

Vacuum breakdown voltage distributions between different contact arrangements and materials

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Overview





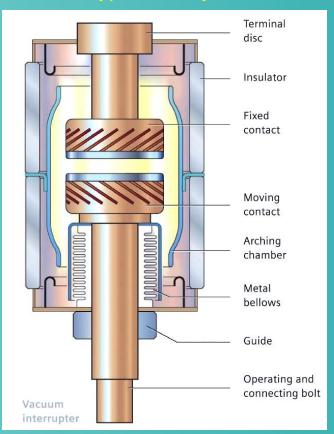
- Vacuum interrupters (VI's) have standard requirements to withstand high voltage pulses.
- Codified in BIL (U_p) voltage test.
- Detailed studies often use up-down method.
- Explored always breakdown method.
- Provided similar results, and much quicker.
- Comparison to linear collider breakdown models.
- Comparison of field emission from VI's/macroscopic contacts to microscopic field emission arrays (FEA's).
- Can connect VI's, linear colliders, and FEA's.

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Vacuum interrupter (VI) design



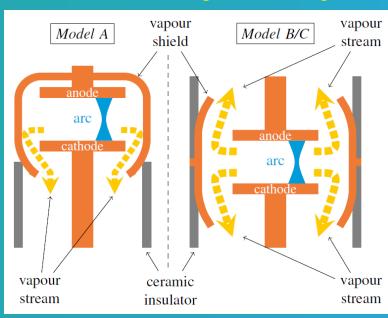
Typical VI layout



Range of VI's for different applications



Fixed and floating shield designs



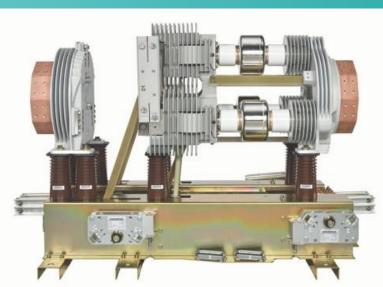
Janssen, et al., ISDEIV 2018

Vacuum interrupter applications

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Ingenuity for life







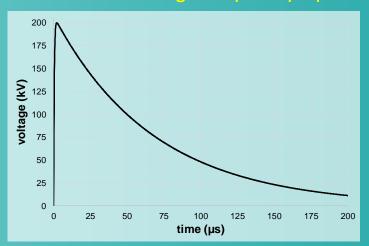




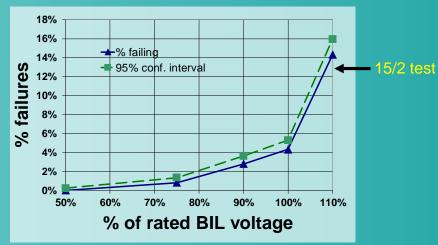
BIL voltage test (Up) and test methods



Standard BIL voltage 1.2µs/50µs pulse

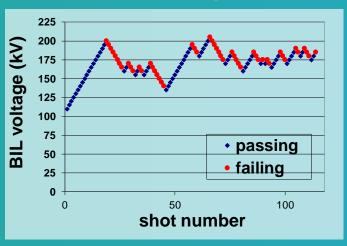


Typical BIL performance

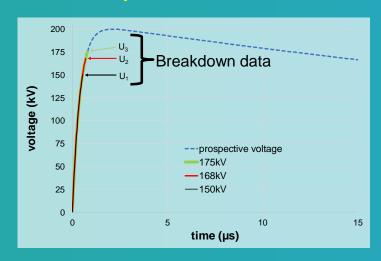


Taylor, Slade, ISDEIV 2006

Up-down voltage test



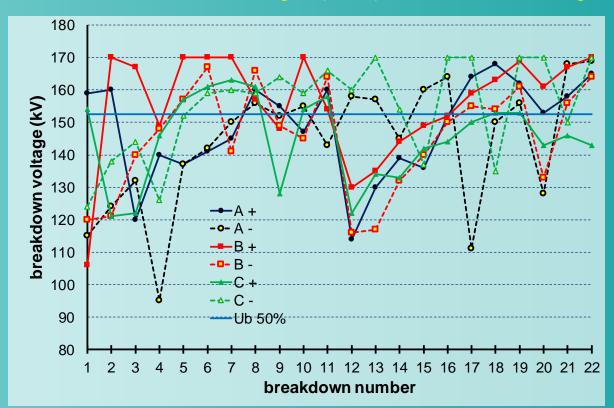
Always breakdown test



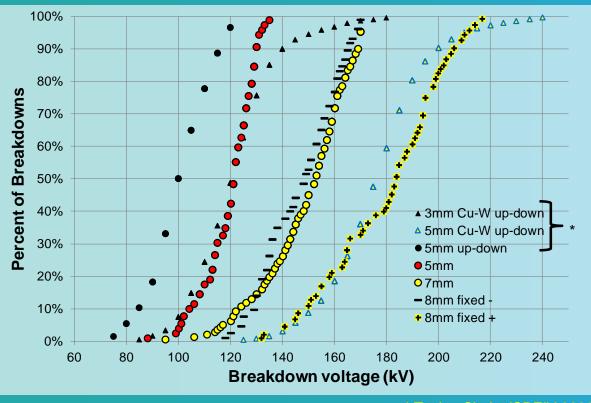
Breakdown data for VI's



Scatter of breakdown voltages (7mm) – limited conditioning



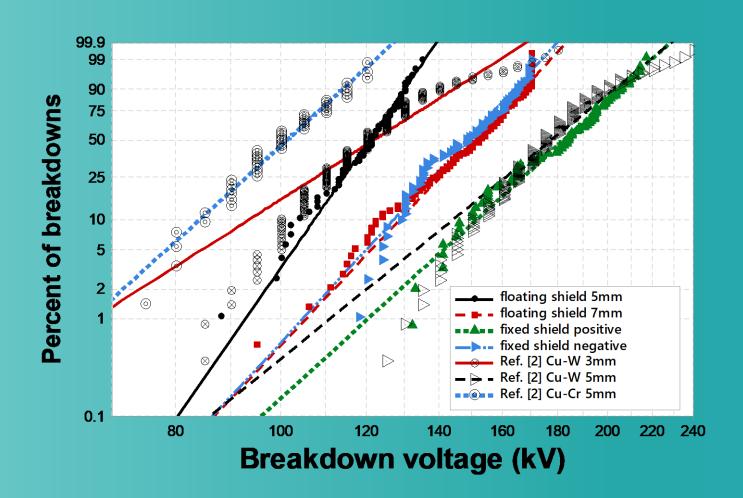
Cumulative breakdown distributions for different VI's



* Taylor, Slade, ISDEIV 2006

Fitting data to Weibull distributions





	Weibull	parameter	
data source	shape	scale (kV)	50% (kV)
floating shield 5mm	16.2	124	121
floating shield 7mm	11.8	156	151
fixed shield positive	10.2	189	182
fixed shield negative	12.1	153	149
Ref. [2] Cu-W 3mm	7.1	128	122
Ref. [2] Cu-W 5mm	9.0	185	178
Ref. [2] Cu-Cr 5mm	10.2	105	101

Empirical breakdown voltage models



$$F(x) = 1 - e^{-(x/\lambda)^k}$$
Scale parameter

$$BDR \sim E_a^{\gamma}$$
 Electric field magnitude

$$F(x) = (x/\lambda)^{\gamma}$$

$$\lim_{x/\lambda \to 0} \frac{1 - e^{-(x/\lambda)^k}}{(x/\lambda)^{\gamma}} = \frac{1 - (1 - (x/\lambda)^k)}{(x/\lambda)^{\gamma}} = 1$$

$$k = \gamma$$

Weibull cumulative breakdown distribution

Breakdown rate for linear colliders *

Possible extension of collider model

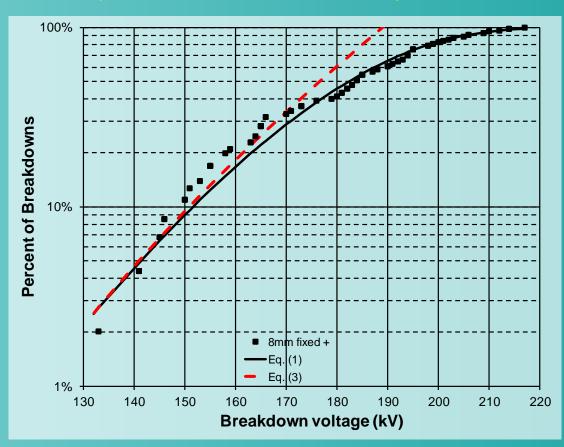
Models converge as voltage decreases -

when γ is equal to shape parameter

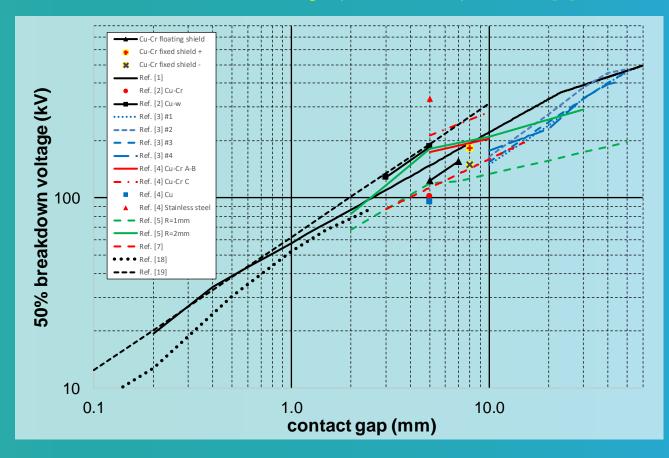
Comparison of empirical models and data



Example of VI data and models from previous slide



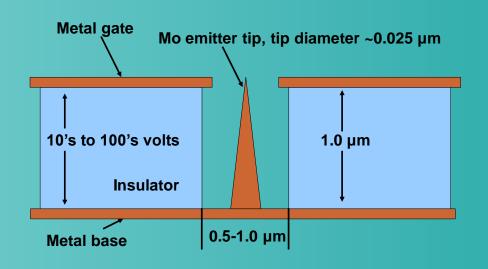
50% breakdown voltage (data/models) vs. Ref. [1]

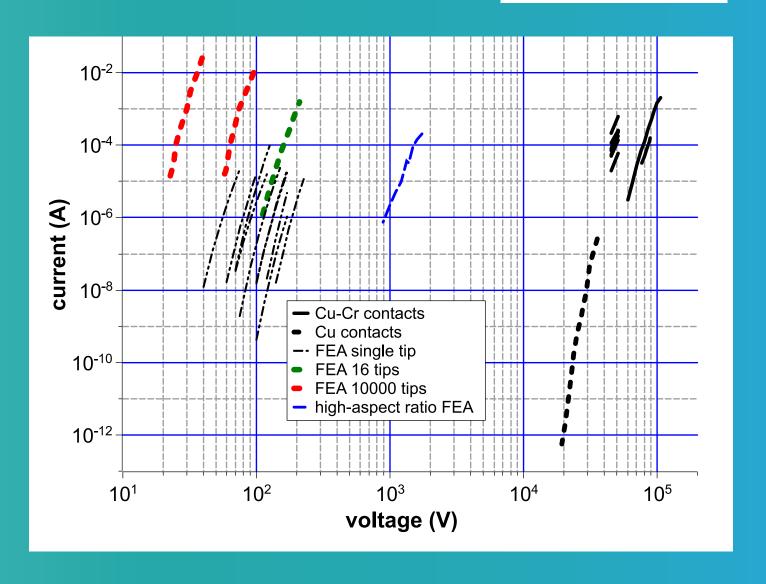


Comparison to other extreme of dimensions - FEA



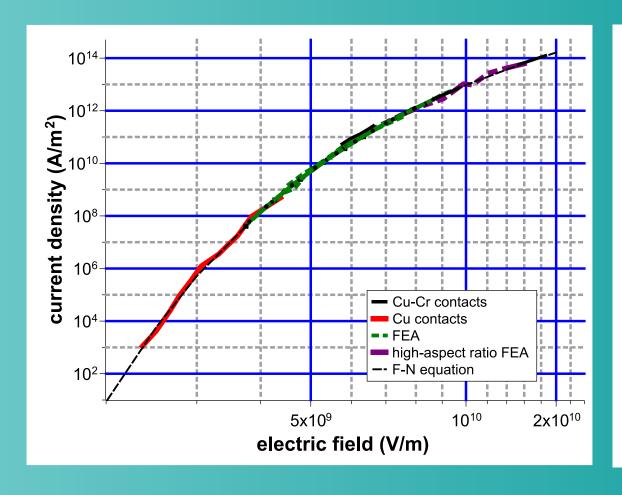
Ingenuity for life

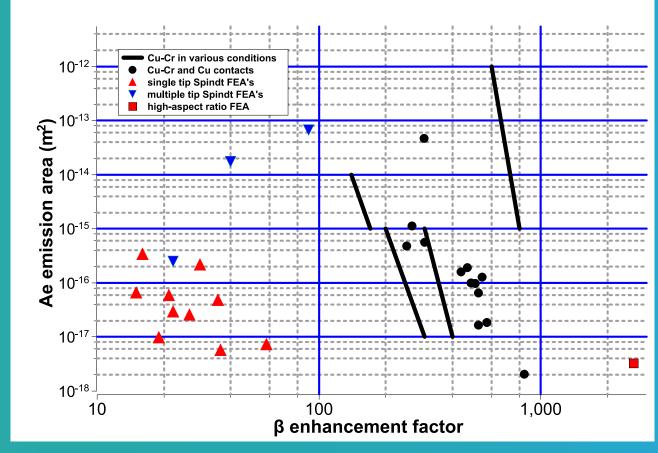




Comparison to F-N equation







Summary



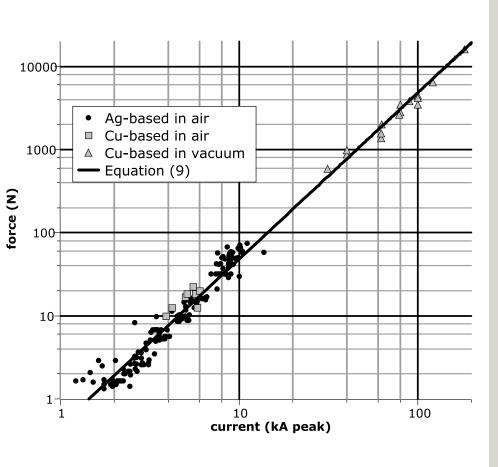


- Can connect results from vacuum interrupters, linear colliders, and microscopic FEA's.
- Always breakdown method quickly provided breakdown data.
 - Limited / no signs of (de-)conditioning during the test.
- Data generally fits Weibull distribution and extension of linear collider model when using the shape parameter.
 - Both VI's and colliders have very steep shape parameters.
 - VI's have values from 9-16, compared to ~30 for colliders.
 - But VI data does suggest a steeper value below a few percent.
 - Work continuing at Padua.
- Similar field emission behavior in VI's and FEA's, despite very large differences in dimensions, structure, and voltages.
- Meaningful breakdown model would need to include the variation in the breakdown voltage as well as rare but observed breakdowns at much higher than expected voltages.

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