

# Probing new physics with CEνNS: an overview



SUSY 2019  
Corpus Christi, Texas

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# Quick PSA:

GWEN PEARSON SCIENCE 09.11.14 10:00 AM

## NEVER TOUCH ANYTHING THAT LOOKS LIKE DONALD TRUMP'S HAIR



*Megalopyge opercularis*  
(southern flannel moth)

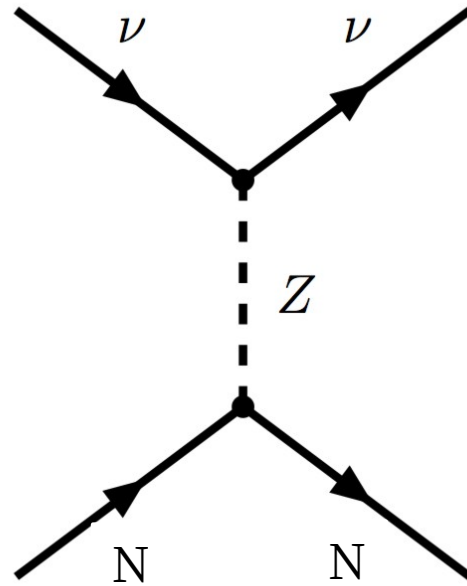


### Dangers and treatment of stings [\[edit\]](#)

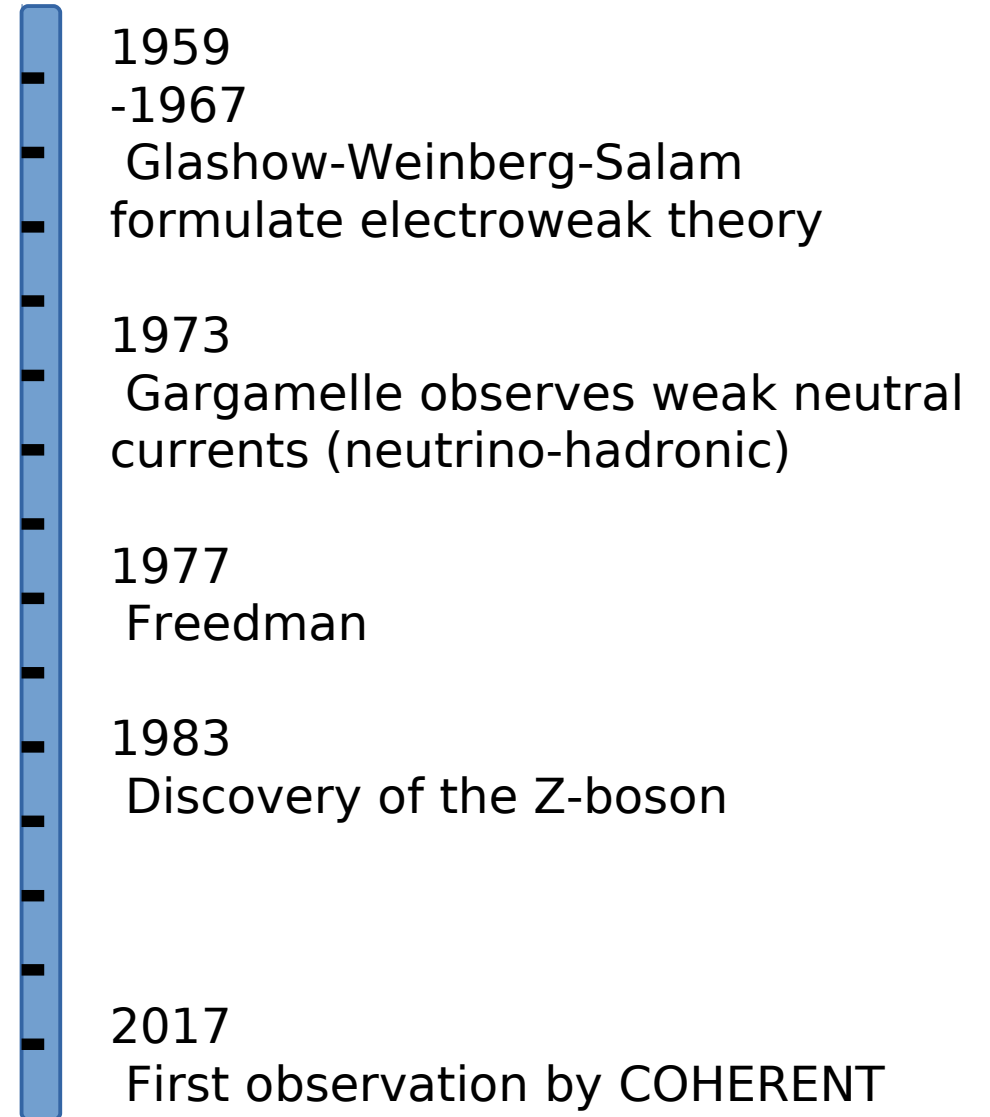
The caterpillar is regarded as a dangerous insect because of its venomous spines. Exposure to the caterpillar's fur-like spines leads to an immediate skin irritation characterized by a "grid-like hemorrhagic papular eruption with severe radiating pain." Victims describe the pain as similar to a broken bone or blunt-force trauma.<sup>[3]</sup> The reactions are sometimes localized to the affected area, but are often very severe, radiating up a limb and causing burning, swelling, nausea, headache, abdominal distress, rashes, blisters, and sometimes chest pain, numbness, or difficulty breathing.<sup>[6][7]</sup> Additionally, sweating from the welts or hives at the site of the sting are not unusual.

# What is CE $\nu$ NS?

Coherent  
Elastic  
 $\nu$  (neutrino)  
Nucleus  
Scattering

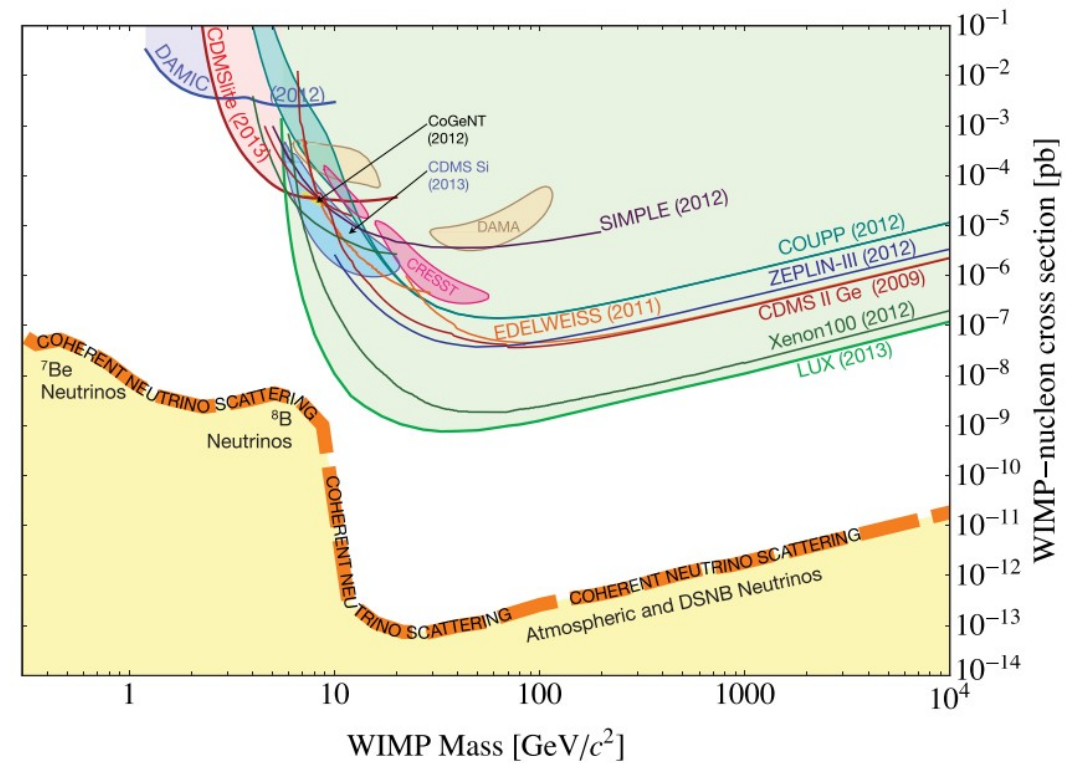
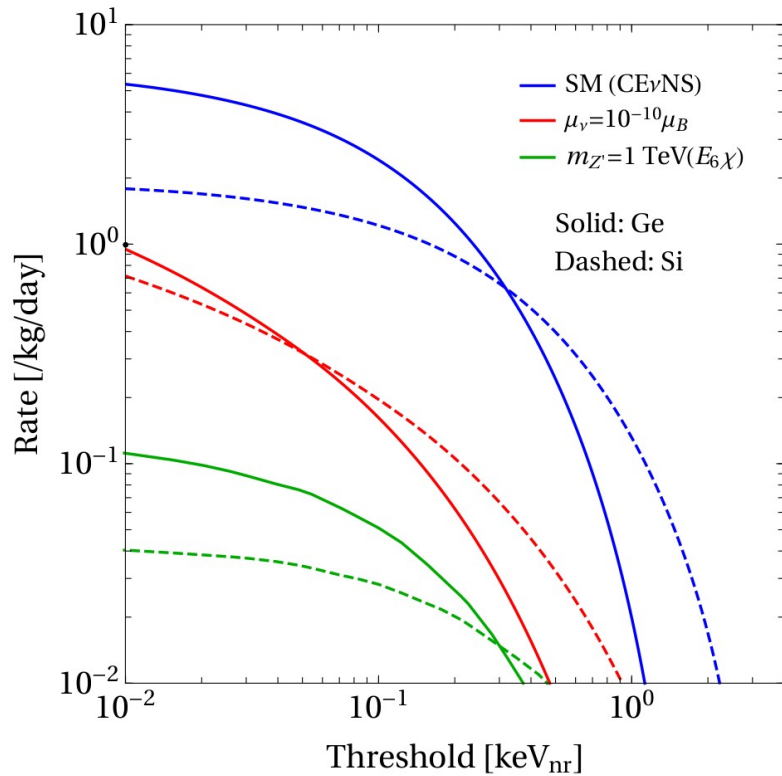


## ...a brief history



# Why do we care?

- CEvNS provides a novel probe of new physics
- Confirm the normalization of the neutrino floor



# CEvNS as a probe

## Standard Model

- Low energy  $\sin\Theta_w$
- Nuclear form factors
- $g_A$  quenching
- Reactor flux
- Astrophysical processes

## ..and beyond

- Sterile neutrinos
- Accessing high-scale physics
- Nu magnetic moment
- Light mediators
- CP violation (see Diego's talk)

# Observing CEvNS

The cross section for CEvNS is large:

$$\frac{d\sigma}{dE_r}(E_r, E_\nu) = \frac{G_F^2}{4\pi} Q_W^2 m_N \left( 1 - \frac{m_N E_r}{2E_\nu^2} \right) F^2(E_r)$$

Where charge is:

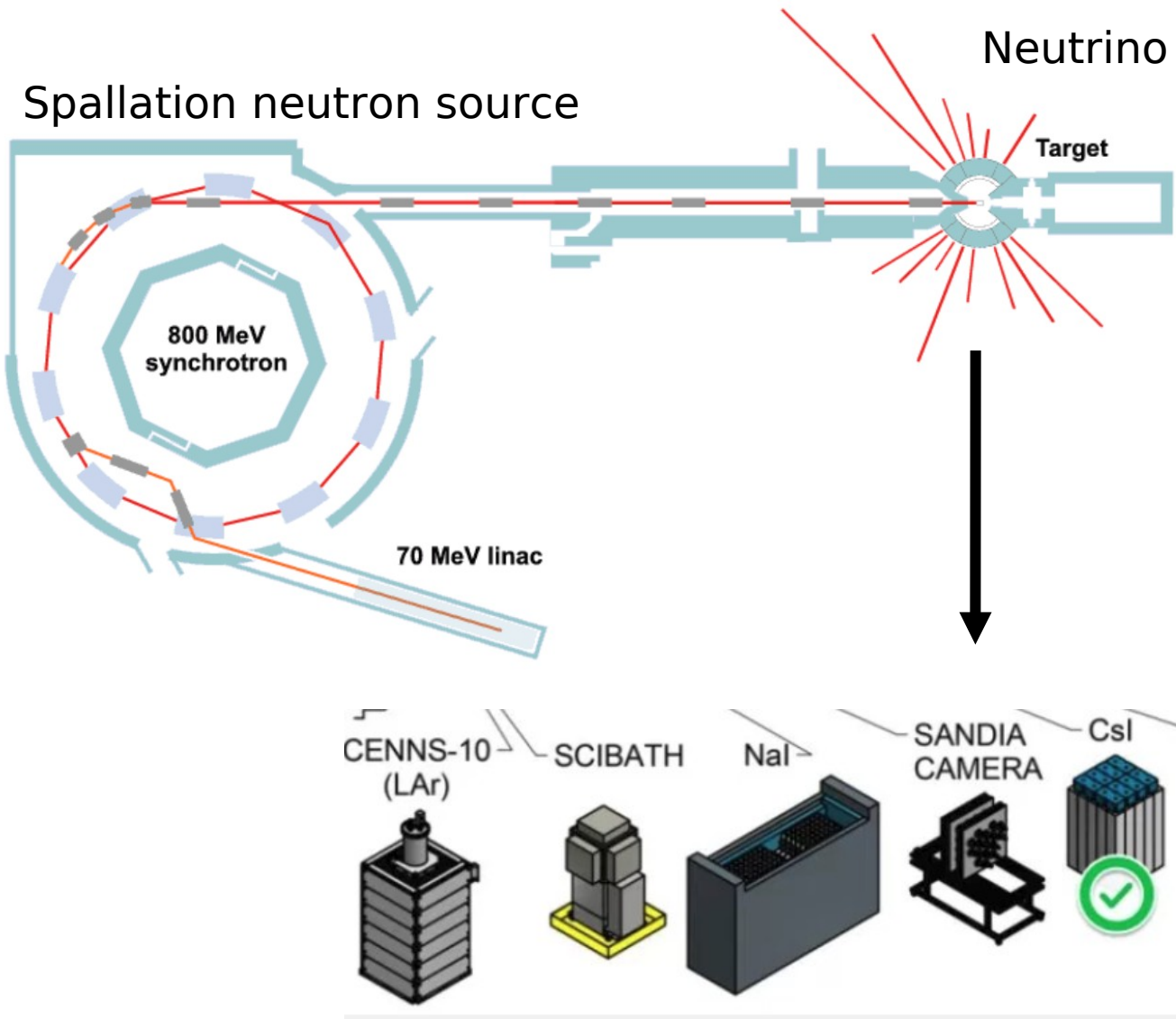
$$Q_W = \mathcal{N} - (1 - 4 \sin^2 \theta_W) \mathcal{Z}$$

...but the recoil energy is small:

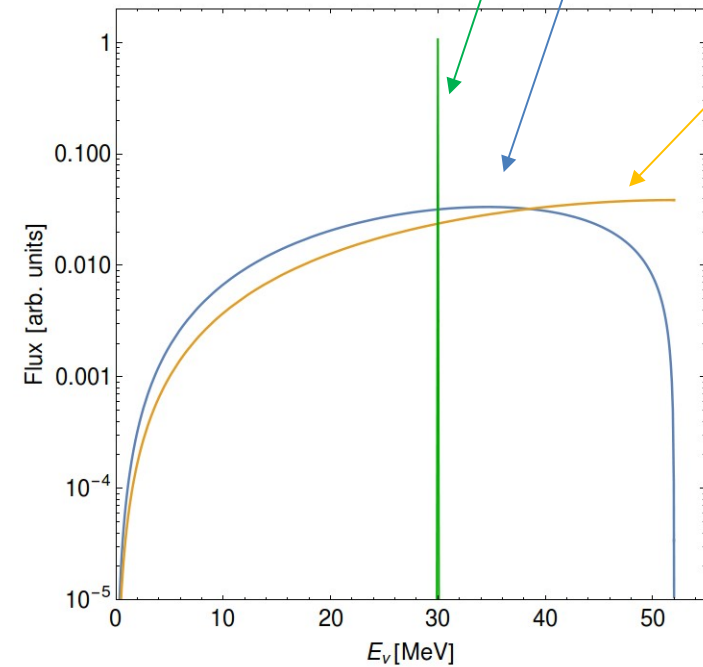
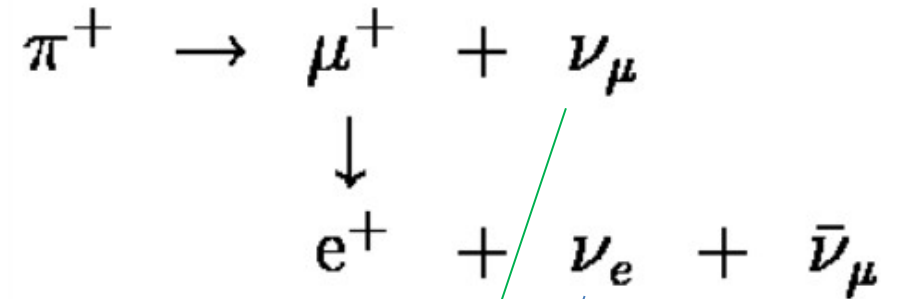
$$E_R^{\max} = 2E_\nu^2 / (M + 2E_\nu)$$

- Choose a neutrino source:  
e.g. stopped pion (a la SNS) or nuclear reactor

# The COHERENT experiment

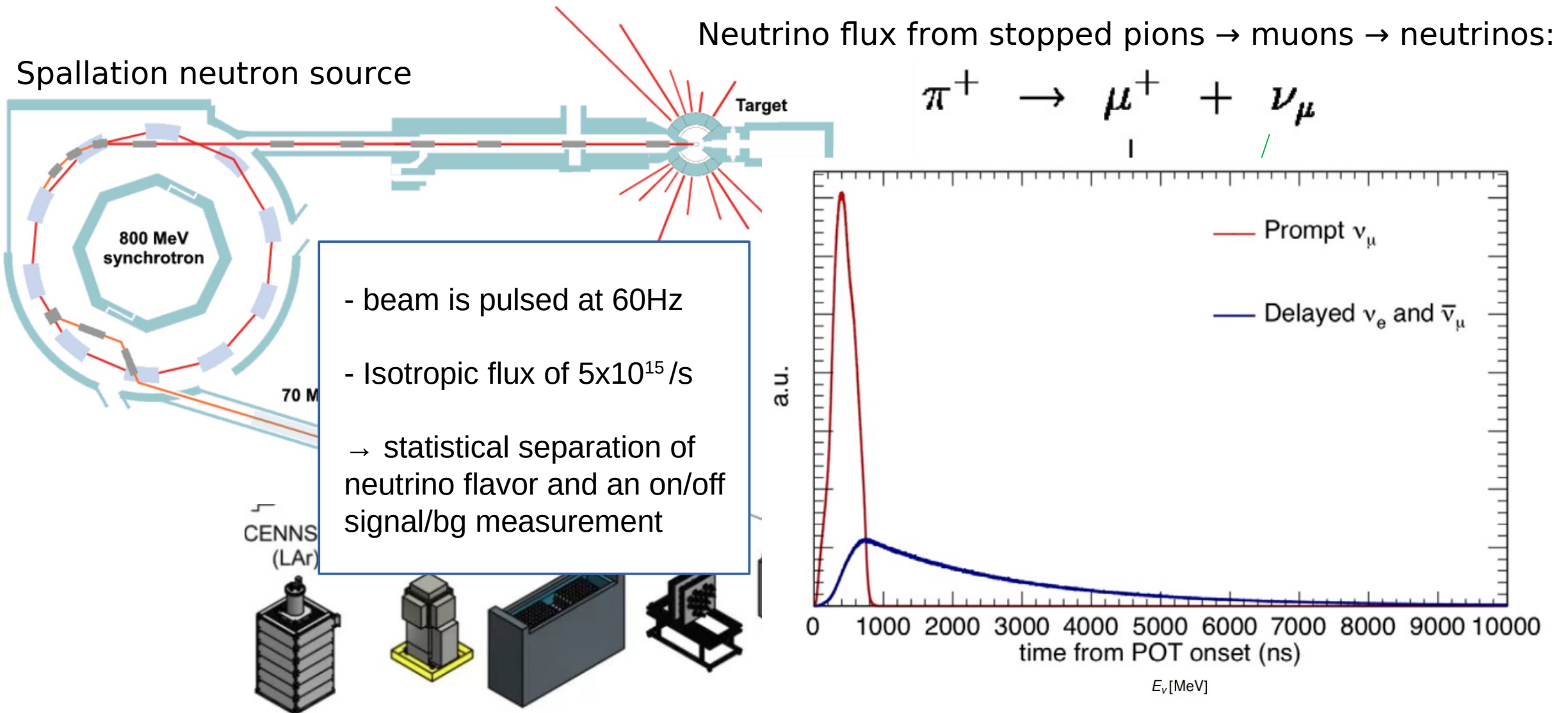


Neutrino flux from stopped pions  $\rightarrow$  muons  $\rightarrow$  neutrinos:



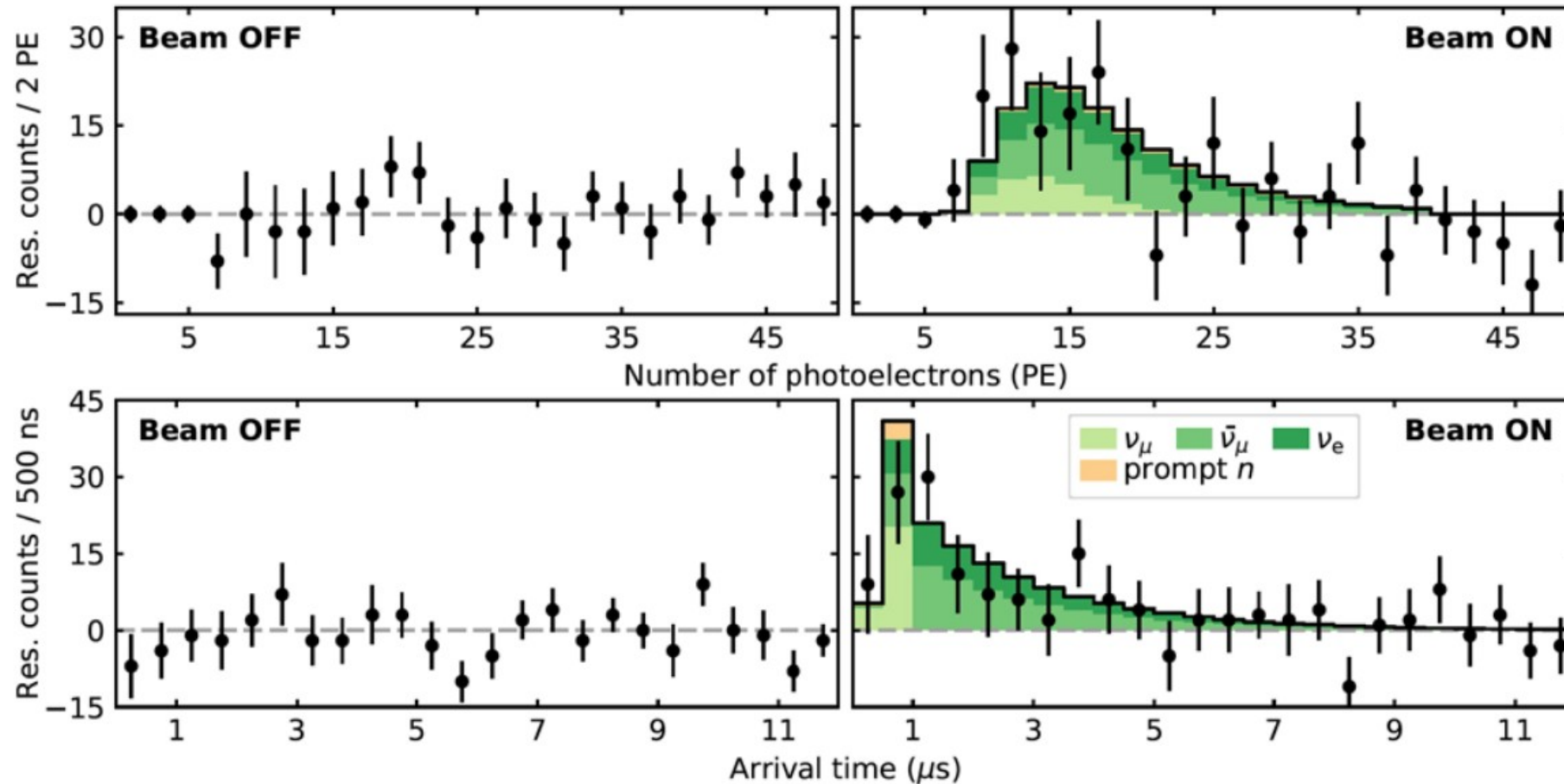


# The COHERENT experiment





# COHERENT's observation of CE $\nu$ NS



Akimov et al.  
Science Vol. 357, 6356 (2017)

**Best fit of:  $134 \pm 22$  CNS events**  
**Implying:  $77 \pm 16\%$  of SM cross section**

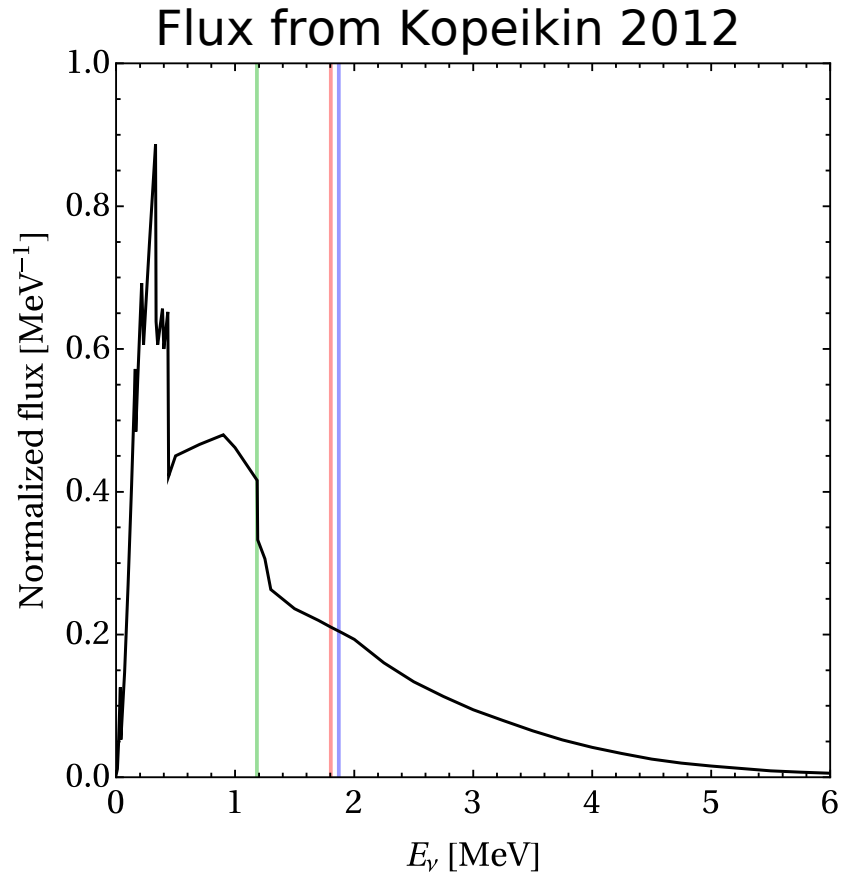
# Summary of CEvNS experiments

<b>Experiment</b>	<b>Source</b>	<b>Detector</b>	<b>Status</b>
Coherent	SNS (Oakridge NL)	CsI, LAr (NaI and Ge soon)	Running
TEXONO	Reactor ~2GW (Taiwan)	Ge (P-type point contact)	Running (?)
CONNIE	Reactor ~2GW (Brazil)	Si (CCD)	Running/upgrading
MINER	Reactor ~1MW (Texas A&M)	Ge (cryogenic)	Prototype running
CONUS	Reactor ~4GW (Germany)	Ge (SAGe)	Running
Ricochet	Reactor (planned)	CryoCube (Ge-Zn)	R&D
NU-CLEUS	Reactor (CHOOZ, France)	CaWO <sub>4</sub> (a la CRESST)	R&D
Xenon-nT/LZ	supernova/solar	LXe	Building

# Physics with CEvNS

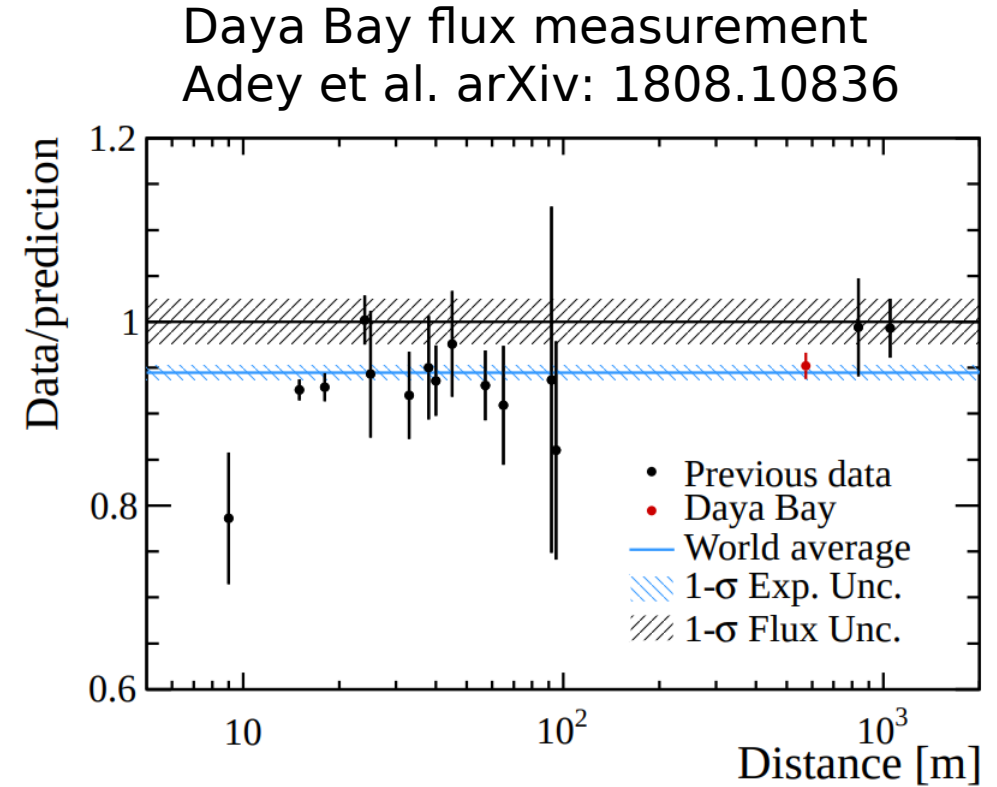


# Reactor neutrino fluxes



- 72% of the flux is below the **IBD threshold**

	Percent flux above $100eV_{nr}$	Percent flux above $70eV_{nr}$
Germanium	27%	33%
Silicon	44%	52%



$0.952 \pm 0.014 \pm 0.023$  ( $1.001 \pm 0.015 \pm 0.027$ )  
for the Huber-Mueller (ILL-Vogel) model

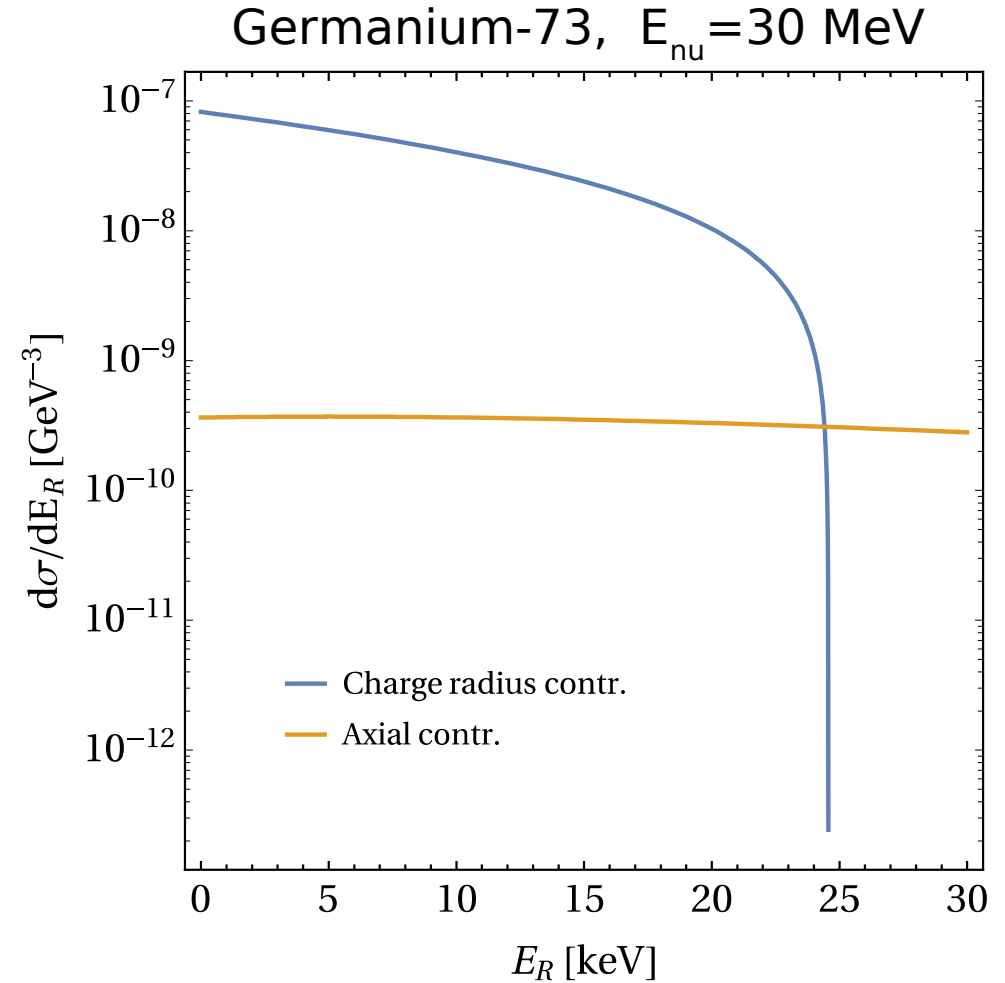
# Neutrino charge Radii

$$\frac{d\sigma_{\nu\ell-N}}{dT}(E, T) \simeq \frac{G_F^2 M}{\pi} \left(1 - \frac{MT}{2E^2}\right) \times \left\{ \left[ \left( g_V^p - \tilde{Q}_{\ell\ell} \right) Z F_Z(|\vec{q}|^2) + g_V^n N F_N(|\vec{q}|^2) \right]^2 + Z^2 F_Z^2(|\vec{q}|^2) \sum_{\ell' \neq \ell} |\tilde{Q}_{\ell'\ell}|^2 \right\},$$

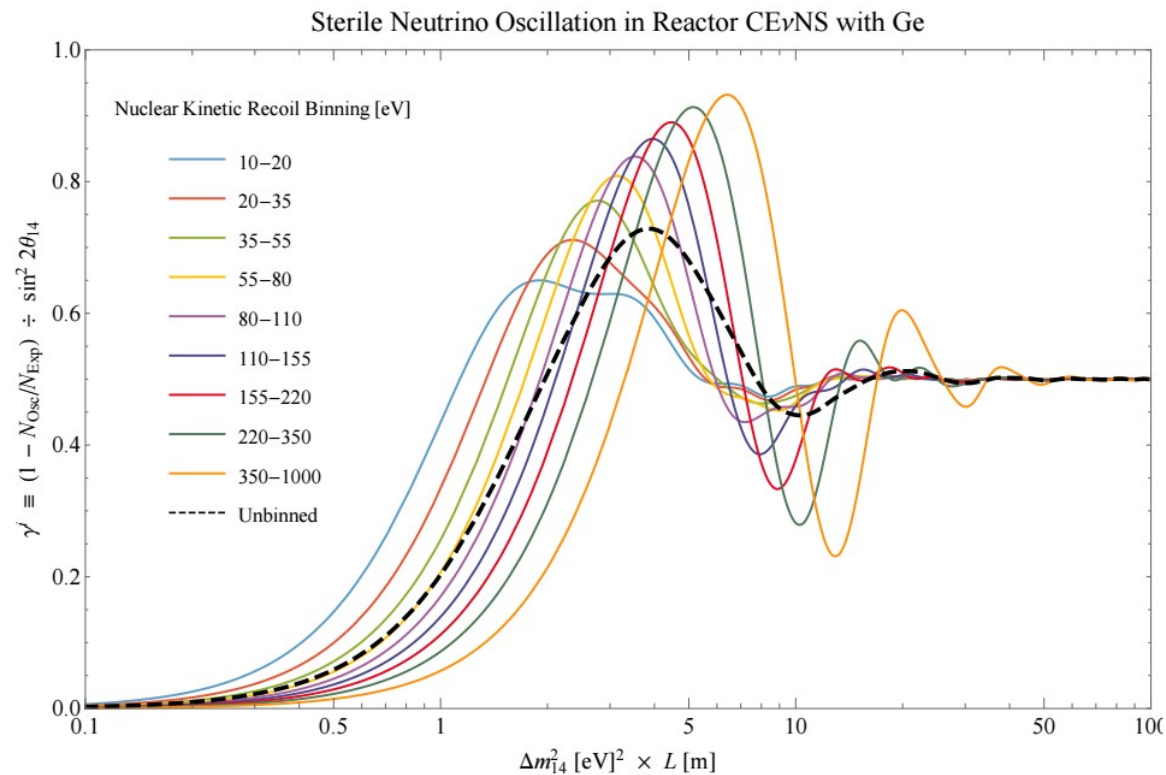
$$\tilde{Q}_{\ell\ell'} = \frac{2}{3} m_W^2 \sin^2 \vartheta_W \langle r_{\nu\ell\ell'}^2 \rangle \sim 0.02$$

$$-8 \times 10^{-32} < \langle r_{\nu\mu}^2 \rangle < 11 \times 10^{-32} \text{ cm}^2$$

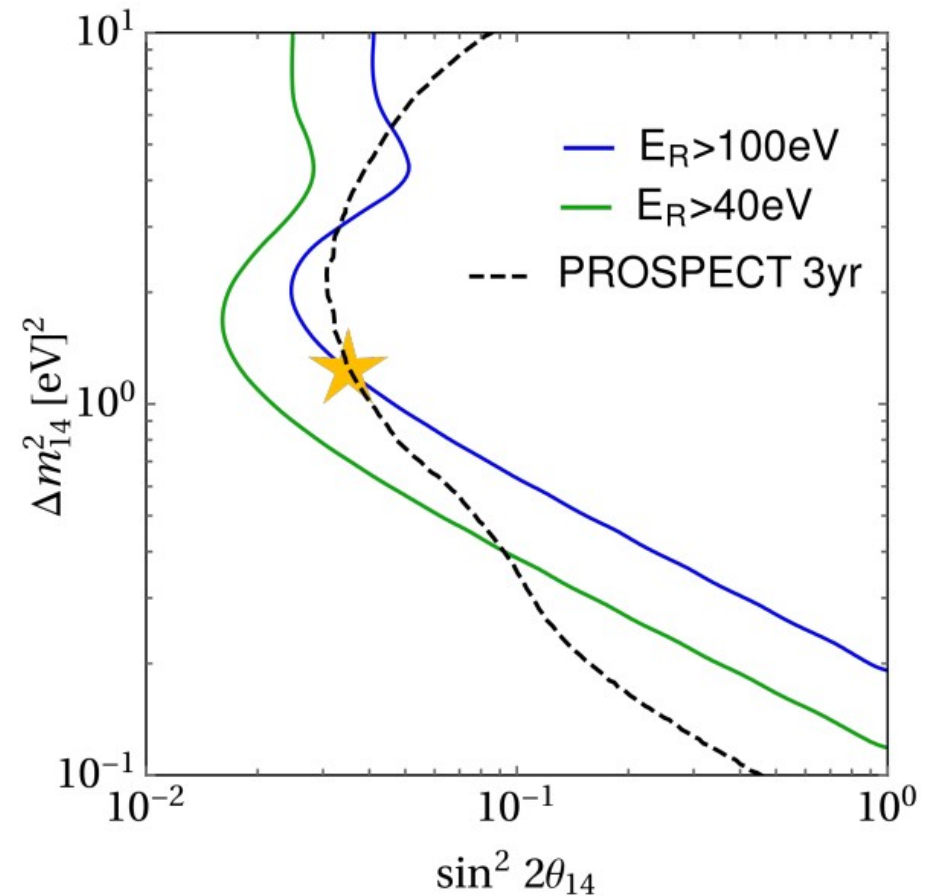
Cadeddu et al. arXiv:1810.05606



# Beyond SM physics reach: sterile neutrino



Dutta, Gao, Kubik, Mahapatra,  
Mirabolfath, Strigari, Walker arXiv:1511.02834



Expected reach for MINER with 10,000 kg.days,  
star represents world avg.



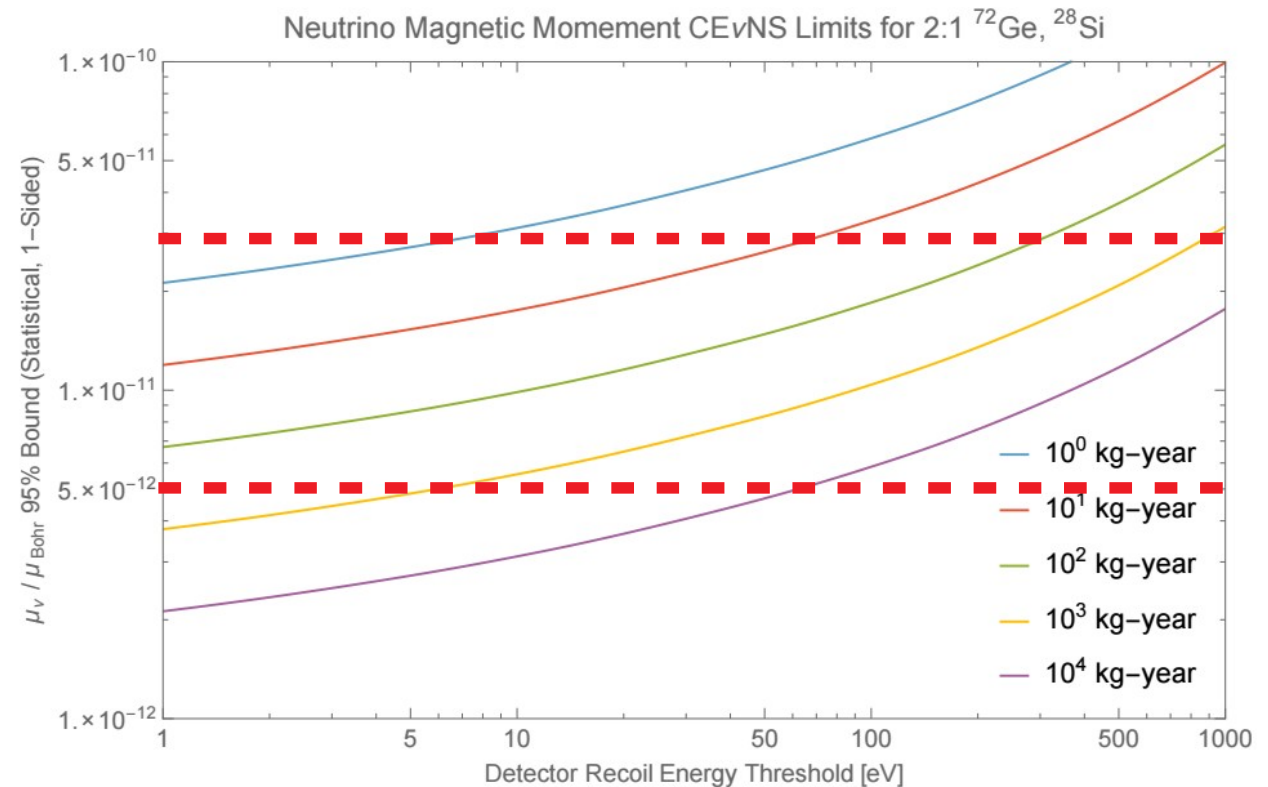
# Beyond SM physics reach: neutrino magnetic moment

$$\mu_\nu = \frac{3G_F m_e m_\nu}{4\sqrt{2}\pi^2} = 3.2 \times 10^{-19} \left[ \frac{m_\nu}{1 \text{ eV}} \right]$$

(Vogel and Engel, PRD, 1989)

- Sensitive to Dirac/Majorana nature (Bell et al. hep-ph/0606248) and right-handed currents

- CEvNS is competitive with existing limit from Beda et al. arXiv:1005.2736

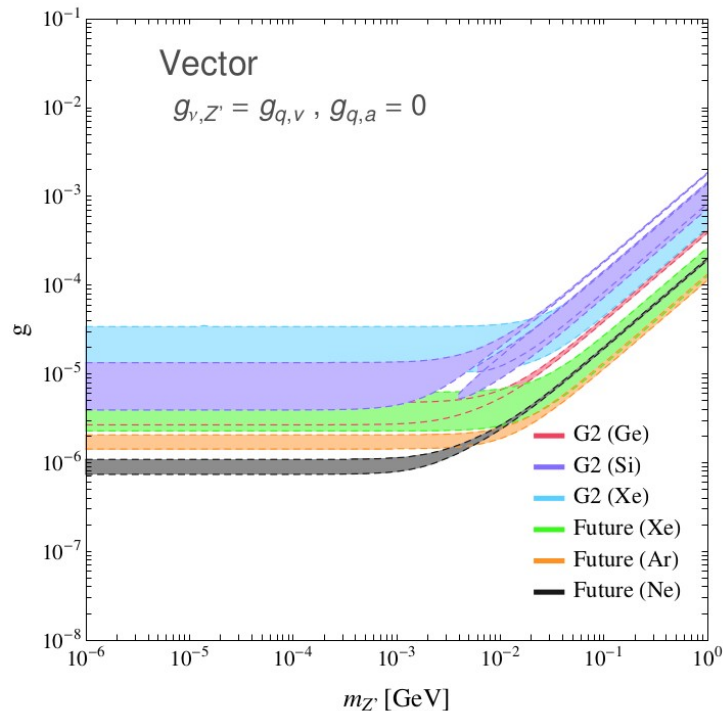


Dutta, Mahapatra, Strigari, Walker, 1508.07981

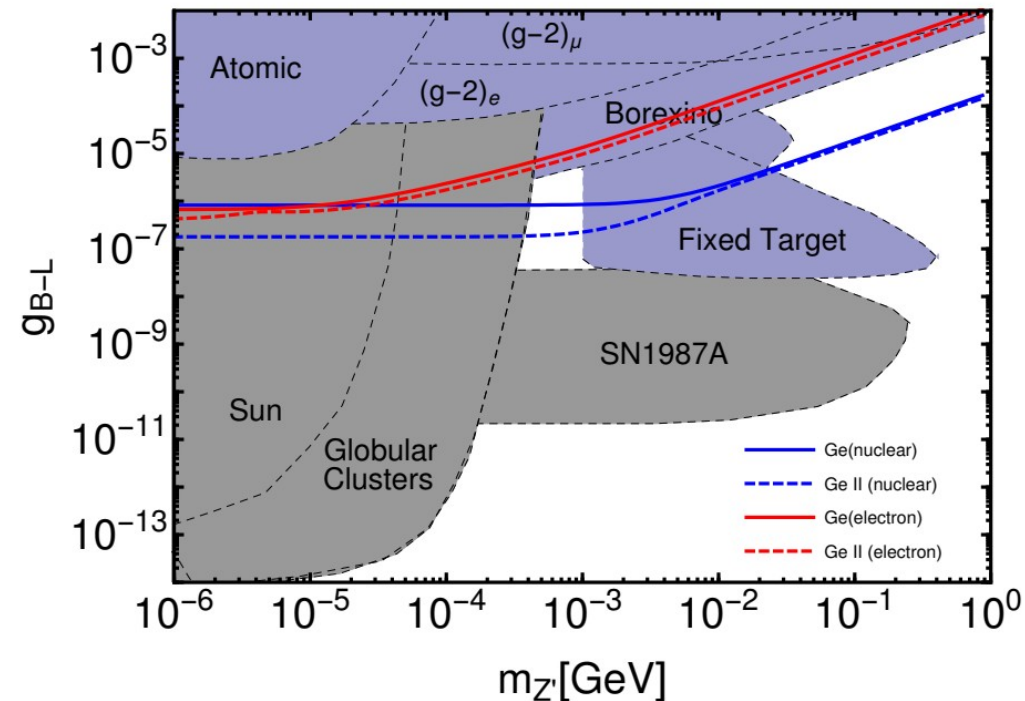
# Beyond SM physics reach: light mediators

- CEvNS can constrain new light mediators (scalar, pseudo-scalar, vector and axial-vector)

Using solar neutrinos:  
Cerdeno et al. arXiv:1604.01025

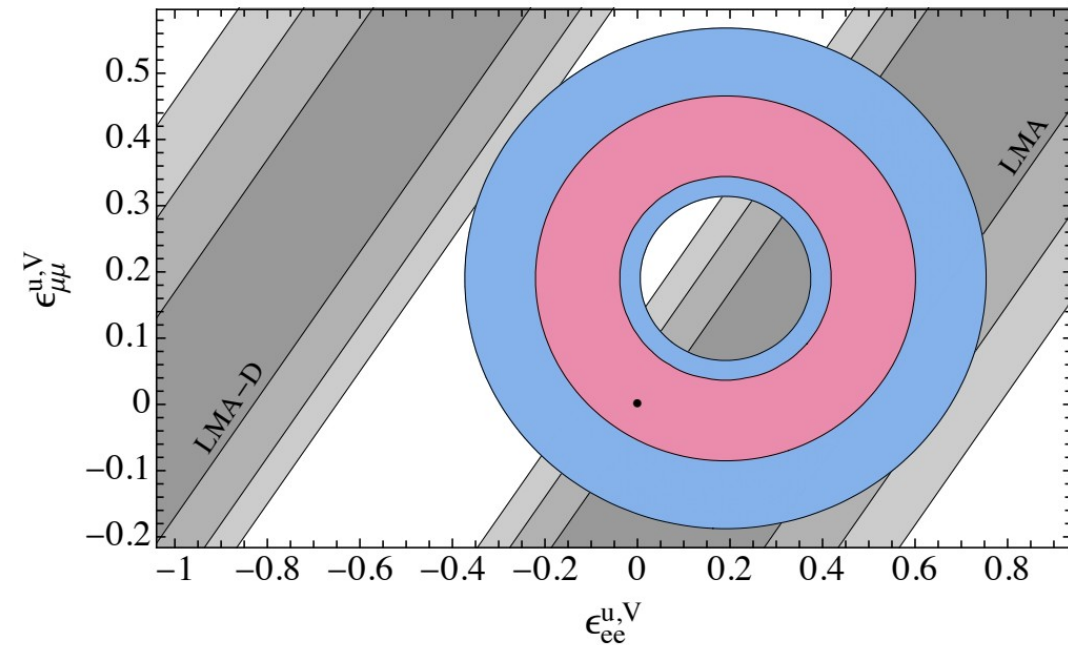


Using reactor/SNS neutrinos:  
Dutta et al. arXiv:1612.06350

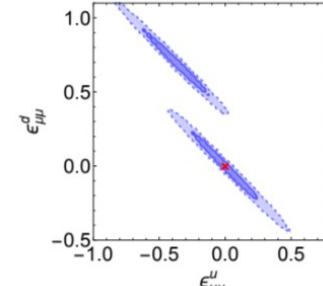
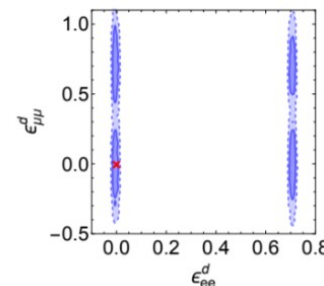
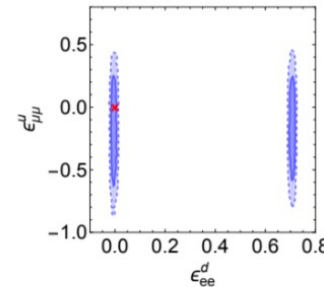
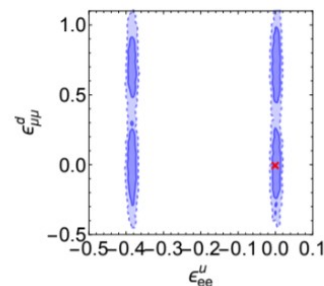
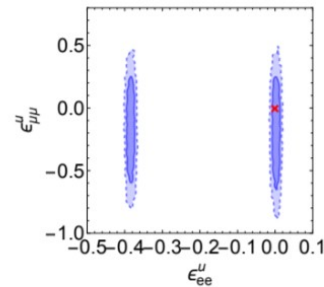
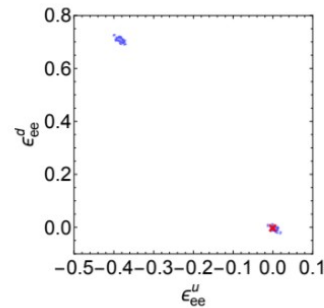


# Beyond SM physics reach: Non-standard interactions

- Large degeneracies in NSI parameter space require multiple detectors/sources to constrain



Coloma et al.  
arXiv:1708.02899



## Future Inference with Reactor + Accelerator

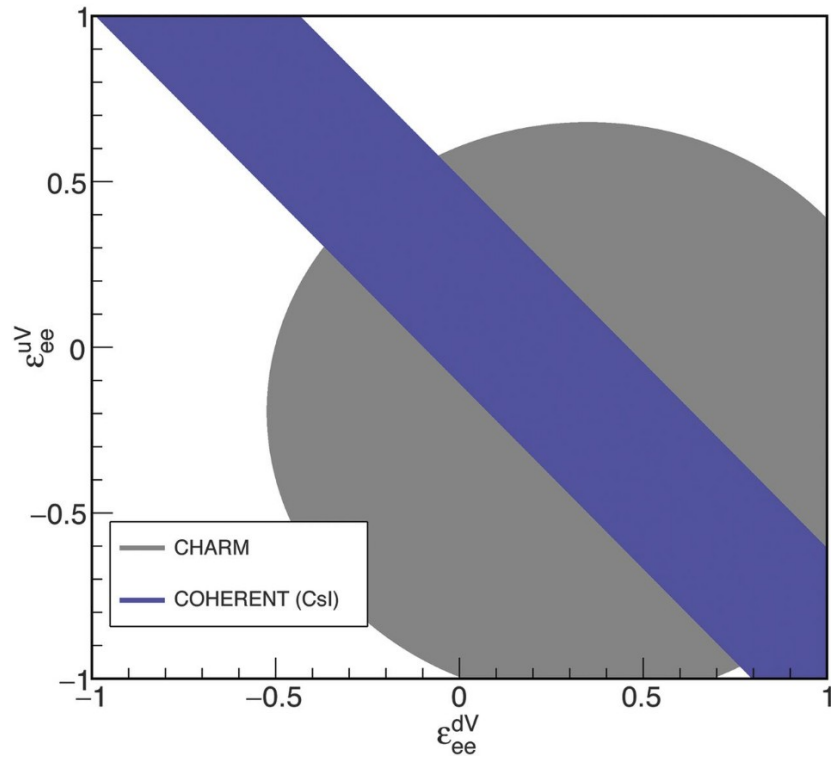
Ge	1GW reactor (20m)	10 <sup>4</sup> kg.days
Si	1GW reactor (20m)	10 <sup>4</sup> kg.days
NaI	SNS (20m)	1 tonne.year
Ar	SNS (20m)	1 tonne.year

Using reactor/SNS neutrinos:  
Dutta et al. arXiv:1711.03521

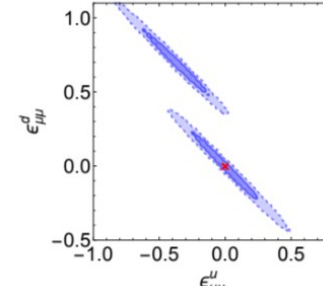
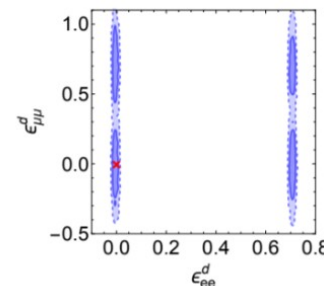
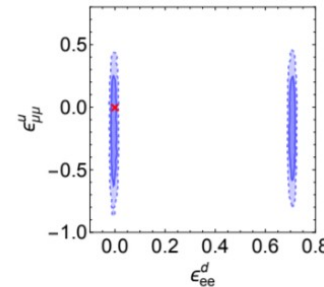
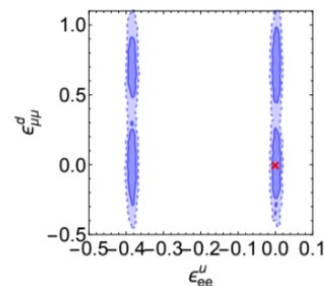
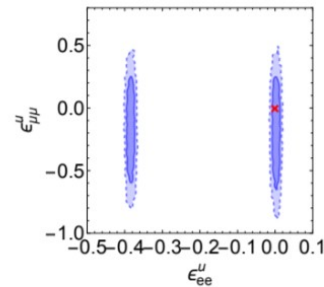
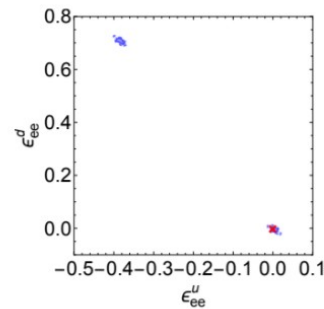


# Beyond SM physics reach: Non-standard interactions

- NSI simply parameterizes discrepancy from the SM, providing a (somewhat) model independent space to constrain



Akimov et al.  
Science Vol. 357, 6356 (2017)



## Future Inference with Reactor + Accelerator

Ge	1GW reactor (20m)	$10^4$ kg.days
Si	1GW reactor (20m)	$10^4$ kg.days
NaI	SNS (20m)	1 tonne.year
Ar	SNS (20m)	1 tonne.year

Using reactor/SNS neutrinos:  
Dutta et al. arXiv:

# COHERENT axial contribution

Total predicted:

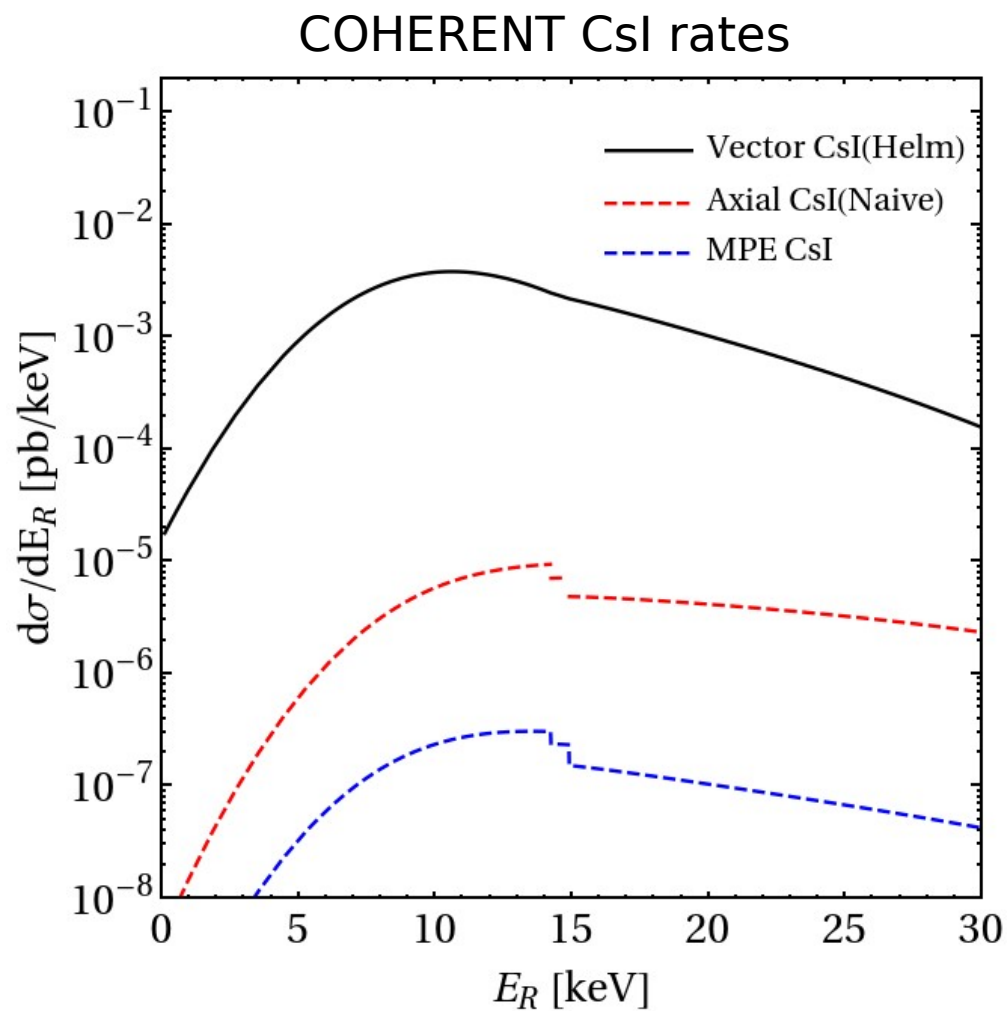
Helm: 182

MPE: 177

Axial contribution: 0.014

COHERENT expected: 174

Observed: 134+/-22



# Summary

- CEvNS is a new probe in the toolbox of the phenomenologist, being sensitive to a variety of new physics channels
- Lots of experiments will be providing new insights into neutrino-hadron interactions in the coming years
- A multi-messenger approach will be vital to break degeneracies and interpret experimental results



# CEvNS cross sections

- It is desirable to have a consistent formalism for calculating CEvNS cross sections across different detector targets (including isotopes)
- The commonly used form, valid for point (fermionic) particles:

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 m}{2\pi} \left( (g_v + g_a)^2 + (g_v - g_a)^2 \left( 1 - \frac{E_R}{E_\nu} \right)^2 + (g_a^2 - g_v^2) \frac{m E_R}{E_\nu^2} \right)$$

J. Barranco et al. (2005)

- The formalism of semi-leptonic electroweak nuclear scattering developed by Walecka (1975), Donnelly & Peccei (1978) is suitable for our purposes

# The fundamentals

- The effective NC interaction lagrangian, where the currents sum over all fermions with the V-A structure:

$$\mathcal{L}_{\text{eff}}^{(\text{NC})} = -\frac{G_F}{\sqrt{2}} j_Z^\mu j_{Z\mu}$$

- We want the matrix elements for leptonic-hadronic currents:

$$\langle f | \hat{H}_W | i \rangle = \frac{G_F}{\sqrt{2}} \int d^3x \langle f | j_\mu^{lep} \hat{J}^\mu(\vec{x}) | i \rangle$$

# The cross section

Summing over the spins and averaging over nuclear spins (only):

$$\frac{d\sigma}{d\Omega} = \frac{G_F^2 E_\nu^2}{4\pi^2} \frac{4\pi}{2J_i + 1} \left( \langle l_0 \rangle \langle l_0 \rangle^* \sum_{J=0}^{\infty} |\langle J_i || \hat{\mathcal{M}}_J || J_i \rangle|^2 + \frac{1}{2} \langle \vec{l} \rangle \cdot \langle \vec{l} \rangle^* \sum_{J=1}^{\infty} |\langle J_i || \hat{\mathcal{T}}_J^{\text{el}} || J_i \rangle|^2 \right)$$

Evaluating the neutrino traces and putting this in terms of the recoil energy:

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 m_T}{\pi} \frac{4\pi}{2j + 1} \left[ \left( 1 - \frac{m_T E_R}{2E_\nu^2} \right) \sum_{J=0,2..}^{\infty} |\langle j || \hat{\mathcal{M}}_J || j \rangle|^2 + \frac{1}{2} \left( 1 + \frac{E_R m_T}{2E_\nu^2} \right) \sum_{J=1,3..}^{\infty} |\langle j || \hat{\mathcal{T}}_J^{\text{el}} || j \rangle|^2 \right] \quad (\text{leading order in } E_R/E_{\text{nu}})$$

# Form factors

Define form factors as:

$$F_M^{(N,N')}(q^2) = \frac{4\pi}{2j+1} \sum_{J=0,2,\dots} \langle j || M_J^{(N)} || j \rangle \langle j || M_J^{(N')} || j \rangle$$

$$F_{\Sigma'}^{(N,N')}(q^2) = \frac{4\pi}{2j+1} \sum_{J=1,3,\dots} \langle j || \Sigma_J'^{(N)} || j \rangle \langle j || \Sigma_J'^{(N')} || j \rangle$$

Then the cross section can be written:

$$\begin{aligned} \frac{d\sigma}{dE_R} = & \frac{G_F^2 m_T}{\pi} \left[ \left( 1 - \frac{m_T E_R}{2E_\nu^2} \right) \left( g_V^{n^2} F_M^{nn}(q^2) + 2g_V^p g_V^n F_M^{pn}(q^2) + g_V^{p^2} F_M^{pp}(q^2) \right) \right. \\ & \left. + \frac{1}{2} \left( 1 + \frac{m_T E_R}{2E_\nu^2} \right) \left( g_A^{n^2} F_{\Sigma'}^{nn}(q^2) + 2g_A^p g_A^n F_{\Sigma'}^{pn}(q^2) + g_A^{p^2} F_{\Sigma'}^{pp}(q^2) \right) \right] \end{aligned}$$



# Cross section comparison

This work:

$$\frac{d\sigma}{dE_R} = \frac{G_F^2 m_T}{\pi} \left[ \left( 1 - \frac{m_T E_R}{2E_\nu^2} \right) \left( g_V^{n^2} F_M^{nn}(q^2) + 2g_V^p g_V^n F_M^{pn}(q^2) + g_V^{p^2} F_M^{pp}(q^2) \right) \right. \\ \left. + \frac{1}{2} \left( 1 + \frac{m_T E_R}{2E_\nu^2} \right) \left( g_A^{n^2} F_{\Sigma'}^{nn}(q^2) + 2g_A^p g_A^n F_{\Sigma'}^{pn}(q^2) + g_A^{p^2} F_{\Sigma'}^{pp}(q^2) \right) \right]$$

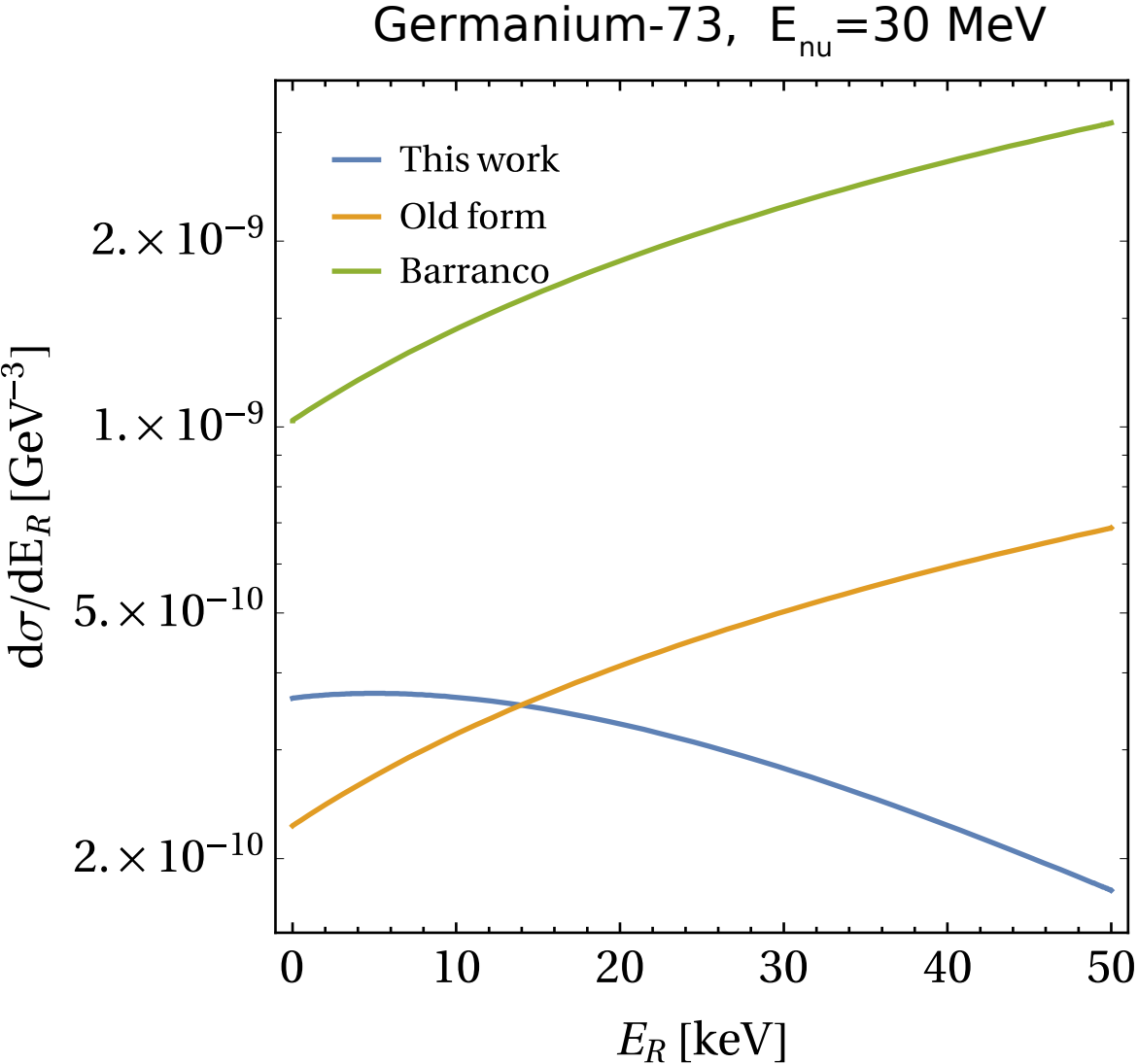
Our past work:

$$\frac{d\sigma}{dE_r}(E_r, E_\nu) = \frac{G_F^2 m_N}{\pi} \left[ \left( 1 - \frac{m_N E_r}{2E_\nu^2} \right) Q_v^2 F^2(E_r) + \left( 1 + \frac{m_N E_r}{2E_\nu^2} \right) Q_a^2 \frac{4(J_N + 1)}{3J_N} \right]$$

Barranco (to Er/Enu):

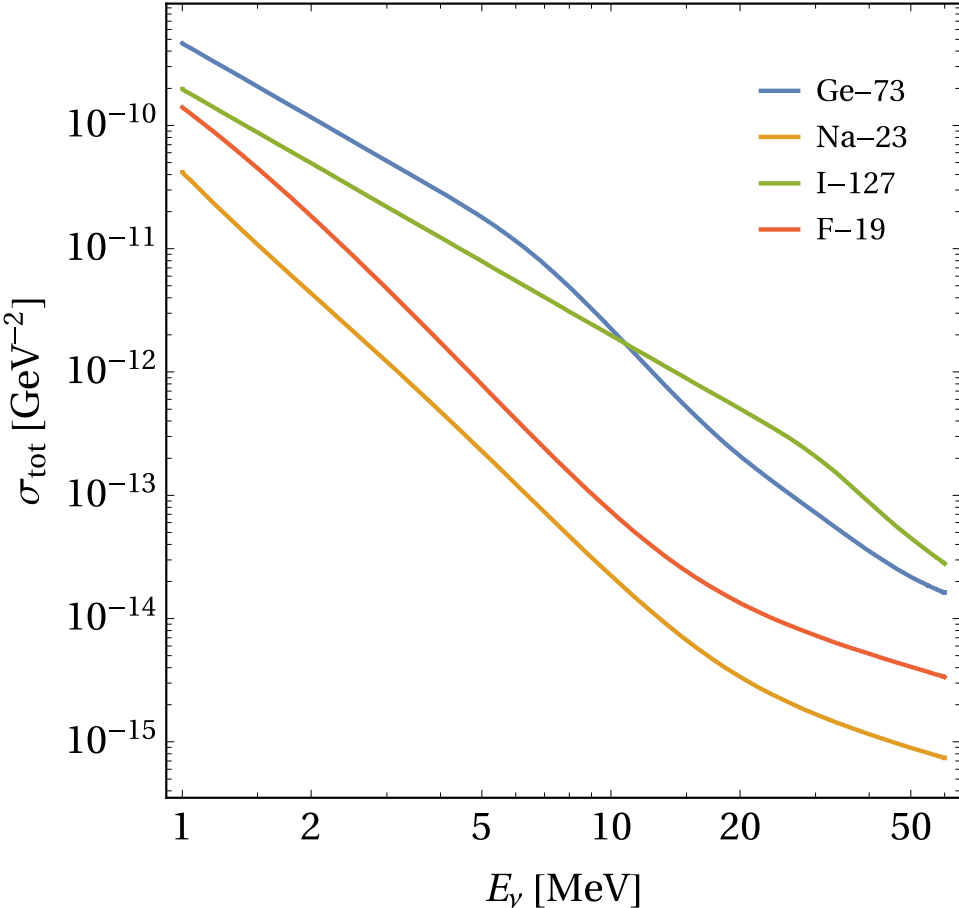
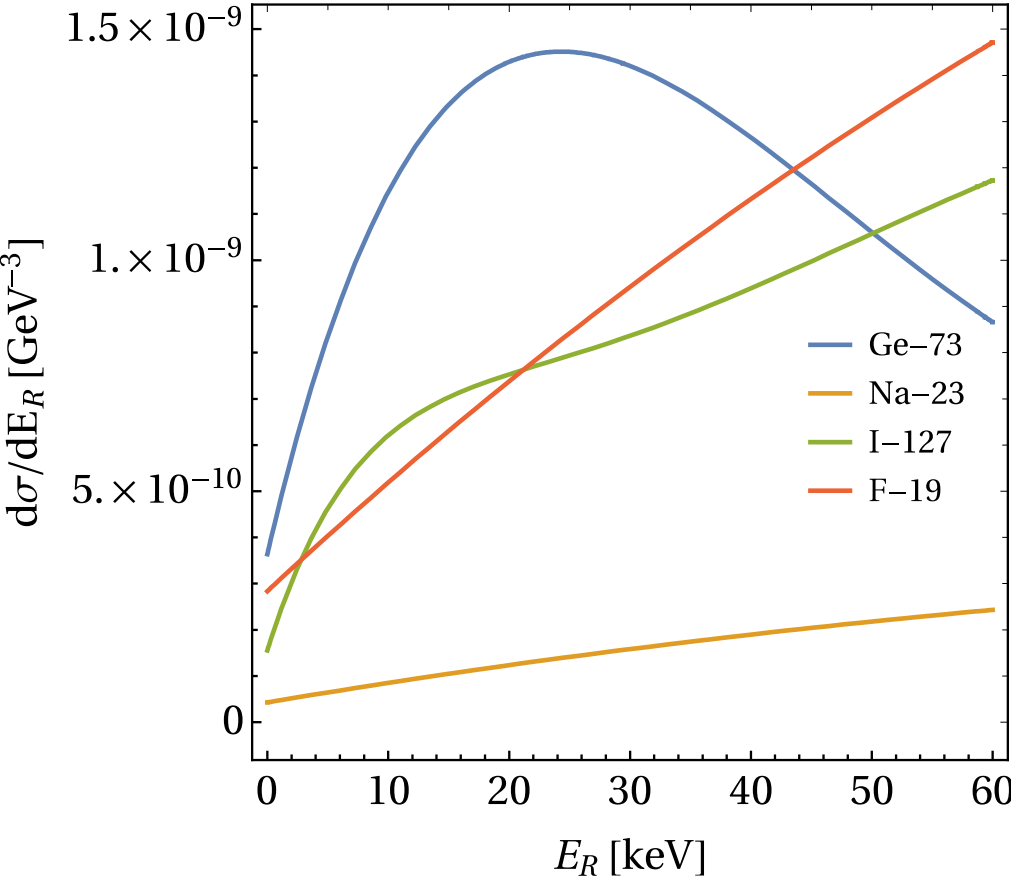
$$\frac{d\sigma}{dE_R} = \frac{G_F^2 m_T}{\pi} \left[ \left( 1 - \frac{m_T E_R}{2E_\nu^2} \right) (g_V^p Z + g_V^n N)^2 F_V(q^2)^2 \right. \\ \left. + \left( 1 + \frac{m_T E_R}{2E_\nu^2} \right) (g_A^p (Z_+ - Z_-) + g_A^n (N_+ - N_-))^2 F_A^2(q^2) \right]$$

# Axial cross section comparison



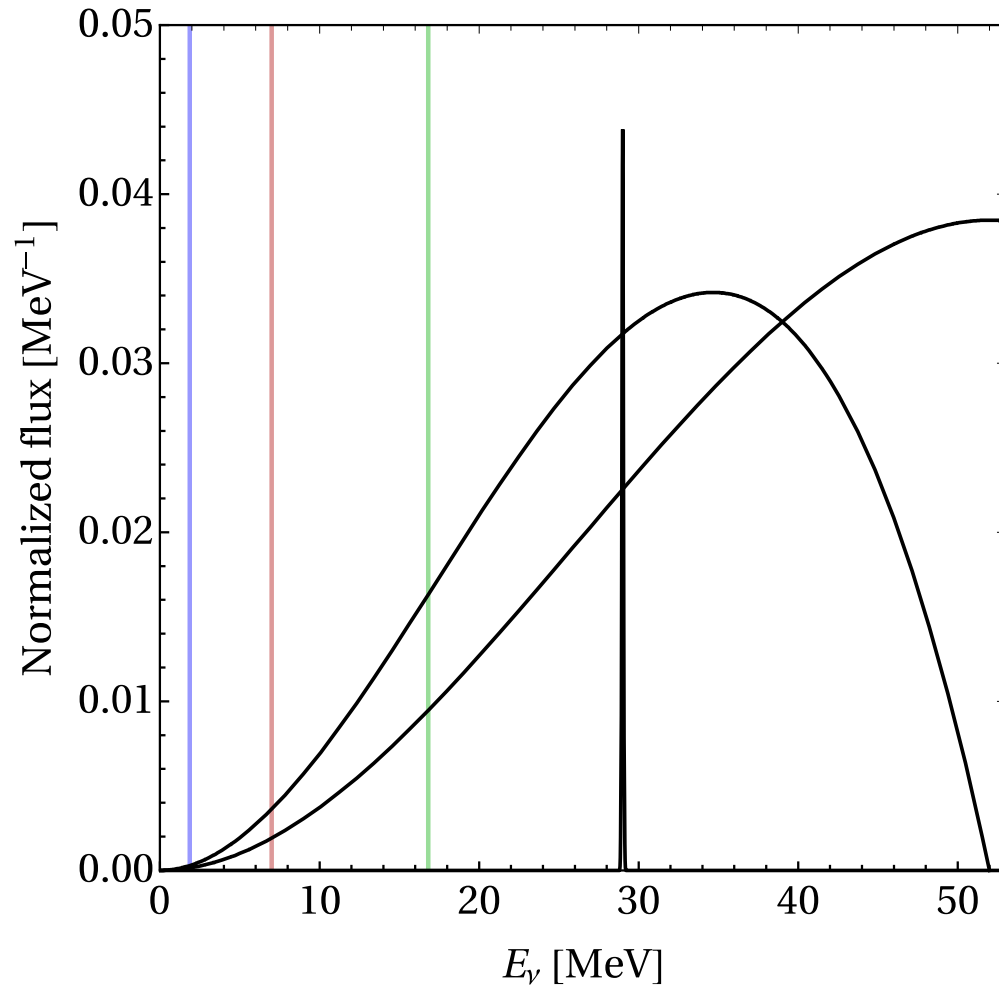
# Axial cross section

$E_{\text{nu}} = 10 \text{ MeV}$



# Neutrino fluxes

SNS flux due to decay of stopped pions  $\rightarrow$  muons  $\rightarrow$  neutrinos:



	Percent flux above thresh.
Germanium 100 eV <sub>nr</sub>	~100%
Sodium 4.25 keV <sub>nr</sub>	>99%
Caesium 4.25 keV <sub>nr</sub>	95%

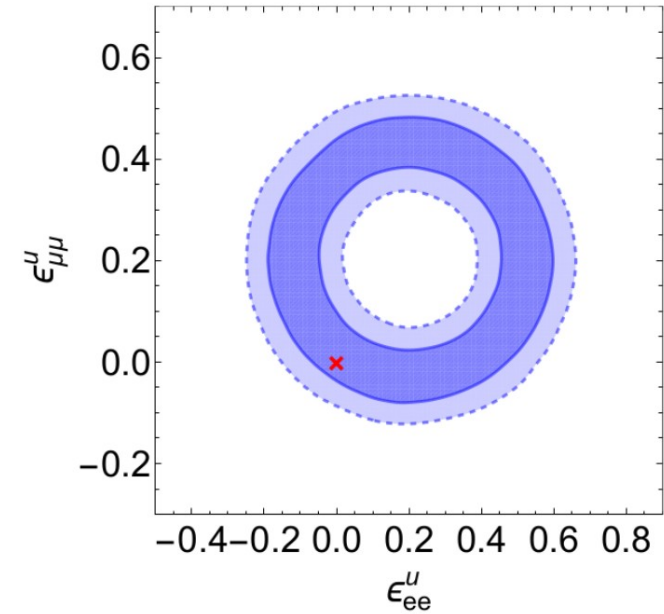
# Bayesian inference

- Bayesian priors:

Parameter	Prior range	Scale
$\epsilon_{\alpha\alpha}^f$	(-1.5, 1.5)	linear
SNS flux	$(4.29 \pm 0.43) \times 10^9$	Gaussian
Reactor flux	$(1.50 \pm 0.03) \times 10^{12}$	Gaussian
SNS background	$(5 \pm 0.25) \times 10^{-3}$	Gaussian
Reactor background	$(1 \pm 0.1)$	Gaussian

- Experimental configurations:

Name	Detector	Source	Exposure	Threshold
Current (COHERENT)	CsI	SNS (20m)	4466 kg.days	4.25 keV
Future (reactor)	Ge	1GW reactor (20m)	$10^4$ kg.days	100 eV
	Si	1GW reactor (20m)	$10^4$ kg.days	100 eV
Future (accelerator)	NaI	SNS (20m)	1 tonne.year	2 keV
	Ar	SNS (20m)	1 tonne.year	30 keV





# Nucleon currents and their form factors

- In the low-q limit  $F_1^{Z(N)}$  is electric charge (no isoscalar contributions)

$$F_1^{Z(N)}(q^2) = I_3^N (F_1^p - F_1^n) - 2 \sin^2(\theta_w) F_1^N - \frac{1}{2} F_1^{s(N)}$$

$$G_A^{Z(N)}(q^2) = I_3^N (G_A^p - G_A^n) - \frac{1}{2} G_A^{s(N)}$$

- The form factors become:

$$F_1^{Z(N)}(q^2 \rightarrow 0) = I_3^N - 2 \sin^2(\theta_w) Q^N \equiv g_V^N$$

$$G_A^{Z(N)}(q^2 \rightarrow 0) = I_3^N g_A - \frac{1}{2} g_A^{s(N)} \equiv g_A^N$$

- Our nucleon currents are thus (in low-q limit):

$$\mathcal{J}_Z^\mu = \bar{N} \gamma^\mu (g_V^N - g_A^N \gamma^5) N$$

- Where the charges are:  
 $g_V^p = 0.015$     $g_V^n = -0.51$   
 $g_A^p = 0.63$     $g_A^n = -0.59$

# The nuclear responses

$$\sum_{J=0,2,\dots}^{\infty} |\langle j || \hat{\mathcal{M}}_J || j \rangle|^2$$

$$\sum_{J=1,3,\dots}^{\infty} |\langle j || \hat{\mathcal{T}}_J^{\text{el}} || j \rangle|^2$$

Where the nuclear responses in first quantization are:

$$\hat{\mathcal{M}}_{JM}(q) = \sum_{i=1}^A g_V^N(i) M_{JM}(q\vec{x}_i) \quad \hat{\mathcal{T}}_{JM}^{\text{el}}(q) = i \sum_{i=1}^A g_A^N(i) \Sigma'_{JM}(q\vec{x}_i)$$

Single particle operator	Operator	P/CP	Long wave limit
$M_{JM}(q\vec{x}_i) \equiv j_J(qx_i) Y_{JM}(\Omega_{x_i})$	Vector charge	even/even	1
$\Sigma'_{JM}(q\vec{x}_i) \equiv -i \left\{ \frac{1}{q} \vec{\nabla}_i \times \vec{M}_{JJ}^M(q\vec{x}_i) \right\} \cdot \vec{\sigma}(i)$	Transverse spin current	odd/odd	$\sigma$