



Steve Sidhu
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Improving the sensitivity of the
neutron electric dipole moment
experiment at TRIUMF

In this talk I will briefly explain

- ▶ The figure of merit used to analyze simulations and how it was improved
- ▶ How varying operational timing affects the energy distribution of UCN
- ▶ How the timings are optimized to increase sensitivity

For this method, statistical sensitivity is given by:

$$\sigma(d_n) \approx \frac{\hbar}{2\alpha T_{\text{Ramsey}} E \sqrt{N_{\text{det}}}}$$

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- ▶ where α is the visibility of the central fringe, T_{Ramsey} is the free precession time, E is the strength of electric field, and N_{det} is the number of UCN detected
- ▶ To improve the precision of the experiment is we must either increase the number of neutrons detected, increase their polarization (α), increase their storage time, or increase the strength of the electric field

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- ▶ This will help us remain competitive with other experiments around the world
- ▶ Systematic studies will add additional days/years to obtain a final result

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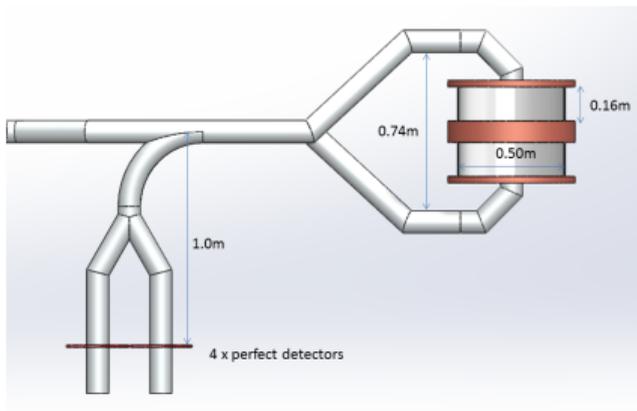
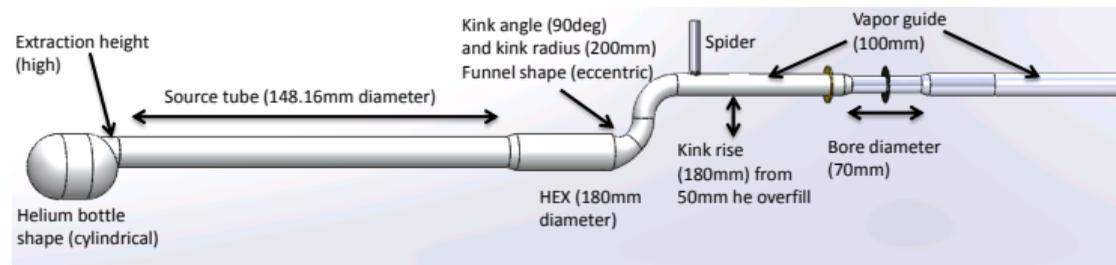
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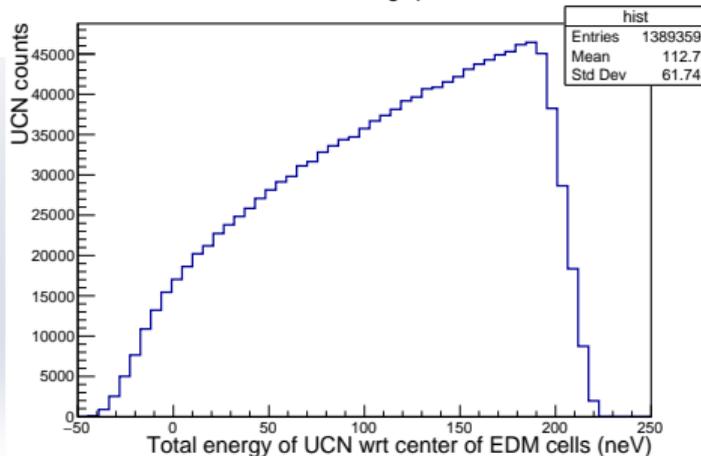
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- ▶ Finally, divide the total number of cycles required by the cycles per day

$$\text{days} = \frac{N_{\text{cycles}}}{N_{\text{cycles}}/\text{day}}$$

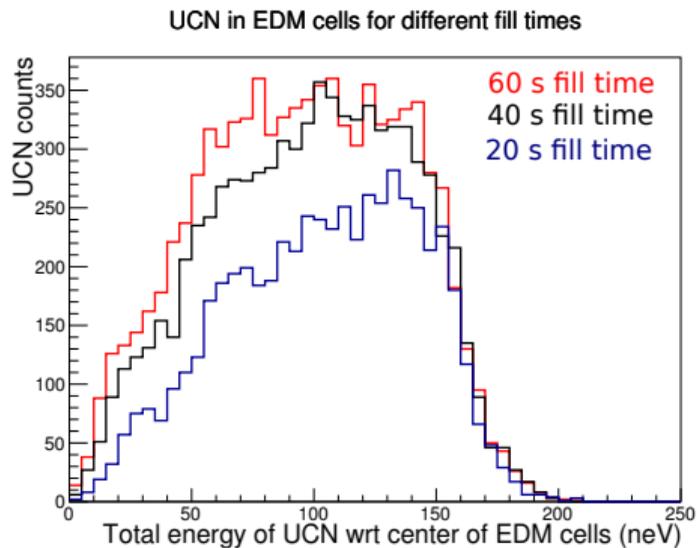
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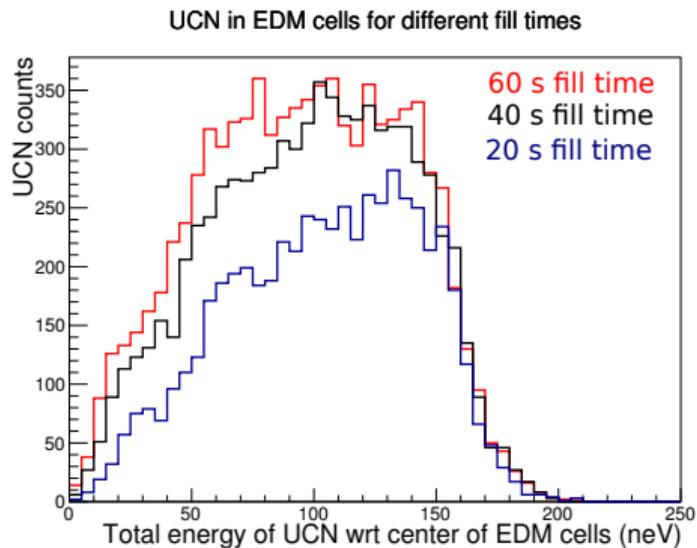
Starting spectrum of UCN

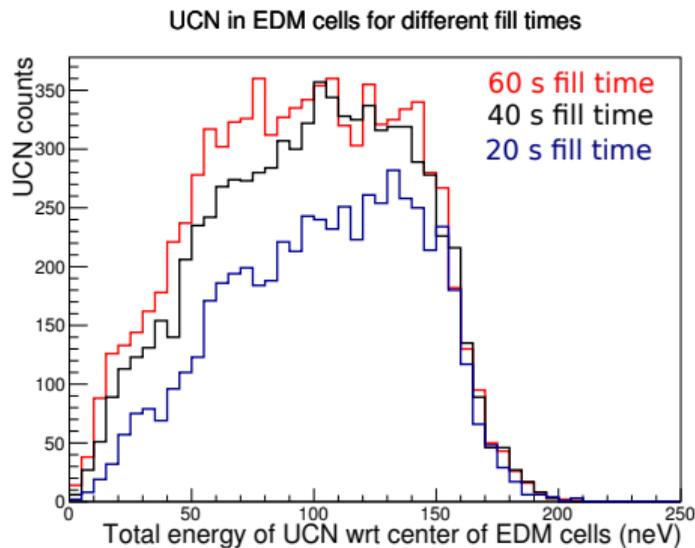


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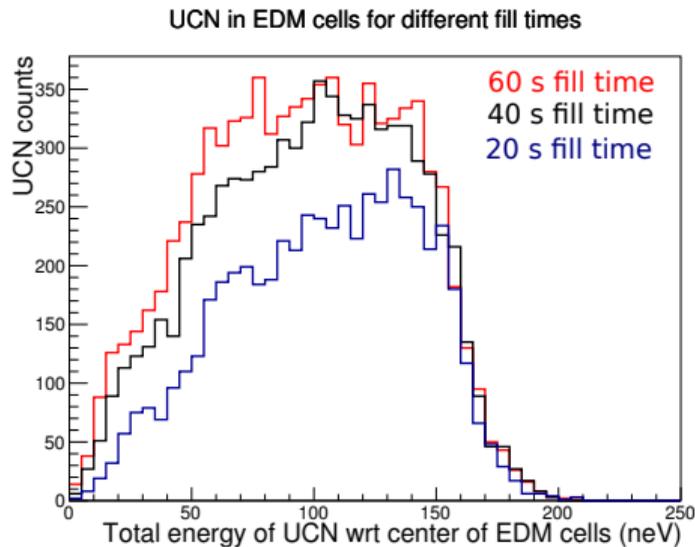


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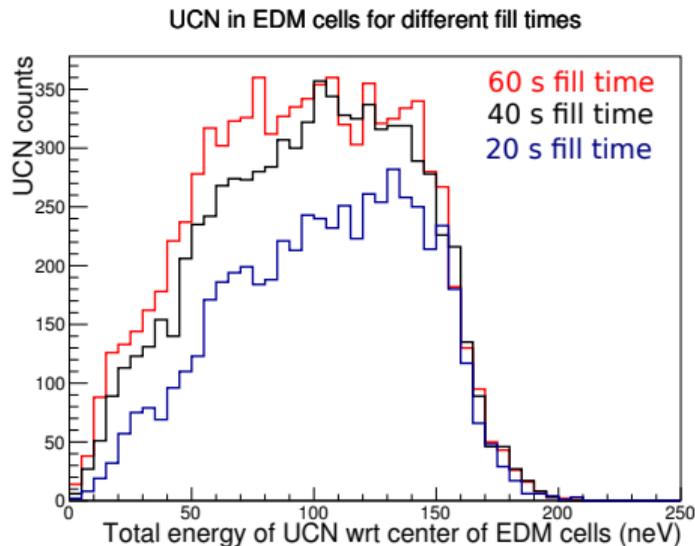




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- ▶ Main result: the energy spectrum of UCN of the entire experiment and operational timings must be optimized as a whole
- ▶ t_{fill} and t_{empty} almost doubled from before, t_{storage} also got longer, this is because of the storage lifetime of UCN

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- ▶ We used the algorithm provided by SciPy library

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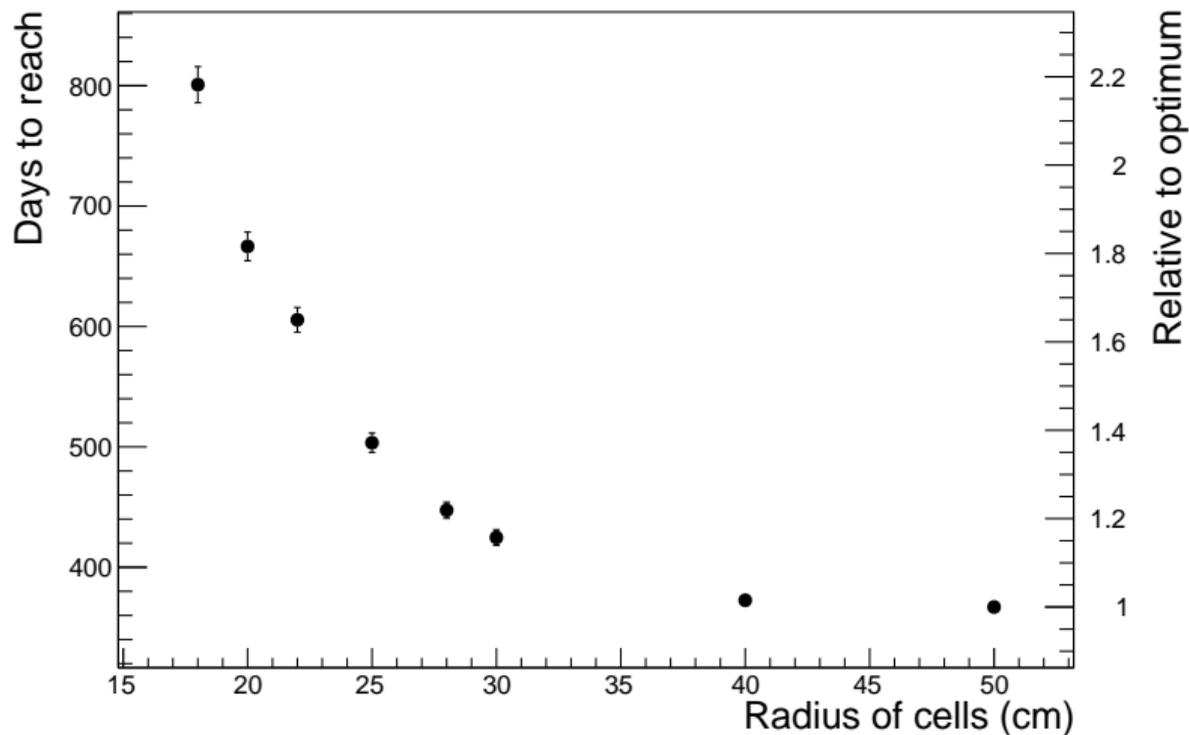
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- ▶ With this new method we were able to reduce the expected days-to-reach from 800 days to < 400 days
- ▶ Thank you!

Parameter Studied	Values	Optimum	Spread from optimum (%)	Remarks	Concept Design
He bottle shape	Cyl (r=170 + 150), sph (r=180 + 38)	Spherical	~5%	~3% better	Cylinder
He bottle material	Al6061, Al2219, AlBeMet	AlBeMet	~25%	~17-20% better	Al6061
Bottle extraction	Low, mid, high	high	~13%	dbl kink ~ 5% better than high	High extraction
Source tube diameter (mm)	100, 125, 150, 180	150	~7%	150 ~ 4% better than 125	150
21.7KG HEX diameter (mm)	125, 150, 180, 200	180	~60%	(KG = 21.7) 180 ~ 50% better than 150, 200	148
35KG HEX Diameter (mm)	125, 148, 180, 200	148	~6%	148 and 125 are roughly the same	148
Funnel shape	Symmetric, asymmetric, eccentric	eccentric	~7%	eccentric ~ 4% better than Asymmetric	eccentric
Kink rise (cm)	18, 23, 28, 33, 38, 43	18	~ 8%	18 ~ 2% better than next best	18
Kink radius (cm)	15, 22, 29, 36, 43, 50, 57	no clear optimum	~ 0	no significant difference	17.5
Kink angle (deg)	45, 50, 55, 60, 65, 70, 75, 80, 85, 90	no clear optimum	~ 0	no significant difference	90
UCN guide diameter (mm)	86, 95, 100, 125	125	~10 %	95 ~ 7% better than 86, ~ 2% worse than 125	100
Bore guide diameter (mm)	60, 65, 70, 75, 85, 100,	70	~10 %	5% better than 85mm	70
Spider location	On 45 deg kink, on and out side 90 deg kink	no clear optimum	~1 %	no significant difference	out side of 90deg kink
Cell radius (cm)	18, 20, 22, 25, 28, 30, 40, 50	50	~100 %	30cm ~ 20% better than 25cm	25

Figure: Summary of study results and parameters in the current conceptual design model

Days to reach vs CellRadius



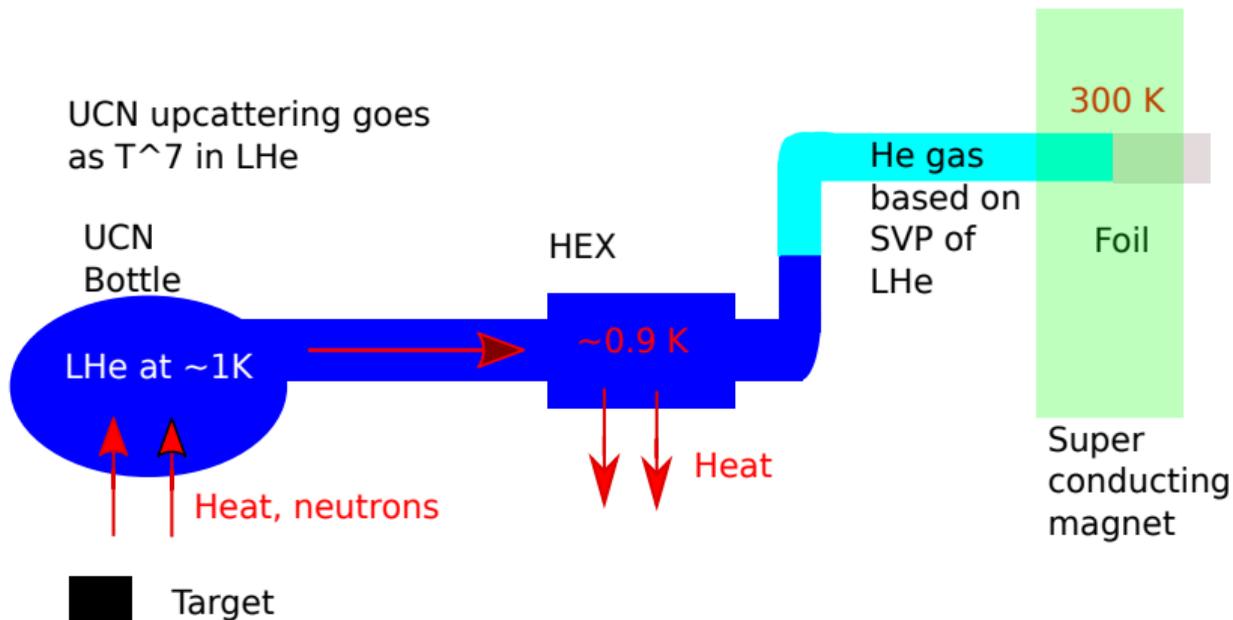


Figure: Simplified picture of simulation model

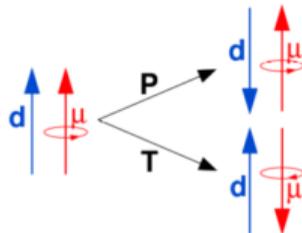


Figure: non-zero nEDM violates T and CP symmetries.

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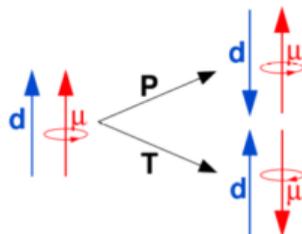


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- ▶ CP violation is one of Sakharov's requirements for Baryon Asymmetry.

$$\sigma(d) = \frac{\hbar}{2\alpha E T_{Ramsey} \sqrt{N_{det}}}, \quad (1)$$

where

$$\alpha = \alpha_0 * e^{-t_{EDM}/T_2 - (t_{wait} + 2*t_{\pi/2})/T_1} * \epsilon_{depol} * P_{analyzer}$$

with an initial visibility of $\alpha_0 = 0.95$, depolarization (5 %, $\epsilon_{depol} = 0.95$), efficiency of the spin analyzers ($P_{analyzer} = 0.90$). For the simulations:

$$N_{det} = N_{coll} * \epsilon_{det} * 0.5 * P_{real}/P_{sim} * e^{-t_{storage}/\tau_{Xe}},$$

where $\epsilon_{det} = 0.90$ detector efficiency, and N_{coll} includes

$$N_{surv} = \sum_E N_{det}(E) * e^{-t_{storage}/\tau(E)}$$

The cycles to reach a sensitivity of $1 \times 10^{-27} e \cdot cm$ is given by

$$CTR = \left(\frac{\sigma_d}{8 * 1 \times 10^{-27}} \right)^2 \quad (2)$$

The cycles per day are thus given by:

$$CPD = \frac{t_{stable}}{8 * (t_{irrad} + t_{fill} + t_{EDM} + t_{empty}) + 2 * t_{flipPol} + t_{degauss}/10} \quad (3)$$

$$days = \frac{CTR}{CPD}.$$