



Interpreting jet measurements in heavy-ion collisions and latest update of Constituent Subtraction method

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+

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Heavy Ion Jet Substructure Workshop



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Main CS
developer /
maintainer

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Part I:

Latest update on Constituent Subtraction



CS: basics

- Two main ingredients of constituent subtraction:

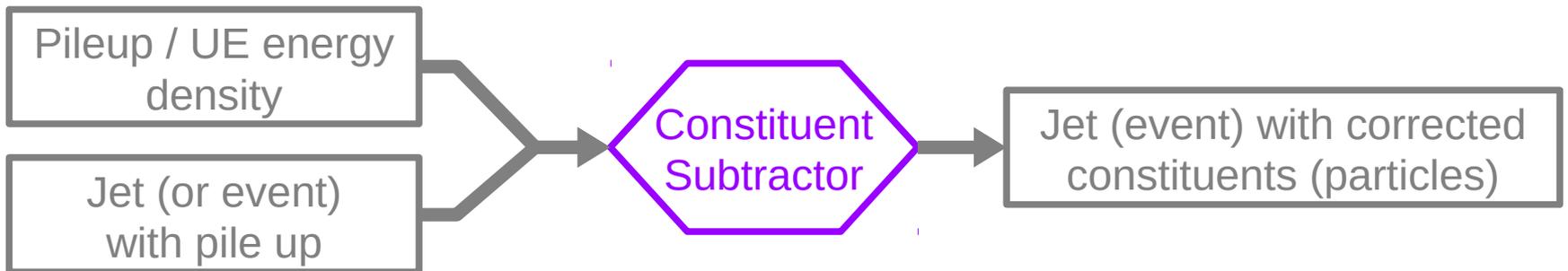
- background (pileup) p_T density

$$\rho = \text{median}_{\text{patches}} \left\{ \frac{p_{T,\text{patch}}}{A_{\text{patch}}} \right\}$$

- ghosts

$$p_{\mu}^g = p_T^g \cdot [\cos \phi^g, \sin \phi^g, \sinh y^g, \cosh y^g]$$

- Constituent subtraction provides a rule for associating the background p_T density with a given constituent.



- Implementation: <https://fastjet.hepforge.org/trac/browser/contrib/contribs/ConstituentSubtractor/>



CS: algorithm

JHEP 1406 (2014) 092

- For each event:
 1. estimate the background p_T density, ρ
 2. add ghosts ($p_{T,g} \rightarrow 0$) among particles (+ possibly run the jet algorithm)
- For each jet in the event / for each event:
 3. for each ghost set $p_{T,g} = \rho A_g$
 4. evaluate distance $\Delta R_{i,k}$ between particle i and ghost k for all particle-ghost pairs

$$\Delta R_{i,k} = p_{Ti}^\alpha \cdot \sqrt{(y_i - y_k^g)^2 + (\phi_i - \phi_k^g)^2}$$

5. sort the distances and iteratively change the momenta as follows

$$\text{If } p_{Ti} \geq p_{Tk}^g : \quad \begin{array}{l} p_{Ti} \longrightarrow p_{Ti} - p_{Tk}^g, \\ p_{Tk}^g \longrightarrow 0; \end{array} \quad \left| \quad \begin{array}{l} \text{otherwise:} \quad p_{Ti} \longrightarrow 0, \\ p_{Tk}^g \longrightarrow p_{Tk}^g - p_{Ti}. \end{array}$$

until no more pairs remain or $\Delta R_{i,k} > \Delta R^{\max}$

6. discard all particles with zero transverse momentum

CS approach: news compared to the original implementation



- Background rescaling¹
 - possibility to use pseudorapidity- or phi-modulated background subtraction
- Study of the Event-wide Constituent Subtraction²
- Implementation and study of Iterative Constituent Subtraction³
- Study of optimization of parameters

arXiv:
1905.03470

Examples of usage:

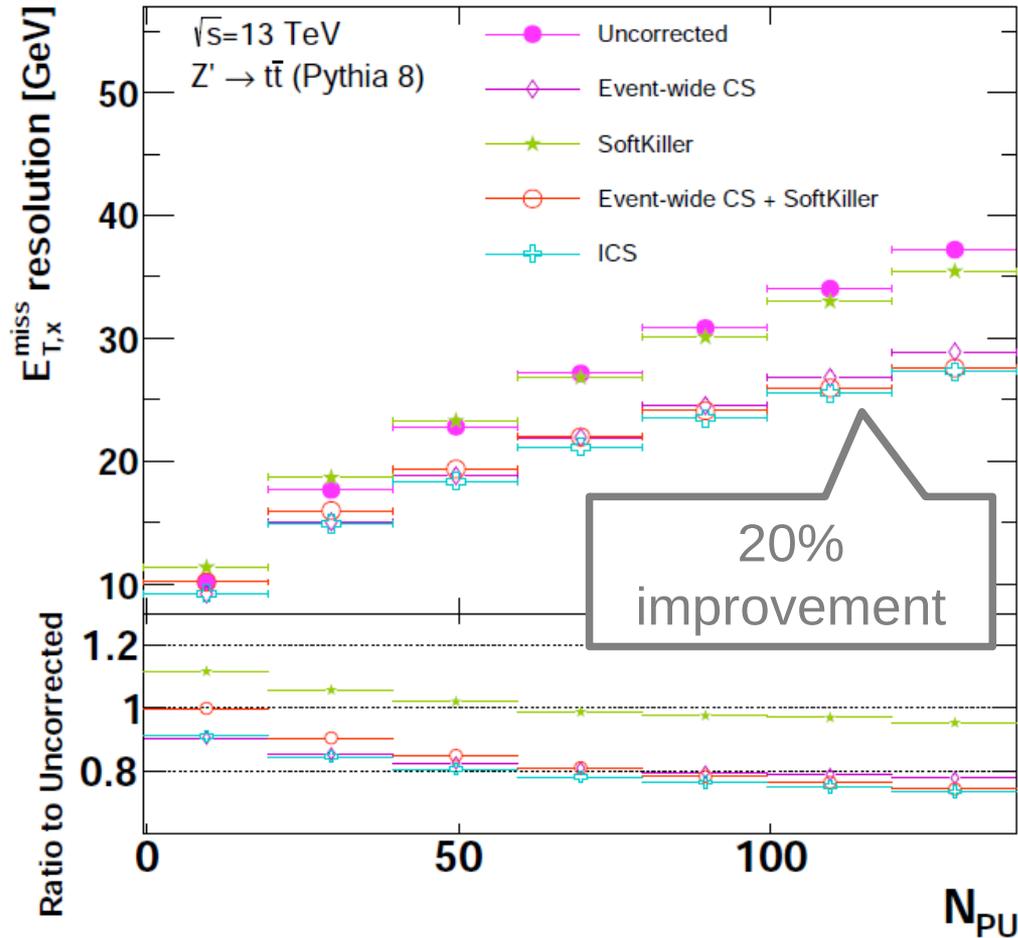
¹ [example_background_rescaling.cc](#)

² [example_whole_event.cc](#)

³ [example_whole_event_iterative.cc](#)



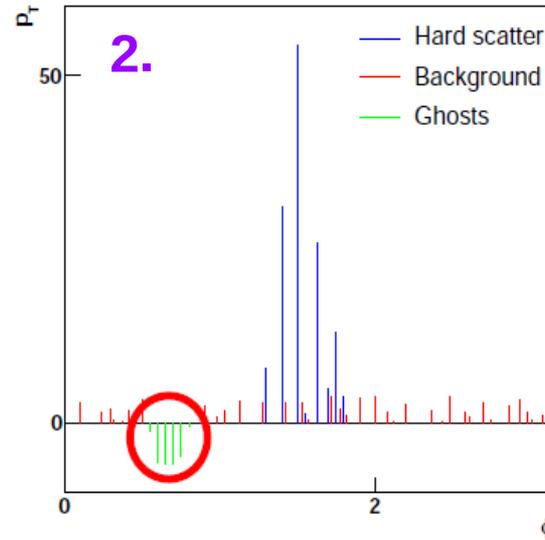
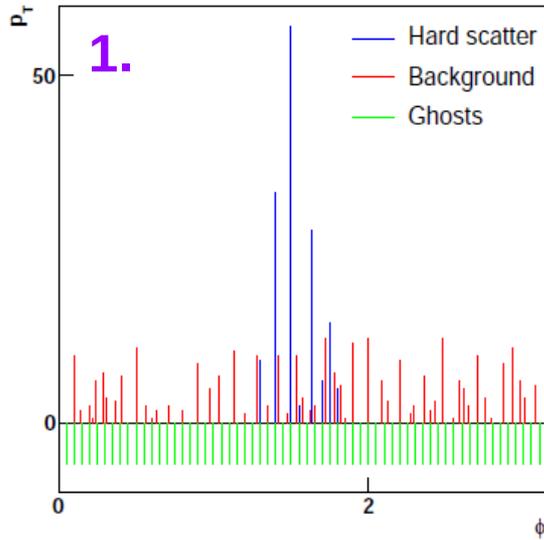
Event-wide subtraction



- Idea: **first subtract** and only **then cluster**.
- Jet clustering is **less biased** after whole event correction.
- Improved performance wrt Jet-by-jet CS (not shown here).
- Can be used for **global event observables** such as missing- E_T .
- ... but $\Delta R_{\max} = \infty$ does not need to be the best choice + a bias may come to a play (next slides) ...



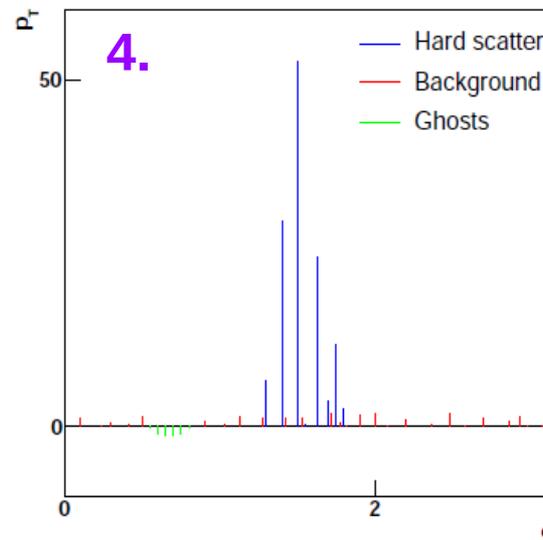
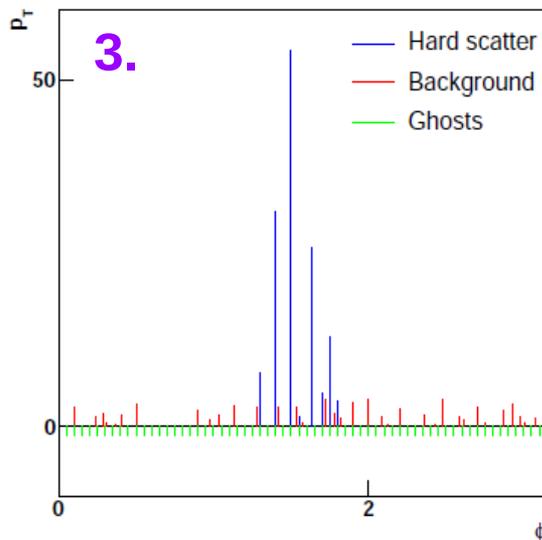
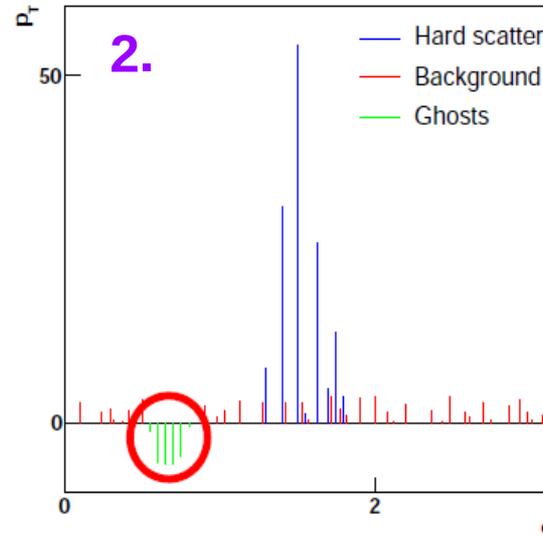
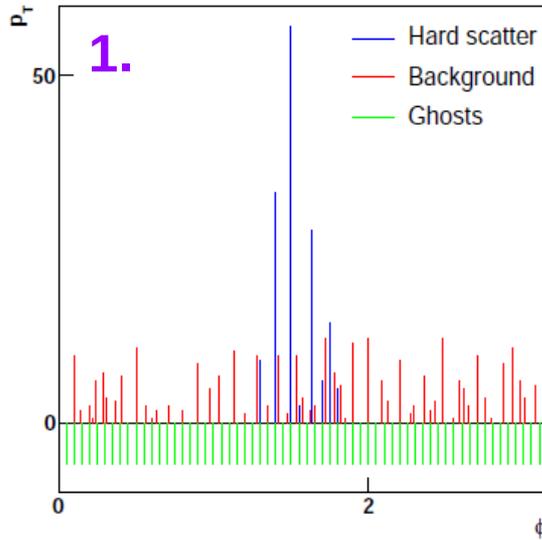
Iterative Constituent Subtraction



- If ΔR_{\max} is finite, spacial fluctuations of background may lead to areas with unsubtracted ghosts



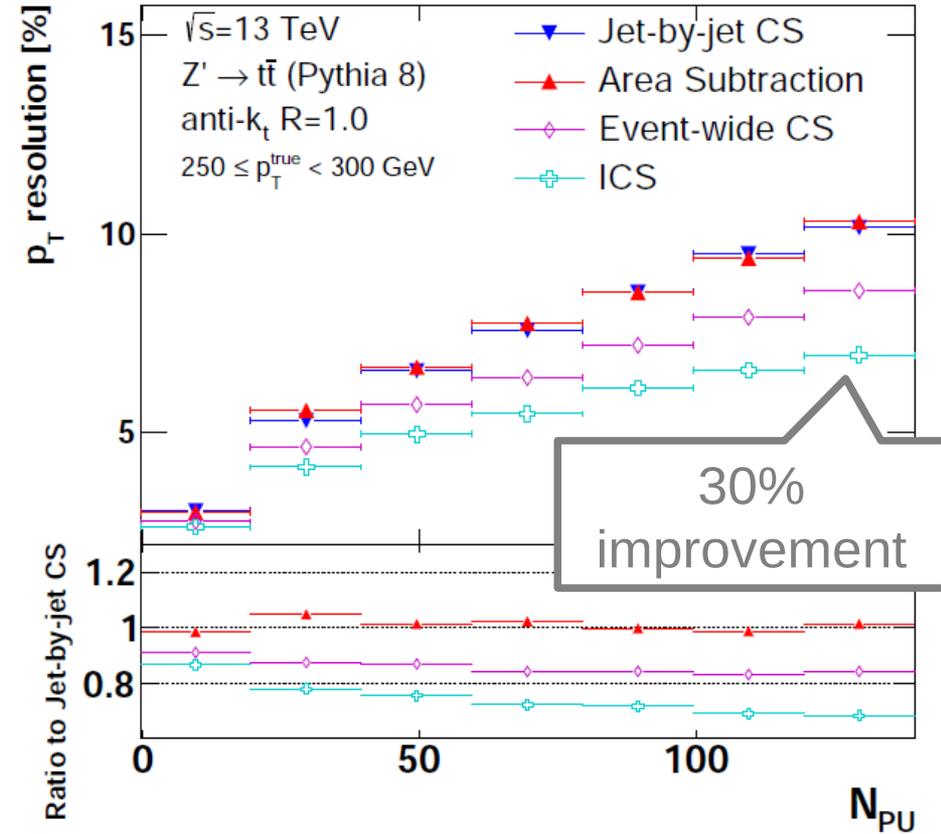
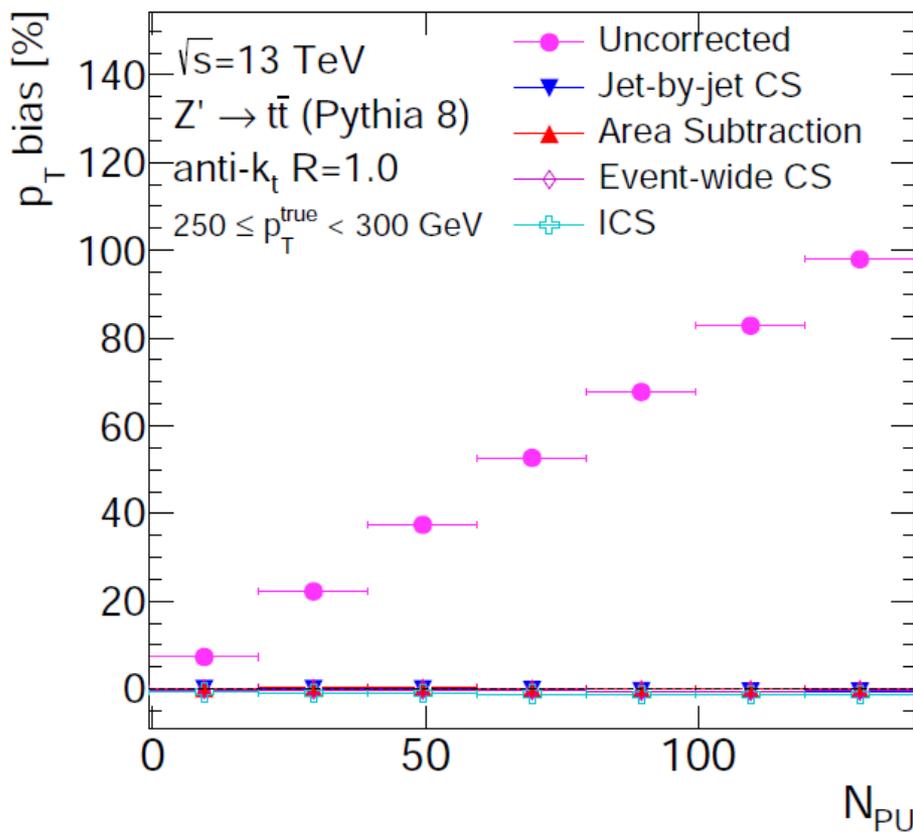
Iterative Constituent Subtraction



- If ΔR_{\max} is finite, spacial fluctuations of background may lead to areas with unsubtracted ghosts
- \Rightarrow perform subtraction iteratively and possibly with different parameters



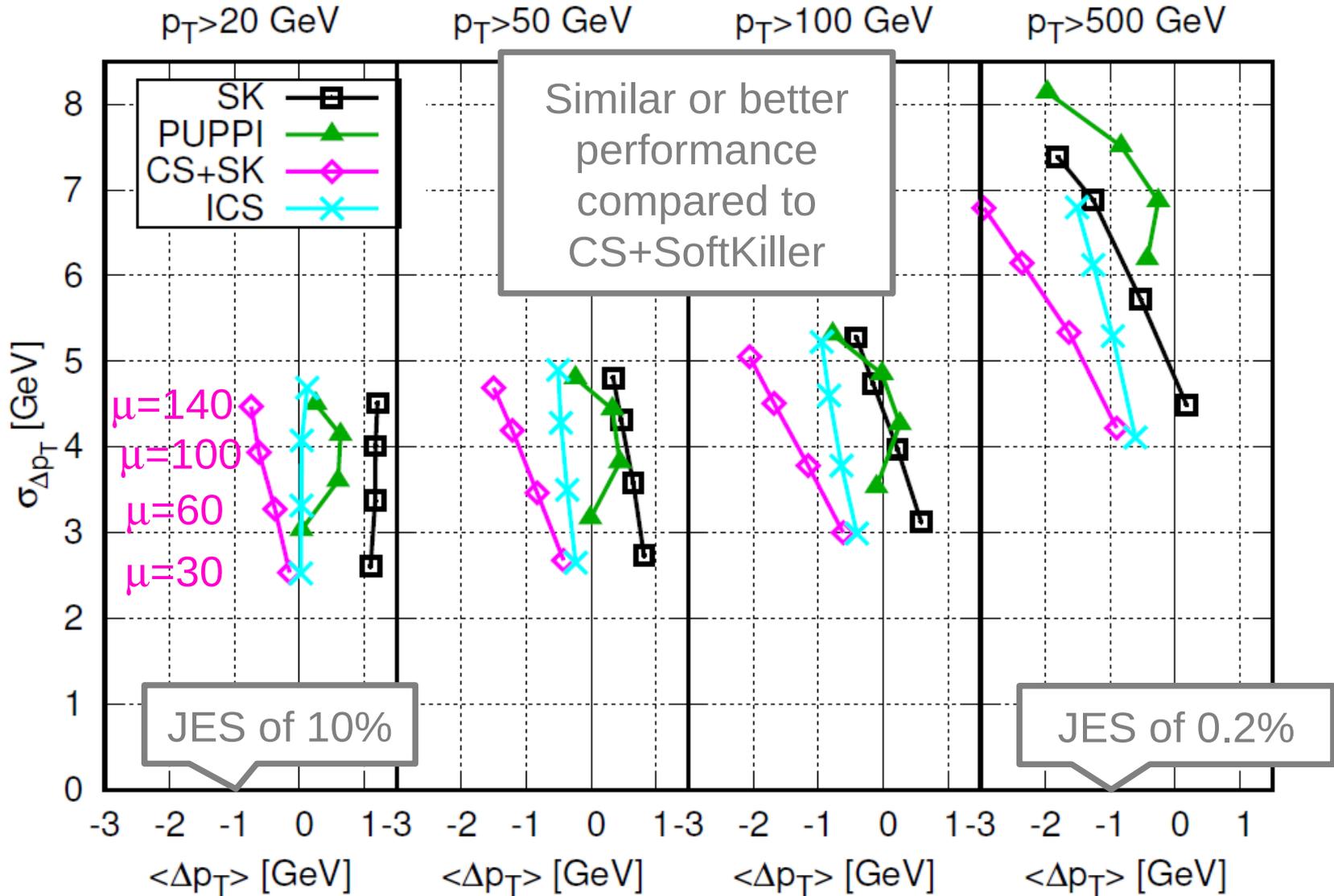
Example of performance



- Significant improvement for jet kinematics and substructure observables.
- Tested for mass, girth, τ_{21} and τ_{32} .



Comparison to other algorithms





Summary

- CS used / tested by ALICE, CMS, ATLAS, STAR, and sPHENIX.
- Iterative Constituent Subtraction:
 - Can be used for **global event observables** such as missing-Et
 - Provides a significantly **improved performance** with respect to Jet-by-jet CS ... **please try**
- Pile-up mitigation:
 - ICS does not use information from charged particles
=> including **charged particles** – next step to explore
- UE subtraction in HI:
 - Can one crossbreed **with other approaches?**
E.g. [arXiv:1904.12815](https://arxiv.org/abs/1904.12815) by Yacine & Alba & Marta
- A guideline for **choice of parameters** provided in Appendix B of [arXiv:1905.03470](https://arxiv.org/abs/1905.03470)
- Hope to continue providing a useful tool with a good support.

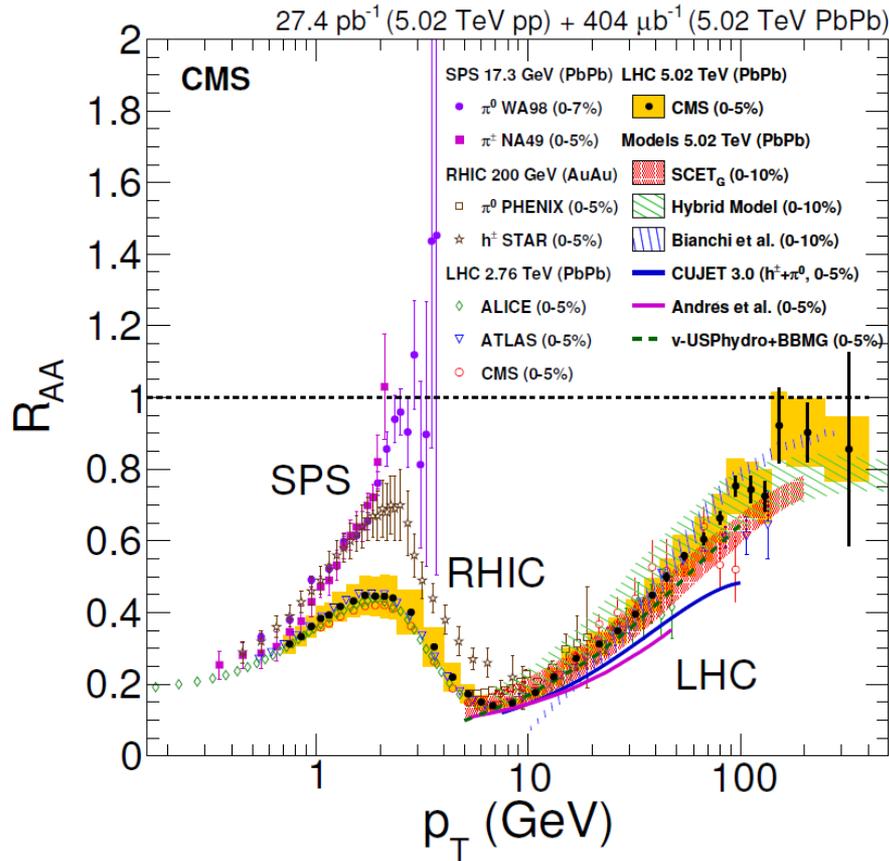


Part II:

Interpreting jet measurements in heavy-ion collisions



Introduction



- Physics of the suppression = **parton energy loss in fluctuating hot nuclear matter**
- => Some observables (I_{AA} , R_{AA} of particles, ...) result from a **complicated convolution** of: hard parton spectra, dependence of the loss on the flavor and parton shower shapes, path-length...
- => All observables are convolutions of (non-trivial) initial conditions and (non-trivial) energy loss



Introduction

Two paths:

- Be as realistic as one can:
 - MC generators
 - JETSCAPE Collaboration
 - theory calculations of parton energy loss



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 - JETSCAPE Collaboration
 - theory calculations of parton energy loss
- Be simple and try to identify what plays a major role for a given observable (e.g. flavor, coherence, path length, fluctuations, ...):
 - theory calculations of parton energy loss
 - parametric modeling of parton energy loss



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– parametric modeling of parton energy loss

Phys.Rev. Lett. 119
(2017) 062302

Phys.Lett B767
(2017) 10

Eur.Phys.J. C76
(2016) no.2, 50

arXiv:1702.01931

arXiv:1906+ ϵ .XXXX



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This talk

– parametric modeling of parton energy loss

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This talk ...



... use a simple model with minimal assumptions on the quenching physics to extract basic properties of the jet quenching

The simplest modeling of parton energy loss



$$\frac{dN}{dp_T^{\text{jet}}} = A \left[f_{q0} \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{n_q} + (1 - f_{q0}) \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{n_g} \right]$$

Jet spectra parameterized by a power law

Fraction of jets of a given flavor (i.e. quark or gluon initiated)

$$f_q \left(p_T^{\text{jet}} \right) = \frac{1}{1 + \left(\frac{1-f_{q0}}{f_{q0}} \right) \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{n_g - n_q}}$$

The simplest parametric modeling of parton energy loss



$$\frac{dn_Q(p_T^{\text{jet}})}{dp_T^{\text{jet}}} = \frac{dn(p_T^{\text{jet}} + S(p_T^{\text{jet}}))}{dp_T^{\text{jet}}} \times \left(1 + \frac{dS}{dp_T^{\text{jet}}}\right)$$

Yield of quenched jets of a given flavor at given p_T

R_{AA} in the approximation of fractional energy loss

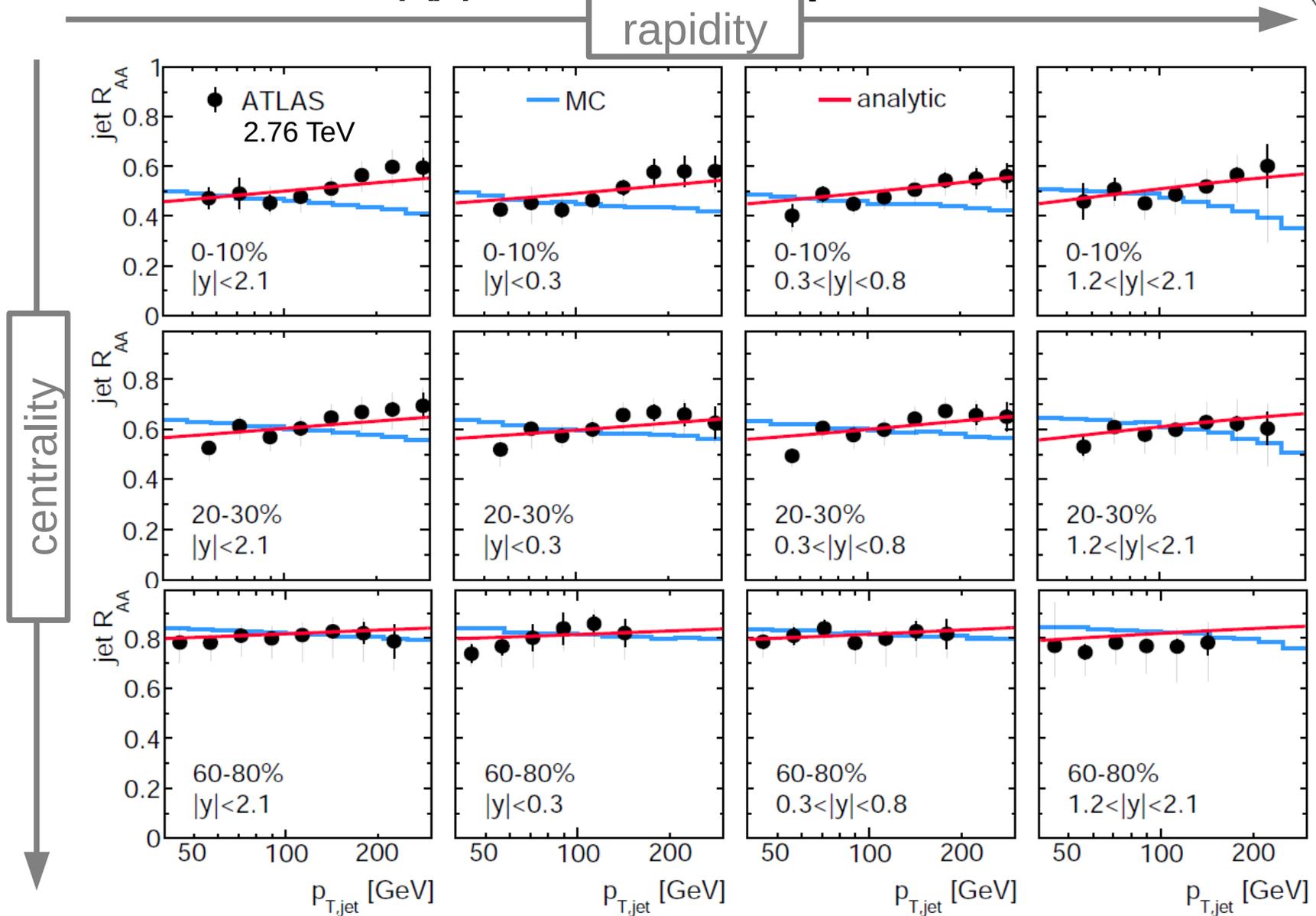
$$S_q \equiv s p_T$$

$$S_g = c_F \times S_q$$

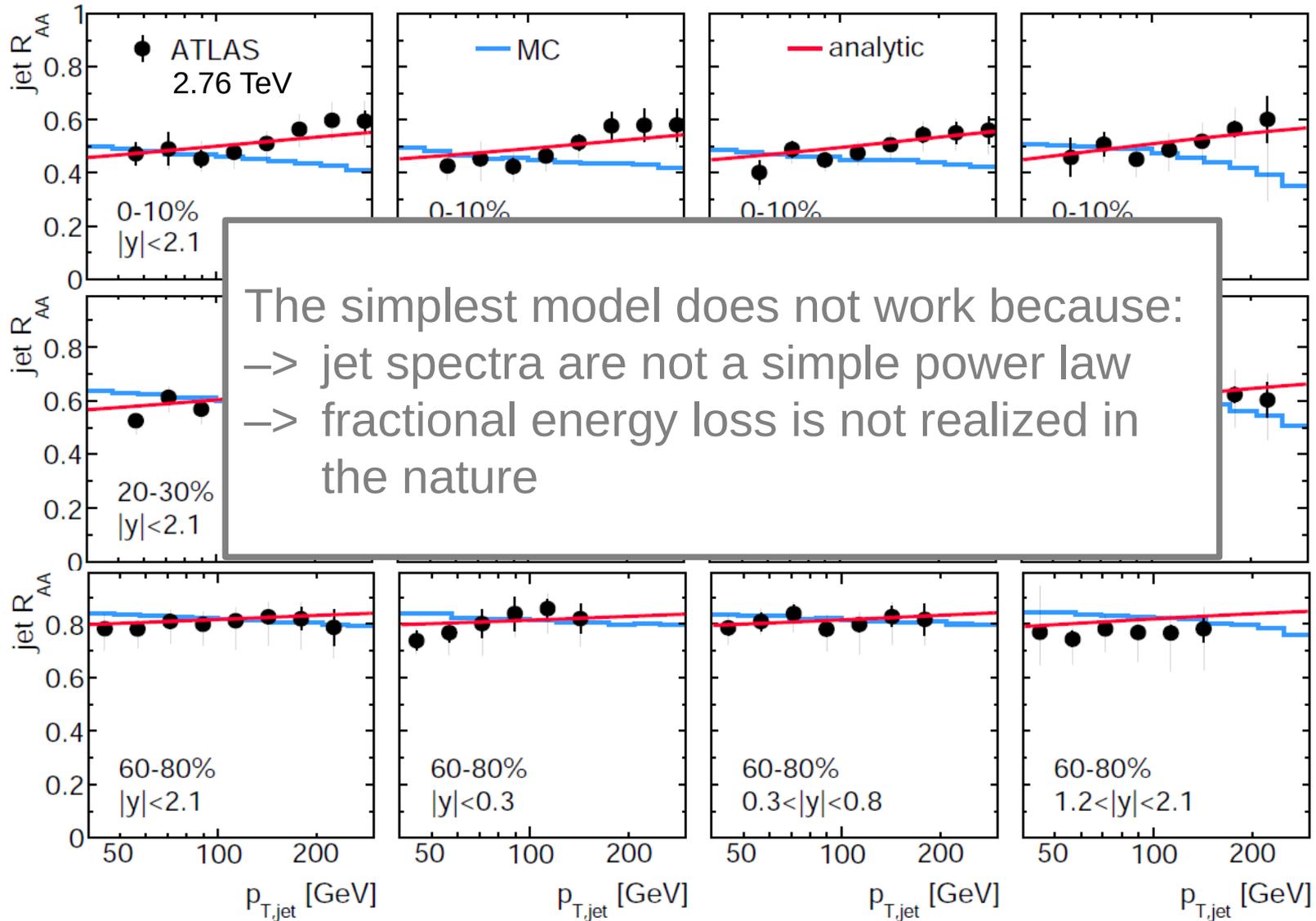
Fractional energy loss

$$R_{AA} = f_q \left(\frac{1}{1 + S_q/p_T^{\text{jet}}} \right)^{n_q} \times \left(1 + \frac{dS_q}{dp_T} \right) + (1 - f_q) \left(\frac{1}{1 + S_g/p_T^{\text{jet}}} \right)^{n_g} \times \left(1 + \frac{dS_g}{dp_T} \right)$$

Jet R_{AA} in the simplest model

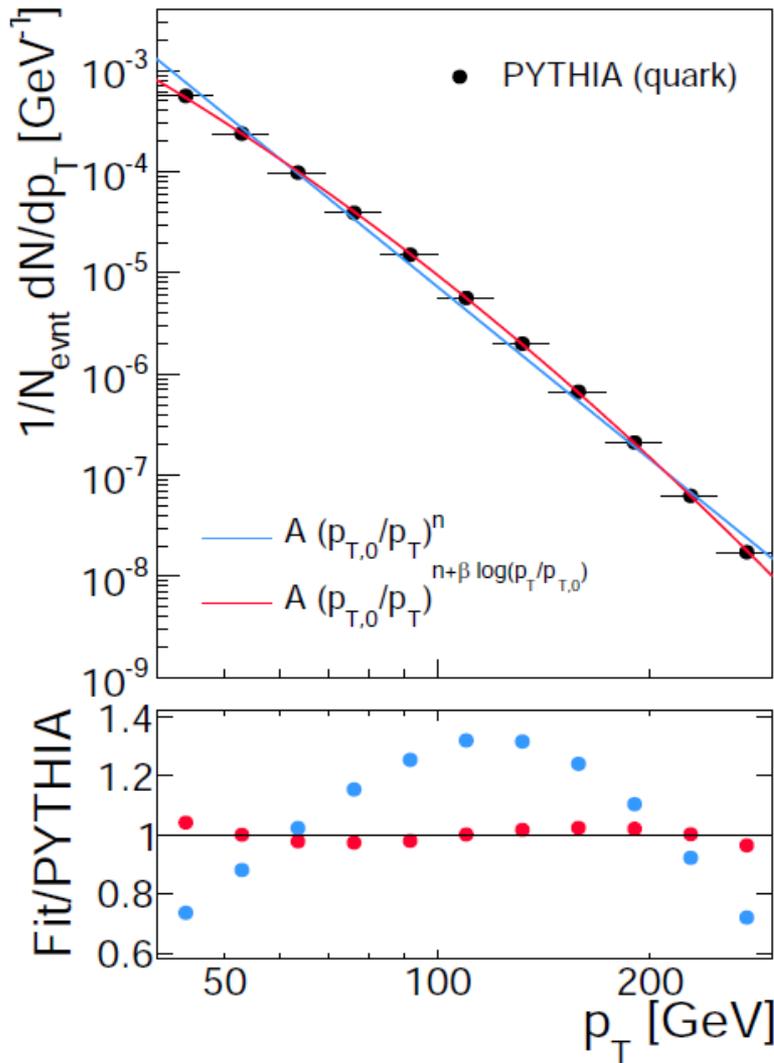


Jet R_{AA} in the simplest model





Realistic parametric model



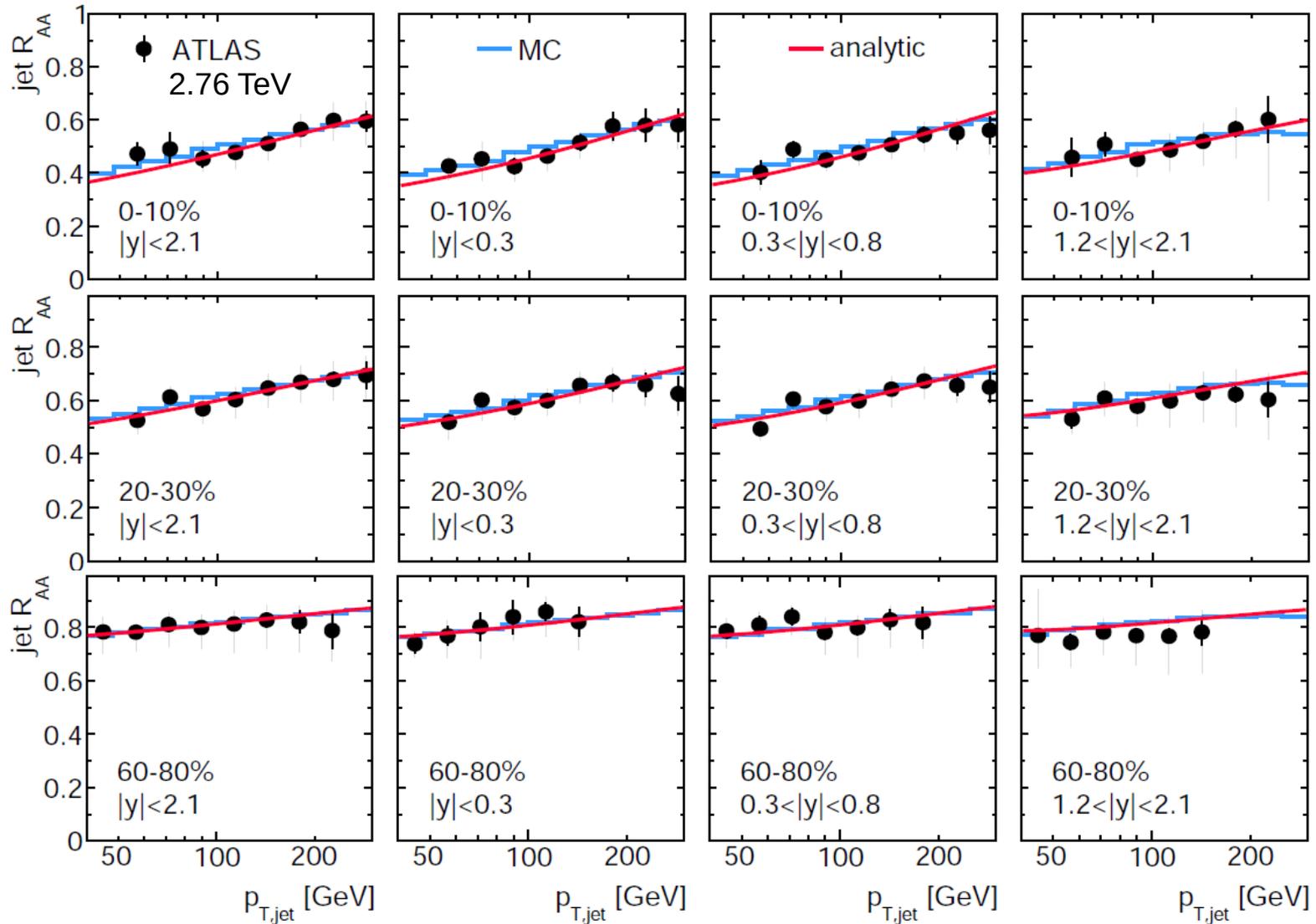
$$\frac{dn}{dp_T^{\text{jet}}} = A \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{n+\beta \log(p_T^{\text{jet}}/p_{T0})}$$

Realistic parameterization of input jet spectra

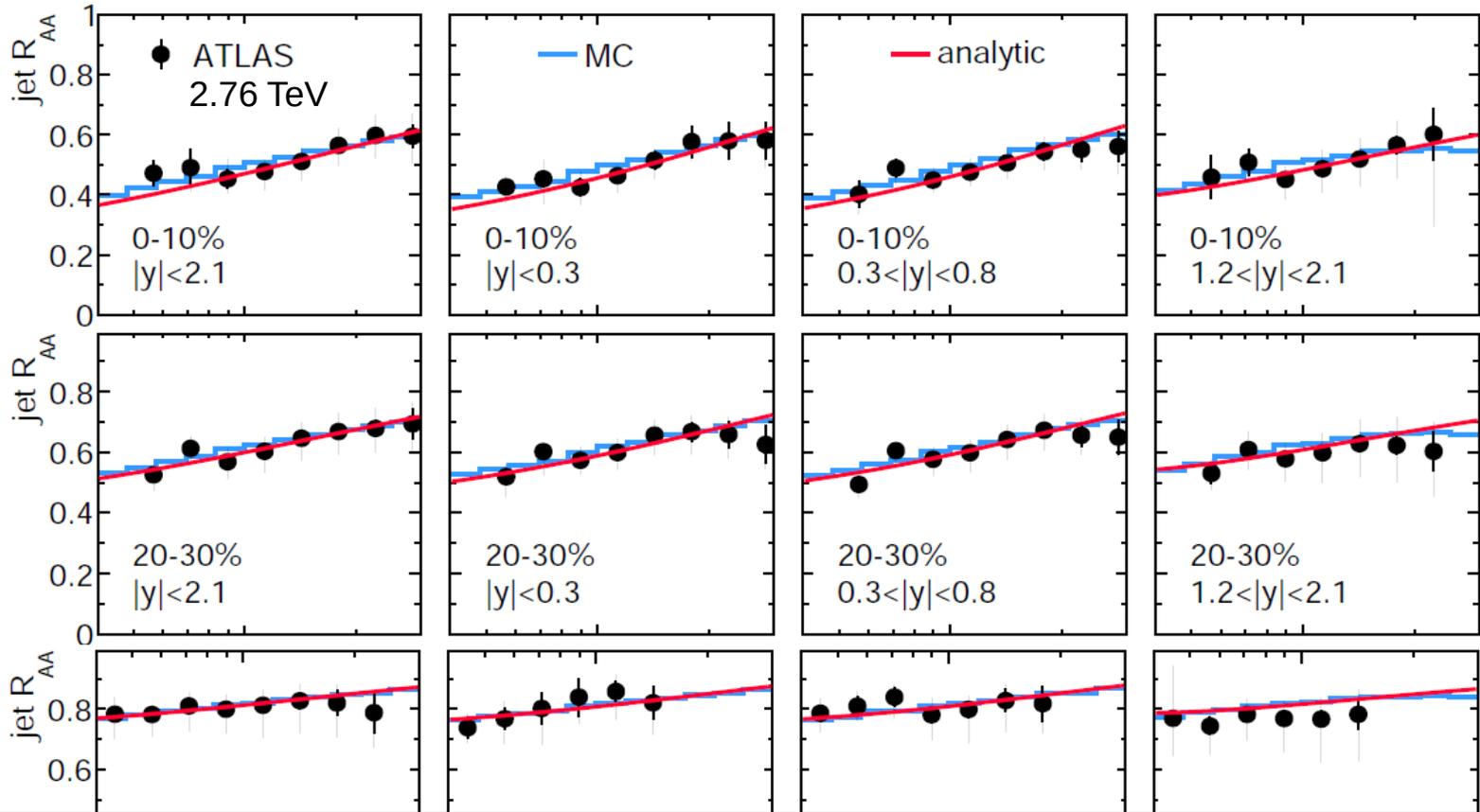
General modeling of jet energy loss

$$S = s' \left(\frac{p_T^{\text{jet}}}{p_{T0}} \right)^\alpha$$

Jet R_{AA} in realistic model



Jet R_{AA} in realistic model



→ Slow evolution with p_T and no rapidity dependence of jet R_{AA} can be interpreted as a result of different energy loss of quark and gluon initiated jets

See also talk by Xin-Nian for similar conclusions within LBT

Quantifying the parton energy loss



$$S_q = s' \left(\frac{p_T^{\text{jet}}}{p_{T,0}} \right)^\alpha \quad S_g = c_F \times S_q$$

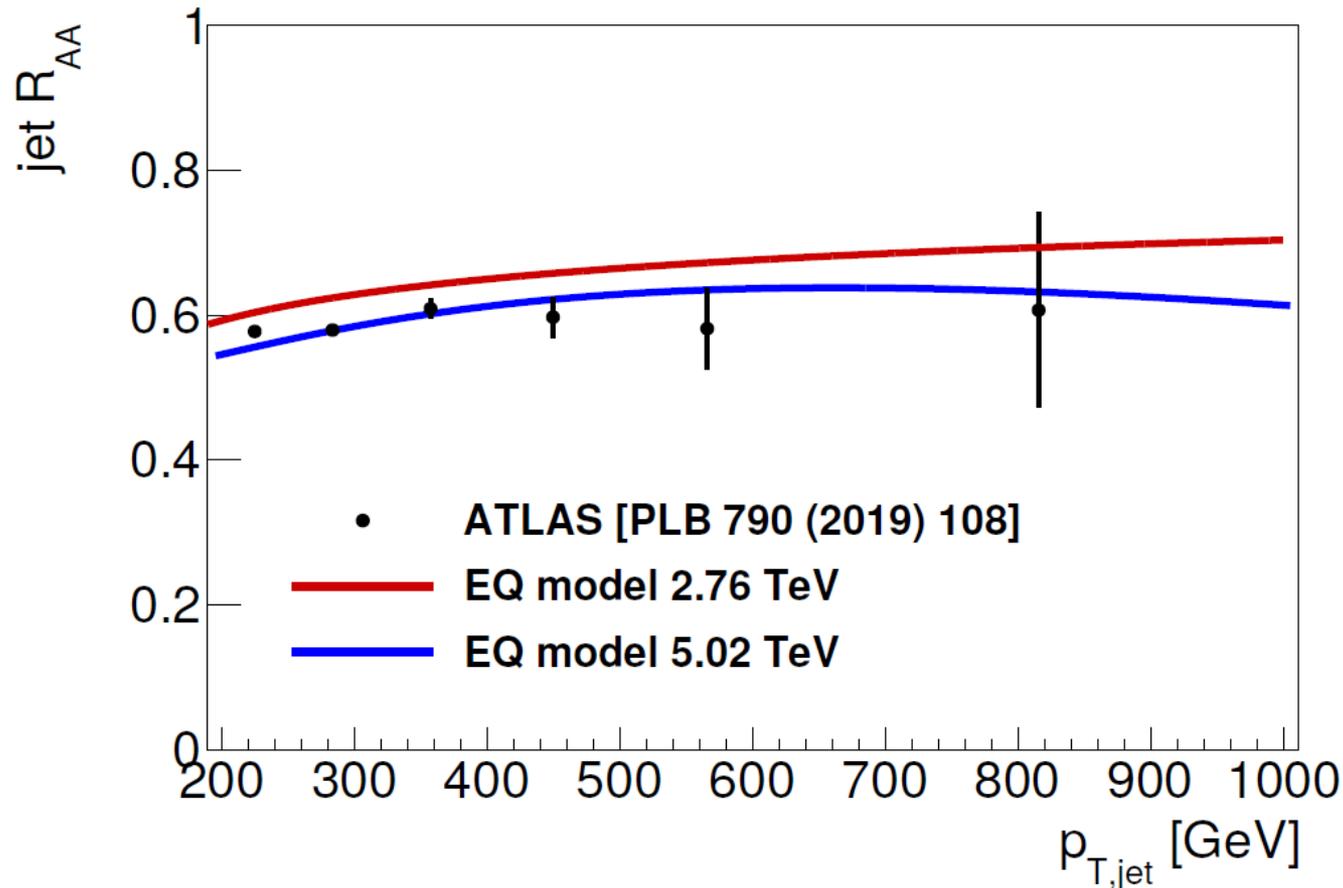
- Use rapidity differential jet R_{AA} measurement to perform a **multidimensional fit** and extract α , s' and c_F simultaneously (Input: **NLO** spectra – POWHEG+PYTHIA8 + 3 variations of PDFs)
- Result:

$s' = x \cdot N_{\text{part}} + y$	$x = (12.3 \pm 1.4) \cdot 10^{-3} \text{ GeV},$ $y = 1.5 \pm 0.2 \text{ GeV}$
α	0.52 ± 0.02
c_F	1.78 ± 0.12

- *Average* jet quenching encapsulated in **4 parameters**.
- Value of c_F seems consistent with the value **in the vacuum** (Useful discussion on c_F also in [arXiv:1812.06019](https://arxiv.org/abs/1812.06019))



5.02 TeV versus 2.76 TeV



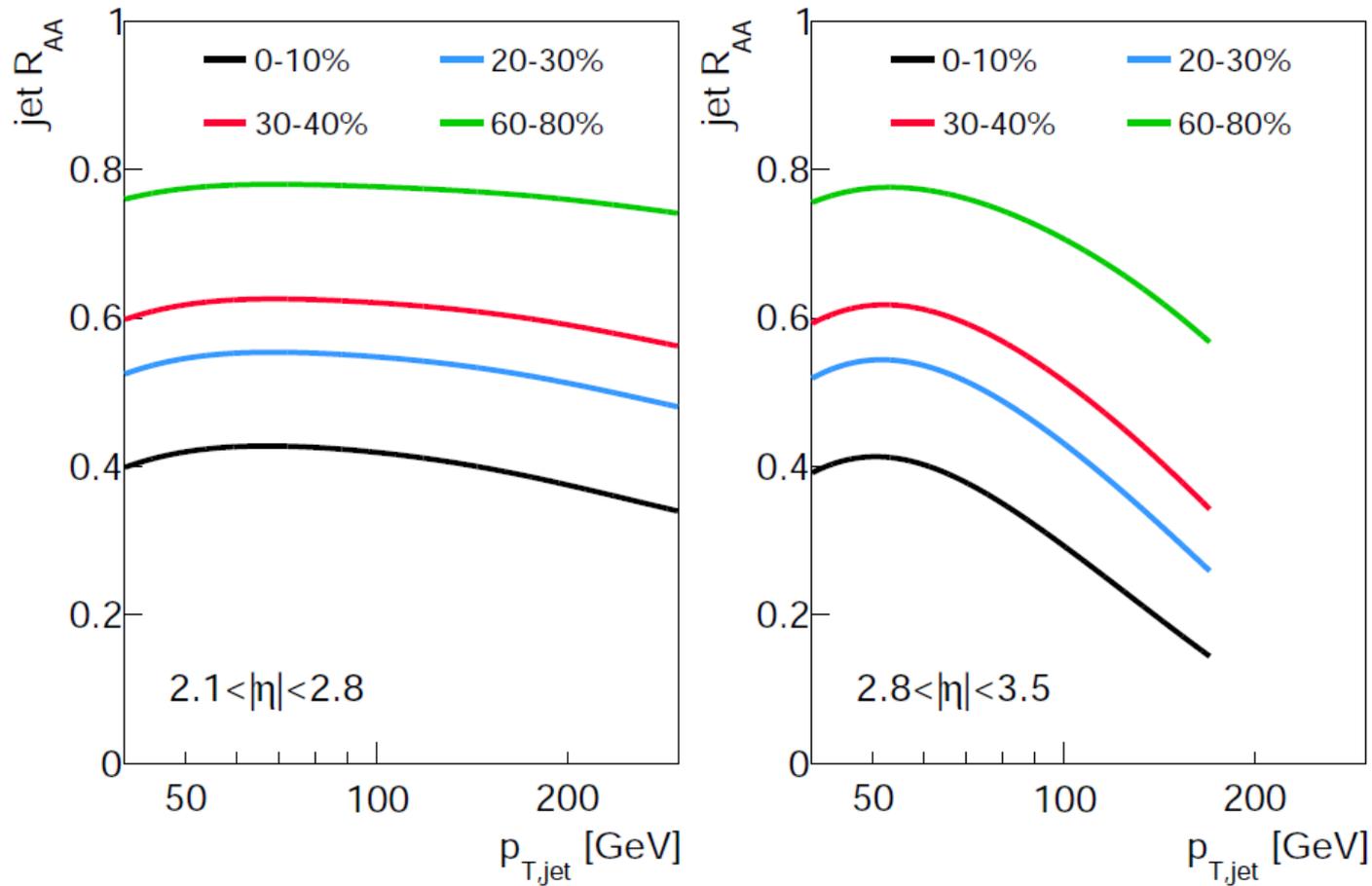
- Same jet R_{AA} ... but that does not imply same energy loss.
- Spectra shape and flavor admixture are different
=> energy loss must be different.
- About 10% larger energy loss at 5.02 TeV compared to 2.76 TeV.



Note

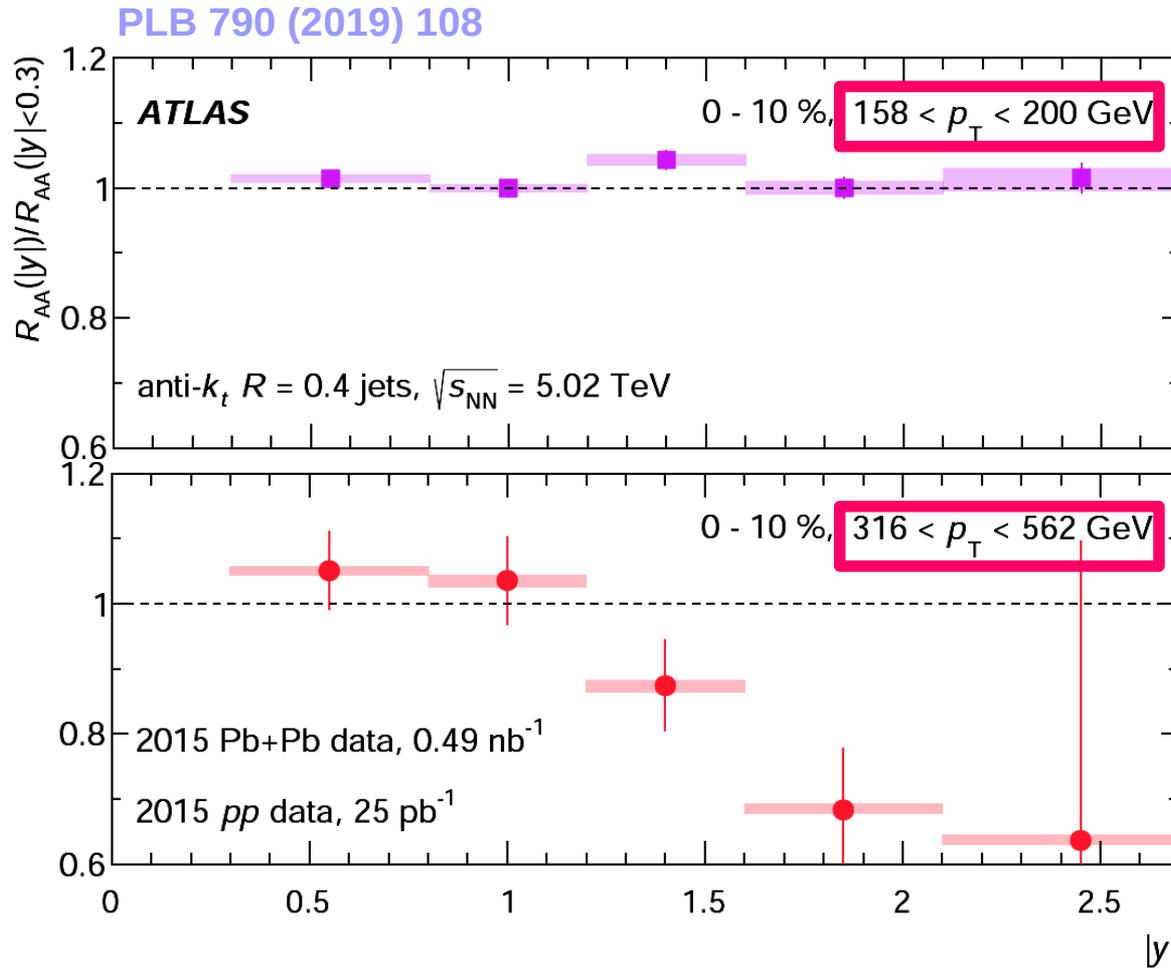
- ... jet R_{AA} ... as a result of different energy loss of quark- and gluon-initiated jets
- Alternative: **shower shape** – wide jets lose more than narrow.
- How to **distinguish**?
- Do as **many comparisons** with data as possible (in the kinematic region insensitive to in-cone radiation / recoil effects). Here:
 - Rapidity dependence of the R_{AA} ,
 - Behavior of the R_{AA} in the forward region,
 - Jet fragmentation,
 - Jet shapes.
- More info in the **backup**: charged particle R_{AA} , b-jet R_{AA} , z_g , high- p_T charmonia, ... and more to come
- Do as many comparisons as possible ... and **look for a failure** (by seeing a failure of the model one can learn new stuff)

Predictions for the forward region



→ The jet R_{AA} **should decrease** in the forward region

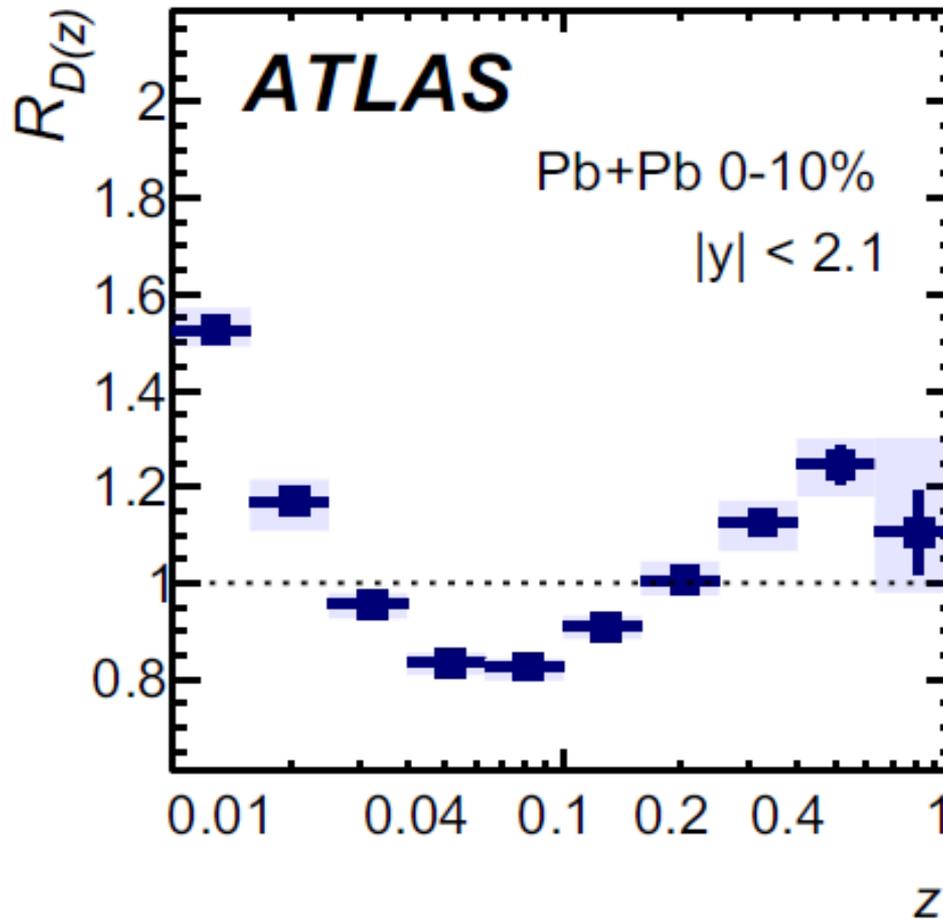
Measurement in the forward region



→ The jet R_{AA} **does decrease** in the forward region



Modification of longitudinal structure of jet (fragmentation function)



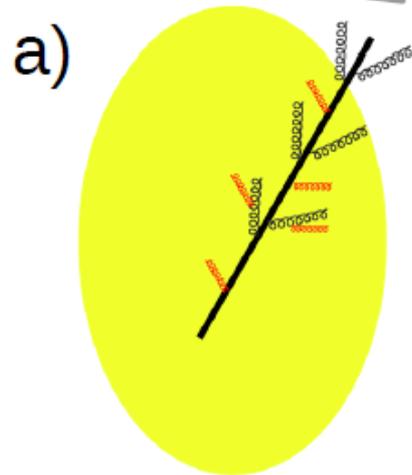
PRC 98 (2018) 024908
EPJC 77 (2017) 379
PRC 90 (2014) 024908
...

Modifications of fragmentation functions



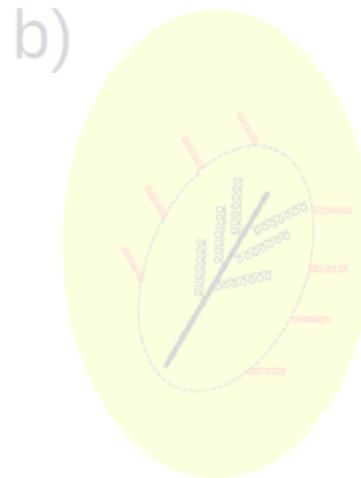
- How is the parton shower modified by the QCD medium?
- Basic picture ...

Black = vacuum component of PS
Red = medium induced radiation



Medium resolves parton shower

e.g.: Phys. Lett. B345 (1995), 277
Nucl. Phys. B582 (2000), 409
Phys. Rev. Lett. 85 (2000), 5535
Phys. Rev. D50 (1994), 1951
JHEP 12 (2001), 009



Emission is coherent

e.g.: Phys. Rev. Lett. 106 (2011)
Phys. Lett. B725 (2013), 357
Phys. Rev. Lett. 111 (2013), 052001

c) = a && b

For some configurations medium resolves parton shower

! d) = a || b || c + more



in-cone radiation
+ jet excites medium =>
"recoiling" particles from the medium

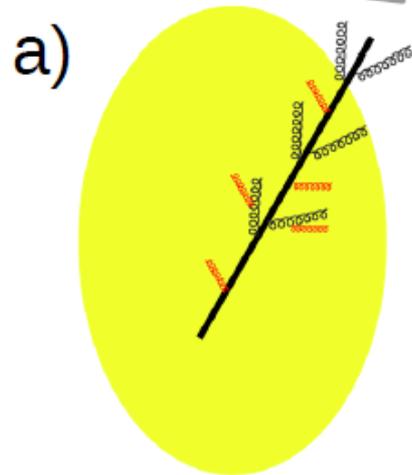
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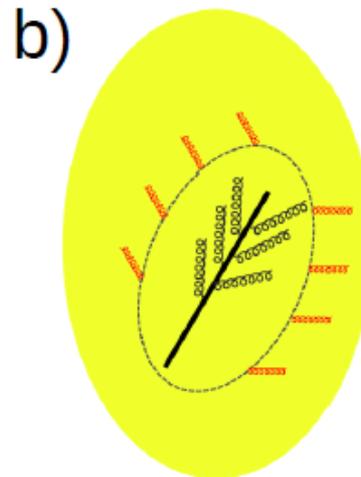
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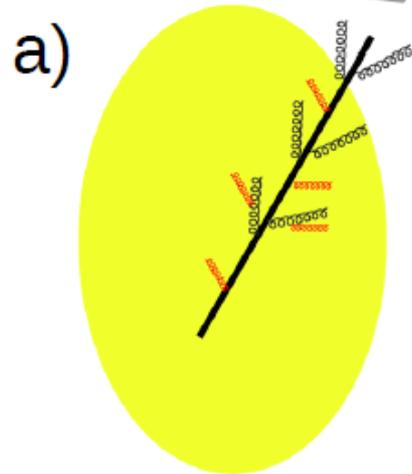
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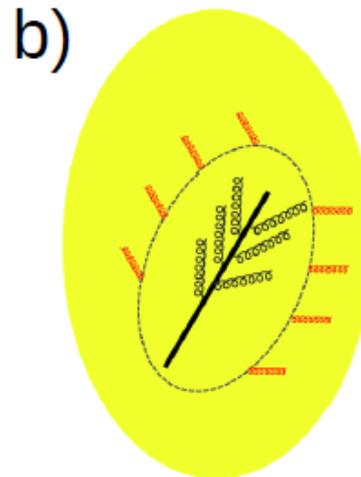
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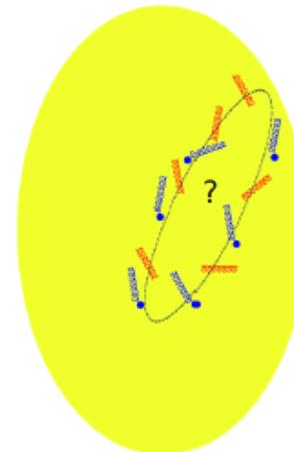
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$$c) = a \ \&\& \ b$$

For some configurations medium resolves parton shower

$$! \textcircled{d) = a \ || \ b \ || \ c + \text{more}}$$



in-red radiation
+ jet excites medium =>
"recoiling" particles from the medium

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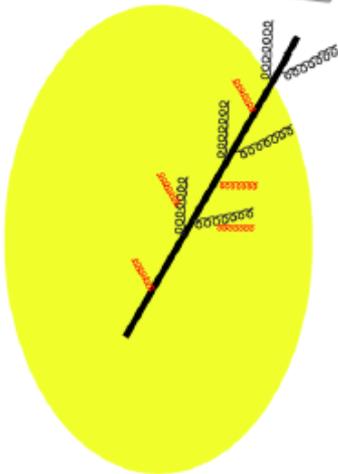
- How is the parton shower modified by the QCD medium?
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Black = vacuum component of F
 Red = medium induced radiation

See e.g. talk by Yacine, Mon

in some configurations medium resolves parton shower

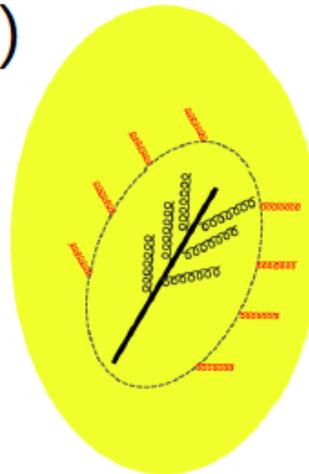
a)



Medium resolves parton shower

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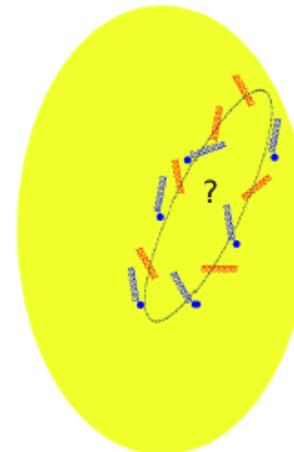
b)



Emission is coherent

e.g.: Phys. Rev. Lett. 106 (2011)
 Phys. Lett. B725 (2013), 357
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! (d) = a || b || c + more



in-cone radiation
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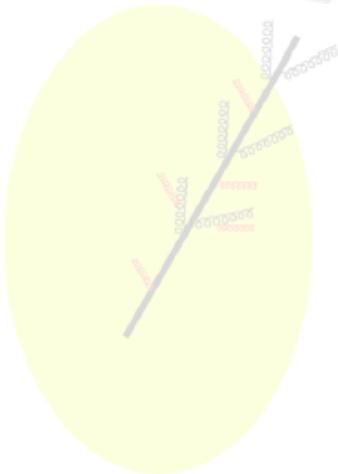
Modifications of fragmentation functions



→ Subtract the energy from the jet / initial parton and then let it fragment as in the vacuum

Red = medium induced radiation

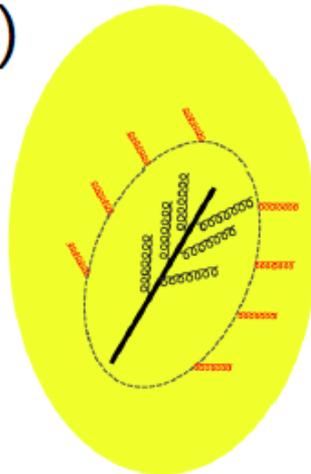
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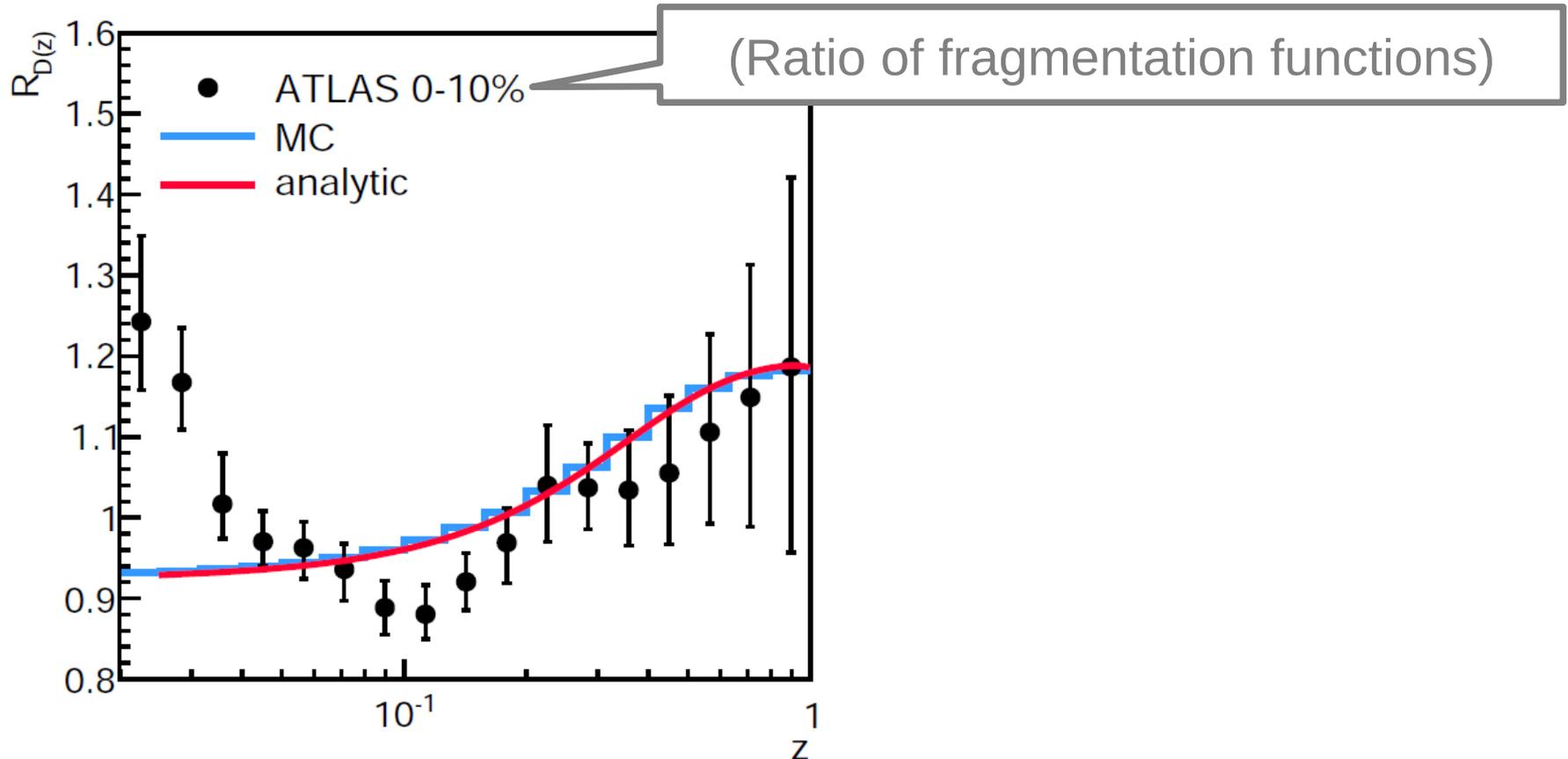
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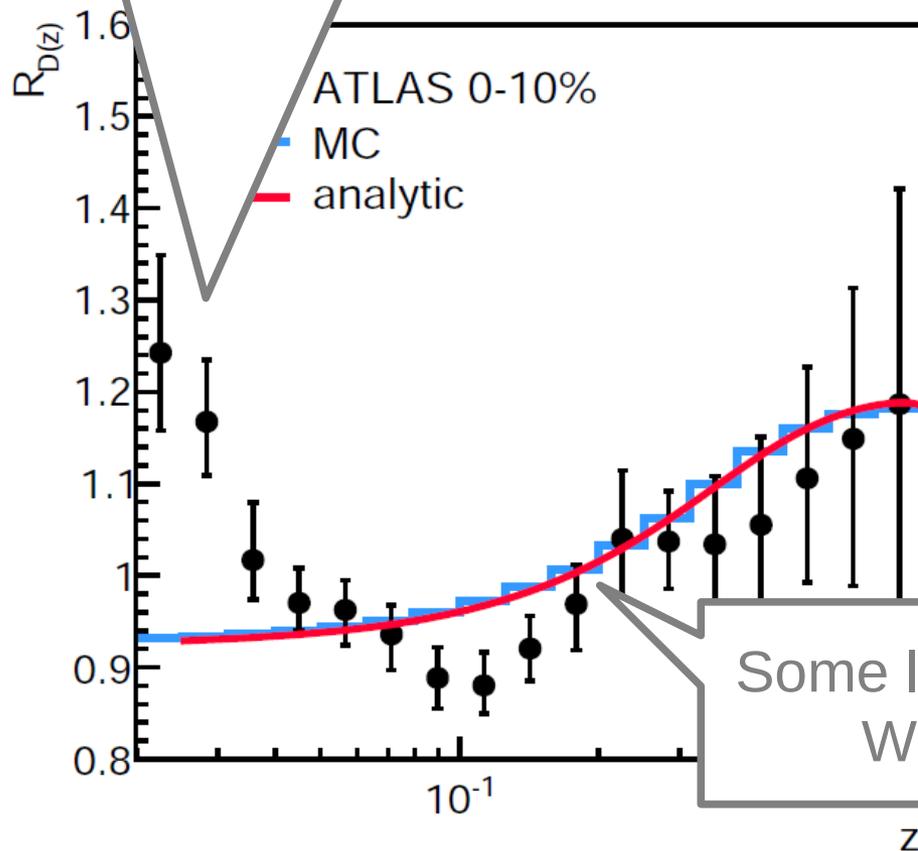


Modifications of fragmentation functions



Excess of low- z not due to flavor effects (due to in-cone radiation or recoil effects)

the jet / initial parton and the vacuum



→ Structure seen at intermediate and high- z is due to the difference in quenching of quark and gluon initiated jets

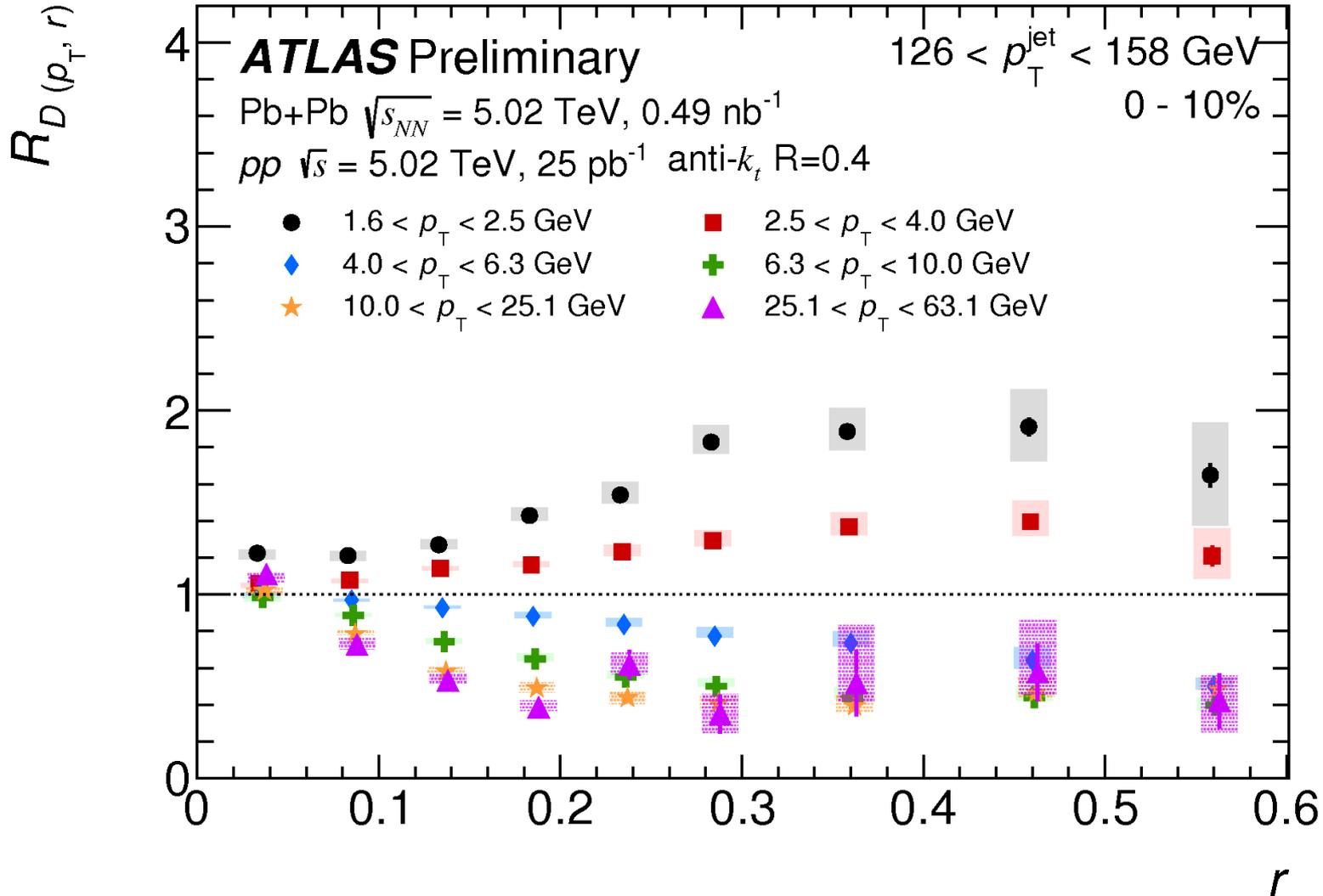
→ Speaks in favor of presence of color coherence effects in the data

Some level of disagreement?
Will get back to it ...

Transverse structure of jet (jet shape)



ATLAS-CONF-2018-010, JHEP 05 (2018) 006



Modification of the jet shape



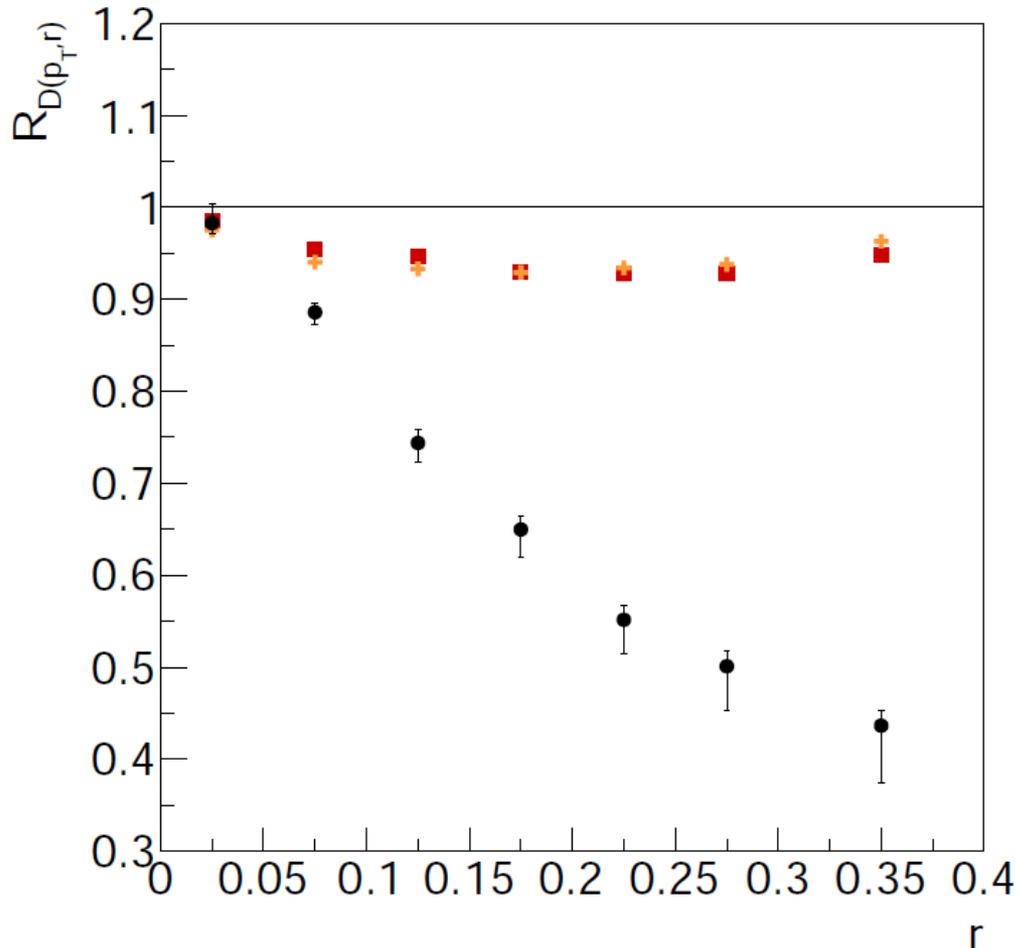
- > Subtract the energy from the jet / initial parton and then let it fragment as in the vacuum



Modification of the jet shape

$126 < p_{T,\text{jet}} < 158 \text{ GeV}$

$6.3 < p_T^{\text{ch}} < 10.0 \text{ GeV}$



■ Pythia8

+ Herwig7

● ATLAS Preliminary

- **$r < 0.05$** : values well reproduced (for all p_T^{ch} bins)

- **$r > 0.05$** : trends similar but magnitude very different ...
... two particular possibilities:

- 1) **Input spectra** are not well modeled (sub-dominant contributions to jet p_T)

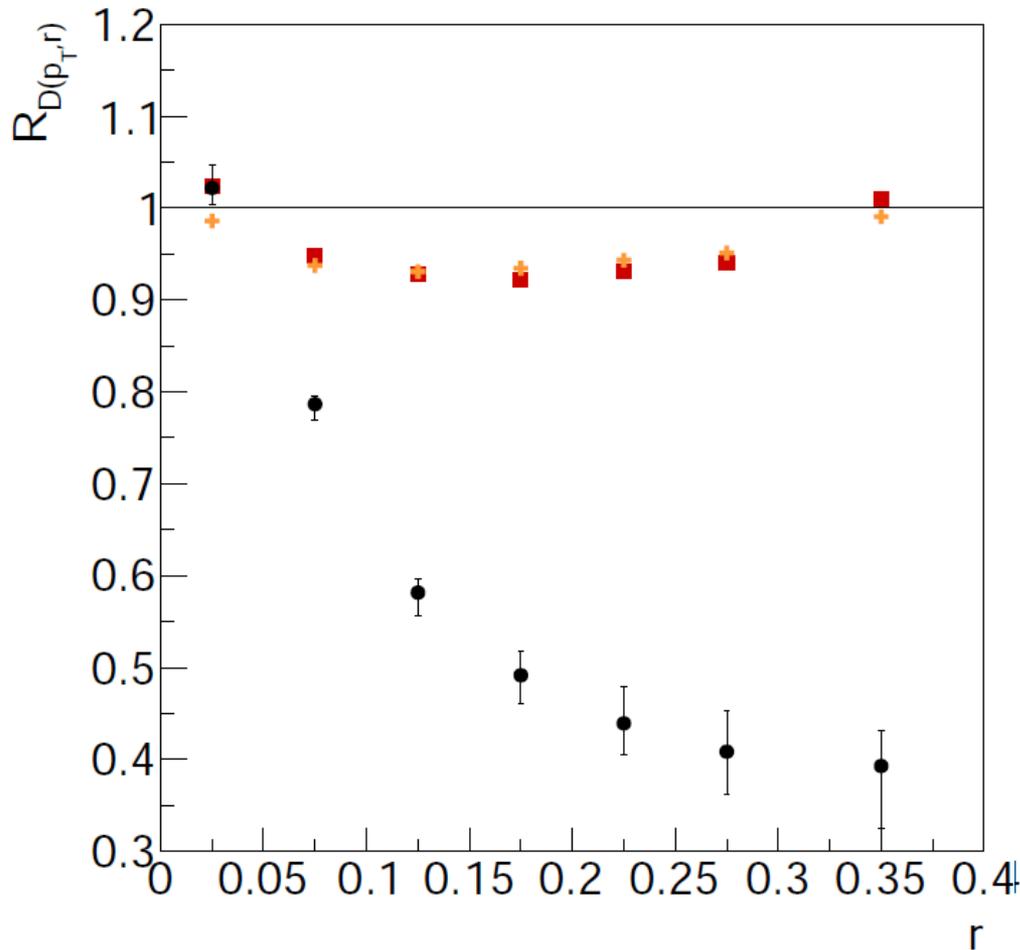
- 2) **Coherent picture** breaks for $\sim 100 \text{ GeV}$ jets at $r \sim 0.05$



Modification of the jet shape

$126 < p_{T,\text{jet}} < 158 \text{ GeV}$

$10 < p_T^{\text{ch}} < 26 \text{ GeV}$



- Pythia8
- + Herwig7
- ATLAS Preliminary

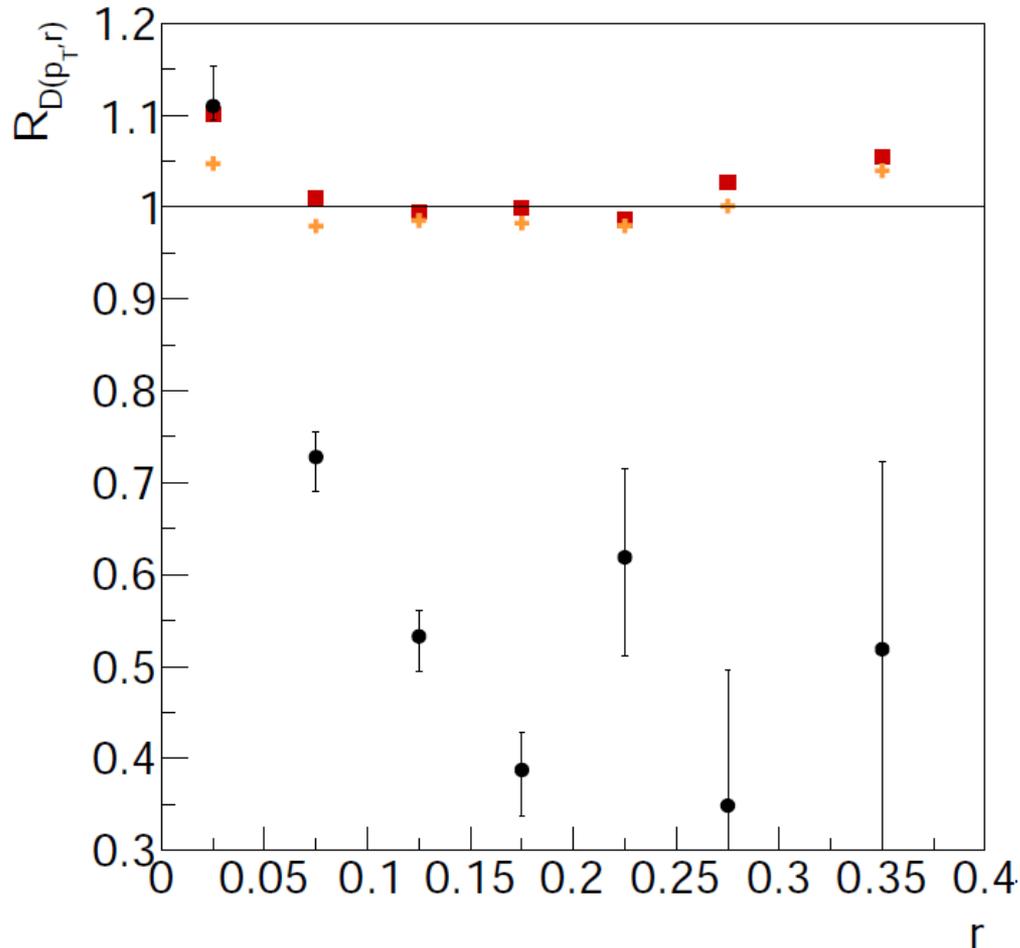
- **$r < 0.05$** : values well reproduced (for all p_T^{ch} bins)
- **$r > 0.05$** : trends similar but magnitude very different ...
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Modification of the jet shape

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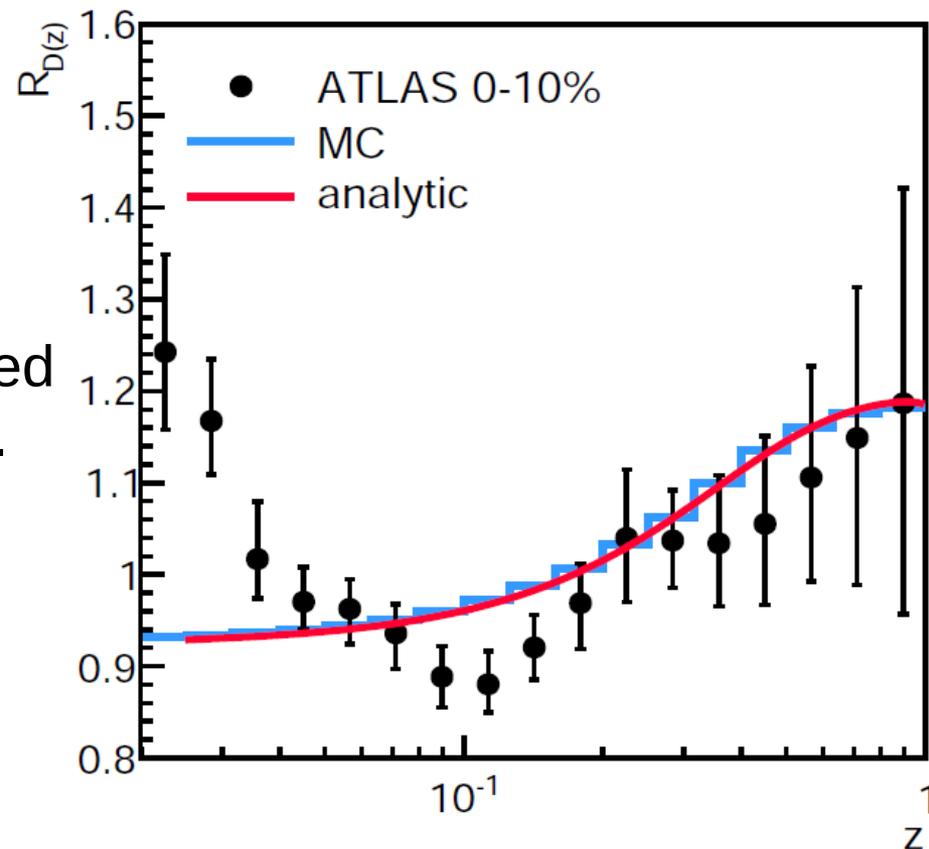
Modifications of fragmentation functions – a detail



Excess of low- z not due to flavor effects (due to in-cone radiation or recoil effects)

- These low- z hadrons contribute to the measured jet energy. Parameter s' contains this soft part.
- Soft part contributes to the measured fragmentation via denominator of z .

$$p_{T,\text{jet}}^{\text{measured}} = p_{T,\text{jet}}^{\text{quenched}} + p_T^{\text{soft}}$$



Modifications of fragmentation functions – a detail

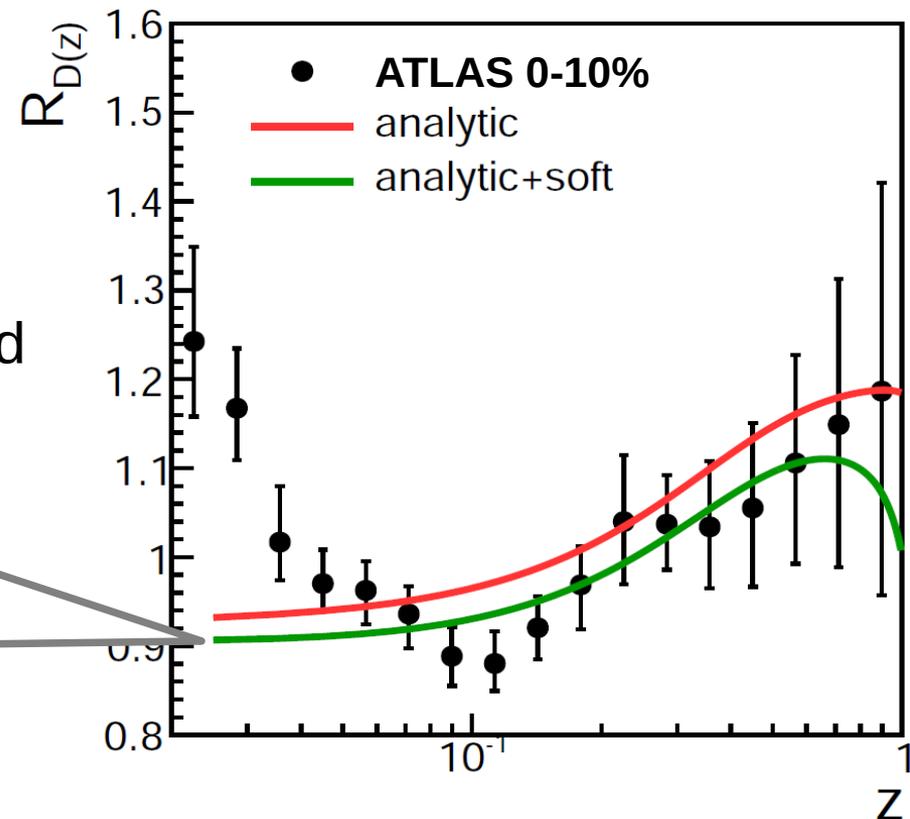


Excess of low- z not due to flavor effects (due to in-cone radiation or recoil effects)

- These low- z hadrons contribute to the measured jet energy. Parameter s' contains this soft part.
- Soft part contributes to the measured fragmentation via denominator of z .

Contribution of soft hadrons to the jet energy can be estimated from the measurement at low- z
=> fragmentation distributions w/ correct soft contribution

$$p_{T,\text{jet}}^{\text{measured}} = p_{T,\text{jet}}^{\text{quenched}} + p_T^{\text{soft}}$$

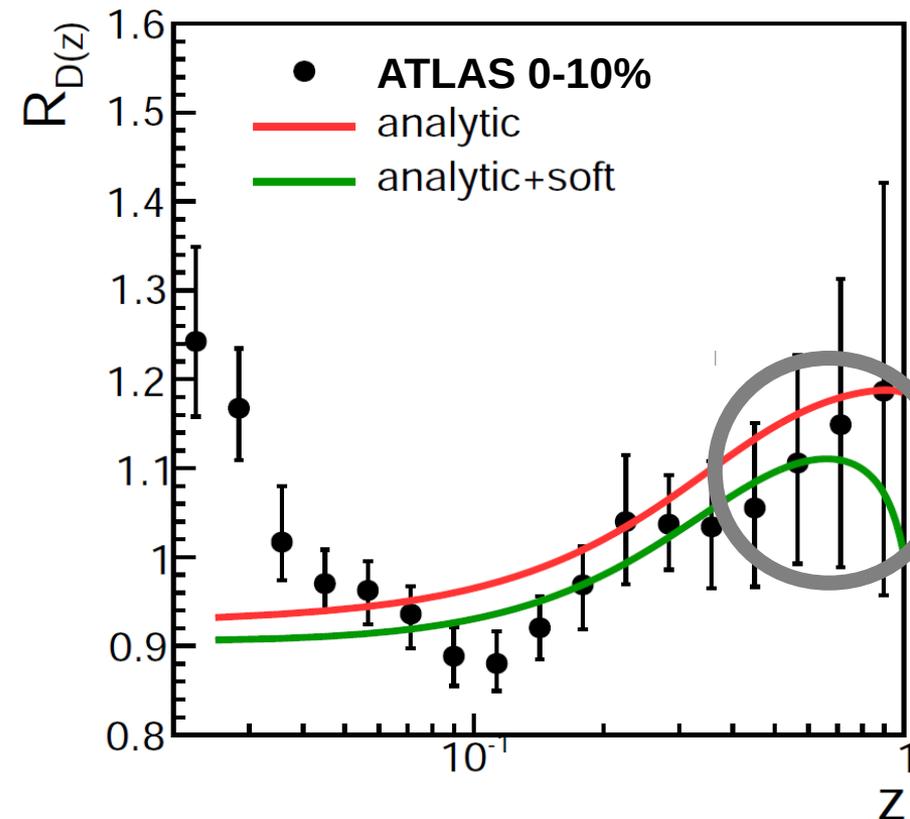


Modifications of fragmentation functions – a detail



→ Prediction: detailed measurement of fragmentation at the highest- z (or lowest- ξ) should exhibit a depletion

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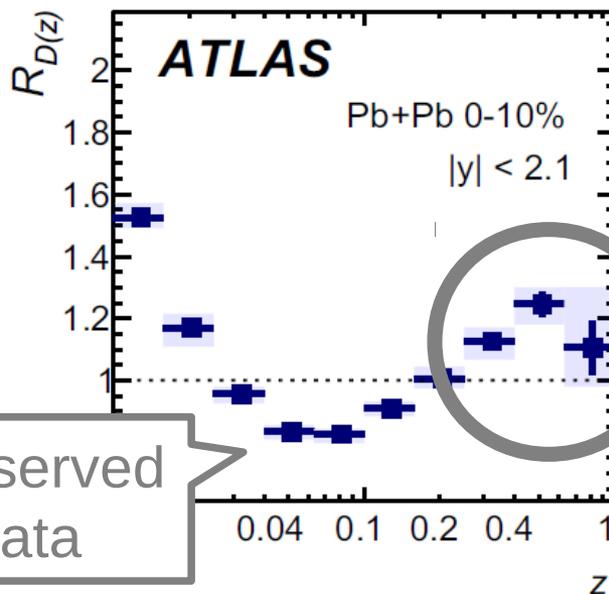


Modifications of fragmentation functions – a detail

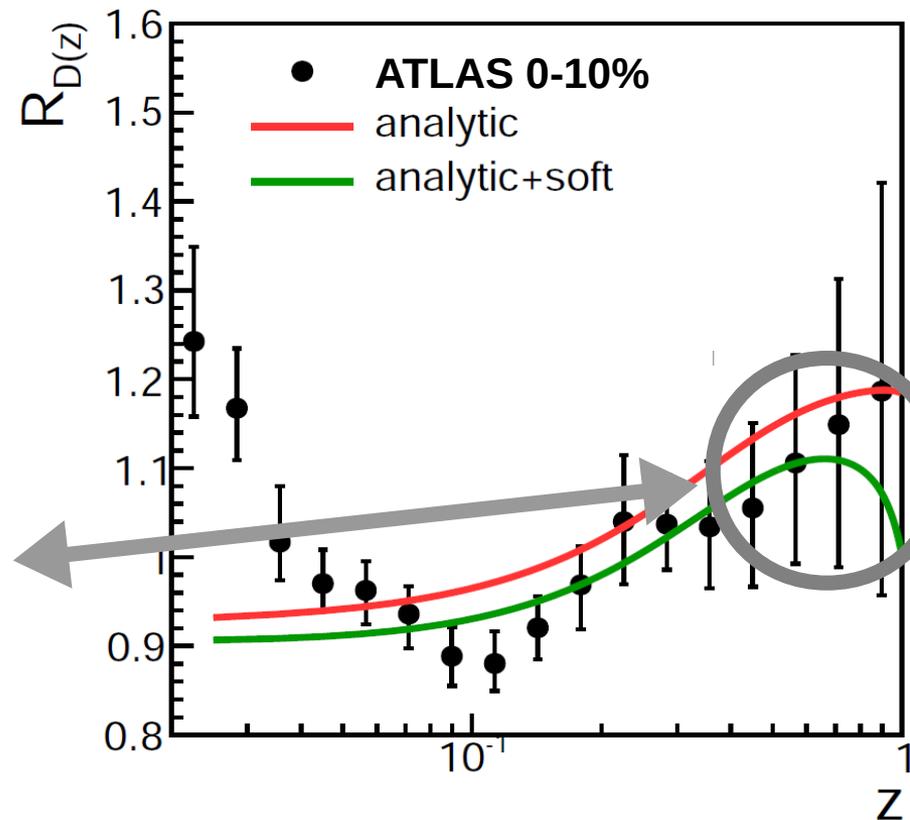


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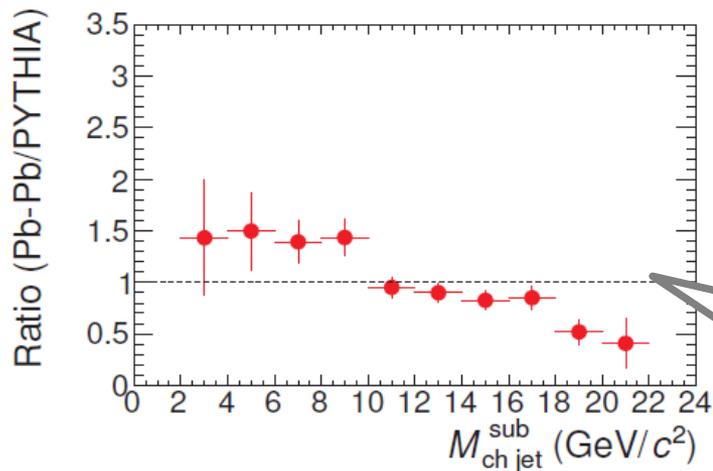
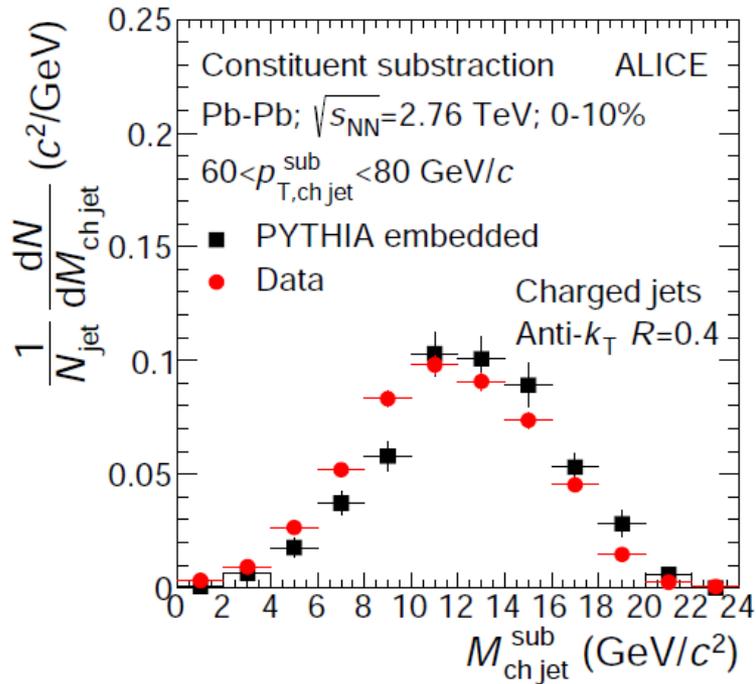
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Seems observed in the data

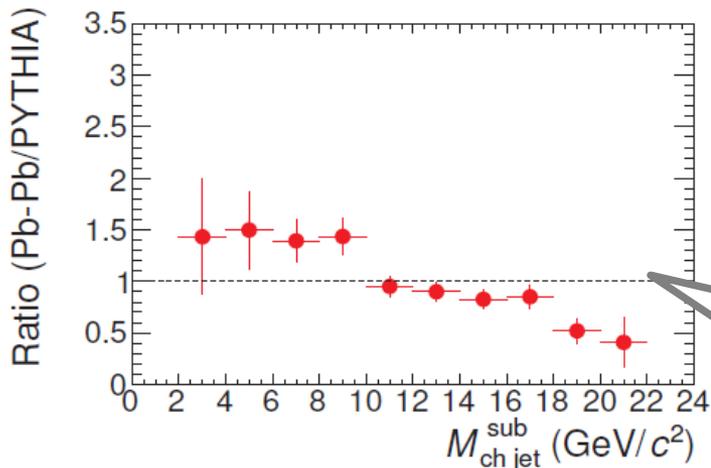
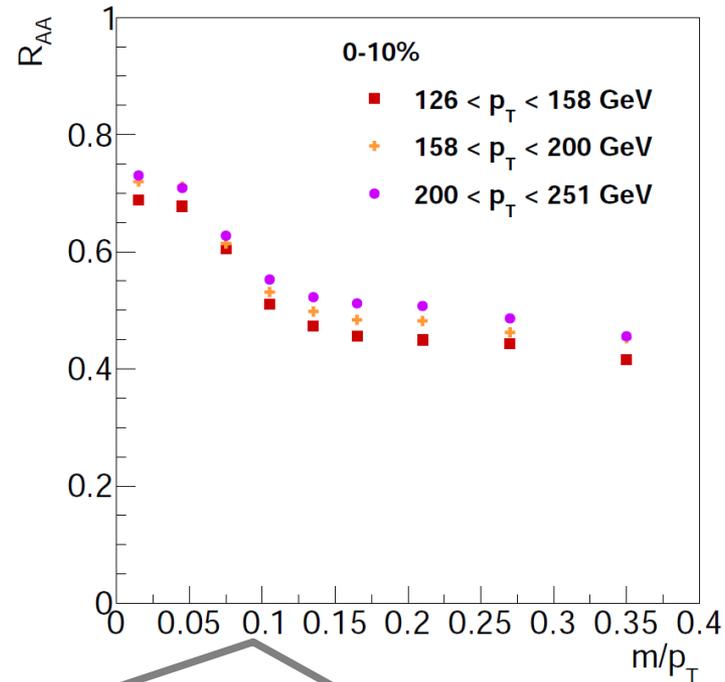
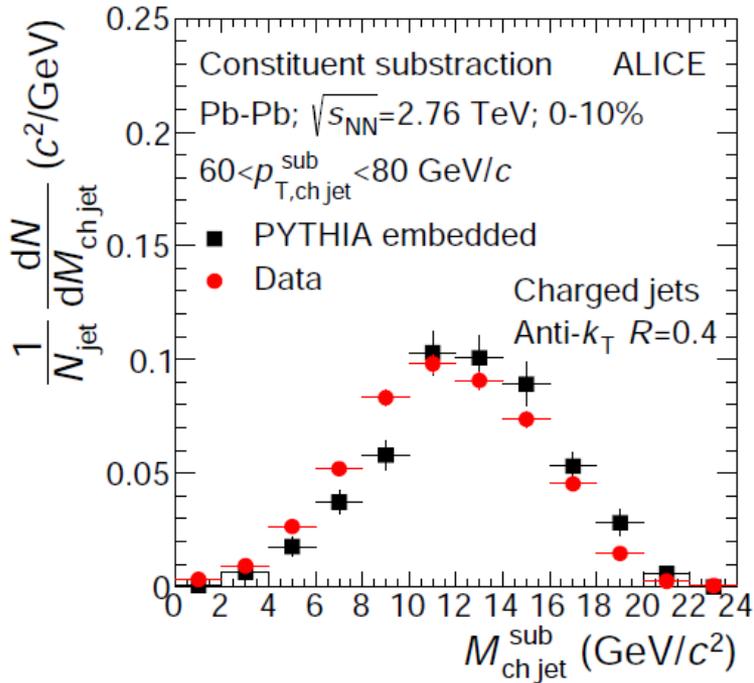


Example of other observables: non-groomed jet mass



A hint of possible shift to lower jet mass values seen in the data

Example of other observables: non-groomed jet mass



... but rather complicated observable:
significant flavor dependence +
dependence on recoil at low- p_T

A hint of possible shift to
lower jet mass values seen in
the data



Summary

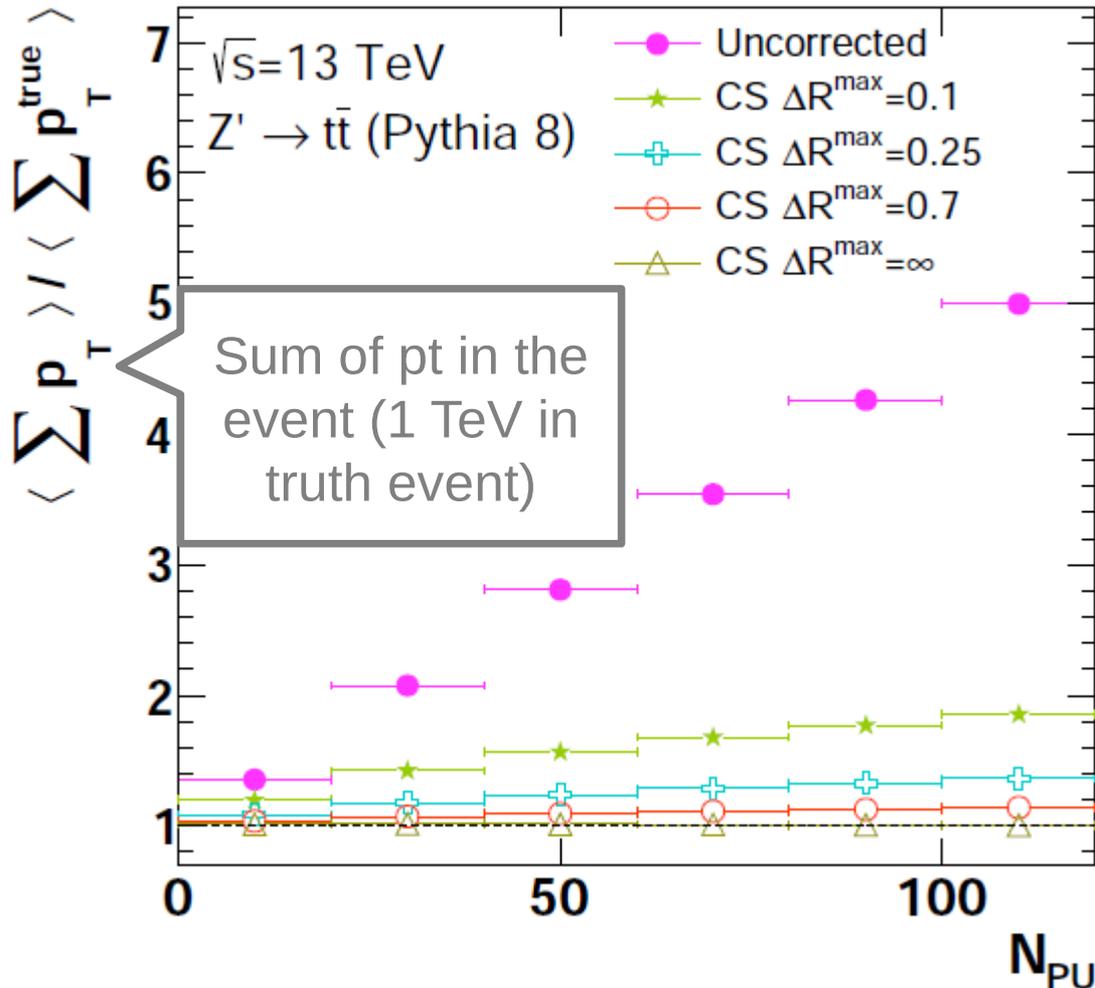
- **Flavor** dependence of the jet quenching seems to drive quite a lot of what we see in the data.
- **Coherence** effects seem to be important, but for jets with $p_t \sim 100$ GeV they seem to **break at $r \sim 0.05$** .
- **Recoil** (or in-cone radiation) can modify kinematic regions where one would not expect that (e.g. high- z fragmentation).
- **Precision** is really needed:
 - precision **data** are needed **to understand details** (recoil via high- z fragmentation, jet shapes at low r ; flavor via V-jets).
 - precision **MC** is needed to have the **reference under the control**.
- Perhaps one has already sufficient information at hand **with longitudinal & transverse structure** of the jet, esp. if they are done more differentially and fully corrected to particle level. Perhaps new substructure observables are not critically need.
- (More info in the backup.)



Slides with more
information



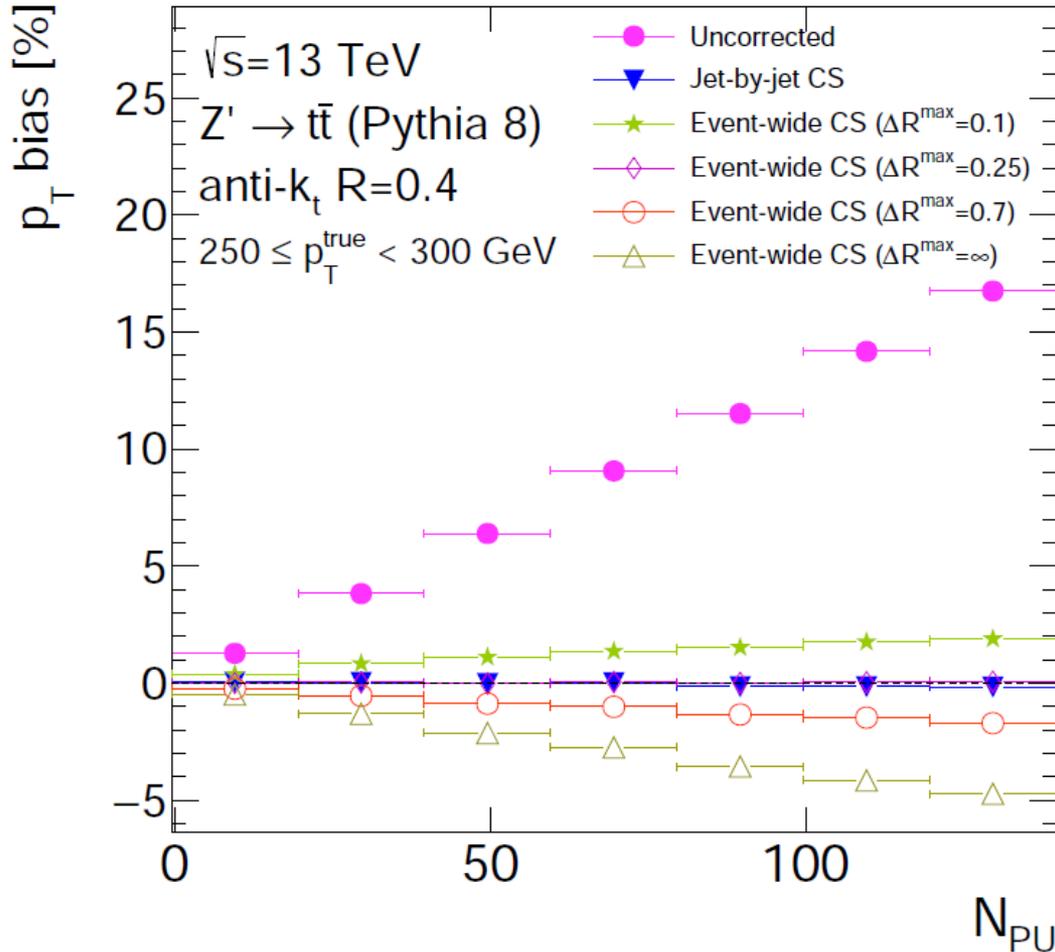
Event-wide subtraction



- Idea: **first subtract** and only **then cluster**.
- Jet clustering is **less biased** after whole event correction.
- Improved performance wrt Jet-by-jet CS (not shown here).
- Can be used for **global event observables** such as missing-Et.

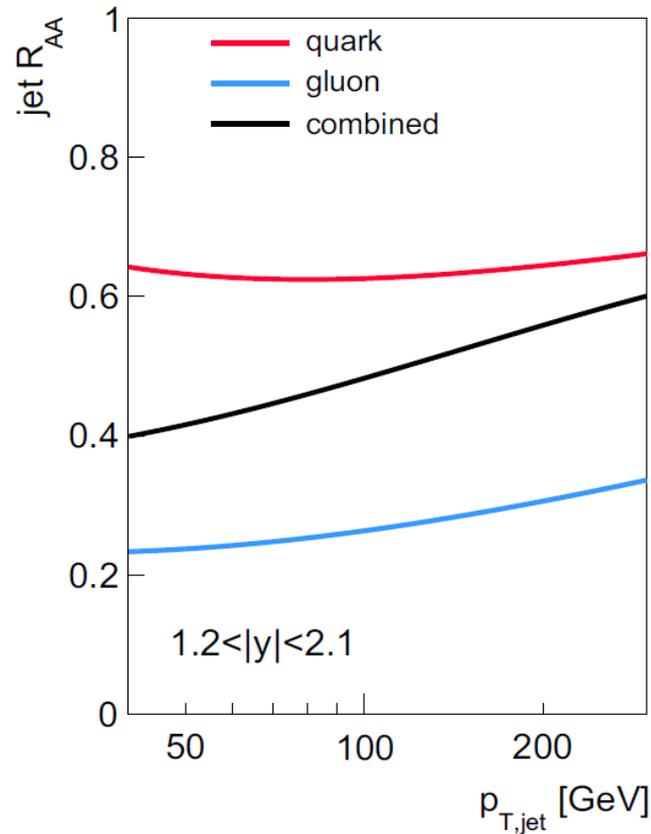
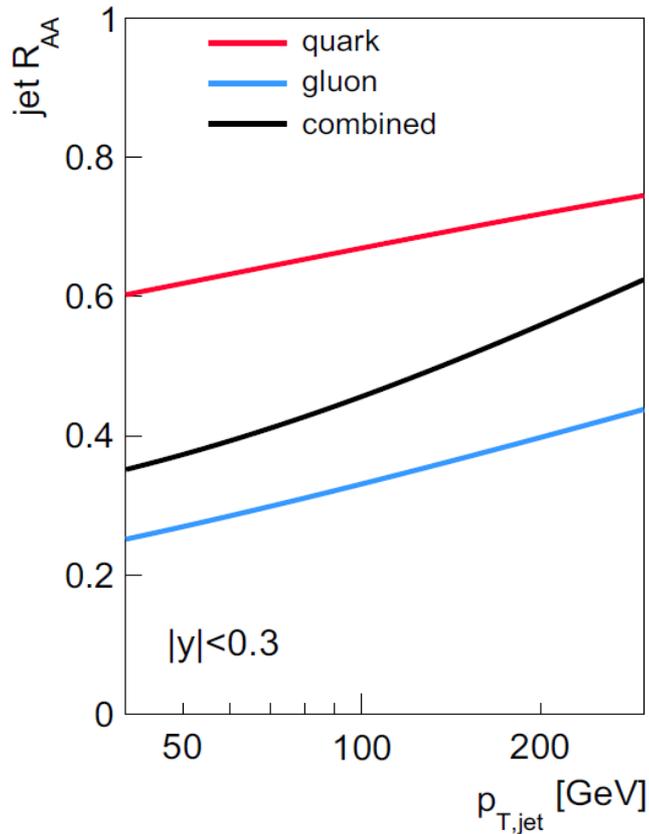


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- Can be used for **global event observables** such as missing- E_t .
- ... but a bias may come into the play ...

Jet R_{AA} in realistic model



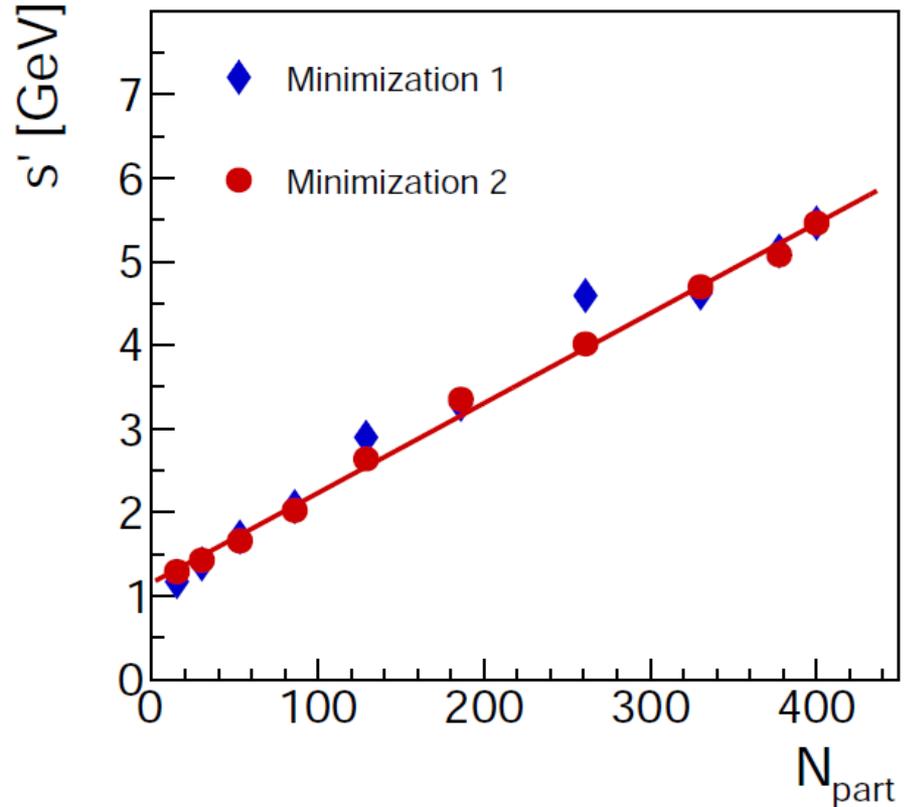
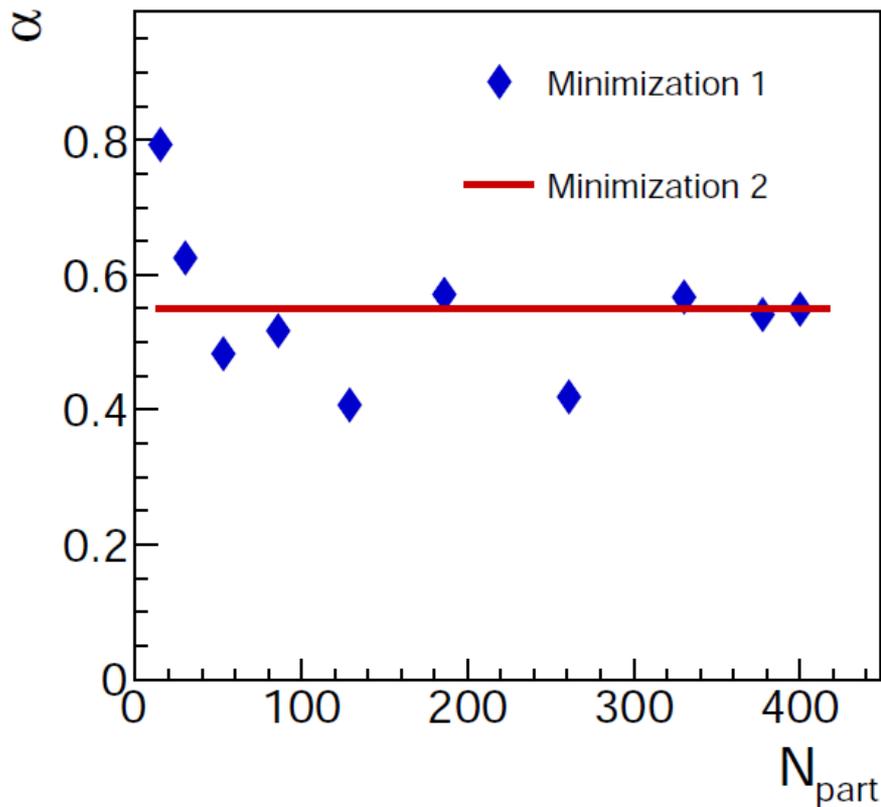
→ Flatness and no rapidity dependence of jet R_{AA} can be interpreted to be a result of different energy loss of quark and gluon initiated jets

Quantifying the parton energy loss (I.)



$$S = s' \left(\frac{p_T^{\text{jet}}}{p_{T0}} \right)^\alpha$$

Energy loss parameterized =
encapsulated into two free parameters

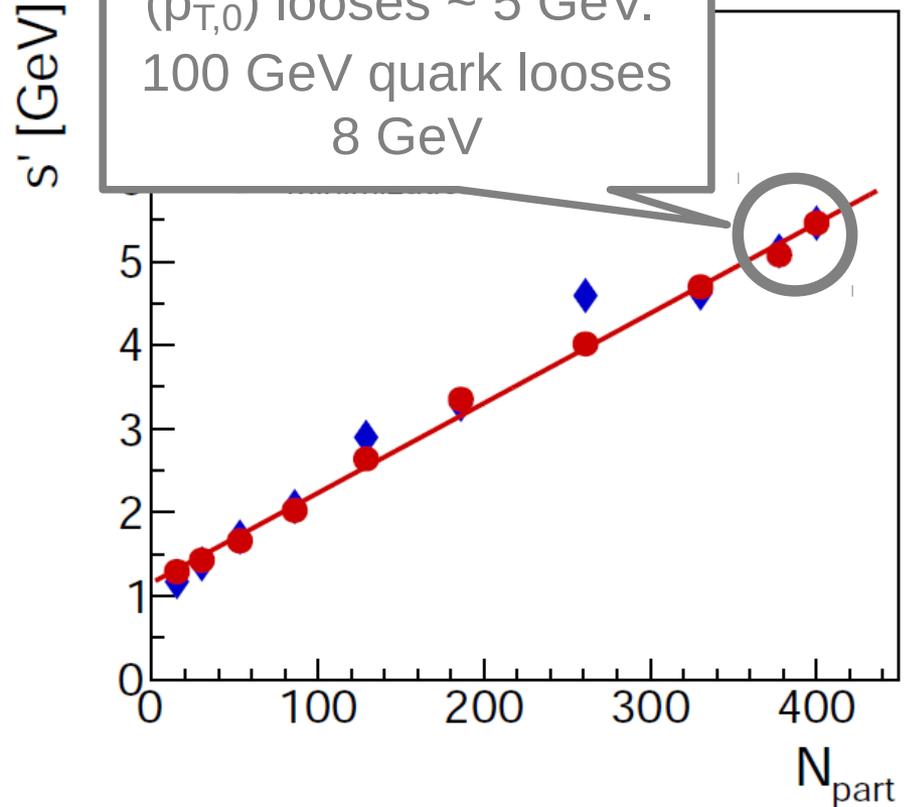
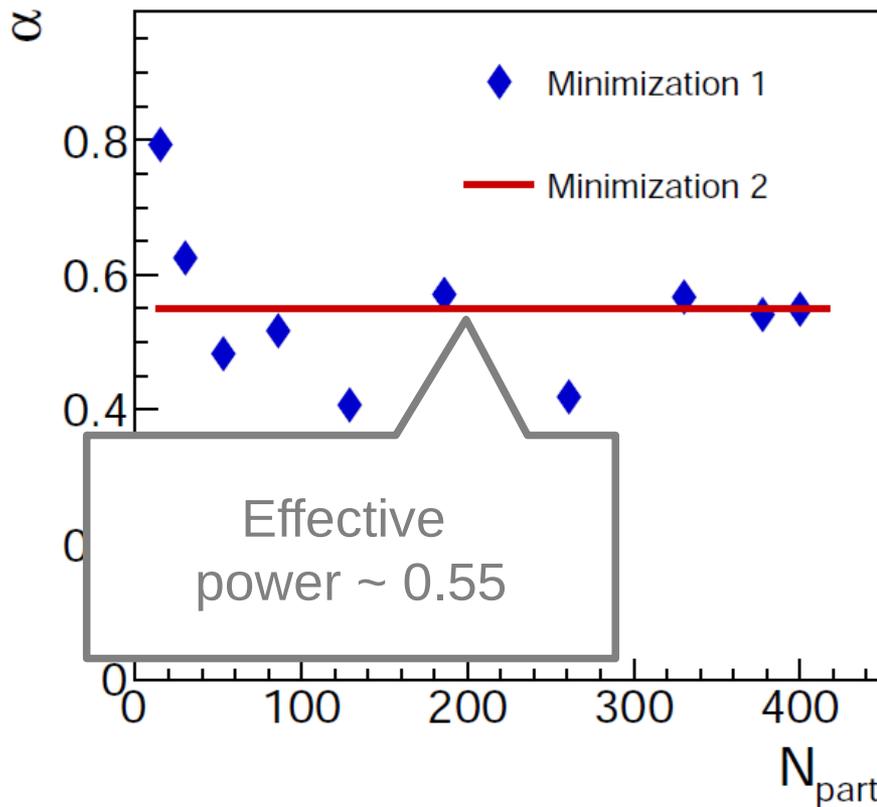


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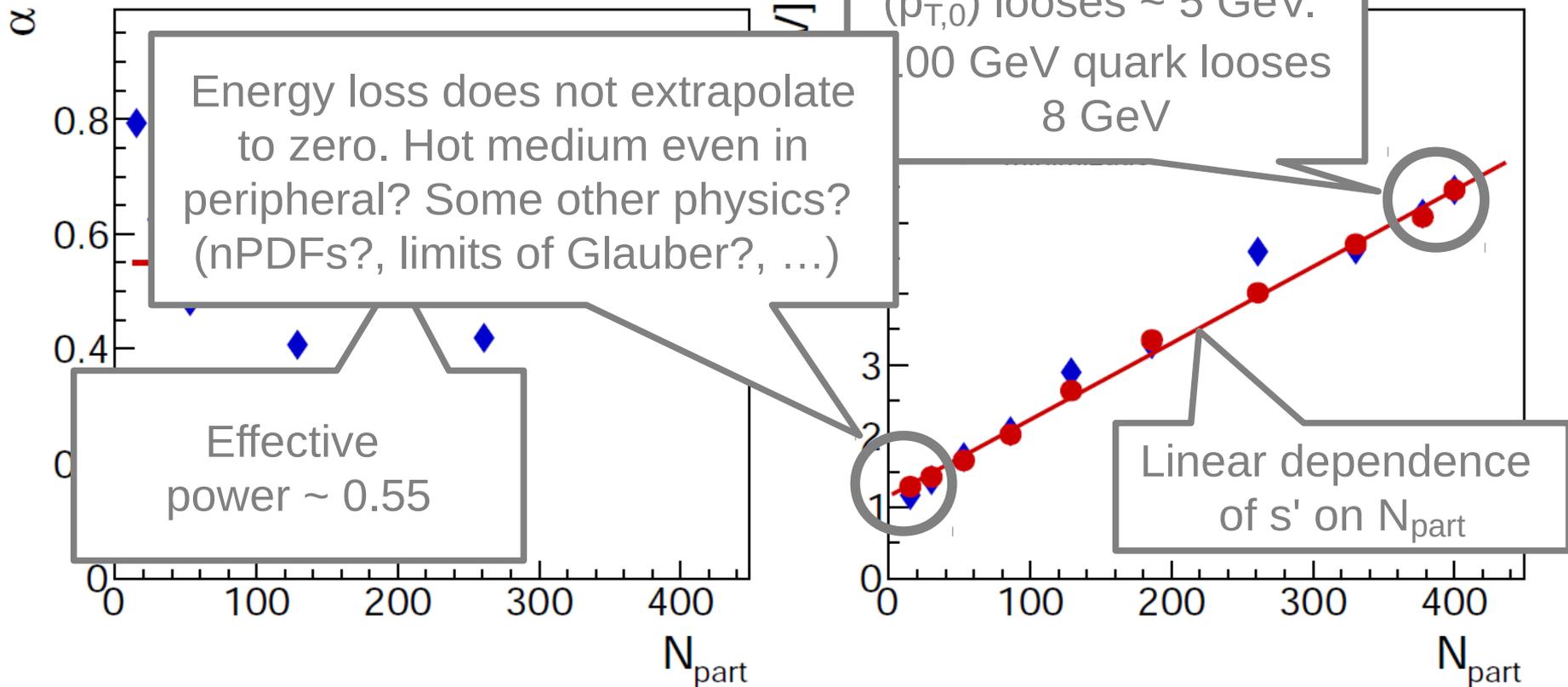


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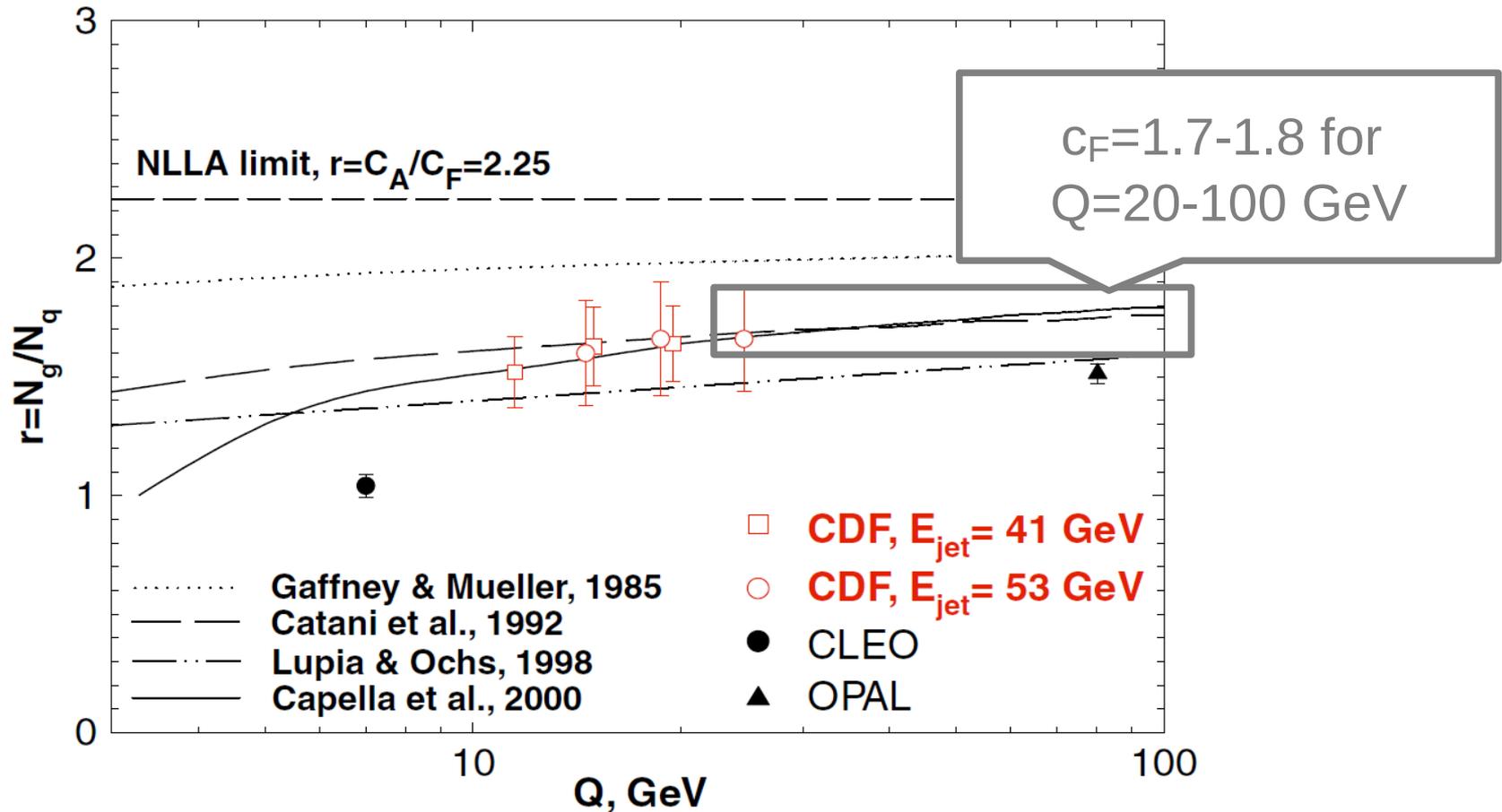


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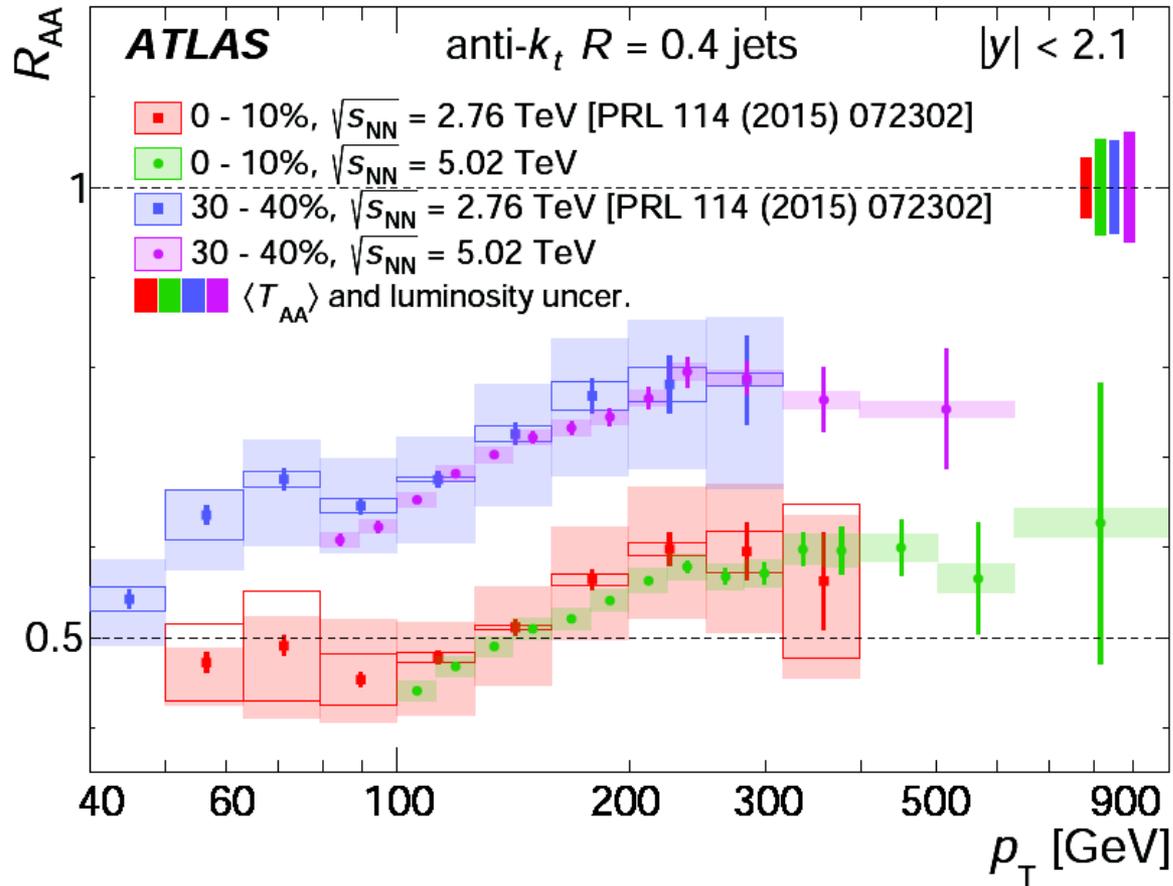
Quantifying the parton energy loss: c_F



- Vacuum value of c_F measured and calculated in pQCD (MLLA)



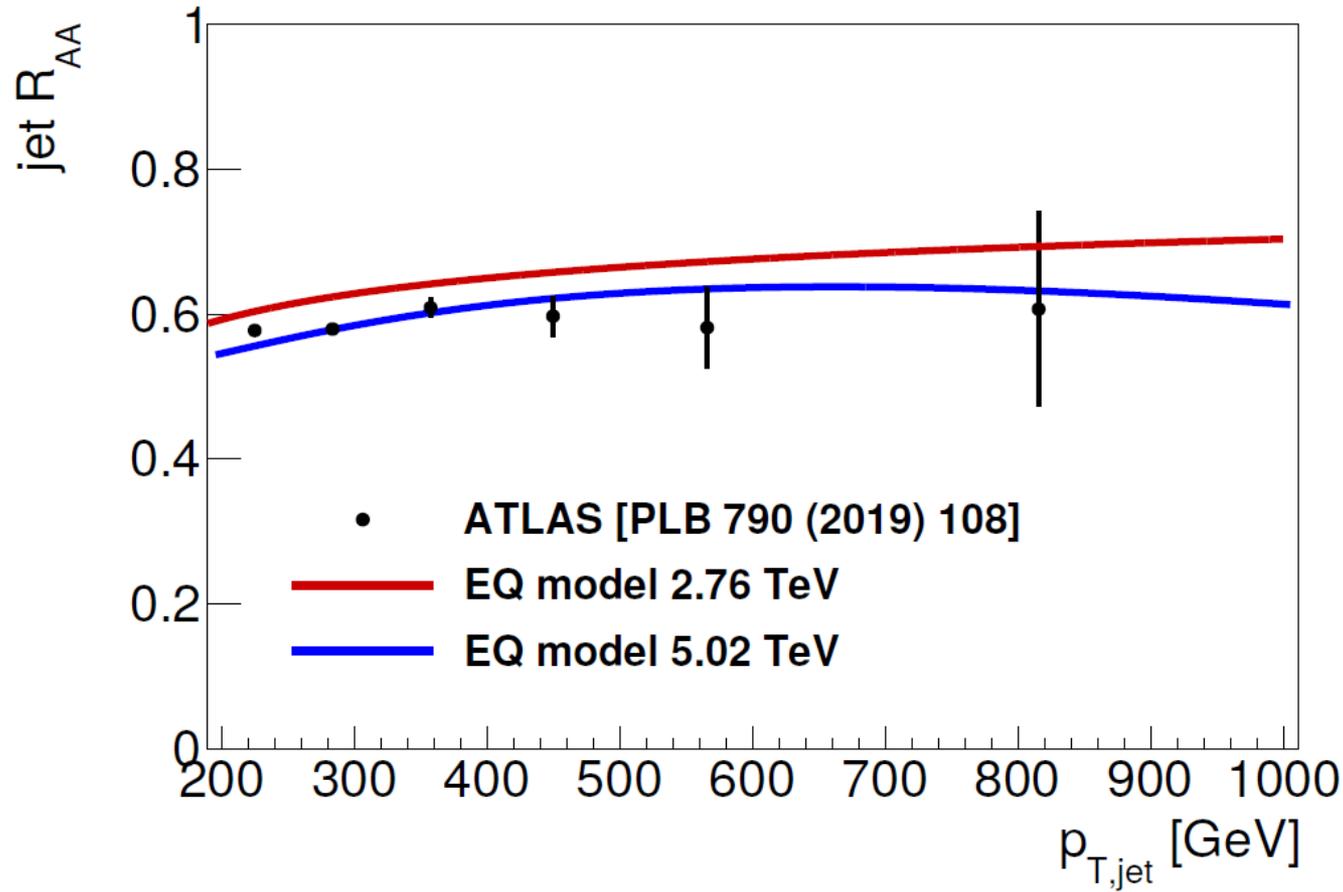
5.02 TeV versus 2.76 TeV



- Same jet R_{AA} ... but that does not imply same energy loss.
- Spectra shape and flavor admixture are different
=> energy loss must be different.

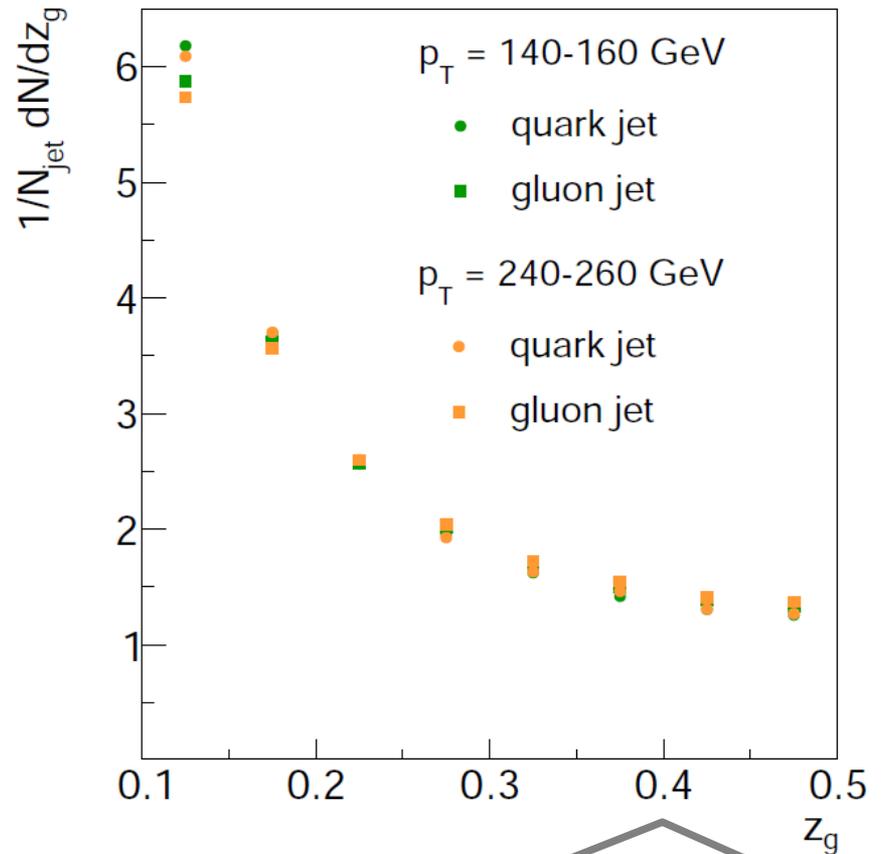
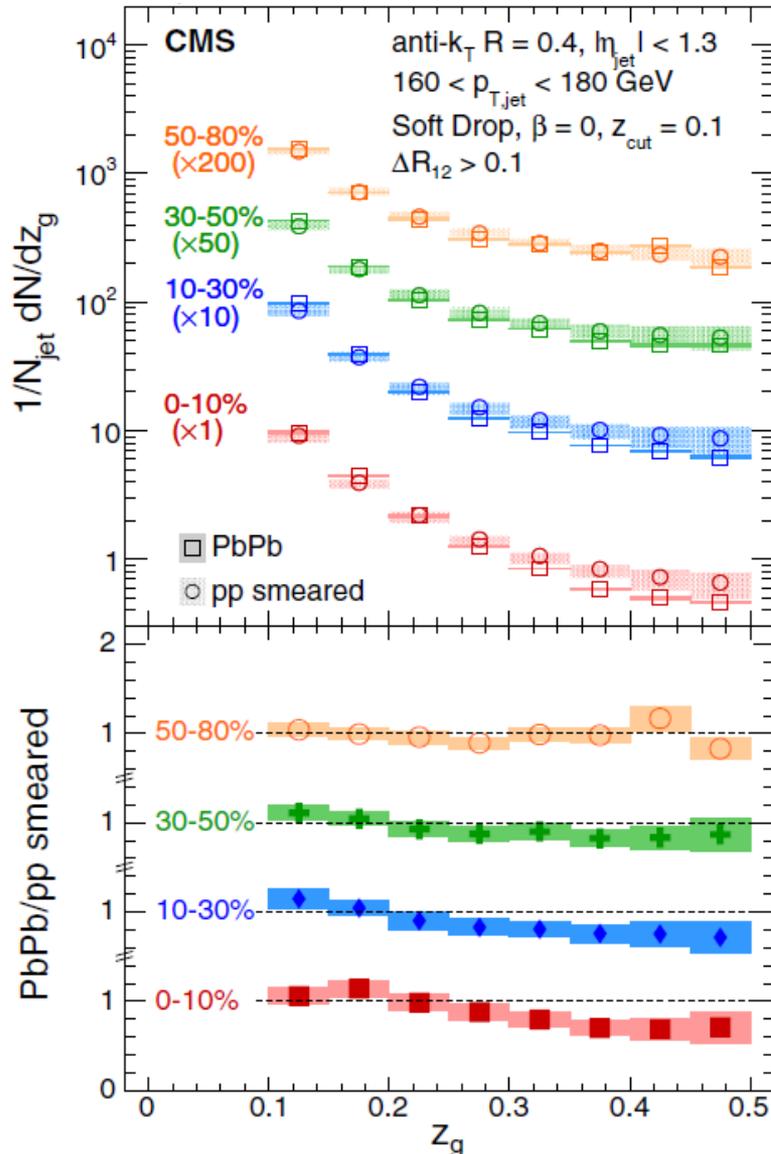


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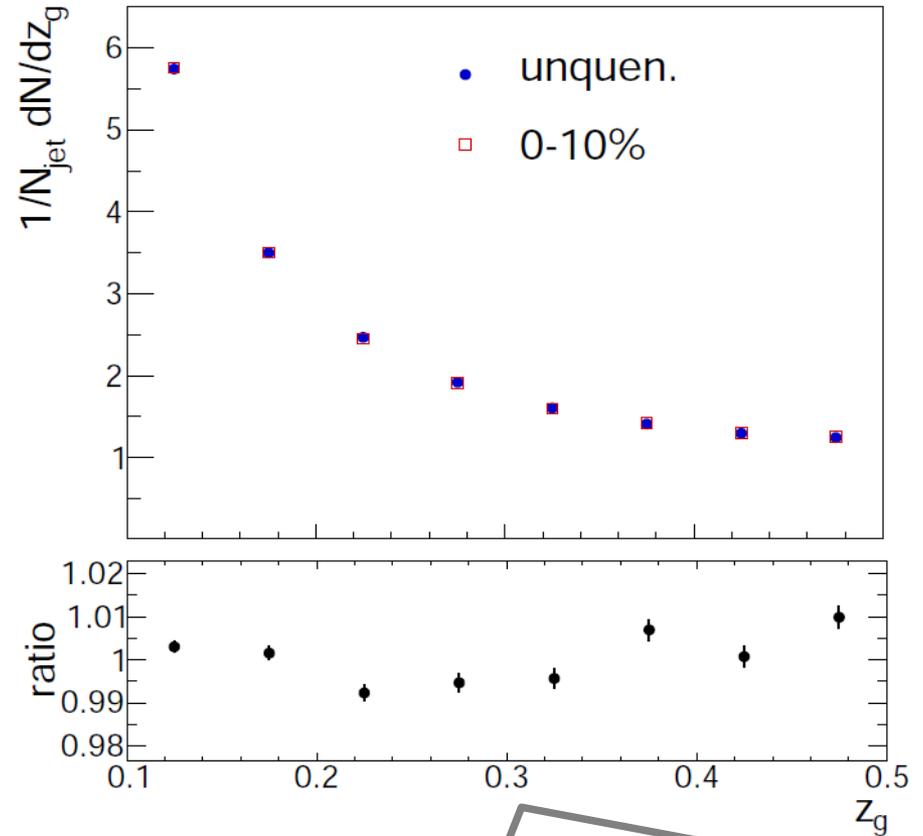
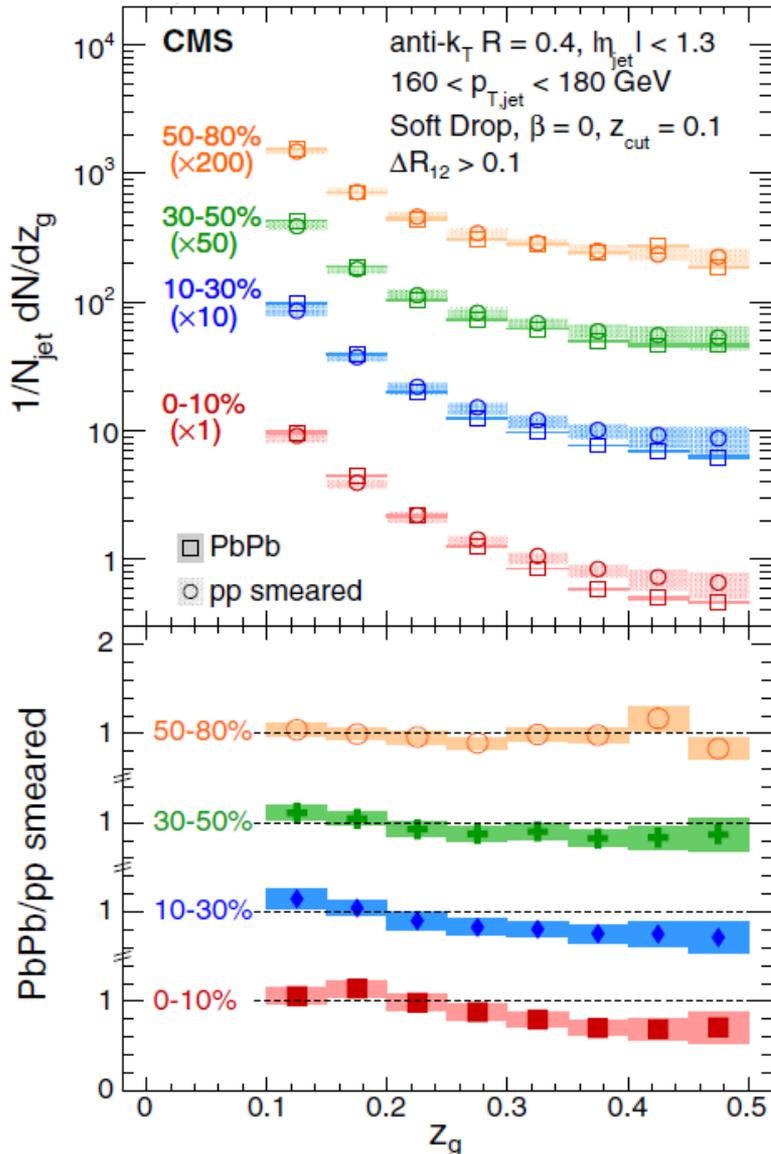
- Same jet R_{AA} ... but that does not imply same energy loss.
- Spectra shape and flavor admixture are different
=> energy loss must be different.
- About 10% larger energy loss at 5.02 TeV compared to 2.76 TeV.

Groomed z_g ... checking the impact of jet flavor



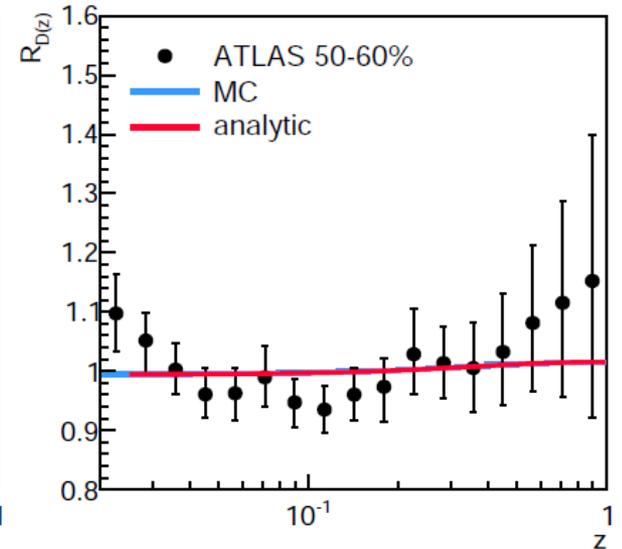
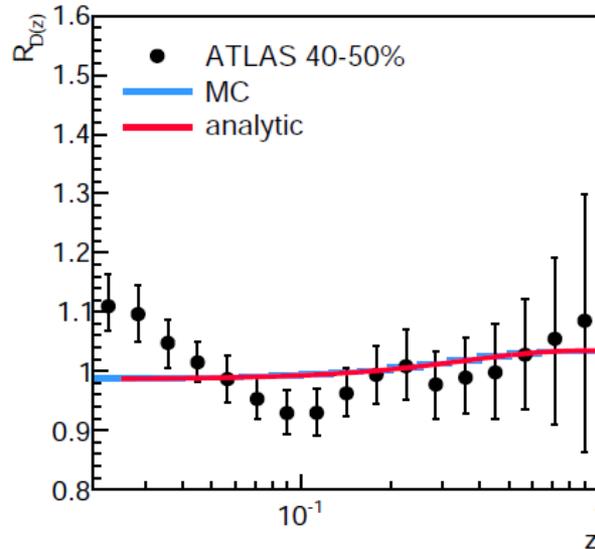
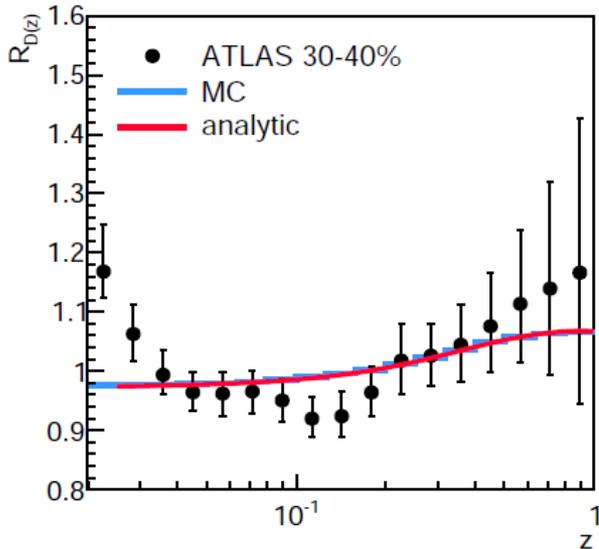
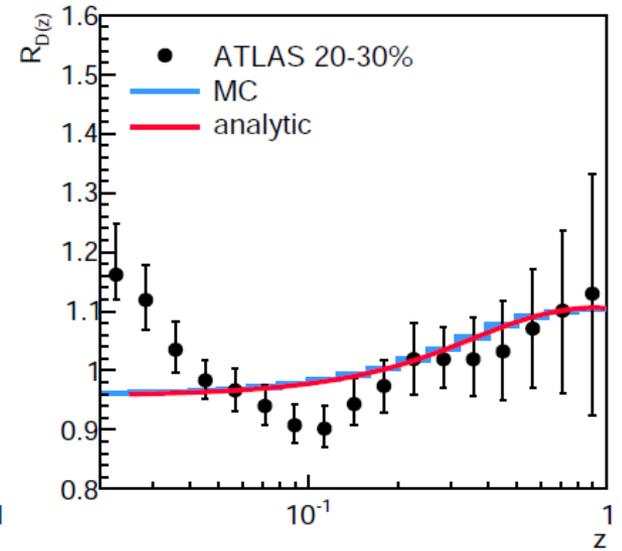
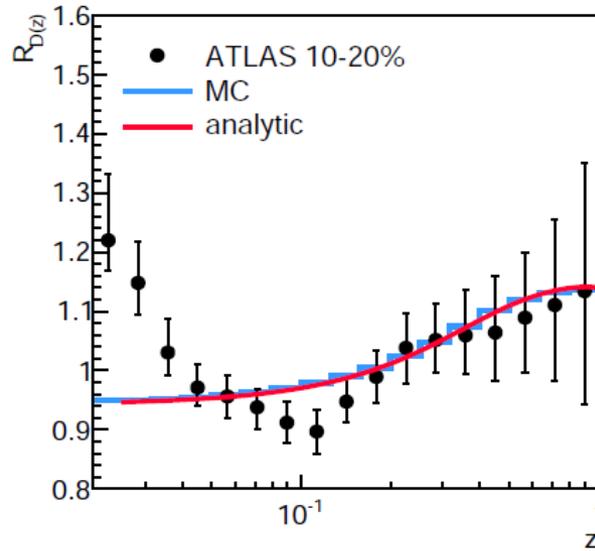
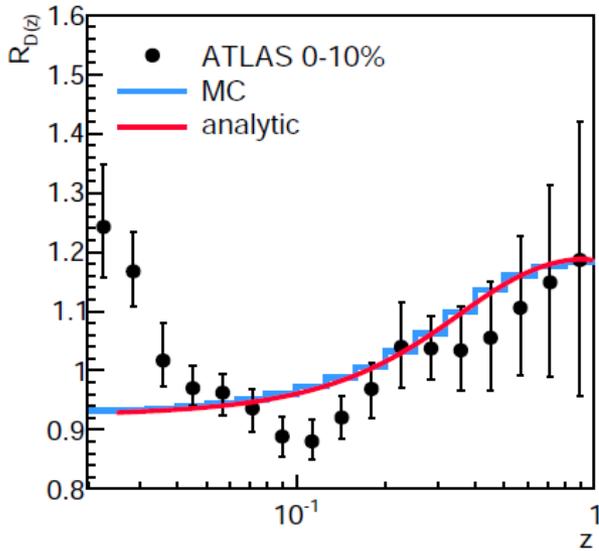
Using PYTHIA:
 z_g does not depend much
 on the flavor or jet p_T

Groomed z_g ... checking the impact of jet flavor



Same procedure as for modeling fragmentation functions => no modification seen => measured modification not due to a flavor

Modifications of fragmentation functions

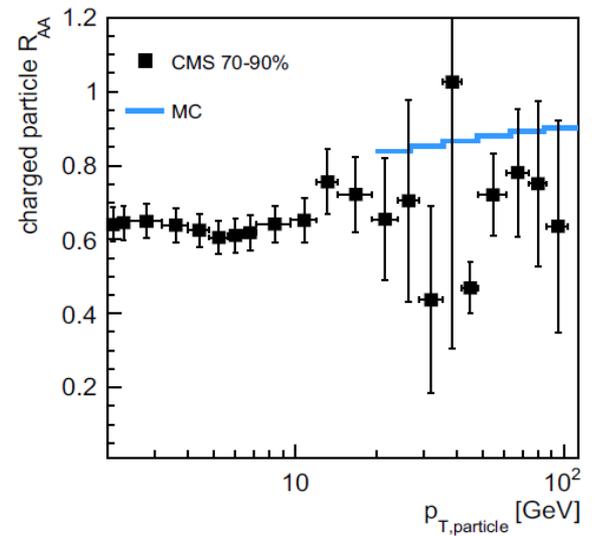
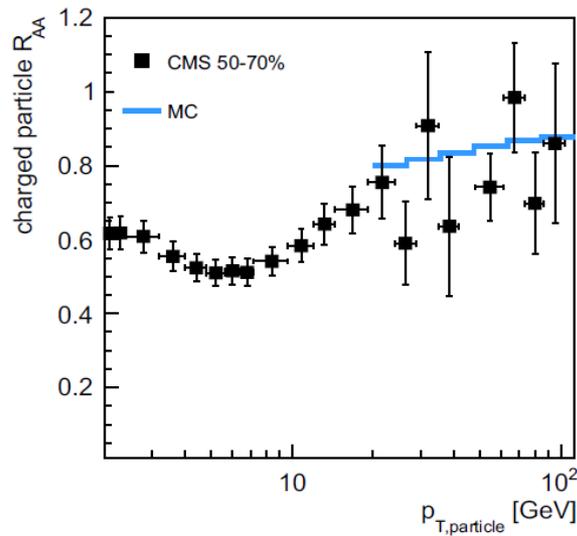
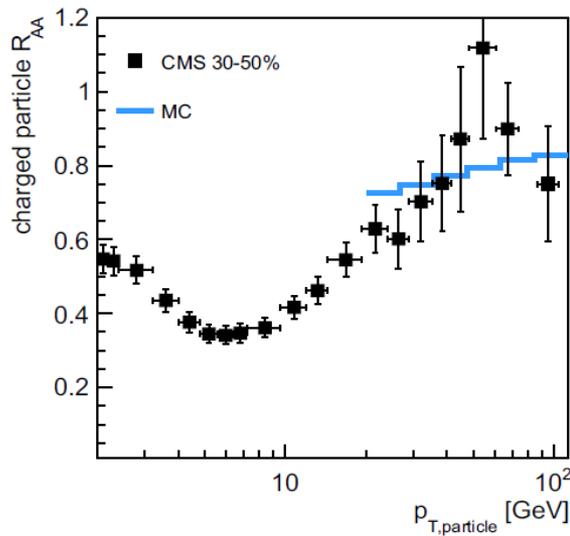
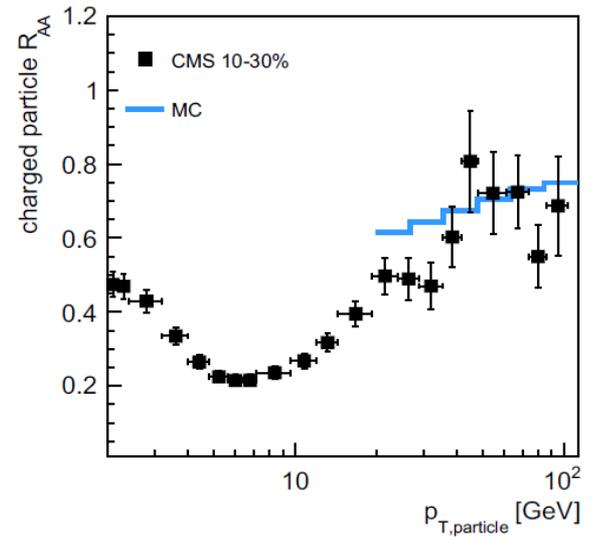
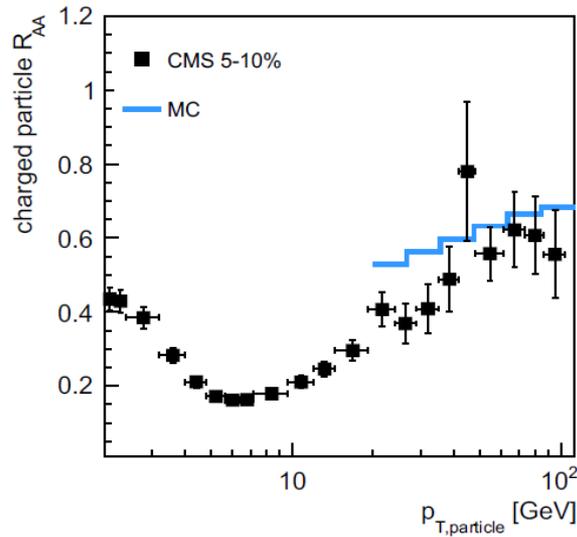
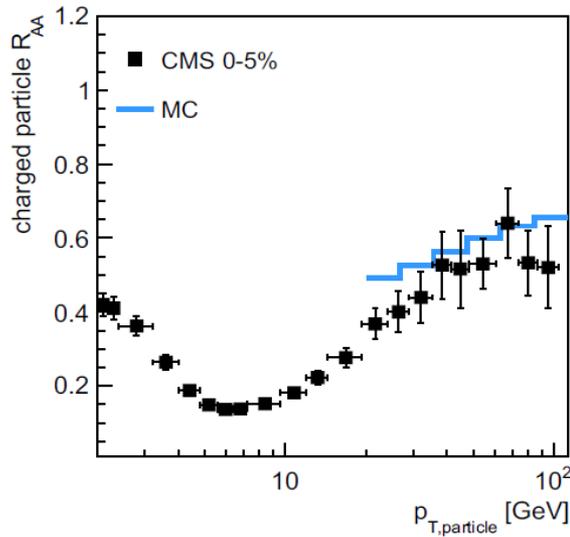


From jet internal structure to charged particle R_{AA}

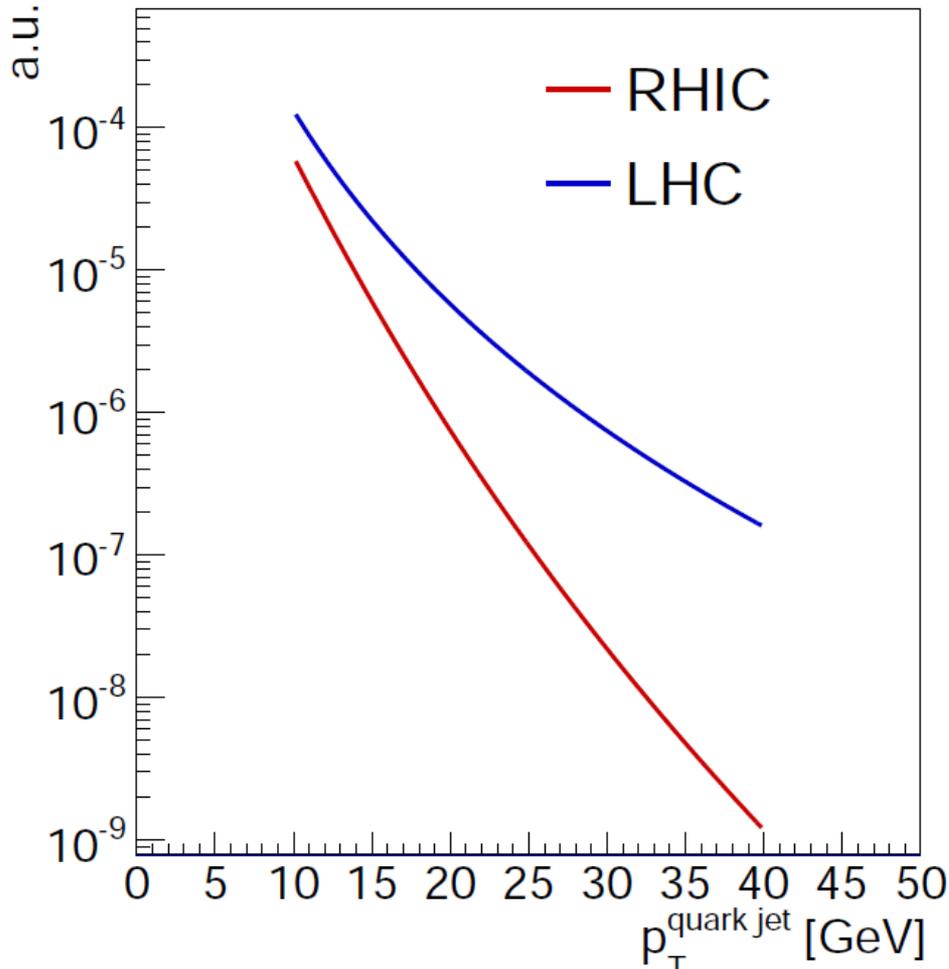


Each particle of a given p_T must be in a jet of the same or higher p_T
=> Charged particle R_{AA} (at high- p_T) = convolution of flavor dependent
jet suppression and fragmentation functions

From jet internal structure to charged particle R_{AA}



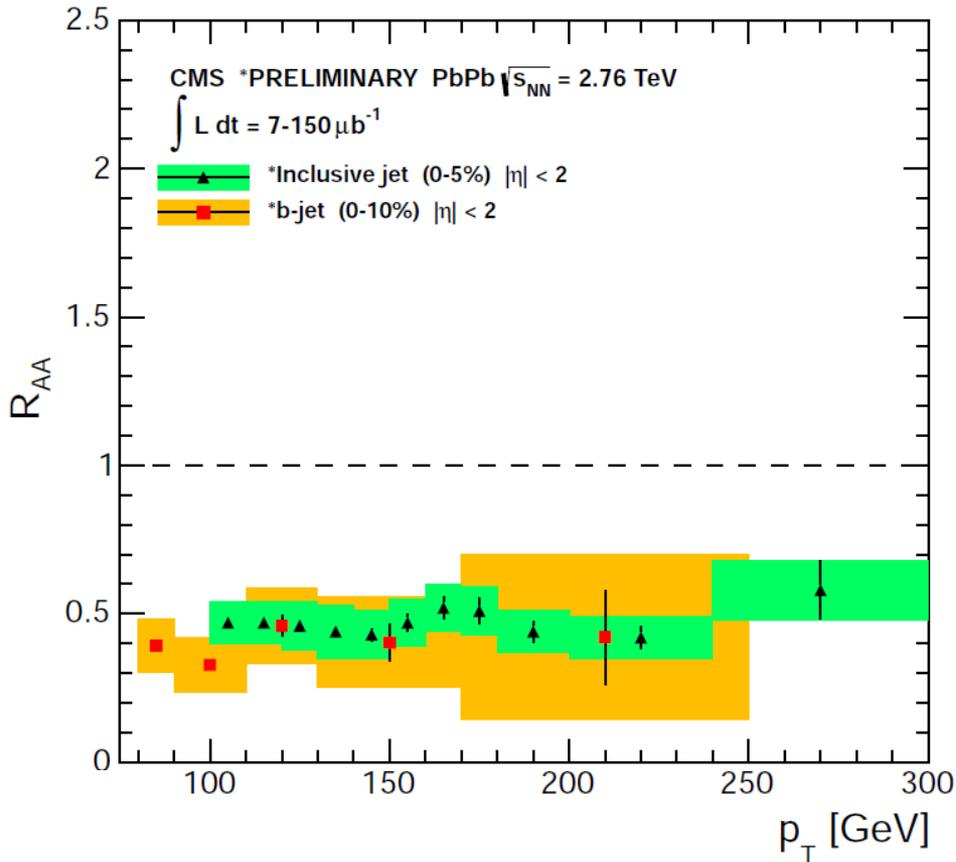
Jets at RHIC versus LHC



- Jets very different between LHC and RHIC
- Jet spectra for a given flavor more steep at RHIC
- Flavor composition also different
 - Will impact charged particle R_{AA}
 - Apply the effective quenching factors extracted at the LHC to RHIC jets



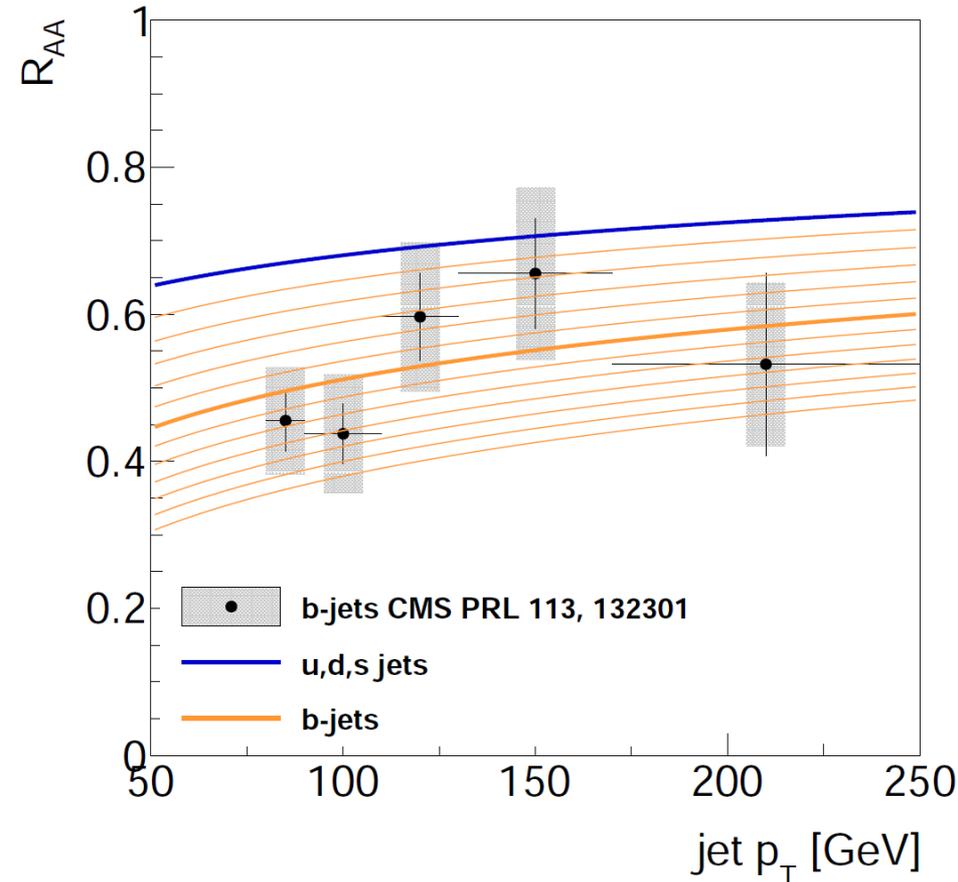
b -jets suppression



- b-jet R_{AA} ... comparable with inclusive jet R_{AA} ... but again, spectral shapes are different
- Moreover, just one flavor => direct comparison misleading



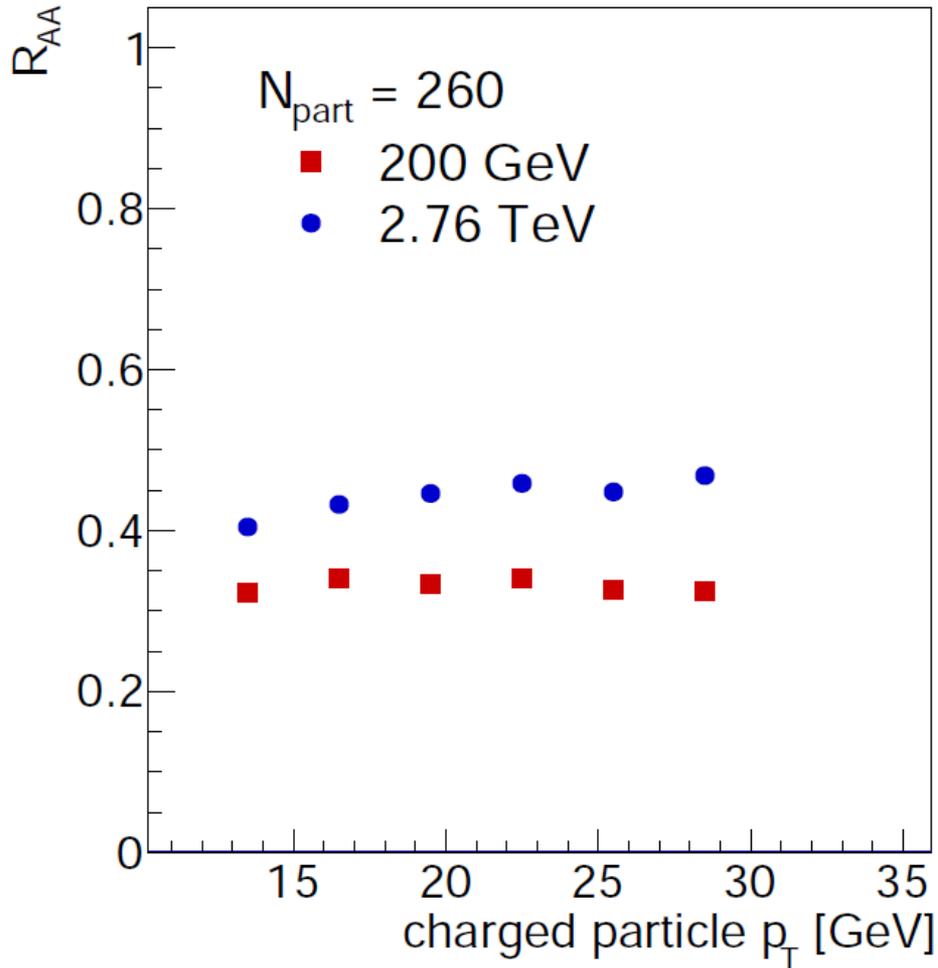
b -jets suppression



- b-jet R_{AA} ... comparable with inclusive jet R_{AA} ... but again, spectral shapes are different
- Moreover, just one flavor => direct comparison misleading
- Use the model + b-jet cross-section measurement to quantify the difference between inclusive jets and b-jets.
- Results of minimization wrt to (statistically limited) data + including role of gluon splitting: **b -jets are suppressed by 1.5 ± 0.4 more** than light quark jets.

Charged particle R_{AA}

RHIC vs LHC



- Underlying jet spectra very different between RHIC and LHC
- Effective quenching factors from LHC applied to RHIC parton/jet spectra
- **Same quenching leads to smaller R_{AA} in the case of RHIC**

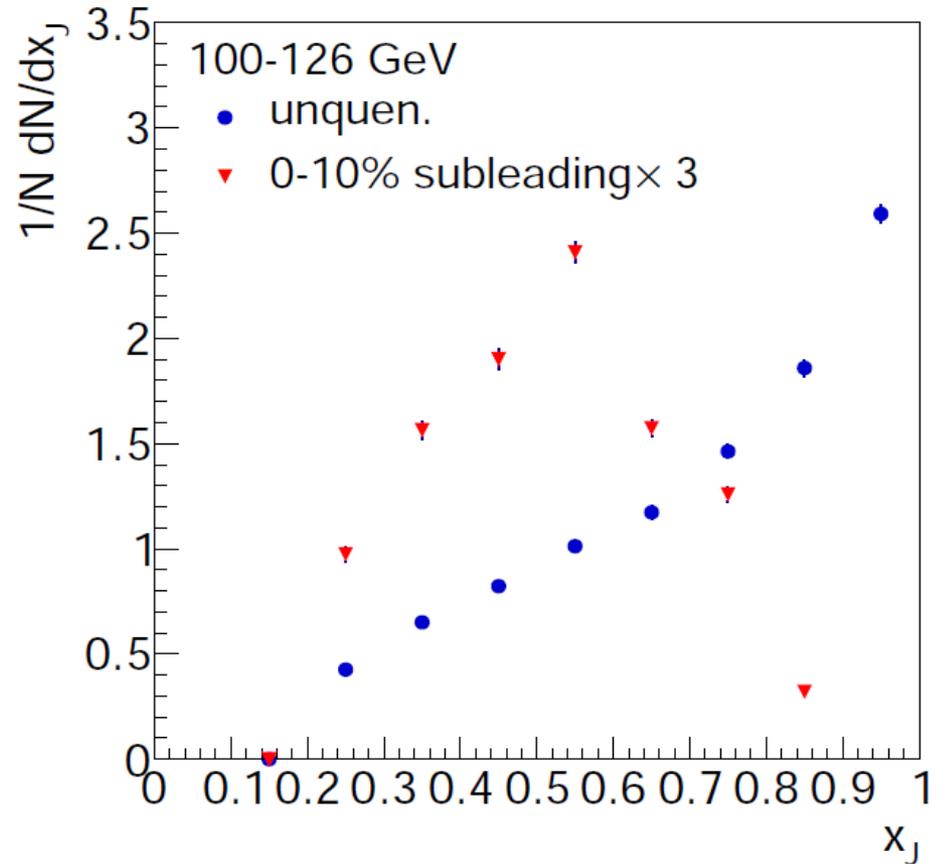
=> Initial parton spectra and flavor composition are very important for the extraction of the size of jet quenching



Dijet asymmetry

→ The subleading jet is quenched very differently than the leading jet → quantify

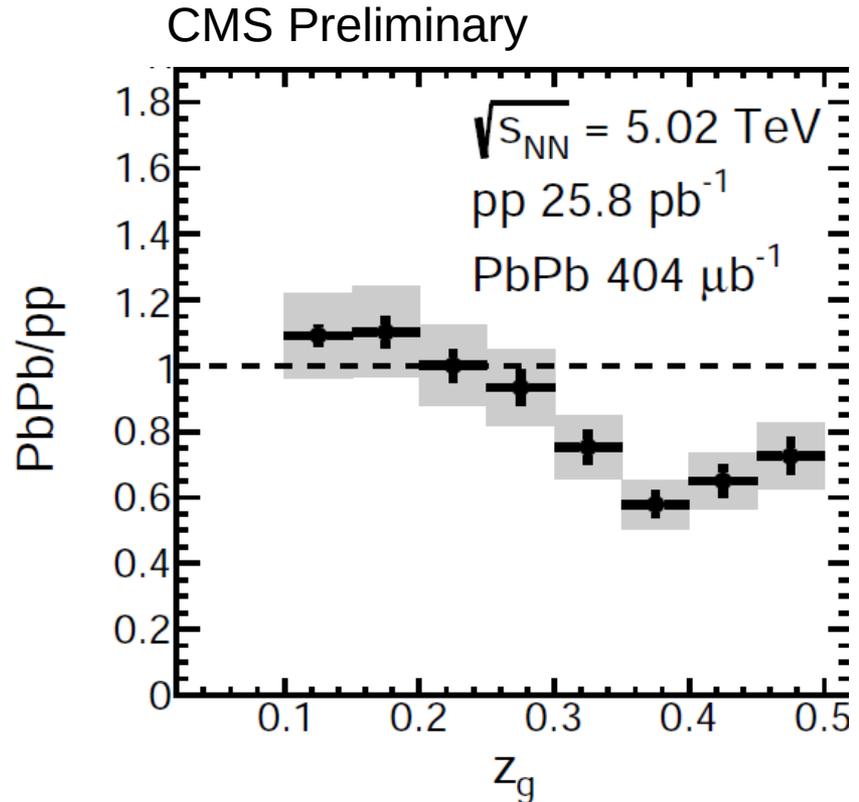
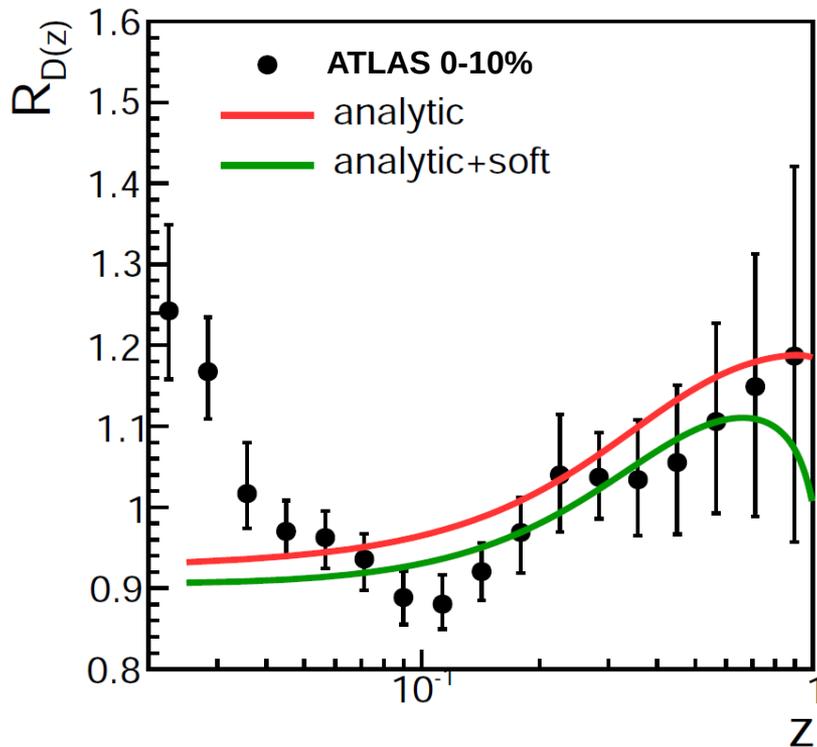
→ The subleading jet in the maximum of the x_J is suppressed by a factor of ~ 3 larger than the leading jet





What about other objects?

Data tell us that the medium largely sees a jet as one object
=> what about other objects with a structure that are suppressed?



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J/ψ & $\psi(2S)$



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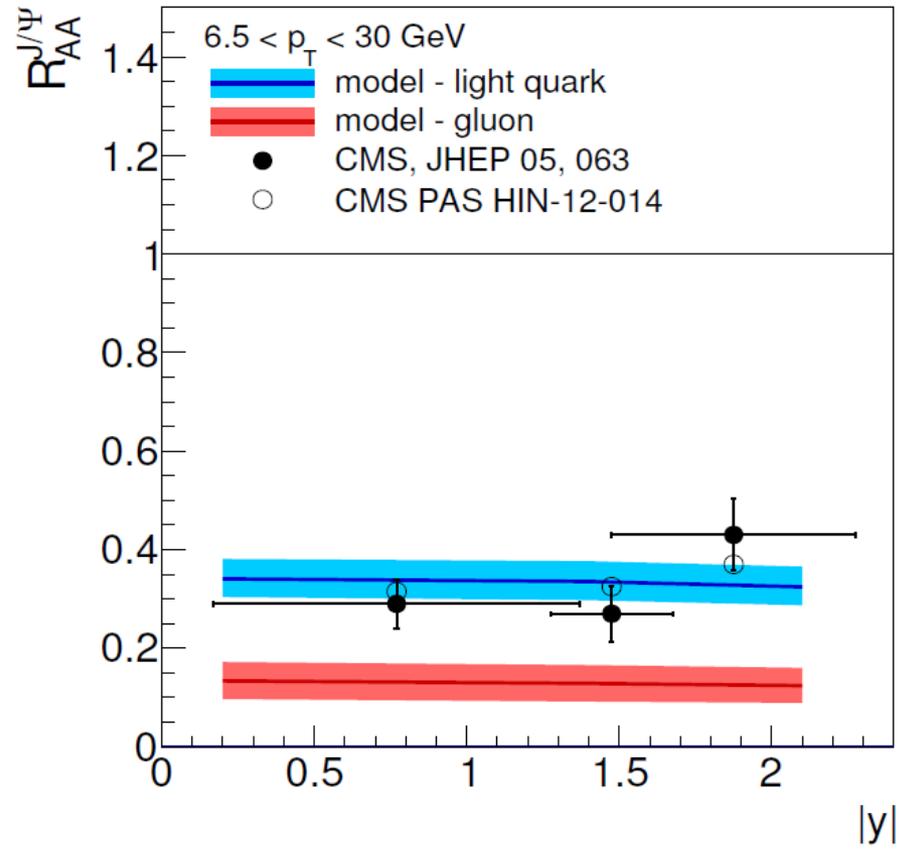
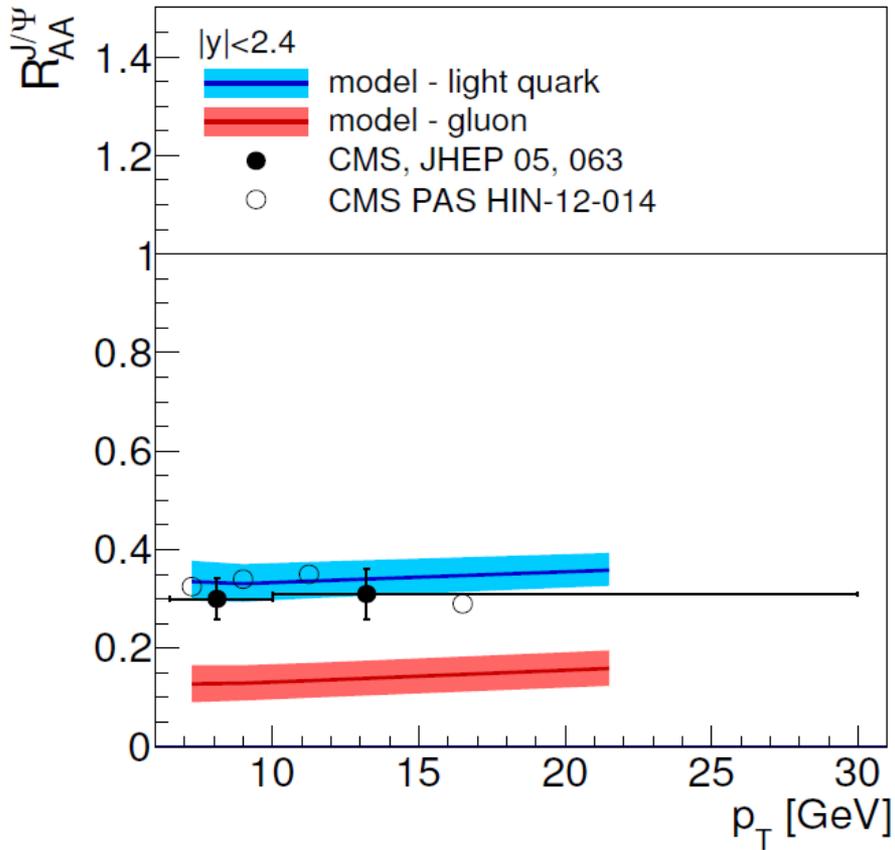
J/ Ψ & $\Psi(2S)$

... check the differences between the suppression of jets and charmonia at high- p_T (at the LHC at mid-rapidity)

Input:

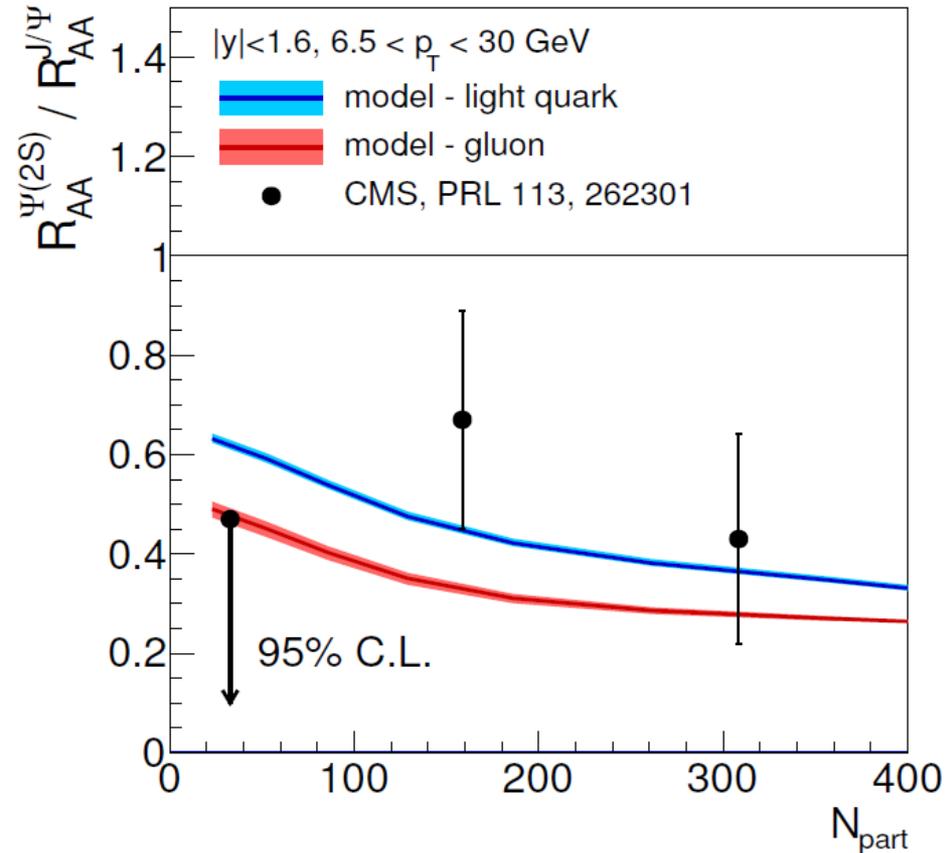
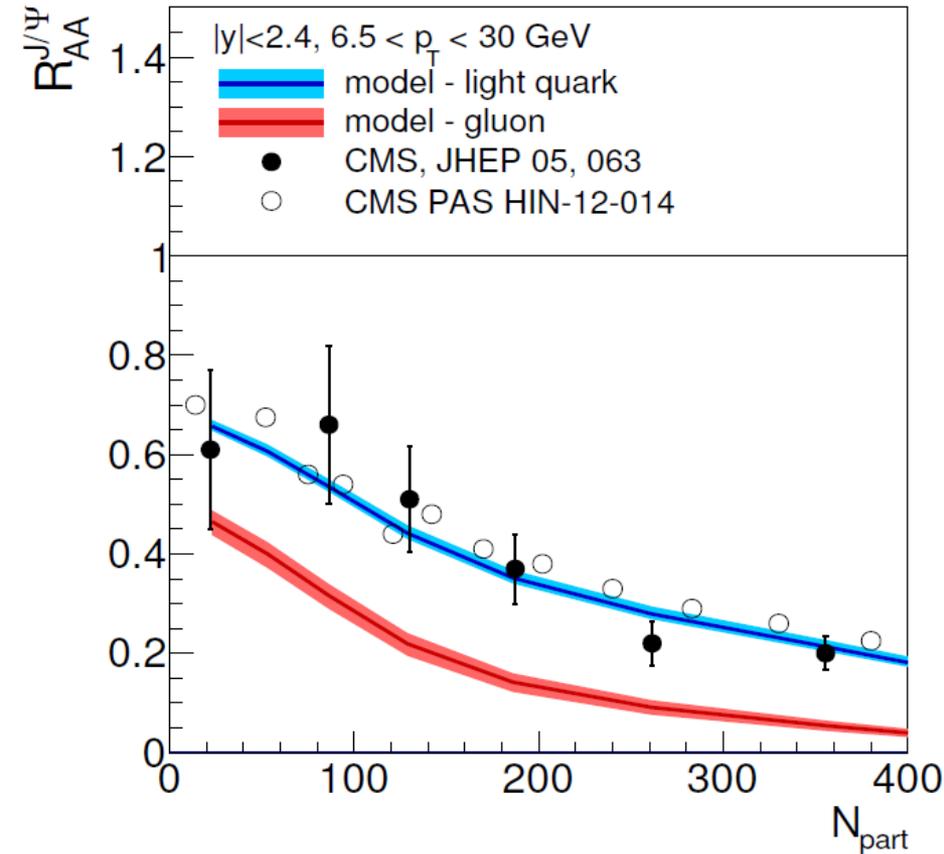
- Measured pp spectra of charmonia (cannot rely on out of the box PYTHIA or other generator)
- Energy loss extracted from jets

Charmonia





Charmonia



... suppression of both charmonia at $p_T > 6.5 \text{ GeV}$ is similar to the suppression of light quark jets



Summary I.

- Flavor dependence of the jet quenching drives quite a lot of what we see in the data.
- Coherence effects are seen in the data.
- Recoil (or in-cone radiation) modifies also the measured high- z fragmentation (same holds for all other observables).
- b -jets are quenched by 1.5 ± 0.4 more than light quark jets.
- Dijet asymmetry: peaking can emerge in the situation when quark jet suppression is more non-linear in path-length than the gluon jet suppression.
- Same magnitude of jet / charged particle R_{AA} between 2.76 TeV and 5 TeV implies slightly larger suppression at 5 TeV (natural $\sqrt{s_{NN}}$ -dependence of the energy loss).



Summary II.

- Average jet quenching can be quantified from the data as follows:

$s = x \cdot N_{\text{part}} + y$	$x = 12.3 \pm 1.4 \text{ GeV},$ $y = 1.5 \pm 0.2 \text{ GeV}$
α	0.52 ± 0.02
c_F	1.78 ± 0.12

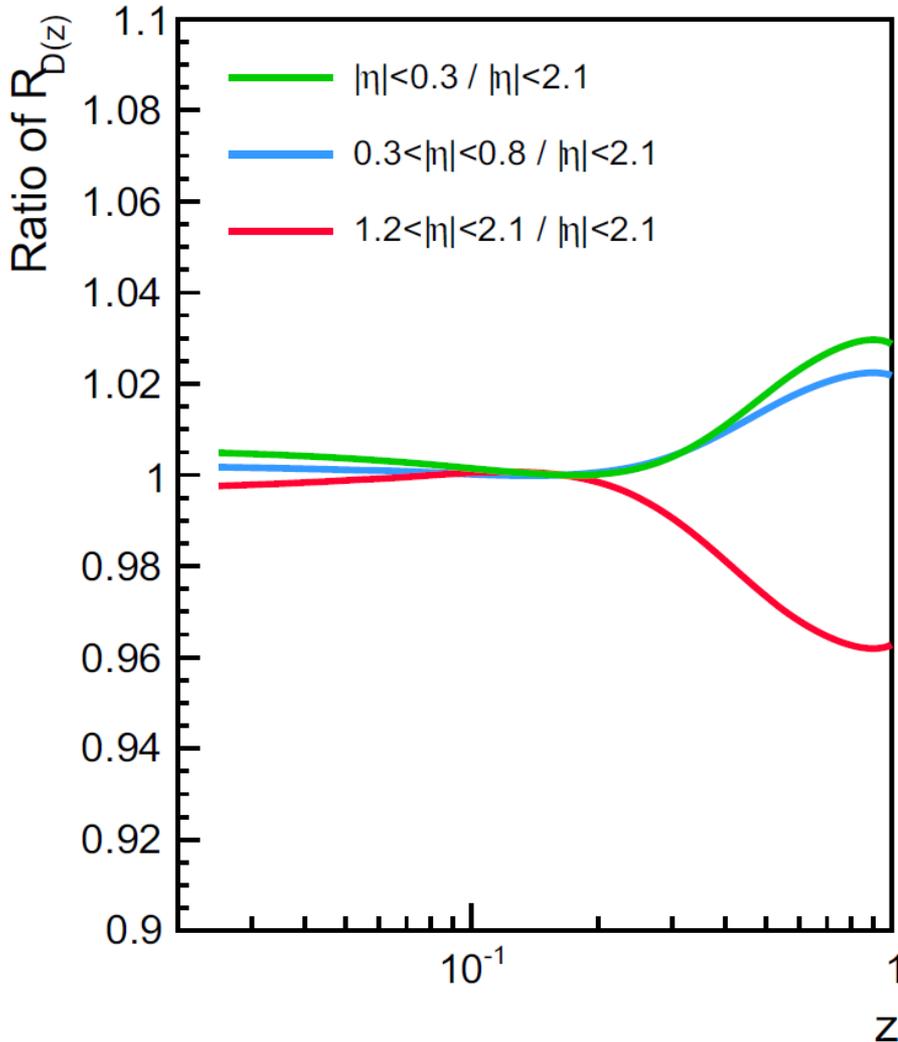
$$S_q = s' \left(\frac{p_T^{\text{jet}}}{p_{T,0}} \right)^\alpha$$

- Color factor, extracted for the first time in HI, seems not to be modified by the medium ($c_F = 1.78 \pm 0.12$).
- Parton energy loss does not extrapolate to 0 for $N_{\text{part}} \rightarrow 0$.
- Suppression of charmonia at $p_T > 6.5 \text{ GeV}$ at midrapidity behaves like the suppression of light quark jets.



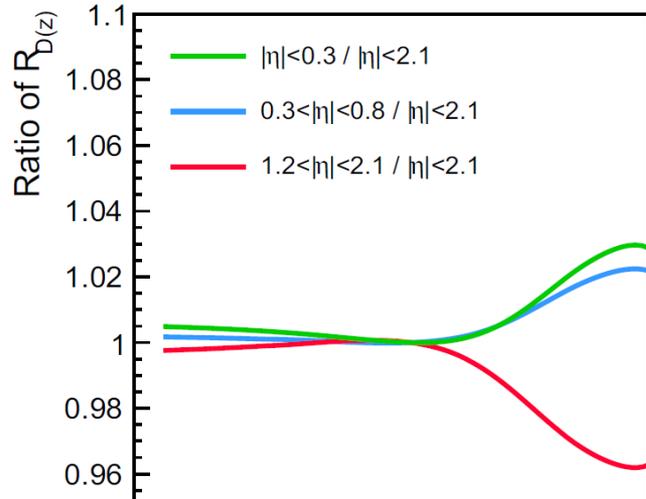
Unused slides, technical details

Modifications of fragmentation functions – prediction

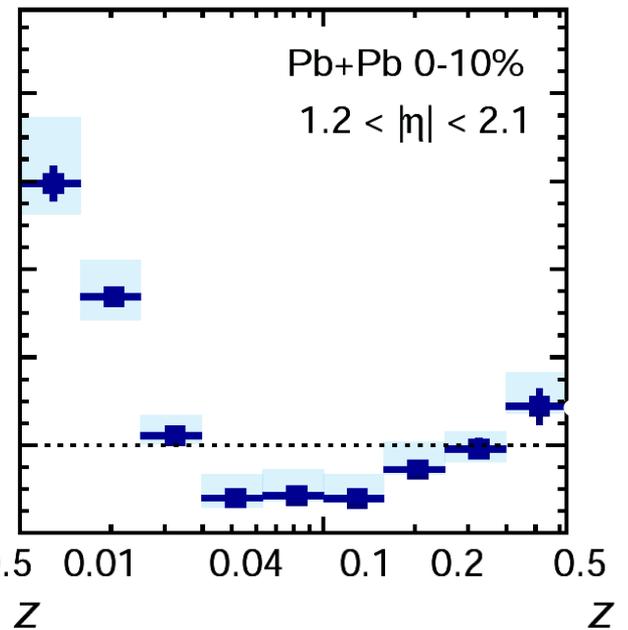
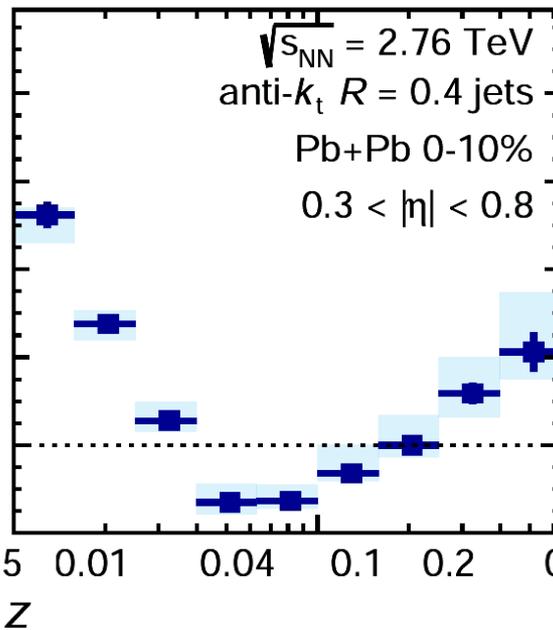
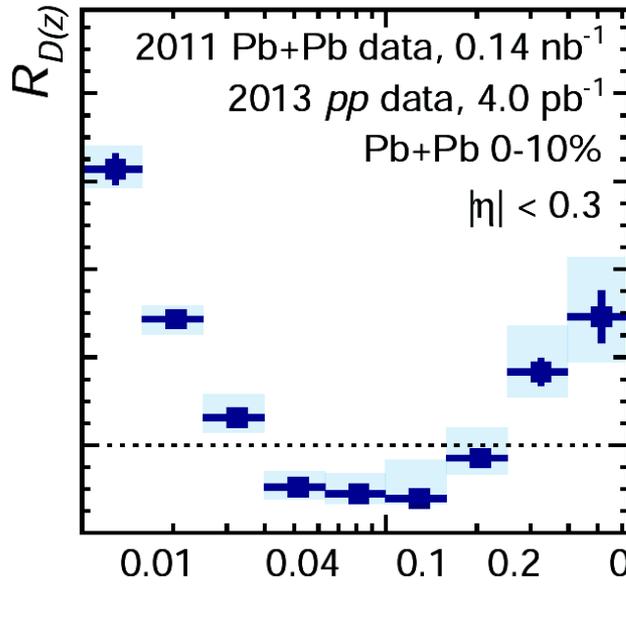


... central rapidity – higher yields at high- z (but not by much)

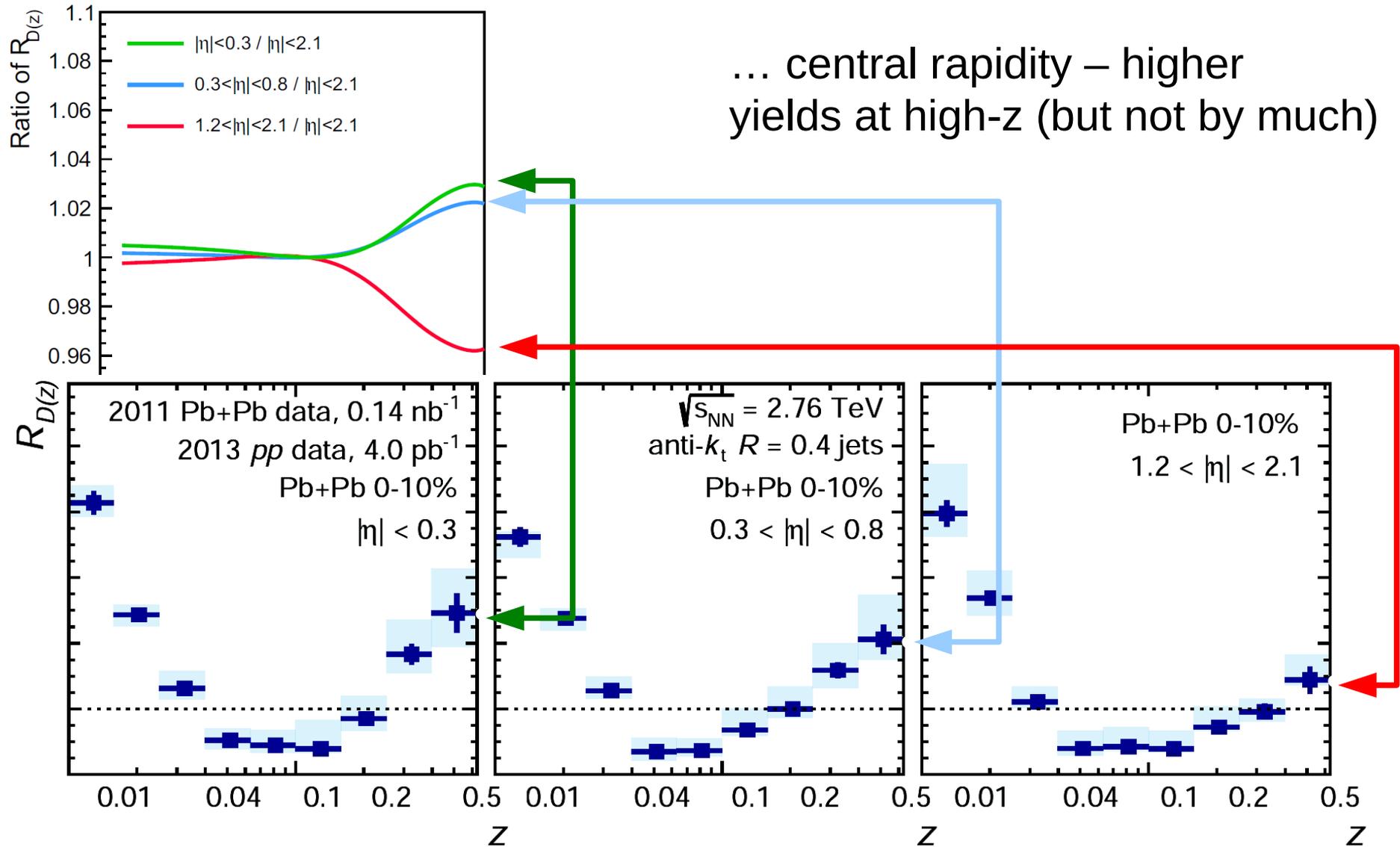
Modifications of fragmentation functions – prediction



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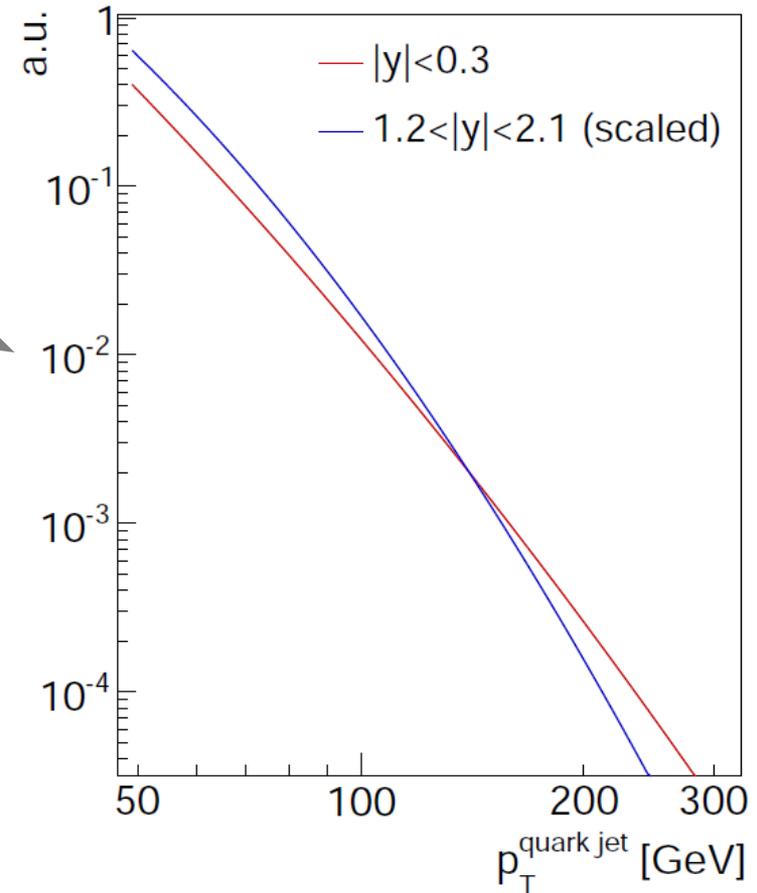
Modifications of fragmentation functions – prediction





Start: Two basic questions

- Why do we have the jet and charge particle R_{AA} almost **no rapidity dependence** given quite different input parton spectra and flavor composition at different rapidities?
- What is responsible for the **enhancement** (= not suppression) at high z seen in the fragmentation?





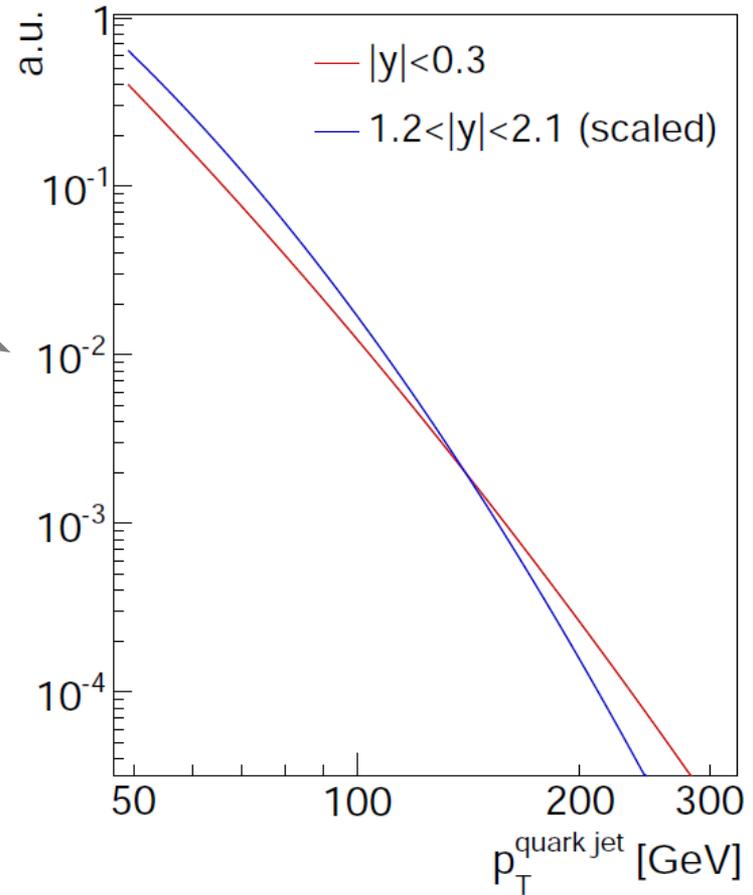
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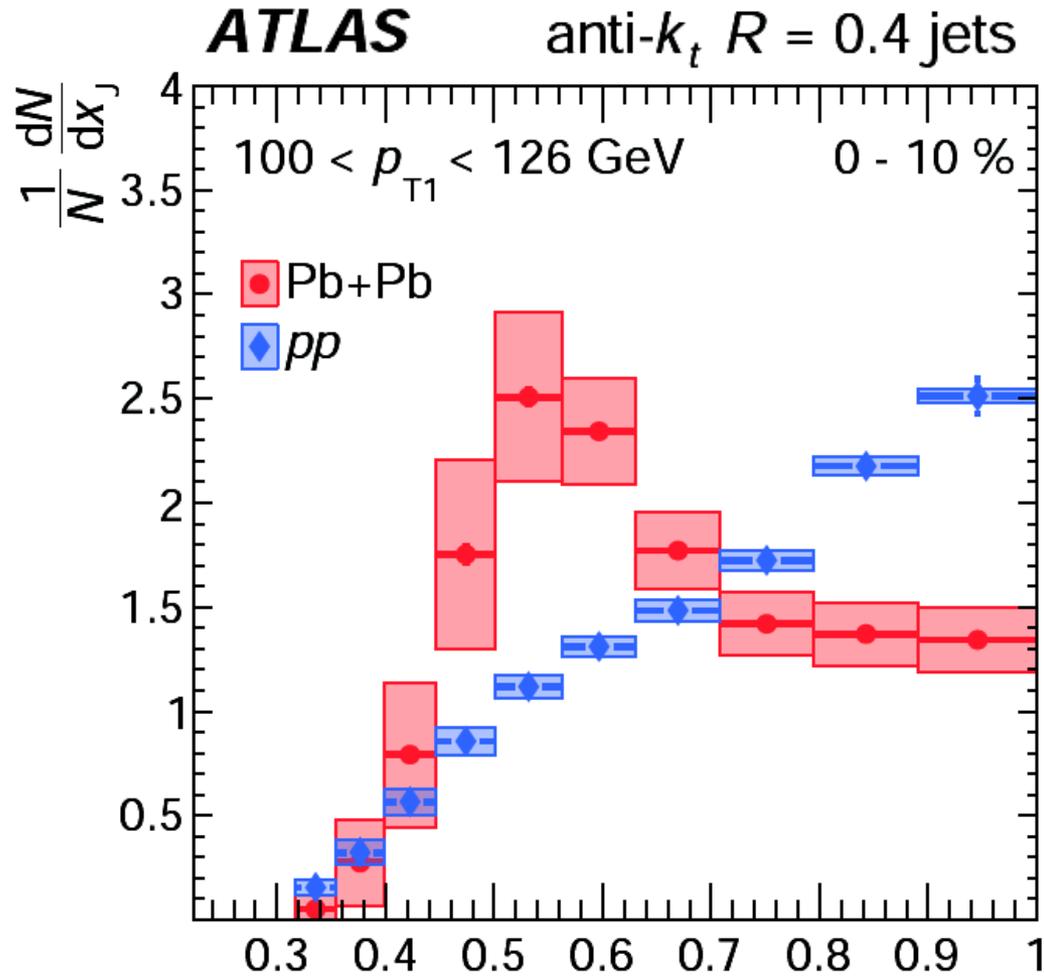
- What is responsible for the **enhancement** (= not suppression) at high z seen in the fragmentation?

→ Use a simple model with minimal assumptions on the quenching physics to extract basic properties of the jet quenching





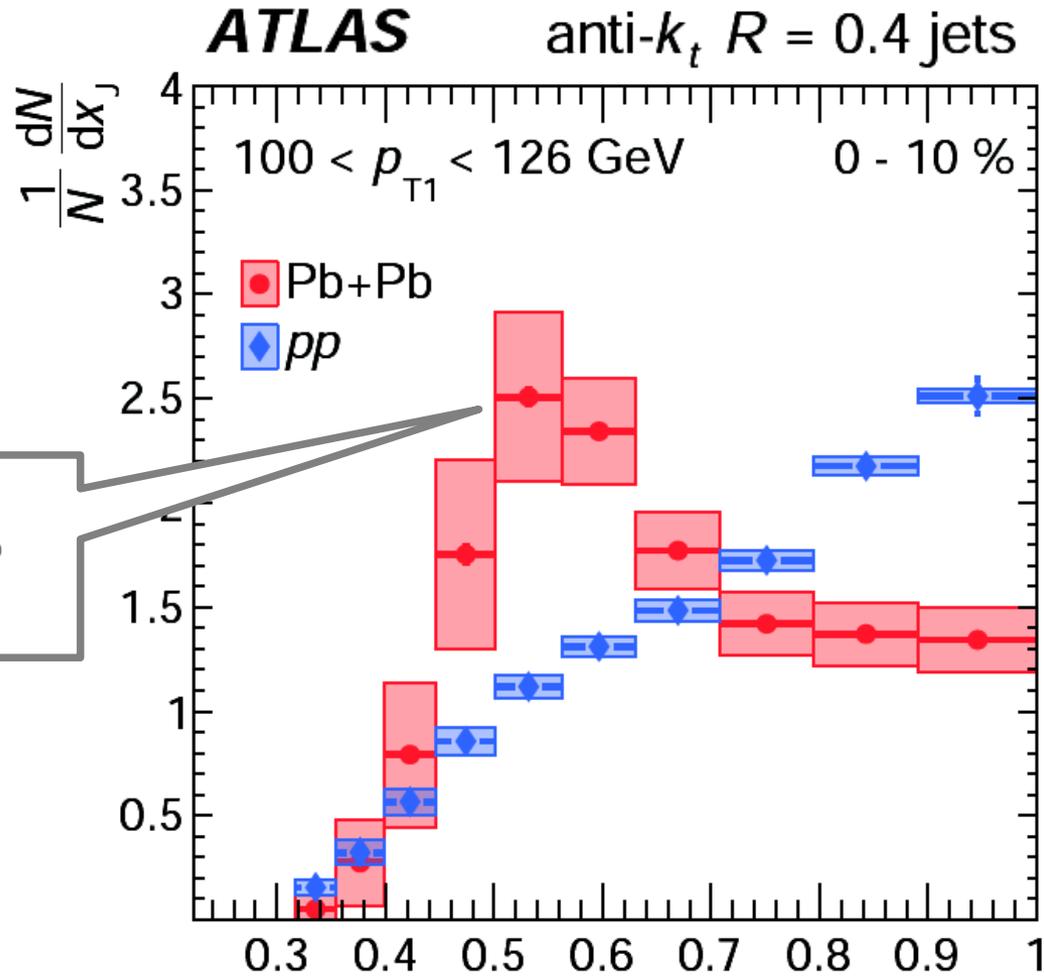
Dijet asymmetry



$$x_J = \frac{p_{T,\text{subleading}}}{p_{T,\text{leading}}}$$



Dijet asymmetry



Source ??

$$x_J = \frac{p_{T,\text{subleading}}}{p_{T,\text{leading}}}$$



Dijet asymmetry

- Test the role of path-length dependence

$$S(p_{T,\text{ini}}, l) =$$
$$= \frac{C_{FS}}{\langle l \rangle} \left(\frac{p_{T,\text{ini}}}{p_{T,0}} \right)^\alpha f(l)$$

$$l^k$$
$$k = 0.5, 1, 2, 3$$

$$l = \int d\tau \tau \rho(\vec{r})$$



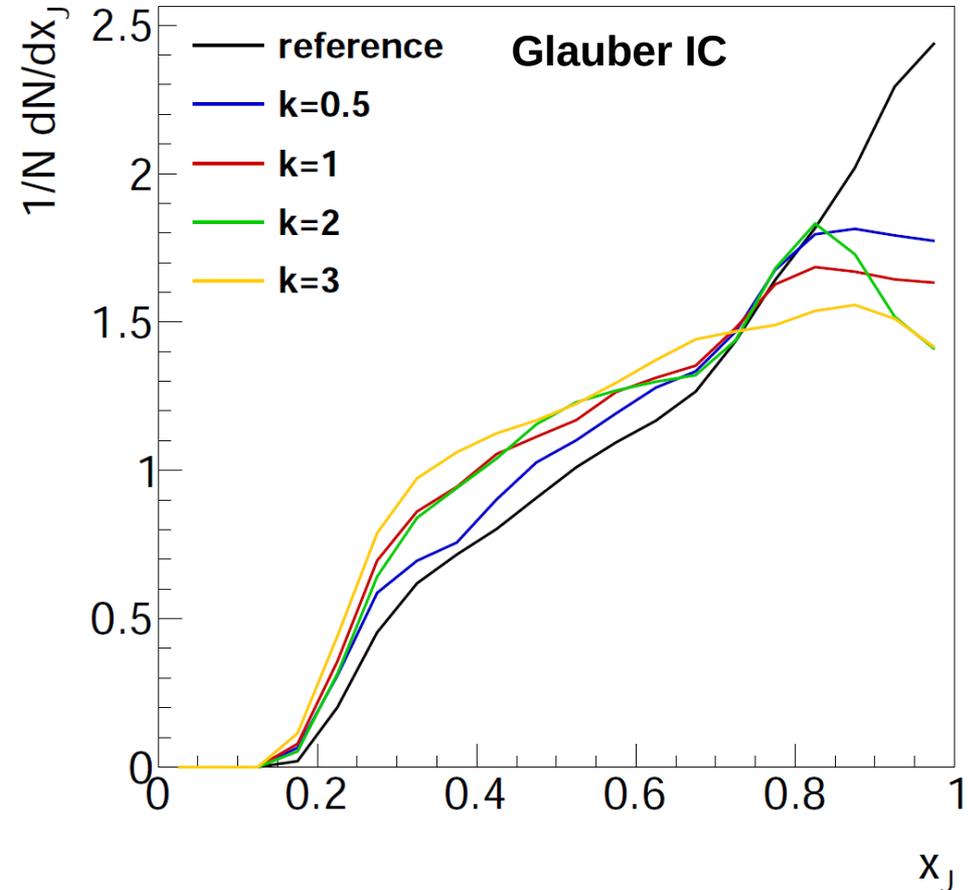
Dijet asymmetry

- Test the role of path-length dependence

$$S(p_{T,ini}, l) = \frac{C_F S}{\langle l \rangle} \left(\frac{p_{T,ini}}{p_{T,0}} \right)^\alpha f(l)$$

$$l^k$$
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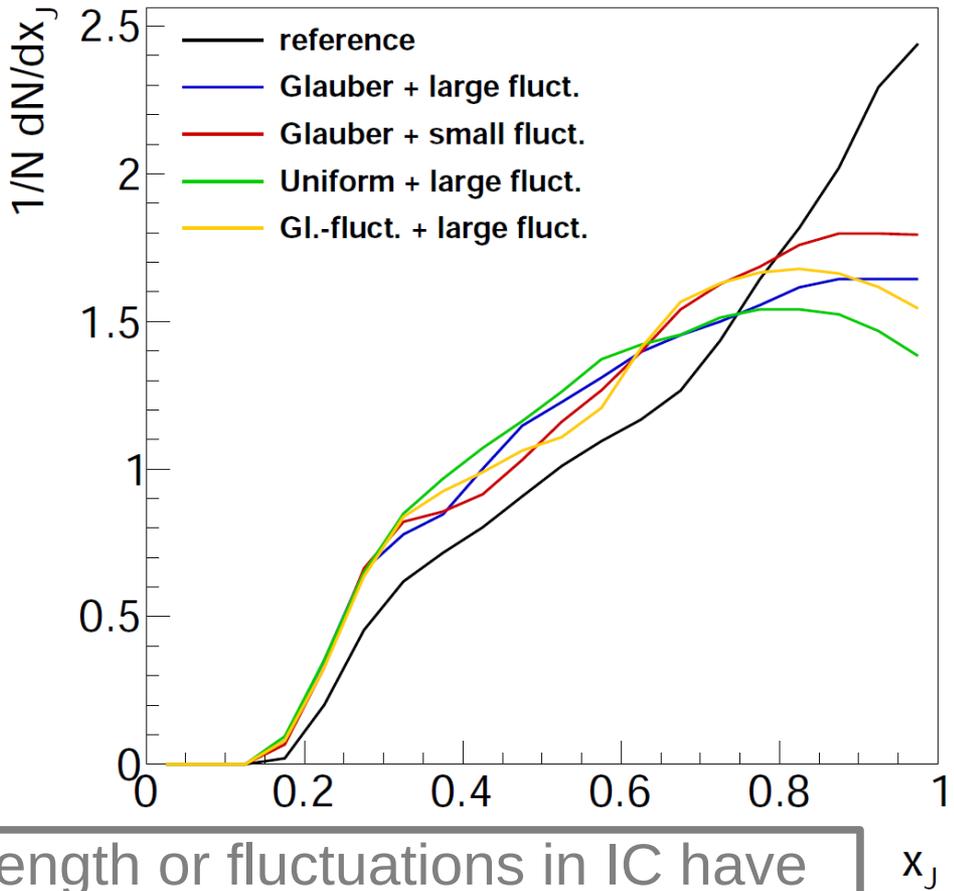
Dijet asymmetry

- Test the role of path-length dependence

$$S(p_{T,ini}, l) = \frac{C_F S}{\langle l \rangle} \left(\frac{p_{T,ini}}{p_{T,0}} \right)^\alpha f(l)$$

$$l^k$$
$$k = 0.5, 1, 2, 3$$

$$l = \int d\tau \tau \rho(\vec{r})$$



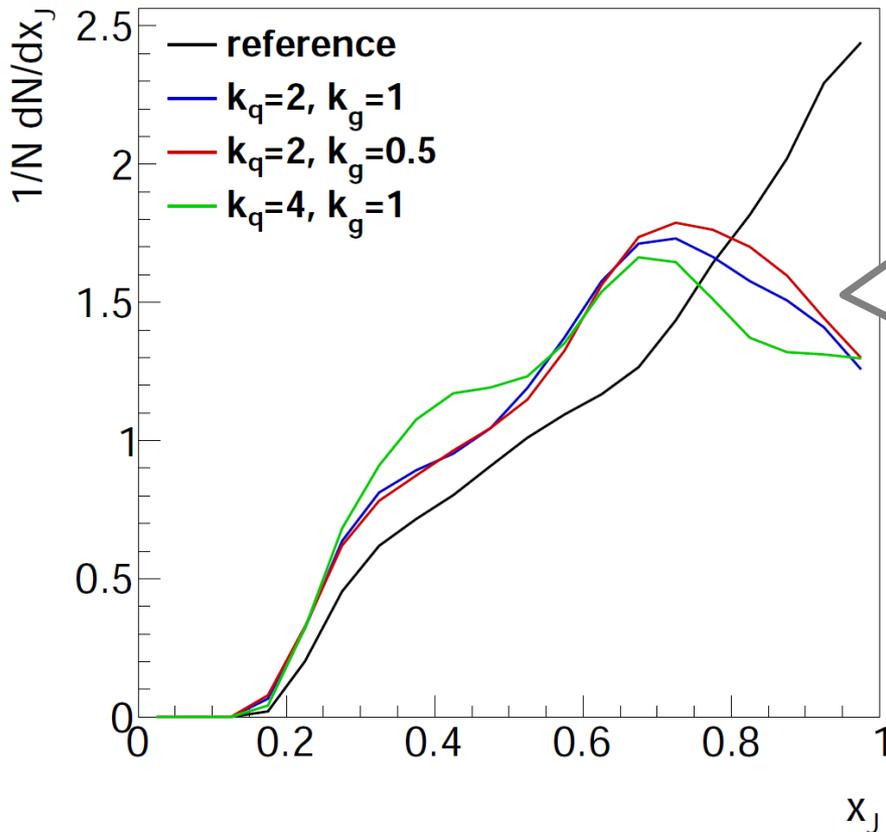
Path-length or fluctuations in IC have no major impact (similar conclusions in [EPJC 76 \(2016\) no.5, 288](#))



Dijet asymmetry

- Test the role of flavor

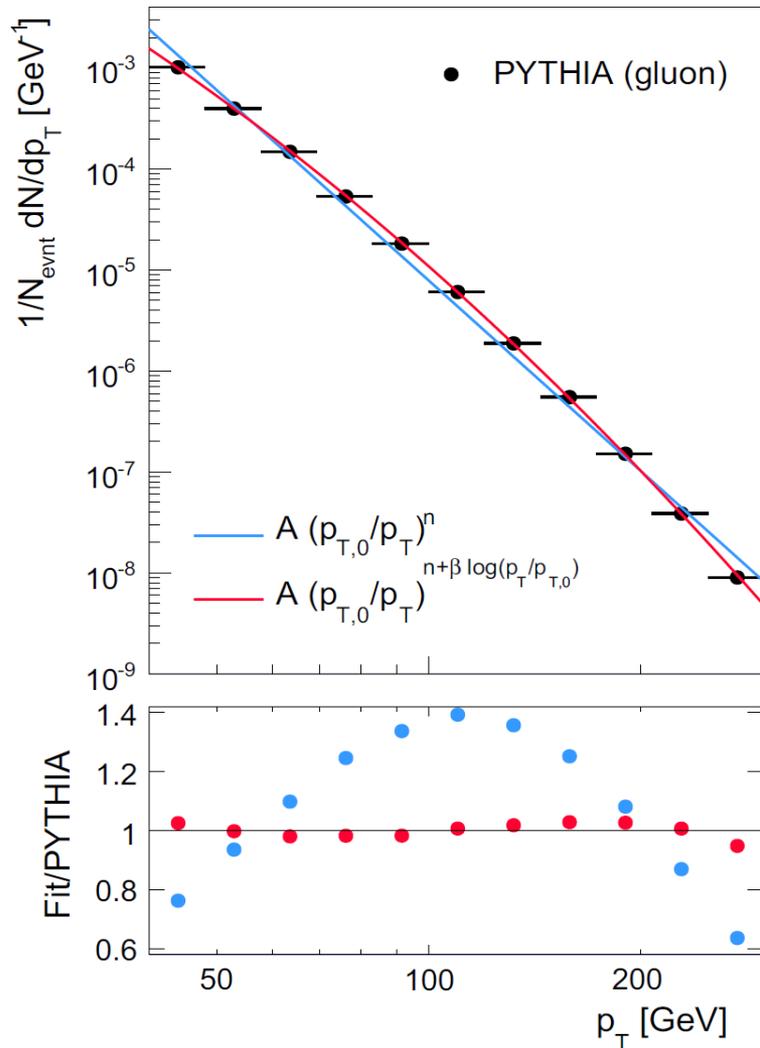
$$S(p_{T,ini}, l) = \frac{c_{FS}}{\langle l^{k(c_F)} \rangle} \left(\frac{p_{T,ini}}{p_{T,0}} \right)^\alpha f(l^{k(c_F)})$$



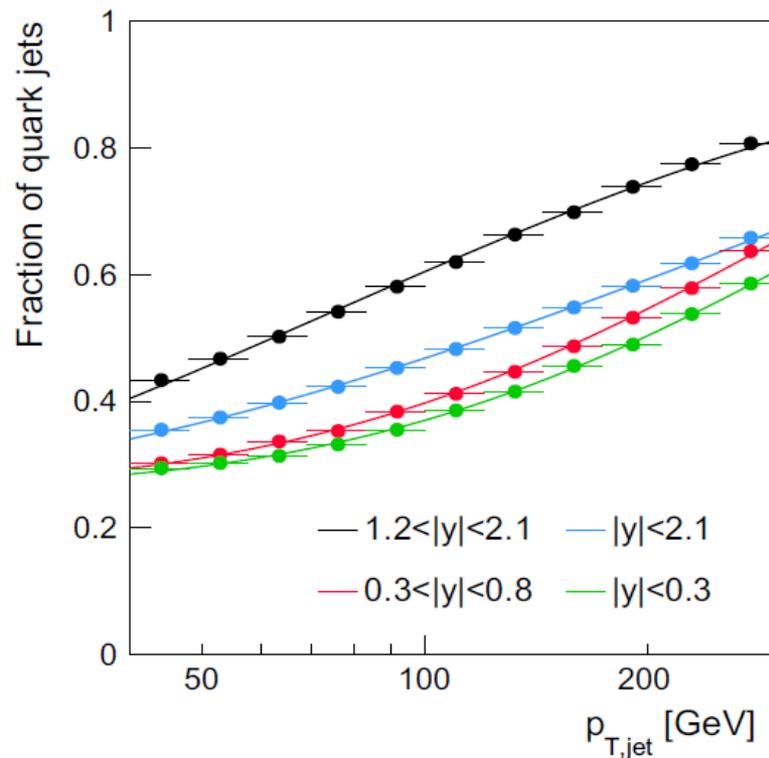
Peaking in the configurations when the loss of quark jets is more non-linear than the loss of gluon jets

... contra-intuitive

Flavor fractions and fit parameters

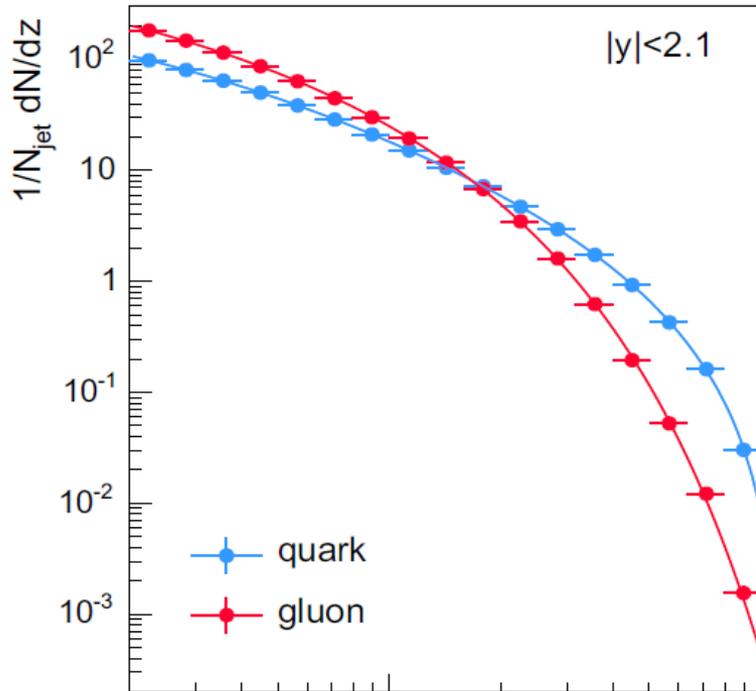


Fit type	Parameter	$ y < 2.1$	$ y < 0.3$	$0.3 < y < 0.8$	$1.2 < y < 2.1$
All	f_{q0}	0.34	0.28	0.29	0.40
Power law	n_q	5.66	5.37	5.40	6.15
	n_g	6.25	5.97	6.09	6.92
Extended power law	n_q	4.19	4.34	4.27	3.75
	β_q	0.71	0.49	0.54	1.2
	n_g	4.69	4.55	4.57	4.60
	β_g	0.80	0.71	0.76	1.2



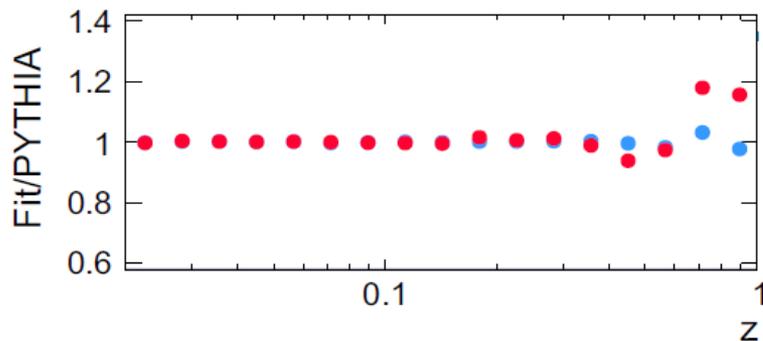


D(z) parameterization



$$D(z) = a \cdot \frac{(1 + dz)^b}{(1 + ez)^c} \cdot \exp(-fz)$$

	a	b	c	d	e	f
Quark	318	2.51	1.44	-0.85	52.4	0
Gluon	574	1.87	2.32	9.09	32.0	10.3



R_{AA} – full analytic expression



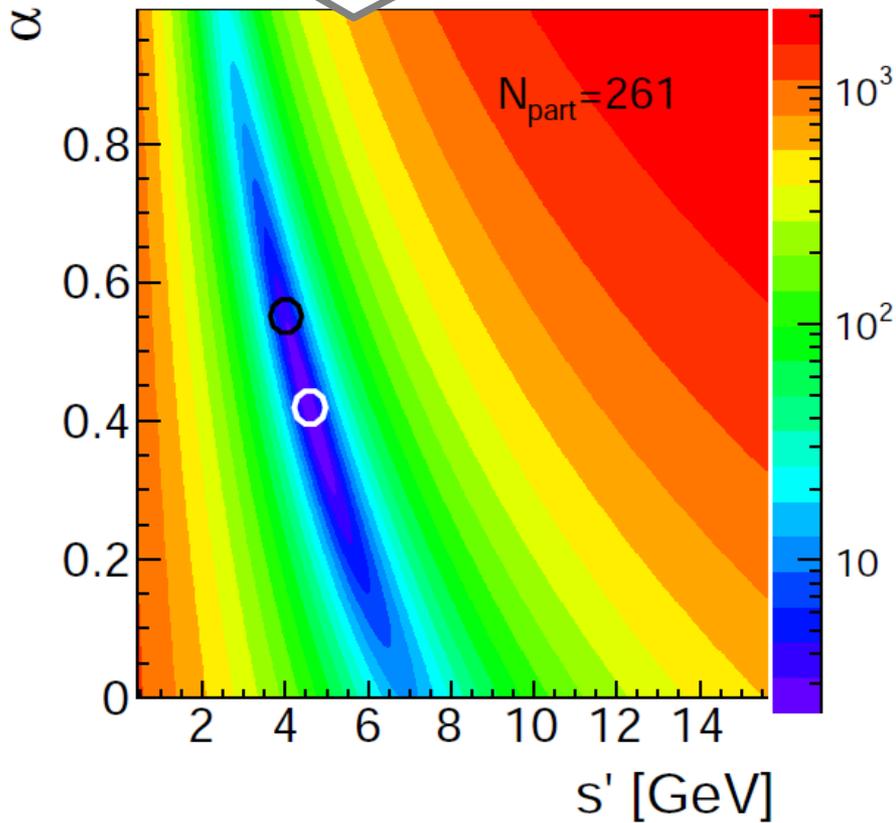
$$\begin{aligned}
 R_{AA} = & f_q \left(\frac{1}{1 + S_q/p_T^{\text{jet}}} \right)^{n_q + \beta_q \log((p_T^{\text{jet}} + S_q)/p_{T0})} \\
 & \times \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{\beta_q \log(1 + S_q/p_T^{\text{jet}})} \left(1 + \frac{dS_q}{dp_T^{\text{jet}}} \right) \\
 & + (1 - f_q) \left(\frac{1}{1 + S_g/p_T^{\text{jet}}} \right)^{n_g \beta_g \log((p_T^{\text{jet}} + S_g)/p_{T0})} \\
 & \times \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{\beta_g \log(1 + S_g/p_T^{\text{jet}})} \left(1 + \frac{dS_g}{dp_T^{\text{jet}}} \right),
 \end{aligned}$$

$$f_q \left(p_T^{\text{jet}} \right) = \frac{1}{1 + \left(\frac{1 - f_{q0}}{f_{q0}} \right) \left(\frac{p_{T0}}{p_T^{\text{jet}}} \right)^{n_g - n_q + (\beta_g - \beta_q) \log(p_T^{\text{jet}}/p_{T0})}}.$$

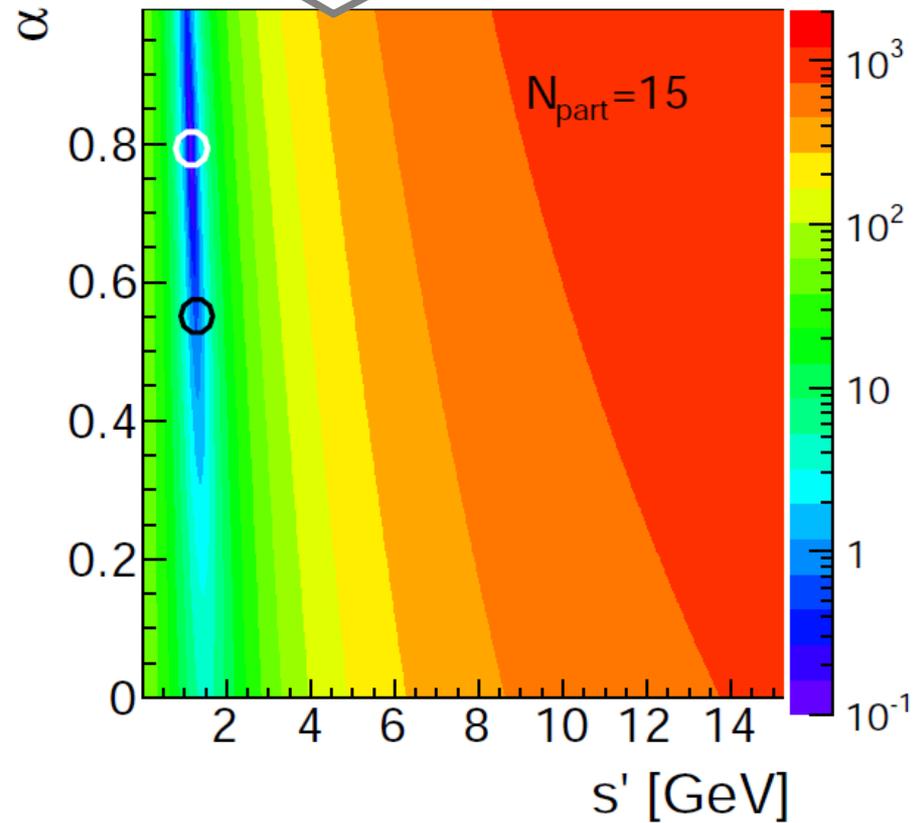


Minimization in (I.)

10-20%



60-70%



Modifications of fragmentation functions – a detail



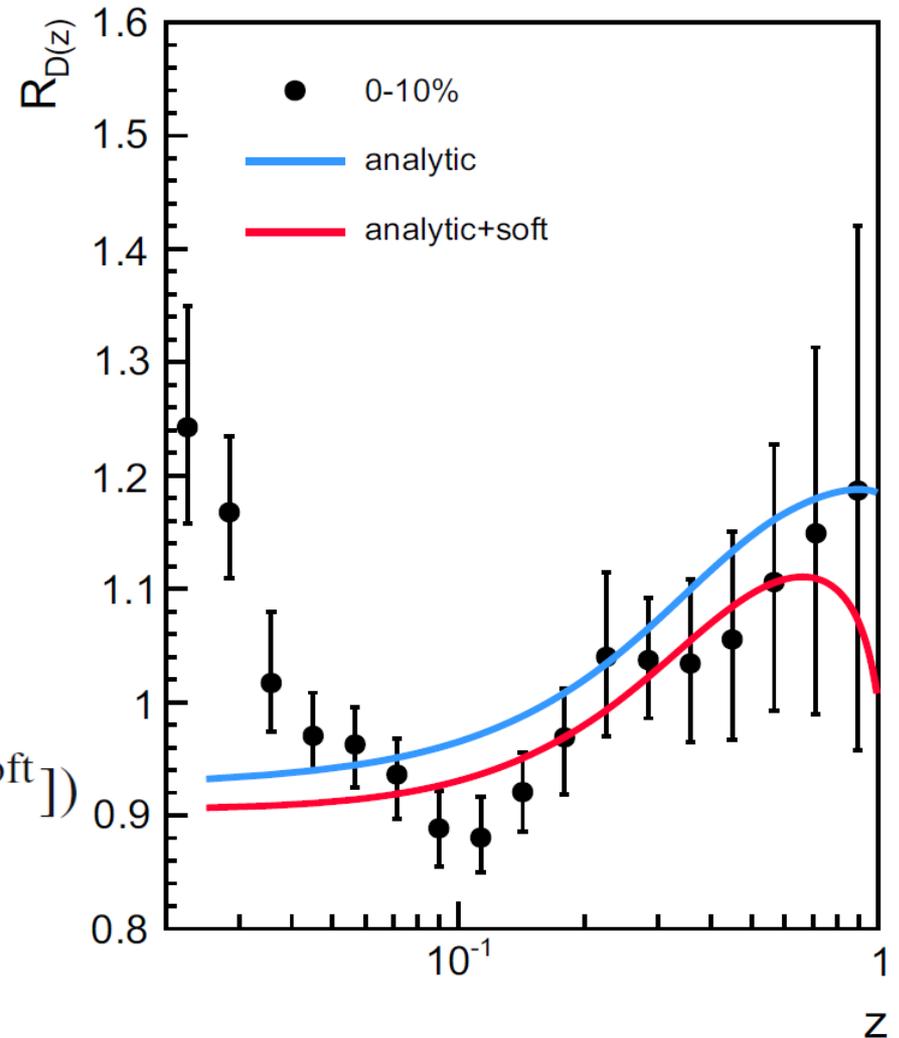
How is the soft excess estimated:

Measured
(at least partially)

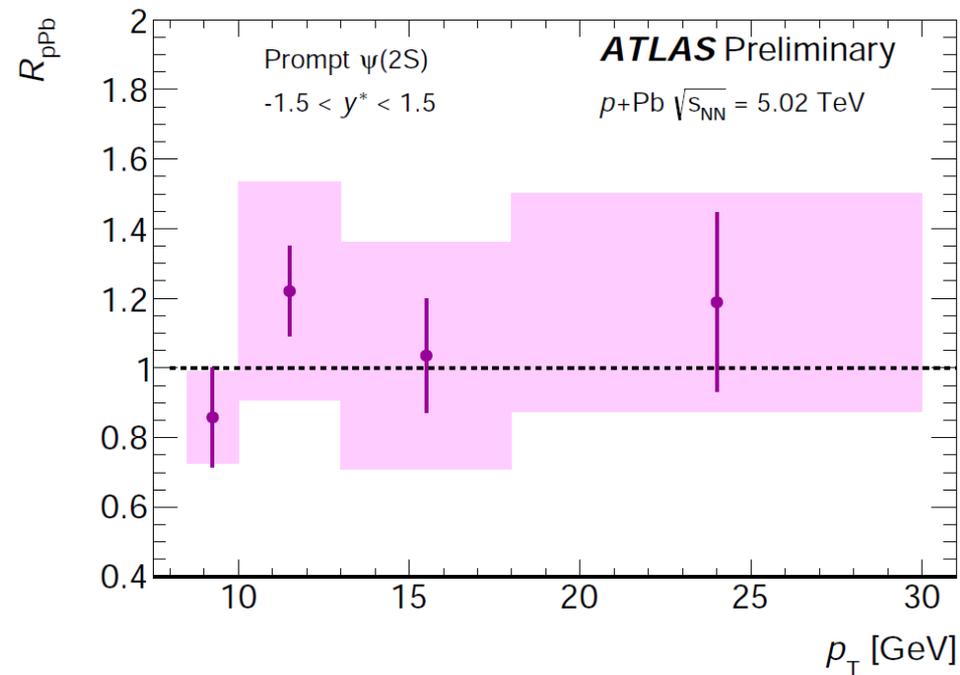
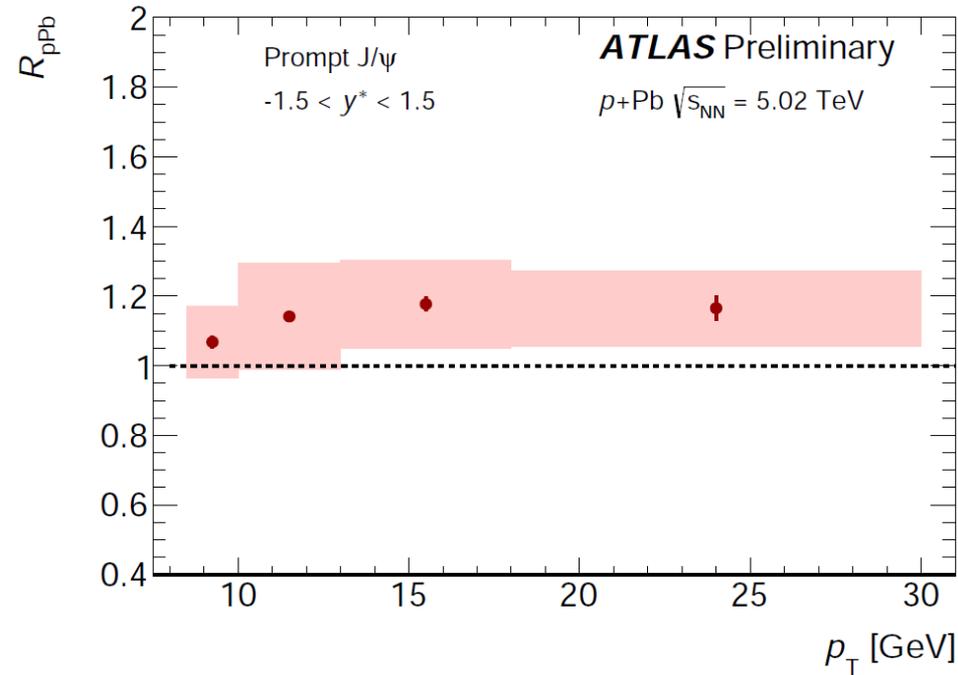
$$\Phi_{\text{inc}}^{\text{soft}} = f_q^{\text{int}} \Phi_q^{\text{soft}} + (1 - f_q^{\text{int}}) \Phi_g^{\text{soft}}$$

$$\Phi_g^{\text{soft}} = c_F \Phi_q^{\text{soft}}$$

$$D^{\text{meas}}(z) = f_q^{\text{int}} D_q(z[1 + \Phi_q^{\text{soft}}]) + (1 - f_q^{\text{int}}) D_g(z[1 + \Phi_g^{\text{soft}}])$$

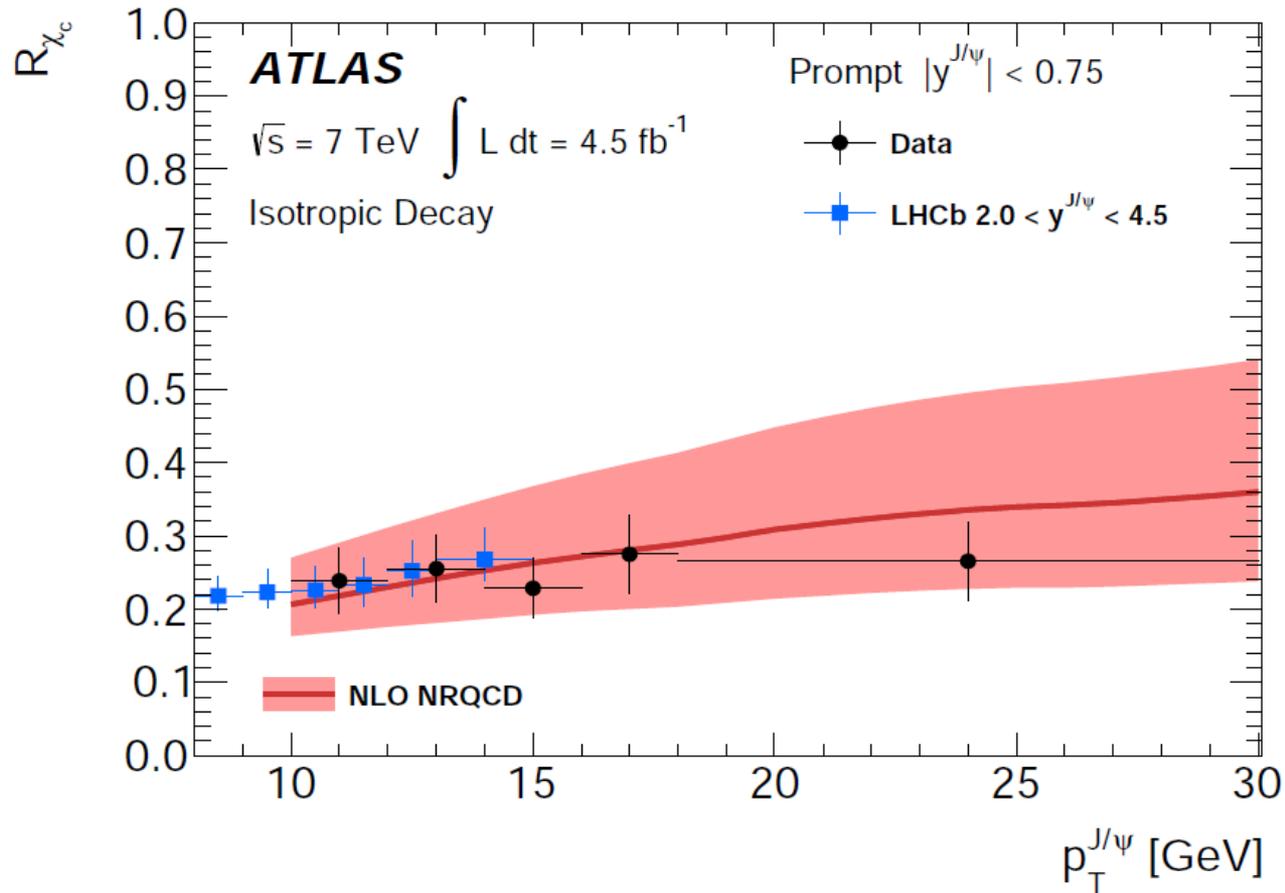


Charmonia in p+Pb





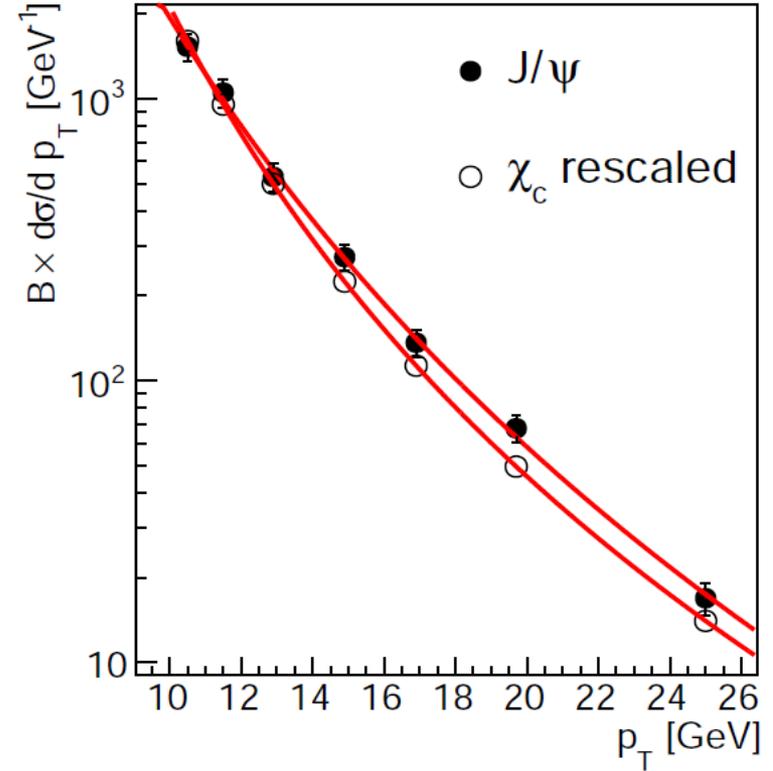
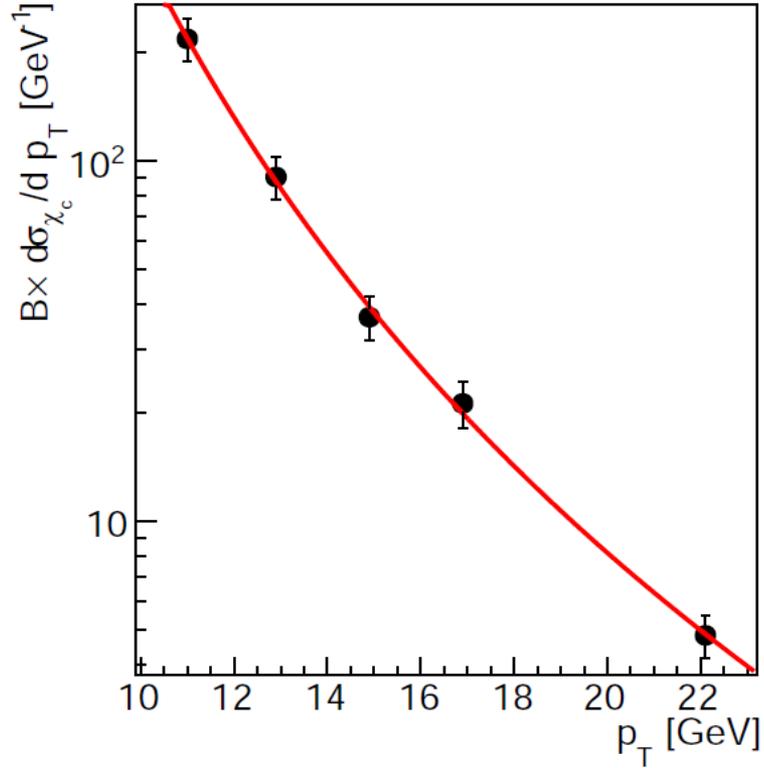
Feed down



ATLAS, JHEP 07 (2014) 154



Feed down



ATLAS, JHEP 07 (2014) 154



Introduction

Two paths:

- Be as realistic as one can:

- MC generators →
- JETSCAPE Collaboration
- theory calculations of parton energy loss



The Jet Energy-loss Tomography with a Statistically and Computationally Advanced Program Envelope (goal provide modular software which includes: modeling of initial state + dynamical evolution of QGP + jet energy loss + advanced statistical tools; <http://jetscape.wayne.edu/>)

- parametric modeling of parton energy loss

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(2017) 062302

Phys.Lett B767
(2017) 10

Eur.Phys.J. C76
(2016) no.2, 50

arXiv:1702.01931