

# Precision measurements of jet substructure and fragmentation at ATLAS

Jason Veatch  
University of Göttingen  
(AG Lai)

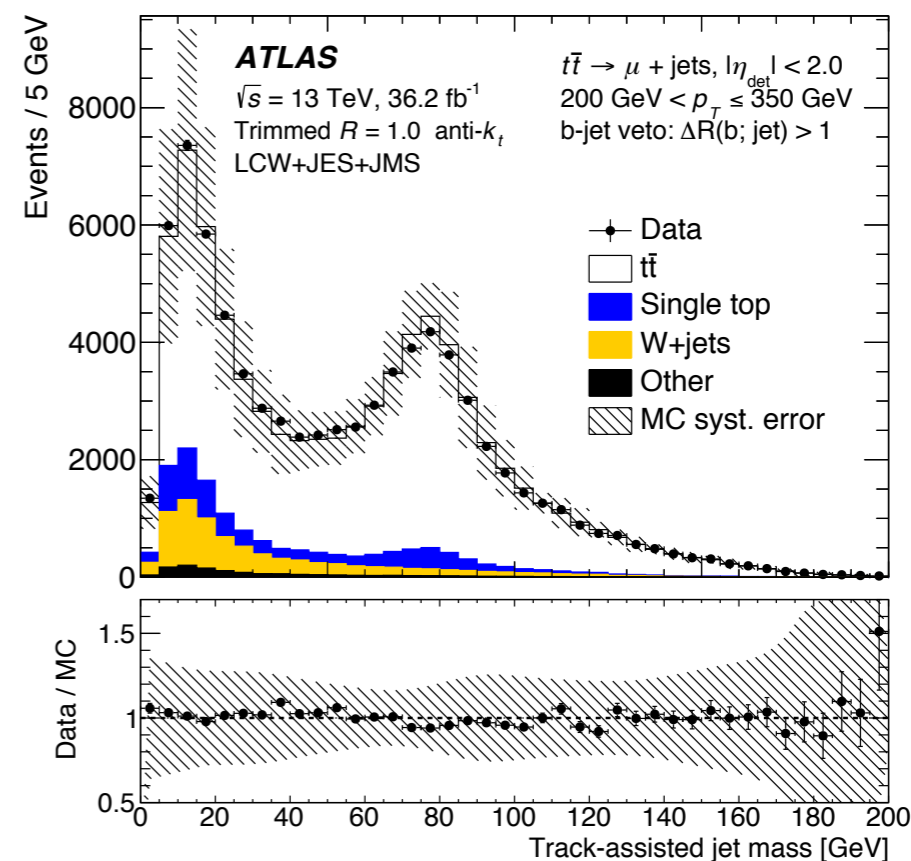
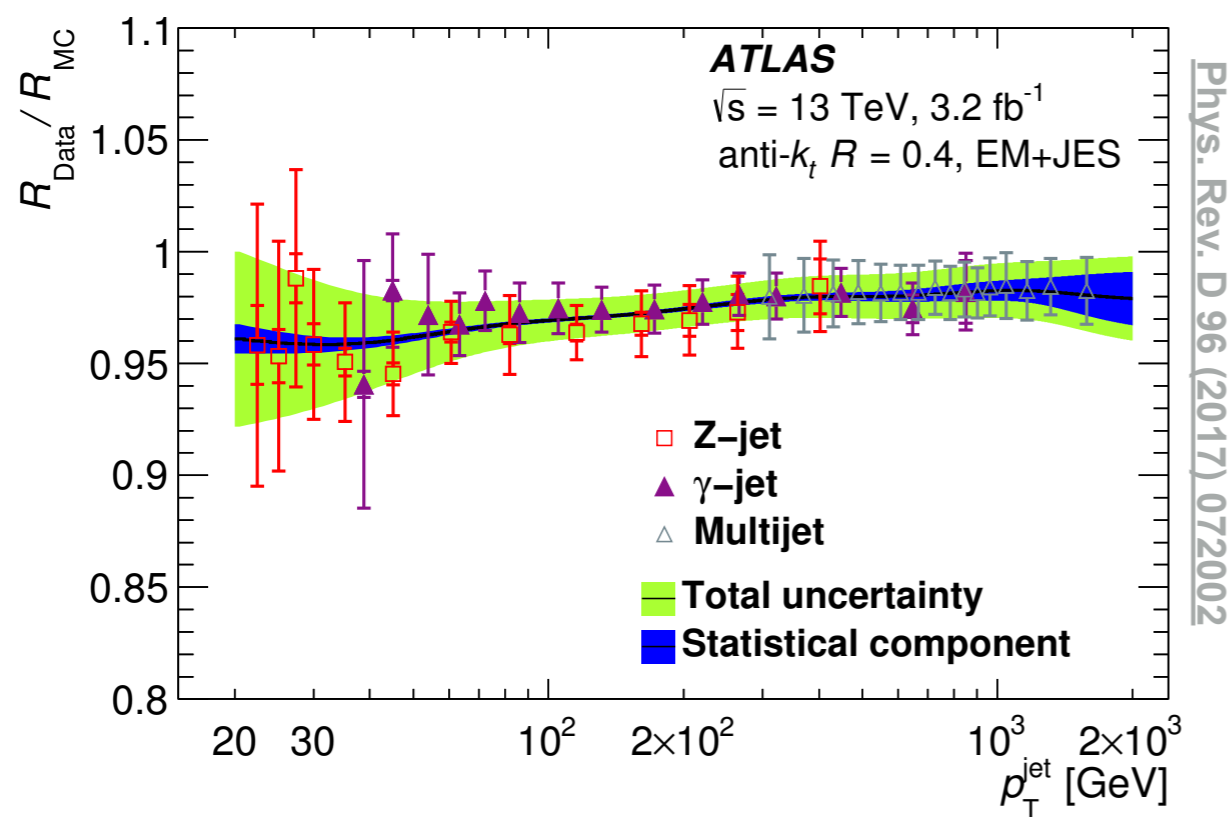
on behalf of the ATLAS collaboration

# Introduction

- We are in the era of precision jet property measurements
  - We can now probe QCD predictions at higher order
- Excellent jet reconstruction/calibration techniques allow precise measurements
- New techniques are available to accurately probe jet formation and shape
- Measurements in this talk:
  - Jet fragmentation: [ATLAS-STDM-2017-16](#)
  - Soft-Drop mass: [Phys. Rev. Lett. 121 \(2018\) 092001](#)
  - Jet shape observables: [arXiv:1903.02942](#)
  - $g \rightarrow bb$  properties: [Phys. Rev. D 99 \(2019\) 052004](#)

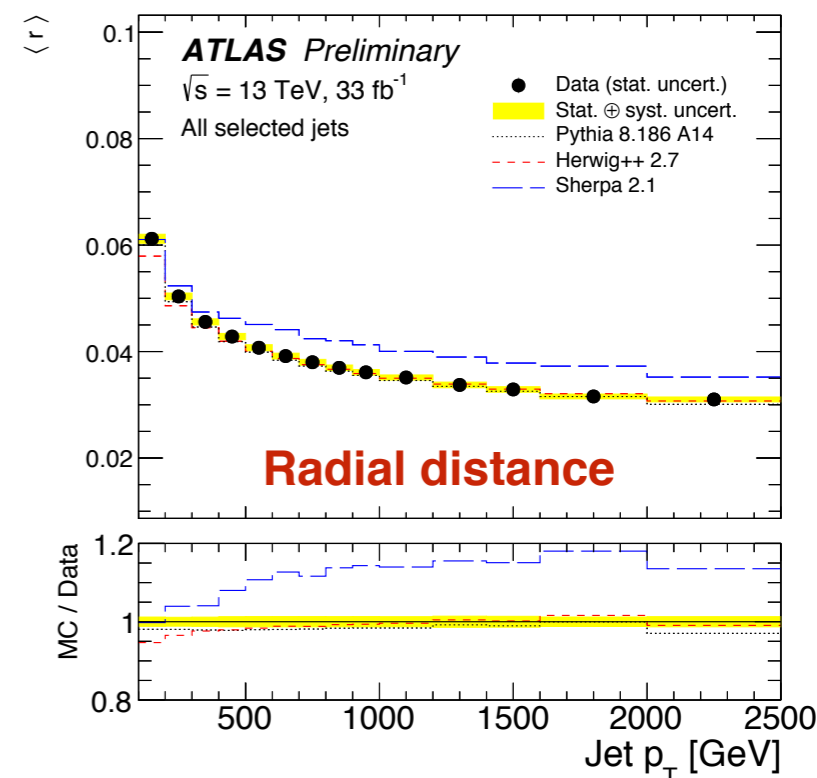
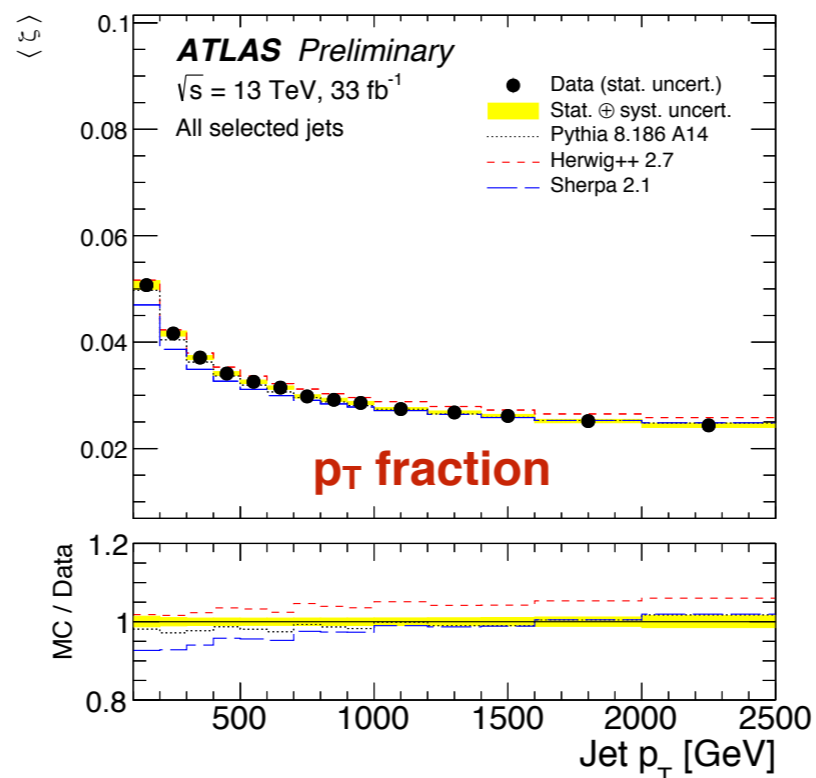
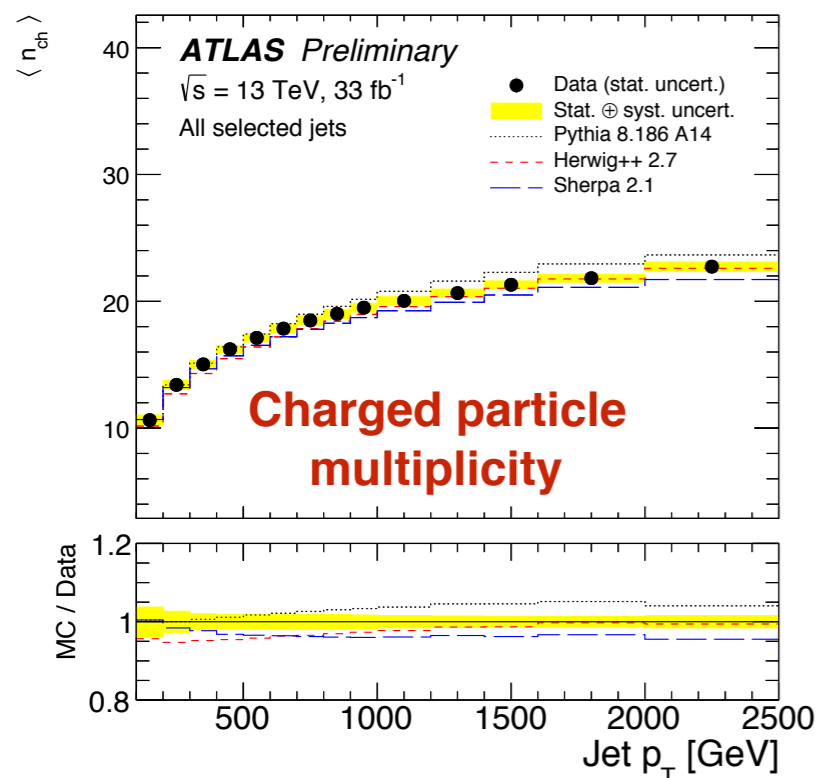
# Jet calibration performance

- Jet energy scale and mass scale need to be calibrated
- In situ techniques can be used to provide great performance



# Jet fragmentation properties using charged particles

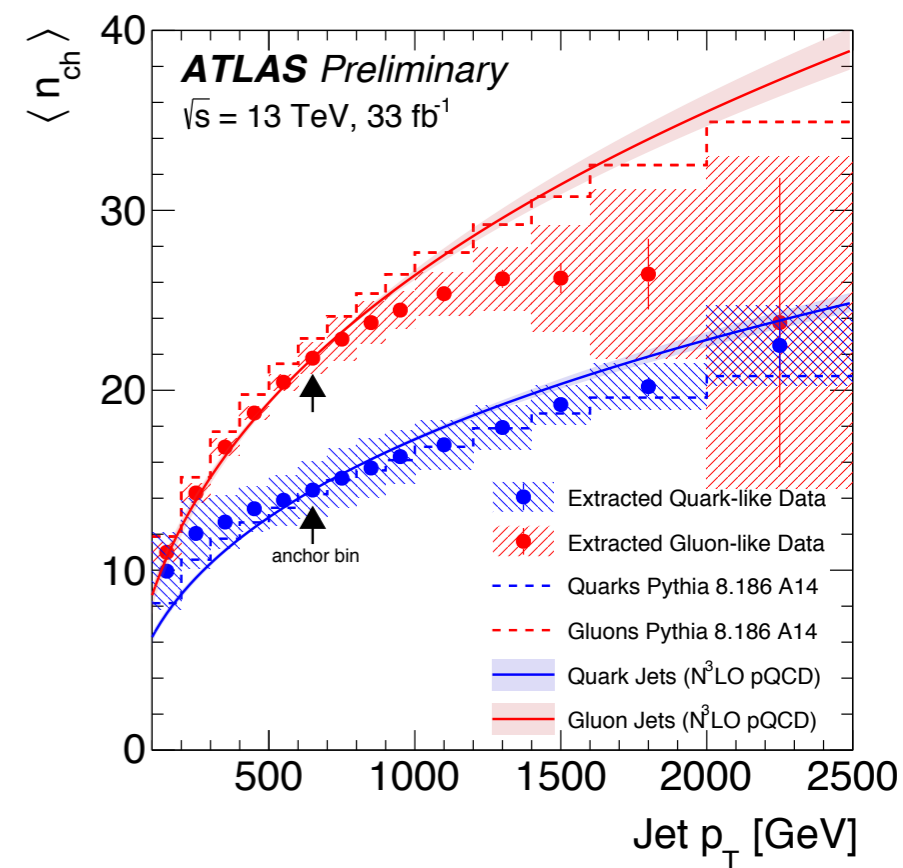
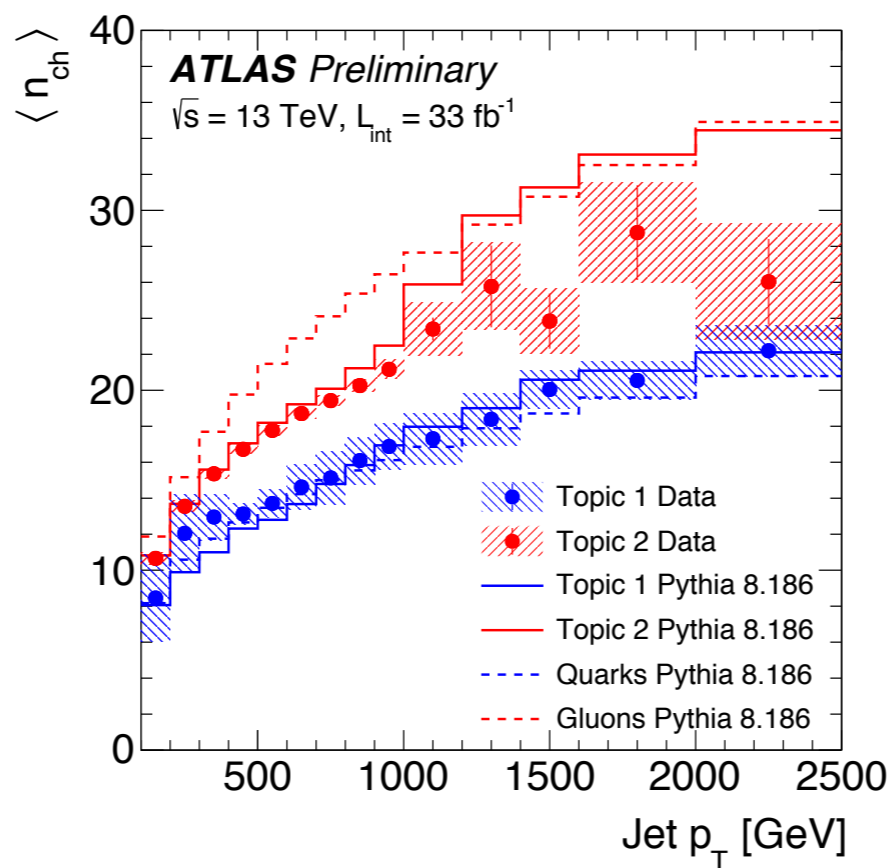
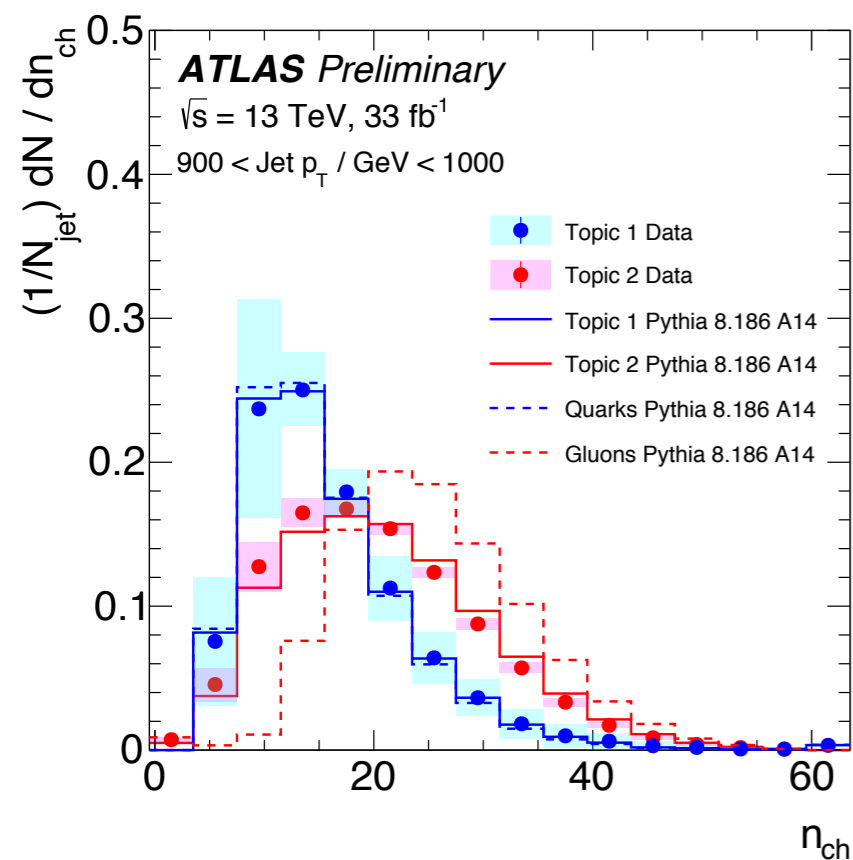
- Jet formation is complex and involves several energy scales
  - MC parameters need to be tuned to data
- Measuring quantities related to fragmentation using charged particle tracks helps us to tune MC parameters
- Predictions agree reasonably well with data
  - Sherpa needs to be better tuned





# Jet fragmentation properties using charged particles

- Operational hadron-level definition of quark or gluon jets needed
  - Most jet-by-jet tagging is highly dependent on PS model
- Topics are data-driven classifications that approximately align with quark and gluon jets

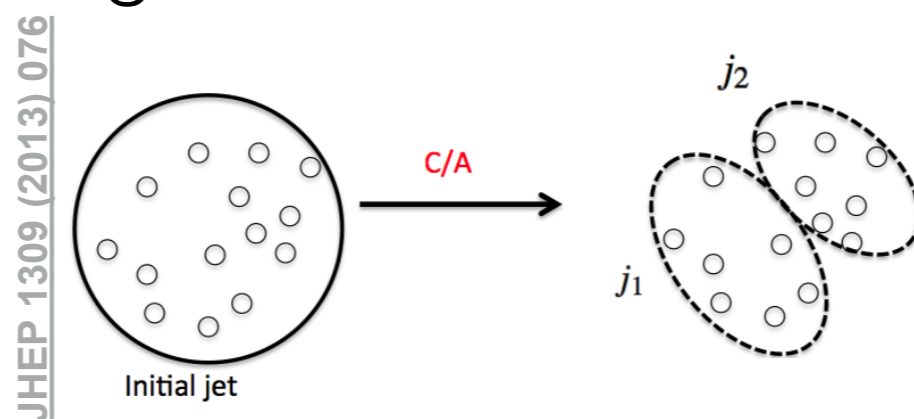


$$h_i^{T_1} = \frac{h_i^f - (\min_j \{h_j^f / h_j^c\}) \times h_i^c}{1 - \min_j \{h_j^f / h_j^c\}}$$

$$h_i^{T_2} = \frac{h_i^c - (\min_j \{h_j^c / h_j^f\}) \times h_i^f}{1 - \min_j \{h_j^c / h_j^f\}}$$

# Soft-Drop jet mass measurements

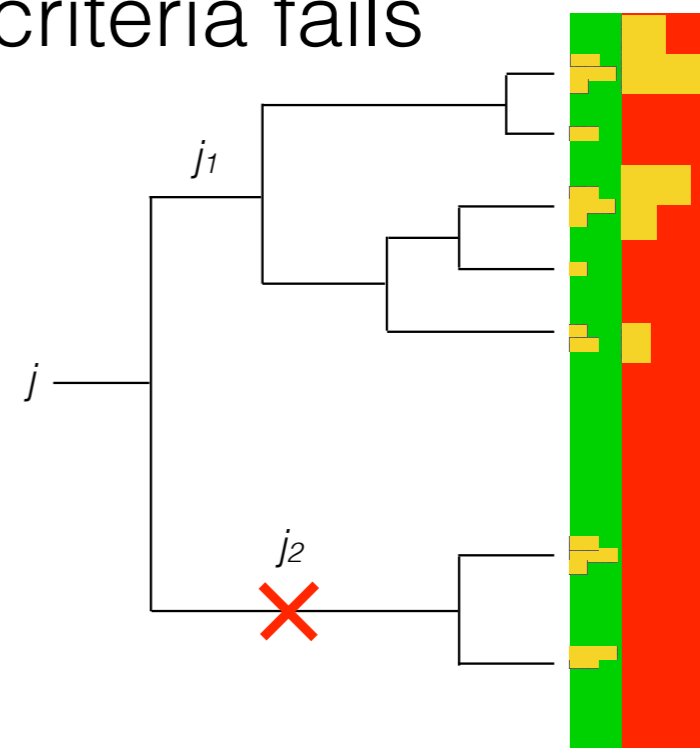
- Grooming removes soft and wide angle radiation from large-R jets
- SoftDrop designed to remove nonglobal logarithms
  - Jet reclustered using C/A



- Softer branch removed at each node if criteria fails

$$\frac{\min(p_{T,j_1}, p_{T,j_2})}{p_{T,j_1} + p_{T,j_2}} > z_{\text{cut}} \left( \frac{\Delta R_{12}}{R} \right)^\beta$$

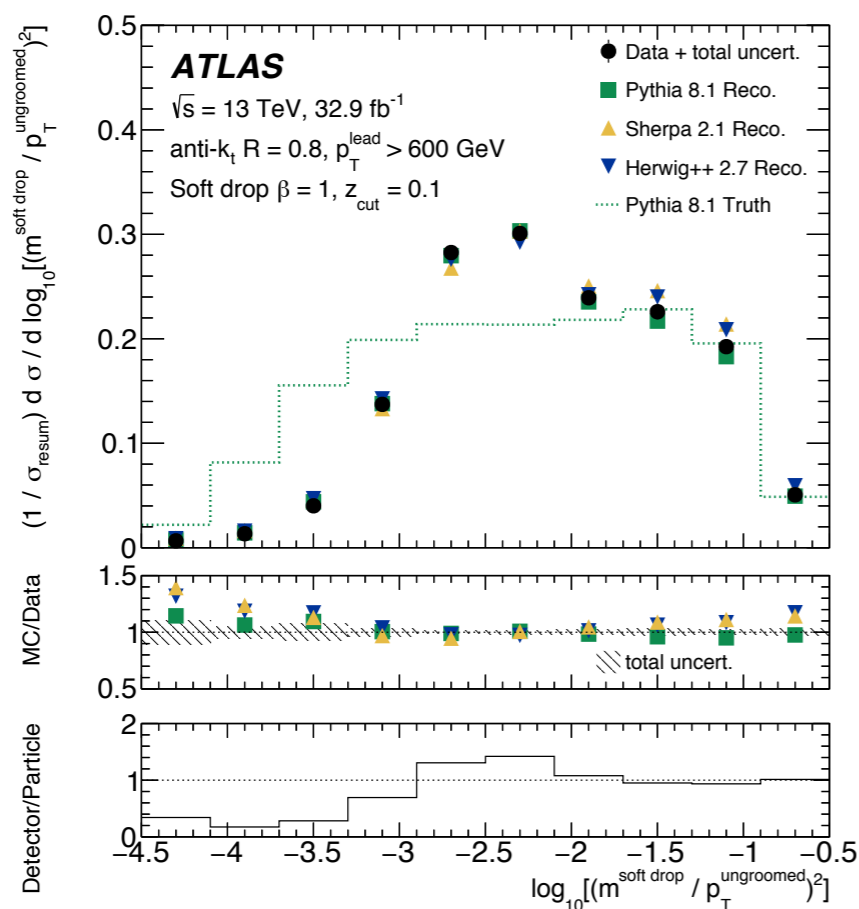
- Continued until criteria is passed
- Allows measurement beyond LL



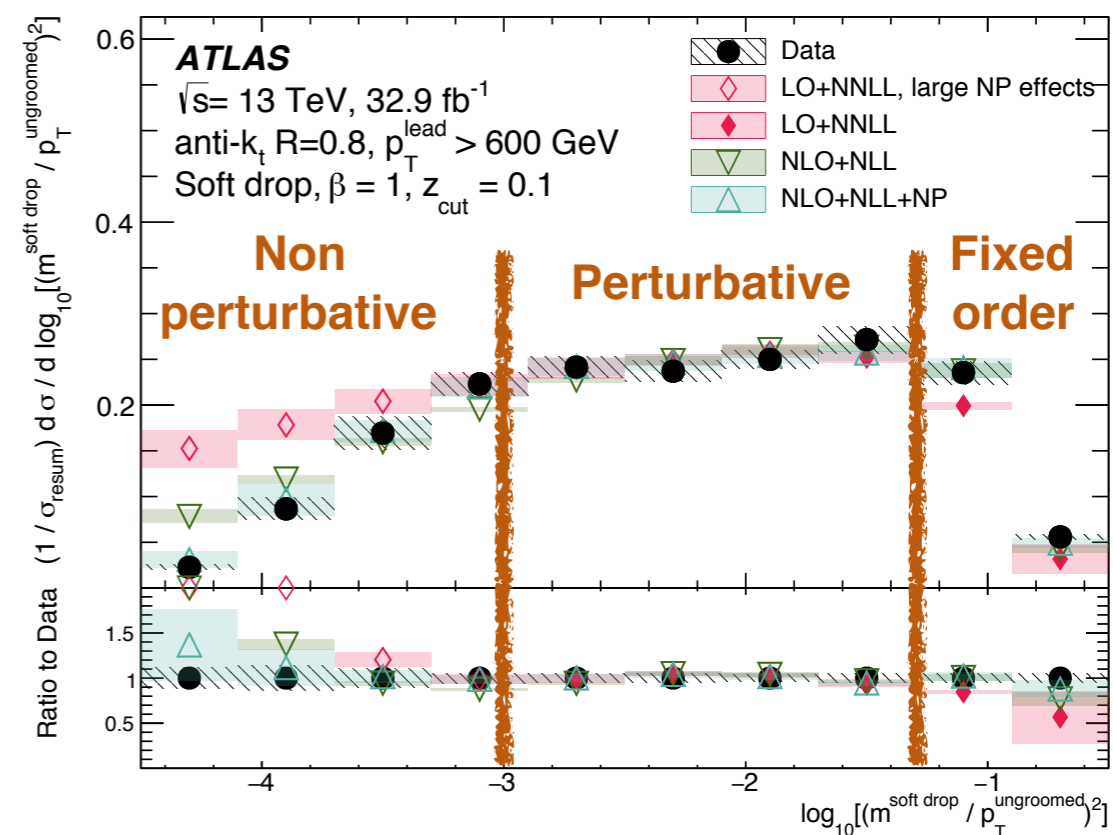
# Soft-Drop jet mass measurements

- Measured in dijet events using anti- $k_t$   $R = 0.8$  jets
- Scan of  $\beta$  values
- Excellent unfolded agreement in perturbative region

## Reconstructed

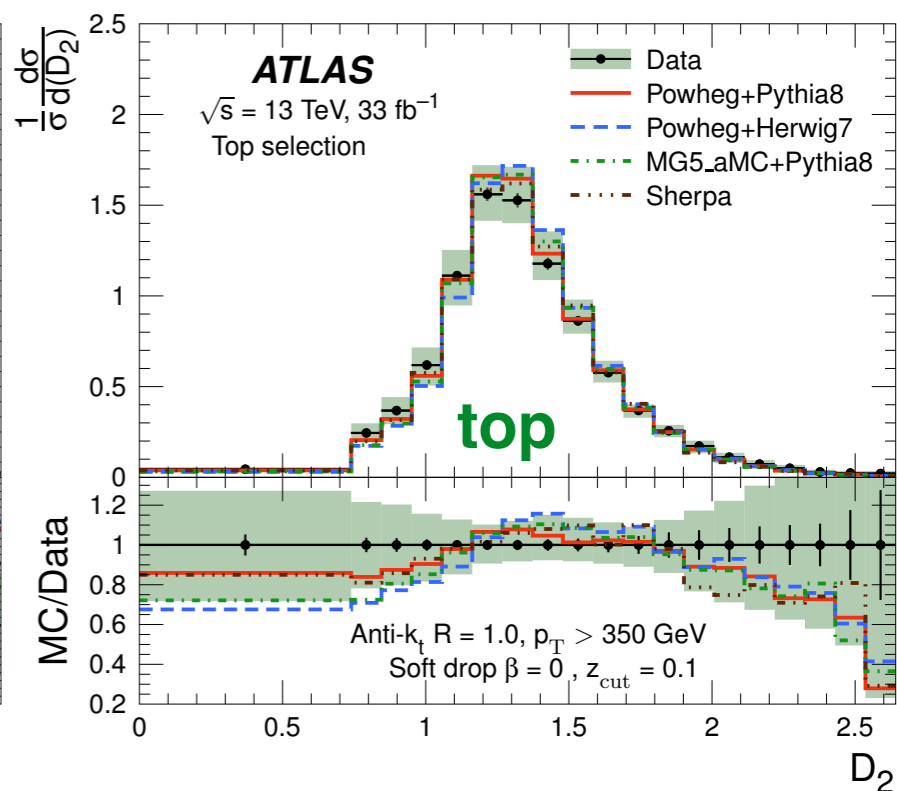
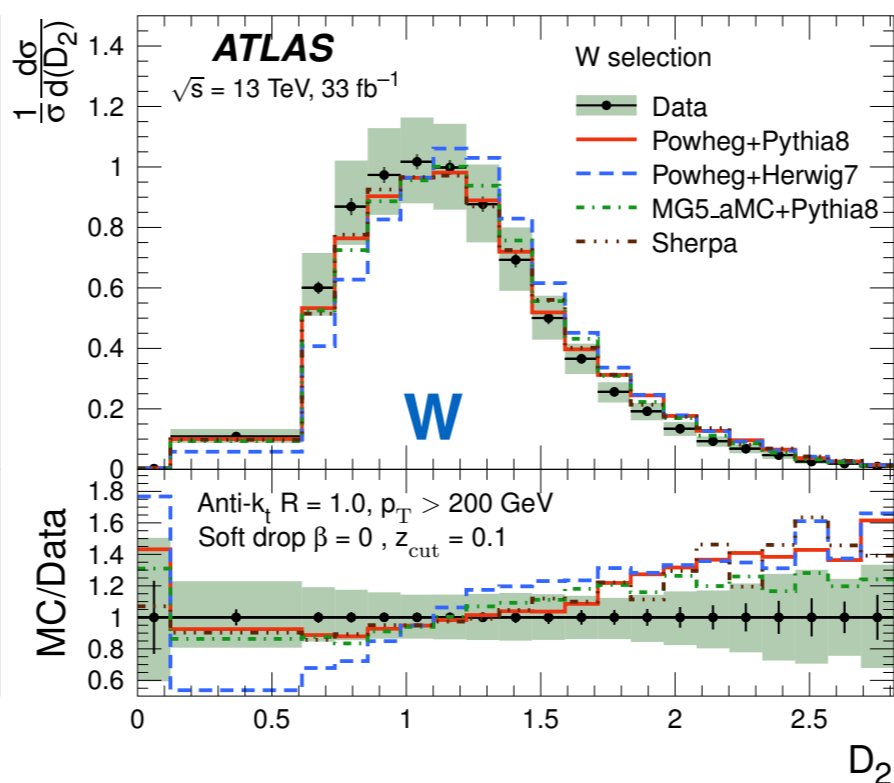
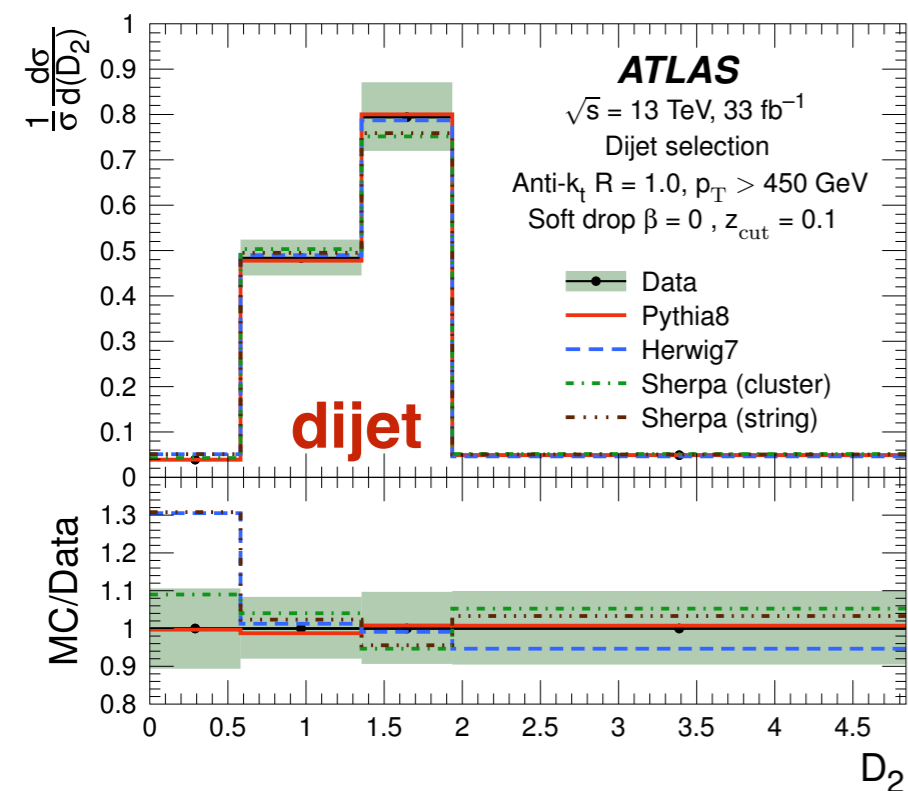


## Unfolded

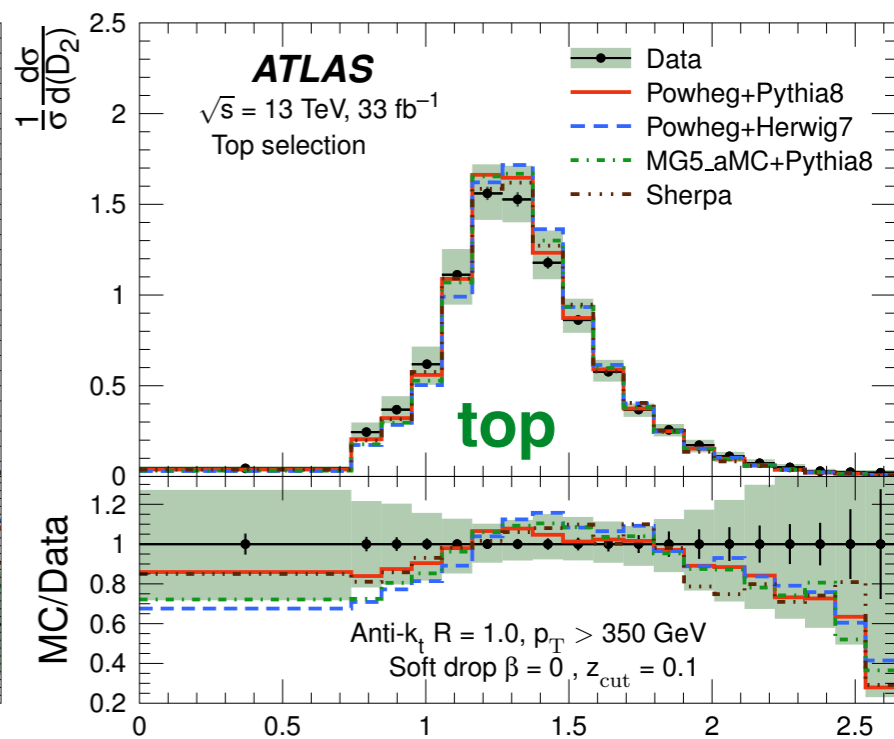
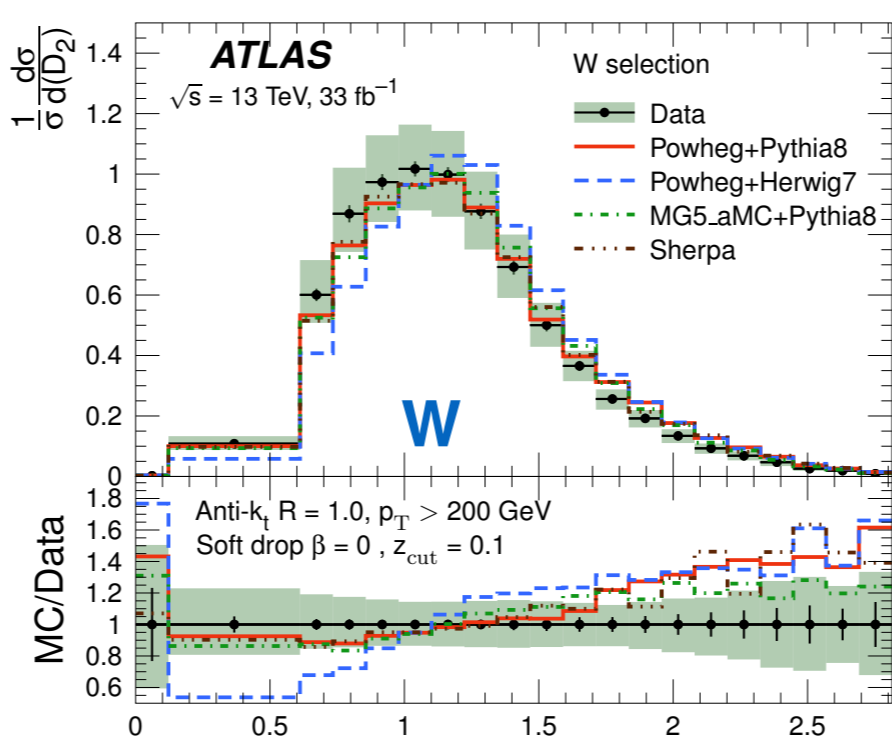
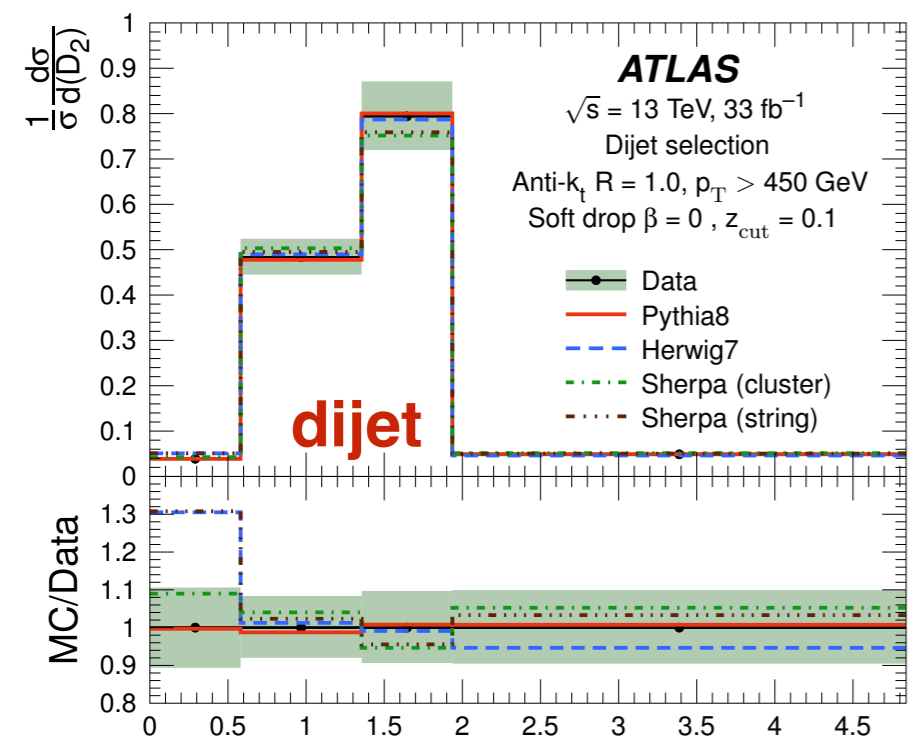


# Measurement of jet substructure observables in top quark, W boson and light jet production

- Various shape substructure observables measured in data
- Dijet, W, and top selections applied
- Distributions unfolded to remove detector effects
- ME and PS variations included in comparison
- Different mis-modeling for W and top jets



# Measurement of jet substructure observables in top quark, W boson and light jet production



$$D_2 = \frac{e_3}{(e_2)^3}$$

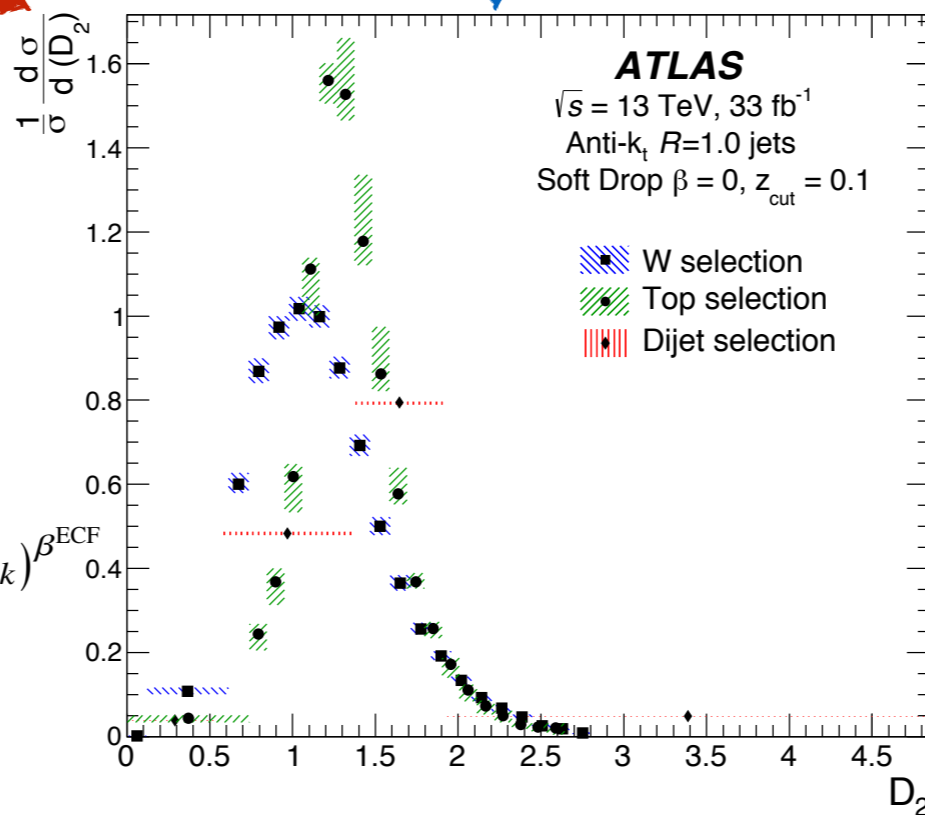
$$e_2 = \frac{\text{ECF2}}{(\text{ECF1})^2}$$

$$e_3 = \frac{\text{ECF3}}{(\text{ECF1})^3}$$

$$\text{ECF1} = \sum_{i \in J} p_{T_i}$$

$$\text{ECF2}(\beta^{\text{ECF}}) = \sum_{i < j \in J} p_{T_i} p_{T_j} (\Delta R_{ij})^{\beta^{\text{ECF}}}$$

$$\text{ECF3}(\beta^{\text{ECF}}) = \sum_{i < j < k \in J} p_{T_i} p_{T_j} p_{T_k} (\Delta R_{ij} \Delta R_{ik} \Delta R_{jk})^{\beta^{\text{ECF}}}$$



# Properties of $g \rightarrow bb$ at small opening angles

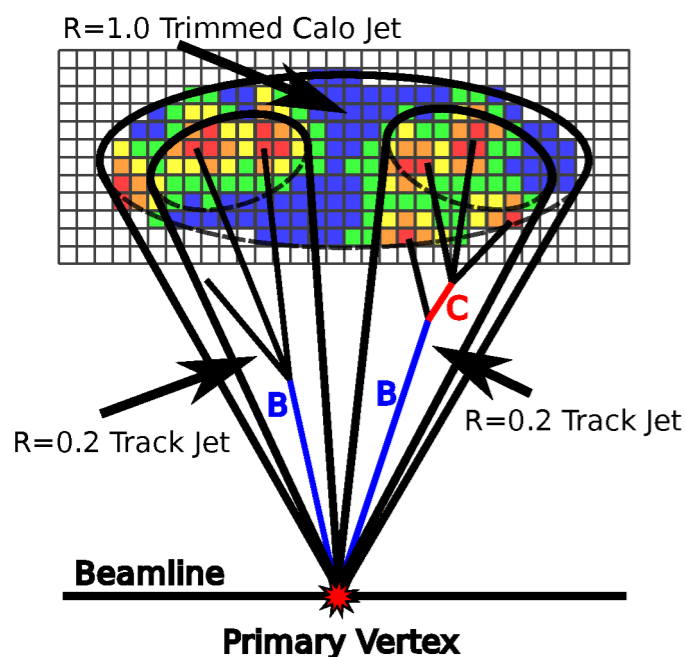
- Precision measurements of  $g \rightarrow bb$  important for SM measurements and searches for BSM H production
- b-tag track jets associated to large-R calorimeter jet
- Study 4 important quantities:

$$\Delta\theta_{ppg,gb}$$

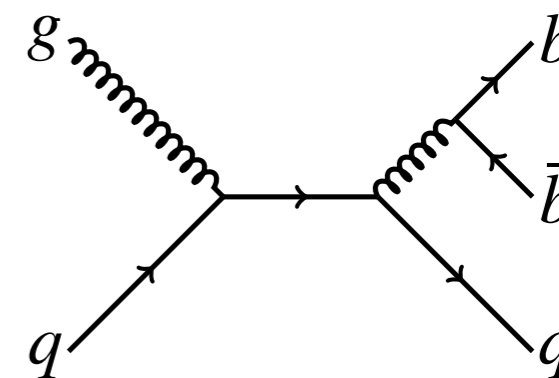
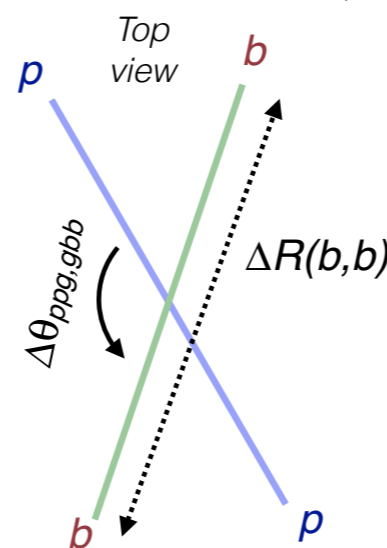
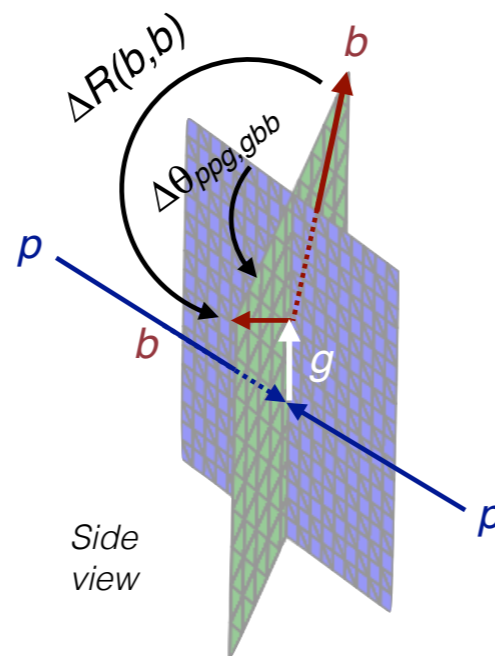
$$\log(m_{bb}/p_T)$$

$$z(p_T) = p_{T,2}/(p_{T,1} + p_{T,2})$$

$$\Delta R(b, b) = \sqrt{\Delta\phi(b, b)^2 + \Delta\eta(b, b)^2}$$



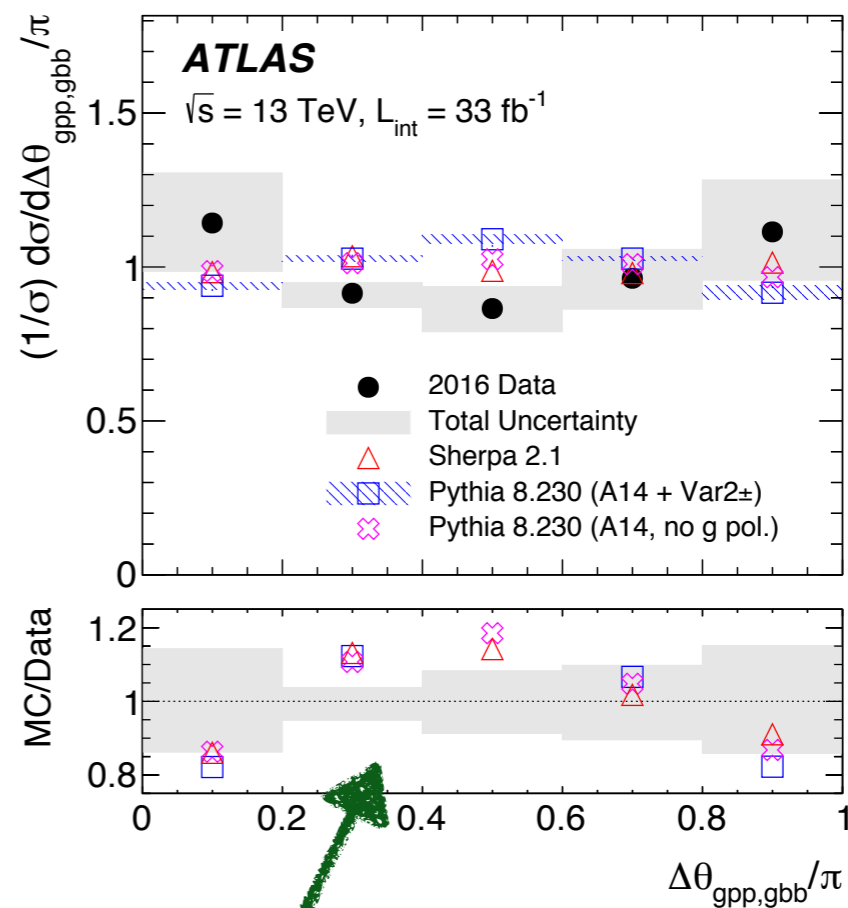
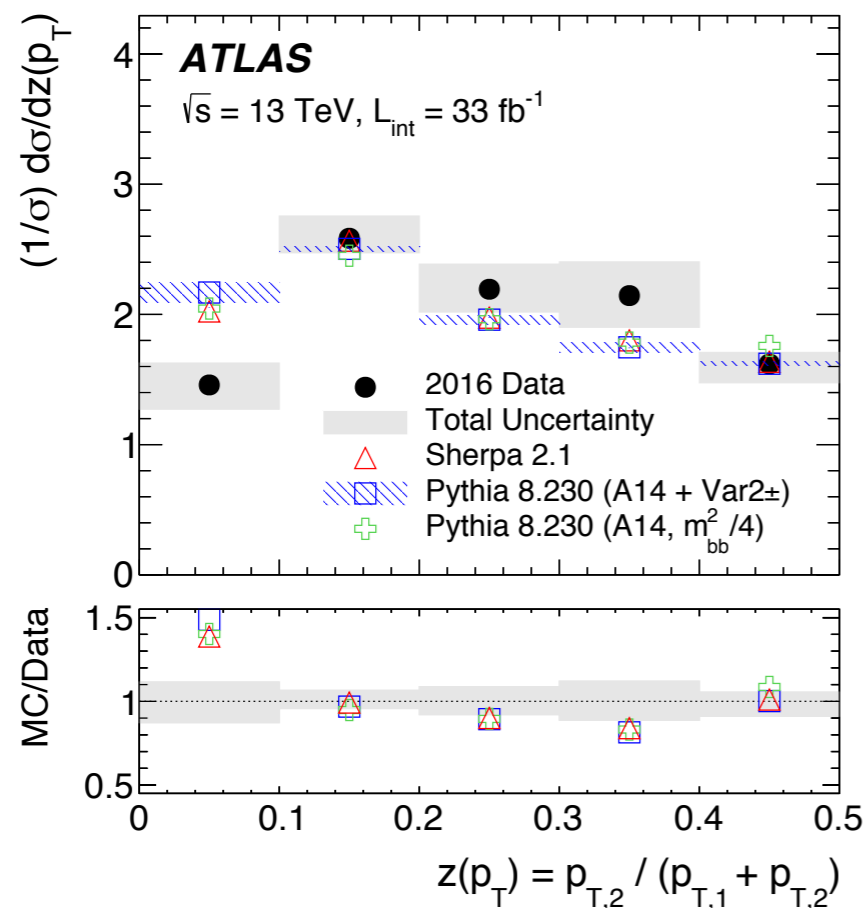
ATL-PHYS-PUB-2017-010





# Properties of $g \rightarrow bb$ at small opening angles

- Significant differences between MC and data
- NLO predictions somewhat more accurate than LO
- Pythia8 tune variations show differences



Mismodeling of gluon polarization  
in unpolarized hadrons

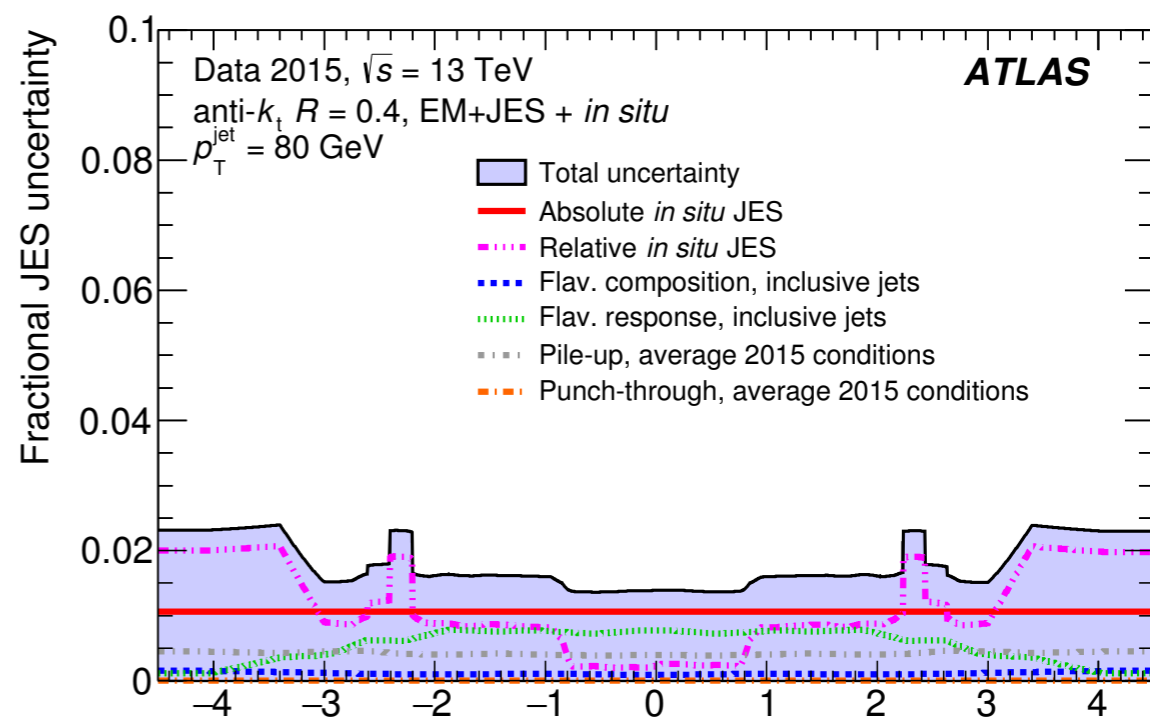
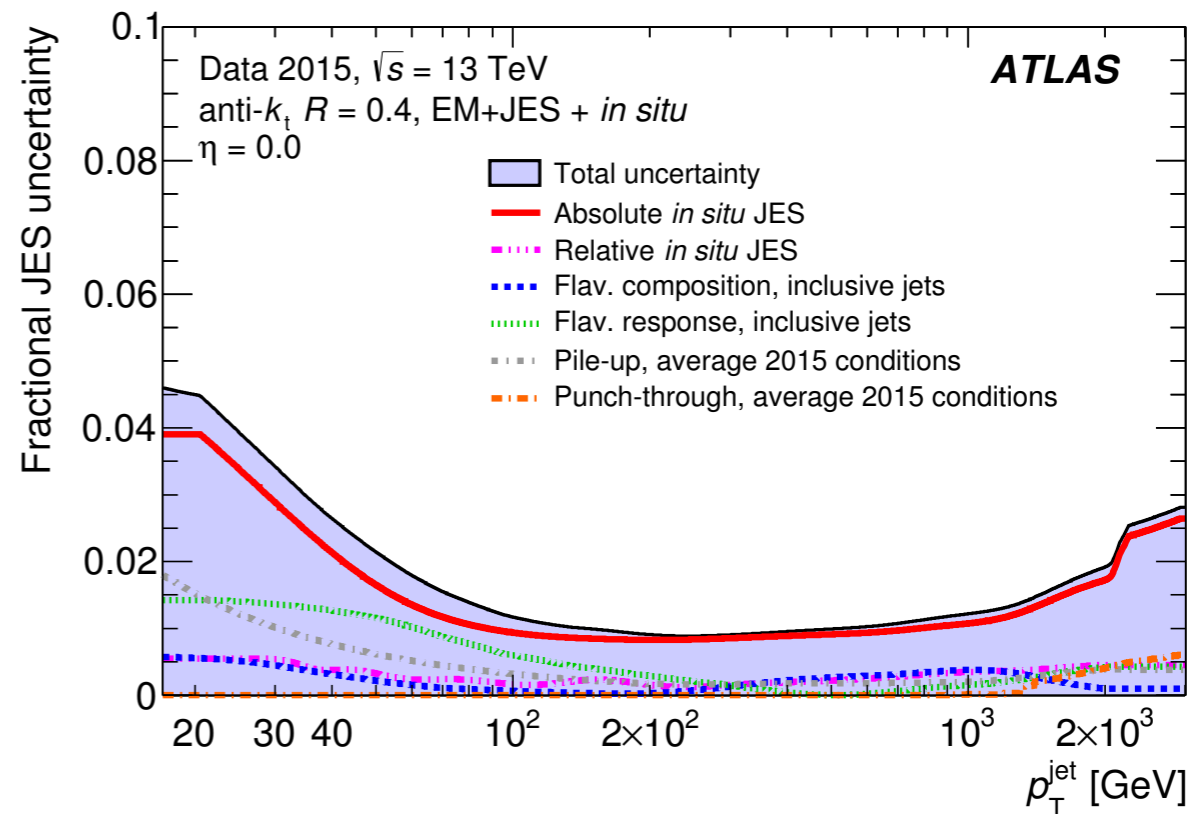
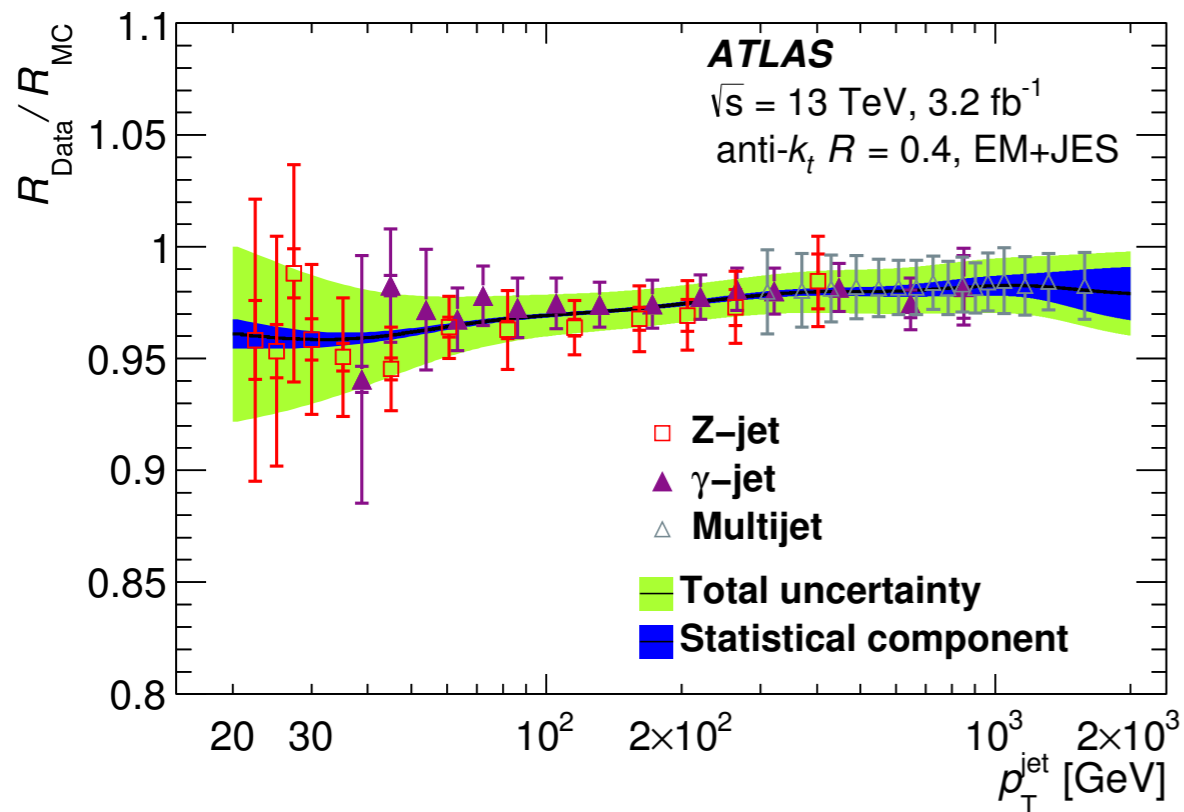
# Conclusions and outlook

- Precise jet property measurements test QCD predictions
- Some modeling validated, other modeling needs improvement
- New experimental techniques will further improve tests of QCD
- Stay tuned for future measurements...

Thank you for your  
attention

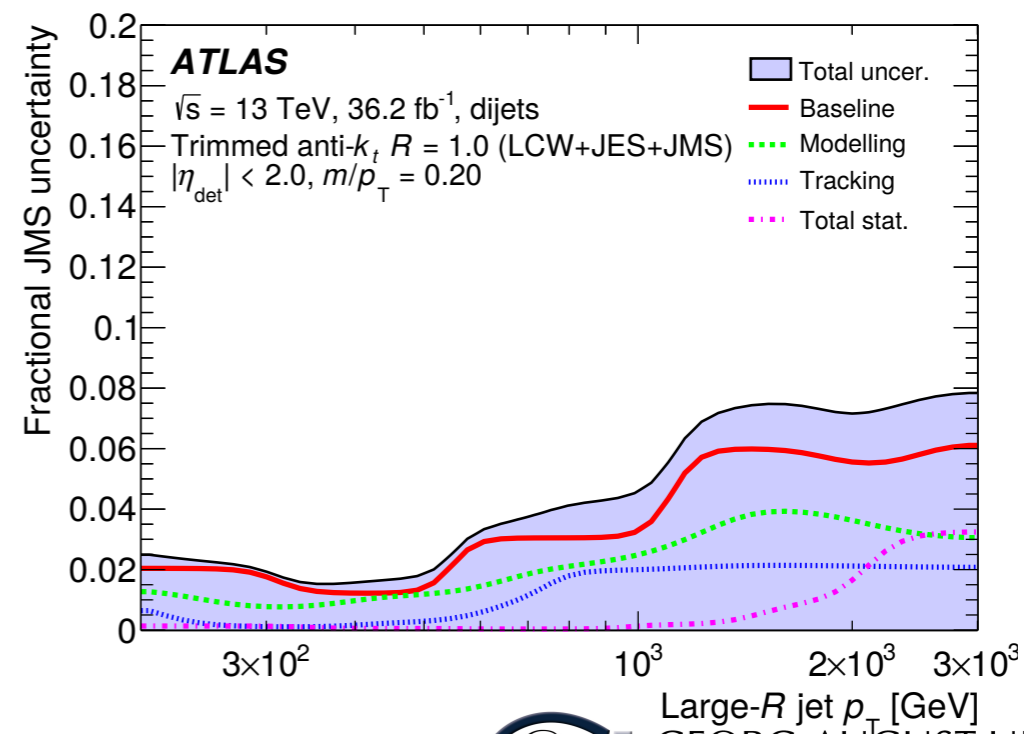
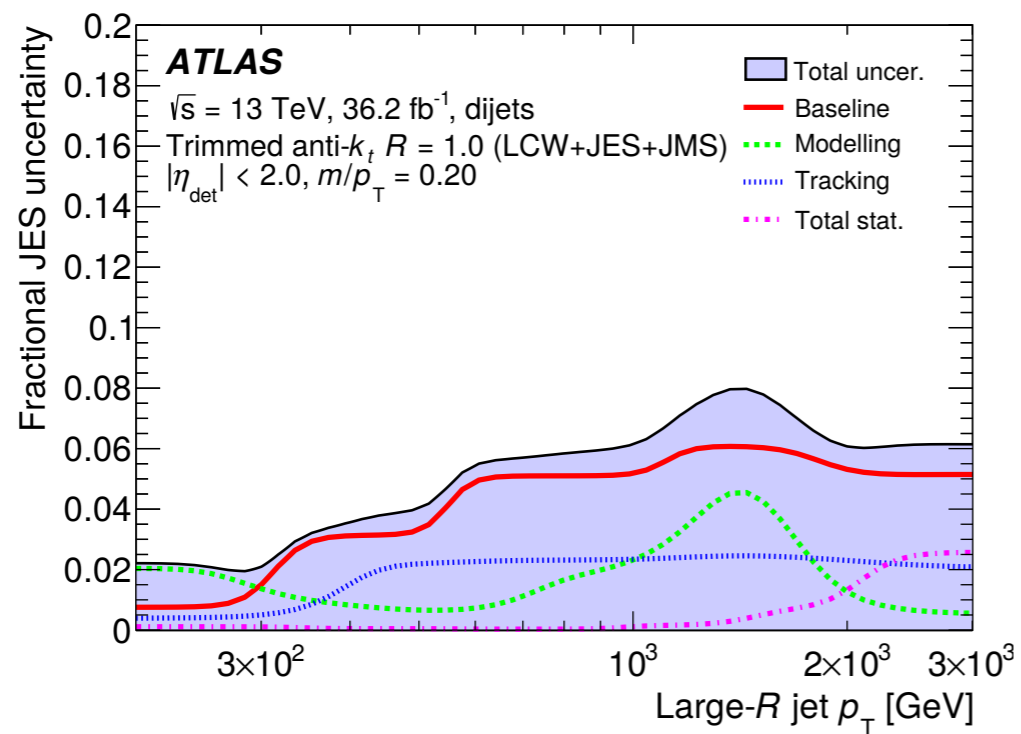
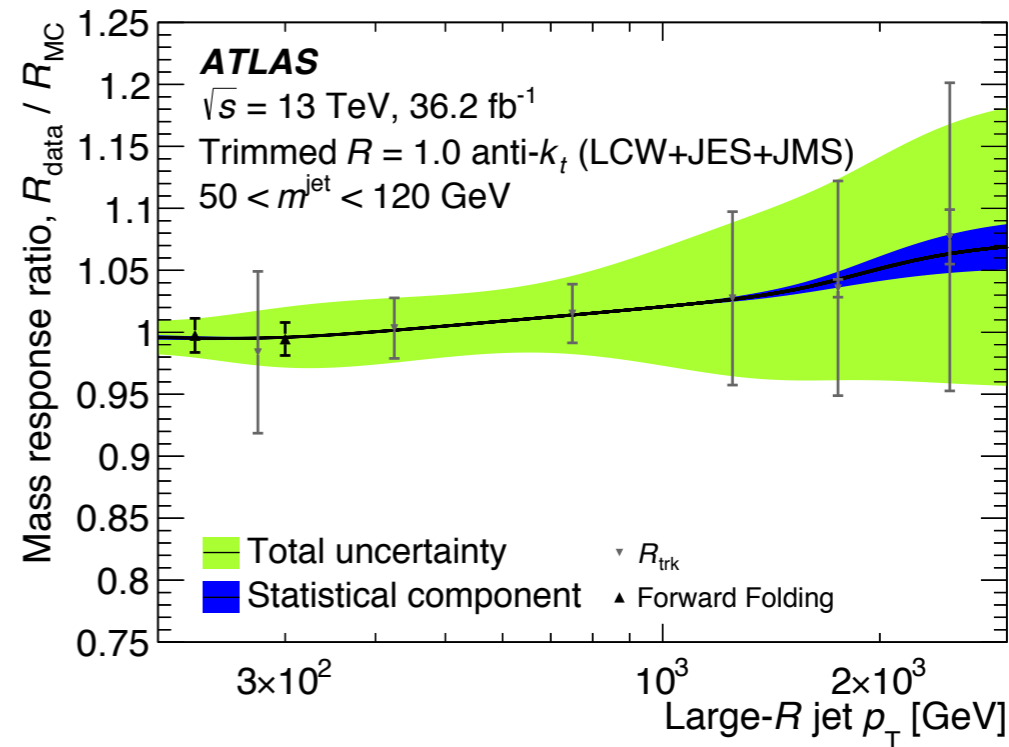
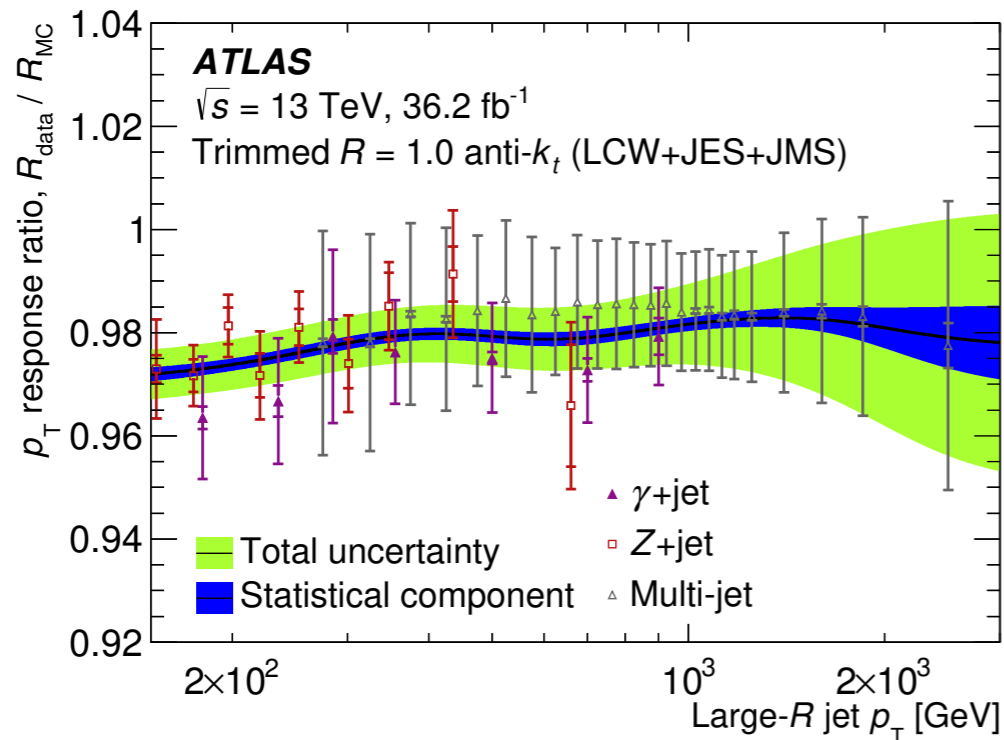
# Backup slides

# Jet calibration performance



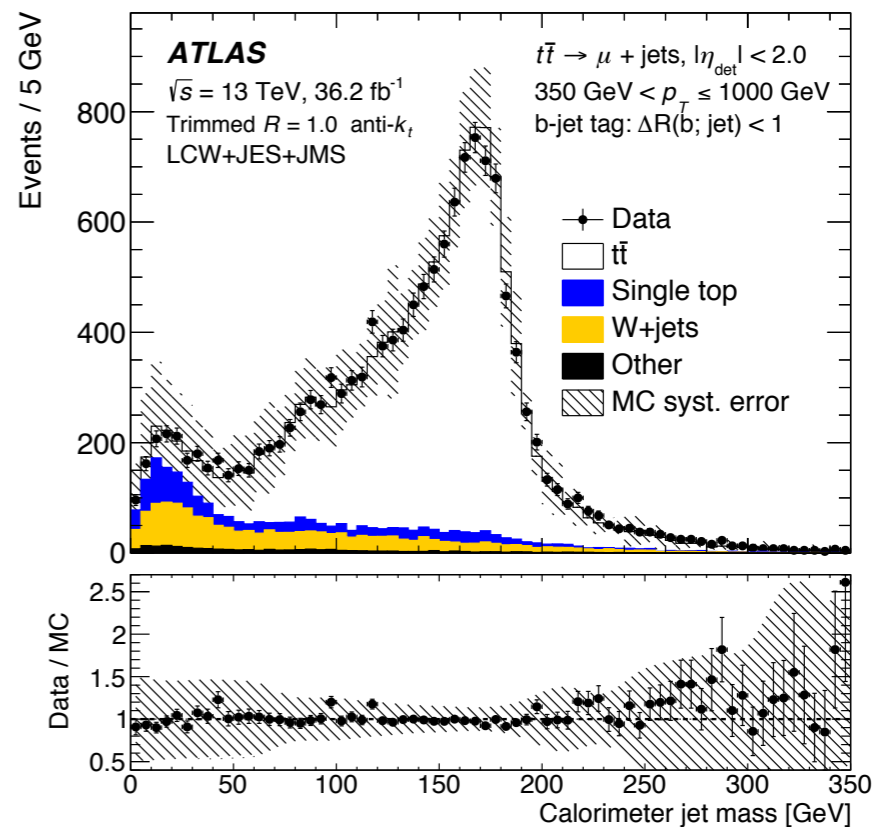
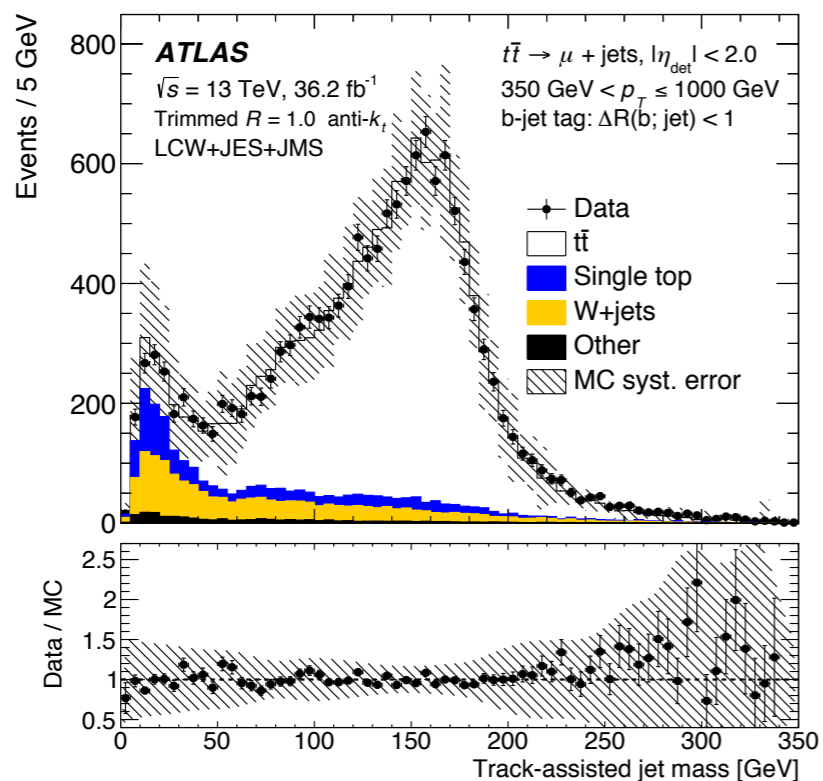
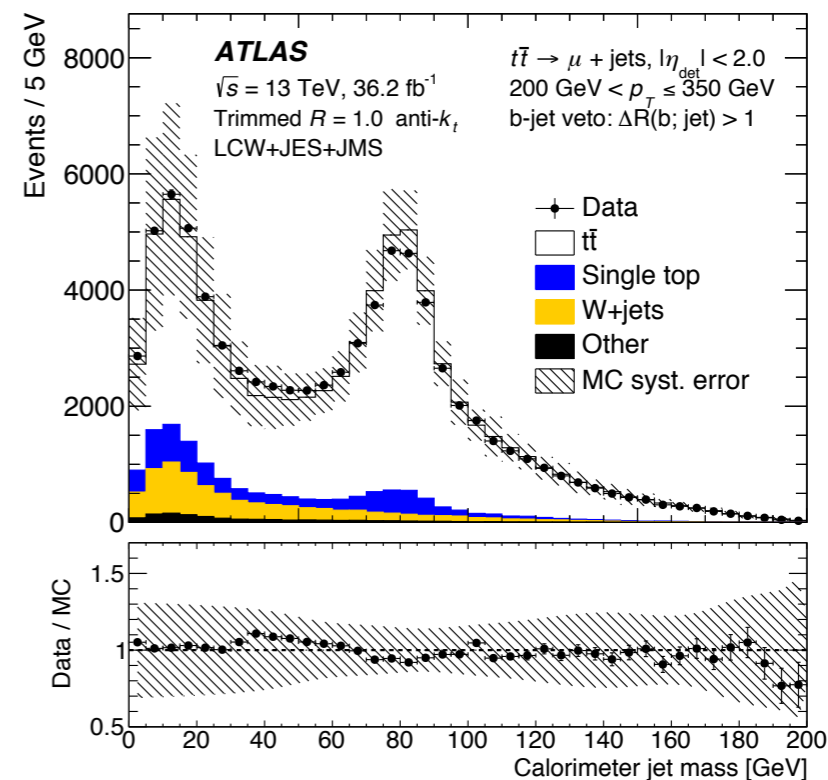
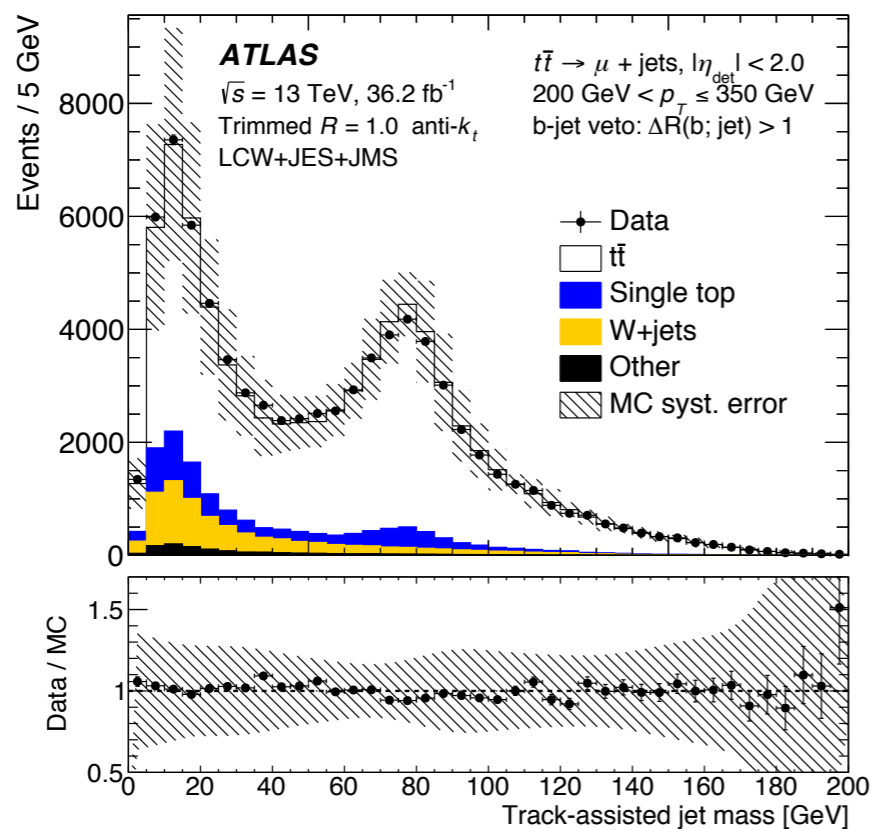
Phys. Rev. D 96 (2017) 072002

# Jet calibration performance

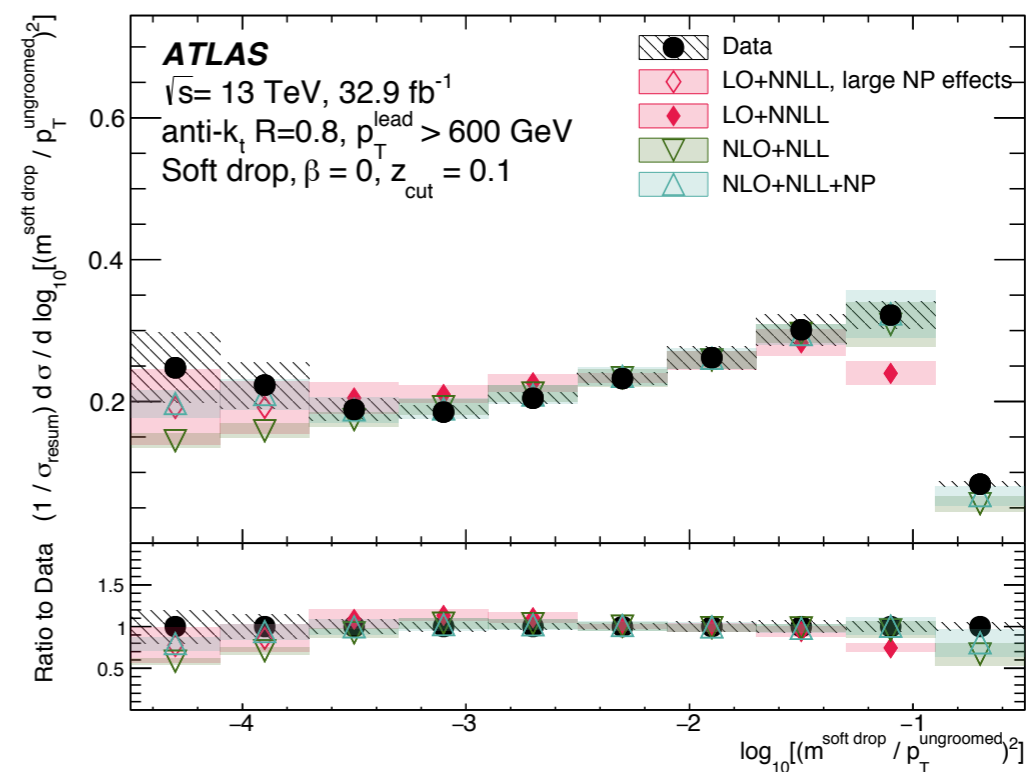
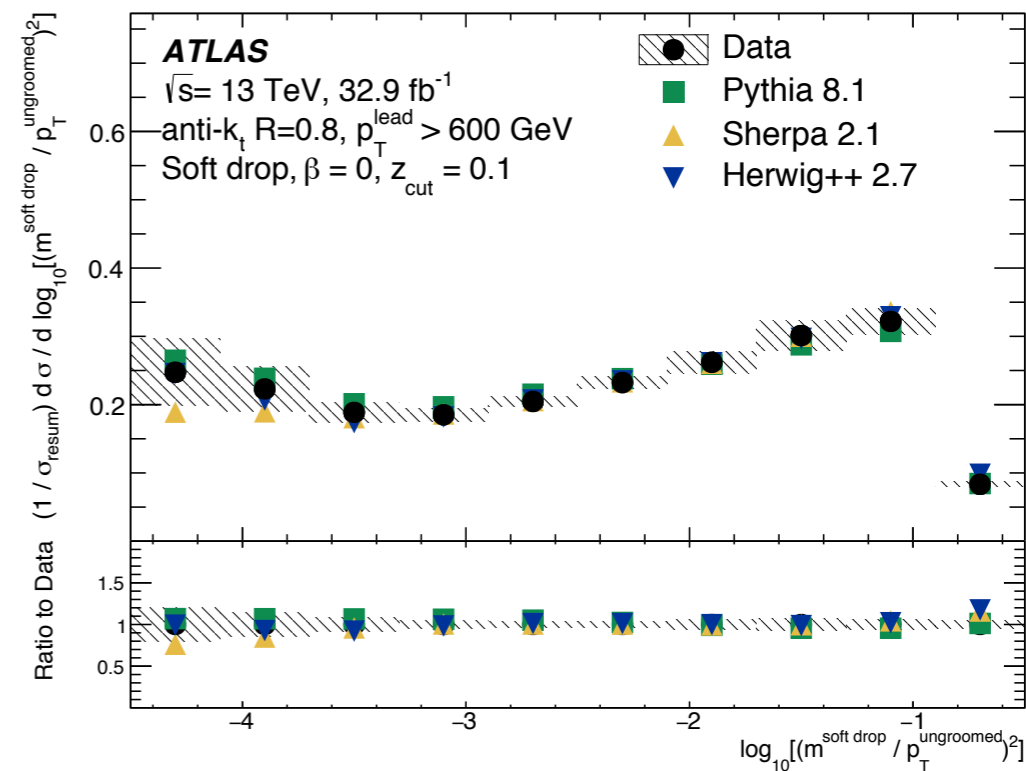
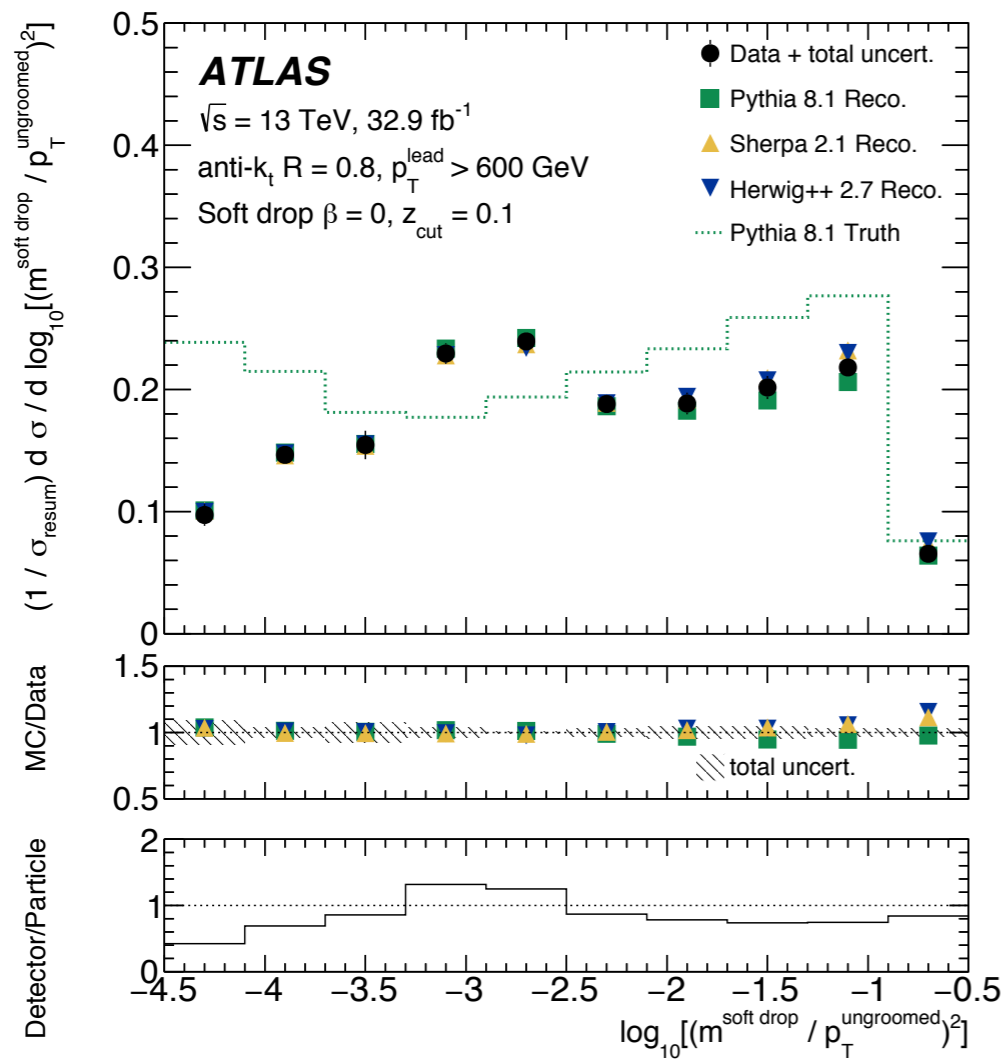




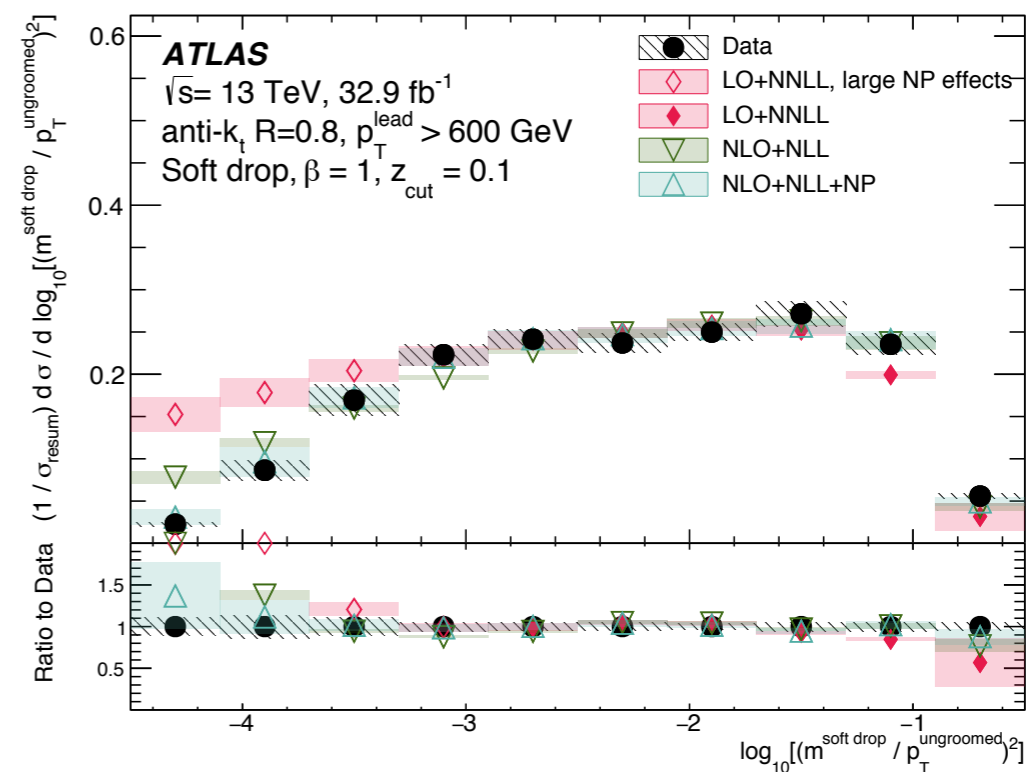
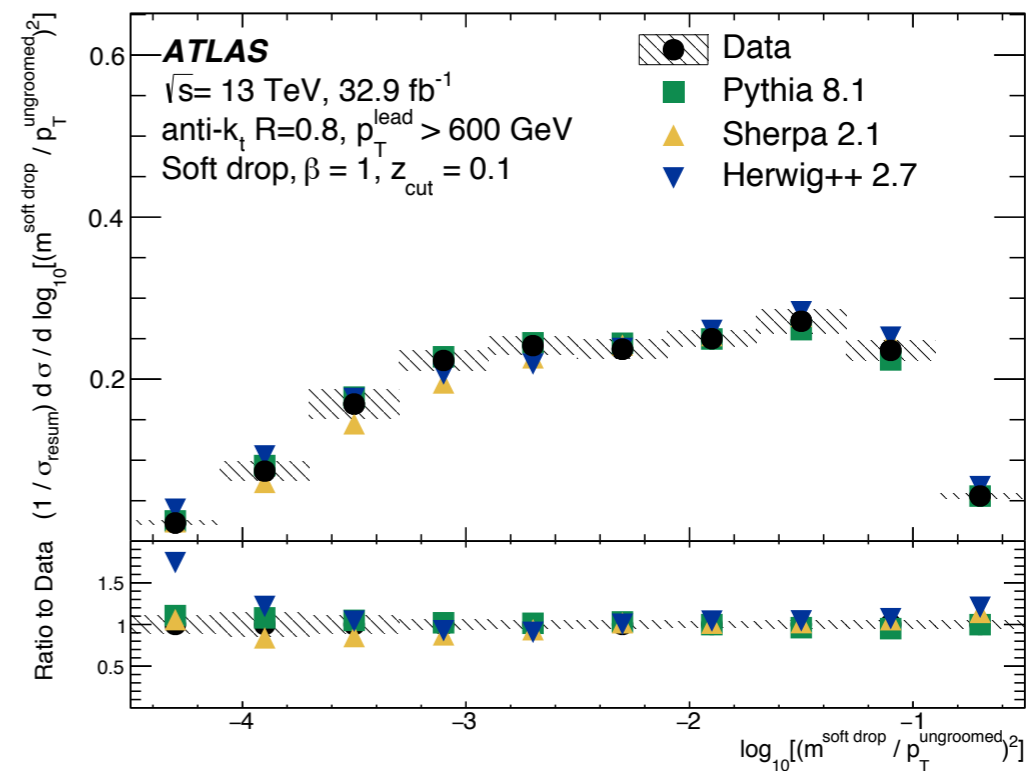
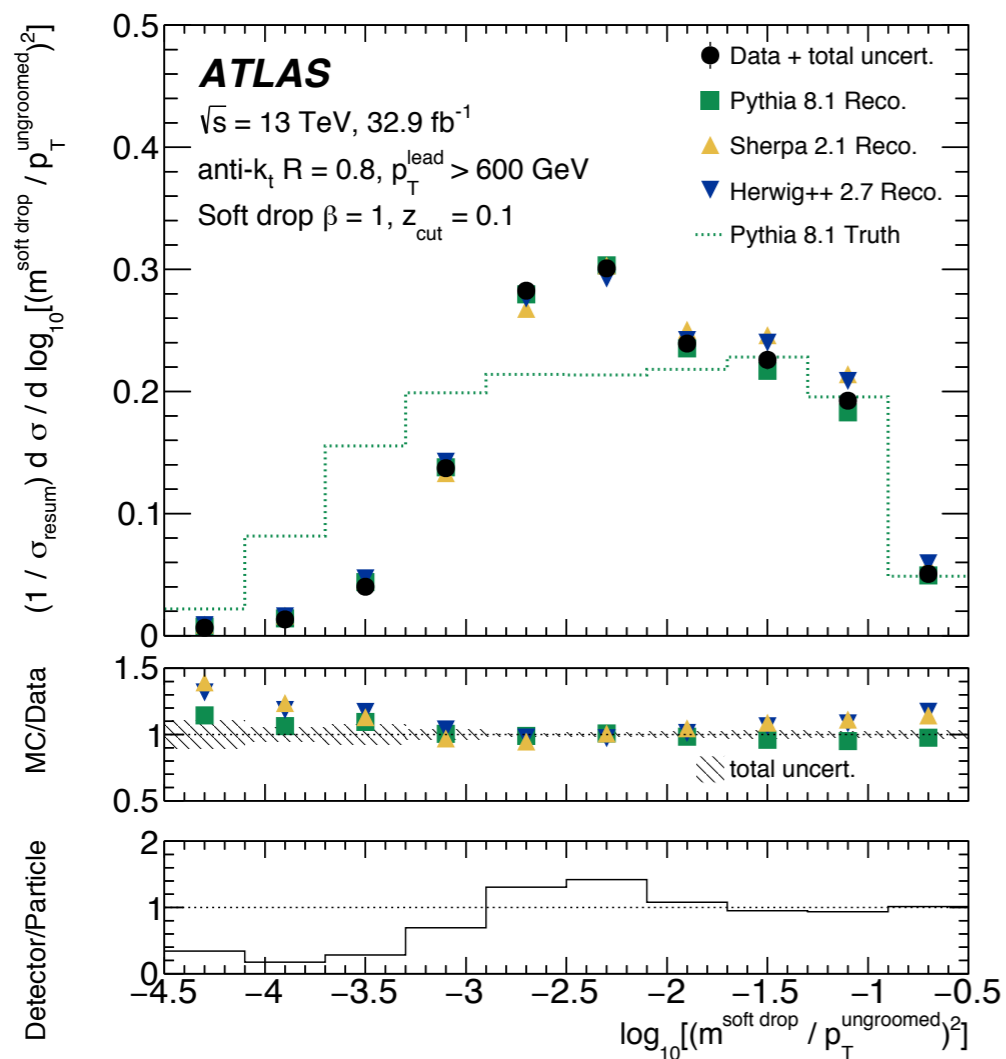
# Jet calibration performance



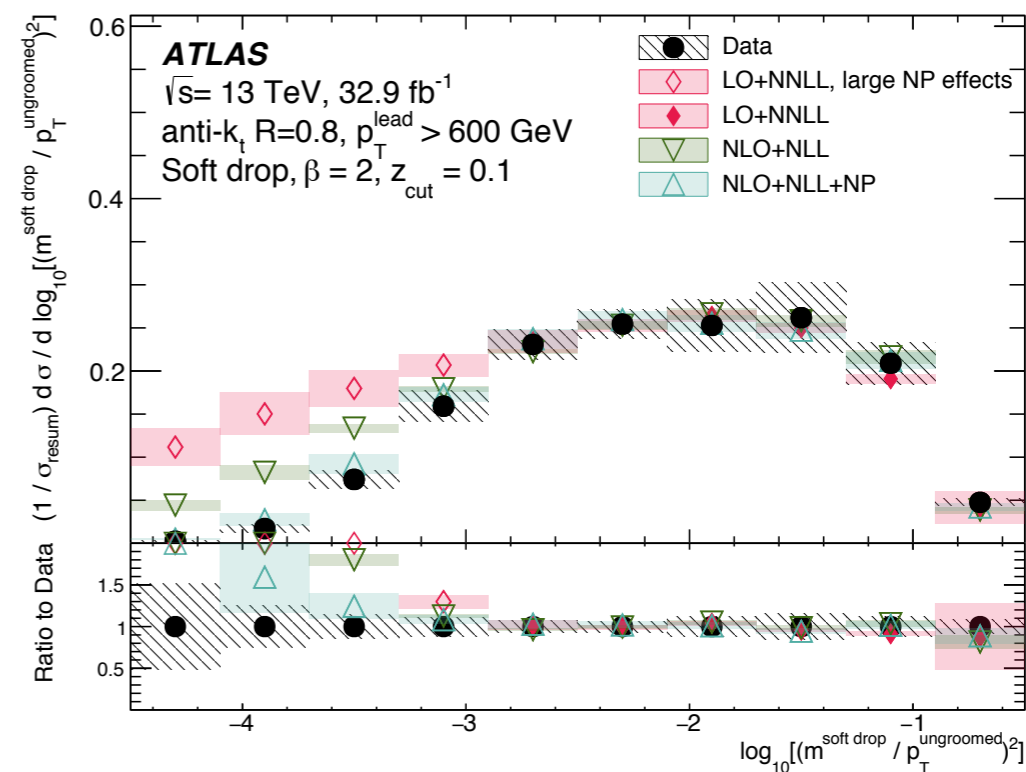
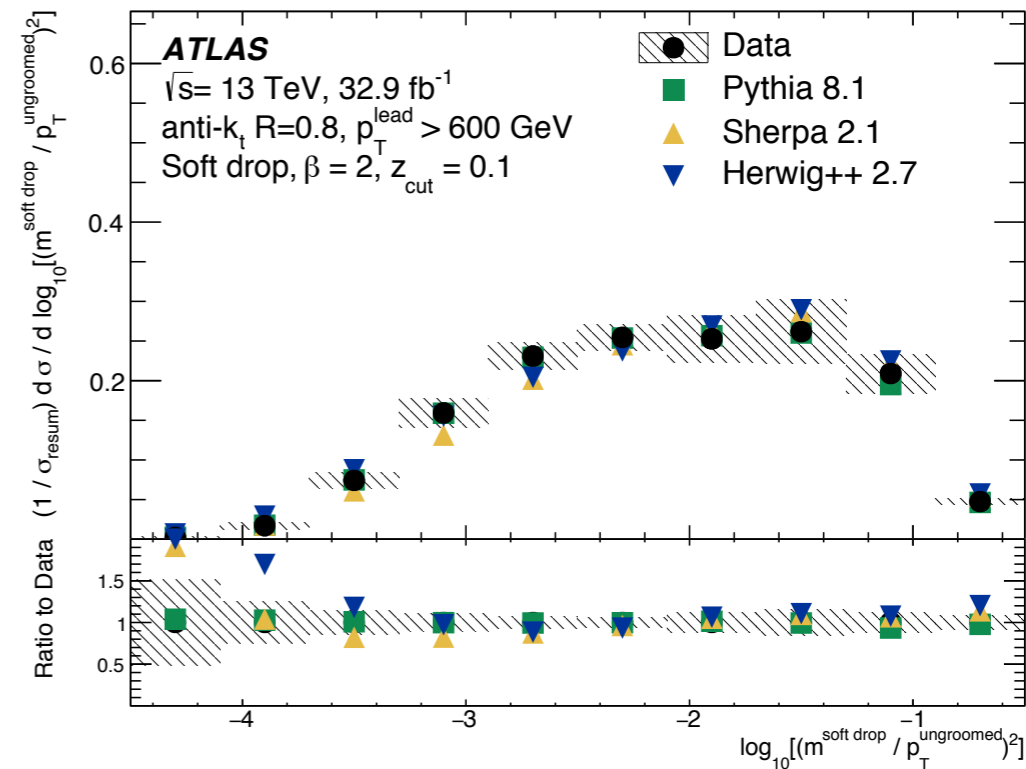
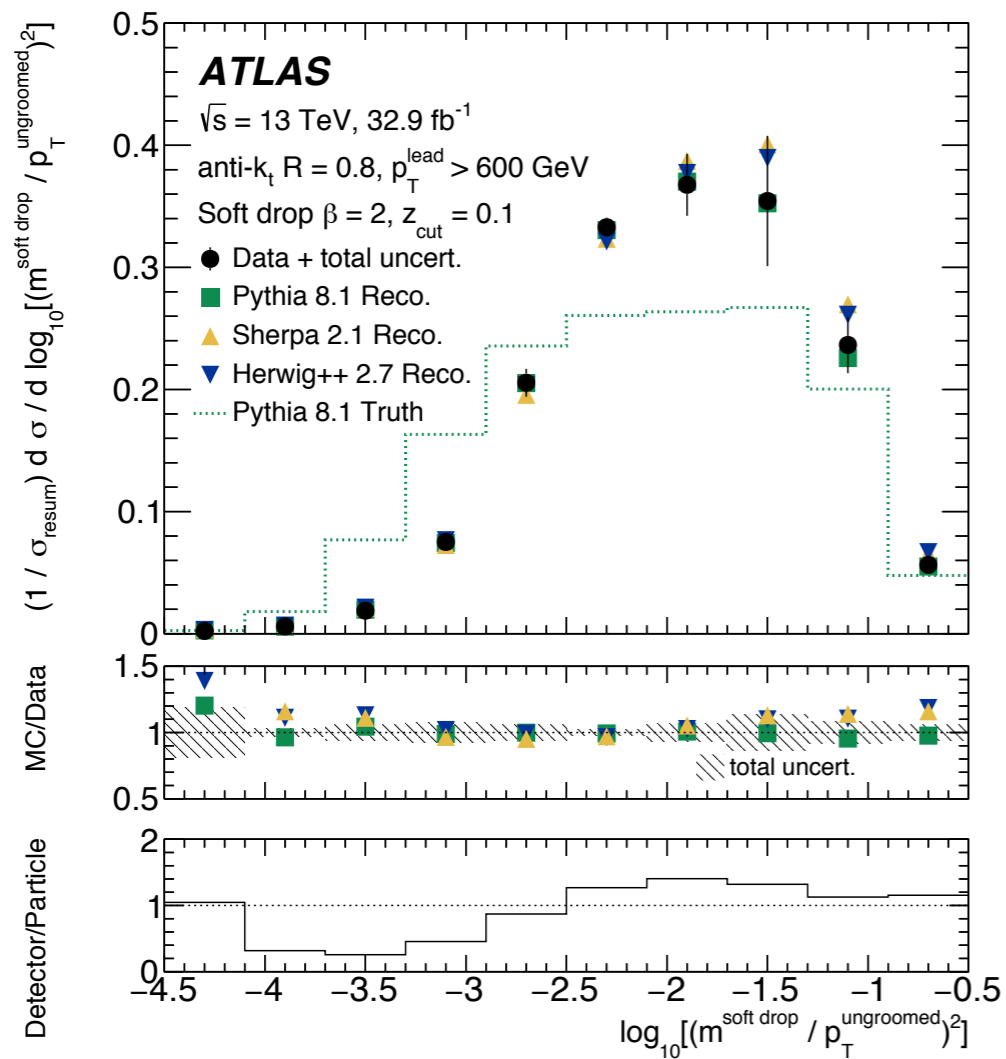
# Soft-Drop $\beta = 0$



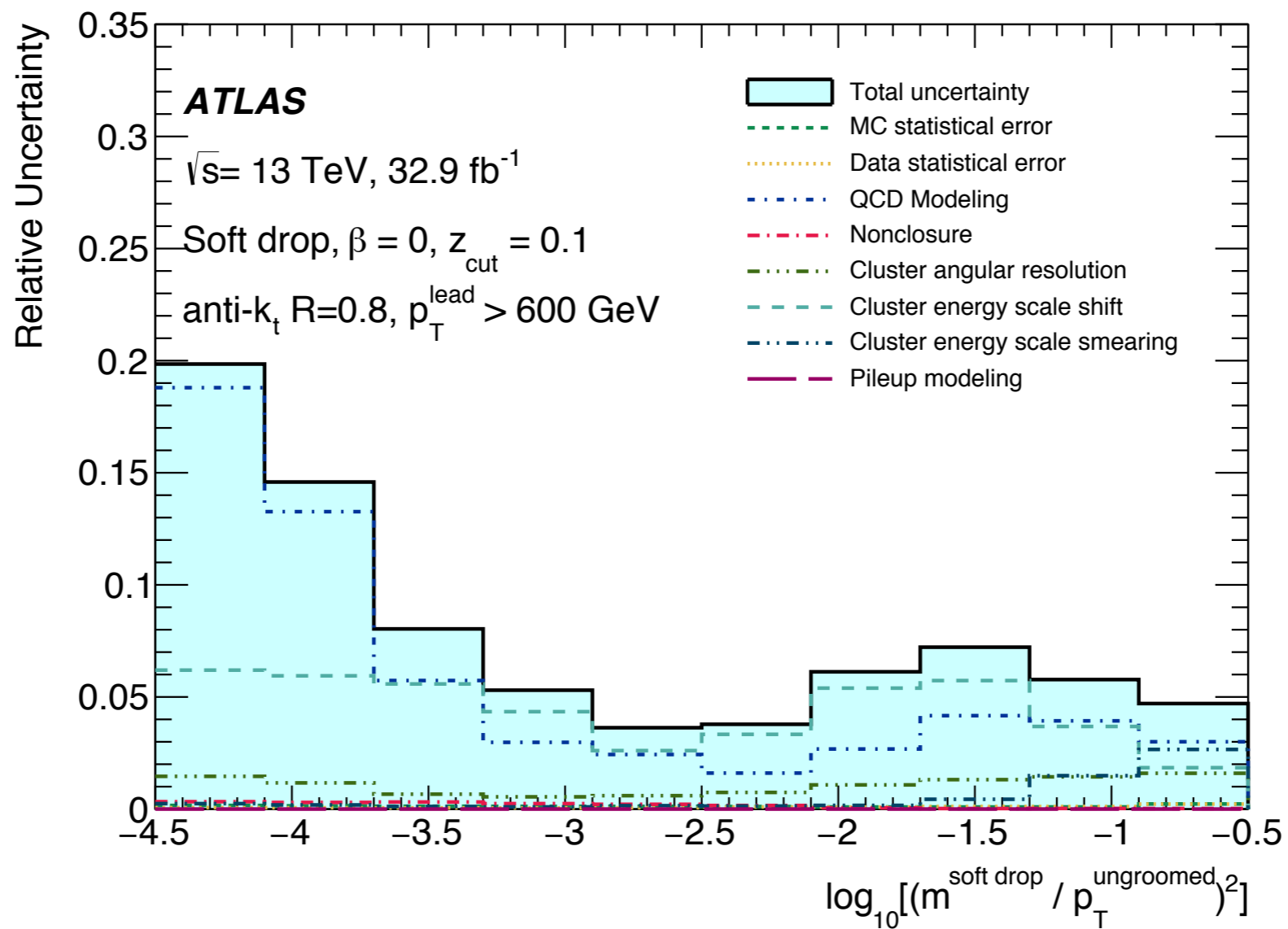
# Soft-Drop $\beta = 1$



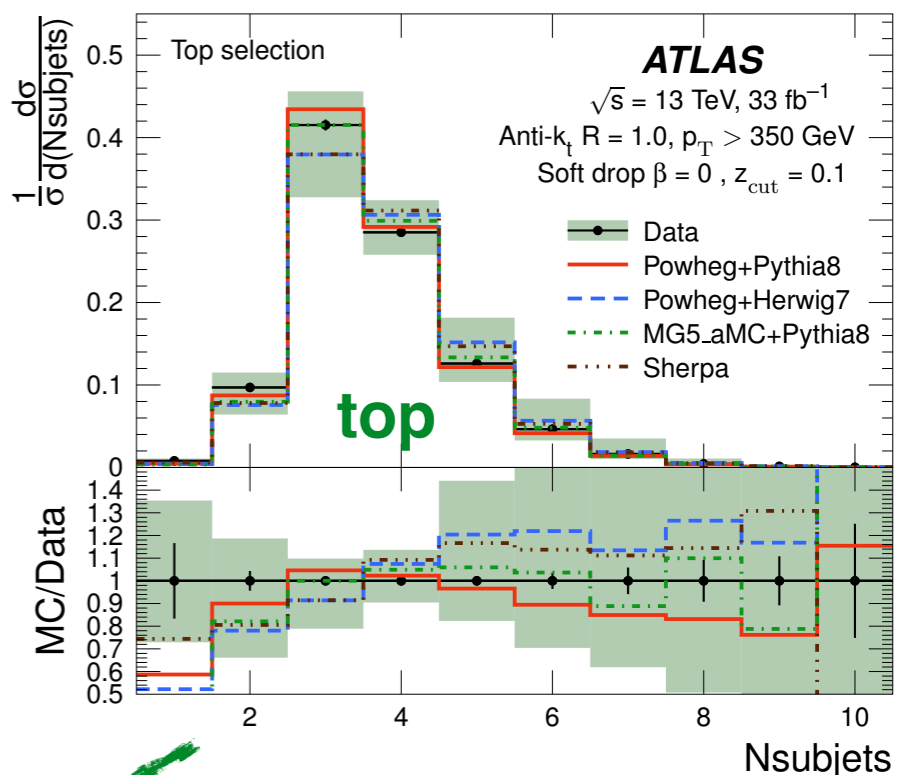
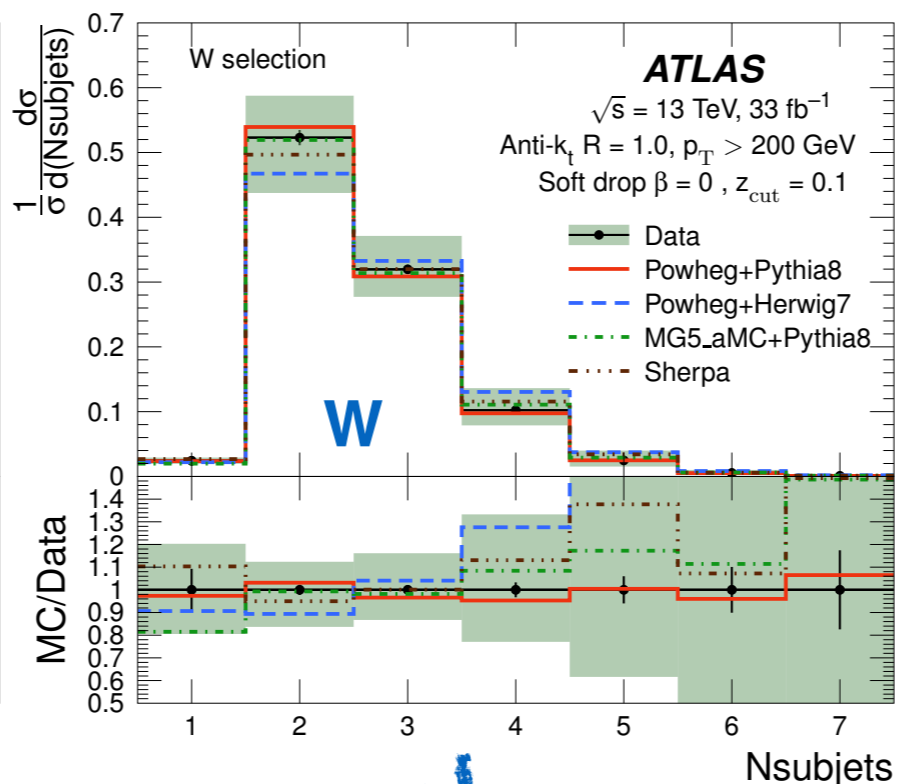
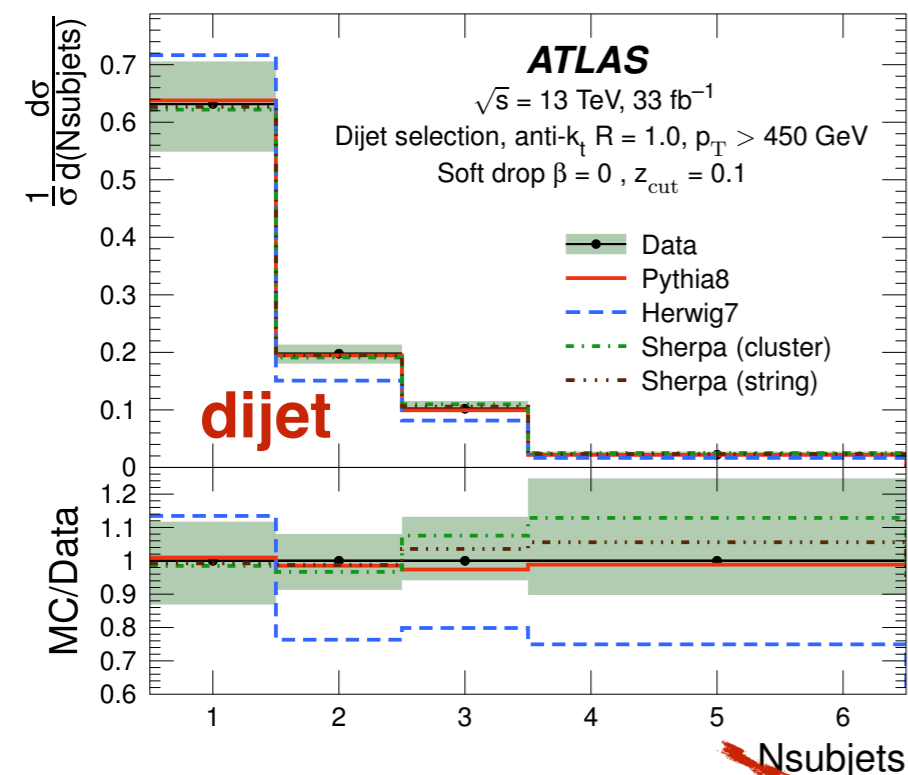
# Soft-Drop $\beta = 2$



# Soft-Drop systematics

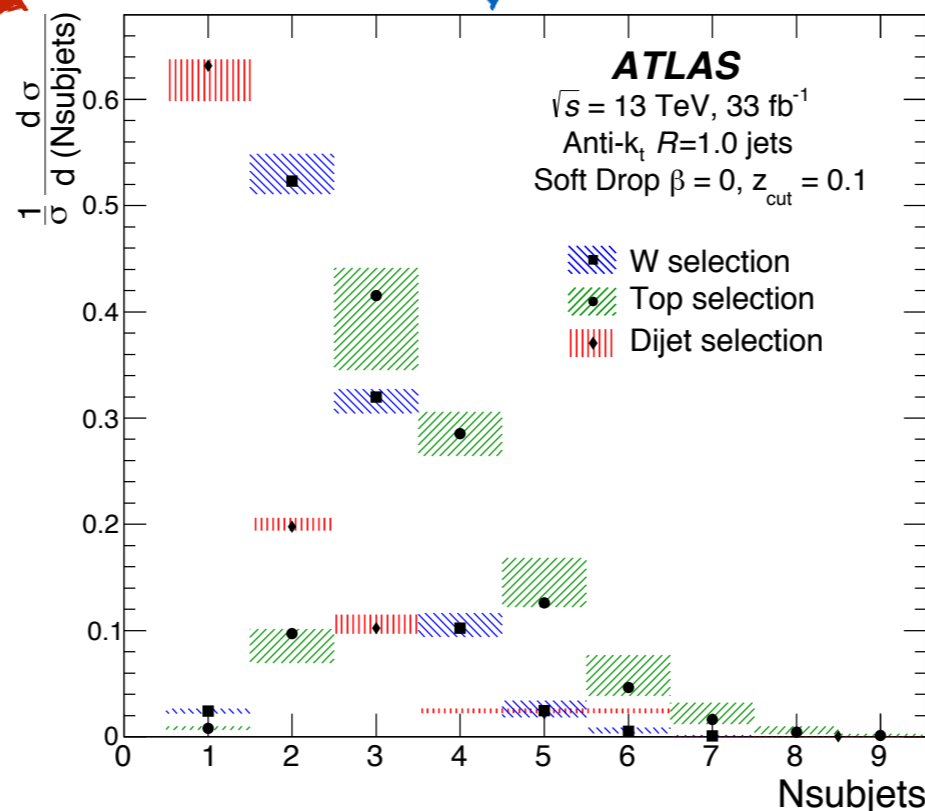


# Measurement of jet substructure observables in top quark, W boson and light jet production



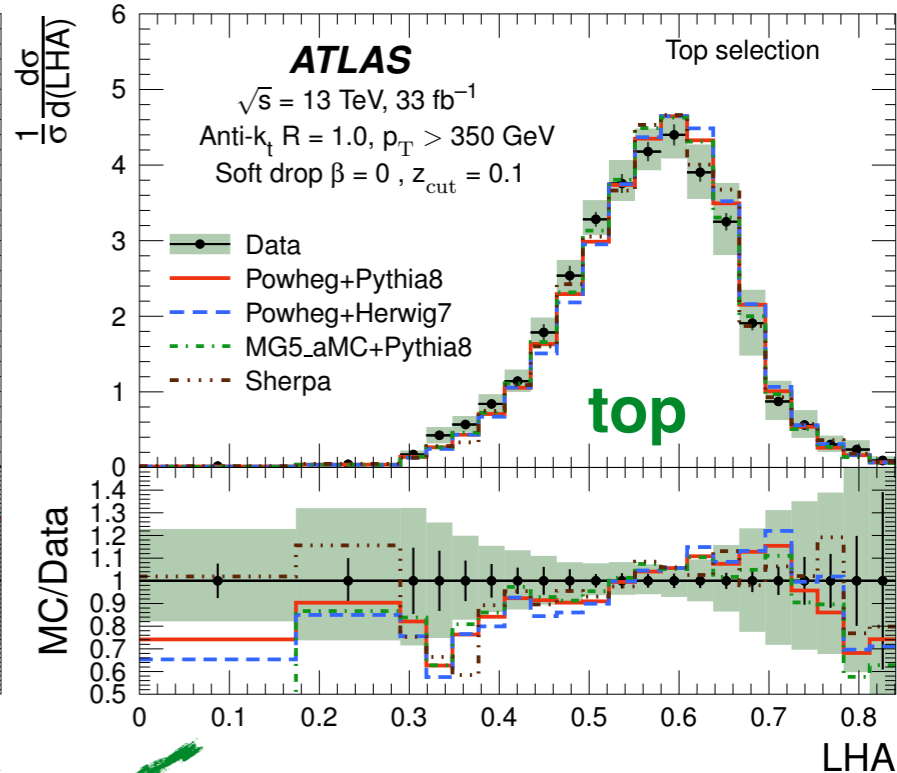
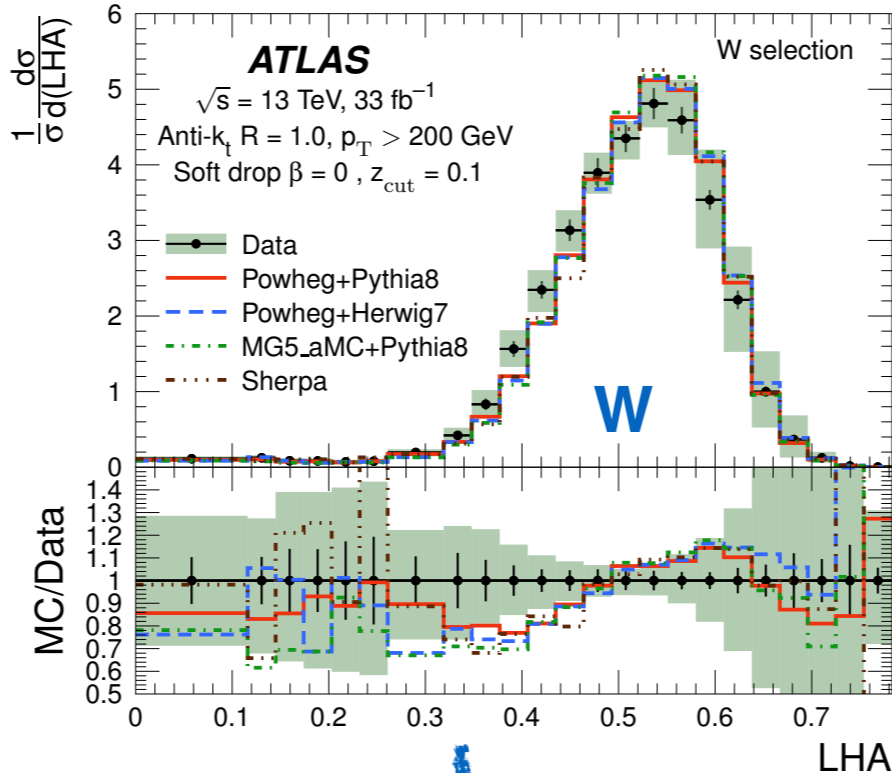
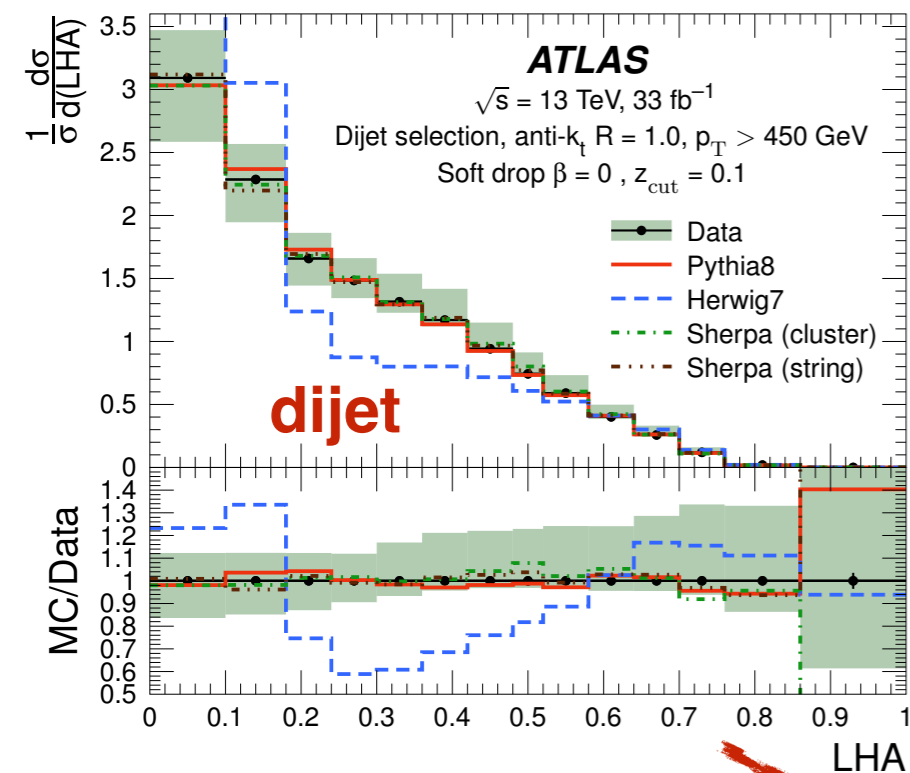
## Subjet multiplicity

$k_t R = 0.2$   
 $p_{T,1} > 10 \text{ GeV}$



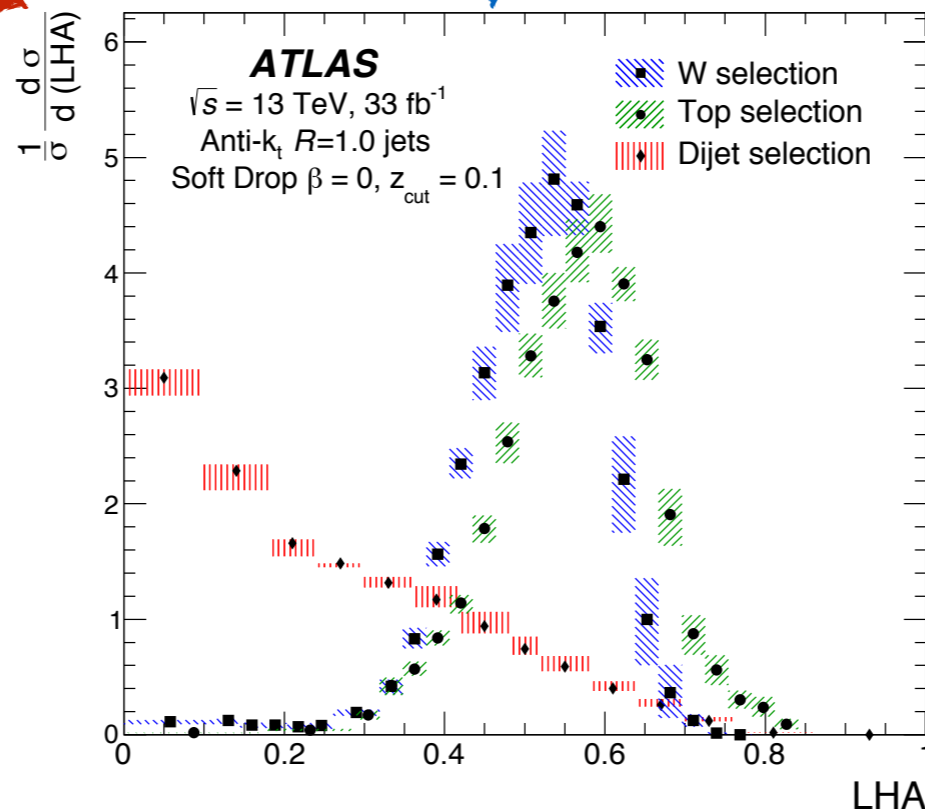


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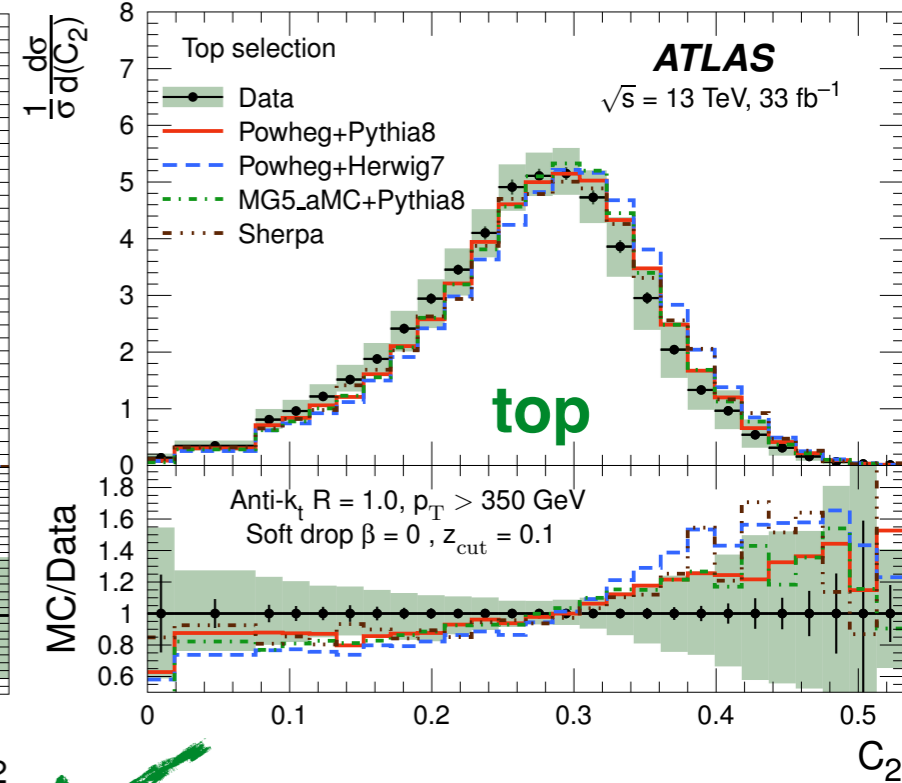
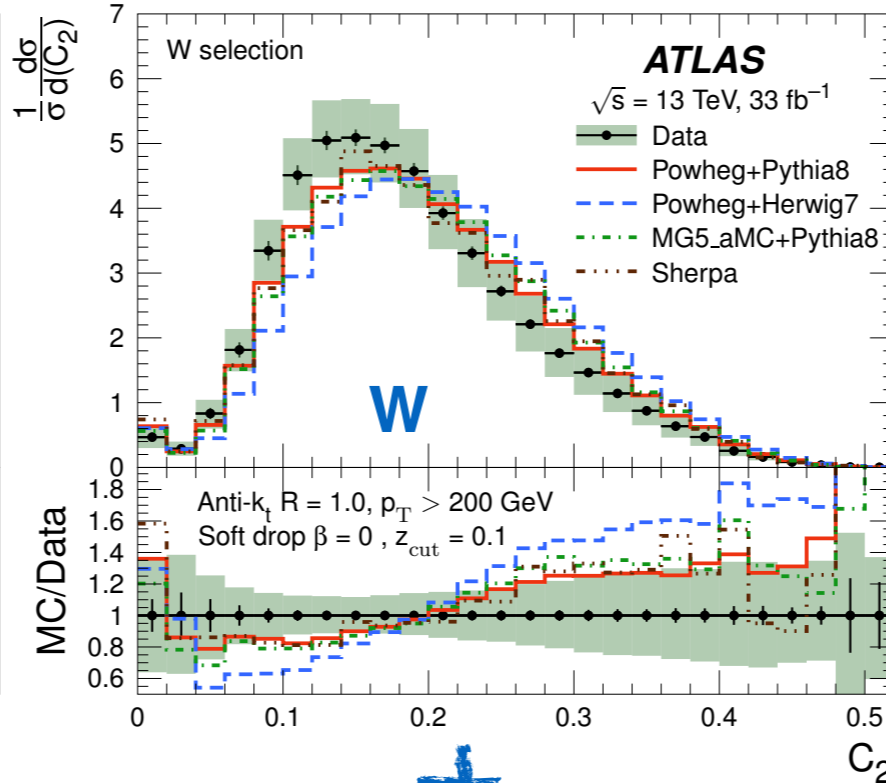
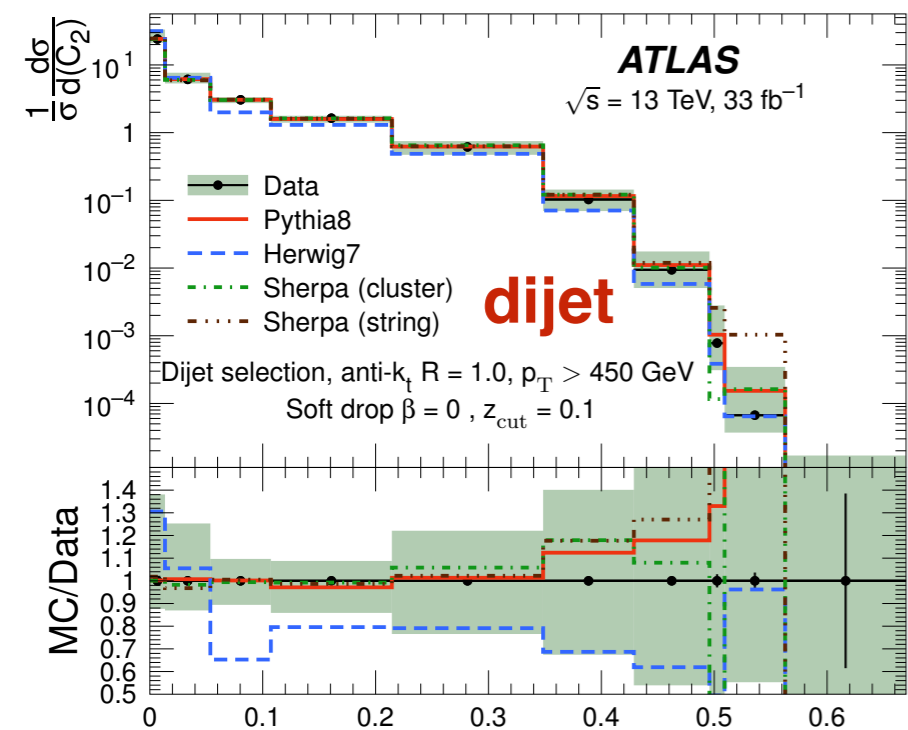


## Les Houches Angularity

$$\lambda_{\beta}^K \text{LHA} = \sum_{i \in J} z_i^K \theta_i^{\beta \text{LHA}}$$

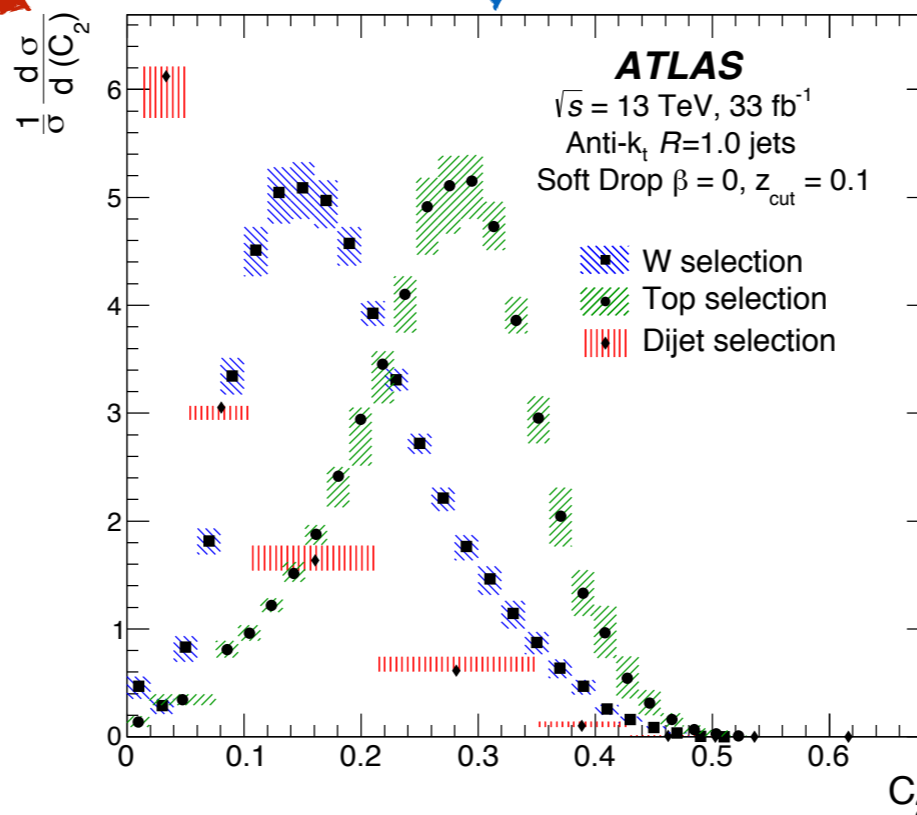


# Measurement of jet substructure observables in top quark, W boson and light jet production



$C_2$

$$C_2 = \frac{e_3}{(e_2)^2}$$



$$e_2 = \frac{\text{ECF2}}{(\text{ECF1})^2}$$

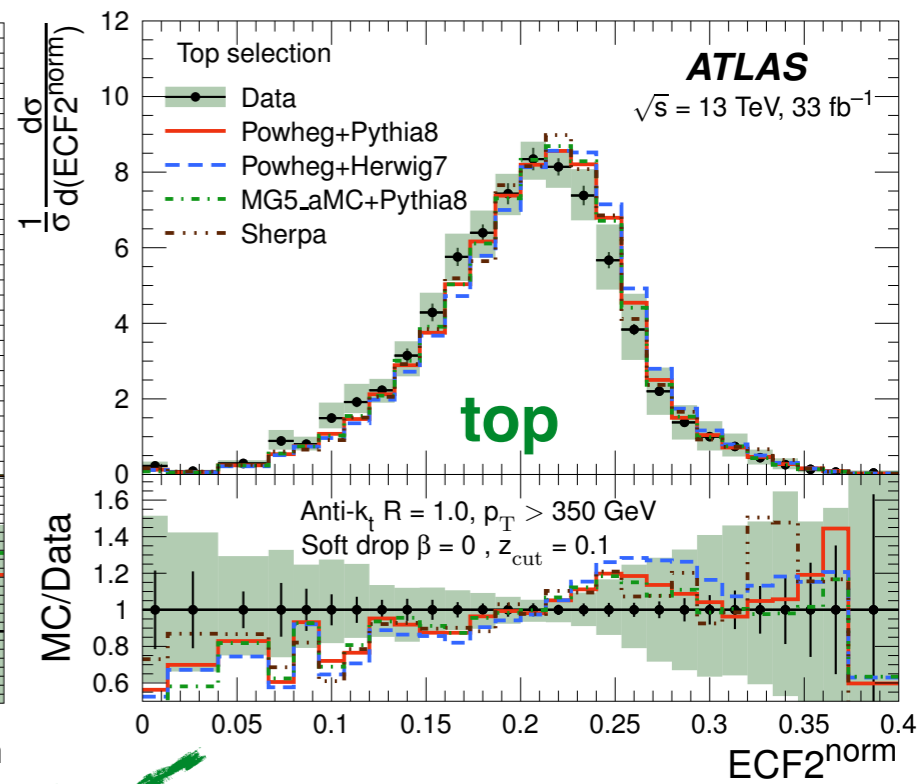
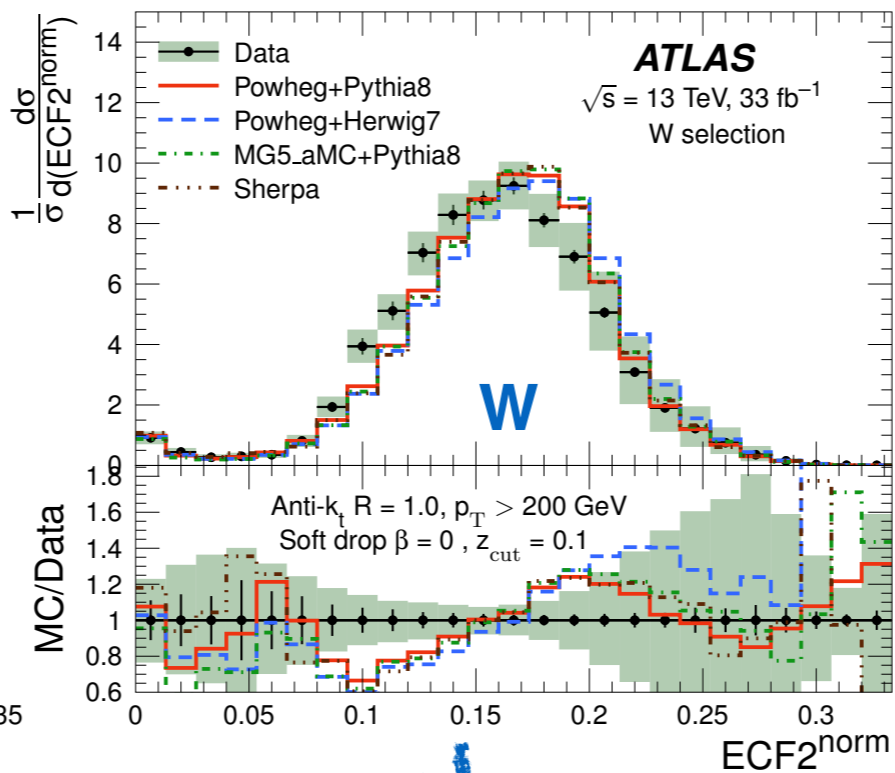
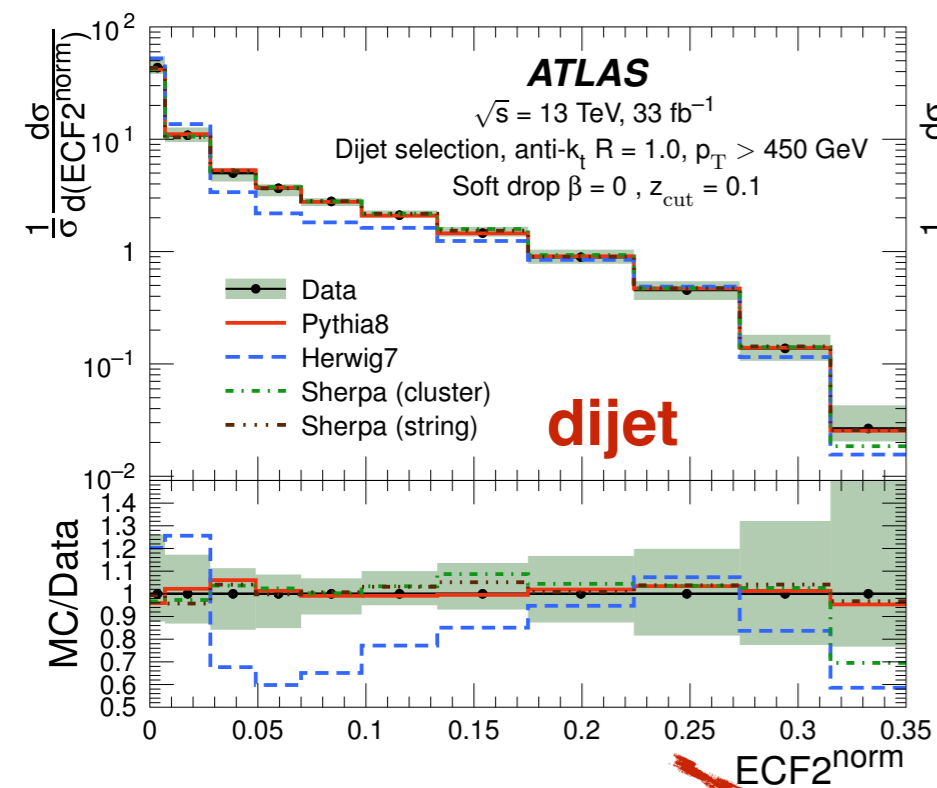
$$e_3 = \frac{\text{ECF3}}{(\text{ECF1})^3}$$

$$\text{ECF1} = \sum_{i \in J} p_{T_i}$$

$$\text{ECF2}(\beta^{\text{ECF}}) = \sum_{i < j \in J} p_{T_i} p_{T_j} (\Delta R_{ij})^{\beta^{\text{ECF}}}$$

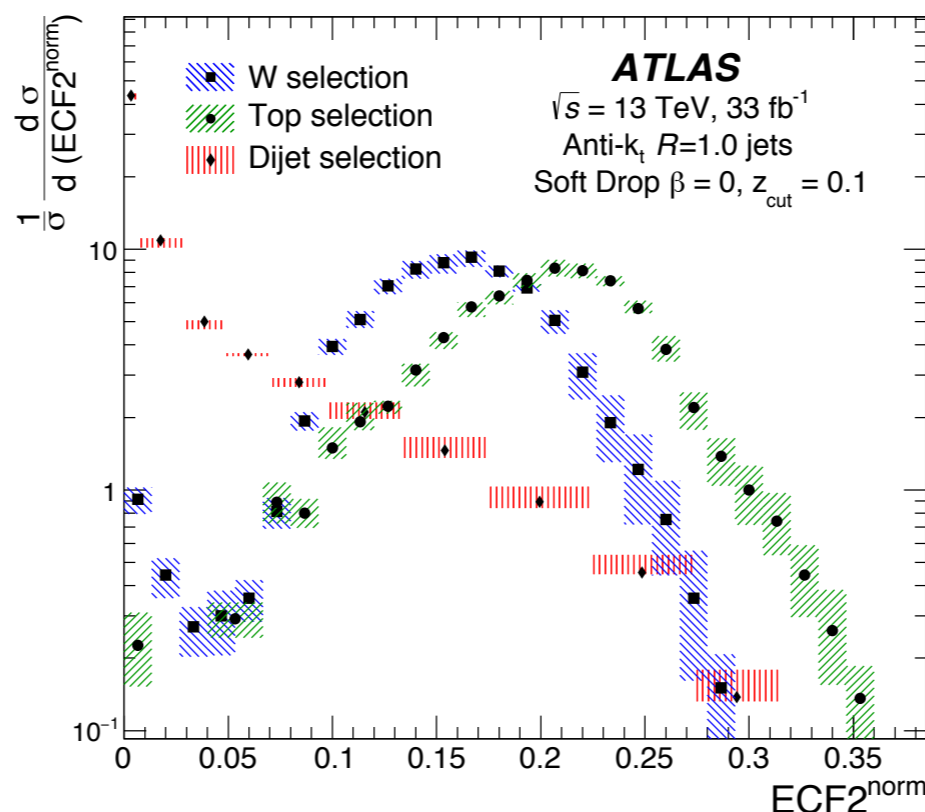
$$\text{ECF3}(\beta^{\text{ECF}}) = \sum_{i < j < k \in J} p_{T_i} p_{T_j} p_{T_k} (\Delta R_{ij} \Delta R_{ik} \Delta R_{jk})^{\beta^{\text{ECF}}}$$

# Measurement of jet substructure observables in top quark, W boson and light jet production

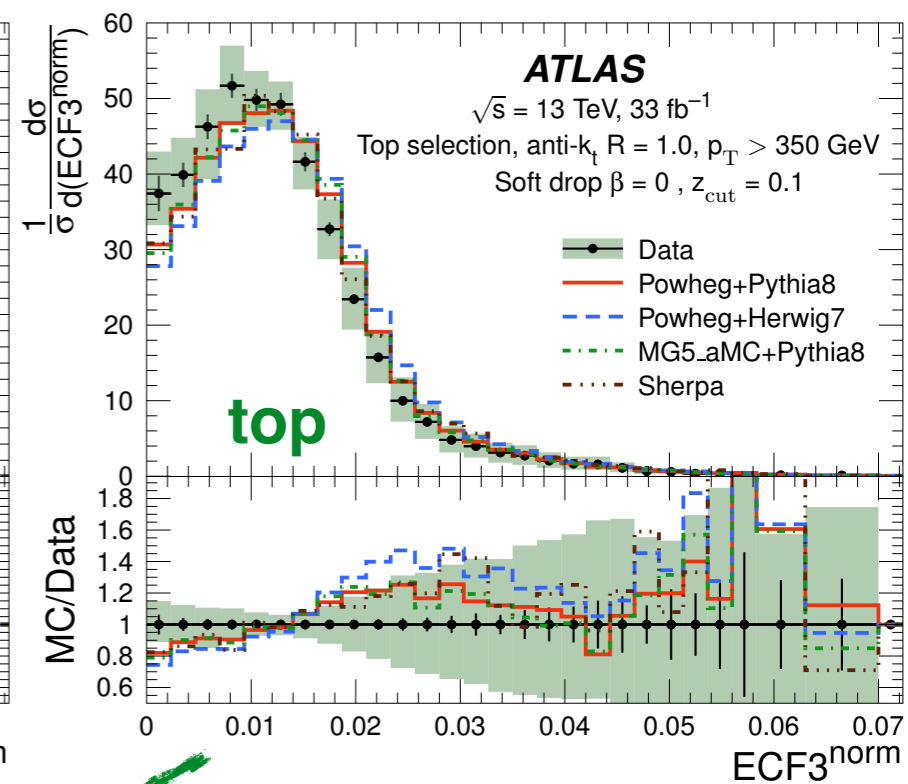
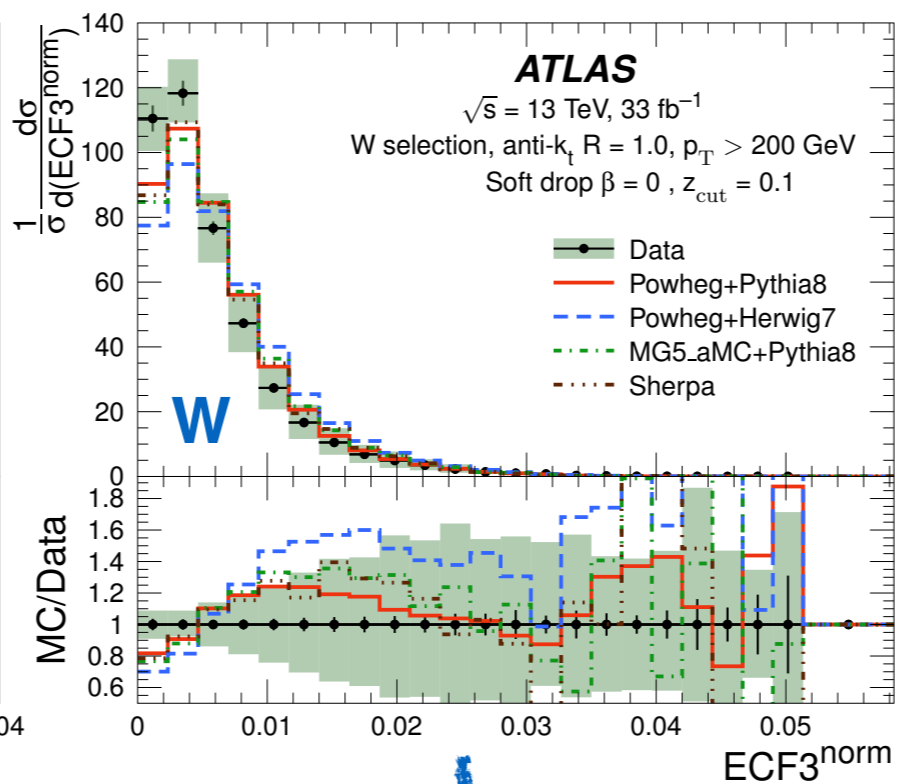
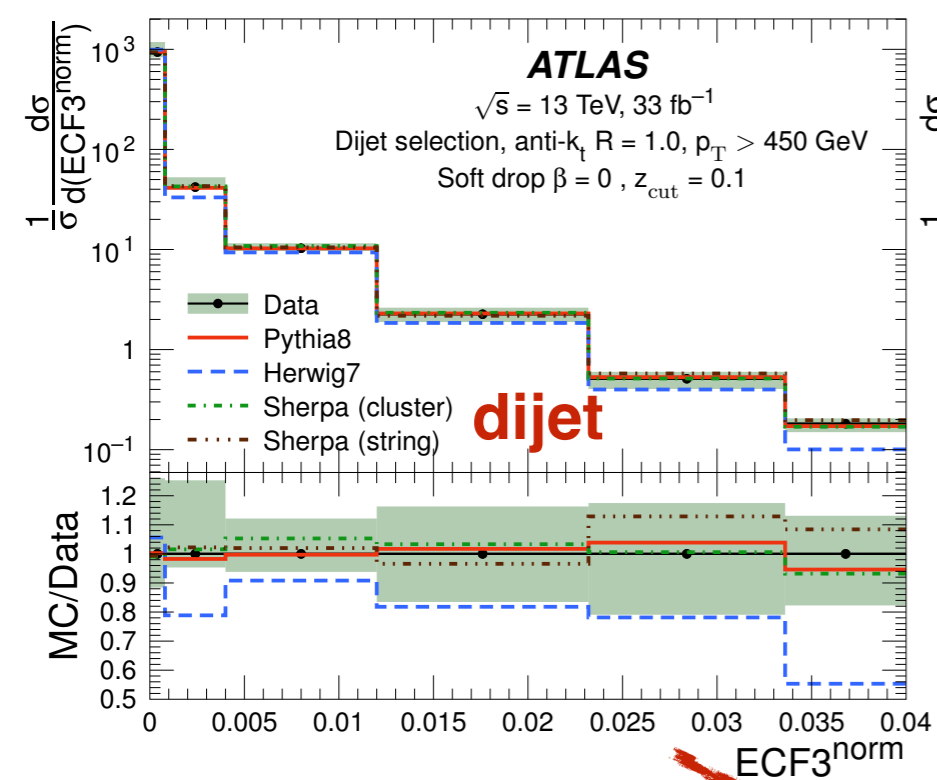


**ECF2**

$$\text{ECF2}(\beta^{\text{ECF}}) = \sum_{i < j \in J} p_{T_i} p_{T_j} (\Delta R_{ij})^{\beta^{\text{ECF}}}$$

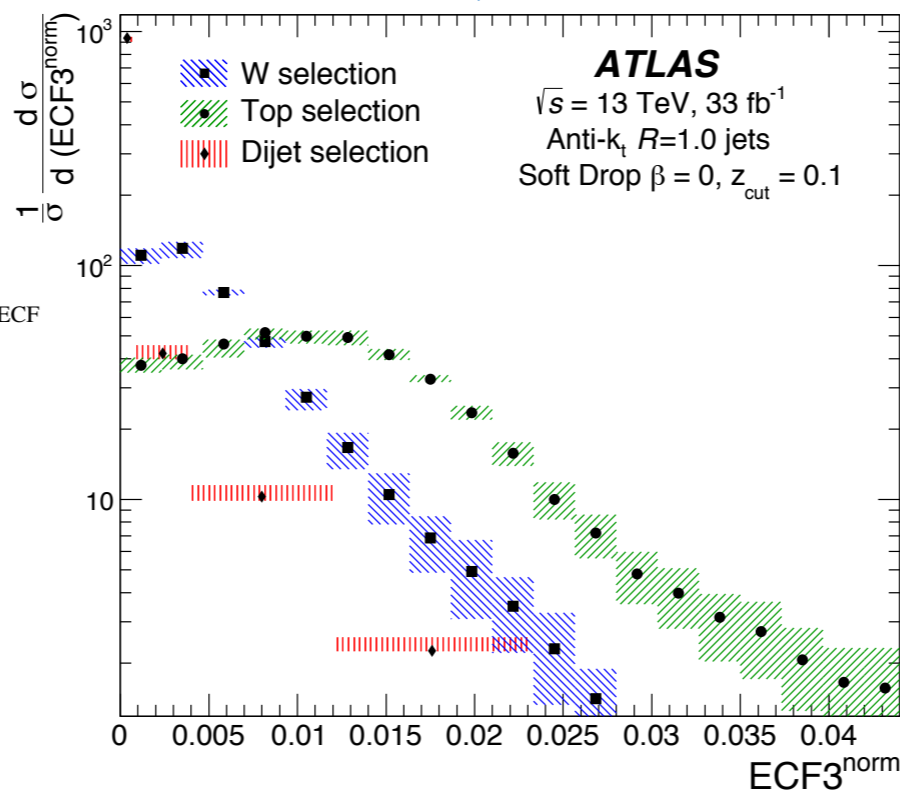


# Measurement of jet substructure observables in top quark, W boson and light jet production

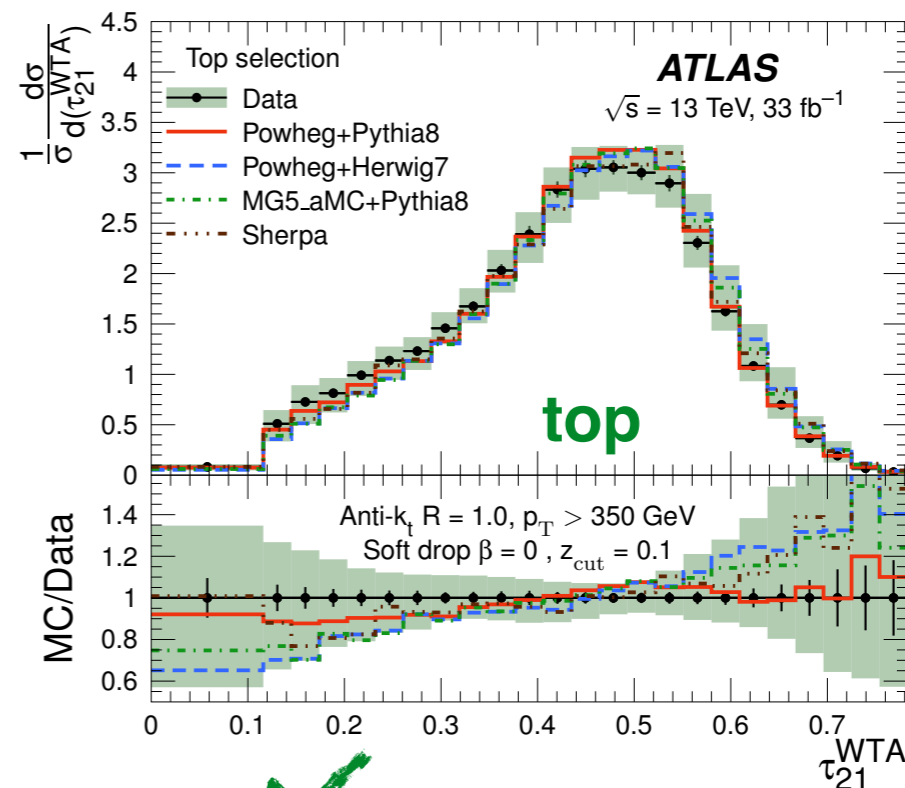
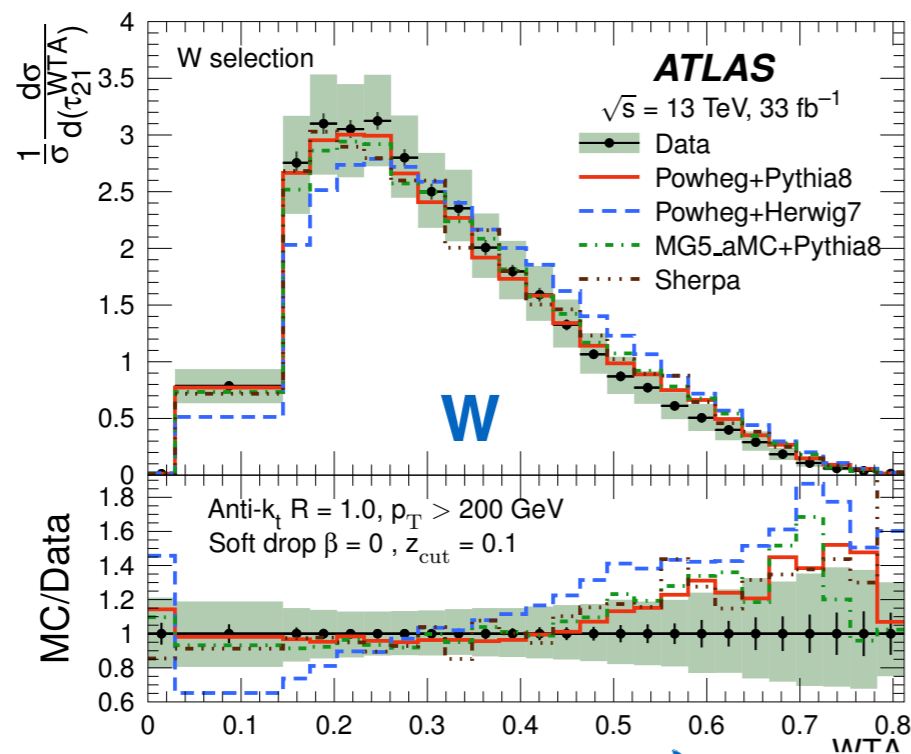


**ECF3**

$$\text{ECF3}(\beta^{\text{ECF}}) = \sum_{i < j < k \in J} p_{T_i} p_{T_j} p_{T_k} (\Delta R_{ij} \Delta R_{ik} \Delta R_{jk})^{\beta^{\text{ECF}}}$$



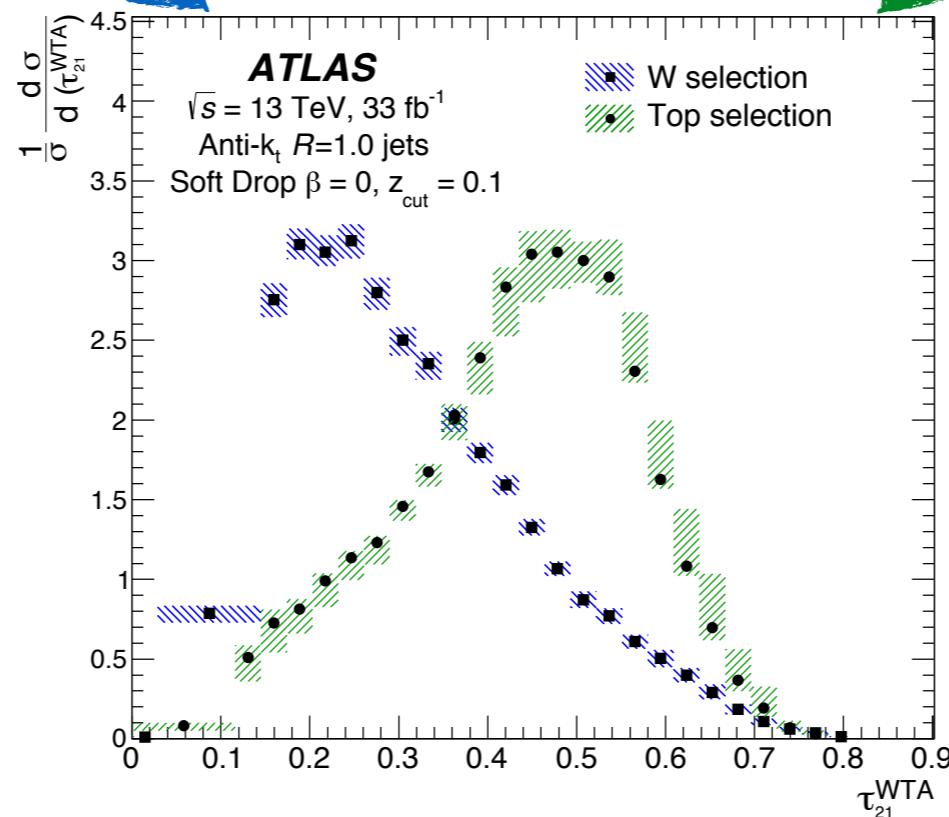
# Measurement of jet substructure observables in top quark, W boson and light jet production



**T<sub>21</sub>**

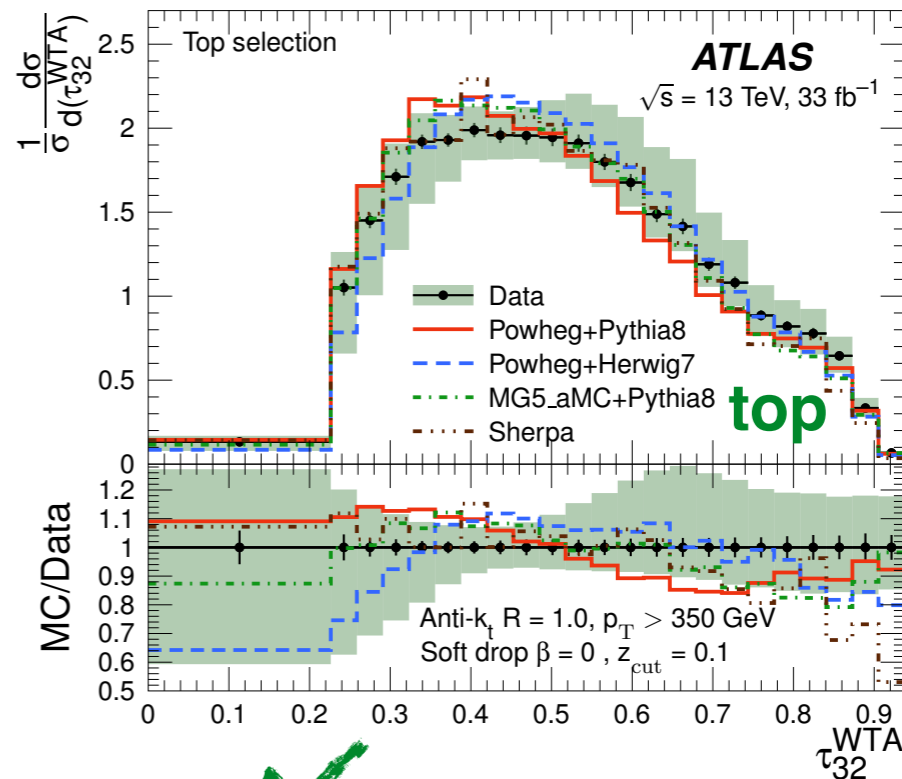
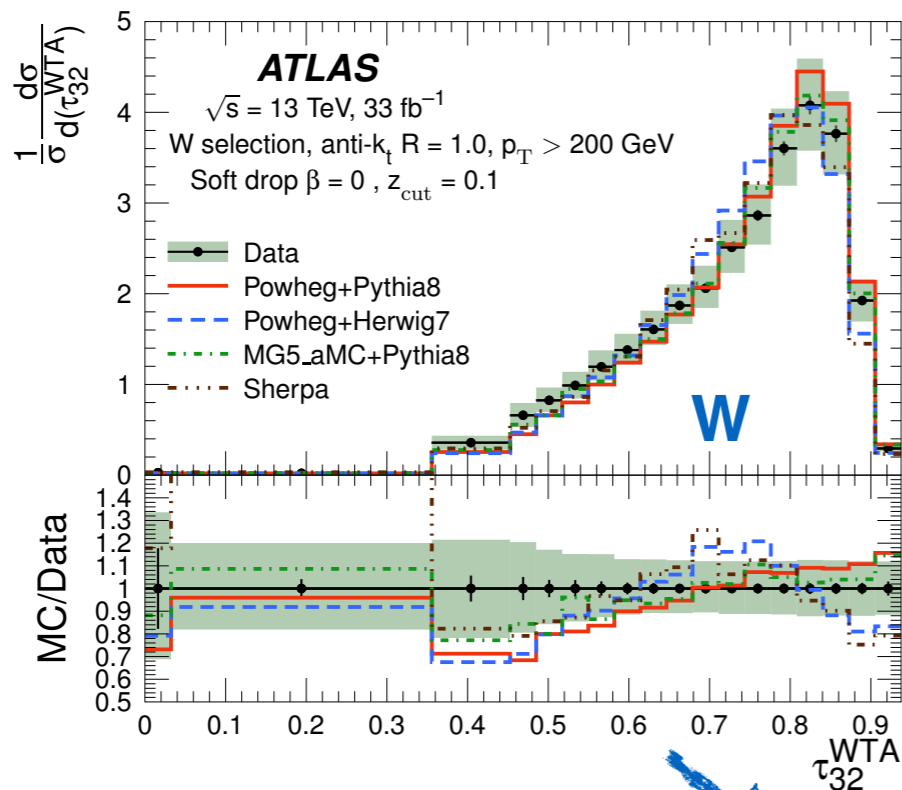
$$\tau_1(\beta^{\text{NS}}) = \frac{1}{\tau_0(\beta^{\text{NS}})} \sum_{i \in J} p_{T_i} \Delta R_{a_1, i}^{\beta^{\text{NS}}}$$

$$\tau_2(\beta^{\text{NS}}) = \frac{1}{\tau_0(\beta^{\text{NS}})} \sum_{i \in J} p_{T_i} \min(\Delta R_{a_1, i}^{\beta^{\text{NS}}}, \Delta R_{a_2, i}^{\beta^{\text{NS}}})$$





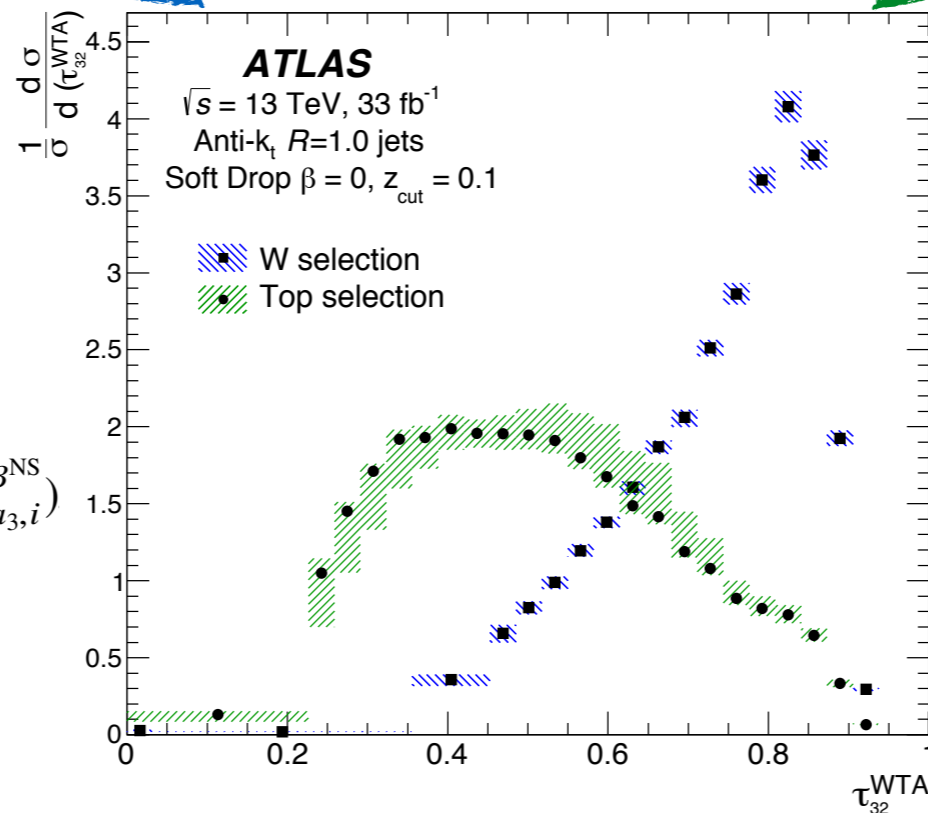
# Measurement of jet substructure observables in top quark, W boson and light jet production



**T<sub>32</sub>**

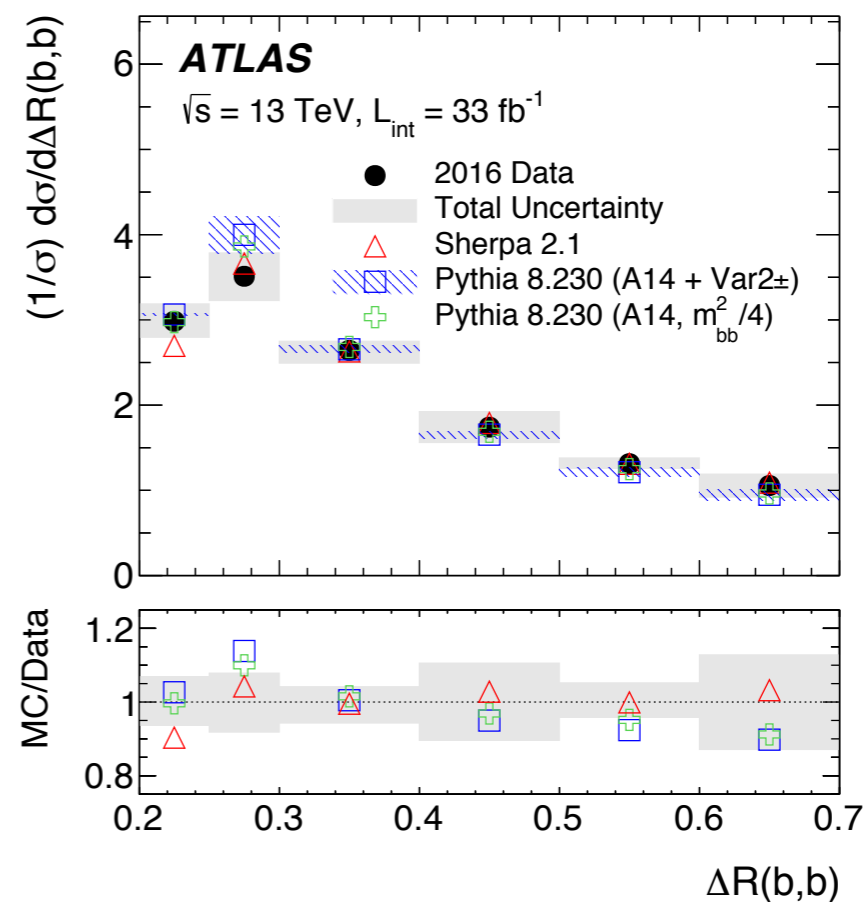
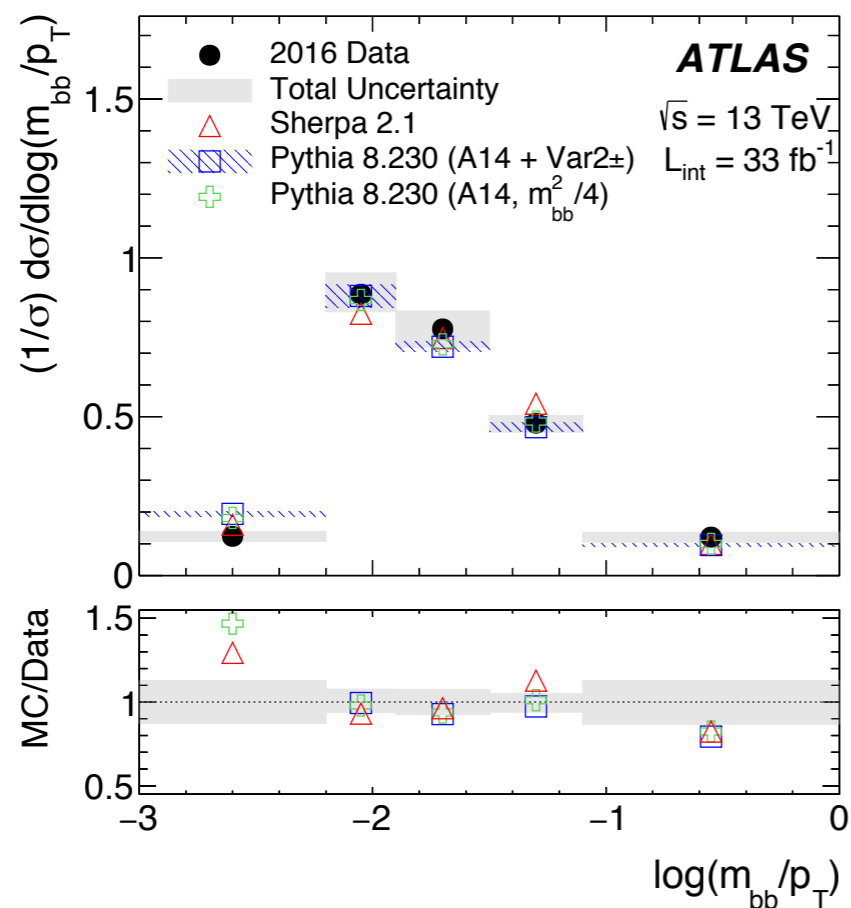
$$\tau_2(\beta^{\text{NS}}) = \frac{1}{\tau_0(\beta^{\text{NS}})} \sum_{i \in J} p_{T_i} \min(\Delta R_{a_1,i}^{\beta^{\text{NS}}}, \Delta R_{a_2,i}^{\beta^{\text{NS}}})$$

$$\tau_3(\beta^{\text{NS}}) = \frac{1}{\tau_0(\beta^{\text{NS}})} \sum_{i \in J} p_{T_i} \min(\Delta R_{a_1,i}^{\beta^{\text{NS}}}, \Delta R_{a_2,i}^{\beta^{\text{NS}}}, \Delta R_{a_3,i}^{\beta^{\text{NS}}})$$





# Properties of $g \rightarrow bb$ at small opening angles



# Substructure systematics

