



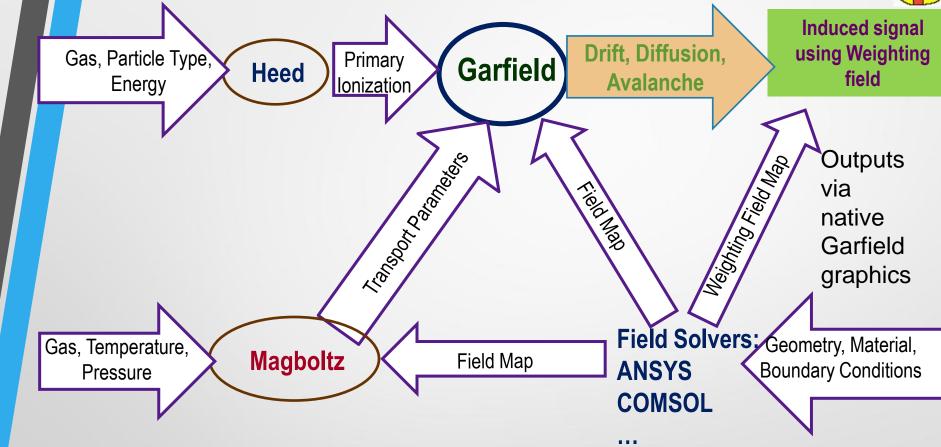
neBEM for Garfield++

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Earlier RD51 simulation framework in FORTRAN





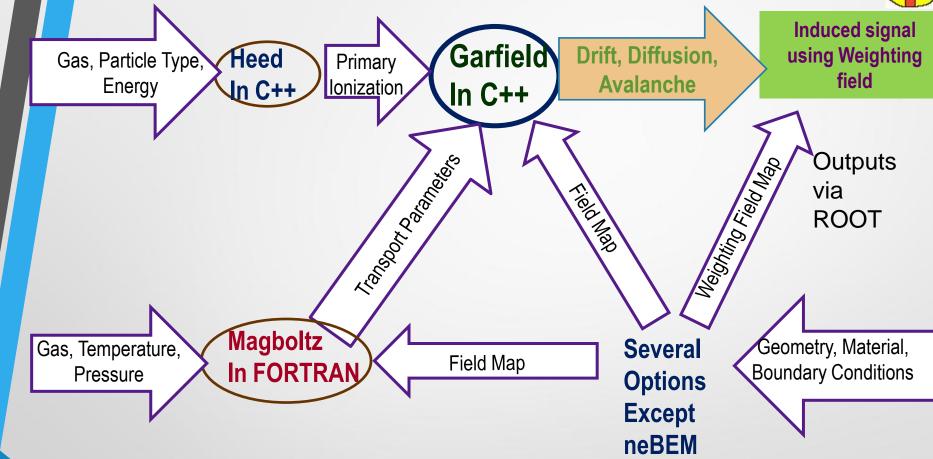
neBEM (in C)

Not only field maps which involve interpolation, neBEM could be used to evaluate field at any arbitrary location using the charge densities on various interfaces



Garfield migrates to Garfield++





Development and Maintenance of Garfield++ (Fortran version Garfield is still available, but not actively supported):

Garfield++ is a collection of classes for the detailed simulation of small-scale detectors.



Improvements in Garfield++



Simulation Improvements:

Transport:

- ion mobility and diffusion, measurement and modeling
- ongoing update of electron cross sections
- e-ion recombination process in Xe
- thermal motion

Photons:

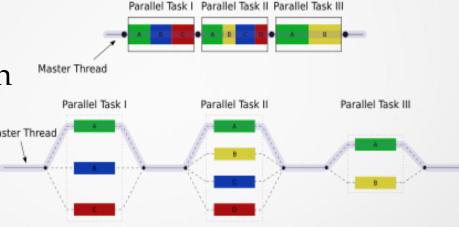
- update in UV emission
- inclusion of IR production
- photon trapping and resulting excitation transport
- photon absorption in the gas (gas feedback)
- photon absorption in and electron emission from walls (feedback)
- photo cathodes

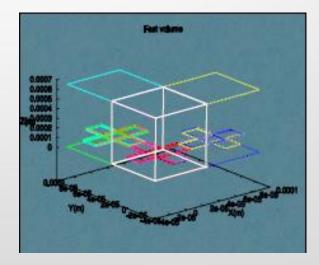




Improvments in neBEM

- Open Multi-Processing
 (OpenMP): an Application
 Programming Interface
 (API).
- Fast volume for both physical and weighting field
- Adaptive modelling



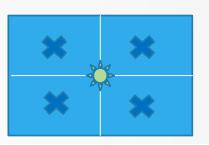


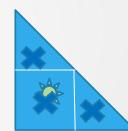


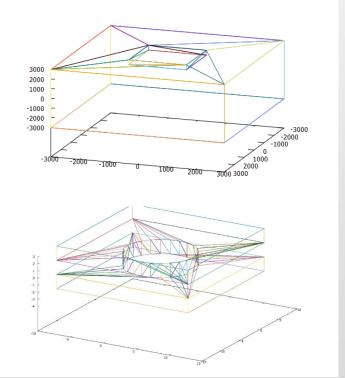
Improvements in neBEM



- Error estimation: boundary condition being evaluated at non collocation points
 - (OptEstimateError; can lead to effective adaptive meshing)
- Charging up: electrons and ions are being assigned to elements on which they get deposited (OptChargingUp)
- Space charge: basics are ready since long
- Charge dispersion, in slow progress









Garfield++ using neBEM



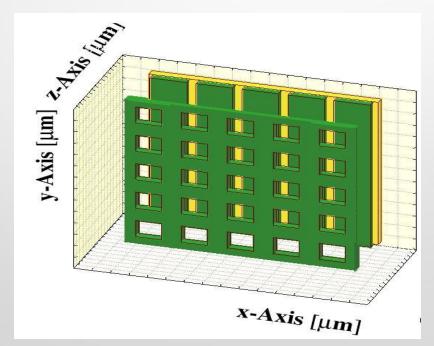
- Since September 2018, we are working on developing an interface between Garfield++ and neBEM.
- Two approaches being pursued at present.
 - neBEM direct interface to Garfield++:
 - Almost the entire geometry modeler for the FORTRAN version of Garfield has been rewritten in C++
 - neBEM will use this native geometry modeler and will be strongly coupled to Garfield++ as before.
 - ComponentNeBem3d, a new class, is being written for this purpose.
 - neBEM as a provider of field map:
 - Already implemented using Garfield (FORTRAN). Initially based on ComponentVoxel, a special class ComponentNeBem3dMap has been written for this purpose and is working. It, naturally, needs further improvements.
 - Being pursued using Geant4



neBEM requirments



- neBEM computes the charge density at various interfaces that leads to the satisfaction of a given set of boundary conditions.
 - needs the geometrical and material properties of the interfaces.
 - needs the boundary conditions at the interfaces.





Direct interface to Garfield++



- Garfield++ provides neBEM with
 - List of existing volumes and their properties
 - Interfaces among these volumes where charge densities will appear through the application of potential.
 - To be supplied as non-overlapping rectangles or righttriangles.
 - Should contain boundary conditions, material properties etc.
 - Discretization requirements
 - Repetition information (periodicity)
 - Computational specifications (solution method to be adopted, number of cores to be used, adaptive meshing requirements and so on)



Direct interface to Garfield++



- A new class (ComponentNeBem3d) is being introduced.
- Instantiation of an object of this class and its initialization will prompt
 - Setting up of primitives, elements, boundary conditions
 - Computation of influence matrix
 - Computation of charge densities on each element
- After the charge densities are computed, electric field can be computed at any desired location.
- The development is at an early stage but the crucial phase of identifying the overall design is complete.
- Successful completion of this approach will need some serious coding efforts in the coming few months.



neBEM as a field mapper



- In order to achieve computational efficiency, neBEM has since long been used as field mapper to Garfield (FORTRAN): FastVolume provides field map on a 3D rectangular grid
- Garfield++ has a class (ComponentVoxel) that can use a field-map on a 3D rectangular mesh.
- It has been possible to combine these two so that voxelized field map generated using neBEM can be used by Garfield++ for its computations.
- As a further improvement along this line, a special class, ComponentNeBem3dMap, has been implemented and is working fine.



neBEM as field-mapper



- Use FORTRAN Garfield script along with neBEM to generated a field map.
- Use ComponentNeBem3dMap class to read this field map into Garfield++
- Carry out device simulation



global DriftVolt = -200.0 d script with neBEM



```
global TopCuVolt = 0.0
global BotCuVolt = 450.0
global IndVolt = 750.0
&CELL
nebem target-element-size 0.0010
solids
box centre {OrigX} {OrigY} {OrigZ+IndLZ+IndGpLZ+GEMLZ+DITICUPLZ+DITICLZ/Z}
        half-lengths {GemLX/2.} {GemLY/2.} {DriftLZ/2.} ...
        conductor-1 ...
        voltage {DriftVolt}
box centre {OrigX} {OrigY} {OrigZ+IndLZ/2} ...
        half-lengths {GemLX/2.} {GemLY/2.} {IndLZ/2.} ...
        conductor-1 ...
        voltage {IndVolt}
period x = 0.0140
period y = 0.0140
nebem lu-inversion ...
       min-elem 1 max-elem 11 ...
       x-periodic-copies 10 ...
       y-periodic-copies 10 ...
       keep-inverted-matrix ...
       new-model
```

RD51 Mini-Week (4-6 Dec 2018)



MapInfo file



- 0.1 => Map version
- 1 => OptMap
- 0 => OptStaggerMap
- 29 => nX
- 29 => nY
- $201 \Rightarrow nZ$
- -7.000000e-03 7.000000e-03 => xMin and xMax
- -7.000000e-03 7.000000e-03 => yMin and yMax
- $0.000000e+00\ 1.060000e-01 => zMin and zMax$
- 0.000000e+00 => xStagger
- 0.000000e+00 => yStagger
- 0.000000e+00 => zStagger
- MapFPR.out => Field map data file



Field map generated by neBEM



# X(cm)	Y(cm)	Z(cm)	FX(V/cm) FY(V/cm) FZ(V/cm) Pot(V) Region	
-0.007	-0.007	0 -59.	699737 -62.793173 -3680.567 749.94216 2	
-0.007	-0.007	0.00053	-59.292323 -60.249582 -6.1935511 749.93135	2
-0.007	-0.007	0.00106	-58.907324 -60.102944 6561.2783 749.54879 0	
-0.007	-0.007	0.00159	-58.513258 -59.342215 6517.8987 746.08165 0	
			·	
				
-0.007	-0.007	0.05088	67.514592 6.4217114 4502.7969 450.57853 0	
-0.007	-0.007	0.05141	310.60821 -22.552155 -169.91559 450.07853 3	
-0.007	-0.007	0.05194	-57.119348 23.024326 90184.929 410.37054 5	
-0.007	-0.007	0.05247	-129.30656 38.688416 90029.226 362.61138 5	
-0.007	-0.007	0.053	-95.699053 34.574837 89935.345 314.91835 5	
-0.007	-0.007	0.05353	-43.257569 19.450469 89888.944 267.26113 5	
-0.007	-0.007	0.05406	10.460695 -0.39916935 89879.216 219.61884 4	
-0.007	-0.007	0.05459	64.139432 -19.673695 89903.112 171.97272 4	
-0.007	-0.007	0.05512	114.78391 -32.75224 89964.131 124.30394 4	
-0.007	-0.007	0.05565	136.4748 -33.245928 90073.575 76.591848 4	
-0.007	-0.007	0.05618	7.3069507 -10.813104 90239.718 28.805869 4	
-0.007	-0.007	0.05671	-145.68192 12.256835 -99.116446 -0.069678531	6
-0.007	-0.007	0.05724	-21.765962 4.186861 2414 -0.63534521 0	



ComponentNeBem3dMap to read field-map



```
ComponentNeBem3dMap* eField = new
ComponentNeBem3dMap();
eField->LoadMapInfo("MapInfo.out", version,
optmap, optstgrmap, nX, nY, nZ, xMin, xMax,
yMin, yMax, zMin, zMax,
xStgr, yStgr, zStgr, mapfile);
eField->SetMesh(nX, nY, nZ, xMin, xMax, yMin,
yMax, zMin, zMax);
eField->LoadElectricField(mapfile, "XYZ", true,
true, 1.0, 1.0, 1.0);
```



Device simulation

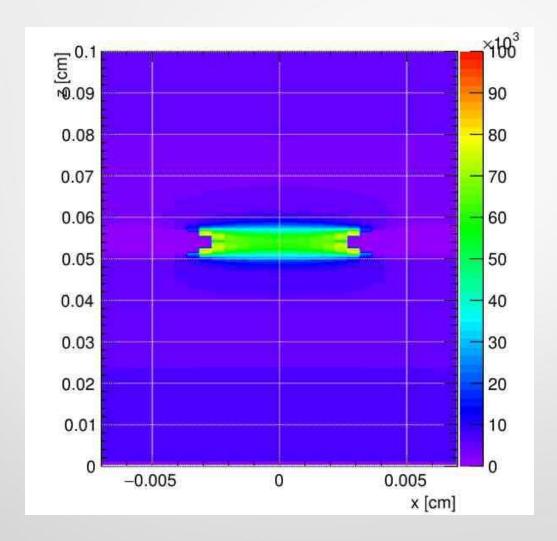


```
Create the sensor.
 Sensor* sensor = new Sensor()
AvalancheMicroscopic* aval = new AvalancheMicroscopic();
  aval->SetSensor(sensor);
  aval->EnableAvalancheSizeLimit(1000);
  AvalancheMC* drift = new AvalancheMC();
  drift->SetSensor(sensor);
  drift->SetDistanceSteps(2.e-4);
for (int i = nEvents; i--;) {
   std::cout << "\nEVENT: " << i<<"\n";</pre>
 aval->AvalancheElectron(x0, y0, z0, t0, e0, 0., 0.,
```



Field map result

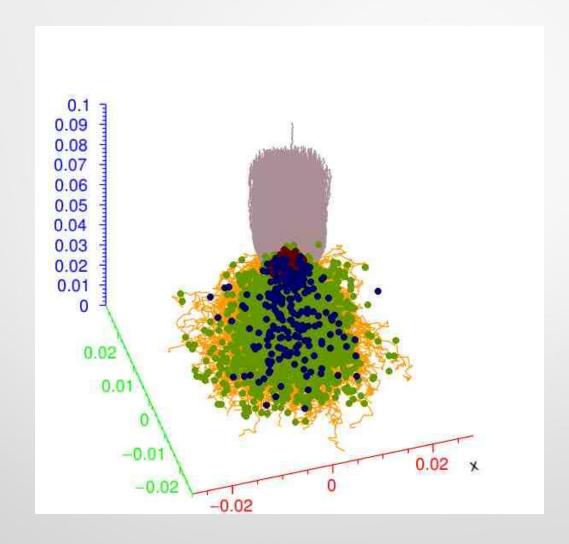






Avalanche in GEM







neBEM field mapping using Geant



- This could be interesting because the community is well-conversant with Geant4 and neBEM can easily act as an electric field solver for a large number of 3D geometries
- Discussions going on we are hopeful …



Summary



- Direct integration of neBEM into Garfield++ is ongoing
 - Design details are in place
 - Major coding efforts in the coming months
- neBEM as a field-map provider to Garfield++ is already successful
 - Minor improvements necessary in very near future
 - Major improvements in computational (speed and storage) expected in the long term
- neBEM as a field-mapper using more elaborate geometry modelers seems to be on the way,



The SINPTEAM



- Deb Sankar Bhattacharya (Wurzberg)
- Purba Bhattacharya (Weizzmann)
- Sudeb Bhattacharya (Retd)
- Jaydeep Dutta
- Abhik Jash (NISER)
- Anil Kumar
- Vishal Kumar
- Nayana Majumdar
- Supratik Mukhopadhyay
- Prasant Kumar Rout
- Promita Roy
- Mohammed Salim (AMU)
- Sandip Sarkar
- Muzamil Ahmad Teli (KU)
- Sridhar Tripathy



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- Leszek and the RD51 team





Thank you for your kind attention!



Backup Slides

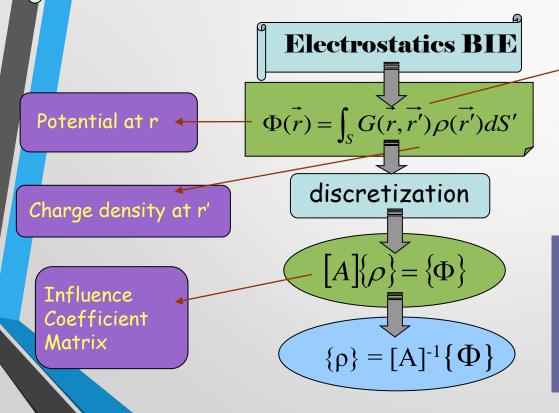




Solution of 3D Poisson's Equation using BEM



- Numerical implementation of boundary integral equations (BIE) based on Green's function by discretization of boundary.
- Boundary elements endowed with distribution of sources, doublets, dipoles, vortices.



Green's function $G(\vec{r}, \vec{r'}) = \frac{1}{4\pi\varepsilon |\vec{r} - \vec{r'}|}$ $\epsilon \text{ - permittivity of medium}$

Accuracy depends critically on the estimation of [A], in turn, the integration of G, which involves singularities when $r \rightarrow r'$.

Most BEM solvers fail here.



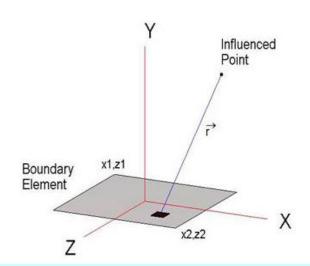
Foundation expressions of ISLES



Inverse Square Law Exact Solutions

Rectangular element

Influence of a flat boundary element



$$\Phi(X,Y,Z) = \begin{cases} 2 \times (X \mid Z \mid x_i \mid z_j) \times \ln \left(\frac{D_{i,j} - (X \mid Z - x_i \mid z_j)}{D_{m,n} - (X \mid Z - x_m \mid z_n)} \right) & \text{terms} \end{cases}$$

$$\frac{1}{2} \times \begin{cases} 1 \times \left[\frac{1}{2} \times \left[\frac$$

$$\Phi(X,Y,Z) = \int_{x_1}^{x_2} \int_{z_1}^{z_2} \frac{dxdz}{\sqrt{(X-x)^2 + (Y-y)^2 + (Z-z)^2}}$$

Value of multiple dependent on strength of source and other physical consideration

$$D_{i,j} = \sqrt{(X - x_i)^2 + Y^2 + (Z - z_j)^2}$$

$$R_i = Y^2 + (Z - z_i)^2$$

$$I_i = (X - x_i)|Y|$$

$$S_i = Sign(Z - z_i)$$

May need translation and vector rotation



nearly exact Boundary Element Method (neBEM)



A formulation based on green's function that allows the use of exact close-form analytic expressions while solving 3d problems governed by Poisson's equation. It is very precise even in critical near-field regions, and microscopic length scale.

It is easy to use, interface and integrate neBEM

Stand-alone
A driver routine
An interface routine

Post-processing, if necessary

Garfield prompt
Garfield script

Charge density at all the interfaces

Potential at any arbitrary point

Field at any arbitrary point

Capacitance, forces on device components properties can be obtained by post-processing

neBEM@CERN

http://nebem.web.cern.ch