

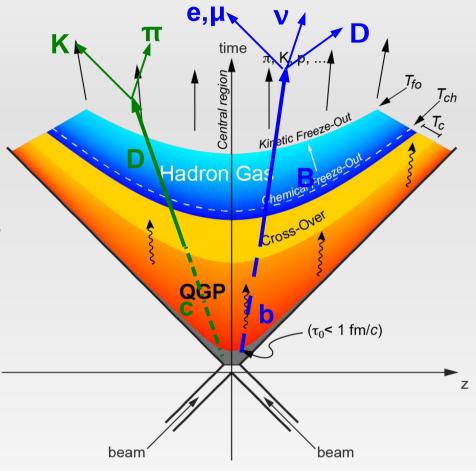


# Anisotropic flow correlations of heavy-flavours in heavy-ion collisions

A. Dubla 25/02/2019

## **Physics motivation**

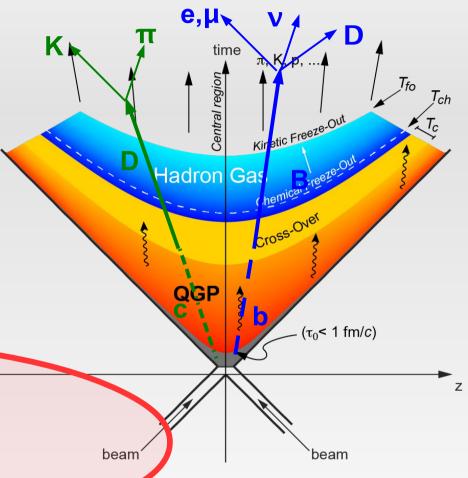
- Charm and beauty quarks are produced in hard scattering processes in the early stage of the collision
- Experience the full evolution of the system → sensitive probes of the properties of the hot and dense QCD matter (QGP)
- Lose energy while traversing the medium
- Do heavy quarks participate in the collective expansion of the medium?



- Investigation of the magnetic filed created in heavy-ion collisions
- Cold Nuclear Matter effects and hadronization

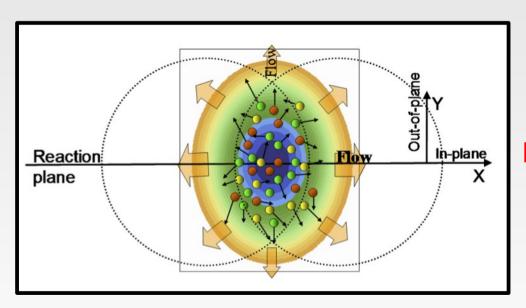
## **Physics motivation**

- Charm and beauty quarks are produced in hard scattering processes in the early stage of the collision
- Experience the full evolution of the system → sensitive probes of the properties of the hot and dense QCD matter (QGP)
- Lose energy while traversing the medium
- Do heavy quarks participate in the collective expansion of the medium?
  - Investigation of the magnetic filed created in heavy-ion collisions
- Cold Nuclear Matter effects and hadronization



### Collectivity: azimuthal anisotropy

- Re-scatterings among produced particles convert the initial geometrical anisotropy into an observable momentum anisotropy
- In addition, path-length dependent energy loss induces an asymmetry in momentum space
- Observable: elliptic flow  $v_2 = 2^{nd}$  Fourier coefficient of the particle azimuthal distribution



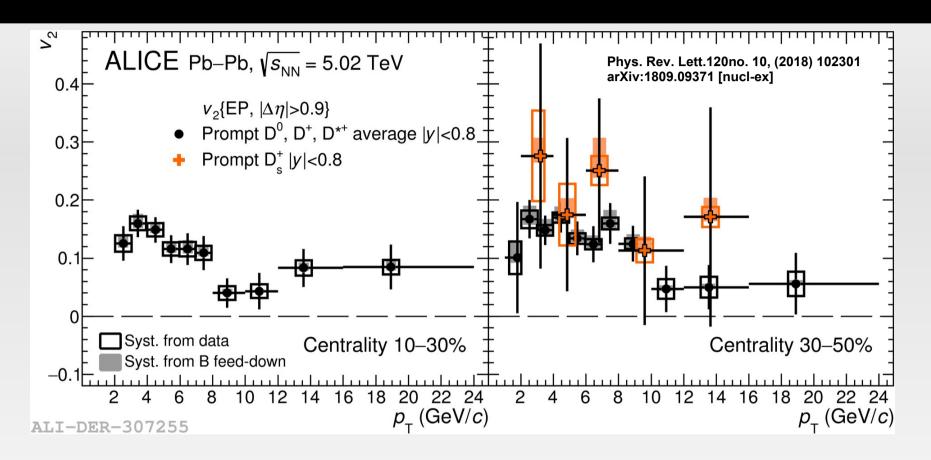
$$E\frac{\mathrm{d}^3 N}{\mathrm{d}^3 p} = \frac{1}{2\pi} \frac{\mathrm{d}^2 N}{p_{\mathrm{T}} \mathrm{d} p_{\mathrm{T}} \mathrm{d} y} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\varphi - \Psi_{\mathrm{RP}})] \right)$$

#### Heavy-flavour $v_2$ measurements probe:

Low/intermediate p<sub>T</sub>: collective motion,
 degree of thermalization of heavy quarks and hadronization mechanism (recombination)

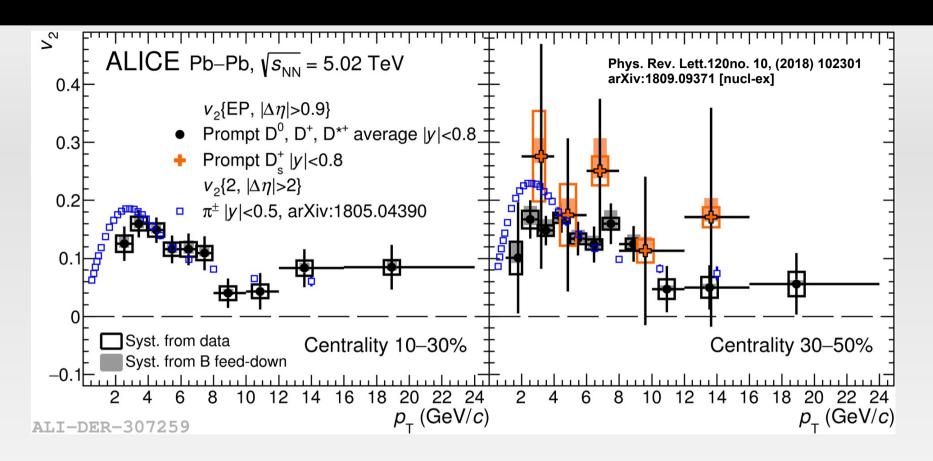
High p<sub>T</sub>: path-length dependence of heavy-quark energy loss

#### Elliptic flow



– positive D meson  $v_2$  for  $2 < p_T < 8$  GeV/c in mid-central Pb-Pb collisions

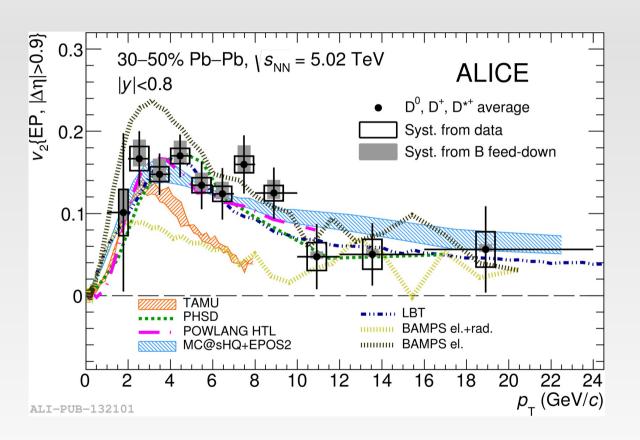
#### Elliptic flow



- positive D meson  $v_2$  for  $2 < p_T < 8$  GeV/c in mid-central Pb-Pb collisions
- $-v_2(D) \sim v_2(\pi)$  for  $p_T > 4$  GeV/c in mid-central Pb-Pb collisions
- Hit of  $v_2(D) < v_2(\pi)$  for  $p_T < 4$  GeV/c in mid-central Pb-Pb collisions

#### Elliptic flow: model comparison

– Improved precision of the measurement can constrain model parameters, e.g. the heavy-flavour spatial diffusion coefficient  $D_s$ 



$$D_s = (T/m_{\rm Q})\tau_{\rm Q}$$

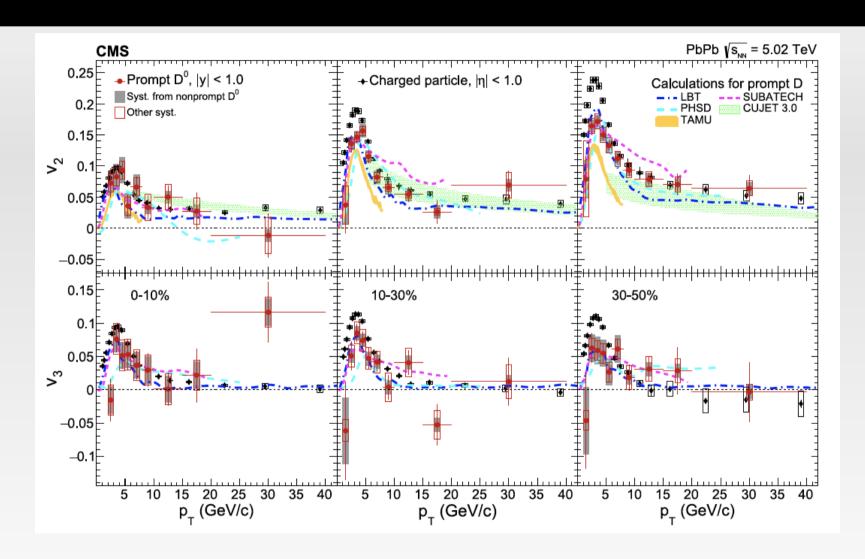
For models describing the data with  $X^2/ndf < 1$ :

$$1.5 < 2\pi T_{\rm c}D_s < 7$$



$$\tau_{\rm charm} = 3 - 14 \text{ fm/}c$$

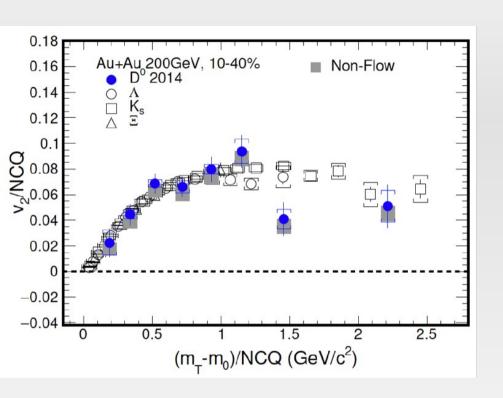
### Triangular flow at LHC

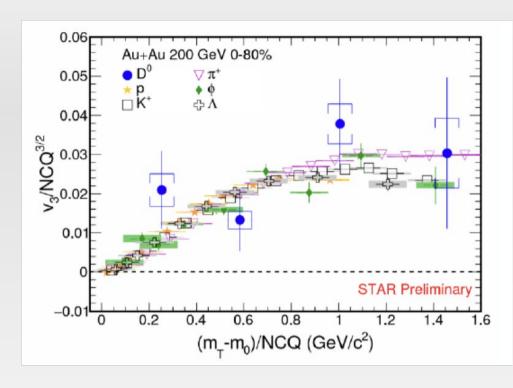


#### First observations of $v_3 > 0$ for charm at LHC!

-  $v_3$  for charged particle larger that D<sup>0</sup>  $v_3$  although not fully significative

#### Azimuthal anisotropy at RHIC

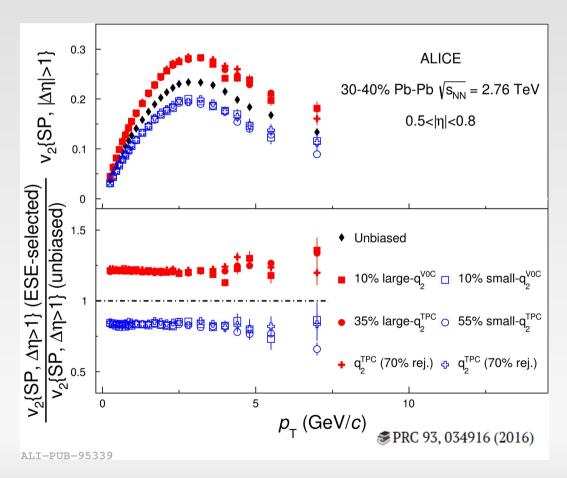




- Significant  $v_2(D) > 0$  at RHIC Mass "ordering" and  $m_T$ - $m_0$  ordering suggest an hydro-dynamic behaviour! Indication that charm is flowing with the medium!
- At RHIC v<sub>3</sub> consistent with charged particle one (although with very large uncertainties)

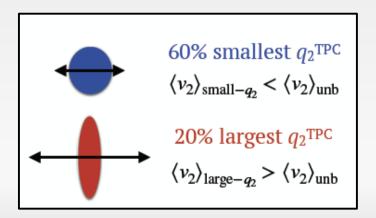
### **Event Shape Engineering**

Technique that allows us to study various observables in classes of events corresponding to the same centrality, but different eccentricity

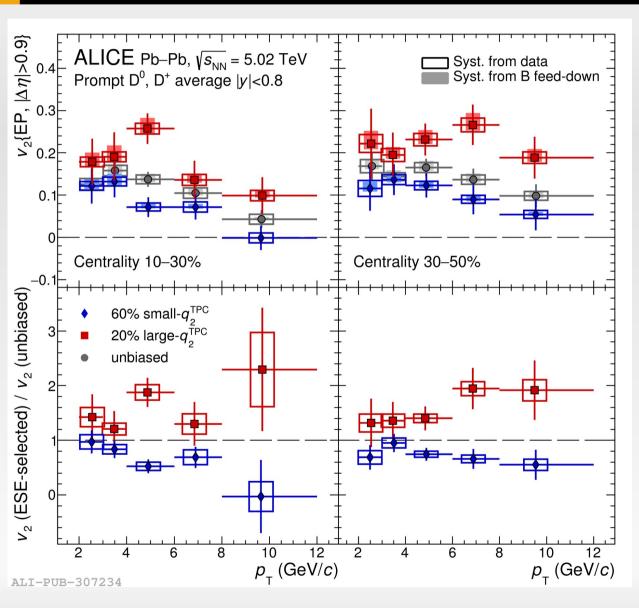


 Technique relies on the classification of events at a certain centrality according to the magnitude of the second-harmonic flow vector

D-meson V<sub>2</sub> for different q<sub>2</sub> samples:
 investigate correlation between flow coefficients of D mesons and soft hadrons

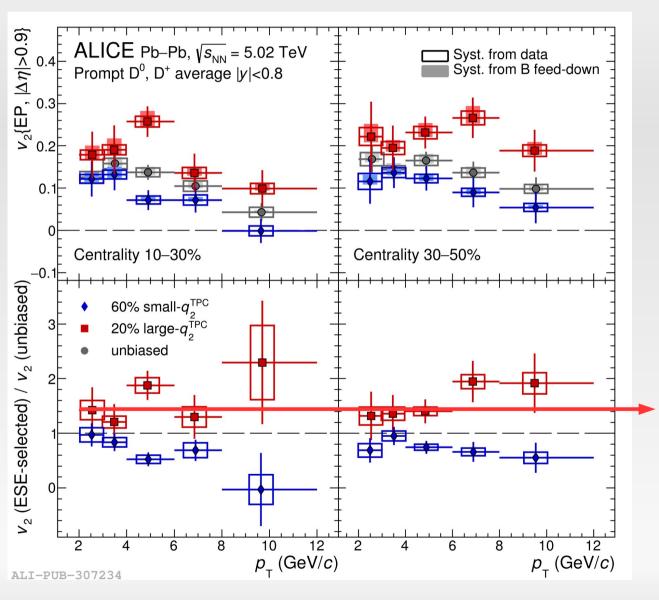


## Azimuthal anisotropy: Event Shape Engineering



Measurement of D-meson v2
 in ESE-selected samples
 indicate a positive correlation
 between the D-meson v2 and
 the light-hadron v2
 Similar effect in the 10-30%
 and 30-50% centrality classes
 within uncertainties

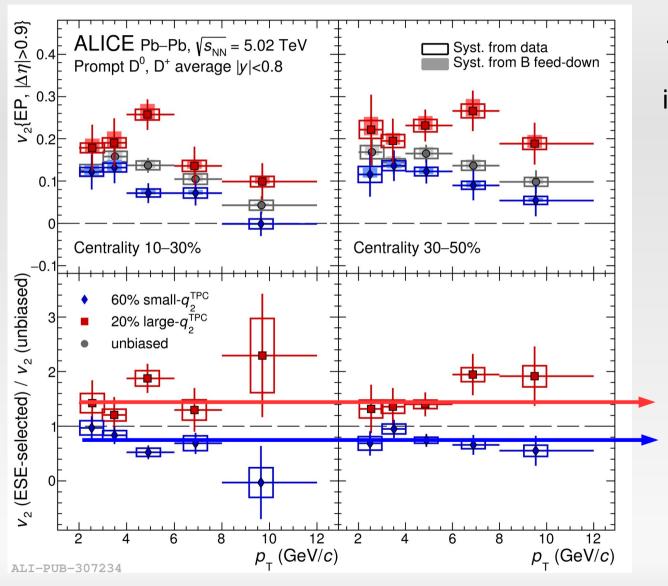
## Azimuthal anisotropy: Event Shape Engineering



Measurement of D-meson v2
 in ESE-selected samples
 indicate a positive correlation
 between the D-meson v2 and
 the light-hadron v2
 Similar effect in the 10-30%
 and 30-50% centrality classes
 within uncertainties

 $v_2$  (large-q<sub>2</sub>) >  $v_2$  (unbiased) of about 40%

## Azimuthal anisotropy: Event Shape Engineering



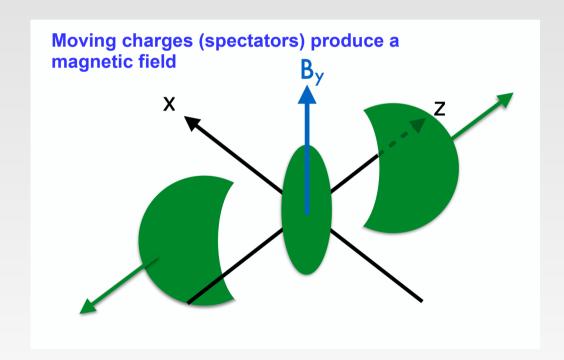
Measurement of D-meson v2
 in ESE-selected samples
 indicate a positive correlation
 between the D-meson v2 and
 the light-hadron v2
 Similar effect in the 10-30%
 and 30-50% centrality classes
 within uncertainties

 $v_2$  (large-q<sub>2</sub>) >  $v_2$  (unbiased) of about 40%

 $v_2$  (small-q<sub>2</sub>) <  $v_2$  (unbiased) of about 25%

#### Introduction

In non-central heavy-ion collisions an enormous magnetic field (~10<sup>18</sup> G) is generated by the movement of the spectator protons
 (Biot-Savart law)



– quickly decreases ( $\sim$ 1 fm/c) as the spectators fly away

### Motivation

 magnetic field in non-central heavy-ion collision is expected to lead to several novel phenomena, e.g. Chiral Magnetic Effect (CME)

#### – we face different problems:

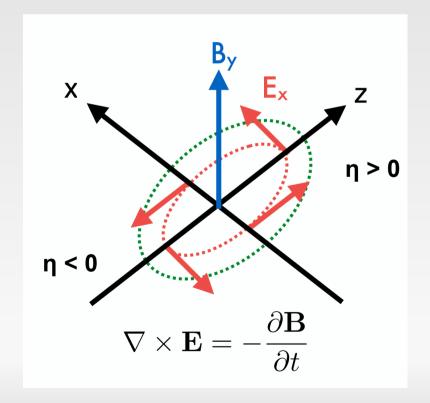
- → hard to decouple signal (charge separation across reaction plane) from background (local charge conservation + flow)
  - $\rightarrow$  very few constraints from theory

proposal: measure a simple and clean observable connected to the magnetic field, use it to calibrate its strength and lifetime

- varying magnetic field will influence moving charges
- very few assumptions needed: charged and conductive QGP
- the result: charge-dependent **directed flow**, asymmetric in rapidity

- varying magnetic field will influence moving charges
- very few assumptions needed: charged and conductive QGP
- the result: charge-dependent **directed flow**, asymmetric in rapidity

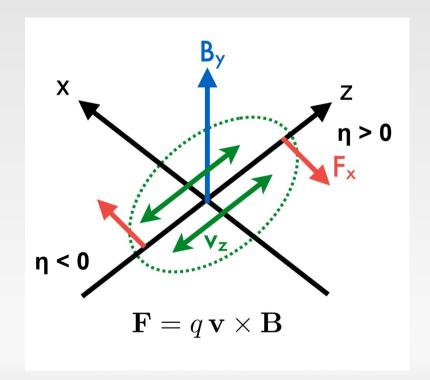
- where does it come from?
- → electric field induced by decreasing B (Faraday effect)



- varying magnetic field will influence moving charges
- very few assumptions needed: charged and conductive QGP
- the result: charge-dependent **directed flow**, asymmetric in rapidity

- where does it come from?
- → electric field induced by decreasing B (Faraday effect)
- → Lorentz force on moving charges (Hall effect)

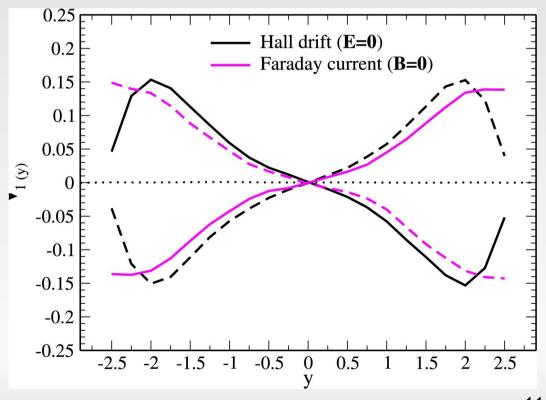
#### competing effects!



- varying magnetic field will influence moving charges
- very few assumptions needed: charged and conductive QGP
- the result: charge-dependent directed flow, asymmetric in rapidity

- where does it come from?
- → electric field induced by decreasing B (Faraday effect)
- → Lorentz force on moving charges (Hall effect)

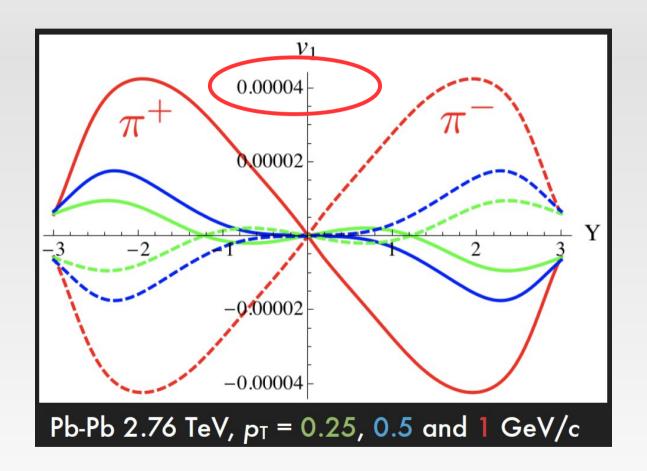
#### competing effects!



\*first proposed by Gursoy, Kharzeev and Rajagopal in '14

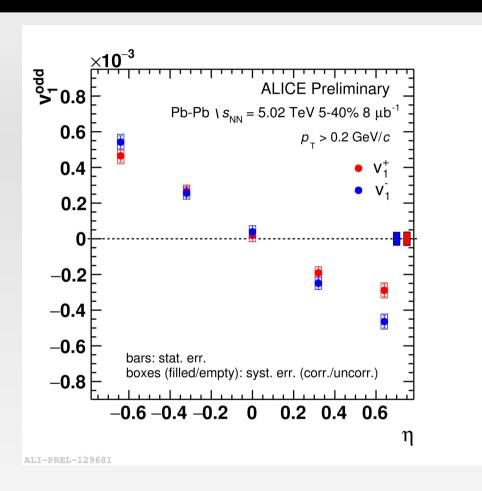
### charge-dependence $v_1$

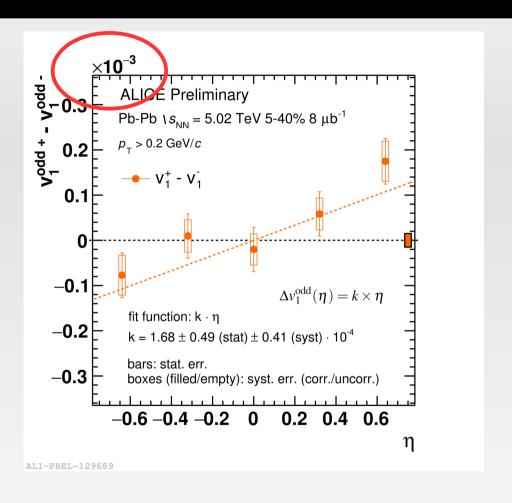
Challenging measurement: very small signal is expected from theory predictions



the rapidity slope varies with  $p_T$  (different contribution of Faraday and Hall effects)

### Charge-dependence v<sub>1</sub>odd

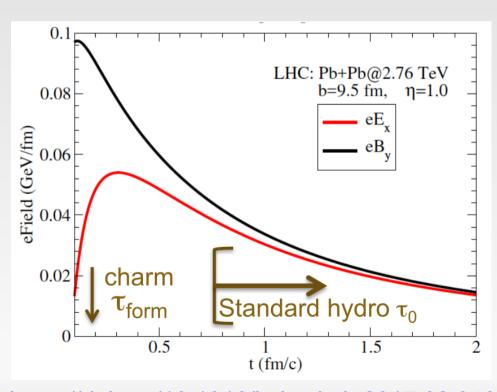




- $\rightarrow$  hint of a charge difference:  $\Delta v_1$  odd =  $v_1$  odd(+)  $v_1$  odd(-)  $\neq$  0 (2.6  $\sigma$  significance)
- → 1-2 orders of magnitude bigger: long-lived magnetic field? early thermalization?
- → **opposite sign**:dominance of Hall effect?

#### Why open heavy-flavour?

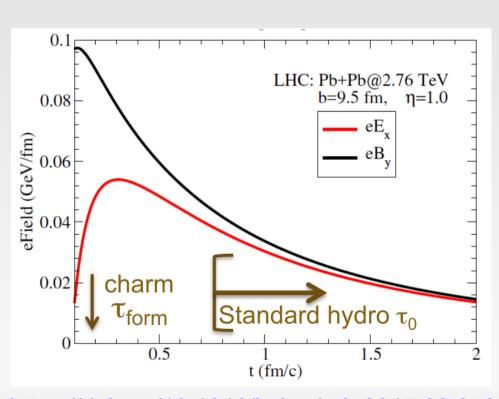
- formation time ~ 0.1 fm/c → comparable to the time scale when B is maximum no thermal formation
  - the kinetic relaxation time of charm is similar to the QGP lifetime

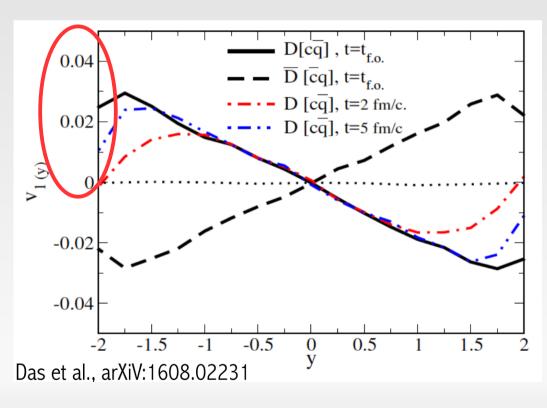


https://doi.org/10.1016/j.physletb.2017.02.046

#### Why open heavy-flavour?

- formation time ~ 0.1 fm/c → comparable to the time scale when B is maximum
  no thermal formation
  - the kinetic relaxation time of charm is similar to the QGP lifetime
  - $\rightarrow$  resultant effects entail a **significantly large directed flow**  $v_1$  of charm quarks compared to light quarks





https://doi.org/10.1016/j.physletb.2017.02.046

#### **Analysis strategy**

- SP in which the Q vector is reconstructed from the spectator (ZDC)

$$v_1\{\Psi_{A,C}\} = \frac{\langle \vec{q} \cdot \vec{Q}_{A,C} \rangle}{\sqrt{|\langle \vec{Q}_A \cdot \vec{Q}_C \rangle|}} = \frac{\langle q_x Q_{A,Cx} + q_y Q_{A,Cy} \rangle}{\sqrt{|\langle Q_{Ax} Q_{Cx} + Q_{Ay} Q_{Cy} \rangle|}},$$

Analysis performed as a function of the invariant mass

Assumption:

$$v_1(M) = \frac{S(M)}{S(M) + B(M)} * v_1^S + \frac{B(M)}{S(M) + B(M)} * v_B^1(M).$$

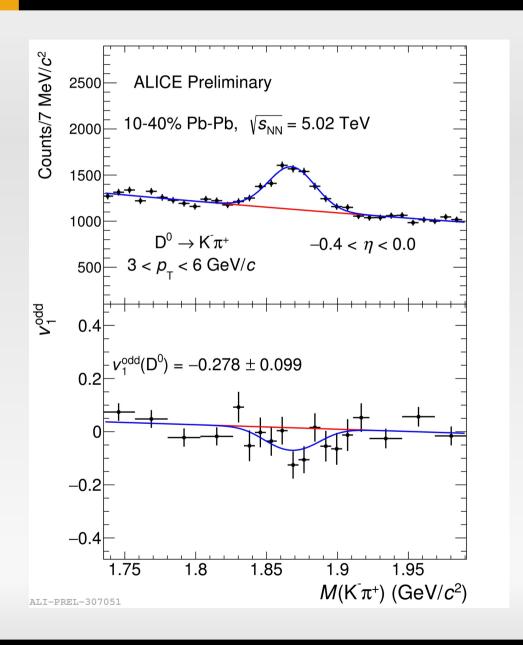
$$v_1^{bg}(M_{INV}) = p_0 + p_1 \times M_{INV}$$

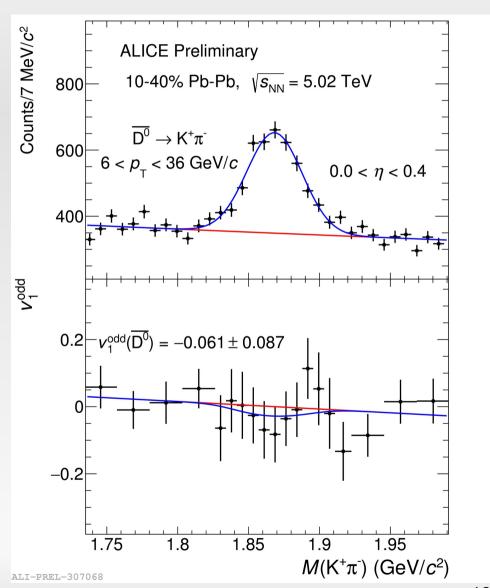
All the ingredients to evaluate  $v_1$  are extracted from a simultaneous fit of the  $M_{inv}$  spectra and  $v_1(M_{inv})$ 

Computed rapidity-odd component for  $D^0$  and  $\overline{D}^0$  separately:  $\overline{D}^0$  separately:  $\overline{D}^0$  separately:

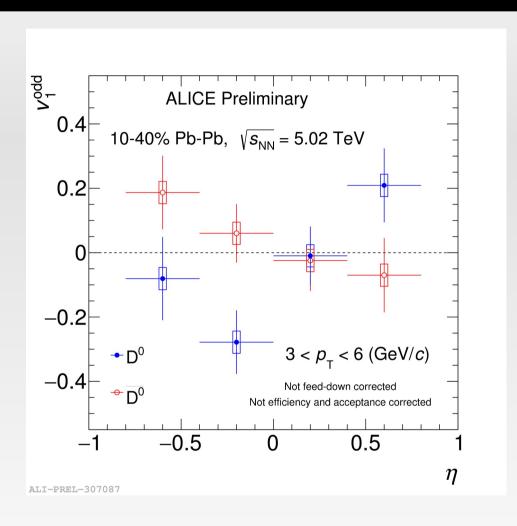
$$v_1^{\text{odd}} = \frac{1}{2}(v_1\{\Psi_A\} - v_1\{\Psi_C\}).$$

#### Signal extraction





### $V_1^{\text{odd}}$ for $D^0$ vs $\overline{D}^0$

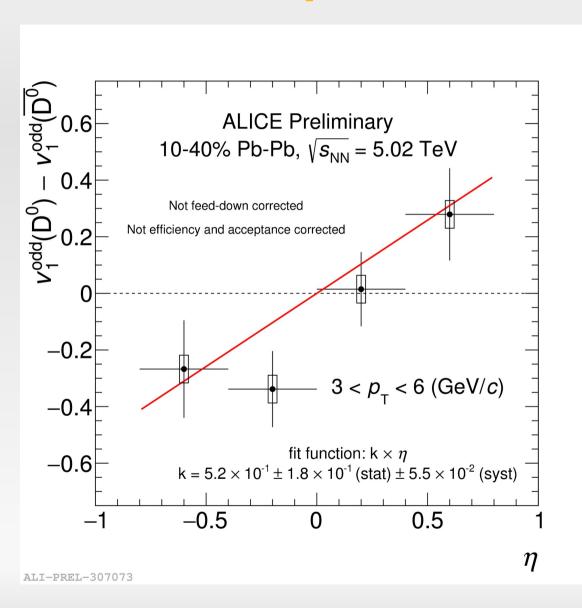


Despite the large uncertainties  $\rightarrow$  hint of an opposite trend for  $D^0$  and  $\overline{D}^0$  meson

- **Signal** (central value) is **factor 10 higher** then prediction → *long-lived magnetic field?* → *early thermalisation?*
- **Opposite trend** of  $D^0$  and  $\overline{D}^0$  w.r.t prediction  $\rightarrow$  dominance of Hall effect?

→ indications already observed for charged particles

## Δv<sub>1</sub> to quantify a possible signal



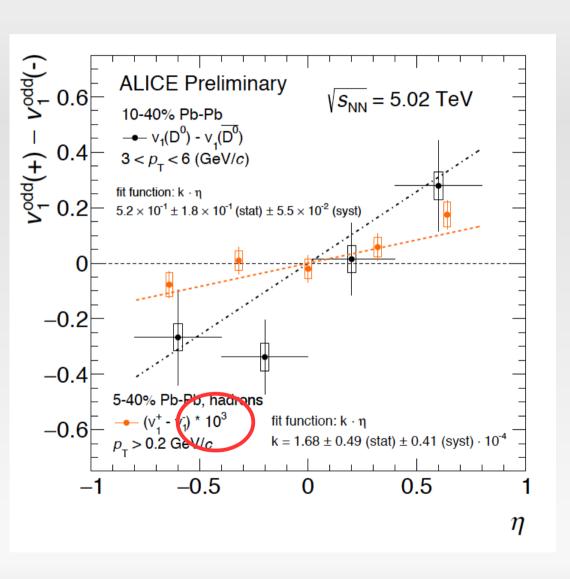
$$\Delta v_1^{\text{odd}}(\boldsymbol{\eta}) = k \times \boldsymbol{\eta}$$

rapidity dependence of the charge difference  $\Delta v_1$  is fitted using a linear function with slope k

$$k = 0.52 +/- 0.18 \text{ (stat)} +/- 0.05 \text{ (syst)}$$

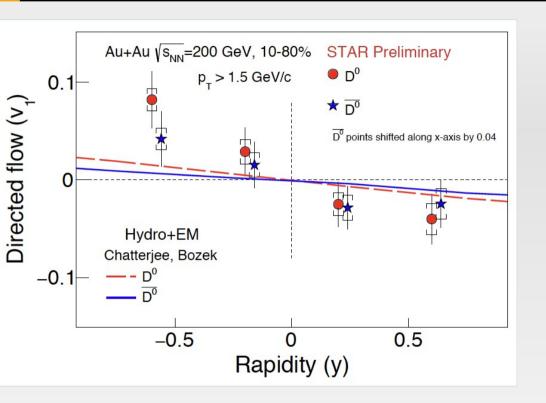
Not yet high significance of the measurements  $(2.7\sigma)$ 

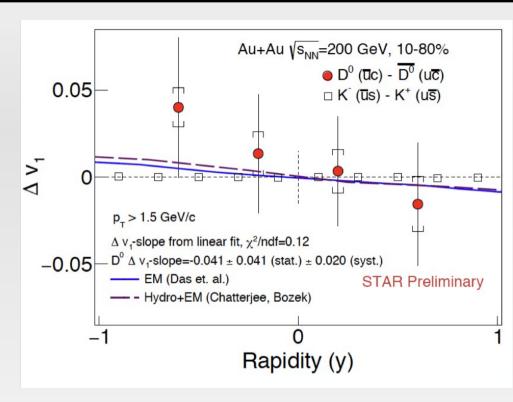
## $\Delta v_1$ to quantify a possible signal



The 3 orders of magnitude difference between charged-particle and heavy-flavour predicted by theory are experimentally accessible

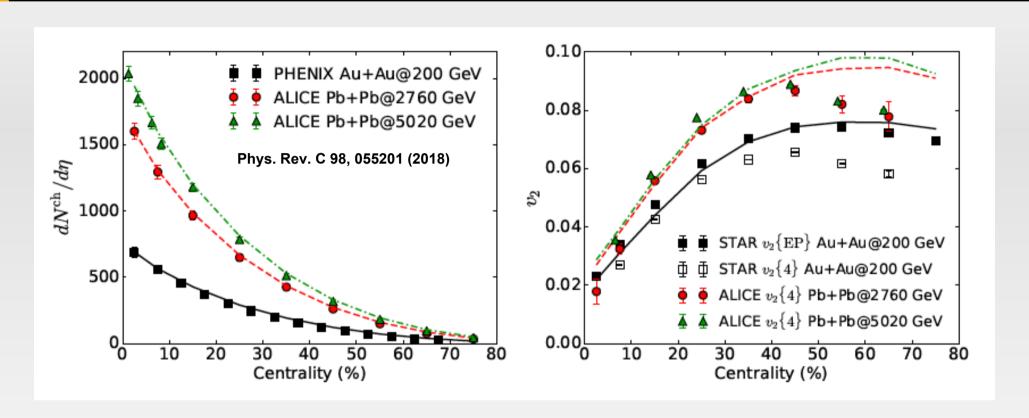
### Charged dependent v<sub>1</sub> at STAR





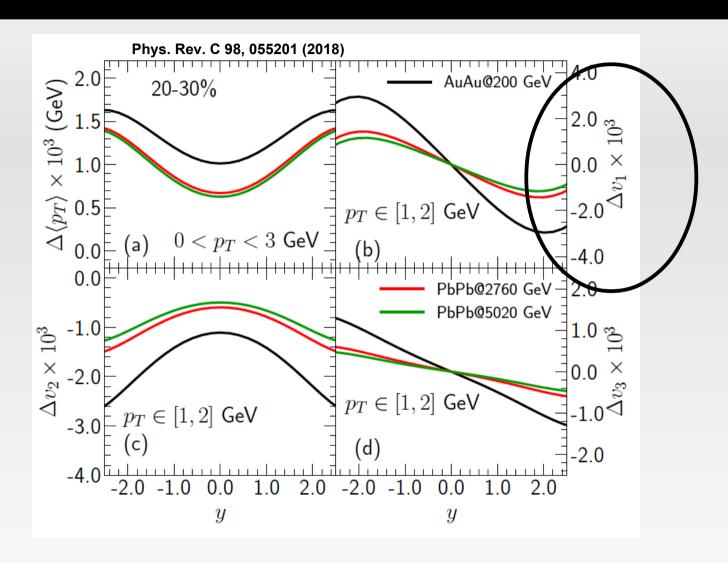
- First observation of non-zero  $D^0 v_1$  model predicts correct sign but wrong magnitude
  - No firm conclusion yet on possible magnetic field induced splitting Δv<sub>1</sub>
  - Very promising sensitivity to the effect of the early time magnetic field in heavy-ion collisions, can help constrain QGP properties

#### **News from theory...**



- → charge-dependent flow induced by magnetic and electric fields in heavy- ion collisions.
- → Simulate the evolution of the expanding QGP hydro-dynamically, using the iEBE-VISHNU framework, and add the magnetic and electric fields as well as the electric currents

#### **News from theory...**

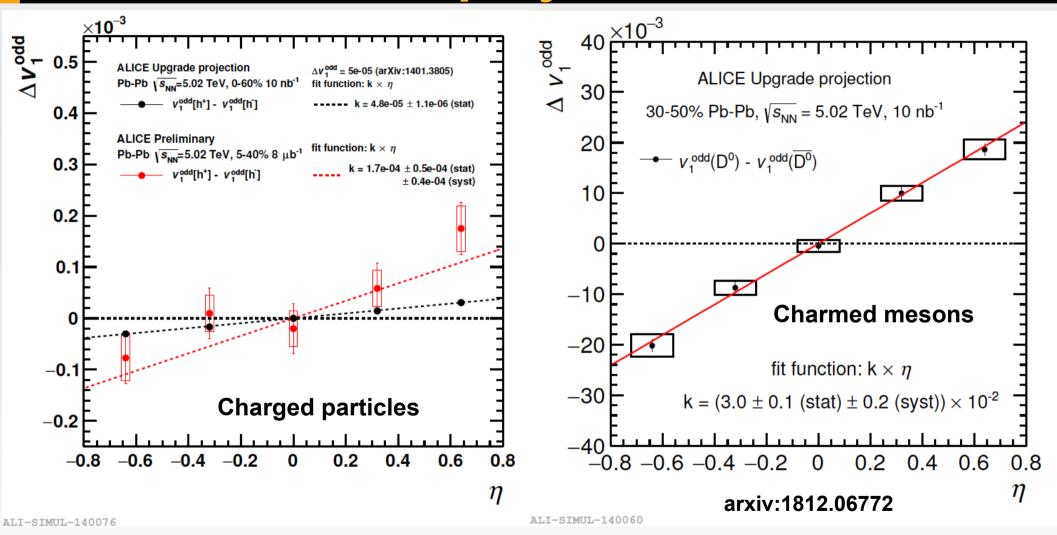


 New theory development shows an increase of 2 order of magnitude in the charged dependence directed flow

## What about Run3 and Run4?

### Charge-dependence $v_1$

#### - Run3/4 projections



$$v_1^{\text{odd}} = \frac{1}{2}(v_1\{\Psi_A\} - v_1\{\Psi_C\}).$$

Simulations are done according to the values predicted by theory for both observables

#### Conclusion

- → A non-zero elliptic/triangular flow of heavy flavours was measured in mid-central collisions
- $\rightarrow$  Hint for an increase of heavy-flavour  $v_2$  from central to semi-central collisions
  - Low  $p_{T}$  D-meson elliptic and triangular flow smaller than for charged-particles
- $\rightarrow$  Suggests collective motion of low- $p_{T}$  charm meson

- → Indication of a charge-dependent directed flow v<sub>1</sub> of open heavy-flavour
  - Hint of much larger signal for HF than for charged-particles is measured

25

A. Dubla GS

### **BACKUP**

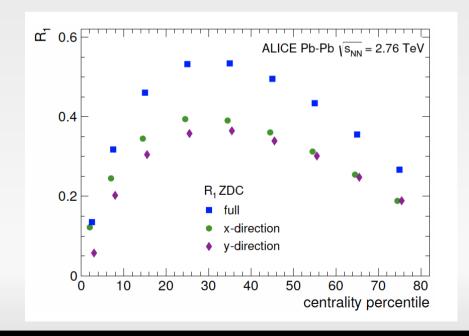
## Spectator plane reconstruction and analysis strategy

Zero-Degree Calorimeters (ZDC), energy of spectator neutrons - located at beam rapidity:  $|\eta| > 8.8$ 

spectator plane from the signal  $(E_i)$  into the 4 ZDC segments:

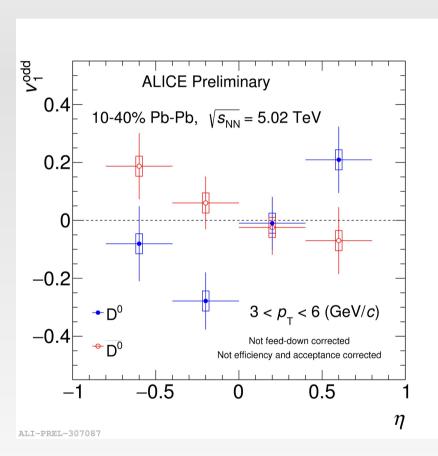
$$\overrightarrow{Q}_{A,C} = \frac{\sum_{j=1}^{4} \overrightarrow{p}_{j} E_{(A,C)j}^{\alpha}}{\sum_{j=1}^{4} E_{(A,C)j}^{\alpha}}$$

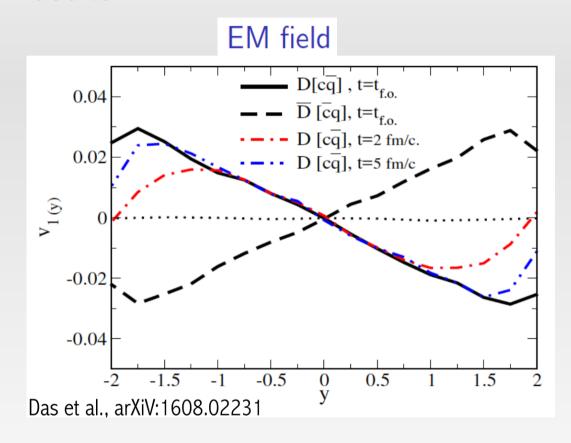
$$v_1\{\Psi_{A,C}\} = \frac{\langle \vec{q} \cdot \vec{Q}_{A,C} \rangle}{\sqrt{|\langle \vec{Q}_A \cdot \vec{Q}_C \rangle|}} = \frac{\langle q_x Q_{A,Cx} + q_y Q_{A,Cy} \rangle}{\sqrt{|\langle Q_{Ax} Q_{Cx} + Q_{Ay} Q_{Cy} \rangle|}},$$



#### Comparison with STAR

#### Our results....

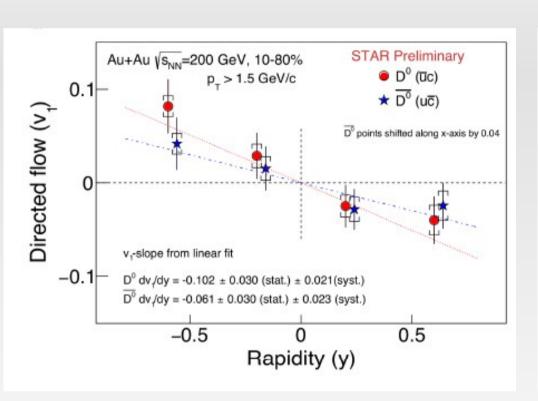


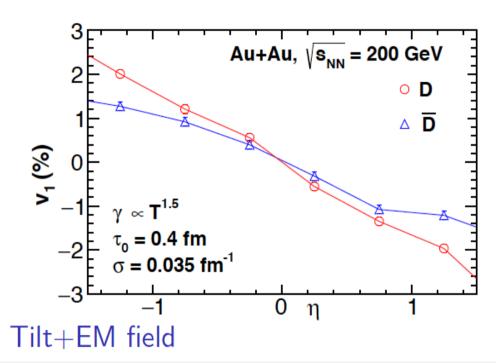


- $\rightarrow$  from theory we expect:
- $v_1^{\text{avg}} = 0, \ v_1^{\text{diff}} \neq 0;$
- $\rightarrow$  indication of an opposite behavior for  $\mathbb{D}^0$  and  $\overline{\mathbb{D}^0}$ 
  - already observed in the LF sector

#### Comparison with STAR

#### **STAR** results

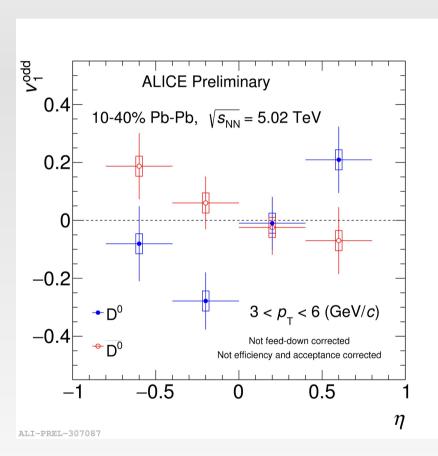


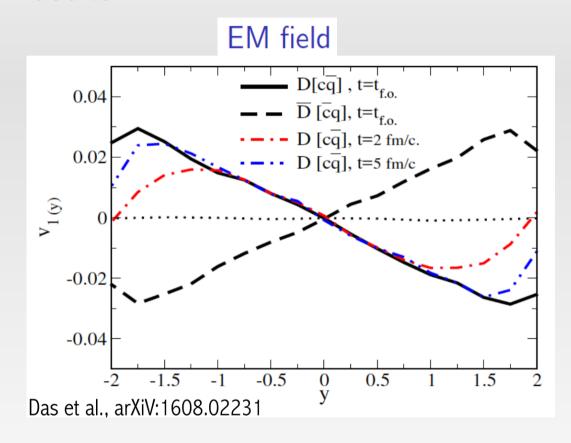


- $\rightarrow$  from theory we expect:
- $v_1^{\text{avg}} \neq 0$ ,  $v_1^{\text{diff}} \neq 0$
- → The Tilting seems important at RHIC energies

#### Comparison with STAR

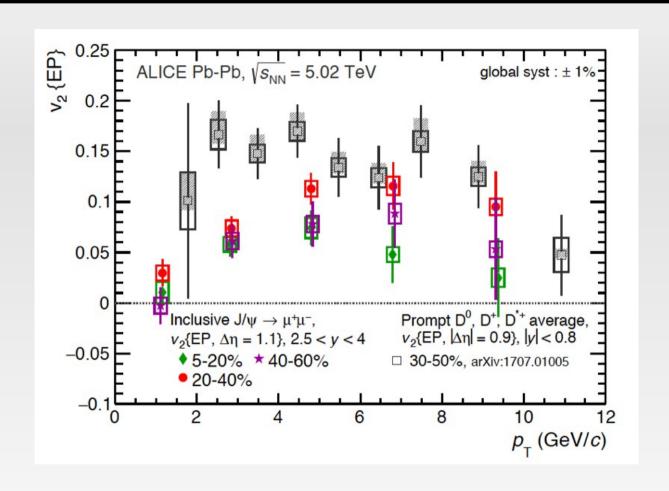
#### Our results....



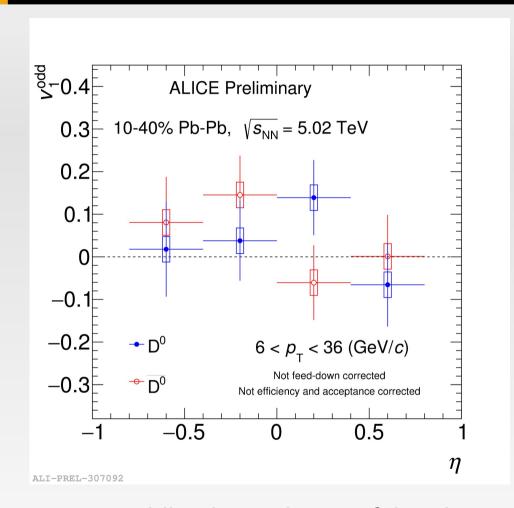


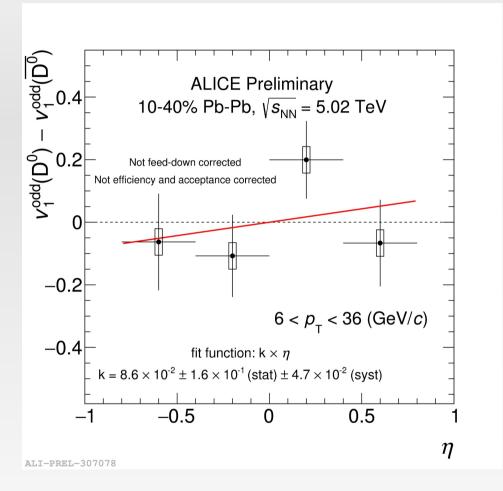
- $\rightarrow$  from theory we expect:
- $v_1^{\text{avg}} = 0, \ v_1^{\text{diff}} \neq 0;$
- $\rightarrow$  indication of an opposite behavior for  $\mathbb{D}^0$  and  $\overline{\mathbb{D}^0}$ 
  - already observed in the LF sector

### **Azimuthal anisotropy**



## Δv1 to quantify a possible signal





rapidity dependence of the charge difference  $\Delta v1$  is fitted using a linear function with slope k

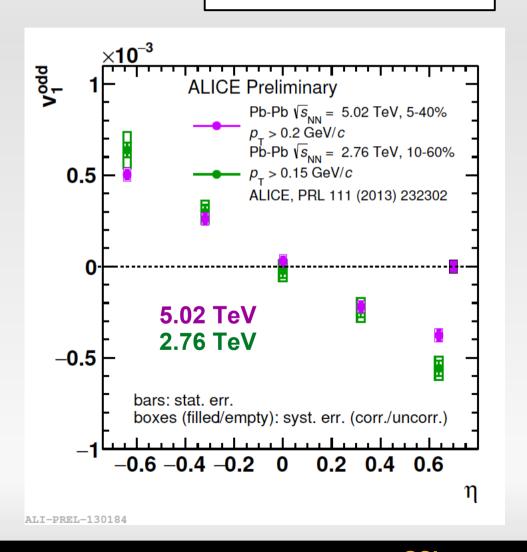
k = 0.09 + -0.16 (stat) + 0.05 (syst)

## v<sub>1</sub><sup>odd</sup> energy dependence

 $v_1^{\text{odd}}$ : compressibility —> initial tilt / rotation of the system

$$v_1^{\text{odd}} = \frac{1}{2}(v_1\{\Psi_A\} - v_1\{\Psi_C\}).$$

- $\rightarrow$  d $v_1^{\text{odd}}$ /d $\eta$  decreases by a factor ~1.3 between 2.76 and 5.02 TeV
- → qualitatively consistent with energy dependence observed from RHIC to LHC
- decreased tilting/rotation of initial system
- → different centrality ranges: no significant centrality dependence observed



#### **Projections for Run3/4**

#### Numbers for the D0 were taken from the ITS upgrade

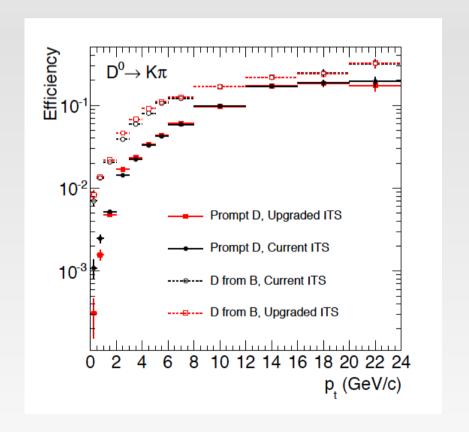
https://aliceinfo.cern.ch/ArtSubmission/sites/aliceinfo.cern.ch.ArtSubmission/files/draft/musa/2012-Mar-13-paper\_draft-2012\_Mar\_6\_AliceITSupgrade-CDR-vs2.3.pdf

2.3 D0 produced in |y|<0.5 per MB event reconstruction efficiency 0.05 (at <p\_T>)

BR = 3.8%

→ 0.00437 D0 / MB event

Part.	Yield	$\frac{dN}{dy} _{y=0}$	cτ [μm]	decay channel	B.R.	Acc.
	m.b., 0-10%	m.b., 0-10%		111 120 00 120 120 120 120 120 120 120 1	1011204-007	
$D^0$	23, 110	2.3, 11	≈ 120	$K^-\pi^+$	3.8%	1
$\Lambda_c$	2.9, 14	0.29, 1.4	$\approx 60$	$pK^-\pi^+$	5.0%	1
В	1.3, 6.2	0.2, 0.9	≈ 500	$J/\psi(\rightarrow e^+e^-)$	$1.2\% \times 6\%$	1
		May 2007 7 101		$D^0( o K^-\pi^+)$	$60\% \times 3.8\%$	1
				$e^+$	10.9%	1.8
$B^+$	0.6, 2.7	0.1, 0.4	≈ 500	$J/\psi(\rightarrow ee)K^+$	$0.1\% \times 6\%$	1
$B_s^0$	0.2, 0.9	0.03, 0.13	≈ 500	$J/\psi(\rightarrow ee)\phi(\rightarrow KK)$	0.14% · 6% · 50%	1
$\Lambda_b$	0.1, 0.5	0.015, 0.07	≈ <b>400</b>	$\Lambda_c(\to pK^-\pi^+) + e^-$	$9.9\% \times 5\%$	1
				$\Lambda_c(\to pK^-\pi^+) + h^-$	90%(guess)×5%	1



Now we have ~100M MB events. For run3  $\rightarrow$  1000x the events now available  $\rightarrow$  2.6e08 D0s in total