv:1506.08025](#)
RG, Rojo, Rottoli, Talbert
- NNPDF3.0 NLO Global fit + LHCb D 13, 7, 5 TeV data, [arXiv:1610.09373](#)
RG, Rojo (updated May 2017)
- The LHCb B and D hadron data is wrong paper, [arXiv:1703.03636](#)
RG

- Analyses of absolute D cross section data, [arXiv:1705.08845](#)

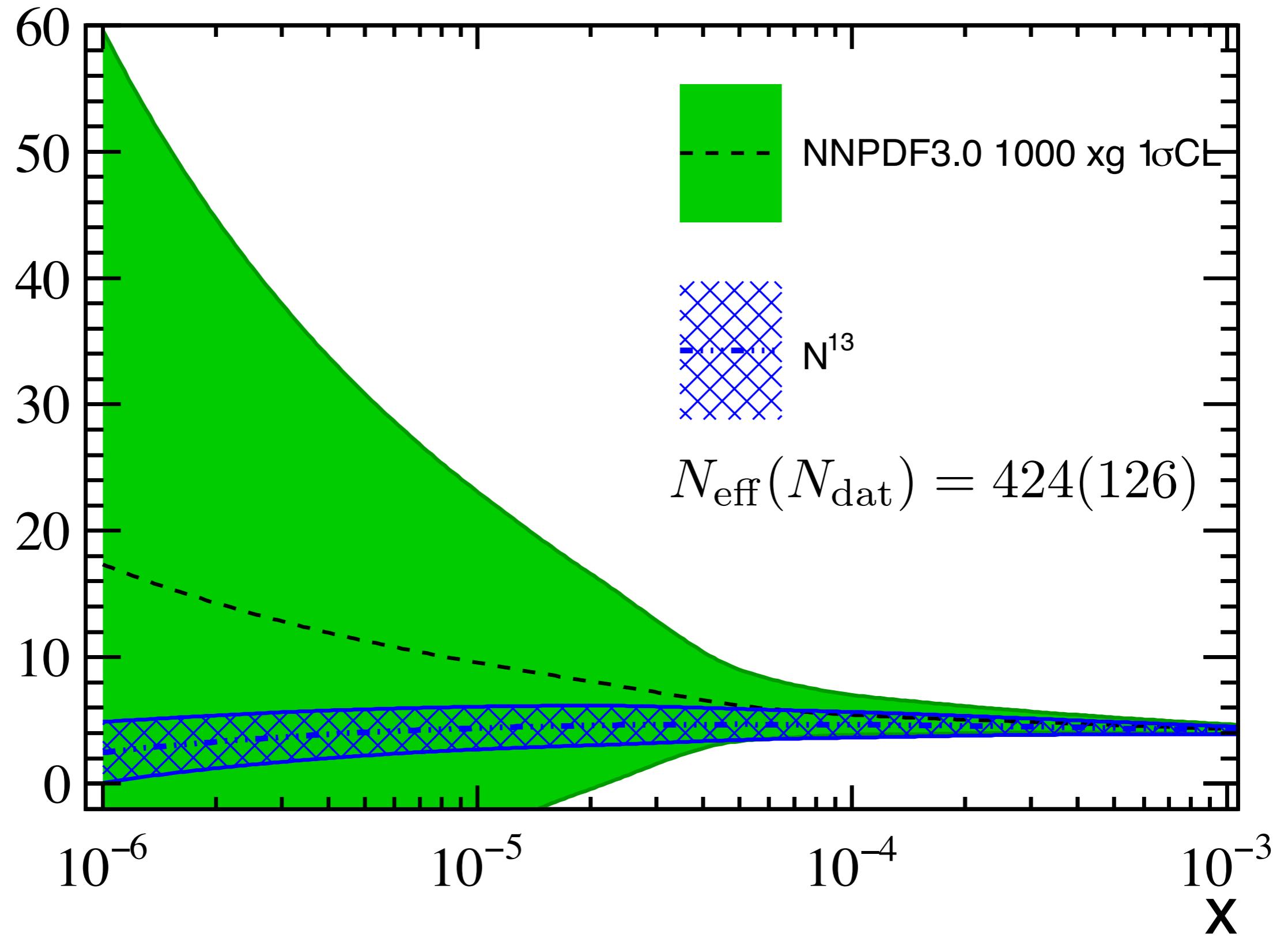
$xg(x, Q^2 = 4 \text{ GeV}^2)$



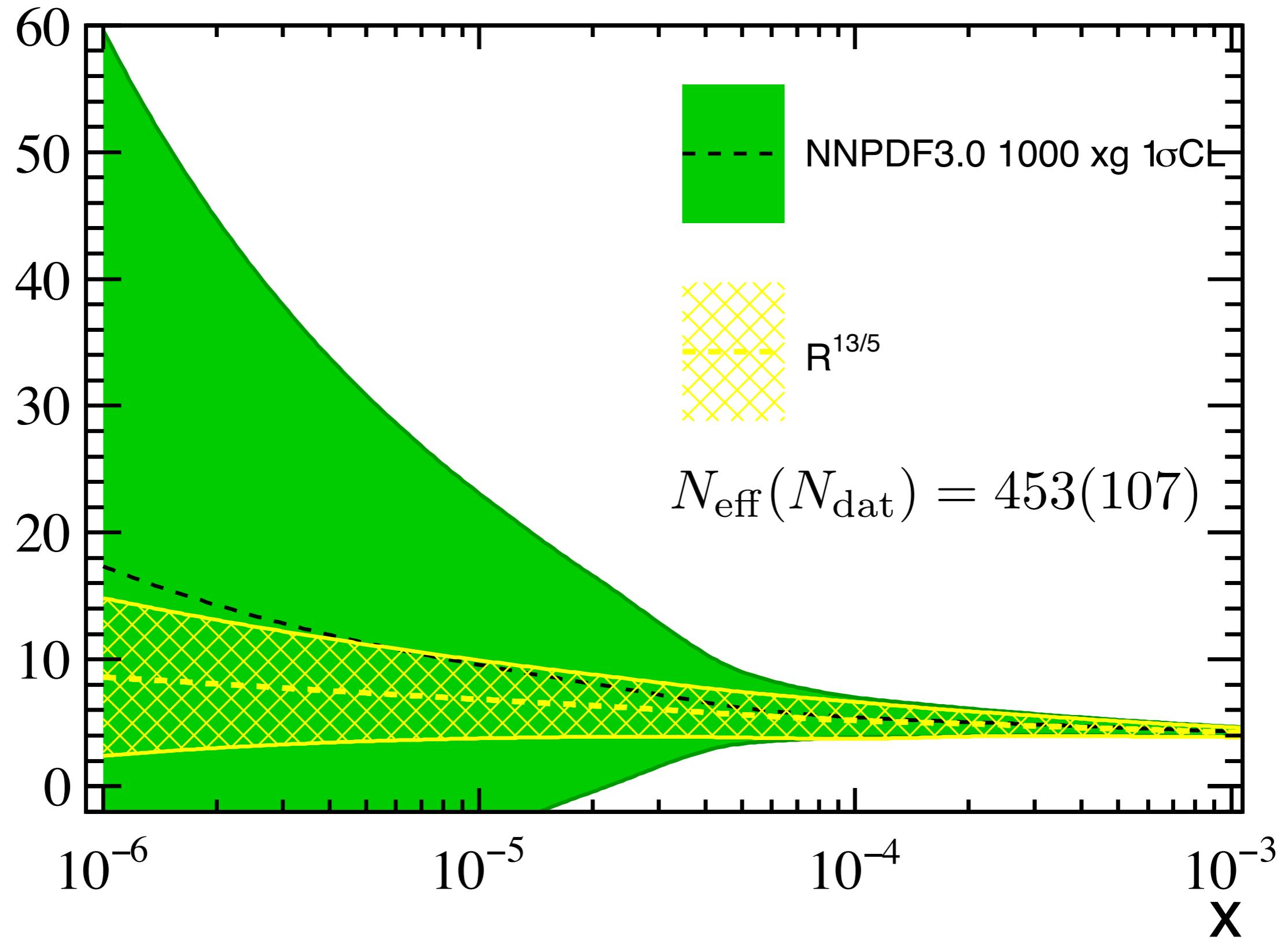
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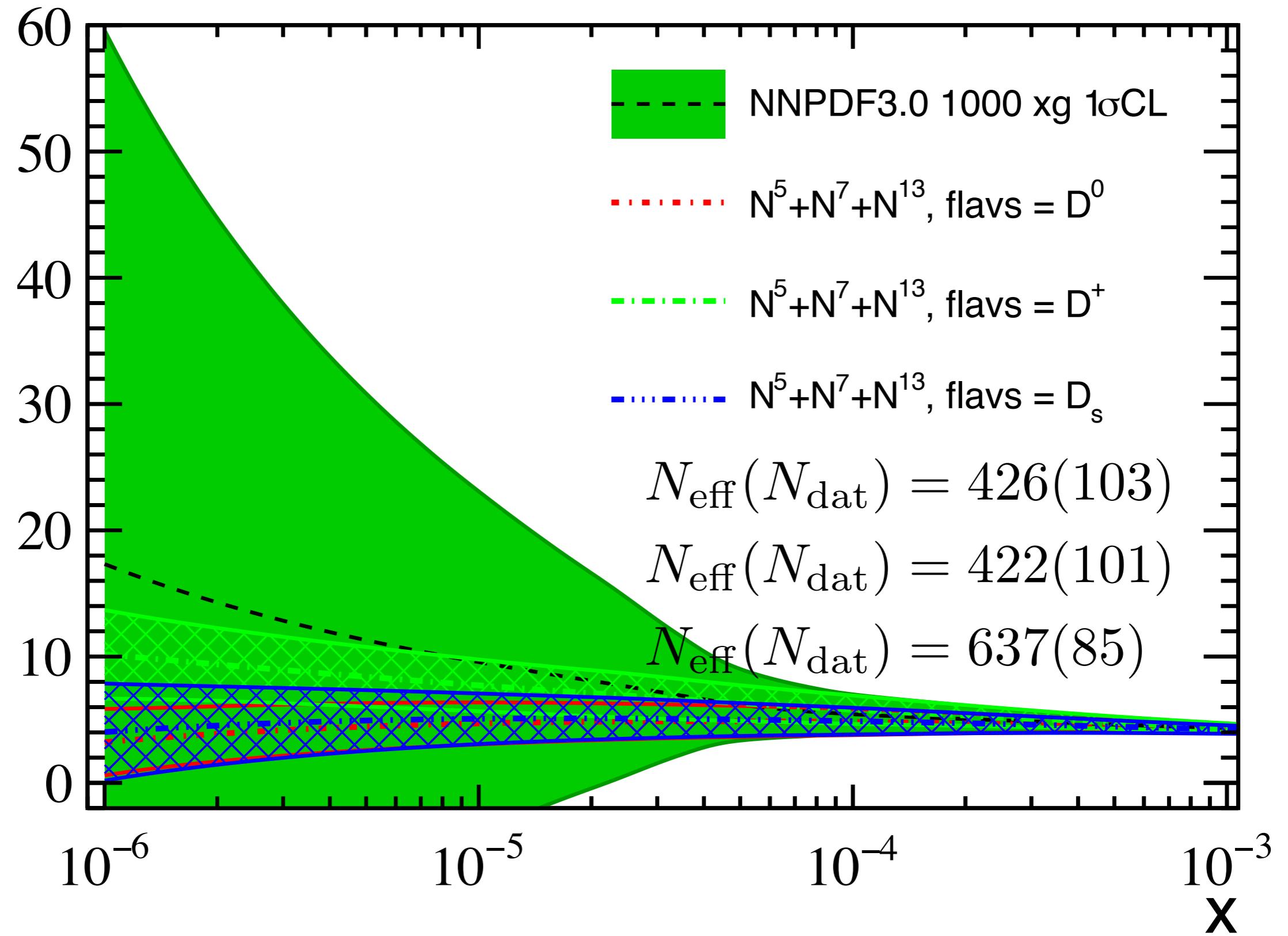
$xg(x, Q^2 = 4 \text{ GeV}^2)$

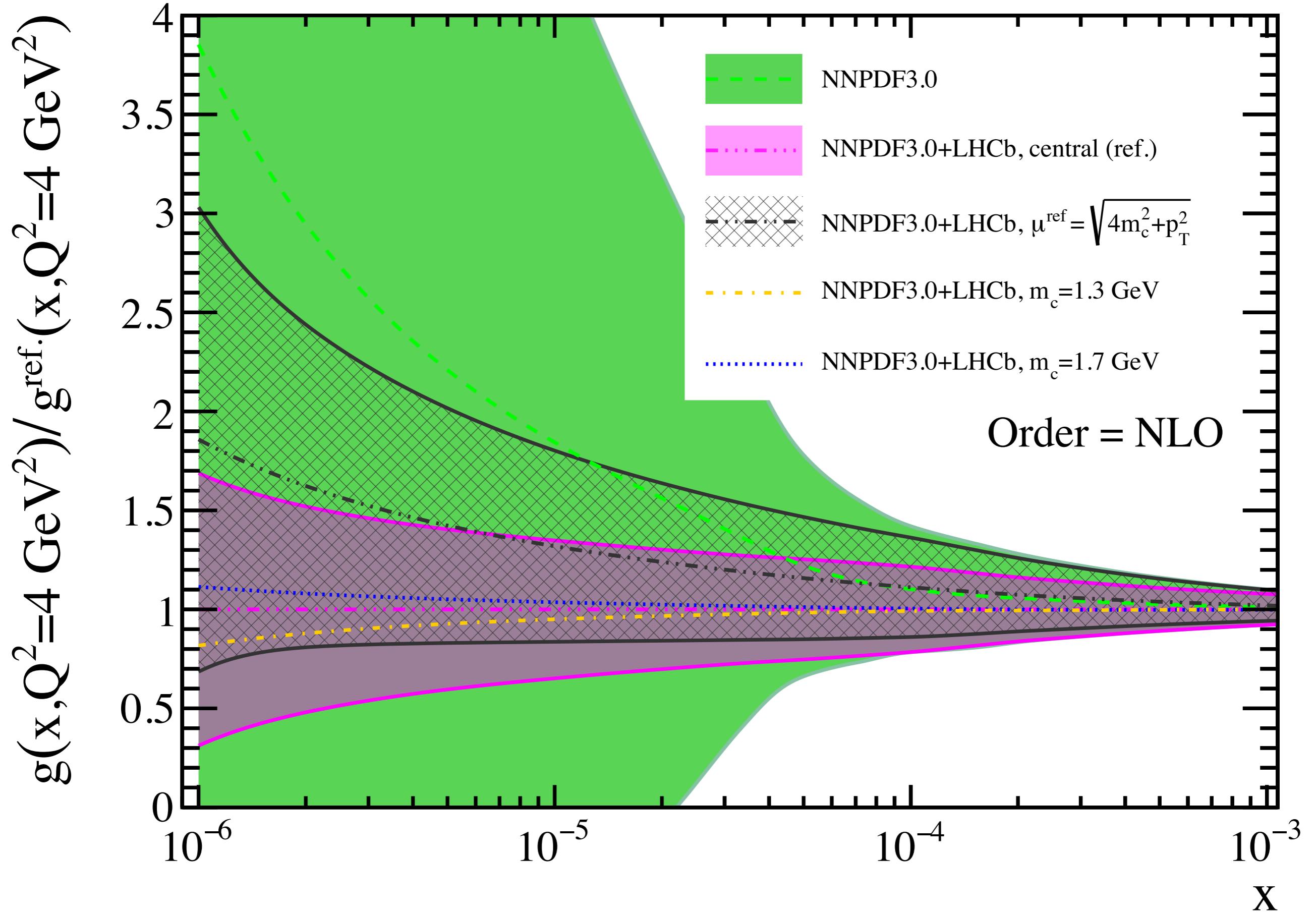


$xg(x, Q^2 = 4 \text{ GeV}^2)$



$xg(x, Q^2 = 4 \text{ GeV}^2)$





Observable

Number of data points

$N_5(84)$	$N_7(79)$	$N_{13}(126)$	$R_{13/5}(107)$	$R_{13/7}(102)$
-----------	-----------	---------------	-----------------	-----------------

1.97	1.21	2.36	1.36	0.80
0.86	0.72	1.14	1.35	0.81
1.31	0.91	1.58	1.36	0.82
0.74	0.66	1.01	1.38	0.80
1.08	0.81	1.27	1.29	0.80
1.53	0.99	1.73	1.30	0.81
1.07	0.81	1.34	1.35	0.81
0.82	0.70	1.07	1.35	0.81
0.84	0.71	1.10	1.36	0.81

$$\chi^2/N_{\text{dat}} = \sum_{i,j} (O_i - T_i) \sigma_{ij}^{-1} (O_j - T_j)$$

Summary of D-hadron data

- The LHCb data leads to constraints: $x \sim 10^{-6}$, $Q \sim 3$ GeV
 - theory predictions based on normalised NLO observables
 - very specific applications (neutrino astronomy)
- Theoretical improvements not expected imminently:
 - numerical stability issues in secdec NNLO top production
 - needs extension to include convolution with FF
- Also an interest to study D-production in p-Pb collisions:
 - R_{fb} observable highly sensitive to nuclear shadowing

Back-up slides

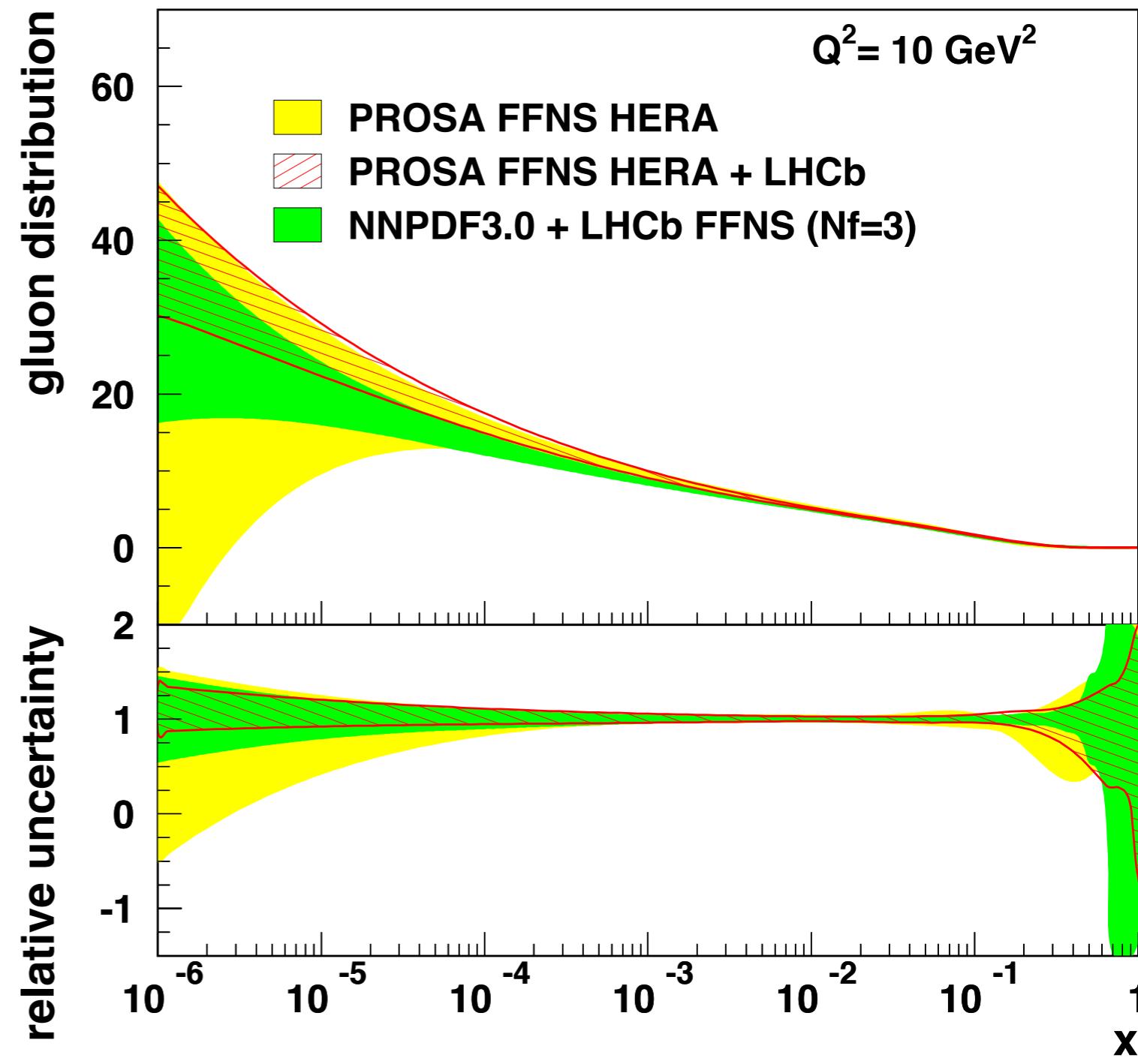
Gluon PDF extraction at 7 TeV

PROSA results:

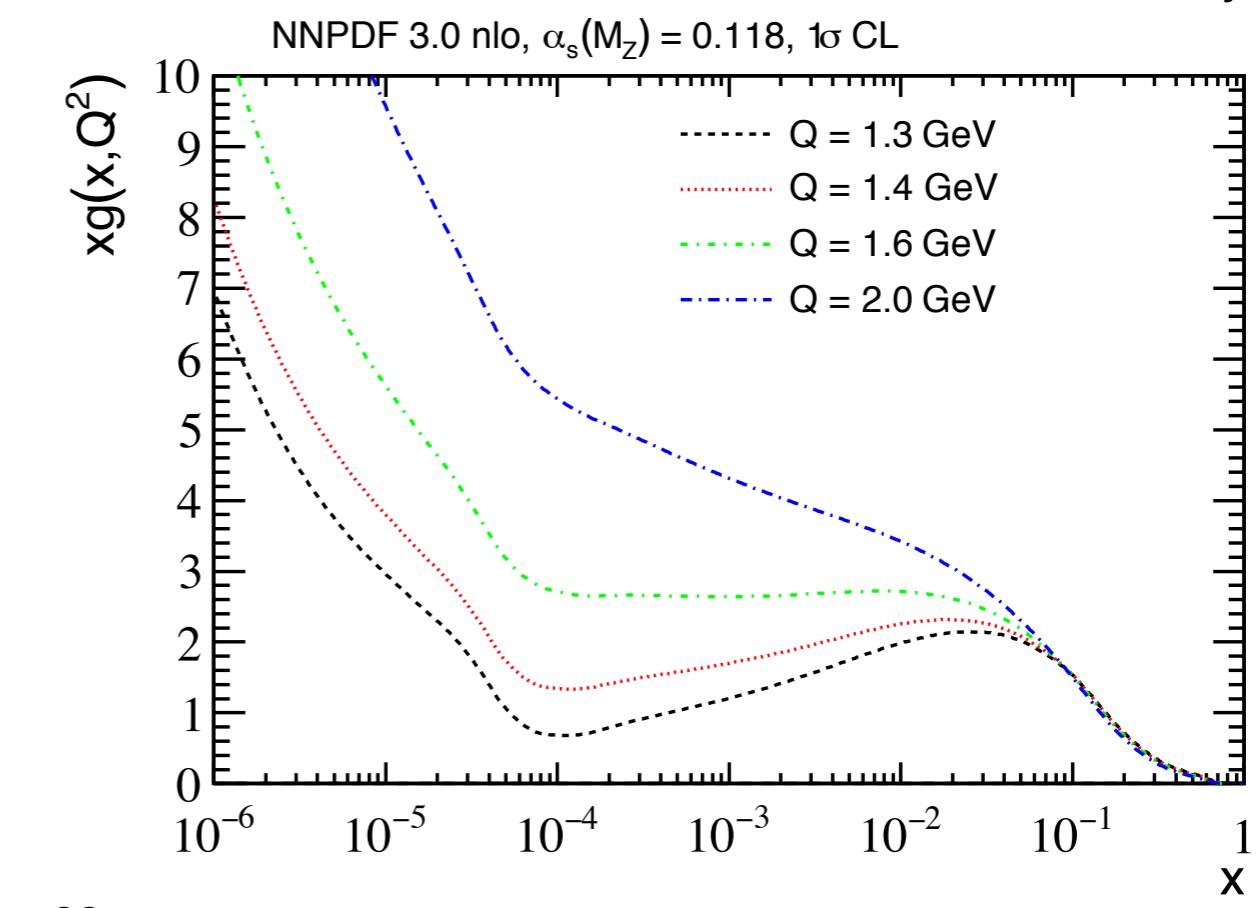
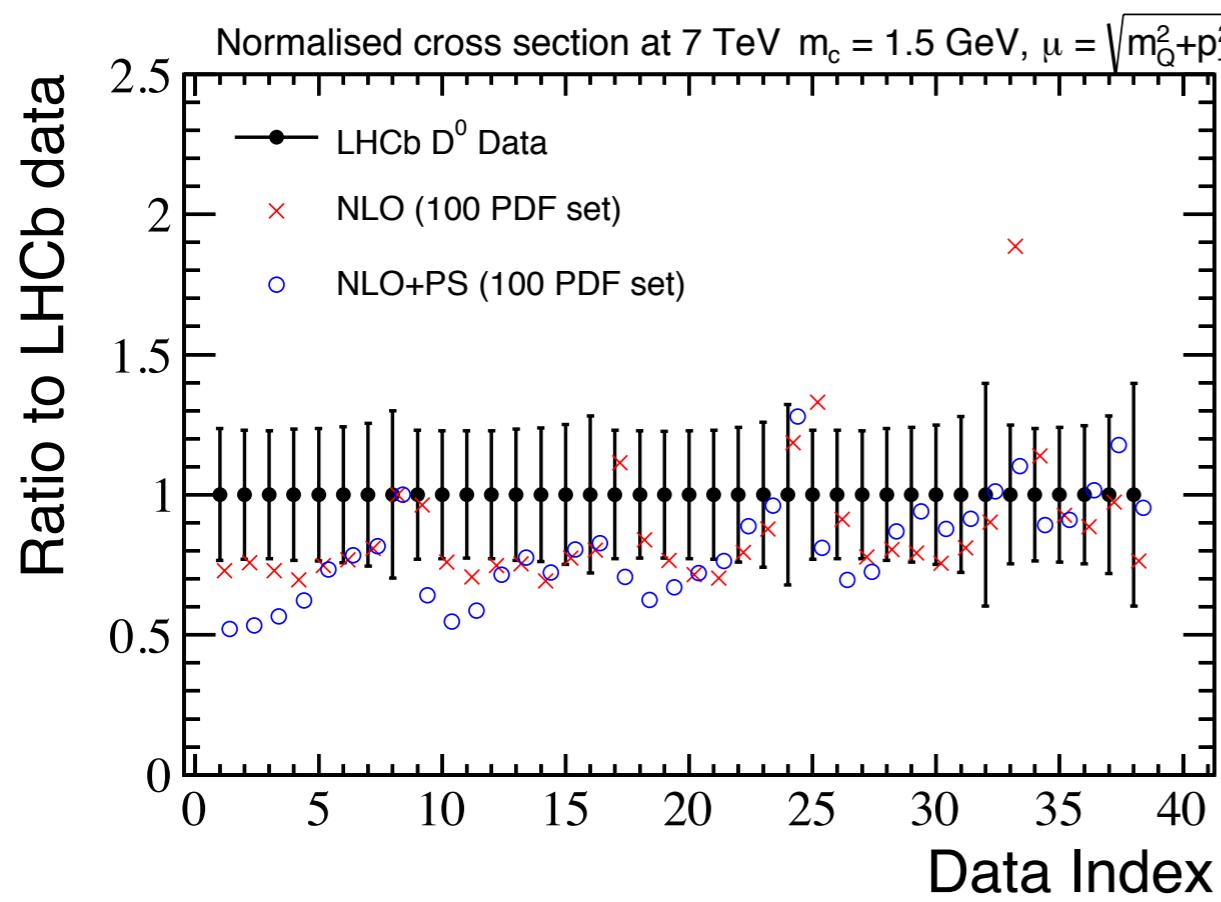
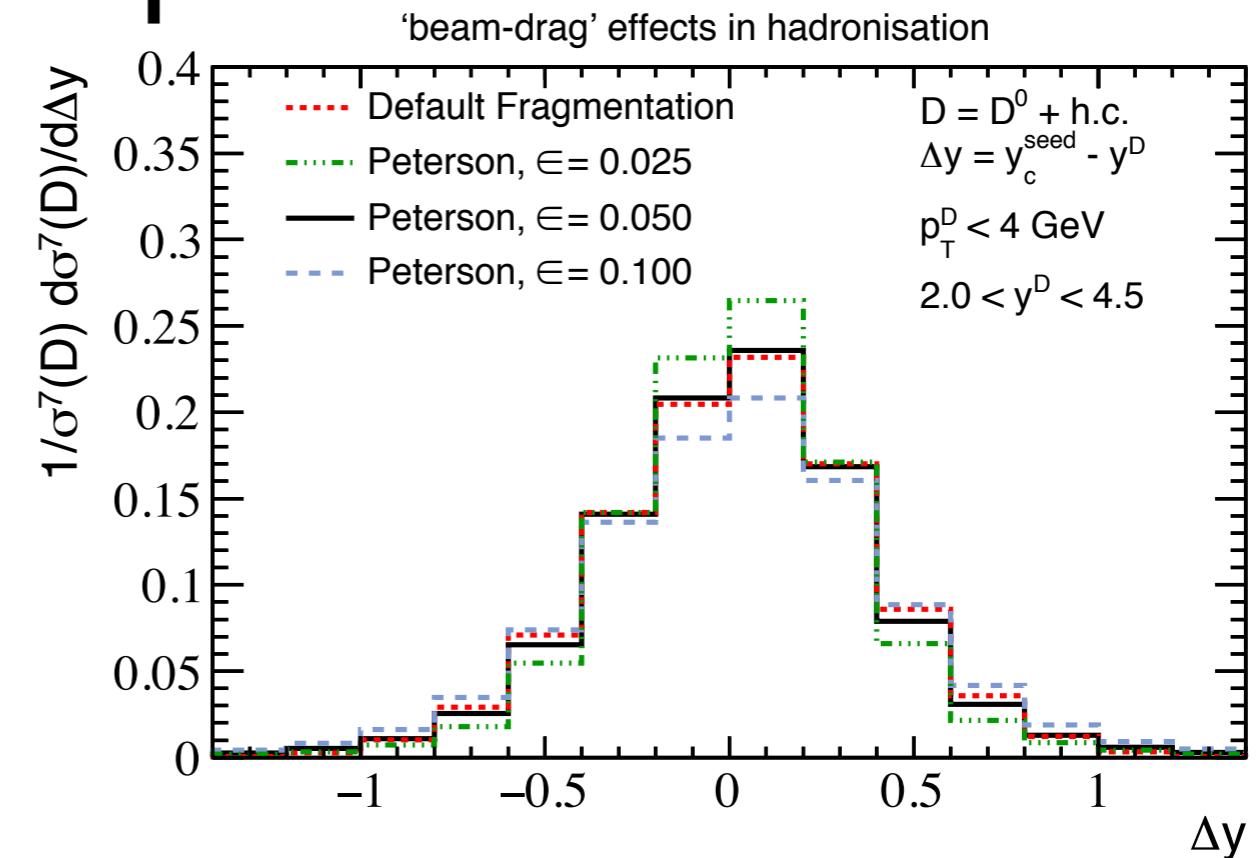
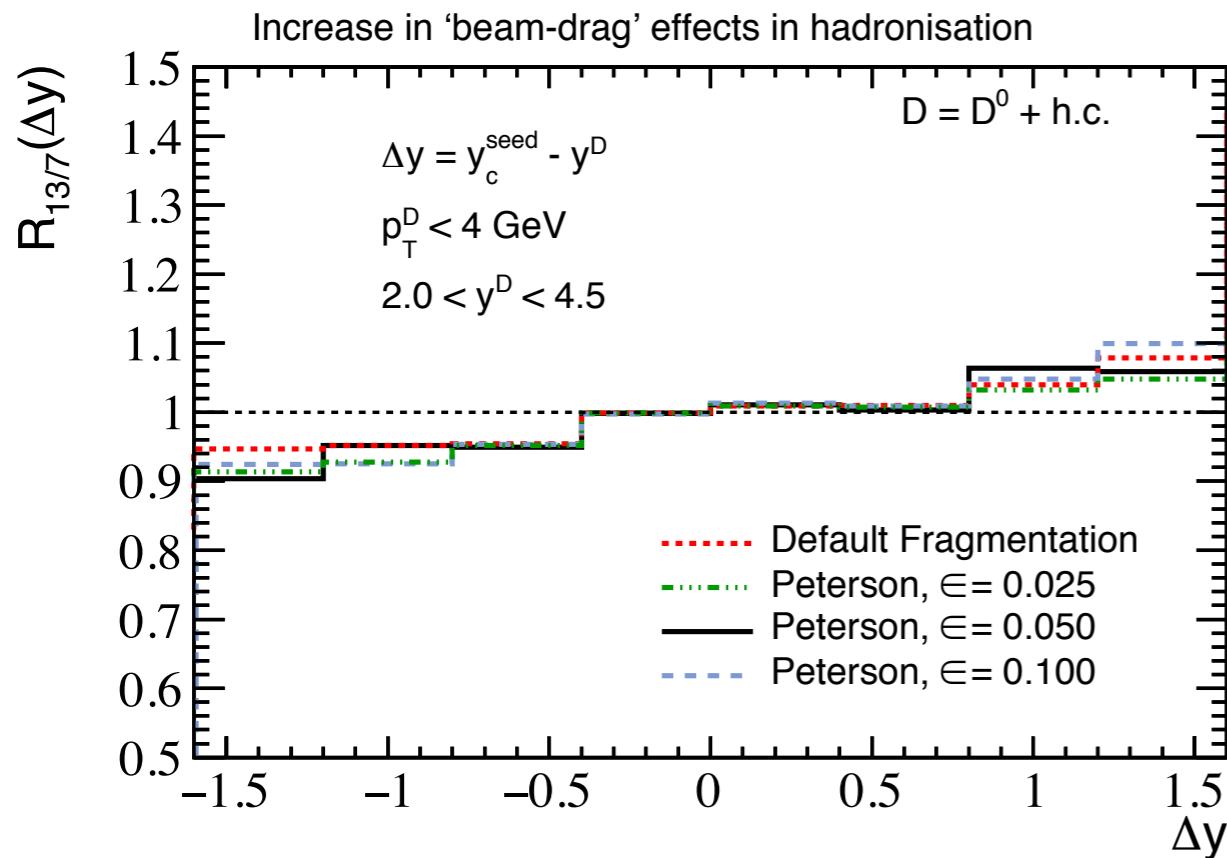
- HERA+LHCb Data PDF fit
- FFS, NF=3
- Normalise to ‘middle’ rapidity bin for each pT
- HERAfitter framework
- Also LHCb B data

GRRT results:

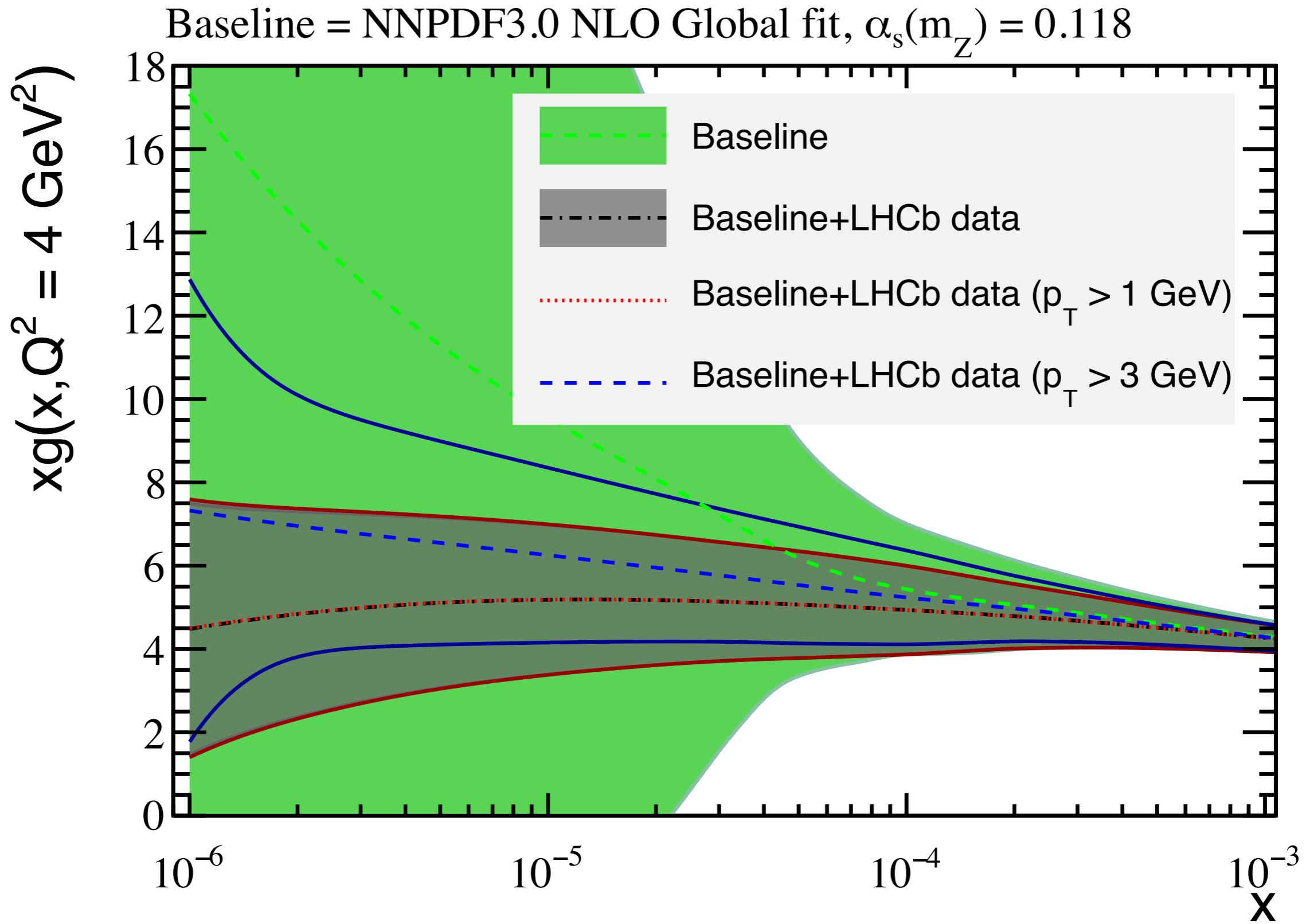
- NNPDF3.0 Global fit
- input set is VFNS
- Normalise to max pT / min rapidity bin
- Bayesian Reweighting



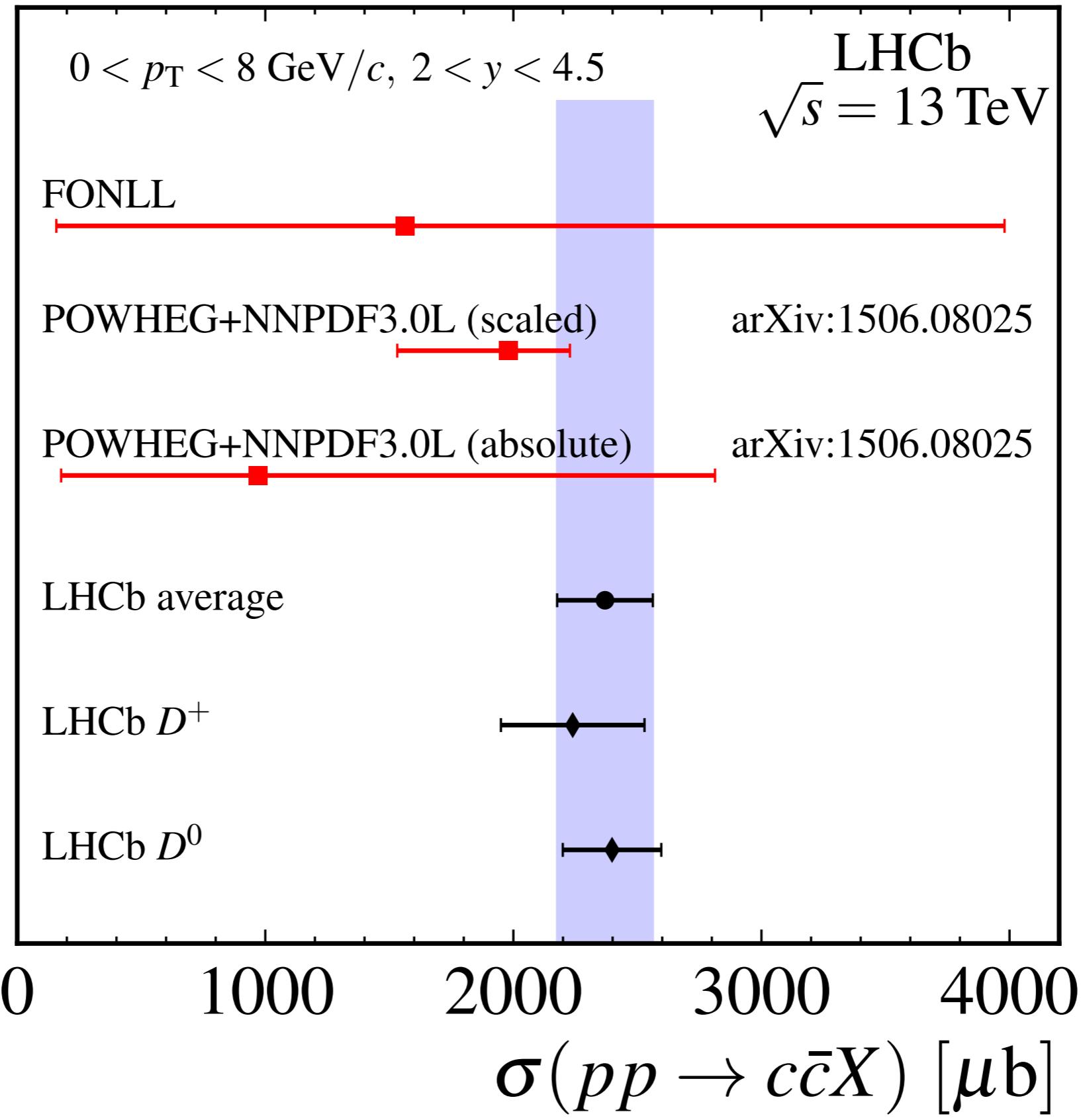
Useful plots



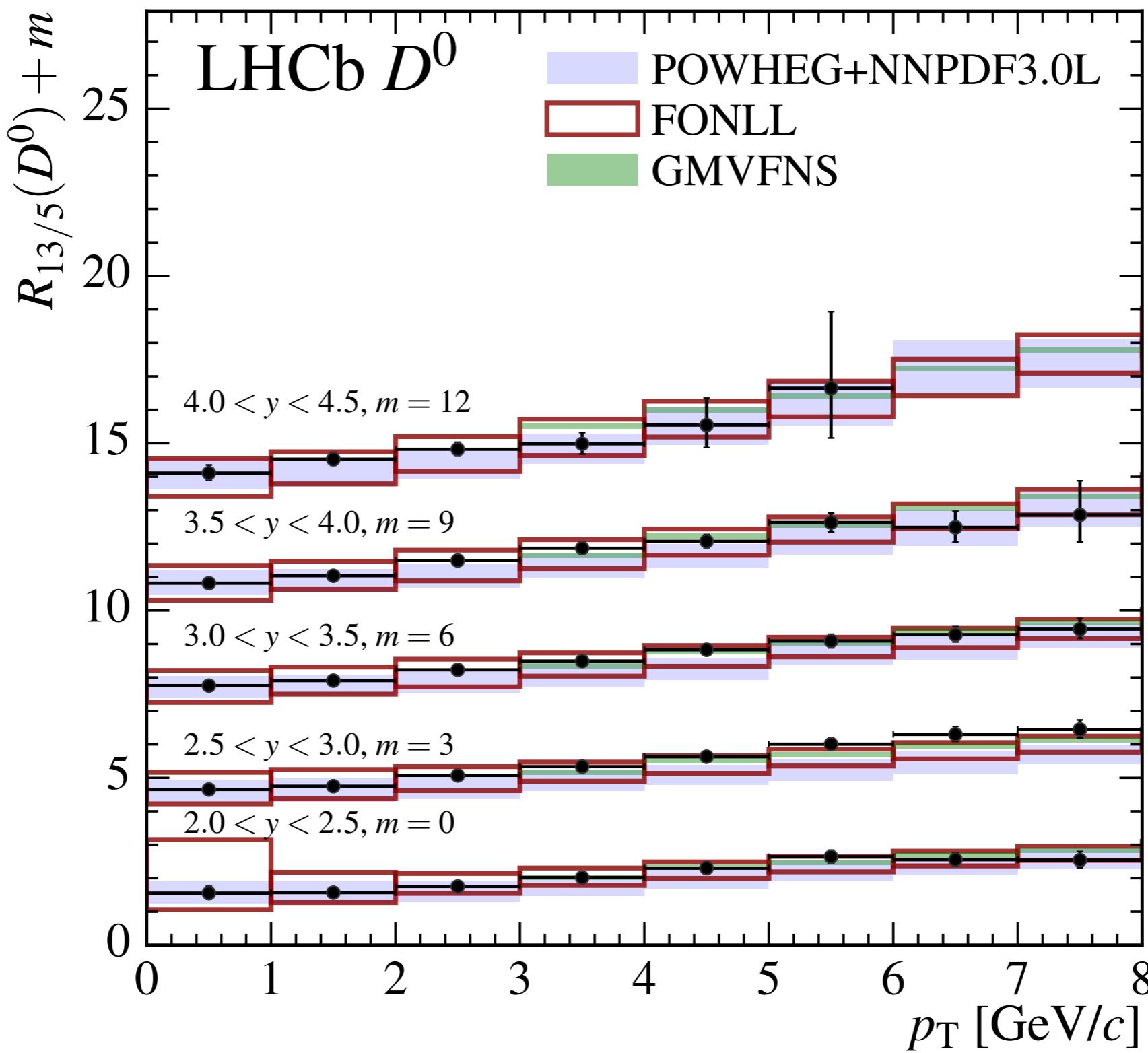
pT cut dependence



How do the data actually look?



How do the data actually look?



How do the data actually look?

