

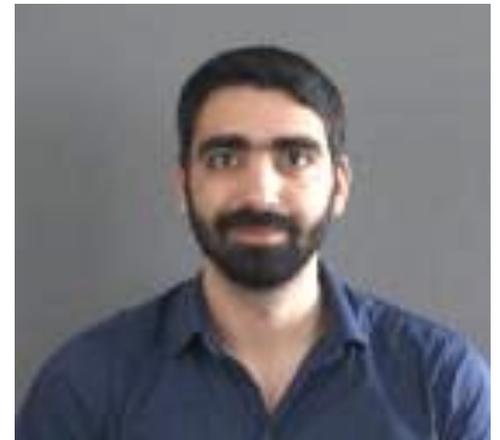
Dark matter decays and the Hubble tension

Savvas M. Koushiappas



BROWN

Kyriakos Vattis



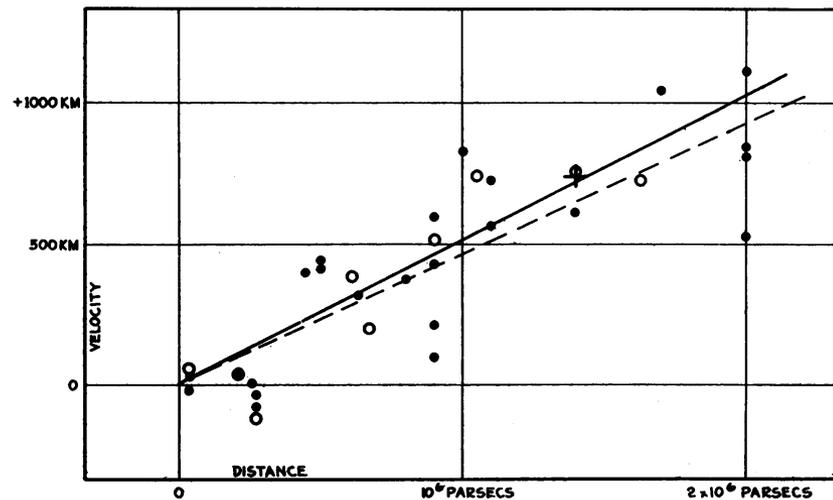
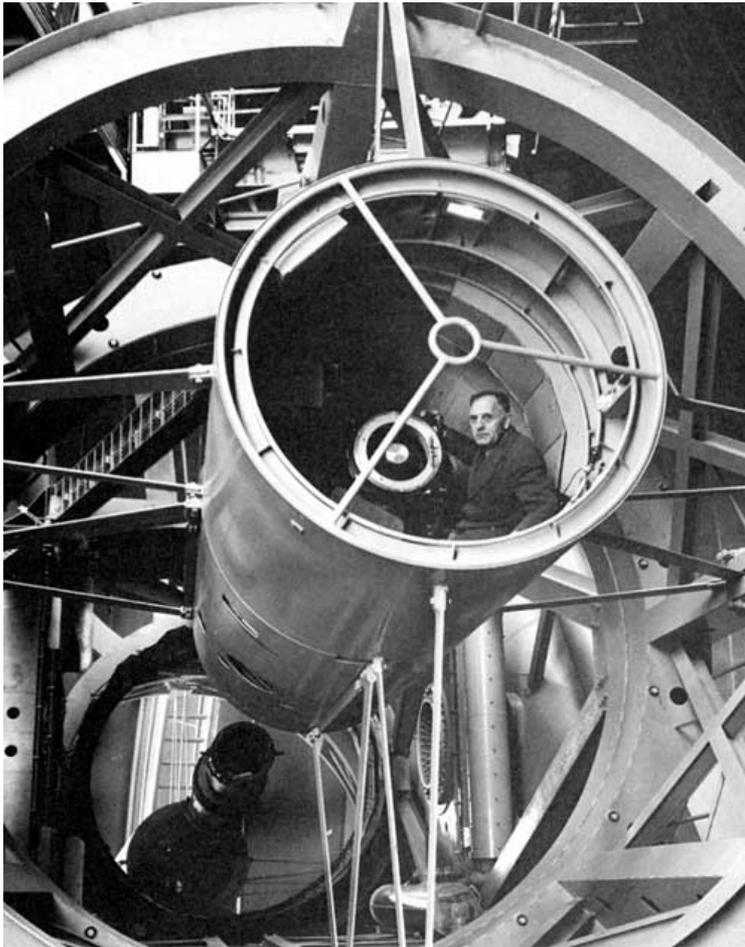
Based on Vattis, Koushiappas & Loeb, arXiv:1903.06220 (PRD accepted)

A RELATION BETWEEN DISTANCE AND RADIAL VELOCITY AMONG EXTRA-GALACTIC NEBULAE

BY EDWIN HUBBLE

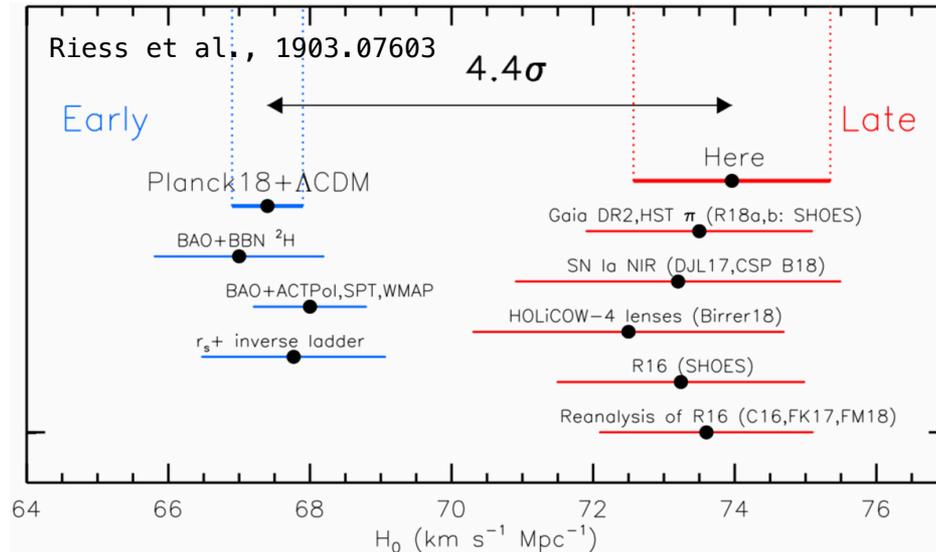
MOUNT WILSON OBSERVATORY, CARNEGIE INSTITUTION OF WASHINGTON

Communicated January 17, 1929

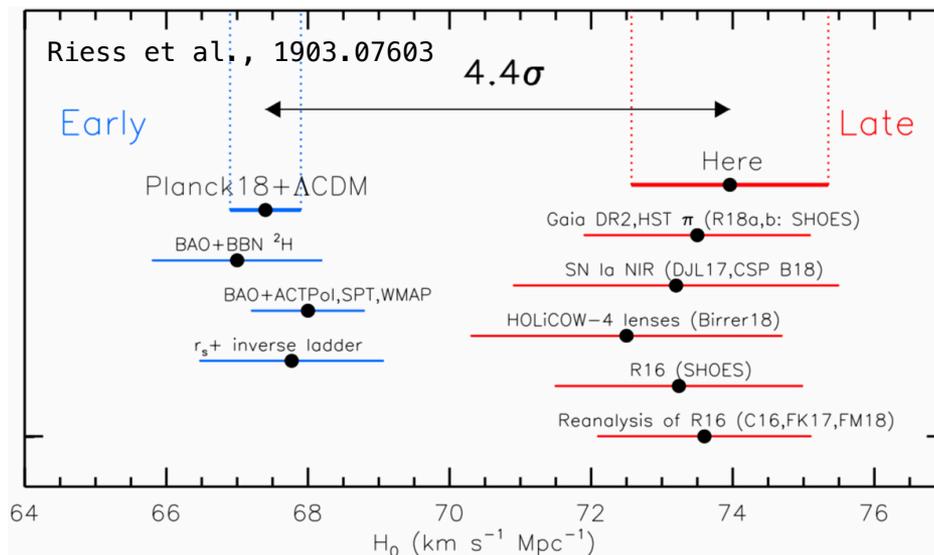


$$H^2(a) \equiv \left(\frac{\dot{a}}{a} \right)^2 = \frac{8\pi G}{3} \sum_i \rho_i(a)$$

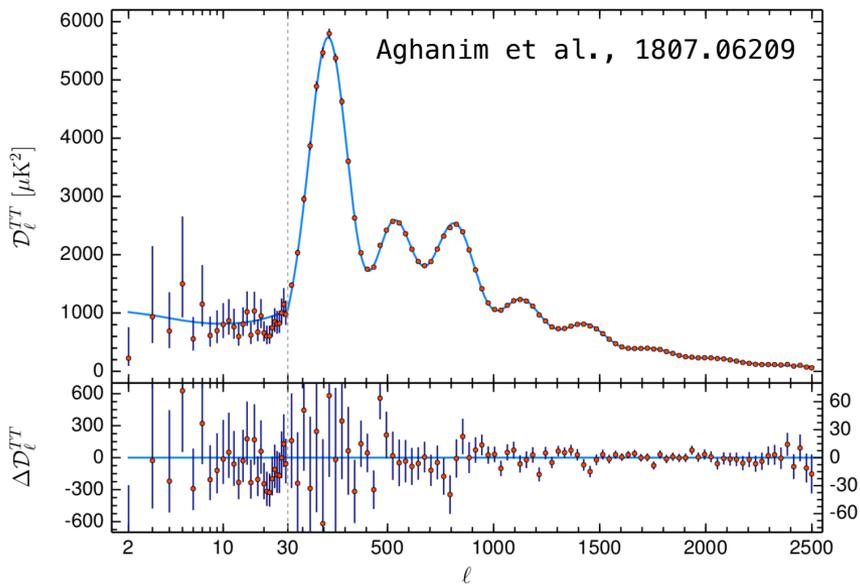
The Hubble parameter tension today



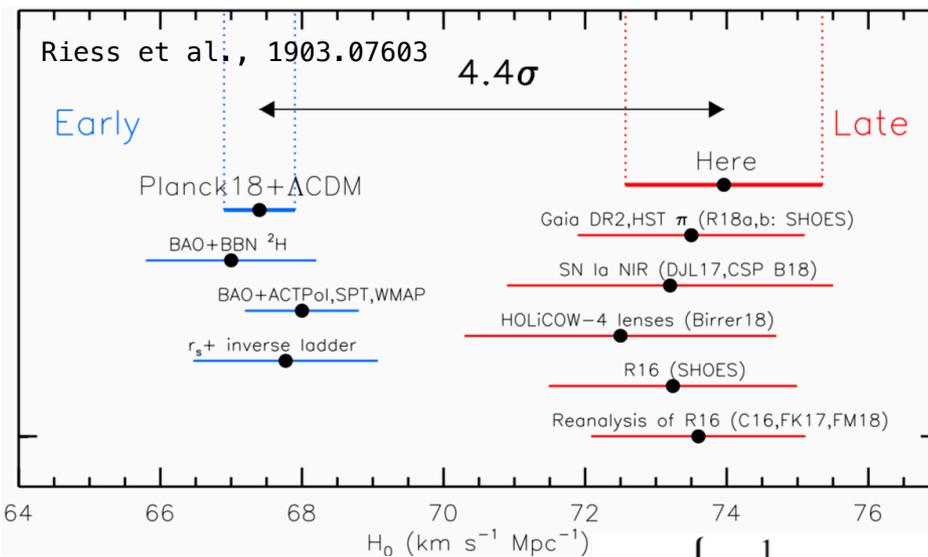
The Hubble parameter tension today



$$\{\Omega_b h^2, \Omega_m h^2, 100\theta_{MC}, \tau, n_s, \ln(10^{10} A_s)\}$$



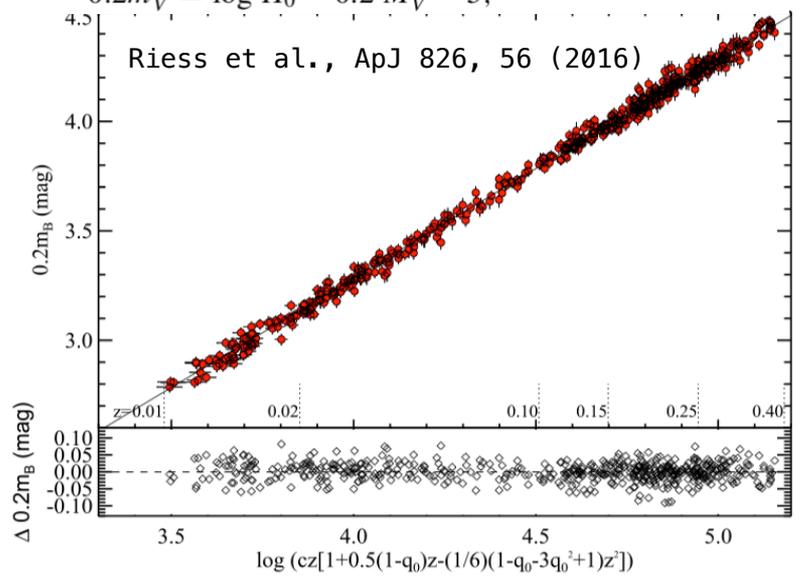
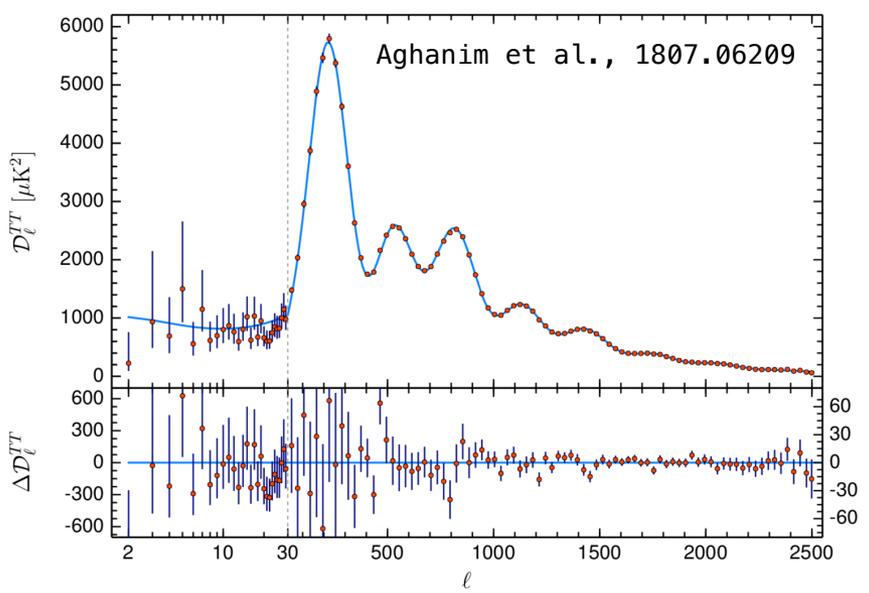
The Hubble parameter tension today



$$\{\Omega_b h^2, \Omega_m h^2, 100\theta_{MC}, \tau, n_s, \ln(10^{10} A_s)\}$$

$$\log cz \left\{ 1 + \frac{1}{2} [1 - q_0] z - \frac{1}{6} [1 - q_0 - 3q_0^2 + j_0] z^2 + O(z^3) \right\}$$

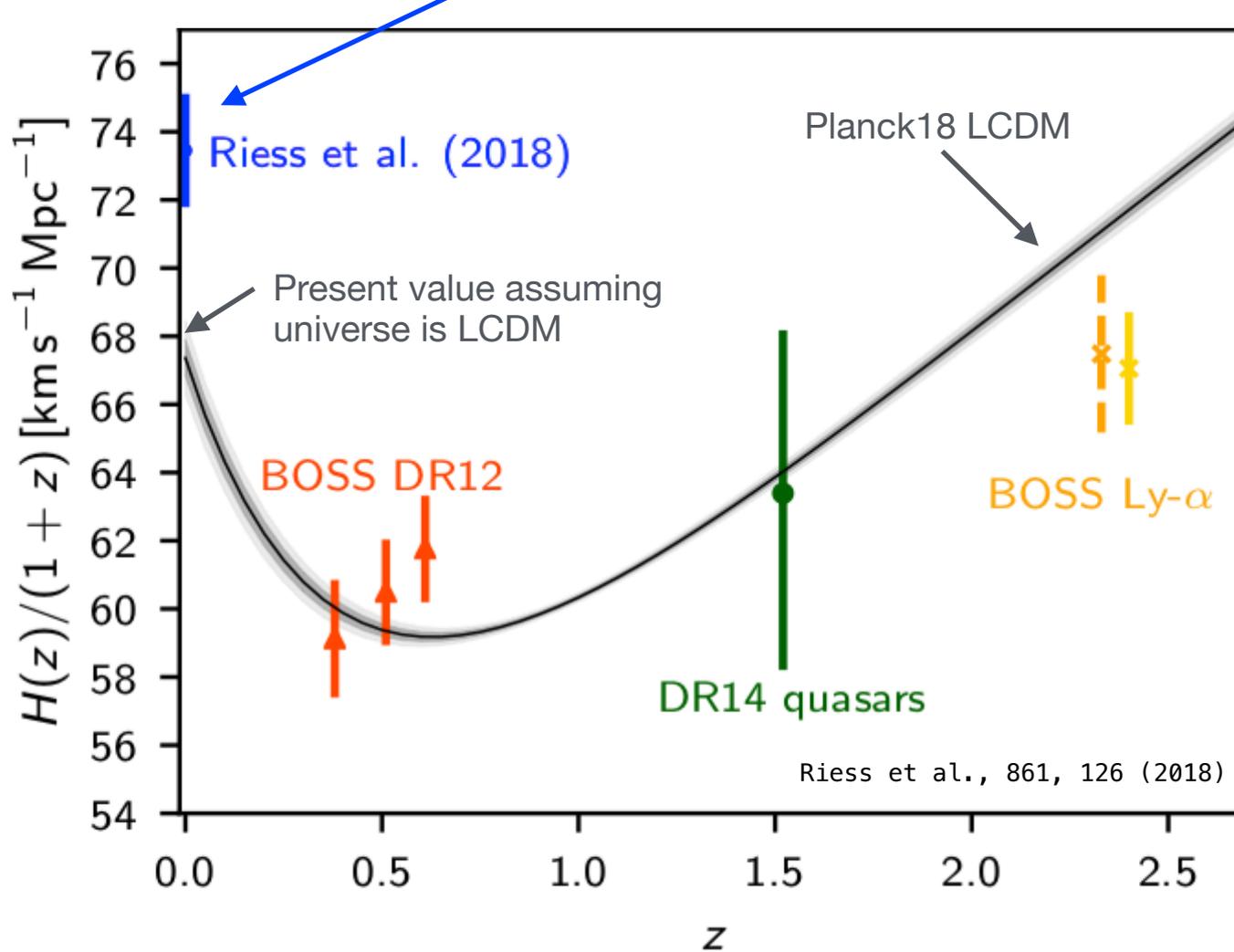
$$- 0.2m_V^0 = \log H_0 - 0.2 M_V^0 - 5,$$



The Hubble parameter
tension today

Local universe
measurements

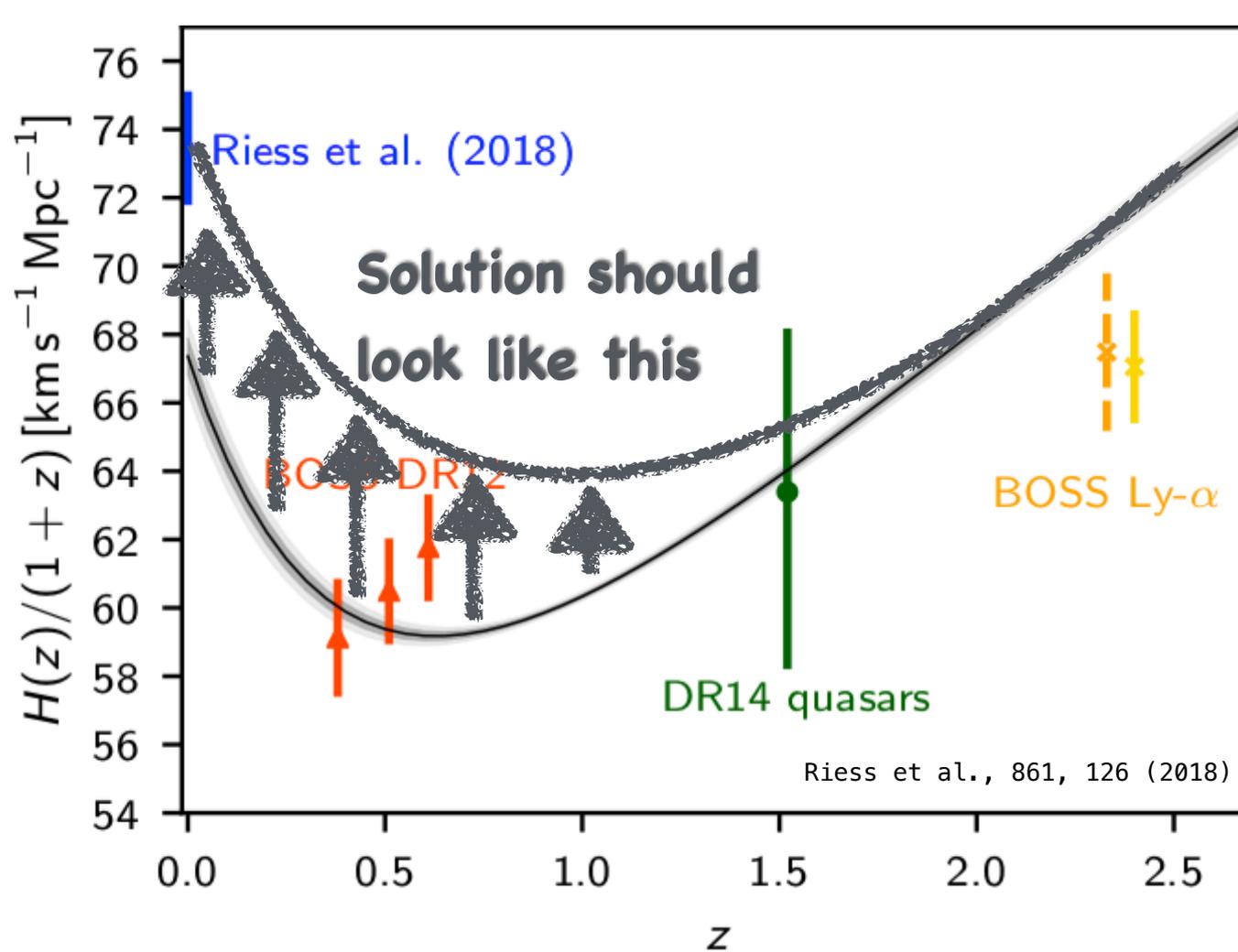
$$H^2(a) \equiv \left(\frac{\dot{a}}{a} \right)^2 = \frac{8\pi G}{3} \sum_i \rho_i(a)$$



$$\frac{1}{a} \equiv 1 + z$$

The Hubble parameter
tension today

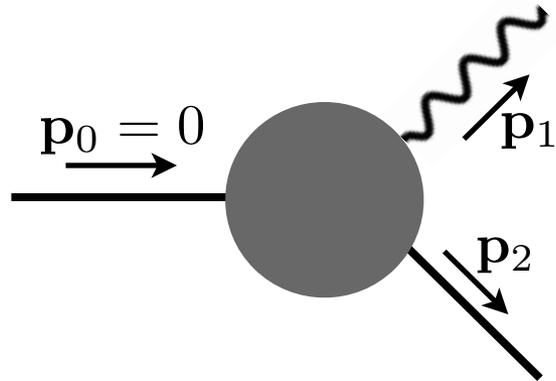
$$H^2(a) \equiv \left(\frac{\dot{a}}{a}\right)^2 = \frac{8\pi G}{3} \sum_i \rho_i(a)$$



$$\frac{1}{a} \equiv 1 + z$$

Two-body decays

$$\psi \rightarrow \chi \gamma$$



$$p_{\mu,0} = (m_0 c^2, \mathbf{0}),$$

$$p_{\mu,1} = (\epsilon m_0 c^2, \mathbf{p}_1),$$

$$p_{\mu,2} = ((1 - \epsilon) m_0 c^2, \mathbf{p}_2)$$

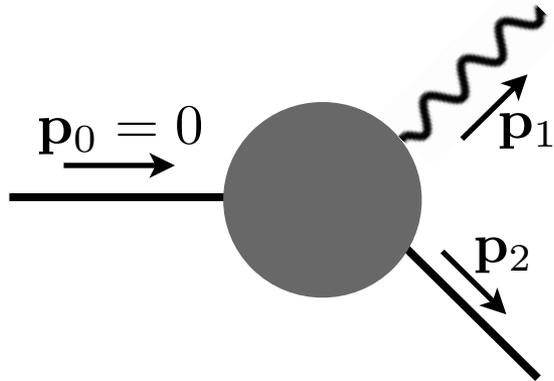
$$\beta_2 \equiv v_2/c = \epsilon/(1 - \epsilon)$$

$$\frac{d\rho_0}{dt} + 3\frac{\dot{a}}{a}\rho_0 = -\Gamma\rho_0, \quad \frac{d\rho_1}{dt} + 4\frac{\dot{a}}{a}\rho_1 = \epsilon\Gamma\rho_0,$$

$$\rho_2(a) = \frac{\mathcal{C}}{a^3} \int_{a_*}^a \frac{e^{-\Gamma t(a_D)}}{a_D H_D} \left[\frac{\beta_2^2}{1 - \beta_2^2} \left(\frac{a_D}{a} \right)^2 + 1 \right]^{1/2} da_D,$$

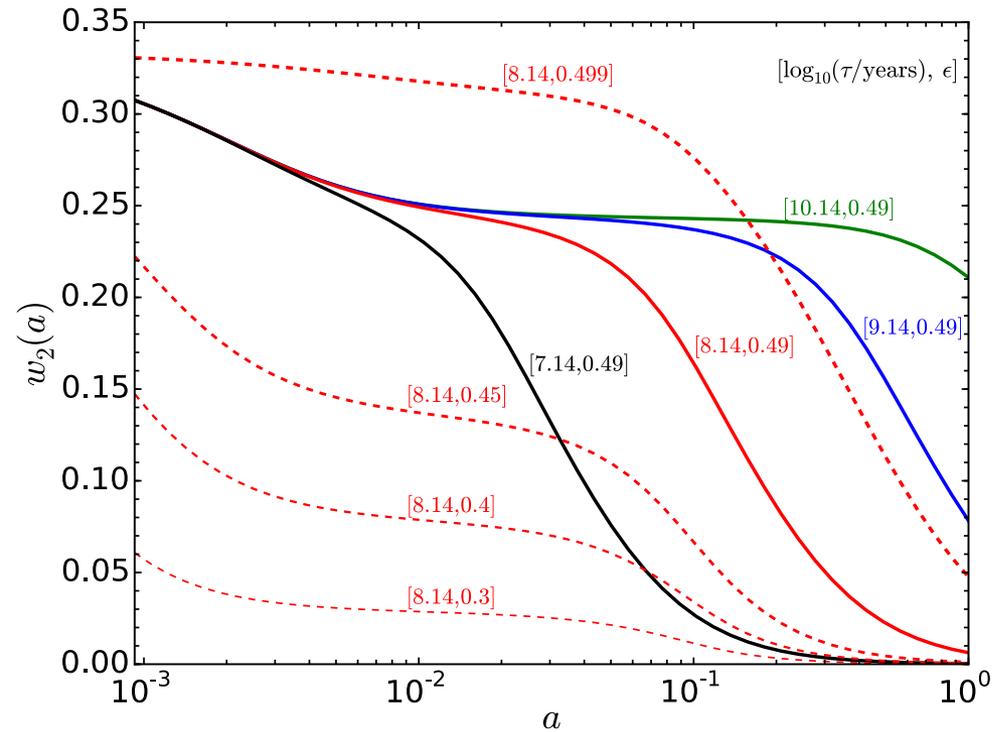
Two-body decays

$$\psi \rightarrow \chi \gamma$$



$$w_2(a) = \frac{1}{3} \langle v_2(a)^2 \rangle$$

Dynamical equation of state



Two-body decays

$$H^2(a) \equiv \left(\frac{\dot{a}}{a} \right)^2 = \frac{8\pi G}{3} \sum_i \rho_i(a)$$

$$\begin{aligned} \sum_i \rho_i(a) &= \rho_0(a) + \rho_1(a) + \rho_2(a) \\ &+ \rho_r(a) + \rho_\nu(a) + \rho_b(a) + \rho_\Lambda \end{aligned}$$

$$\{\Omega_m, \tau\} \text{ fixed} \quad \epsilon \uparrow \quad H(a=1) \downarrow$$

$$\{\Omega_m, \epsilon\} \text{ fixed} \quad \tau \downarrow \quad H(a=1) \downarrow$$

Two-body decays

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Major assumption:

The universe is correctly described by Planck18

at the epoch of recombination.

Two-body decays

$$\{\tau, \epsilon, \Omega_{\text{DM}}, h\}$$

$$-4 \leq \log_{10} \epsilon < \log_{10} 1/2$$

$$-3 \leq \log_{10} \tau \leq 4$$

$$0 \leq \Omega_{\text{DM}} \leq 1$$

$$0.5 \leq h \leq 1$$

Run these against:

- Distance ladder measurements
- BOSS DR 12, DR 14 quasar BAO
- SDSS Ly-alpha auto- and cross-correlation function

Two-body decays

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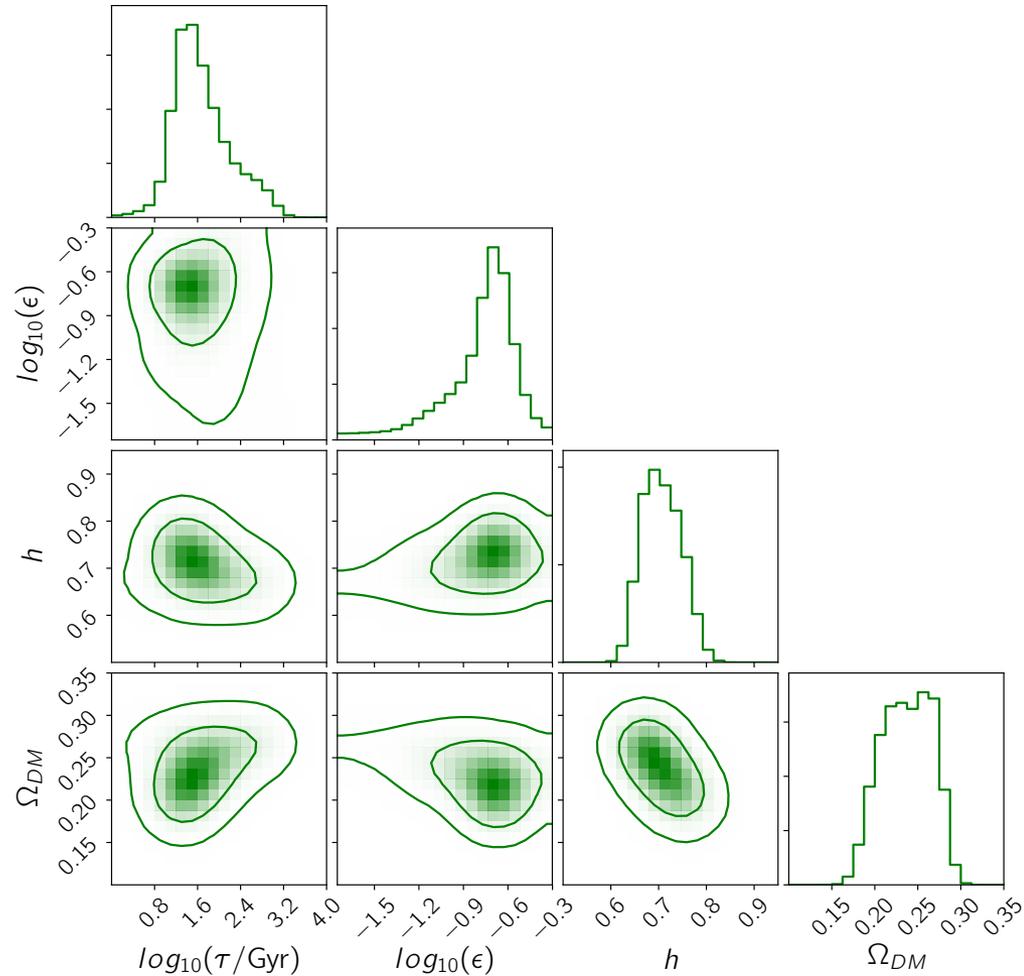
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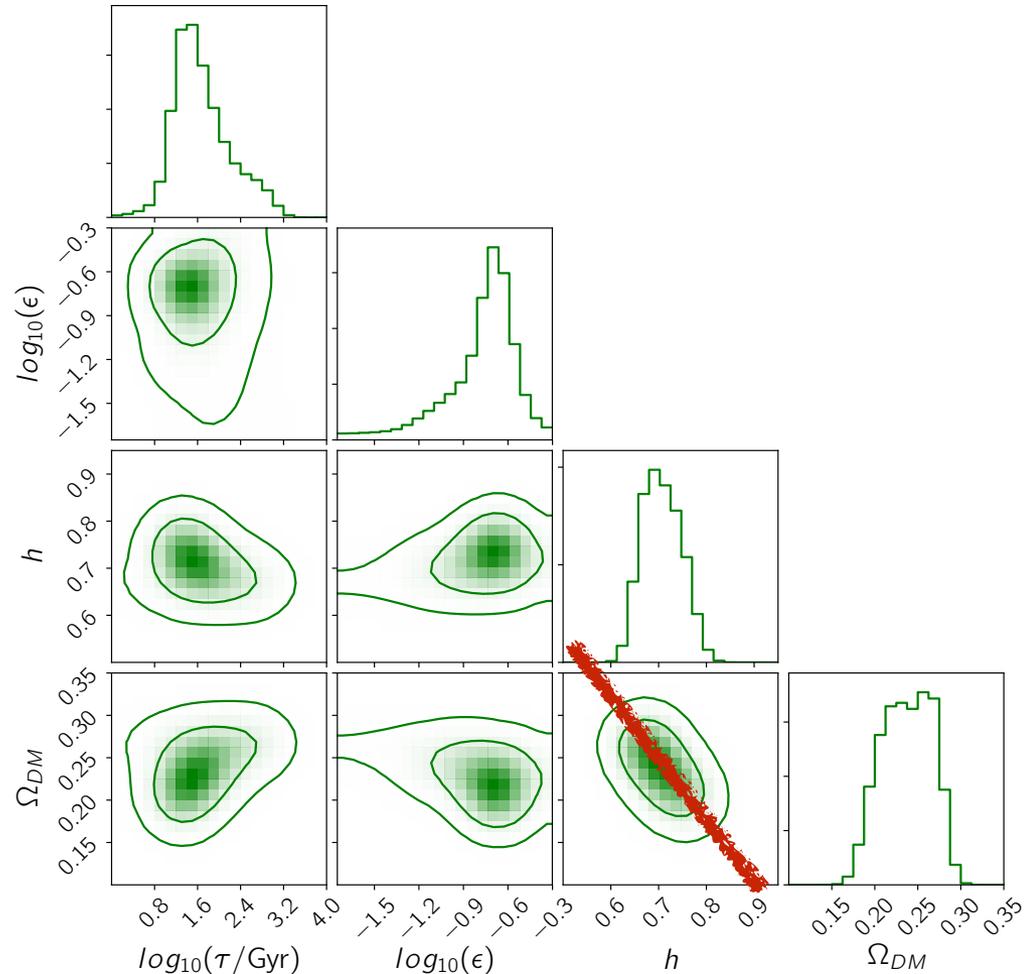
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Observation 1:

Increasing h requires the universe to expand faster at late times which means matter-dark energy equality must occur earlier — thus lowered value of matter density.

Two-body decays

$$\{\tau, \epsilon, \Omega_{\text{DM}}, h\}$$

$$-4 \leq \log_{10} \epsilon < \log_{10} 1/2$$

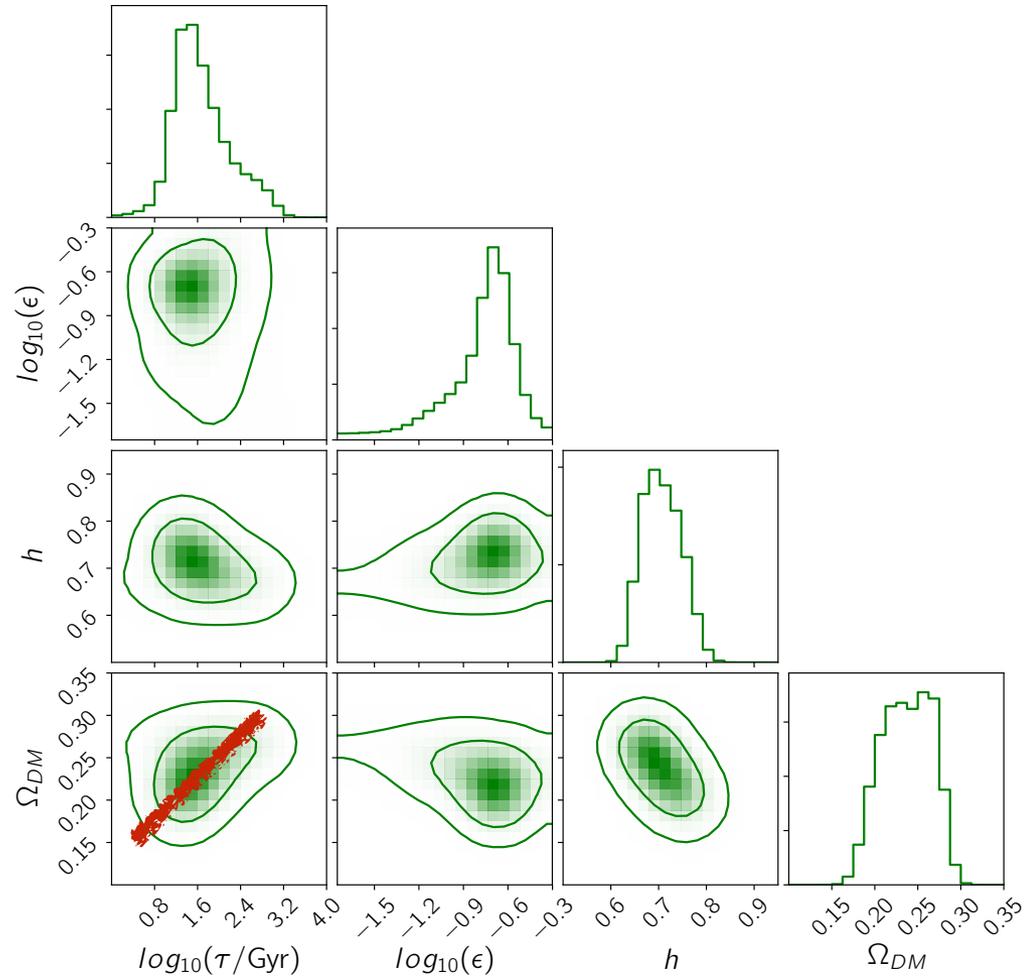
$$-3 \leq \log_{10} \tau \leq 4$$

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$$0.5 \leq h \leq 1$$

Run these against:

- Distance ladder measurements
- BOSS DR 12, DR 14 quasar BAO
- SDSS Ly-alpha auto- and cross-correlation function



Observation 2:

Lowering lifetime requires less matter density for same reason (need to move matter-dark energy equality earlier).

Two-body decays

$$\{\tau, \epsilon, \Omega_{\text{DM}}, h\}$$

$$-4 \leq \log_{10} \epsilon < \log_{10} 1/2$$

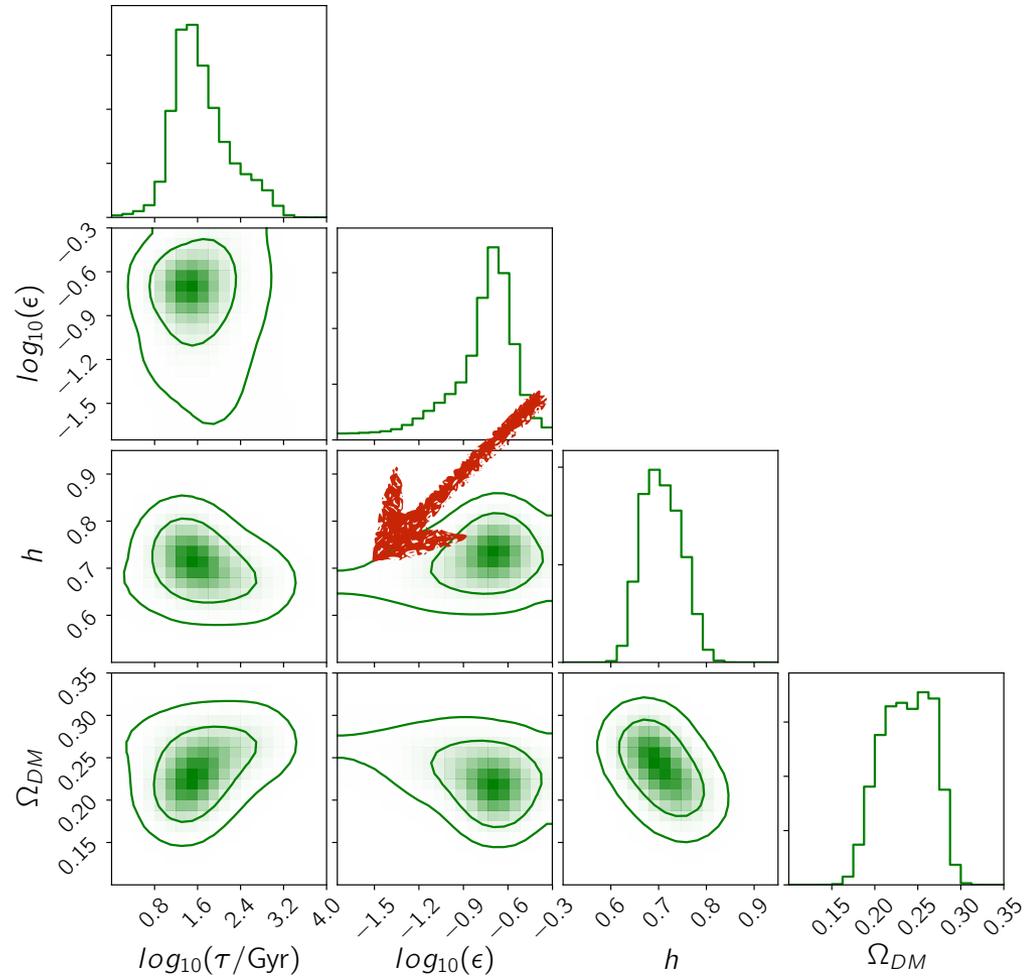
$$-3 \leq \log_{10} \tau \leq 4$$

$$0 \leq \Omega_{\text{DM}} \leq 1$$

$$0.5 \leq h \leq 1$$

Run these against:

- Distance ladder measurements
- BOSS DR 12, DR 14 quasar BAO
- SDSS Ly-alpha auto- and cross-correlation function



Observation 3:

Not enough data — LCDM dominant as there is only one data point at late times.

Two-body decays

We *sample* these:

$$\{\tau, \epsilon, \Omega_{\text{DM}}, h\}$$

We *obtain* these:

68% confidence intervals

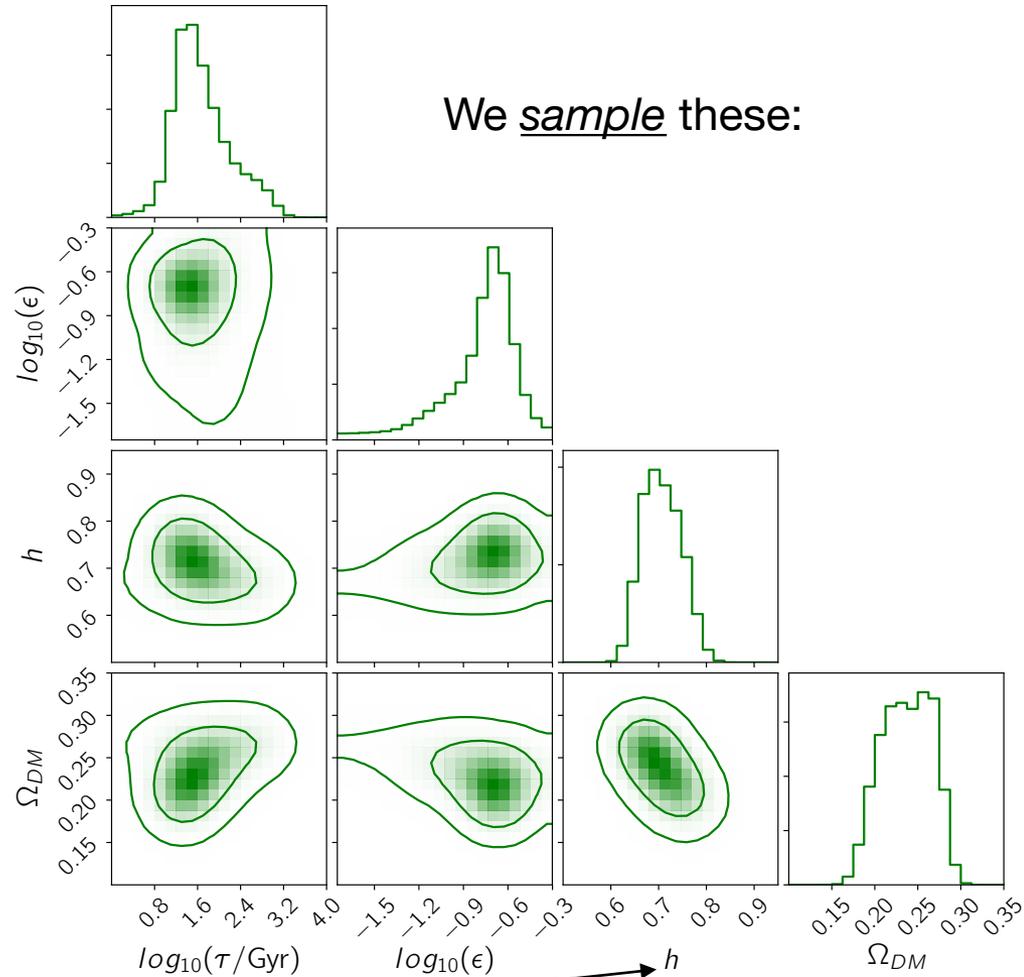
$$\log_{10} \epsilon = -0.78^{+0.14}_{-2.10}$$

$$\log_{10}(\tau/\text{Gyr}) = 1.55^{+0.63}_{-0.25}$$

$$\Omega_{\text{DM}} = 0.24^{+0.03}_{-0.03}$$

$$h = 0.70^{+0.04}_{-0.03}$$

We *sample* these:



However this is the derived value while this is the sampled value

Two-body decays

We *sample* these:

$$\{\tau, \epsilon, \Omega_{\text{DM}}, h\}$$

We *obtain* these:

68% confidence intervals

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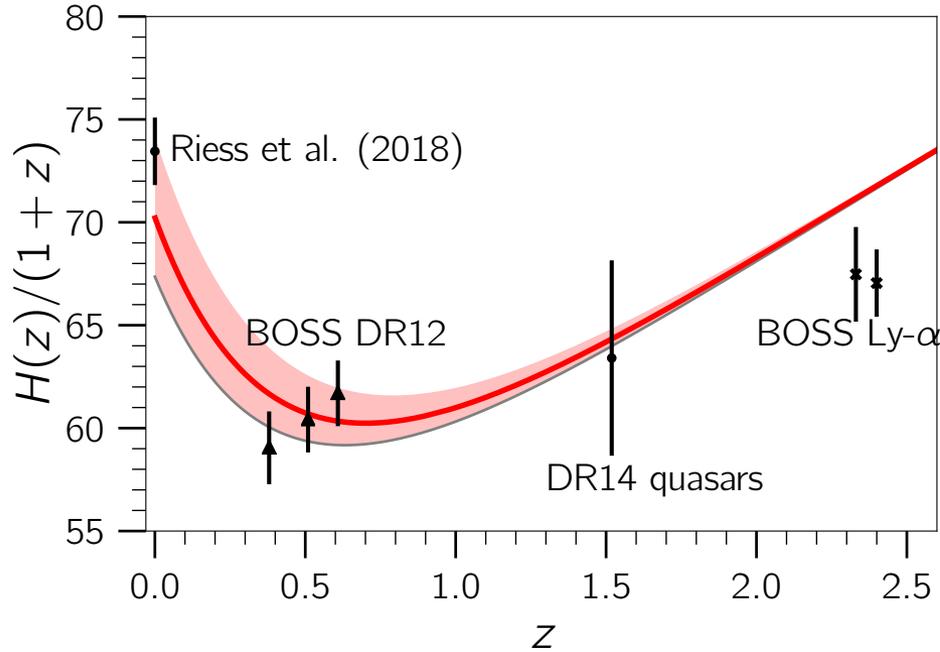
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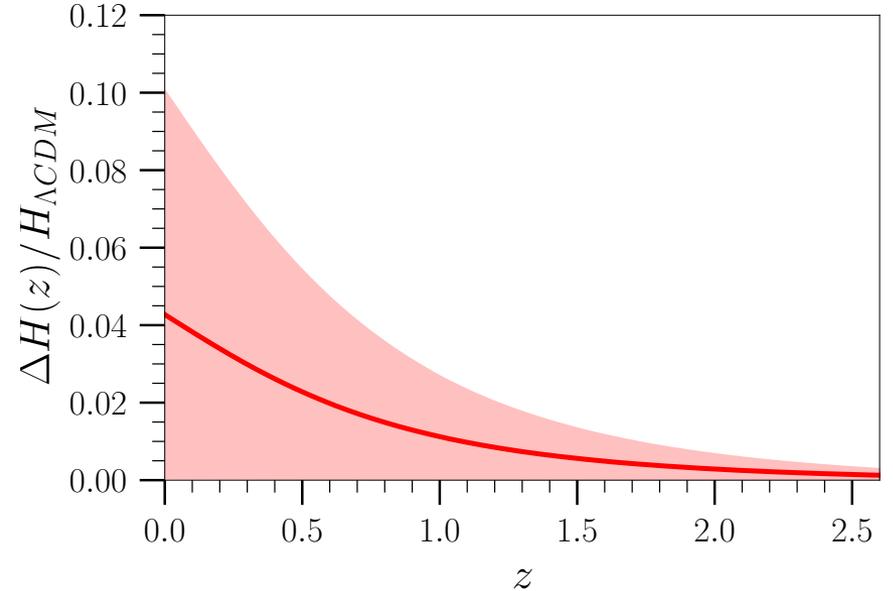
Part of this allowed values of the lifetime parameter space is ruled out by the SDSS Ly-alpha power spectrum (see Wang et al., PRD 85, 043514 (2012) & PRD 88, 123515 (2013))

However the preferred value of the lifetime may not correspond to the largest change in the value of H

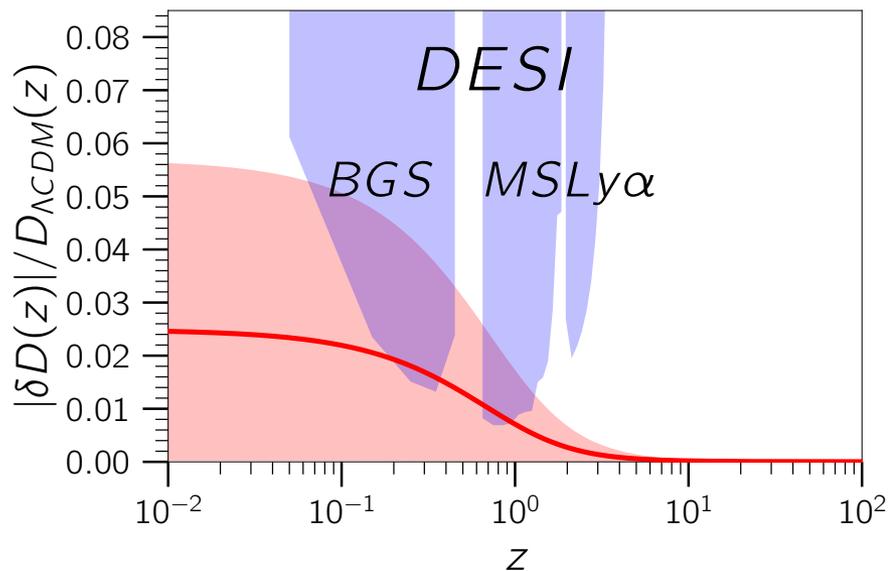
Two-body decays



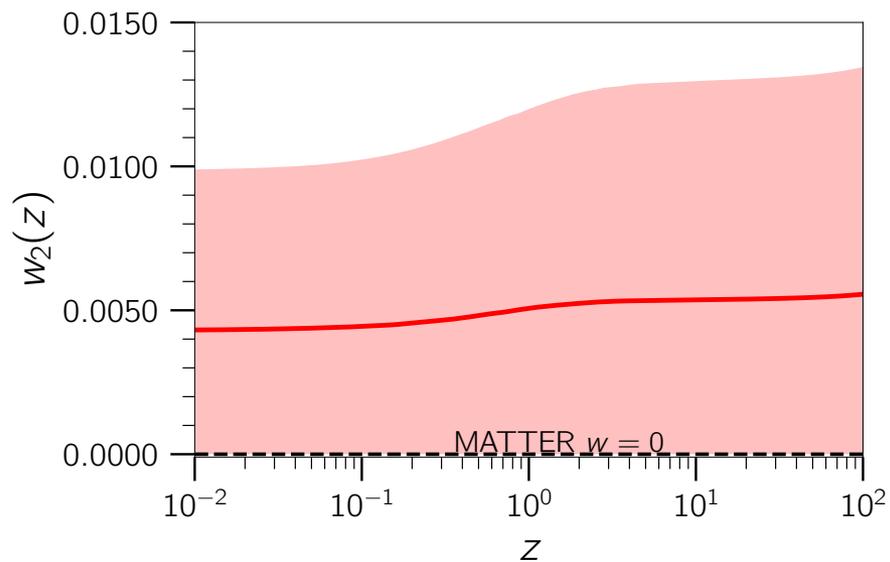
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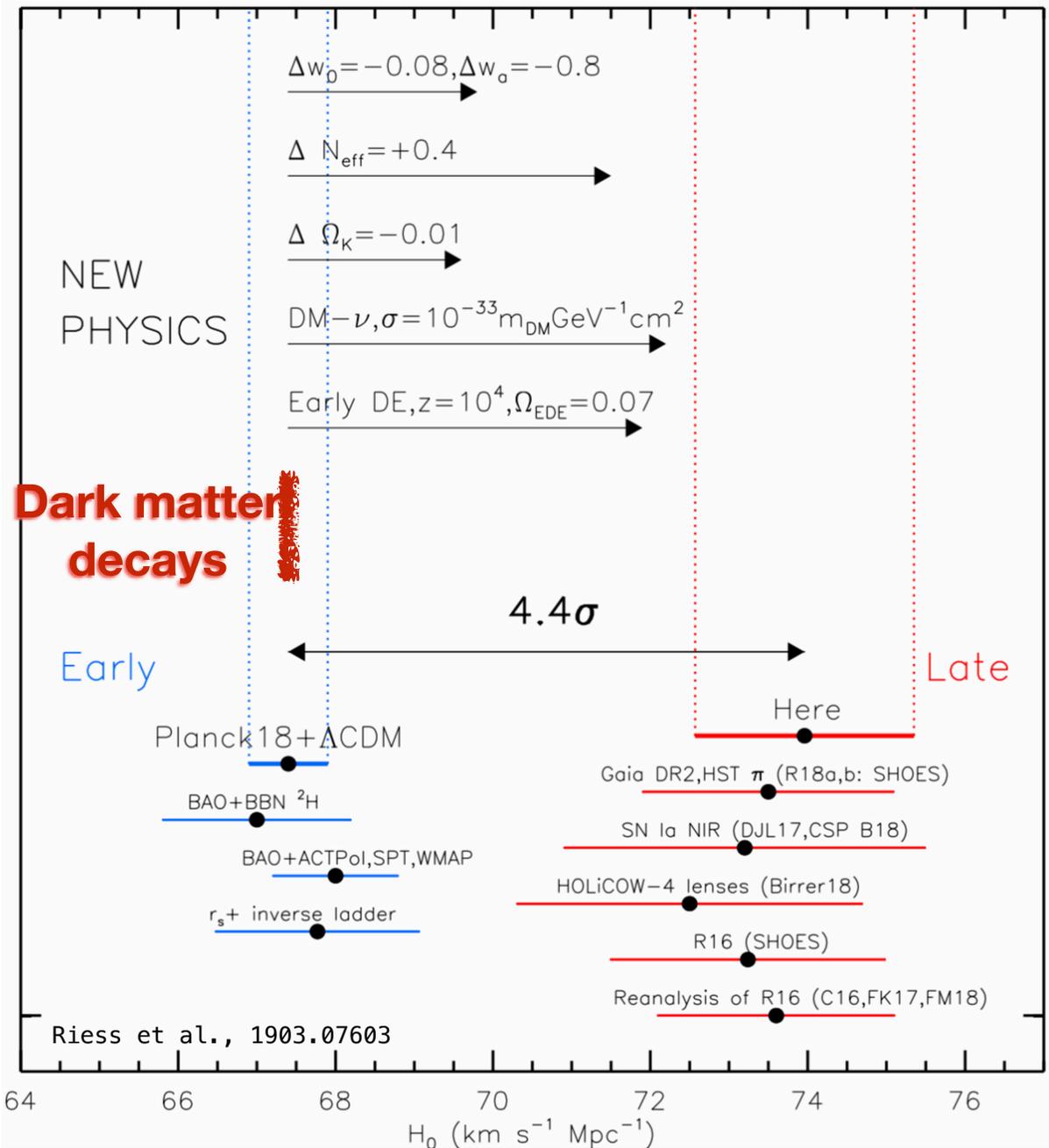


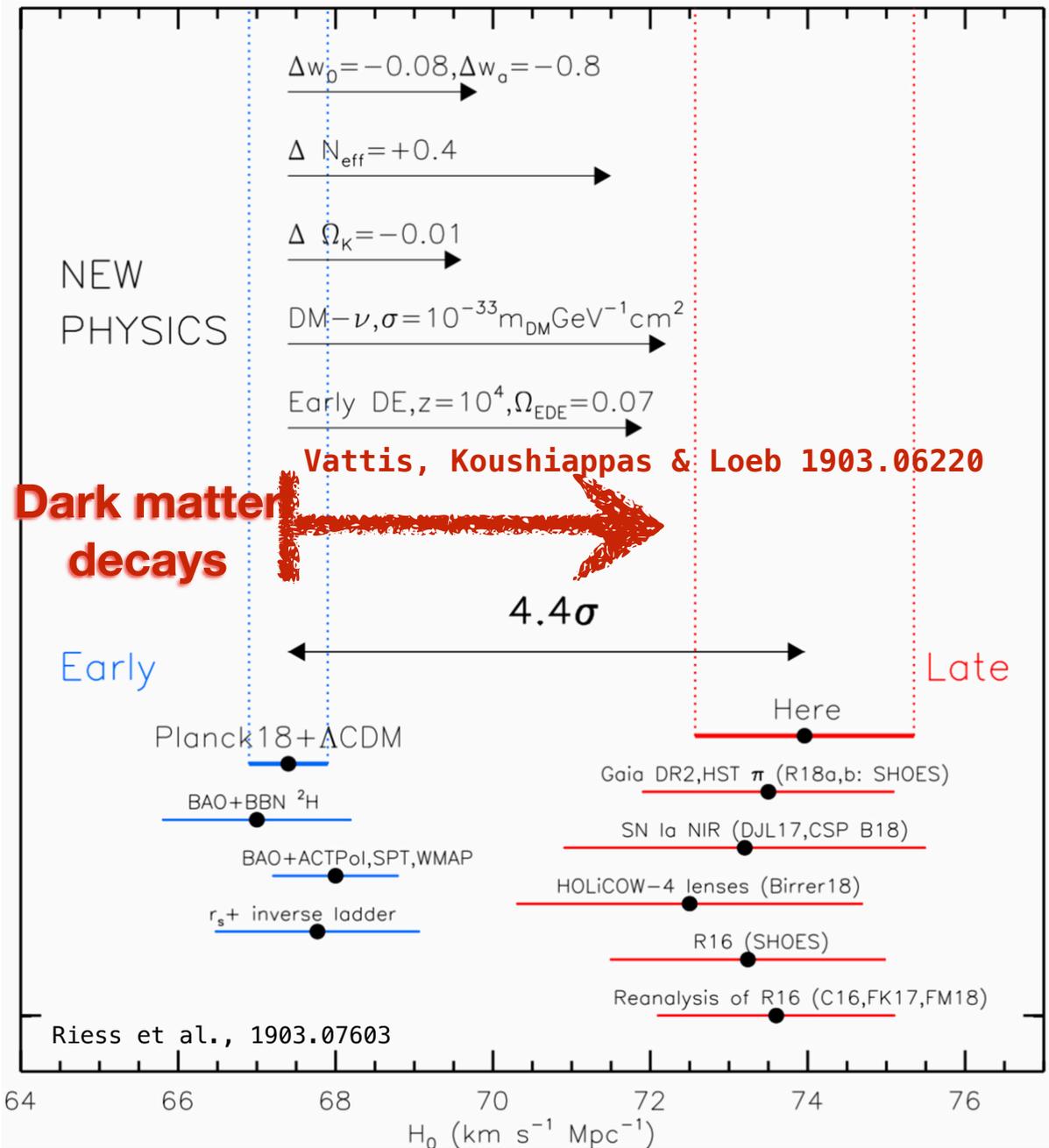
Two-body decays



$$\frac{d^2 D}{da^2} + \left(\frac{d \ln H}{da} + \frac{3}{a} \right) \frac{dD}{da} - \frac{4\pi G \rho_m}{a^2} = 0$$







And that is the conclusion

