## (J)

## LHC Injectors Upgrade

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## Talk overview

- Two optics used on BCMS ( 0.9 eVs ) cycles (TFB ON, low chroma, coupling corrected)
- data taken in two MD sessions (not fully analysed yet) $-30^{\text {th }}$ October and $7^{\text {th }}$ November 2018
- Operational optics
- PPM-rematched optics
- First order moments analysis
- Injection oscillations and $\Delta \mathrm{p} / \mathrm{p}$ dependence (energy matching) at BPMs and SEM grids
- Dispersion at BPMs and SEM grids
- TbT beam size at SMG52
- Horizontal measurements
- Vertical measurements
- SEM grid scattering blow-up
- Conclusions and next steps


## Operational and (PPM) re-matched optics

- PPM optics minimises betatron and dispersive measurements and is suitable for parallel operation, as it moves only BT quads
- V. Forte et al., "Overview Of The CERN PSB-to-PS Transfer Line Optics Matching Studies In View Of The LHC Injectors Upgrade Project", WEP2P006, HB2018
- Work on transfer line understanding is improving $\rightarrow$ analysis of quadrupolar gradient error (to be presented)








## Injection offset and $\Delta \mathrm{p} / \mathrm{p}$ dependance

- Injection oscillations from first order moments by changing PSB extr frequency
- Mean ( $\pm 1$ SD) oscillation for the BPMs in the PS ring
- Orbit with RF OFF look flat
$\rightarrow$ energy reasonably matched
- 3-sigma modulation looks more reliable for noise rejection on the modulation amplitude



## Injection offset and $\Delta \mathrm{p} / \mathrm{p}$ dependance

- Injection oscillations from first order moments by changing PSB extr frequency
- Mean ( $\pm 1$ SD) oscillation for the BPMs in the PS ring (single BPM in this case)
- Orbit with RF OFF look flat
$\rightarrow$ energy reasonably matched
- Parabolas do not have minimum at $y=0$
$\Rightarrow$ residual emittance growth source from injection oscillation in the order of few percent (2\% in this case)



## Injection offset and $\Delta \mathrm{p} / \mathrm{p}$ dependance

Injection oscillations from first order moments by changing PSB extr frequency

- Mean ( $\pm 1$ SD) oscillation for the BPMs in the PS ring (all BPMs in this case)
- Residual momentum mismatch $\Delta p / p$ seems between $1 e-4$ (PPM-rematched,$\sim 1 \%$ em. growth) and 4e-4 (OP, ~9\% em. growth)



## Dispersion at BPMs

## OP optics

- Dispersion from BPMs gives constant normalised dispersive mismatch:
- $\mathrm{M}_{\mathrm{Dx}}=0.39 \sqrt{\mathrm{~m}} \rightarrow$ emittance growth $\sim 14\left( \pm 2_{1 \sigma}\right) \%$
- $\mathrm{M}_{\mathrm{Dy}}=0.05 \sqrt{m} \rightarrow$ emittance growth $\sim 0 \%$




## Dispersion at BPMs

## PPM-rematched optics

- Dispersion from BPMs gives very constant normalised dispersive mismatch:
- $\mathrm{M}_{\mathrm{Dx}}=0.12 \sqrt{m} \rightarrow$ emittance growth ${ }^{\sim} 1 \%$
- $\mathrm{M}_{\mathrm{Dy}}=0.03 \sqrt{m} \rightarrow$ emittance growth $\sim 0 \%$
- Some coupling is visible in the horizontal plane




## Intensity evolution along measurements

We consider the first 14 turns

- Losses present with RF OFF and ON for longer periods
- No reduction of bunch length observed (first and last turn) $\rightarrow$ to be refined with tomo data from latest measurements
- To avoid start of filamentation

Measurements with RF OFF and Optics C


Measurements with RF OFF and Optics C


## TbT horizontal profiles at SMG52

## Operational optics



1 No.1; mean $_{\text {fit }}=-2.2538 \mathrm{~mm} ; \sigma_{\text {fit }}=3.677 \mathrm{~mm} ;$ mean $_{\mathrm{rms}}$


「o. $30 ;$ mean $_{\text {fit }}=-0.82549 \mathrm{~mm} ; \sigma_{\text {fit }}=4.6577 \mathrm{~mm} ;$ mean $_{\mathrm{rm}}$


## TbT vertical profiles at SMG52

## Operational optics


${ }_{1}$ No.1; mean $_{\text {fit }}=0.71782 \mathrm{~mm} ; \sigma_{\text {fit }}=2.7465 \mathrm{~mm} ;$ mean $_{\mathrm{rm}}$



No.30; mean $_{\text {fit }}=0.68667 \mathrm{~mm} ; \sigma_{\text {fit }}=4.3902 \mathrm{~mm} ;$ mean $_{\mathrm{rm}}$


## TbT vertical profiles at SMG52

- Example of evolution in time of beam profiles in both optics
- Beating of peaks ( $\rightarrow$ beam sizes in lossless regime) is synonymous of mismatch:
- (Already) visually larger beating for OP optics

OP optics


PPM-rematched optics


## Injection oscillations

- Important to correct to minimum modulations peak level
- On the TbT SEM-grid it is possible to derive injection oscillations and tune
- Mean value of Gaussian fit
- 0.5 mm (peak), which is an optimal OP value, would be already + 2\% emittance growth in the horizontal plane for a BCMS-like beam
- $1 \mathbf{~ m m}$ (peak) would be $\mathbf{+ 8 \%}$ emittance growth !!!



## Fit functions for turn-by-turn data

- Method as in M. Benedikt, C. Carli et al., $\underline{\text { here }}$

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CERN - PS DIVISION

PS/AE/ Note 2001-003 (MD)

STUDY OF A NEW PSB-PS TRANSFER LINE OPTICS WITH
IMPROVED DISPERSION MATCHING BY MEANS OF
TURN-BY-TURN BEAM PROFILE ACQUISITIONS
M. Benedikt, Ch. Carli, Ch. Dutriat, M. Giovannozzi, A. Jansson,
M. Martini, U. Raich and K. Schindl

Horizontal ( $x$ ) and vertical ( $y$ ) dispersion fitting functions

$$
\frac{D_{n_{x, y}}}{\sqrt{\beta_{R, i, x, y}^{*}}}=\mathbf{d}_{\mathbf{R}_{\mathbf{i}, \mathbf{x}, \mathbf{y}}}+\mathbf{M}_{\mathbf{D}_{\mathbf{i}, \mathbf{x}, \mathbf{y}}} \cos \left[2 \pi \mathbf{q}_{\mathbf{i}, \mathbf{D}, \mathbf{x}, \mathbf{y}}(n-1)+\boldsymbol{\theta}_{\mathbf{i}, \mathbf{D}_{\mathbf{x}, \mathbf{y}}}\right]
$$

## Operational optics, RF OFF $(6.21,6.24)$ from beam position at SMG52

- Dispersion is obtained by changing extraction frequency of the PSB and deriving $\Delta p / p$ through slip factor from MadX PSB. Then every blue marker point is the slope of the linear correlation between position and $\Delta \mathrm{p} / \mathrm{p}$

Related analytical $\Delta \varepsilon / \varepsilon_{0}=13 \%$ (OP optics)

- considering $\varepsilon_{0, \text { norm }}=1 \mathrm{um}$ and $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}}=0.9 \mathrm{e}-3$



## PPM-rematched optics, RF OFF (6.21, 6.24) from beam position at SMG52

- Dispersion is obtained by changing extraction frequency of the PSB and deriving $\Delta \mathrm{p} / \mathrm{p}$ through slip factor from MadX PSB. Then every blue marker point is the linear correlation between position and $\Delta p / p$

Related analytical $\Delta \varepsilon / \varepsilon_{0}=1 \%$ (PPM-rematched optics)

- considering $\varepsilon_{0, \text { norm }}=1$ um and $\mathrm{dp} / \mathbf{p}_{\text {rms }}=0.9 \mathrm{e}-3$



## Constraints for total beam size fit parameters

- Method as in M. Benedikt, C. Carli et al., $\underline{\text { here }}$

$$
\begin{aligned}
& +\frac{\delta \mathbf{p}}{\mathbf{p}}{ }_{\mathrm{rms}}{ }^{2}\left\{\mathrm{~d}_{\mathrm{R}, \mathrm{x}, \mathrm{y}}+\mathrm{M}_{\mathrm{D}_{\mathrm{x}, \mathrm{y}}} \cos \left[2 \pi \mathrm{q}_{\mathrm{x}, \mathrm{y}}(n-1)+\boldsymbol{\theta}_{\mathrm{i}, \mathrm{D}_{\mathrm{X}, \mathrm{y}}}\right]\right\}^{2}+ \\
& +\boldsymbol{\beta}_{\mathrm{R}_{\mathrm{x}, \mathrm{y}}}(\Delta \mathrm{x}, \mathrm{y})^{\prime 2}\left[\frac{n-\frac{1}{2}}{2}-\frac{\sin \left[2 \pi \mathrm{q}_{\mathrm{x}, \mathrm{y}}(2 n-1)\right]}{4 \sin \left(2 \pi \mathrm{q}_{\mathrm{x}, \mathrm{y}}\right)}\right]
\end{aligned}
$$

Boundaries of fit parameters are derived from systematic errors assumptions

$$
\begin{aligned}
& 0 \leq \boldsymbol{\epsilon}_{\mathbf{x}, \mathbf{y}, \mathbf{g}, \mathbf{0}} \leq \infty \\
& { }^{*}{ }^{\text {where }} \beta_{R, X, y, i}^{*}=12.05 \text { (21.71) m (from Injection } 7 \text { optics) } \\
& 1 \leq \mathbf{M}_{\mathbf{g}, \mathrm{x}, \mathrm{y}}<\infty \longrightarrow \mathbf{M}_{\mathrm{rms}}=\mathbf{0 . 5}\left(\mathbf{M g}_{\mathrm{t}}+\frac{1}{\mathbf{M}_{\mathrm{gt}}}\right) \\
& 0 \leq \mathbf{q}_{\mathbf{x}, \mathbf{y}} \leq \mathbf{q}_{\mathbf{i}, \mathbf{D}, \mathbf{x}, \mathbf{y}} \\
& -\infty \leq \boldsymbol{\theta}_{i, D_{x, y}}<\infty \\
& -\infty \leq \boldsymbol{\theta}_{i, \boldsymbol{\beta}_{x, y}}<\infty
\end{aligned}
$$

$$
\begin{aligned}
& { }^{*} \text { where. } \frac{\delta_{\mathrm{p}}}{\mathrm{P}, \text {,rms }}=0.902 \times 10^{-3} \text { (from R3 recent brightness measurements, see Appendix) } \\
& 0.95 \cdot \mathbf{M}_{\mathbf{D}_{\mathbf{i}, \mathrm{x}, \mathrm{y}}} \leq \mathbf{M}_{\mathrm{D}_{\mathrm{x}, \mathrm{y}}} \leq 1.05 \cdot \mathbf{M}_{\mathrm{D}_{\mathrm{i}, \mathrm{x}, \mathrm{y}}} \\
& 0.95 \cdot \mathbf{d}_{\mathbf{R}_{\mathbf{i}, \mathrm{x}, \mathrm{y}}} \leq \mathbf{d}_{\mathbf{R}_{\mathrm{x}, \mathrm{y}}} \leq 1.05 \cdot \mathbf{d}_{\mathbf{R}_{\mathrm{i}, \mathrm{x}, \mathrm{y}}} \\
& 0.95 \cdot \boldsymbol{\beta}_{\mathbf{R}, \mathrm{i}, \mathrm{x}, \mathrm{y}}^{*} \leq \boldsymbol{\beta}_{\mathbf{R}_{\mathrm{x}, \mathrm{y}}} \leq 1.05 \cdot \boldsymbol{\beta}_{\mathbf{R}, \mathrm{i}, \mathrm{x}, \mathrm{y}}^{*}
\end{aligned}
$$



## Operational optics, RF OFF $(6.21,6.24)$ : beam size

- All parameters are free apart $d p / p_{r m s}$ which was imposed $=0.888$ e-3 to be equal to WS measurements
- $\varepsilon_{x, n, 0}=0.789$ um (intensity for this shot was $\left.\sim 68 \mathrm{e} 10 \mathrm{ppb}\right) \rightarrow \underline{\mathrm{Bx} \sim 62 \mathrm{e} 10 \mathrm{p} / \mathrm{um}}$
- Betatron mismatch is extremely small $M_{g}=1.09 \rightarrow M_{r m s} \sim 1.0 \rightarrow \varepsilon_{\text {after filamentation= }} M_{r m s} \varepsilon_{0}$
- Beam size is dispersion-dominated $\rightarrow$ Estimated emittance growth due to dispersion is $\mathbf{+ 1 8 \%}$



## Operational optics, RF OFF (6.21, 6.24) : beam size

- With free $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}} \rightarrow \varepsilon_{\mathrm{x}, \mathrm{n}, 0}=0.748 \mathrm{um}$ (because fitted $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}}=0.926$ e-3!!!)
- Intensity for this shot was $64 \mathrm{e} 10 \mathrm{ppb} \rightarrow \mathrm{Bx} \sim 85.56 \mathrm{e} 10 \mathrm{p} / \mathrm{um}$
- Betatron mismatch is extremely small $M_{g}=1.1 \Rightarrow M_{r m s} \sim 1.00 \Rightarrow \varepsilon_{\text {after filamentation= }} M_{r m s} \varepsilon_{0}$
- Beam size is dispersion-dominated $\rightarrow$ Estimated emittance growth due to dispersion is $\mathbf{+ 1 9 \%}$



## PPM-rematched optics, RF OFF (6.21, 6.24) : beam size

- All parameters are free apart $d p / p_{r m s}$ which was imposed $=0.888 \mathrm{e}-3$ to be equal to WS measurements
- $\varepsilon_{\mathrm{x}, \mathrm{n}, 0}=0.906$ um (intensity was 62.8 e 10 ppb$) \rightarrow \underline{\mathrm{Bx} \sim 69 \mathrm{e} 10 \mathrm{p} / \mathrm{um}}$
- Betatron mismatch is extremely small $M_{g}=1.0 \Rightarrow M_{r m s} \sim 1.0 \Rightarrow \varepsilon_{\text {after filamentation }}=M_{r m s} \varepsilon_{0}$
- Beam size is dispersion-dominated $\rightarrow$ Estimated emittance growth due to dispersion is $+1 \%$



## PPM-rematched optics, RF OFF (6.21, 6.24) : beam size

- With free $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}} \rightarrow \varepsilon_{\mathrm{x}, \mathrm{n}, 0}=0.8 \mathrm{um}$, but for fitted $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}}=0.969 \mathrm{e}-3$ !!!
- $\varepsilon_{x, n, 0}=0.741$ um (intensity was 62.8 e 10 ppb ) $\rightarrow \underline{\mathrm{Bx} \sim 84.75 \mathrm{e} 10 \mathrm{p} / \mathrm{um}}$
- Betatron mismatch is extremely small $M_{g}=1.019 \rightarrow M_{r m s} \sim 1.00$
- Beam size is dispersion-dominated $\rightarrow$ Estimated emittance growth due to dispersion is $+1 \%$



## $\mathbf{M}_{\mathrm{g}}$ from total beam size (squared) - RF OFF

- Approximation (to be followed up analytically) of global mismatch ( $\mathrm{M}_{\mathrm{g}, \mathrm{t}}$ ) on modulation of total beam size (betatron + dispersion) in first 5 turns
- by subtracting scattering from fit
- Almost factor 4 reduction in $\sigma^{2}$ beating



## $\mathrm{M}_{\mathrm{rms}}$ from $\mathrm{M}_{\mathrm{g}, \mathrm{t}}$ (approximation from total beam size squared)

- RMS emittance growth $\mathbf{M}_{\text {rms }}$ for different $\mathbf{M}_{\mathrm{g}, \mathrm{t}}$ (from total beam size squared)
- $\varepsilon_{\text {after filamentation }}=M_{r m s} \varepsilon_{0}$



## Vertical dispersion vs. turns

- RF OFF:
- Negligible contribution: $\mathrm{M}_{\mathrm{DR}, \mathrm{y}}=0.02 \sqrt{m}^{\star *}$
- Fully consistent with dispersion from BPMs (see Appendix)
- Related analytical $\Delta \varepsilon / \varepsilon_{0}=0 \%$



## Vertical beam size vs. turns

- RF OFF:
- PPM-rematched optics qualitatively reduces beating
- Modulation fits were not fully convincing due to leak of modulation
- Analysis to be completed for measurements far from Qy=6.25
- Scattering slope in the same order of horizontal plane



## Preliminary: a mismatched case -PPM-rematched optics and BT.QNO10 at 150 A

- Horizontal betatron amplitude increases but not as expected ( $\mathrm{M}_{\mathrm{g}}=1.38$ instead of $\sim 2.5$ )
- Fit more complicated and not optimal (large residuals)
$\rightarrow$ Tuning of fit to be followed up
- Tune (6.21,6.33)




## SEM grid Coulomb scattering

Theoretical multiple scattering through small angles [1]:

- $\mathrm{d}_{\text {wire }}=40 \mu \mathrm{~m}$
- Radiation length $X_{0}=0.35 \mathrm{~cm}$ (Tungsten)
- Wire spacing 1 mm (in [-6,6] mm) and 2.5 mm (in [-28.5,-6] and [6, 28.5] mm)

$$
\begin{aligned}
& \theta_{0}=\frac{13.6 \mathrm{MeV}}{\beta c p} \cdot z \cdot \sqrt{\frac{d_{\text {wire }} \cdot \frac{\pi}{4}}{X_{0}}} \cdot\left[1+0.038 \cdot \ln \left(\frac{d_{\text {wire }} \cdot \frac{\pi}{4}}{X_{0}}\right)\right]= \\
& \frac{13.6}{2127 \cdot 0.9160} \cdot 1 \cdot \sqrt{\frac{40 \times 10^{-4} \cdot \frac{\pi}{4}}{0.35}}\left[1+0.038 \cdot \ln \left(\frac{40 \times 10^{-4} \cdot \frac{\pi}{4}}{0.35}\right)\right]=0.5 \mathrm{mrad} \\
& \beta_{x} \theta_{0}^{2}=12.05 \cdot 0.5^{2} \cdot \text { fill factor }=0.03 \div 0.09 \mu \mathrm{~m} \\
& \beta_{y} \theta_{0}^{2}=21.71 \cdot 0.5^{2} \cdot \text { fill factor }=0.05 \div 0.16 \mu \mathrm{~m}
\end{aligned}
$$

$$
\text { fill factor }=\frac{d_{\text {wire }}}{\text { where }} \cdot \frac{\pi}{\text { wire spacing }} \frac{40 \times 10^{-6}}{1(2.5) \times 10^{-3}} \cdot \frac{\pi}{4}=0.01 \div 0.03
$$

- Order of magnitude is consistent with TbT fits ( $\beta \theta^{2 \sim} 0.02-0.03 \mathrm{um}$ )


## Conclusions

- TbT SEMgrids profiles were obtained and analyzed
- Signal-to-noise of measured profile was very satisfying (thanks BI !)
- Profiles were reasonably Gaussian
- some tails arise in the vertical ones after 30 turns $\mathrm{q}_{\mathrm{y}}=0.25$ ?
- Analysis to be completed and refined
- First order methods (with BPMs) used to evaluate dispersion
- Operational and PPM-rematched optics reflected results already presented in the past (2017 MD with three screens, HB2018)
- 1-2 \% emittance growth in PPM re-matched optics and $\sim 15 \%$ emittance growth in OP optics due to dispersive mismatch)
- Minimum emittance growth due to injection oscillations difficult to bring below $2 \%$
- Due to correction of injection oscillation typically at 0.5 mm peak amplitude level
- Correlation of injection oscillation with $\Delta \mathrm{p} / \mathrm{p}$ could be used to approximate energy mismatch
- Energy mismatch must be below $\sim 1 e-4$ to give emittance growth in the order of $1 \% \rightarrow$ Always check before measurements!


## Conclusions

- Fitting method proposed by M. Benedikt and C. Carli in the past was applied to evaluate also betatron matching (uncertain to date)
- Dispersion value and mismatch consistent with BPM results
- Operational and PPM-rematched optics validated $\boldsymbol{\rightarrow} \boldsymbol{\operatorname { m i s m a t c h } \text { dominated by dispersion }}$

| $\Delta \varepsilon / \varepsilon_{0}$ | Inj osc | Disp $_{\mathrm{x}}$ | Twiss $_{\mathrm{x}}$ |
| :--- | :--- | :--- | :--- |
| Op optics | $2 \%$ | $15-18 \%$ | $0 \%$ |
| PPM-rematched optics | $2 \%$ | $1 \div 2 \%$ | $0 \%$ |


| @ PS inj. point | $\mathbf{M}_{\beta \mathrm{x}}$ <br> $[\%]$ | $\mathbf{M}_{\beta y}$ <br> $[\%]$ | $\mathbf{M}_{\mathrm{Dx}}$ <br> $[\%$ o $]$ | $\mathbf{M}_{\text {Dy }}$ <br> $[\%]$ | $\mathbf{M}_{\text {tot, }}$ <br> $[\%]$ | $\mathbf{M}_{\text {toty }}$ <br> $[\%]$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Operational optics | 6 | 6 | 15 | 2 | 16 | 6 |
| Rematched optics | 3 | 3 | 2 | 0 | 4 | 3 |

3-screens (HB2018)

- Vertical matching was qualitatively improved
- Need to change working point for a better fit of mismatch parameters
- However in the vertical plane we do not see emittance growth typically...
- $\mathrm{M}_{\mathrm{rms}}$ could be approximated from total geometrical mismatch $\mathrm{M}_{\mathrm{g}}$
- Values of $\mathrm{M}_{\mathrm{rms}, \mathrm{x}}=\sim 10 \%$ (OP optics) and $\mathrm{M}_{\mathrm{rms}, \mathrm{x}}=1 \div 2 \%$ (PPM-rematched optics)
- Estimation of brightness strictly depend on systematics! Thus...
- We wait for comparison in systematic brightness measurements from ABP performed on both optics for BCMS 0.9 eVs and especially for BCMS 1.5 eVs , where $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}} \sim 1.5 \mathrm{e}-3(\rightarrow$ emittance growth due to dispersion is $\sim 3$ times larger!) and transverse space charge is reduced


## Next steps

- Complete analysis
- Vertical matching
- Horizontal betatron mismatch $\rightarrow$ why so lower than expected?
- Analytical evaluation of global mismatch $\mathbf{M}_{\mathbf{g}, \mathrm{t}}$
- Evaluation of beam size using different strategies (e.g. statistical rms)
- Comparison of residual injection oscillations with BPMs ( $\Delta \mathrm{p} / \mathrm{p}=0$ )
- Analysis of bunch lengthening through tomoscope data on-going
- Could correlate rms bunch length to rms momentum spread


## Thanks

## Appendix

## TbT dispersion from BPMs

## OVERVIEW OF THE CERN PSB-TO-PS TRANSFER LINE OPTICS MATCHING STUDIES IN VIEW OF THE LHC INJECTORS UPGRADE PROJECT

V. Forte ${ }^{*}$, S. Albright, W. Bartmann, G.P. Di Giovanni, M. A. Fraser, C. Hessler, A. Huschauer, A. Oeftiger - CERN (Geneva, Switzerland)



## PPM-rematched optics (dispersion from first order moment)

- PPM-rematched optics (RF OFF)



## PSB extracted dp-prms

- $\mathrm{dp} / \mathrm{p}_{\mathrm{rms}}$ from tomoscope during BCMS OP brightness scans (courtesy F. Antoniou)



## PSB extracted dp- $\mathrm{p}_{\text {rms }}$

- Extracted from M. Fraser - LIU Beam Performance Meeting, 5th July 2018


## Emittance measurements: systematic errors

- Summary of systematic error sources, selected topics discussed to be discussed in more detail:
- Absolute accuracy of emittance measurements with different devices, in different machines is hard to deduced
- Up to $25 \%$ systematic error on the accuracy would not be unreasonable to quote




## Horizontal dispersion vs. turns

- RF OFF (check RF ON):
- Consistent periodic dispersion from fit $\mathrm{D}_{\mathrm{R}, \mathrm{x}}=\mathbf{0 . 7 3 - 0 . 7 4} \sqrt{\boldsymbol{m}}{ }^{\star *}(\sim 2.57 \mathrm{~m})$
- $\mathrm{M}_{\mathrm{D}, \mathrm{x}}$ improved in re-matched optics: from 0.37 to $0.1 \sqrt{\boldsymbol{m}}{ }^{\star \star}$
- Fully consistent with dispersion from BPMs (see Appendix)
- Related analytical $\Delta \varepsilon / \varepsilon_{0}=14 \%$ (operational optics) ; 1\% (PPM-rematched optics)
- considering $\varepsilon_{0, \text { norm }}=1.1$ um and $d p / p_{r m s}=0.9 \mathrm{e}-3$



## Horizontal dispersion vs. turns



## PDF here

STUDY OF A NEW PSB-PS TRANSFER LINE OPTICS WITH IMPROVED DISPERSION MATCHING BY MEANS OF TURN-BY-TURN BEAM PROFILE ACQUISITIONS
M. Benedikt, Ch. Carli, Ch. Dutriat, M. Giovannozzi, A. Jansson, M. Martini, U. Raich and K. Schind


Figure 7: Transformation into normalized phase space. Particles lying on an ellipse corresponding to the reference Twiss parameters $\beta_{R}$ and $\alpha_{R}$ with emittance $\epsilon$ are transformed onto a circle with radius $\sqrt{\epsilon}$.
? IMPROVED DISPERSION MATCHING BY MEANS OF TURN-BY-TURN BEAM PROFILE ACQUISITIONS
M. Benedikt, Ch. Carli, Ch. Dutriat, M. Giovannozzi, A. Jansson,
M. Martini, U. Raich and K. Schind
ellipse in the normalized phase space, described by normalized Twiss parameters $\hat{\beta}$ and $\hat{\alpha}$. In the present application the reference lattice parameters will refer to the PS lattice, whereas the latter ones describe the injected beam. To determine the normalized lattice parameters one describes first the phase ellipse in real phase space by parametrizing it with the phase $\mu$ :

$$
\begin{aligned}
z & =\sqrt{\epsilon \beta} \cos (\mu) \\
z^{\prime} & =\sqrt{\epsilon / \beta}(\sin (\mu)-\alpha \cos (\mu))
\end{aligned}
$$

and then transforms to normalized phase space to obtain :

$$
\begin{aligned}
\zeta & =\sqrt{\frac{\beta}{\beta_{R}}} \epsilon \cos (\mu) \\
\zeta^{\prime} & =\sqrt{\frac{\beta_{R}}{\beta}} \epsilon\left(\sin (\mu)-\left(\alpha-\frac{\beta}{\beta_{R}} \alpha_{R}\right) \cos (\mu)\right)
\end{aligned}
$$

From above expressions, the normalized lattice parameters :

$$
\begin{align*}
\hat{\beta} & =\frac{\beta}{\beta_{R}}  \tag{1}\\
\hat{\alpha} & =\alpha-\frac{\beta}{\beta_{R}} \alpha_{R}
\end{align*}
$$

are deduced. A convenient way to parametrize the mismatched beam is to introduce the geometric mismatch factor $M_{g}$ and the angle $\phi_{i}$ shown in Fig. 7. The normalized lattice parameters are given by :

$$
\hat{\beta}=\frac{1}{2}\left(M_{g}+\frac{1}{M_{g}}\right)+\frac{1}{2}\left(M_{g}-\frac{1}{M_{g}}\right) \cos \left(2 \phi_{i}\right)
$$



## Intensities




## Energy loss: Bethe-Bloch formula

-Density $\rho=19.3 \mathrm{~g} / \mathrm{cm}^{3}$


- Wire diameter $\mathrm{d}_{\text {wire }}=40 \mu \mathrm{~m}=40 \mathrm{e}-4 \mathrm{~cm}$

Energy loss per turn per particle:
$1.17\left[\mathrm{MeV} \cdot \mathrm{g}^{-1} \cdot \mathrm{~cm}^{2}\right] \times 40 \mathrm{e}-4[\mathrm{~cm}] \times 19.3\left[\mathrm{~g} \cdot \mathrm{~cm}^{-3}\right]=0.09 \mathrm{MeV} /$ turn

## Wirescanner measurements for PPM-rematched optics



