

Discrimination of Dark Matter Velocity Distribution by Directional Detection



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based on arXiv:1707.05523 KN, T. Ikeda<sup>A</sup>, R. Yakabe<sup>A</sup>, T. Naka<sup>B</sup> and K. Miuchi<sup>A</sup> <sup>A</sup> Kobe Univ., <sup>B</sup> Nagoya Univ.

# **INTRODUCTION**

## >> Velocity distribution of dark matter

In direct detection experiment of dark matter, velocity distribution f(v) need to be supposed to convert event rate R in the experiment to constraints for dark matter mass  $m\chi$  and cross section  $\sigma$ 

$$\frac{dR}{dE_R} = \frac{N_T \rho_0}{m_{\chi}} \int^{v_{\text{max}}} d\vec{v} f(\vec{v}) |\vec{v}| \frac{d\sigma(\vec{v})}{dE_R}$$

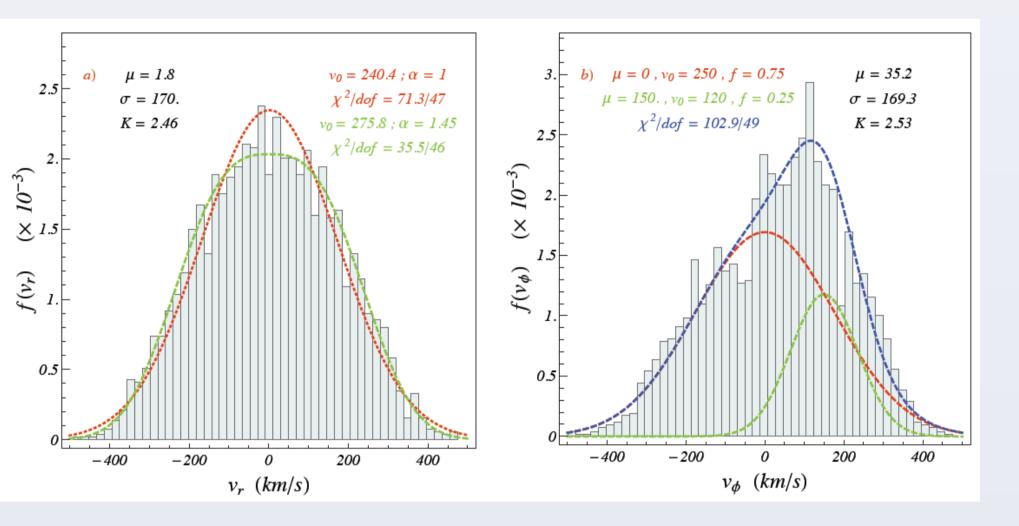
Isotropic Maxwell-Boltzmann distribution is commonly adopted as the velocity distribution f(v), however, some observations and simulations have pointed out that this approximation is too simplified. In this study, we focus on the possibility that the distribution is anisotropic, especially the following distribution [1],

# **CONCLUSIONS**

By Monte-Carlo simulation<sup>†</sup> of directional detection supposing isotropic and anisotropic velocity distribution, following conclusions<sup>\*</sup> are obtained.

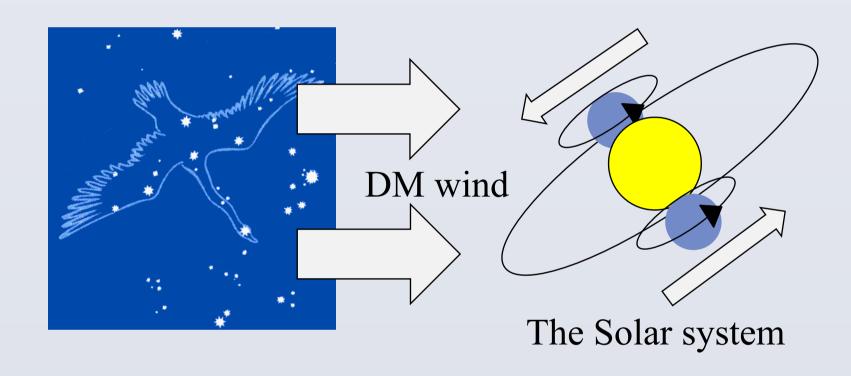
\***A. MONTE-CARLO SIMULATION of DIRECT DETECTION** for details. \***B. DATA ANALYSIS** for details.

 If we obtain dark matter mass from other experiment such as LHC, O(1000)-O(10000) events<sup>[2]</sup> are required to discriminate anisotropic distribution from isotropic Maxwell-Boltzmann distribution. If anisotropic distribution is realized, isotropic case can be excluded at 90% confidence level by chisquared test with the number of events.

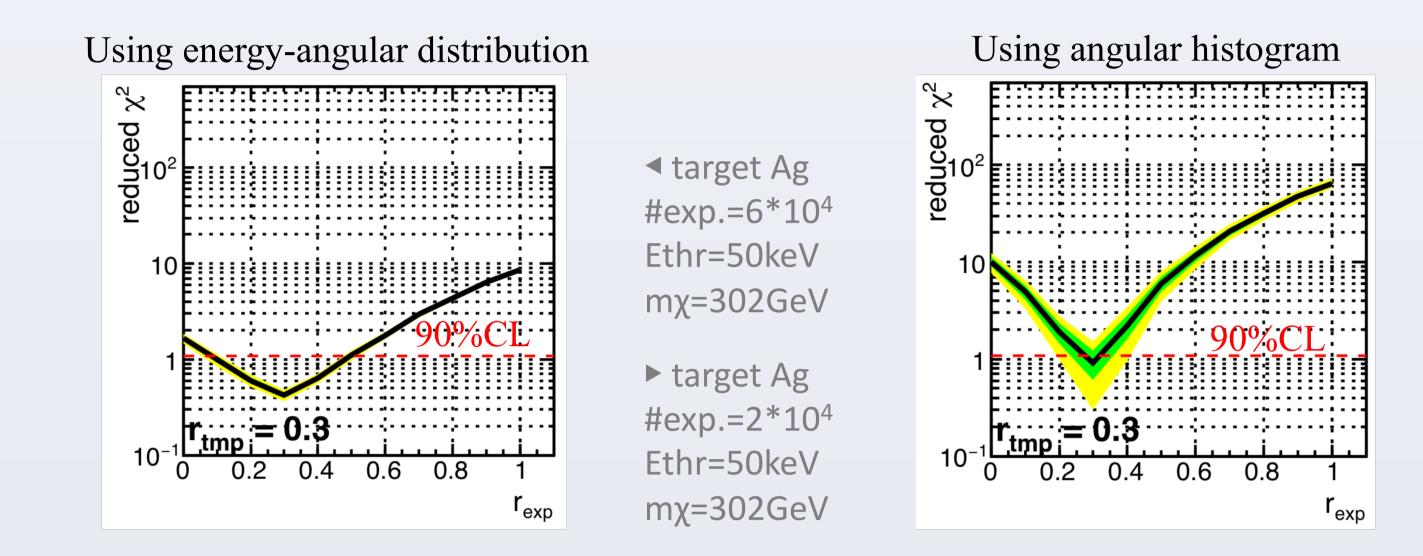


where  $v_r$  and  $v_{\phi}$  represent radial and tangential velocities in the Galactic frame, respectively. The distribution is obtained by N-body simulation of dark matter with baryons and gasses and the tangential velocity suggests that the dark matter follows the motion of the baryons and gasses around the Galactic center. Afterwards, this distribution model is referred as **"anisotropic distribution" with anisotropic parameter r=0.25 or 0.3** in the study.

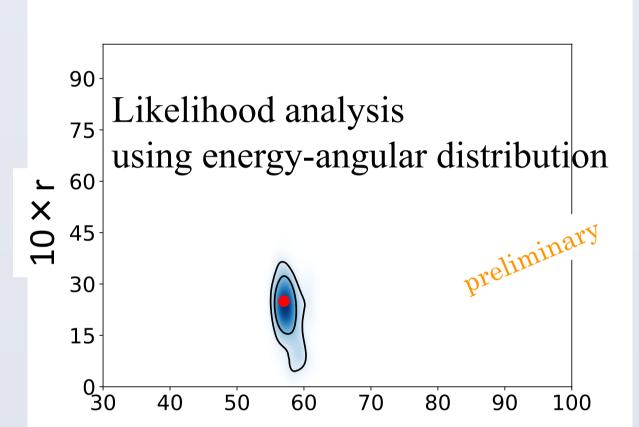
## >> Directional detection for dark matter search



Taking into account the Sun's
movement around the Galactic center,
the Solar system receives dark matter
wind from direction of the Cygnus.
In directional detection of dark
matter, direction of coming dark
matter from the Universe can be
detected as well as the recoil energy
of nuclear recoil, and most of the



2. Even if the dark matter mass is not knows, constraints for both mass and anisotropy can be obtained with energy-angular distribution. Note that



mχ

ambiguity of the constraint increases in case only one of the data, i.e., only ER or only  $\cos\theta$ , is used for the discrimination<sup>[3]</sup>.

▲ target F
Ethr=50keV
#event: 1000
mχ=57GeV
anisotropy r = 0.25

signal is presumed to come from the direction of Cygnus. In order to discriminate the anisotropy of velocity distribution, the directional detection is considered as most hopeful experiment.

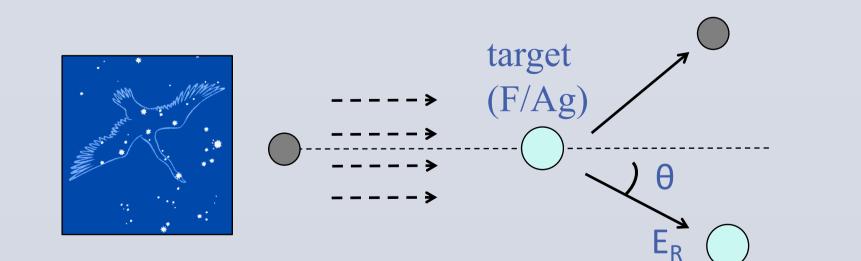
# <sup>+</sup>A. MONTE-CARLO SIMULATION of DIRECT DETECTION

# >>Target of scattering

In directional detection, currently  $CF_4$ ,  $CS_2$ ,  $CHF_3$  are typical target of gas detector (DRIFT, DM-TPC, MIMAC, NEWAGE, D<sup>3</sup>, ...) and Ag, Br, C, N, O are target of solid detector (NEWSdm). In this study we suppose **two typical target atoms fluorine (F) and silver (Ag)**.

# >>Monte-Carlo simulation

Supposing isotropic and anisotropic velocity distribution f(v), we generate scattering events by Monte-Carlo simulation. As a result, **the recoil energy**  $E_R$  and scattering angle  $\theta$  are obtained. For simplicity, elastic scattering and zero back ground are assumed. Also the energy threshold of detectors are optimized for the discrimination.



# **B. DATA ANALYSIS**

## >>Strategy for the discrimination

Two data sets are generated by Monte-Carlo simulation supposing anisotropy parameter r and dark matter mass m<sub>\chi</sub>.

(1) ideal template data with O(10<sup>6</sup>-10<sup>8</sup>) events
(2) pseudo-experimental data with O(10<sup>3</sup>-10<sup>4</sup>) events

Comparing (1) and (2) by chi-squared test and/or likelihood analysis, conditions for the discrimination can be obtained.

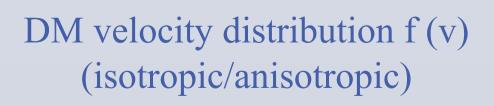
# fund for the second sec

r = 0.3

## >>Comparing three types of distribution

Likelihood analysis using recoil energy histogram

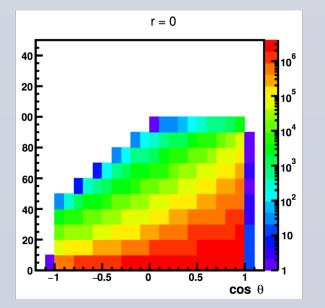
## Likelihood analysis using angular histogram 90 75 75 × 60 61 45



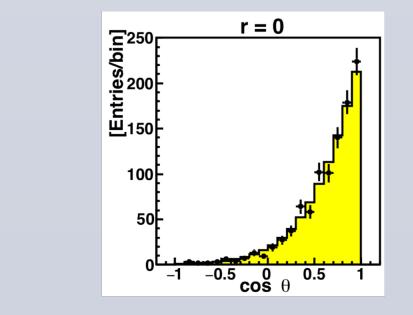
## >>Data plot

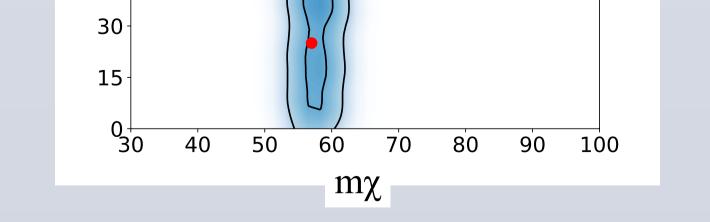
Depending on energy and angular resolution of the detector, two kinds of distribution can be analyzed.

## Energy-angular distribution



### Angular histogram

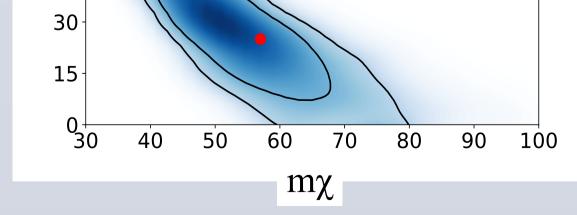




60·

X

10



# **References**

[1] Ling, Nezri, Athanassoula and Teyssier, JCAP 1002:012,2010
[2] See also astro-ph/0408047, arXiv:0704.2909, arXiv:0911.4086 arXiv:1012.3960 arXiv:1202.5035 for gas detector case.
[3] Consistent with previous study by Samuel K. Lee, Annika H. G. Peter, JCAP04(2012)029.

# **CONTACT**

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