

# Investigating collective flow patterns and the influence of electromagnetic fields in relativistic proton-nucleus collisions

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based on Phys. Rev. C 101 (2020) 014917 [arXiv: 1909.06770]



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Many interesting phenomena in HICs driven by the intense electromagnetic (EM) fields produced since the early stage of the collision

Kharzeev, McLerran and Warringa, Nucl. Phys. A 803 (2008) 227

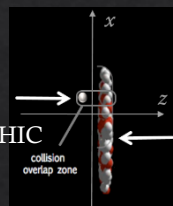


Quark Gluon Plasma (QGP) initially expected to form only in high energy Heavy Ion Collisions (HICs)

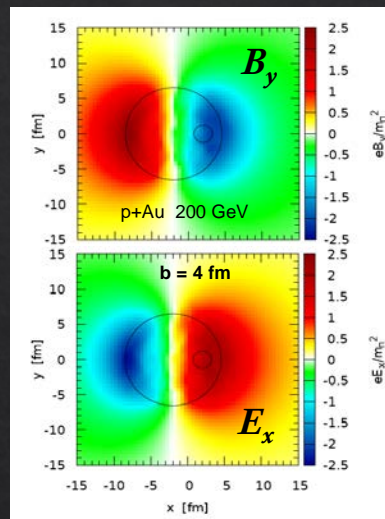
Collective flow found in small systems as a signature of short-lived droplets of QGP

PHENIX Coll., Nature Phys. 15 (2019) 214

p+Pb at LHC, p/d/<sup>3</sup>He+Au at RHIC



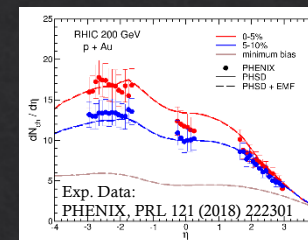
## MAGNETIC FIELD ⊥ REACTION PLANE



## ELECTRIC FIELD // IMPACT PARAMETER AXIS

## EM FIELDS

- symmetric systems: transverse momentum increments due to electric and magnetic fields compensate each other
- asymmetric systems: an intense electric fields directed from the heavy nuclei to light one appears in the overlap region
- proton-induced collisions: the fields are basically those generated by the heavy ion and  $E_x$  and  $B_y$  show comparable values up to about  $2.5 m_\pi^2$



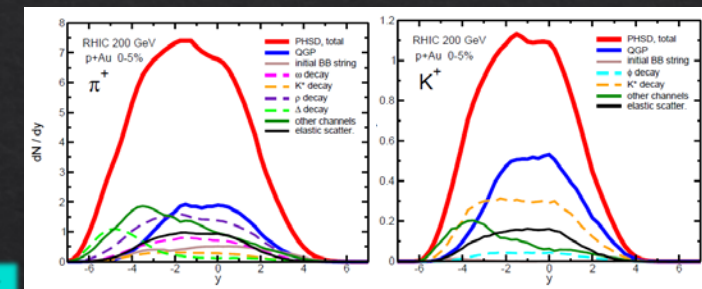
## RAPIDITY DISTRIBUTIONS

### CHARGED PARTICLES

- enhanced particle production in the Au-going side (backward rapidity)
- asymmetry increases with centrality

### IDENTIFIED HADRONS

large amount of particles escapes the fireball just after production from QGP hadronization without further rescattering



## p + Au @ 200 GeV

## PHSD: Parton-Hadron-String Dynamics

- non-equilibrium transport approach for a microscopic description of HICs and small systems
- the DQPM defines QGP properties with dynamical masses and widths
- off-shell transport eqs. governs the evolution in QGP and hadronic stages
- quasiparticles propagate in dynamically generated EMF



$$e\mathbf{E}(t, \mathbf{r}) = \alpha_{em} \frac{1 - \beta^2}{[(\mathbf{R} \cdot \boldsymbol{\beta})^2 + R^2(1 - \beta^2)]^{3/2}} \mathbf{R} \quad e\mathbf{B}(t, \mathbf{r}) = \boldsymbol{\beta} \times e\mathbf{E}(t, \mathbf{r})$$

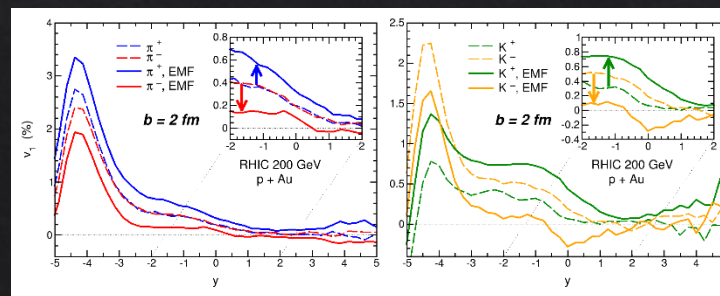
$$\mathbf{F}_{em} = q(\mathbf{E} + \mathbf{v} \times \mathbf{B}) \quad \text{LORENTZ FORCE} \quad \text{RETARDED EM FIELDS}$$

Cassing and Bratkovskaya, Nucl. Phys. A 831 (2009) 215

Voronyuk, Toneev, Cassing, Bratkovskaya, Konchakovski and Voloshin, PRC 83 (2011) 054911

$$v_1(y) = \langle \cos[\varphi(y)] \rangle$$

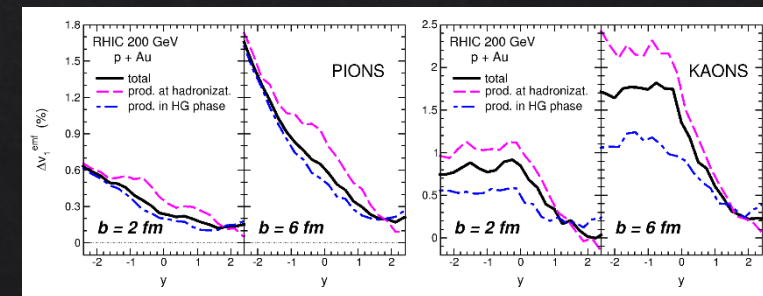
## DIRECTED FLOW OF LIGHT MESONS



- for kaons different  $v_1$  also in simulations without EM fields (imprint of the swirling initial state of HICs)
- electromagnetically-induced splitting between hadrons with same mass and opposite charge

## EM SPLITTING

$$\Delta v_1^{emf} \equiv \Delta v_1^{(PHSD+EMF)} - \Delta v_1^{(PHSD)} \quad \text{with} \quad \Delta v_1 \equiv v_1^+ - v_1^-$$



- magnitude increasing with impact parameter and larger for kaons than for pions
- splitting generated at partonic level higher than that induced in the hadronic phase