

# DEVELOPMENT OF NEUTRON DETECTORS FOR KEY ASTROPHYSICAL NUCLEAR REACTIONS

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# Outline

- Motivation and thermal neutron scattering
- Monte Carlo benchmark setup
- Results
- Conclusions and outlook



# Motivation

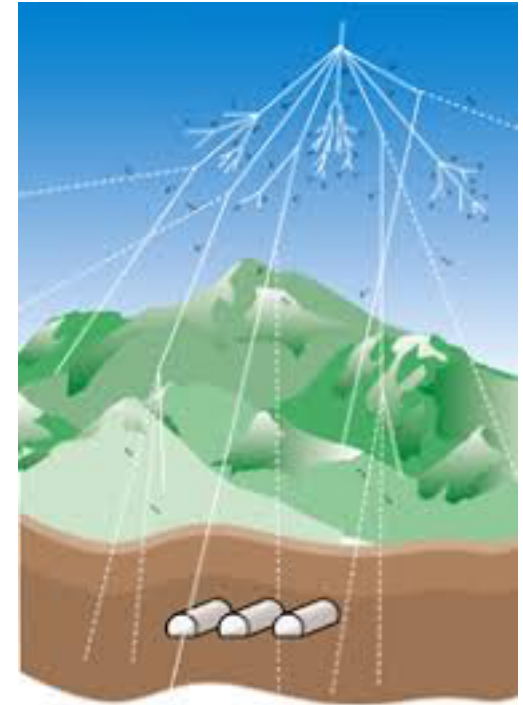
In the energy region of interest of nuclear astrophysics, the cross section is strongly suppressed by the Coulomb barrier.

## Extremely low counting rates

Most of the reactions in this range can not be measured on the surface of earth because of the cosmic ray induced background.

## Experiment underground

↓↓  $10^4$  for  $\gamma$  ↓↓  $10^3$  for neutrons



For these low background conditions other sources become important, even dominant over the signal from the nuclear reaction.

**Intrinsic background** on the detectors/**Beam induced** background from **contaminants**

# Motivation

Specifically for reactions involving neutrons  
in the **exit reaction channel**:

The key to suppress the remaining neutron  
background components could be **neutron  
energy discrimination**.

Example:  $^{22}\text{Ne}(\alpha,n)^{25}\text{Mg}$  reaction

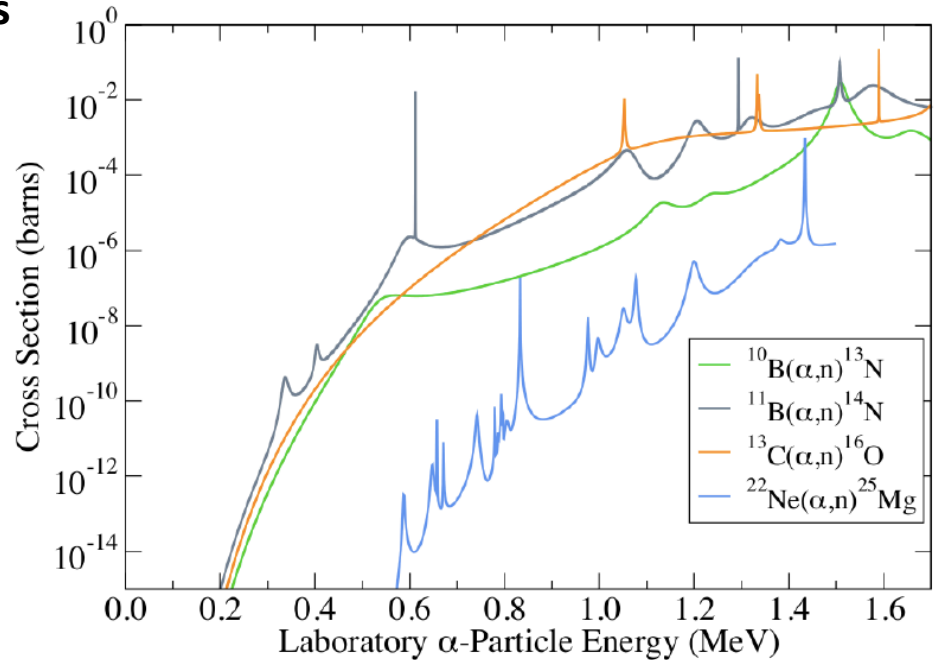
**Possible contaminants as  $^{10}\text{B}$  and  $^{11}\text{B}$   
isotopes**

Different Q-values:

$$Q(^{22}\text{Ne}(\alpha,n)^{25}\text{Mg}) = -\mathbf{0.478} \text{ (MeV)}$$

$$Q(^{10}\text{B}(\alpha,n)^{13}\text{N}) = \mathbf{1.05} \text{ (MeV)}$$

$$Q(^{11}\text{B}(\alpha,n)^{14}\text{N}) = \mathbf{0.157} \text{ (MeV)}$$



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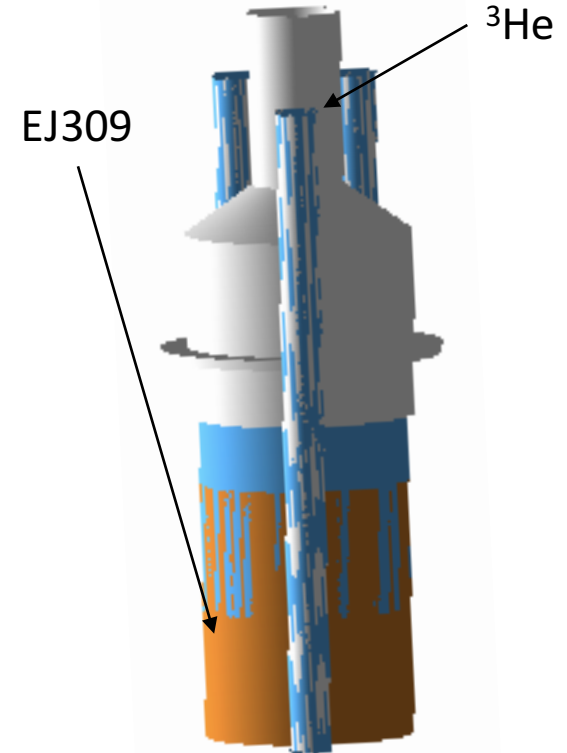
Possible solution not using time-of-flight technique:

- Coincidence for  $^3\text{He}$  + EJ309 detectors for "high" energy neutrons

**The neutron coincidences will depend on the moderation in the EJ309**



**Knowledge of the moderation for this particular material (Thermal scattering)**



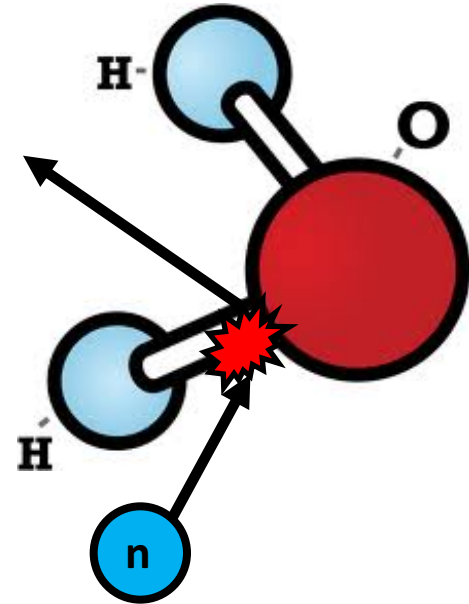
# Thermal neutron scattering

It is considered **thermal scattering** when the **energy of a neutron is comparable** with the **thermal motion energy** of the atoms.

In the thermal scattering process, **the neutron can gain energy by inelastic collisions.**

The detailed thermal cross sections and scattering matrices depends on several physical variables:

- Atomic binding energy.
- Molecular binding energy.
- Lattice structure of the material



# Thermal neutron scattering

The thermal neutron scattering cross section is usually divided:

- Inelastic: Important for all materials  $S(\alpha, \beta)$
- Incoherent elastic ( $\sigma_b^{inc}$ ): Important for hydrogenous solids (Polyethylene)
- Coherent elastic ( $\sigma_b^{coh}$ ): Important for crystalline solids (Graphite/ $\text{UO}_2$ )

$$\frac{d^2\sigma}{d\Omega dE'}(E \rightarrow E', \Omega \rightarrow \Omega') = \frac{\sigma_b}{4\pi kT} \sqrt{\frac{E'}{E}} e^{-\frac{\beta}{2}} S(\alpha, \beta)$$

Momentum transferred:

$$\alpha = \frac{E' + E - 2\sqrt{E'E}\cos\theta}{AkT}$$

Energy transferred:

$$\beta = \frac{E' - E}{kT}$$

Bound scattering cross section:

$$\sigma_b = \sigma_b^{inc} + \sigma_b^{coh}$$



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Only calculated and implemented for a few elements in the libraries:

- **H in WATER** (TS\_H\_of\_Water)
- **H in POLYETHYLENE** (TS\_H\_of\_Polyethylene)
- C in Graphite
- ....

Bound scattering cross section:

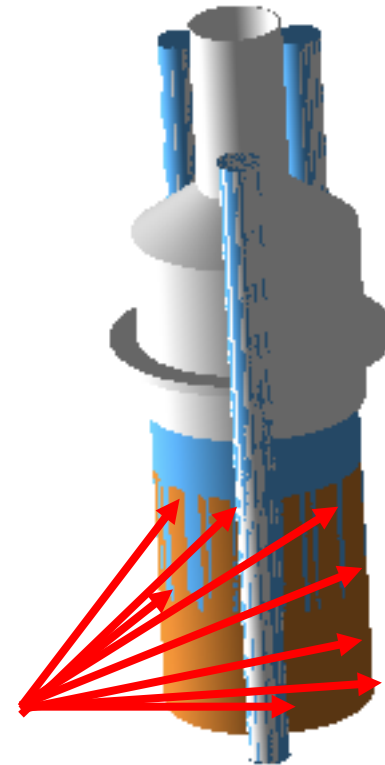
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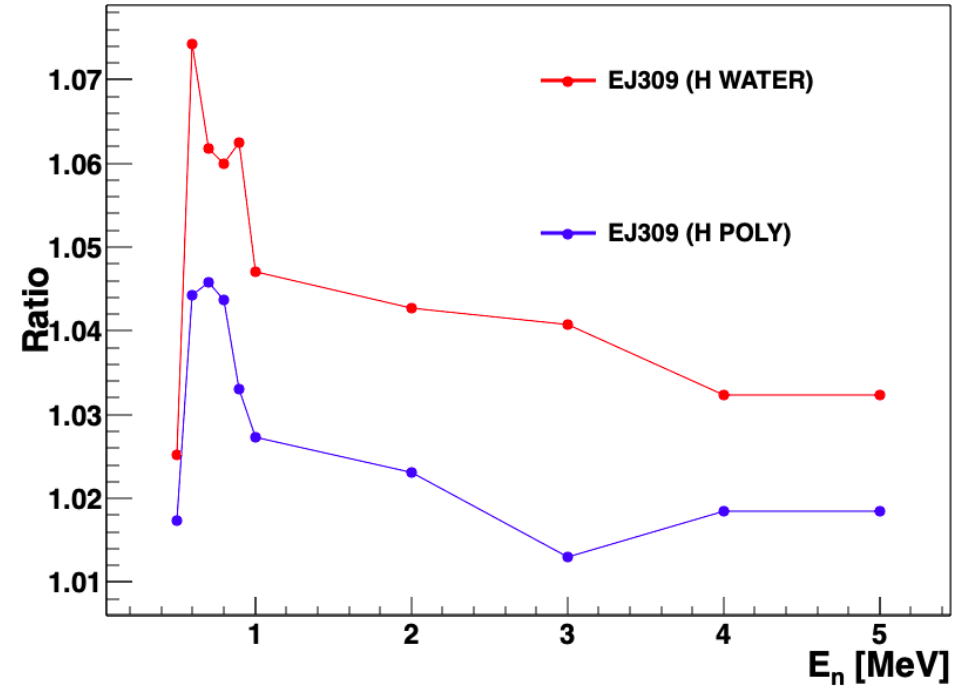
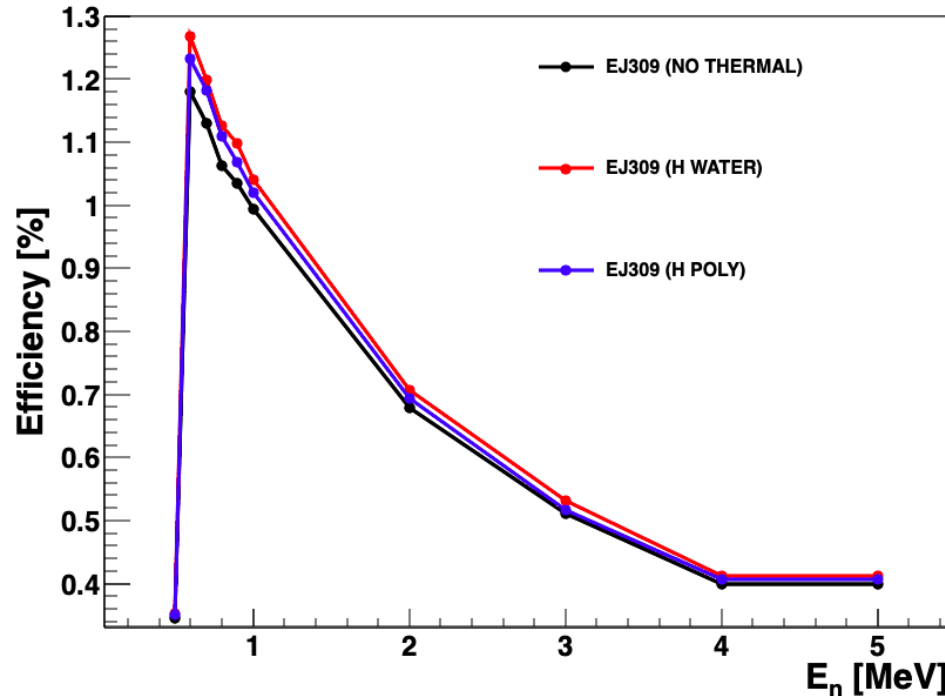


# Monte-Carlo benchmark setup

- Version of GEANT4: 10.4
- Three different cases were tested in EJ309:
  - H.
  - TS\_H\_of\_Water.
  - TS\_H\_of\_Polyethylene.
- 10 different energies were tested:  
0.5, 0.6, 0.7, 0.8, 0.9. 1, 2, 3, 4, 5.
- Source at 30 cm from the detector's surface.
- Observables:
  - Coincidence  $^3\text{He}$ -EJ309 efficiency.
  - Time coincidence distribution.
  - Outcoming angular distribution of moderated thermal neutrons.



# $^3\text{He}$ -EJ309 coincidence efficiency

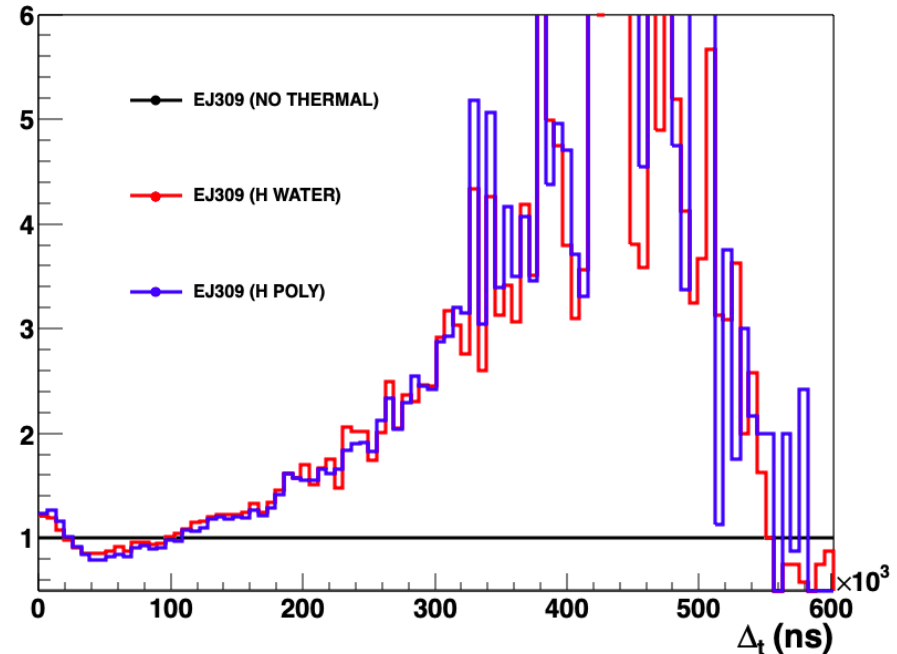
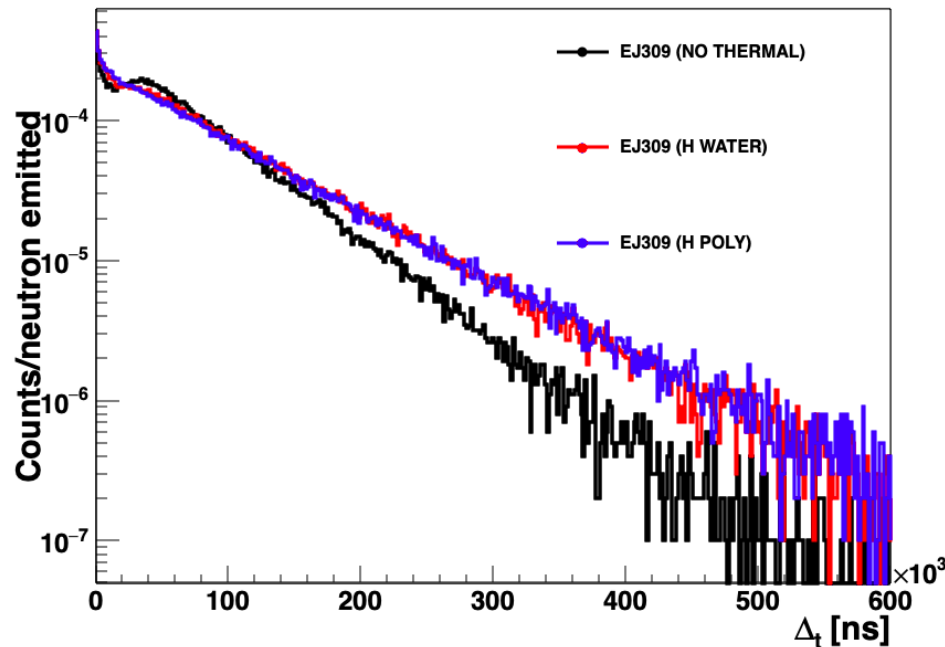


Adding the thermal libraries to the simulation the  $^3\text{He}$ -EJ309 coincidence efficiency increases:

- **WATER:**  $\sim 7\%$  (Low neutron energies)  $\sim 4\%$  (High neutron energies)
- **POLYETHYLENE:**  $\sim 4.5\%$  (Low neutron energies)  $\sim 2\%$  (High neutron energies)

# $^3\text{He}$ -EJ309 time-coincidence distr.

Incident neutron energy: 0.5 MeV

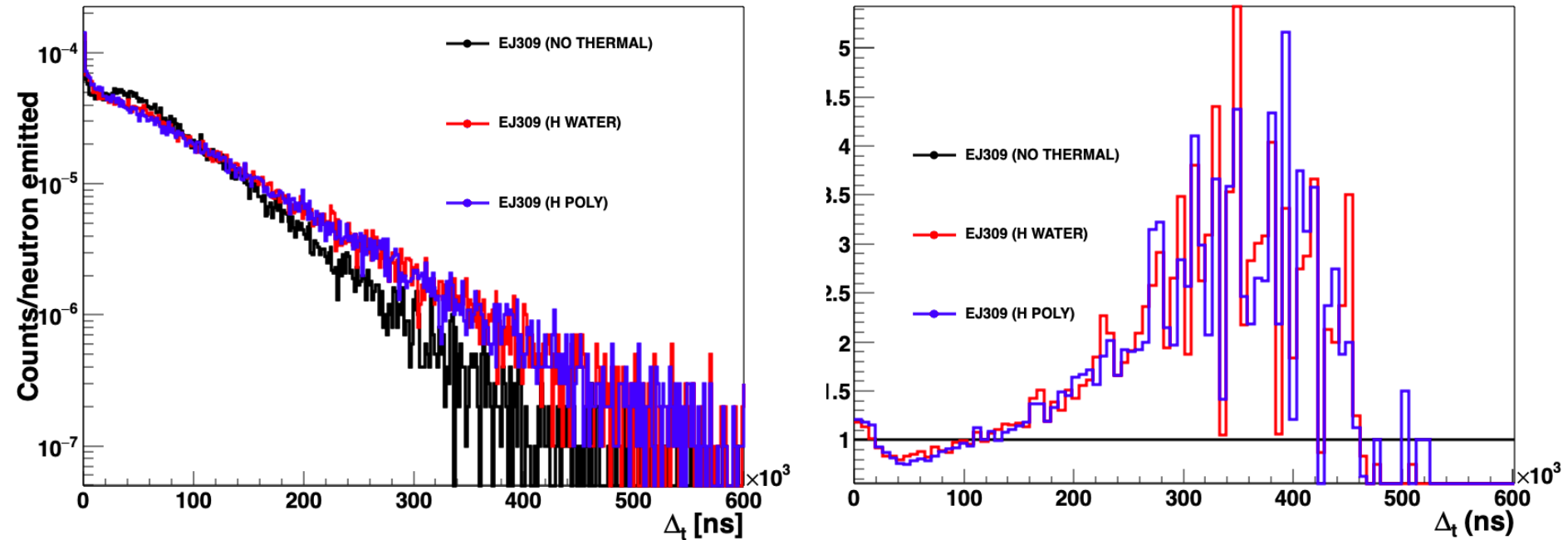


Time distribution for “low” energy neutrons:

- Increase of **20%** probability for **fast coincidences**
- Reduction of **30%** probability for coincidences in the period  $\Delta t < 100 \mu\text{s}$
- Increase of factor **2-6** for coincidences in the period  $\Delta t > 200 \mu\text{s}$

# $^3\text{He}$ -EJ309 time-coincidence distr.

Incident neutron energy: 5 MeV



Time distribution for “high” energy neutrons:

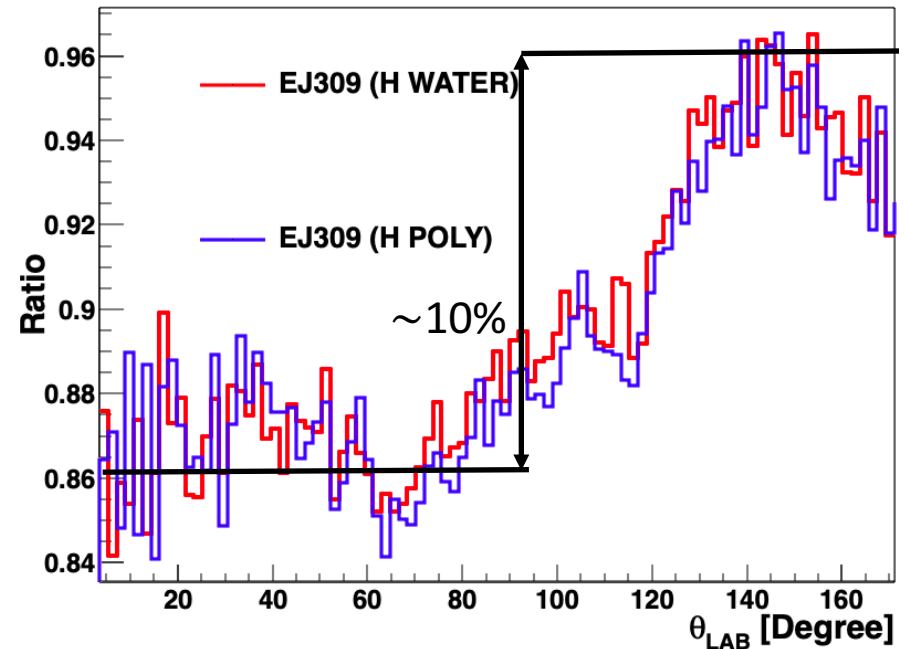
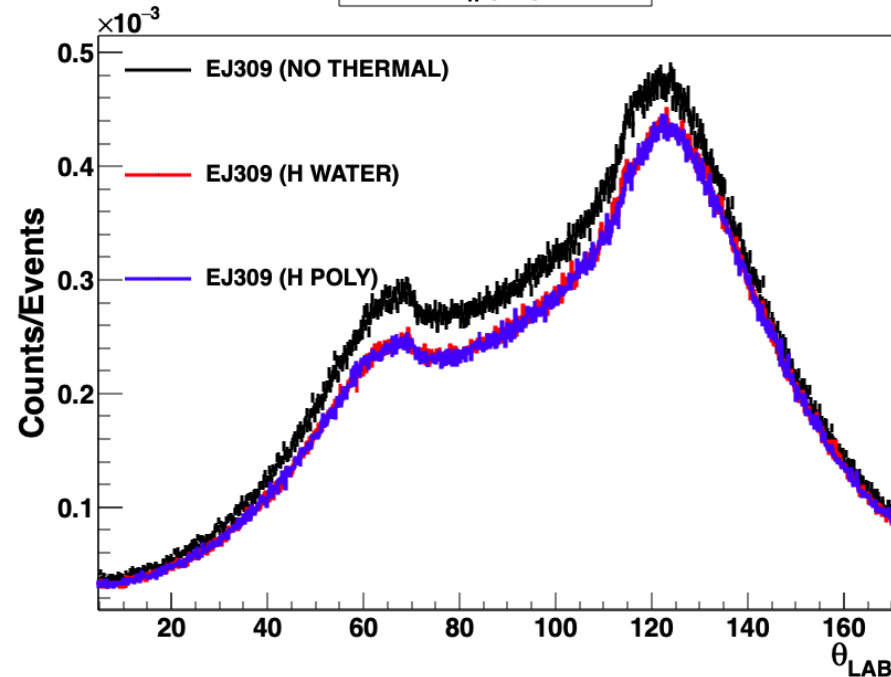
- Increase of **20%** probability for **fast coincidences**
- Reduction of **30%** probability for coincidences in the period  $\Delta t < 100 \mu\text{s}$
- Increase of factor **2-4** for coincidences in the period  $\Delta t > 200 \mu\text{s}$

# Out. neutron angular distribution

Incident neutron energy: 0.5 MeV

$0.0 < E_n \text{ (eV)} < 4.0$

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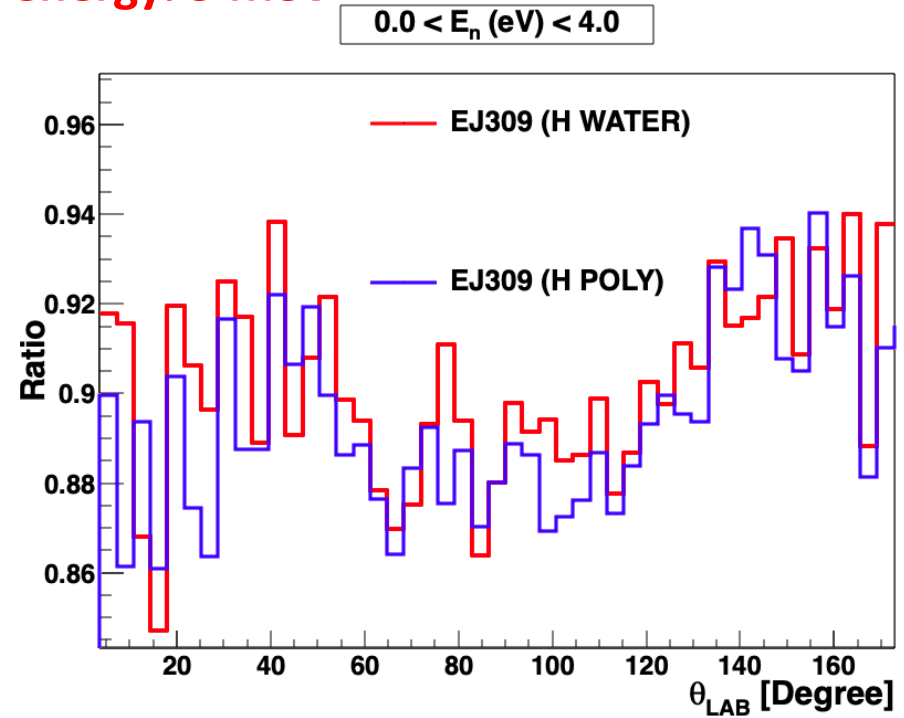
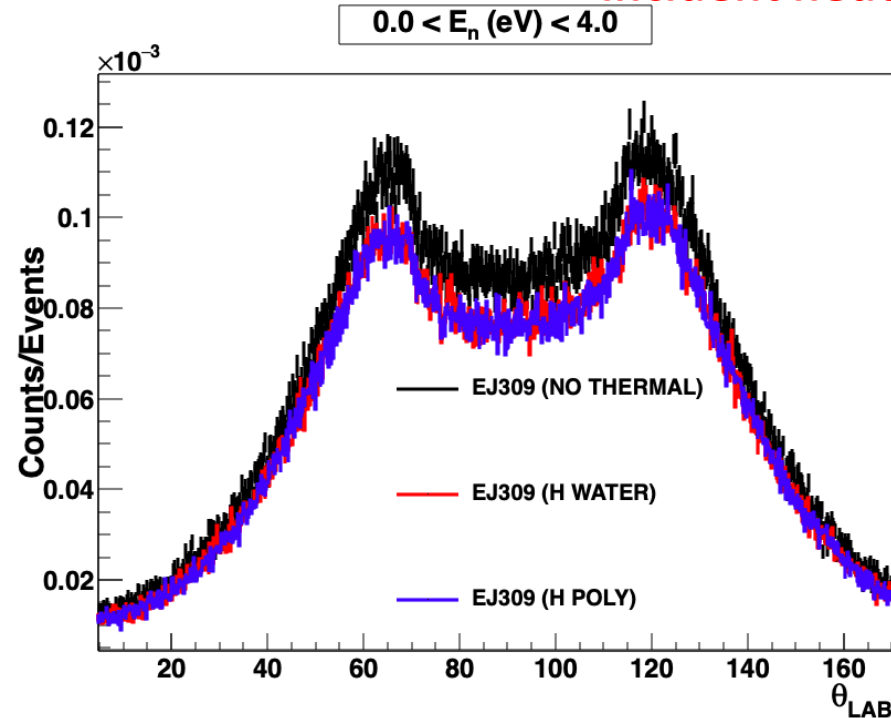


Angular distribution of outgoing moderated neutrons ( $E_n < 4$  eV) for “low” energy incident neutrons:

- Thermal libraries produce **differences between backwards and forward** that could be **up to 10%** for 0.5 MeV incident neutrons.

# Out. neutron angular distribution

Incident neutron energy: 5 MeV



Angular distribution of outgoing moderated neutrons ( $E_n < 4$  eV) for “high” energy incident neutrons:

- Thermal libraries does not play a heavy role backward/forward asymmetry for high energy neutrons.

# Conclusions

- We have tested the influence of the different thermal scattering cross-section implementation into our prototype detector setup:
  - The  **$^3\text{He}$ -EJ309 coincidence efficiency** is increased  $\sim 4\text{-}7\%$  **depending on the thermal material/element cross-section** used.
  - **The fast time-coincidence distribution is increased by 20%.**
  - The time-coincidence distribution is reduced in the first 100 us by 30% and increased for  $\Delta t > 200$  us.
  - The **angular distribution** of the moderated neutrons for **low energy neutrons change  $\sim 10\%$**  (maximum) between **backward and forward**.
  - For high energy neutrons the thermal libraries seems to be a scale factor in the outgoing moderated neutron flux.

**The thermal libraries might play an important role for this kind of experimental setup!**

# Outlook

- To improve the Monte Carlo simulations of “low” energy neutrons require increase the knowledge and modeling of the interactions with the materials → Thermal neutron cross-sections.
- This require a huge effort from the community (measurements, calculations, libraries, validation...).
- Nevertheless, we think it is a worth effort. In particular for the liquid scintillators materials:
  - Improve Monte-Carlo simulation for low deposited energy events.
  - Improve description for new generation of non time-of-flight coincidence experimental setups.
- We will compare the simulations with experimental data acquired with the demonstrator.