

# Colour Reconnection within Herwig++

## 7th MCnet Meeting

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# Outline

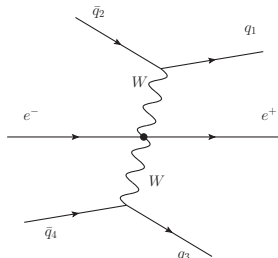
- Motivation
- Colour Reconnection
- Status Quo

# Motivation

Example:

$$e^+e^- \rightarrow WW \rightarrow (q_1\bar{q}_2)(q_3\bar{q}_4)$$

(as done at LEP-2)



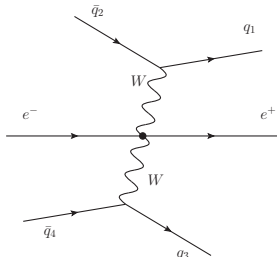
- Two colour singlets  $q_1\bar{q}_2$  and  $q_3\bar{q}_4$
- Usually treated independently (by parton shower and hadronization models)

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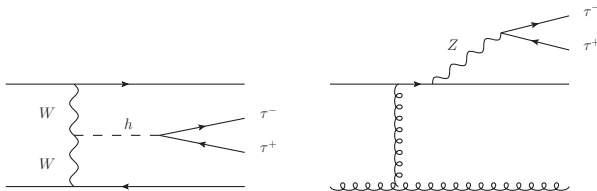


- Two colour singlets  $q_1\bar{q}_2$  and  $q_3\bar{q}_4$
- Usually treated independently (by parton shower and hadronization models)
- But: products of the  $W$  decays may overlap in space-time
- Soft gluon exchange between the two systems possible during hadronization
- Gives rise to Colour Reconnection models
- Particle flow sensitive to this effect (“twice the semileptonic decay  $\neq$  fully hadronic decay”)

# Motivation

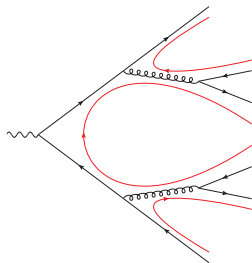
CR yields better simulation of the Underlying Event

- e.g. important for Higgs physics



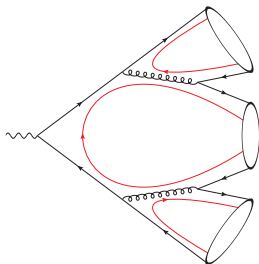
- or for BSM physics

# Cluster Hadronization in Herwig++



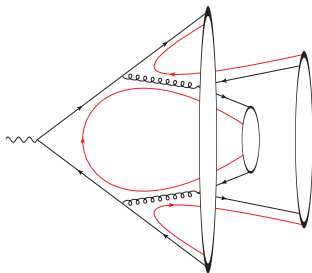
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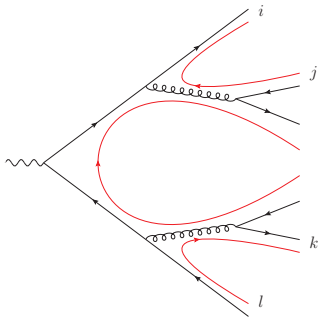


- $N_C \rightarrow \infty$  limit
- $\Rightarrow$  colour of gluons represented by a colour dipole
- at the end of the parton shower: every colour carrier has a **unique** anticolour partner (and vice versa)  $\Rightarrow$  these pairs form clusters
- allow *reconnection* of colour-anticolour pairs



# The Colour Reconnection model (as implemented in HERWIG 5.9+)

$d_{ij}$  denotes the space time distance of the production points of a cluster's constituents  $q_i$  and  $\bar{q}_j$  (the cluster's "spatial size").



1. Check if a rearrangement with this cluster would lower the sum of the clusters' spatial sizes:

$$|d_{il}|^2 + |d_{kj}|^2 < |d_{ij}|^2 + |d_{kl}|^2$$

2. Accept with user defined probability (default:  $\frac{1}{9}$ ).

B. Webber, arXiv:9708463 [hep-ph] (1997)

# Status Quo

So far:

- implementation of a space-time model in Herwig++ that generates the space-time points of the partons' production vertices
- implementation of space-time based colour reconnection model

To do:

- code debugging
- validation and tuning against LEP-2 data ( $e^+e^- \rightarrow WW \rightarrow 4j$ )
- look at other observables, e.g.  $\langle p_T \rangle (N_{\text{ch}})$  (measured by CDF)