

# Long-lived stau, sneutrino dark matter and reconstruction of right-handed slepton masses

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based on [10.1007/JHEP09\(2018\)143](https://arxiv.org/abs/10.1007/JHEP09(2018)143)

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# Motivations: Neutrino mass and Dark Matter

- ▶ Neutrino oscillation and Astrophysical data on DM(rotation curve, bullet cluster etc.)  $\Rightarrow$  **BSM theories**
- ▶ SM gauge singlet right-handed neutrinos ( $\nu_R$ ) + Weakly Interacting Massive Particles (WIMP)( $g_{WIMP} \sim 0.1$  and  $m_{DM} \sim 100$  GeV)
- ▶ **Null results from Direct-detection experiments** + **No evident of WIMP DM in MET( $\cancel{E}_T$ )+X channels in LHC.**
- ▶ FIMP DM with negligible interaction strength with SM particles have been envisaged as an alternative possibility.
- ▶ Negligible interaction **prevents** FIMP DM to stay in equilibrium with thermal plasma and to be produced inside colliders
- ▶ Relic density is created from the decay of heavier bath particles  $\Rightarrow$  **Correct Relic demands FIMP interaction strength  $\lesssim 10^{-10}$ .**

# Neutrino mass and FIMP realization in $\tilde{\nu}$ MSSM

- ▶ R-parity conserved MSSM  $\Rightarrow$  **Naturalness**,  $\tilde{\chi}_1^0$  WIMP DM
- ▶ Neutrino oscillation data  $\Rightarrow$  3 generations of  $\hat{\nu}_R$ .
- ▶ With only Dirac type masses for  $\nu$ s  $\Rightarrow$   
 $W_{\tilde{\nu}\text{MSSM}} = W_{\text{MSSM}} + y_\nu \hat{H}_u \hat{L} \hat{\nu}_R^c$ .
- ▶ Neutrino oscillation data and cosmological bounds on neutrino masses  $\Rightarrow 2.8 \times 10^{-13} \lesssim y_\nu \lesssim 4.4 \times 10^{-13}$ .
- ▶ Such small couplings forces  $\tilde{\nu}$  to stay out of equilibrium during the evolution of universe.
- ▶ FIMP  $\tilde{\nu}$ s are produced from the decay of other heavier superparticles (**still in thermal equilibrium**) and also from **out-of-equilibrium** decay of NLSPs,  $\tilde{\tau}_1$  in our case

$$\Rightarrow \Omega_{\tilde{\nu}} h^2 = \frac{1.09 \times 10^{27}}{g_*^{3/2}} m_{\tilde{\nu}} \sum_i \frac{g_i \Gamma_i}{m_i^2} + \frac{m_{\tilde{\nu}}}{m_{\tilde{\tau}_1}} \Omega_{\tilde{\tau}_1} h^2.$$

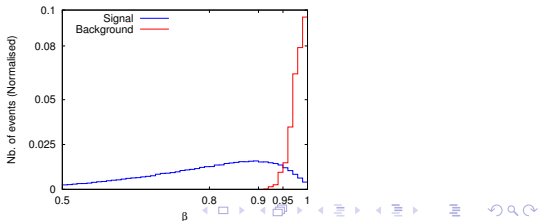
## Collider signature of $\tilde{\nu}$ MSSM

- Small  $y_\nu$  causes  $\tilde{\tau}_1$  to be long-lived  $\Rightarrow \Gamma_{\tilde{\tau}_1} \simeq \Gamma_{\tilde{\tau}_1 \rightarrow W\tilde{\nu}} =$

$$\frac{g^2 \tilde{\Theta}^2}{32 \pi} |U_{L1}^{(\tilde{\tau}_1)}|^2 \frac{m_{\tilde{\tau}_1}^3}{m_W^2} \left[ 1 - \frac{2(m_{\tilde{\nu}}^2 + m_W^2)}{m_{\tilde{\tau}_1}^2} + \frac{(m_{\tilde{\nu}}^2 - m_W^2)^2}{m_{\tilde{\tau}_1}^4} \right]^{3/2}, \text{ where}$$

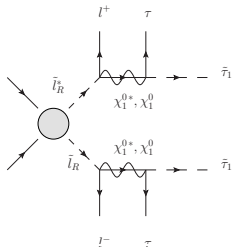
$$\tan 2\tilde{\Theta} = \frac{2y_\nu v \sin \beta |\mu \cot \beta - A_\nu|}{m_{\tilde{\nu}L}^2 - m_{\tilde{\nu}}^2}.$$

- For  $m_{\tilde{\tau}_1} \sim 500$  GeV,  $m_{\tilde{\nu}} \sim 100$  GeV lifetime of  $\tau_{\tilde{\tau}_1} \sim 1$  sec  $\Rightarrow \tilde{\tau}_1$  behave as *heavy muons* inside the detector and decays only outside the detector.
- Large  $p_T$ -cut and cuts on the time delay between production and detection of  $\tilde{\tau}_1$ s in muon chamber (commonly known as  $\beta$ - cut) helps to distinguish  $\tilde{\tau}_1$  from SM muons.
- The  $\beta$  distribution of the signal and background is shown:



# Collider signature of $\tilde{\nu}$ MSSM

- ▶ Given the  $\tilde{\nu}$ -LSP and  $\tilde{\tau}_1$ -NLSP specific mechanism of SUSY breaking dictates the N<sup>2</sup>LSP, whether  $\tilde{l}_R$  or  $\tilde{\chi}_1^0$ .
- ▶ Depending on the mass-orderings  $m_{\tilde{\tau}_1} < m_{\tilde{l}_R} < m_{\tilde{\chi}_1^0}$  or  $m_{\tilde{\tau}_1} < m_{\tilde{\chi}_1^0} < m_{\tilde{l}_R}$  we have two possible topologies,



- ▶ Gives rise to **two possible signals**
  1.  $2 \tilde{\tau}_1 + 2$  same-flavour opposite sign leptons + 1  $\tau$ - tagged jet
  2.  $2 \tilde{\tau}_1 + 2$  same-flavour opposite sign leptons + 2  $\tau$ - tagged jets

## Strategy of $M_{\tilde{l}_R}$ reconstruction

- ▶ **Signal 1:** Assymmetric  $M_{T2}$  variable is used:

$$M_{T2} \equiv \min_{\vec{p}_{T1} + \vec{p}_{T2} = \vec{p}_T} \left( \max \{ m_T(\vec{p}_{T1}, \vec{p}_{T1}, m_1, m_{1\text{inv}}), m_T(\vec{p}_{T2}, \vec{p}_{T2}, m_2, m_{2\text{inv}}) \} \right).$$

- ▶ **Signal 2:** Collinear approximation have been used to reconstruct the  $\tau$ s  $\Rightarrow$  Assumption,  $p_{\tau_{hi}}^\mu = x_{\tau_{hi}} p_{\tau_i}^\mu \Rightarrow$

$$\vec{p}_T = \left( \frac{1}{x_{\tau_{h1}}} - 1 \right) \vec{p}_{\tau_{h1}} + \left( \frac{1}{x_{\tau_{h2}}} - 1 \right) \vec{p}_{\tau_{h2}}, \Rightarrow \text{Solves to give } p_{\tau_{1,2}}^\mu.$$

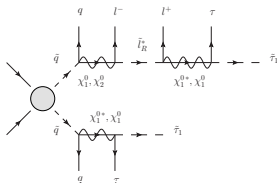
- ▶ SM backgrounds:  $2\mu^\pm + 2\mu^\pm$  or  $2e^\pm + 1$  or 2  $\tau$ -tagged jets  $\Rightarrow$   $ZZZ$ ,  $ZZ$ ,  $t\bar{t}Z$ ,  $Zh$  and  $ZW^+W^-$ .
- ▶ Basic cuts implemented for removal of SM backgrounds:

Parameter	$\tilde{\tau}_1$	$l^\pm$ GeV	j(jets)
$p_T$	$> 70$ GeV	$> 10$ GeV	$> 20$ GeV
$\beta(\mu \text{ only})$	$< 0.95$	$> 0.95$	-
$\eta$	$< 2.5$	$< 2.5$	$< 5$

Table: Basic selection cuts applied to reduce SM backgrounds.

## Strategy of $M_{\tilde{l}_R}$ reconstruction

- There are in principle identical final states originated by strongly interacting superparticles:



- Different topology  $\Rightarrow$  decreases efficiency of our mass reconstruction techniques  $\Rightarrow$  **Need to remove these events.**

Parameter	$p_T(j_1)$	$n(j)$ with $p_T(j) > 100\text{GeV}$	$\cancel{E}_T$
Cut Set A	$< 200 \text{ GeV}$	$< 2$	$< 150 \text{ GeV}$
Cut Set B	$< 200 \text{ GeV}$	$< 2$	$< 200 \text{ GeV}$

**Table:** Basic selection cuts applied to suppress the squark-gluino initiated processes.

- Isolation Cuts:**  $\Delta R(\tilde{\tau}_1, \tilde{\tau}_1) = \Delta R(\tilde{\tau}_1, j) = \Delta R(l, j) = \Delta R(j, j) \gtrsim 0.4$ , and  $\Delta R(l, l) \gtrsim 0.2$ .

- Some illustrative benchmarks are:

Masses(in GeV)	$m_{\tilde{\chi}_1^0} > m_{\tilde{l}_R}$	$m_{\tilde{\chi}_1^0} < m_{\tilde{l}_R}$
$m_{\tilde{\chi}_1^0}$	591	497
$m_{\tilde{l}_R}$	491	587
$m_{\tilde{\tau}_1}$	398	421

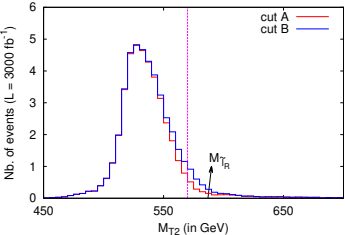
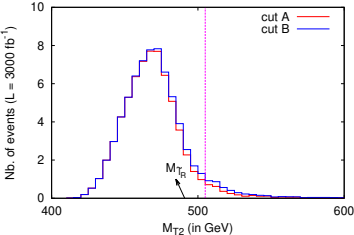
- Our results summarises as :

Cut Set	$N_s(\sqrt{S} = 14\text{TeV}, \mathcal{L} = 3000 \text{fb}^{-1})$	
	$m_{\tilde{\chi}_1^0} > m_{\tilde{l}_R}$ Signal 1(Signal 2)	$m_{\tilde{\chi}_1^0} < m_{\tilde{l}_R}$ Signal 1(Signal 2)
Cut Set A	73(12)	45(11)
Cut Set B	79(13)	48(12)



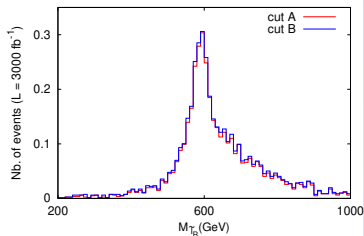
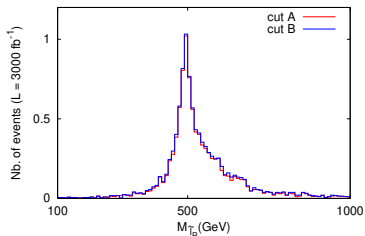
► **Signal 1:**

The  $M_{T2}$ -distribution in each of the cases are shown below:



## ► Signal 2:

The invariant-mass distribution in each of the cases are shown below:



- ▶ **Long-lived charged tracks**, a very well-motivated signature of BSM physics have been discussed in the context of SUSY.
- ▶ Reconstruction of right-slepton masses with 5% – 10% accuracy have been carried out.
- ▶ Combined with earlier efforts of  $\tilde{\tau}_1$ -reconstruction [*JHEP1607(2016)095*] and  $\tilde{\chi}_1^0$ -reconstruction [*Phys.Rev.D79(2009)115009*] gives a good prescription for demystifying the nature of SUSY breaking.

Thank  
you



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## Freeze-In:

- ▶ Boltzmann eqn: If the production of a FIMP DM  $\chi$  is via  $A \rightarrow B\chi$ ,

$$Y_\chi \approx \frac{45}{(1.66)4\pi^4} \frac{g_A M_{Pl} \Gamma_A}{m_A^2 g_*^{3/2}} \int_{x_{min}}^{x_{max}} dx x^3 K_1(x) \quad (1)$$

where  $x = \frac{m_A}{T}$ .

So, the total relic density,

$$\Omega_\chi h^2 \approx \frac{1.09 \times 10^{27} g_A}{g_*^{3/2}} \frac{m_\chi \Gamma_A}{m_A^2} \quad (2)$$

⇒ see [10.1007/JHEP03\(2010\)080](https://arxiv.org/abs/10.1007/JHEP03(2010)080)

- ▶ For the  $\tilde{\nu}_R$ -LSP possible decays are from  $\tilde{\nu}_L, \tilde{l}_L, \tilde{\chi}_i^0, \tilde{\chi}_i^\pm \Rightarrow$   
Decay- widths can be found in [10.1103/PhysRevD.73.051301](https://arxiv.org/abs/10.1103/PhysRevD.73.051301).

## Strategy:

- ▶ Other possible NLSPs include  $\Rightarrow$  Neutralino( $\tilde{\chi}_1^0$ ), Chargino( $\tilde{\chi}_1^\pm$ ), left-handed Sneutrinos( $\tilde{\nu}_L$ ) and Stop( $\tilde{t}_R$ ) .

- ▶  $M_{T2}$  construction strategy

Two pairs:

1. one  $\tilde{\tau}_1$ , it's nearest lepton ( $\mu$  or  $e$ )
2. another  $\tilde{\tau}_1$  and it's nearest lepton ( $\mu$  or  $e$ )

The  $\tau$ -jet is combined with that pair the  $\tilde{\tau}_1$  of which is nearest to it in  $\eta - \phi$ -plane.

- ▶ Collinear approximation strategy:

We construct invariant masses of all possible  $\tilde{\tau}_1 \tau l$ - pairs and the particular **pair with minimum difference** have been taken.

## Benchmarks

- ▶ Benchmark points for studying  $m_{\tilde{\chi}_1^0} > m_{\tilde{l}_R}$  scenario  $\Rightarrow$

Masses(in GeV)	Benchmark 1	Benchmark 2	Benchmark 3
$m_{\tilde{\chi}_1^0}$	591	810	902
$m_{\tilde{l}_R}$	491	684	813
$m_{\tilde{\tau}_1}$	398	554	655

- ▶ Benchmark points for studying  $m_{\tilde{\chi}_1^0} < m_{\tilde{l}_R}$  scenario  $\Rightarrow$

Masses(in GeV)	Benchmark 1	Benchmark 2	Benchmark 3
$m_{\tilde{\chi}_1^0}$	497	693	946
$m_{\tilde{l}_R}$	587	757	1006
$m_{\tilde{\tau}_1}$	421	599	831

## Results

- ▶ The number of events at  $\mathcal{L} = 3000 \text{ fb}^{-1}$ , for  $2\tilde{\tau}_1 + 1$   
 $\tau$ -tagged jet + 2 OSSF +  $\cancel{E}_T$  signal

Cut Set	Benchmark Point	$N_s$	
		$m_{\tilde{\chi}_1^0} > m_{\tilde{l}_R}$	$m_{\tilde{\chi}_1^0} < m_{\tilde{l}_R}$
Cut Set A	BP1	73	45
	BP2	26	11
	BP3	10	2
Cut Set B	BP1	79	48
	BP2	31	12
	BP3	12	2



## Results

- ▶ The number of events at  $\mathcal{L} = 3000 \text{ fb}^{-1}$ , for  $2\tilde{\tau}_1 + 2$   
 $\tau$ -tagged jet + 2 OSSF +  $\cancel{E}_T$  signal

Cut Set	Benchmark Point	$N_s$	
		$m_{\tilde{\chi}_1^0} > m_{l_R}$	$m_{\tilde{\chi}_1^0} < m_{l_R}$
Cut Set A	BP1	12	11
	BP2	7	3
	BP3	2	1
Cut Set B	BP1	13	12
	BP2	9	3
	BP3	3	1