

HIDDEN ASYMMETRY

&

FORWARD-BACKWARD CORRELATIONS

A. BIALAS & K. ZALEWSKI

- (1) WOUNDED SOURCES
- (2) SYMMETRIC & ASYMMETRIC SOURCES
- (3) FORWARD-BACKWARD CORRELATIONS
- (4) SUMMARY

WOUNDED SOURCES

"REST" FRAME OF THE PRODUCED PARTICLE: $\phi_{||} = 0$

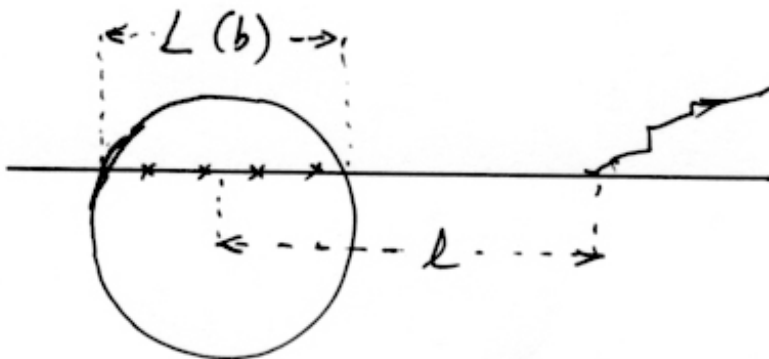
$$\tau_0 \approx \frac{1}{E_0} = \frac{1}{m_L}$$

"LAB" FRAME: TARGET AT REST

$$\tau = \gamma \tau_0 = \frac{\gamma}{m_L} = \frac{\cosh \gamma}{m_L}$$

$$l = v\tau = \frac{\sinh \gamma}{m_L}$$

IF $l > L(b)$ PARTICLE CANNOT RESOLVE
OF COLLISIONS



WOUNDED NUCLEONS

WOUNDED QUARKS & DIQUARKS

BEGINNING (1976): WOUNDED NUCLEONS

W. CZYZE & AB NPB 111 (76) 461

$$N_{pA} = \frac{1+y}{2} N_{pp} \quad \text{TOTAL MULTIPLICITIES}$$

RAPIDITY DISTRIBUTIONS:

$$\left. \frac{dN}{dy} \right|_{AB} = W_N(A) \rho_N(y) + W_N(B) \rho_N(-y)$$

WOUNDED CONSTITUENTS:

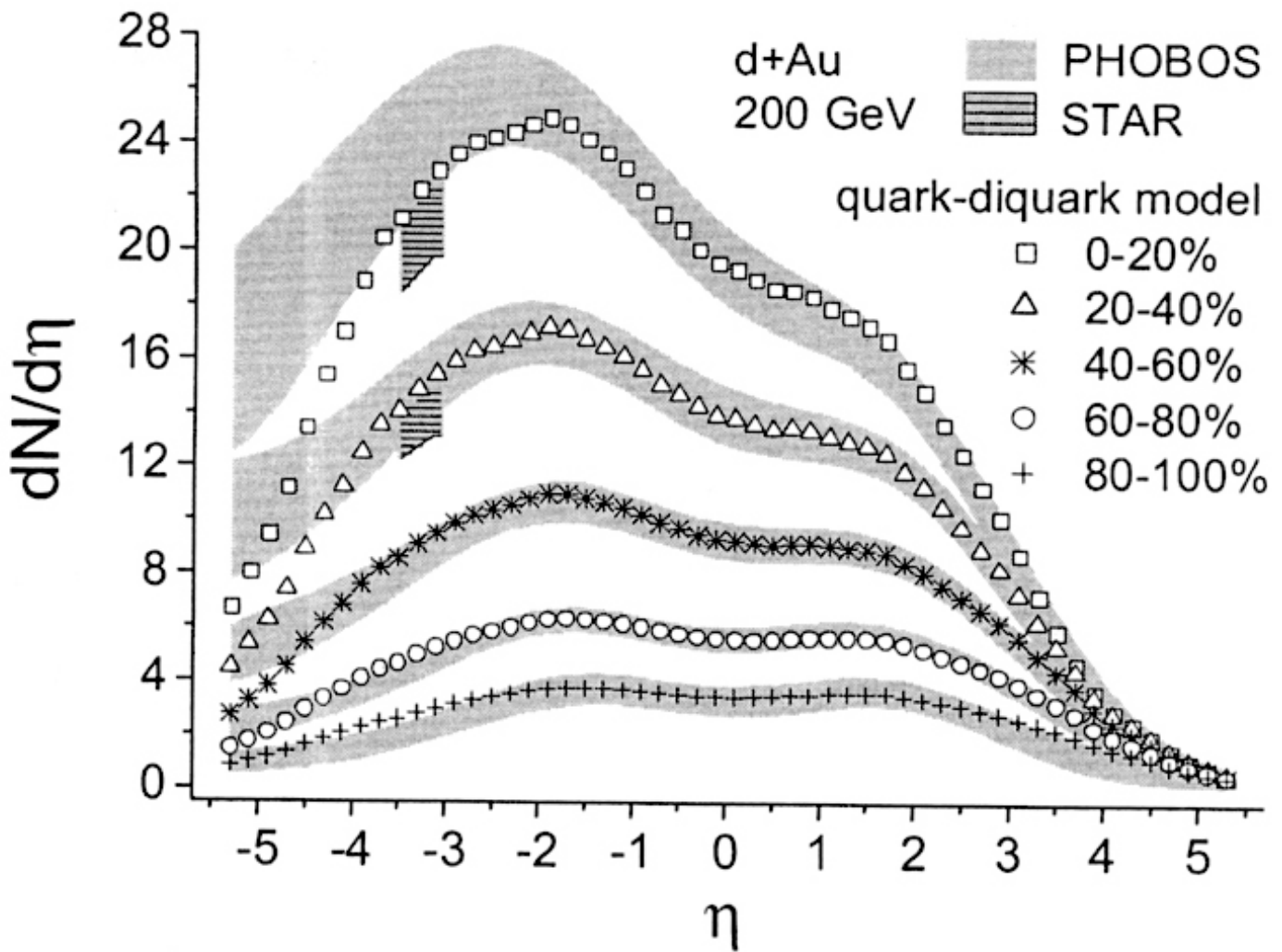
W. CZYZE, W. FURMANOWSKI & AB
ACTA PHYS. POL. B 8 (77) 585

$$\left. \frac{dN}{dy} \right|_{AB} = W_c(A) \rho_c(y) + W_c(B) \rho_c(-y)$$

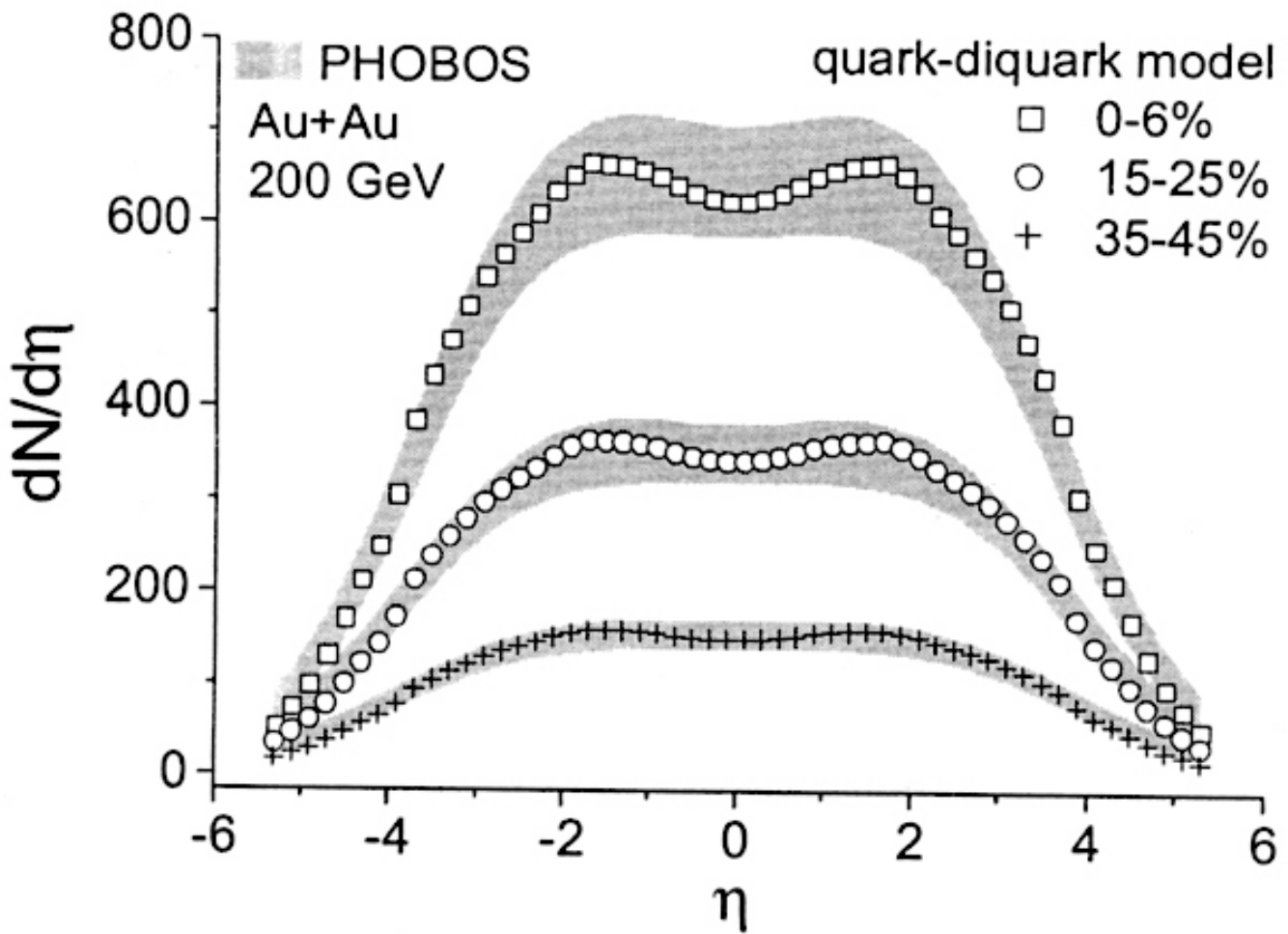
A. BZDAK & AB (PRC 77 (2008) 034908):

WOUNDED QUARK + DIQUARK MODEL WORKS
FOR DISTRIBUTIONS INTEGRATED OVER ϕ_{\perp}

ASYMMETRIC COLLISION



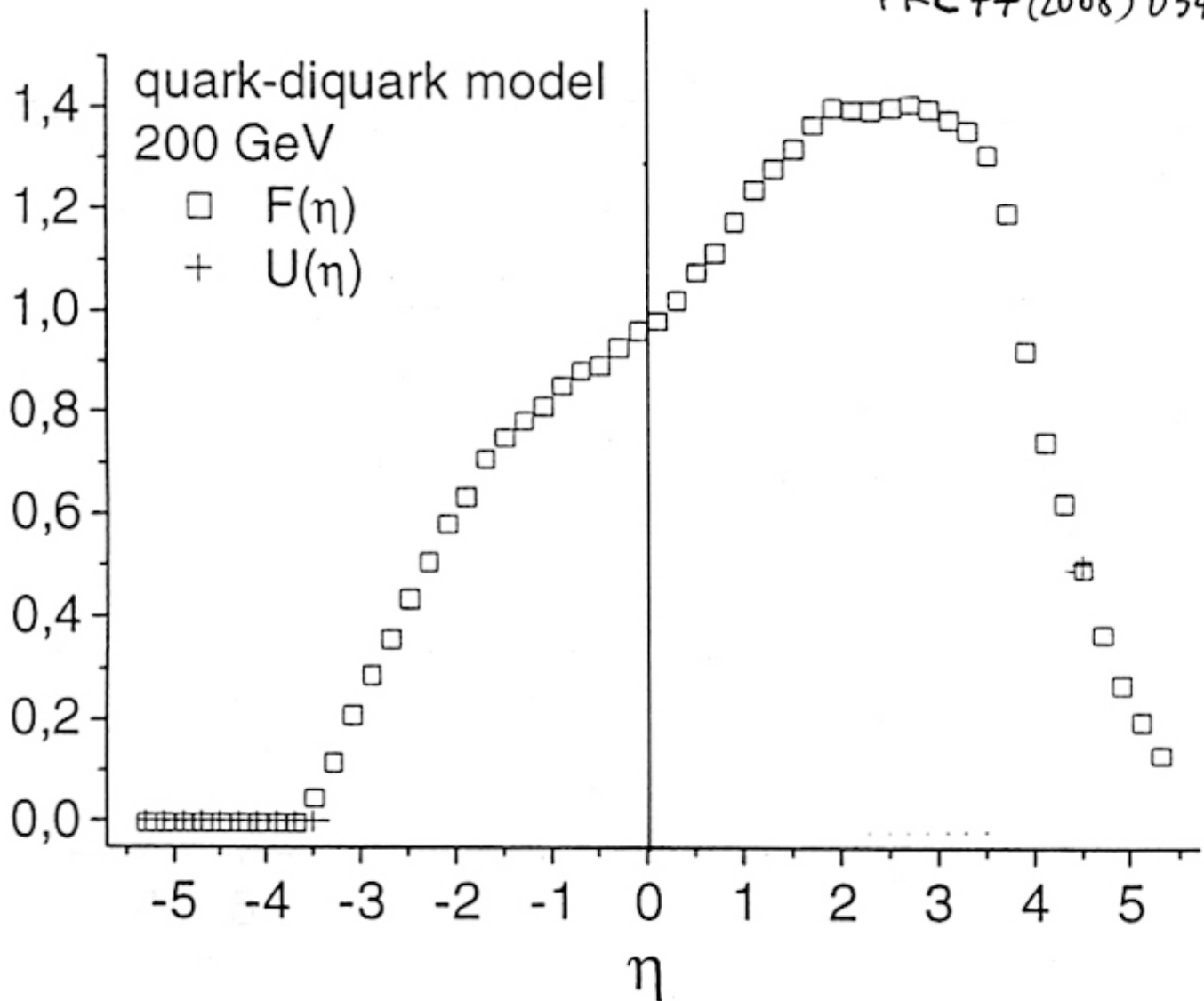
SYMMETRIC COLLISION



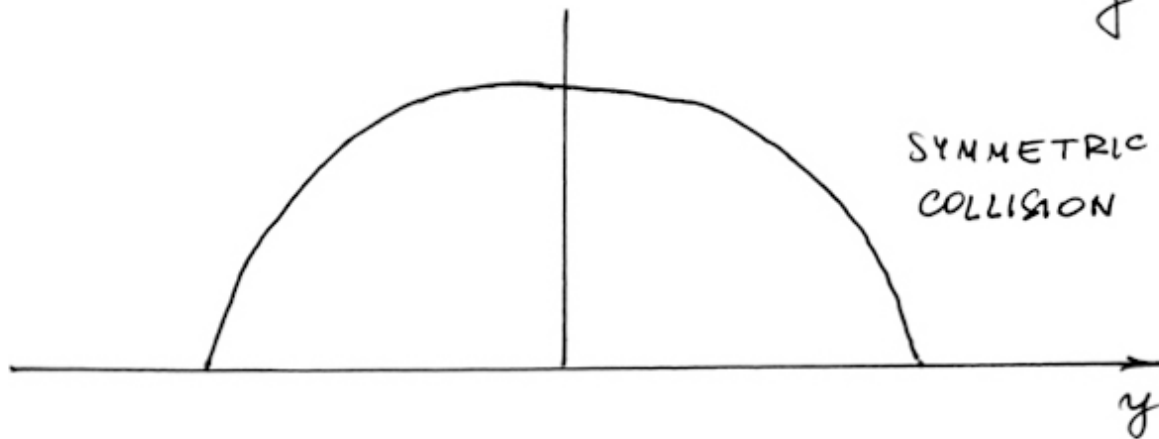
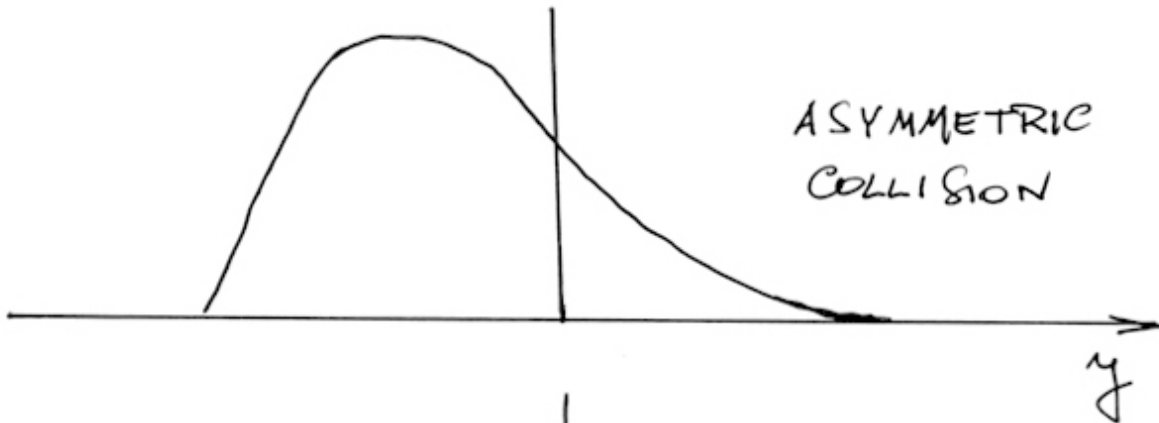
PARTICLE EMISSION FROM ONE
WOUNDED CONSTITUENT

A. BZAK = AB

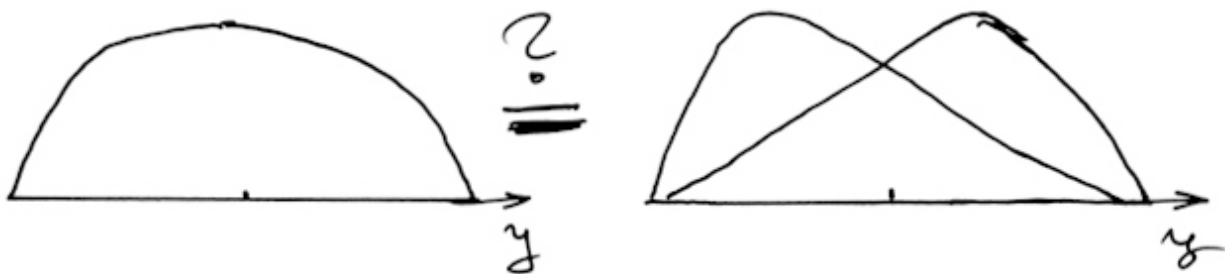
PRC 77(2008) 034908



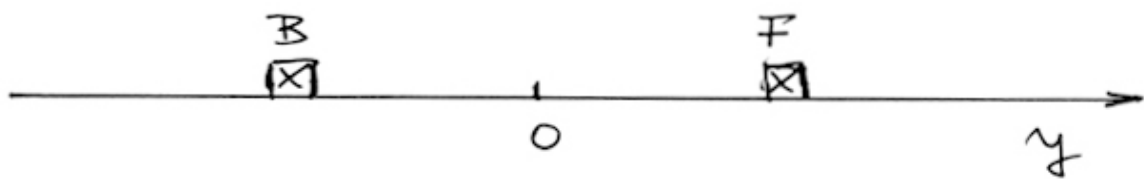
SYMMETRIC & ASYMMETRIC SOURCES



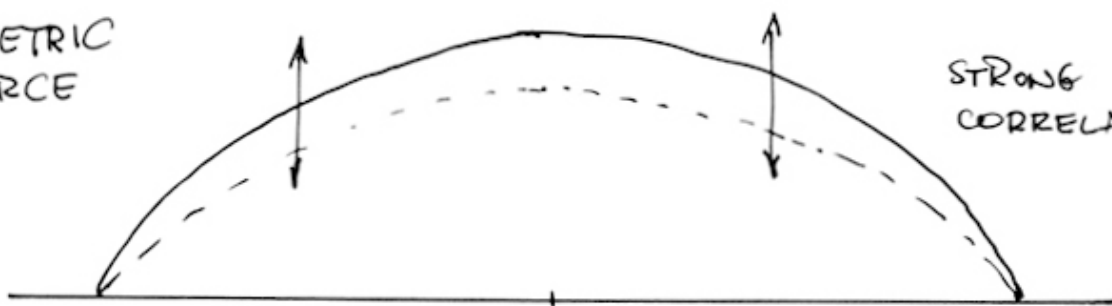
QUESTION (A. BEDALE ACTA PHYS. POL. B41(2010)151)



FORWARD - BACKWARD CORRELATIONS

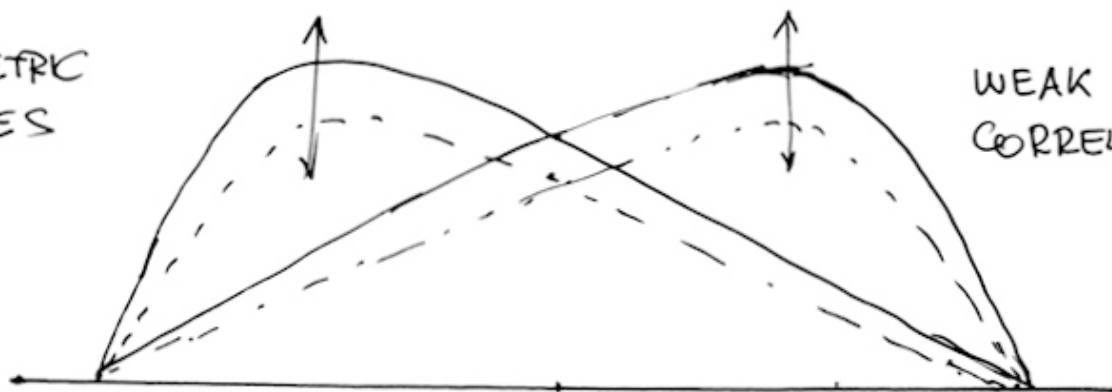


SYMMETRIC SOURCE



STRONG CORRELATION

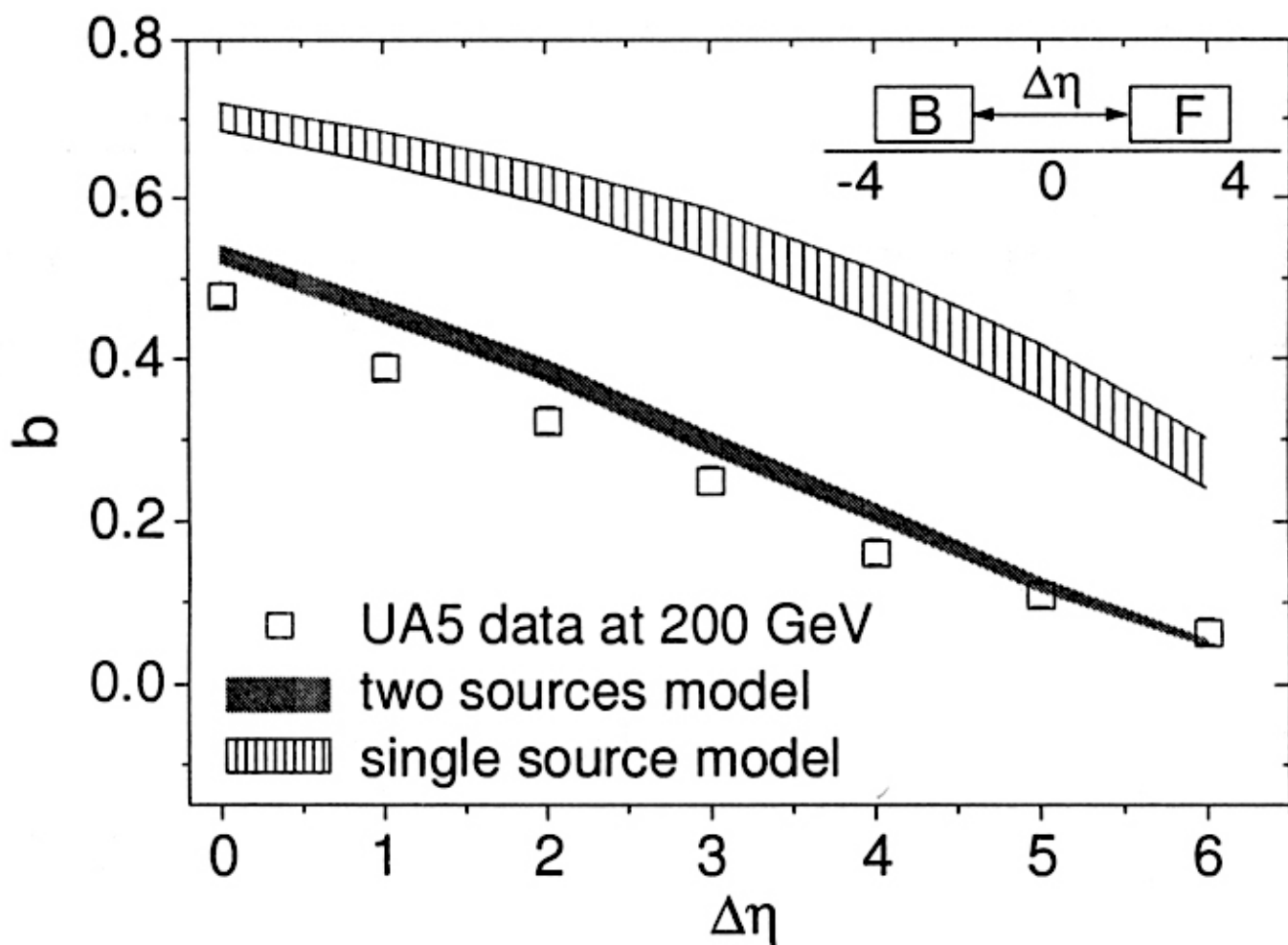
ASYMMETRIC SOURCES



WEAK CORRELATION

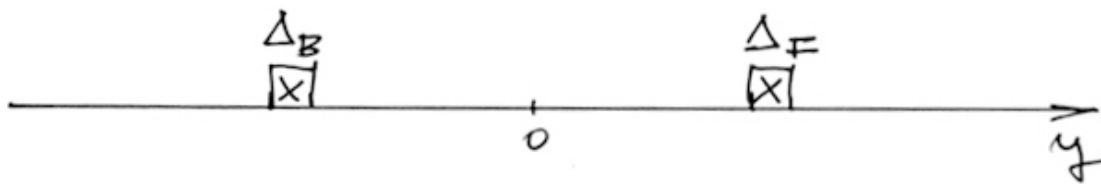
p-p COLLISIONS

FROM A. BZDAK ArXiv 0906.2858



FORWARD-BACKWARD CORRELATIONS
IN SYMMETRIC PROCESSES
GENERAL TREATMENT

K. ZALEWSKI & B



- (1) ALL INFORMATION IS CONTAINED
 IN JOINT FACTORIAL MOMENTS $[\Delta_B, \Delta_F]$

$$F_{ke} = \langle n_B(n_B-1)\dots(n_B-k+1) n_F(n_F-1)\dots(n_F-l+1) \rangle$$

- (2) RELATIONS WERE DERIVED BETWEEN F_{ke}
 & FACTORIAL MOMENTS IN $[\Delta_B + \Delta_F]$:

$$F_m = \langle (n_B + n_F)(n_B + n_F - 1) \dots (n_B + n_F - m + 1) \rangle$$

- (3) THESE RELATIONS ALLOW TO UNCOVER
 PRESENCE OF ASYMMETRIC COMPONENT
 & TO DECODE ITS SHAPE IN RAPIDITY

SUMMARY

- (1) MANY MODELS OF PARTICLE PRODUCTION SUGGEST PRESENCE OF ASYMMETRIC SOURCES, EVEN IN SYMMETRIC PROCESSES.
- (2) A MODEL-INDEPENDENT METHOD TO VERIFY THIS PREDICTION BY STUDYING THE FORWARD-BACKWARD CORRELATIONS IN RAPIDITY IS DEVELOPPED.
- (3) THE METHOD CAN BE APPLIED TO OTHER VARIABLES, INCLUDING TRANSVERSE MOMENTUM.