

Investigating Hard Splittings via Jet Substructure in pp and Pb–Pb Collisions at $\sqrt{s_{NN}} = 5.02$ TeV with ALICE

Raymond Ehlers¹ for the ALICE Collaboration

2020 June 03

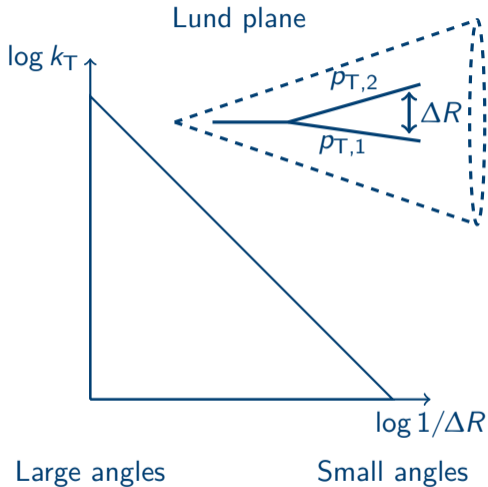
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Electromagnetic Probes of High-Energy Nuclear Collisions
(Online)



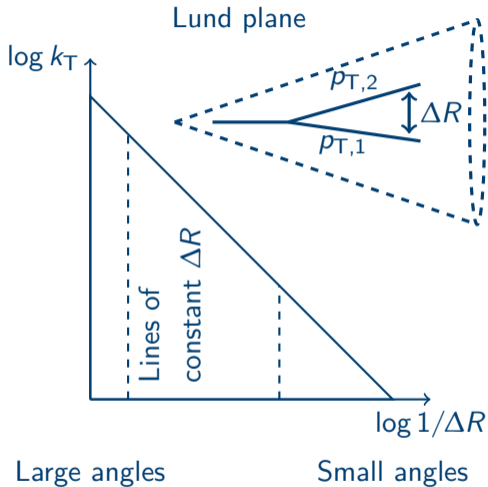
(Groomed) Jet Substructure

- Jet substructure provides access to the evolution of jet splittings.
- Can visualize the splitting phase space via the Lund Plane.
- Three variables define our splittings via the leading (1) and subleading (2) subjects:
 - $\Delta R = \sqrt{(\varphi_1 - \varphi_2)^2 + (\eta_1 - \eta_2)^2}$
 - $z = \frac{p_{T, \text{sublead}}}{p_{T, \text{lead}} + p_{T, \text{sublead}}}$
 - $k_T = p_{T, \text{sublead}} * \sin \Delta R$
- Selecting on these variables provides a lever for exploring the phase space.
- pp: Limit contamination of QCD background.
- Pb–Pb: Select hard component of quenched jets.



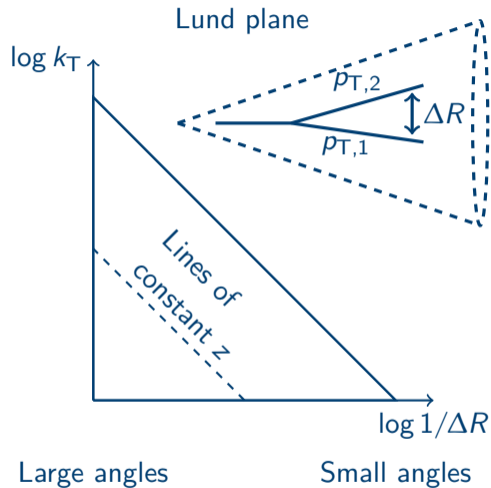
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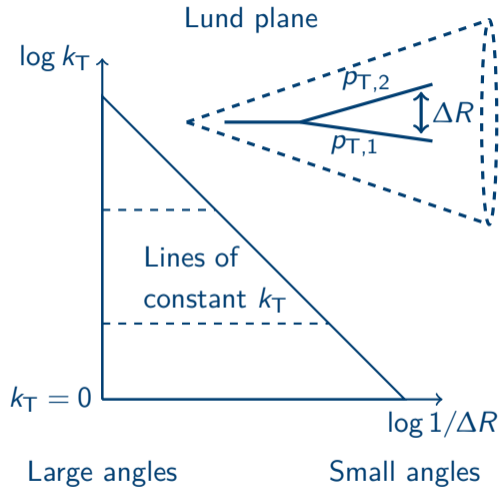
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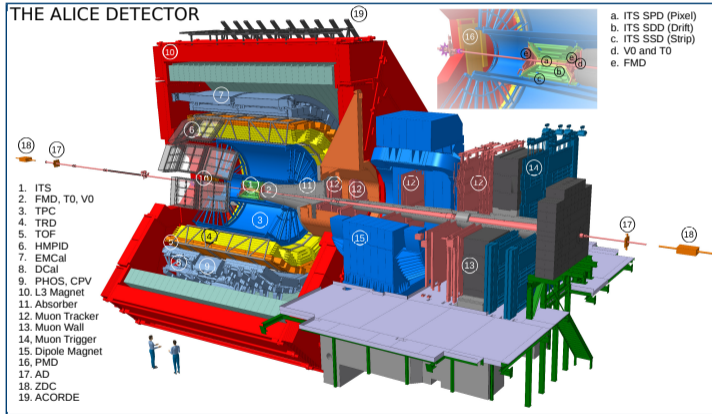
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Jet Substructure Measurements in ALICE

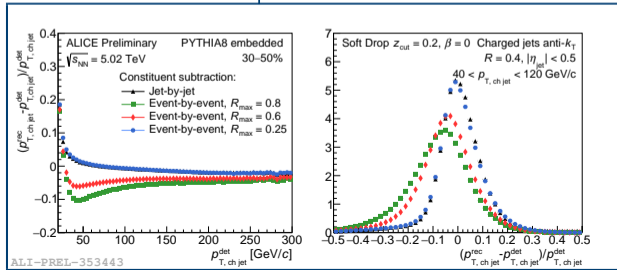
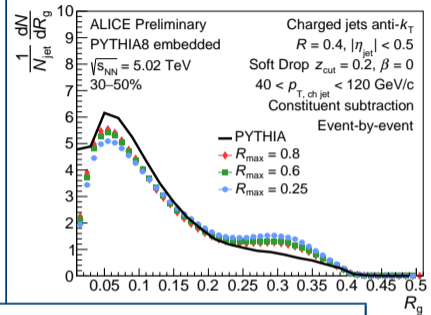
- Jet substructure measurements take advantage of precise ALICE tracking in the ITS and TPC.
 - Provide precise angular resolution down to low p_T .
- For these analyses, we measured $R = 0.4$ charged particle jets measured within $|\eta| < 0.9$.
- Jets are measured for $60 < p_{T\text{jet}}^{\text{ch}} < 80$ GeV/c for both 2017 pp and 2018 Pb–Pb collisions at $\sqrt{s_{NN}} = 5.02$ TeV.

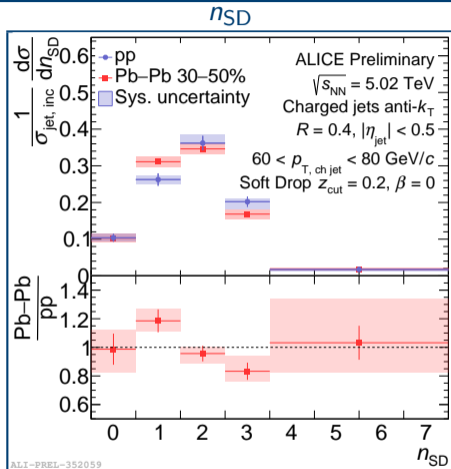
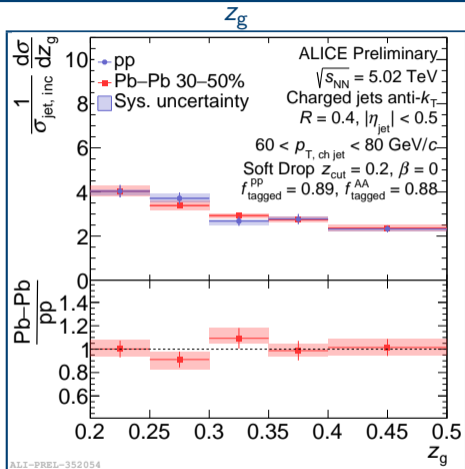


Understanding Background Contributions

- Different strategies used by ALICE to suppress combinatorial background:
 - Measure small R jets.
 - Increase z_{cut} .
 - Measure in semi-central collisions.
 - Reduces jet quenching relative to central, but combinatorial background is heavily suppressed.
 - See **James Mulligan's talk** on Wed. 10:20 for strategies in central collisions.
- Utilize event-wise constituent subtraction **JHEP 08 (2019) 175**.
 - Parameters optimized for Pb–Pb collisions.

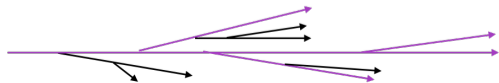
ALI-PREL-353413



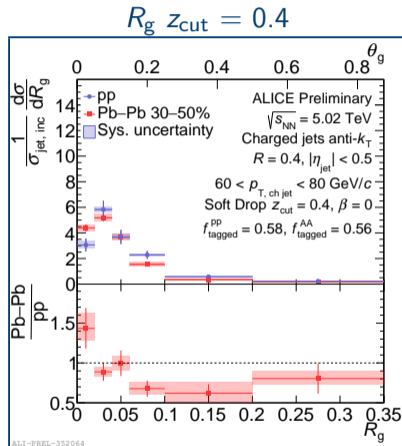
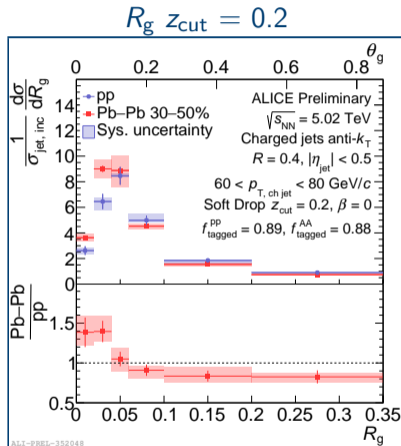


Consistent with **no modification**.

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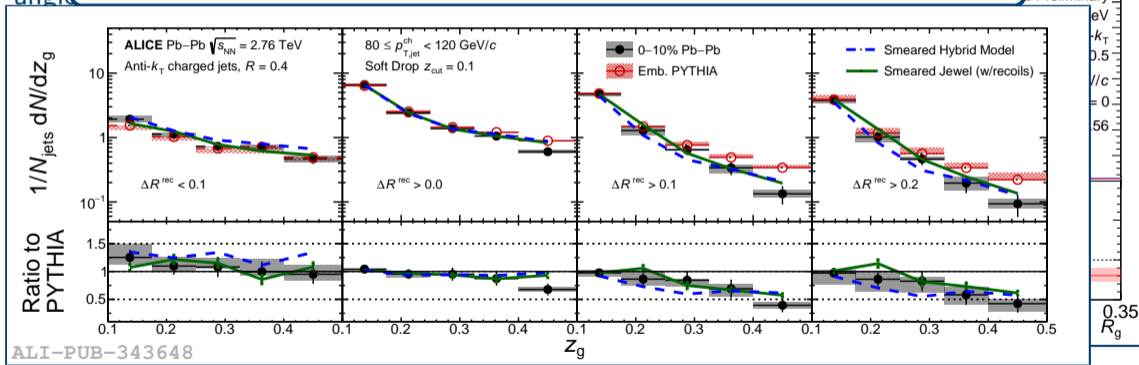


- Suppression of large angles and enhancement of small angles for both z_{cut} .
- Tested for consistency with unity, as determined by χ^2 CDF for sys + stat in quadrature.
 - $z_{cut} = 0.2$: $p=0.03$
 - $z_{cut} = 0.4$: $p=0.029$



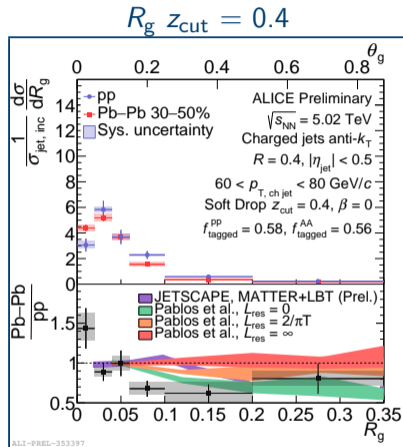
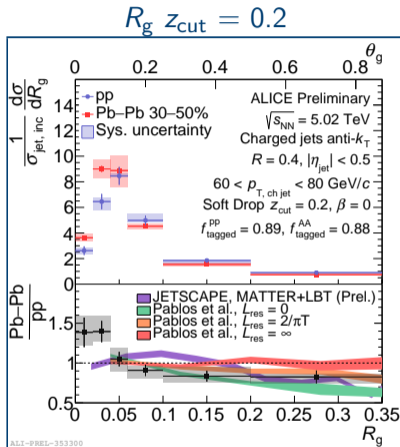
More symmetric splittings seem to be more suppressed in agreement with detector level measurements in the $\sqrt{s_{NN}} = 2.76$ TeV data (PLB 2020.135227).

- Support angle



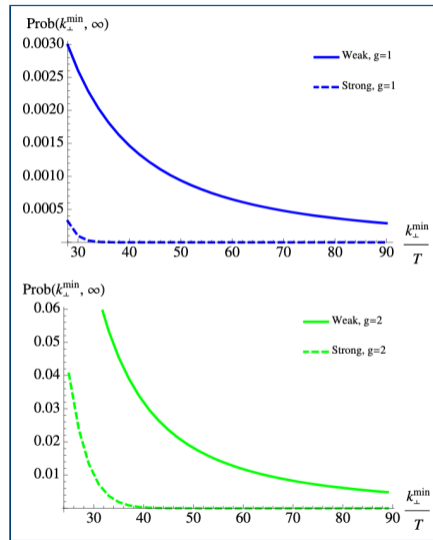
- JETSCAPE:
MATTER+LBT
arxiv:1903.07706

- Pablos et al. Hybrid model
JHEP 01 (2020) 044
 - $L = 0, 2/\pi T, \infty$



Jet Substructure as a Tool to Study Medium Structure?/1

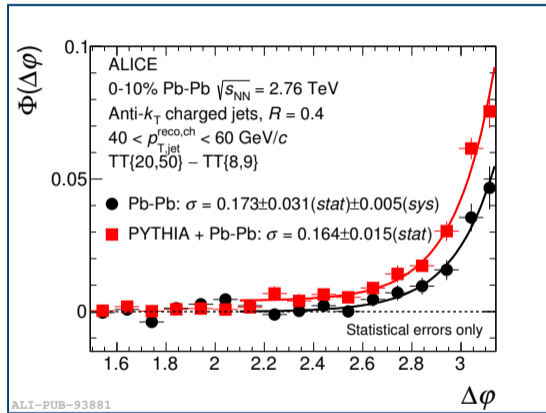
- What is the impact of the medium on jet substructure?
 - Point-like (Moliere) scattering? [JHEP 05 \(2013\) 031](#), [JHEP 01 \(2019\) 172](#)
- Can we detect with jet substructure observables high- k_T emissions which are signature of point-like scatterers in the medium?



JHEP 05 (2013) 031

Jet Substructure as a Tool to Study Medium Structure?/2

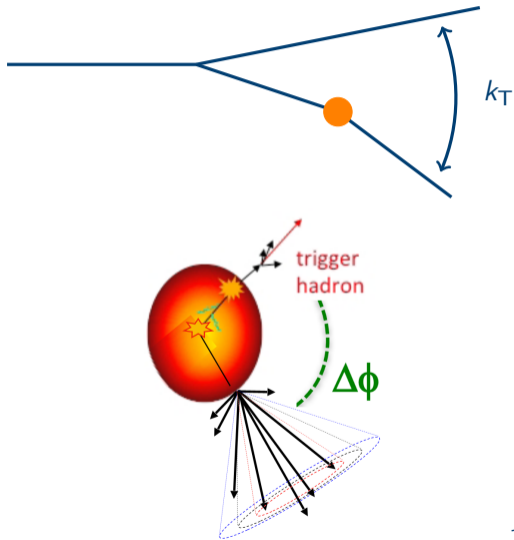
- Searching for signatures of point-like scattering centers in the medium via large-angle hadron-jet decorrelation.
- ALICE has measured large-angle recoil jet deflections in $\sqrt{s_{NN}} = 2.76$ TeV: [JHEP 09 \(2015\) 170](#).
- Consistent with no acoplanarity of recoil jets within uncertainties.
- ALICE measurements are ongoing in pp and Pb-Pb collisions at $\sqrt{s_{NN}} = 5.02$ TeV.
 - See [Jaime Norman](#), Monday 12:55.



[JHEP 09 \(2015\) 170](#)

Jet Substructure as a Tool to Study Medium Structure?/3

- As an alternative approach, we consider using jet substructure as a tool to search for large angle scatterings.
- If a subjet is deflected at a large angle by a scattering center, it will increase the k_T of that splitting.
 - Point-like scatterers in the medium would appear as an excess of large k_T emissions in Pb–Pb collisions relative to pp collisions.
- Access to the same physics as investigated via hadron-jet decorrelations.



Methods for Extracting Hardest k_T

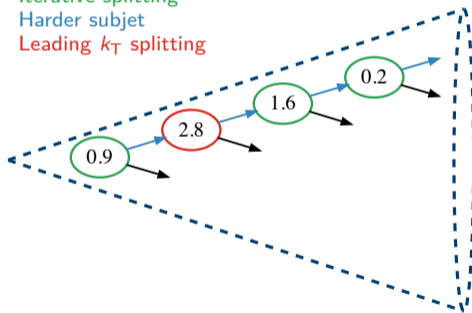
- Use grooming methods to identify the hardest k_T splitting in a jet:
 - For each considered splitting i , $k_{Ti} = p_{Ti} \sin \Delta R_i$
- We compare four main grooming methods:
 - Leading k_T : $\max_{i \in C/A} k_{Ti}$
 - Leading k_T for all $z > 0.2$ splittings.
 - Dynamical grooming ([PhysRevD.101.034004](#)):
$$\kappa^a = \frac{1}{p_T} \max_{i \in C/A} [z_i(1-z_i)p_{Ti}(\theta_i/R)^a]$$
 - $a = 1$ - Largest $k_T \sim \kappa^1 p_T$: “ k_T Drop”.
 - $a = 2$ - Shortest splitting time $t_f^{-1} \sim \kappa^2 p_T$: “TimeDrop”.

PYTHIA8 Particle Level: Jet $p_T = 83.3$ GeV/c
 k_T in node (GeV/c)

Iterative splitting

Harder subjet

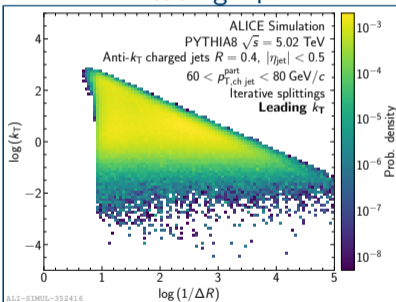
Leading k_T splitting



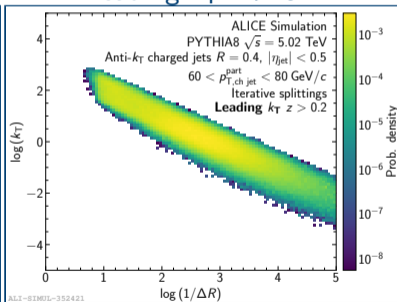
Grooming Method Characteristics/1

Each grooming method has different characteristic behavior in the Lund Plane.

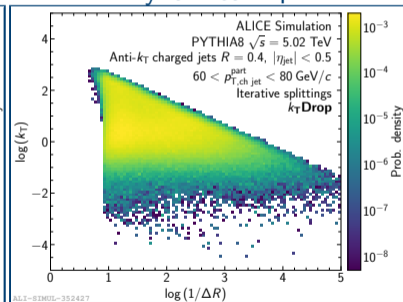
Leading k_T



Leading k_T $z > 0.2$



Dynamical k_T

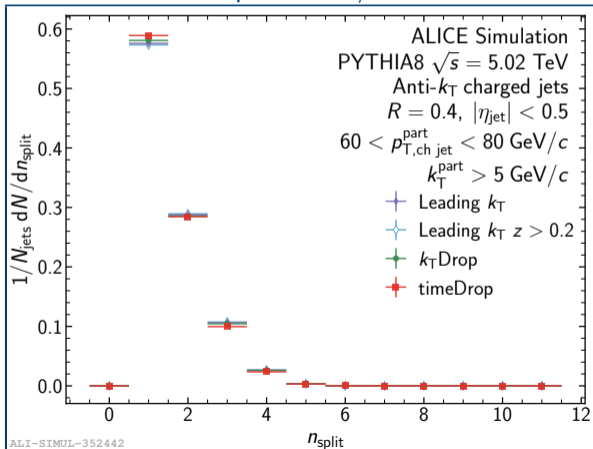
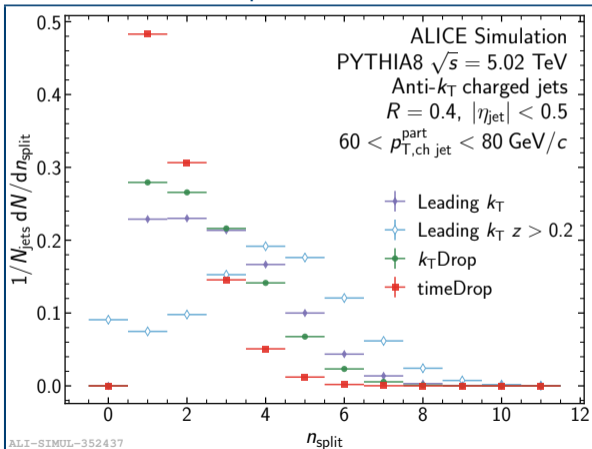


Grooming Method Characteristics/2

Number of splittings until the selected splitting converges at high k_T .

k_T inclusive

$k_T > 5$ GeV/c

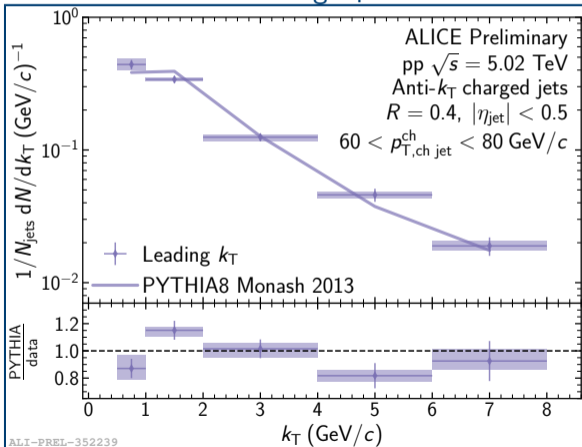


Hardest k_T Measured in pp Collisions

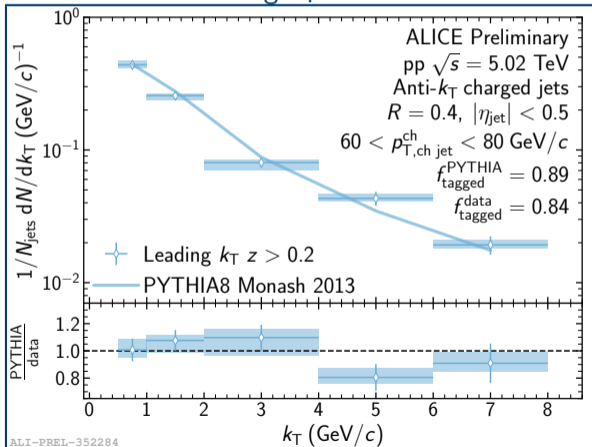
New for HP!

- k_T follows characteristic steeply falling shape.
- PYTHIA in broad agreement with the data.

Leading k_T

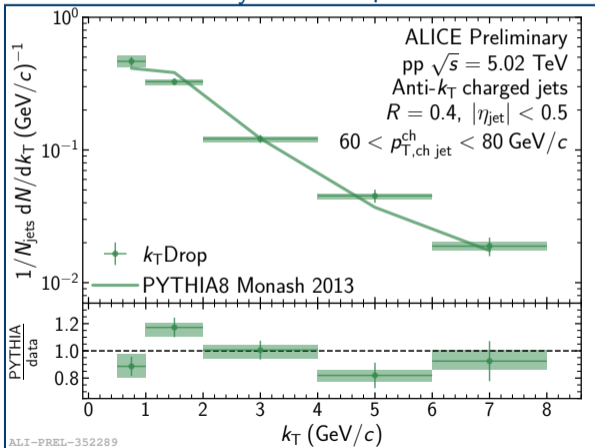


Leading k_T $z > 0.2$

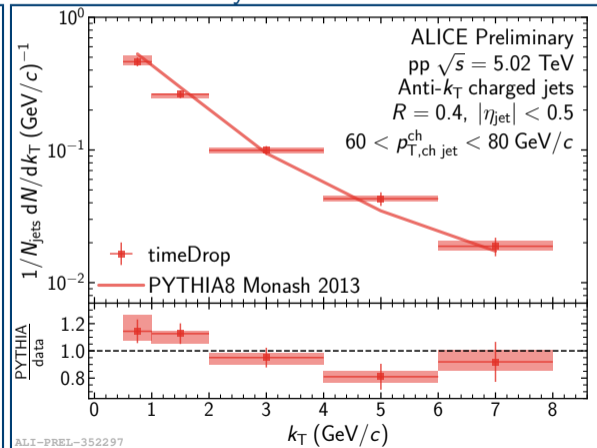


- Dynamical grooming methods show same trends.
- PYTHIA in broad agreement with the data.

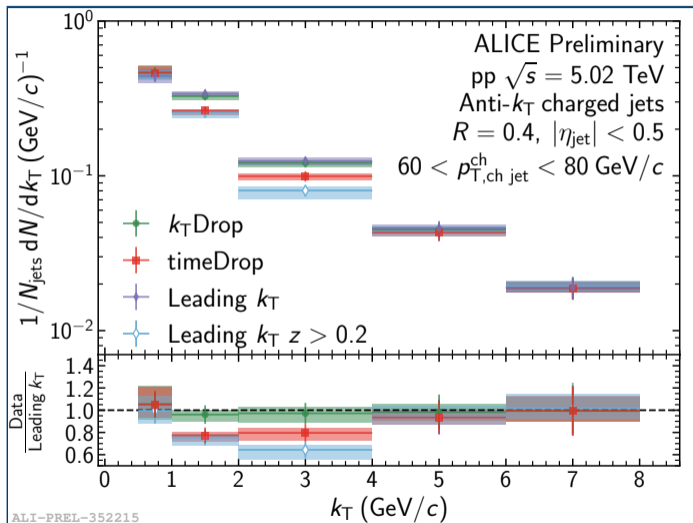
Dynamical k_T



Dynamical time



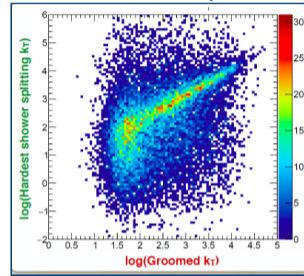
- Comparison of the different grooming methods in pp collisions.
- Ratio is relative to leading k_T .
- At low-mid k_T there is some divergence between the methods.
- All grooming methods converge at high k_T .
- The exact same splitting is selected by all methods at very high k_T .



Toward Hardest k_T in Pb–Pb

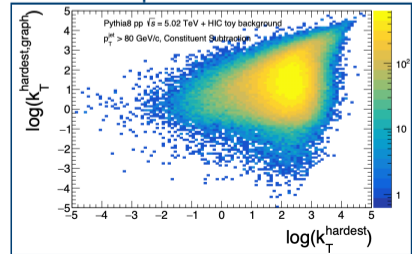
- To access feasibility in Pb–Pb, study the correlation between the hardest k_T splitting in the parton graph and from declustering at particle level.
 - Identified the hardest k_T graph, and then performed declustering for $R = 0.8$ jets.
- Compare pythia graph vs:
 - Particle level PYTHIA (as crosscheck).
 - Particle level PYTHIA + thermal background.
- **Strong correlation** between the hardest emission and the hardest splitting at large k_T .
- Studied at **EMMI RRTF Workshop** on the space-time structure of jet quenching.

PYTHIA part. level



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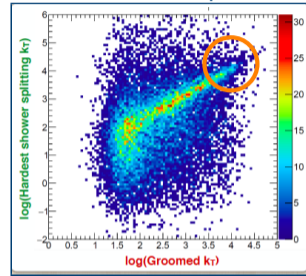
PYTHIA part. level + thermal



Toward Hardest k_T in Pb–Pb

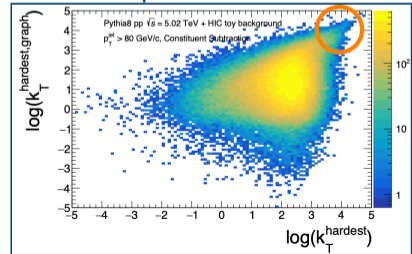
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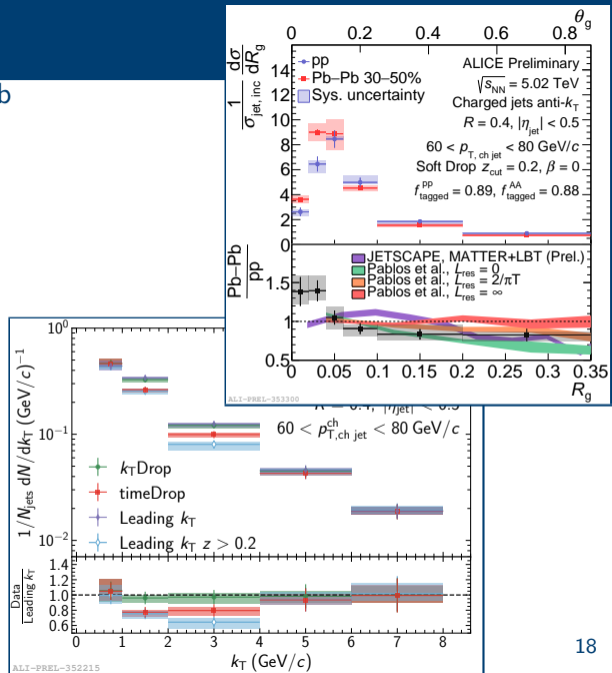
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PYTHIA part. level + thermal



Summary and Outlook

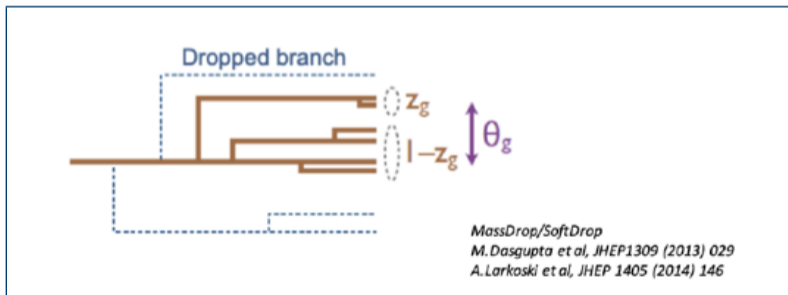
- Measured z_g , R_g , and n_{SD} in 30–50% Pb–Pb and pp collisions at $\sqrt{s_{NN}} = 5.02$ TeV.
 - z_g , n_{SD} consistent with no modification.
 - R_g shows **enhancement at small angles** and **suppression at large angles**.
 - Both for $z_{cut} = 0.2$ and 0.4 .
- Measured hardest k_T splittings in pp collisions at $\sqrt{s_{NN}} = 5.02$ TeV.
 - Grooming methods **converge** at high k_T .
 - PYTHIA broadly consistent with data.
- Hardest k_T in Pb–Pb **in progress**.
- Further exploration of larger R jets, jet splitting structure, and grooming methods.



Backup

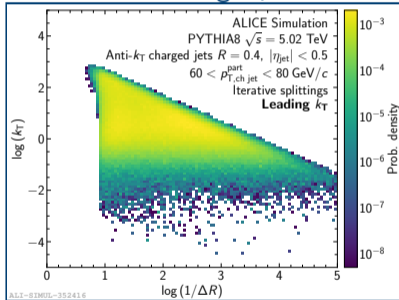
Jet Substructure Grooming

- Groomed jet substructure serves different purposes in pp vs Pb–Pb collisions.
- In pp: Limit contamination of QCD background (and pileup) in a controlled way while retaining bulk of perturbative radiation
- In Pb–Pb: Select hard component of quenched jets.
 - This isolates medium effects, making them easier to calculate.

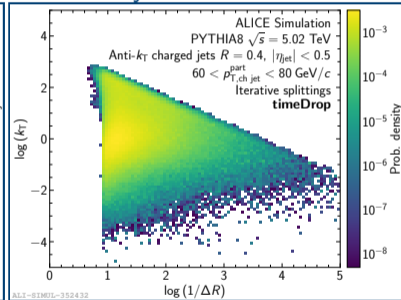


Grooming Method Characteristics - Lund Planes

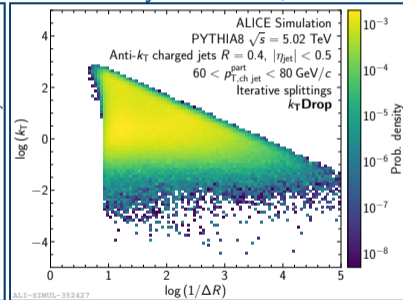
Leading k_T



Dynamical time

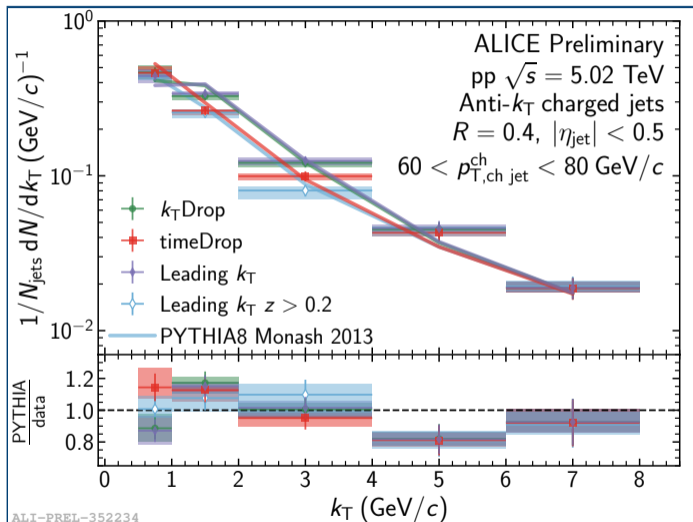


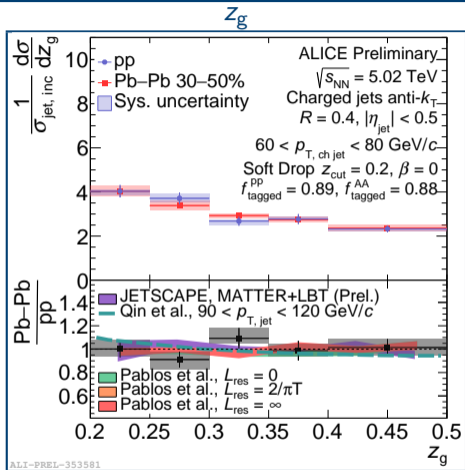
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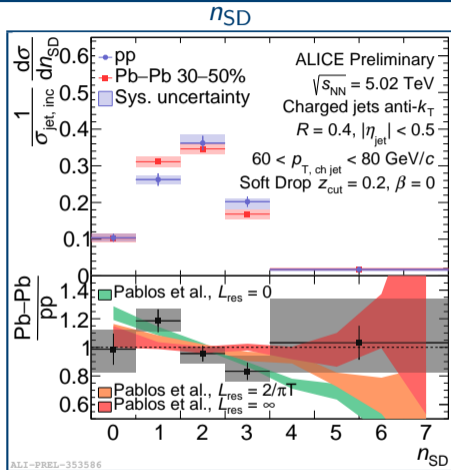
Comparison to PYTHIA

- Comparison of the grooming methods to PYTHIA 8.
- PYTHIA broadly consistent with data within statistical and systematic uncertainties.
- Some hints of shape differences between PYTHIA and the data.
 - Hints are consistent for different grooming methods.





Consistent with **no modification**.



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