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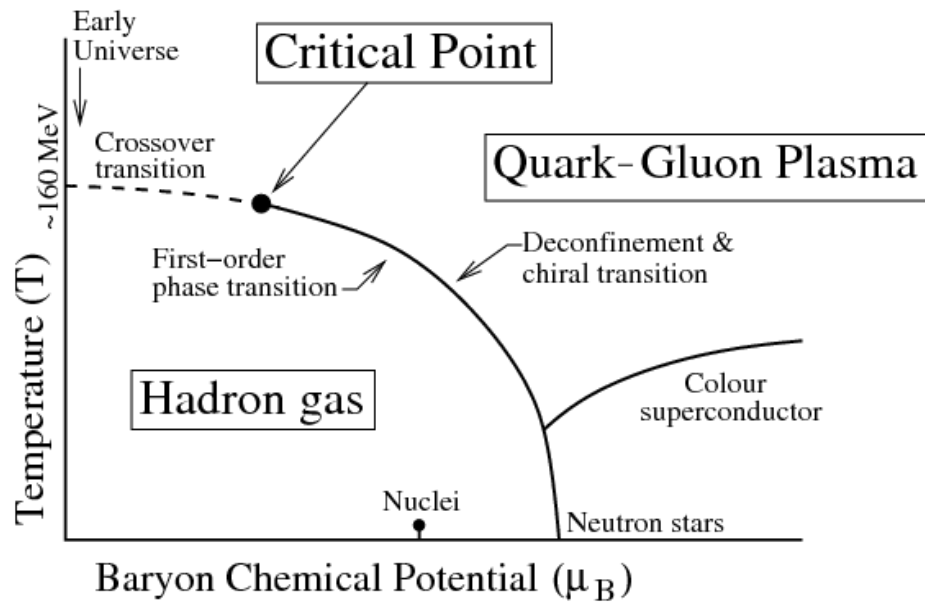
# Heavy Flavor jets in ALICE

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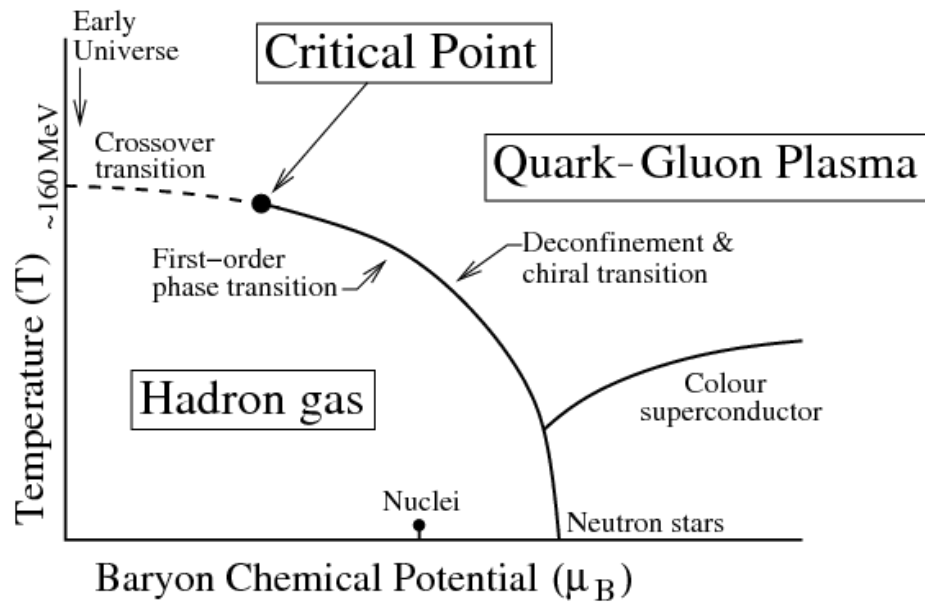
Artem Isakov for the ALICE collaboration

NPI CAS

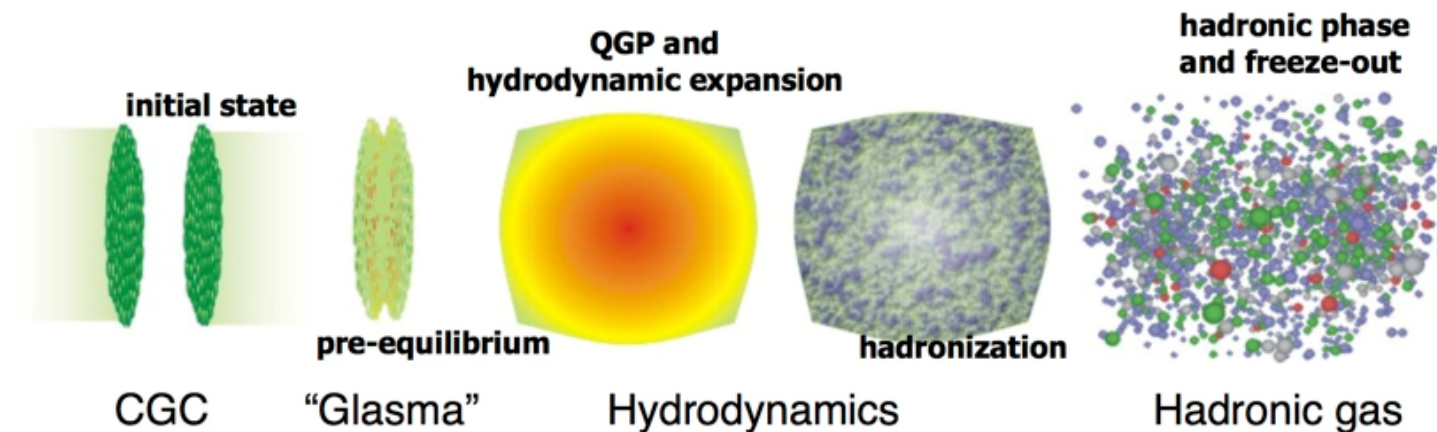
# Introduction

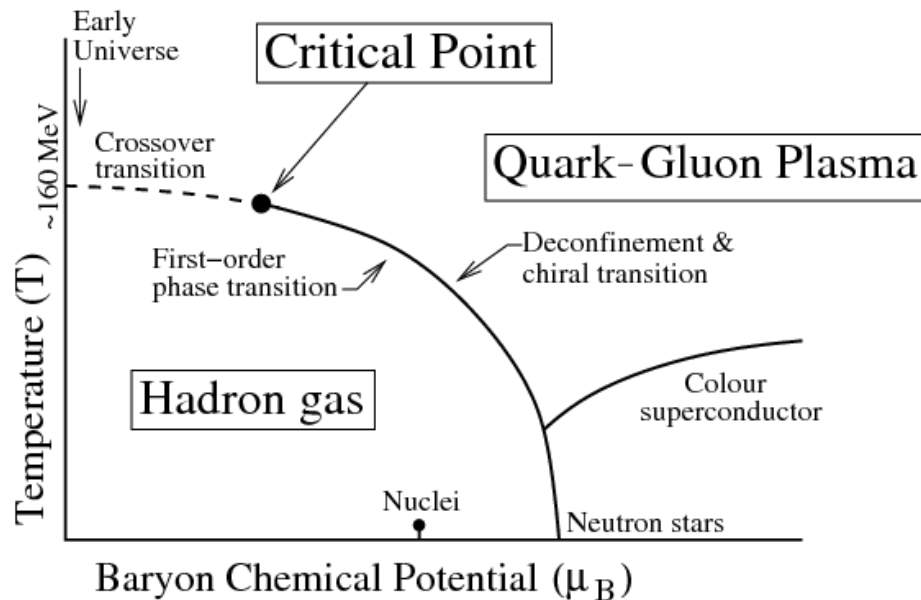


# Introduction



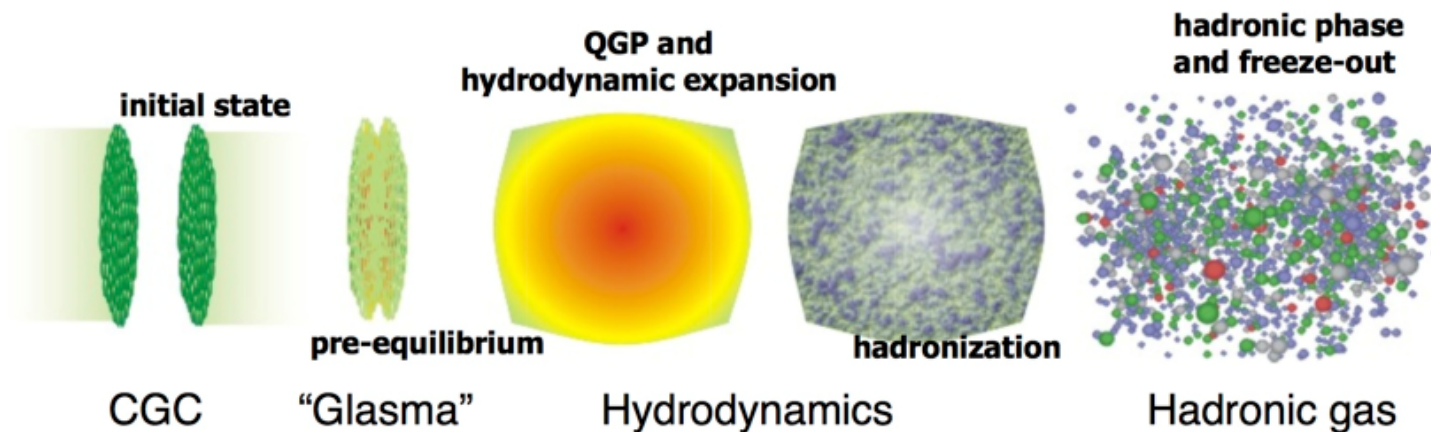
Quark Gluon Plasma (QGP) is created in heavy-ion collisions



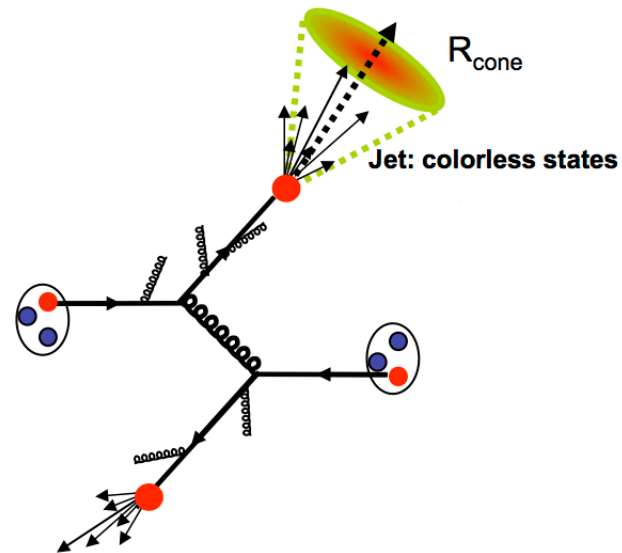


- ## Signatures of QGP:
- **Collective flow:**  
QGP acts like nearly-perfect liquid
  - **Jet quenching:**  
QGP slows penetrating patrons
  - .....

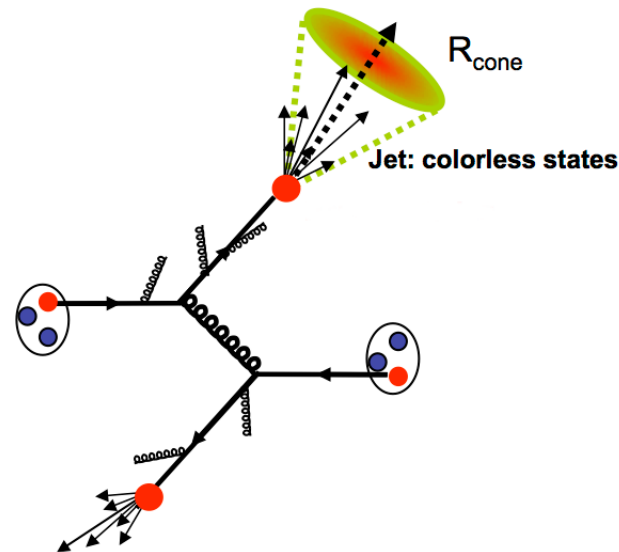
Quark Gluon Plasma (QGP) is created in heavy-ion collisions



**Jet** – a collimated spray of hadrons, created during hadronization of quark or gluon after hard scattering, defined via algorithm



**Jet** – a collimated spray of hadrons, created during hadronization of quark or gluon after hard scattering, defined via algorithm



Features of heavy-flavor quarks:

- **Large mass** → it can be created only in initial hard scatterings. Its production rate can be calculated from pQCD
- **Long lifetime** → it survives through the whole evolution of QGP
- **Smaller energy loss** by radiative process for quarks with higher mass (Dead-cone effect\*)

$$\Delta E_g^{\text{rad}} > \Delta E_{u,s,d}^{\text{rad}} > \Delta E_c^{\text{rad}} > \Delta E_b^{\text{rad}}$$

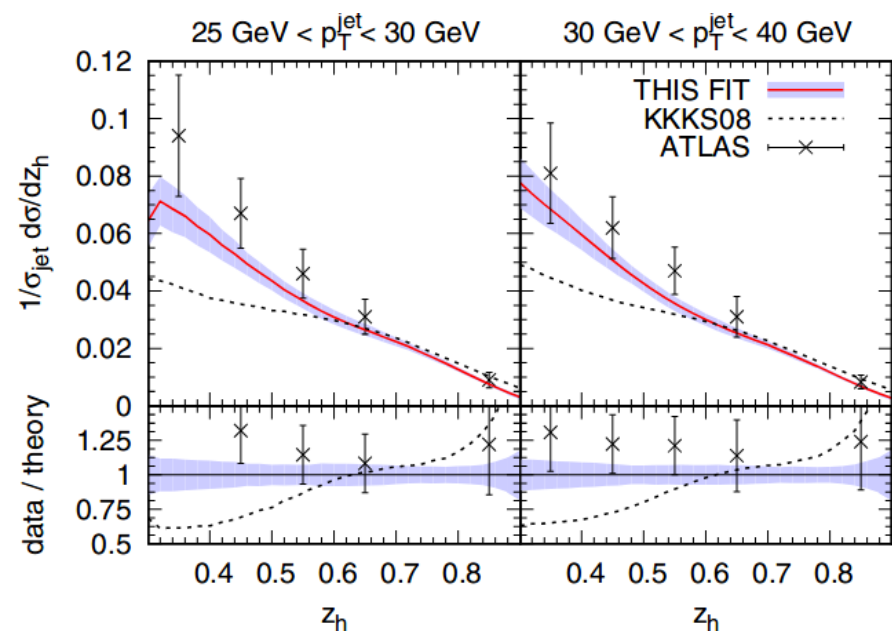
[\*] Yu.L. Dokshitzer, D.E. Kharzeev - "Heavy Quark Colorimetry of QCD Matter", arXiv:hep-ph/0106202]

# Fragmentation function

- **Fraction of the jet momentum** carried by the tagged meson along axis direction

$$z_{\parallel} = \frac{\vec{p}_{\text{jet}} \cdot \vec{p}_{\text{tagged}}}{\vec{p}_{\text{jet}} \cdot \vec{p}_{\text{jet}}}$$

- In **pp**, constrains models
- In **AA** collisions, enables to study medium-induced modification of collinear **fragmentation for HF quarks**



D.P. Anderle et al., D\*±-jets, pp, 7 TeV.  
[PRD 96 (2017) 034028]

# Nuclear modification factor



- **Nuclear modification factor** compares particle yield in HI and binary scaled pp collisions

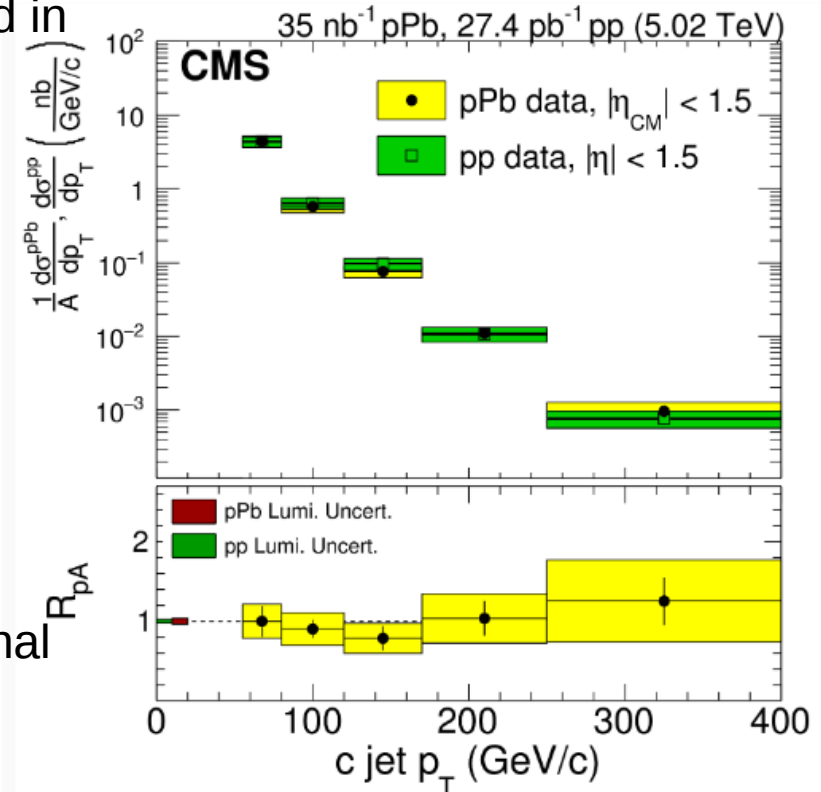
$$R_{AA} = \frac{d N_{AA} / d p_T}{\langle N_{coll} \rangle \cdot d N_{pp} / d p_T}$$

**In pA collision system:**

- If  $R_{pA} \neq 1 \rightarrow$  presence of CNM effects

**In AA collision system:**

- If  $R_{AA} < 1$  at intermediate-high  $p_T \rightarrow$  indication of final state effects (in medium energy loss)



CMS, Phys.Lett. B 772 (2017) 306–329er

ALICE is focused on **low- $p_T$**  sector



# ALICE experiment



## EMCal

- Triggering and reconstruction of high- $p_T$  jets
- Measurements of high- $p_T$   $e^\pm$  and  $\gamma$

## Time Projection Chamber

- Track reconstruction
- Particle identification via  $dE/dx$

## Inner Tracking System

- Track reconstruction
- Primary and secondary vertex reconstruction

## V0

- Scintillator array for triggering
- Estimation of centrality

- Impact param. res.  $< 70 \mu\text{m}$  at  $1 \text{ GeV}/c$
- $|\eta_{\text{track}}| < 0.9$
- Full azimuth
- 0.5 T solenoid

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: Analysis overview

## 1) D<sup>0</sup> - meson selection

- **Hadronic decay** channel:

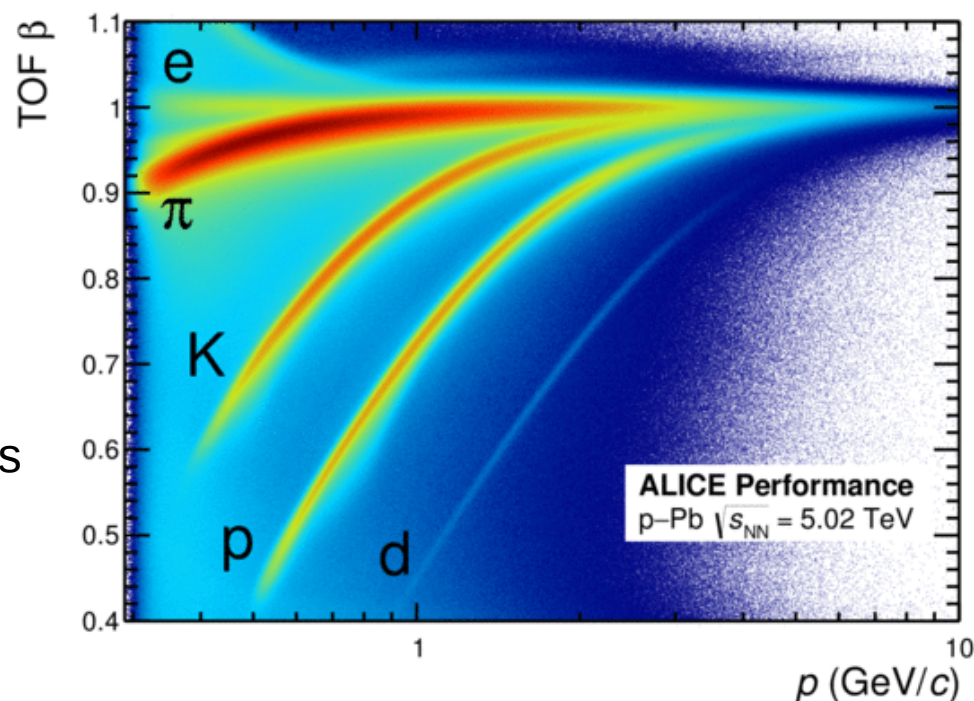
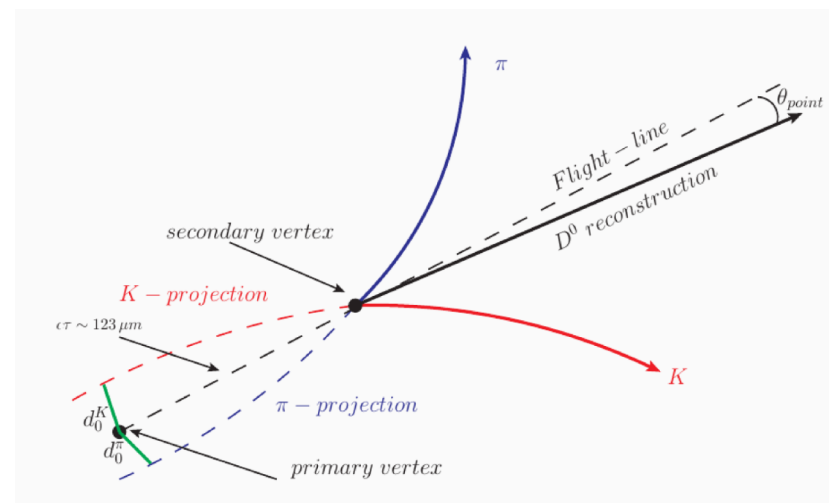
$$D^0 \rightarrow K^- \pi^+, \text{ BR} = 3.89\%$$

$$\overline{D}^0 \rightarrow K^+ \pi^-$$

- D<sup>0</sup> decay vertex is reconstructed from **a pair of tracks** with **opposite charge**

- $|\eta_{\text{track}}| < 0.8$
- $p_{T, \text{track}} > 0.3 \text{ GeV}/c$

- PID selection: TPC  $dE/dx$ , TOF
- Topological cuts
  - Sum of D<sup>0</sup> daughter momenta points to the PV
  - Geometrical selections



ALI-PERF-149520

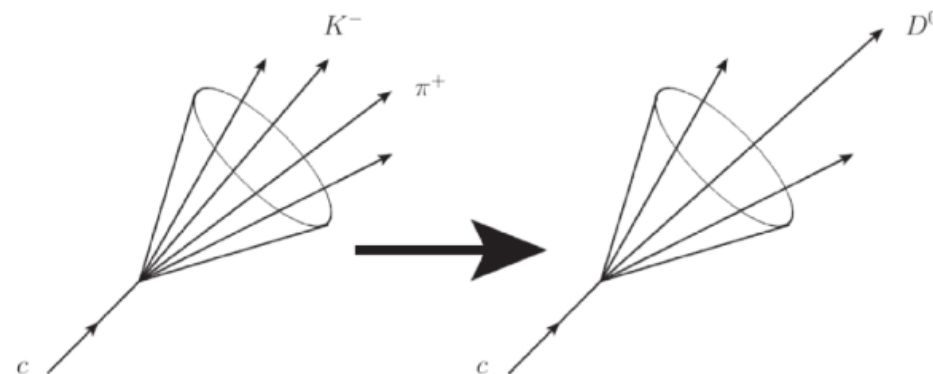
ALICE, to be published in JHEP

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: Analysis overview

## 1) D<sup>0</sup> - meson selection

## 2) Jet reconstruction and D<sup>0</sup>-meson tagging

- Before jet reconstruction  $\pi$  and K daughters are removed and replaced by the mother D<sup>0</sup>
- Charged tracks
- $|\eta| < 0.8$
- FASTJET Anti- $k_T$  jet finding algorithm with jet radius  $R = 0.4$
- $p_{T,\text{jet}}^{\text{ch}} > 5 \text{ GeV}/c$ ,  $p_{T,D} > 3 \text{ GeV}/c$
- Only one D<sup>0</sup> candidate per one jet



# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: Analysis overview

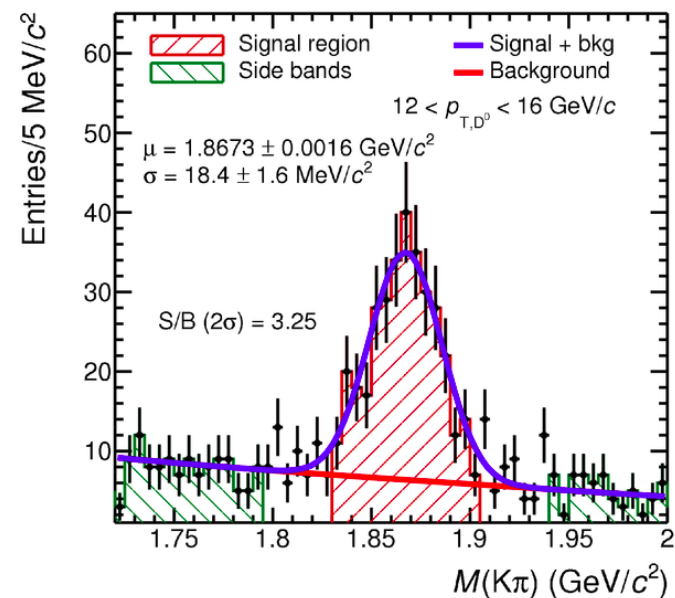
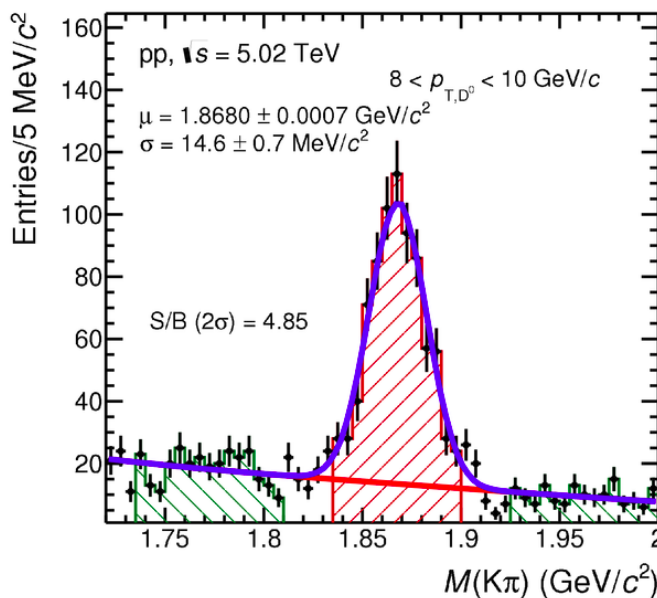
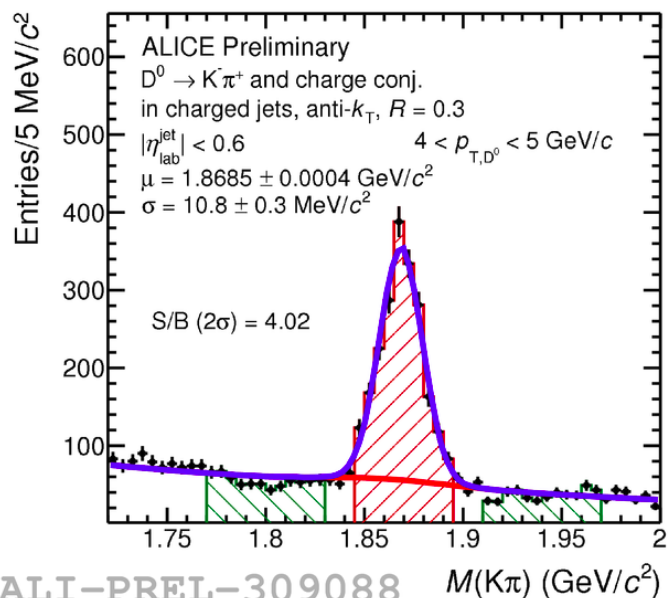


1) D<sup>0</sup> - meson selection

2) Jet reconstruction and D<sup>0</sup>-meson tagging

## 3) D<sup>0</sup>-meson tagged jet yield extraction

- For each D<sup>0</sup>  $p_T$  bin, K and  $\pi$  invariant mass spectrum was fitted with a sum of background, reflection template and signal shapes
- D<sup>0</sup>-jet candidates were corrected for background by means of side-band method



ALI-PREL-309088

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: Analysis overview

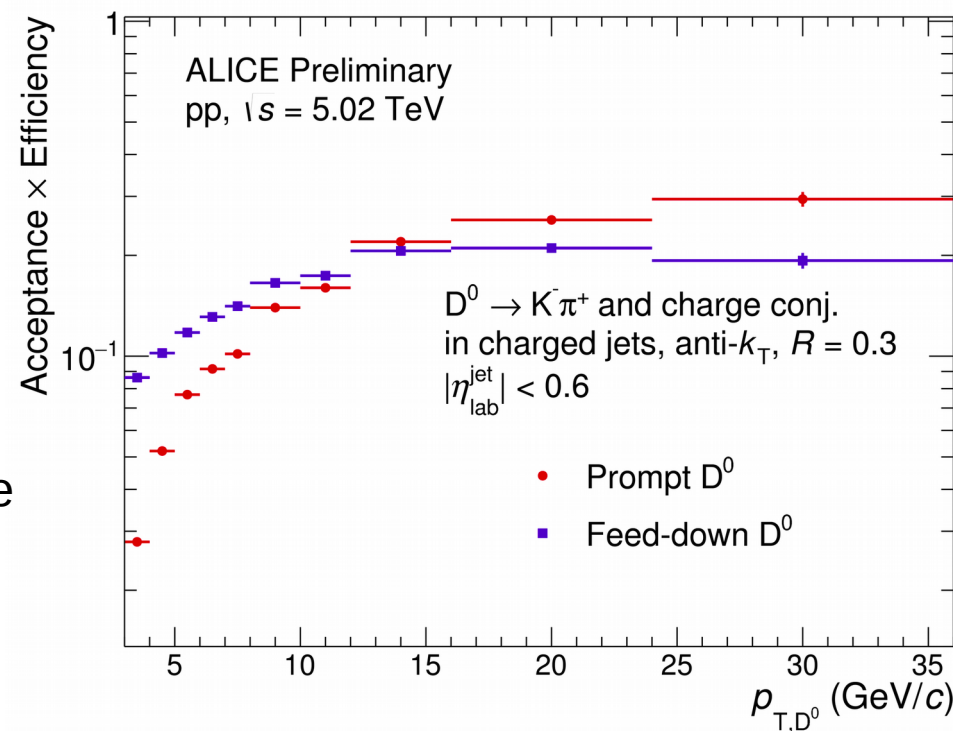


- 1) D<sup>0</sup> - meson selection
- 2) Jet reconstruction and D<sup>0</sup>-meson tagging
- 3) D<sup>0</sup>-meson tagged jet yield extraction

## 4) Corrections

- Efficiency of the track reconstruction and of the topological cuts (PYTHIA6 Perugia 2011)
- B Feed-down contribution (PYTHIA6 + POWHEG)
- Unfolded for detector effects
- Cross-section calculated with formula:

$$\frac{d^2 \sigma}{d p_{T,jet}^{ch} d \eta_{jet}} (p_{T,jet}^{ch}) = \frac{1}{\mathcal{L}} \frac{1}{BR} \frac{N(p_{T,jet}^{ch})}{\Delta \eta_{jet} \Delta p_{T,jet}^{ch}}$$



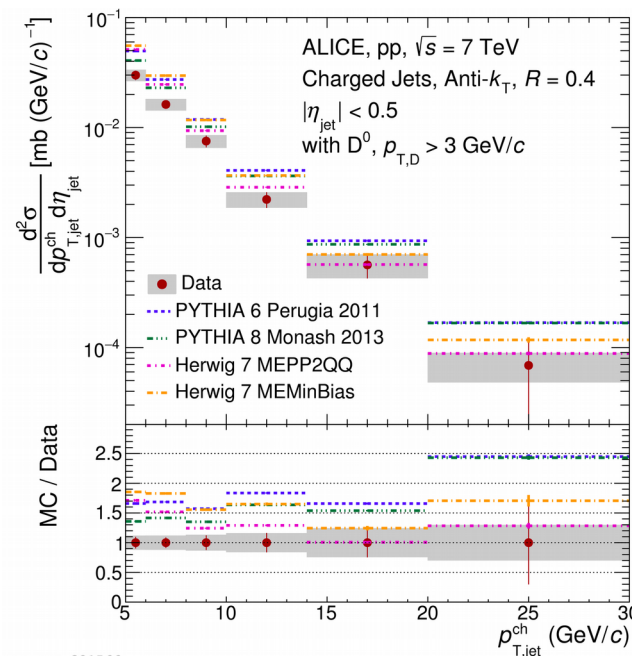
ALI-PREL-309103

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: Production cross-section

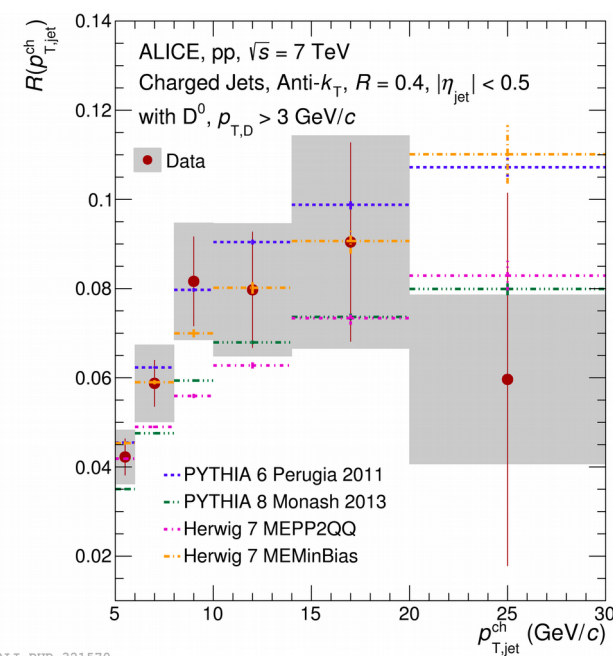


Fraction of D<sup>0</sup> jets in inclusive jets:

$$R(p_{T,\text{jet}}^{\text{ch}}) = \frac{N_{D^0 \text{ jet}}(p_{T,\text{jet}}^{\text{ch}})}{N_{\text{inclusive jet}}(p_{T,\text{jet}}^{\text{ch}})}$$



ALI-PUB-321566



ALI-PUB-321570

Comparison to models:

- **Cross-section:** Both versions of PYTHIA overestimate the yield by a factor  $\approx 1.5$
- **Ratio for D<sup>0</sup> and inclusive jets:** All models describe quite well the ratio of D<sup>0</sup>-meson tagged jets over the inclusive jet production

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: D<sup>0</sup>-jet cross section as a function of $z_{\parallel}^{\text{ch}}$



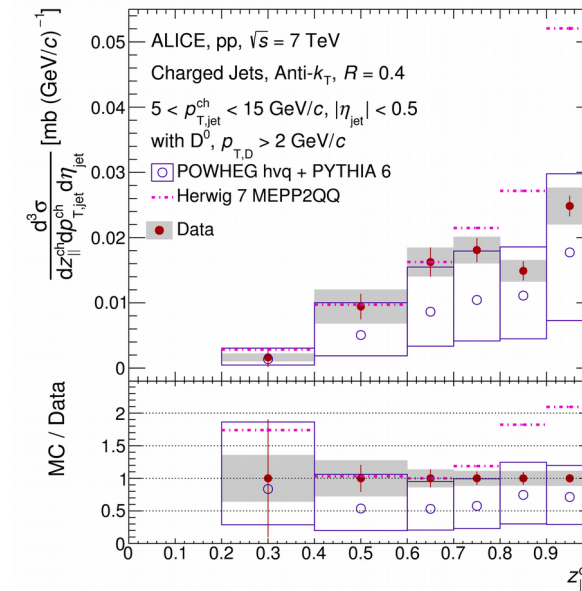
- Momentum fraction carried by the D<sup>0</sup> meson in the direction of the jet axis:

$$z_{\parallel}^{\text{ch}} = \frac{\vec{p}_{\text{ch jet}} \cdot \vec{p}_{\text{D}^0}}{\vec{p}_{\text{ch jet}} \cdot \vec{p}_{\text{ch jet}}}$$

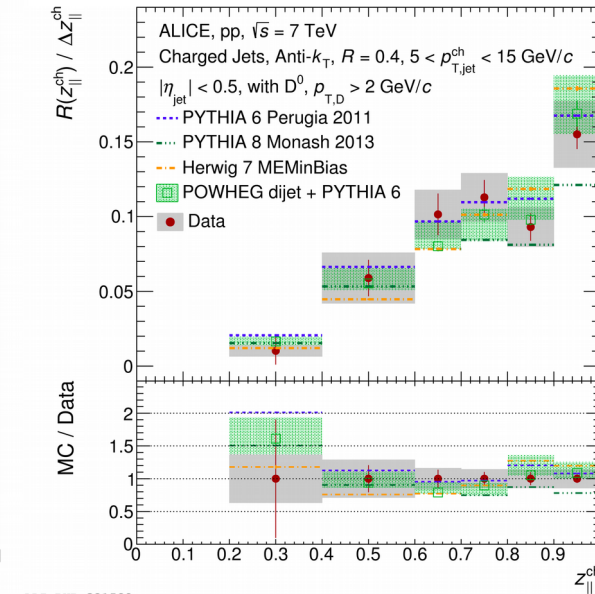
$$R(p_{\text{T,jet}}^{\text{ch}}, z_{\parallel}^{\text{ch}}) = \frac{N_{\text{D}^0 \text{ jet}}(p_{\text{T,jet}}^{\text{ch}}, z_{\parallel}^{\text{ch}})}{N_{\text{inclusive jet}}(p_{\text{T,jet}}^{\text{ch}})}$$

- $5 < p_{\text{T,jet}}^{\text{ch}} < 15 \text{ GeV}/c$

- Good agreement with Herwig 7 and PYTHIA6/8 generators, POWHEG+ PYTHIA6 simulations



ALI-PUB-321582



ALI-PUB-321590

# D<sup>0</sup> - tagged jets in pp at $\sqrt{s} = 7$ TeV: D<sup>0</sup> jet cross section as a function of $z_{\parallel}^{\text{ch}}$

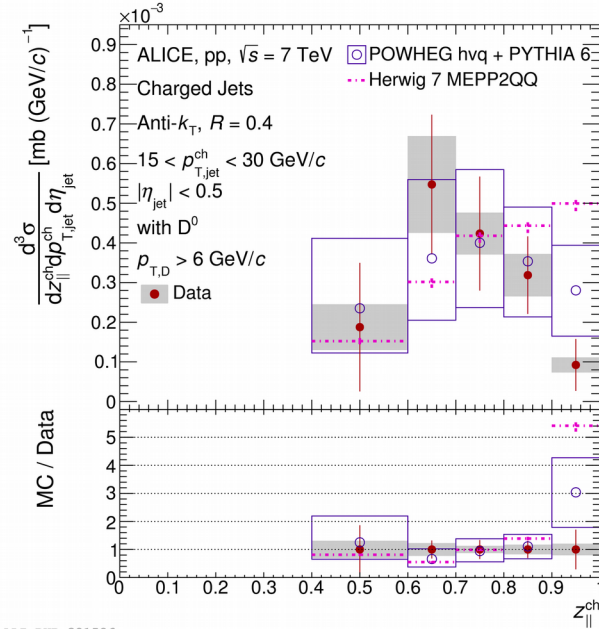


- Momentum fraction carried by the D<sup>0</sup> meson in the direction of the jet axis:

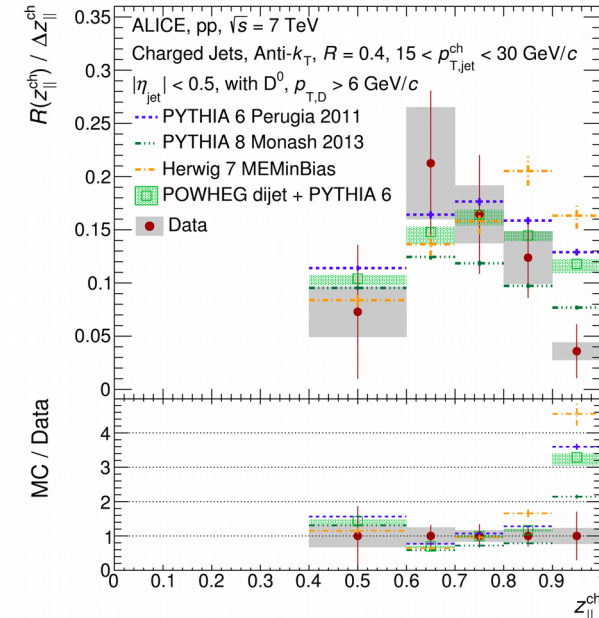
$$z_{\parallel}^{\text{ch}} = \frac{\vec{p}_{\text{ch jet}} \cdot \vec{p}_{D^0}}{\vec{p}_{\text{ch jet}} \cdot \vec{p}_{\text{ch jet}}}$$

$$R(p_{T,\text{jet}}^{\text{ch}}, z_{\parallel}^{\text{ch}}) = \frac{N_{D^0 \text{ jet}}(p_{T,\text{jet}}^{\text{ch}}, z_{\parallel}^{\text{ch}})}{N_{\text{inclusive jet}}(p_{T,\text{jet}}^{\text{ch}})}$$

- $15 < p_{T,\text{jet}}^{\text{ch}} < 30 \text{ GeV}/c$



ALI-PUB-321586



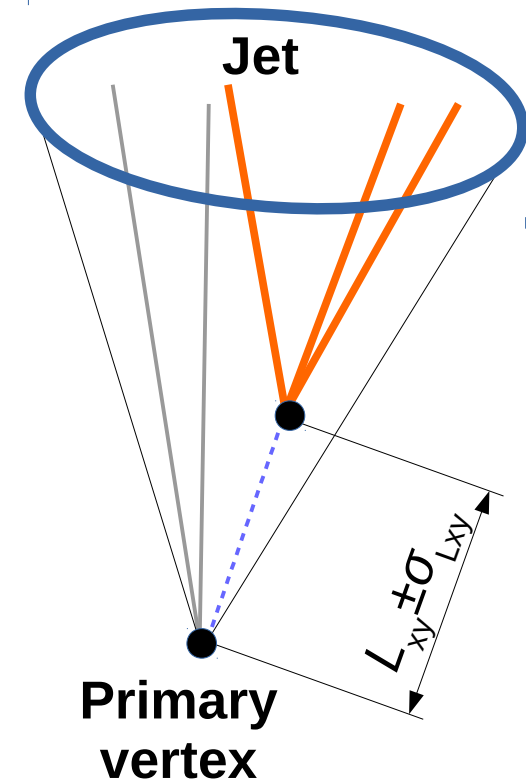
ALI-PUB-321594

- Good agreement with PYTHIA6/8 generators, but Herwig7 shows some tension at high  $z_{\parallel}^{\text{ch}}$
- POWHEG+ PYTHIA6 simulations for  $z_{\parallel}^{\text{ch}} < 0.9$



## 1) Jet reconstruction

- Charged anti- $k_T$ ,  $R = 0.4$
- $p_{T, \text{constituent}} > 0.15$  GeV/c
- $|\eta_{\text{jet}}| < 0.9 - R < 0.5$
- $|z_{\text{vtx}}| < 10$  cm
- $p_T$  of the jets corrected on the mean underlying event density



## 1) Jet reconstruction

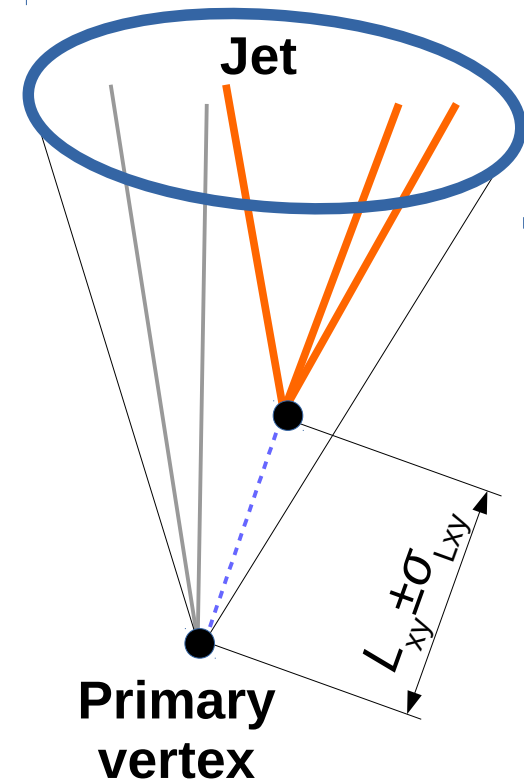
## 2) B-Jet candidate selection

- SV constructed out of 3 prongs
- The most displaced SV considered in each event
- Discrimination variables:
  - 1) Significance of the distance between PV and SV:
    - $SL_{xy} = L_{xy}/\sigma L_{xy} > 5, 6, 7, 8, 9$
  - 2) Dispersion of the SV  $\sigma_{SV} < 0.02, 0.03, 0.04, 0.05$  cm

$$\sigma_{SV} = \sqrt{\sum_{i=1}^3 d_i^2}$$

$d_i$  – distance of the closest approach (DCA) of  $i$ -th prong to SV

3) Invariant mass in SV (*reserved for purity estimation*)



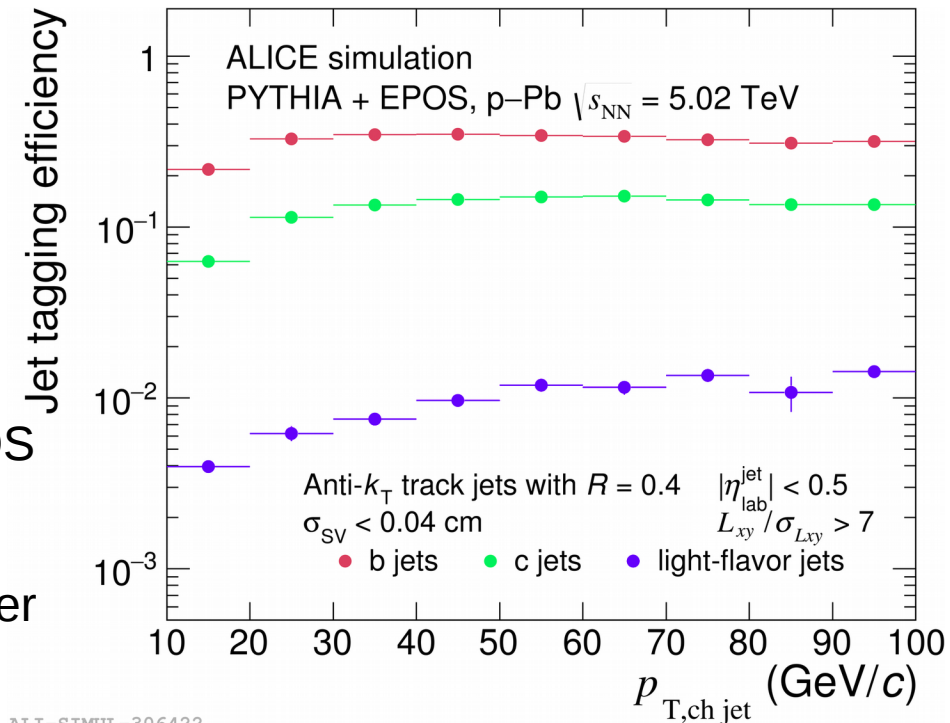
1) Jet reconstruction

2) B-Jet candidate selection

### 3) Correction on SV tagging efficiency

- Jet yield estimated based on PYTHIA+EPOS simulation
- Efficiencies for different b-jet candidates after imposing the default cut:

$$\varepsilon_b \approx 35 \% , \varepsilon_c \approx 11 \% , \varepsilon_{LF} \approx 1 \%$$



ALI-SIMUL-306422

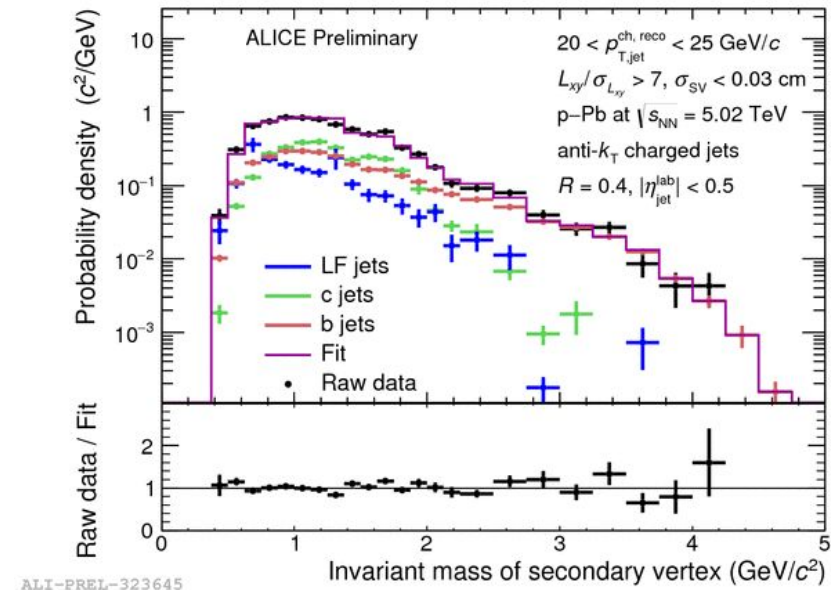
# B jets in p-Pb at $\sqrt{s}_{NN} = 5.02$ TeV: Analysis overview

1) Jet reconstruction

2) B-Jet candidate selection

## 3) Corrections on efficiency and purity

- Jet yield was corrected on efficiency of SV tagging (estimated with PYTHIA + EPOS)
- Purity of b jets was estimated using the following method:
  - Data-driven template fit method



# B jets in p-Pb at $\sqrt{s_{NN}} = 5.02$ TeV: Analysis overview

1) Jet reconstruction

2) B-Jet candidate selection

## 3) Corrections on efficiency and purity

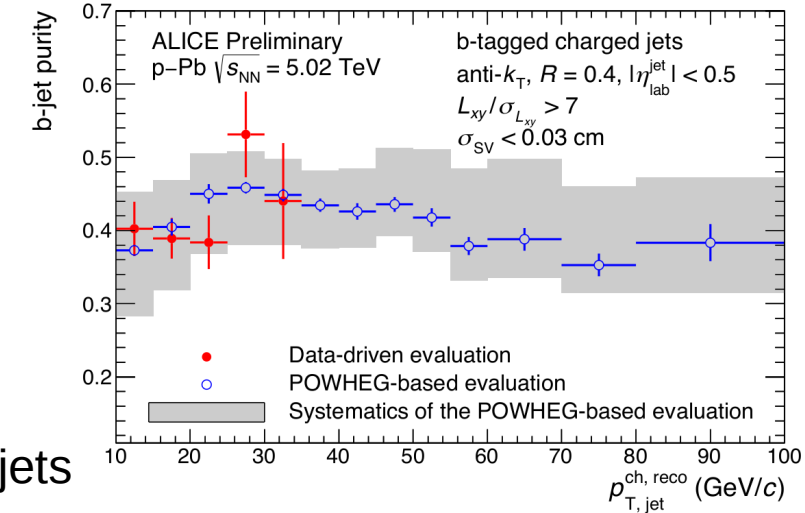
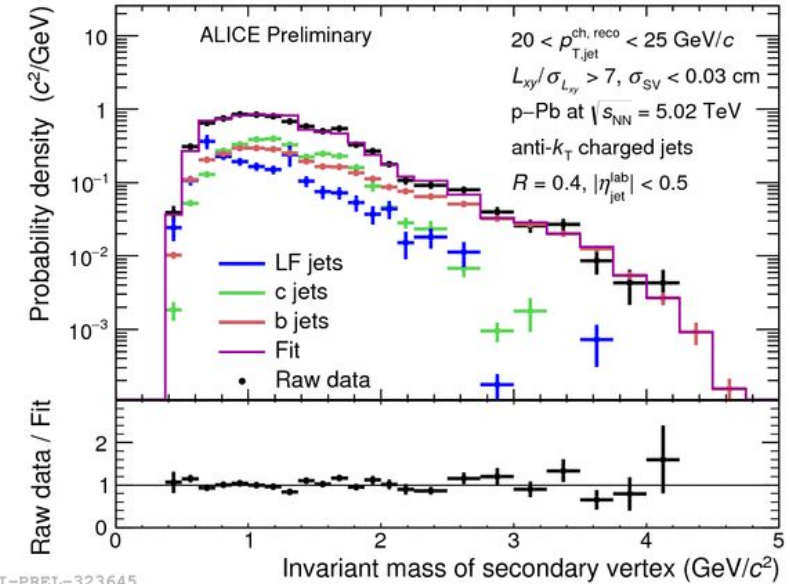
- Jet yield was corrected on efficiency of SV tagging (estimated with PYTHIA + EPOS)
- Purity of b jets was estimated using the following method:
  - Data-driven template fit method
  - POWHEG + PYTHIA simulation was used to calculate purity for high- $p_T$  region

$$P_b = \frac{N_b \varepsilon_b}{N_b \varepsilon_b + N_c \varepsilon_c + N_{LF} \varepsilon_{LF}}$$

$N_b, N_c$  – folded POWHEG  $p_T$  spectrum of  $b$  and  $c$ -jets

$N_{LF} = \text{RAW } p_T \text{ spectrum of inclusive jets} - N_b - N_c$

$\varepsilon_b, \varepsilon_c, \varepsilon_{LF}$  – efficiency of SV tagging for  $b, c$  and  $LF$ -jets for given  $SL_{xy}$  and  $\sigma_{SV}$



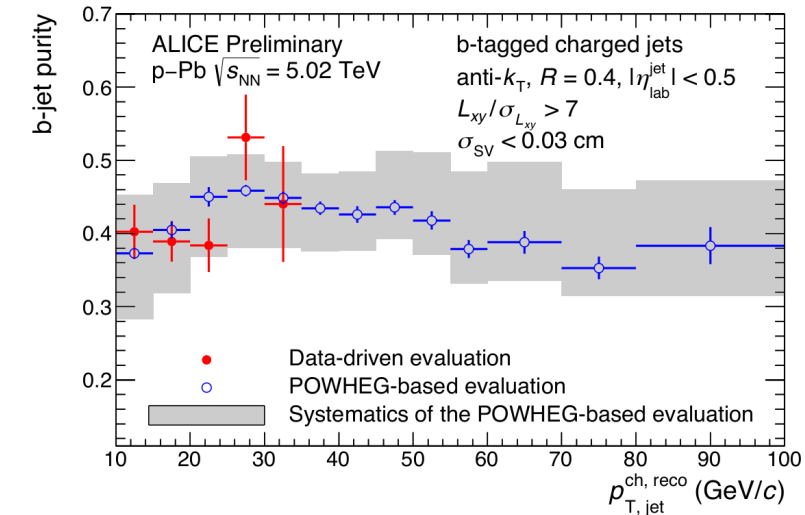
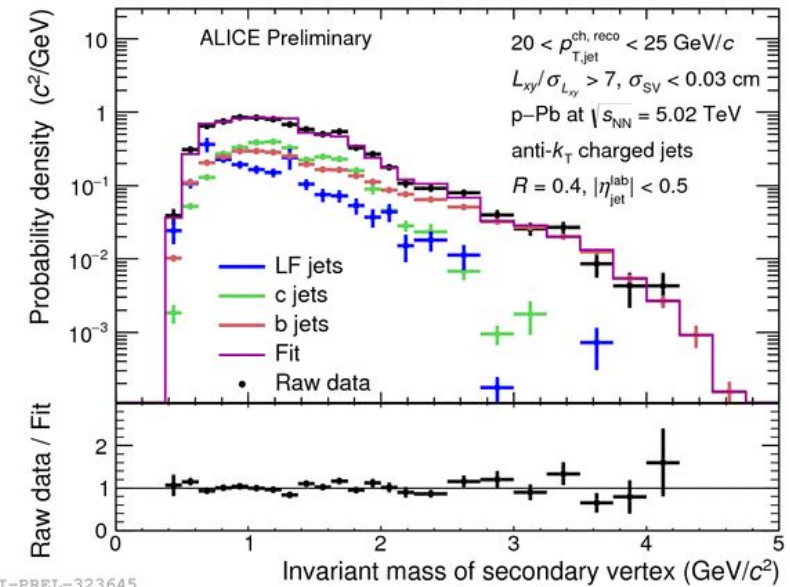
# B jets in p-Pb at $\sqrt{s_{NN}} = 5.02$ TeV: Analysis overview

1) Jet reconstruction

2) B-Jet candidate selection

## 3) Corrections on efficiency and purity

- Jet yield was corrected on efficiency of SV tagging (estimated with PYTHIA + EPOS)
- Purity of b-jet was estimated using the following method:
  - Data-driven template fit method
  - POWHEG + PYTHIA simulation was used to calculate purity for high- $p_T$  region
  - Purities obtained based on different POWHEG settings were compared with the template fit results.



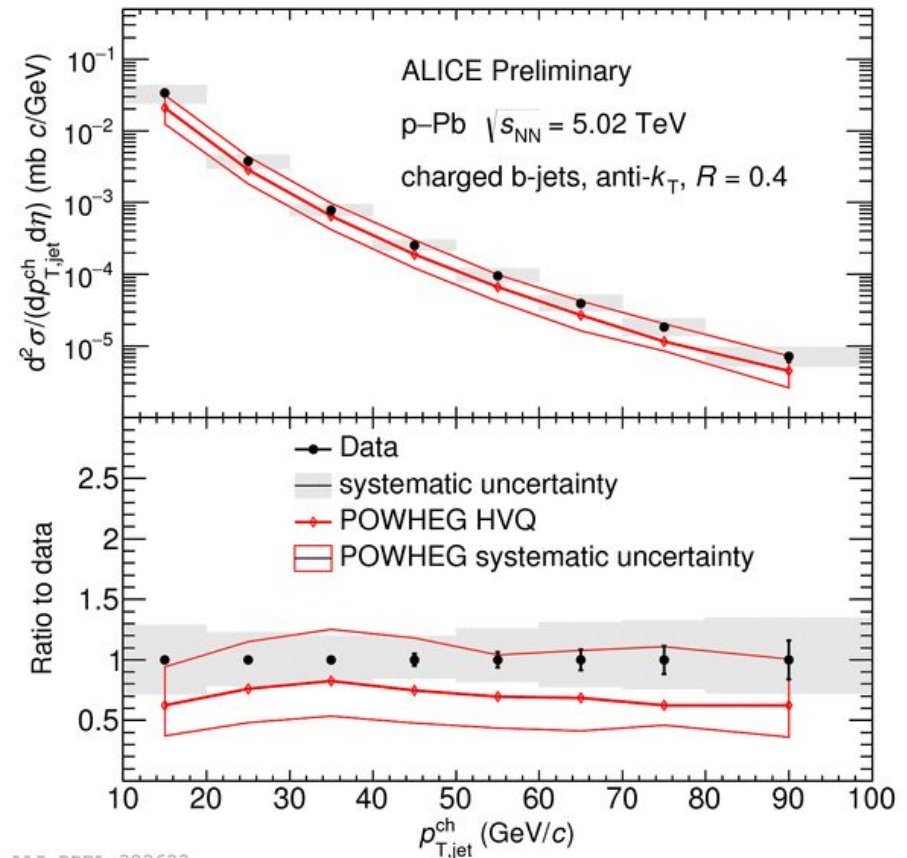
# B jets in p-Pb at $\sqrt{s_{NN}} = 5.02$ TeV: Production cross-section



- $p_T$  spectrum of the b jets was corrected:

$$\frac{d N_{b\text{-jet}}^{\text{primary}}}{d p_{T,\text{jet ch}}} = \frac{d N_{b\text{-jet candidates}}^{\text{raw}}}{d p_{T,\text{jet ch}}} \times \frac{P_b}{\epsilon_b}$$

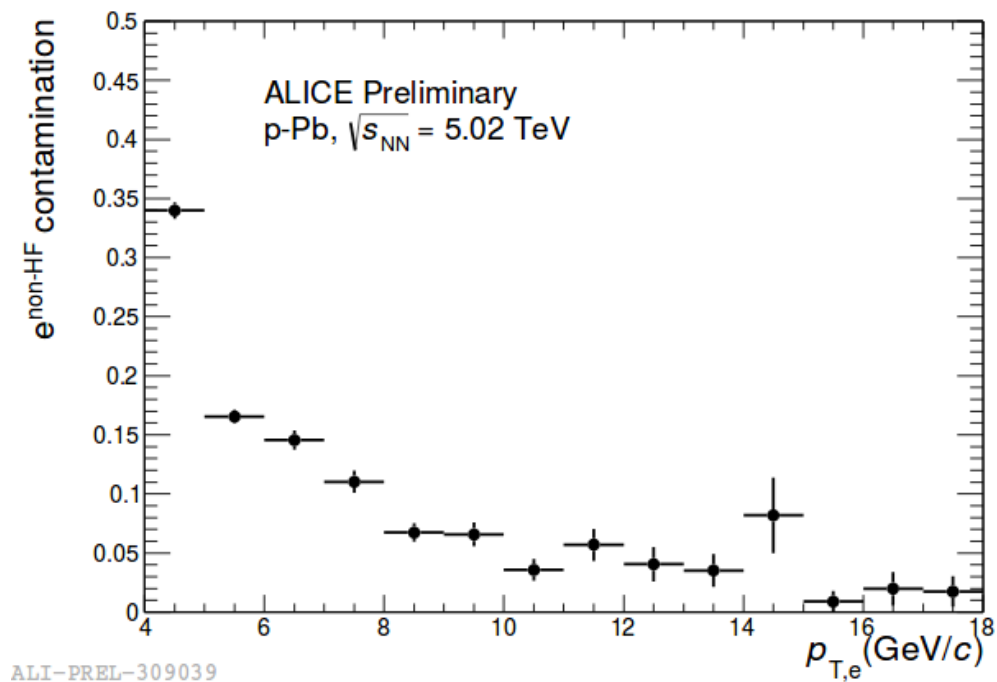
- Jet momentum smearing due to instrumental effects and local background fluctuations was corrected by unfolding
- Result cross section shows good agreement with the model (POWHEG HVQ)



## Analysis overview

### 1) HF electrons selection

- c, b  $\rightarrow$  semileptonic decay producing  $e^{\pm}$
- PID selection: TPC  $dE/dx$ , EMCal
- $p_{T,e} > 4$  GeV/c





1) HF electrons selection

## 2) Jets reconstruction

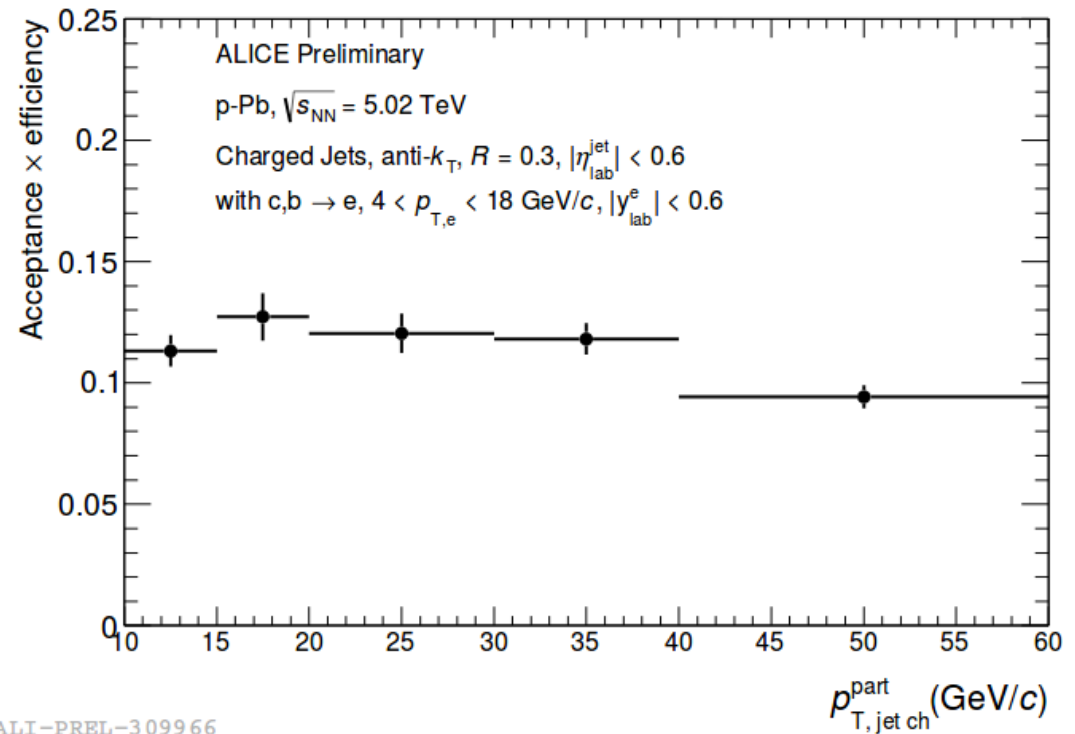
- Charged tracks
- FASTJet anti- $k_T$  algorithm
- Jet radius  $R = 0.3, 0.4, 0.6$
- $|\eta_{jet}| > 0.9 - R$
- $p_{T,jet}^{ch} > 10$  GeV/c
- Jets with reconstructed electrons
- $p_T$  of the jets corrected on the mean background density

1) HF electrons selection

2) Jets reconstruction

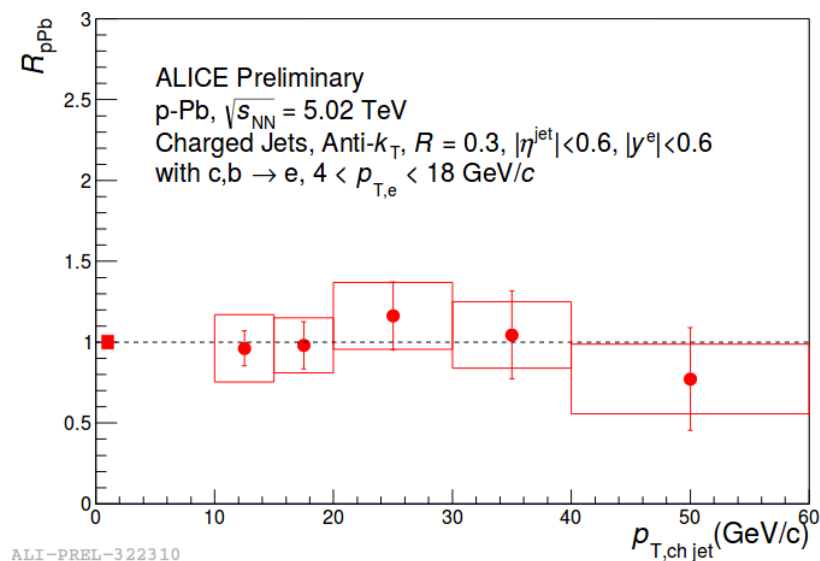
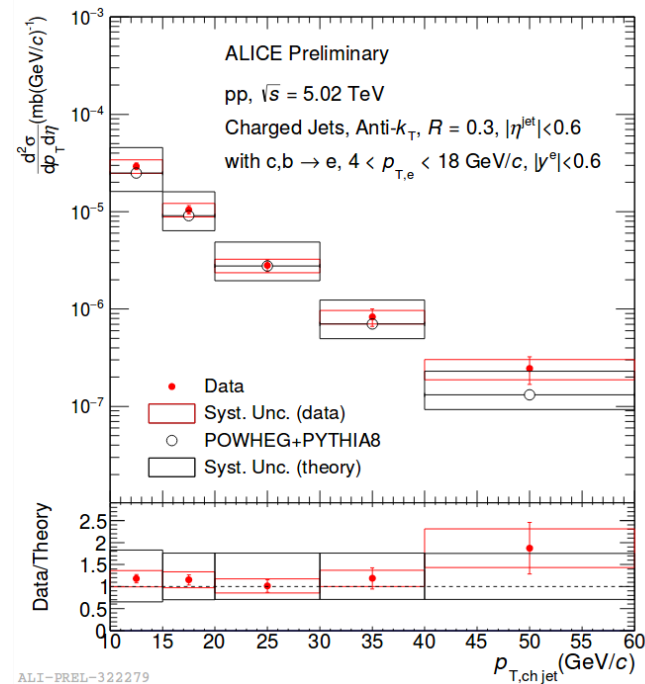
### 3) Corrections

- Background from photonic  $e^\pm$
- Hadron contamination
- Reconstruction efficiency



# HFe jets in p-Pb at $\sqrt{s_{NN}} = 5.02$ TeV: cross-section

- Measured cross-section shows good agreement with the model (POWHEG+PYTHIA8)
- $R_{pA}$  is compatible with unity. No sign of suppression



# Summary



- Measurement of  $D^0$ -tagged jets in pp at  $\sqrt{s} = 7$  TeV:
  - $z_{ch}^{\parallel}$  cross-section
  - Cross-section of  $D^0$  tagged jets production
- Measurement of b – jets in p-Pb at  $\sqrt{s_{NN}} = 5.02$  TeV:
  - First results in cross-section of B-jets production
- Measurement of HFe jets in p-Pb at  $\sqrt{s_{NN}} = 5.02$  TeV:
  - No sign of jet quenching is observed or other medium-induced modification



# Backup

## pPb collisions:

- Study cold nuclear matter (CNM) effects (nPDF, shadowing, gluon saturation,  $k_T$ -broadening, energy loss in CNM in the initial and final states)
- Study of the possible collective effects

ALICE wants to study b-jets at **lower momenta** where CNM effects will be more significant

## Was used two independent approaches:

- Most displaced Secondary Vertex (SV)
- Track counting algorithm (IP)

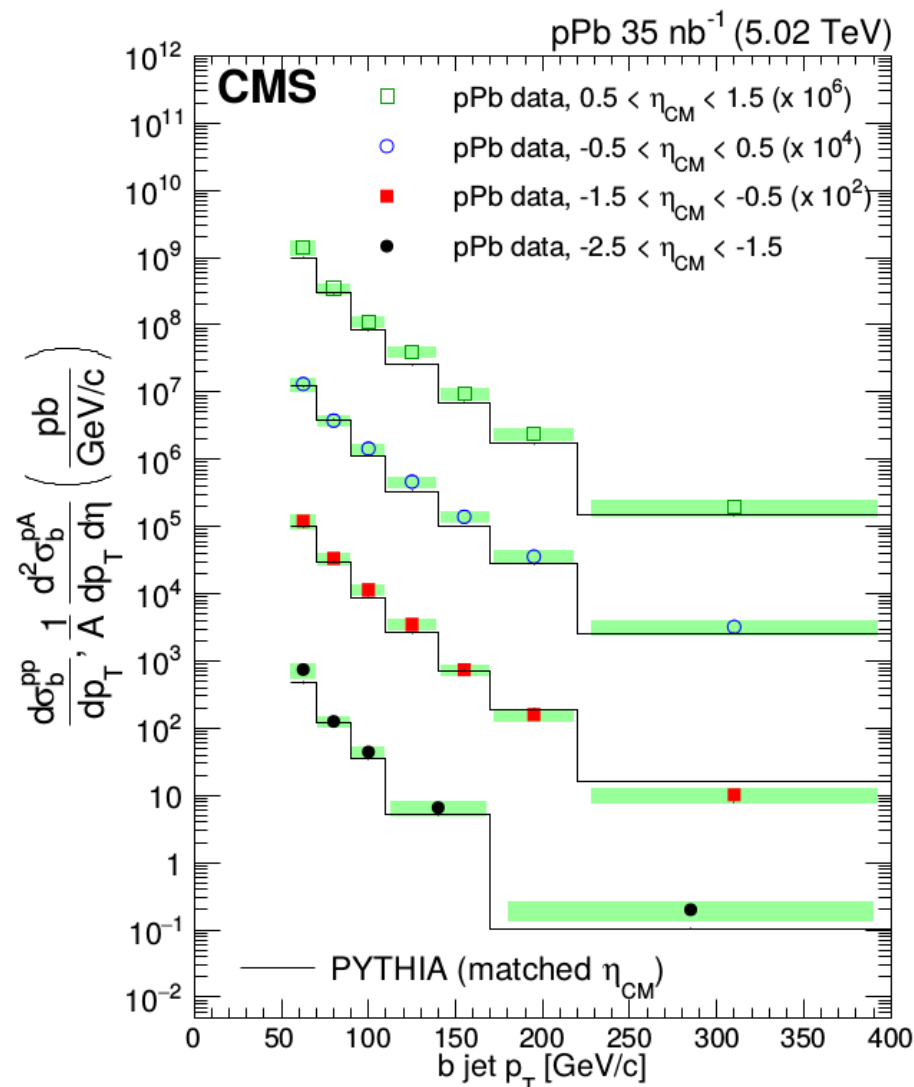
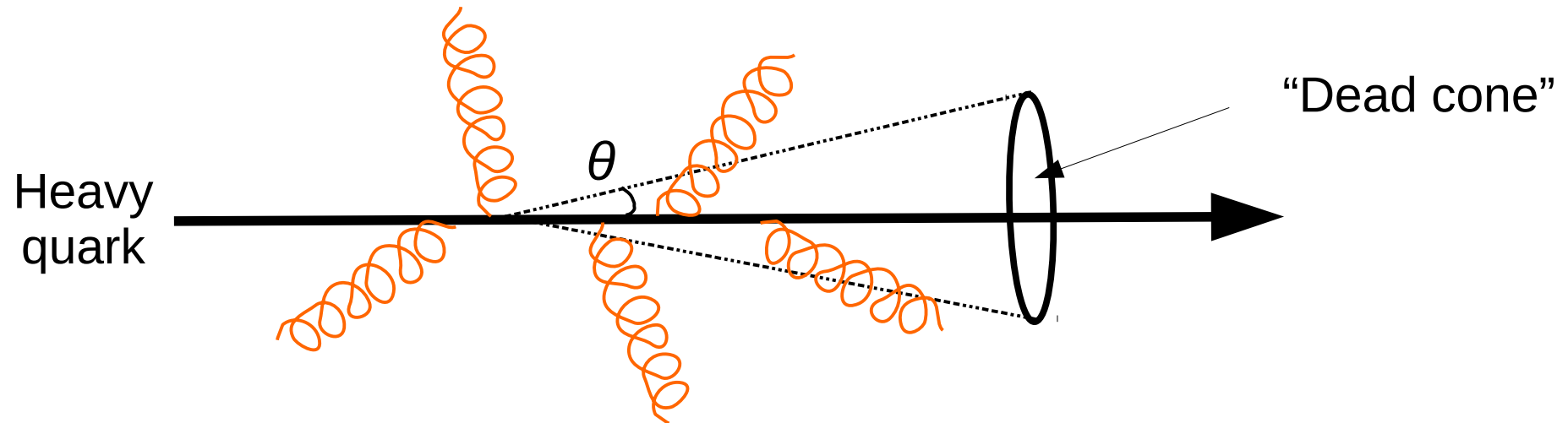


Figure 1. CMS Results  
(pPb, 5.02 TeV, full jets 2018)

# Dead cone effect

“Gluonsstrahlung” - process of gluon radiation by quarks (or gluons)



“Dead cone” effect – gluon radiation from massive quarks is suppressed at angles  $\theta < m/E \rightarrow$  Less E loss inside the medium for heavy quarks expected

[ Yu.L. Dokshitzer, D.E. Kharzeev - “Heavy Quark Colorimetry of QCD Matter”, arXiv:hep-ph/0106202]

Gluonsstrahlung probability

$$\sim \frac{\theta^2}{[\theta^2 + (m/E)^2]^2}$$

# Probability of gluon emission

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For light quarks:

$$dP_0 \simeq \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{dk_T^2}{k_T^2} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{d\theta^2}{\theta^2}$$

For heavy quarks:

$$dP_{HQ} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{k_T^2 dk_T^2}{(k_T^2 + \omega^2 \theta_0^2)^2} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{\theta^2 d\theta^2}{(\theta^2 + \theta_0^2)^2}$$

$$\theta_0 = \frac{M}{E}$$

Where

$\omega$  - Energy,  $C_F$  - “color charge”,  $k_T$  - transverse momenta

$dP_0$  - Probability to radiate gluon



# Probability of gluon emission

---

For light quarks:

$$dP_0 \simeq \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{dk_T^2}{k_T^2} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{d\theta^2}{\theta^2}$$

For heavy quarks:

$$dP_{HQ} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{k_T^2 dk_T^2}{(k_T^2 + \omega^2 \theta_0^2)^2} = \frac{\alpha_s C_F}{\pi} \frac{d\omega}{\omega} \frac{\theta^2 d\theta^2}{(\theta^2 + \theta_0^2)^2}$$

$$\theta_0 = \frac{M}{E}$$

Where

$\omega$  - Energy,  $C_F$  - “color charge”,  $k_T$  - transverse momenta

$dP_0$  - Probability to radiate gluon