Effect Of Leading-edge Geometry And Thickness On The Performance Of Miniature Cryogenic Expansion Turbine

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Introduction

- Effect of trailing-edge geometry and thickness on the performance of turbine
- While leading edge are often established in an arbitrary and intuitive way alt effect on the form of pump or turbine characteristics^[2].
- For avoiding the excessive loss caused by the separation flow from the suction approximately radial^{[2][3]}.

Goal:

In order to study the specified effect of leading-edge geometry and thickness on t geometries with four different thicknesses based on numerical simulation. For ellipse leading-edge, whether the direction of the streamline is radial at sta

Methodology

Figure 1 shows the four different leading-edge geometries.

Figure 2 shows a impeller with a ellipse a leading-edge, and its thickness is 0.7mr Blade number is 10, the inlet diameter of the turbine is 16mm, the working fluid i Helium-4.

Figure 3 shows the 3D mesh of the impeller(leading-edge amplification), the total element number is 471293, and total number of faces is 57546.

Impeller inlet mass flow rata, static temperature and outlet static pressure were known, we changed the coordinate component of absolute velocity to alter the inle velocity triangle.



Figure 2. Geometry of the impeller

Continuity Equation

In the flow passage part of the turbine expander, it is generally considered to be a

Momentum Equation

In the flow channel of the turbine expander, the volume force is not considered ge

$$\frac{dC}{dt} = -\frac{1}{c}$$

 $\int_{A} \rho C \cdot dA$

Energy Equation The stable flow energy equation without friction loss in a turbine expander can be

$$\dot{W}_{e} = -\int_{A} (i + \frac{C}{2})$$

A is cross-sectional area of control body, ρ is density of working fluid, C is absoluted as the section of t working fluid.

Conclusions

This paper study the effect of leading-edge geometry and thickness on the performance of miniature expansion turbine based on numerical simulation method, the following conclusions can be drawn: • Square leading-edge caused more loss than ellipse leading-edge at the same leading-edge thickness. • With the decrease of leading-edge thickness, the square's optimal incidence angle was toward to zero degree, the ellipse's optimal incidence angle was toward to larger negative angle. • The optimum criterion at the stagnation position of blade leading-edge could only apply to the square leading edge, the ellipse leading-edge does not follow it. • For ellipse leading-edge, it still needs to maintain a certain negative degree at stagnation to offset the relative velocity vortex component caused by the rotation of the running wheel.

References

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	a.
e has already haven a experimental verification ^[1] .	
though test results seem to indicate that they have a sensible	
ion surface near the lading-edge, the flow at stagnation point is	
urbine, we compared the thermal performance of the four leading edge gnation point should be further explored.	
m. is is is is is is is is is is is is is	b.
Figure 3. Impeller mesh for numerical calculation(leading-edge)	
a stable so-called shaped flow ^[4] , so the continuity equation is:	
= O enerally, so the momentum equation of the inviscid fluid is ^[5] :	
abla P	
e simplified to:	
$(-)\rho C \cdot dA$	Fo
lute velocity of working fluid, P is pressure, i is specified enthalpy of	as de



• For ellipse geometries, there was no significant difference when the leading-edge thickness changed at the positive incidence range. While at the range of negative incidence, it shows the leading-edge loss to increase with increased leading-edge thickness, excepting the thickness 0.4mm, that means we could not improve the efficiency just decrease the leading-edge thickness blindly.

• For square leading-edge, at the whole range of incidence, the leading-edge loss to increase with increased leading-edge thickness.

The direction of the streamline at the rotor leading-edge



Figure 7. Relative velocity vector at leading-edge (P is pressure surface, S is suction surface)

For the square front, the relative velocity vector direction in the marking place is perpendicular to the stagnation plane, that is, the streamline direction is the same the leading-edge blade direction. While for ellipse leading-edge, the direction of streamline at stagnation position still needs to maintain a certain negative egree, in order to make the fluid get cross the blade from suction surface to pressure surface.