

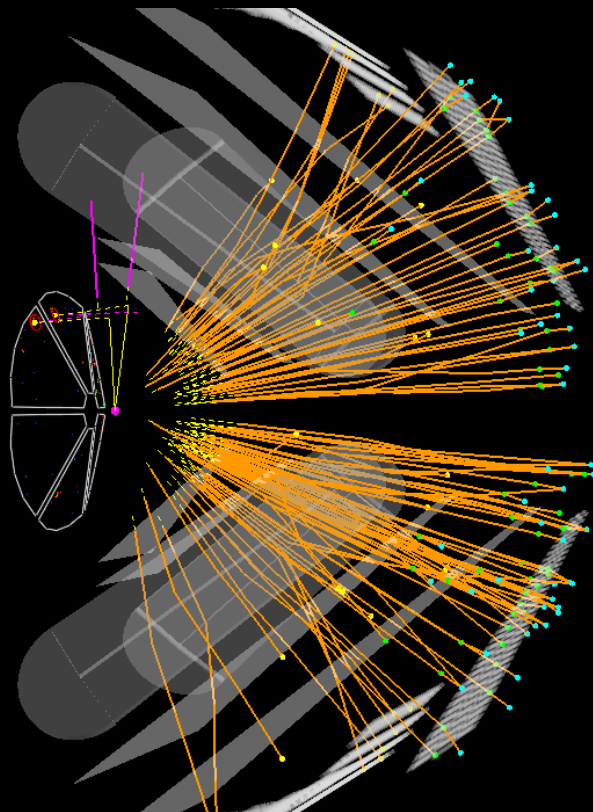


TECHNISCHE
UNIVERSITÄT
DARMSTADT

Λ POLARIZATION IN Au+Au COLLISIONS at $\sqrt{s_{NN}} = 2.4 \text{ GeV}$

MEASURED WITH

HADES



*Frederic Kornas
for the HADES collaboration*

11.06.2019

Strange Quark Matter 2019



Polarization measurement

Global Polarization Measurement:

- System created in high-energy HICs successfully described by relativistic hydrodynamics.
- In peripheral collisions: $|L| \sim 10^5 \hbar$
- What is the effect on fluid/transport?

$$\text{Vorticity: } \vec{\omega} = \frac{1}{2} \vec{\nabla} \times \vec{v}$$

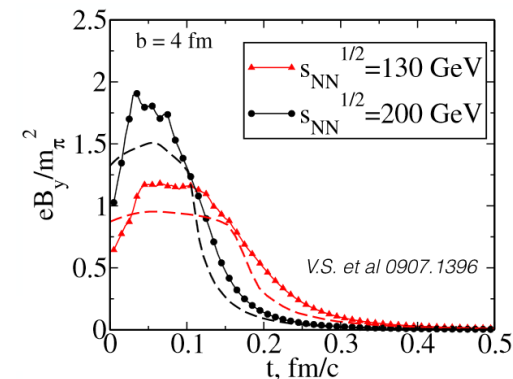
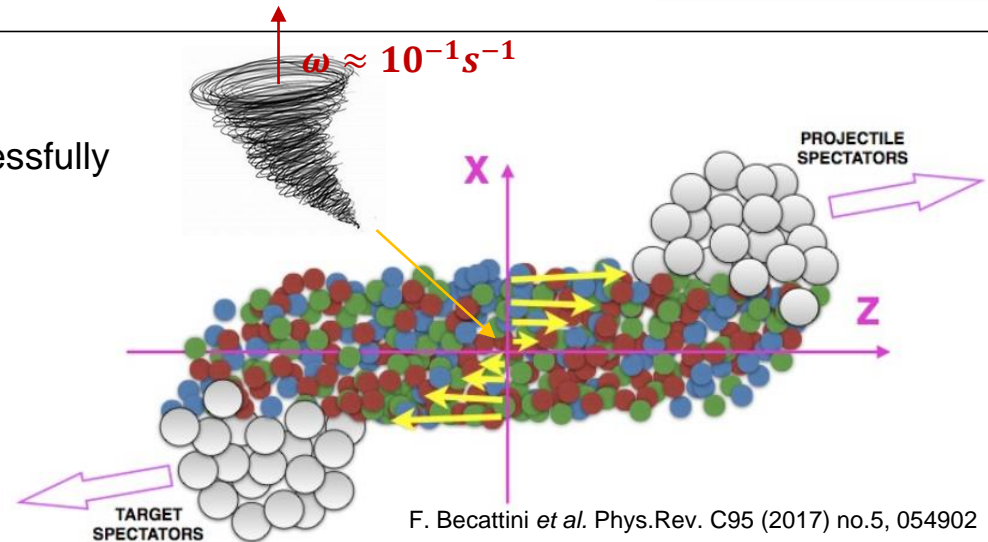
- Vorticity could be very high $\omega \approx 10^{21} \text{ s}^{-1}$

How to measure the vorticity?

- Large orbital momentum \Rightarrow Polarization of the particle spins

\rightarrow Two contributions:

1. Spin-orbit coupling (same for q and \bar{q})
2. Electromagnetic coupling (opposite for q and \bar{q})



Magnetic field effect on photon production,
V.Skokov, Western Michigan University, 2014

Polarization measurement

How to measure the particle spin?

- Spin measurement for most of the hadrons very difficult
→ Concentrate on **self-analyzing weak decays**

- Good candidate:

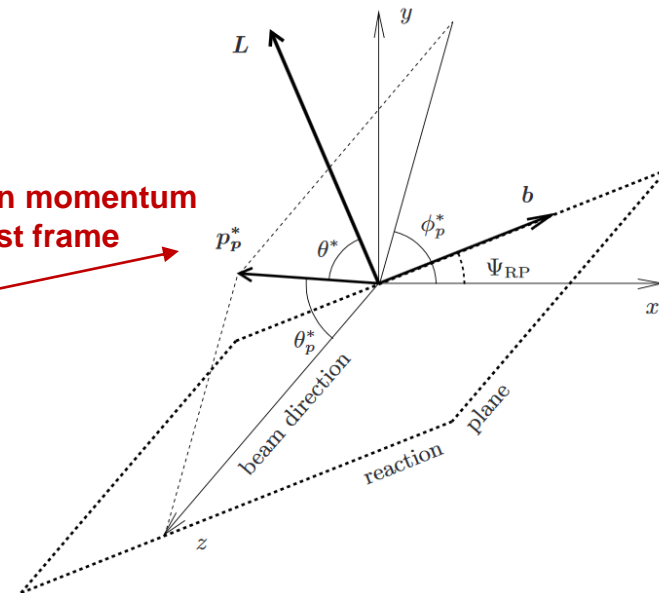


- **Proton is predominantly emitted in spin direction!**

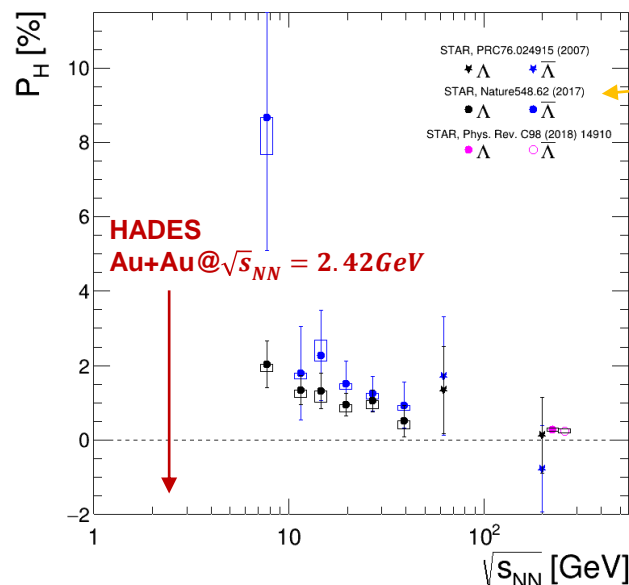
- **Spin measurement → Momentum measurement**

STAR Collaboration (Abelev *et al.*) Phys.Rev. C76 (2007) 024915, Erratum: Phys.Rev. C95 (2017) no.3, 039906

Proton momentum
in the Λ rest frame



All Au+Au



Polarization can be measured:

$$P_{\Lambda} = \frac{8}{\pi \alpha_{\Lambda}} \frac{\langle \sin(\Psi_{EP} - \phi_p^*) \rangle}{R_{EP}}$$

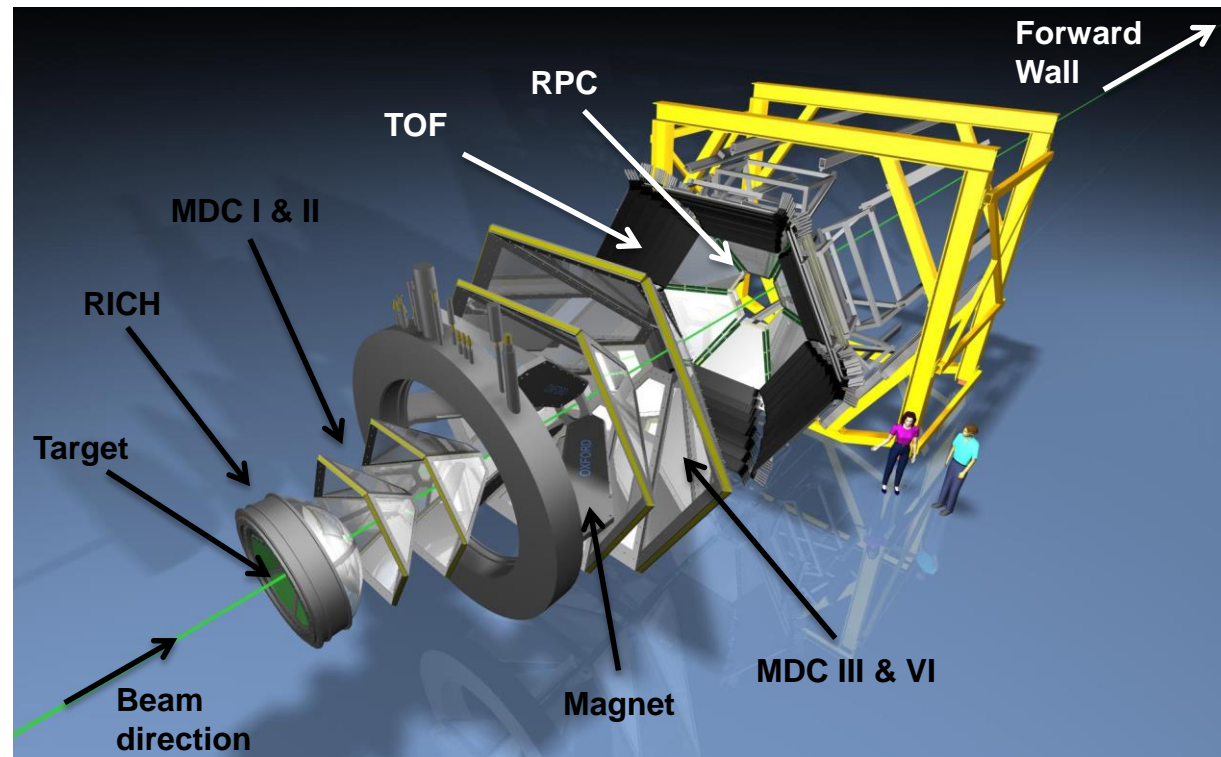
- Decay parameter $\alpha_{\Lambda} = 0.642 \pm 0.013$
- Orientation with respect to the event plane Ψ_{EP}
- Azimuthal angle of the proton in the Λ frame ϕ_p^*

High Acceptance DiElectron Spectrometer

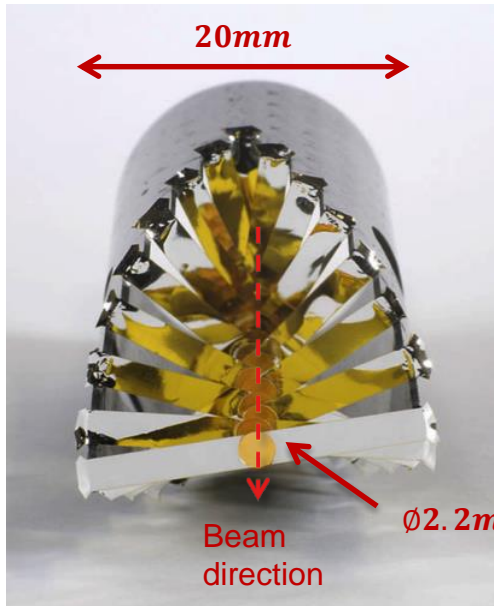
Fixed-target experiment

Fast detector: 8kHz trigger rate for Au+Au

High acceptance: full azimuthal coverage, $18 - 85^\circ$ polar angle



High Acceptance DiElectron Spectrometer



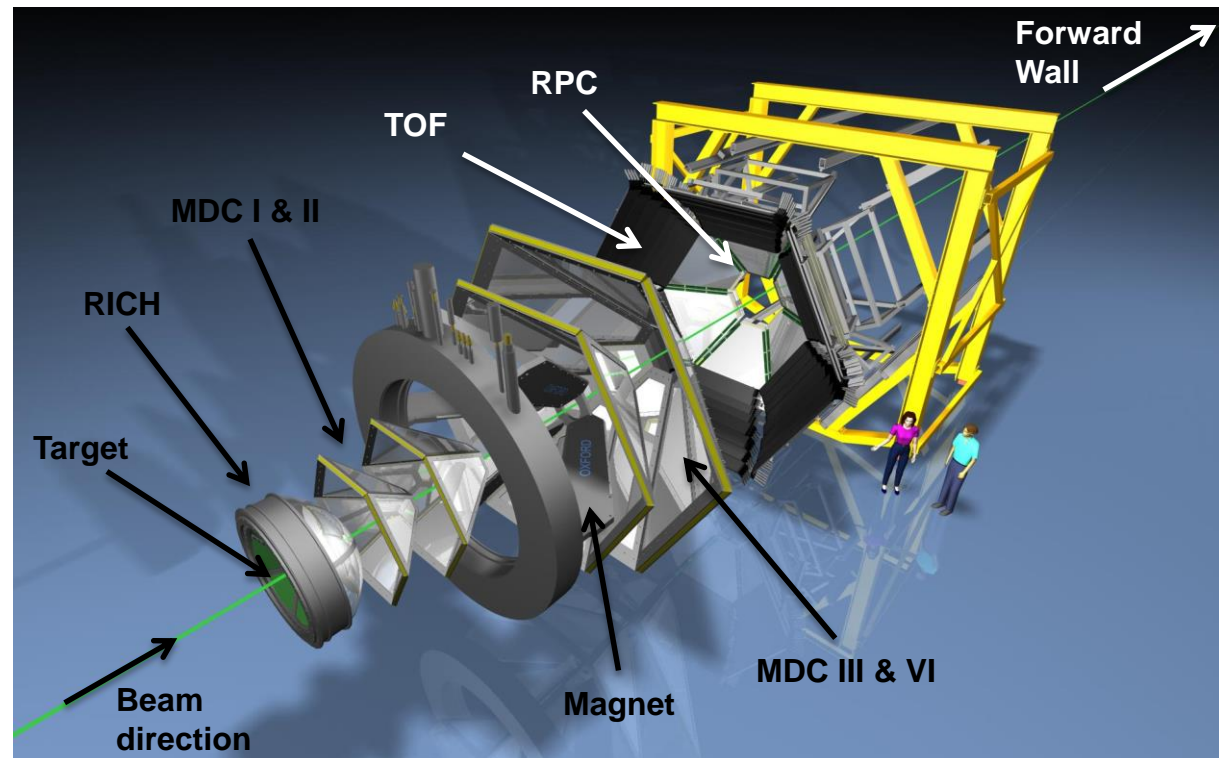
Au+Au run at $\sqrt{s}_{NN} = 2.4\text{GeV}$

- Overall: $2.4 \cdot 10^9$ events analyzed

Fixed-target experiment

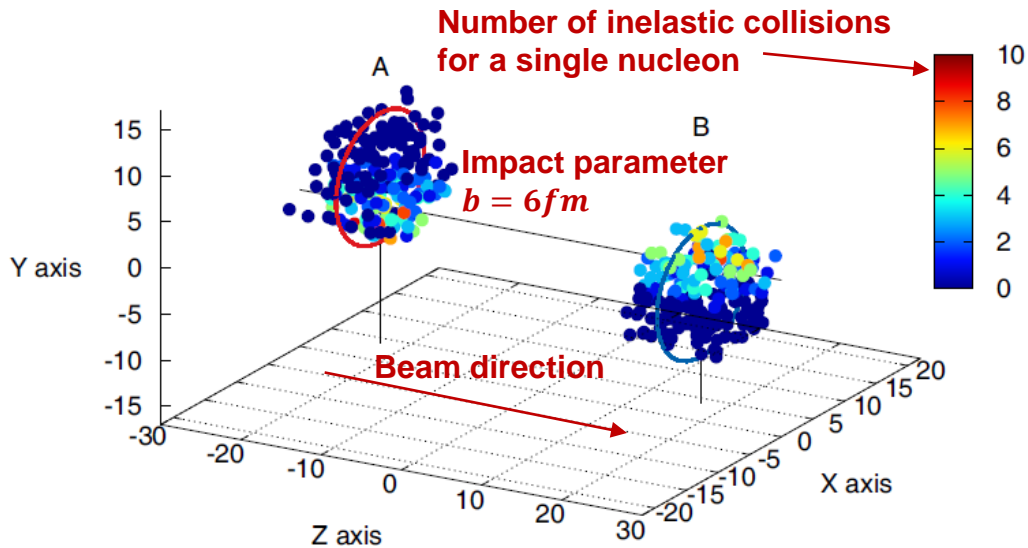
Fast detector: 8kHz trigger rate for Au+Au

High acceptance: full azimuthal coverage, 18 – 85° polar angle



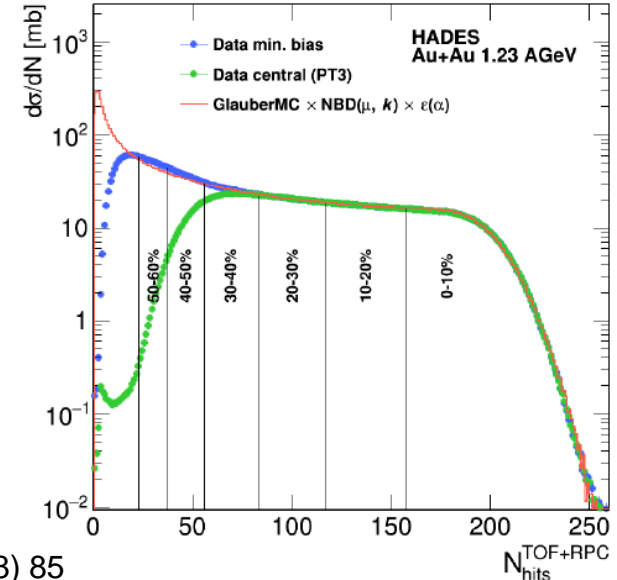
Centrality Estimation

Offline centrality selection based on hit or track multiplicity



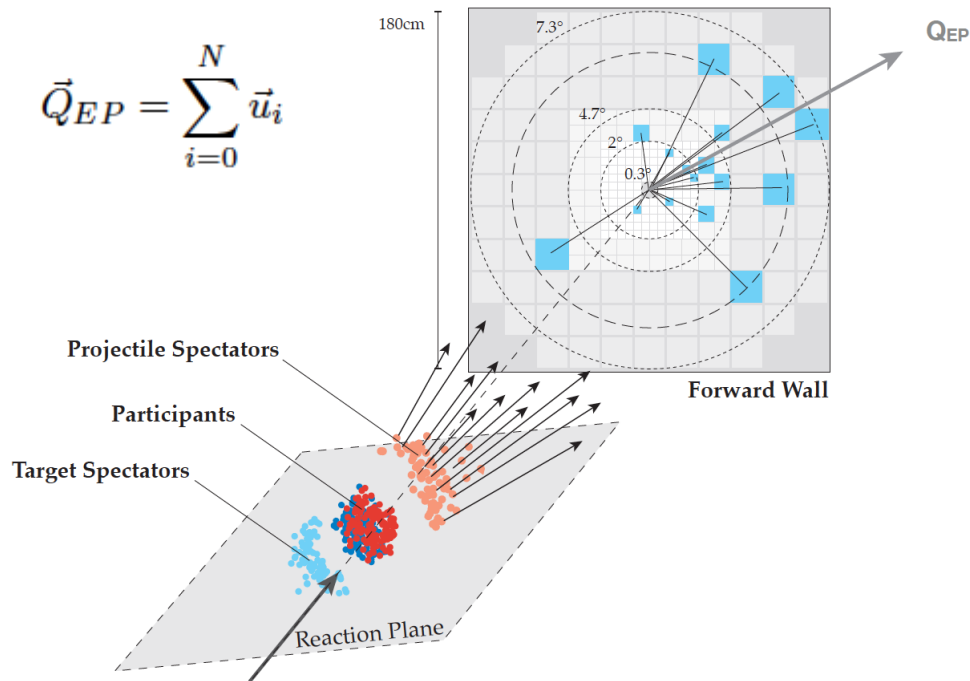
- Task: relate observable quantities to the centrality of the collision
- Assumption: $\langle N_{participant} \rangle \sim \langle N_{produced} \rangle$

- Centrality determination using Glauber
- Distributions agree with transport model calculations (*processed by GEANT*)



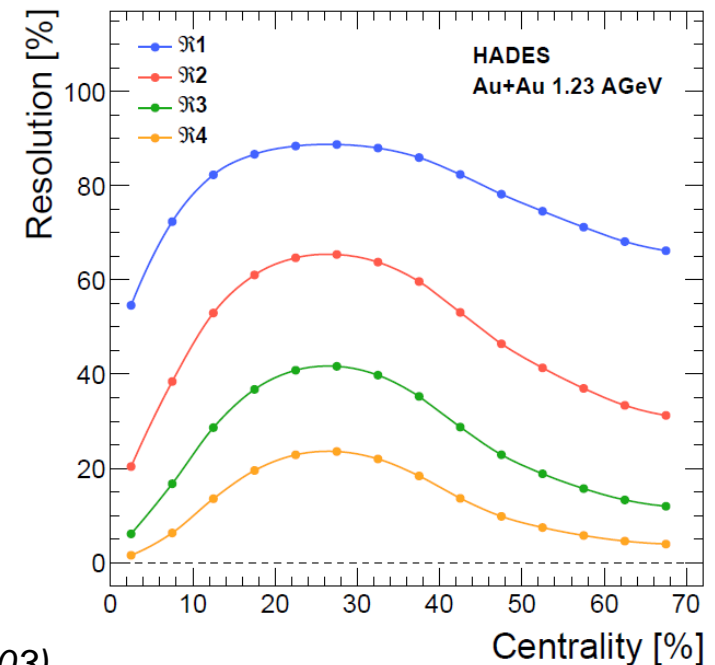
For more Details see:
Eur. Phys. J. A54 (2018) 85

Event Plane Reconstruction



Event Plane Reconstruction:

- Based on hits of charged projectile spectators in the Forward Wall



Event Plane Resolution:

- Determination of Full Resolution from Sub-Event Resolution (*distribution randomly divided into 2 sub-samples*)
- Based on method by J.-Y. Ollitrault ([arXiv:nucl-ex/9711003](https://arxiv.org/abs/nucl-ex/9711003))

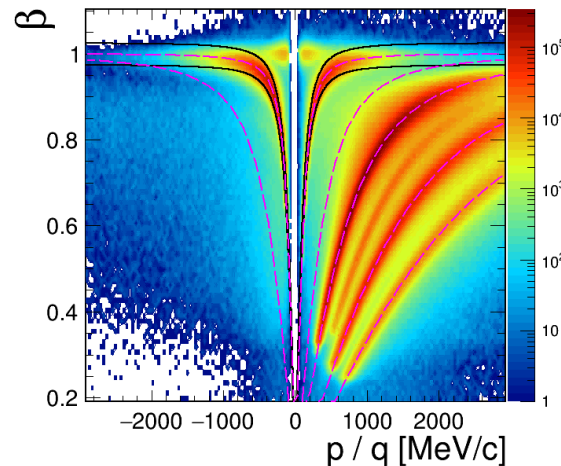
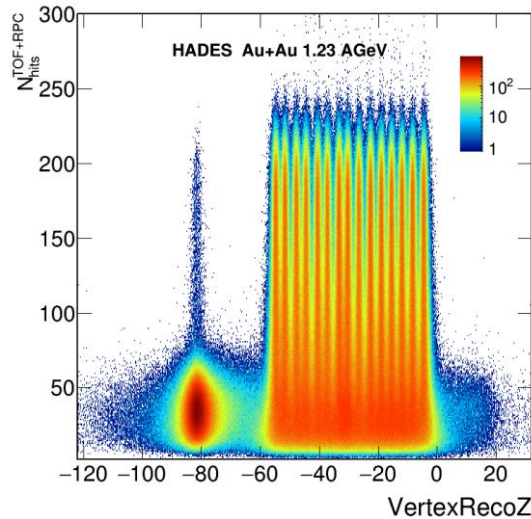
Analysis procedure

$$P_{\Lambda}(\textit{centrality}) = \frac{8}{\pi\alpha_{\Lambda}} \frac{\langle \sin(\Psi_{EP} - \phi_p^*) \rangle}{R_{EP}}$$

ϕ_p^* : Azimuthal angle of the proton in the Λ rest frame

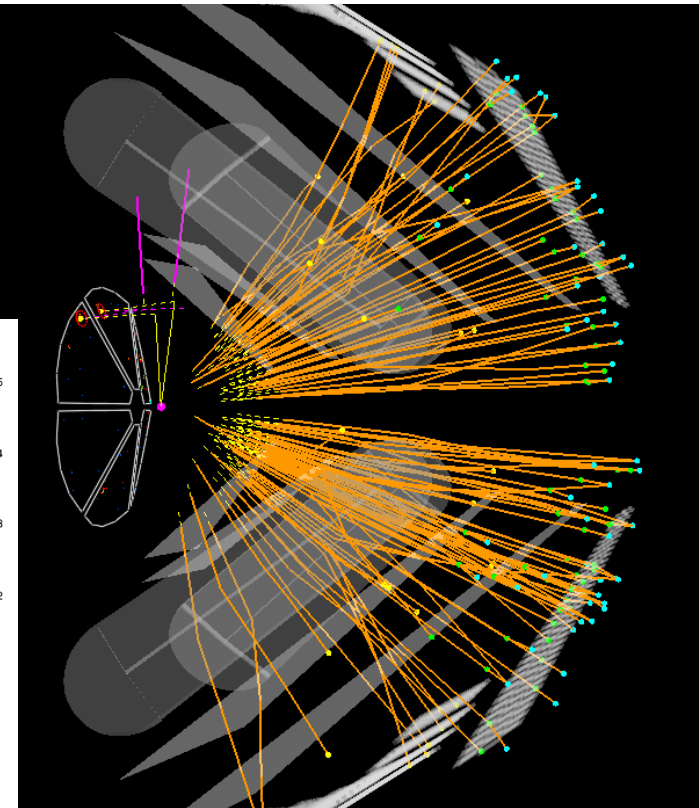
⇒ Particle identification

$$\beta = \frac{p}{m} \frac{1}{\sqrt{\left(\frac{p}{m}\right)^2 + 1}}$$

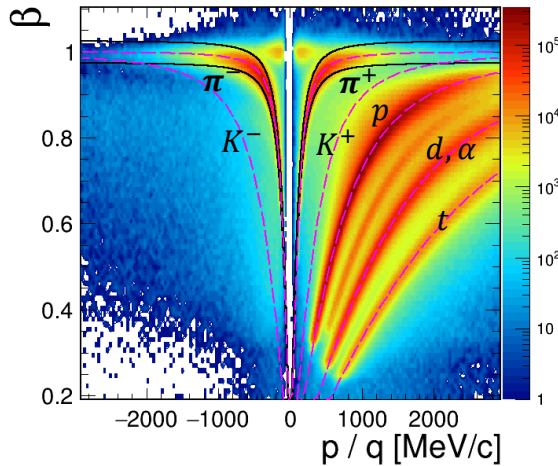


Observables:

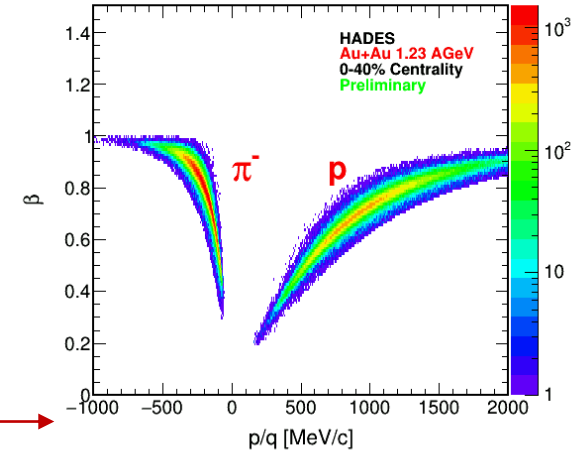
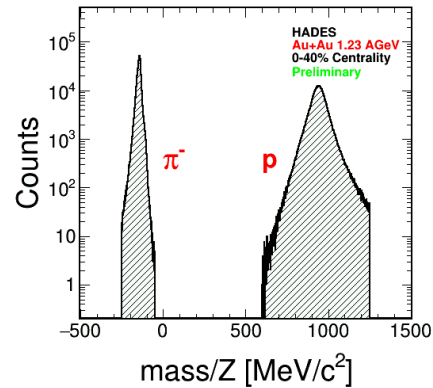
- Velocity
- Momentum
- Energy Loss
- RICH information



Particle Identification

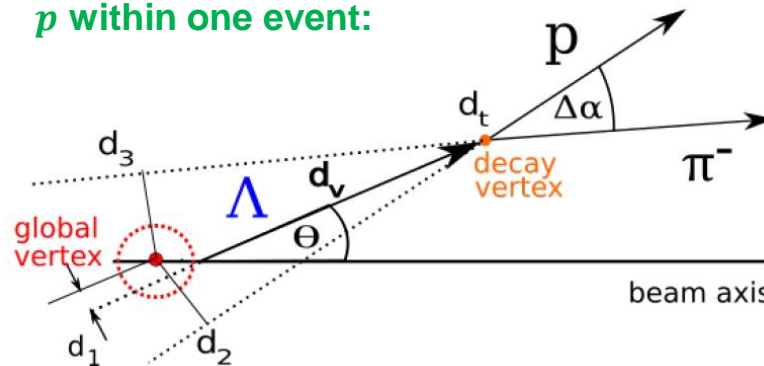


Loose Mass Cut



Create all possible combinations of π^- and p within one event:

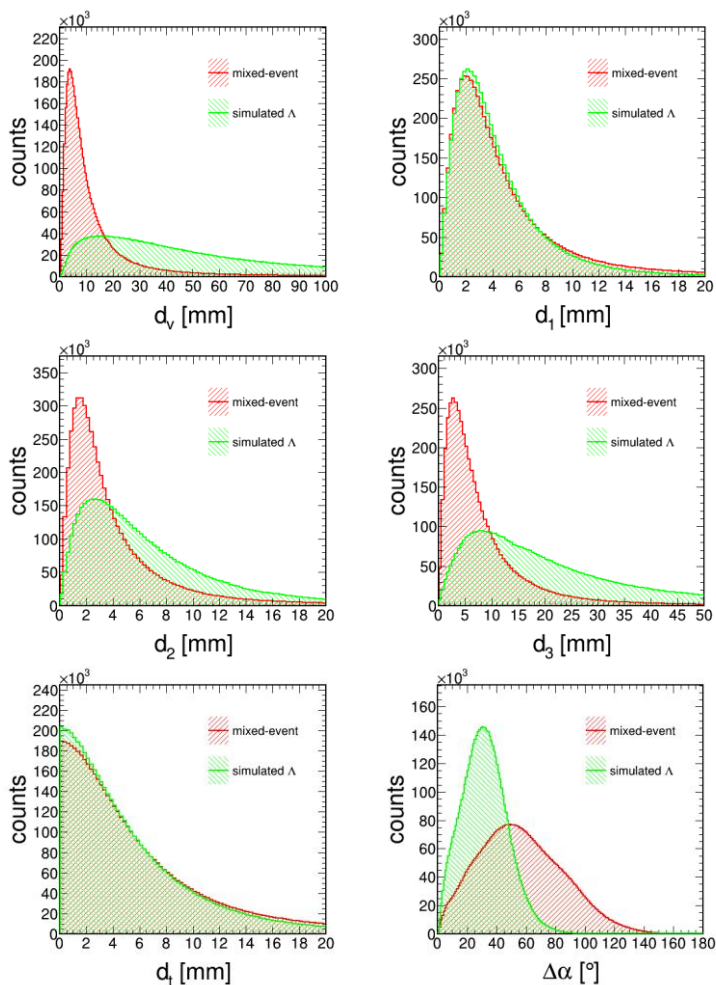
Decay channel:
 $\Lambda \rightarrow p + \pi^-$



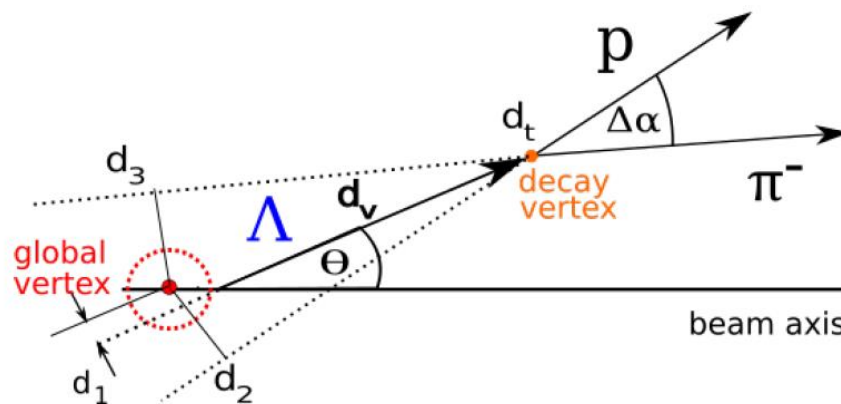
Decay topology

- d_1 : Λ has to come from the primary vertex
- d_2, d_3 : p and π^- are most likely not pointing to the global vertex
- d_t : common crossing point for p and π^- track
- d_v : Λ distance before it decays ($c\tau \sim 8\text{cm}$)
- $\Delta\alpha$: Opening angle, added to account for efficiency loss of closed pairs

Decay Topology



- **Simulations: Thermal Λ s embedded into real data (1 Λ per event)**
- **Mixed-event method on real data to describe the background**



- **Enough statistics very crucial for the polarization analysis (Hard-cut analysis removes a lot of the signal)**
- **Employ neural network in order to gain more statistics!**

Neural Network Analysis

Toolkit for Multivariate Data Analysis (TMVA) included in ROOT (<https://root.cern.ch/tmva>)



TECHNISCHE
UNIVERSITÄT
DARMSTADT

Input

Signal:

Thermal Λ s embedded
into real data

Background:

Mixed-Event –
 π^- from one event and
 p from another event

Input Parameters

Topological parameters: d_v, d_1, d_2, d_3, d_t

In addition: m_π, m_p, p_Λ ← significant increase of
the efficiency

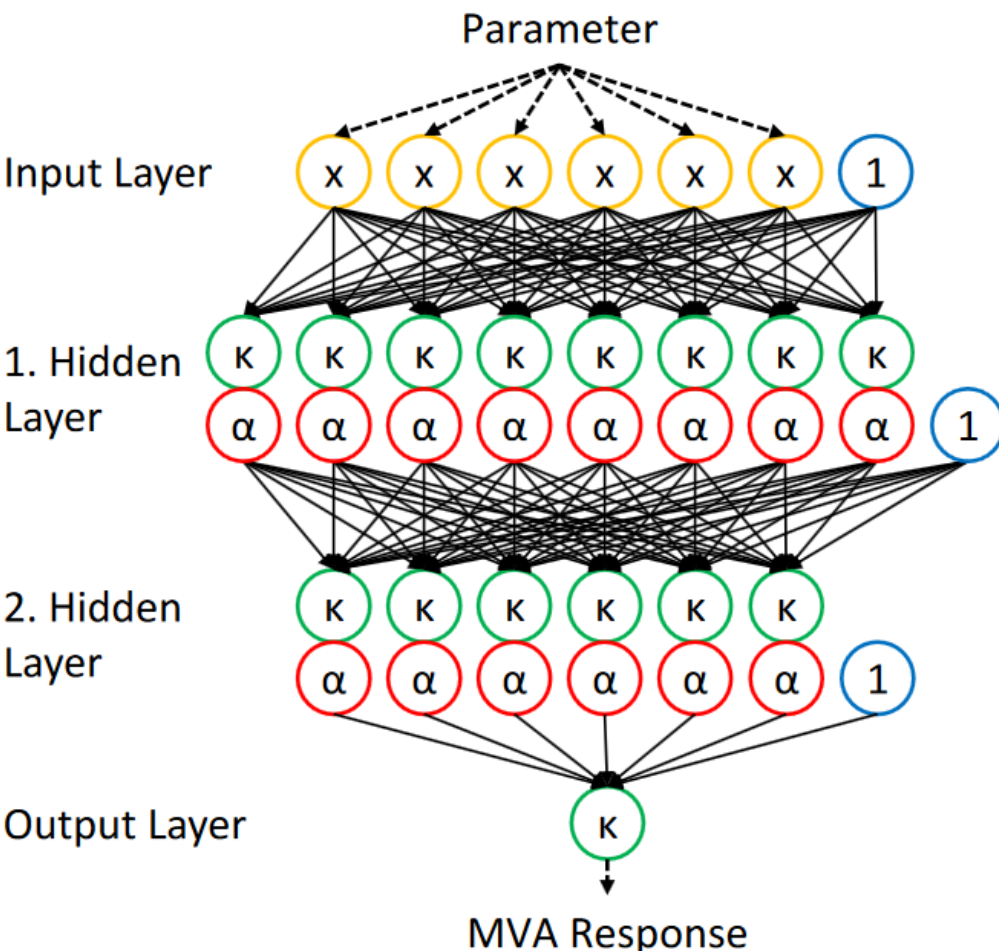
Training

Convergence of the weights for maximal discrimination
between signal and background!

Required output

Signal: $D_{ideal}=1$ ← → Background: $D_{ideal}=0$

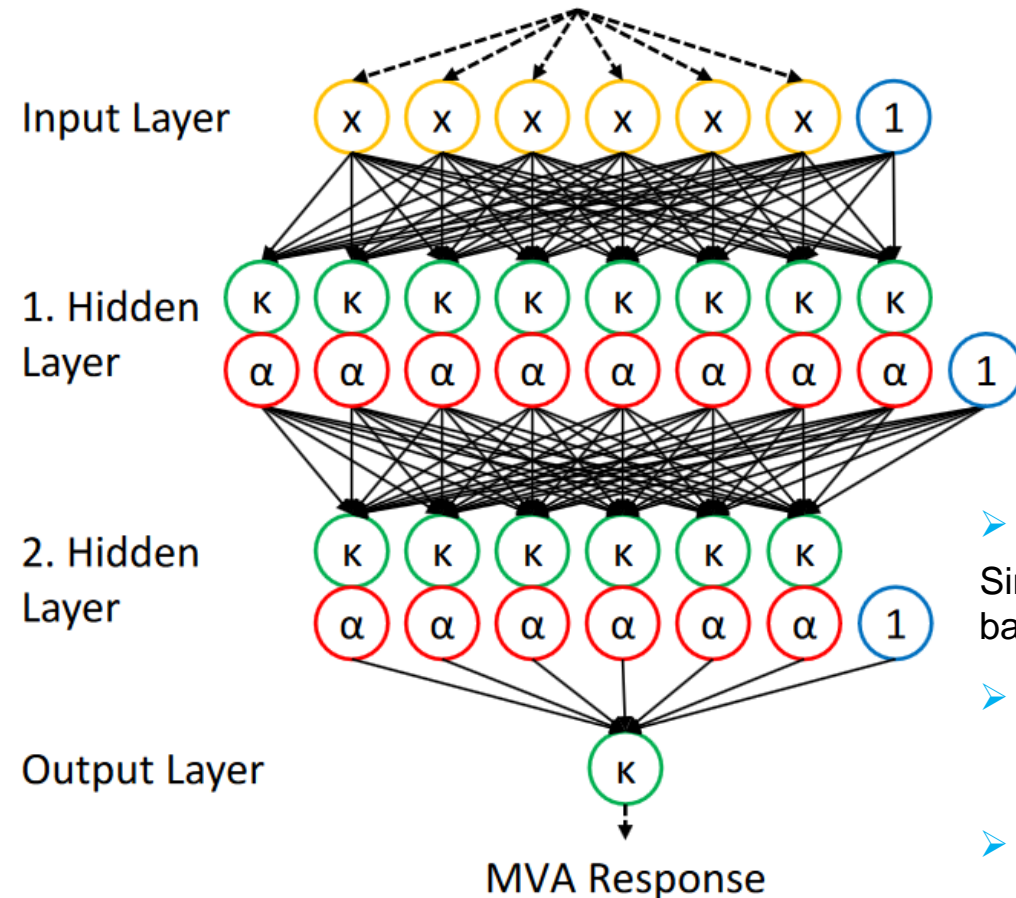
Actual Output: $0 < D_{real} < 1$



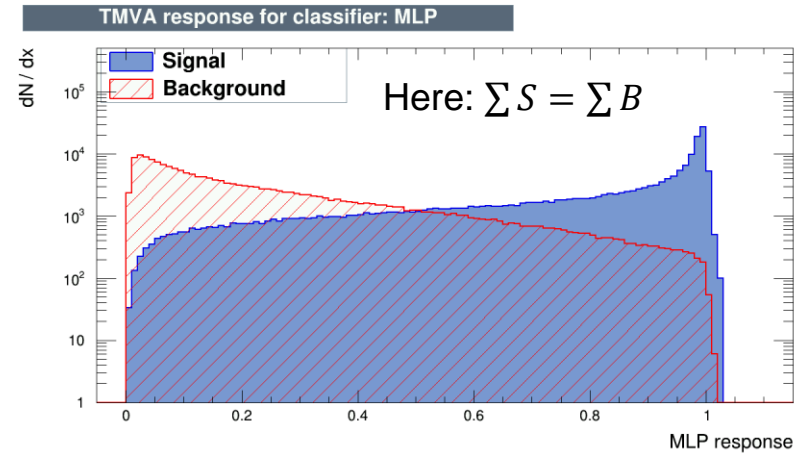
Neural Network Analysis

Toolkit for Multivariate Data Analysis (TMVA) included in ROOT (<https://root.cern.ch/tmva>)

Parameter



MVA Response



- **Clear discrimination of signal and background:**
Simulated Λ_s peak at $D=1$ while mixed-event background peaks at $D=0$ as expected

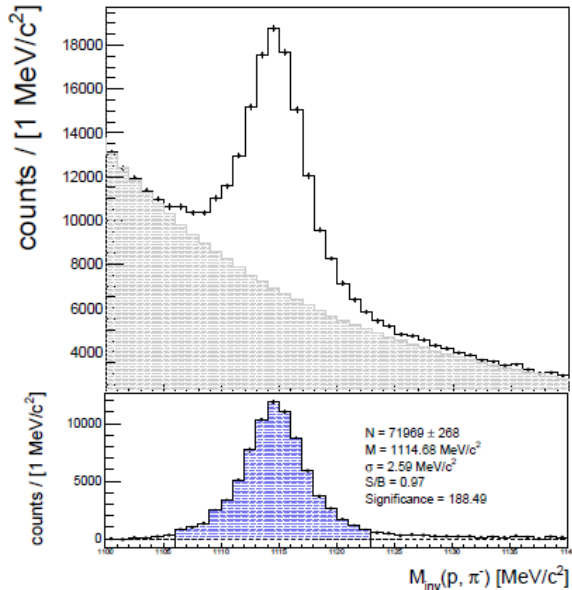
- In real data (same event) the signal fraction is much lower:

$$\sum S \ll \sum B$$

- Vary D to find the ideal cut value (i.e. with maximum significance) $D_{min} = 0.9$

Invariant mass distribution

„Hard cut“ analysis:

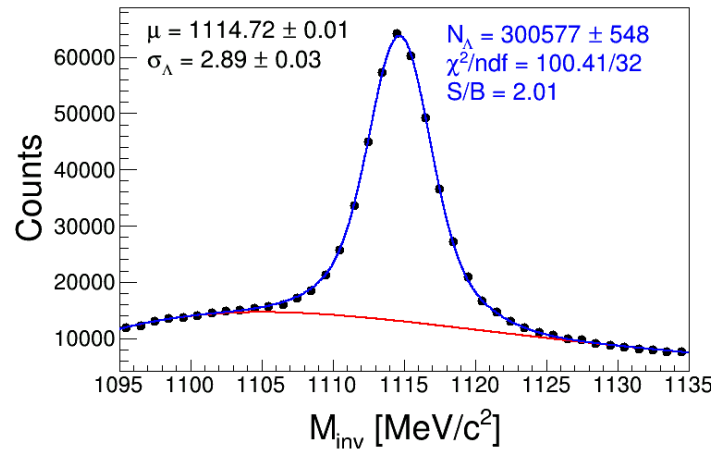


$$N_{\Lambda}^{old} = 0.7 \cdot 10^5 \longrightarrow N_{\Lambda}^{new} = 3.0 \cdot 10^5$$

$$SIG = 188.49 \qquad \qquad \qquad SIG = 448.02$$

This analysis

0-40% centrality



Topology Parameter	Cut Style	Hard Cut	Pre-Cut
d_1 [mm]	<	5	12
d_2 [mm]	>	8	5
d_3 [mm]	>	24	15
d_v [mm]	>	65	50
d_t [mm]	<	6	10
$\Delta\alpha$ [°]	>	15	15

- MVA strongly suppresses the background
- Even with lower topological cuts, the significance is much higher
- Increase of the identified Λ s by $\sim 300\%$ compared to hard-cut analysis

Polarization analysis for 10-40% centrality:

$$N_{\Lambda}^{10-40\%} = 1,9 \cdot 10^5$$

Λ Polarization: two approaches

(1) Event plane method

(2) Invariant mass fit method

General procedure

- Get dN/dM_{inv} in a certain $\Delta\phi_p^*$ -bin
- Get net amount of Λ s in that bin
- Plot distribution of $N_\Lambda(\Delta\phi_p^*)$
- Fit this distribution to get $\langle \sin(\Delta\phi_p^*) \rangle$
- Calculate P_Λ

- Plot the distribution of $\langle \sin(\Delta\phi_p^*) \rangle_{tot}$ as a function of M_{inv}
- Get S/B-ratio in each bin: $f(M_{inv})$
- Make assumption for $\langle \sin(\Delta\phi_p^*) \rangle_{BG}$
- Fit the distribution to get $\langle \sin(\Delta\phi_p^*) \rangle_{SG}$
- Calculate P_Λ

Correction for R_{EP}

- Final result is corrected by $1/R_{EP}$ while $R_{EP}^{10-40\%}$ is used

- $1/R_{EP}^{10\%}$ in 10% centrality bins is weighted event-by-event when filling $\langle \sin(\Delta\phi_p^*) \rangle_{tot}$

Advantage/ Drawback

- **D:** second decomposition in $\Delta\phi_p^*$ -bins
- **A:** no background assumption

- **A:** direct extraction of $\langle \sin(\Delta\phi_p^*) \rangle_{SG}$
- **D:** background assumption needed

(1) Event plane method

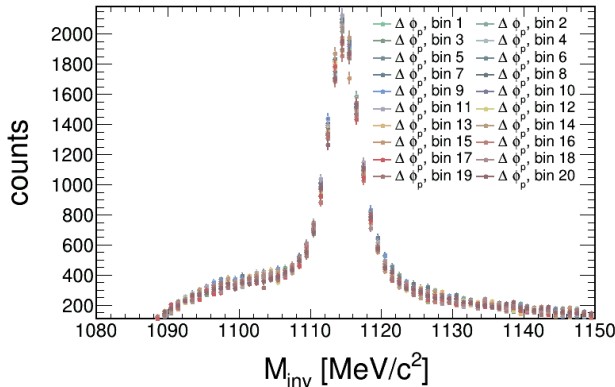
Description of the distribution: *Landau + 2 Gaussian*

$$f_{global}(M_{inv}) = \frac{C}{2\pi i} \int_{c-i\infty}^{c+i\infty} e^{s \cdot \log(s) + M_{inv}s} ds + G_1^{\mu, \sigma_1, A_1}(M_{inv}) + G_2^{\mu, \sigma_2, A_2}(M_{inv})$$

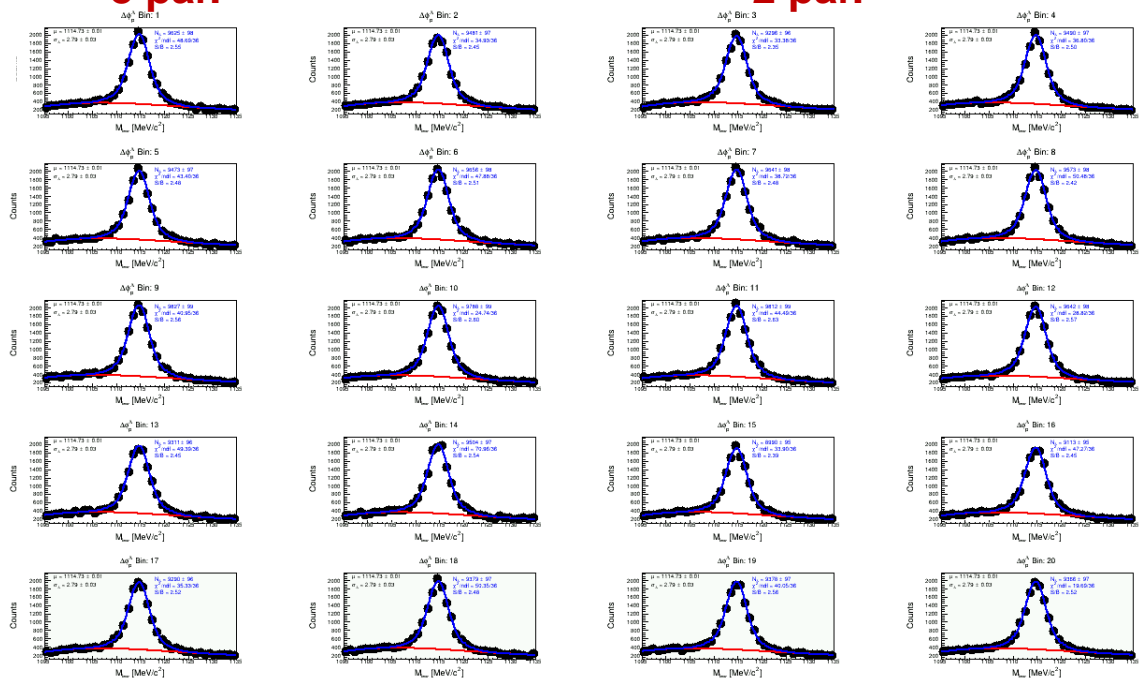
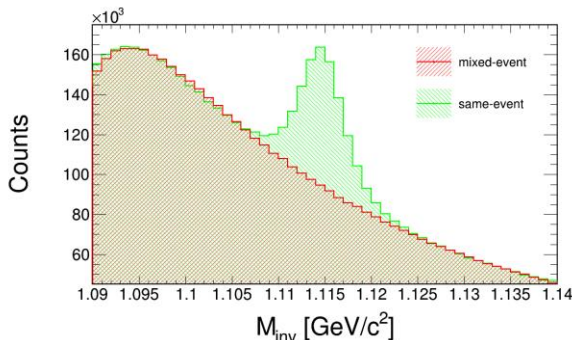
➤ Fix: $\mu, \sigma_1, \sigma_2, A_1/A_2$ for the Λ peak and L_1, L_2 for BG

Global fit
8 par.

Differential fit
2 par.



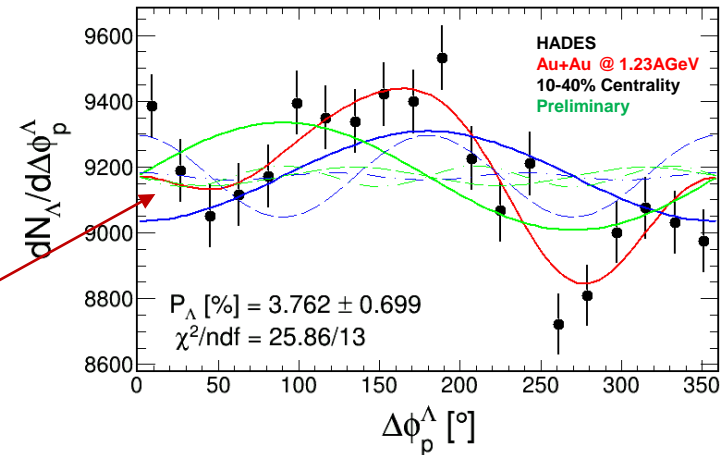
➤ Also very good description by the mixed-event method



(1) Event plane method

Fit the distribution of the polarization angle $\Delta\phi_p^* = \Psi_{EP} - \phi_p^*$

- Get distribution of M_{inv} in a certain $\Delta\phi_p^*$ -bin
- Get net amount of Λ s in that bin
- Plot distribution of $N_\Lambda(\Delta\phi_p^*)$
- Fit this distribution to get $\langle \sin(\Delta\phi_p^*) \rangle$
- Calculate P_Λ



Green:
Sin-Terms
Blue:
Cos-Terms

$$\frac{dN}{d\Delta\phi_p^\Lambda} = N_0 [1 + 2b_1 \sin(\Delta\phi_p^*) + 2c_1 \cos(\Delta\phi_p^*) + 2b_2 \sin(2\Delta\phi_p^*) + 2c_2 \cos(2\Delta\phi_p^*) + \dots]$$

$$P_\Lambda = \frac{8}{\pi\alpha_\Lambda} \frac{b_1}{R_1}$$

First order event plane resolution

Parameter	Value/ 10^{-3}	Error/ 10^{-3}
N_0	9172	21
b_1	8.91	1.65
c_1	-7.45	1.66

$$\Rightarrow P_\Lambda$$
 [%] = 3.762 ± 0.699 (stat.)

- c_1 : comparable magnitude to b_1

(2) Invariant mass fit method

Fit the distribution of $\langle \sin(\Delta\phi_p^*) \rangle$

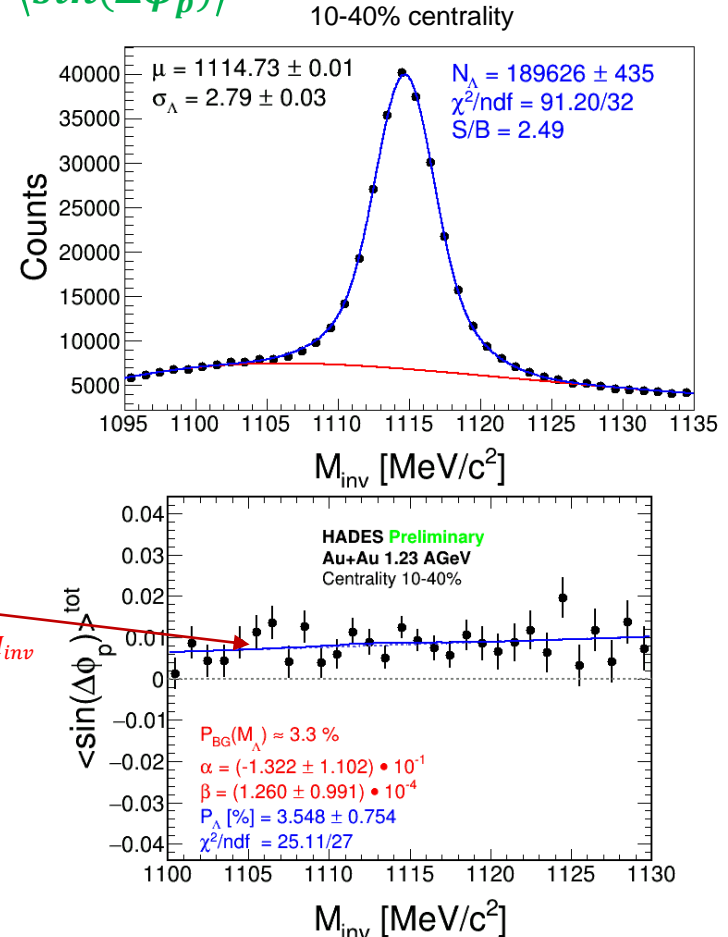
- Plot the distribution of $\langle \sin(\Delta\phi_p^*) \rangle_{tot}$ as a function of M_{inv}
- Get S and B in each bin: $f(M_{inv}) = S/(S + B)$
- Make assumption for $\langle \sin(\Delta\phi_p^*) \rangle_{BG}$
- Fit the distribution to get $\langle \sin(\Delta\phi_p^*) \rangle_{SG}$
- Calculate P_Λ

$$\langle \sin(\Delta\phi_p^*) \rangle_{tot} = f(M_{inv}) \langle \sin(\Delta\phi_p^*) \rangle_{SG} + (1 - f(M_{inv})) \langle \sin(\Delta\phi_p^*) \rangle_{BG}$$

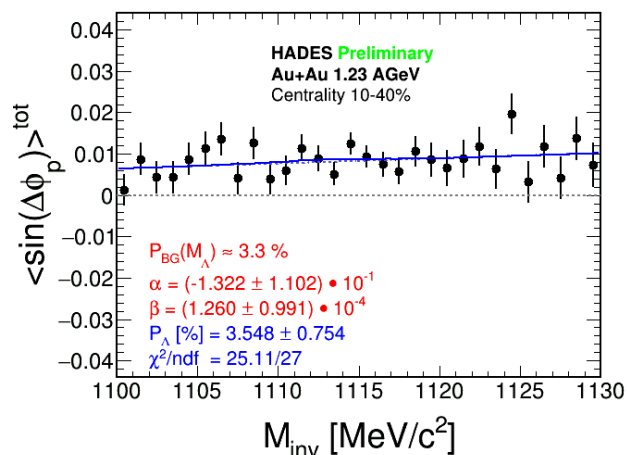
$$P_\Lambda = \frac{8}{\pi\alpha_\Lambda} \langle \sin(\Delta\phi_p^*) \rangle_{SG}$$

$$\Rightarrow P_\Lambda[\%] = 3.548 \pm 0.754(stat.)$$

- Background shows non-zero correlations with magnitude similar to the Λ signal!



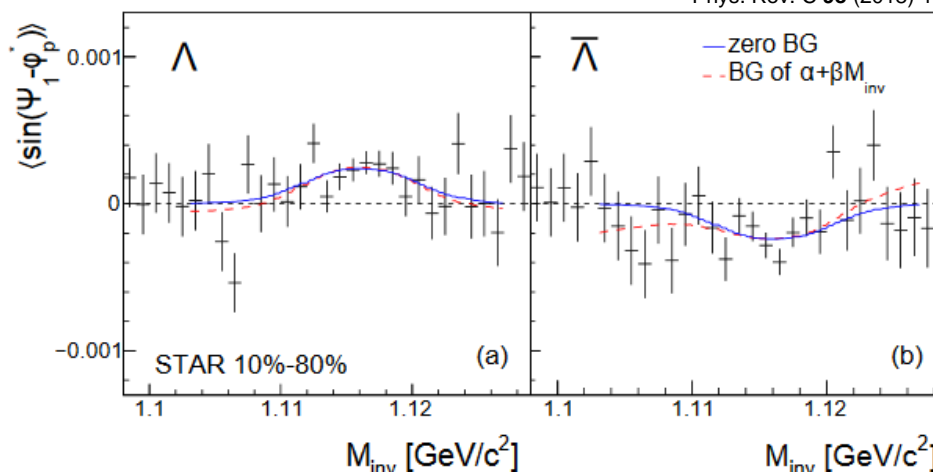
Λ Polarization: Results



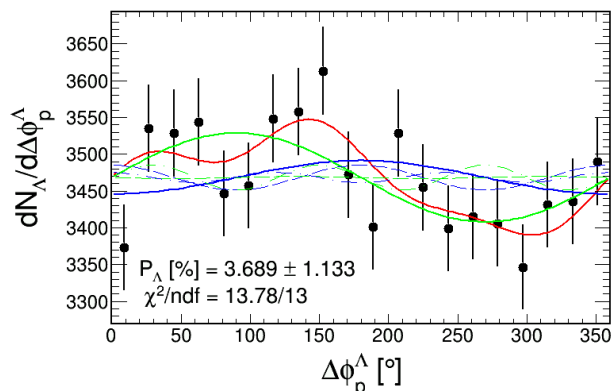
Comparison to STAR @ $\sqrt{s_{NN}} = 200\text{GeV}$:



Phys. Rev. C **98** (2018) 14910



Event Plane Method for background under the Λ peak:



➤ Both methods are consistent:

$$P_\Lambda^{EPM} [\%] = 3.762 \pm 0.699 \text{ (stat.)}$$

$$P_\Lambda^{IMM} [\%] = 3.548 \pm 0.754 \text{ (stat.)}$$

➤ But background correlations of the same order:

$$P_{BG}^{EPM} [\%] = 3.689 \pm 1.133 \text{ (stat.)}$$

➤ Effect not seen in the uncorrelated background (mixed-event, ϕ rotation) \Rightarrow **correlated effect!**



Summary and Outlook

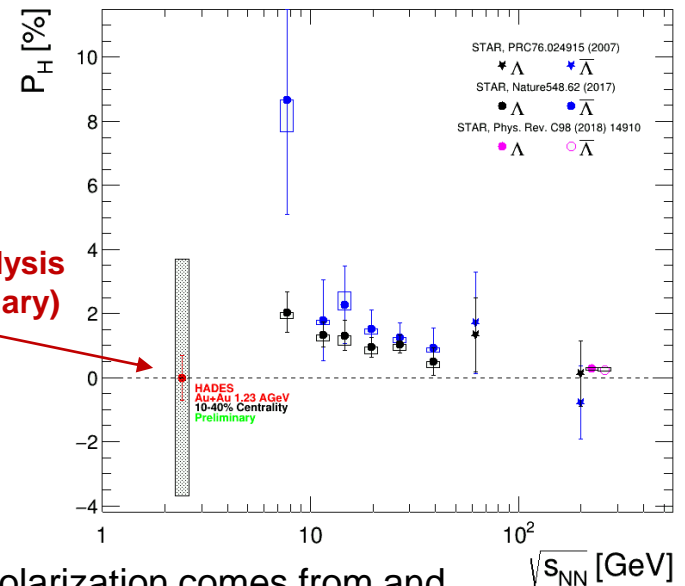
Summary:

- Neural network to improve Λ identification :
→ factor ~ 4 more Λ s in comparison to previous analysis
- Polarization measurement:
→ 2 different methods applied: both in consistence
- Dominant source of systematics:
→ Non-zero background correlations in the P_Λ signal extraction, which has similar magnitude

Outlook:

- Estimate systematic errors: check where the background polarization comes from and apply corrections
- **How does the finite detector acceptance influences the polarization measurement?**
→ Use Pluto (Monte-Carlo simulation framework for HIC collisions and hadronic physics) to generate Λ s:
 1. **Unpolarized:** Guide them trough the HADES detector (GEANT) and apply analysis procedure (result $P_\Lambda = 0$, but without flow)
 2. **Different degree of polarization:** Do the same procedure → What do we measure as P_Λ ?

**Results:
This analysis
(Preliminary)**



Ongoing!

Back Up

Neural network analysis

Input

Signal:

Thermal Λ s embedded into real data

Background:

Mixed-Event – π^- from one event and p from another event

Input Parameters

Topological parameters: d_v, d_1, d_2, d_3, d_t

In addition: m_π, m_p, p_Λ ← significant increase of the efficiency

Synapse

Connections between the neurons, adjusted with a weight w_{ij}^l

Hidden Layers

1. Synapse Function:

$$\kappa: (x_{ij}^{l-1} | w_{ij}^{l-1}) \mapsto w_{0j}^{l-1} + \sum_{i=1}^n w_{ij}^{l-1} x_i^{l-1}$$

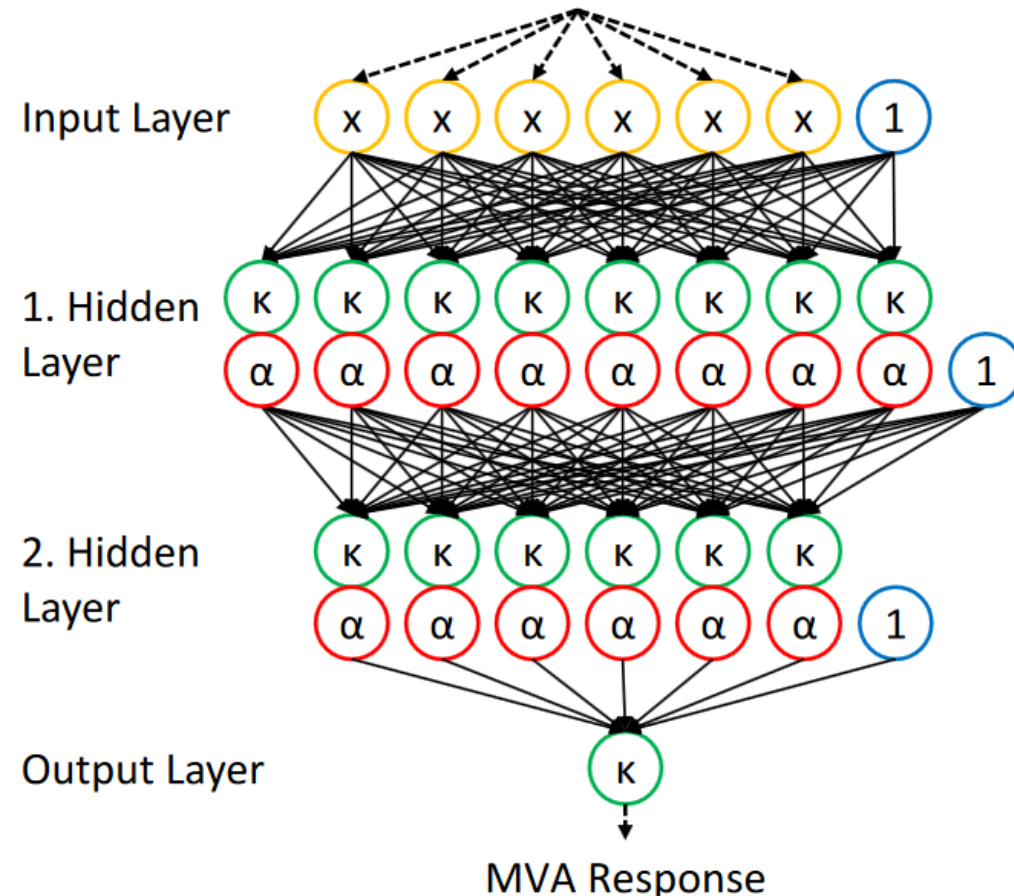
2. Neuron Activation Function:

$$\alpha: x \mapsto \frac{1}{1+e^{-kx}} \text{ (Sigmoid)}$$

Output Layers

Combines the information into one discriminant D

Parameter



Back Up

Neural network analysis

Input

Signal:

Thermal Λ s embedded
into real data

Background:

Mixed-Event –
 π^- from one event and
 p from another event

Training

Convergence of the weights for maximal discrimination
between signal and background!

Required output

Signal: $D_{ideal}=1$ \longleftrightarrow Background: $D_{ideal}=0$

Actual Output: $0 < D_{real} < 1$

Adjusting the weights: Back-Propagation

Error function: $E(x_1, \dots, x_N) = \sum_{n=1}^{SG+BG} \frac{1}{2} (D_{ideal} - D_{real})^2$

Aim: Minimize the error function!

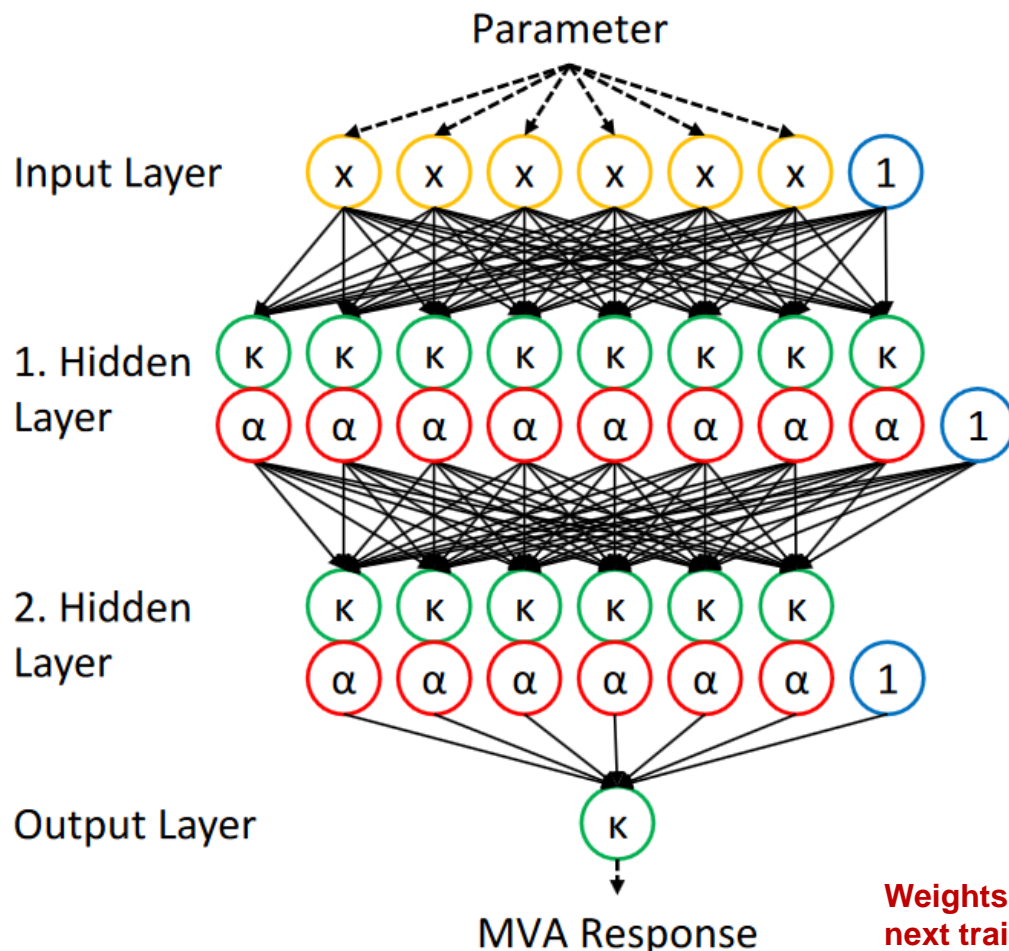
Weights are updated: $w^{k+1} = w^k - \eta \nabla_w E$

Weights of the
next training cycle

Weights of the
current training cycle

Learning rate

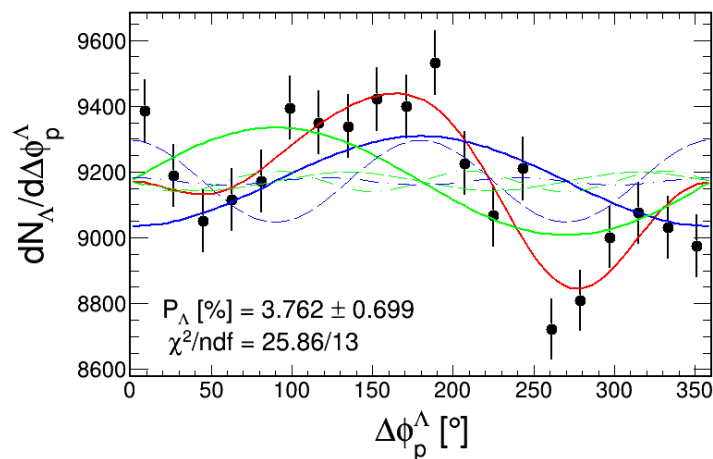
Max. gradient
in w-space



Back Up

Event Plane Method – Fit Parameter

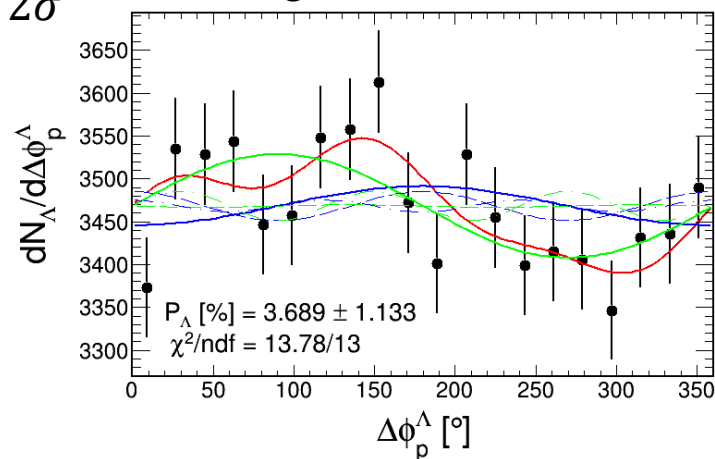
Signal distribution



Parameter	Value/ 10^{-3}	Error/ 10^{-3}
N_0	9172	21
b_1	8.91	1.65
c_1	-7.45	1.66
b_2	-1.54	1.65
c_2	6.79	1.65
b_3	-1.71	1.65
c_3	0.60	1.65

Range:
 $\mu \pm 2\sigma$

Background distribution

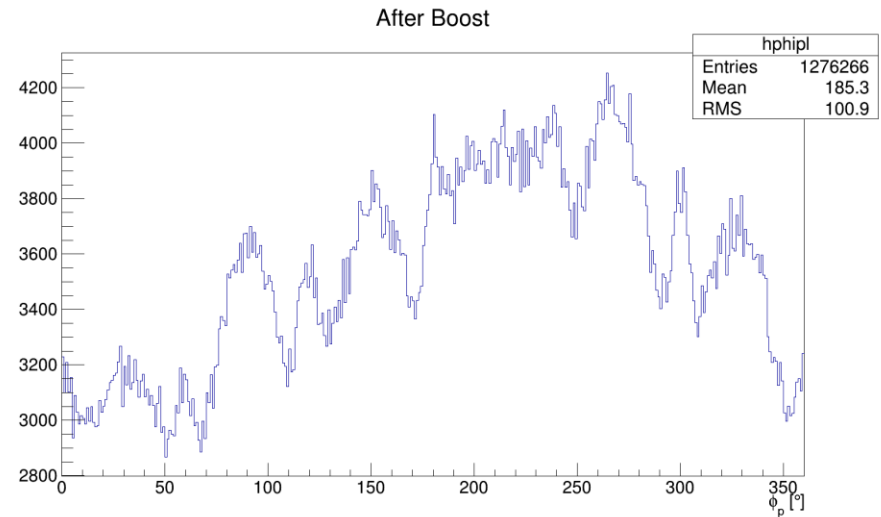
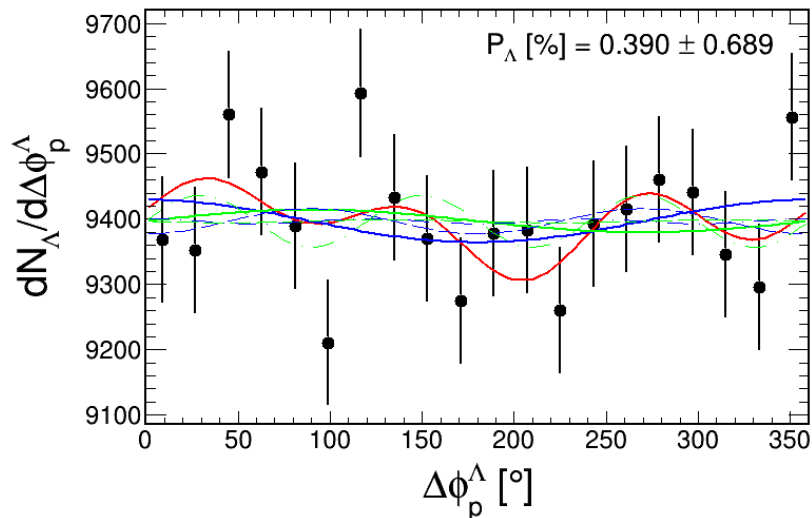


Parameter	Value/ 10^{-3}	Error/ 10^{-3}
N_0	3468	13
b_1	8.74	2.68
c_1	-3.29	2.69
b_2	-0.20	2.69
c_2	2.42	2.68
b_3	2.43	2.69
c_3	0.97	2.68

Back Up

Phi Rotation

- Phi Rotation with probability distribution according to ϕ_p^* (right panel)
- Parameters consistent with 0!
- Background polarization must be a correlated effect



Parameter	Value/ 10^{-3}	Error/ 10^{-3}
N_0	9397	22
b_1	0.92	1.63
c_1	1.74	1.63
b_2	-0.12	1.63
c_2	-1.03	1.63
b_3	2.12	1.63
c_3	0.20	1.63