

Search for Di-Higgs Production via Vector Boston Fusion

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Understanding the SM with Di-Higgs



The SM Higgs potential is:

$$V(\phi) = -\mu^2 \phi^2 + \lambda \phi^4$$

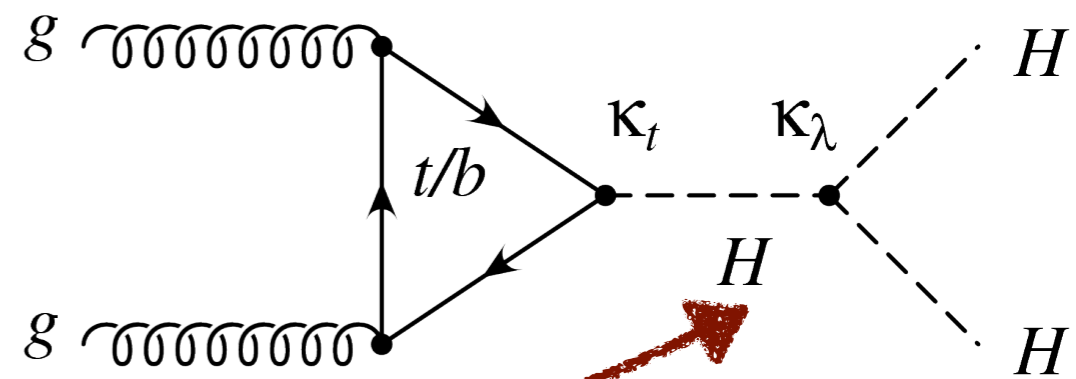
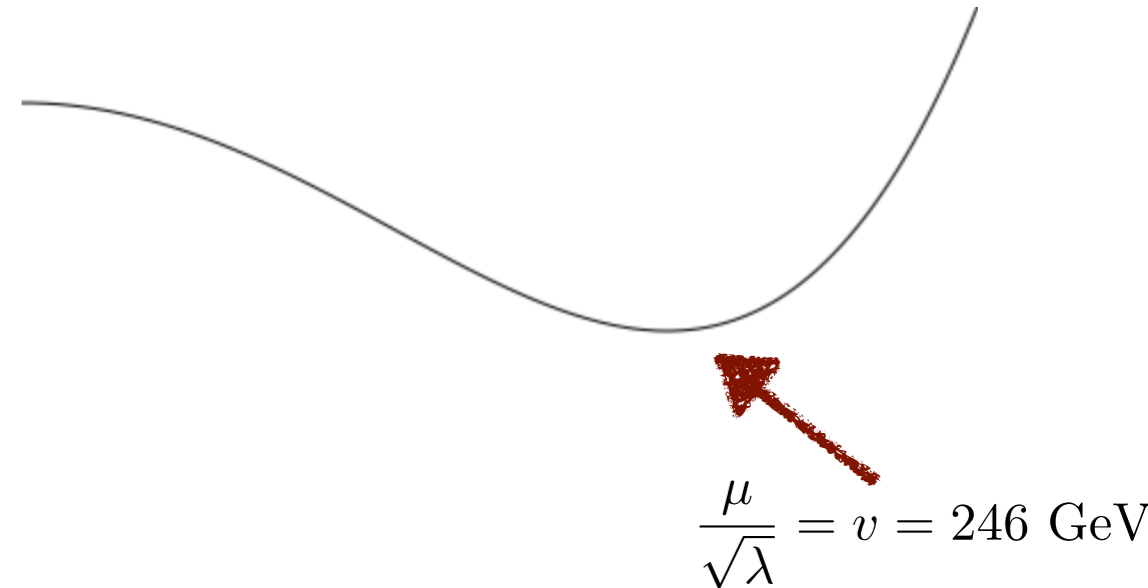
Expand around the minimum, get:

$$V = V_0 + \lambda v^2 h^2 + \lambda v h^3 + \dots$$

$$= V_0 + \frac{1}{2} m_H^2 h^2 + \frac{m_h^2}{2v^2} v h^3 + \dots$$

This term allows di-Higgs production!

The SM predicts di-Higgs production!
This higher-order term tells us more about the shape of the potential!



$$k_\lambda = \frac{m_h^2}{2v^2}$$

Why Study the Shape?



Many models alter the Higgs potential!

Inflation— one of the best models for early universe evolution— requires a scalar ... just like the Higgs!

Need couplings to gravity: $\frac{\xi h^2}{2} R$

which modify the shape of the potential!

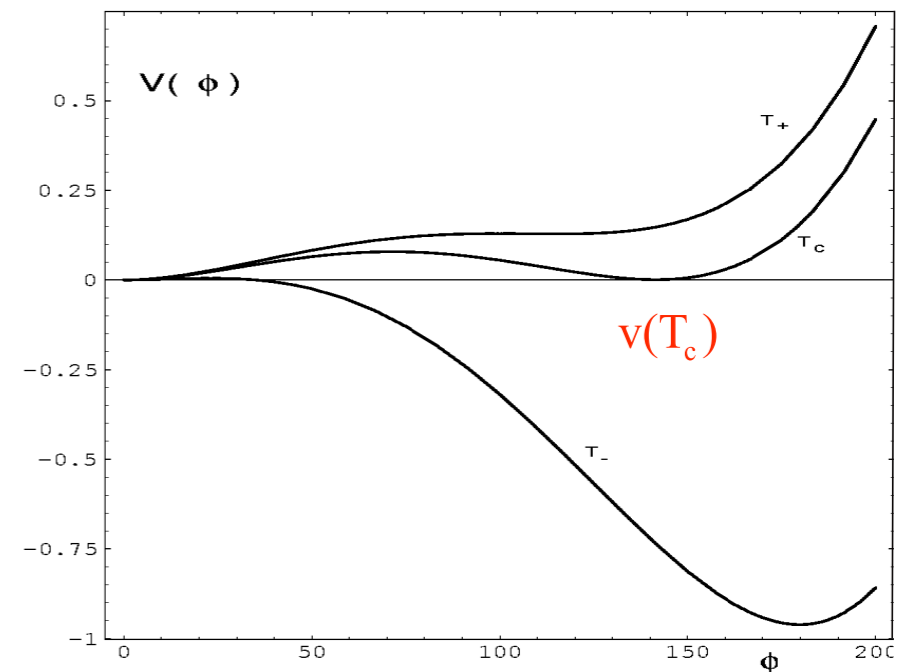
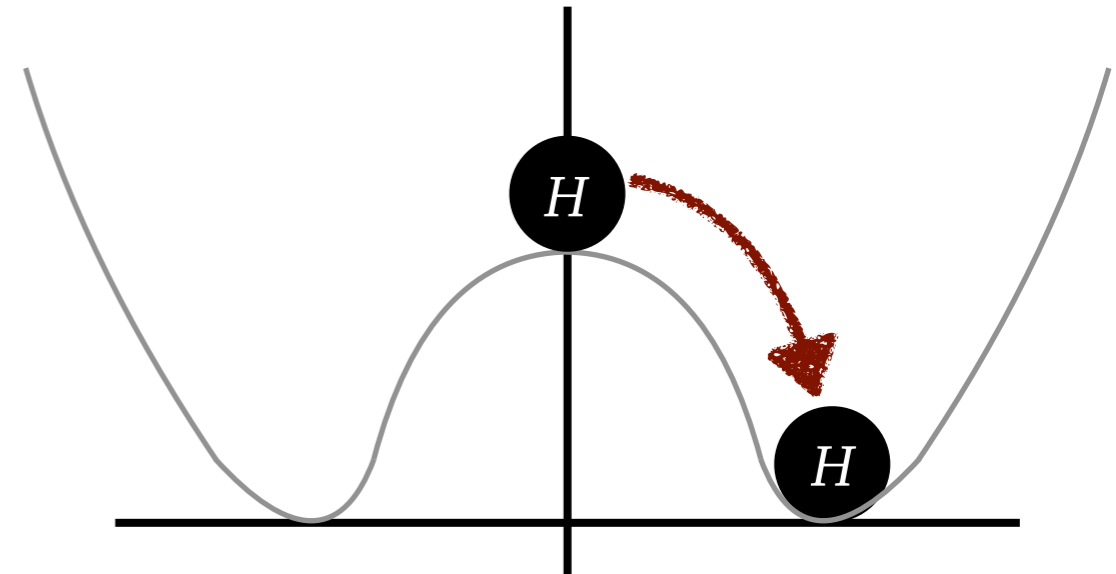
Bezrukov and Shaposhnikov

Other models have the Higgs potential undergo a phase transition, which could explain matter-antimatter asymmetry

This phase transition requires modifications to the SM potential!

C. Wagner

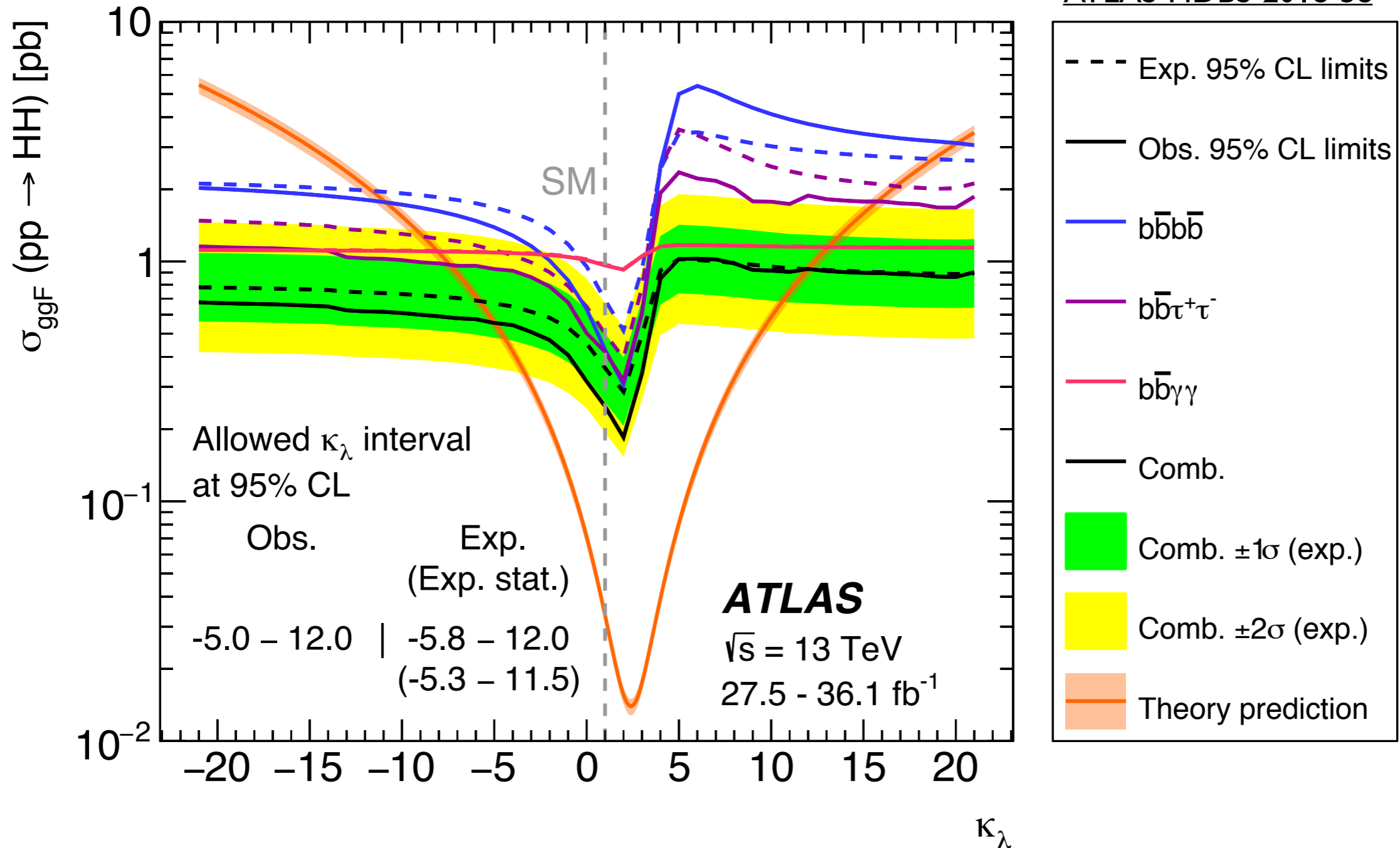
These are just some examples:
If we can measure the shape of the potential,
we can find hints of new physics!



Results on DiHiggs

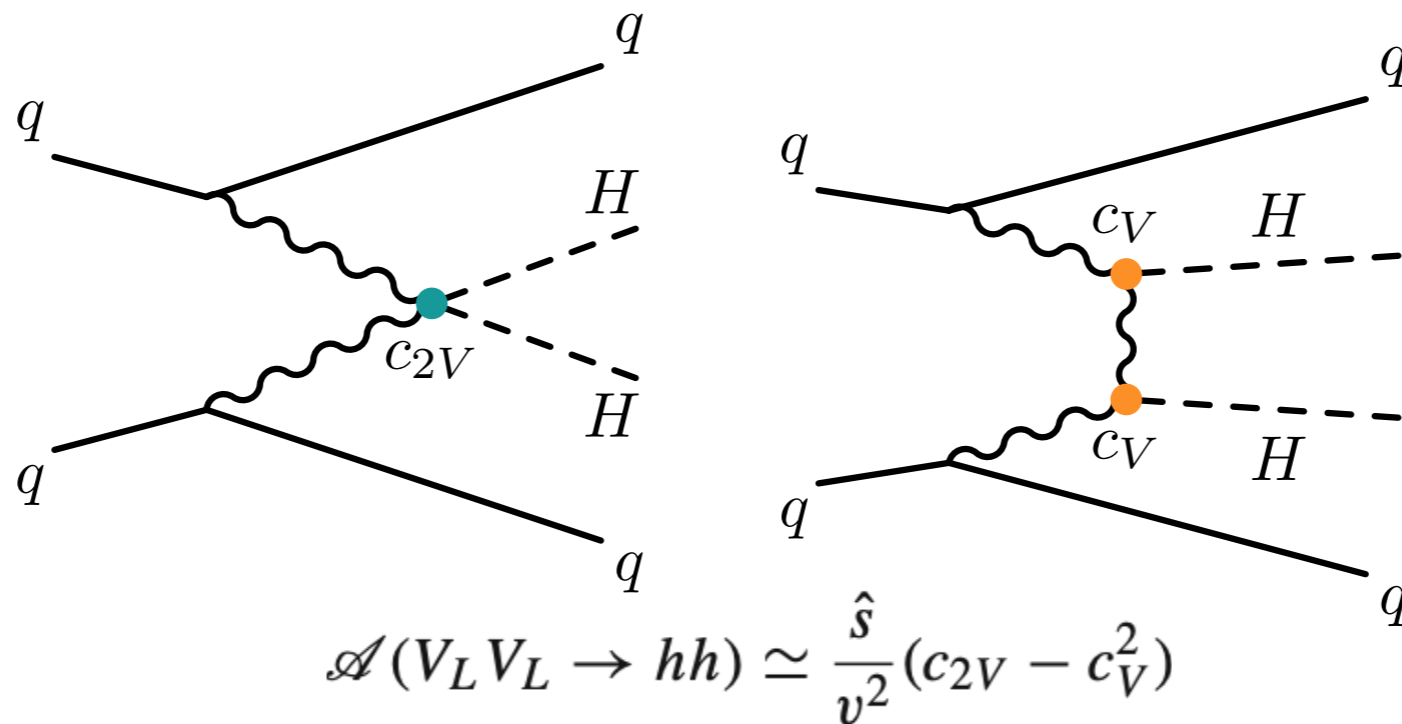


ATLAS-HDBS-2018-58



Existing searches can probe κ_λ , and set constraints on the shape of the Higgs potential!

But This Isn't the Only Thing



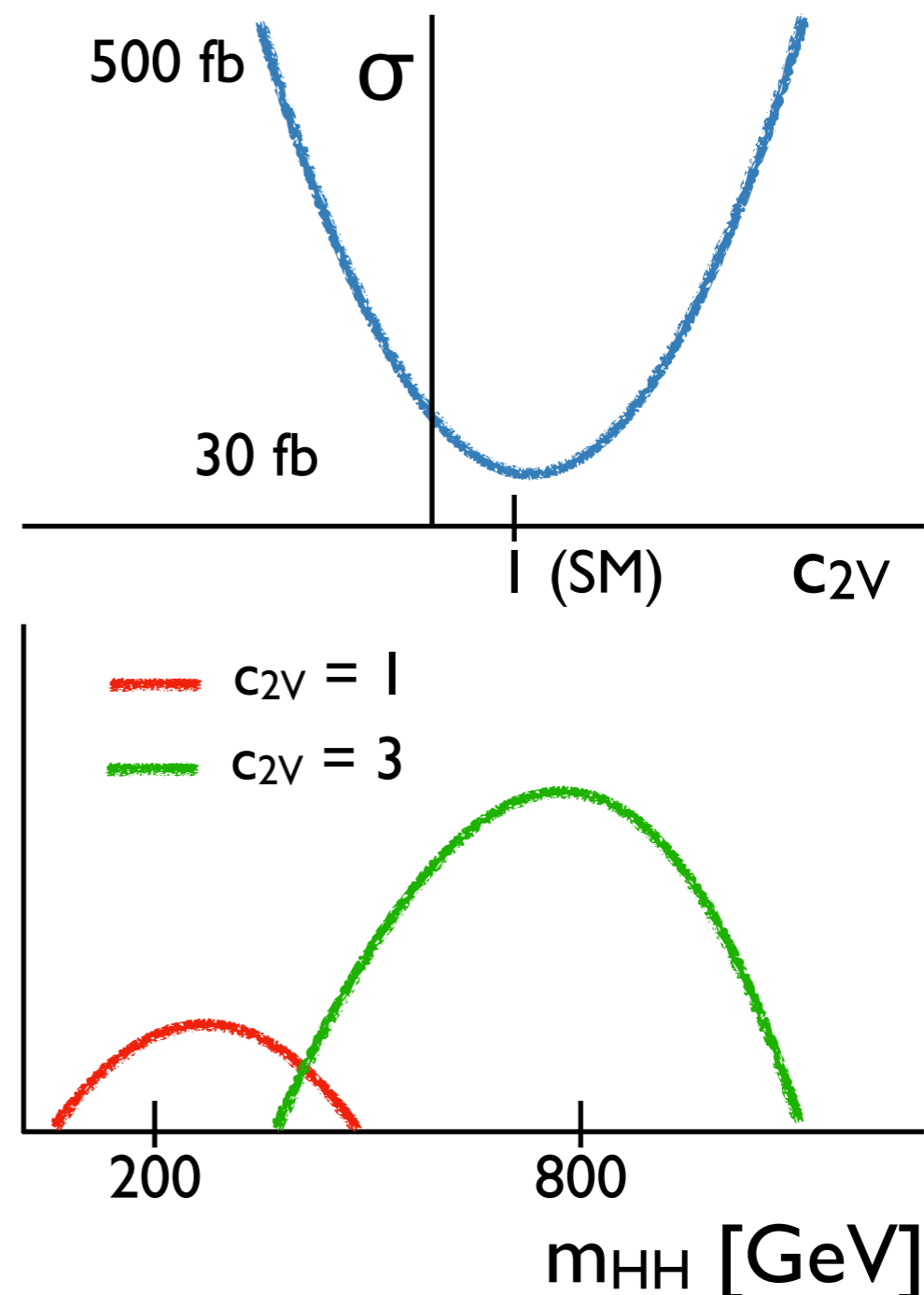
- Deviations in the shape aren't the only thing we can measure with di-Higgs
 - We can also access some fundamental interactions in the Standard Model, which are currently unmeasured!
- c_{2V} is one **first example**: the coupling between two vector bosons and two Higgs bosons has no current constraints!
 - This is just the start of a program where we can explore many other couplings which can be measured with di-Higgs final states: will be part of a global EFT program

What Can We Measure?

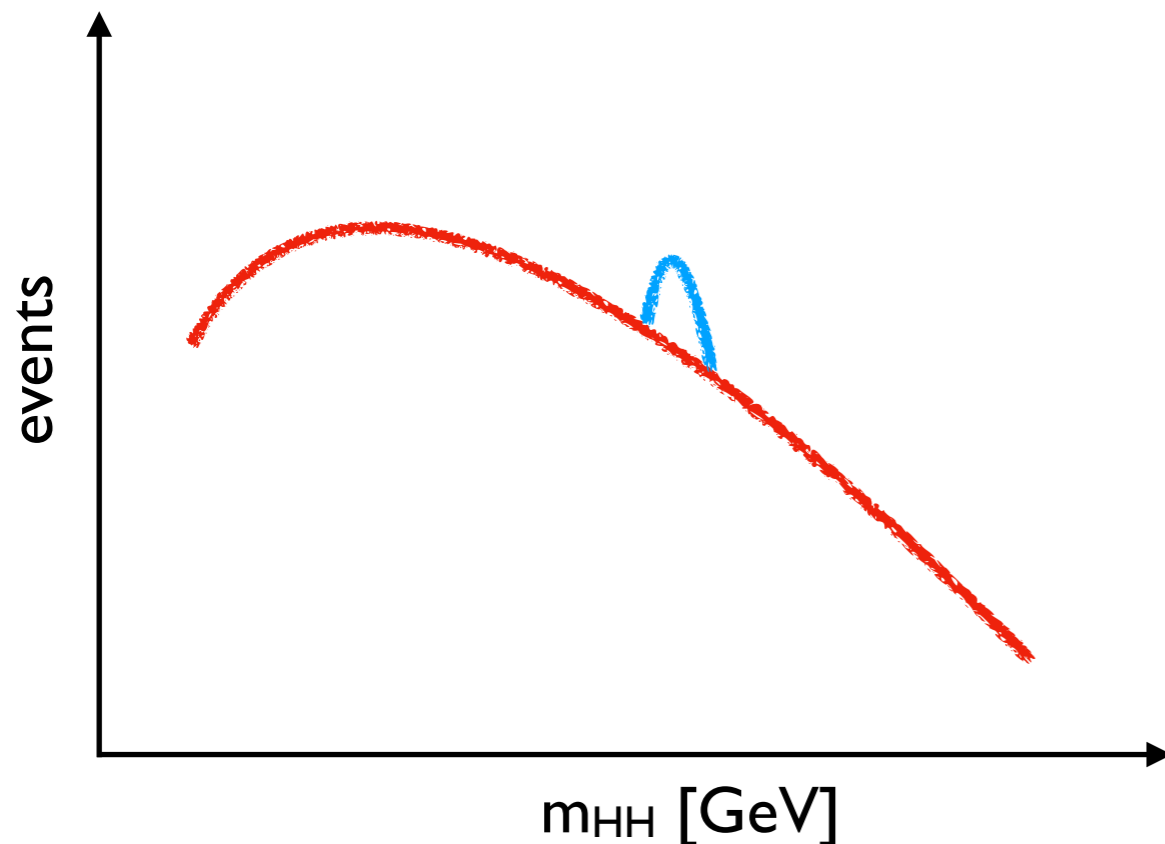


$$\mathcal{A}(V_L V_L \rightarrow hh) \simeq \frac{\hat{s}}{v^2} (c_{2V} - c_V^2)$$

- What does this amplitude actually say?
- Two important things:
 - The cross-section will grow when $c_{2V} \neq c_V$
 - But the cross-section is also dependent on s^\wedge !

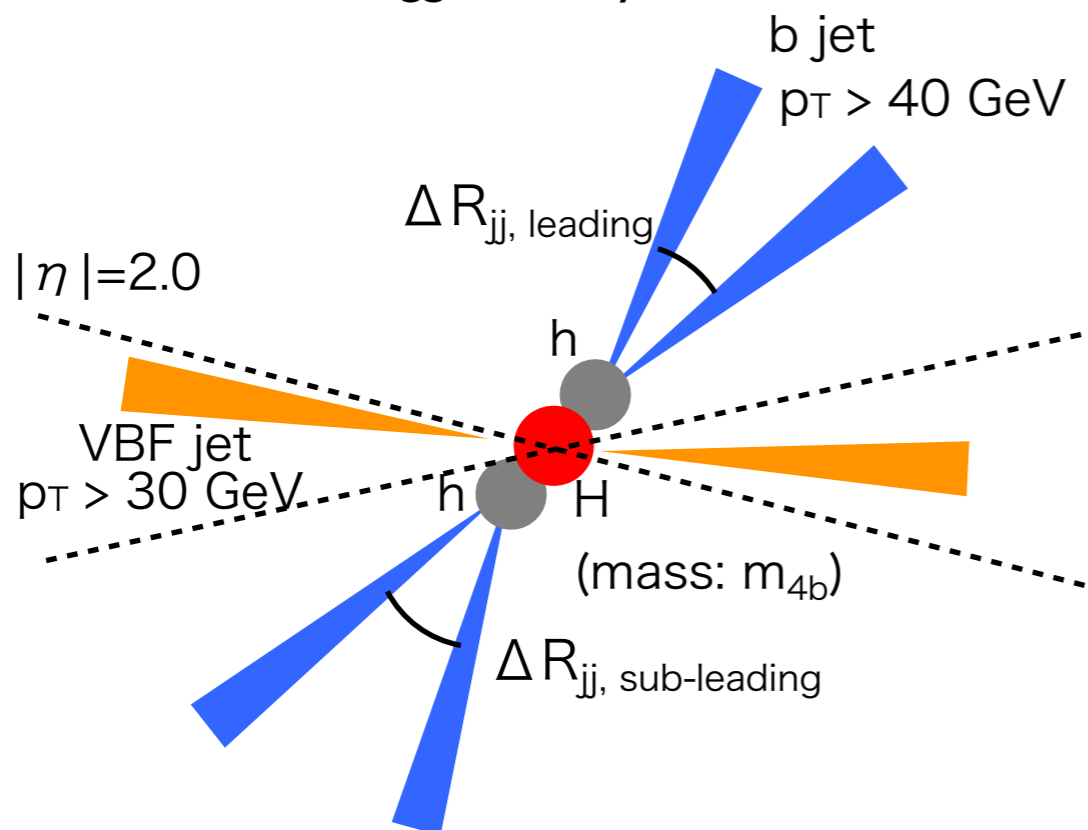
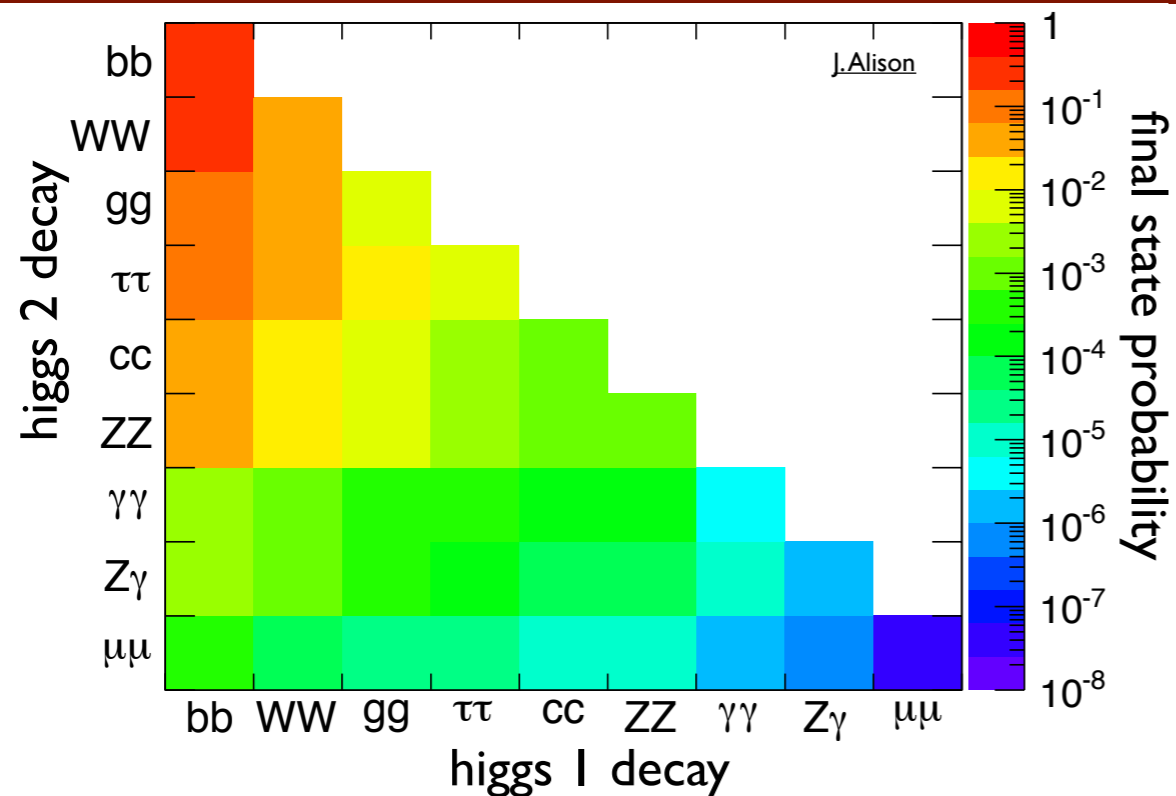


What Else?



- Can also search for resonances decaying to di-Higgs final states
- These are predicted by many models: e.g. 2HDM models, where “heavy Higgs” decays to pairs of our Higgs
- In some parameter corners, VBF is the highest cross-section process for these signals!

How Do You Measure This?

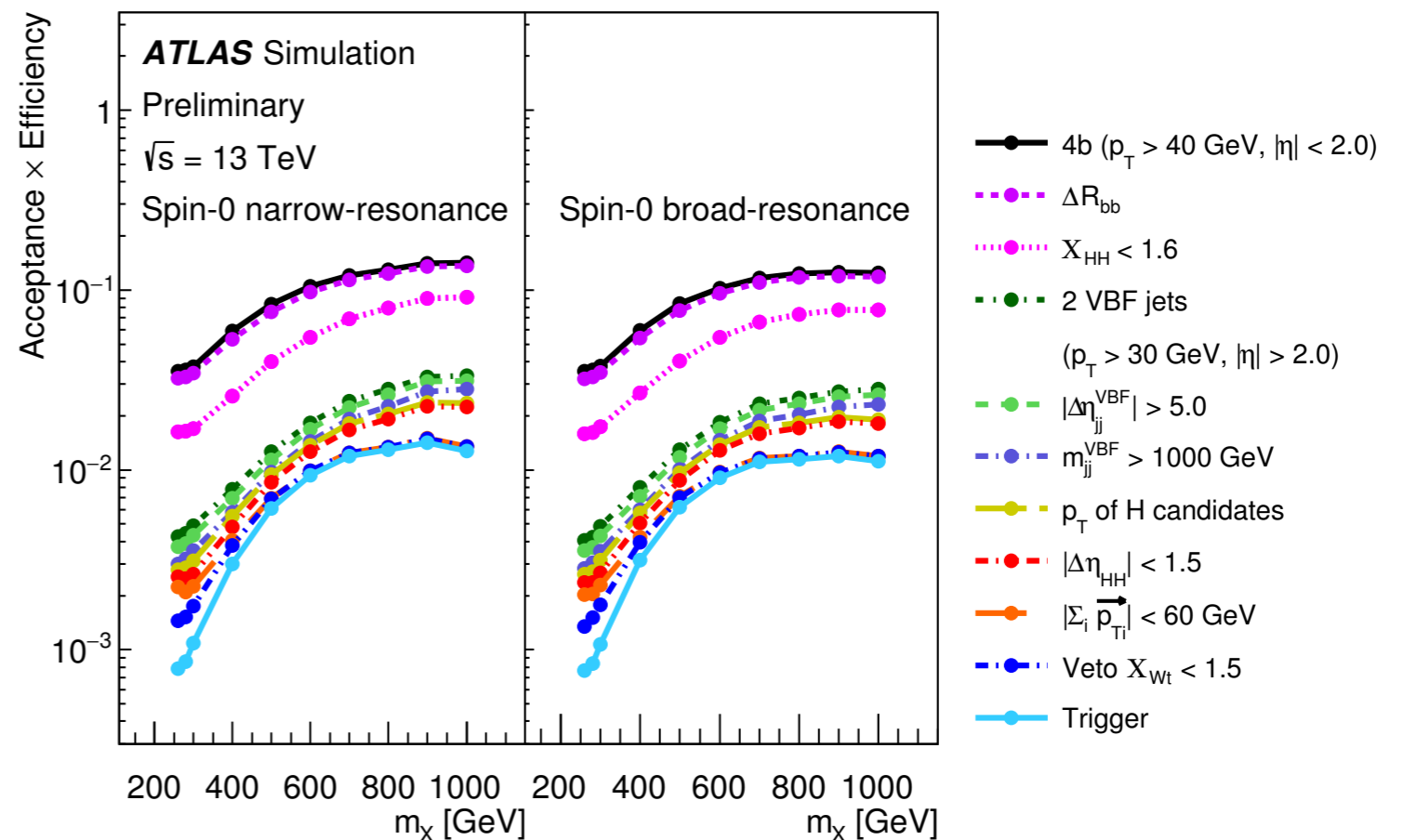


- Look for two Higgs bosons
- We like to do this with the 4 b-jet final state: the largest branching ratio, but a challenging background
- Select two forward jets to tag the VBF process

Analysis Selections



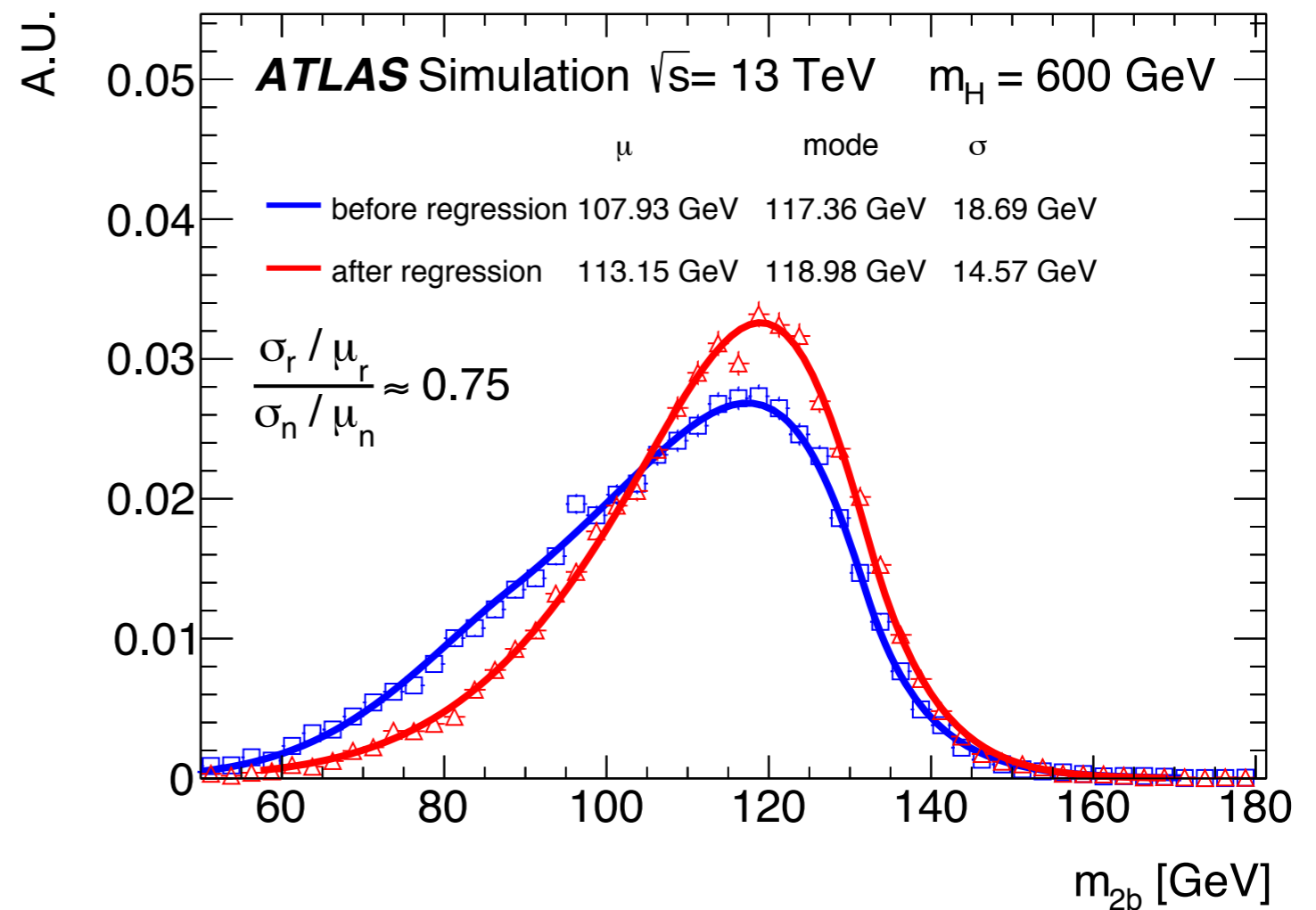
- Several sets of cuts used to enhance selection to the signal and reduce backgrounds
- Triggers require 2 b-tags: use fast tracking in the HLT to significantly reduce the rate, keep most of the signal



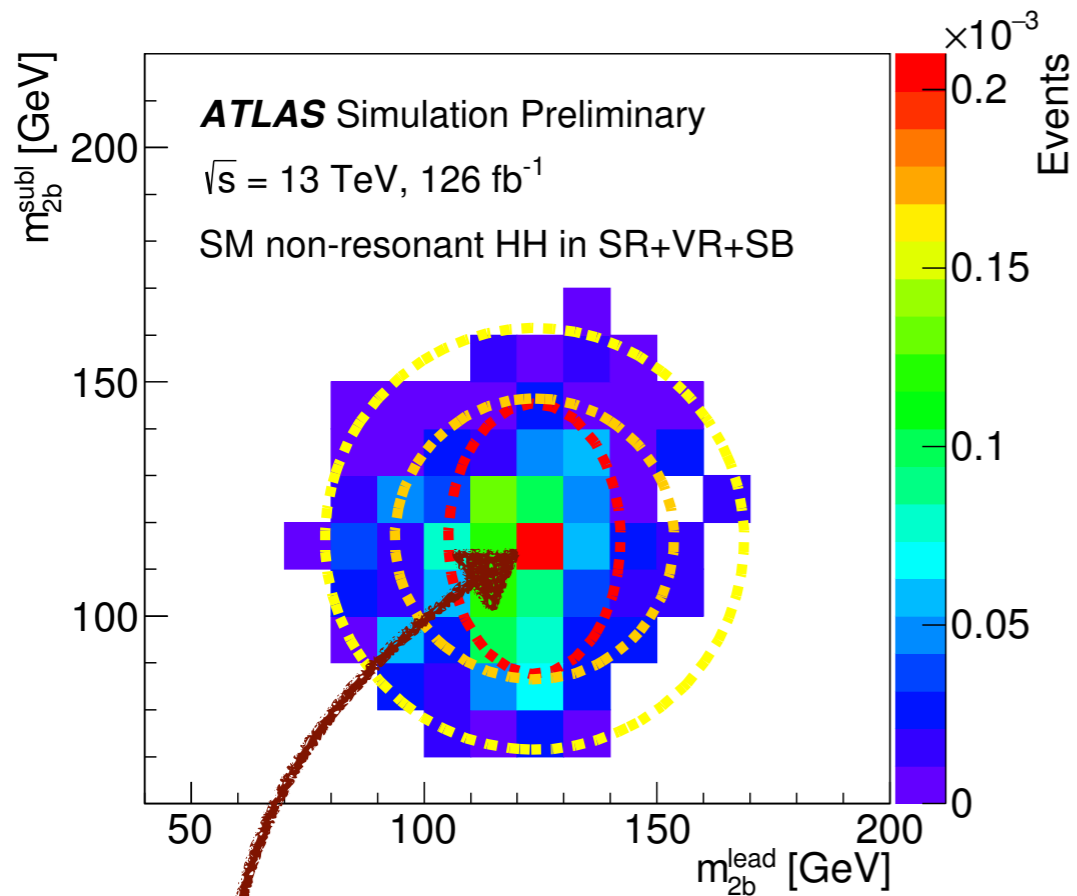
B-Jet Regression



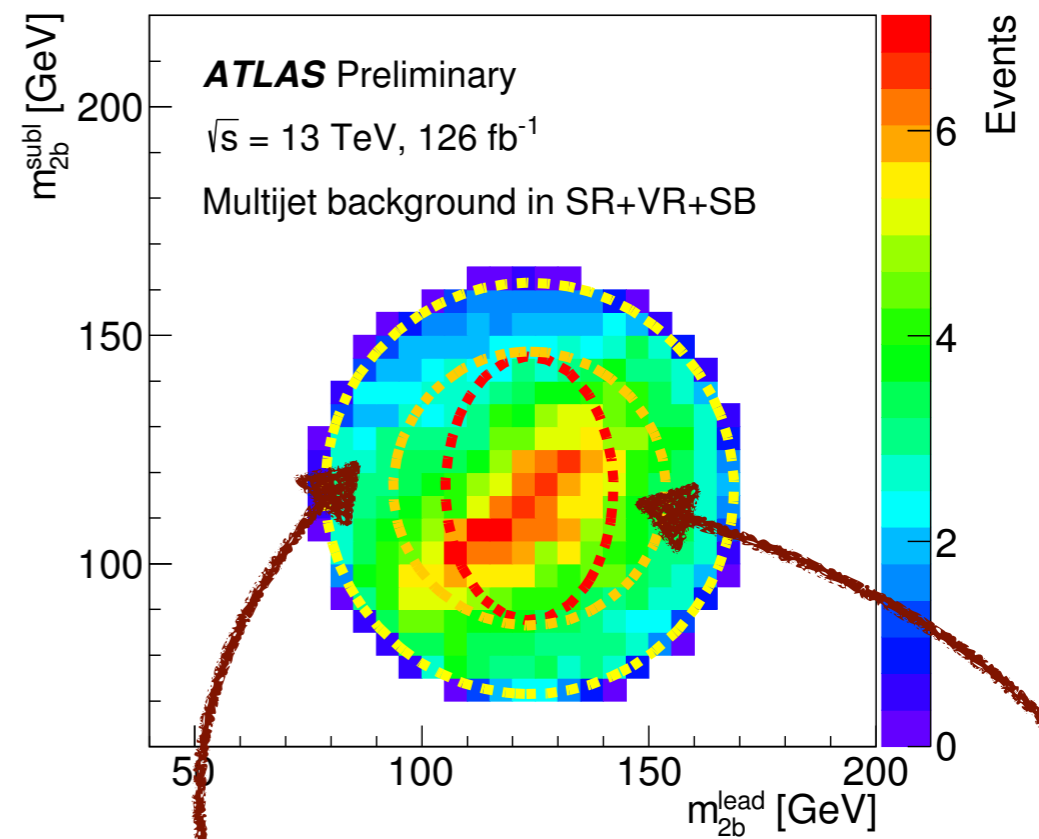
- For the first time in ATLAS (!) use a b-jet energy regression with a BDT: use several track-based variables to correct b-jet energies to closer to true value
- Leads to a 25% improvement in the sharpness of Higgs peaks!
- Tested in data and MC: no mismodelings observed, no new systematic assigned
 - (nb: most bkgd is data-driven, so impact of any uncertainties would be small)



Background Model



- Signal is concentrated at the center of the $m_H m_H$ plane: use the surrounding regions to model the bkgd

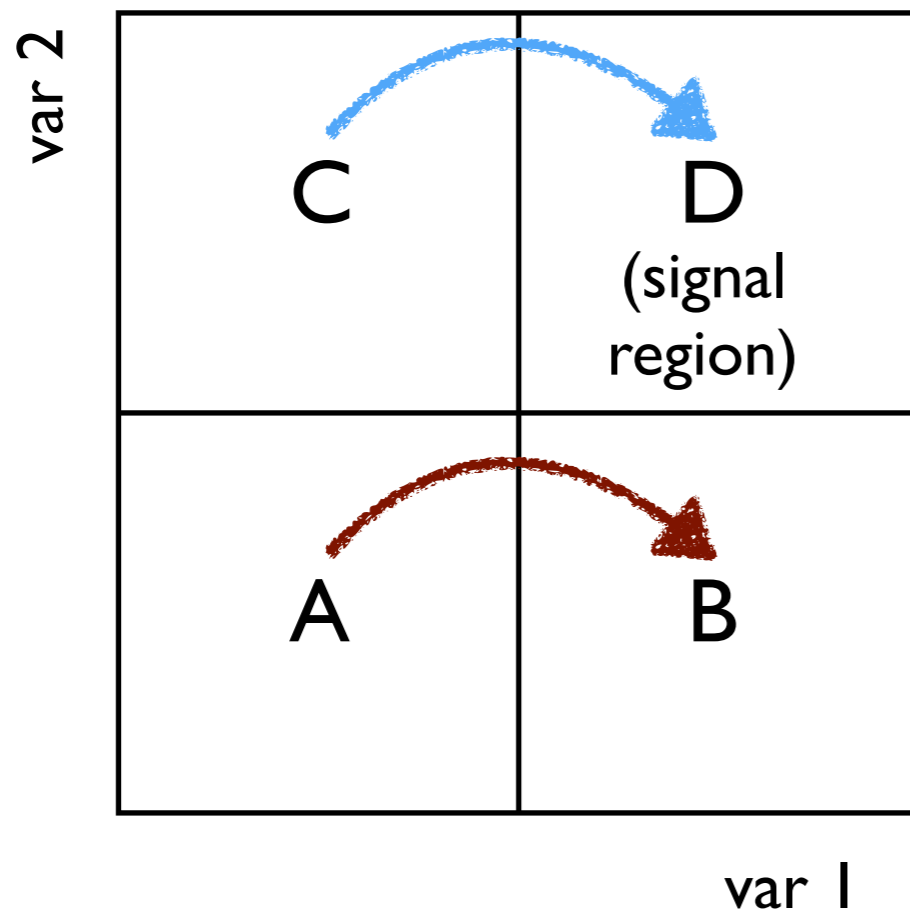


- “Sideband” region at the far side is used to generate bkgd model, and “validation” region in orange used to assign uncertainties and check quality

Background Model Details



Generically:



1. Measure a transfer factor
2. Apply the transfer factor to another region

$$D = C \frac{B}{A}$$

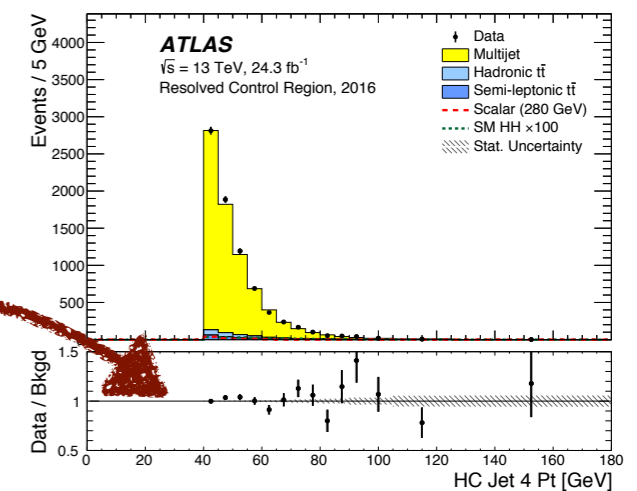
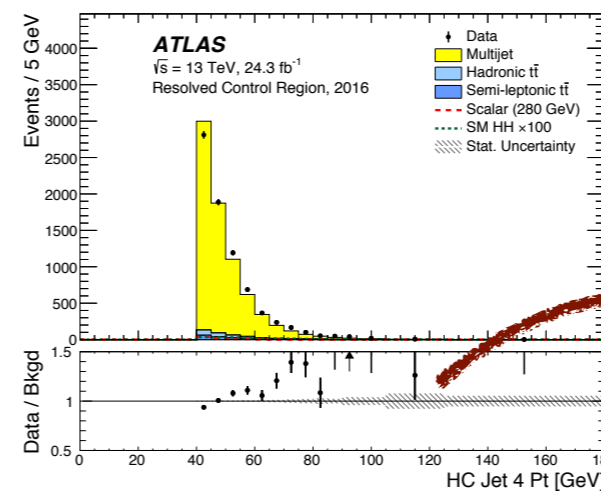
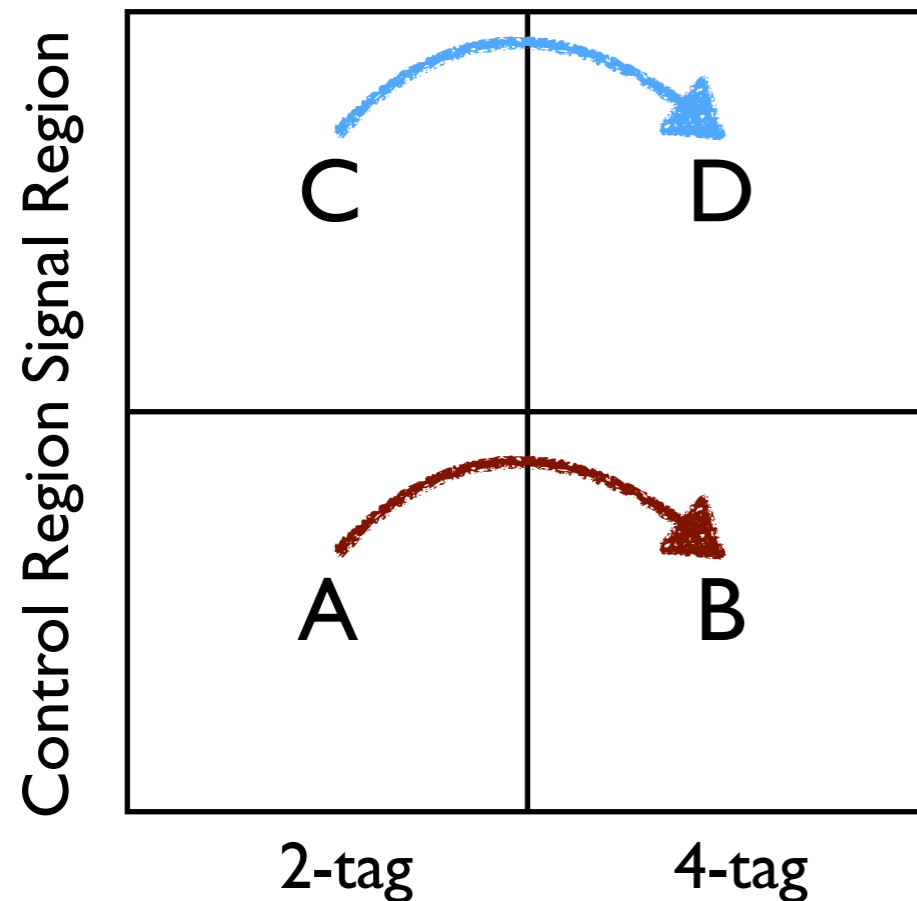
Background Model Details



In our case:

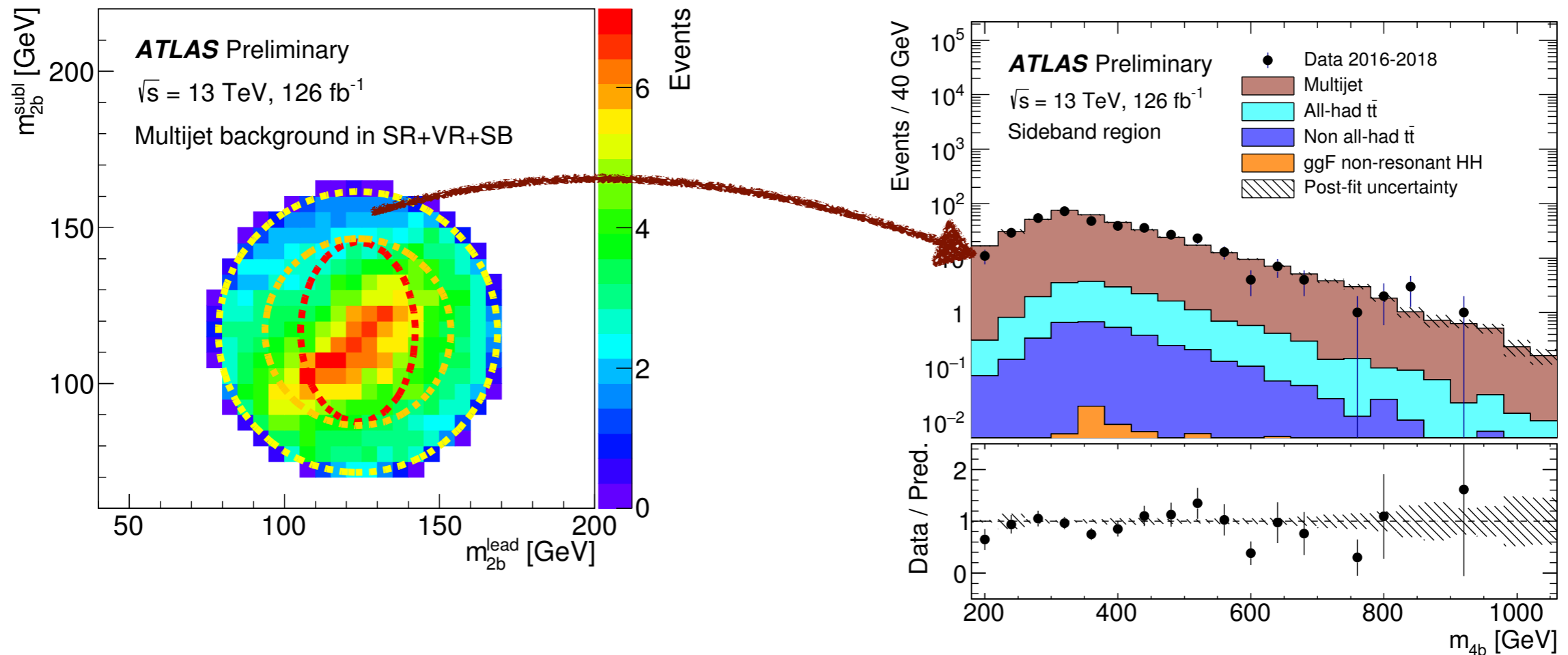
1. Measure a transfer factor

This time the transfer factor is more complicated: iteratively reweight kinematic distributions to get agreement



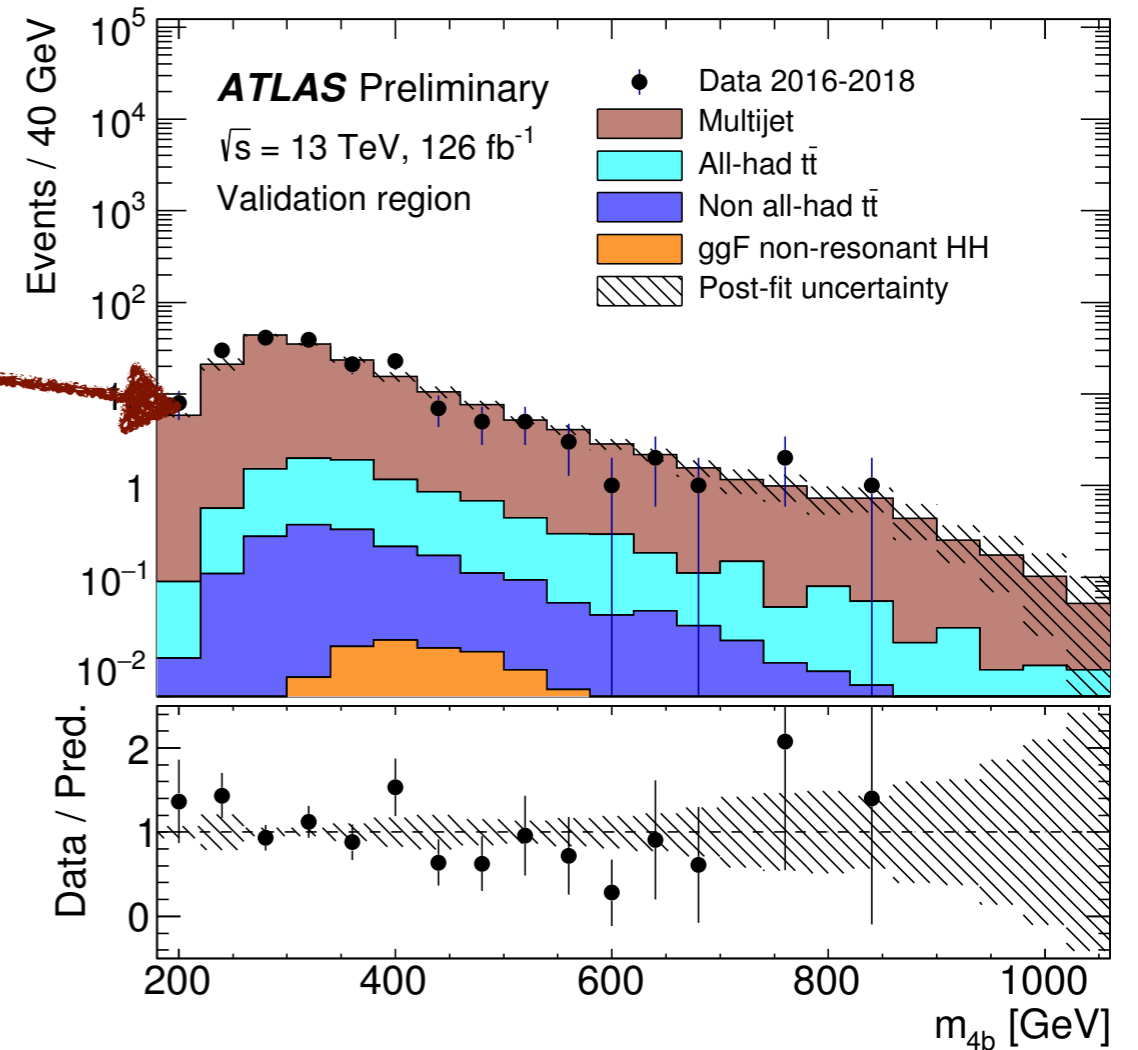
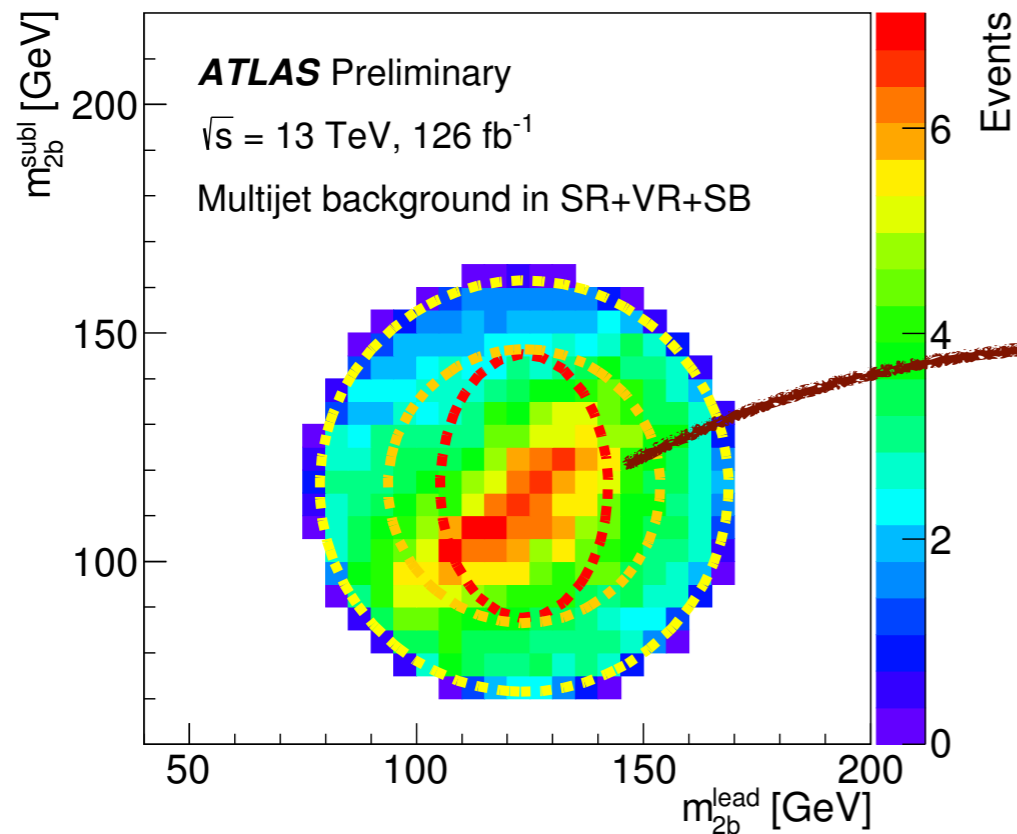
2. Apply the transfer factor to another region

Control Region



- Data on the right plot is 4-btag data
- Multijet bkgd is 2-btag, reweighted iteratively to match 4-btag data
- After reweighting, see good agreement in the control region!

Validation Region

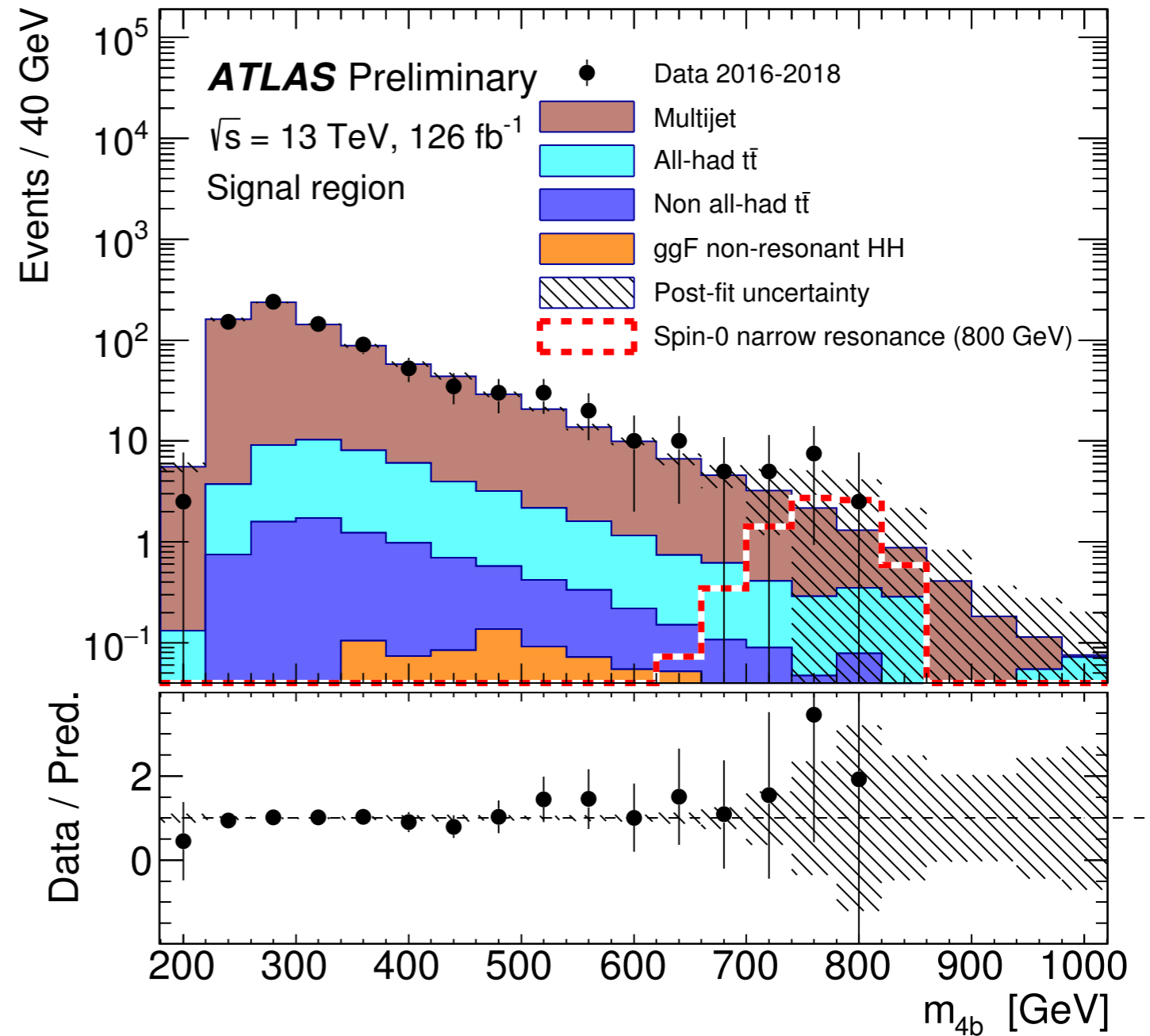


- Same story here: data is 4-btag, and multijet bkgd is 2-btag, reweighted using functions derived in control region
- See good agreement in validation region!

Signal Region



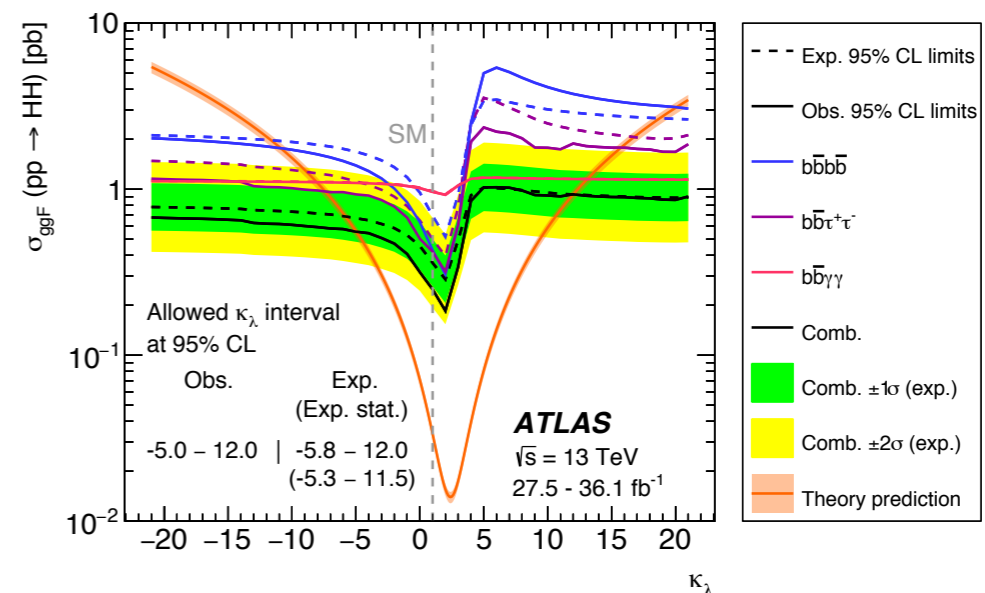
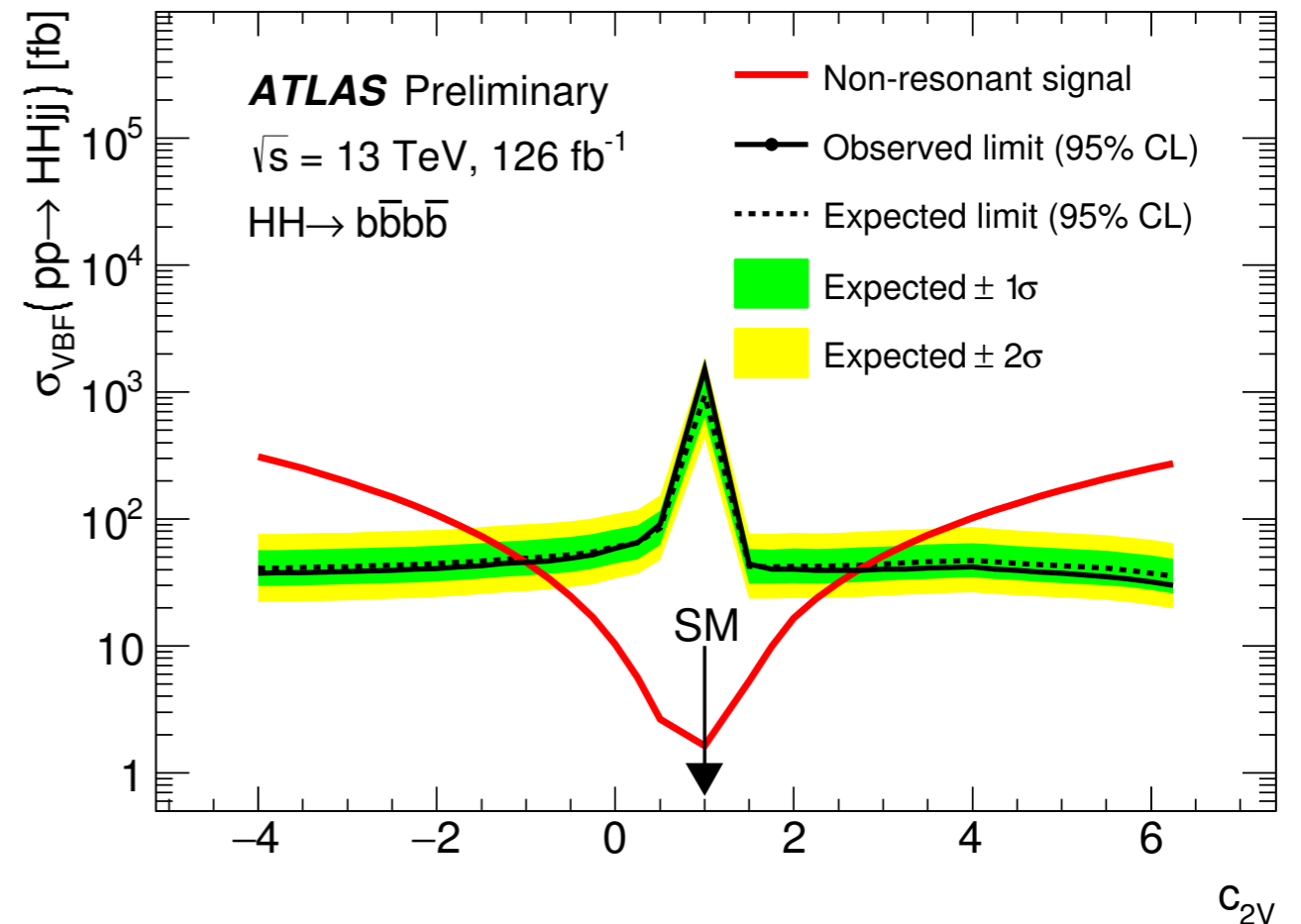
- Signal region shows no significant excess
- Largest deviation is 1.5σ at 550 GeV, and $< 1\sigma$ at 750 GeV
- So we set limits



Limits on c_{2V}



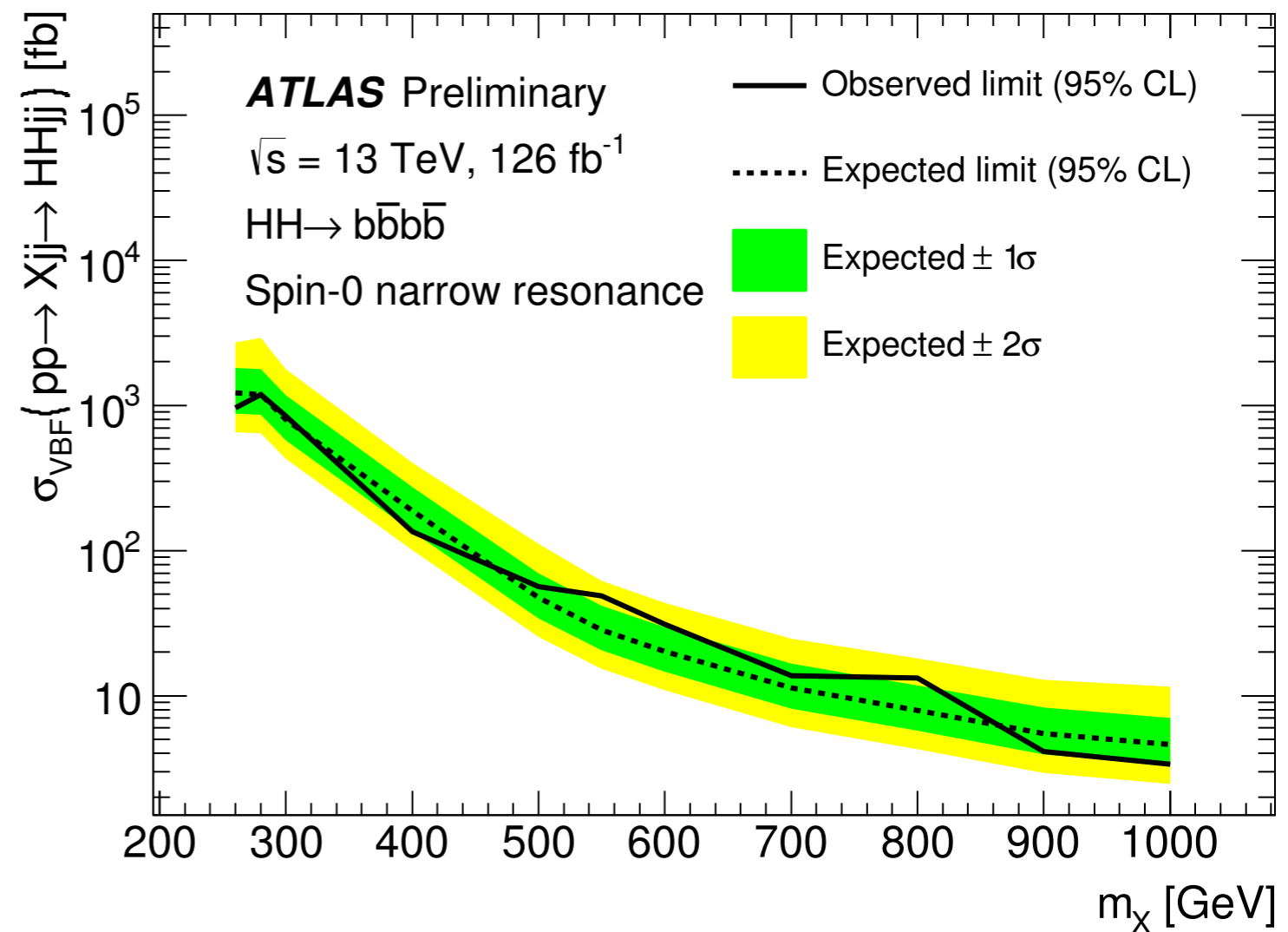
- Non-resonant signal cross-section has a strong dependence on c_{2V} , as expected
- But also notice that moving away from the SM value, the limit becomes much lower: this means the shape is easier to observe (higher m_{HH}) values
- This is opposite of the case of κ_λ like for the ggF analysis!



Resonant Limits



- Also set limits on new resonances decaying to pairs of Higgs bosons, produced via VBF
- First limits on this type of new physics model!



Conclusions



- di-Higgs analyses are a critical part of the physics programs of the LHC for run 2 and beyond
- Traditionally these are used to measure properties of the Higgs potential, but modifications can tell us even more about the SM
 - These can be rare signatures, but BSM deviations give huge cross-sections
- Here, we present the first measurement of the c_{2V} parameter by studying di-Higgs produced by VBF
- No excess is observed, and we set limits on resonances and the first limits on the c_{2V} parameter
- More in [ATLAS-CONF-2019-030](#)

Thank you!