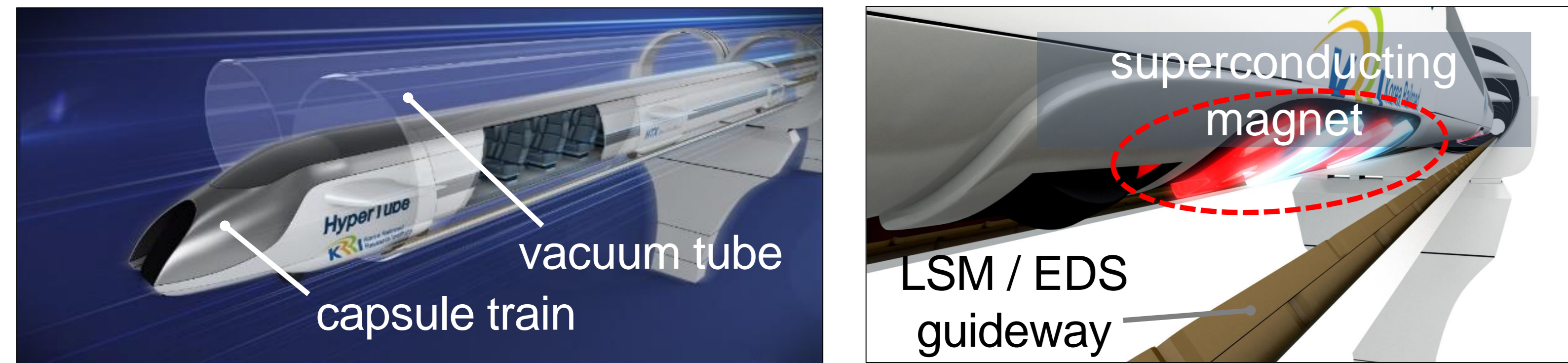


Abstract

Motivated by growing interests on Hyperloop system, we have researched on a new mode of transportation that runs inside vacuum tube above 1,000km/h. 2G high temperature superconducting (HTS) magnet with detachable cryocooler system has been developed to efficiently thrust and levitate the capsule train as well as reduces its weight. To compensate performance loss caused by increased operating temperature, HTS coil shape of the on-board superconducting magnet is topologically optimized in the view of the cost and performance respectively. With a number of linear constraints converted from nonlinear superconductivity conditions, many linear topology optimization problems are solved, and then most preferred design is determined by considering its shape, cost, and performance

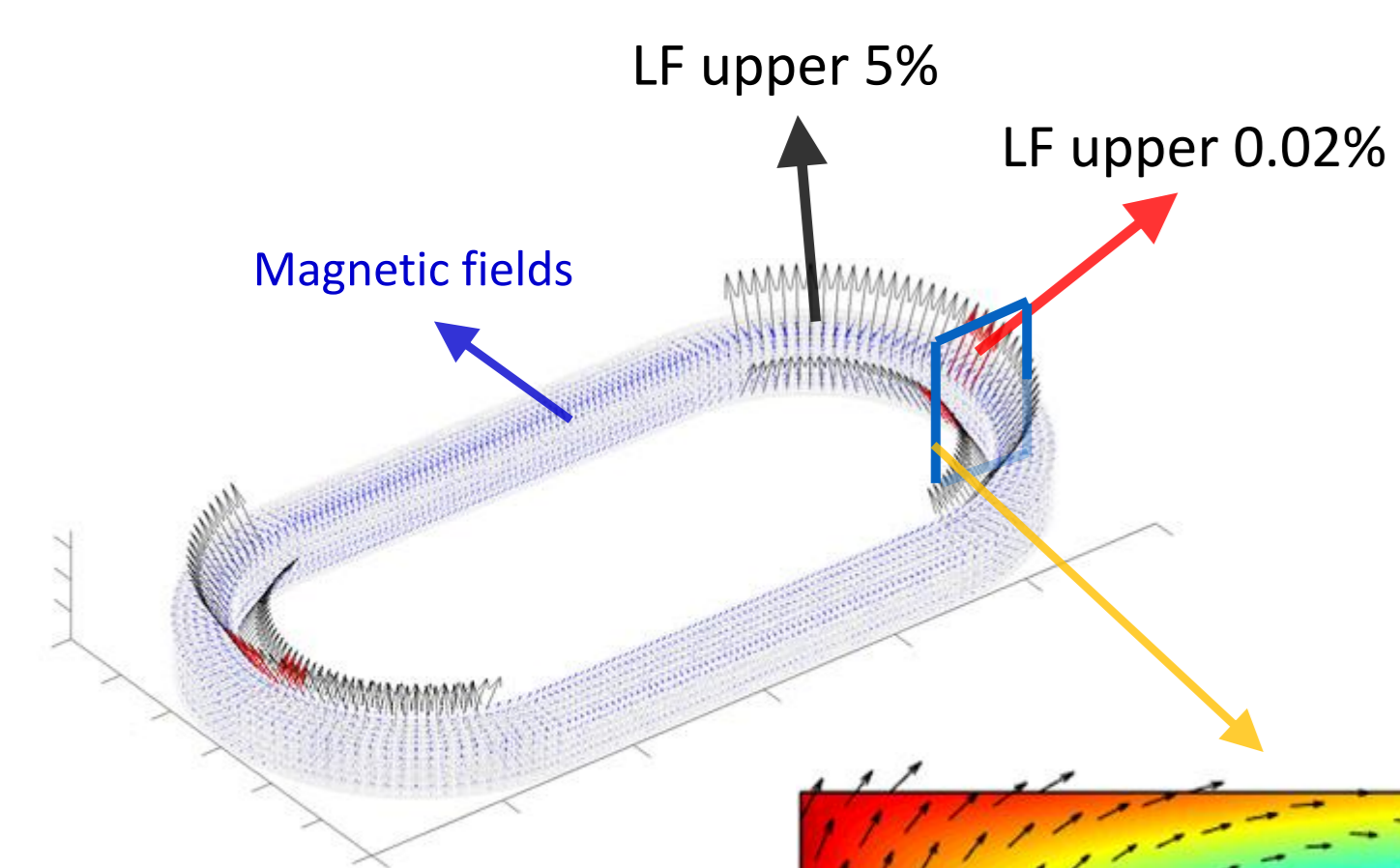
Concept of High-Speed Transportation Hyper Tube eXpress (HTX)



Main Characteristics of HTX

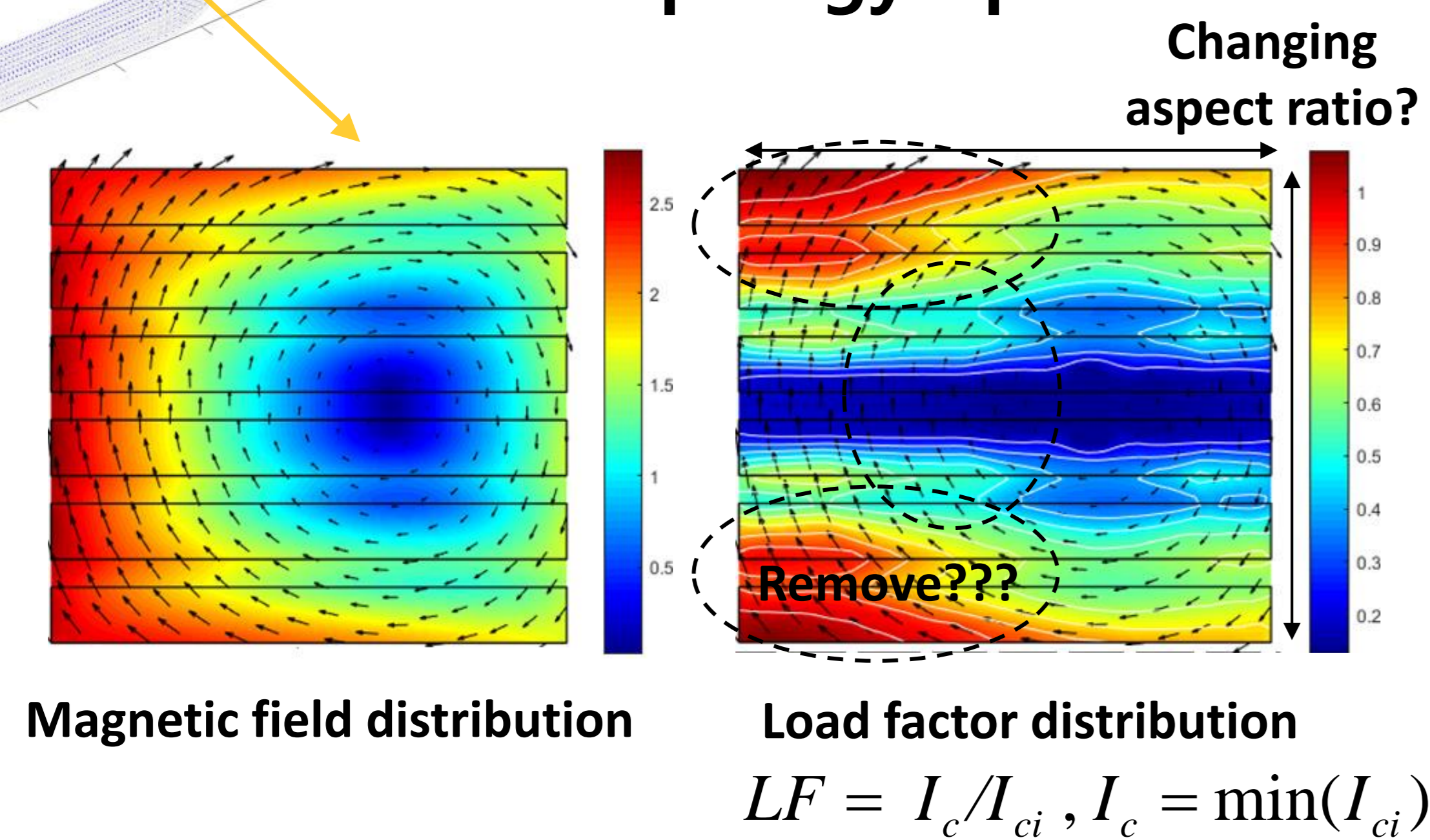
- Vacuum (0.001 atm) tube infrastructure to minimizing air resistance
- Electrodynamic large air gap (100 mm) levitation using on-board superconducting electromagnets with detachable cryocoolers
- Superconducting linear synchronous motor for subsonic (over 1000 km/h) propulsion
- Streamline shaped aircraft material capsule with subsonic driving stabilization device

2G HTS Magnet Design



To improve performance/cost

- Change aspect ratio (radial / axial thickness)
 - Modify coil shape and distribution
- ⇒ **topology optimization**



Optimization Model

Critical Characteristics of 2G HTS Wire

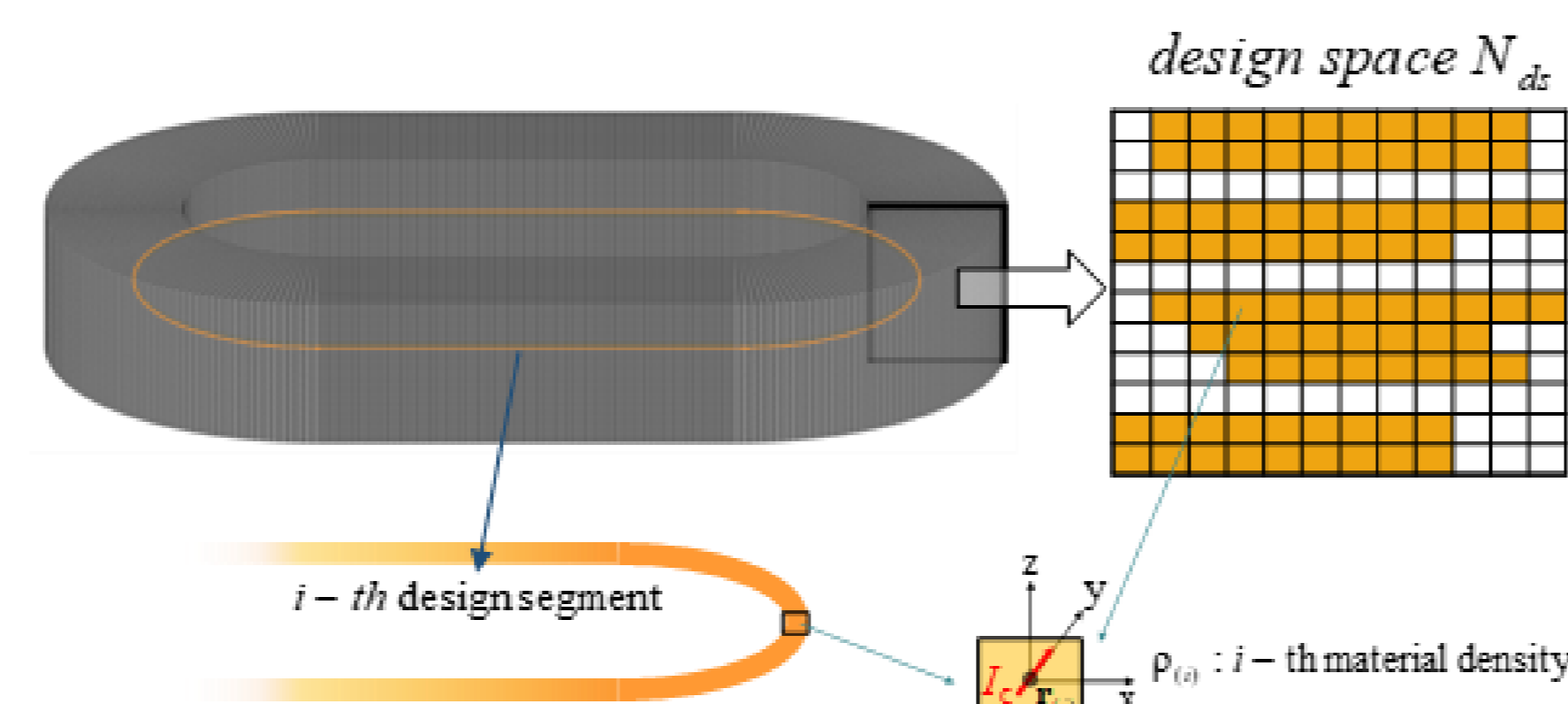
- Multi-layer REBCO-coated tape
- Critical current depends on magnetic field magnitude and angle
- Nonlinear superconductivity condition

$$B_n(I_c) \leq f(B_t(I_c))$$

→ linearizing for $\theta_1 \leq \theta \leq \theta_2$

$$B_n \leq a(I_c) + b(I_c)B_t$$

Linear Topology Optimization

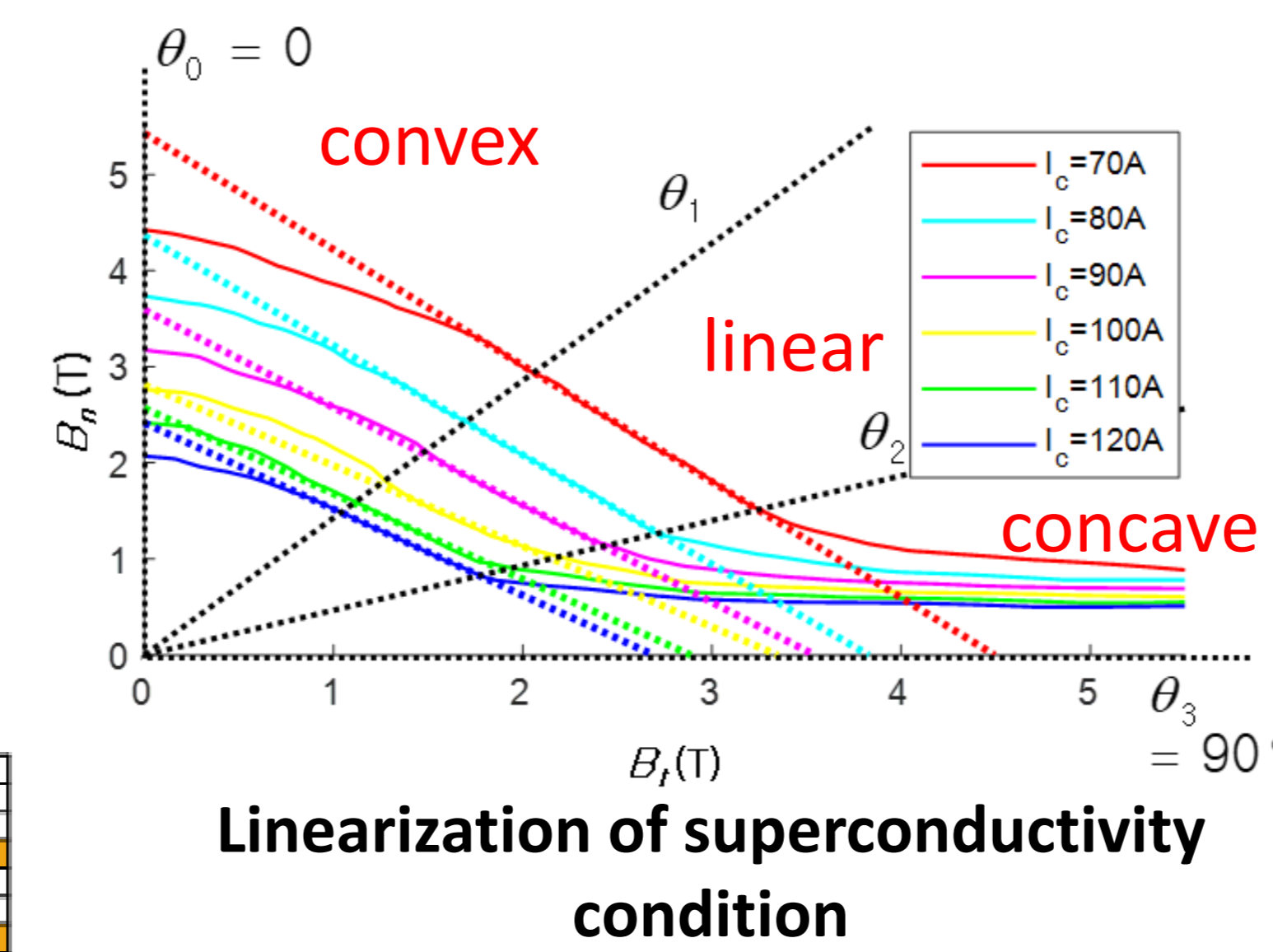
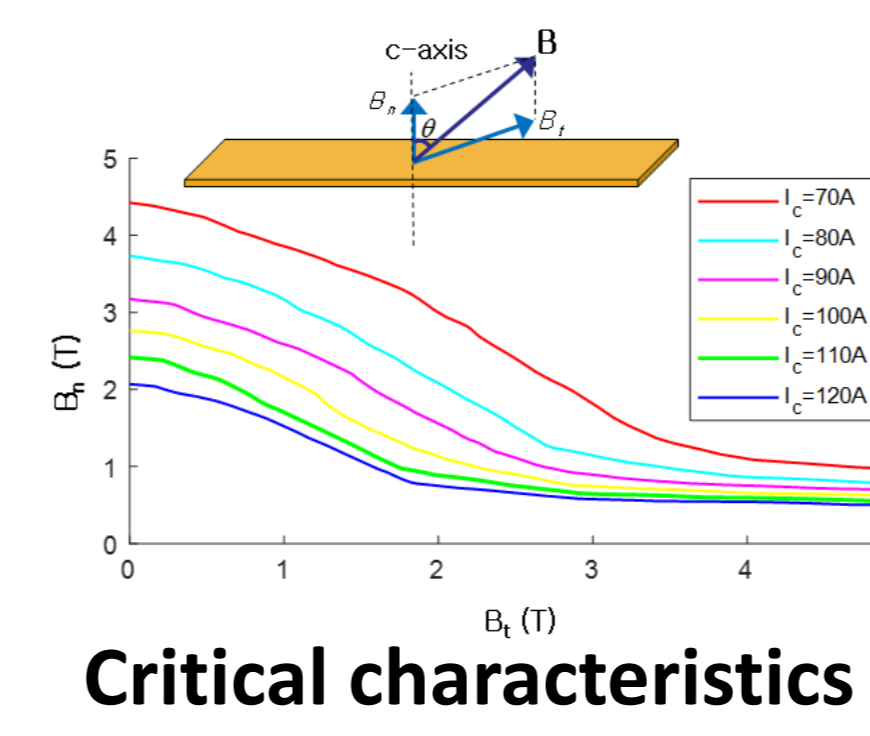


Objective function:
 $\max \sum_p w_p^T B_p$ subjected to $0 \leq \rho_{(ij)} \leq 1$

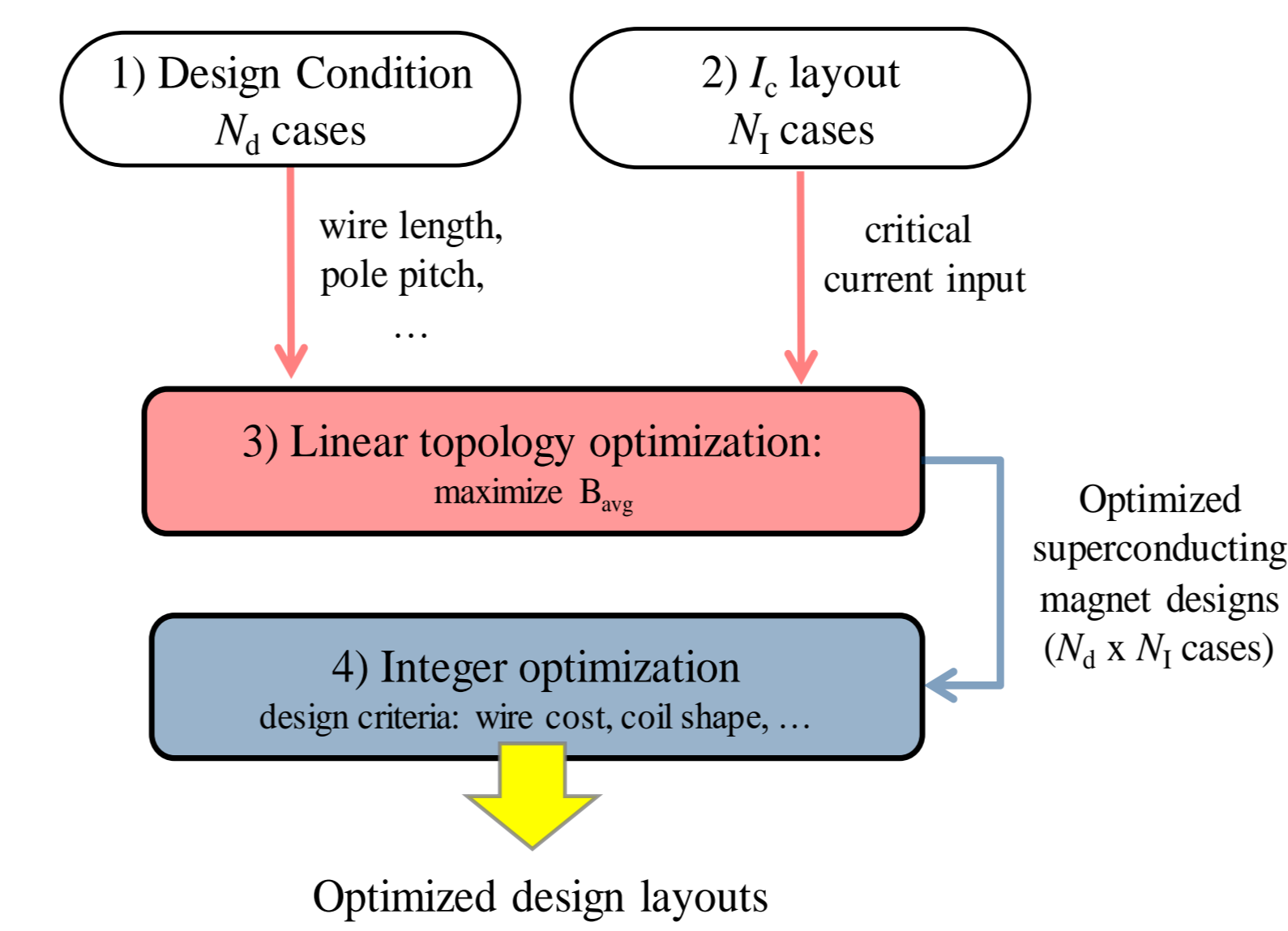
Superconductivity constraint:
 $-\frac{b(I_c)}{a(I_c)} B_t(i) + \frac{1}{a(I_c)} B_n(i) \leq 1$

Wire volume (or length) constraint:
 $V_r = V / V_{ds}$ where $V_{ds} = \sum_{i=1}^{N_{ds}} V_{(i)}$

Magnetic field relation:
 $B(r) = \sum_{i=1}^{N_{ds}} \rho_{(i)} I_c A_w^{-1} \vec{B}_{(i)}(r)$



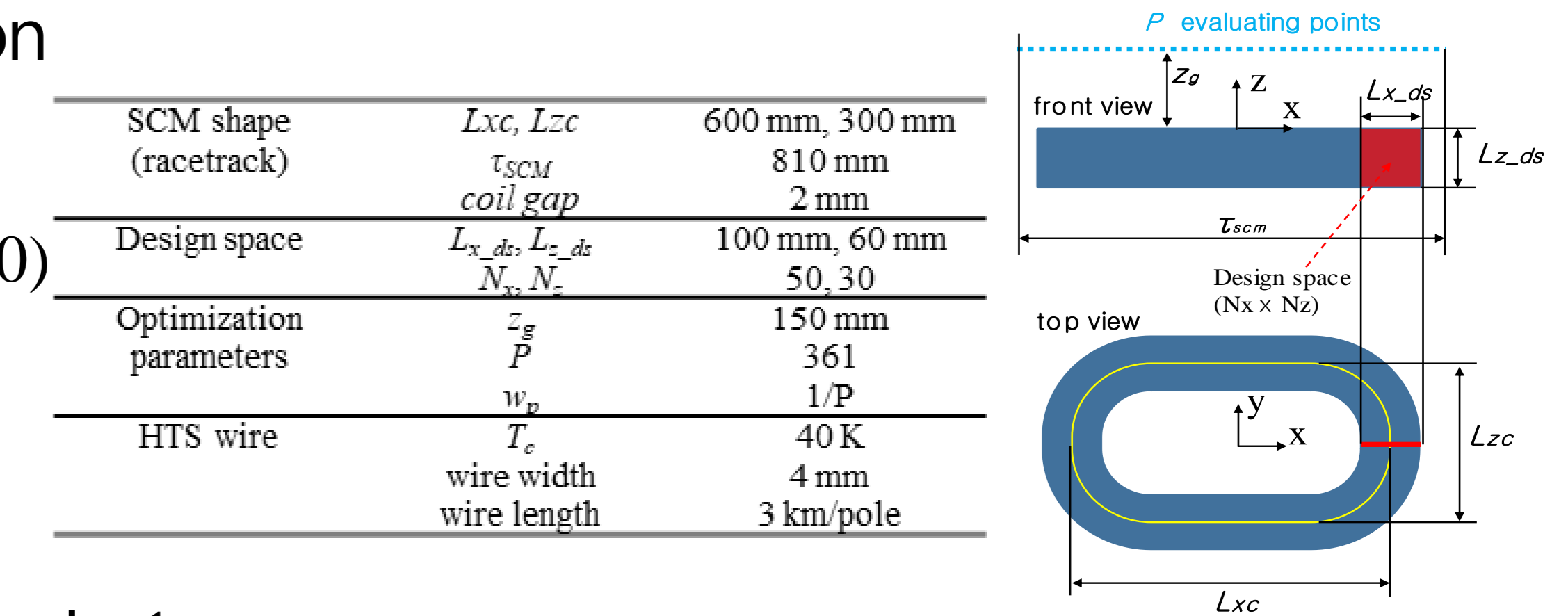
Layout Optimization : most preferred design considering additional criteria (wire cost or coil shape)



Optimization Example

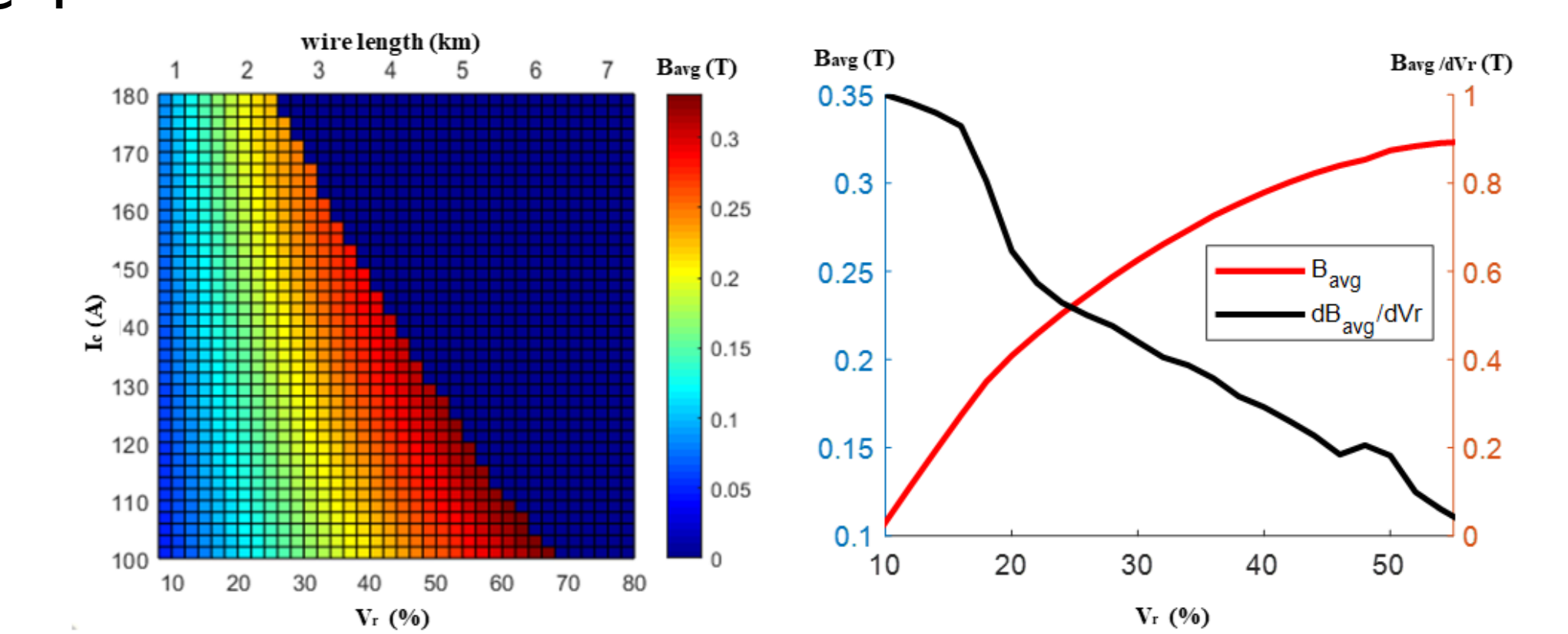
Design Specification

- HTS wire (SuNAM, SAN04200) width 4mm length 3 km



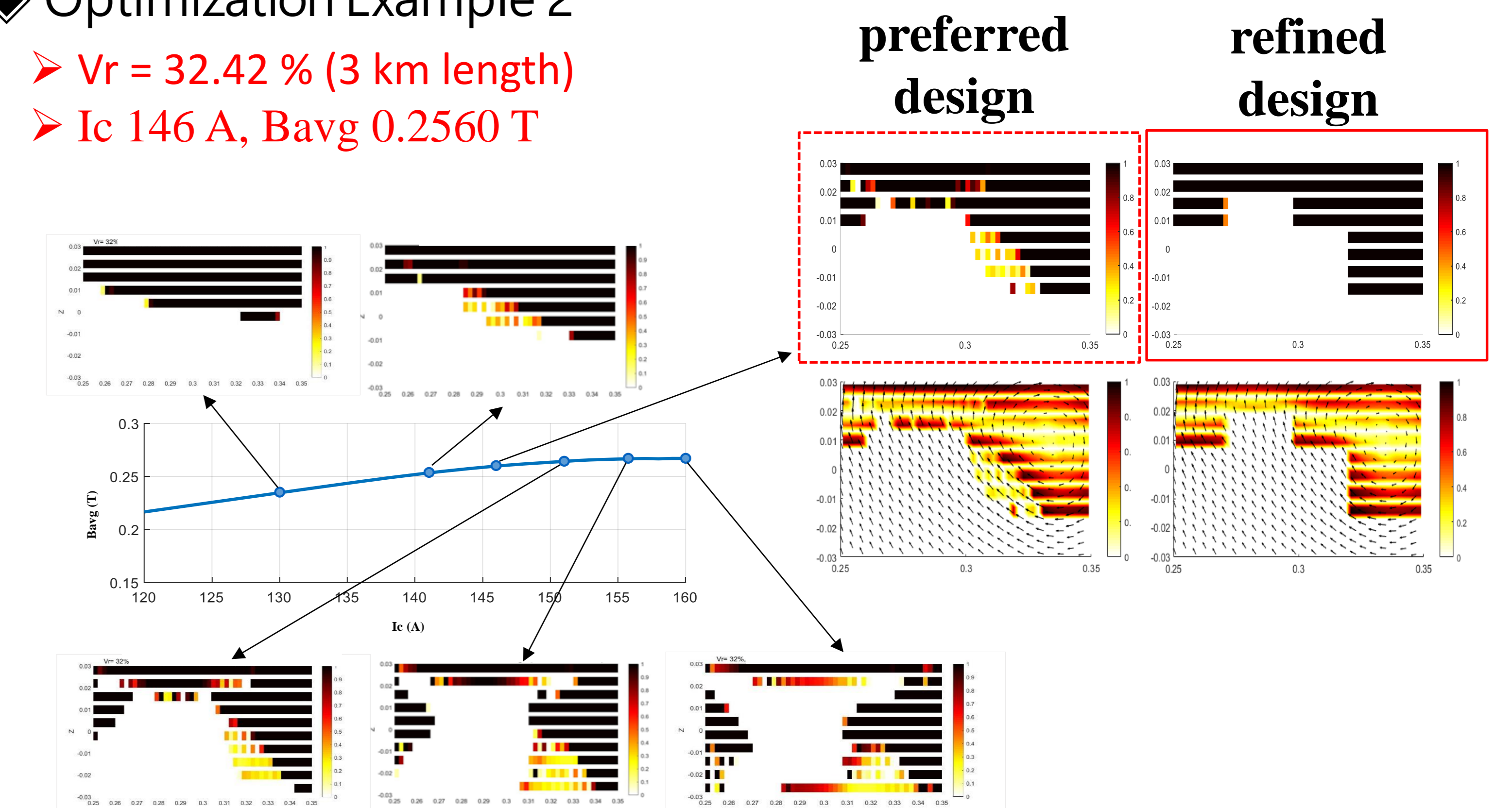
Optimization Example 1

- $10\% \leq V_r \leq 80\%$
- $100 \text{ A} \leq I_c \leq 180 \text{ A}$
- V_r (or wire length) ↑
→ B_{avg} ↑
→ B_{avg}/dV_r ↓



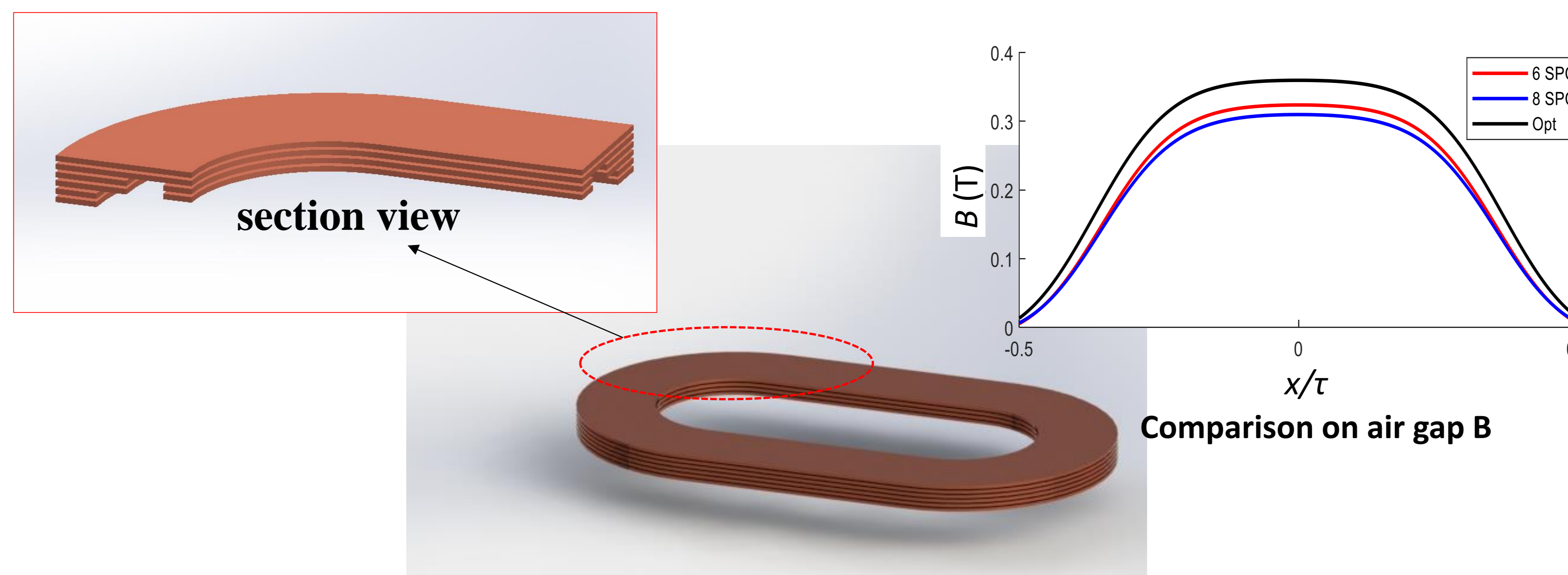
Optimization Example 2

- $V_r = 32.42\%$ (3 km length)
- $I_c = 146 \text{ A}$, $B_{avg} = 0.2560 \text{ T}$



Design Example and Conclusion

3D CAD Model



Performance Improvement

	B_{avg} (T)	I_c (A)	MMF (kAt)
6 SPC	0.2165	122.5	238.2
8 SPC	0.2071	121.5	235.3
opt.design	0.2487	140.2	261.2

- B_{avg} 15~20% ↑
- I_c 14~15% ↑
- MMF 10~11% ↑
- Additional ways:
Optimize design with other product, enlarge SCM size, or increase wire length