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B-physics anomalies: The bridge between R-parity violating Supersymmetry and flavoured Dark Matter

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[T.] 1904.12940



Outline

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➤ Background and Motivation

- RPV and DM interactions under the $U(2)^2$ flavour symmetry
- Constraints from low-energy observables and numerical fit
- Conclusions & Future outlook



B-Physics anomalies

1. An overall 2.5 σ deviation from μ/e universality in **natural current** $b \rightarrow s$ transition:

$$R_{K^*}^{\mu/e} \Big|_{q^2 \in [1.1, 6] \text{ GeV}^2} = \frac{BR(B \rightarrow K^* \mu^+ \mu^-)_{\text{exp}}}{BR(B \rightarrow K^* e^+ e^-)_{\text{exp}}} = 0.69_{-0.07}^{+0.11} \pm 0.05$$

[LHCb] 1903.09252
1705.05802

$$R_K^{\mu/e} = \frac{BR(B \rightarrow K \mu^+ \mu^-)_{\text{exp}}}{BR(B \rightarrow K e^+ e^-)_{\text{exp}}} = 0.846_{-0.054-0.014}^{+0.060+0.016}$$

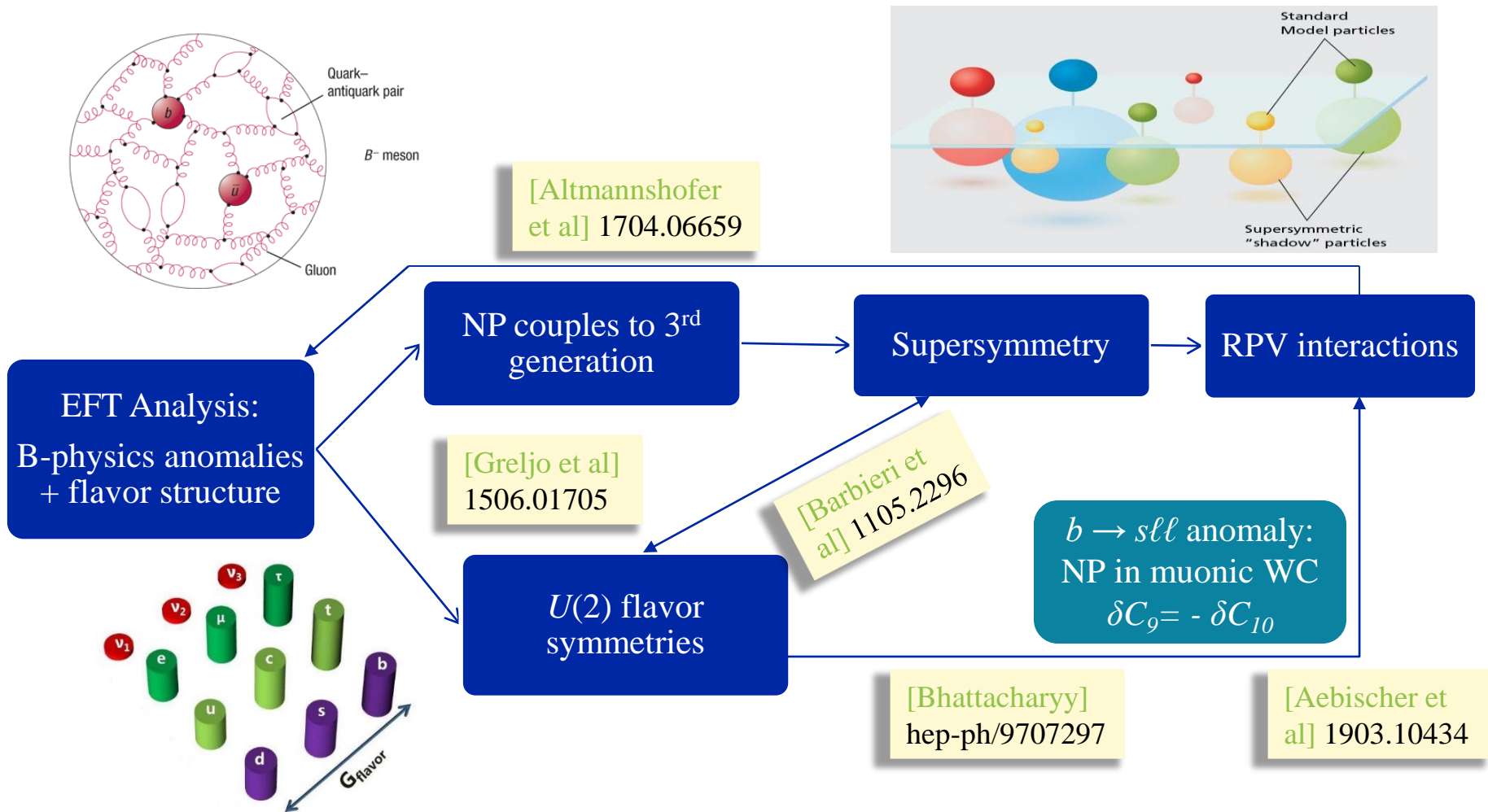
2. An overall 3.1 σ deviation from τ/μ universality in **charged current** $b \rightarrow c$ transition:

$$R_{D^*}^{\tau/l} = \frac{BR(B \rightarrow D^* \tau^- \bar{\nu}_\tau)_{\text{exp}} / BR(B \rightarrow D^* \tau^- \bar{\nu}_\tau)_{\text{SM}}}{BR(B \rightarrow D^* l^- \bar{\nu}_l)_{\text{exp}} / BR(B \rightarrow D^* l^- \bar{\nu}_l)_{\text{SM}}} = 1.151 \pm 0.062$$

[BaBar] 1303.0571,
[Belle] 1612.00529,
Morriond
[LHCb] 1711.02505,
1506.08614

$$R_D^{\tau/l} = \frac{BR(B \rightarrow D \tau^- \bar{\nu}_\tau)_{\text{exp}} / BR(B \rightarrow D \tau^- \bar{\nu}_\tau)_{\text{SM}}}{BR(B \rightarrow D l^- \bar{\nu}_l)_{\text{exp}} / BR(B \rightarrow D l^- \bar{\nu}_l)_{\text{SM}}} = 1.117 \pm 0.104$$

EFT acting as the pathfinder





Lessons from [T.] 1807.01638

- ❑ The $U(2)^2$ flavor symmetry naturally suppresses the RPV couplings within the experimental bounds and still **allows for an improvement** over the SM fit for $R_{D^{(*)}}$, **at least as good as** the generic RPV scenario.
- ❑ With respect to a combined explanation of the $R_{K^{(*)}}$ anomaly, the model **without the leptonic** interactions is equivalent at the EFT level with the $(\mathbf{3}, \mathbf{1}, 1/3)$ scalar leptoquark studied in [Bauer et al] 1511.01900 ($\approx 0\%$ improvement to $R_{K^{(*)}}$).
- ❑ **Involving the leptonic** trilinear couplings, we can achieve at max a 30% improvement! (but with a $\tilde{\tau}_R$ significantly heavier than \tilde{b}_R)
- ❑ The possibility to provide a complete solution is severely limited by the strict bounds on Z boson decay to leptons and tree-level, LFV τ decays.



Tension in the leptonic interactions already anticipated by the EFT analysis



RPV \rightarrow Dark Matter \rightarrow B-physics anomalies?

- ❑ The RPV setup preserves all the attractive features of SUSY, **but one**, namely the candidacy of the LSP as Dark Matter. \longrightarrow We need a new WIMP!
- ❑ Among the numerous WIMP models, we are interested in those that:
 - ❑ DM couples to **specific** SM fermions directly (= distinguished collider signatures),
 - ❑ the apparent suppression of the interactions with the lighter generations from direct detection limits is explained from a **flavour symmetry rationale**,
 - ❑ exhibit a **supersymmetric structure**. extended bibliography...
- ❑ As long as the nature of DM remains a mystery, it is important to investigate any possible connection with other anomalous observations. To this end, there have been attempts to link mostly the $R_{K^{(*)}}$ discrepancy with DM.
- ❑ **GOAL:** Address **both** anomalies by introducing a supersymmetric hidden sector that features the **most economical** BMSSM particle content, is controlled by the $U(2)^2$ flavour symmetry and satisfies the rich flavour and DM Pheno!



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R-parity violating and Dark Matter superpotential

- The motivation for an exact R-parity is **no longer theoretically strong**. We consider the **R-parity odd** and gauge-invariant **superpotential**:

$$W_{\text{RPV}} = \frac{1}{2} \lambda_{ijk} L_i L_j E_k^c + \lambda'_{ijk} L_i Q_j D_k^c + \frac{1}{2} \lambda''_{ijk} U_i^c U_j^c D_k^c$$

[Brust et al] 1110.6670

[Buckley et al] 1610.08059

- The low-energy spectrum is simplified according to SUSY SSB conditions and bottom-up approaches. It contains only \tilde{b}_R and $\tilde{\tau}_R$.

- We extend the matter content by adding two Z_2 -odd superfields; a gauge **singlet**, flavour multiplet X and a $SU(2)_L$ **doublet**, flavour singlet mediator Y . The most general, **superpotential** relevant to the new fields is,

$$W_{\text{DM}} = \hat{M}_X X\bar{X} + \hat{M}_Y Y\bar{Y} + \hat{\lambda}_{ij} X_i Y L_j$$

scalar χ in X_3
= DM candidate!

- Due to the **holomorphicity** of W_{DM} , no other term is allowed at renormalizable level! The problematic Higgs-Portal is thus **absent**.

- Non-holomorphic terms in the Kähler potential may account for a large **mass splitting** between X_3 and the degenerate X_1 and X_2 .

[Batell et al] 1309.4462



Flavour structure

- We adopt a version of $U(2)^2$ that is compatible with gauge coupling unification. In terms of the $\mathbf{10}_i(T_i) \oplus \bar{\mathbf{5}}_i(\bar{F}_i)$ reps of $SU(5)$, the plausible choice is $\mathcal{G}_f = U(2)_T \times U(2)_{\bar{F}}$ with the transformation properties:

$$\mathbf{T} = (T_1, T_2) \sim (\mathbf{2}, \mathbf{1}), \quad T_3 \sim (\mathbf{1}, \mathbf{1}), \quad \bar{\mathbf{F}} = (\bar{F}_1, \bar{F}_2) \sim (\mathbf{2}, \mathbf{1}), \quad \bar{F}_3 \sim (\mathbf{1}, \mathbf{1}).$$

- The $SU(5)$ - and flavour-invariant Yukawa sector can be expressed as,

$$\mathcal{L}_Y = y_t T_3 T_3 H_5 + y_t x_t \mathbf{T} \mathbf{V}_T T_3 H_5 + \mathbf{T} \Delta_T \mathbf{T} H_5 + y_b T_3 \bar{F}_3 H_{\bar{5}} + y_b x_b \mathbf{T} \mathbf{V}_T \bar{F}_3 H_{\bar{5}} + \mathbf{T} \Delta_{T \times \bar{F}} \bar{\mathbf{F}} H_{\bar{5}}$$

The masses and the mixings are reproduced with the following spurion

$$\text{alignment: } \mathbf{V}_T = (0 \ \epsilon)^T, \quad \Delta_T = \begin{pmatrix} 0 & \epsilon' \\ -\epsilon' & \epsilon \rho \end{pmatrix}, \quad \Delta_{T \times \bar{F}} = \begin{pmatrix} 0 & \epsilon' \\ -\epsilon' & \epsilon \end{pmatrix},$$

where $\epsilon \approx 0.025$, $\epsilon' \approx 0.006$, and $\rho \approx 0.02$.

[Barbieri et al]
1506.09201, hep-
ph/9610449

- All trilinear terms in the superpotential can be converted to holomorphic flavour singlets by contracting the superfields with the above spurions and $\mathbf{V}_{\bar{F}} = (0 \ \epsilon_{\bar{F}})^T$ transforming as $(\mathbf{1}, \bar{\mathbf{2}})$.



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Contributions to $B \rightarrow D^{(*)} \tau \bar{\nu}$ and $B \rightarrow K^{(*)} \ell \bar{\ell}$

- The RPV contribution to charged-current decays occurs at **tree-level**:

$$\mathcal{L}(b \rightarrow c \ell \bar{\nu}_\ell) = -\frac{4G_F}{\sqrt{2}} V_{cb} (\delta_{ii'} + \Delta_{ii'}^c) \bar{\ell}_L^i \gamma^\mu \nu_L^i \bar{c}_L \gamma_\mu b_L, \quad \Delta_{ii'}^c = \sum_{j'=s,b} \frac{\sqrt{2}}{4G_F} \frac{\lambda'_{i33} \lambda'_{i'j'3}}{2m_{\tilde{b}_R}^2} \frac{V_{cj'}}{V_{cb}}.$$

We examine then the NP effects in the ratio:

$$r_{D^{(*)}} = \frac{R_{D^{(*)}}}{R_{D^{(*)}}^{\text{SM}}} = \frac{|1 + \Delta_{33}^c|^2 + |\Delta_{23}^c|^2}{\frac{1}{2} \left(1 + |1 + \Delta_{22}^c|^2 + |\Delta_{32}^c|^2 \right)}.$$

Large $\lambda'_{323} \lambda'_{333}$
Small $\lambda'_{223} \lambda'_{233}$
[Deshpande et al]
1608.04817

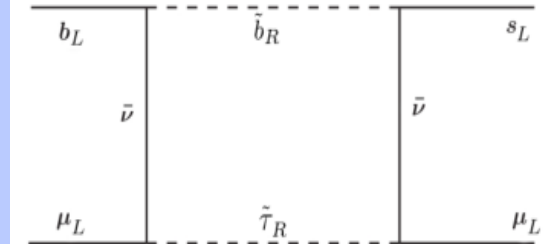
- For the FCNC transition, we regard the NP modification of the WC in:

$$\mathcal{L}(b \rightarrow s \ell \bar{\ell}) = \frac{4G_F}{\sqrt{2}} \frac{\alpha_e}{4\pi} V_{tb} V_{tb}^* \left[(C_9^\ell + \delta C_9^\ell) \bar{\ell}^i \gamma^\mu \ell^i \bar{s}_L \gamma_\mu b_L + (C_{10}^\ell + \delta C_{10}^\ell) \bar{\ell}^i \gamma^\mu \gamma_5 \ell^i \bar{s}_L \gamma_\mu b_L \right]$$

- At **one-loop order**, one gets: [Das et al] 1705.09188

$$\delta C_9^\mu = -\delta C_{10}^\mu = \frac{m_t^2}{16\pi\alpha} \frac{(\lambda'_{233})^2}{m_{\tilde{b}_R}^2} - \frac{\lambda'_{i23} \lambda'_{i33} \lambda'_{2j3} \lambda'_{2j3}}{64\sqrt{2}G_F \pi V_{tb} V_{ts}^* \alpha m_{\tilde{b}_R}^2}$$

New!



Small due to tree-level $B \rightarrow K^{(*)} \nu \bar{\nu}$

$$- \frac{\lambda'_{323} \lambda'_{333} (\lambda_{323})^2}{64\sqrt{2}G_F \pi V_{tb} V_{ts}^* \alpha} \frac{\log(m_{\tilde{b}_R}^2 / m_{\tilde{\tau}_R}^2)}{m_{\tilde{b}_R}^2 - m_{\tilde{\tau}_R}^2}$$



Can LLE^c interactions save the day? ... YES!

- A **tree-level** $\tilde{\tau}_R$ exchange affect the strictly bounded τ decays. Additionally, RGE effects driven by the top Yukawa y_t contribute via **one-loop** diagrams. At leading order, one gets:

[Feruglio et al] 1606.00524

$$R_{\tau}^{\tau/\ell} \cong 1 + \frac{\sqrt{2}}{4G_F} \frac{(\lambda_{323})^2}{m_{\tilde{\tau}_R}^2} - \frac{3m_t^2}{16\pi^2} \frac{(\lambda'_{333})^2}{m_{\tilde{b}_R}^2} \left(\log \left(\frac{m_{\tilde{b}_R}^2}{m_t^2} \right) - \frac{1}{2} \right) - \frac{\hat{\lambda}_{33} \hat{\lambda}_{32}}{8\pi^2} \left(\frac{m_\chi^2}{m_\psi^2} \log \left(\frac{m_\chi^2}{m_\psi^2} \right) + 1 \right)$$

- Opportunity for a **cancellation mechanism**? In the absence of DM, this scenario is **restricted** due to the NP modification of the $Z \rightarrow \ell \bar{\ell}'$ coupling, induced by triangle diagrams proportional to coupling λ'_{333} . In particular,

$$\frac{a_\tau}{a_e} = 1 - \frac{3m_t^2}{16\pi^2} \frac{(\lambda'_{333})^2}{m_{\tilde{b}_R}^2} \left(\log \left(\frac{m_{\tilde{b}_R}^2}{m_t^2} \right) - 1 \right) + (1 - 4s_W^2) \frac{(\hat{\lambda}_{33})^2}{16\pi^2} \left(\frac{m_\chi^2}{m_\psi^2} \log \left(\frac{m_\chi^2}{m_\psi^2} \right) + 1 \right)$$

- If we include the DM interaction the cancellation is invoked **naturally** in both processes.
- **Additional** LFV processes become relevant at **one-loop**: $\tau \rightarrow 3\mu$ and $\tau \rightarrow \mu\gamma$.



DM Phenomenology

- The main self-annihilation channels are $\bar{\chi}\chi \rightarrow \bar{\ell}\ell(\bar{\nu}_\ell\nu_\ell)$. The effective cross-section is **p-wave suppressed**,

$$\frac{1}{2}\langle\sigma v\rangle = \frac{1}{2}\left[\frac{(\hat{\lambda}_{32}^2 + \hat{\lambda}_{33}^2)m_\chi^2}{48\pi(m_\psi^2 + m_\chi^2)^2}v^2\right] \equiv pv^2$$

[Bai et al] 1402.6696

- The dominant contribution for DM scattering off nucleons is generated by the **charge-radius operator**,

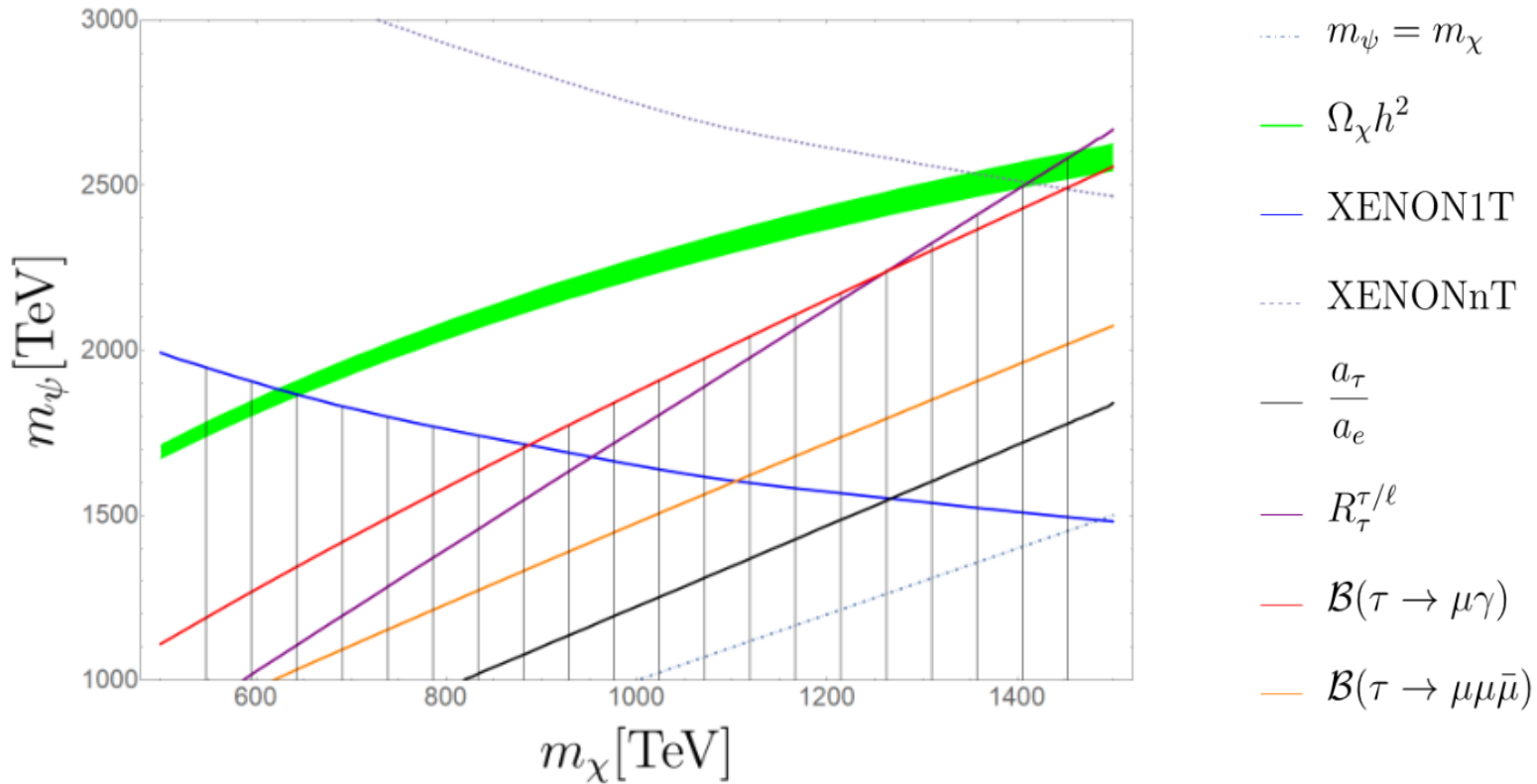
$$\mathcal{L}_{\text{charge-radius}} = ib_\chi \partial_\mu \chi^* \partial_\nu \chi F^{\mu\nu}, \quad b_\chi = \sum_{\ell=\mu,\tau} \frac{\hat{\lambda}_{3\ell}^2 e}{16\pi^2 m_\psi^2} \left(1 - \frac{2}{3} \log\left(\frac{m_\ell^2}{m_\psi^2}\right)\right)$$

- The **spin-independent**, DM-nucleus $\frac{d\sigma}{dE_R}$ has the same E_R - and v^2 -profile as the ordinary contact interaction. With a Z^2/A^2 rescaling (**isospin violation**), one can map the latest exclusion limits onto limits on the parameter space.

- Indirect detection signals of scalar DM are **too small** to be observed due to the p-wave suppression



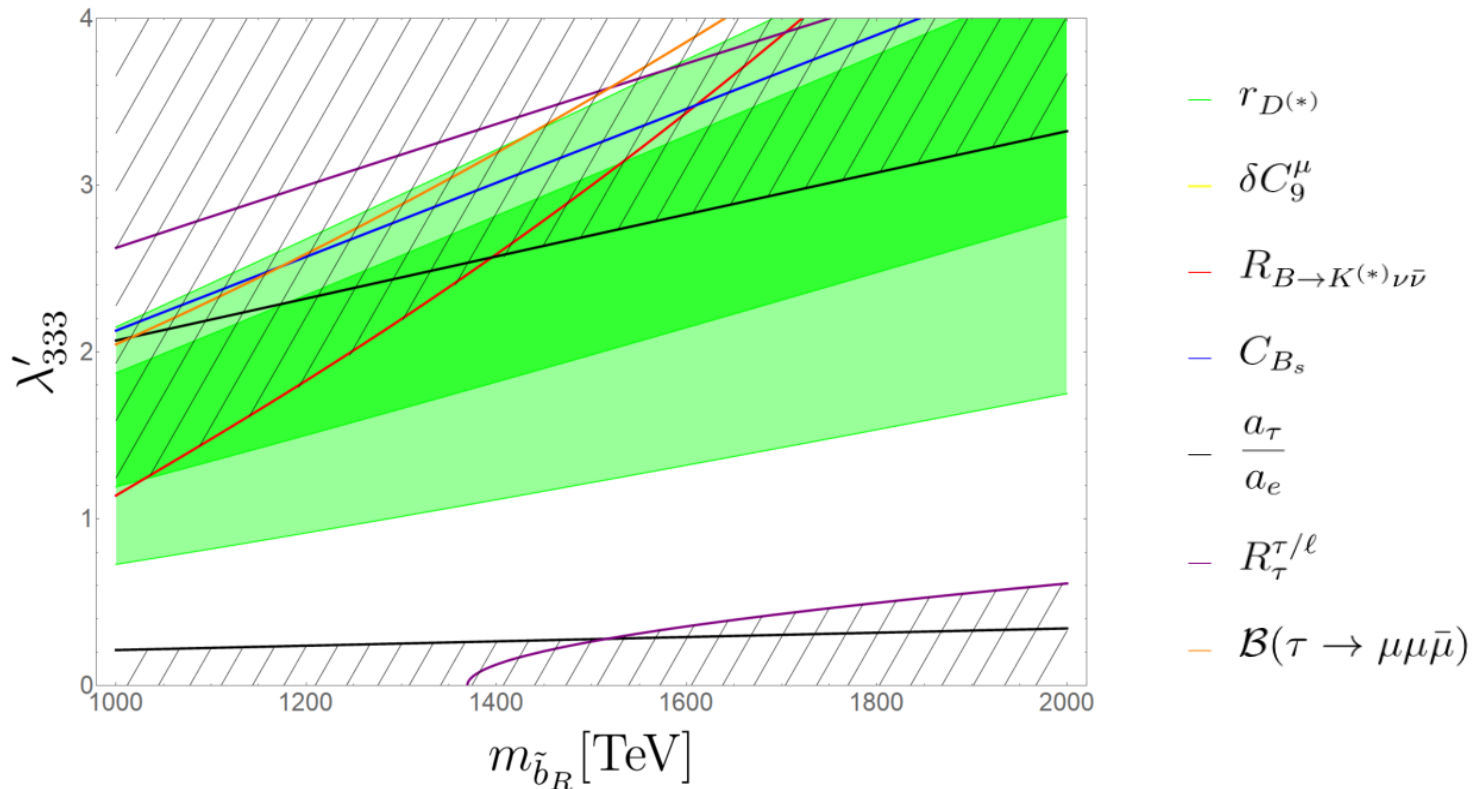
DM Parameter space (at 2σ exclusion)





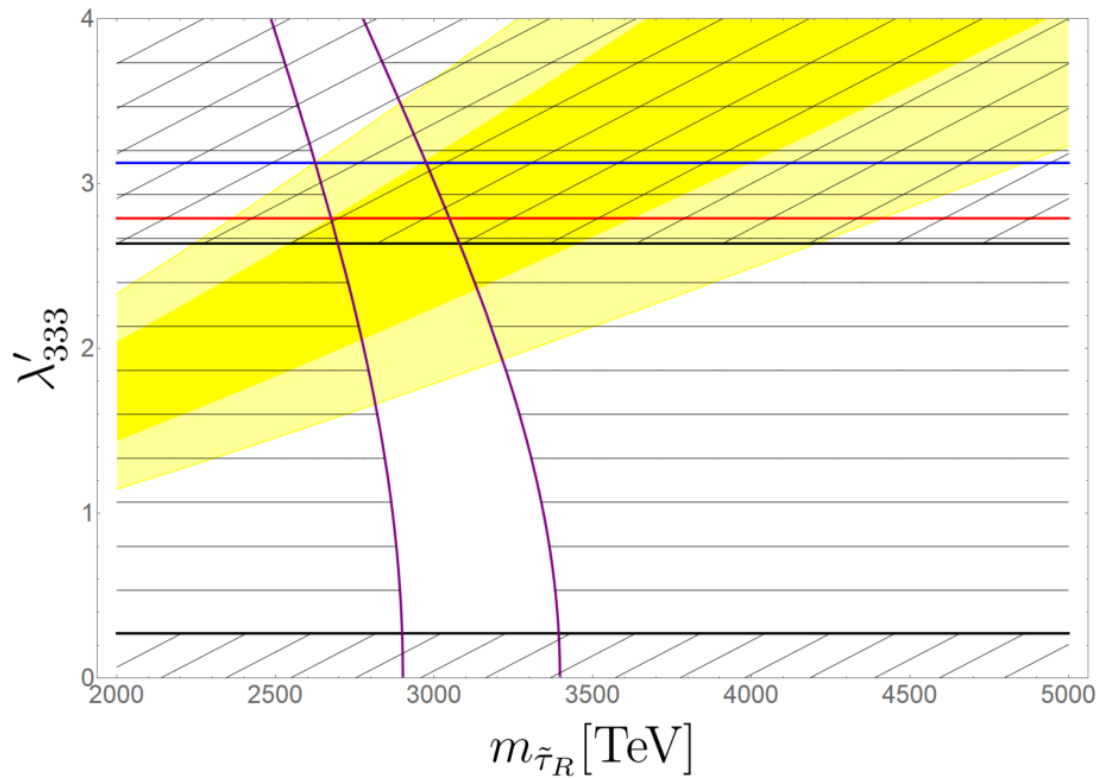
RPV Parameter space (at 2σ exclusion)

- We perform a χ^2 **minimization** with the flavour and DM data and mass lower bounds set by collider searches: $m_{\tilde{b}_R} > 1\text{TeV}$, $m_{\tilde{\tau}_R} > 400\text{GeV}$, $m_\chi > 400\text{GeV}$ and $m_\psi > 500\text{GeV}$.





RPV Parameter space (at 2σ exclusion)






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Conclusions & Future outlook

- The model provides an explanation for the B-physics anomalies without raising significant tensions with other low-energy observables. 
- The required destructive amplitude interference between the RPV and DM interactions occurs for **natural choice** of parameters and mass spectrum.
- All newly introduced ingredients are in accordance with the spirit of gauge coupling unification.
- The flavour symmetry **controls** consistently the strength of SM Yukawa, RPV and DM interactions.
- Regarding the **testability** of the model: With the new world average of $R_{D^{(*)}}$ (after Moriond), there is **no guarantee** of finding the scalar leptoquark after the LH-LHC phase. The same holds for the DM sector at LHC. [Greljo et al] 1811.07920
- DM direct detection proves to be much more promising! The bulk of the parameter space is expected to **be probed** by XENONnT (and similar experiments)



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Thank you!!!!

QUESTIONS ???

Backup slides



Field Content

	$SU(3)_c$	$SU(2)_L$	$U(1)_Y$	$U(2)_T$	$U(2)_{\bar{F}}$
(Q_1, Q_2)	3	2	1/6	2	1
Q_3	3	2	1/6	1	1
(U_1^c, U_2^c)	$\bar{\mathbf{3}}$	1	-2/3	2	1
U_3^c	$\bar{\mathbf{3}}$	1	-2/3	1	1
(D_1^c, D_2^c)	$\bar{\mathbf{3}}$	1	1/3	1	2
D_3^c	$\bar{\mathbf{3}}$	1	1/3	1	1
(L_1, L_2)	1	2	-1/2	1	2
L_3	1	2	-1/2	1	1
(E_1^c, E_2^c)	1	1	-1	2	1
E_3^c	1	1	-1	1	1
(X_1, X_2)	1	1	0	1	2
X_3	1	1	0	1	1
Y	1	2	-1/2	1	1



Expanded Lagrangians & Best-fit point

$$\mathcal{L}_\lambda = -\frac{1}{2} \lambda_{ijk} \left(\tilde{\nu}_{Li} \bar{\ell}_{Rk} \ell_{Lj} + \tilde{\ell}_{Lj} \bar{\ell}_{Rk} \nu_{Li} + \tilde{\ell}_{Rk}^* \bar{\nu}_{Ri}^c \ell_{Lj} - (i \leftrightarrow j) \right) + \text{h.c.} \quad \mathcal{L}_{\hat{\lambda}} = \hat{\lambda}_{3j} \bar{\ell}_{Lj} \chi \psi + \text{h.c.}$$

$$\mathcal{L}_{\lambda'} = -\lambda'_{ijk} \left(\tilde{\nu}_{Li} \bar{d}_{Rk} d_{Lj} + \tilde{d}_{Lj} \bar{d}_{Rk} \nu_{Li} + \tilde{d}_{Rk}^* \bar{\nu}_{Ri}^c d_{Lj} - \tilde{\ell}_{Li} \bar{d}_{Rk} u_{Lj} - \tilde{u}_{Lj} \bar{d}_{Rk} \ell_{Li} - \tilde{d}_{Rk}^* \bar{\ell}_{Ri}^c u_{Lj} \right) + \text{h.c.}$$

RPV & DM couplings	best-fit point	Flavour Suppression	Total value
λ_{323}	3.5	$\epsilon_{\bar{F}}$	3.5
λ'_{223}	1^\dagger	$\epsilon_{\bar{F}} \epsilon$	0.03
λ'_{233}	0.7	$\epsilon_{\bar{F}}$	0.7
λ'_{323}	2.4	ϵ	0.07
λ'_{333}	2.3	1	2.3
$\hat{\lambda}_{32}$	1^\dagger	$\epsilon_{\bar{F}}$	1
$\hat{\lambda}_{33}$	3.5	1	3.5

Masses	best-fit point [TeV]
$m_{\tilde{b}_R}$	1450
$m_{\tilde{\tau}_R}$	2900
m_χ	700
m_ψ	1950



NP loop contribution to Z boson/ τ decays

