#### VBSCAN@LJUBLJANA

# MACHINE LEARNING FUNDAMENTALS

#### THONG NGUYEN





# OUTLINE

- Overview: ML and its applications
- Introduction to Artificial Neural Networks
  - Supervised learning
  - Neural networks
  - (Stochastic) gradient descent
  - Backpropagation (chain rule)
  - Practicalities: overfitting, hyperparameter optimization
- Tools
  - ML: Keras/TensorFlow, PyTorch
  - CMS/HEP: rootpy, root\_numpy
- Exercises









## OVERVIEW

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"All the impressive achievements of deep learning amount to just curve fitting."

-Judea Pearl





# WHAT IS MACHINE LEARNING?

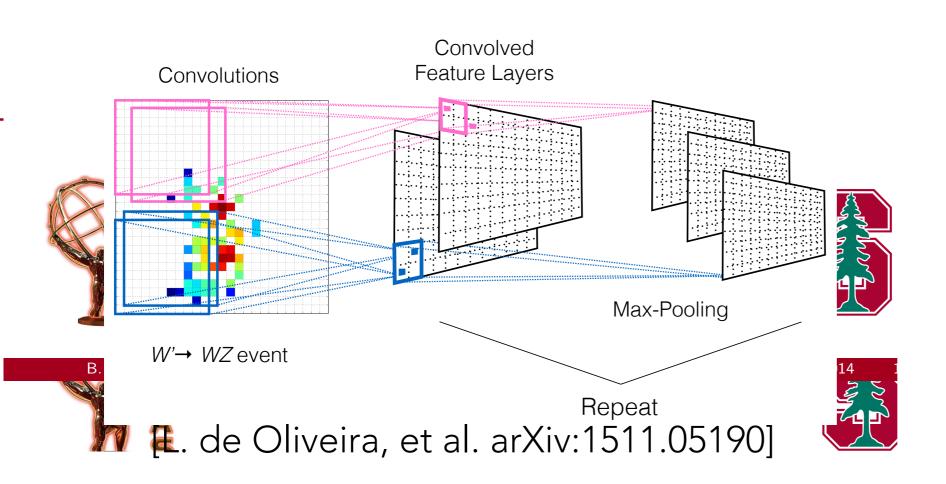
- Learning **mathematical models** from **data** that
  - characterize the patterns, regularities, and relationships amongst variables in the system
- Three key components:
  - **Model:** chosen mathematical model (depends on the task / available data)
  - Learning: estimate statistical model from data
  - **Prediction and Inference**: using statistical model to make predictions on new data points and infer properties of system(s)

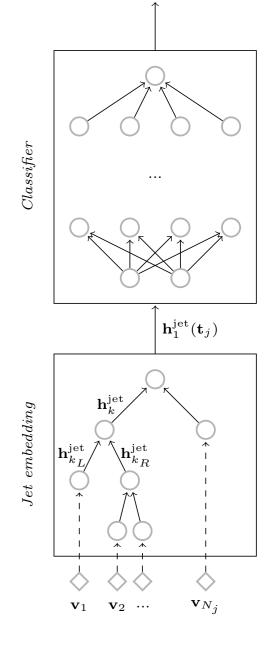




# MACHINE LEARNING APPS $_{f^{jet}(t_j)}$

- Many applications in HEP:
  - Convolutional neural networks using an analogy between calorimeters and images
  - Recursive neural networks built upon an analogy between QCD and natural languages





[G. Louppe, et al. arXiv:1702.00748]

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# INTRO TO ARTIFICIAL NEURAL NETWORKS

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# TYPES OF LEARNING

- Unsupervised Learning
  - Clustering
  - Dimensional reduction
  - •
- Supervised Learning
  - Classification
  - Regression





- Given N examples with features  $\{x_i \in X\}$  and targets  $\{y_i \in Y\}$ , learn function mapping h(x)=y
  - Classification:  $\mathcal{Y}$  is a finite set of labels (i.e. classes)

 $\mathcal{Y} = \{0, 1\}$  for **binary classification**, encoding classes, e.g. Higgs vs Background

 $\mathcal{Y} = \{c_1, c_2, \dots, c_n\}$  for multi-class classification

represent with "one-hot-vector"

$$\rightarrow$$
 y<sub>i</sub> = (0, 0, ..., 1, ...0)

were  $k^{th}$  element is 1 and all others zero for class  $c_k$ 



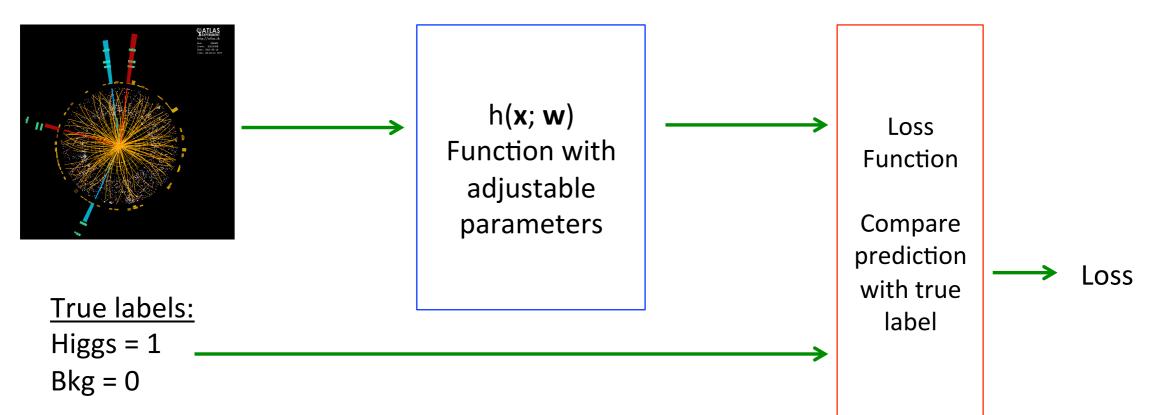


- Given N examples with features  $\{x_i \in X\}$  and targets  $\{y_i \in Y\}$ , learn function mapping h(x)=y
  - Classification: *Y* is a finite set of labels (i.e. classes)

- **Regression**: y = Real Numbers
  - Example: jet mass, b-tag score



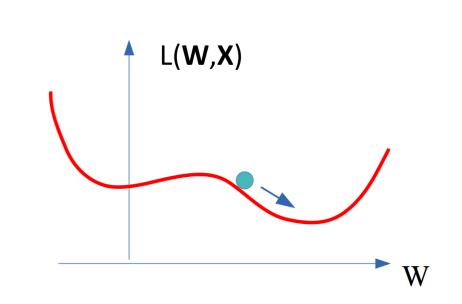




- Design function with adjustable parameters
- Design a Loss function

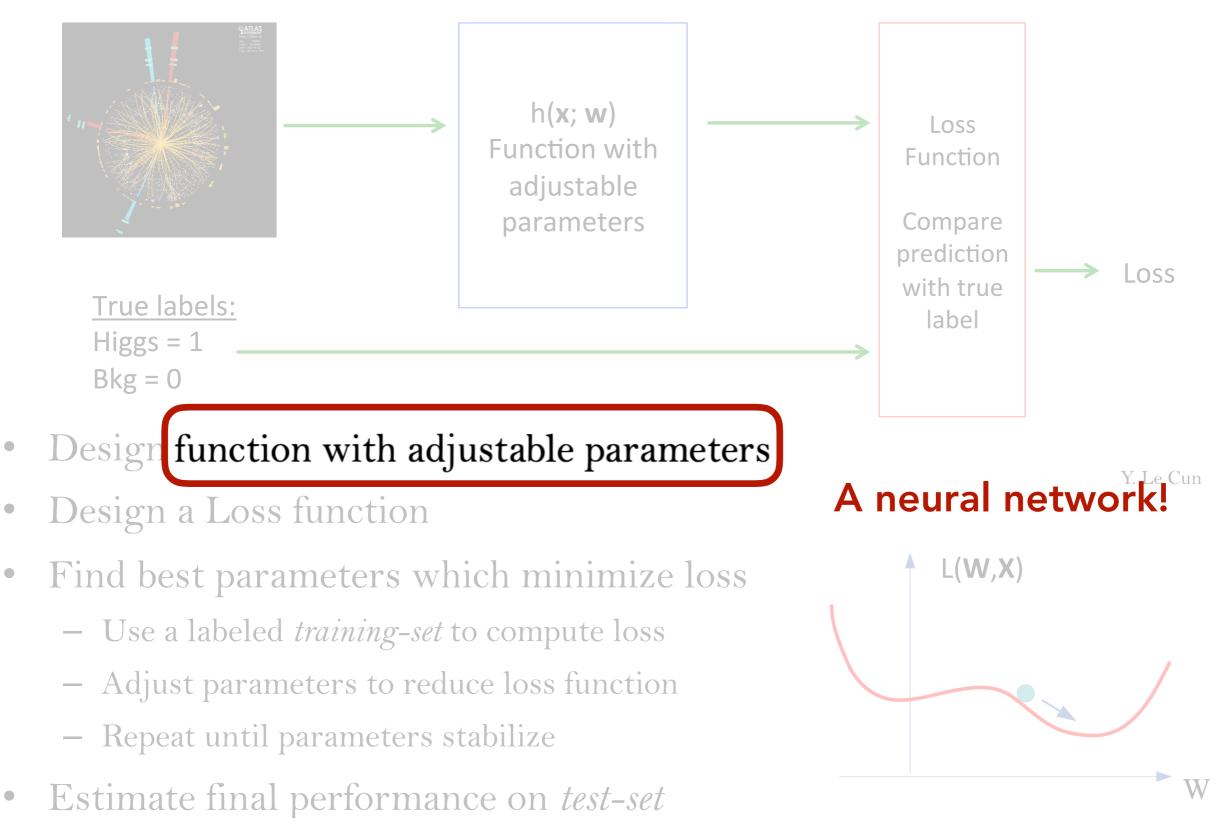
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- Find best parameters which minimize loss
  - Use a labeled *training-set* to compute loss
  - Adjust parameters to reduce loss function
  - Repeat until parameters stabilize
- Estimate final performance on *test-set*





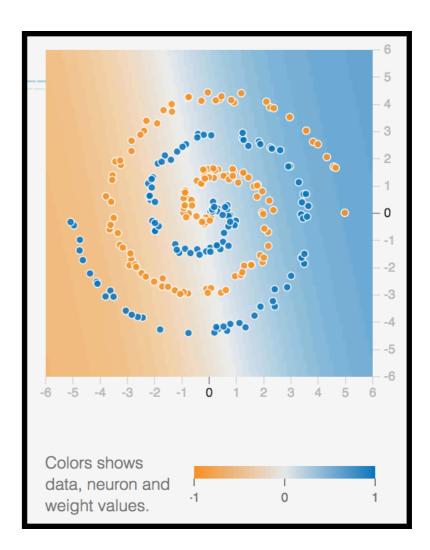
Y. Le Cun





# NEURAL NETWORK

- Universal approximation theorem:
  - Simple neural networks can represent a wide variety of complicated functions.
  - Neural network layer: an MxN matrix taking an input vector of length M outputs a vector of length N.

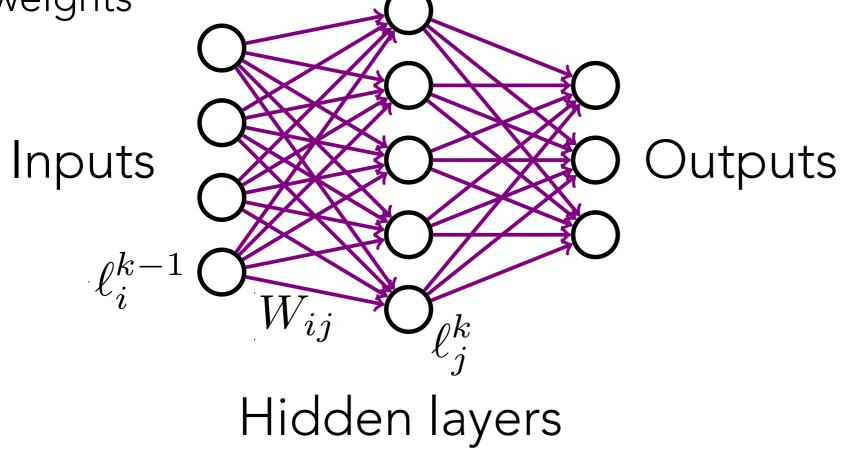


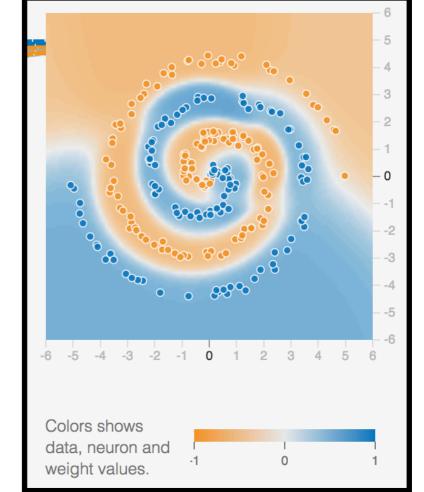




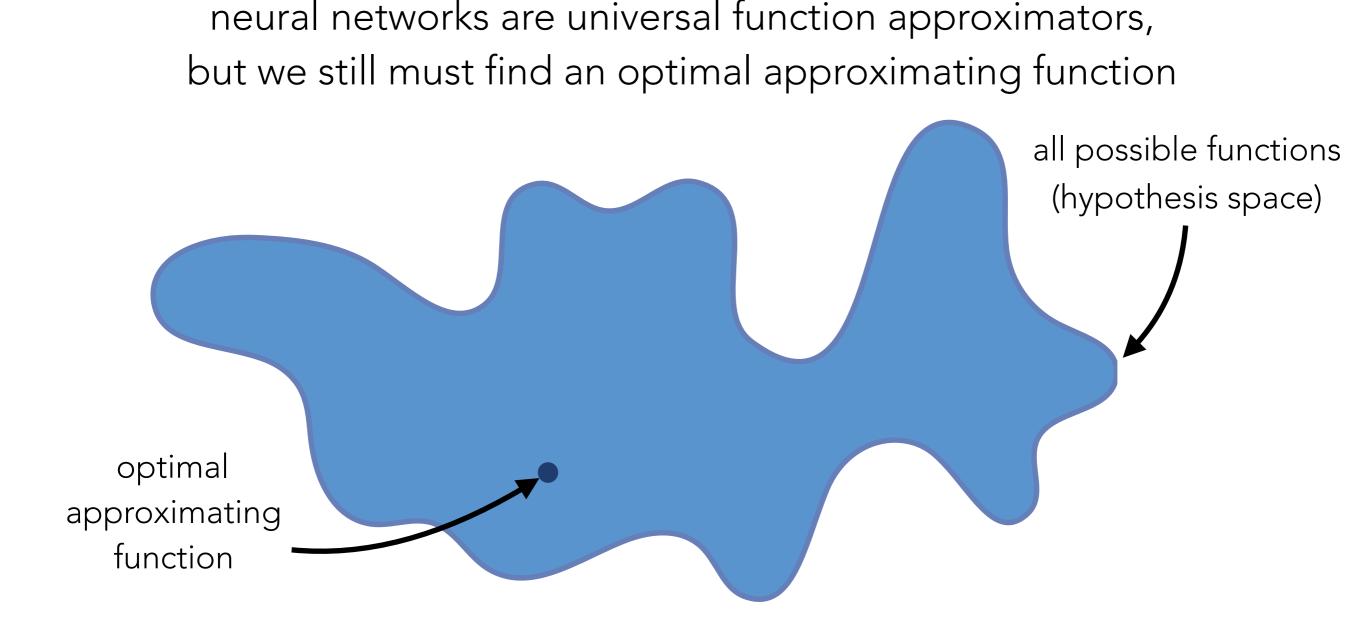
# NEURAL NETWORK

- Multiple layers: output of previous layer is fed forward to next layer after applying non-linear activation function  $\ell_i^k = \phi(W_{ij}\ell_i^{k-1} + b_j)$
- Fully connected: many independent weights
- Learning: Use analytic derivatives and stochastic gradient descent to find optimal weights





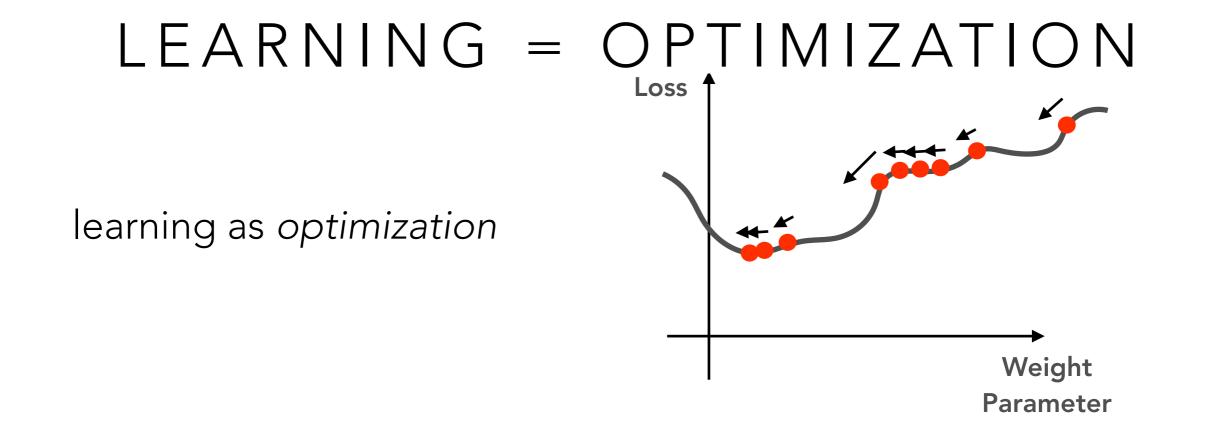




we do so by <u>adjusting the weights</u>







to learn the weights, we need the **derivative** of the loss w.r.t. the weight i.e. "how should the weight be updated to decrease the loss?"

$$w = w - \alpha \frac{\partial \mathcal{L}}{\partial w}$$

with multiple weights, we need the **gradient** of the loss w.r.t. the weights

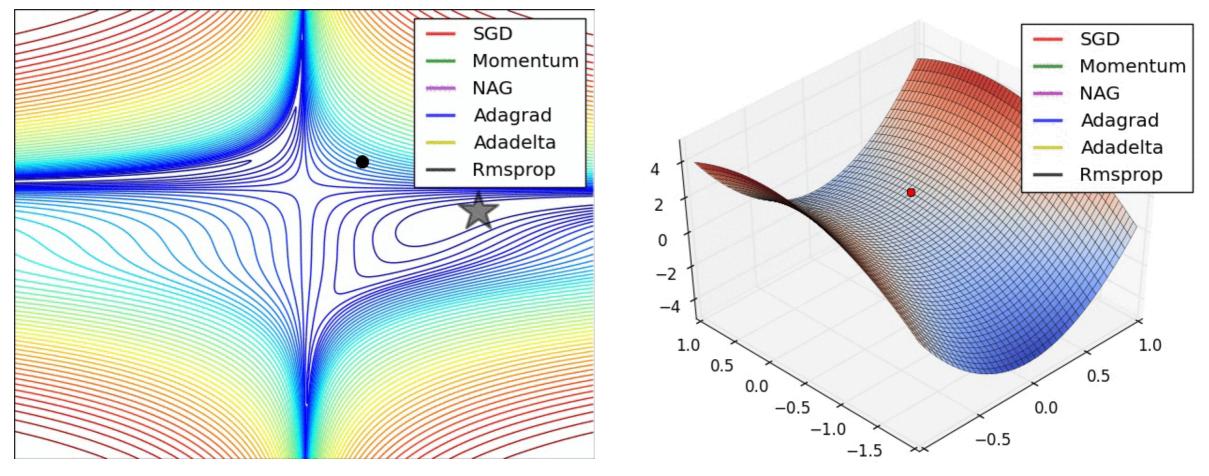
$$\mathbf{w} = \mathbf{w} - \alpha \nabla_{\mathbf{w}} \mathcal{L}$$

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STOCHASTIC GRADIENT DESCENT See animated gifs: <u>http://ruder.io/optimizing-gradient-descent/</u> stochastic gradient descent (SGD):  $w = w - \alpha \tilde{\nabla}_w \mathcal{L}$ use *stochastic gradient* estimate to *descend* the surface of the loss function

recent variants use additional terms to maintain"memory" of previous gradient information and scale gradients per parameter



local minima and saddle points are largely not an issue

in many dimensions, can move in exponentially more directions



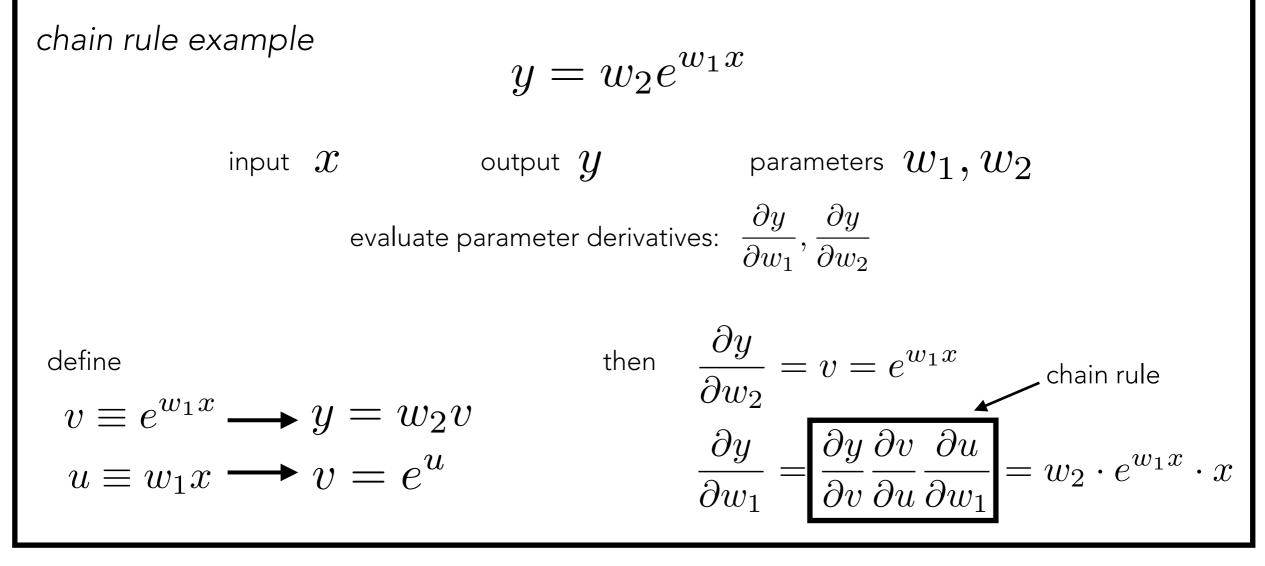
BACKPROPAGATION

a neural network defines a function of composed operations

$$f_L(\mathbf{w}_L, f_{L-1}(\mathbf{w}_{L-1}, \dots, f_1(\mathbf{w}_1, \mathbf{x}) \dots))$$

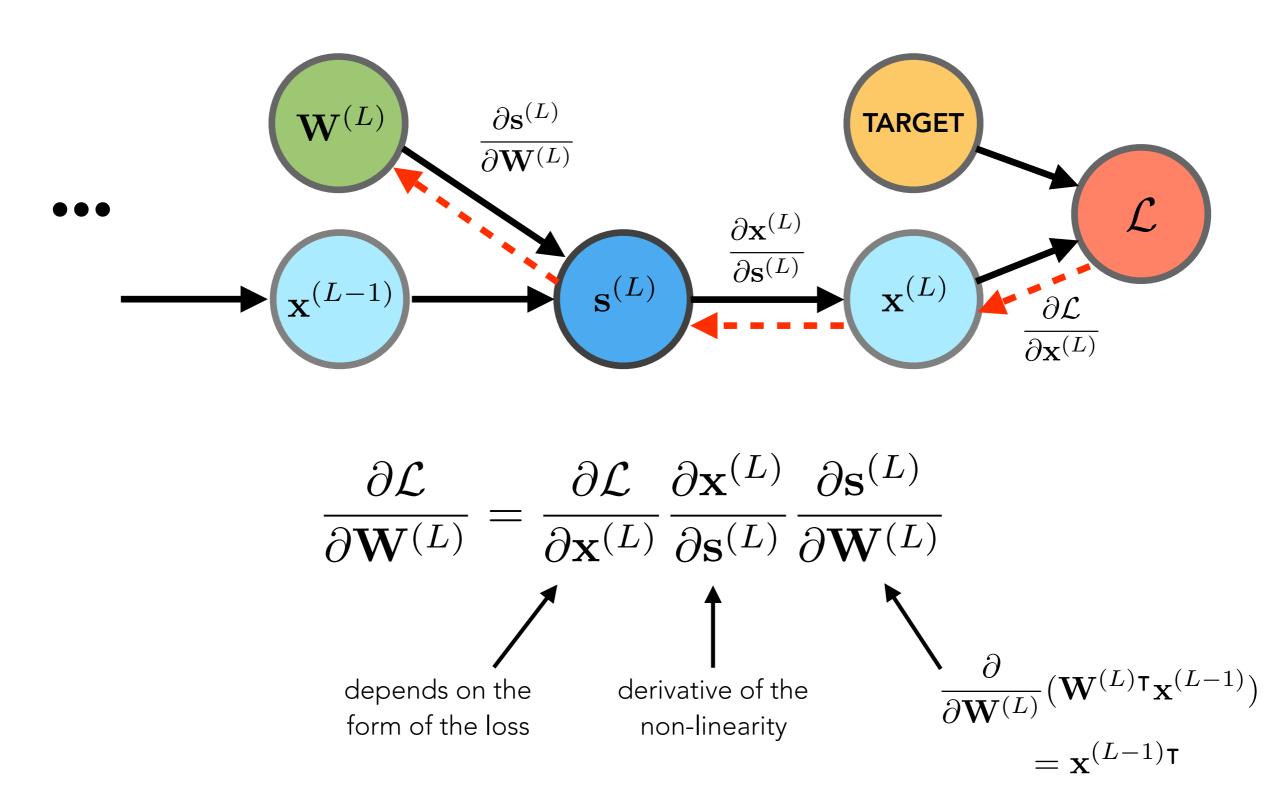
and the loss  ${\mathcal L}$  is a function of the network output

→ use <u>chain rule</u> to calculate gradients





#### BACKPROPAGATION

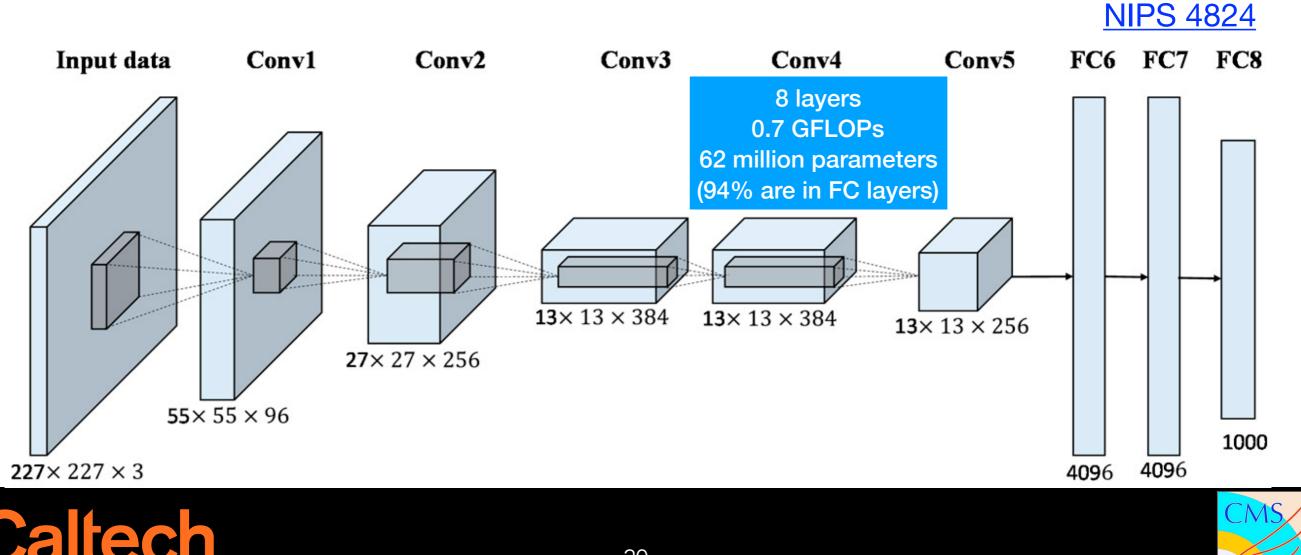


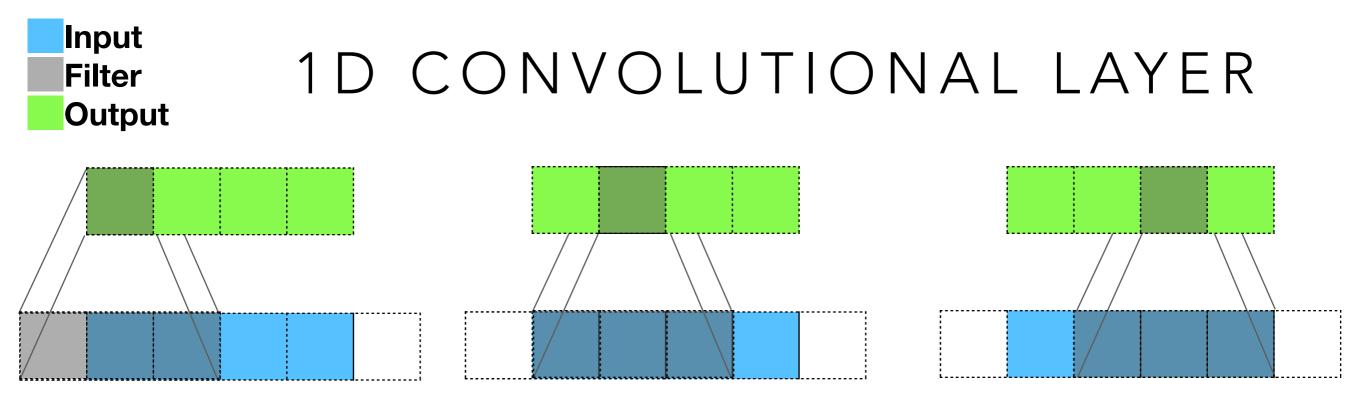


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#### CONVOLUTIONAL NETWORKS

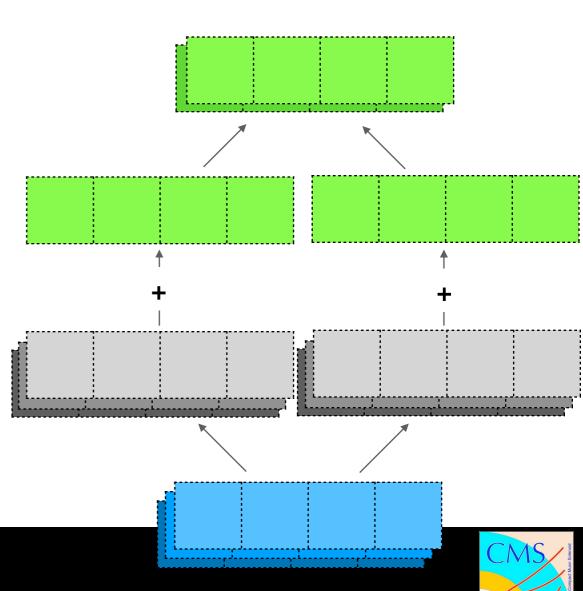
- Main task is computer vision/image recognition
- Control the number of parameters by baking in assumptions like locality and translation invariance to share weights within a layer





- Filter moves across input dimension
  - $C_0 = f_0^* i_{-1} + f_1^* i_0 + f_2^* i_1$
- Example hyper-parameter settings:
  - Input size = 4
  - Number of channels = 3
  - Filter size = 3
  - "Same" / "Half" zero padding
  - Number of filters = 2
  - Output size = 4

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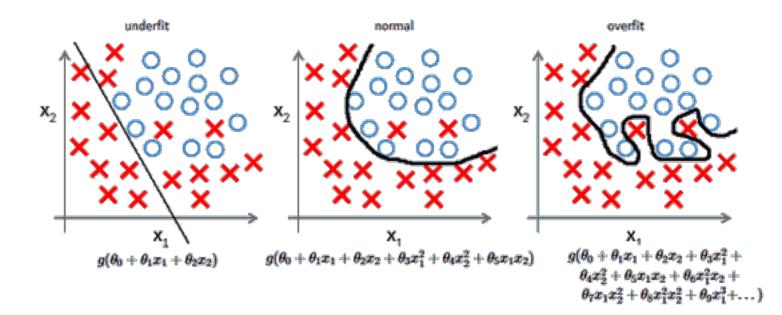
# PRACTICALITIES

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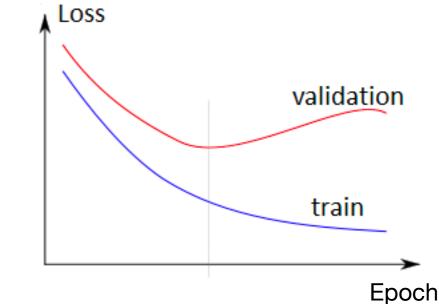
#### OVERFITTING



- Split data to training/validation/test sets:
  - After each epoch (one iteration of training on the whole dataset), validate the model on the validation set. Stop training early when overfitting appears.

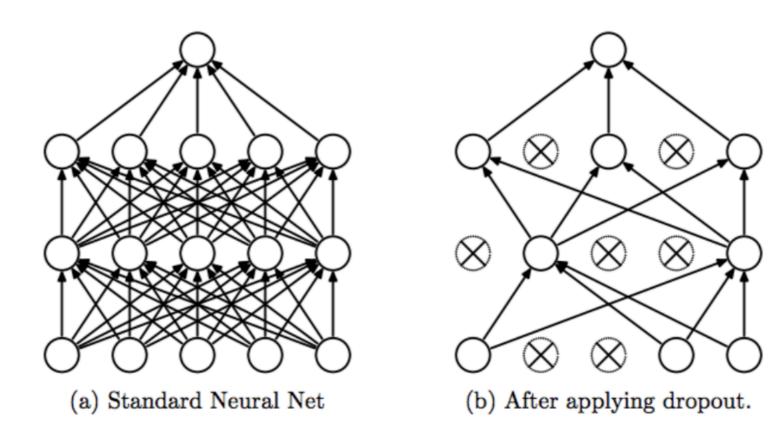


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## DROPOUT



Srivastava et. al.

- Randomly remove connections between layers
- Effective against overfitting.





#### HYPERPARAMETER OPTIMIZATION

- Hyperparameters: Initial parameters to design the neural networks, not learnable via SGD.
  - Example: Number of hidden layers, number of neurons in each layer, learning rate, etc.
- Solutions: Random search, grid search, Bayesian optimization, evolutionary algorithm.
  - Minimize f(x) where x: set of hyperparameters, f(x): model performance given the set of hyperparameters.





# BAYESIAN OPTIMIZATION



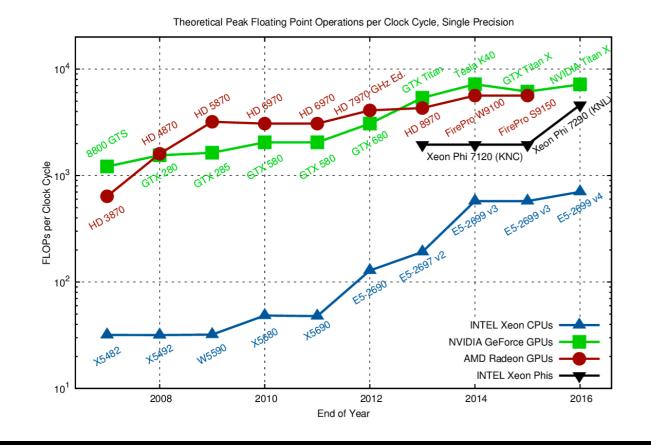
- Objective: Find the optimal point in hyperparameter space x that minimizes the objective function y = f(x).
- Bayesian optimization: fit the distribution  $\{y_n = f(x_n)\}_{n=1..N}$  with Gaussian process regression, predict the next value  $x_{N+1}$  that offers the best expected improvement on y.
  - x = set of hyperparameters
  - f(x) = final validation loss or negative validation accuracy of the model trained with given set of hyperparameters x.





### GPU VS CPU

- GPUs: specialized hardware originally created to render games in high frame rates.
  - Graphics texturing and shading require a lot of matrix and vector operations executed in parallel.
- Deep learning also requires super fast matrix computations.



Large-scale Deep Unsupervised Learning using Graphics Processors

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**IMCL 2009** 





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# TOOLS





# TOOLS

- Python
  - NumPy: <u>http://www.numpy.org/</u>
  - SciPy: <u>https://www.scipy.org/</u>
- Machine Learning
  - scikit-learn: <u>http://scikit-learn.org/</u>
  - Keras: <u>https://keras.io/</u>
  - PyTorch: <u>https://pytorch.org/</u>
- CMS/HEP
  - root\_numpy: <u>http://scikit-hep.org/root\_numpy/</u>
  - uproot: <u>https://github.com/scikit-hep/uproot</u>







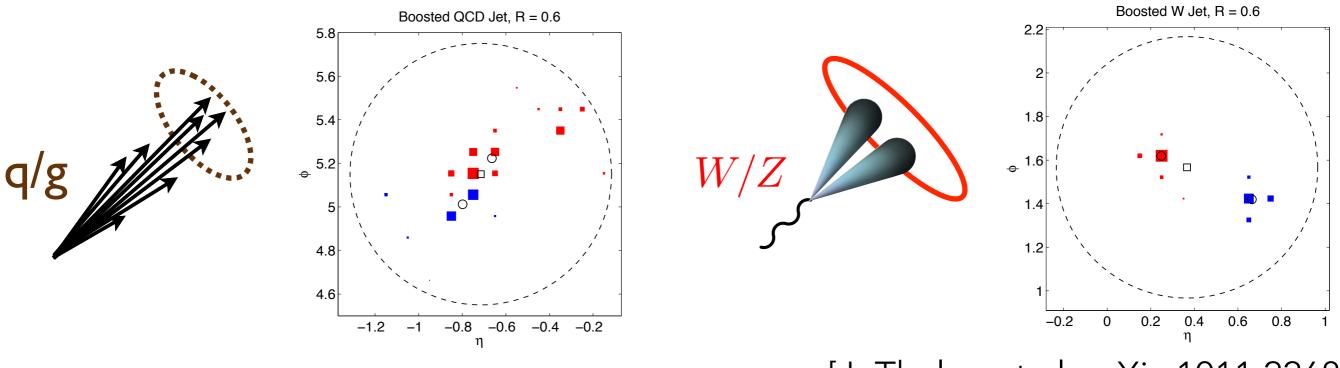


# EXERCISES

CMS DAS 2019 ML

# CLASSIC JET PROBLEM

- A jet is a collimated spray of energetic particles originating from the fragmentation of scattered partons (quarks or gluons)
- One classic problem is identifying whether the jet originates from the decay of a boosted particle W/Z/H/t or simply from a quark/gluon (QCD)



[J. Thaler, et al. arXiv:1011.2268]

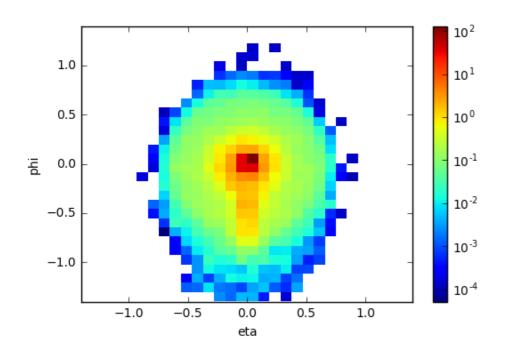




#### JET-IMAGES

- Visualize jets as an discrete images
- Note: these are averaged images!

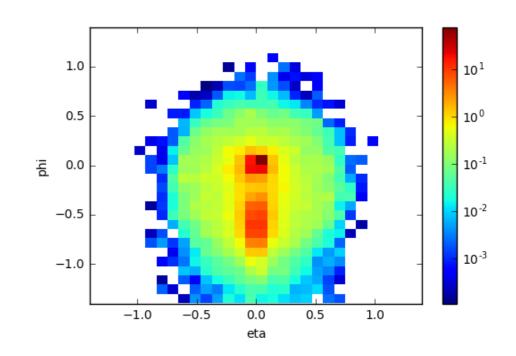
QCD mean jet image



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W jet image





# DATASET LOCATION

Available on CMS LPC:

<u>root://cmseos.fnal.gov//eos/uscms/store/user/woodson/</u> <u>DSHEP2017/</u>

 Small subset available on CERNBox: <u>https://cernbox.cern.ch/index.php/s/NTG4OgGik4rlsOk</u>





# REFERENCES

- Michael Kagan. CERN Academic Lectures on Machine Learning: <u>https://indico.cern.ch/event/619370/</u>
- Yisong Yue. Caltech Machine Learning & Data Mining cosrse: <u>http://www.yisongyue.com/courses/</u> <u>cs155/2018\_winter/</u>





#### CMS DAS 2019 ML BACKUP



