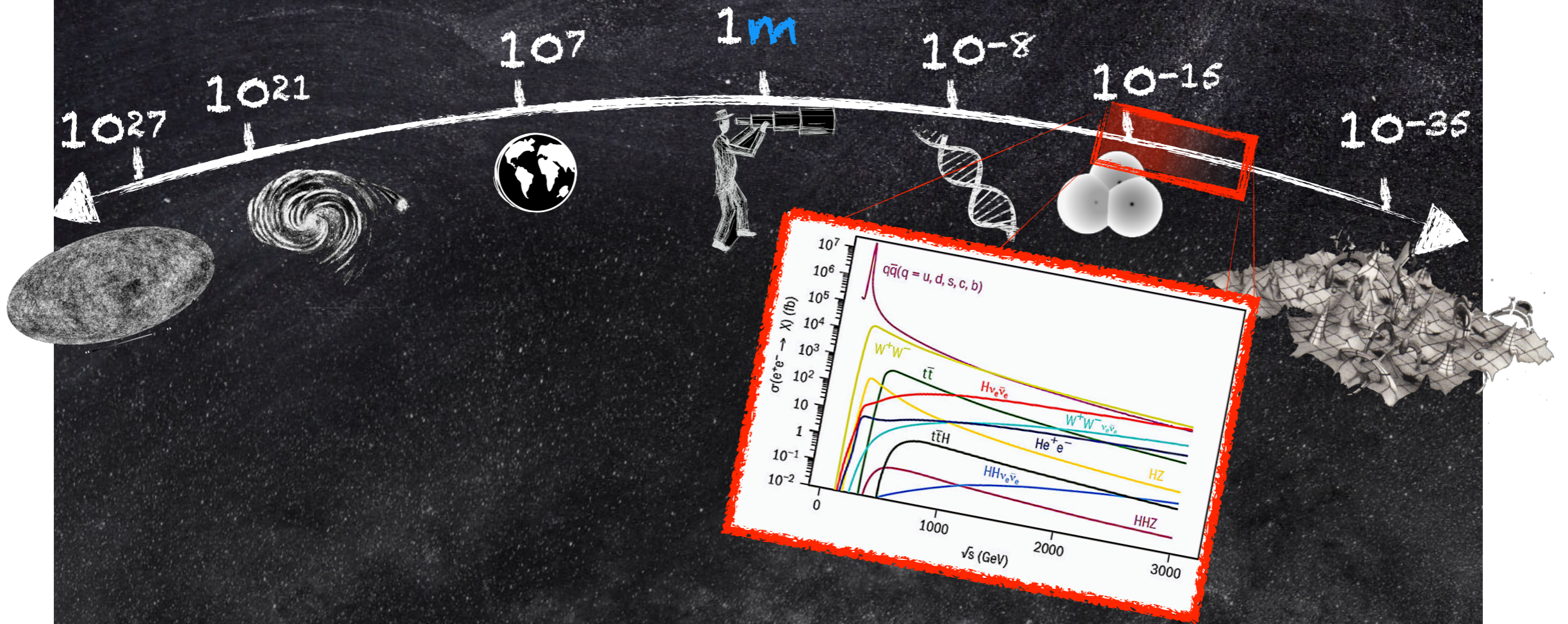


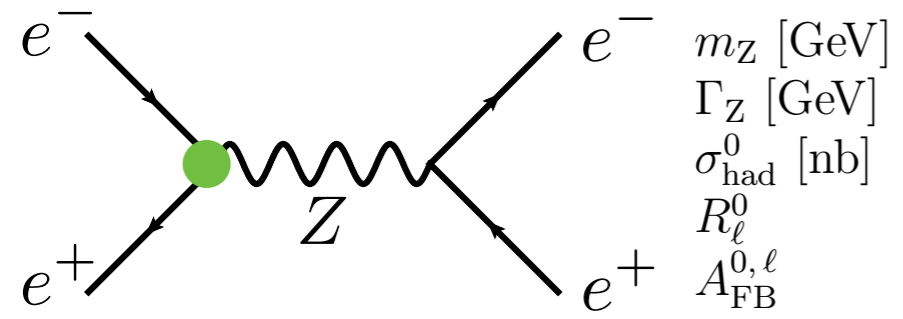
Precision at Linear Colliders



Francesco Riva
(Université de Genève)

Precision (B)SM Tests

At Low Energy: $\sqrt{s} = m_Z$

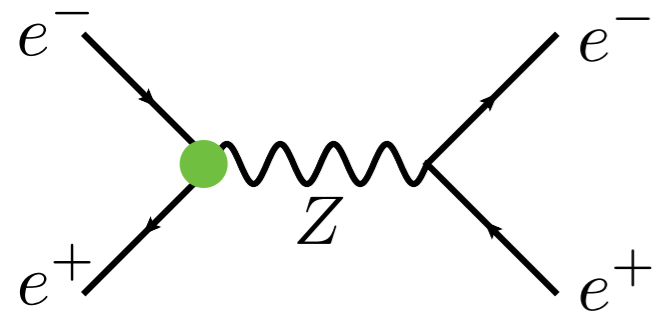


Simple Observables
Simple Information

$\delta g_{Z\nu}$
 δg_{Ze_L}
 δg_{Ze_R}
modified Z-couplings
= constant rescaling of SM

Precision (B)SM Tests

At Low Energy: $\sqrt{s} = m_Z$



m_Z [GeV]
 Γ_Z [GeV]
 σ_{had}^0 [nb]
 R_ℓ^0
 $A_{\text{FB}}^{0,\ell}$

← Simple Observables

Simple Information →

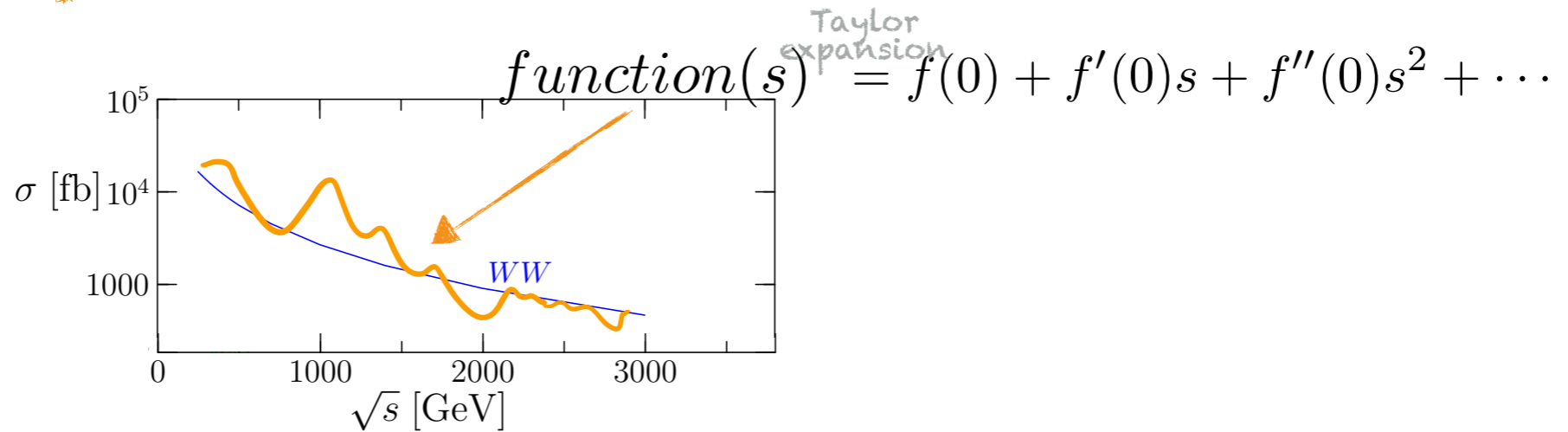
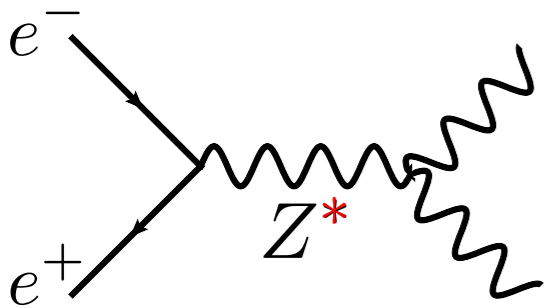
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δg_{Ze_L}

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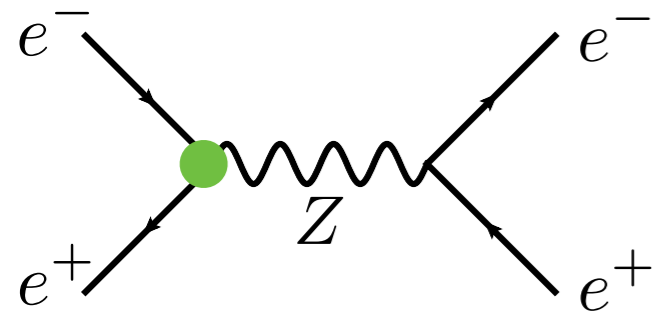
modified Z-couplings
 =
 constant rescaling of SM

At High Energy: Infinite Observables → Infinite Information



Precision (B)SM Tests

At Low Energy: $\sqrt{s} = m_Z$



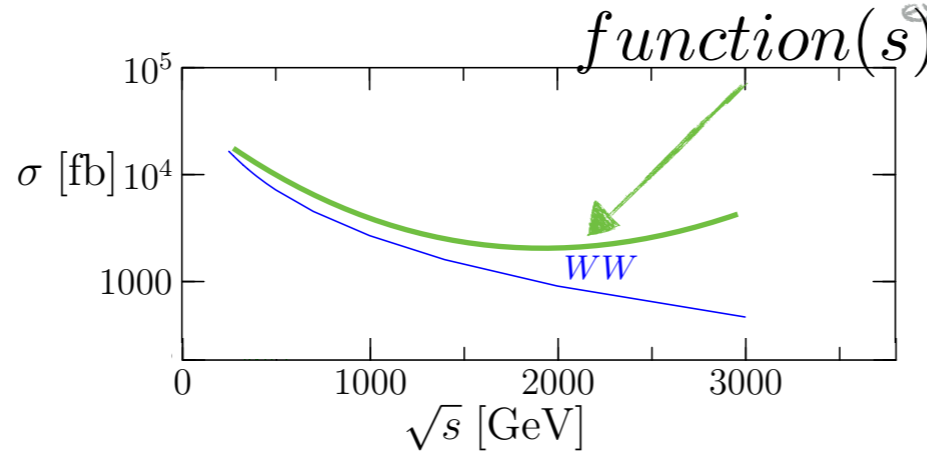
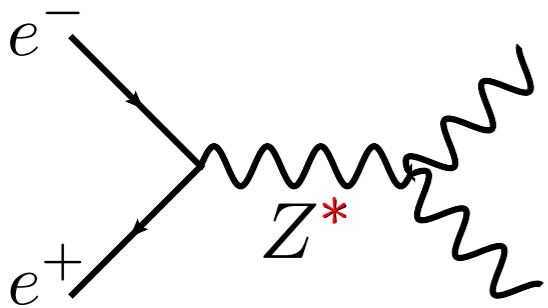
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At High Energy: Infinite Observables \rightarrow ~~Infinite~~ ^{finite} Information



Taylor expansion

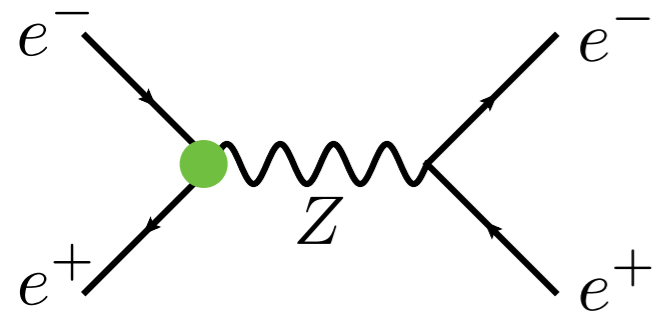
$$= f(0) + f'(0)s + f''(0)s^2 + \dots$$

Effective Field Theory (EFT)
= systematic Taylor expansion for all observables

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda^2} \sum_i c_i \mathcal{O}_i + \dots$$

Precision (B)SM Tests

At Low Energy: $\sqrt{s} = m_Z$



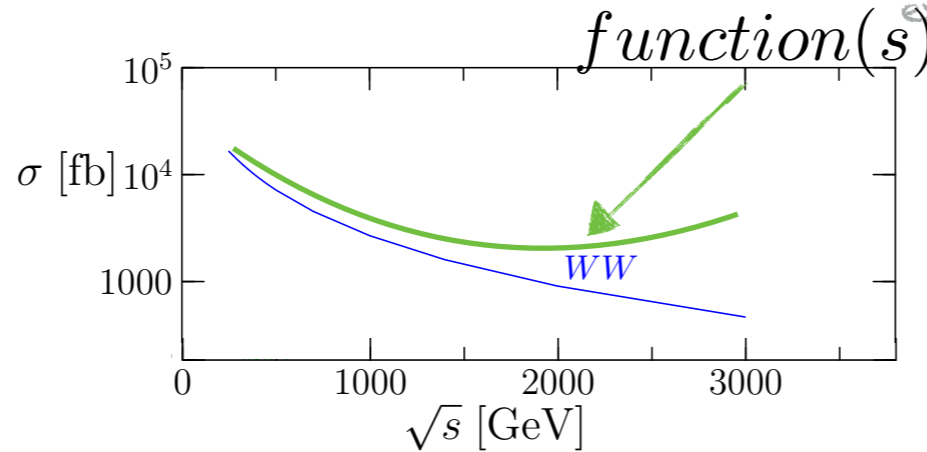
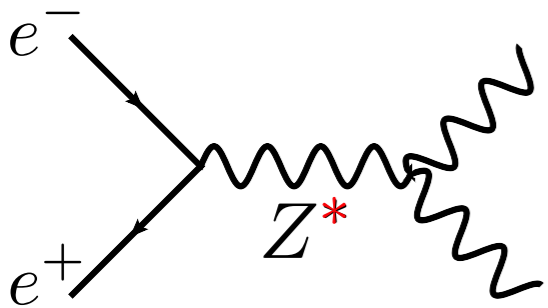
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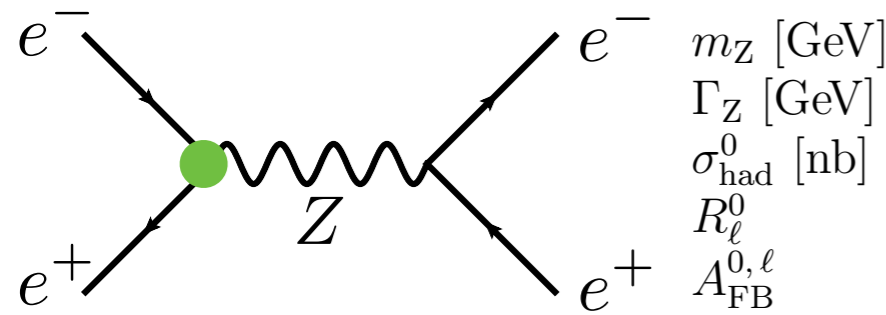
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$f(0)$ and $f'(0)$ at same order
(dimension-6 EFT)

Precision (B)SM Tests

At Low Energy: $\sqrt{s} = m_Z$



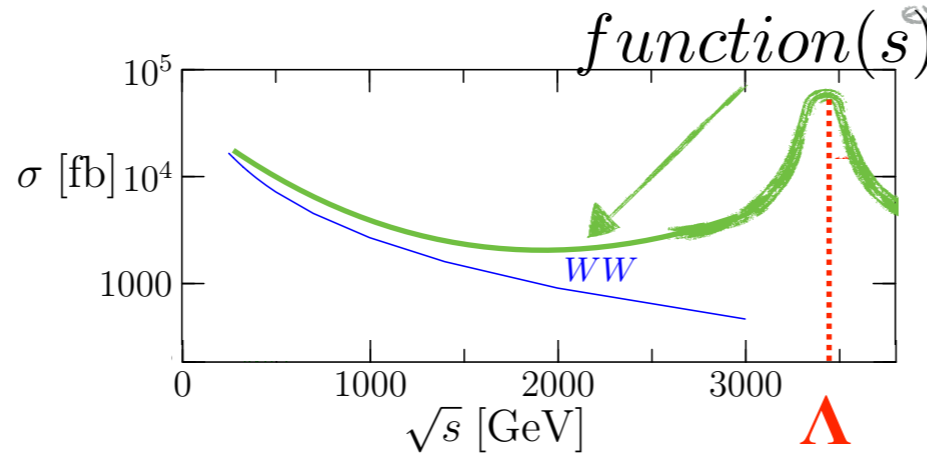
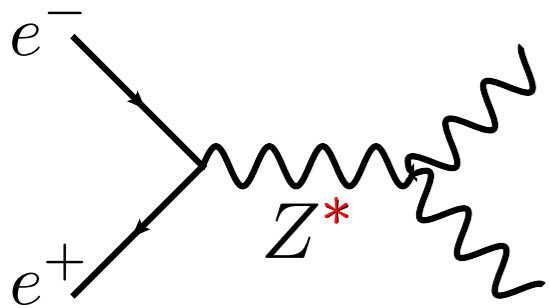
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Taylor expansion

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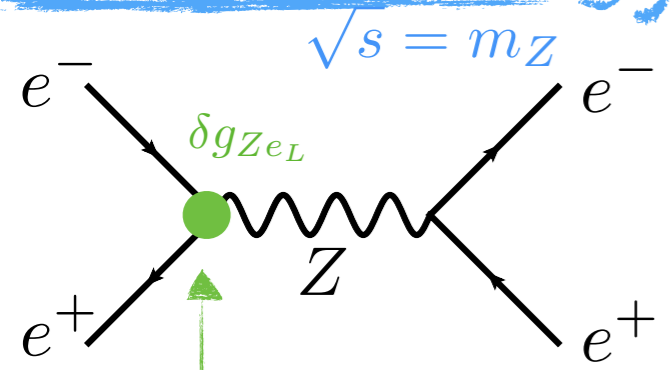
It captures **all** heavy new physics \rightarrow

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda^2} \sum_i c_i \mathcal{O}_i + \dots$$

$f(0)$ and $f'(0)$ at same order
(dimension-6 EFT)

Precision (B)SM Tests

At Low Energy

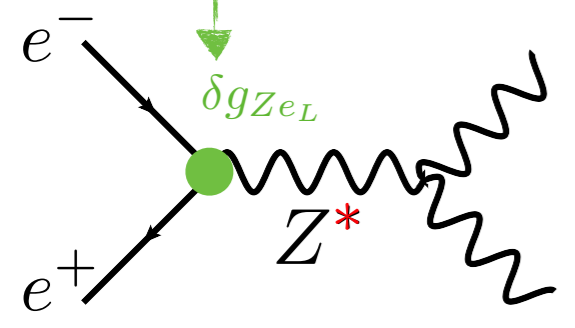


Imagine measuring $\left. \frac{\delta\sigma}{\sigma_{\text{SM}}} \right|_{\sqrt{s}=m_Z} \sim 10^{-4}$
(surely a precise measurement)

▶ $\delta g_{ZeL} \sim 10^{-4}$

Effect grows $\approx s$

$$\left(\frac{3000}{91.2}\right)^2 \approx 1000$$

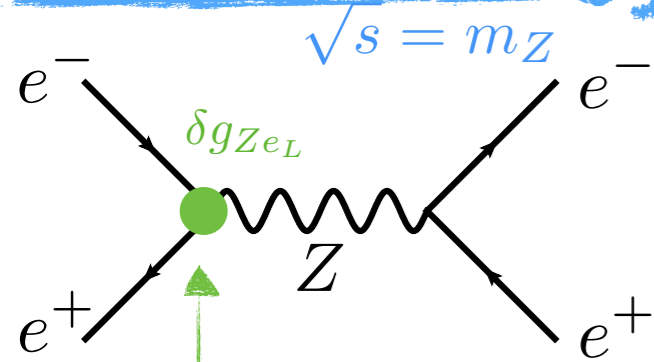


At High Energy

$$\sqrt{s} = 3 \text{ TeV}$$

Precision (B)SM Tests

At Low Energy

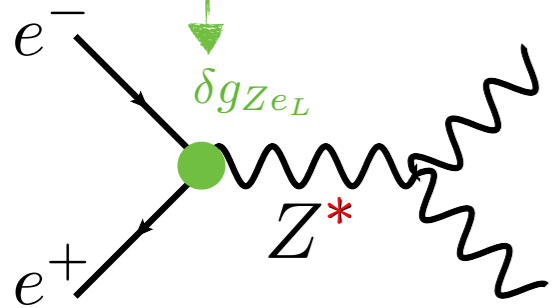


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$$\left(\frac{3000}{91.2} \right)^2 \approx 1000$$



... equivalent to $\left. \frac{\delta\sigma}{\sigma_{\text{SM}}} \right|_{\sqrt{s}=3\text{TeV}} \sim 10\%$
 (naively not so precise)

$$\delta g_{ZeL} \sim 10^{-4}$$

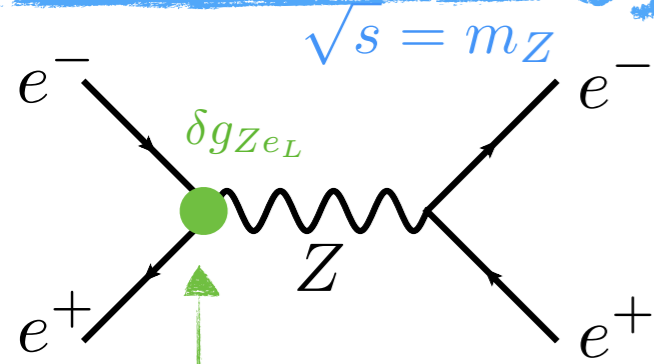
At High Energy

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Precision (B)SM Tests

At Low Energy



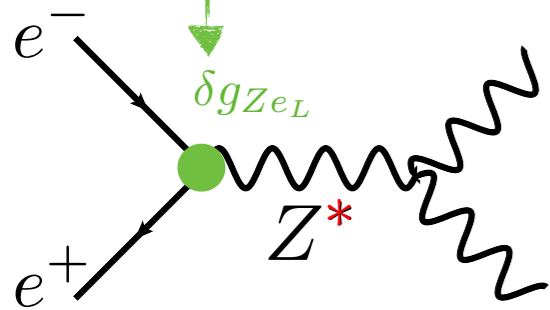
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$$\delta g_{ZeL} \sim 10^{-4}$$

Effect grows $\approx s$

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Same Precision!



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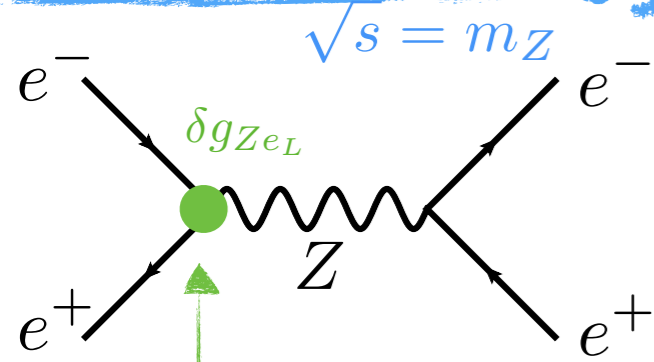
$$\delta g_{ZeL} \sim 10^{-4}$$

At High Energy

$\sqrt{s} = 3\text{TeV}$

Precision (B)SM Tests

At Low Energy



Imagine measuring

(surely a precise measurement)

$$\frac{\delta\sigma}{\sigma_{\text{SM}}} \bigg|_{\sqrt{s}=m_Z} \sim 10^{-4}$$

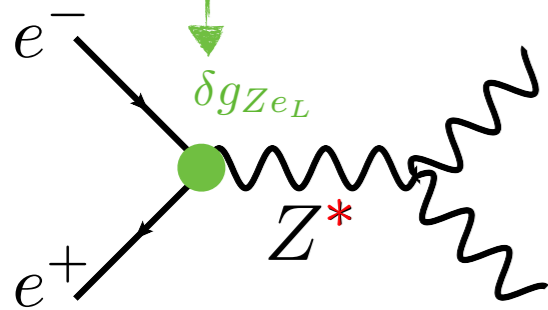
$$\frac{\delta\sigma}{\sigma_{\text{SM}}} \sim 10^{-5}$$

$$\delta g_{ZeL} \sim 10^{-4}$$

Effect grows $\approx s$

$$\left(\frac{3000}{91.2}\right)^2 \approx 1000$$

Same Precision!



... equivalent to

(naively not so precise)

$$\frac{\delta\sigma}{\sigma_{\text{SM}}} \bigg|_{\sqrt{s}=3 \text{ TeV}} \sim 10\%$$

$$\frac{\delta\sigma}{\sigma_{\text{SM}}} \sim 1\%$$

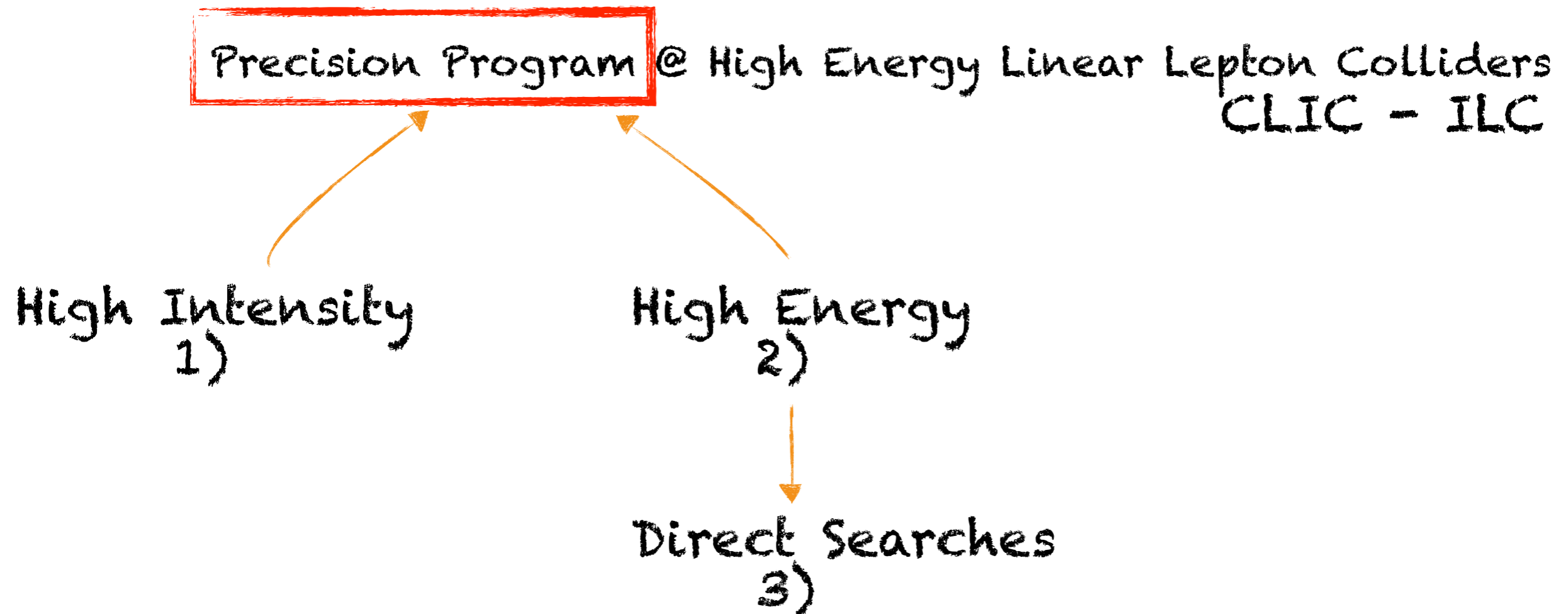
$$\delta g_{ZeL} \sim 10^{-4}$$

At High Energy

$$\sqrt{s} = 3 \text{ TeV}$$

Precision (B)SM Tests

This talk:



(ignoring systematics: a factor of 100 in Lumi \approx a factor 3 in energy)

Linear Collider Stages

ILC

Energy	Tot. Lumi
250 GeV	2 ab ⁻¹
350 GeV	0.2 ab ⁻¹
500 GeV	4 ab ⁻¹

e⁻/e⁺ beams polarised: ±80%/±30%
(≈40% of lumi with +/- polarization)

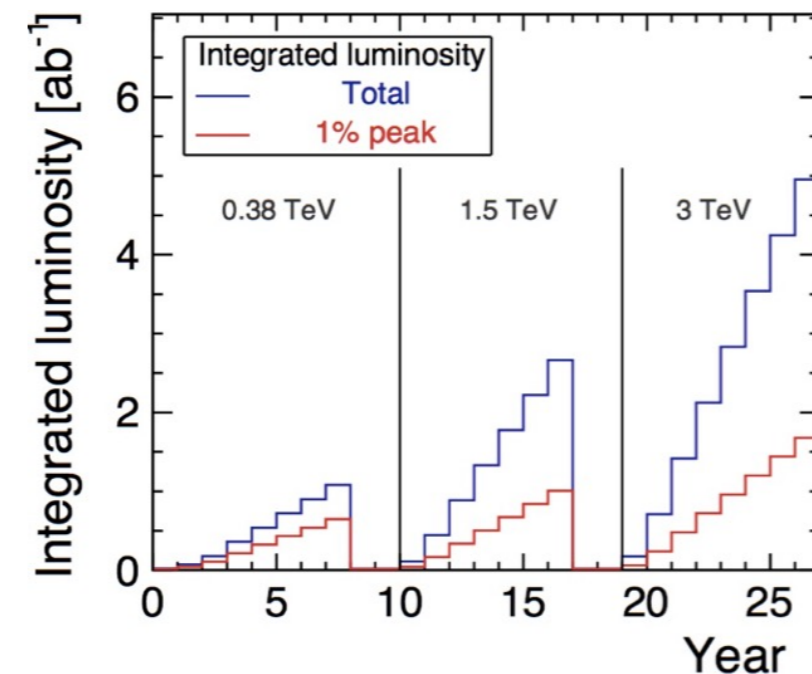
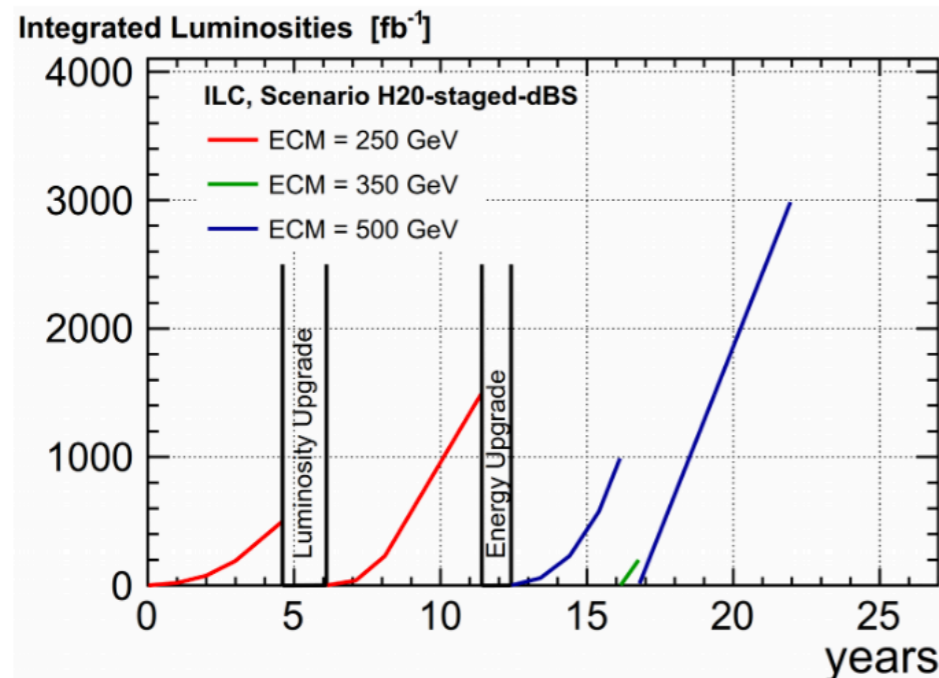
► σ increases: $\sigma_{\text{VBF}} \rightarrow 2.34 \sigma_{\text{VBF}}$
 $\sigma_{\text{ZH}} \rightarrow 1.4 \sigma_{\text{ZH}}$

CLIC

Energy	Tot. Lumi
350-380 GeV	0.5 + 0.5 ab ⁻¹
1.5 TeV	2 + 0.5 ab ⁻¹
3 TeV	4 + 1 ab ⁻¹

e⁻ beam polarised: -80% / +80%

► σ increases: $\sigma_{\text{VBF}} \rightarrow 1.8 \sigma_{\text{VBF}}$
 $\sigma_{\text{ZH}} \rightarrow 1.12 \sigma_{\text{ZH}}$



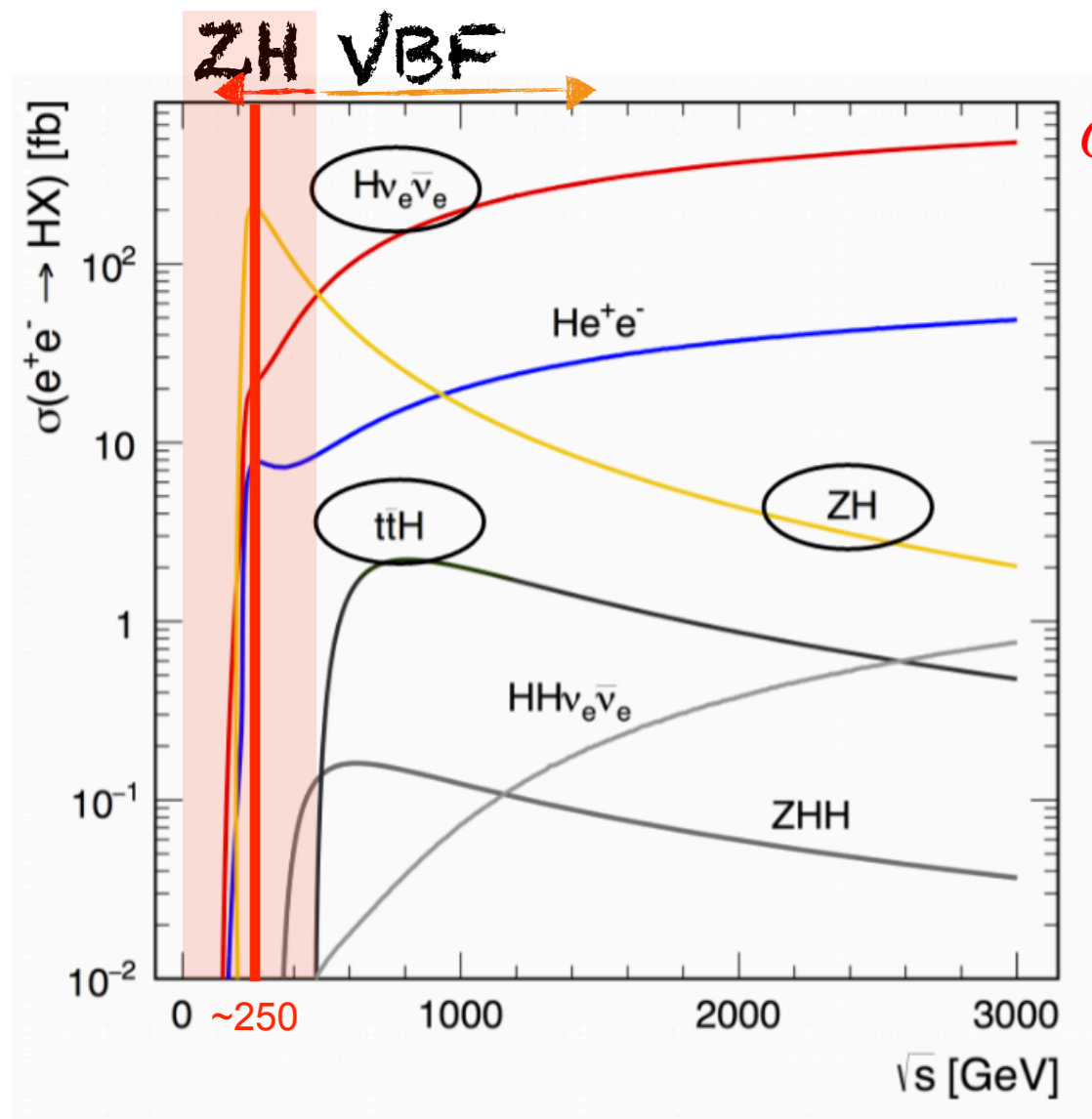
1) High-Intensity Probes

Processes and Effects (EFT)
without Energy-growth

e.g. many Higgs Couplings don't depend on energy in single-Higgs processes (κ-framework, equivalent to EFT)

$$\kappa_i^2 = \Gamma_i / \Gamma_i^{\text{SM}}$$

Higgs at Linear Lepton Colliders

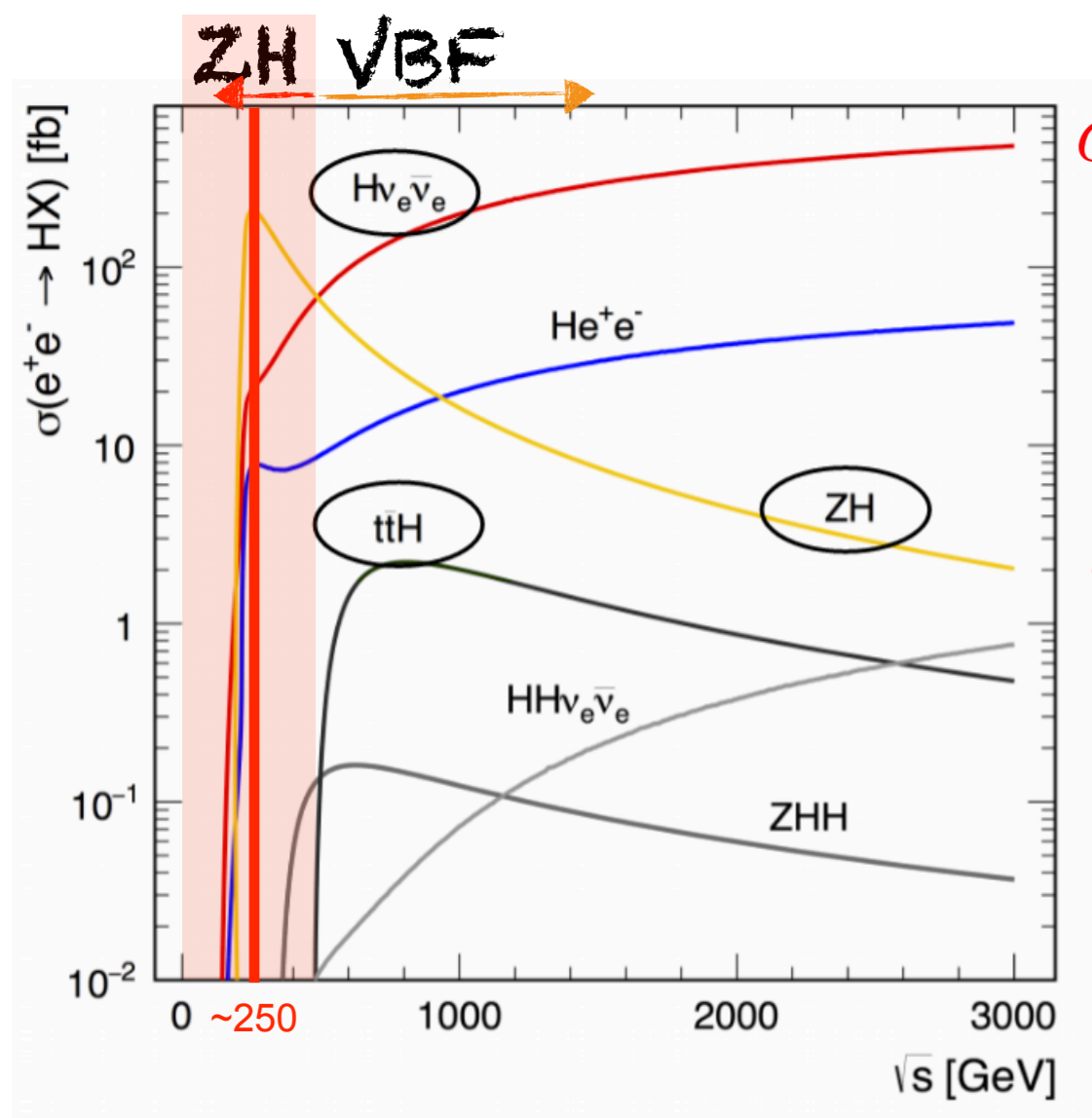


$$\sigma \sim \log s$$

$$\sigma \sim \frac{1}{s}$$

High Energy
also
Largest x-sections
High Intensity

Higgs at Linear Lepton Colliders



$\sigma \sim \log s$

$\sigma \sim \frac{1}{s}$

High Energy
also
Largest x-sections
▼
High Intensity

Number of H produced:

ILC ₂₅₀	5×10^5
CLIC ₃₈₀	1.6×10^5
ILC ₅₀₀	5×10^5
CLIC ₁₅₀₀	1×10^6
CLIC ₃₀₀₀	3.3×10^6

(No Triggers -> All events usable)

Higgs Couplings

ILC*

CLIC

HL-LHC

	Stage 1	Stage 1+2		Stage 1	Stage 1+2	Stage 1+2+3	HL-LHC S1 (S2)
$g(hbb)$	1.8	0.60	κ_{Hbb}	1.3 %	0.3 %	0.2 %	4.8(3.4) %
$g(hcc)$	2.4	1.2	κ_{Hcc}	4.1 %	1.8 %	1.3 %	—
$g(hgg)$	2.2	0.97	κ_{Hgg}	2.1 %	1.2 %	0.9 %	3.6(2.3) %
$g(hWW)$	1.8	0.40	κ_{HWW}	0.8 %	0.2 %	0.1 %	2.3(1.7) %
$g(h\tau\tau)$	1.9	0.80	$\kappa_{H\tau\tau}$	2.7 %	1.2 %	0.9 %	2.6(1.9) %
$g(hZZ)$	0.38	0.30	κ_{HZZ}	0.4 %	0.3 %	0.2 %	2.2(1.6) %
$g(h\gamma\gamma)$	1.1	1.0	$\kappa_{H\gamma\gamma}$	—	4.8 %	2.3 %	2.7(2.0) %
$g(h\mu\mu)$	5.6	5.1	$\kappa_{H\mu\mu}$	—	12.1 %	5.6 %	6.6(5.0) %
$g(h\gamma Z)$	16	16	$\kappa_{HZ\gamma}$	—	13.3 %	6.6 %	
			κ_{Htt}	—	2.9 %	2.9 %	4.7(2.8) %

κ_{tot}

*= ILC fit uses from HL-LHC: $BR_{\gamma\gamma}/BR_{ZZ}$, $BR_{\gamma Z}/BR_{\gamma\gamma}$ and $BR_{\mu\mu}/BR_{\gamma\gamma}$

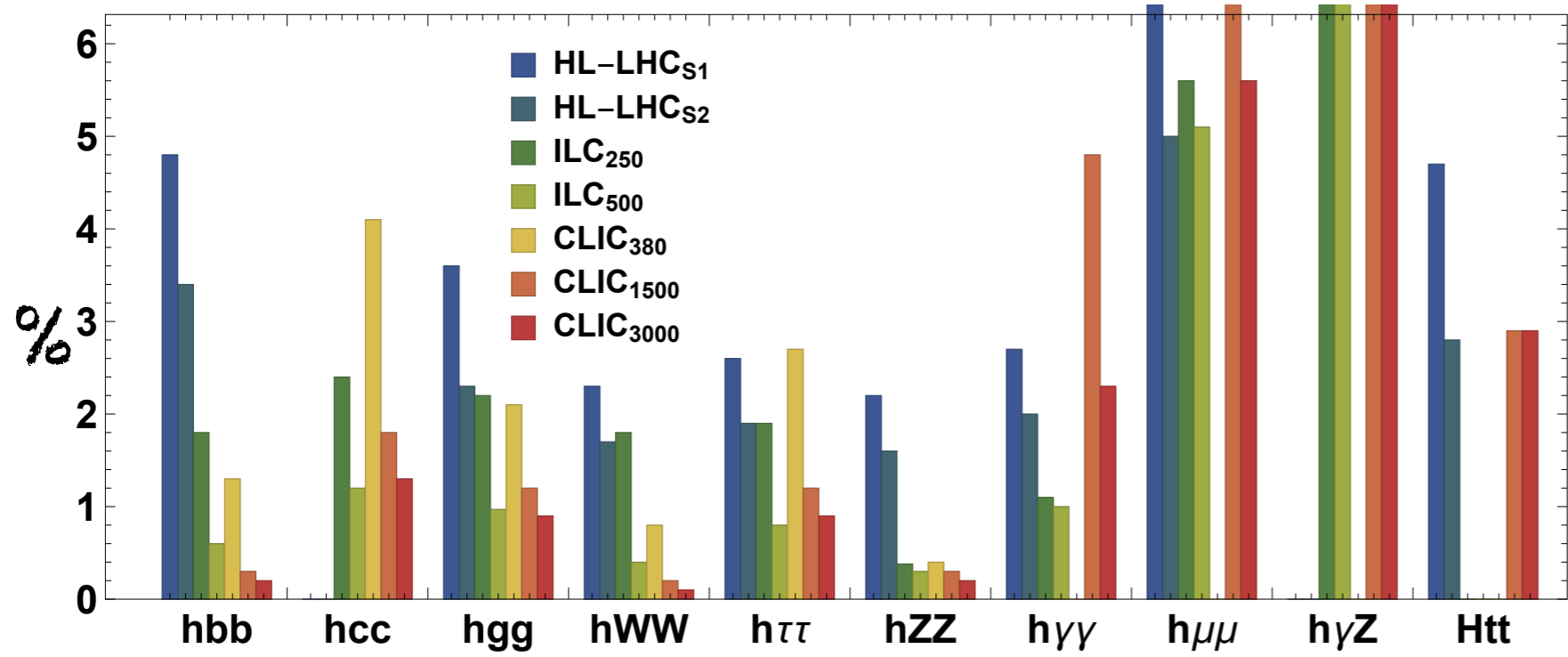
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ILC*

CLIC

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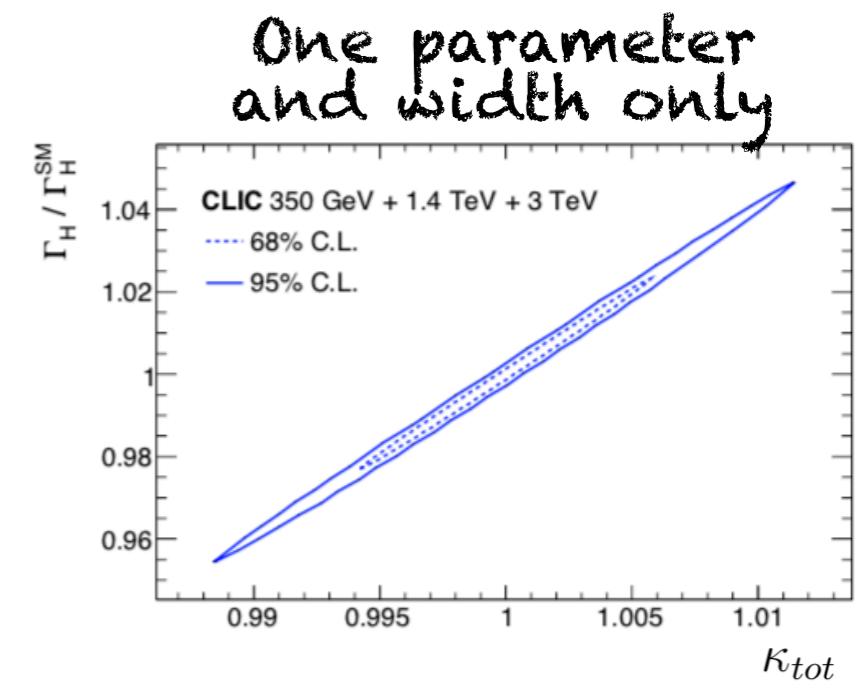
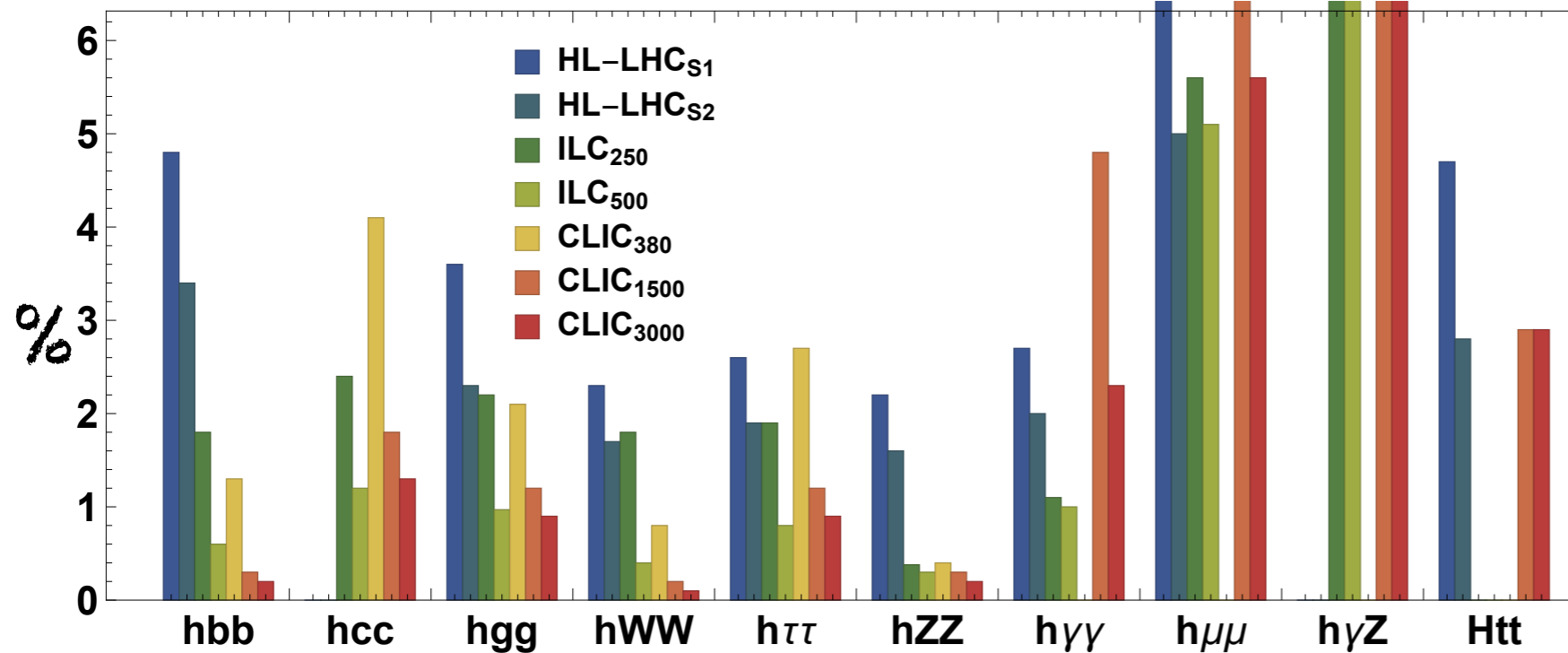


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Higgs Couplings

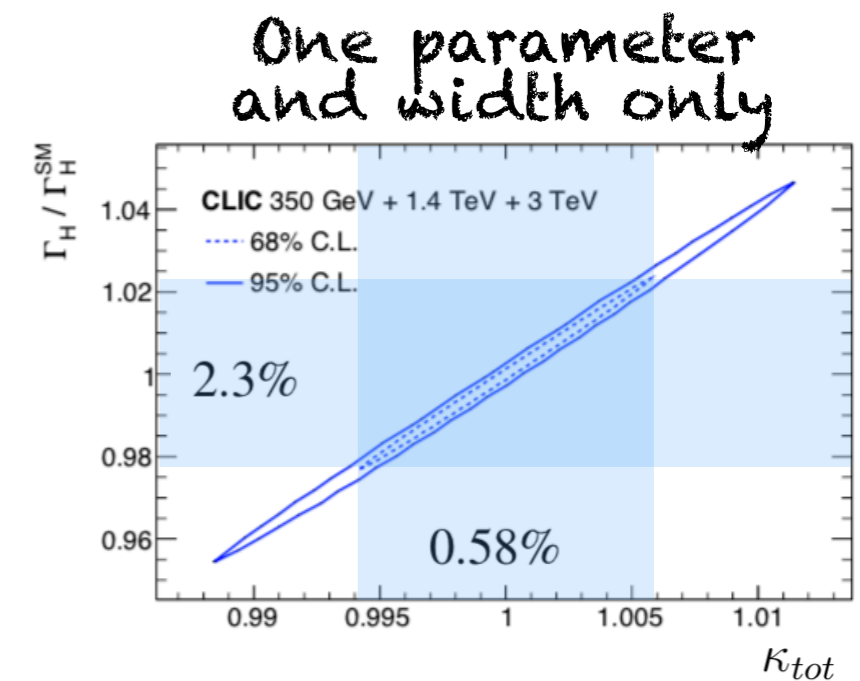
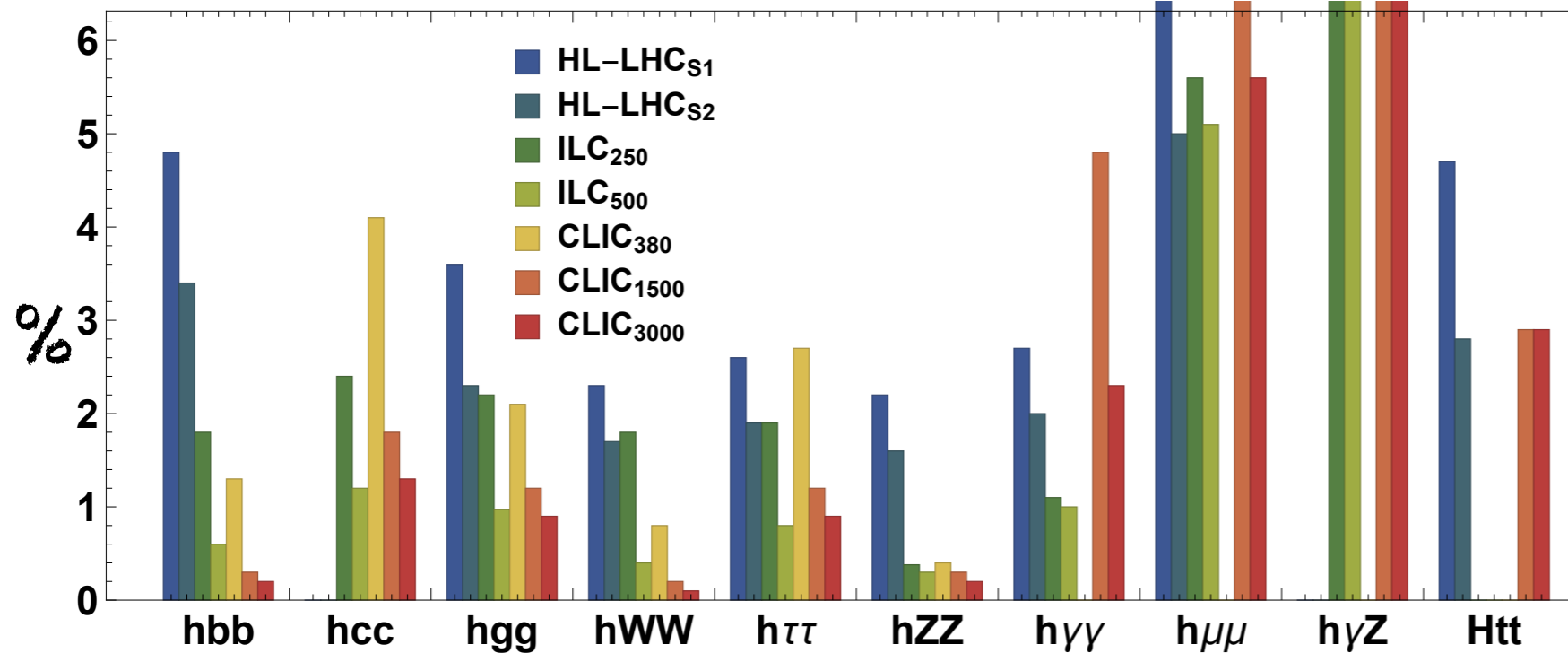
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			κ_{Htt}	—	2.9%	2.9%	4.7(2.8)%
			κ_{tot}	0.22%	0.10%	0.06%	—
Γ_h	3.9	1.7	Γ_h	6.7%	4%	3.5%	Impossible



*= ILC fit uses from HL-LHC: $BR_{\gamma\gamma}/BR_{ZZ}$, $BR_{\gamma Z}/BR_{\gamma\gamma}$ and $BR_{\mu\mu}/BR_{\gamma\gamma}$

Higgs Couplings

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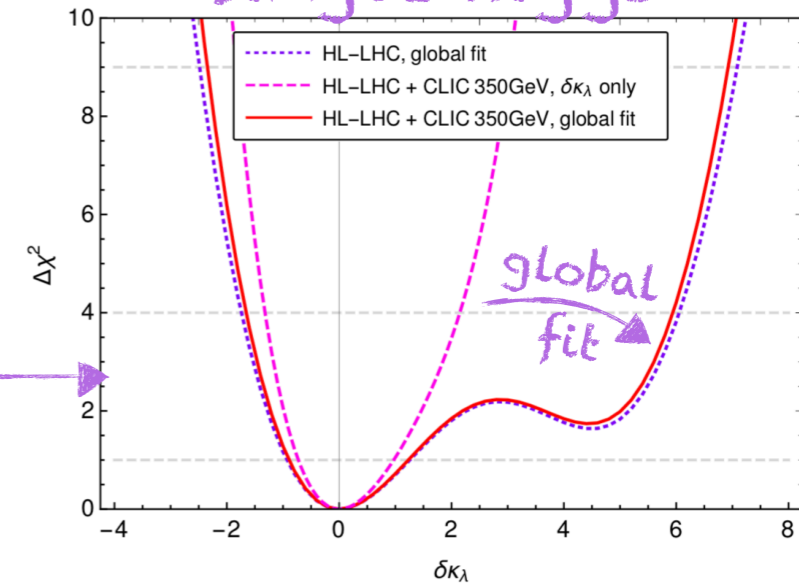
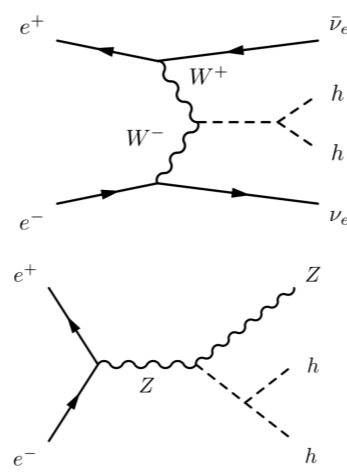
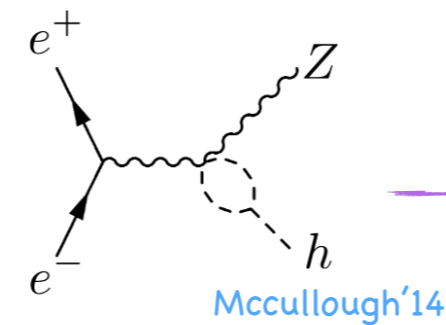
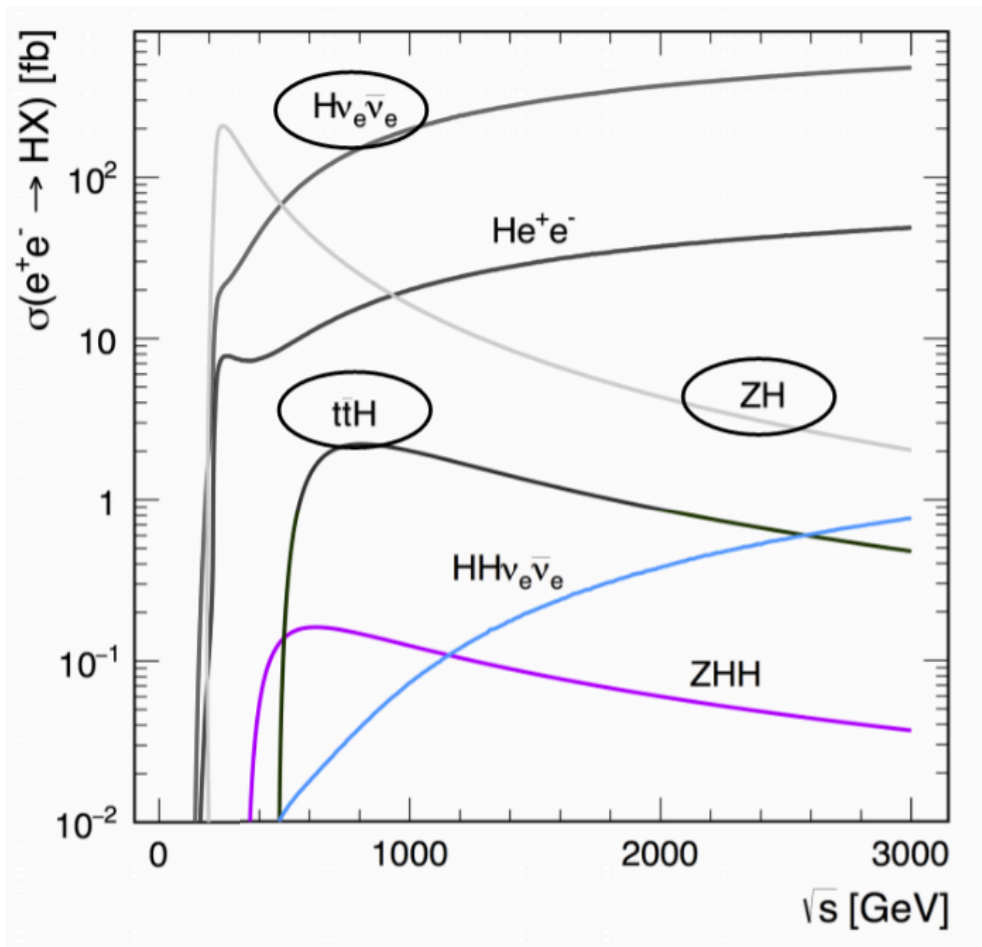
*= ILC fit uses from HL-LHC: $BR_{\gamma\gamma}/BR_{ZZ}$, $BR_{\gamma Z}/BR_{\gamma\gamma}$ and $BR_{\mu\mu}/BR_{\gamma\gamma}$

Higgs Self-Coupling

See Ulrike's talk

Modifications of h^3 don't grow with energy in $ZHH, HH\nu\nu$
 Measurable also below threshold

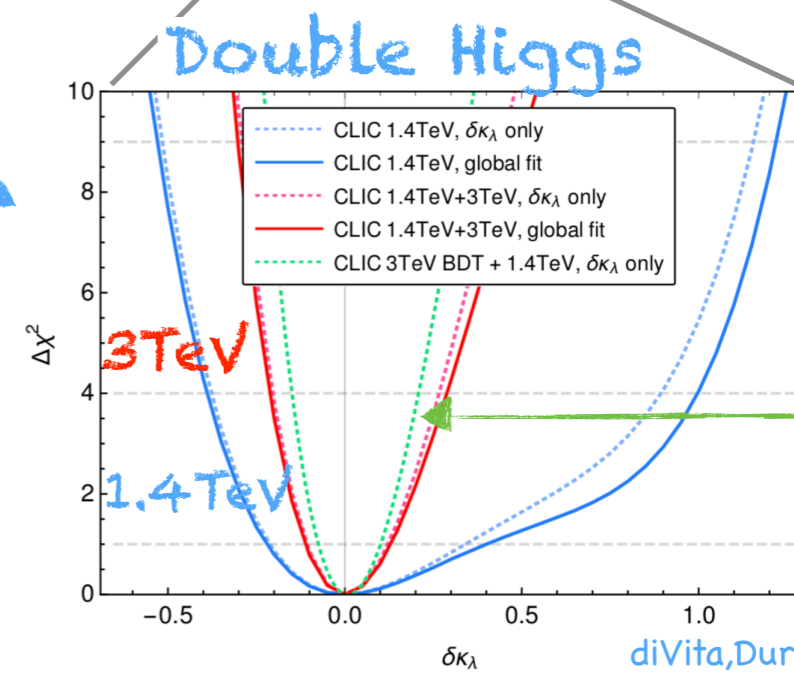
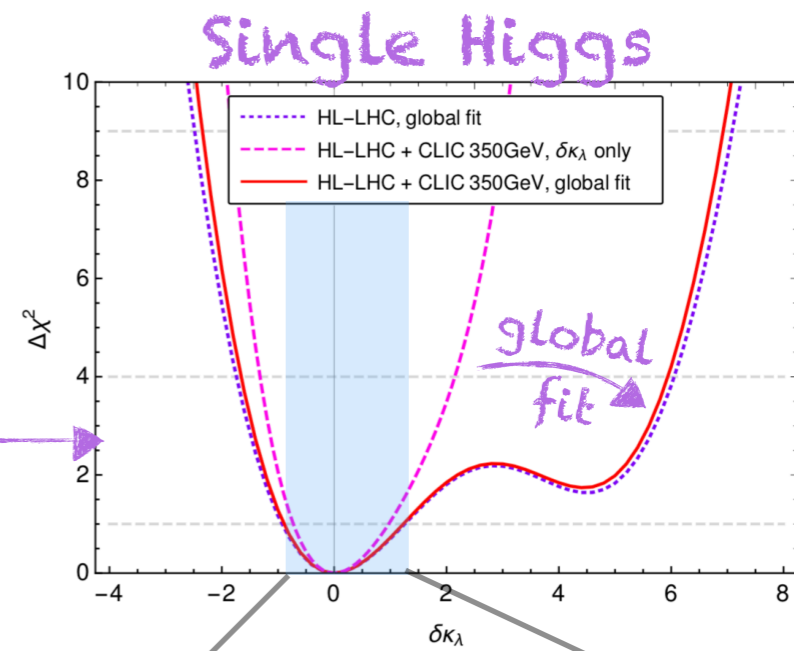
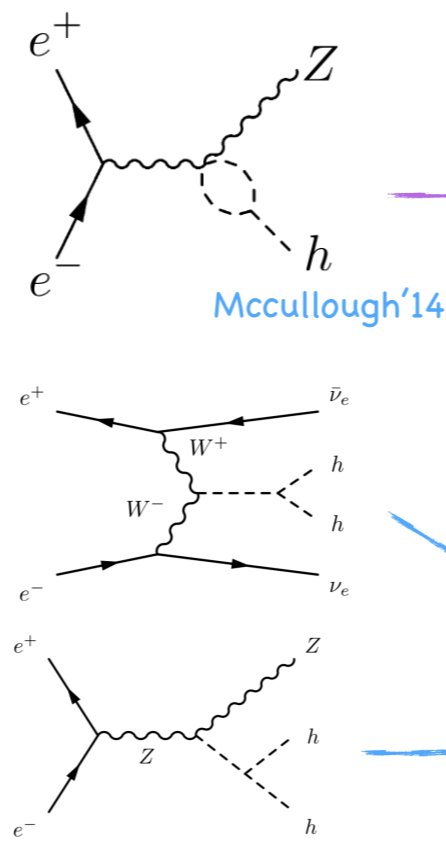
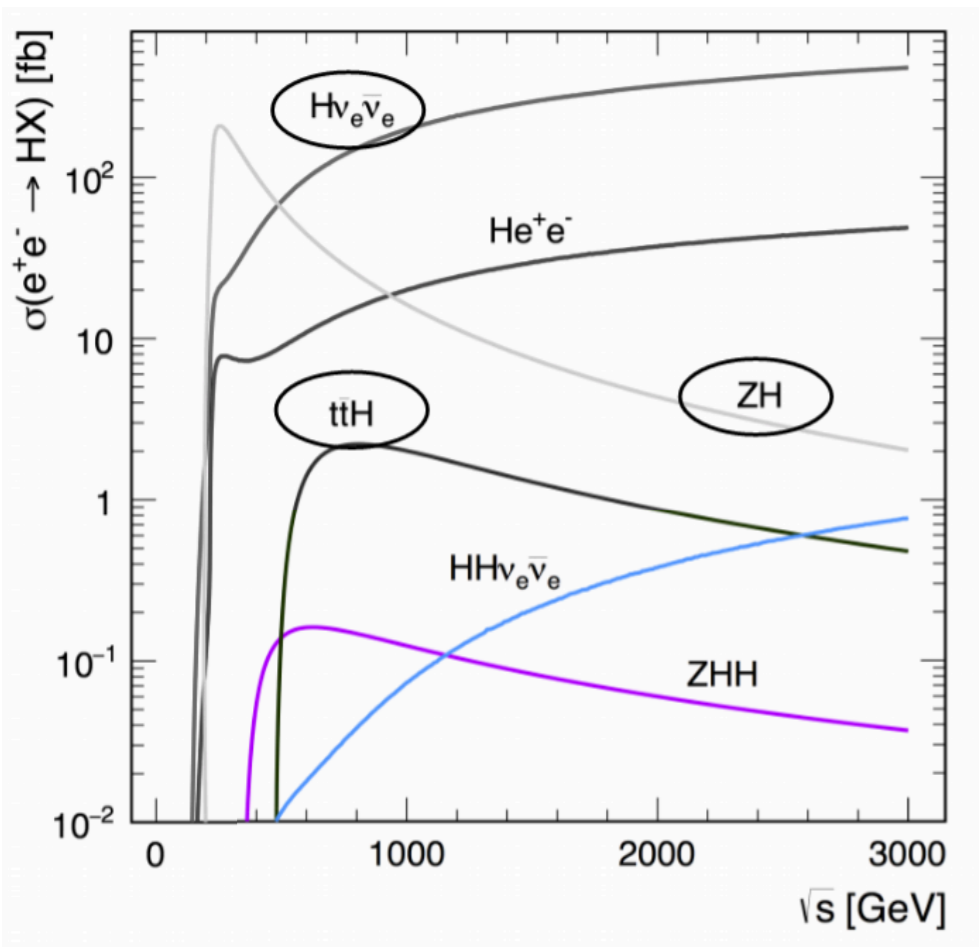
Single Higgs



Higgs Self-Coupling

See Ulrike's talk

Modifications of h^3 don't grow with energy in $ZHH, HH\nu\nu$
 Measurable also below threshold



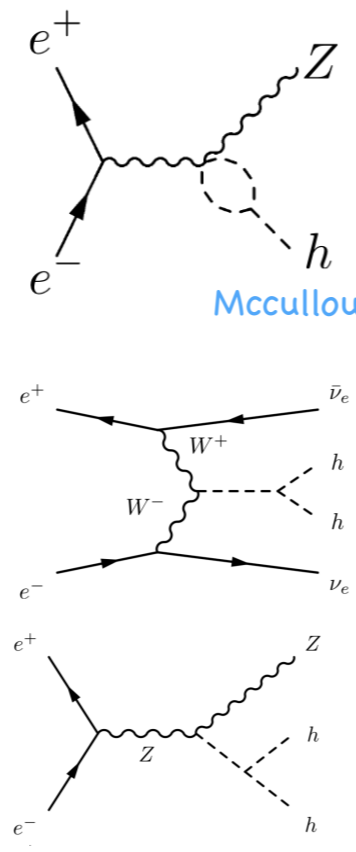
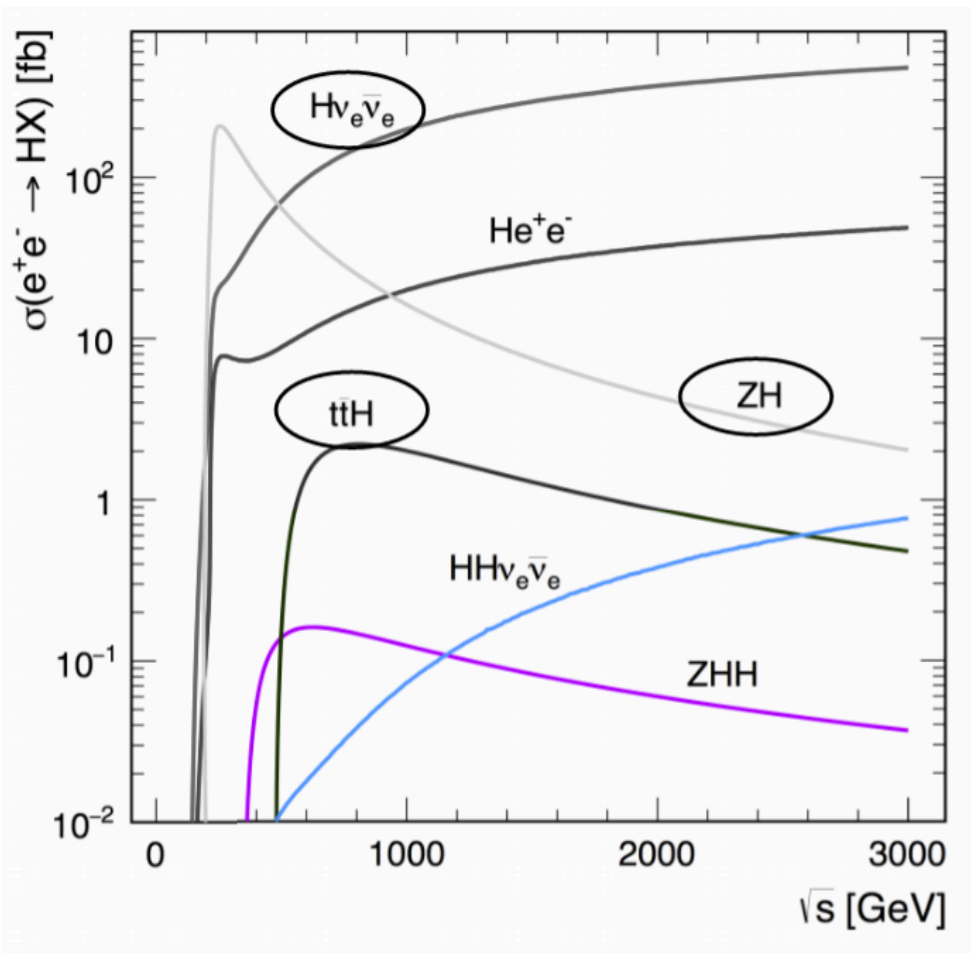
Full-detector

diVita, Durieux, Grojean, Gu, Liu, Panico, Riemann, Vantalon'17

Higgs Self-Coupling

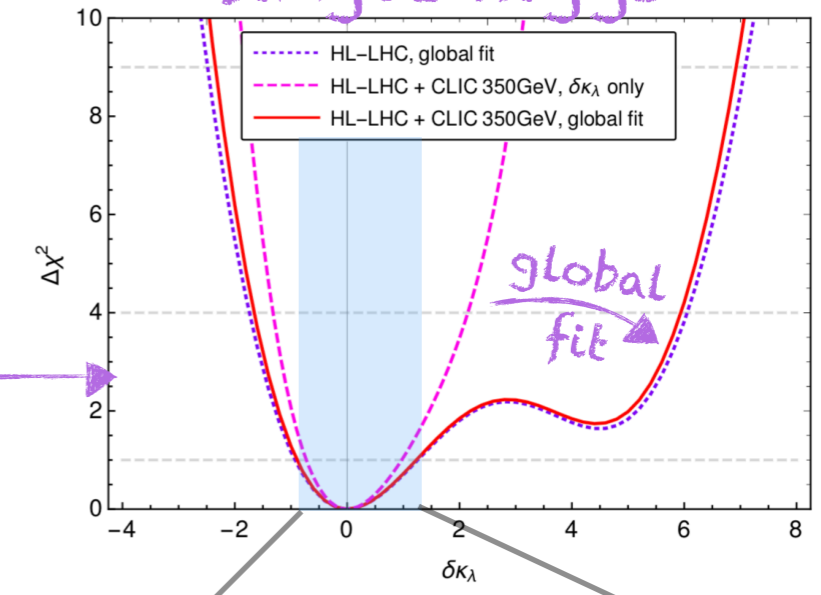
See Ulrike's talk

Modifications of h^3 don't grow with energy in $ZHH, HH\nu\nu$
 Measurable also below threshold

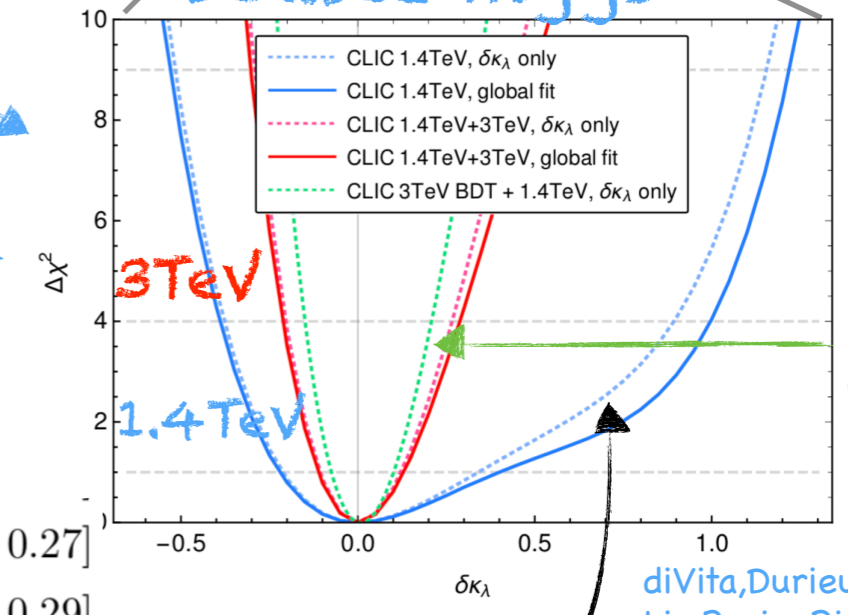


Mccullough'14

Single Higgs



Double Higgs



Full-detector

CLIC Stage 2+3, exclusive	$[-0.11, 0.12]$	$[-0.20, 0.27]$
CLIC Stage 2+3, global	$[-0.11, 0.13]$	$[-0.21, 0.29]$

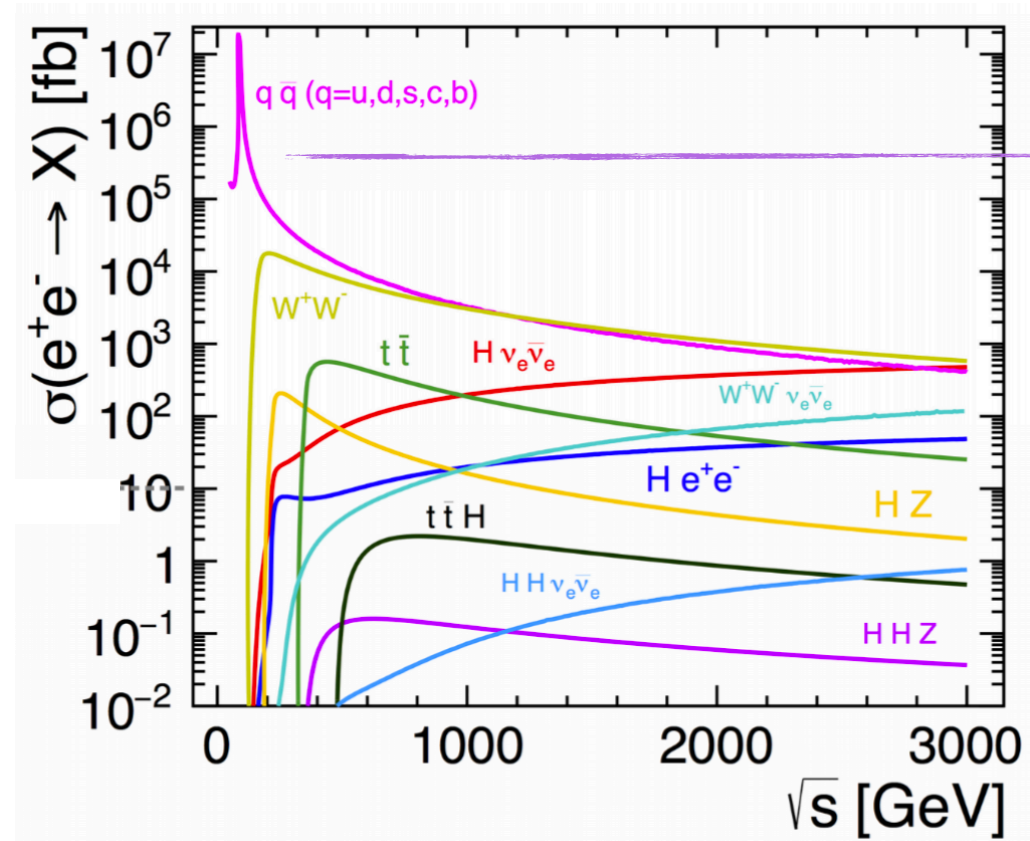
diVita, Durieux, Grojean, Gu, Liu, Panico, Riemann, Vantalon'17

Stable under additional effects

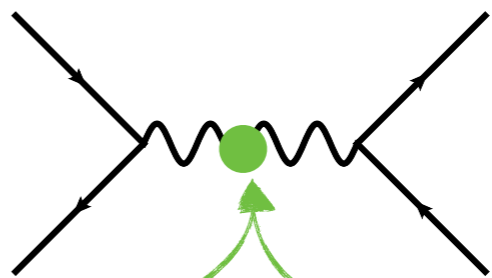
2) High-Energy Probes

Best reach from identifying processes and Effects (EFT)
with Energy-growth

Drell-Yann



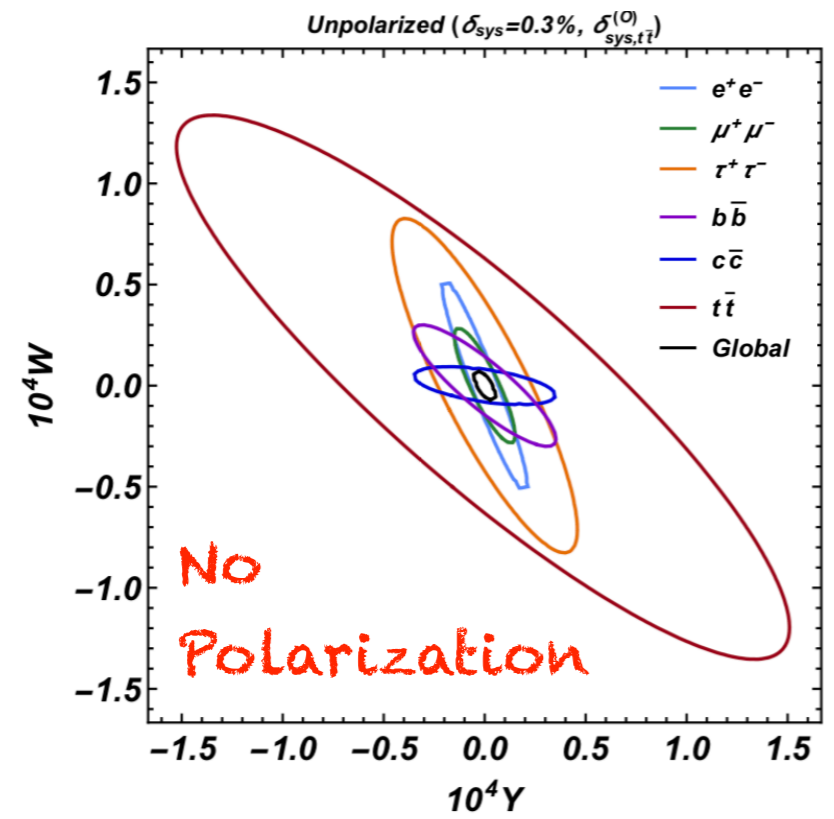
Largest x-section



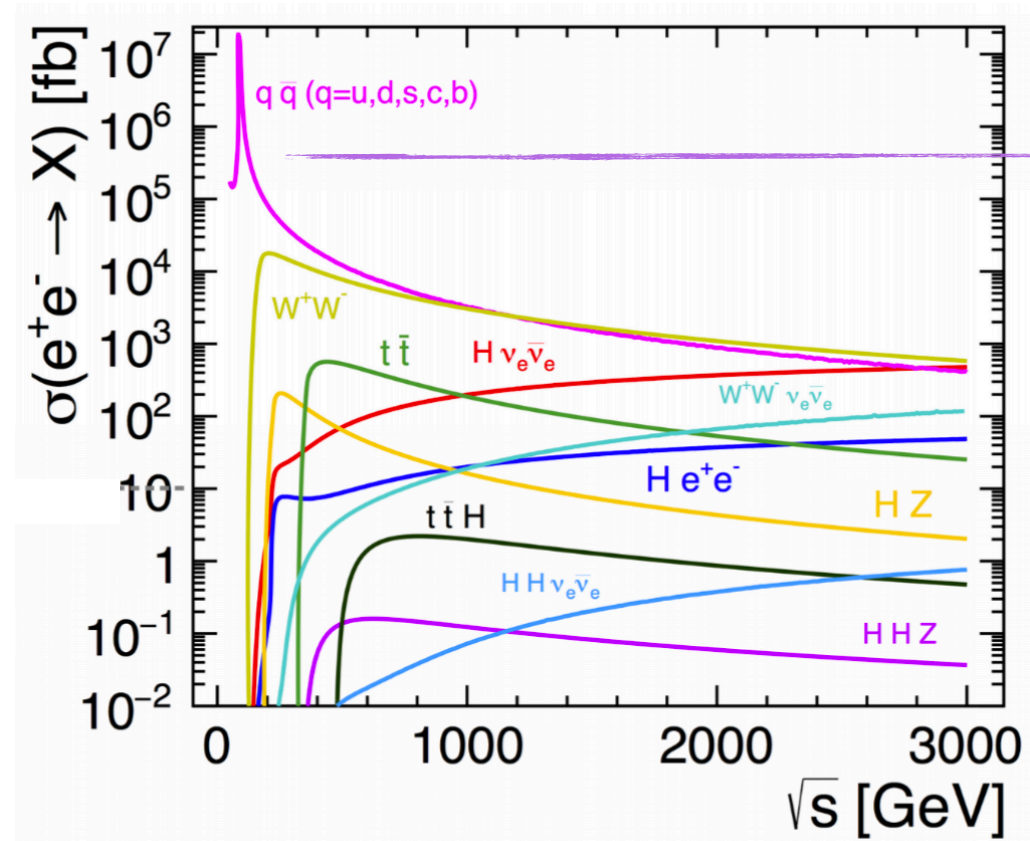
$$-\frac{W}{4m_W^2}(D_\rho W_{\mu\nu}^a)^2, \quad -\frac{Y}{4m_W^2}(D_\rho B_{\mu\nu})^2$$

Effects in Z propagator grow $\propto s$

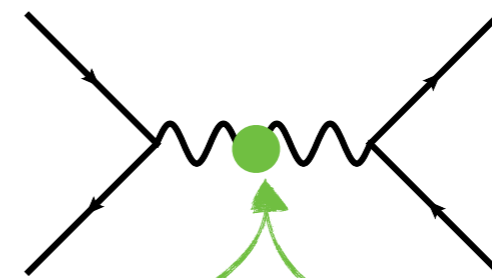
Barbieri, Pomarol, Rattazzi, Strumia'04
Farina, Panico, Pappadopulo, Ruderman, Torre, Wulzer'16



Drell-Yann



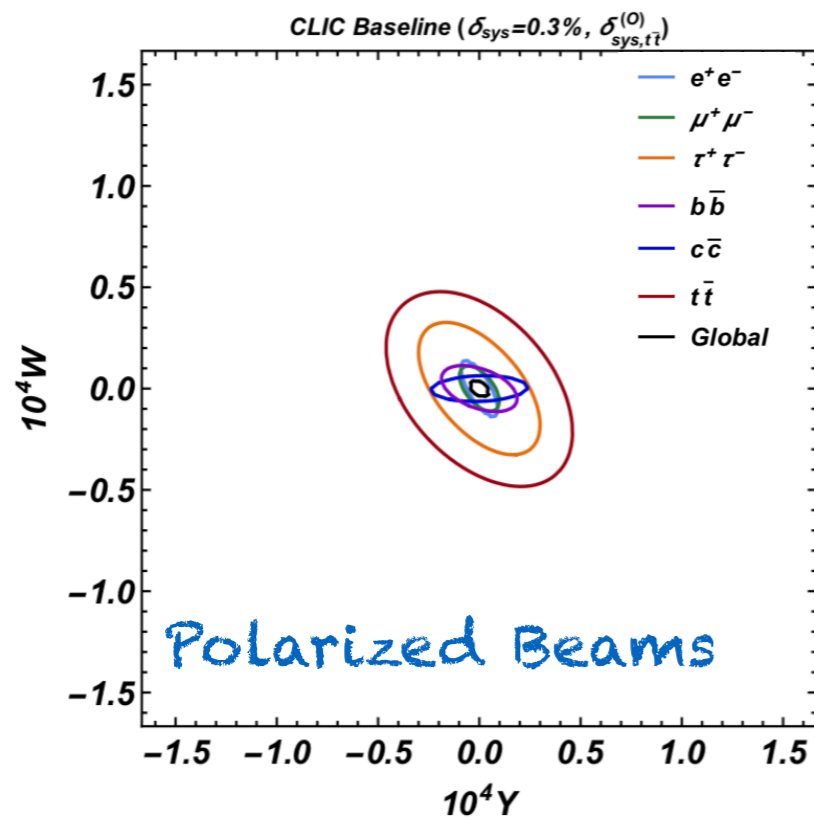
Largest x-section



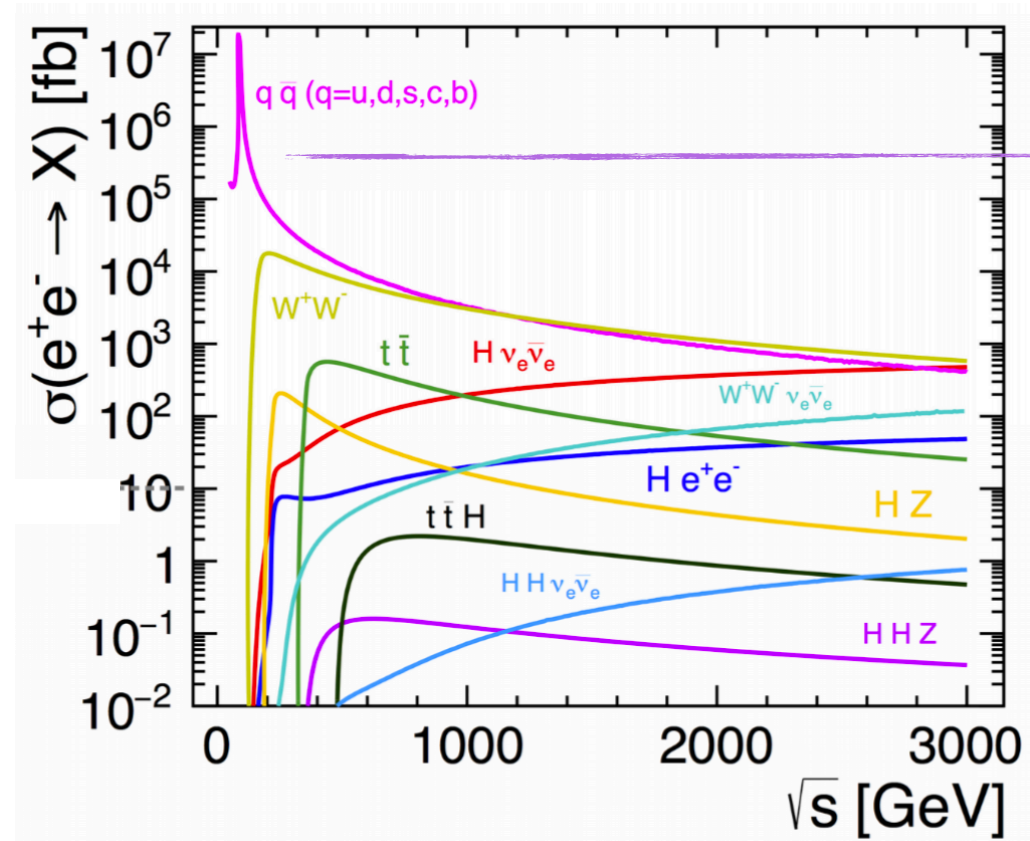
$$-\frac{W}{4m_W^2}(D_\rho W_{\mu\nu}^a)^2, \quad -\frac{Y}{4m_W^2}(D_\rho B_{\mu\nu})^2$$

Effects in Z propagator grow $\propto s$

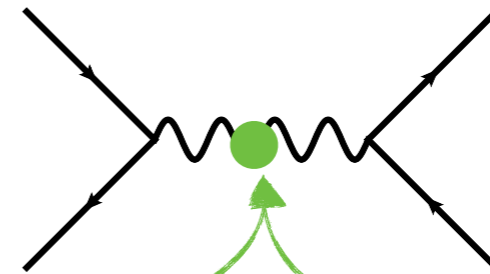
Barbieri, Pomarol, Rattazzi, Strumia'04
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Drell-Yann



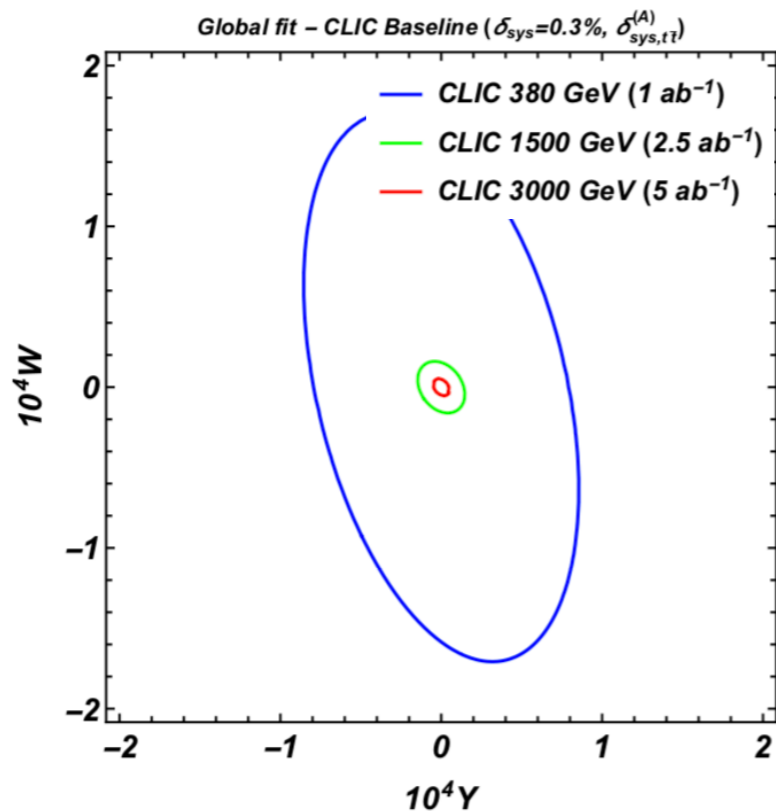
Largest x-section



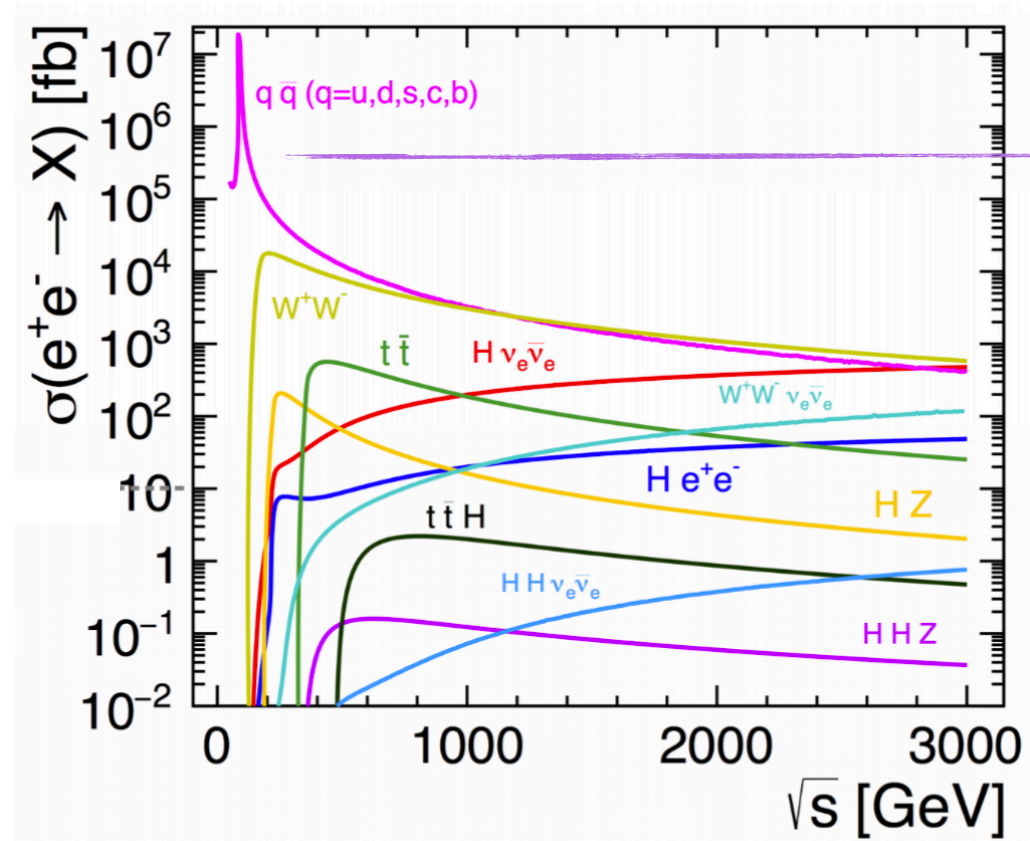
$$-\frac{W}{4m_W^2}(D_\rho W_{\mu\nu}^a)^2, \quad -\frac{Y}{4m_W^2}(D_\rho B_{\mu\nu})^2$$

Effects in Z propagator grow $\propto s$

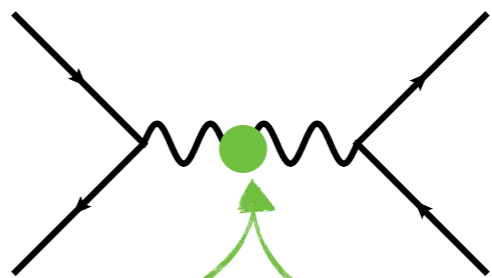
Barbieri, Pomarol, Rattazzi, Strumia'04
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Drell-Yann



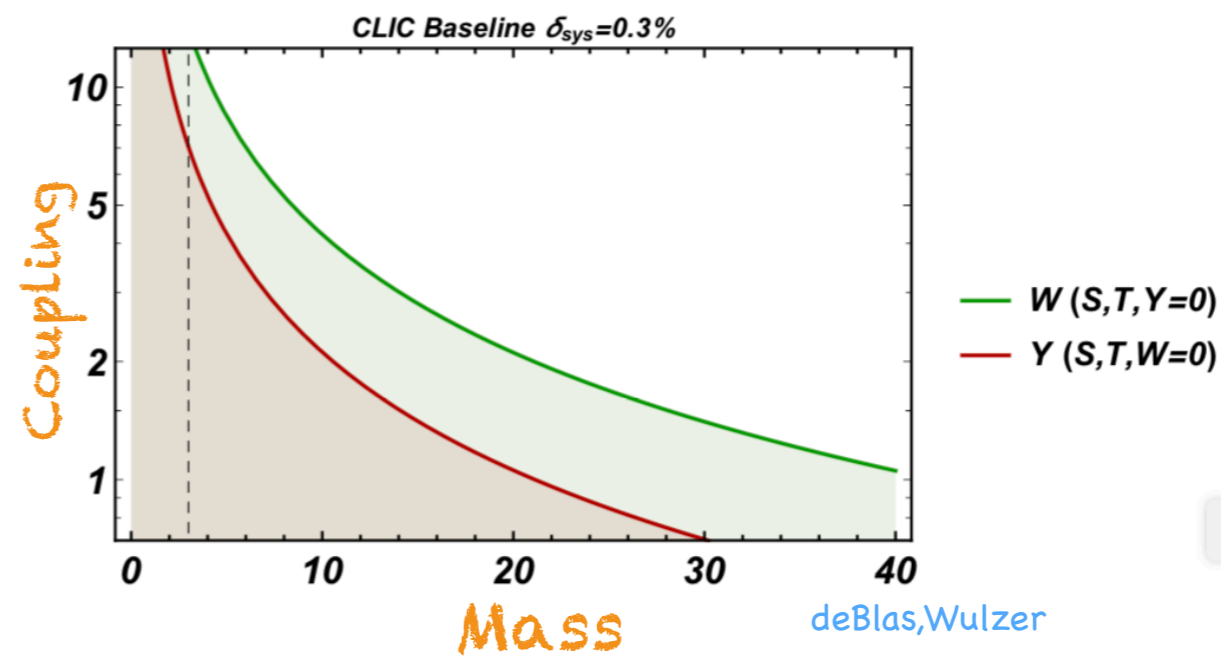
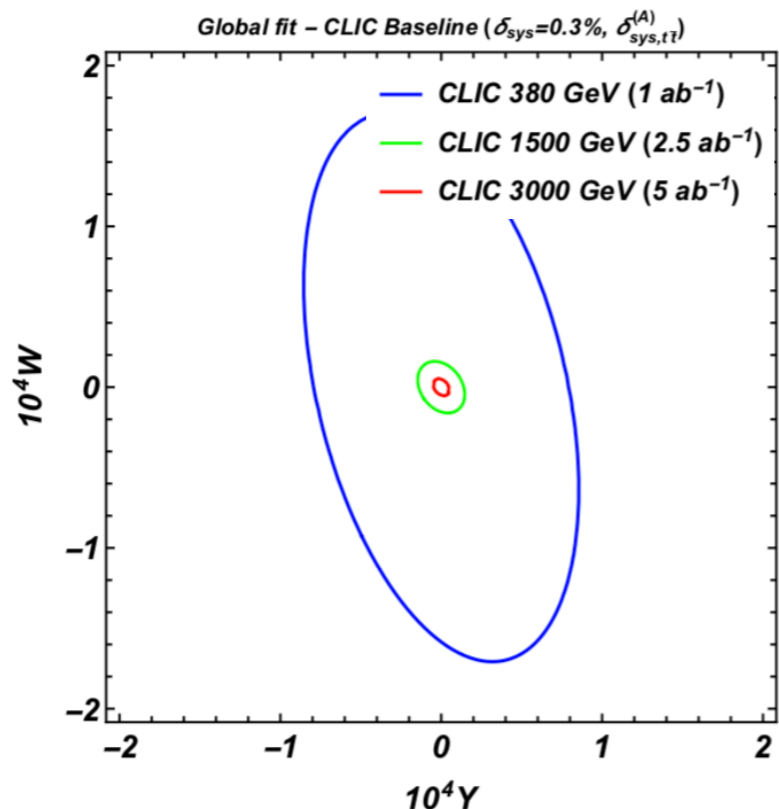
Largest x-section



$$-\frac{W}{4m_W^2} (D_\rho W_{\mu\nu}^a)^2, \quad -\frac{Y}{4m_W^2} (D_\rho B_{\mu\nu})^2$$

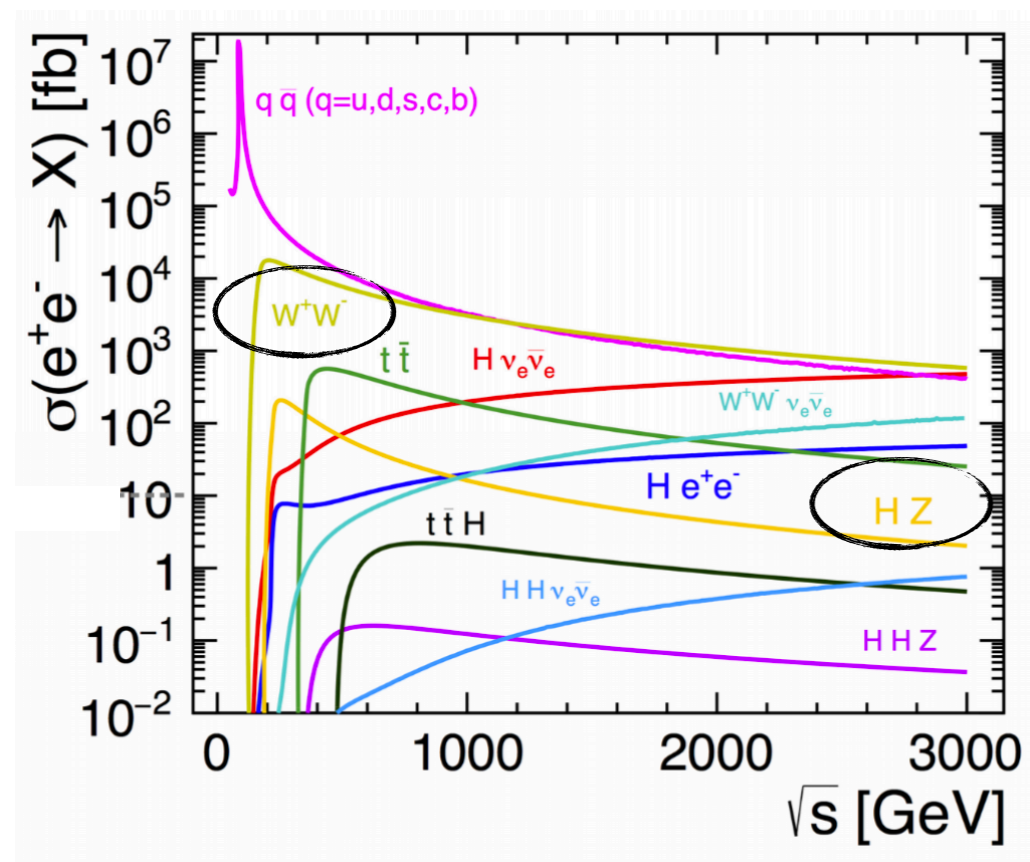
Effects in Z propagator grow $\propto s$

Barbieri, Pomarol, Rattazzi, Strumia '04
Farina, Panico, Pappadopulo, Ruderman, Torre, Wulzer '16

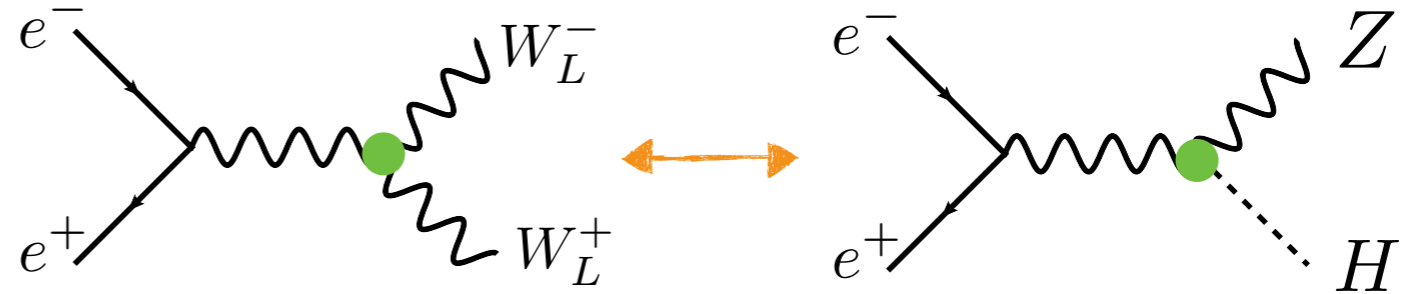


Heavy SU(2) triplets generate W, Y (e.g. composite Higgs)

Dibosons - WW/HZ

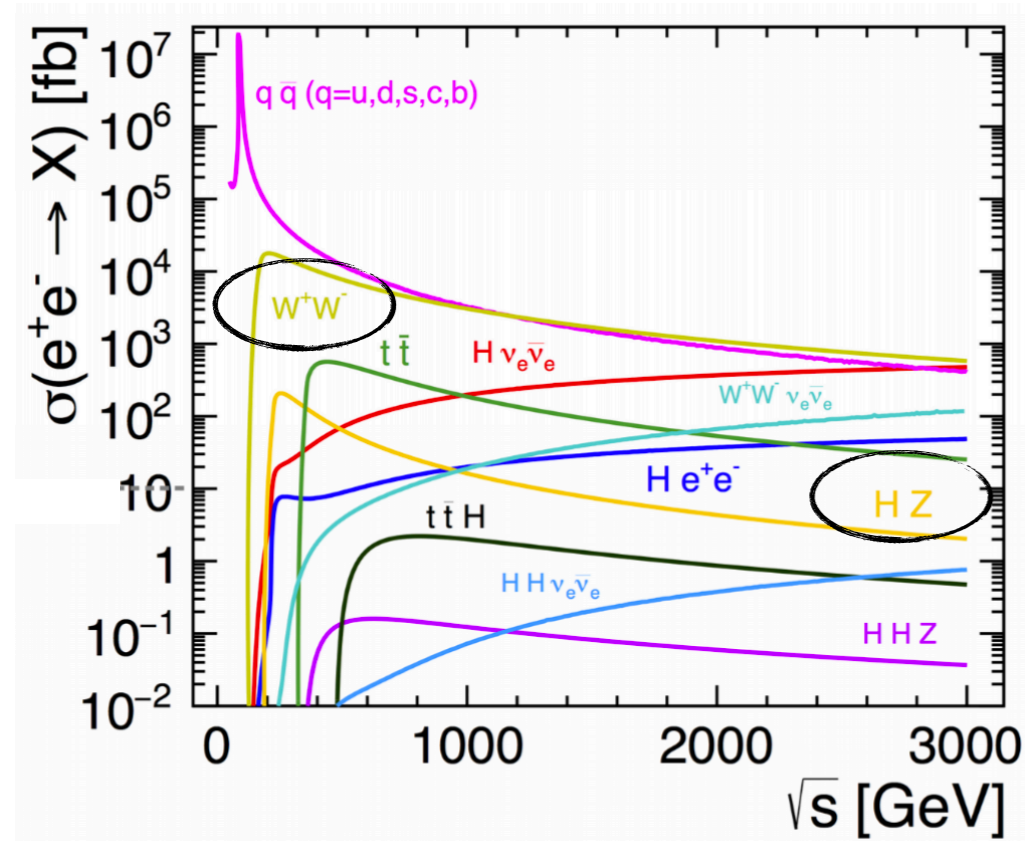


Equivalence theorem:

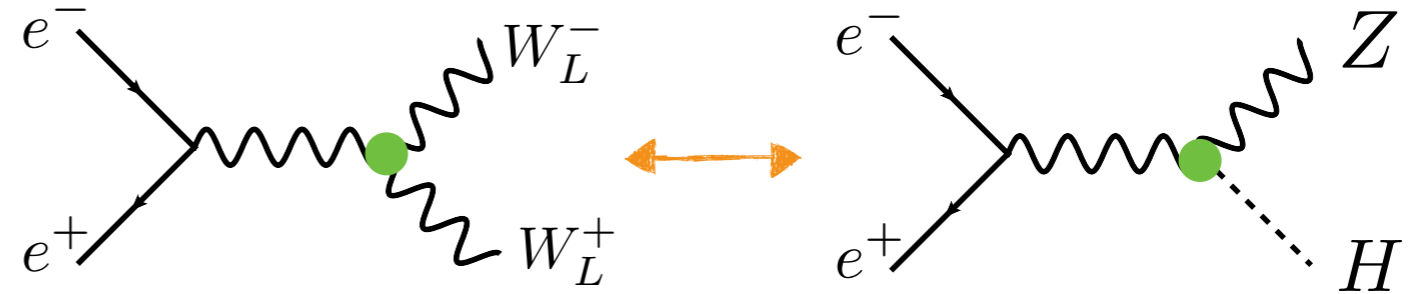


Effects in $W_L W_L \approx$ Effects in ZH
 (WW tests Higgs physics)

Dibosons - WW/HZ



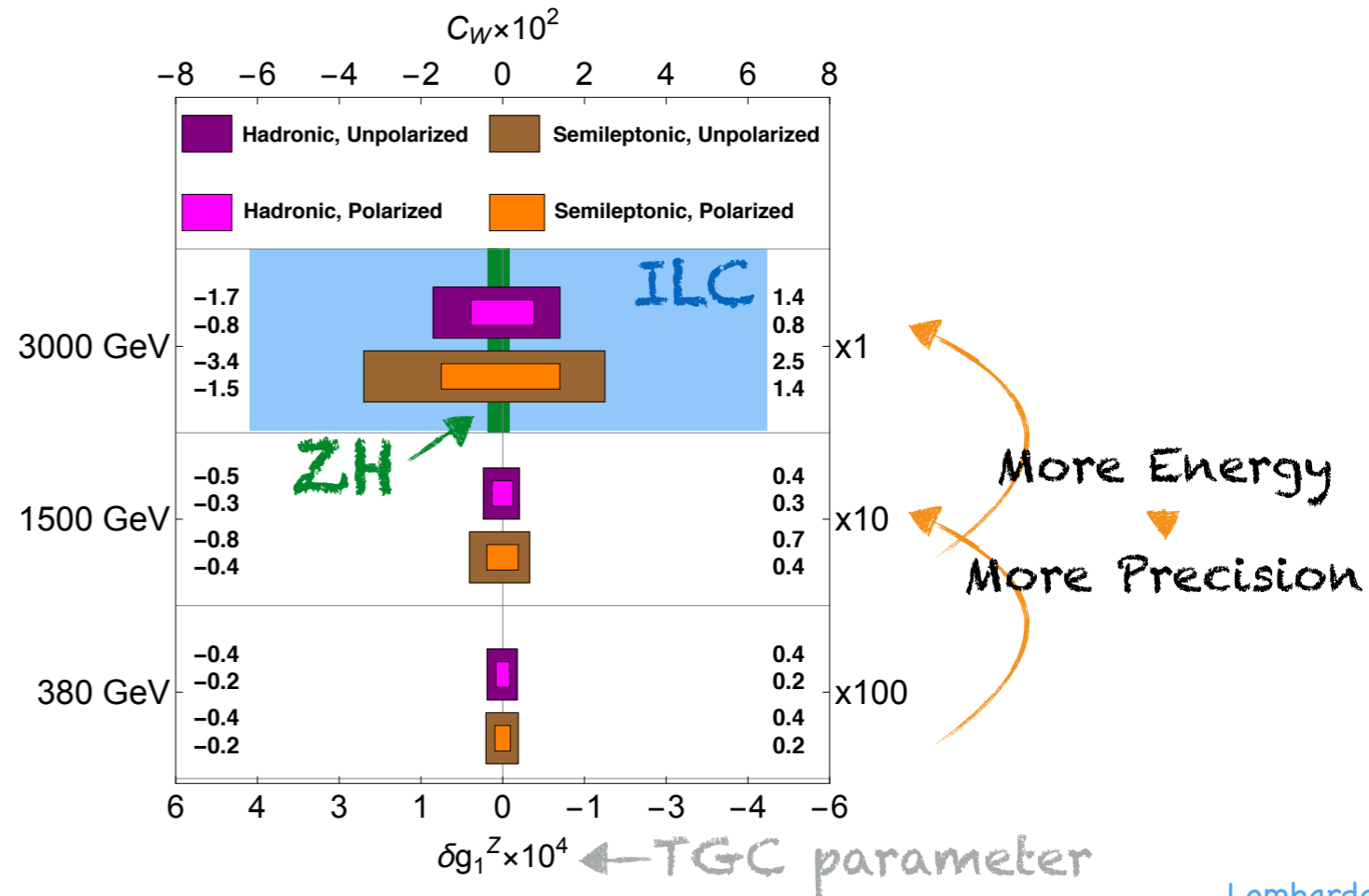
Equivalence theorem:



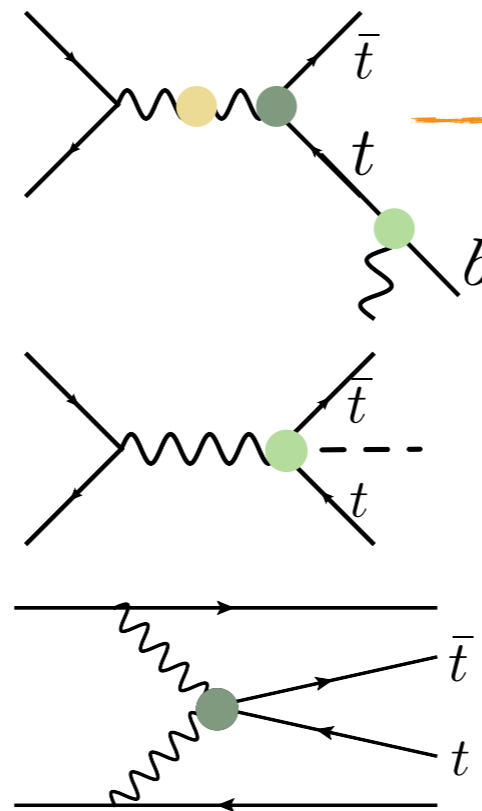
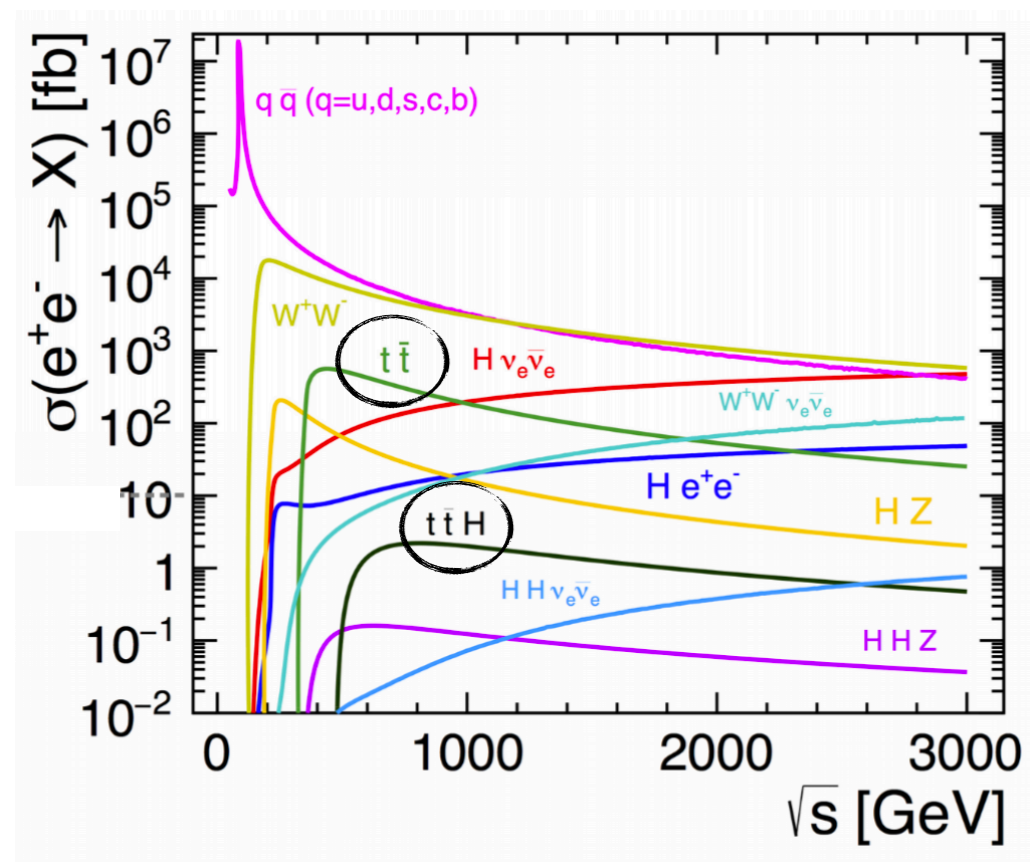
Effects in $W_L W_L \approx$ Effects in ZH
 (WW tests Higgs physics)

WW:

focus on longitudinals
 difficult ($W_T W_T$ large)
 ▶ +80% Polarization helps



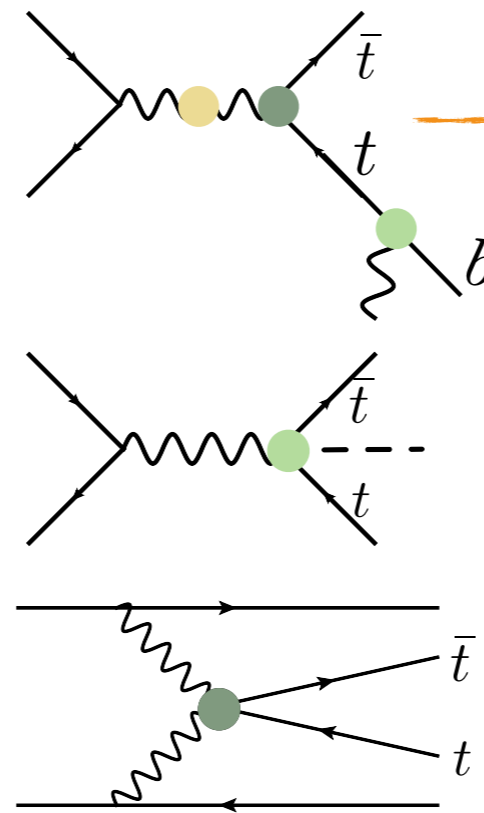
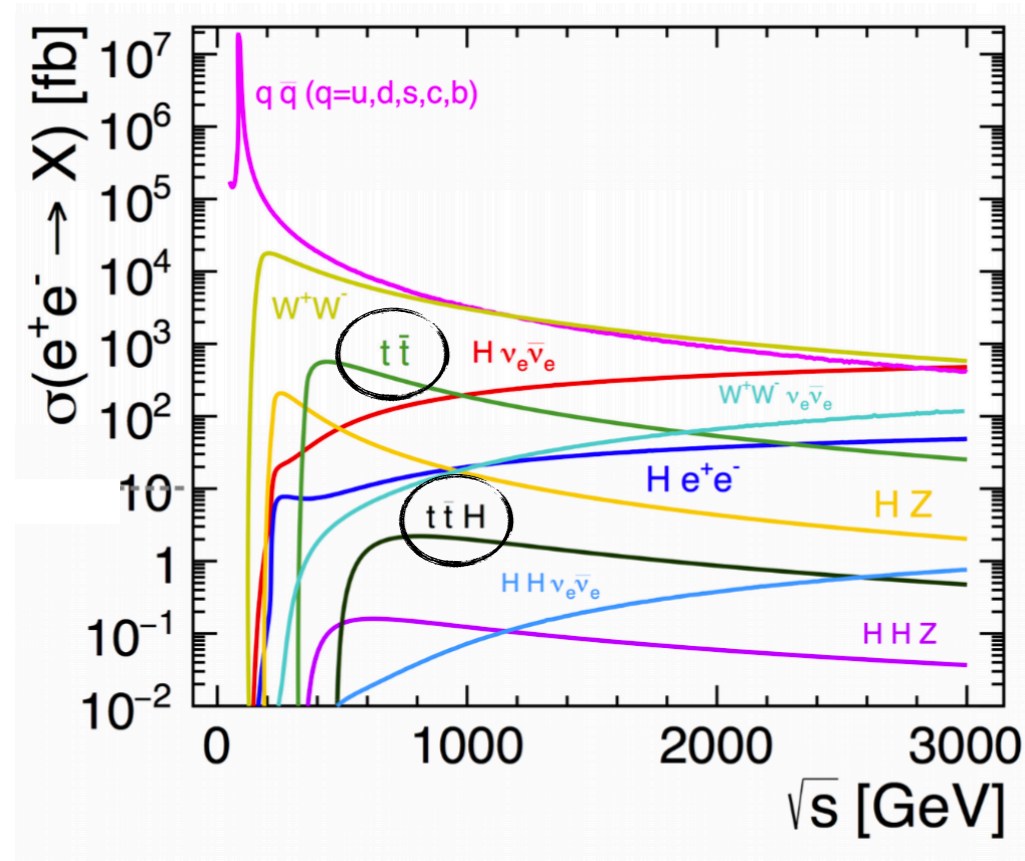
Top Physics - CLIC



Substantial info
(combining different stages)

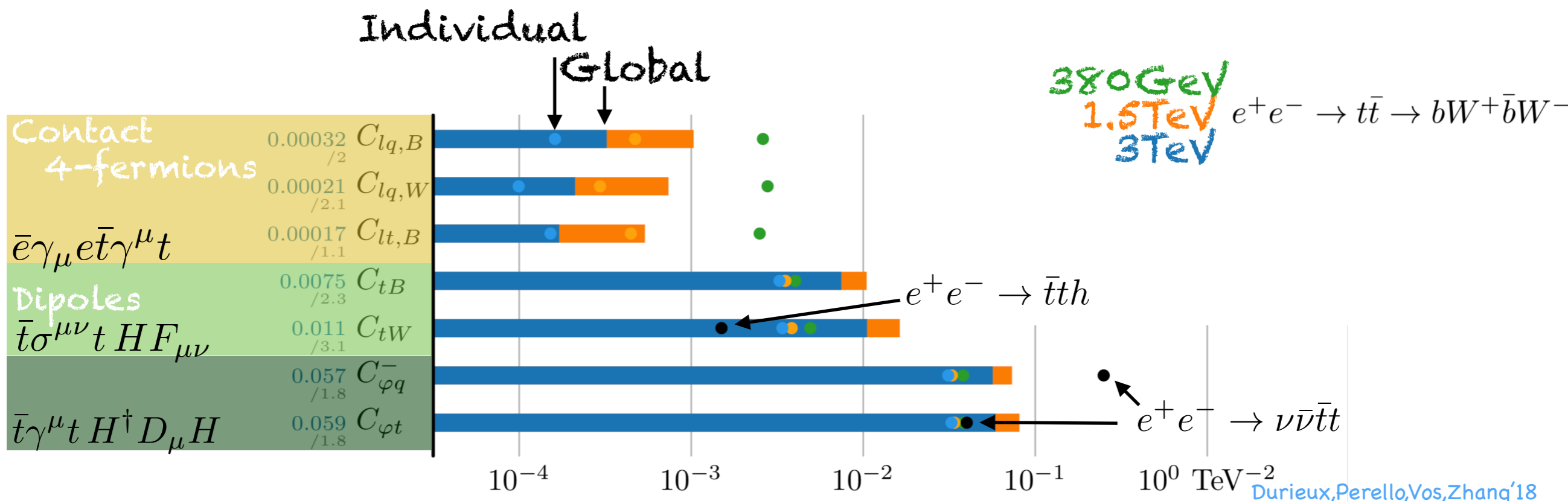
Exploit high-energy best

Top Physics - CLIC



Substantial info
(combining different stages)

Exploit high-energy best



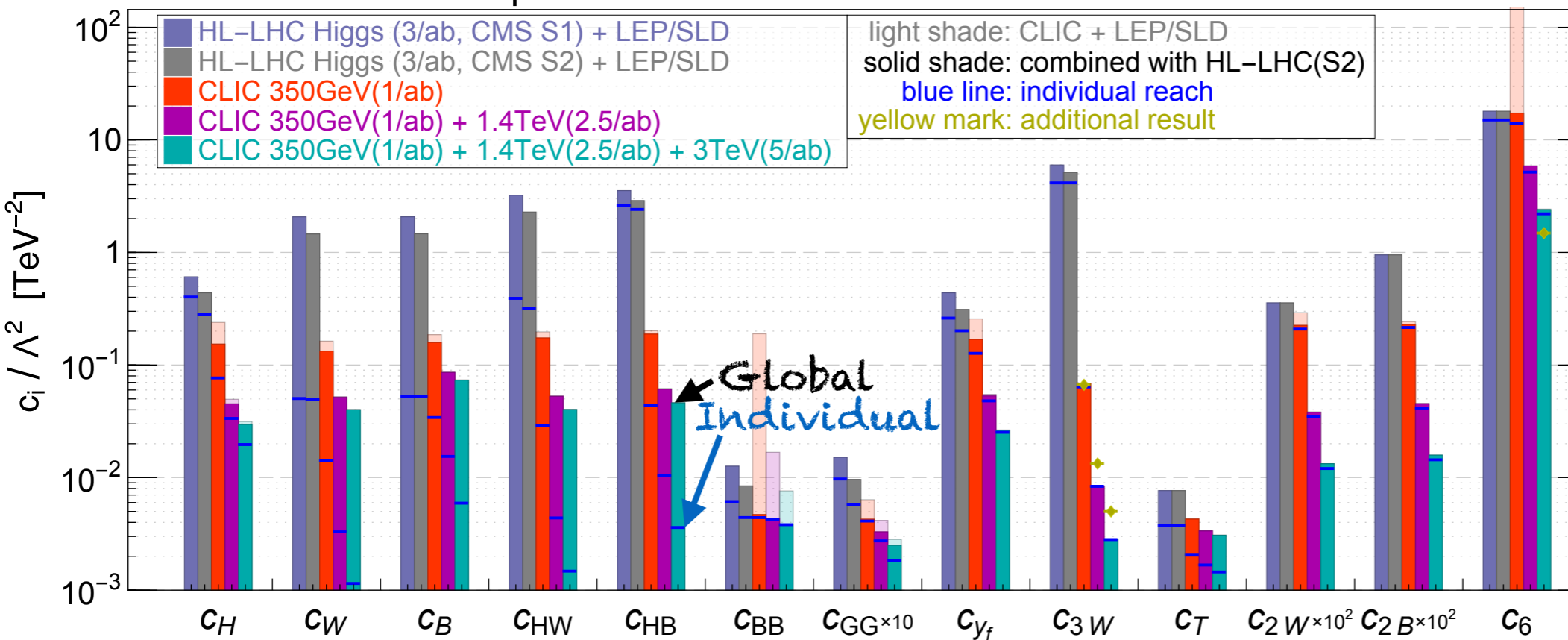
Global Fit

Processes discussed so far are sensitive

to **all universal effects**

new physics couples only to bosons

precision reach of the Universal EFT fit



BSM Reach

$\approx 1 \text{ TeV}$

$\approx 3 \text{ TeV}$

$\approx 10 \text{ TeV}$

Correlation, CLIC 350GeV+1.4TeV+3TeV

C_H	100	9	-17	-4	13	2	-62	-12	0	9	4	-2
C_W	9	100	-68	-95	94	8	-3	16	0	-8	2	-1
C_B	-17	-68	100	42	-88	-6	0	-9	-1	62	-6	6
C_{HW}	-4	-95	42	100	-79	-7	4	-16	0	-15	0	-1
C_{HB}	13	94	-88	-79	100	8	-2	14	1	-34	4	-4
C_{BB}	2	8	-6	-7	8	100	2	7	0	0	0	0
C_{GG}	-62	-3	0	4	-2	2	100	4	0	0	0	0
C_{Yf}	-12	16	-9	-16	14	7	4	100	0	6	1	0
C_{3W}	0	0	-1	0	1	0	0	0	100	-1	0	0
C_T	9	-8	62	-15	-34	0	0	6	-1	100	0	4
C_{2W}	4	2	-6	0	4	0	0	1	0	0	100	-42
C_{2B}	-2	-1	6	-1	-4	0	0	0	0	4	-42	100

Gu'18

Single Higgs

WW/ZH

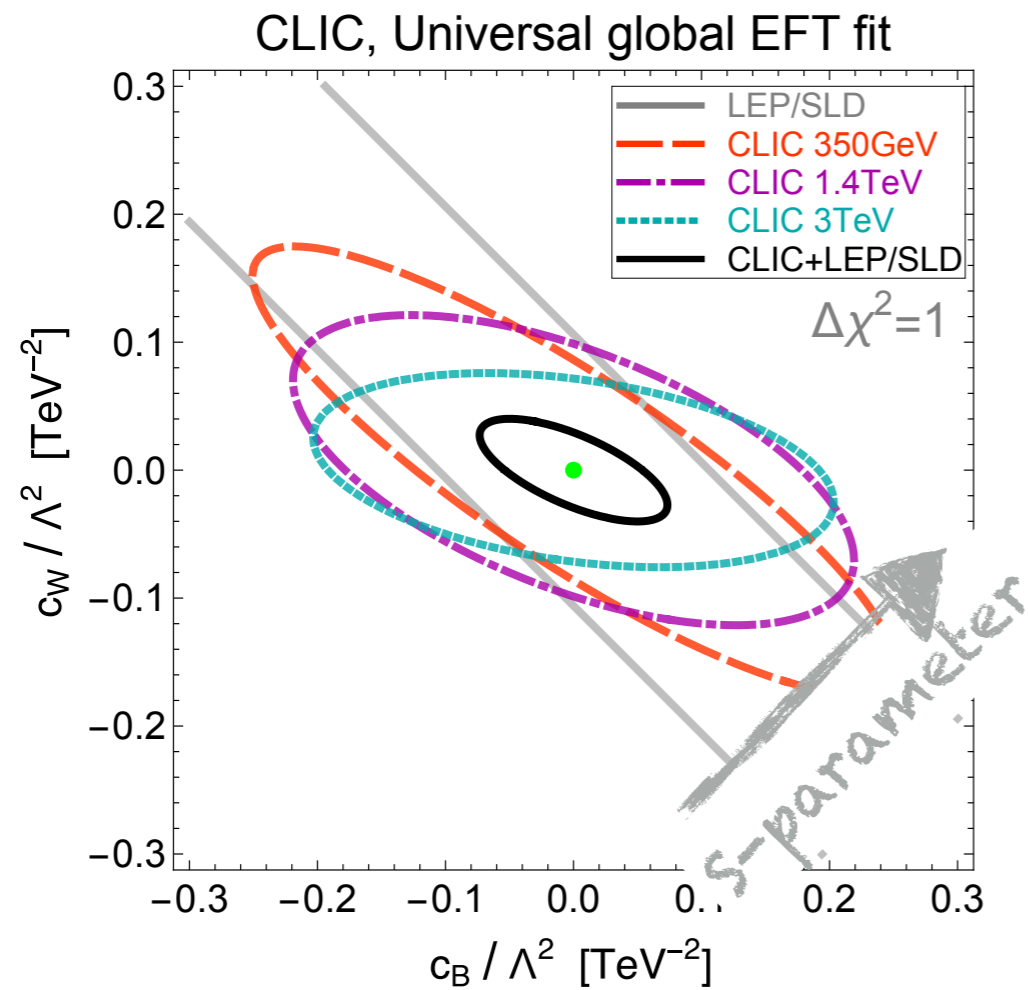
Single Higgs

Drell-Yann

Double Higgs

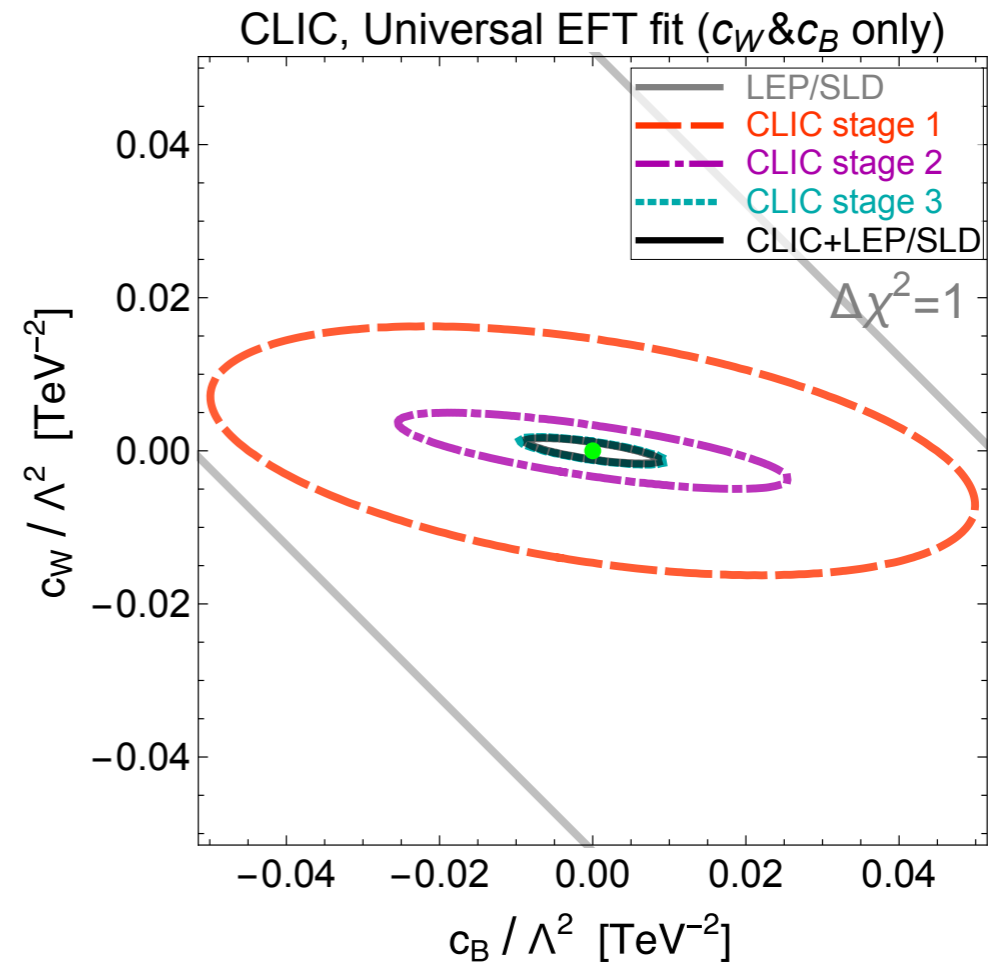
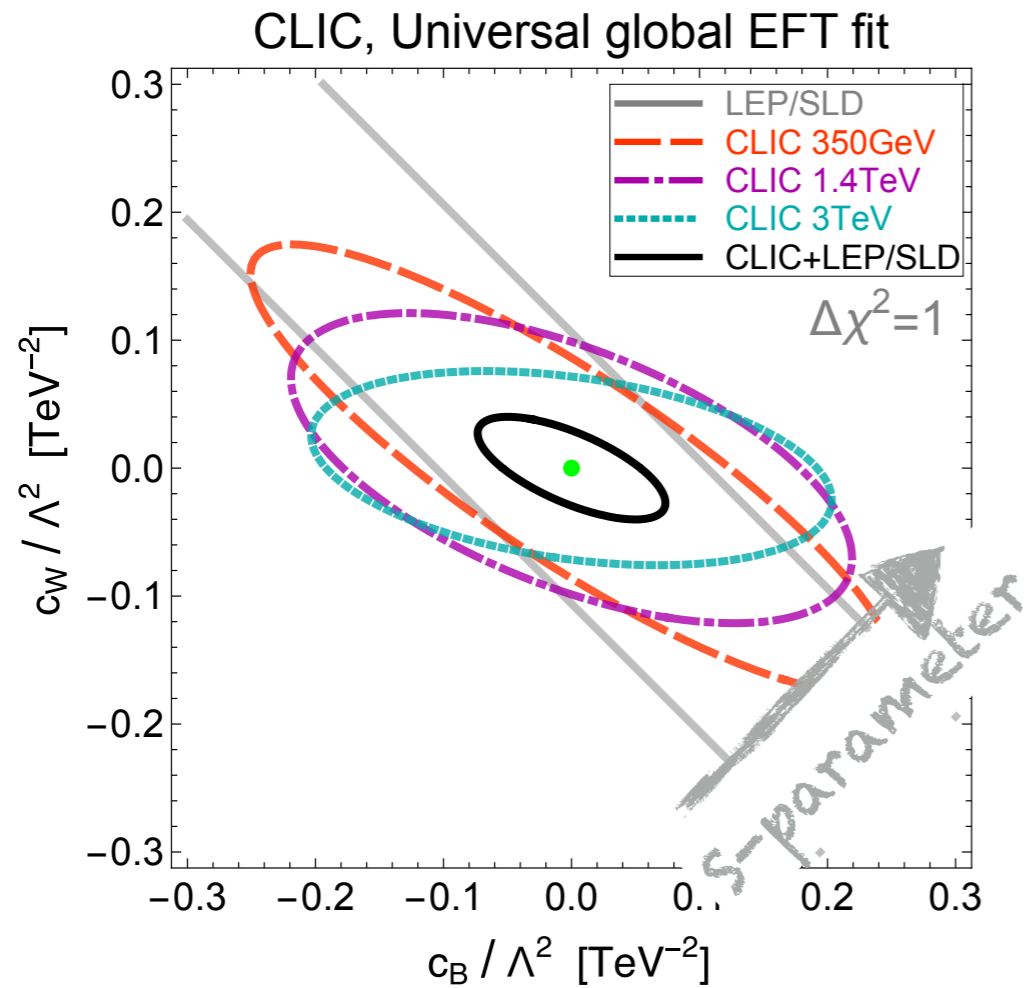
Z-Pole Comparison

Z-pole measurements / high-energy measurements are complementary in a global fit



Z-Pole Comparison

Z-pole measurements / high-energy measurements are complementary in a global fit



$$c_B, c_W \propto S$$

However: focus on $\nu\nu$ →
 (c_B, c_W can be generated at tree-level, so it makes sense to focus on these)

CLIC equivalent to 0 (few 10⁻⁵) precision on the Z-pole

Higgs Couplings... without a Higgs

Henning, Lombardo, Riembau, FR'18

Any modifications of Higgs couplings induces E^2 growth in some process with longitudinal W,Z bosons!

One way of seeing this:

$$\text{SM} = \text{[Diagram 1]} + \text{[Diagram 2]} = \text{finite}$$

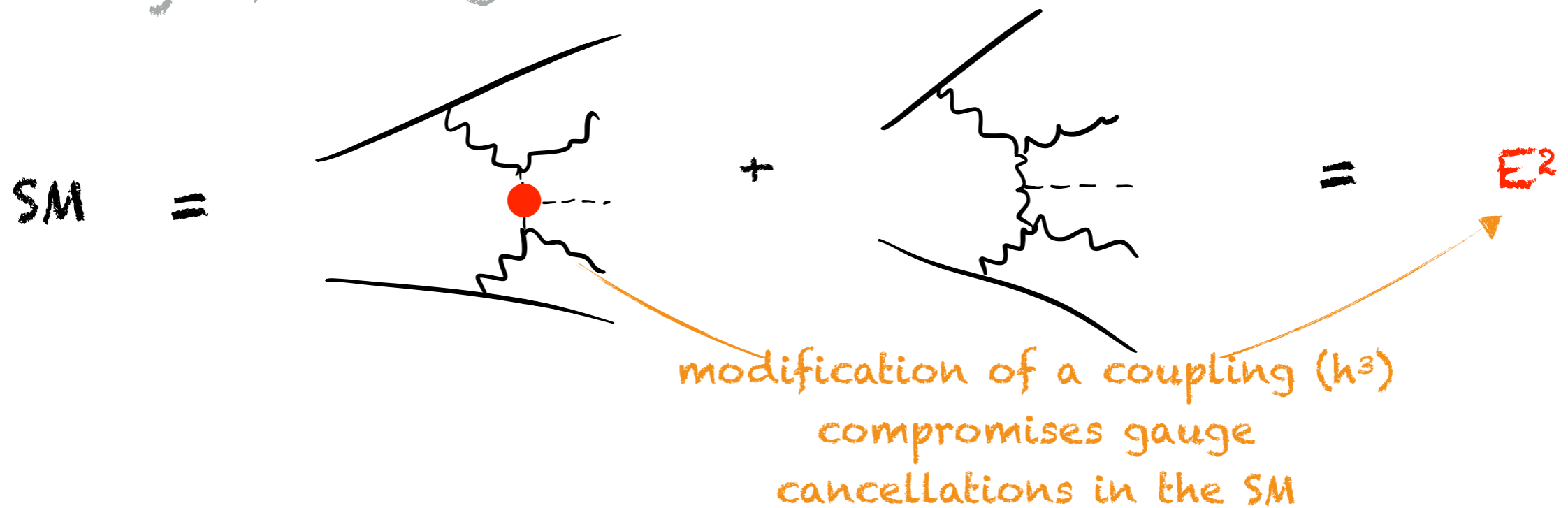
The diagram shows an equation: SM = [Diagram 1] + [Diagram 2] = finite. Diagram 1 is a tree-level process with two external fermion lines and a wavy boson line. Diagram 2 is a tree-level process with two external fermion lines and a wavy boson line, with a dashed line representing a Higgs boson exchange between the fermion lines.

Higgs Couplings... without a Higgs

Henning, Lombardo, Riembau, FR'18

Any modifications of Higgs couplings induces E^2 growth in some process with longitudinal W,Z bosons!

One way of seeing this:

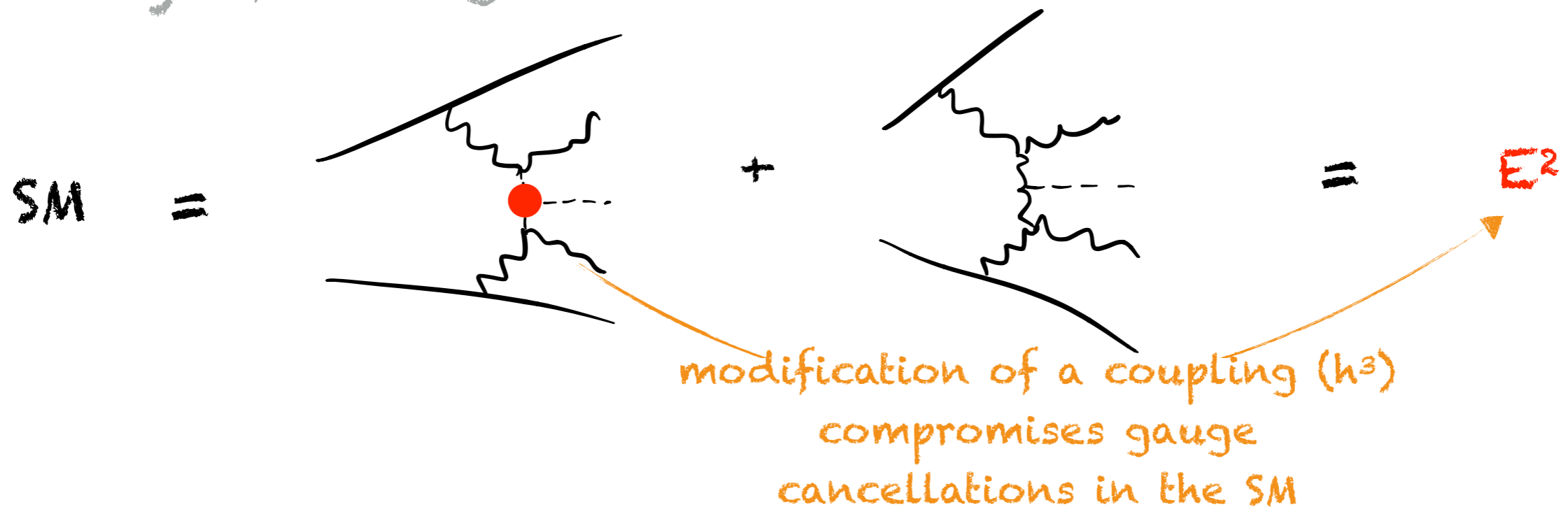


Higgs Couplings... without a Higgs

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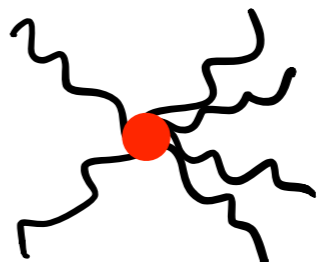


Another way:

$$h^3 \in \frac{|H|^6}{\Lambda^2}$$

$|H|^2 = \frac{1}{2} (v^2 + 2hv + h^2 + 2\phi^+\phi^- + (\phi^0)^2)$

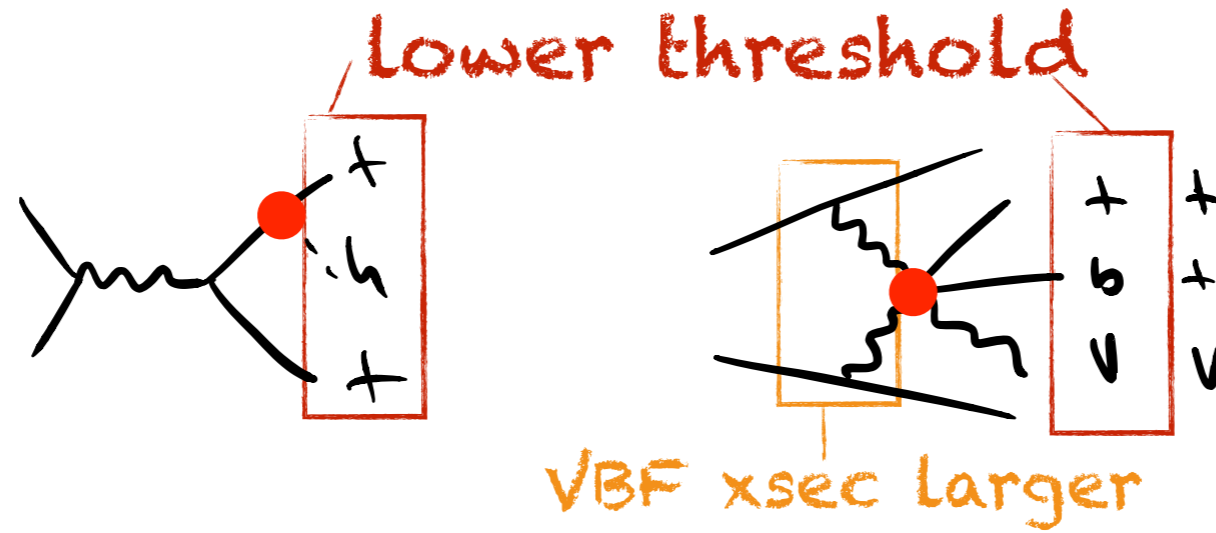
Golstones = W_L, Z_L

 $\sim \frac{E^2}{\Lambda^2}$

Higgs Couplings... without a Higgs

Henning, Lombardo, Riembau, FR'18

$E^2 h$

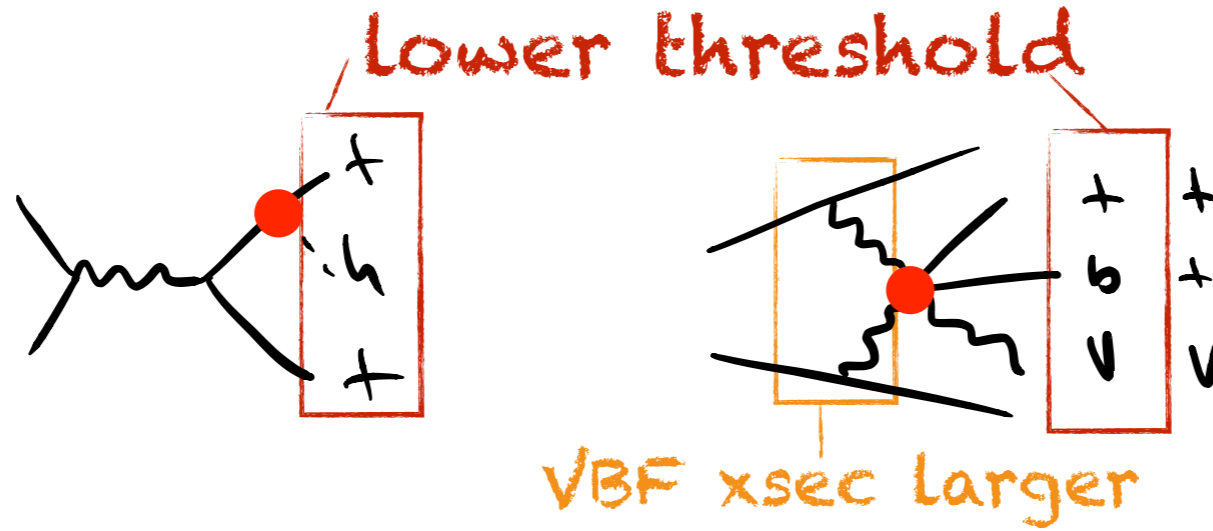


$\sim E^2$
signal enhanced

Higgs Couplings... without a Higgs

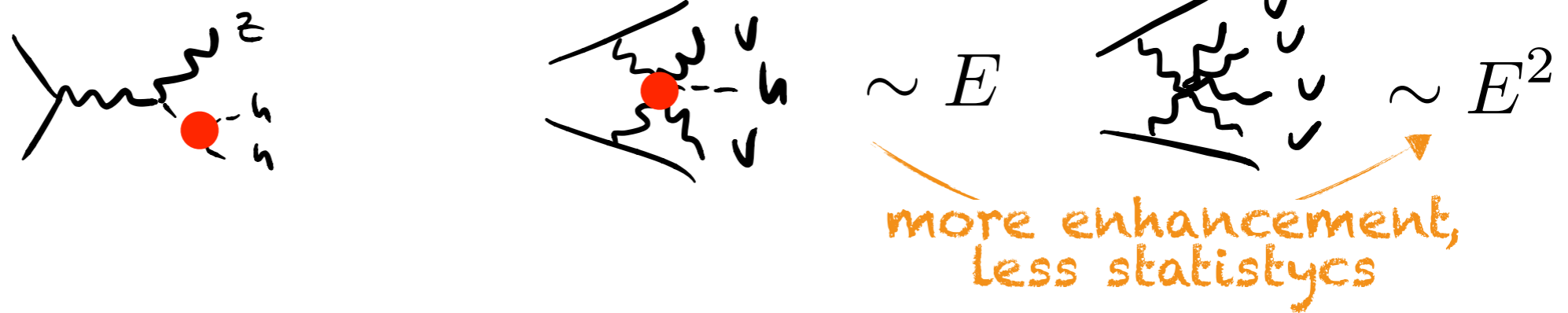
Henning, Lombardo, Riembau, FR'18

$tt\bar{t}h$



$\sim E^2$
signal enhanced

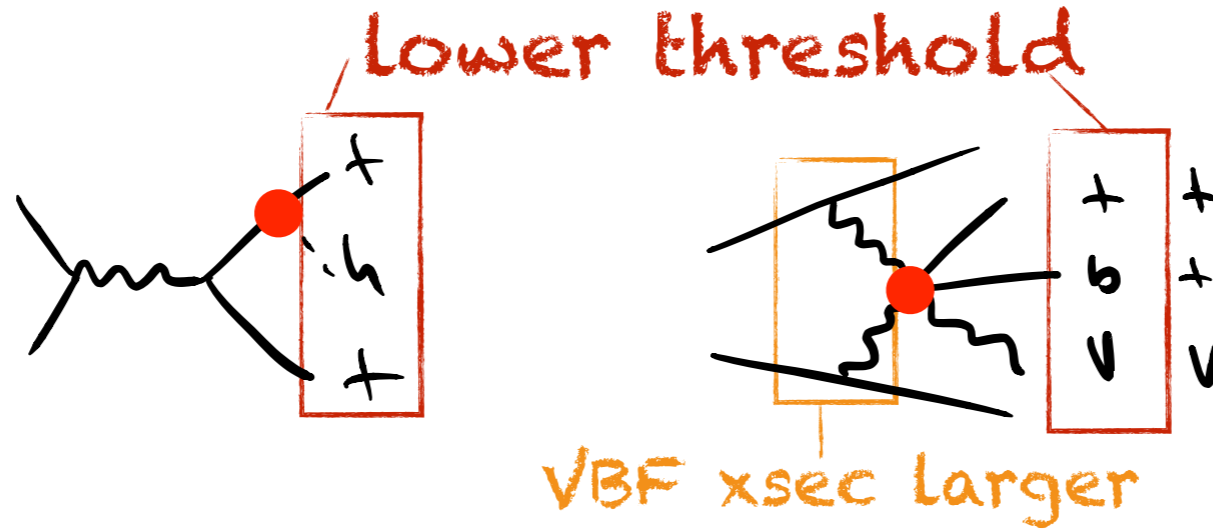
W^3



Higgs Couplings... without a Higgs

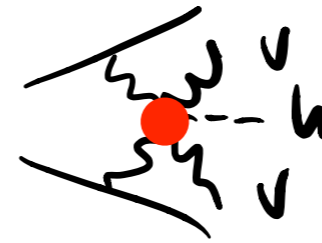
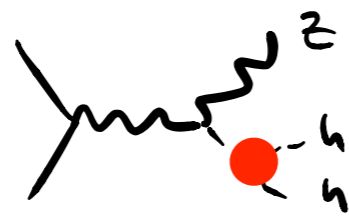
Henning, Lombardo, Riembau, FR'18

$tt\bar{t}h$



$\sim E^2$
signal enhanced

W^3



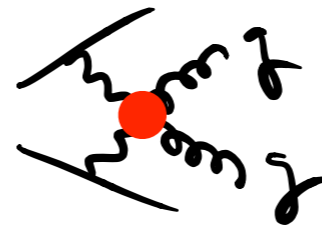
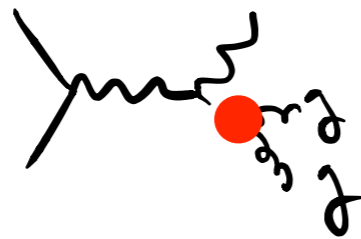
$\sim E$



$\sim E^2$

more enhancement,
less statistics

gg

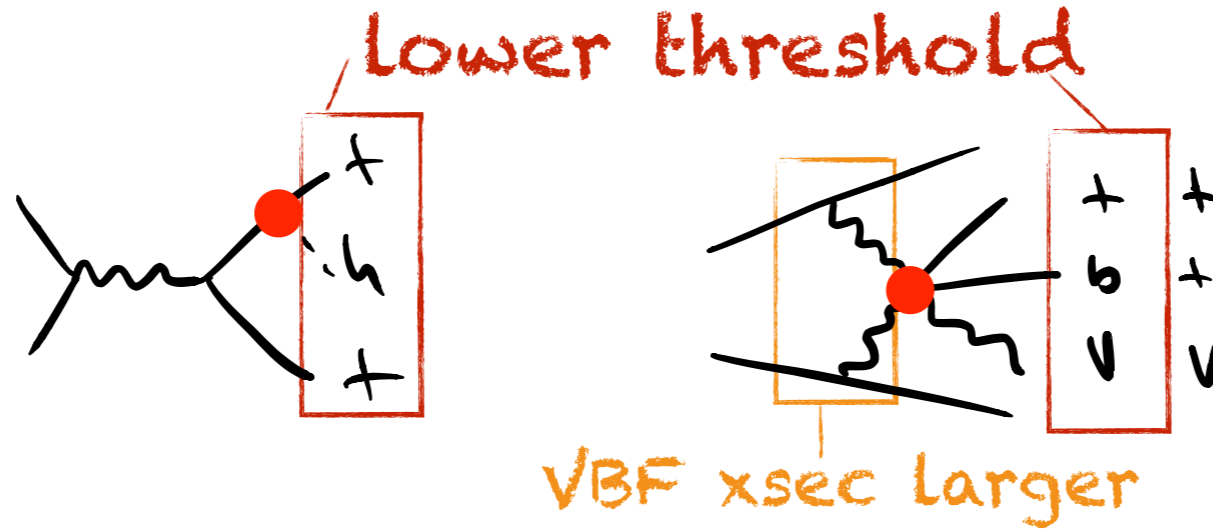


$\sim E^2$

Higgs Couplings... without a Higgs

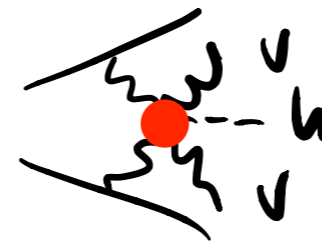
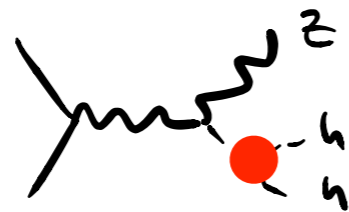
Henning, Lombardo, Riembau, FR'18

$tt\bar{t}h$



$\sim E^2$
signal enhanced

$h\tau\tau$



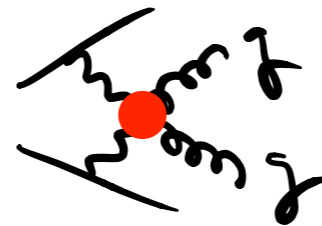
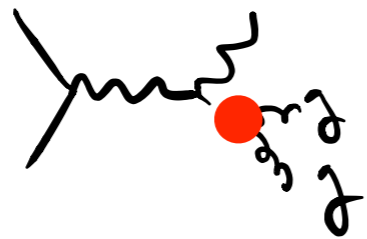
$\sim E$



$\sim E^2$

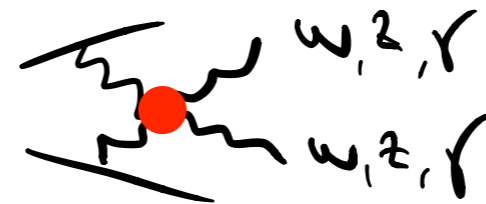
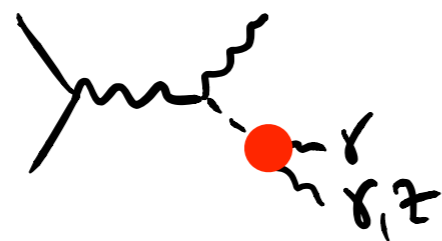
more enhancement,
less statistics

hgg



$\sim E^2$

$h\gamma\gamma, hZ\gamma$
 hZZ, hWW

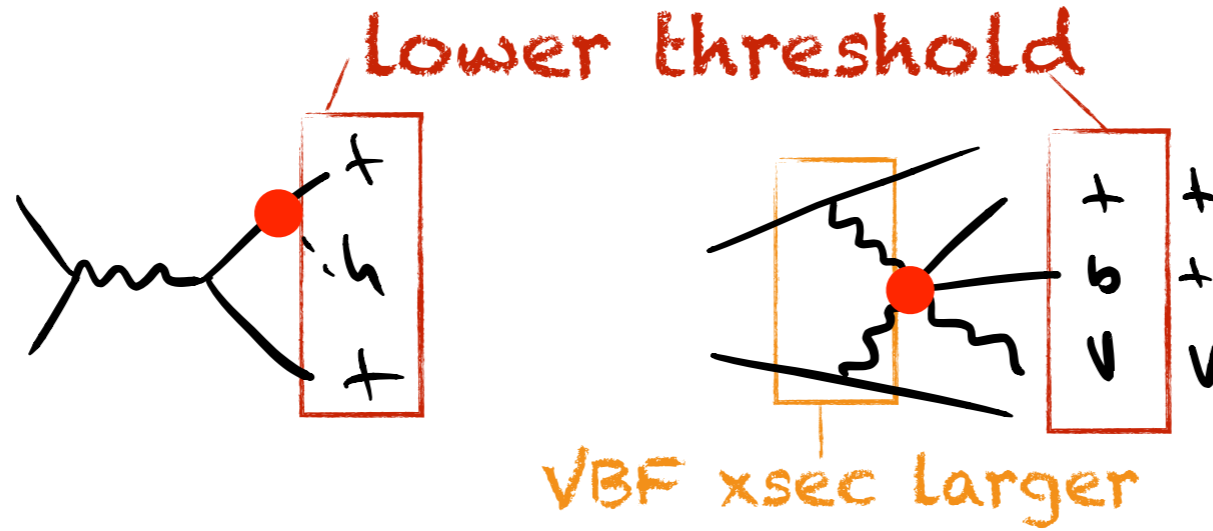


$\sim E^2$

Higgs Couplings... without a Higgs

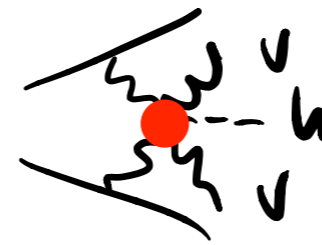
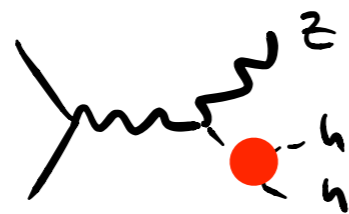
Henning, Lombardo, Riembau, FR'18

$tt\bar{t}h$



$\sim E^2$
signal enhanced

$h\tau\tau$



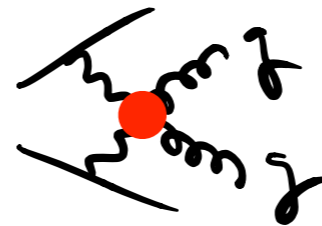
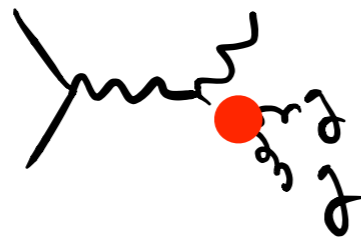
$\sim E$



$\sim E^2$

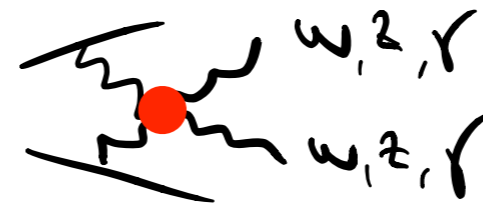
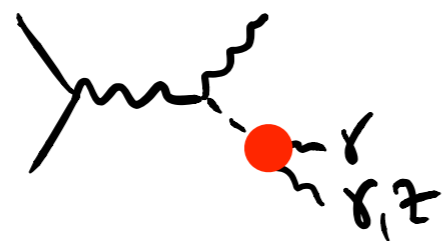
more enhancement,
less statistics

hgg



$\sim E^2$

$h\gamma\gamma, hZ\gamma$
 hZZ, hWW



$\sim E^2$

for CLIC: work in progress...

3) Direct Searches

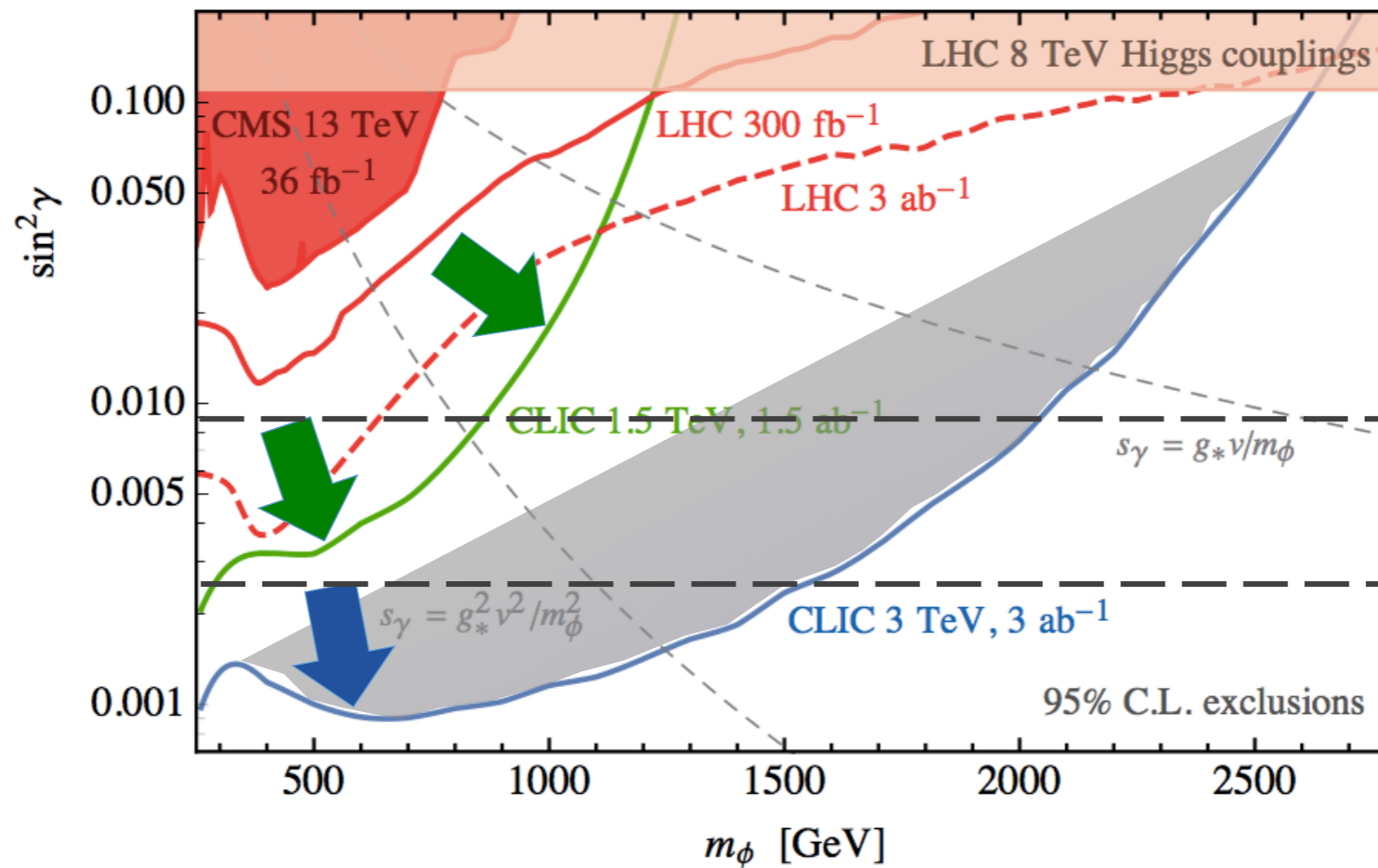
Advantage of high-energy CLIC:
direct access to heavy resonances

Heavy Scalar Singlets

Heavy neutral spin-0 appear in many BSM scenario

ϕ - h mix:

$\phi = S \cos \gamma - h_0 \sin \gamma$, \rightarrow inherit Higgs couplings \rightarrow Direct Searches
 $h = h_0 \cos \gamma + S \sin \gamma$, \rightarrow reduce Higgs couplings \rightarrow Indirect Searches



Heavy Scalar Singlets

Heavy neutral spin-0 appear in many BSM scenario

ϕ - h mix:

$\phi = S \cos \gamma - h_0 \sin \gamma$, \rightarrow inherit Higgs couplings \rightarrow Direct Searches
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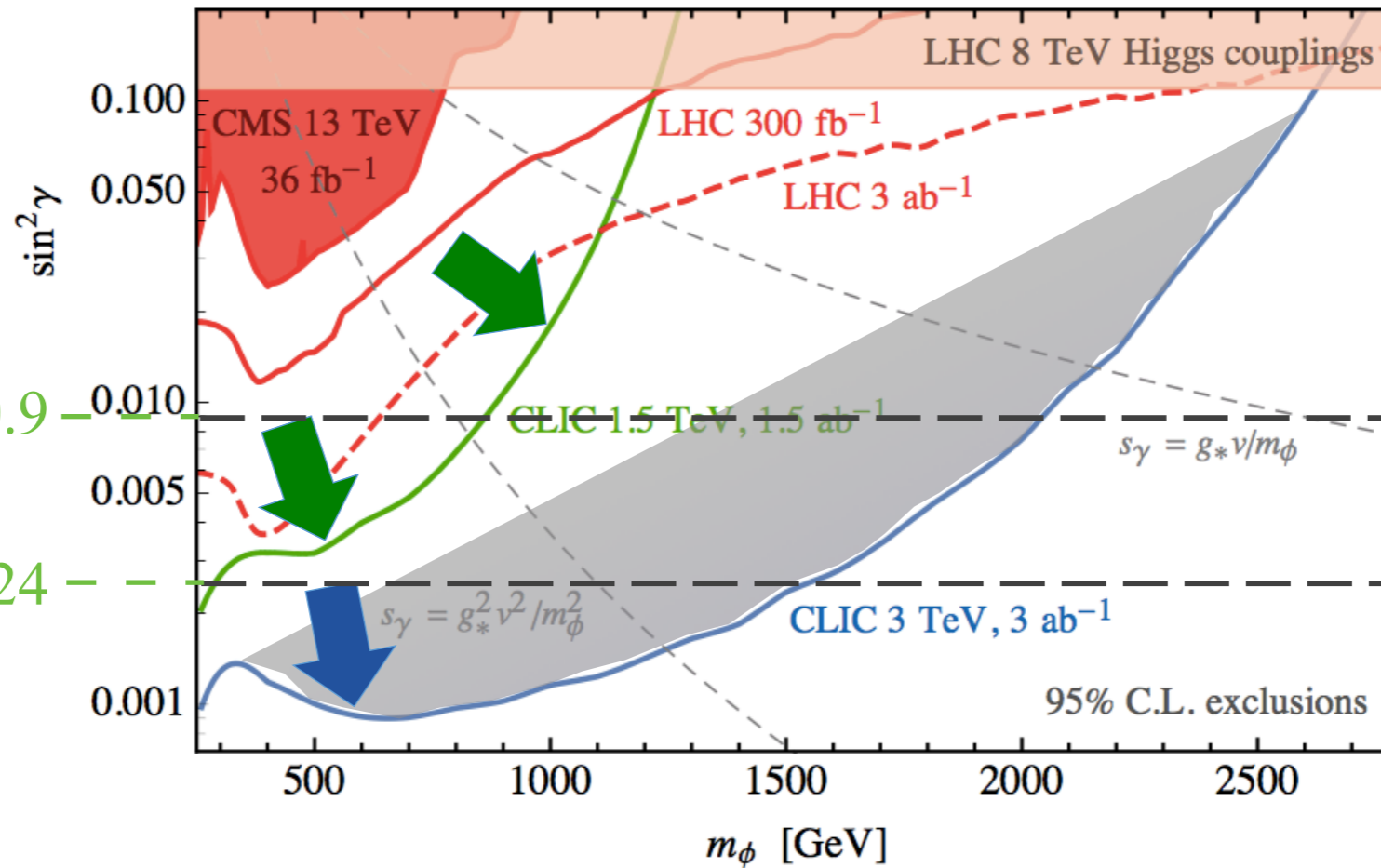
Indirect Searches

CLIC (380)

CLIC (3000)

0.9

0.024



Heavy Scalar Singlets

Heavy neutral spin-0 appear in many BSM scenario

ϕ - h mix:

$\phi = S \cos \gamma - h_0 \sin \gamma$, \rightarrow inherit Higgs couplings \rightarrow Direct Searches

$h = h_0 \cos \gamma + S \sin \gamma$, \rightarrow reduce Higgs couplings \rightarrow Indirect Searches

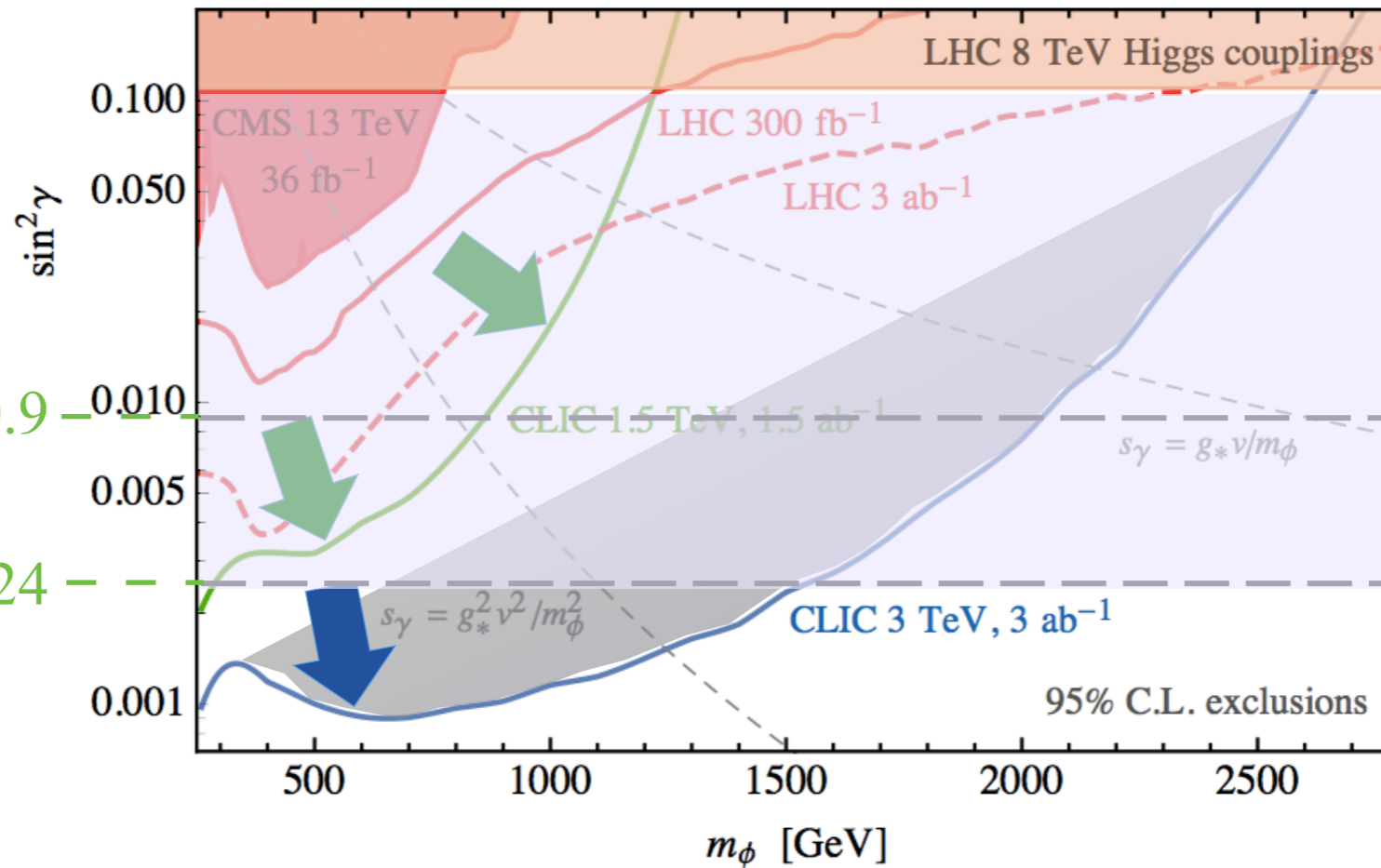
Indirect Searches

CLIC (380)

CLIC (3000)

0.9

0.024



Conclusion

► High-Energy linear colliders \approx Ultimate **precision** machines

► Precision tests: Indirect reach to even higher scales (\rightarrow EFT, dim-6)

1% @ 3 TeV \longrightarrow $M \gtrsim 30$ TeV (for **weakly** coupled BSM)
 $M \gtrsim 300$ TeV (for **strongly** coupled BSM)

\downarrow
Equivalent to $O(10^{-5})$ on Z-pole

Higgs-Only Operators		
$\mathcal{O}_H = \frac{1}{2}(\partial^\mu H ^2)^2$	$\mathcal{O}_6 = \lambda H ^6$	
$\mathcal{O}_{y_u} = y_u H ^2 \bar{Q} \tilde{H} u$	$\mathcal{O}_{y_d} = y_d H ^2 \bar{Q} H d$	$\mathcal{O}_{y_e} = y_e H ^2 \bar{L} H e$
$\mathcal{O}_{BB} = g'^2 H ^2 B_{\mu\nu} B^{\mu\nu}$	$\mathcal{O}_{GG} = g_s^2 H ^2 G_{\mu\nu}^A G^{A\mu\nu}$	$\mathcal{O}_{WW} = g^2 H ^2 W_{\mu\nu}^I W^{I\mu\nu}$
Universal Operators		
$\mathcal{O}_T = \frac{1}{2}(H^\dagger \overleftrightarrow{D}_\mu H)^2$	$\mathcal{O}_{HD} = (H^\dagger D^\mu H)^* (H^\dagger D_\mu H)$	
$\mathcal{O}_W = \frac{ig}{2}(H^\dagger \sigma^a \overleftrightarrow{D}^\mu H) D^\nu W_{\mu\nu}^a$	$\mathcal{O}_B = \frac{ig'}{2}(H^\dagger \overleftrightarrow{D}^\mu H) \partial^\nu B_{\mu\nu}$	$\mathcal{O}_{WB} = gg'(H^\dagger \sigma^I H) W_{\mu\nu}^I B^{\mu\nu}$
$\mathcal{O}_{HW} = ig(D^\mu H)^\dagger \sigma^a (D^\nu H) W_{\mu\nu}^a$	$\mathcal{O}_{HB} = ig'(D^\mu H)^\dagger (D^\nu H) B_{\mu\nu}$	
$\mathcal{O}_{3W} = \frac{1}{3!} g \epsilon_{abc} W_\mu^{a\nu} W_{\nu\rho}^b W^{c\rho\mu}$	$\mathcal{O}_{2B} = \frac{1}{2} (\partial_\rho B_{\mu\nu})^2$	$\mathcal{O}_{2W} = \frac{1}{2} (D_\rho W_{\mu\nu}^a)^2$
and $\mathcal{O}_H, \mathcal{O}_6, \mathcal{O}_{BB}, \mathcal{O}_{WW}, \mathcal{O}_{GG}, \mathcal{O}_y = \sum_\psi \mathcal{O}_{y_\psi}$		
Non-Universal Operators that modify Z/W couplings to fermions		
$\mathcal{O}_{HL} = (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{L}\gamma^\mu L)$	$\mathcal{O}_{HL}^{(3)} = (iH^\dagger \sigma^a \overleftrightarrow{D}_\mu H)(\bar{L}\sigma^a \gamma^\mu L)$	$\mathcal{O}_{He} = (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{e}\gamma^\mu e)$
$\mathcal{O}_{HQ} = (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{Q}\gamma^\mu Q)$	$\mathcal{O}_{HQ}^{(3)} = (iH^\dagger \sigma^a \overleftrightarrow{D}_\mu H)(\bar{Q}\sigma^a \gamma^\mu Q)$	
$\mathcal{O}_{Hu} = (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{u}\gamma^\mu u)$	$\mathcal{O}_{Hd} = (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{d}\gamma^\mu d)$	
CP-odd operators		
$\mathcal{O}_{H\widetilde{W}} = (H^\dagger H)\widetilde{W}_{\mu\nu}^I W^{I\mu\nu}$	$\mathcal{O}_{H\widetilde{B}} = (H^\dagger H)\widetilde{B}_{\mu\nu} B^{\mu\nu}$	$\mathcal{O}_{\widetilde{W}B} = (H^\dagger \sigma^I H)\widetilde{W}_{\mu\nu}^I B^{\mu\nu}$
	$\mathcal{O}_{3\widetilde{W}} = \frac{1}{3!} g \epsilon_{abc} W_\mu^{a\nu} W_{\nu\rho}^b \widetilde{W}^{c\rho\mu}$	