



# XXVII International Workshop on Deep Inelastic Scattering and Related Subjects

8 - 12 April 2019, Torino, Italy

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- http://dis2019.to.infn.it
- https://indico.cern.ch/e/DIS2019
- @DIS2019

## Working Groups:

- WG1:** Structure Functions and Parton Densities
- WG2:** Small-x and Diffraction
- WG3:** Higgs and BSM Physics in Hadron Collisions
- WG4:** Hadronic and Electroweak Observables
- WG5:** Physics with Heavy Flavours
- WG6:** Spin and 3D structure
- WG7:** Future of DIS

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# Update on phenomenological extraction of the proton tensor charge

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INFN - Pavia



In collaboration with  
A. Bacchetta Univ. Pavia





# The tensor “charge” of the proton

tensor charge connected to tensor operator  
but also to 1<sup>st</sup> Mellin moment of transversity PDF

$$\begin{aligned}\langle P, S_p | \bar{q} \sigma^{\mu\nu} q | P, S_p \rangle &= (P^\mu S_p^\nu - P^\nu S_p^\mu) \delta q(Q^2) \\ &= (P^\mu S_p^\nu - P^\nu S_p^\mu) \int_0^1 dx h_1^{q-\bar{q}}(x, Q^2)\end{aligned}$$

tensor operator not accessible in tree-level Standard Model  
low-energy footprint of new physics at higher scales ?

# The tensor “charge” of the proton

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but also to 1<sup>st</sup> Mellin moment of transversity PDF

$$\begin{aligned}\langle P, S_p | \bar{q} \sigma^{\mu\nu} q | P, S_p \rangle &= (P^\mu S_p^\nu - P^\nu S_p^\mu) \delta q(Q^2) \\ &= (P^\mu S_p^\nu - P^\nu S_p^\mu) \int_0^1 dx h_1^{q-\bar{q}}(x, Q^2)\end{aligned}$$

compute on lattice

lattice  $\delta q$

extract transversity from data with  
transversely polarized protons

pheno  $\delta q$

# pheno $\delta q$ vs. lattice $\delta q$

main problem of “pheno  $\delta q$ ” is extrapolating outside data..

$$\delta q = \int_0^{x_{\min}} dx h_1^{q-\bar{q}} + \int_{x_{\min}}^{x_{\max}} dx h_1^{q-\bar{q}} + \int_{x_{\max}}^1 dx h_1^{q-\bar{q}}$$

First Monte Carlo global analysis of nucleon transversity with lattice QCD constraints

H.-W. Lin,<sup>1</sup> W. Melnitchouk,<sup>2</sup> A. Prokudin,<sup>2,3</sup> N. Sato,<sup>4</sup> and H. Shows III<sup>5</sup>

Jefferson Lab Angular Momentum (JAM) Collaboration

(Dated: October 30, 2017)

P.R.L. **120** (18) 152502,  
arXiv:1710.09858

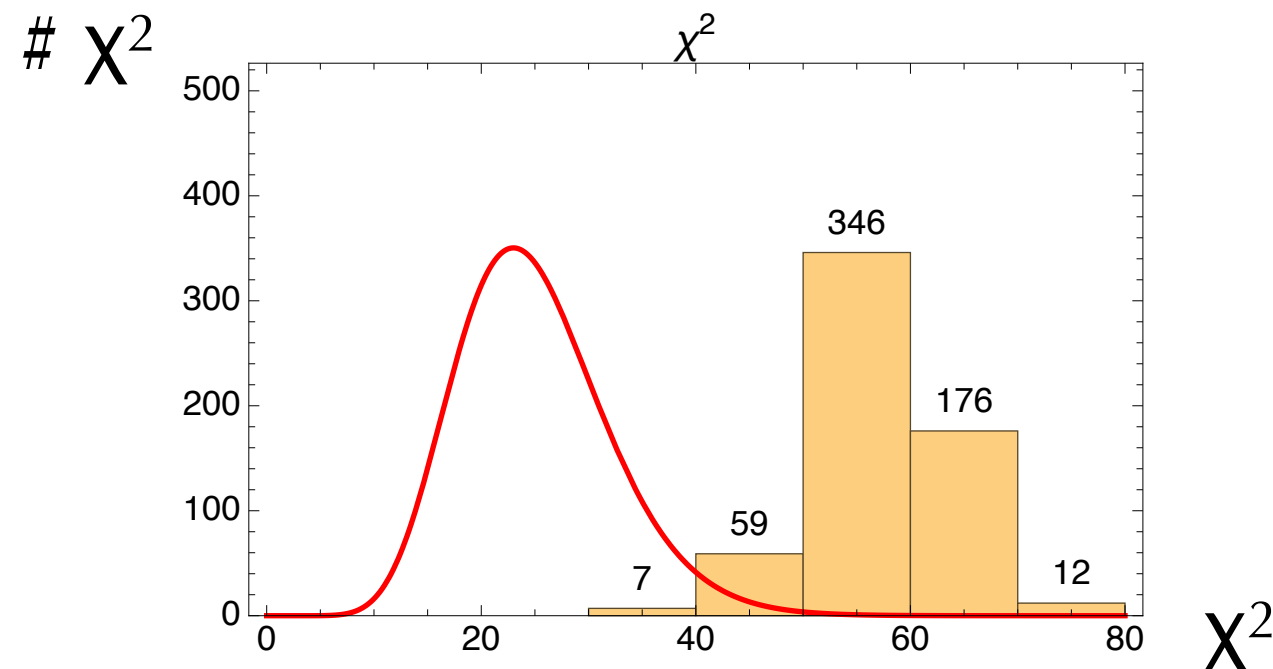
We report on the first global QCD analysis of the quark transversity distributions in the nucleon from semi-inclusive deep-inelastic scattering (SIDIS), using a new Monte Carlo method based on nested sampling and constraints on the isovector tensor charge  $g_T$  from lattice QCD. A simultaneous fit to the available SIDIS Collins asymmetry data is compatible with  $g_T$  values extracted from a comprehensive reanalysis of existing lattice simulations, in contrast to previous analyses which found significantly smaller  $g_T$  values. The contributions to the nucleon tensor charge from  $u$  and  $d$  quarks are found to be  $\delta u = 0.3(2)$  and  $\delta d = -0.7(2)$  at a scale  $Q^2 = 2 \text{ GeV}^2$ .

constraining “pheno  $\delta q$ ” from SIDIS data with  
lattice isovector tensor charge  $g_T = \delta u - \delta d$



# Our findings

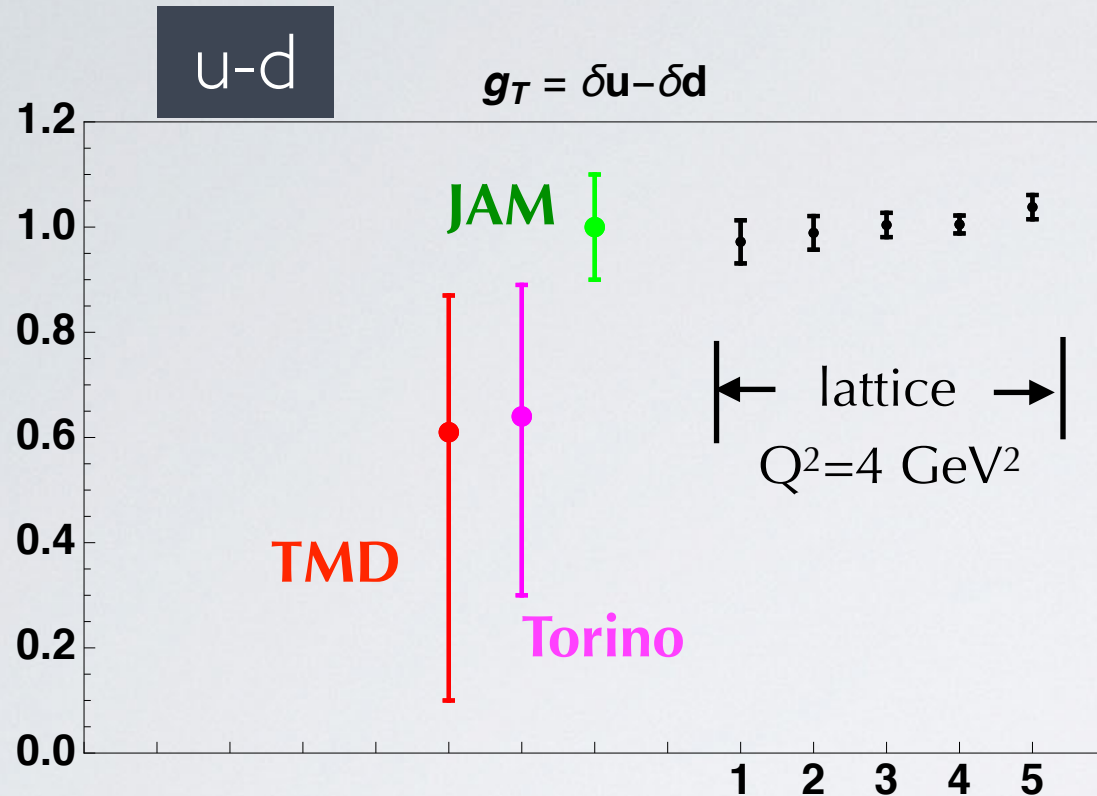
probability density function of  
 $\chi^2$  distribution for 25 d.o.f.



$\chi^2/\text{dof} = 2.29 \pm 0.25$  for  $\chi^2/\text{dof} = 1$  perfect overlap

forcing compatibility between “pheno  $\delta q$ ” and “lattice  $\delta q$ ”  
for  $\delta q = \text{up, down, isovector}$ , is statistically very unlikely

# The state of the art



- isovector tensor charge  $g_T = \delta u - \delta d$
- “pheno  $g_T$ ” from only SIDIS data
- **JAM** includes constraint from “lattice  $g_T$ ”

**TMD fit  $Q^2=10$**  Kang et al., P.R. D93 (16) 014009

**Torino fit  $Q^2=1$**  Anselmino et al., P.R. D87 (13) 094019

**JAM fit  $Q^2=2$**  Lin et al., P.R.L. 120 (18) 152502

1) “MILC” ’19 Hasan et al., arXiv:1903.06487

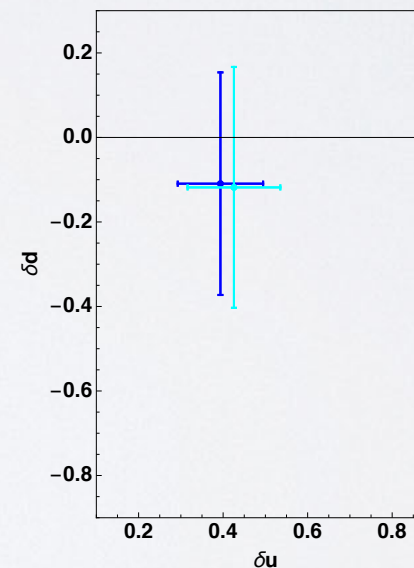
2) PNDME ’18 Gupta et al., P.R. D98 (18) 034503

3) ETMC ’17 Alexandrou et al., P.R. D95 (17) 114514;  
E P.R. D96 (17) 099906

4) RQCD ’14 Bali et al., P.R. D91 (15)

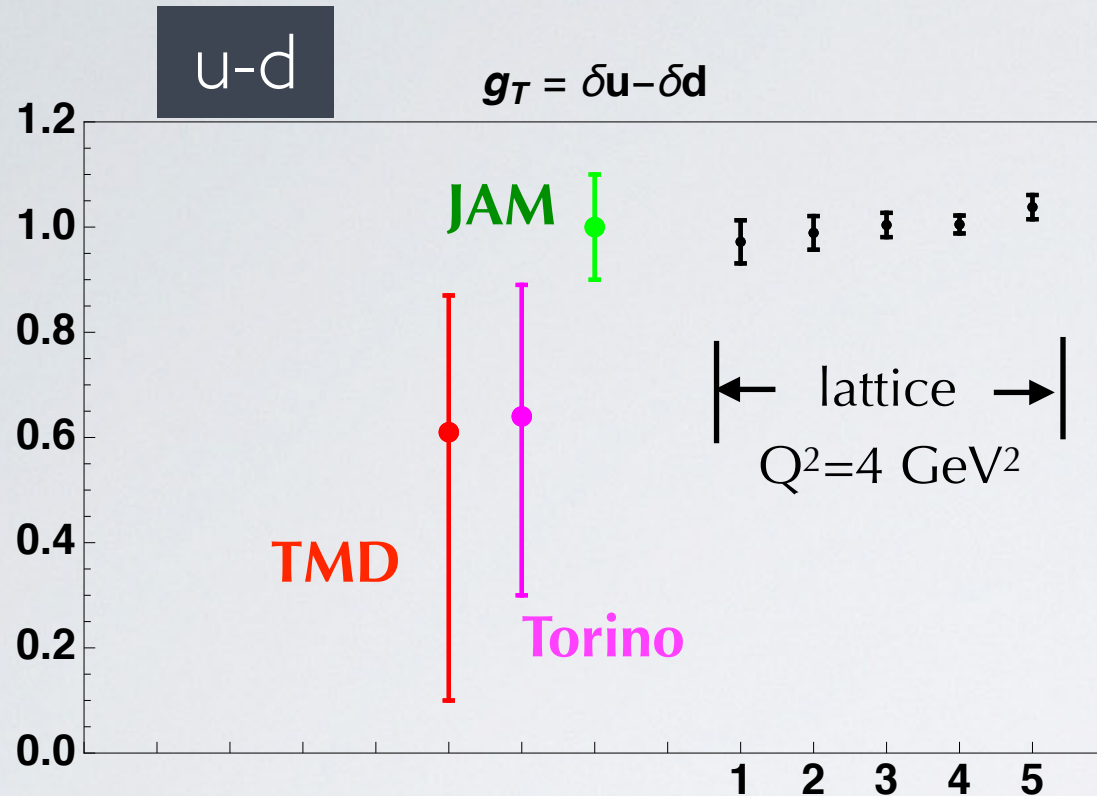
5) LHPC ’12 Green et al., P.R. D86 (12)

but evolution  
1  $\rightarrow$  4  $\text{GeV}^2$   
is small





# The state of the art



- isovector tensor charge  $g_T = \delta u - \delta d$
- “pheno  $g_T$ ” from only SIDIS data
- **JAM** includes constraint from “lattice  $g_T$ ”

But if we look also  
at  $\delta u$  and  $\delta d$  ...

**TMD fit  $Q^2=10$**  Kang et al., P.R. D93 (16) 014009

**Torino fit  $Q^2=1$**  Anselmino et al., P.R. D87 (13) 094019

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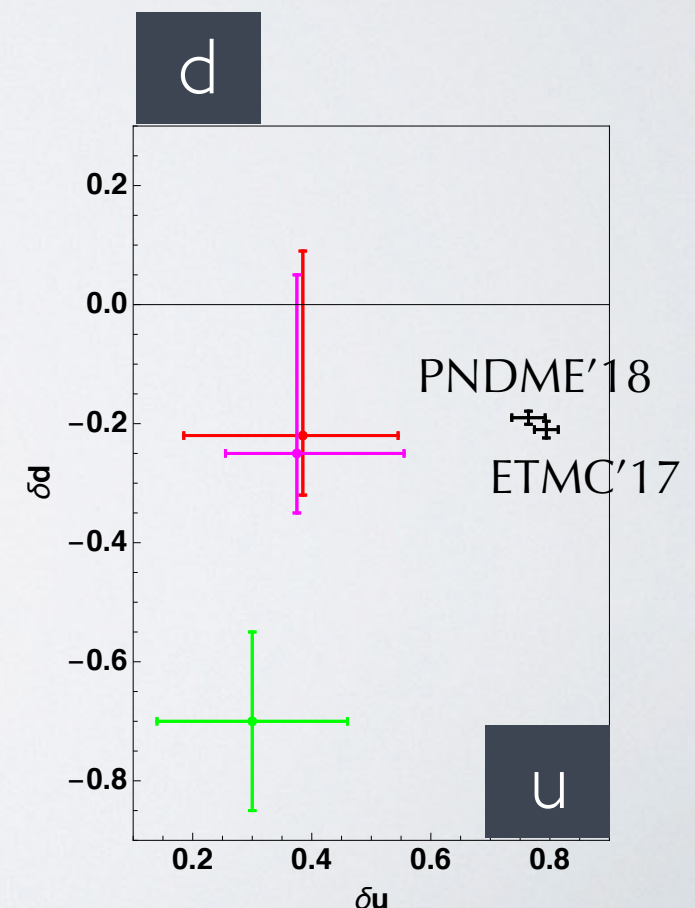
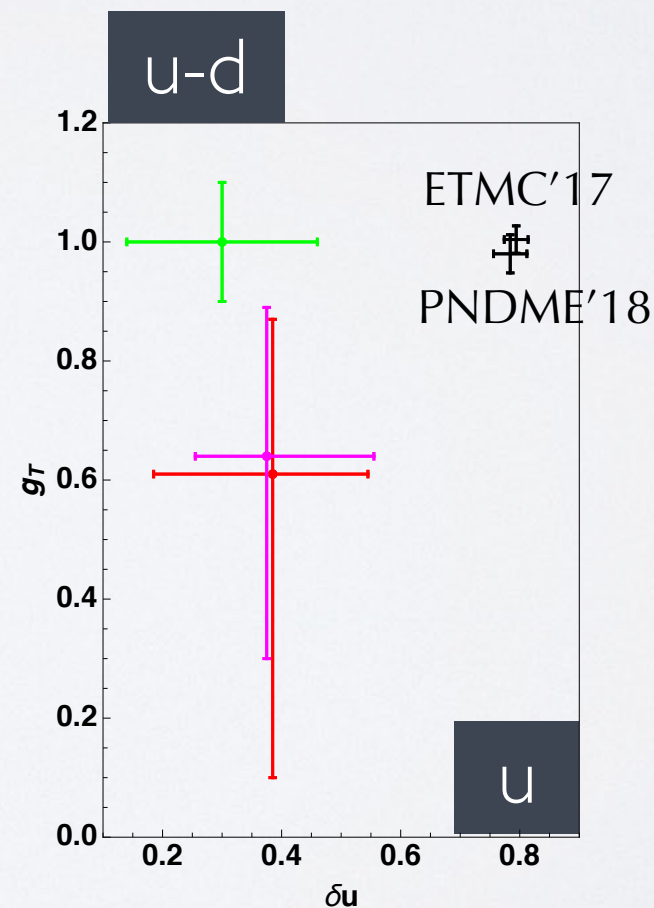
1) “MILC” ’19 Hasan et al., arXiv:1903.06487

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4) RQCD ’14 Bali et al., P.R. D91 (15)

5) LHPC ’12 Green et al., P.R. D86 (12)



# Our first global fit

first ever extraction of transversity from  
data of SIDIS and proton-proton collisions

*Radici and Bacchetta, P.R.L. 120 (18) 192001*

## SIDIS



*Adolph et al., P.L. B713 (12)*



*Airapetian et al.,  
JHEP 0806 (08) 017*

## pp collisions

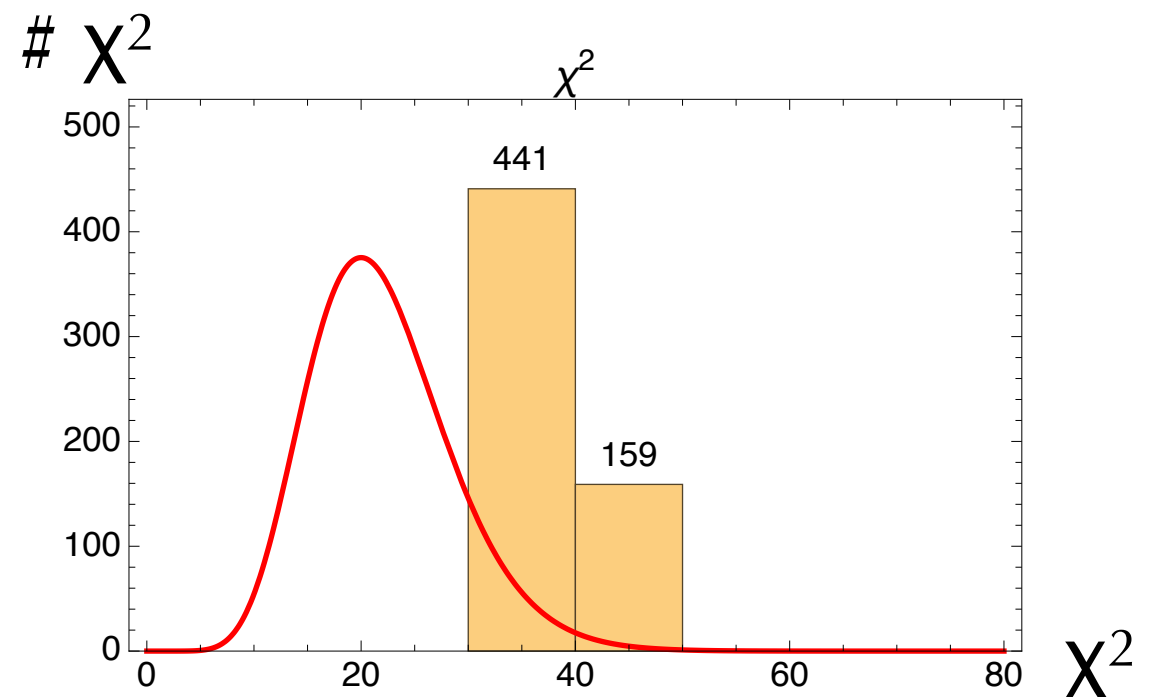


*Adamczyk et al.,  
P.R.L. 115 (2015) 242501*

probability density function of  
 $\chi^2$  distribution for 22 d.o.f.

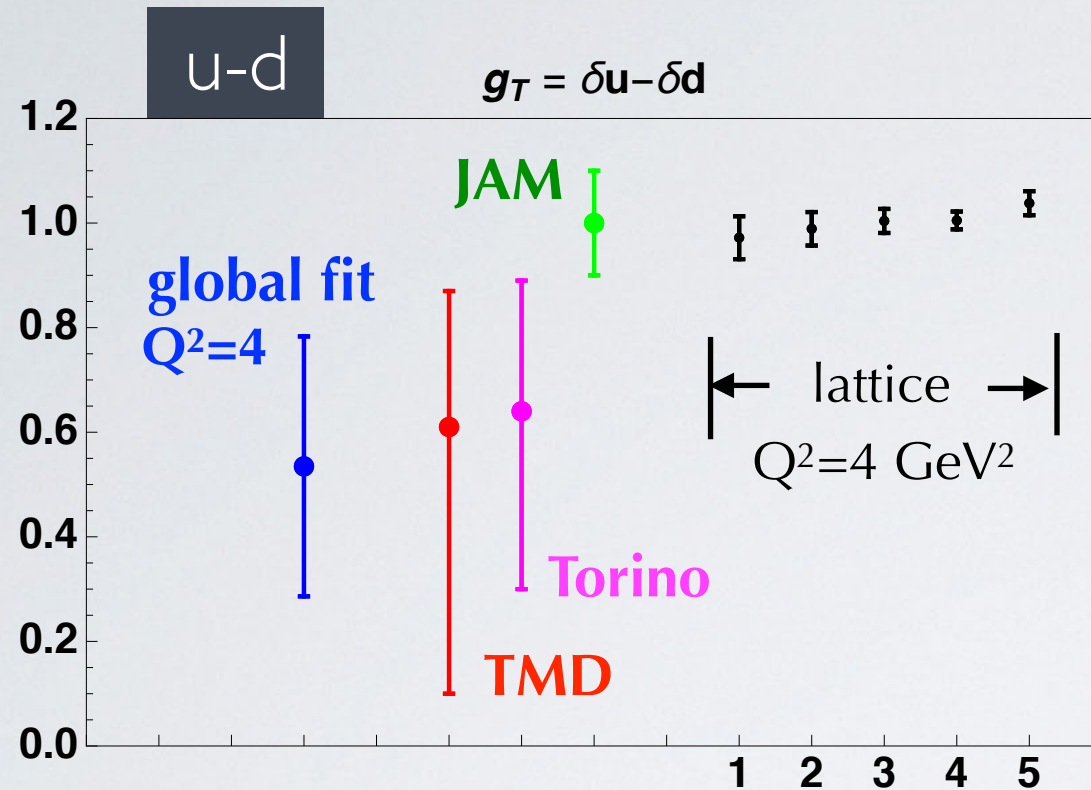
$$\chi^2/\text{dof} = 1.76 \pm 0.11$$

for  $\chi^2/\text{dof} = 1$  perfect overlap

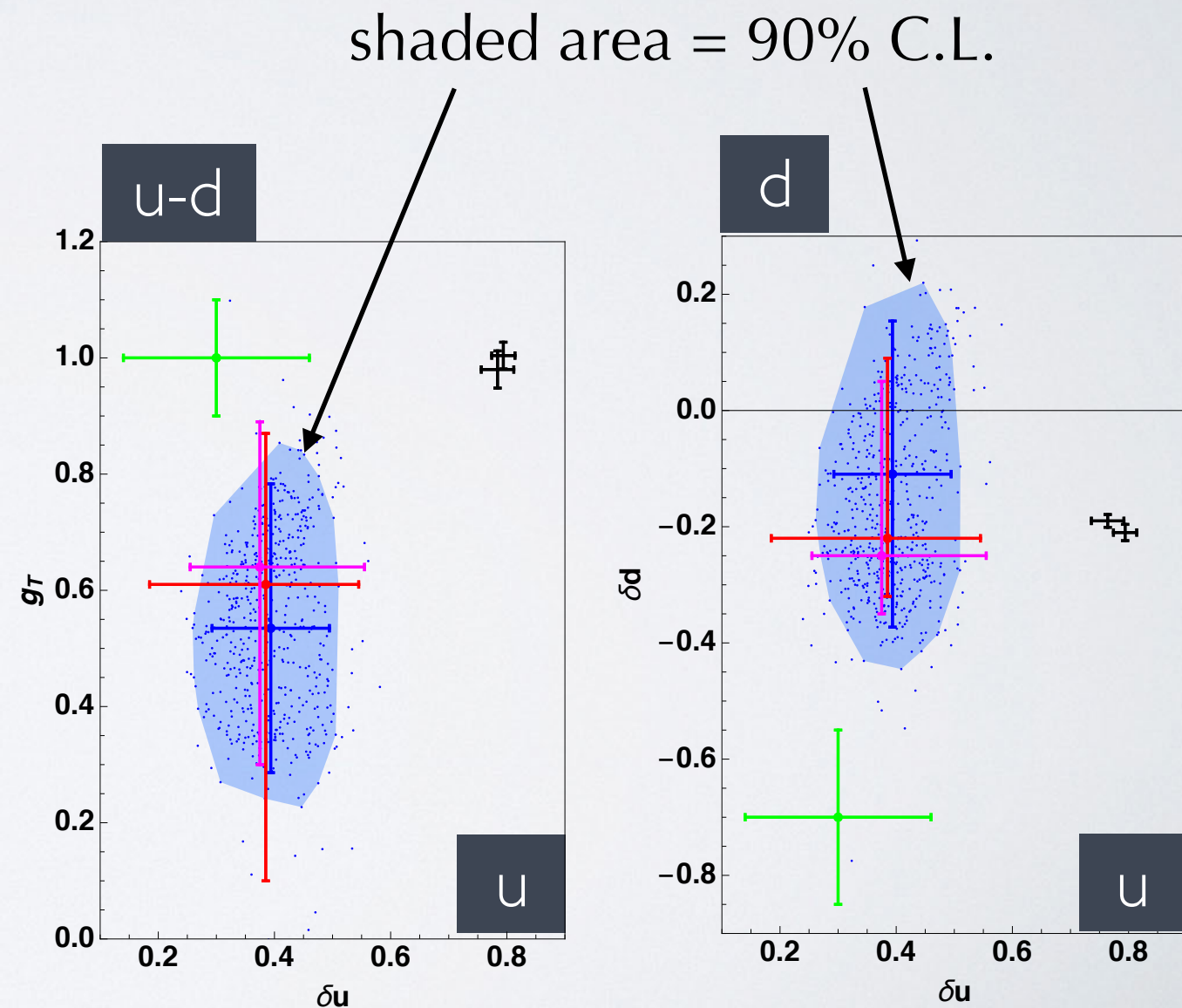




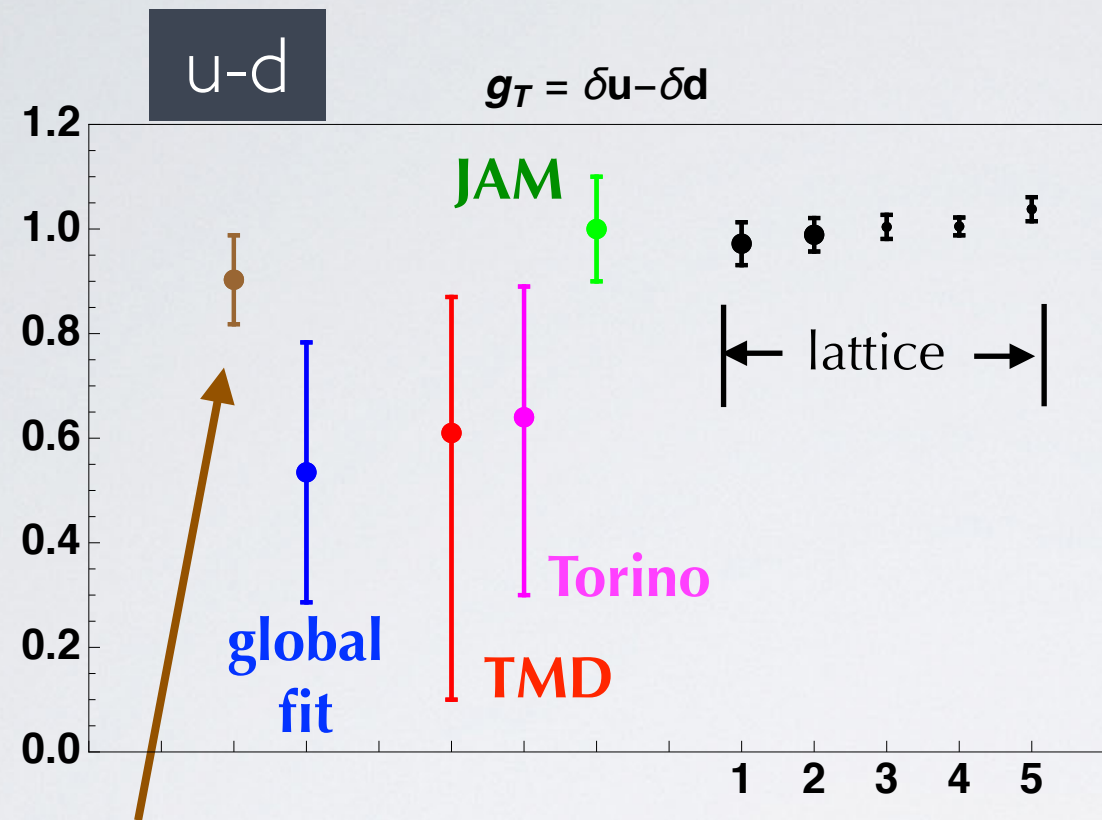
# Results for our global fit



no simultaneous compatibility  
between  
“pheno  $\delta q$ ” and “lattice  $\delta q$ ”

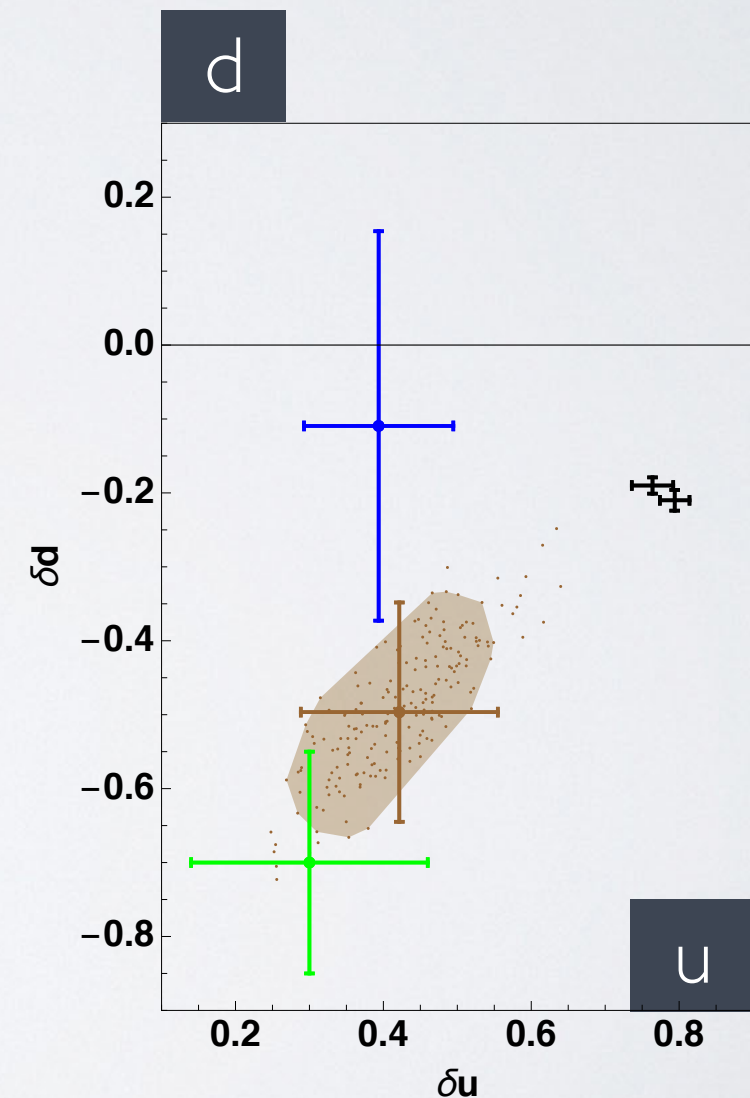


# Constraining our global fit with “lattice $g_T$ ”



constraining **global fit** with lattice  $g_T$

confirm JAM results:  
constraining “pheno  $g_T$ ” with “lattice  $g_T$ ”  
at the price of  
incompatibility for  $\delta u$  and  $\delta d$

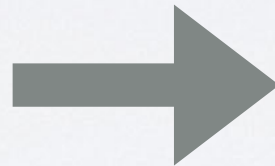
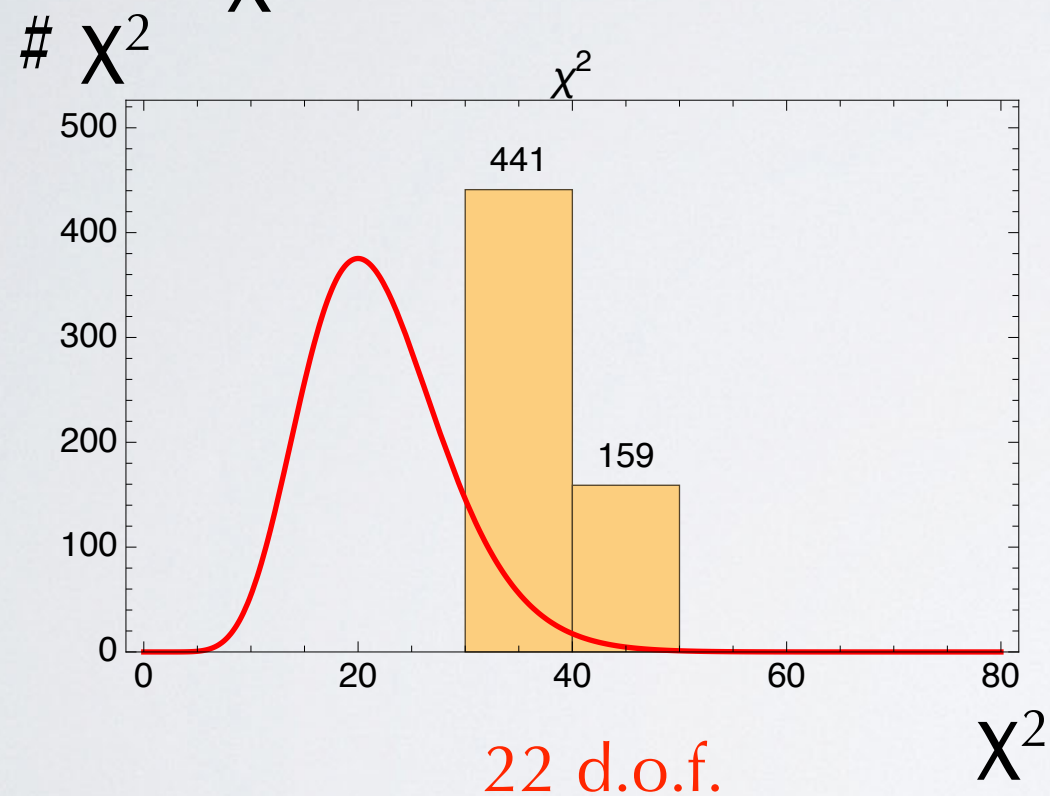




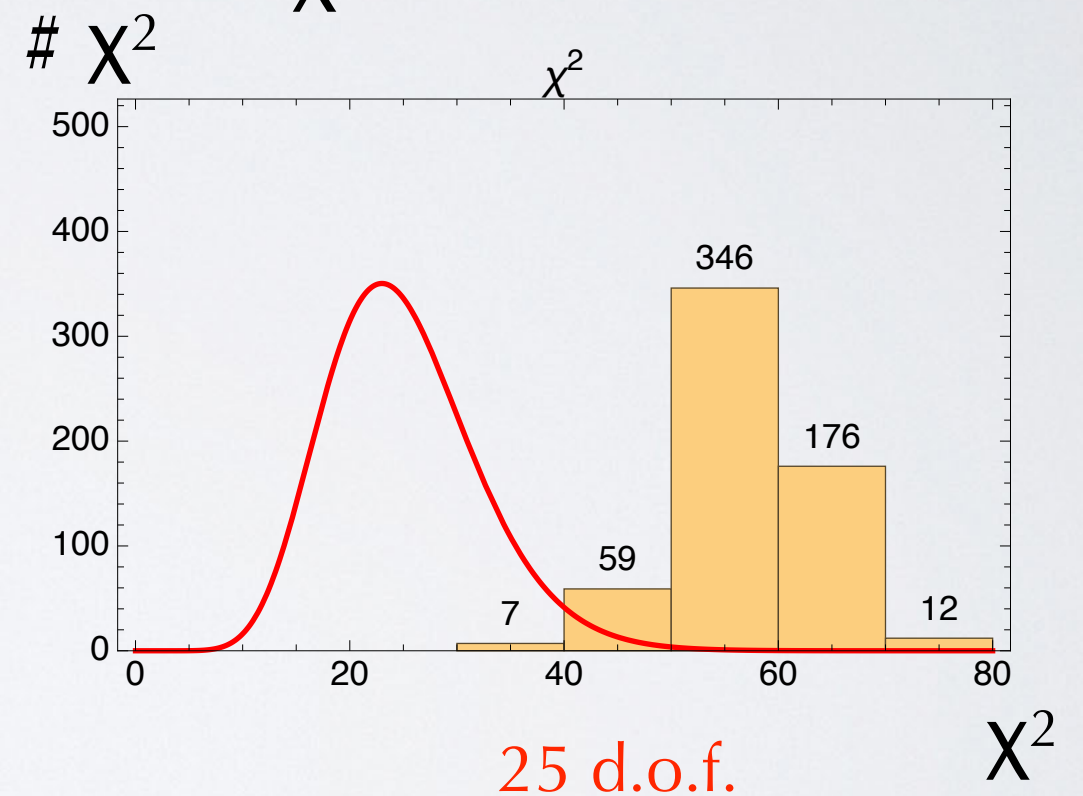
# Tension “pheno” - “lattice”

if we constrain our **global fit** with lattice results  
for all components of tensor charge (up, down, isovector)  
the  $\chi^2$  clearly deteriorate

$$\chi^2/\text{dof} = 1.76 \pm 0.11$$



$$\chi^2/\text{dof} = 2.29 \pm 0.25$$



statistically very unlikely ....

# Adding Compass pseudodata

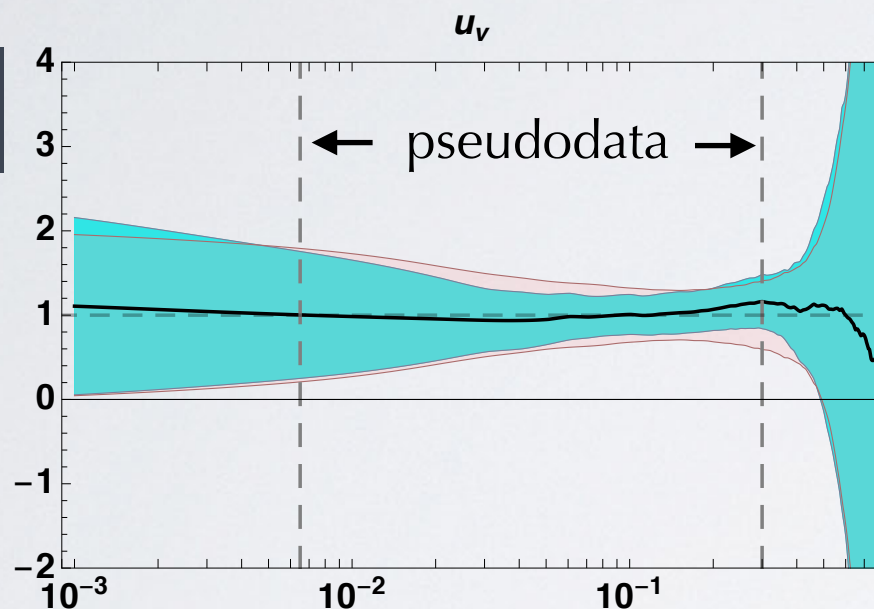
add to our **global fit**

a set of Compass SIDIS pseudodata for **deuteron** target  
in the same range  $[0.0065, x, 0.28]$



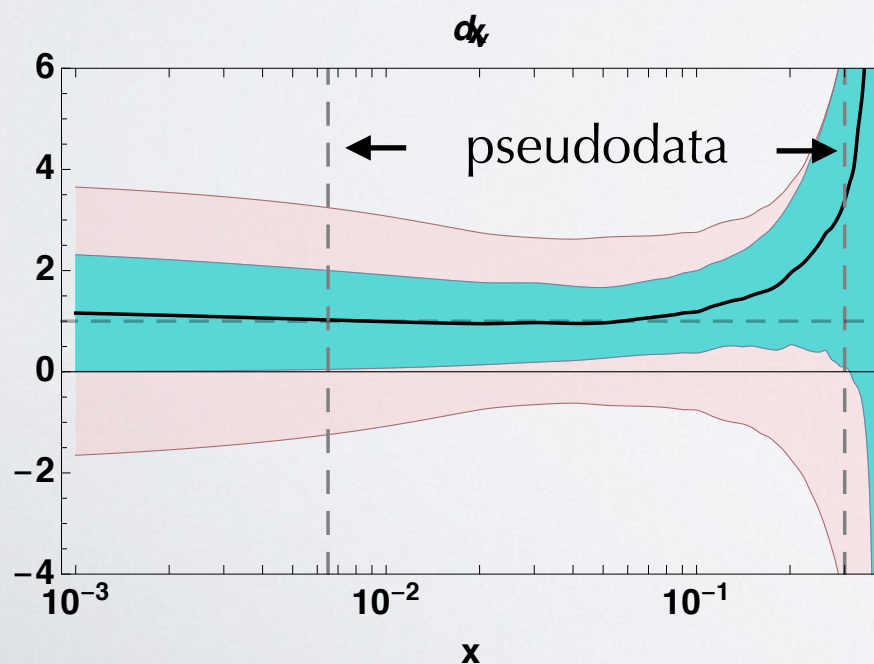
arXiv:1812.07281

u



$$\frac{h_1}{\langle h_1 \rangle}$$

d



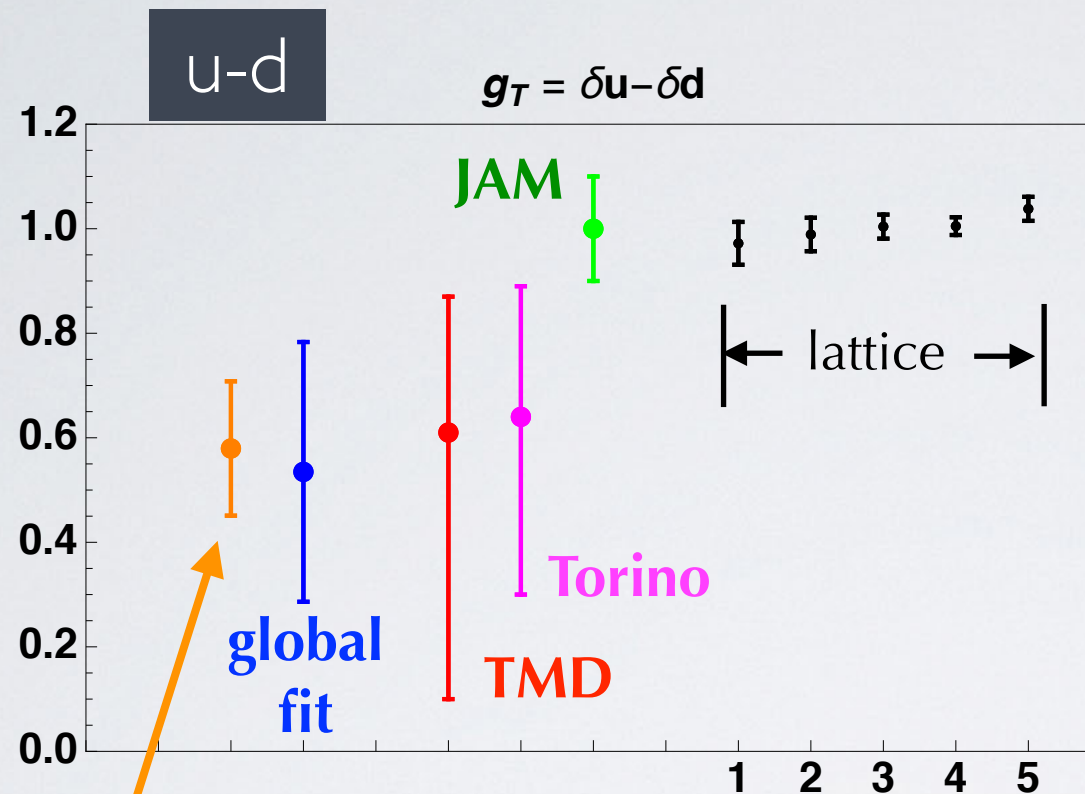
**global fit**

global fit + pseudodata

deuteron target  
→ better precision on down

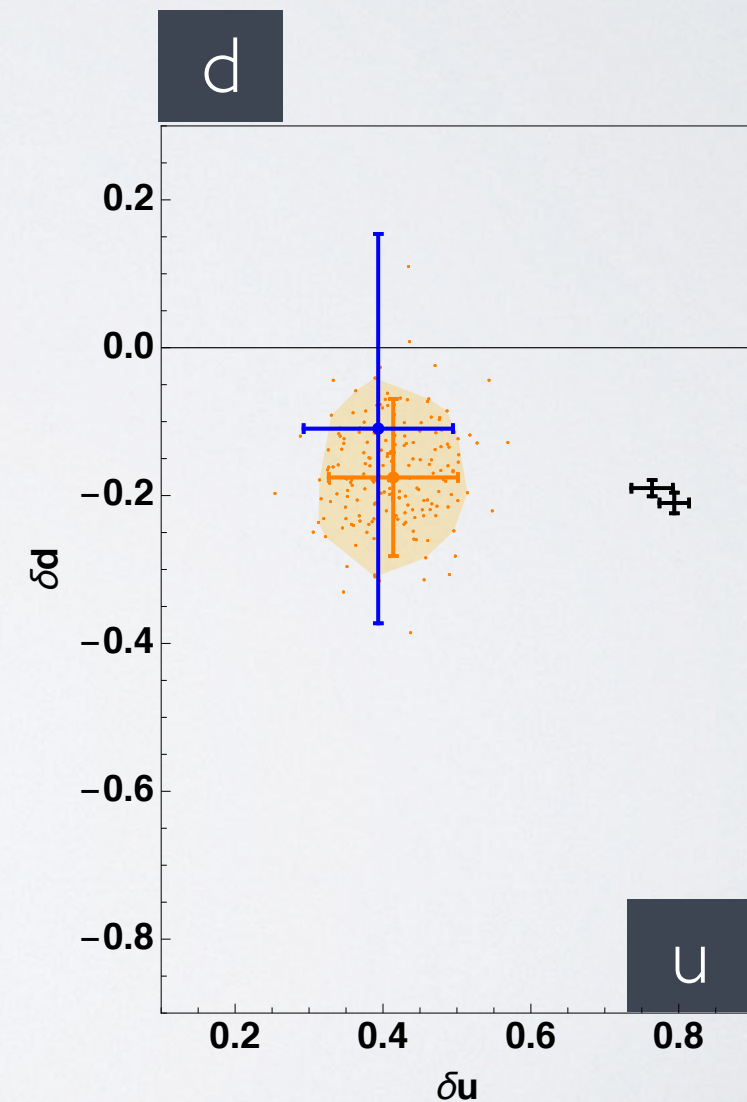


# results with Compass pseudodata



including Compass pseudodata

improving precision, but  
confirming tension with lattice



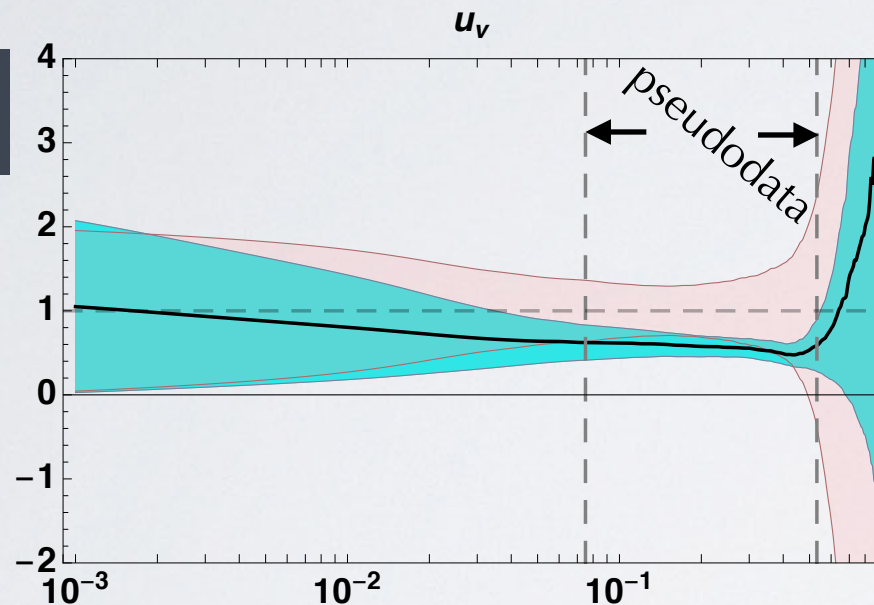
# Adding CLAS12 pseudodata

add to our **global fit**  
a set of CLAS12 SIDIS pseudodata for **proton** target  
in the range  $[0.075, x, 0.53]$



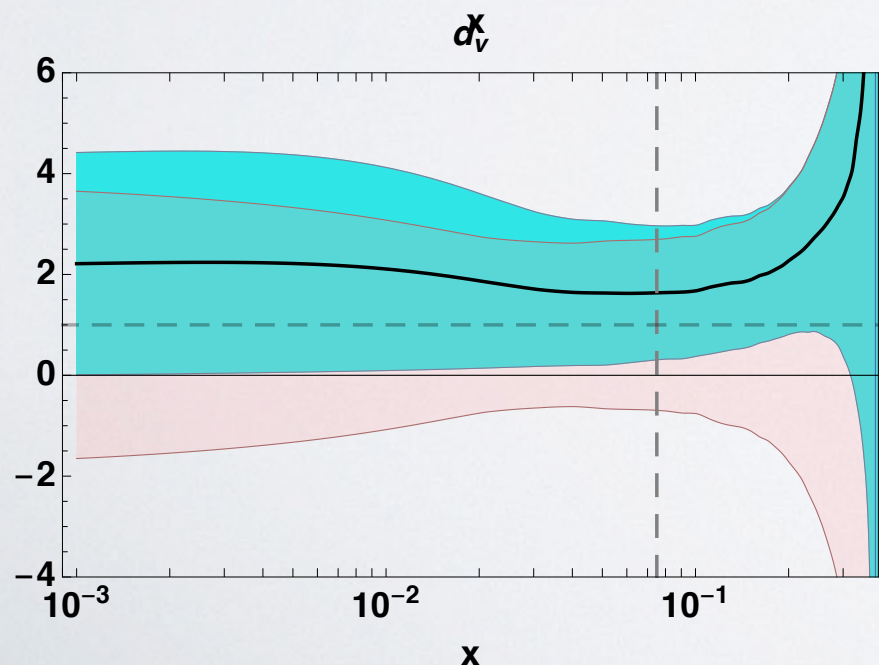
proposal C12-12-009

u



$$\frac{h_1}{\langle h_1 \rangle}$$

d



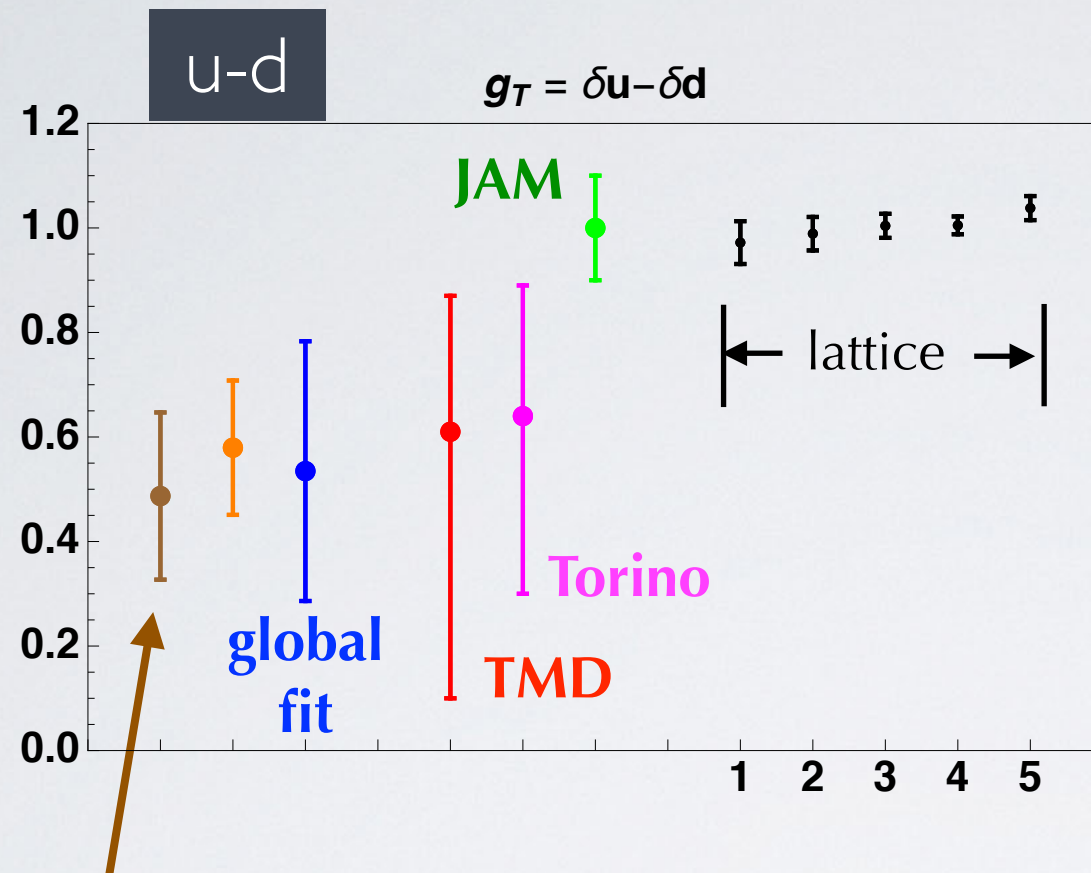
proton target  
→ better precision on up

global fit

global fit + pseudodata

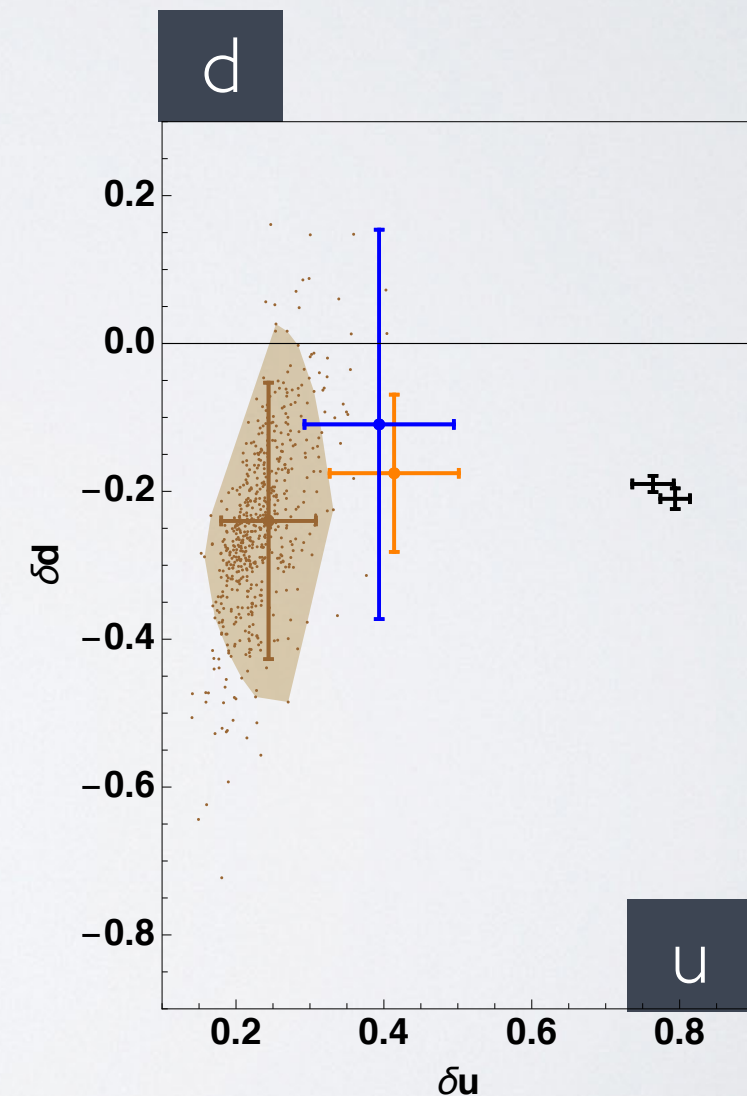


# results with CLAS12 pseudodata



including CLAS12 pseudodata

again, improving precision but confirming tension with lattice



# Conclusions

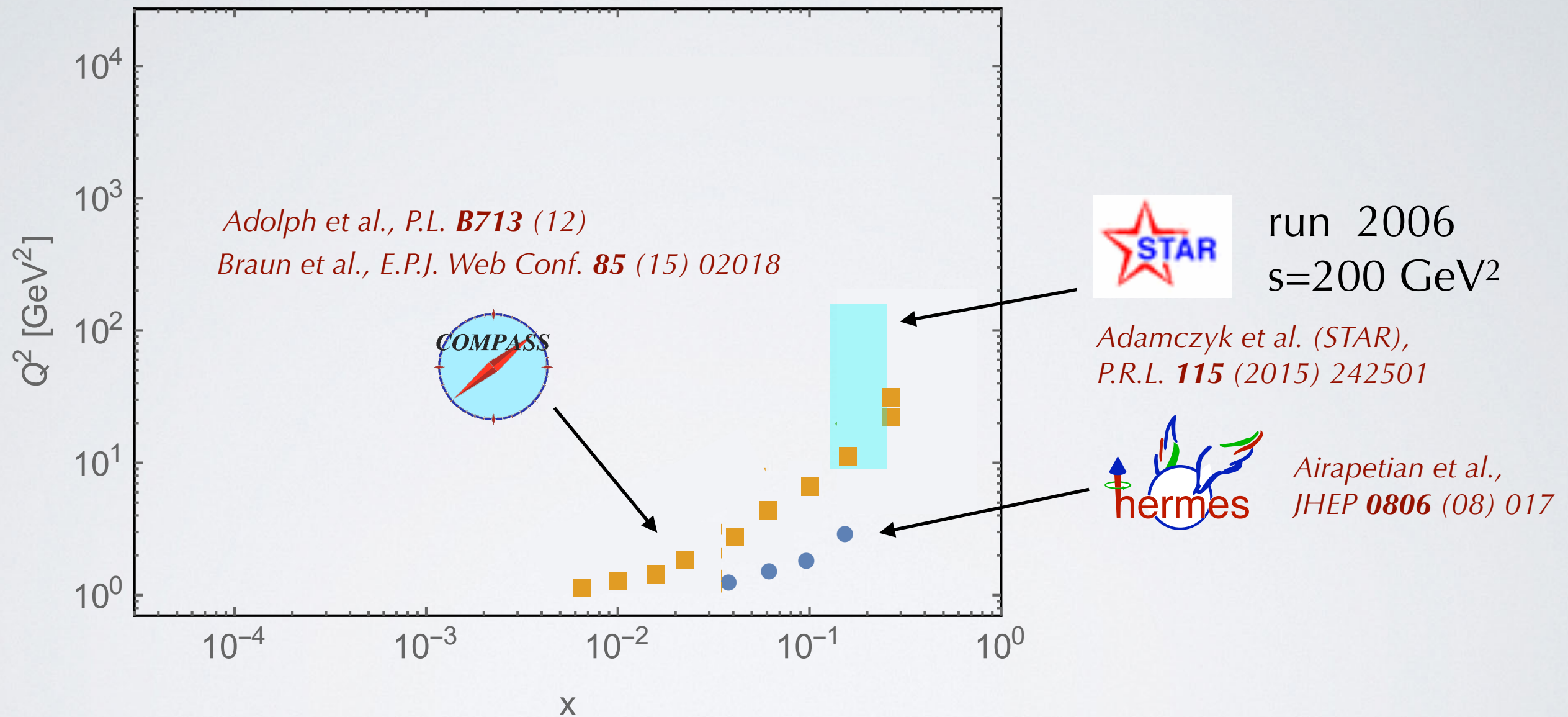
- **NO** simultaneous **compatibility between phenomenology and lattice** for up, down, and isovector tensor charges
- it is possible to **force compatibility** but it is **statistically very unlikely**
- adding **Compass SIDIS pseudodata for deuteron** increases precision of down, but **confirms tension**
- adding **CLAS12 SIDIS pseudodata for proton** increases precision for up, but **confirms tension**

is there a “transverse spin puzzle” ??




# Back-up



# the phase space

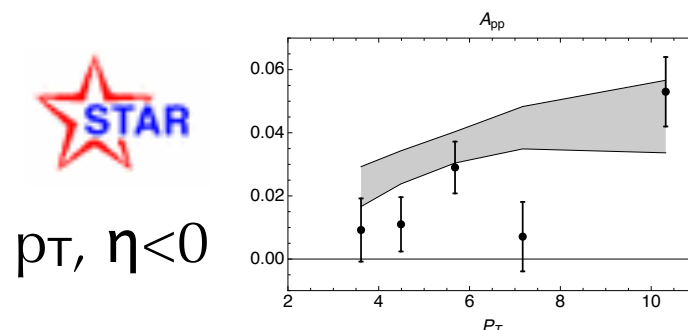
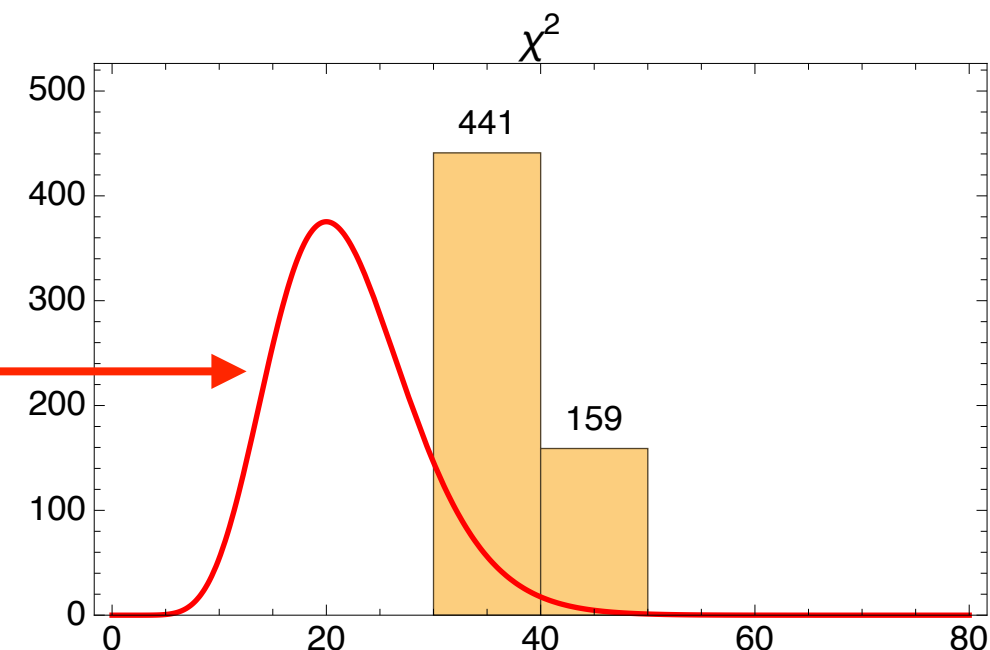


# $\chi^2$ of the fit

proton SIDIS	13 data points = 4  + 9 
deuteron SIDIS	9 data points =
	24 data points $(4 \eta) \times \frac{4}{24} + (10 M_h) \times \frac{10}{24} + (10 p_T) \times \frac{10}{24}$
global fit	10 parameters
d.o.f.	22

probability density function of  $\chi^2$  distribution for 22 d.o.f.

for  $\chi^2/\text{dof} = 1$  perfect overlap

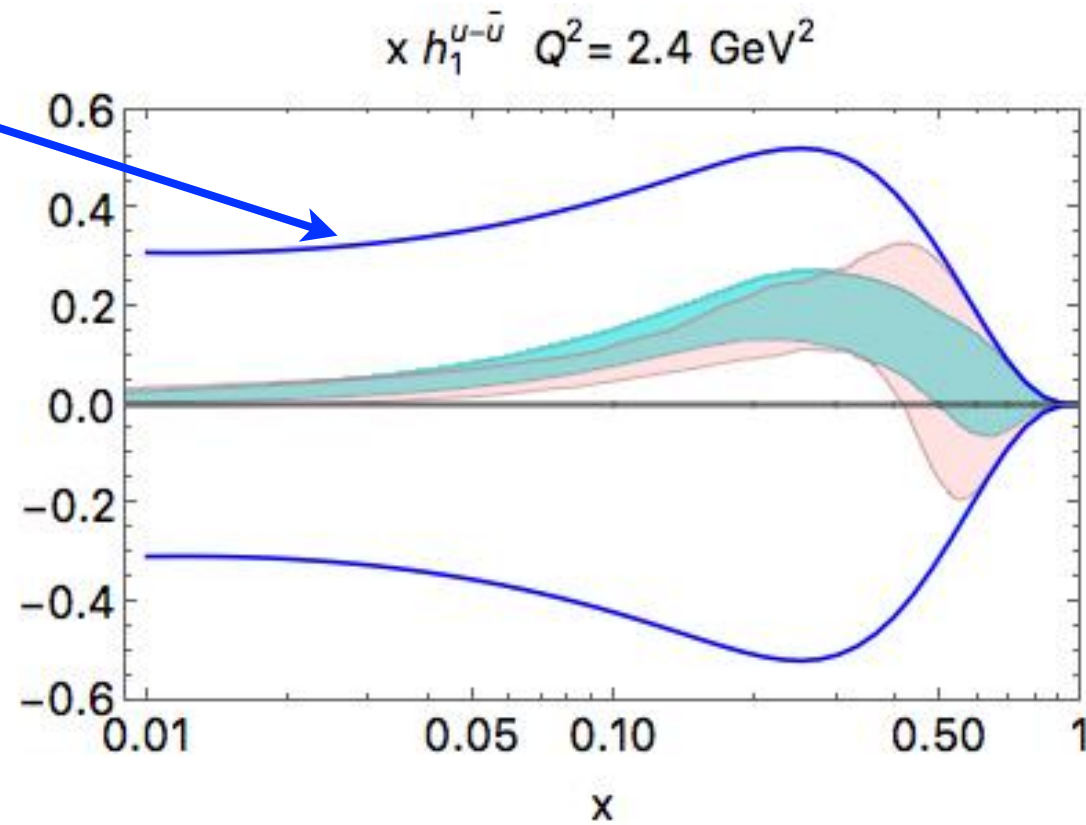


$$\chi^2/\text{dof} = 1.76 \pm 0.11$$

# comparison with previous fit

Soffer  
bound

up



*Radici & Bacchetta,  
P.R.L. **120** (18) 192001*

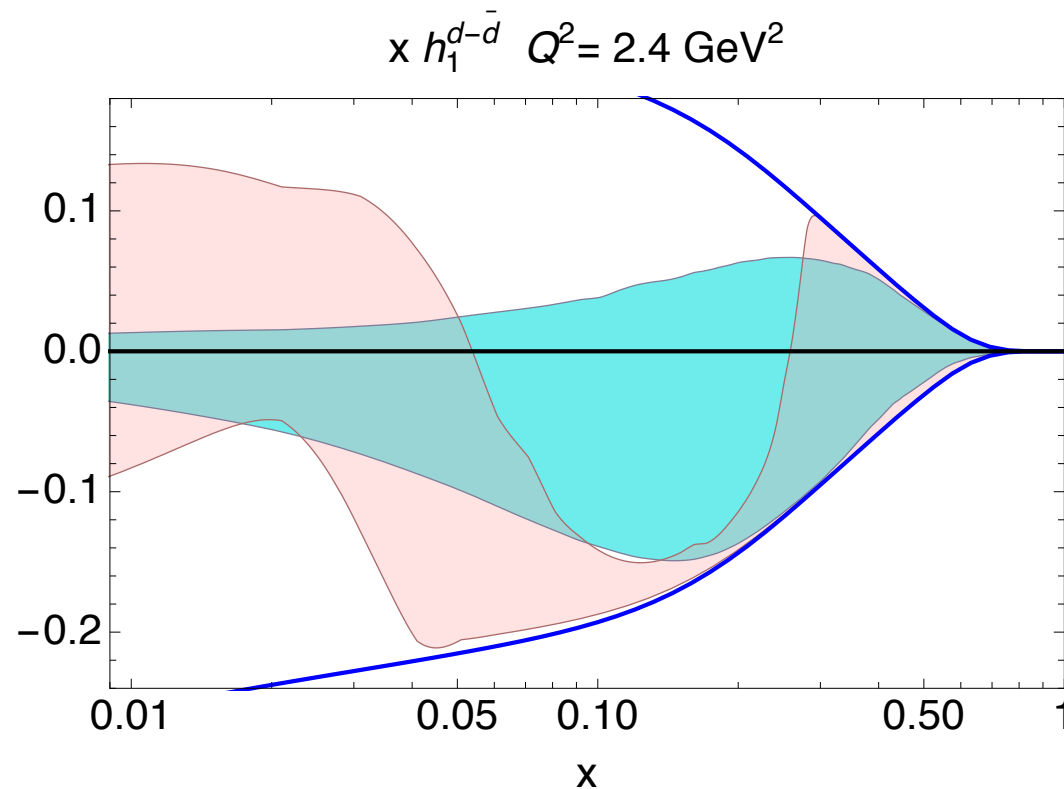
global fit

old fit (only SIDIS data)

*Radici et al.,  
JHEP **1505** (15) 123*

equivalent to  
Collins extraction

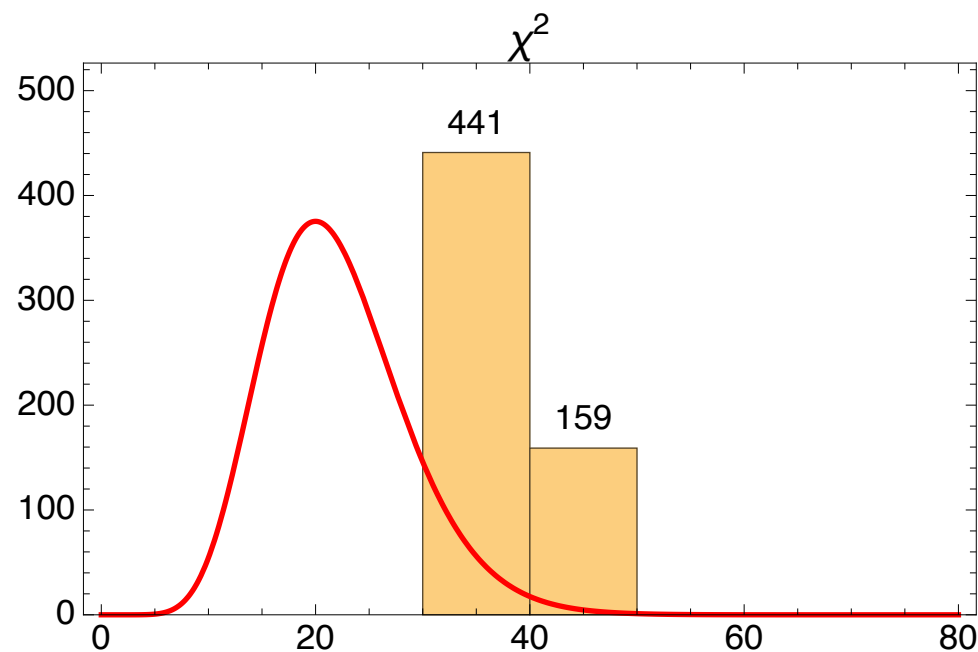
down



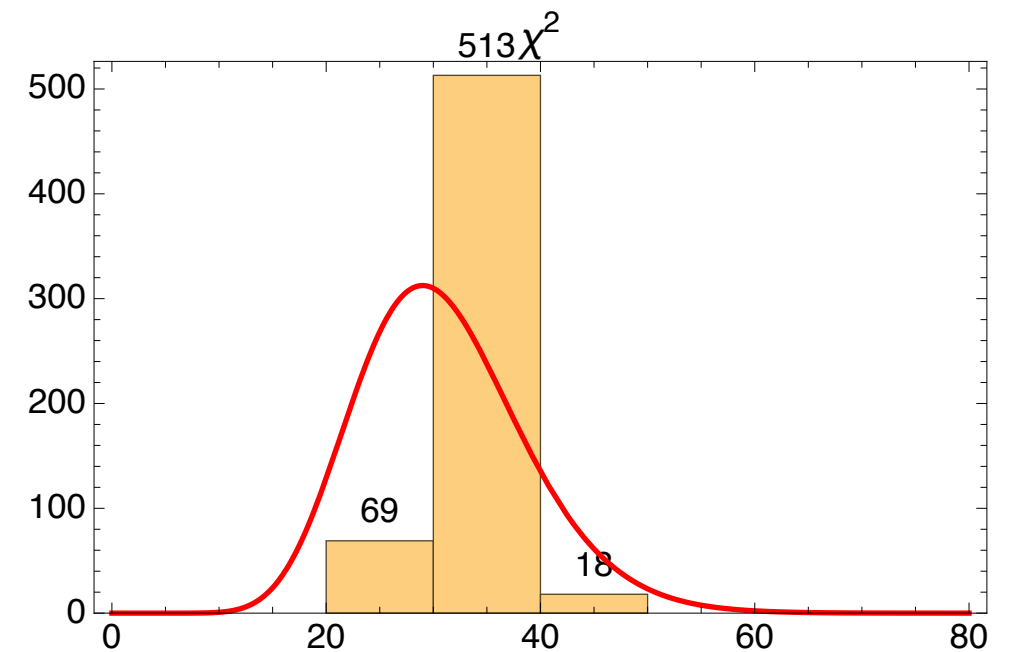


# Compass pseudodata: better $\chi^2$

$$\chi^2/\text{dof} = 1.76 \pm 0.11$$



$$\chi^2/\text{dof} = 1.12 \pm 0.09$$

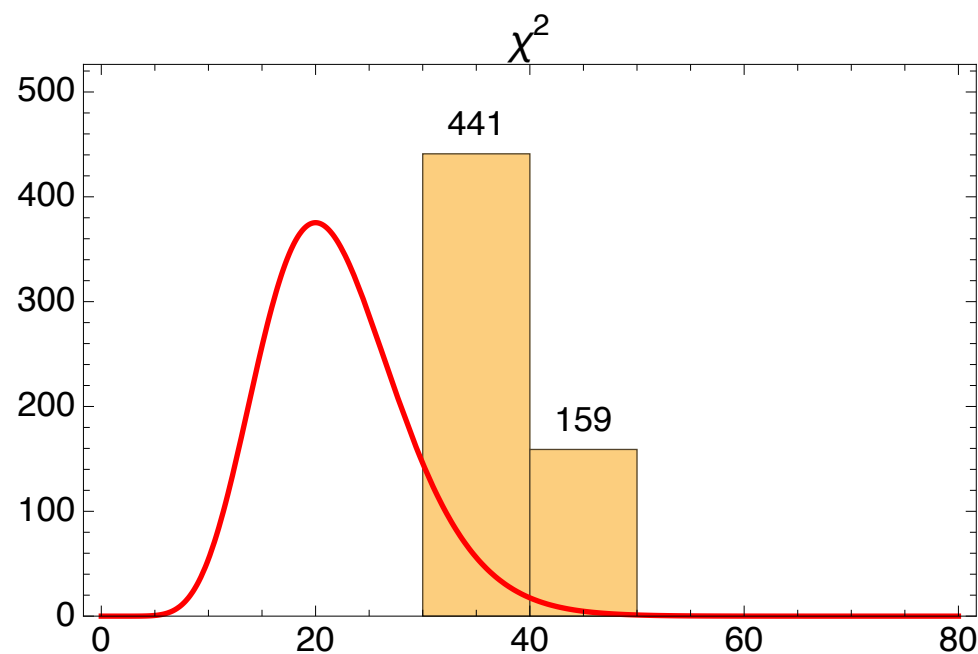


probability density function of  
 $\chi^2$  distribution for  
22 d.o.f.      31 d.o.f.

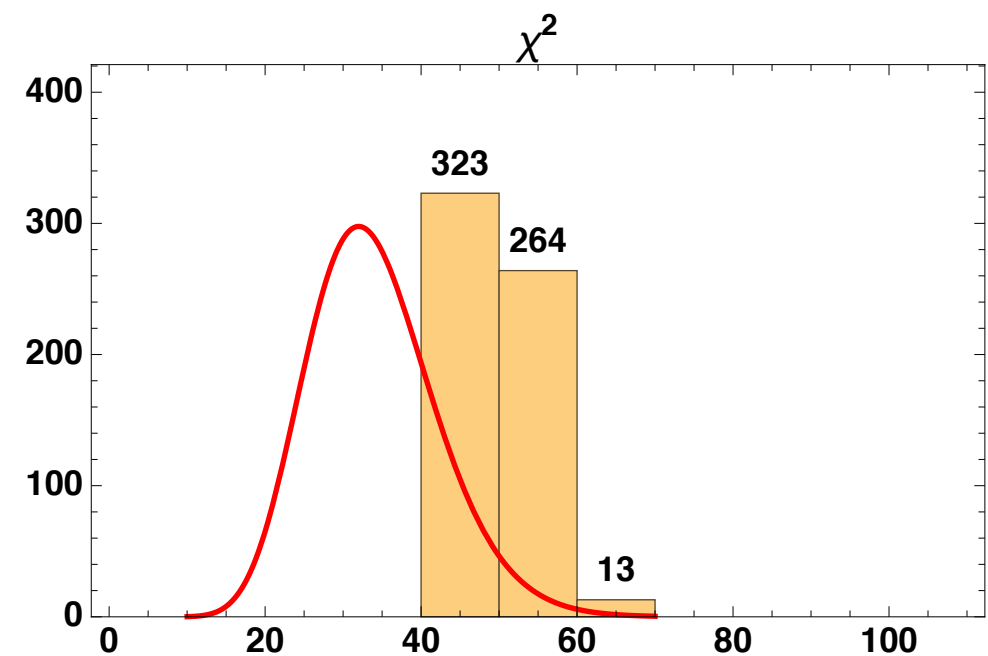
but central value of pseudodata not known  
→ only spreading is meaningful

# CLAS12 pseudodata: better $\chi^2$

$$\chi^2/\text{dof} = 1.76 \pm 0.11$$



$$\chi^2/\text{dof} = 1.48 \pm 0.10$$



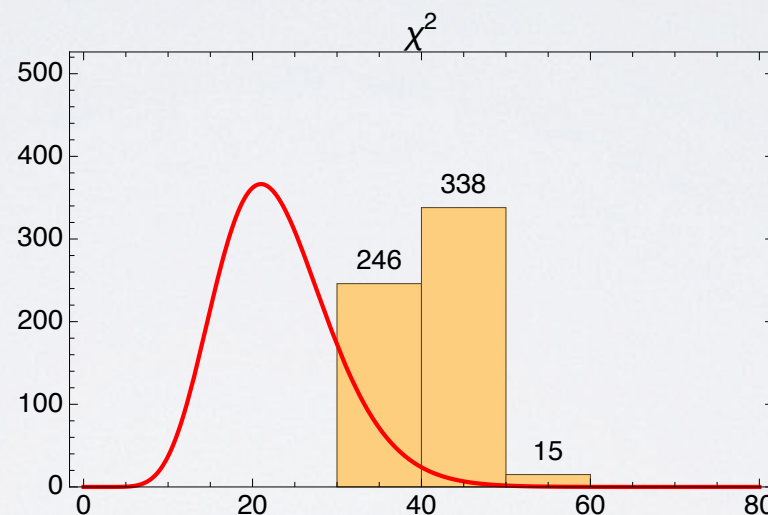
probability density function of  
 $\chi^2$  distribution for  
22 d.o.f.      34 d.o.f.

but central value of pseudodata not known  
→ only spreading is meaningful

# compatibility with lattice

add to SIDIS+pp data  
constraint to reproduce from lattice  
 $g_T, \delta u, \delta d$

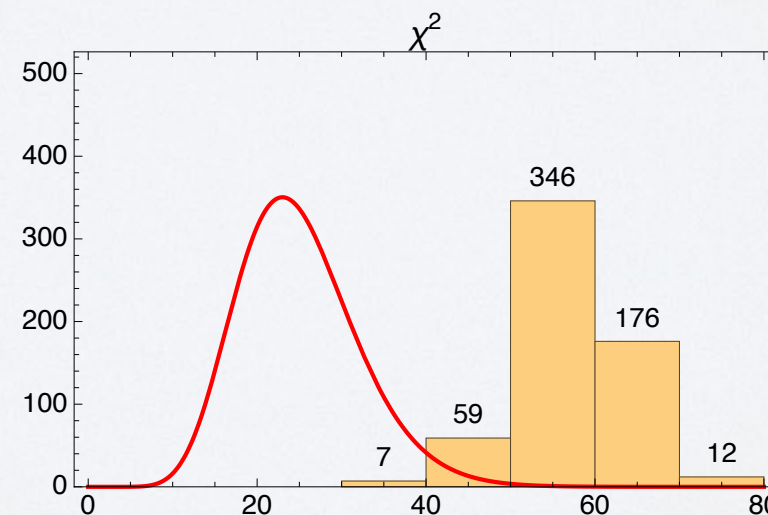
$$\overline{g_T}^{\text{latt}} = 1.004 \pm 0.057$$



$$\chi^2/\text{dof} = 1.82 \pm 0.25$$

probability density function of  
 $\chi^2$  distribution for  
23 d.o.f.

$$\overline{\delta u}^{\text{latt}} = 0.782 \pm 0.031$$



$$\chi^2/\text{dof} = 2.29 \pm 0.25$$

probability density function of  
 $\chi^2$  distribution for  
25 d.o.f.

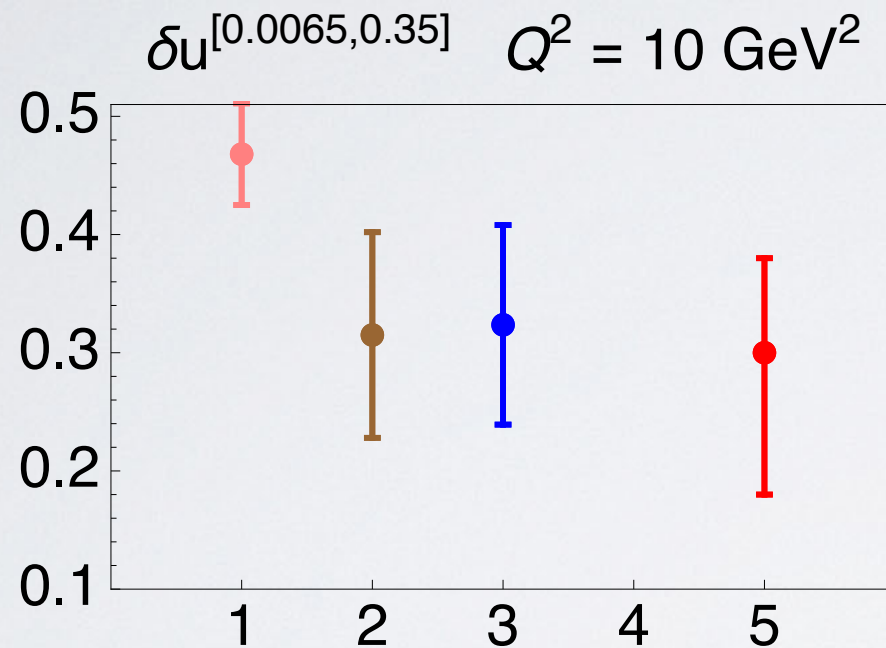
$$\overline{\delta d}^{\text{latt}} = -0.218 \pm 0.026$$



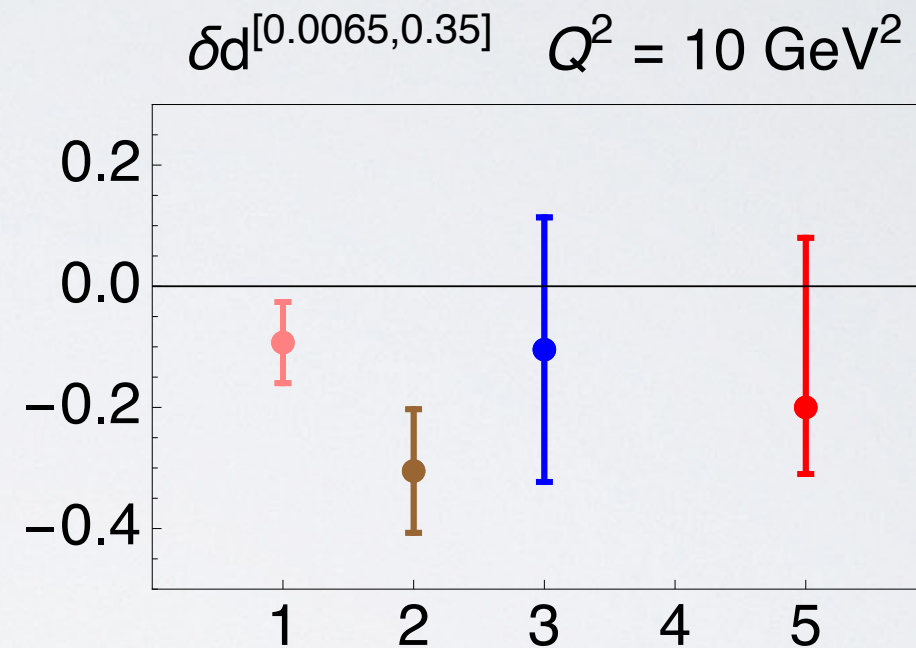
# truncated tensor charge

$$\delta q^{[0.0065, 0.35]} \quad Q^2 = 10$$

up



down



1) **global fit + constrain  $g_T$ ,  $\delta u$ ,  $\delta d$**

2) **global fit + constrain  $g_T$**

3) **global fit '17** *Radici & Bacchetta, P.R.L. 120 (18) 192001*

5) **"TMD fit"** *Kang et al., P.R. D93 (16) 014009*