



XXVII International Workshop on Deep Inelastic Scattering and Related Subjects

8 - 12 April 2019, Torino, Italy

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WG1: Structure Functions and Parton Densities
WG2: Small-x and Diffraction
WG3: Higgs and BSM Physics in Hadron Collisions
WG4: Hadronic and Electroweak Observables
WG5: Physics with Heavy Flavours
WG6: Spin and 3D structure
WG7: Future of DIS

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Effect of flavor-dependent partonic transverse momentum on the determination of the W mass at hadron colliders

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INFN - Pavia



In collaboration with
A. Bacchetta } Univ. Pavia
G. Bozzi }
A. Signori } Argonne Nat. Lab.



Our findings

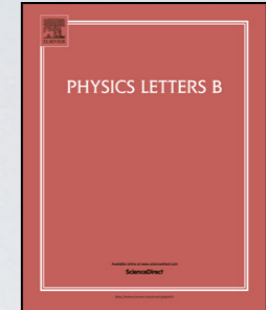
Physics Letters B 788 (2019) 542–545



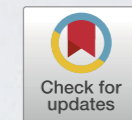
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Effect of flavor-dependent partonic transverse momentum on the determination of the W boson mass in hadronic collisions



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arXiv:1807.02101

quark intrinsic transverse momentum can be flavor dependent

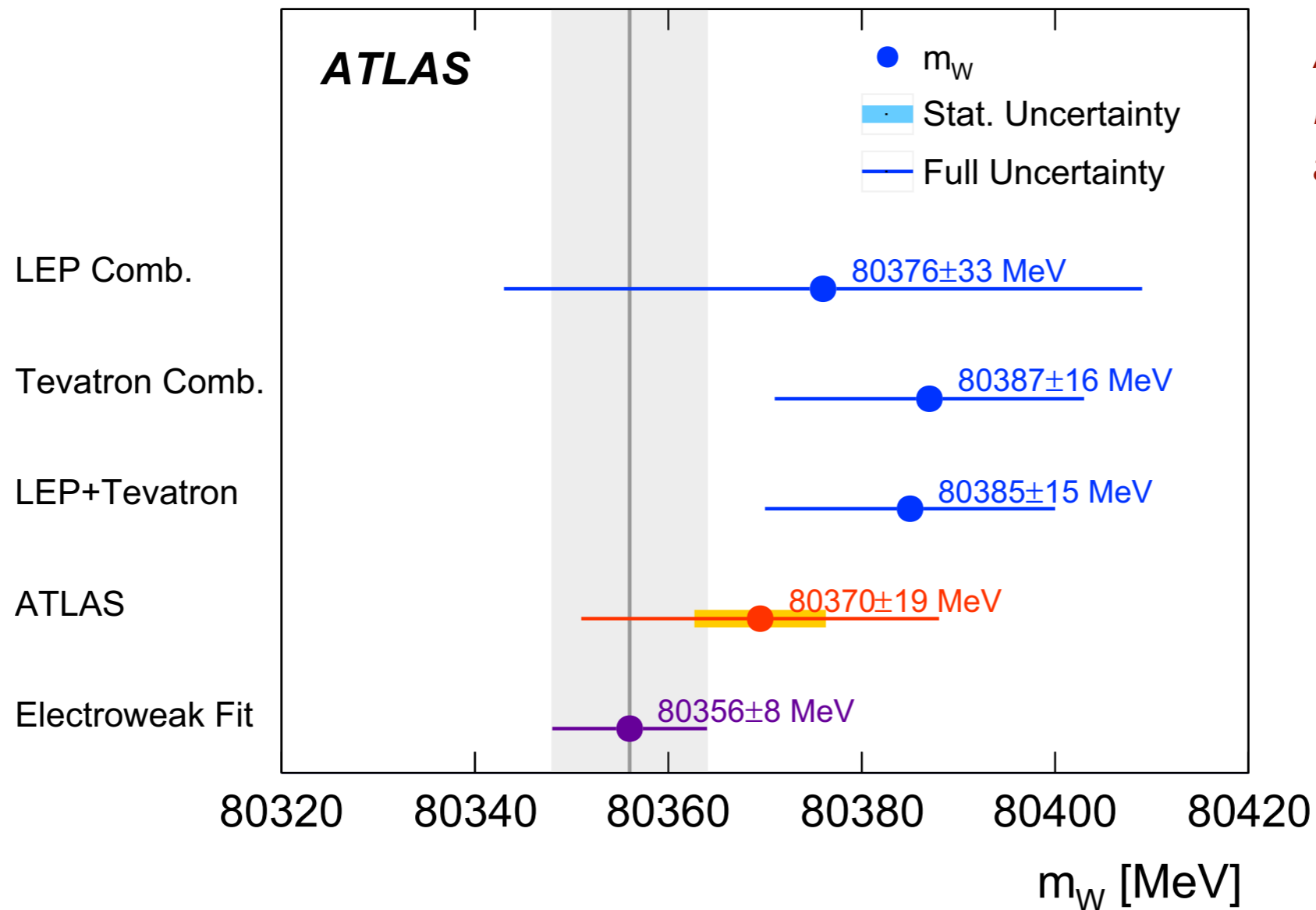
→ additional uncertainty on m_W , not considered so far.

$$-15 \leq \Delta m_{W^+} \leq 9 \text{ MeV}$$

$$-10 \leq \Delta m_{W^-} \leq 10 \text{ MeV}$$

The state of the art

The W mass (in numbers)

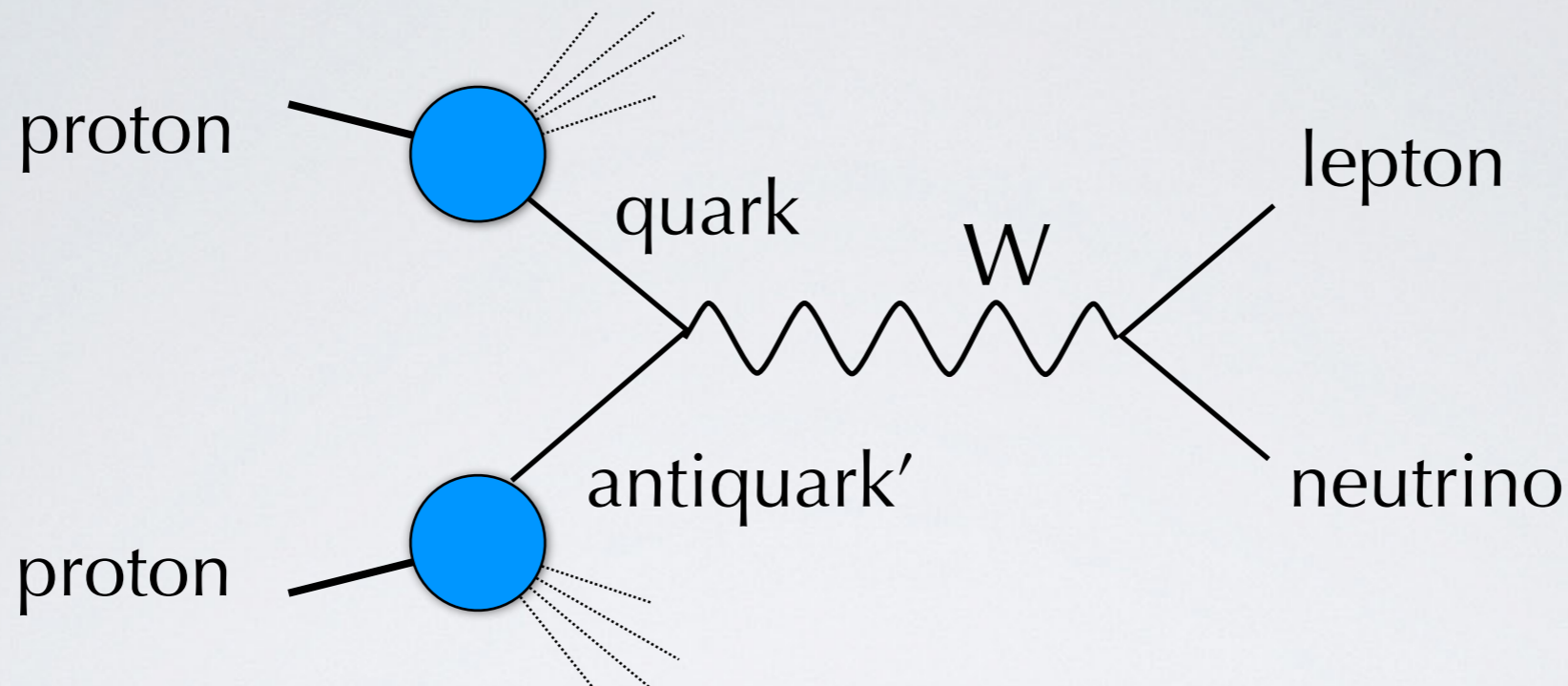


ATLAS Collaboration,
EPJ C78 (18) 110
arXiv:1701.07240

$m_W = 80370 \pm 7 \text{ (stat)} \pm 11 \text{ (exp syst)} \pm 14 \text{ (mod syst)} \text{ MeV}$
 $= 80370 \pm 19 \text{ MeV}$

$m_{W^+} - m_{W^-} = -29 \pm 28 \text{ MeV}$

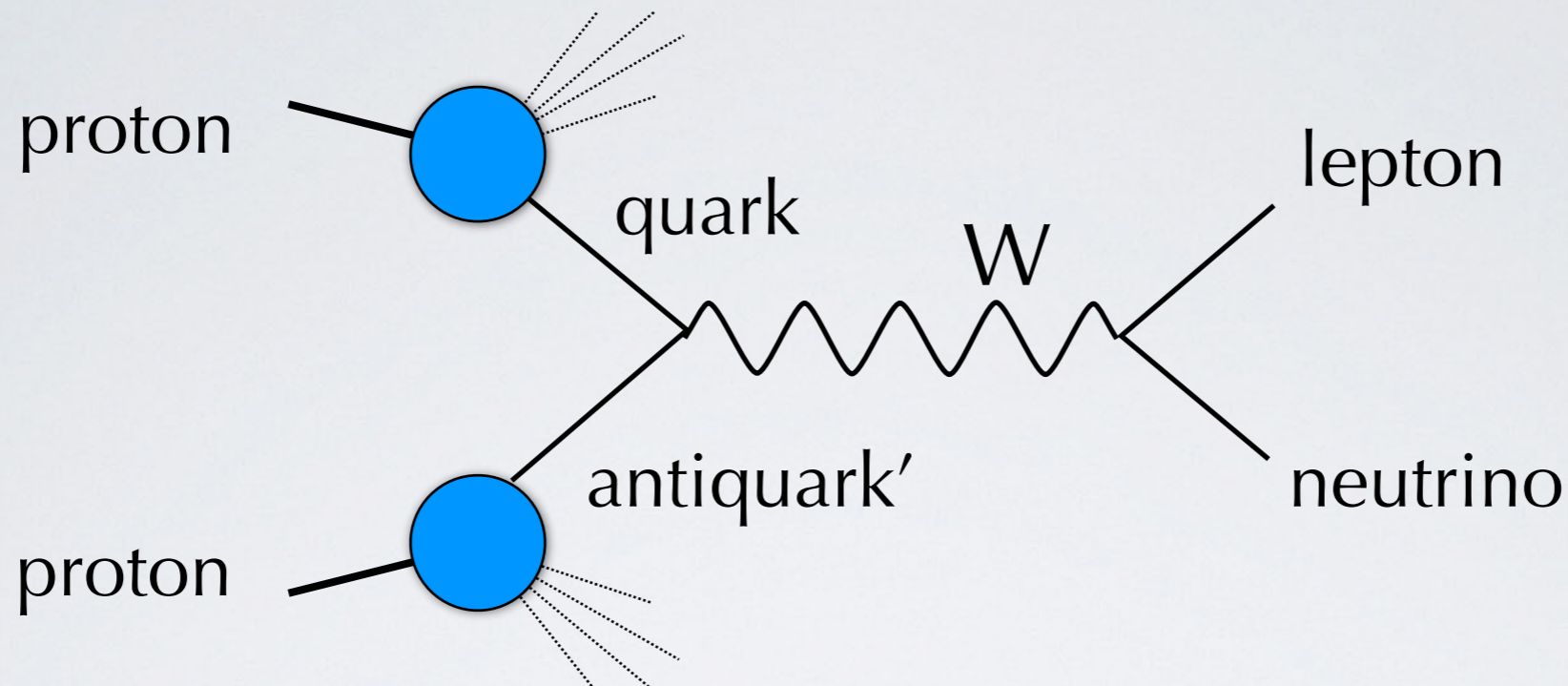
How is the W mass determined ?



4-momentum of neutrino difficult to determine
→ extract m_W from studying the shape of :

- lepton transverse mom. p_T^l
- transverse mass $m_T = \sqrt{2 p_T^l p_T^\nu (1 - \cos(\phi^l - \phi^\nu))}$
- missing transverse mom. p_T^{miss}

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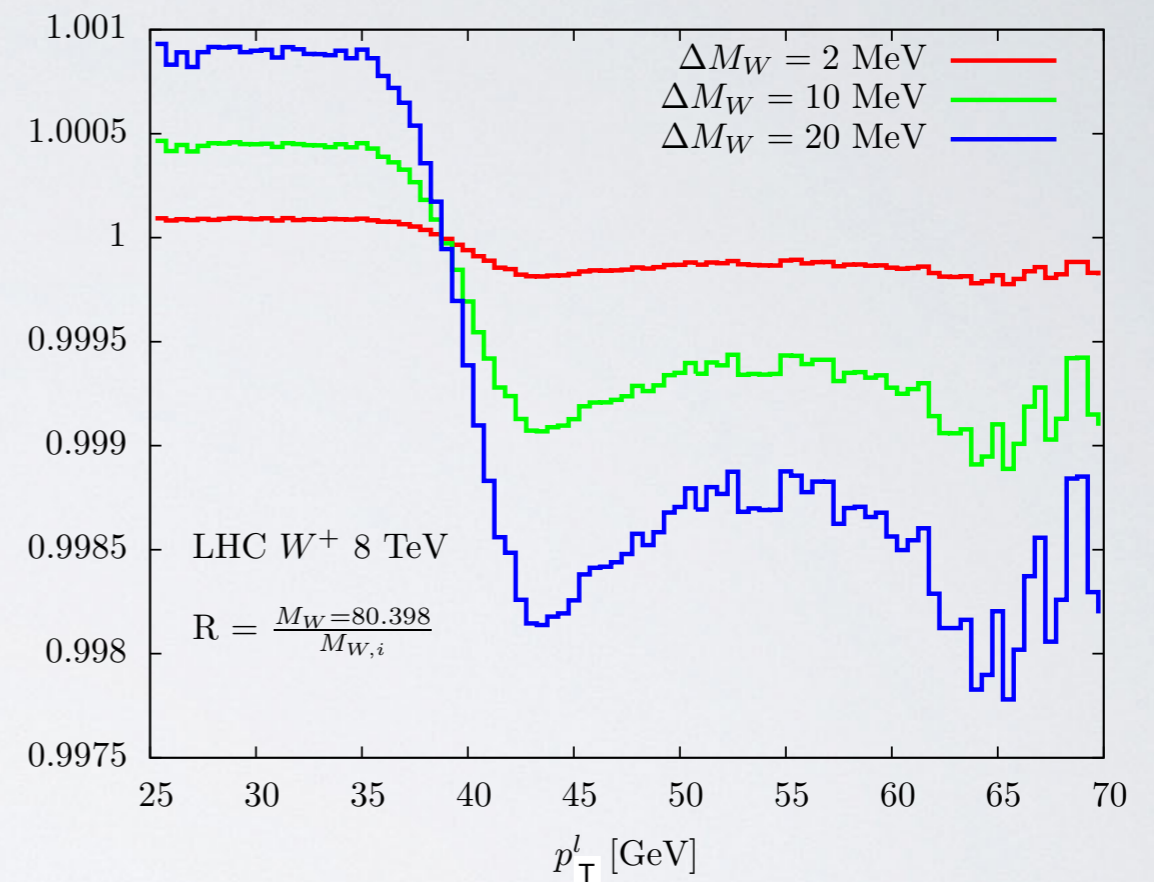
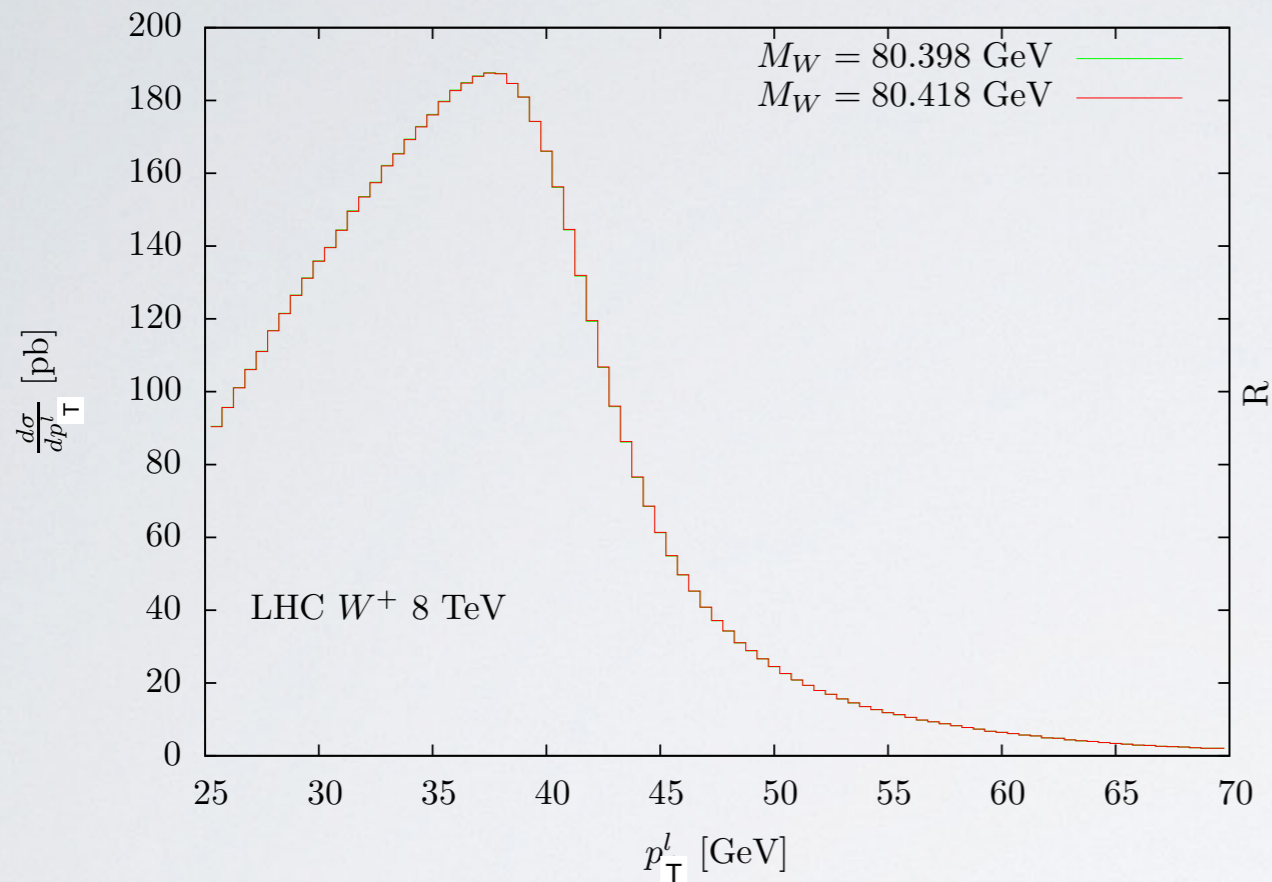
- lepton transverse mom. p_T^l ←
- transverse mass $m_T = \sqrt{2 p_T^l p_T^\nu (1 - \cos(\phi^l - \phi^\nu))}$ **difficult** (only 16% of ATLAS sample)
- missing transverse mom. p_T^{miss} **difficult** (ATLAS does not reconstruct it)

The template - fit technique

- using Monte Carlo generators with the best of theoretical accuracy and of realism in detector simulation, produce several high-statistics histograms (“templates”) with different m_W
- the template that best fits the measured p_T^l (and m_T) shapes selects the preferred value for m_W
- hypotheses used to build templates (choice of PDFs, scales, nonperturbative parameters, prescriptions,...) are treated as theoretical systematic errors (“mod syst”)

Challenging measurement

Bozzi, Rojo, Vicini, *PRD* **83** (11) arXiv:1104.2056



a distortion at the **per mille level** of the p_T^l distribution induces a shift of $O(\mathbf{10 MeV})$ in the W mass m_W !

$$R = \frac{m_W^0 = 80.398}{m_W^0 + 0.002}$$

$$R = \frac{m_W^0 = 80.398}{m_W^0 + 0.010}$$

$$R = \frac{m_W^0 = 80.398}{m_W^0 + 0.020}$$

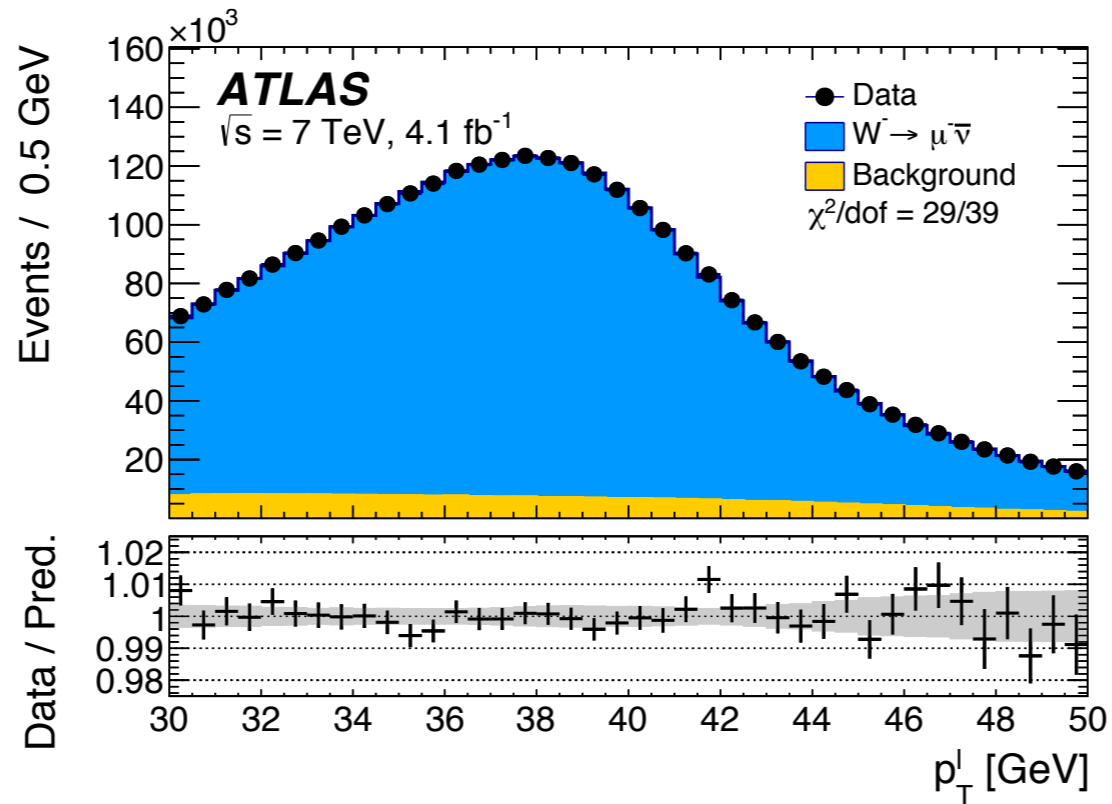
How to estimate systematic uncertainties

Example: the current largest uncertainty comes from PDFs

- use Monte Carlo generators to produce **pseudodata** with known **fixed m_W^0** and **different PDF** sets
- using the **same generator**, create **templates** with **fixed PDF** set and **varying m_W** around m_W^0
- apply **template-fit on pseudodata**: the $[(\text{best } m_W) - m_W^0]$ gives the uncertainty **δm_W coming from PDFs only**

Sensitivity to W transverse momentum

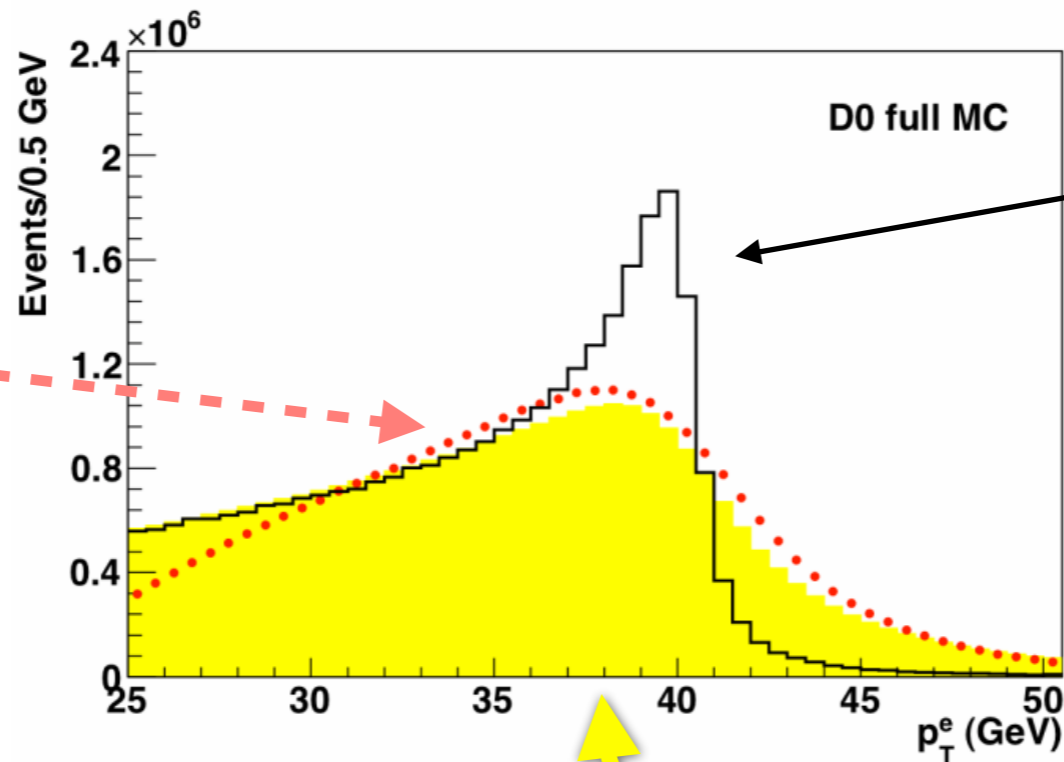
p_T^l (lepton transv. mom.) distribution



ATLAS Collaboration,
EPJ C78 (18) 110
arXiv:1701.07240

detector effects
cause
minor changes

(m_T distribution
much more sensitive)



if $p_T^W=0$,
the p_T^l distribution
would look like this

if $p_T^W \neq 0$ is included,
the p_T^l distribution
gets modified like this

Uncertainty on m_W due to p_T^W

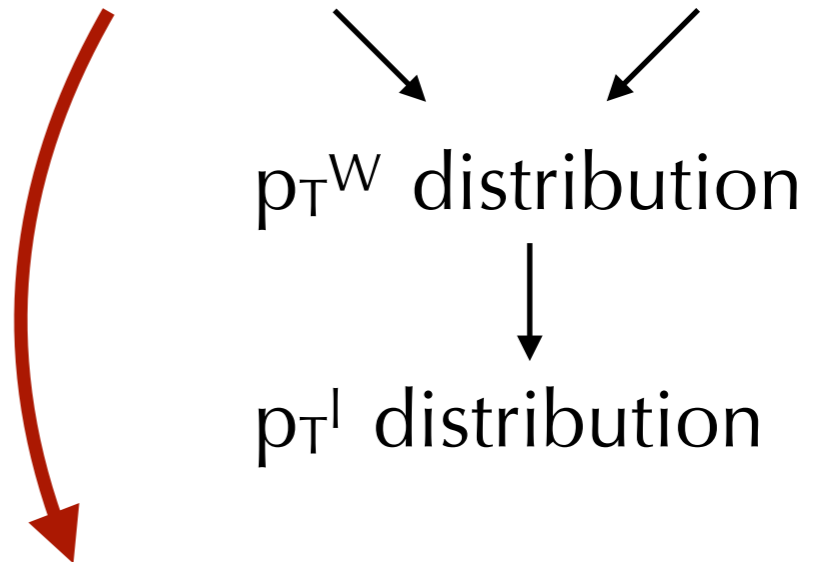


W-boson charge Kinematic distribution	W^+		W^-		Combined	
	p_T^ℓ	m_T	p_T^ℓ	m_T	p_T^ℓ	m_T
δm_W [MeV]						
Fixed-order PDF uncertainty	13.1	14.9	12.0	14.2	8.0	8.7
AZ tune	3.0	3.4	3.0	3.4	3.0	3.4
Charm-quark mass	1.2	1.5	1.2	1.5	1.2	1.5
Parton shower μ_F with heavy-flavour decorrelation	5.0	6.9	5.0	6.9	5.0	6.9
Parton shower PDF uncertainty	3.6	4.0	2.6	2.4	1.0	1.6
Angular coefficients	5.8	5.3	5.8	5.3	5.8	5.3
Total	15.9	18.1	14.8	17.2	11.6	12.9



Source	Section	m_T	p_T^ℓ	E_T
Experimental				
Electron Energy Scale	VII C4	16	17	16
Electron Energy Resolution	VII C5	2	2	3
Electron Shower Model	VC	4	6	7
Electron Energy Loss	VD	4	4	4
Recoil Model	VII D3	5	6	14
Electron Efficiencies	VII B 10	1	3	5
Backgrounds	VIII	2	2	2
Σ (Experimental)		18	20	24
W Production and Decay Model				
PDF	VIC	11	11	14
QED	VIB	7	7	9
Boson p_T	VIA	2	5	2
Σ (Model)		15	14	17
Systematic Uncertainty (Experimental and Model)		22	24	29
W Boson Statistics	IX	13	14	15
Total Uncertainty		26	28	33

intrinsic quark k_T QCD radiation



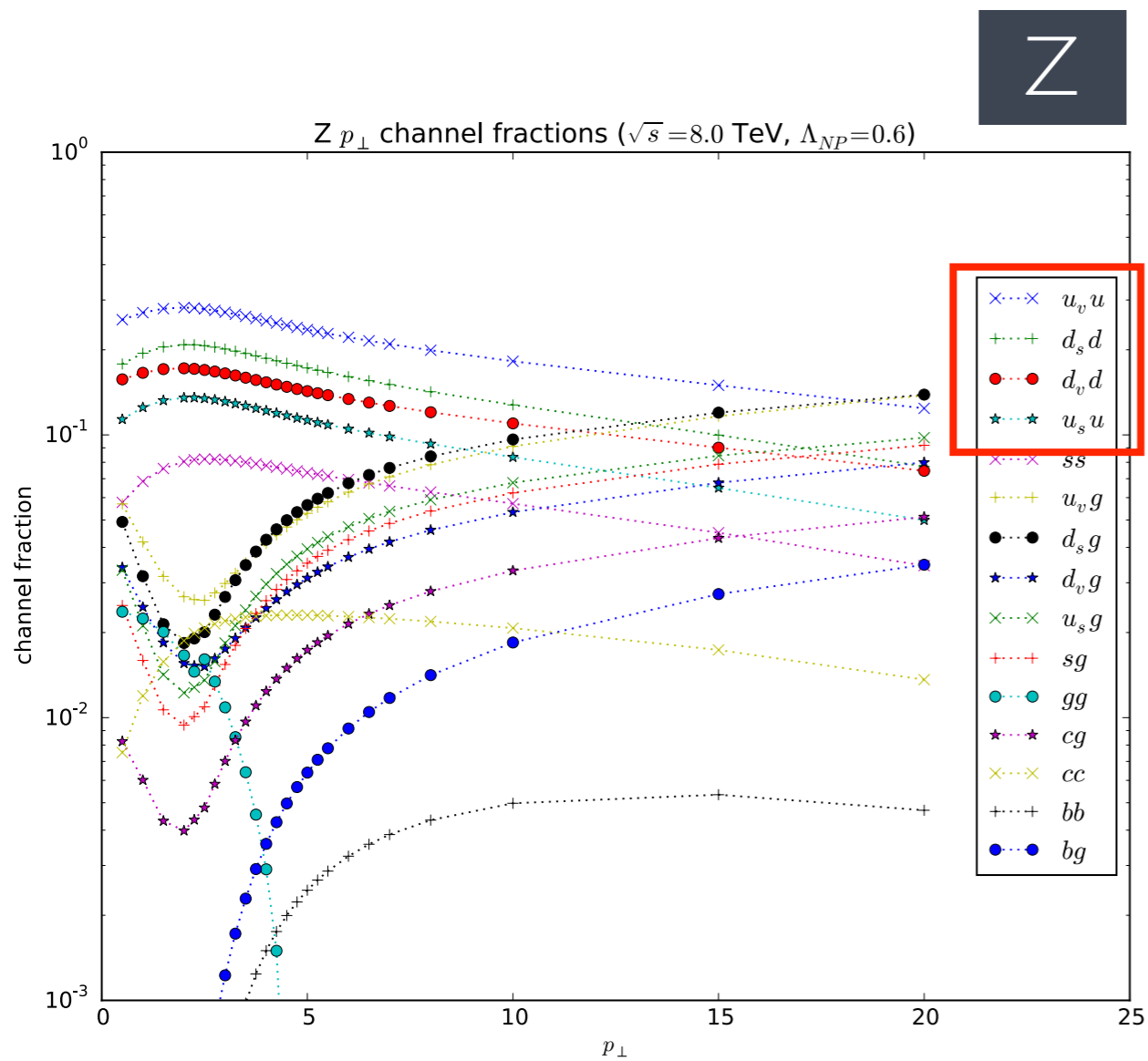
assumed universal and flavor-independent

Monte Carlo generators are tuned to describe Z-boson data ...

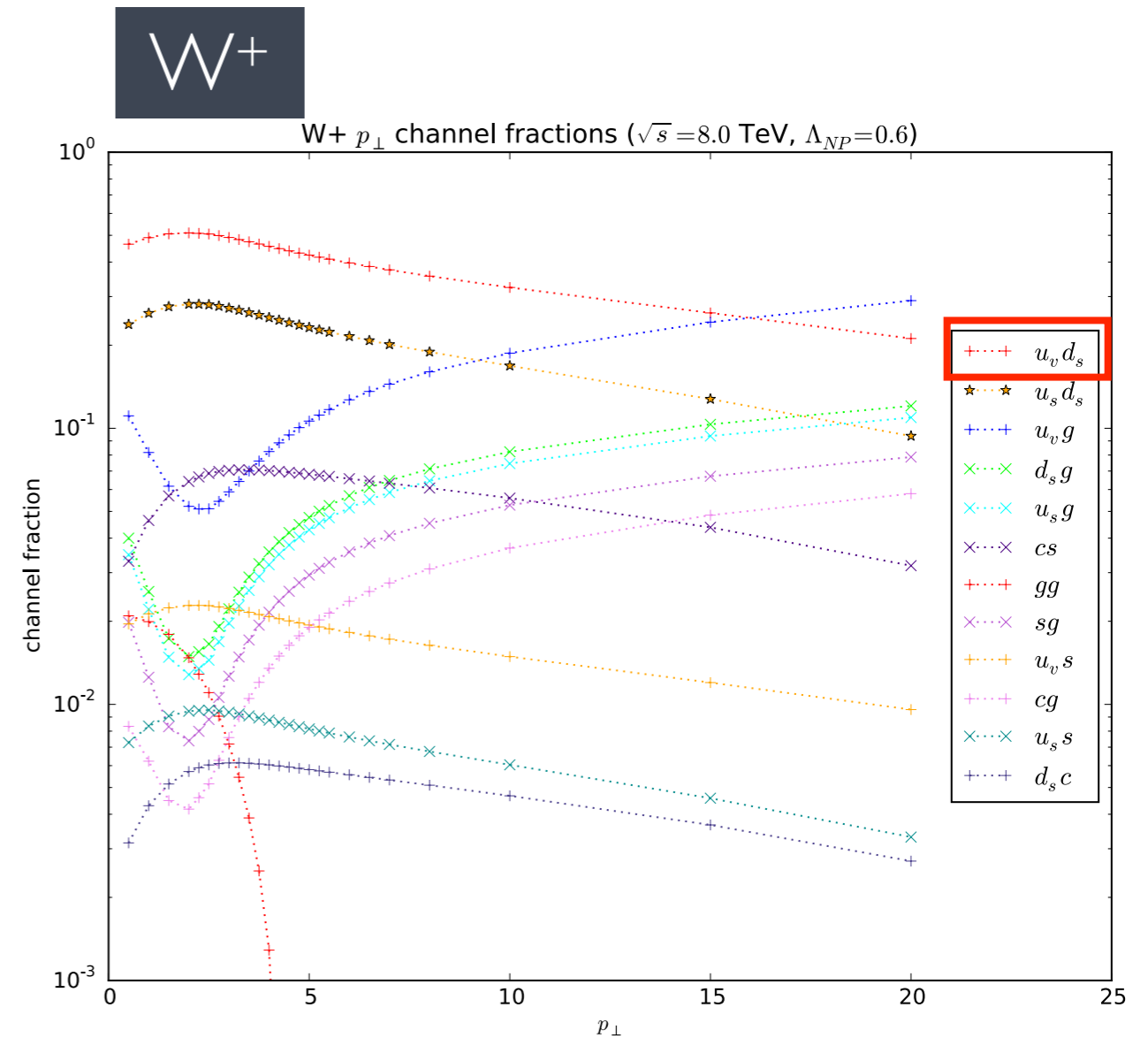
Z and W
production
involve
different flavor
combinations



Flavor contributions



$u\bar{u}$ and $d\bar{d}$ are the most important channels



$u\bar{d}$ is the most important channel

Our work

Monte Carlo generator

- we use a modified version of **DYRes** Catani, De Florian, Ferrera, Grazzini (2015)
- we implement into the cross section an explicit dependence on quark intrinsic k_T through Transverse Momentum Distributions (TMD) Collins, "Foundations of Perturbative QCD" (Cambridge, 2011)

$$f_1^q(x, k_T; \mu^2) = \frac{1}{2\pi} \int d^2 b_T e^{-i b_T \cdot k_T} \tilde{f}_1^q(x, b_T; \mu^2)$$

nonperturbative part

$$\tilde{f}_1^q(x, b_T; \mu^2) = \sum_i \left(\tilde{C}_{q/i} \otimes f_1^i \right) (x, b_*; \mu_b^2) e^{\tilde{S}(b_*; \mu_b, \mu)} f_{1\text{NP}}^q(x, b_T)$$

perturbative parts computed at order α_s - NLL

$$\mu_b \propto \frac{1}{b_*}$$

$b_*(b_T)$ smoothly connects between perturbative (low b_T) and nonperturbative (large b_T) domains

Nonperturbative part

$$f_{1NP}^q(x, b_T) \approx f_{1NP}^q(b_T) \propto e^{-[g_{evo} \log(Q^2 / Q_0^2) + g_q]} b_T^2$$

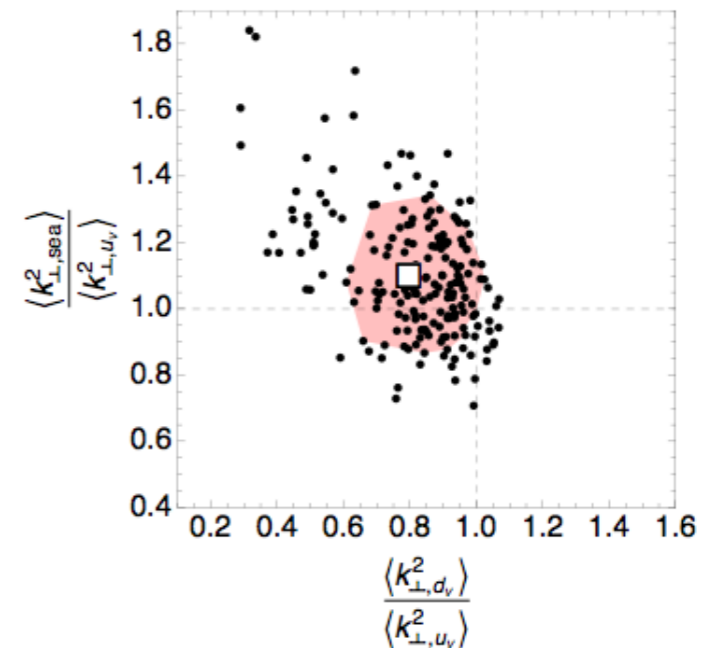
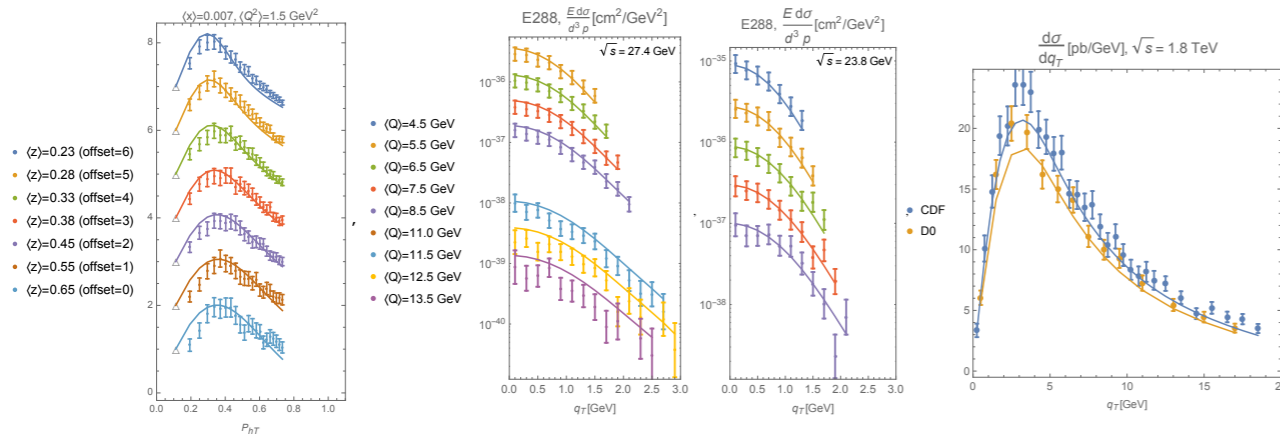
flavor-independent
(gluon radiation)

flavor-dependent

fit of SIDIS data

lot of room for flavor dependence

from fit of SIDIS / Drell-Yan / Z-boson data
it turns out $\sim [0.2 - 0.4] \text{ GeV}^2$



Bacchetta, Delcarro, Pisano, Radici, Signori, *JHEP***1706** (17) 081
arXiv:1703.10157

see also Guzzi, Nadolsky, Wang, *PRD***90** (14) 014030

Signori, Bacchetta, Radici, Schnell, *JHEP***1311** (13) 194
arXiv:1309.3507

Choice of “Z-equivalent” parameters

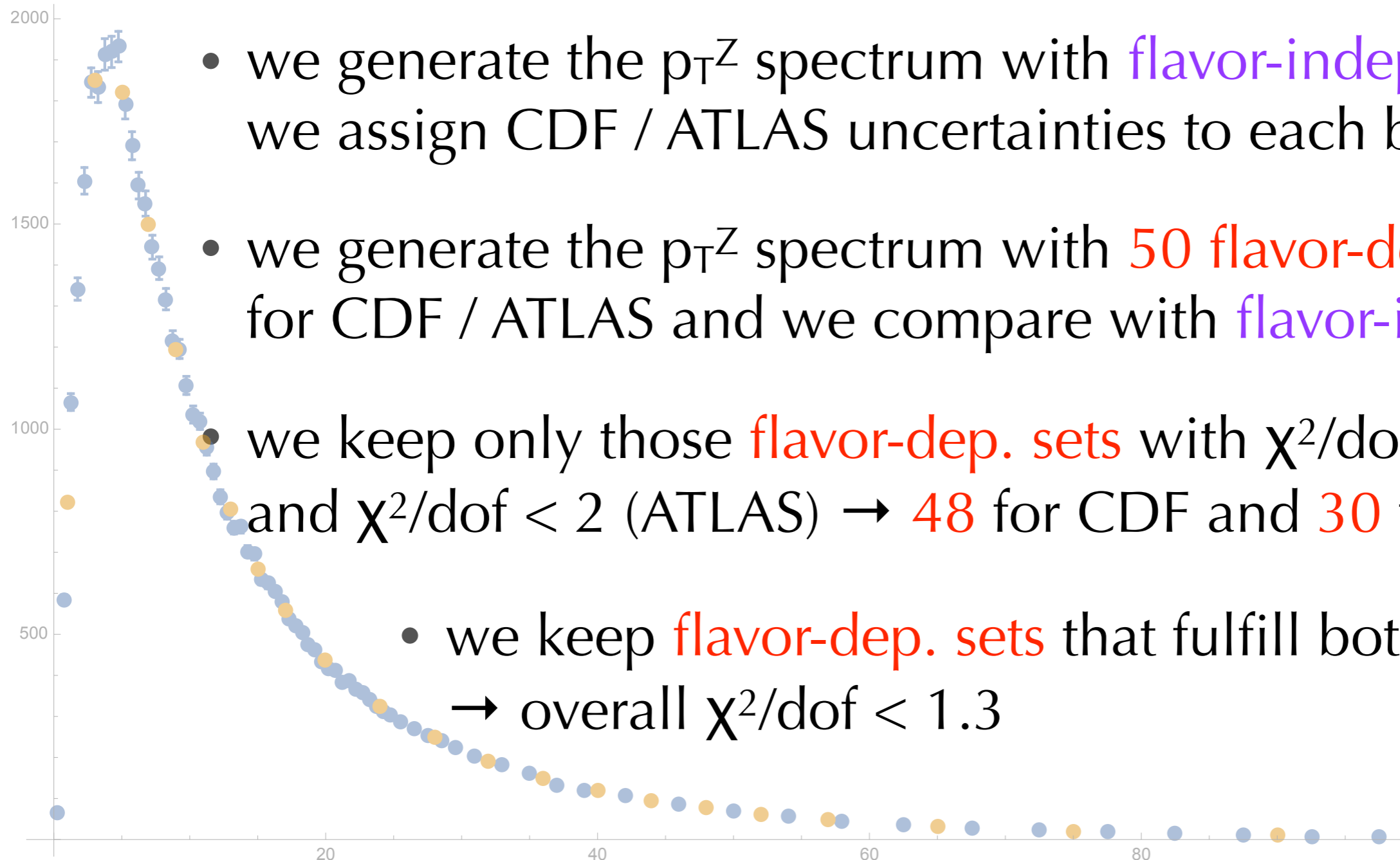
- we first select **50 flavor-dep. sets** $g_{NP}^q = \{g_{NP}^{uv}, g_{NP}^{dv}, g_{NP}^{u_{sea}}, g_{NP}^{d_{sea}}, g_{NP}^s\} \in [0.2 \div 0.4]$ and **1 flavor-indep. set** $g_{NP}^q = 0.4$

- we generate the p_T^Z spectrum with **flavor-indep. set** and we assign CDF / ATLAS uncertainties to each bin

- we generate the p_T^Z spectrum with **50 flavor-dep. sets** for CDF / ATLAS and we compare with **flavor-indep. one**

- we keep only those **flavor-dep. sets** with $\chi^2/\text{dof} < 1.1$ (CDF) and $\chi^2/\text{dof} < 2$ (ATLAS) \rightarrow **48** for CDF and **30** for ATLAS

- we keep **flavor-dep. sets** that fulfill both criteria \rightarrow overall $\chi^2/\text{dof} < 1.3$



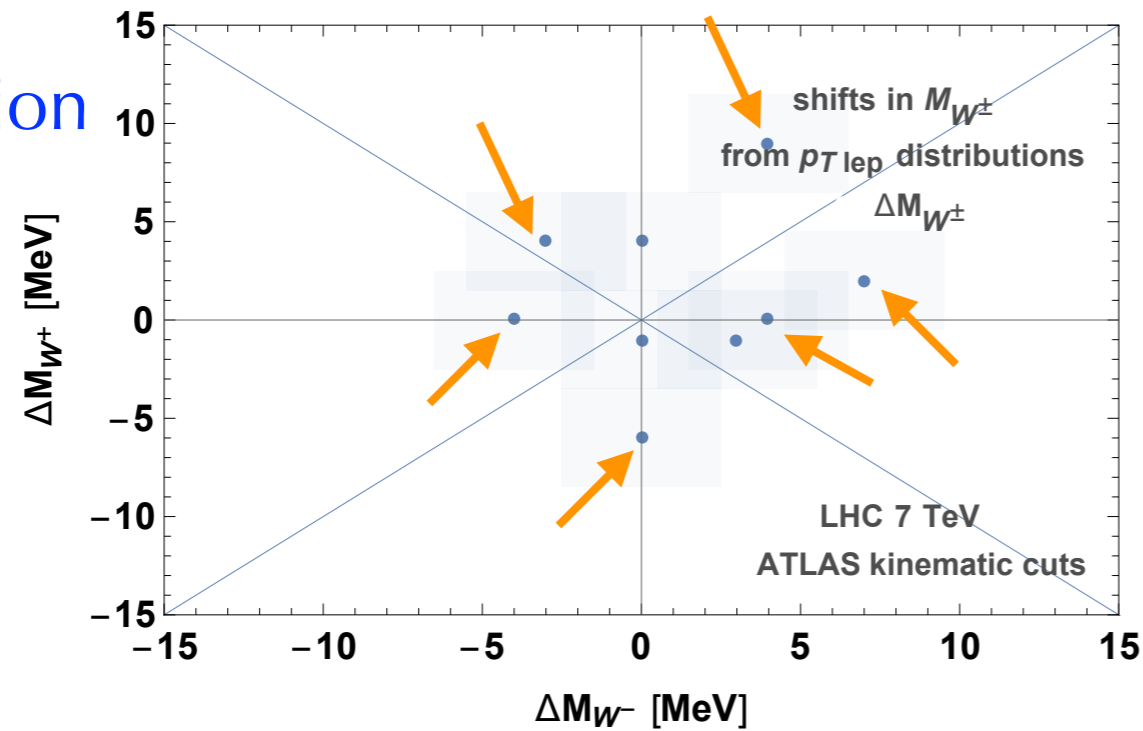
Template fit → shift of W mass

- using “Z-equivalent” flavor-dep. sets, generate $p_T^l / m_T / p_T^{\text{miss}}$ distributions at $m_W^0 = 80.370$ GeV → pseudodata
- using flavor-indep. set, generate $p_T^l / m_T / p_T^{\text{miss}}$ distributions at high statistics for 30 different m_W in $(m_W^0 \pm 0.015$ GeV) → templates
- apply template-fit on pseudodata → get the W mass shift $(\delta m_W)_i = [(\text{best } m_W)_i - m_W^0]$ for each flavor-dep. set i

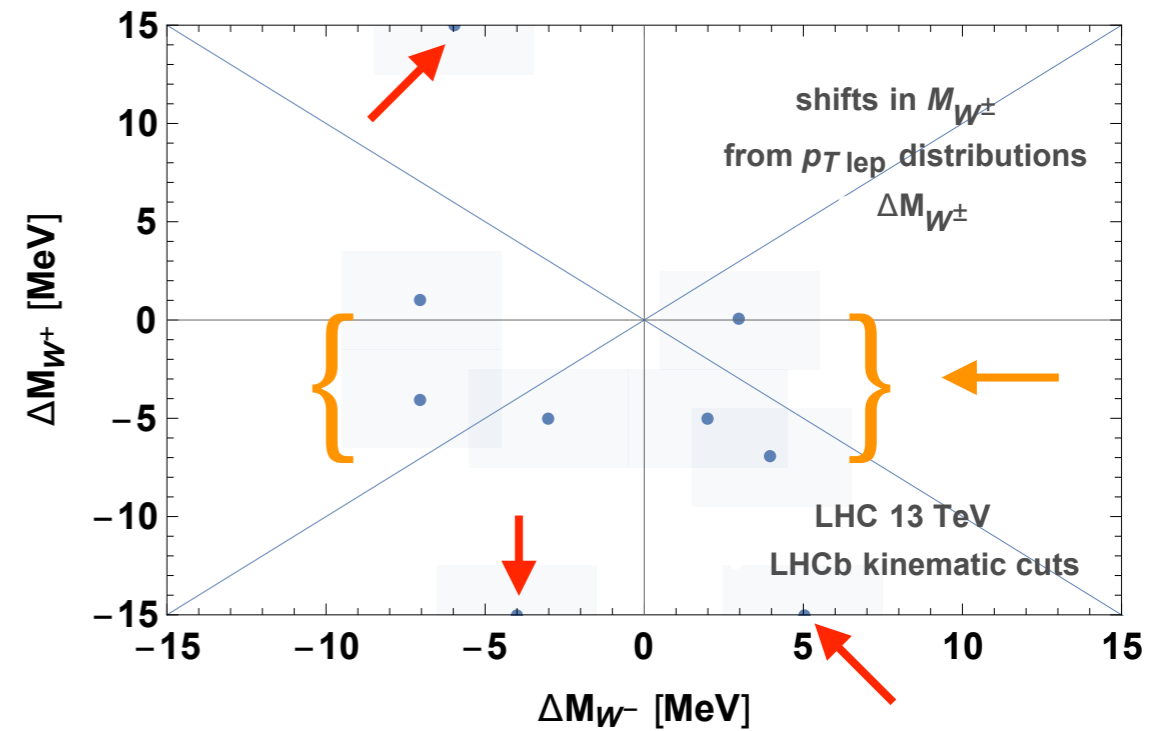
for each flavor-dep. set i , keep those templates for which $(\chi^2 - \chi_{\min}^2) < 1$ → $(\delta m_W)_i \pm 2.5$ MeV (stat)

Resulting W mass shifts

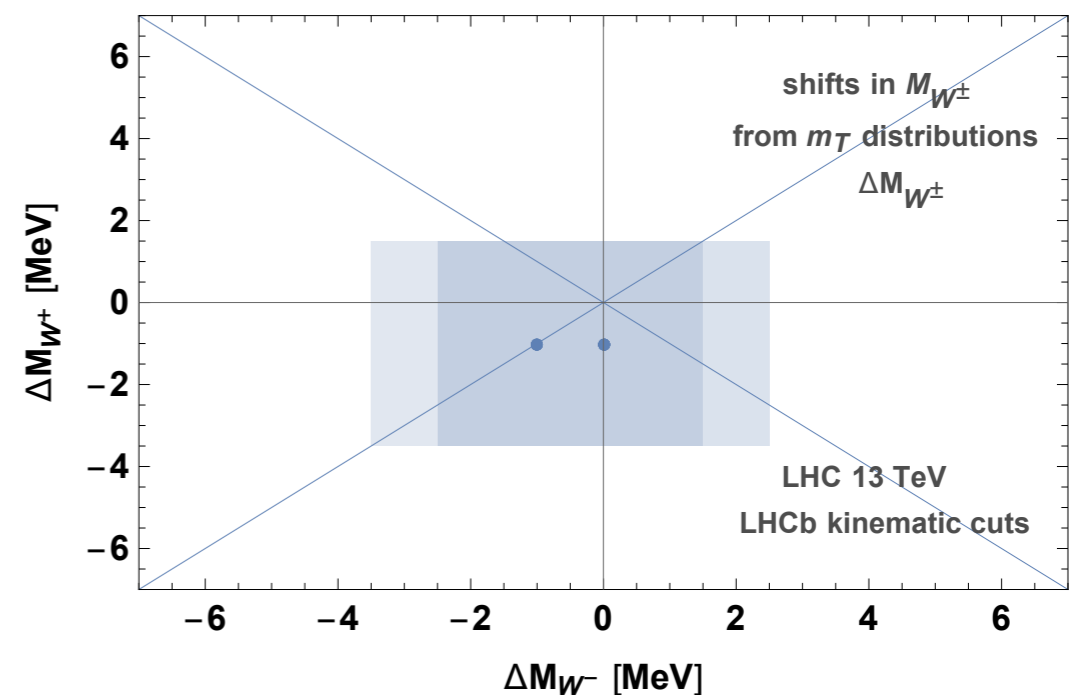
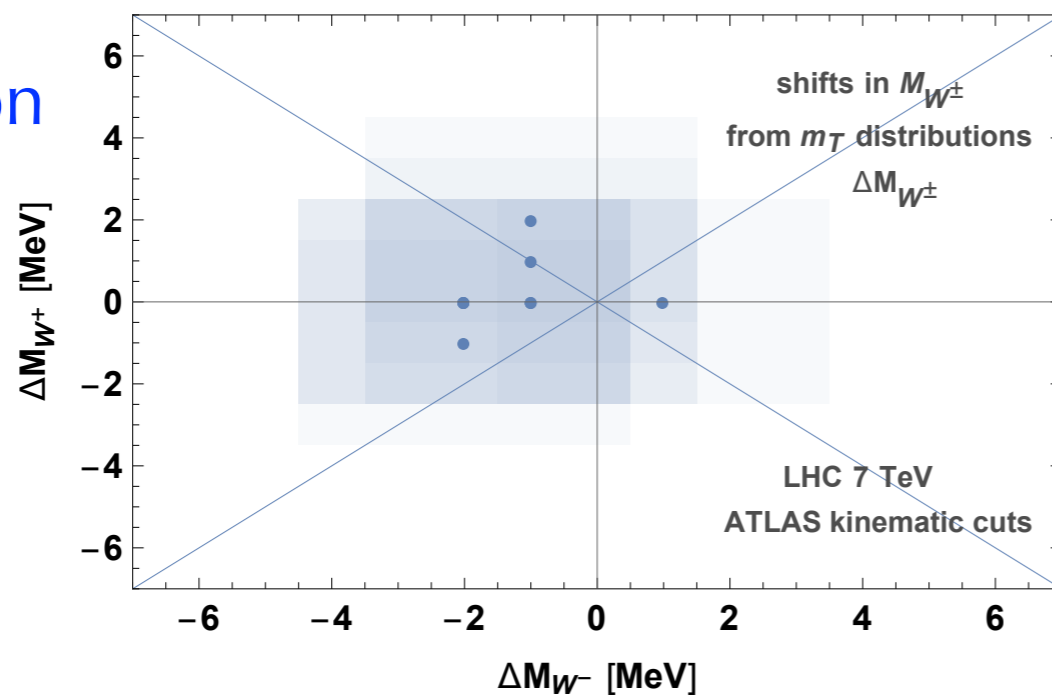
LHC 7 TeV, ATLAS cuts



LHC 13 TeV, LHCb cuts



m_T distribution



Interesting configurations



valence

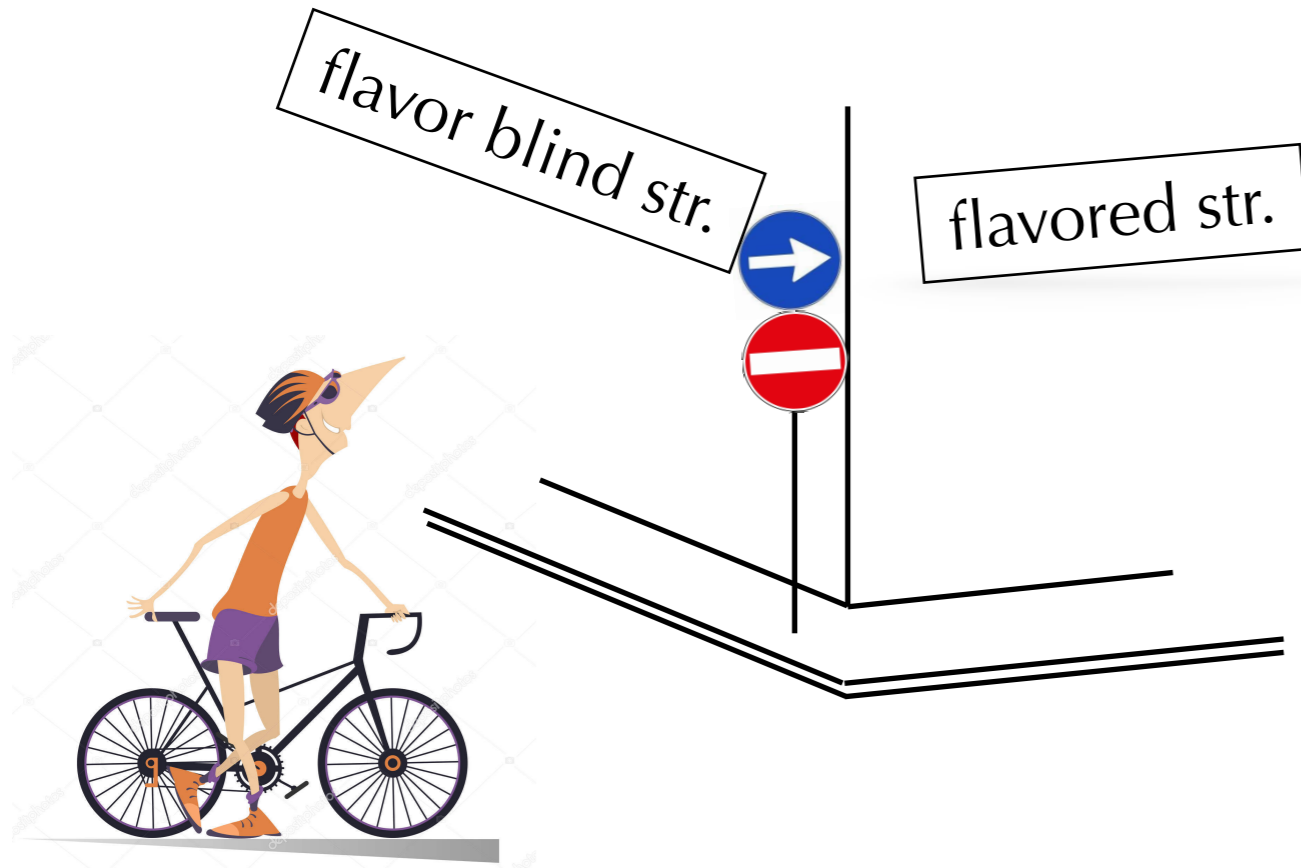
sea

Set	u_v	d_v	u_s	d_s	s	Δm_{W^+}	Δm_{W^-}	Δm_{W^+}	Δm_{W^-}
1	0.34	0.26	0.46	0.59	0.32	-1	+3	-5	-3
2	0.34	0.46	0.56	0.32	0.51	-6	0	-15	+5
3	0.55	0.34	0.33	0.55	0.30	+9	+4	+1	-7
4	0.53	0.49	0.37	0.22	0.52	0	-4	-15	-4
5	0.42	0.38	0.29	0.57	0.27	+4	-3	-4	-7
6	0.40	0.52	0.46	0.54	0.21	0	+4	-5	+2
7	0.22	0.21	0.40	0.46	0.49	-1	0	+15	-6
8	0.53	0.31	0.59	0.54	0.33	+2	+7	0	+3
9	0.46	0.46	0.58	0.40	0.28	+4	0	-7	+4

N.B. $W^+ \sim u\bar{d}$: larger u_v & d_s give $\Delta m_{W^+} > 0$

Conclusions

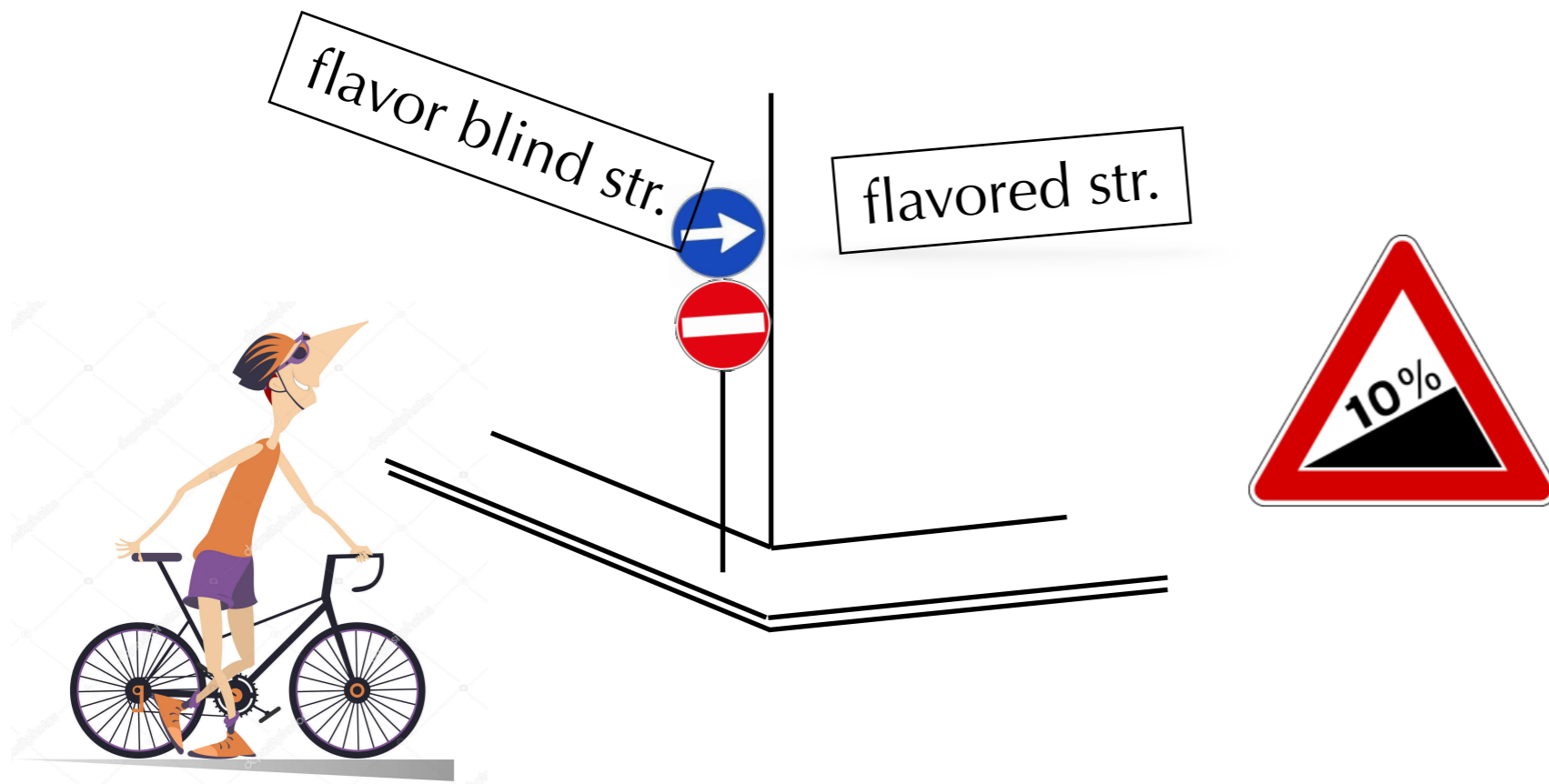
Nonperturbative flavor dependence of quark intrinsic transverse momentum is important for precise determination of W mass



Please, take the right way....

Conclusions

Nonperturbative flavor dependence of quark intrinsic transverse momentum is important for precise determination of W mass



Please, take the right way....

it's harder, but rewarding...