

# Optical clocks for testing fundamental physics

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Oxford – Quantum Sensors for Fundamental Physics 17<sup>th</sup> October 2018

#### **Outline**

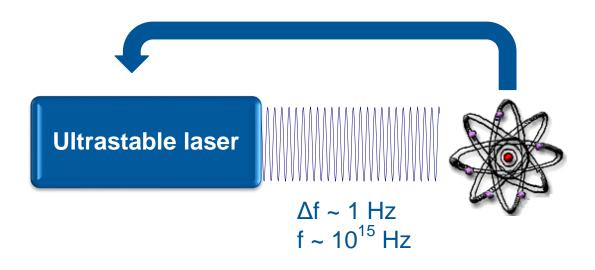


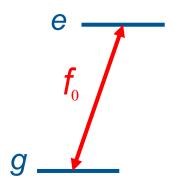


- Optical clock performance
- Two fundamental physics experiments with NPL clocks
  - 1. Search for variation of fundamental constants
  - 2. Test of Special Relativity

# **Optical clock basics**



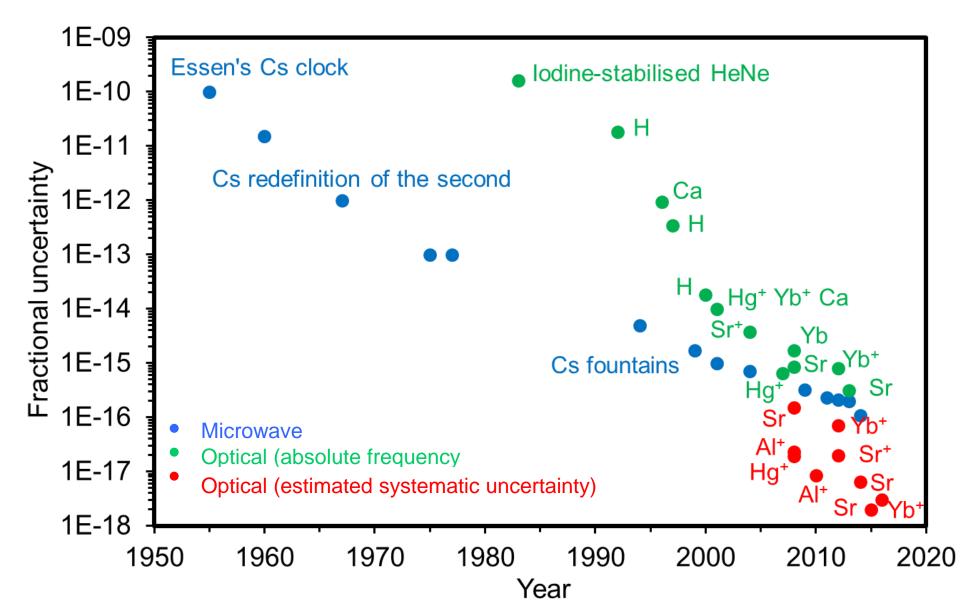




#### Improvements in optical clocks







## **Optical clocks at NPL**



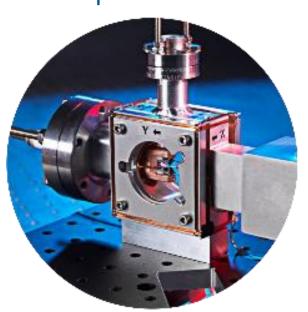
Sr lattice optical clock

Sr+ ion optical clock

Yb+ ion optical clock







■ All 3 clocks have frequency uncertainties in the 10<sup>-17</sup> – 10<sup>-18</sup> range

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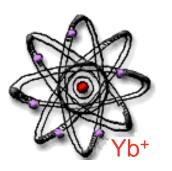
## Atomic clocks to investigate $\Delta \alpha$

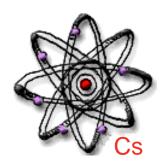


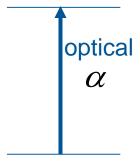


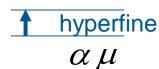
- If  $\alpha$  varies, so will the atomic frequency f
- Beware that other quantities may also be varying
- For  $\alpha$  variation, use optical ratio  $f_1^{\text{opt}} / f_2^{\text{opt}} = r$

$$\frac{r}{r} = [A_1 - A_2] \frac{\alpha}{\alpha}$$
sensitivity factors









Measure fractional rate of change in frequency ratio



**Deduce fractional** rate of change in fine structure constant

$$\alpha = \frac{e^2}{4\pi\varepsilon_0 \hbar c} \qquad \mu = \frac{m_p}{m_e}$$

$$\mu = \frac{m_p}{m_e}$$

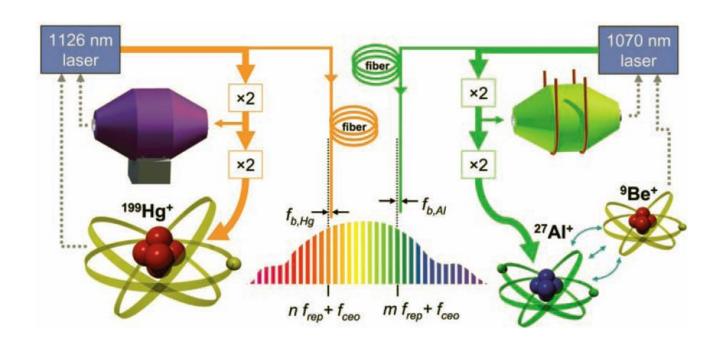
Dimensionless constants

# NIST - Hg+/ Al+ optical frequency ratio





Most accurate single test of alpha-only variation



Clock transition	A
${}^{2}S_{1/2} - {}^{2}D_{5/2}$	-2.94
$^{1}S_{0} - {}^{3}P_{0}$	0.008
<sup>2</sup> S <sub>1/2</sub> - <sup>2</sup> F <sub>7/2</sub>	-5.95
${}^{2}S_{1/2} - {}^{2}D_{3/2}$	1.00
${}^{2}S_{1/2} - {}^{2}D_{5/2}$	0.43
${}^{2}S_{1/2} - {}^{2}D_{5/2}$	0.15
$^{1}S_{0} - {}^{3}P_{0}$	0.06
	${}^{2}S_{1/2} - {}^{2}D_{5/2}$ ${}^{1}S_{0} - {}^{3}P_{0}$ ${}^{2}S_{1/2} - {}^{2}F_{7/2}$ ${}^{2}S_{1/2} - {}^{2}D_{3/2}$ ${}^{2}S_{1/2} - {}^{2}D_{5/2}$ ${}^{2}S_{1/2} - {}^{2}D_{5/2}$

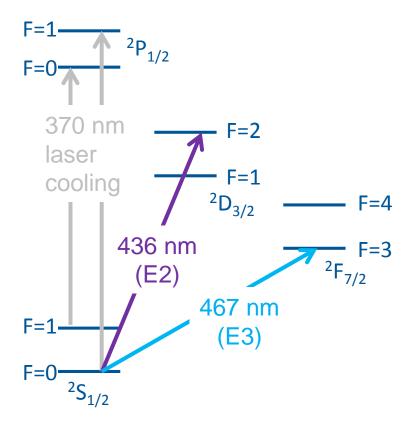
V.V. Flambaum and V.A. Dzuba, Can. J. Phys. 87, 25 (2009)

$$\frac{\dot{r}}{r} = [A_1 - A_2] \frac{\dot{\alpha}}{\alpha}$$

$$\frac{\dot{r}}{r} = 2.95 \frac{\dot{\alpha}}{\alpha}$$

## The advantage of Yb+ for laboratory tests





- Increased sensitivity to α variation
- Two clock transitions in the same ion in same environment

	Clock transition	A
Hg+	${}^{2}S_{1/2} - {}^{2}D_{5/2}$	-2.94
Al+	1S _ 3P	0.008
Yb+(E3)	$^{2}S_{1/2} - ^{2}F_{7/2}$	-5.95
Yb+(E2)	${}^{2}S_{1/2} - {}^{2}D_{3/2}$	1.00
Sr <sup>+</sup>	<sup>∠</sup> S <sub>1/2</sub> − <sup>∠</sup> D <sub>5/2</sub>	0.43
Ca+	${}^{2}S_{1/2} - {}^{2}D_{5/2}$	0.15
Sr	${}^{1}S_{0} - {}^{3}P_{0}$	0.06
V/V/ EL	and MA Deviler Orac I Dhara	07 05 (0000)

V.V. Flambaum and V.A. Dzuba, Can. J. Phys. **87**, 25 (2009)

$$\frac{\dot{r}}{r} = [A_1 - A_2] \frac{\dot{\alpha}}{\alpha}$$

$$\frac{\dot{r}}{r} = 6.95 \frac{\dot{\alpha}}{\alpha}$$

#### Frequency ratios between Yb<sup>+</sup> and Cs

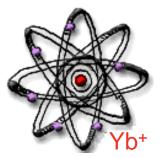




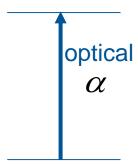
Can also investigate variation in µ as well

$$\frac{r}{r} = [A_1 - A_2] \frac{\alpha}{\alpha} - [B_1 - B_2] \frac{\mu}{\mu}$$

Ion	Clock transition	Α	В
Yb+	${}^{2}S_{1/2} - {}^{2}D_{3/2}$	1.00	0
Yb+	${}^{2}S_{1/2} - {}^{2}F_{7/2}$	-5.95	0
Cs	$^{2}S_{1/2}$ F=3-4	2.83	1







$$\alpha \mu$$

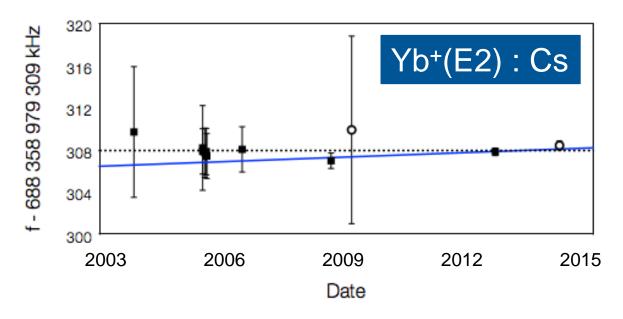
$$\alpha = \frac{e^2}{4\pi\varepsilon_0 \hbar c} \quad \mu = \frac{m_p}{m_e}$$

$$\mu = \frac{m_p}{m_e}$$

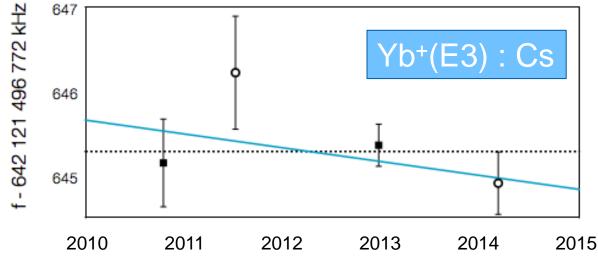
# History of Yb+ E3 and E2 against Cs







$$\frac{d}{dt} \ln \left( \frac{\nu_{\rm E2}}{\nu_{\rm Cs}} \right) = (2.3 \pm 1.5) \times 10^{-16} \,\rm yr^{-1}$$



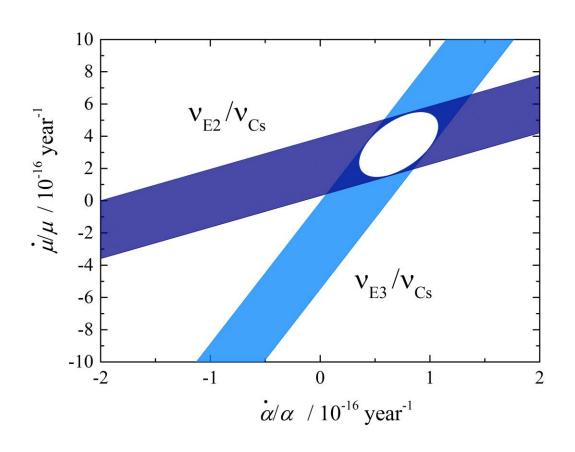
Date

$$\frac{d}{dt} \ln \left( \frac{\nu_{\rm E3}}{\nu_{\rm Cs}} \right) = (-2.5 \pm 2.7) \times 10^{-16} \,\rm year^{-1}$$

## Yb<sup>+</sup> limits on α and μ time-variation





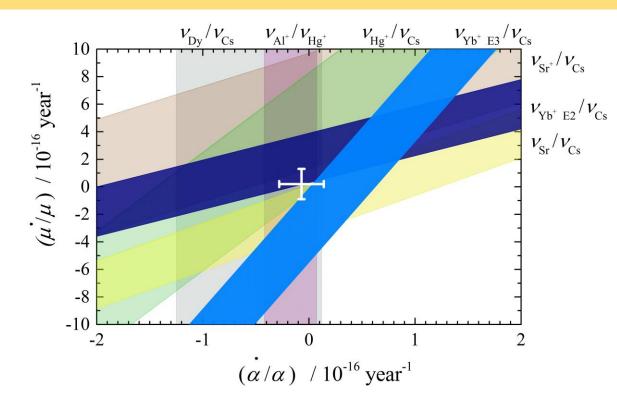


$$[\dot{\alpha}/\alpha]_{\mathrm{Yb^{+}/Cs}} = 7.2(4.7) \times 10^{-17} \mathrm{\ yr^{-1}}$$

$$[\dot{\mu}/\mu]_{\rm Yb^+/Cs} = 3.5(2.4) \times 10^{-16} \text{ yr}^{-1}$$

## Combined limits on $\alpha$ and $\mu$ variation





$$\dot{\mu}/\mu = 0.2(1.1) \times 10^{-16} \,\text{year}^{-1}$$
  
 $\dot{\alpha}/\alpha = -0.7(2.1) \times 10^{-17} \,\text{year}^{-1}$ 

 Three-fold improvement on best previous constraint on μ

- Improvements to the clock will allow even more stringent searches for present-day changes
  - Slow variations
  - Transients
  - Oscillations

#### **Outline**

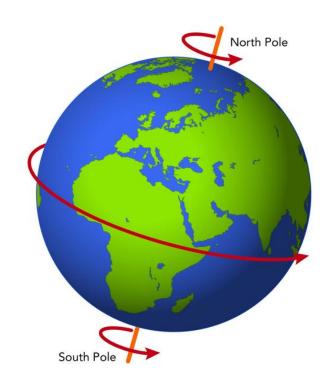


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# **Test of Special Relativity**

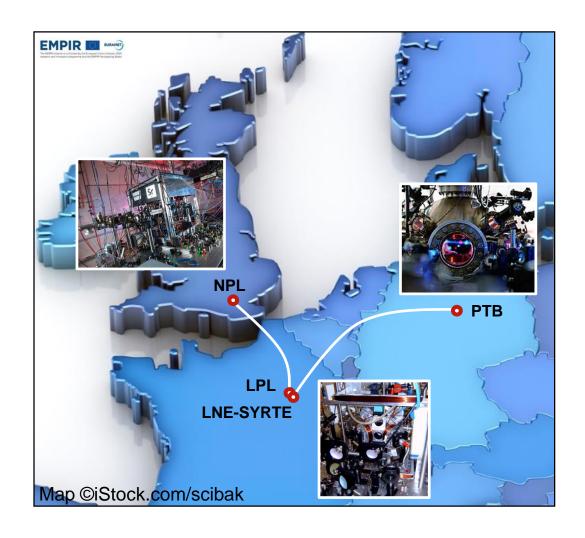


- Lorentz Invariance is an assumption of Special Relativity: the outcome of an experiment does not depend on the velocity or orientation of the inertial frame in which it is performed
- If true, atomic clocks in different inertial frames will have the same frequency
- Compare clocks in different locations and look for daily variations in their frequency differences



# **European network of optical clocks**





 Comparison of Sr optical lattice clocks, linked via optical fibres

# **Test of Special Relativity**



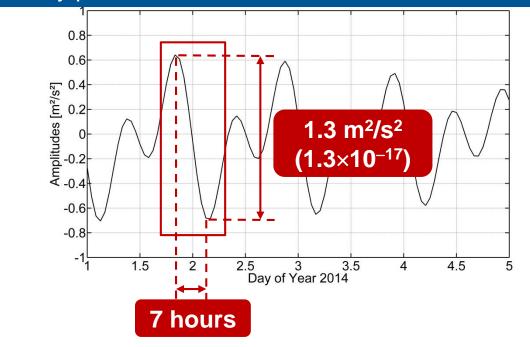


- Need to account for gravitational redshifts due to tides
- Analysis of clock frequency differences shows that

violation of Lorentz Invariance Robertson-Mansouri-Sexl parameter < 1.1 ×10<sup>-8</sup>

 Factor of 2 improvement on best previous constraint





# **Summary**





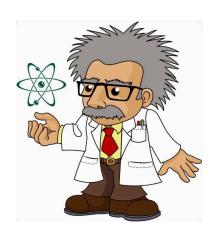
■ NPL Sr, Sr<sup>+</sup> and Yb<sup>+</sup> optical clocks have frequency uncertainties in the 10<sup>-17</sup> – 10<sup>-18</sup> range







- Can use optical clocks to test fundamental physics at unprecedented levels
  - Variations in α and μ
  - Lorentz Invariance tests



#### With thanks to...



#### Time and Frequency group at NPL



#### European collaborators









Systèmes de Référence Temps-Espace





