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**Compact** 

# The Passive Dechirper

Y. Han, A. Faus-Golfe, B. Bai

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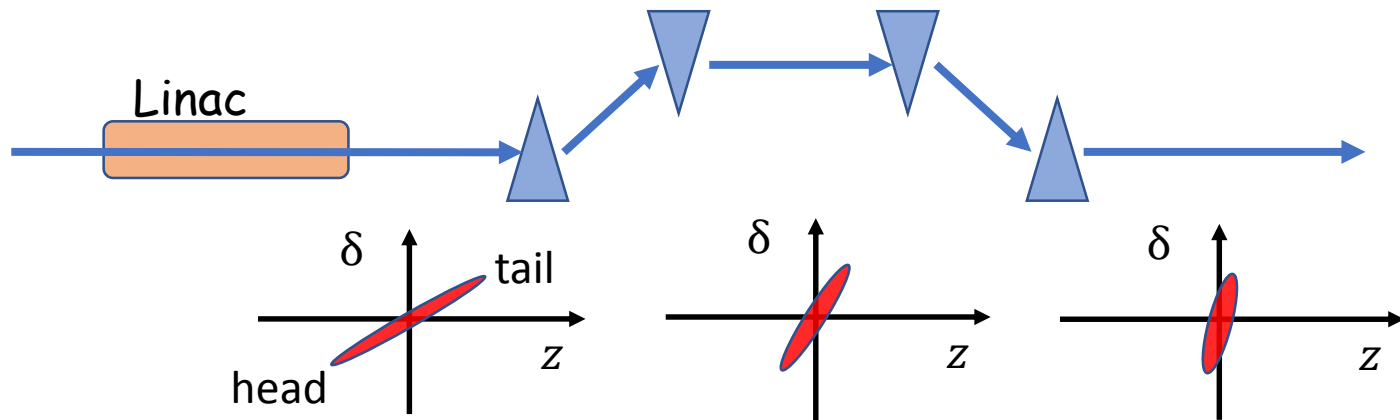


# Outline

- Why a passive dechirper
- Principle of dechirper
- Types of dechirper
- The Wakefield of dechirper
- Several examples
- The XLS situation
- Conclusion

# Why do we need Dechirper ?

- ❑ For FEL, bunch compression typically leaves an undesired time-energy correlation
  - Broaden the FEL bandwidth and decrease FEL gain



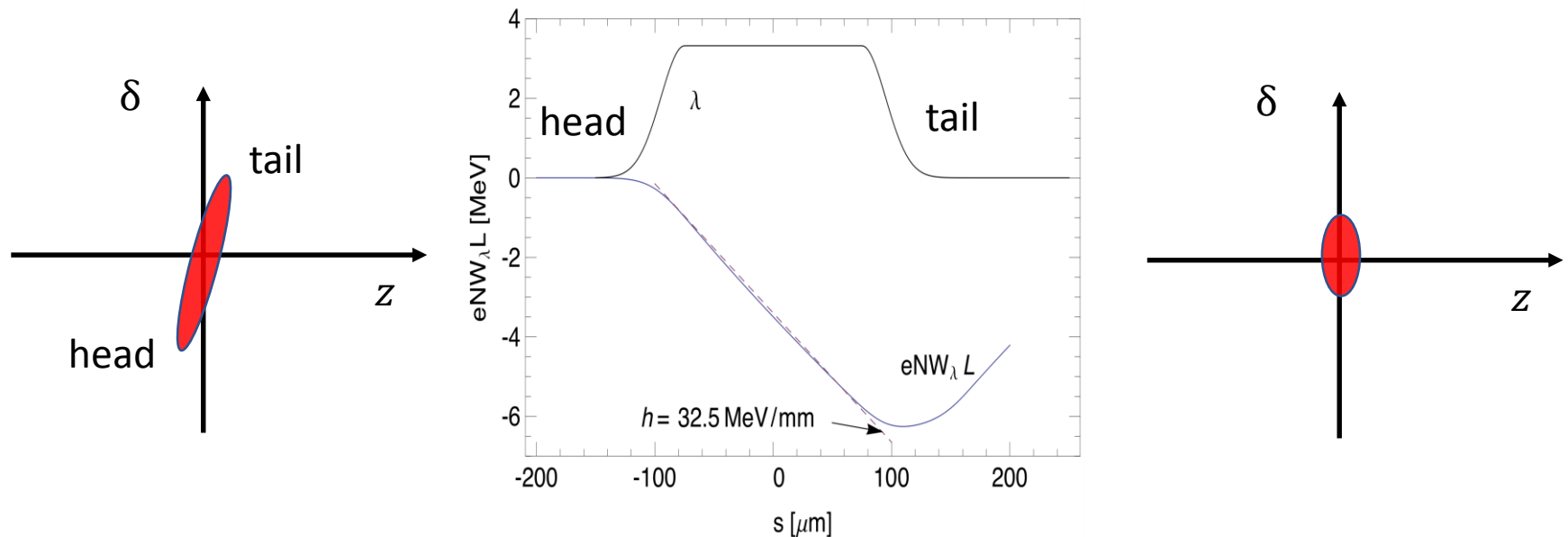
- ❑ RF (off crest) can remove it, but this can be costly & difficult for very high frequency (e.g. 36, 48 GHz)
- ❑ Passive dechirper using self-induced wakefields to remove the chirp can be a better choice.

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# Principle of dechirper

- When beam pass through a beam pipe, the induced short range wakefield can act on the beam itself



- The bunch tail loss more energy than the head

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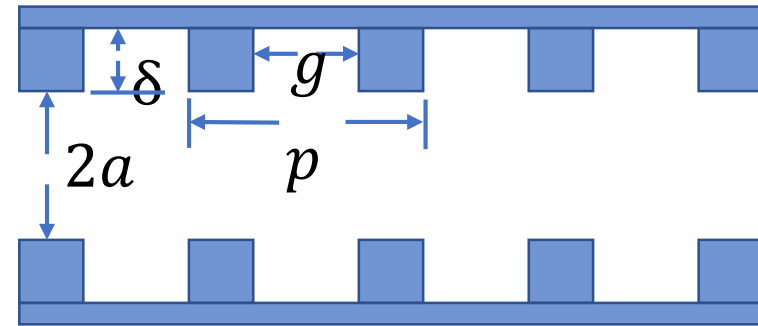
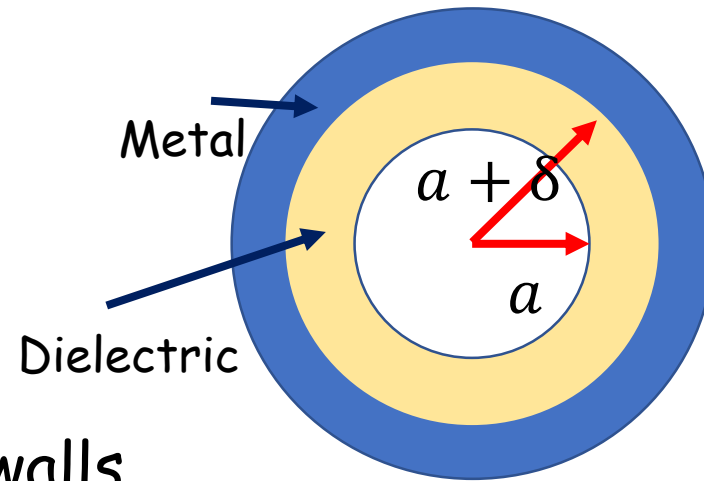
# Types of Dechirper

Three types of methods:

- Metal waveguide with dielectric
- Metallic structure with corrugated walls
- RF cavity without input power

Different shapes:

- Cylinder pipe
- Rectangular pipe
- Paralle plates



	Flat	Round
Flexibility	Easily tunable	Difficult to tune
Longitudinal wake	$(\pi^2/16)$	1
Dipole wake	0.38	1
Quad wake	1	0

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# The Wakfield model - Cylinder corrugated

Cylinder corrugated pipe:  $p \ll a$   $\delta \leq p$

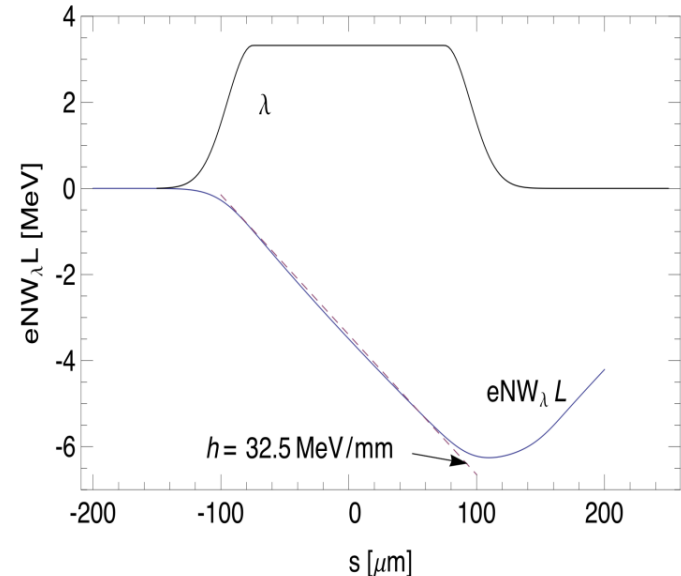
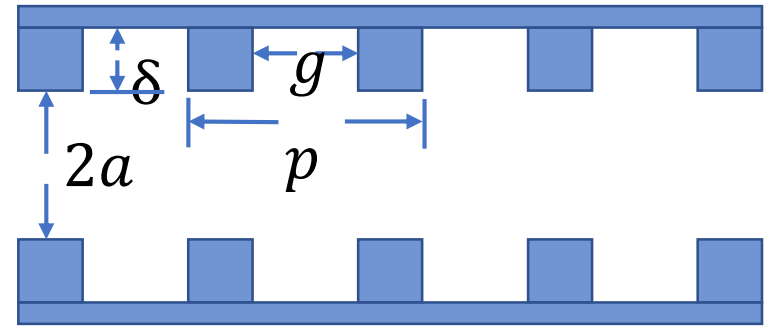
Wave number  $k = \sqrt{\frac{2p}{a\delta g}}$

Loss factor  $\xi = \frac{Z_0 c}{2\pi a^2}$

Wake function  $W(s) = 2\xi H(s) \cos(ks)$

Wake potential  $W_\lambda(s) = - \int_0^\infty W(s') \lambda(s-s') ds'$

Bunch loss factor  $\xi_\lambda = - \int_{-\infty}^\infty W_\lambda(s) \lambda(s) ds$



# The Wakfield model - Rectangular Corrugated

Rectangular corrugated pipe:  $w \gg 2a$   
 $p, \delta \ll a$

Wave number  $k = \sqrt{\frac{p}{a\delta g}}$

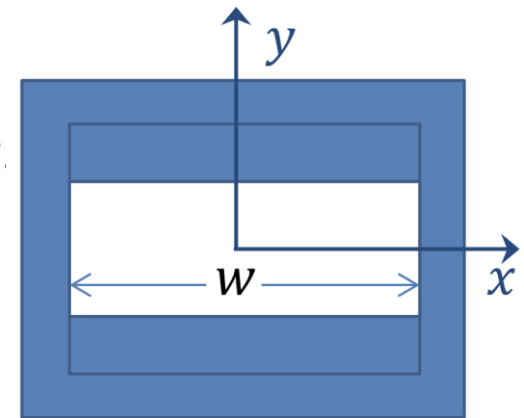
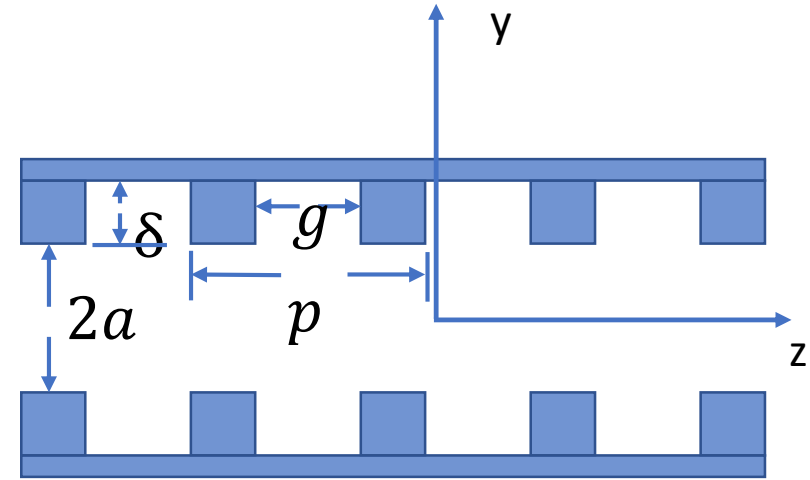
Loss factor  $\xi = \frac{\pi^2}{16} \frac{Z_0 c}{2\pi a^2}$

Wake function  $W_{\parallel}(z) = \frac{\pi^2}{16} \frac{Z_0 c}{\pi a^2} H(z) \cos(kz) \quad 0 < kz \lesssim 3\pi$

If  $p, \delta \leq a, \delta/p \geq 0.8$

$$W_{\parallel}(z) = \frac{\pi^2}{16} \frac{Z_0 c}{\pi a^2} F H(z) e^{-\frac{kz}{2Q}} \cos(kz)$$

$$k = \frac{1}{a} \left( \frac{1.7096}{\sqrt{\delta/a}} - 0.5026 \right)$$



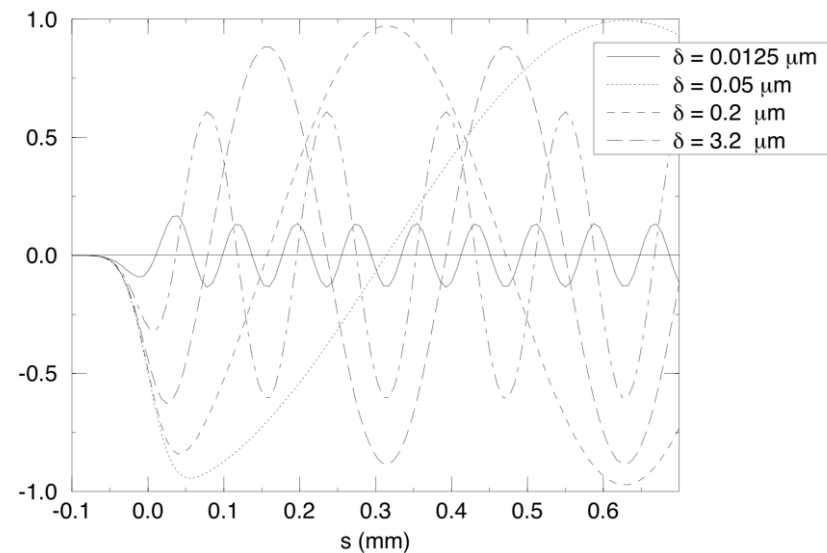
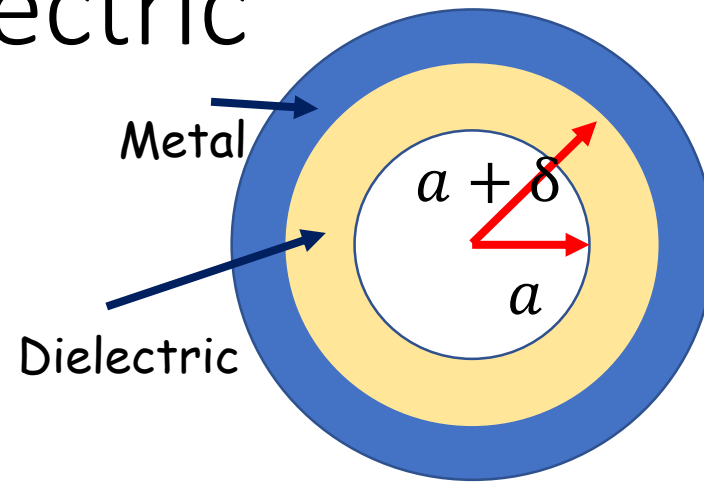
# The Wakfield model -dielectric

Cylinder dielectric pipe:  $\sigma k_0 \leq 1$

Wave number  $k_0 = \frac{2\epsilon}{a\delta(\epsilon - 1)}$

Loss factor  $\xi = \frac{Z_0 c}{2\pi a^2}$

Bunch loss factor  $\xi_\lambda = \frac{Z_0 c}{2\pi a^2} \exp(-(k_0 \sigma)^2)$



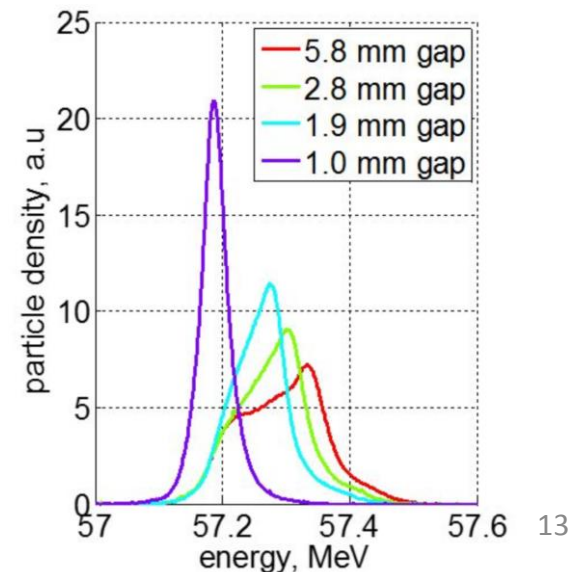
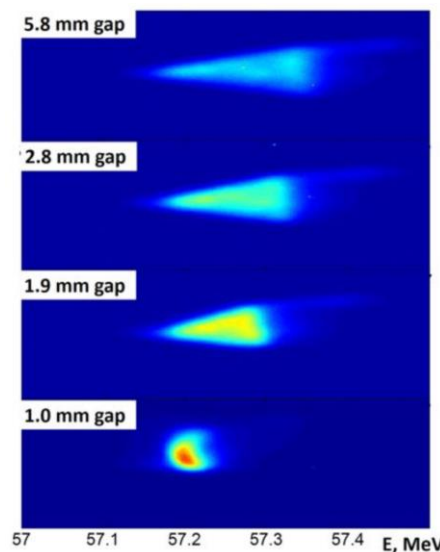
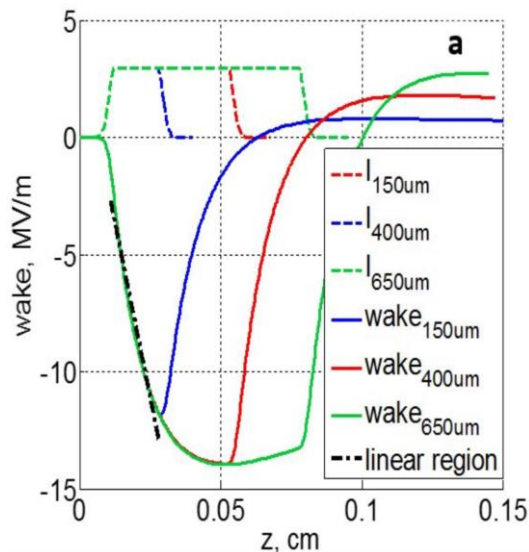
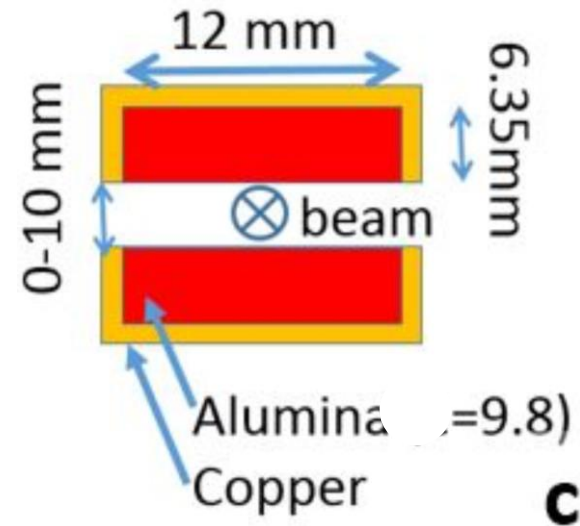
$$a = 50\text{mm}, \sigma = 25\mu\text{m}$$

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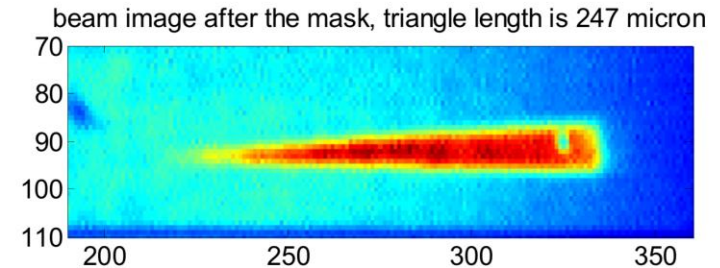
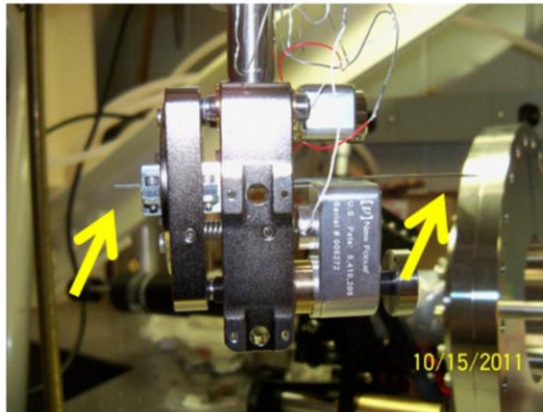
# Examples- Brookhaven National Laboratory - ATF

- 60 MeV, 54 pC, 550  $\mu\text{m}$  long
- Energy chirp : 330 keV/mm
- Planar tunable dechirper
  - Two 10 cm long dielectric slabs
  - The gap was changed from 5.8 mm to 1 mm

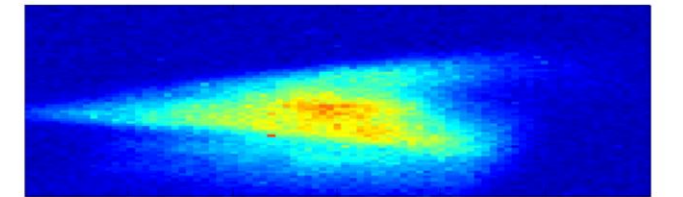


# Examples- BNL ATF

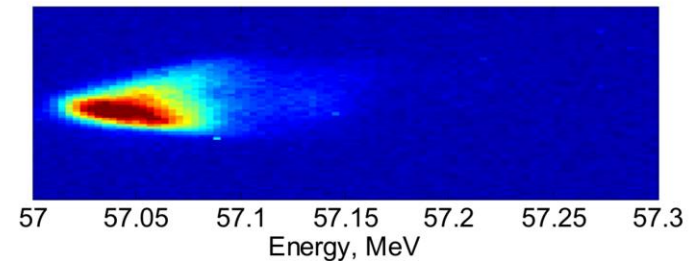
- 57 MeV, 54 pC, 550  $\mu\text{m}$  long
- Energy spread: 200  $\rightarrow$  70 keV
- Dielectric tube
  - Inner radius: 330 mm
  - Length: 5 cm



spectrometer image of unperturbed beam

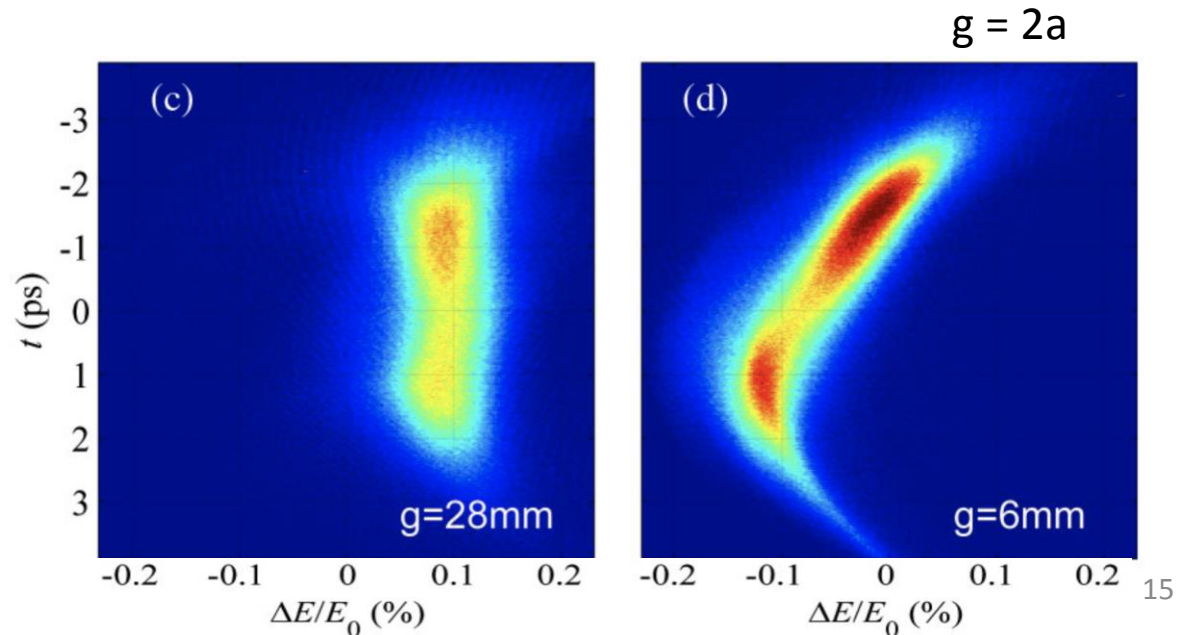
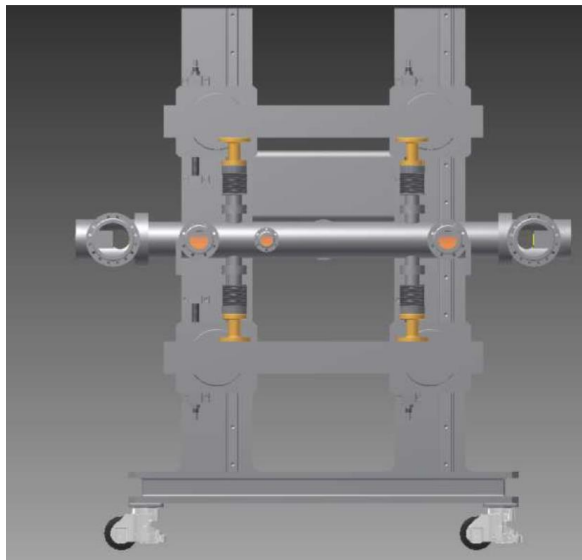
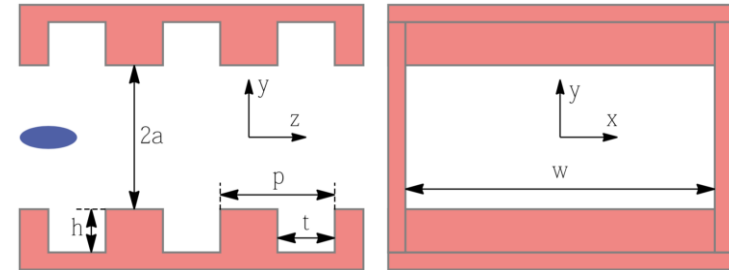


spectrometer image of a beam that passed through the structure



# Examples- Pohang Accelerator Laboratory - ITF

- 70 MeV, 200 pC, 700  $\mu\text{m}(\sigma_z)$
- Corrugated rectangular pipe
  - $a = 28,6 \text{ mm}$ ,  $h = 0.6 \text{ mm}$ ,  $p = 0.5 \text{ mm}$ ,  $g = 0.3 \text{ mm}$
  - Length: 1 m

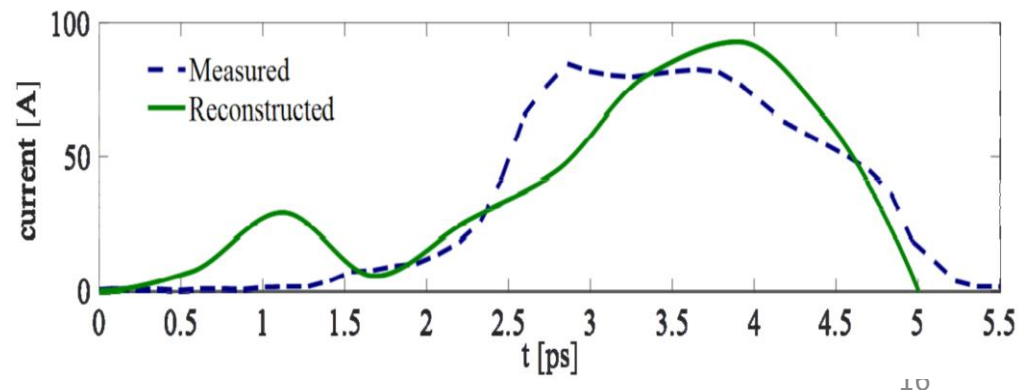
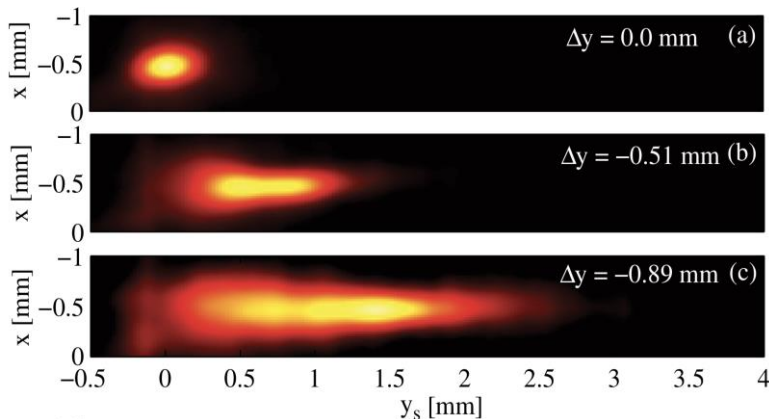




# Examples- PSI - passive streaker

## Temporal profile measurements

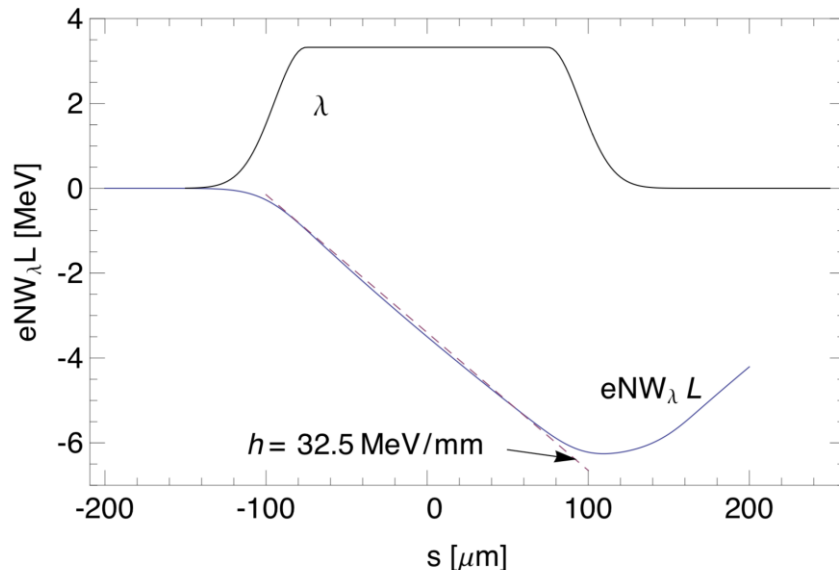
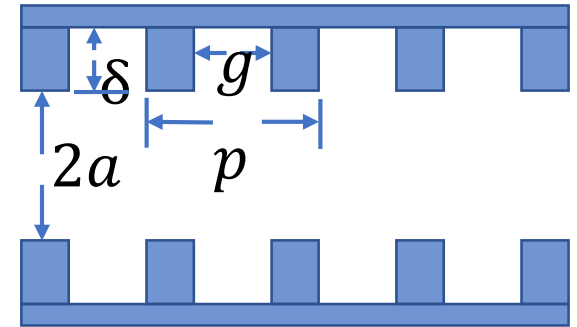
- 140 MeV, 200 pC, 1 ps (rms)
- Dielectric cylinder pipe
  - Alumina with Copper
  - Inner radius: 1.65 mm
  - Length: 9.5 cm





# Examples- Berkeley National Laboratory - NGLS

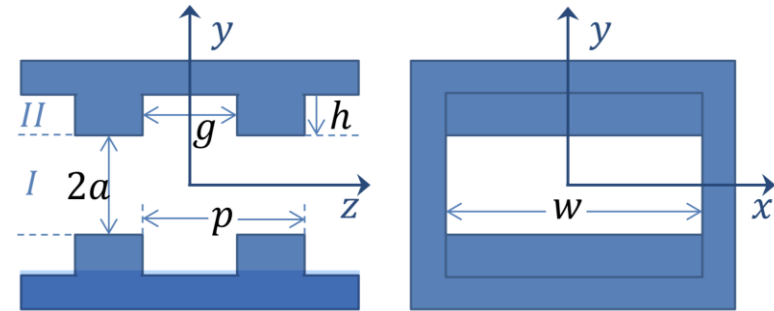
- 350 MeV, 300 pC, 150  $\mu\text{m}$  long
- Energy chirp : 40 MeV/mm
- Corrugated cylinder pipe
  - $a = 3 \text{ mm}$ ,  $\delta = 450 \mu\text{m}$ ,  $p = 1000 \mu\text{m}$ ,  $g = 750 \mu\text{m}$
  - Length: 6.65 m



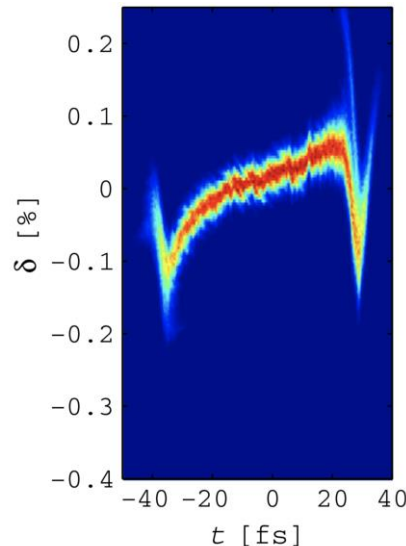
Due to the deviation between numerical and analytical results, the generated energy chirp is small than 40 MeV/mm. The 8.2 m structures is need.

# Examples- LCLS at SLAC

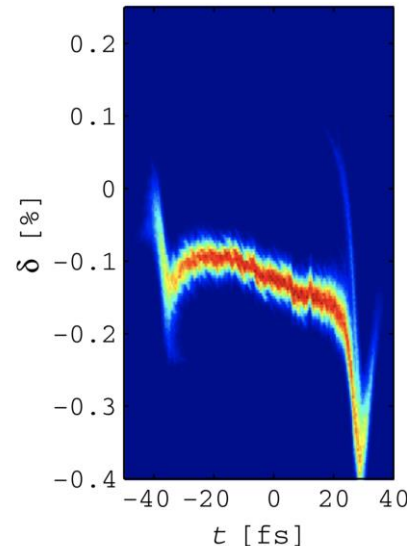
- 6.6 GeV, 150 pC, 15  $\mu\text{m}$  long
- Energy chirp : 1333 MeV/mm
- Corrugated rectangular pipe
  - $a = 0.7$  mm,  $h = 0.5$  mm,  $p = 0.5$  mm,  $g = 0.25$  mm
  - Length: 4 m



Before the  
dechirper



After the  
dechirper

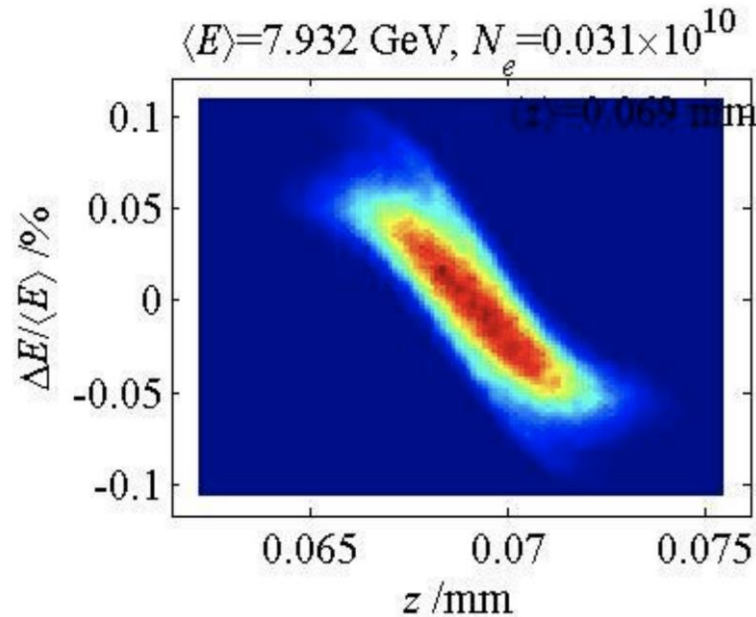


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# The XLS situation

Q	50 pC
E	8 GeV
$\sigma_t$	5 fs

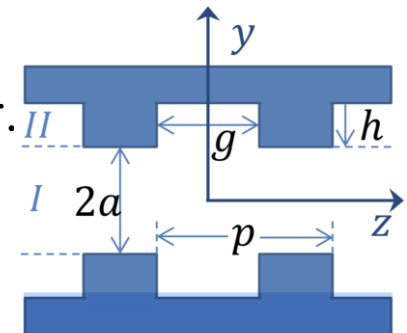


Report by S. Di.  
Mitri at WP6  
meeting

Required energy chirp:  $\sim 1800 \text{ MeV/mm}$

The dechirper at LCLS of SLAC can be a good start point.

- Corrugated rectangular pipe
- $a = 0.7 \text{ mm}$ ,  $h = 0.5 \text{ mm}$ ,  $p = 0.5 \text{ mm}$ ,  $g = 0.25 \text{ mm}$
- Length: 4 m
- Energy chirp : 1333 MeV/mm for 6.6 GeV beam



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# Conclusion

- The different types of wakefield for the dechirper are reviewed
- There are already several successful applications of the pasisve dechirper
- It is very promising using the passive dechirper in the XLS project.

# Reference

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# Backup



# The Wakfield model - Cylinder cavity

Cylinder cavity pipe:

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Single cells

$$w(s) = \frac{Z_0 c}{a \pi^2} \left\{ \frac{s+g}{\sqrt{s(s+2g)}} F\left(\frac{\sqrt{s(s+2g)}}{a}\right) - F\left(\frac{s}{a}\right) \right\}$$

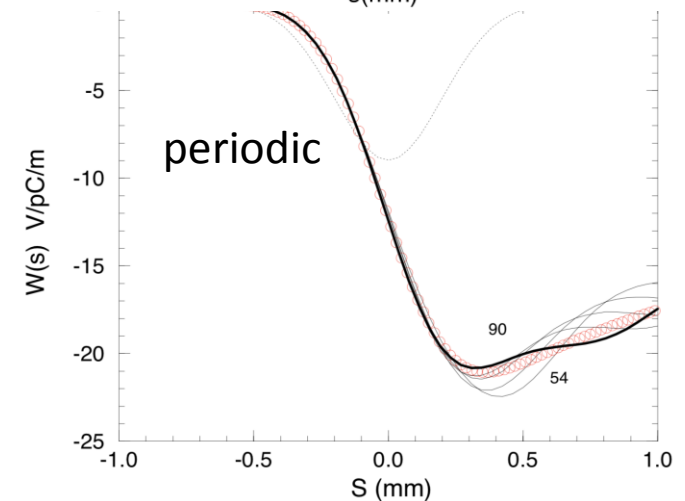
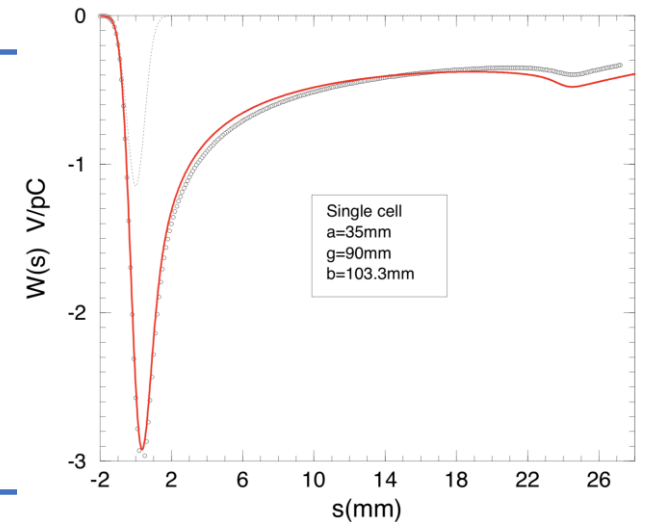
$$F(x) = \begin{cases} (2/x) \arcsin(x/2) & \text{if } x \leq 2 \\ (\pi/x) & \text{if } x > 2 \end{cases}$$


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Periodic cells

$$w(s) = \frac{Z_0 c}{\pi a^2} \left( (1 + \beta) \exp\left(-\sqrt{\frac{s}{s_0}}\right) - \beta \right)$$

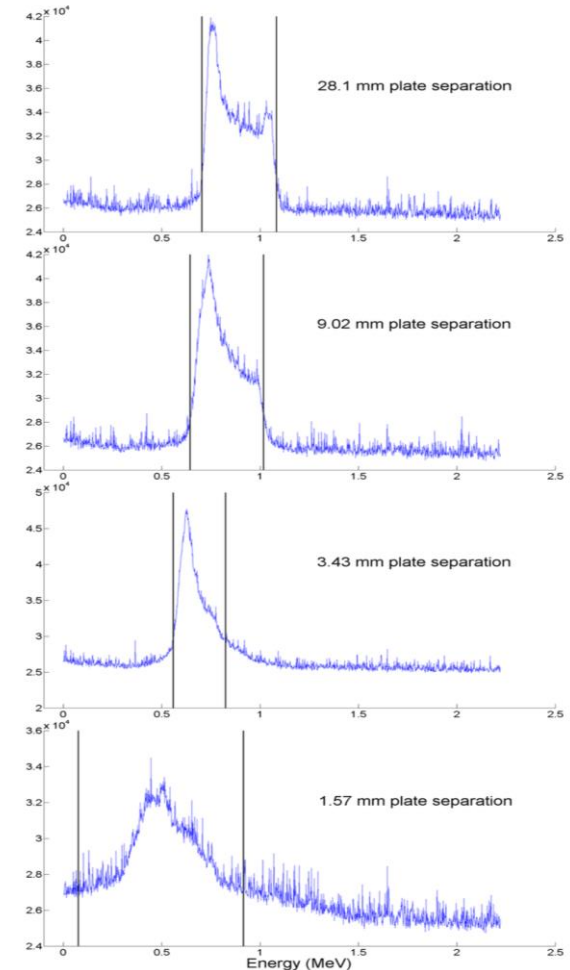
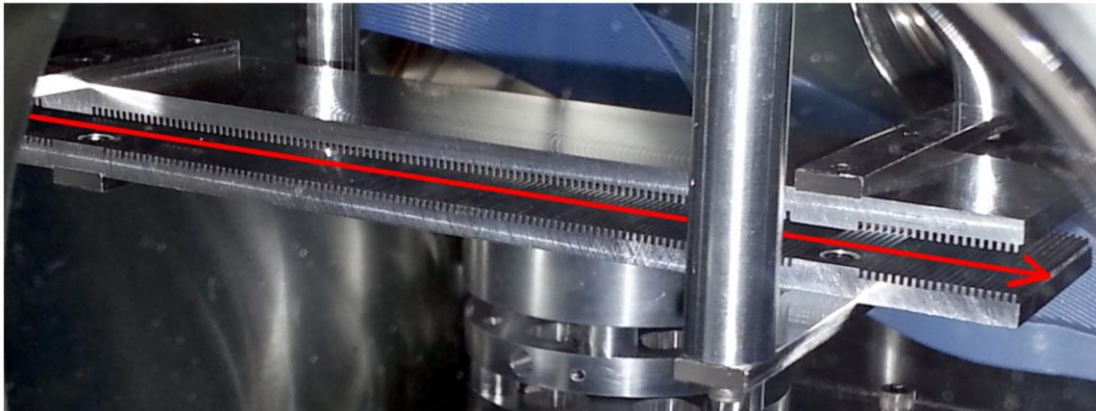
$$\beta = 0.16, s_0 = a^2/2L$$



# Examples - Radiabeam Technologies

Remove residual energy chirp: Manufacture & Experiment

- BNF ATF beam
  - 57 MeV, 340 pC, 3.5 ps
  - Initial chirp: 400 keV/mm
- Rectangular dechirper
  - Length: 18.1 mm, Width: 38.1 mm
  - Gap: 1 - 30 mm



# Examples- Shanghai Jiao Tong U.

## Nonlinear-Energy chirp Compensation

- 3.3 MeV, 6 pC, 8 ps (FWHM)
- Two Parallel Corrugated Plates
  - Aluminum
  - Length: 16 cm; Width: 3.2 cm
  - Gap: 3 mm

