

# Enhancing Dark Energy Constraints from Redshift-Space Galaxy Clustering

 Zheng Zheng  
University of Utah

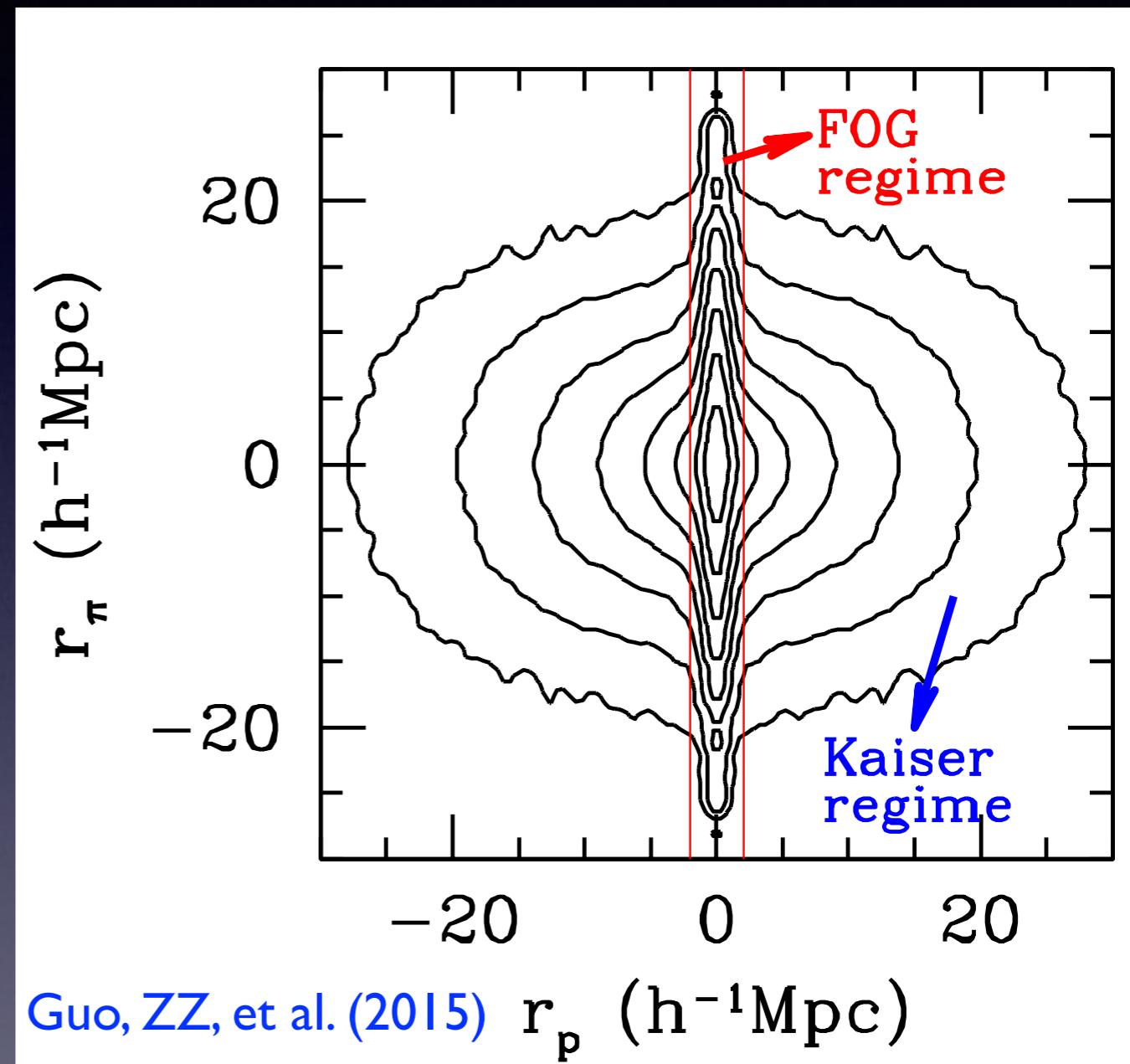
# **Enhancing Dark Energy Constraints from Redshift-Space Galaxy Clustering**

- Redshift-space distortions (RSD) in galaxy clustering and constraints on structure growth rate
- Accurate and efficient halo modeling of (intermediate- and small-scale) galaxy clustering
- Investigating potential theoretical systematics in the (halo-based) modeling

# Redshift-Space Galaxy Clustering

Small scales: FoG  
[Fingers-of-God]  
galaxy kinematics inside  
virtualized structures (halos)

Large scales: Kaiser effect  
structure growth rate  
(gravity, dark energy)



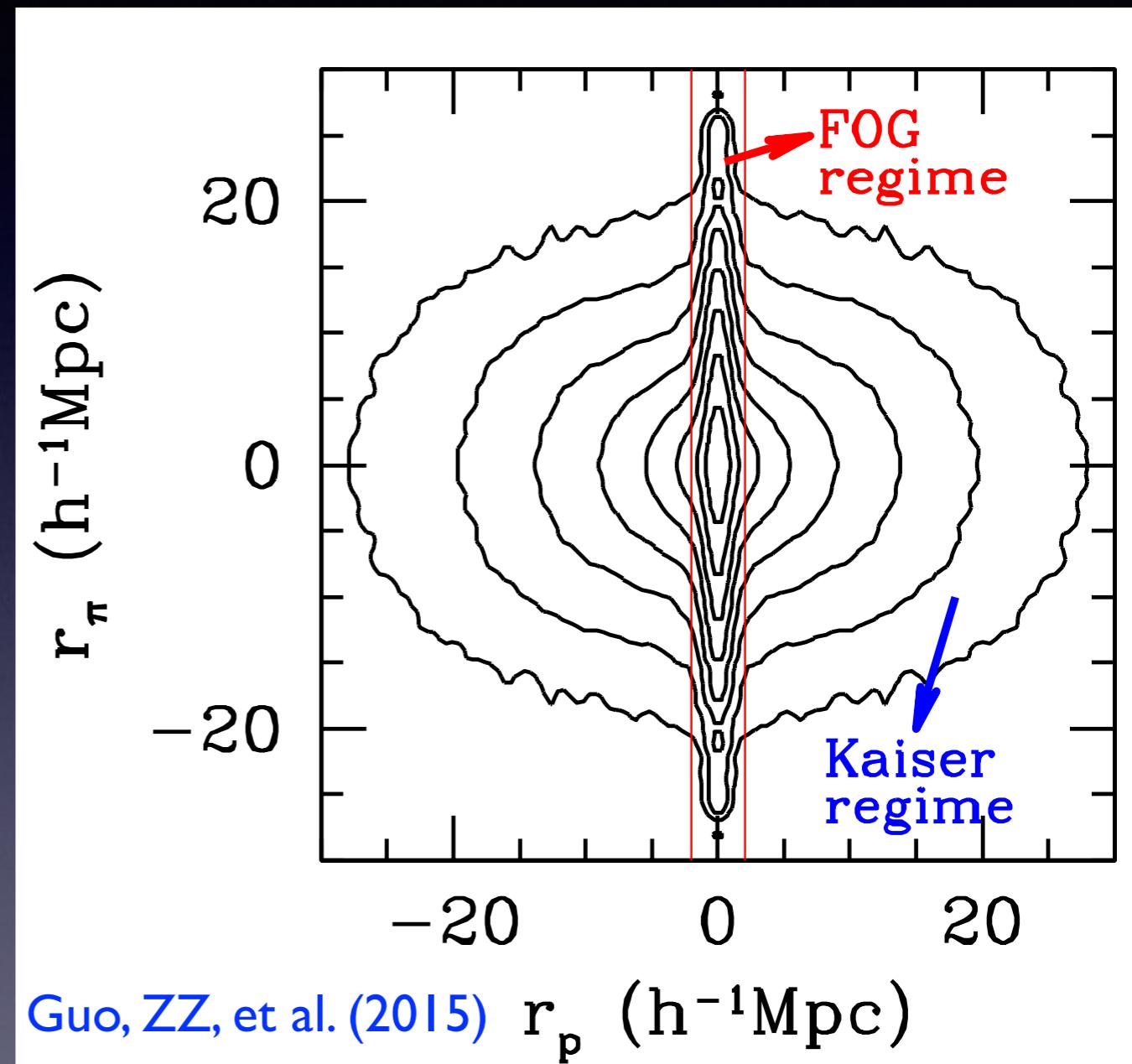
# Redshift-Space Galaxy Clustering

Small scales: FoG  
[Fingers-of-God]  
galaxy kinematics inside  
virtualized structures (halos)

Large scales: Kaiser effect  
structure growth rate  
(gravity, dark energy)

$$\dot{\delta} + \frac{1}{a} \nabla \cdot \mathbf{v} = 0$$

(continuity)



# Redshift-Space Galaxy Clustering

Large-scale RSD

Probe combination of structure growth rate  
and fluctuation amplitude (gravity, dark energy)

$$\left. \begin{array}{l} \text{amplitude} \Rightarrow b\sigma_8 \\ \text{shape} \Rightarrow f/b \end{array} \right\} \Rightarrow f\sigma_8$$
$$f \equiv \frac{d \ln D}{d \ln a}$$

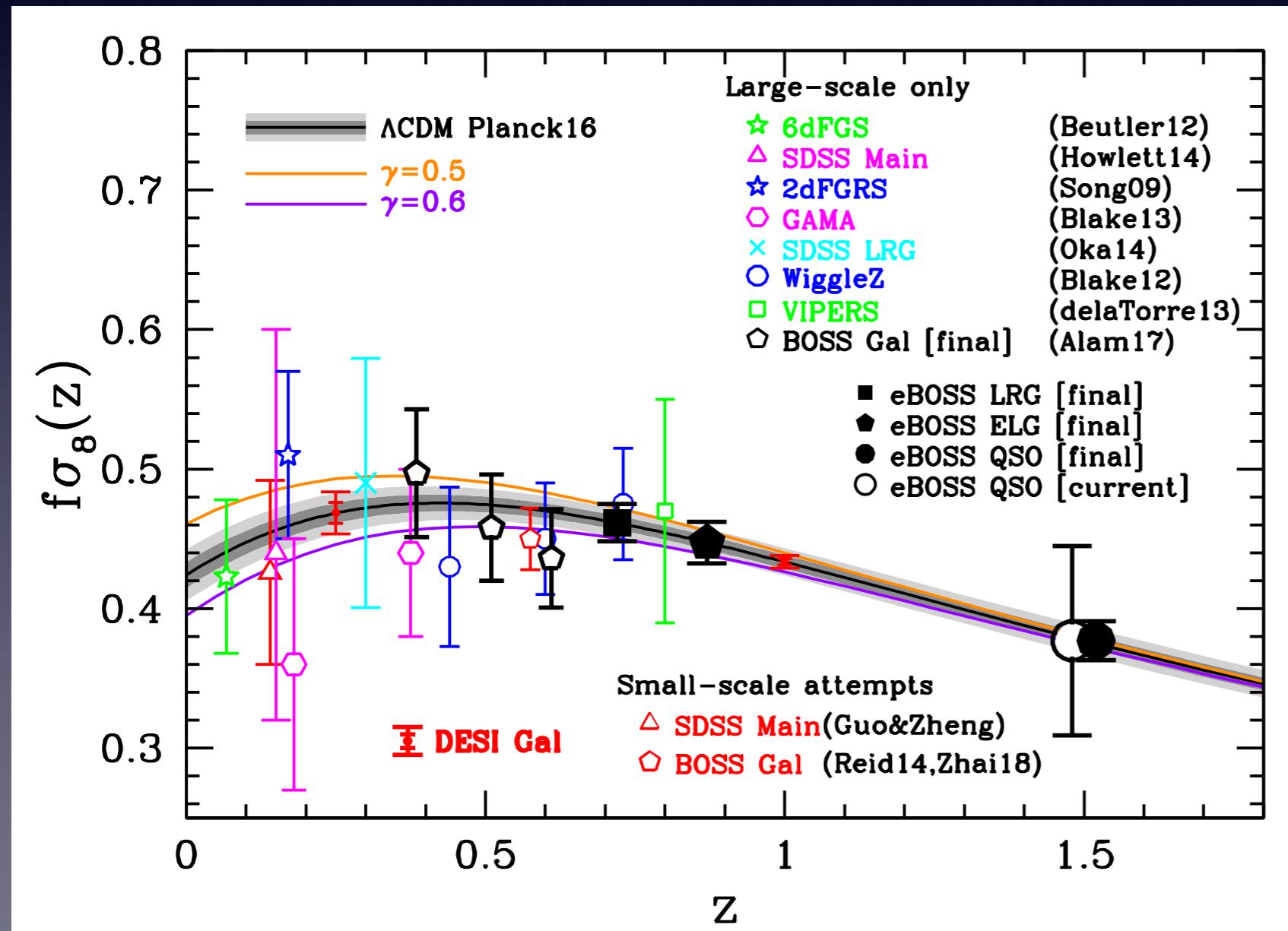
# Redshift-Space Galaxy Clustering

Large-scale RSD

Probe combination of structure growth rate  
and fluctuation amplitude (gravity, dark energy)

$$\left. \begin{array}{l} \text{amplitude} \Rightarrow b\sigma_8 \\ \text{shape} \Rightarrow f/b \end{array} \right\} \Rightarrow f\sigma_8$$

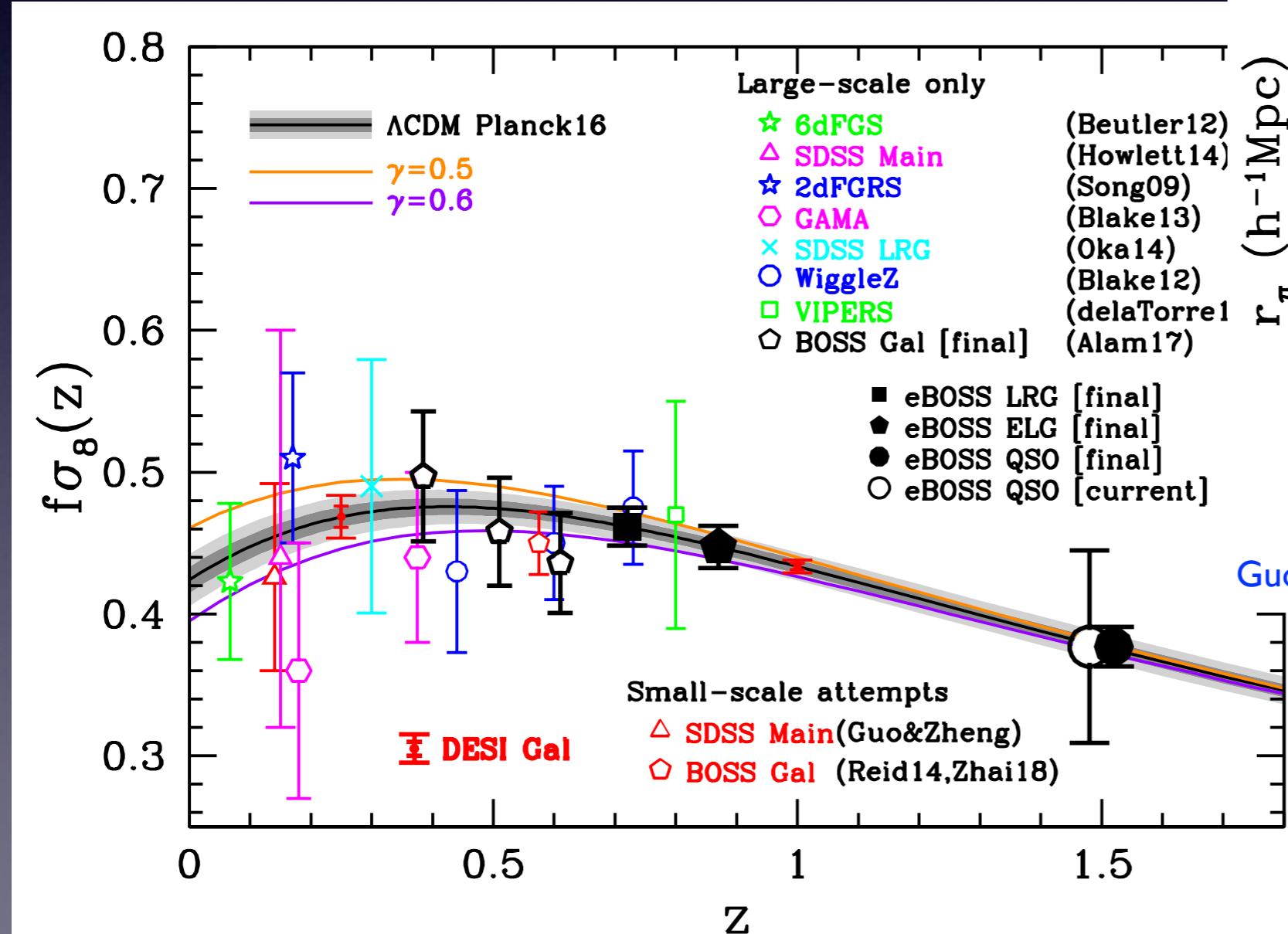
$$f \equiv \frac{d \ln D}{d \ln a}$$



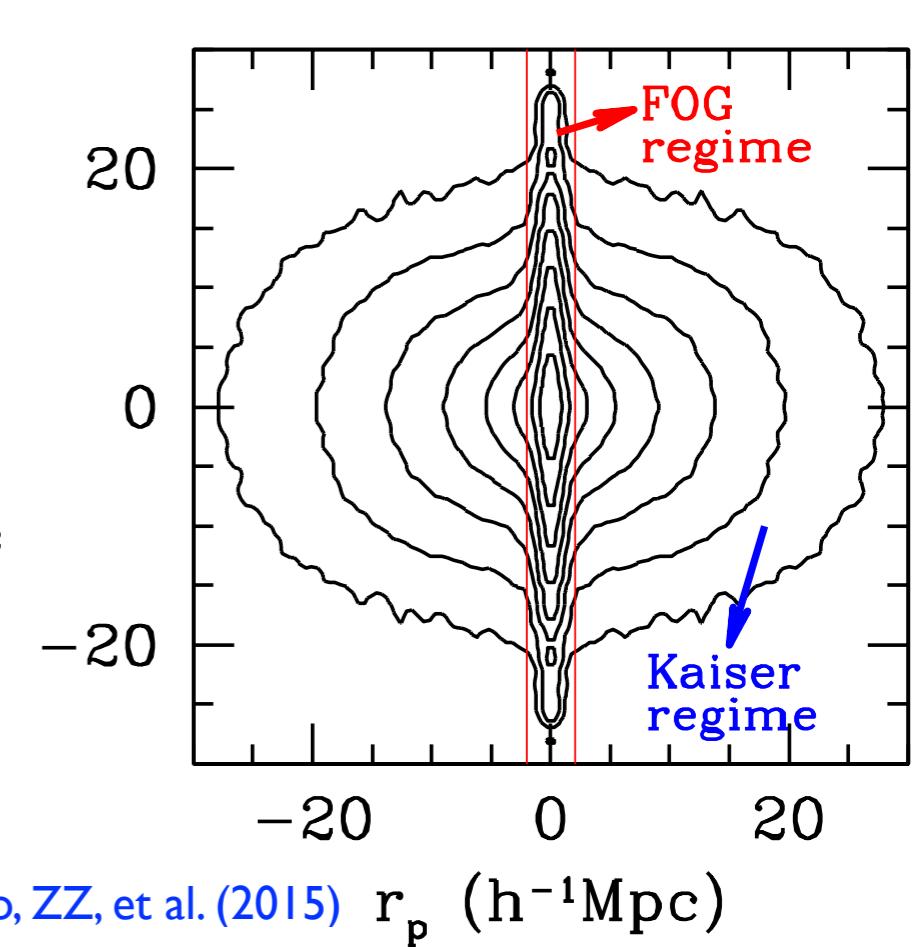
# Redshift-Space Galaxy Clustering

## Large-scale RSD

Probe combination of structure growth rate and fluctuation amplitude (gravity, dark energy)



$$\left. \begin{aligned} \text{amplitude} &\Rightarrow b\sigma_8 \\ \text{shape} &\Rightarrow f/b \end{aligned} \right\} \Rightarrow f\sigma_8$$



Current constraints mainly use scales  $> \sim 40\text{Mpc}/h$  with perturbation theories.

# Redshift-Space Galaxy Clustering

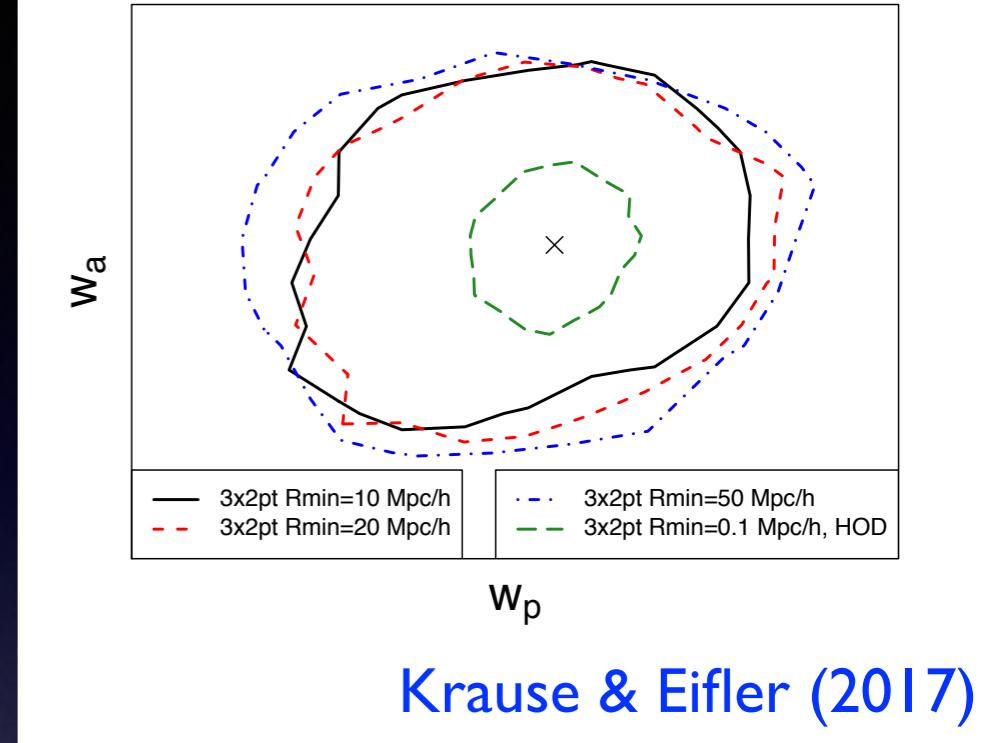
## Intermediate and Small-scale RSD

high statistical power  
but difficult to model accurately and efficiently

# Redshift-Space Galaxy Clustering

Intermediate and Small-scale RSD

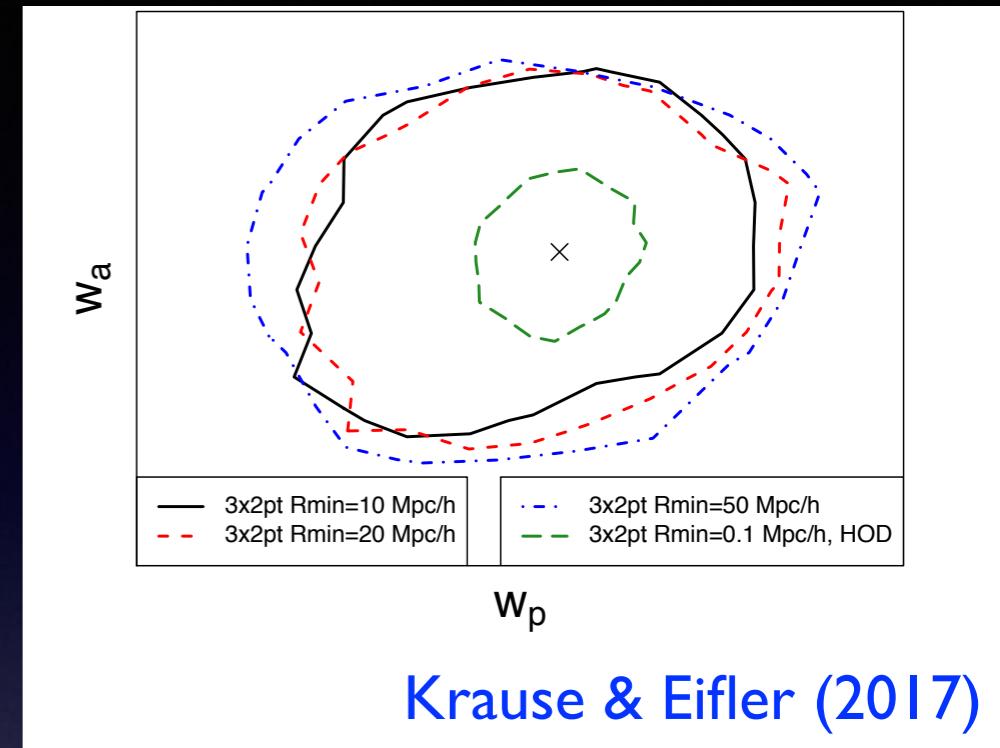
high statistical power  
but difficult to model accurately and efficiently



# Redshift-Space Galaxy Clustering

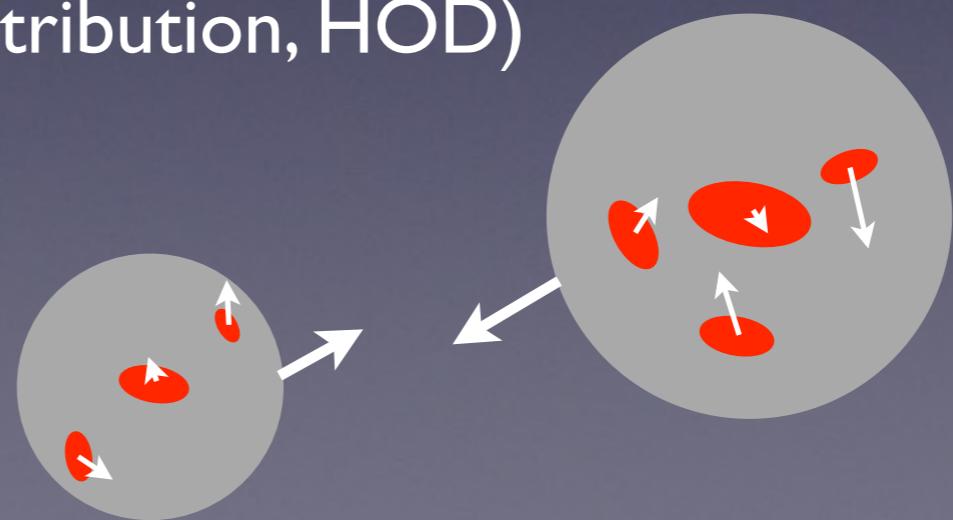
## Intermediate and Small-scale RSD

high statistical power  
but difficult to model accurately and efficiently

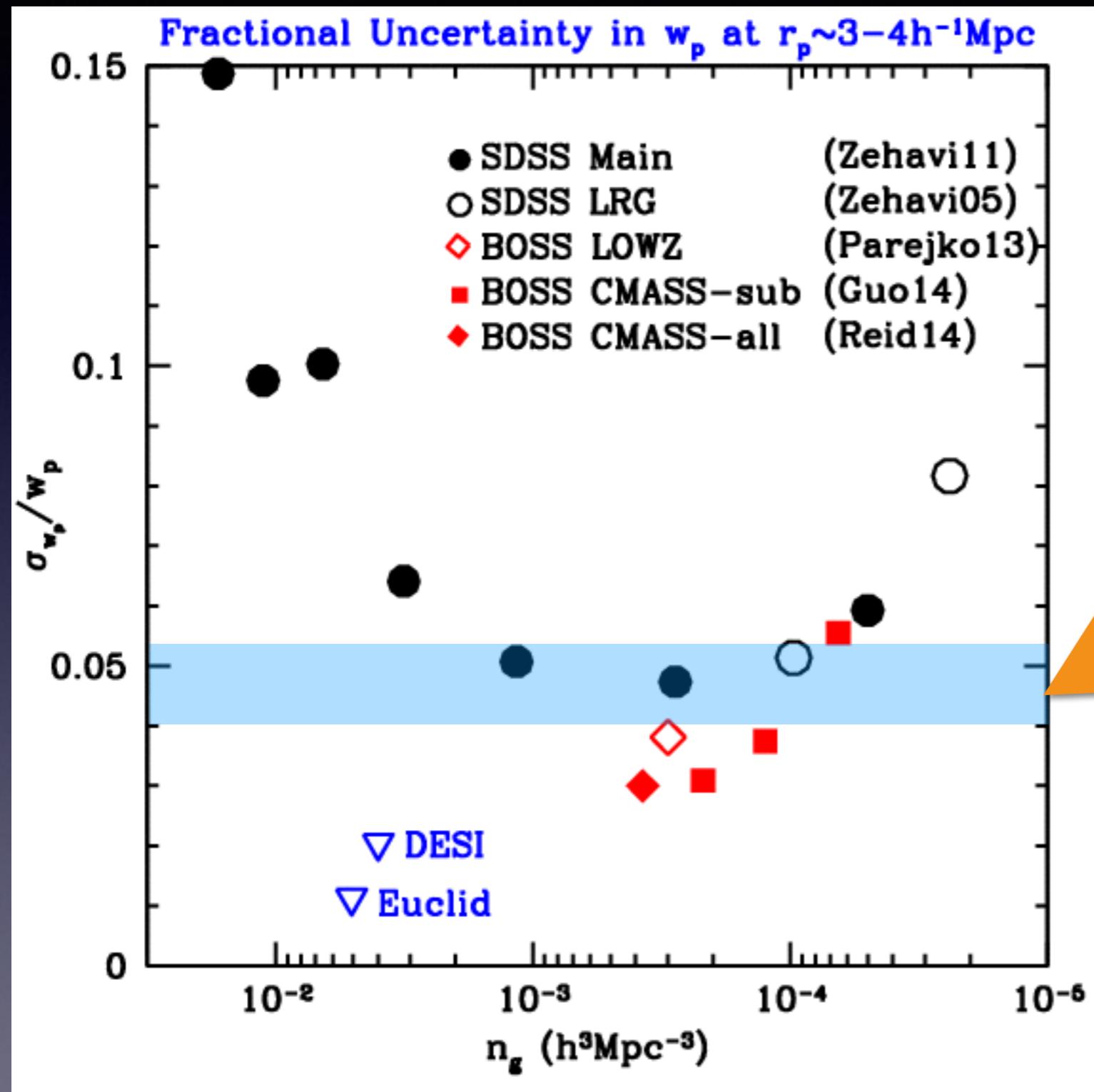


## Halo model

connecting galaxies to dark matter field through **galaxy-halo relation**  
(e.g., Halo Occupation Distribution, HOD)

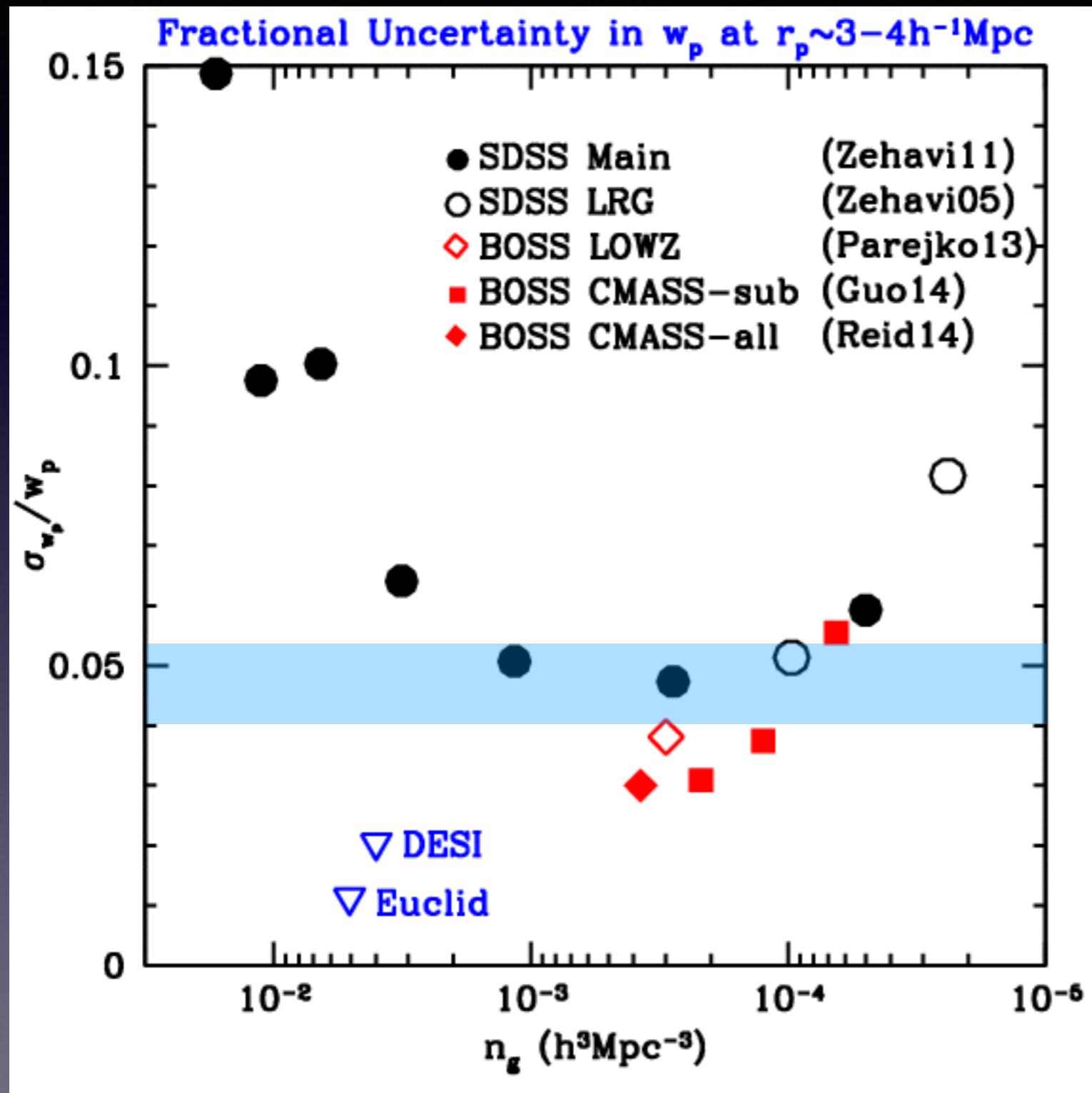


# High Precision Galaxy Clustering Measurements



~ accuracy of  
analytic models of  
real-space 2PCFs  
(e.g., Tinker+05,  
van den Bosch+13)

# Difficulties in Developing Accurate Models of Galaxy Clustering



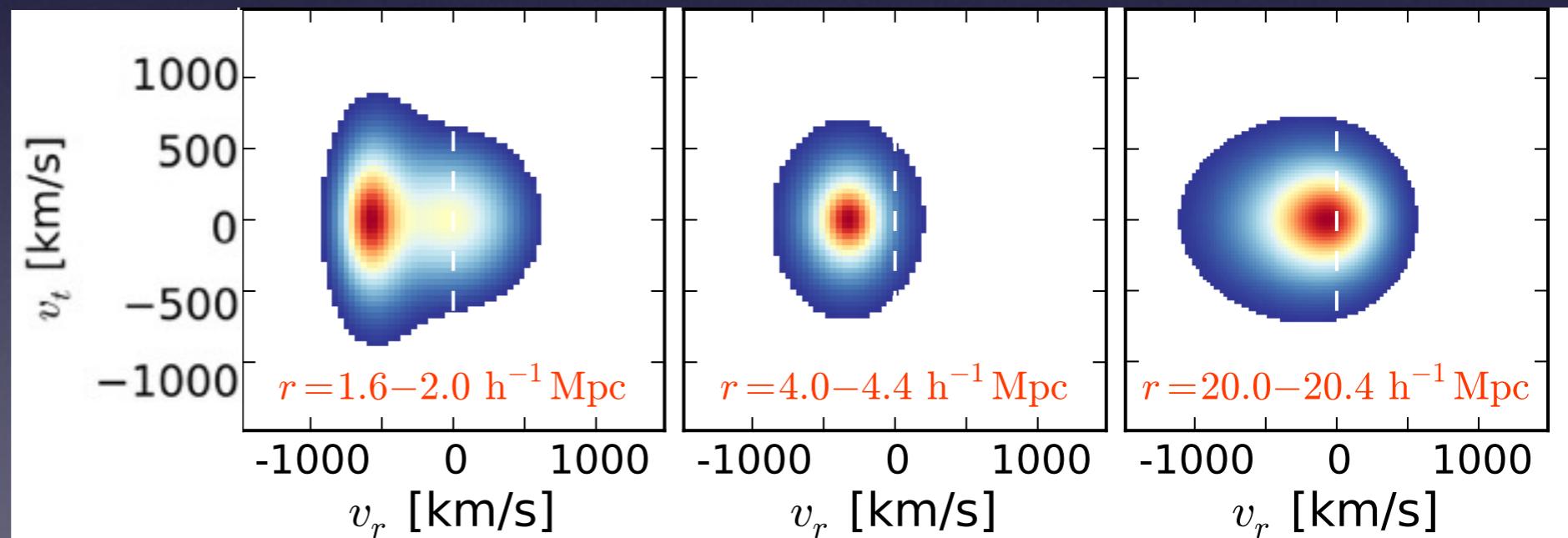
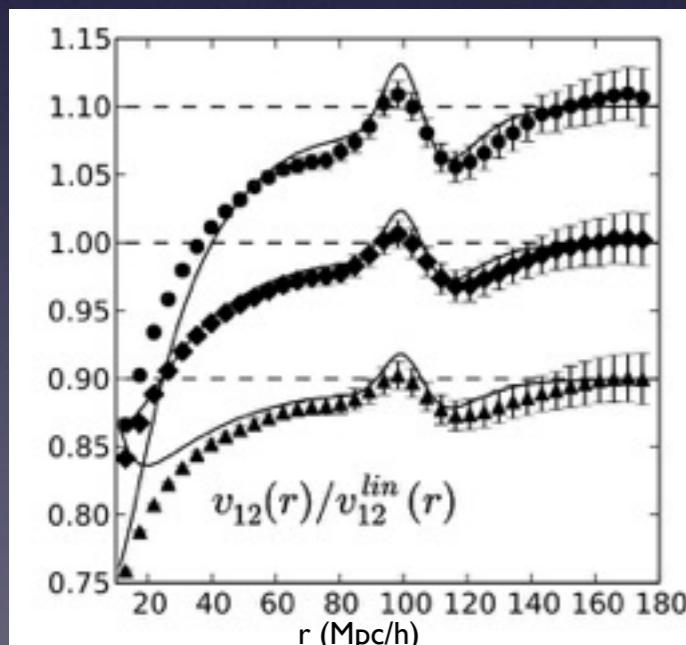
- non-linear evolution of matter power spectrum
  - scale dependence of halo bias
  - halo exclusion effect
  - nonsphericity of halos
  - halo alignment
  - ...
- (Zheng04, Tinker+05, van den Bosch+13)

# Difficulties in Developing Accurate Models of Galaxy Clustering

$$P(v_r, v_t | r, M_1, M_2)$$

Distribution of halo-halo (radial and transverse) pairwise velocity

(e.g., Tinker 2007, Reid & White 2011, Zu & Weinberg 2013)



Reid & White (2011)

Zu & Weinberg (2013)

Accurate



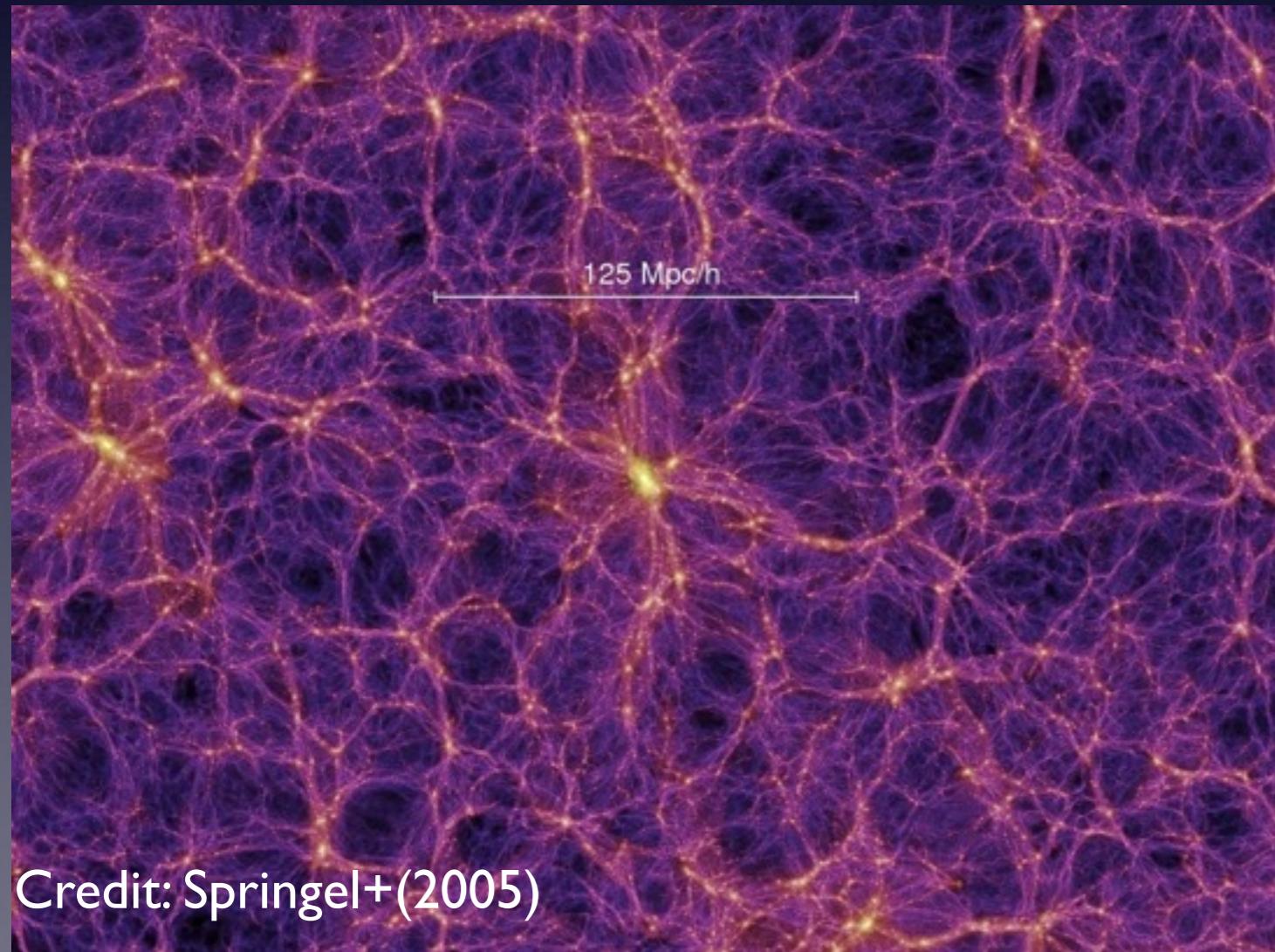
Analytic Model

Efficient

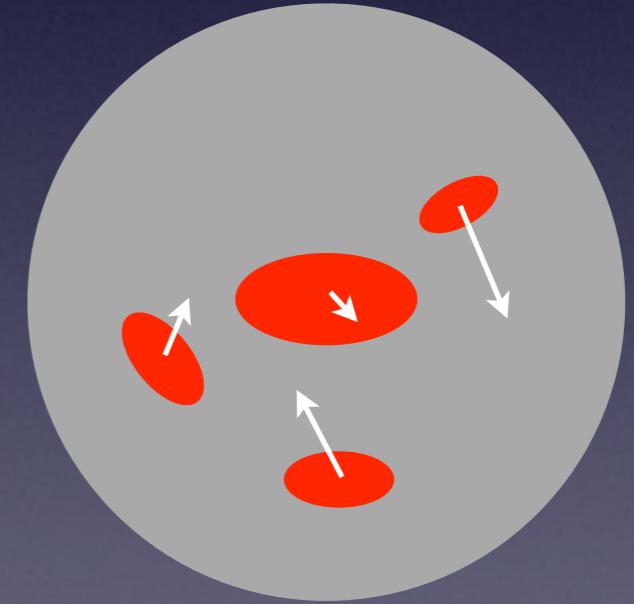


# Model Galaxy Clustering with N-body Simulations

Populate halos with galaxies according to HOD/CLF to form mock  
Measure 2PCFs from the mock as the model prediction

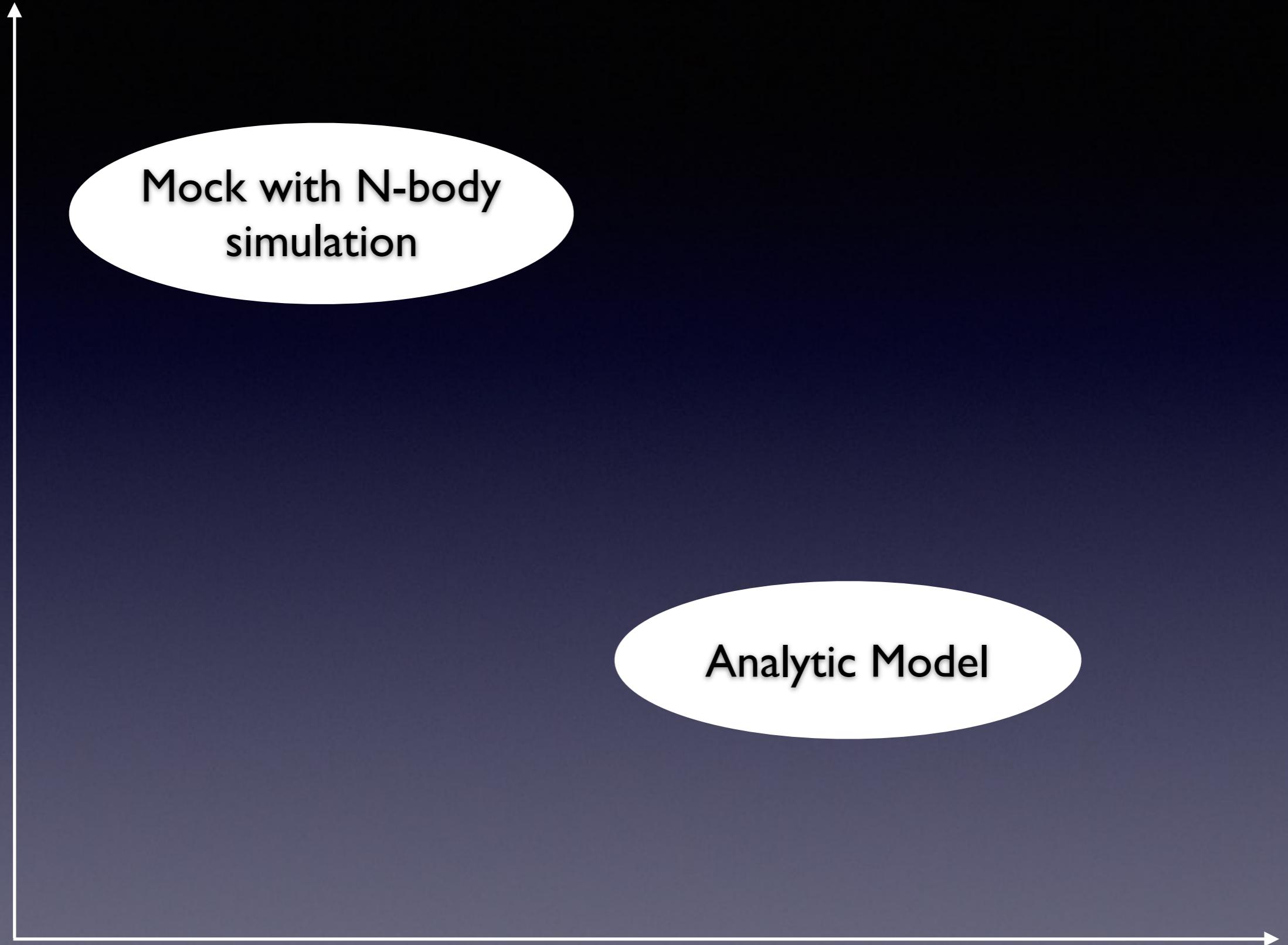


Credit: Springel+ (2005)

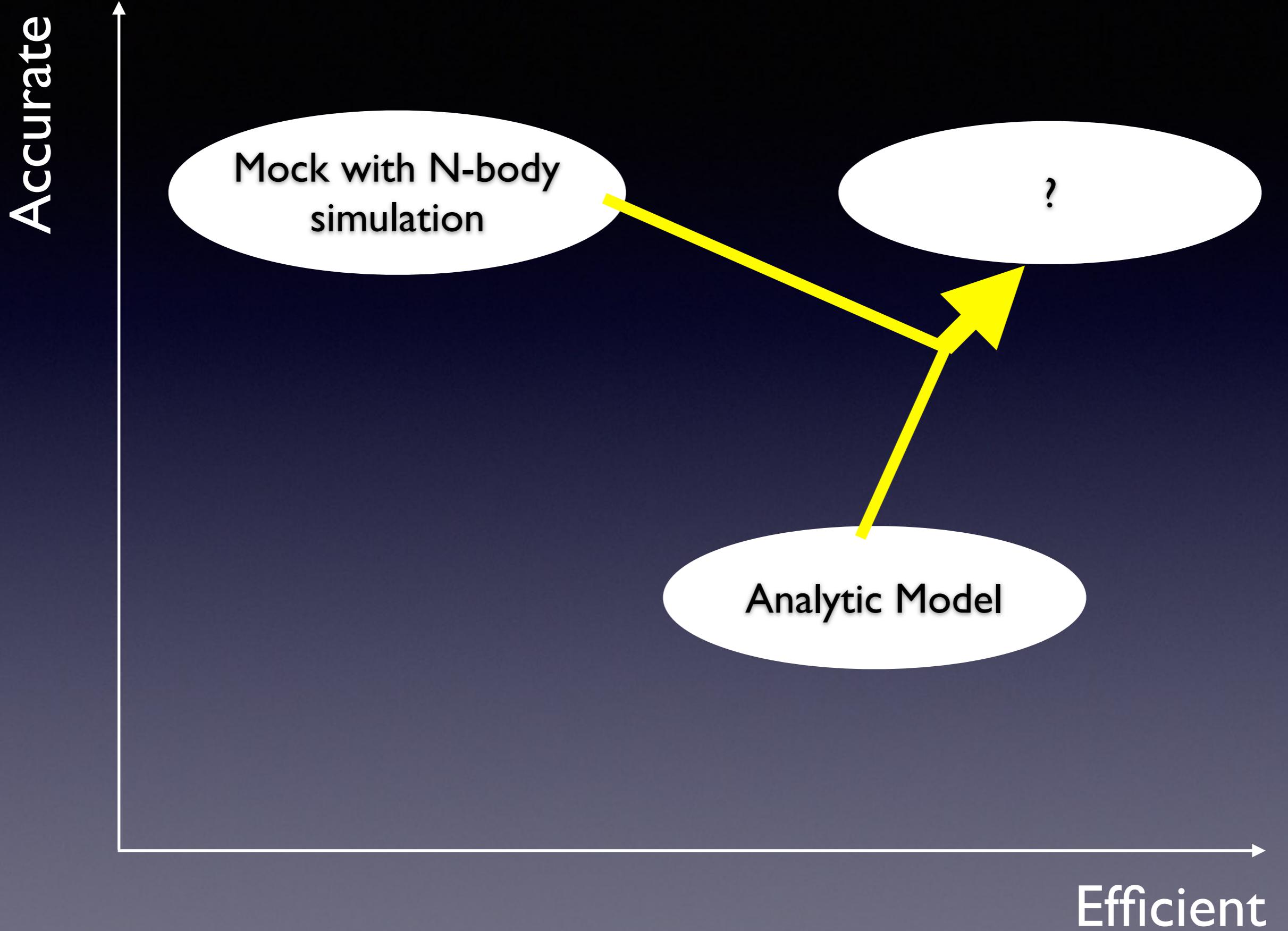


e.g., White+ (2011), Parejko+ (2013)  
haloools (Hearin+ 2016)

Accurate



Efficient



# More Efficient Simulation-Based Clustering Modeling

HOD

Halo Properties

$$\bar{n}_g = \sum_i [\langle N_{\text{cen}}(M_i) \rangle + \langle N_{\text{sat}}(M_i) \rangle] \bar{n}_i$$

Mass Function

$$1 + \xi_{\text{gg}}^{\text{1h}}(\mathbf{r}) = \sum_i 2 \frac{\bar{n}_i}{\bar{n}_g^2} \langle N_{\text{cen}}(M_i) N_{\text{sat}}(M_i) \rangle f_{\text{cs}}(\mathbf{r}; M_i)$$

Profile

$$+ \sum_i \frac{\bar{n}_i}{\bar{n}_g^2} \langle N_{\text{sat}}(M_i) [N_{\text{sat}}(M_i) - 1] \rangle f_{\text{ss}}(\mathbf{r}; M_i)$$

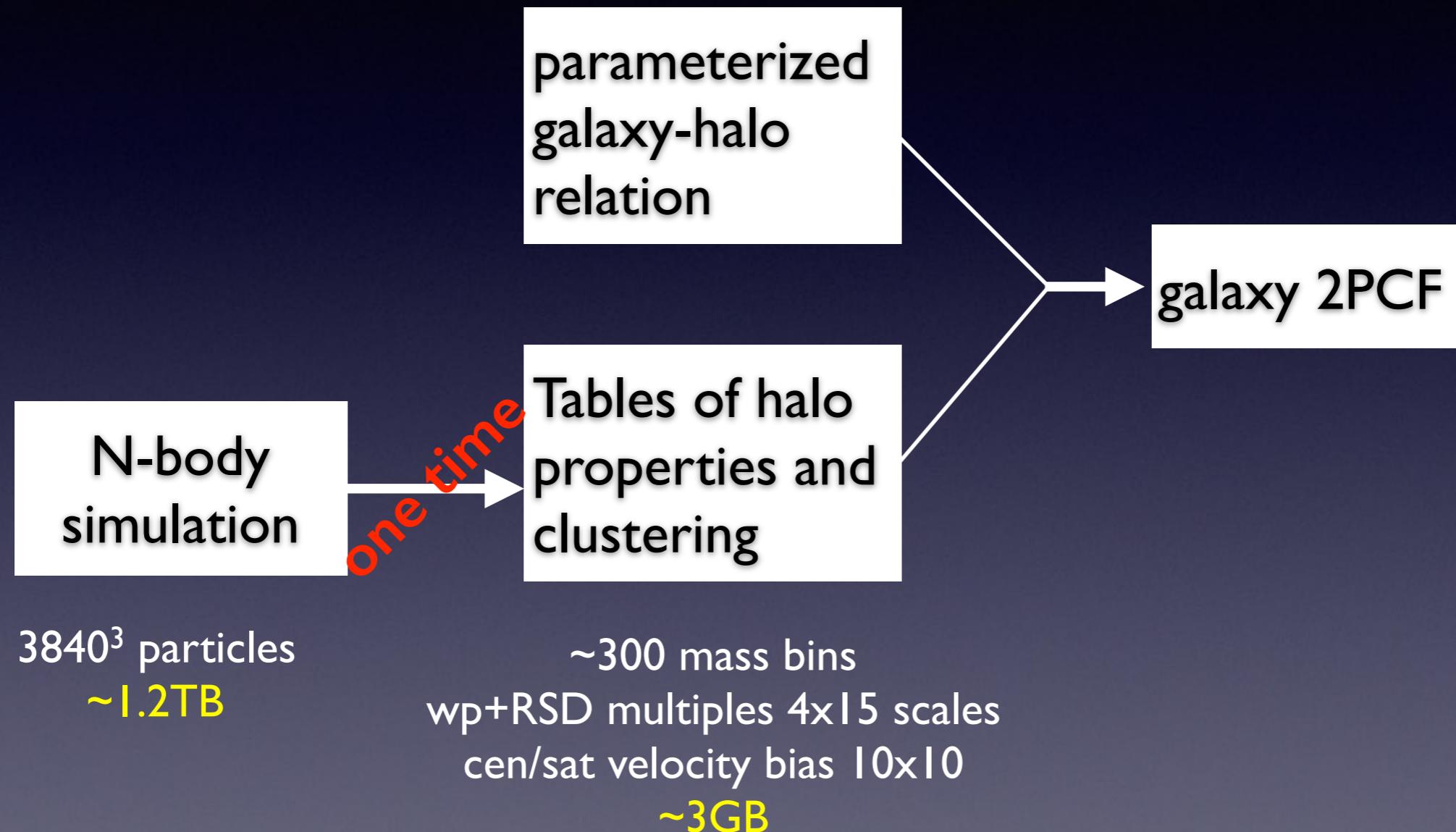
$$\xi_{\text{gg}}^{\text{2h}}(\mathbf{r}) = \sum_{i \neq j} \frac{\bar{n}_i \bar{n}_j}{\bar{n}_g^2} \langle N_{\text{cen}}(M_i) \rangle \langle N_{\text{cen}}(M_j) \rangle \xi_{\text{hh,cc}}(\mathbf{r}; M_i, M_j)$$

$$+ \sum_{i \neq j} 2 \frac{\bar{n}_i \bar{n}_j}{\bar{n}_g^2} \langle N_{\text{cen}}(M_i) \rangle \langle N_{\text{sat}}(M_j) \rangle \xi_{\text{hh,cs}}(\mathbf{r}; M_i, M_j)$$

Clustering

$$+ \sum_{i \neq j} \frac{\bar{n}_i \bar{n}_j}{\bar{n}_g^2} \langle N_{\text{sat}}(M_i) \rangle \langle N_{\text{sat}}(M_j) \rangle \xi_{\text{hh,ss}}(\mathbf{r}; M_i, M_j)$$

# Accurate and Efficient Simulation-Based Modeling



# Accurate and Efficient Halo-Based Galaxy Clustering Modeling with Simulations

- **Accurate**

- equivalent to populating galaxies into dark matter halos and using the (mean) mock 2PCF measurements as the model prediction
- no finite-bin-size effect (same binning and integration scheme as measurements); residual RSD automatically accounted for

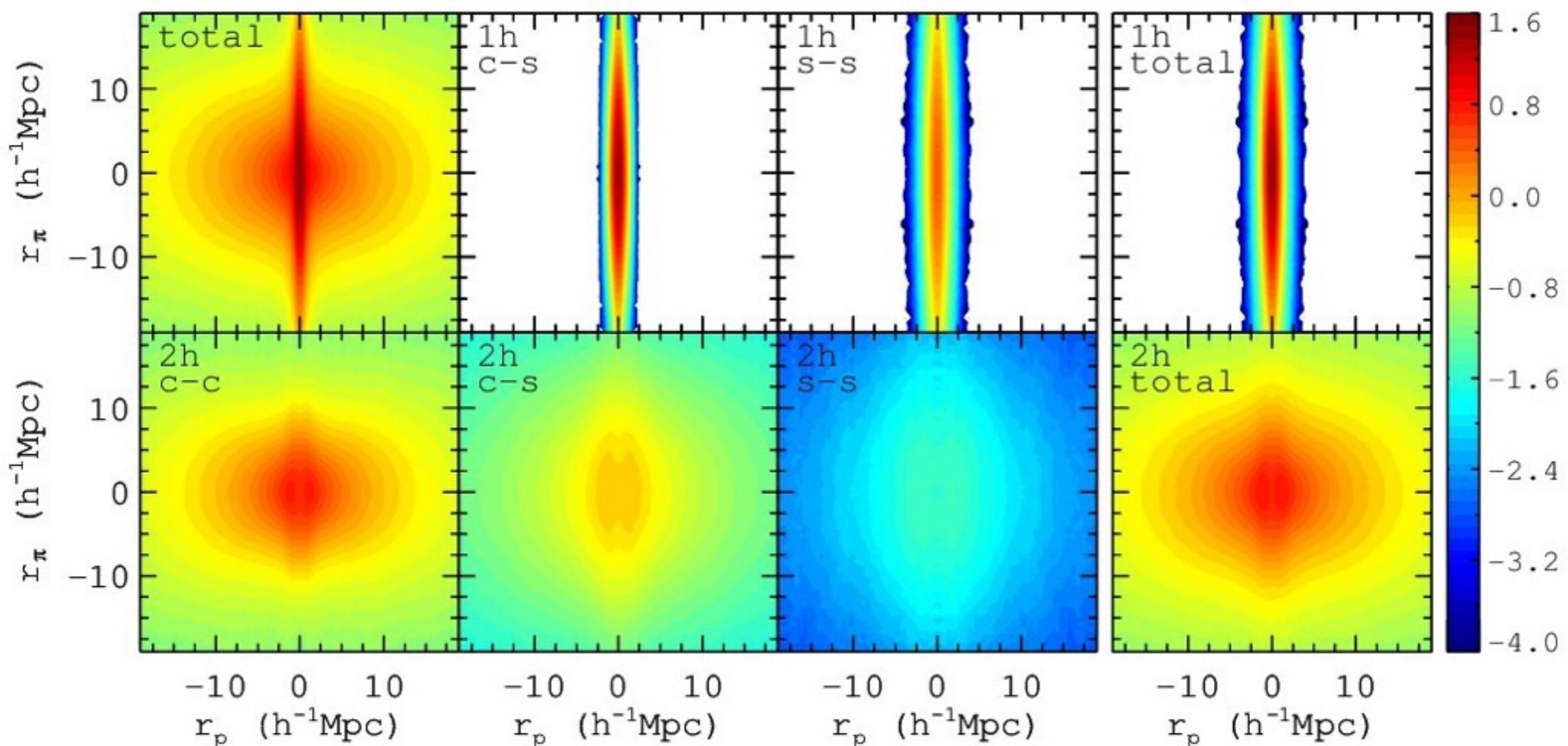
- **Efficient**

- no need for the construction of mocks and the measurement of the 2PCF from the mocks
- independent of simulation size
- efficient exploration of the parameter space (e.g., MCMC)

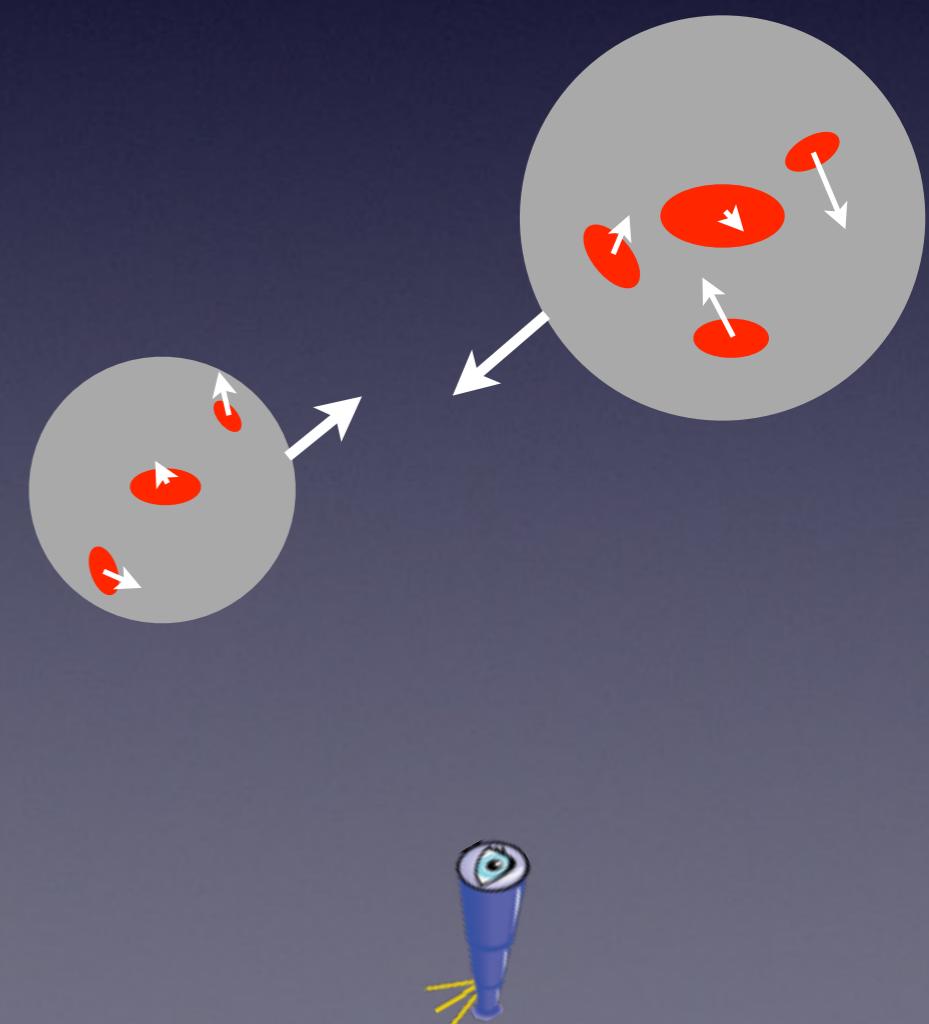
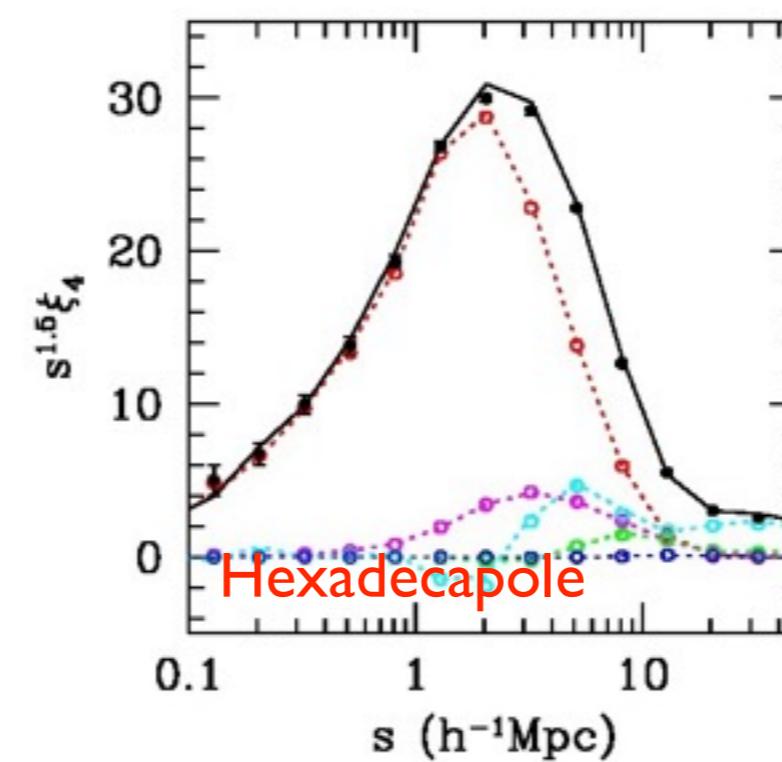
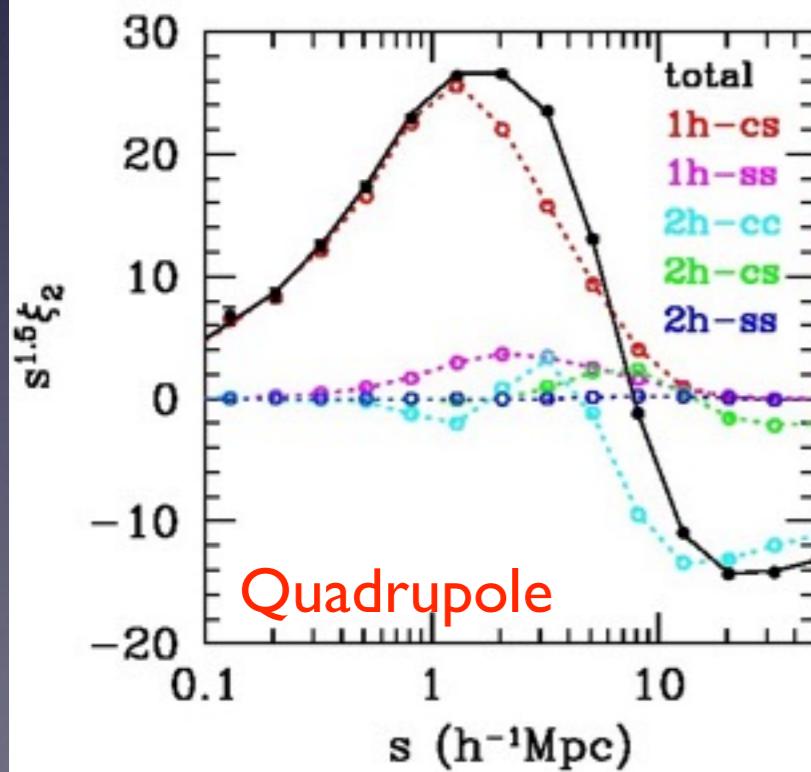
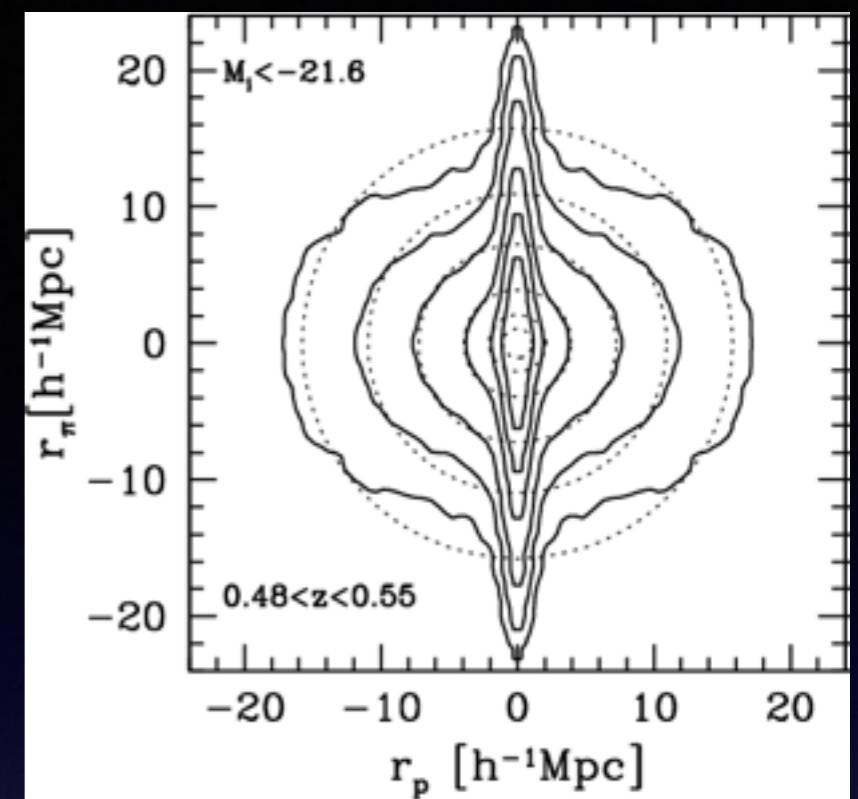
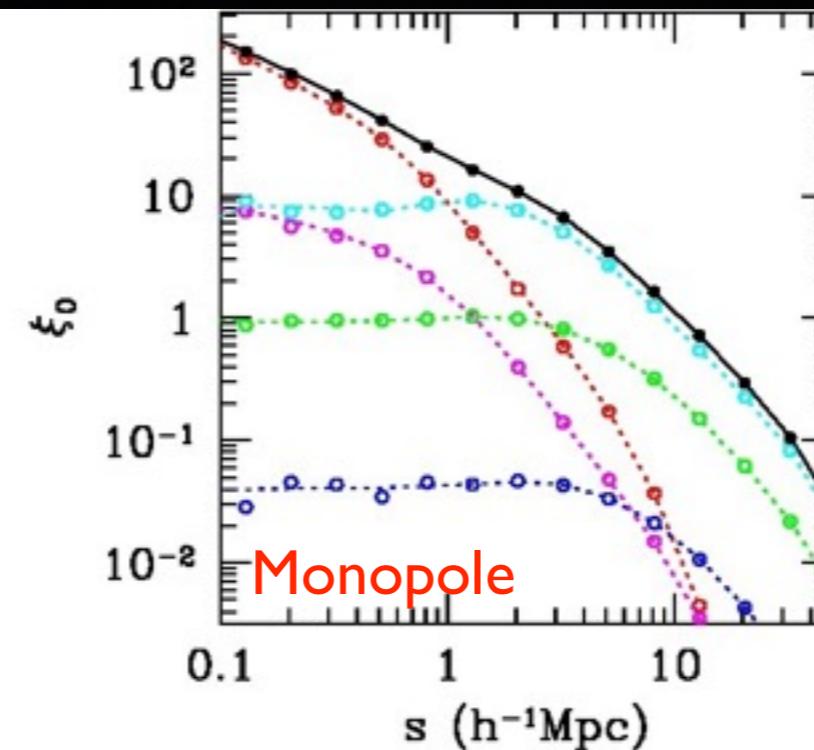
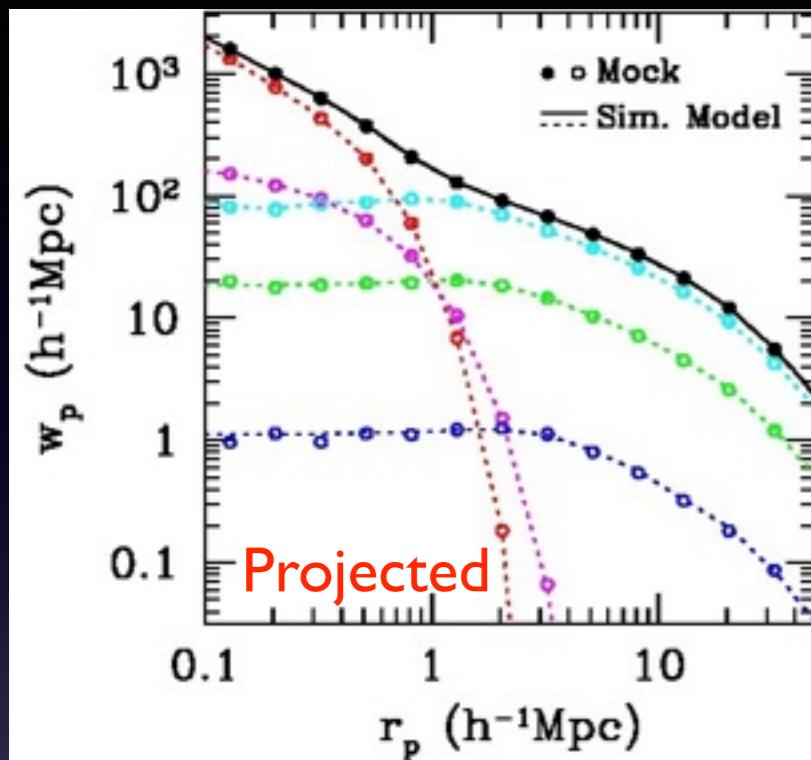
- **Extension to subhalos (SCAM), halo variables other than mass, and other clustering statistics**

(Neistein+2011, Neistein & Khochfar2012, Zheng & Guo 2016, Guo+2015)

# An Accurate and Efficient Simulation-based Model for Redshift-Space Galaxy Two-Point Correlation Function



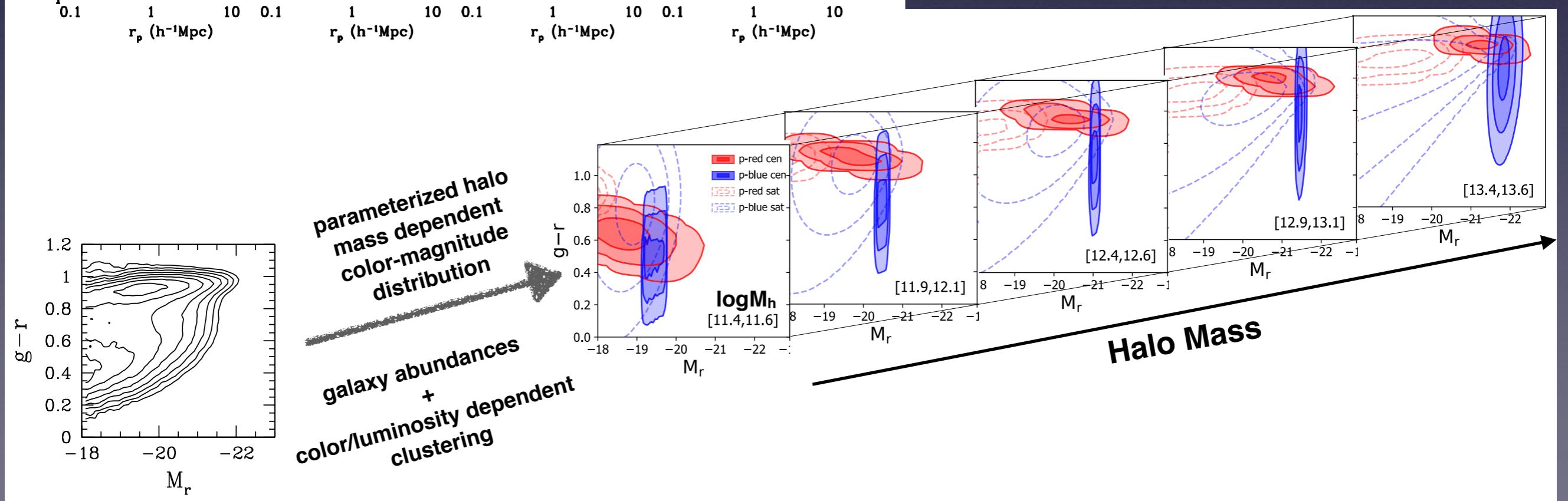
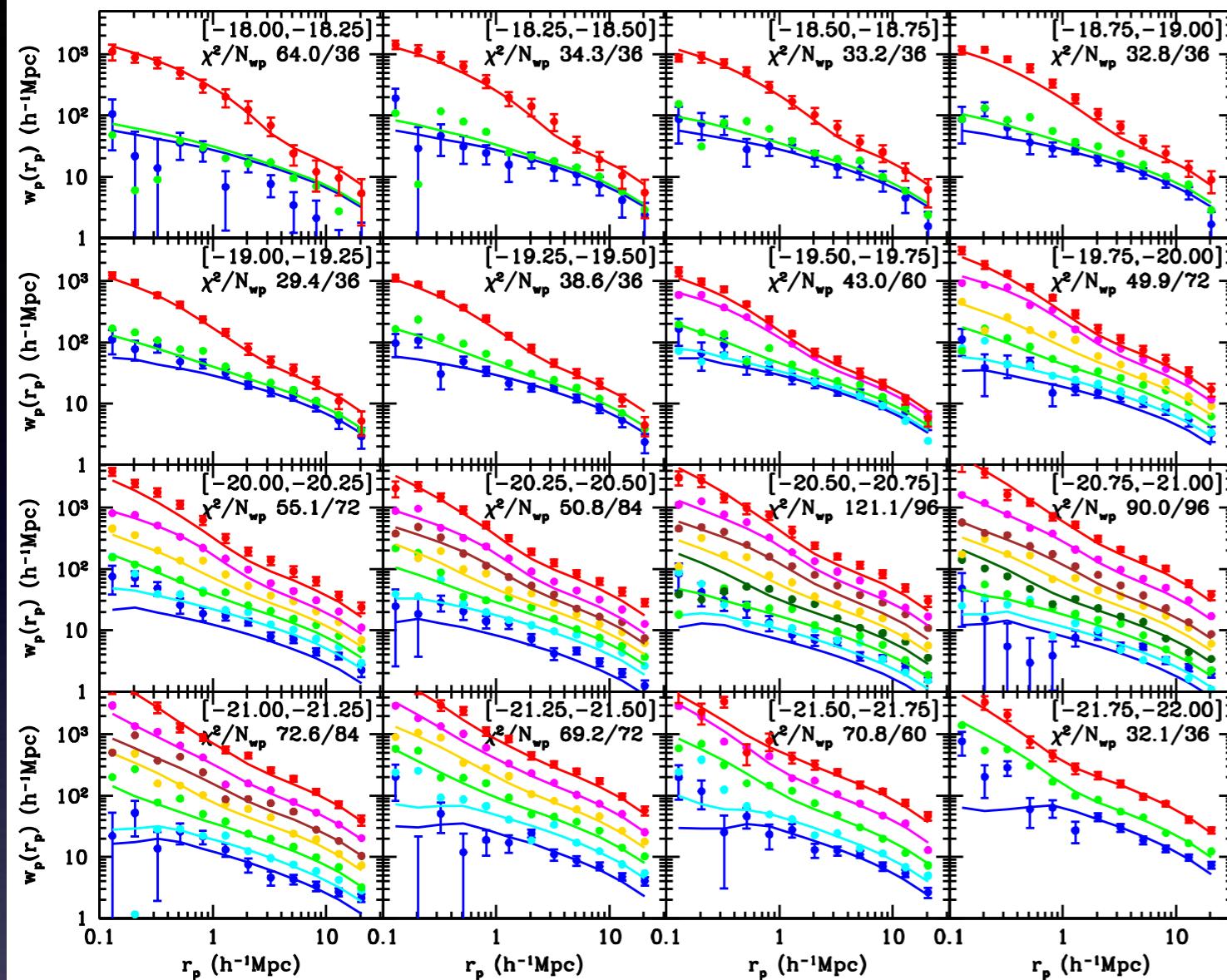
# An Accurate and Efficient Simulation-based Model for Redshift-Space Galaxy Two-Point Correlation Function



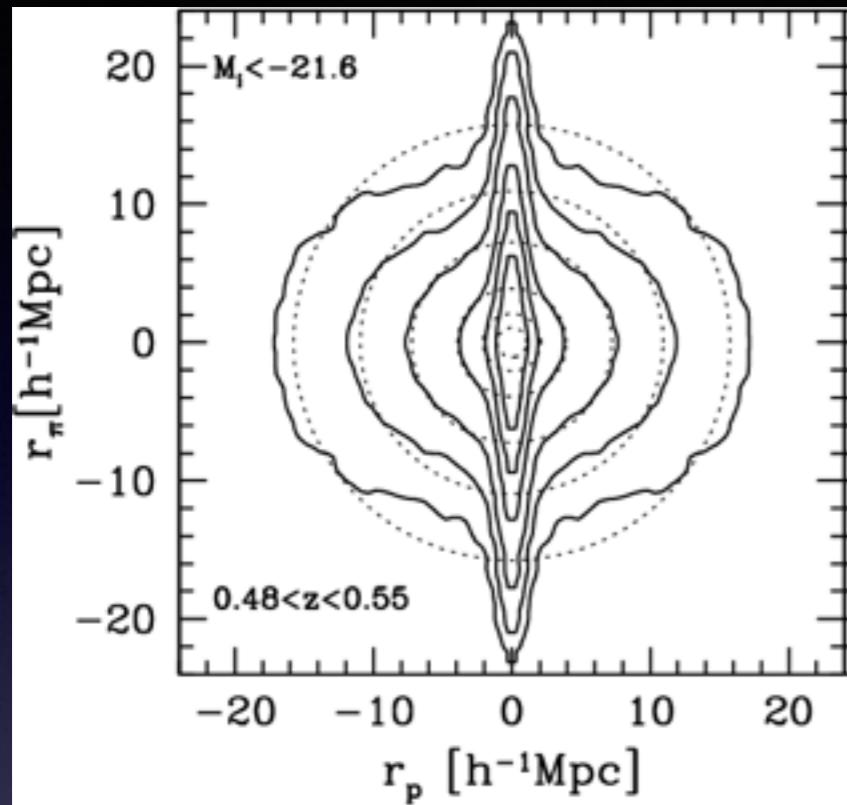
# Accurate and Efficient Model

Application Example -  
simultaneously modeling the  
clustering of  $\sim 80$  SDSS galaxy  
samples in fine color-magnitude  
bins to obtain detailed relation  
between galaxy color/luminosity  
and halo mass

Xu, Zheng, et al. (2018)

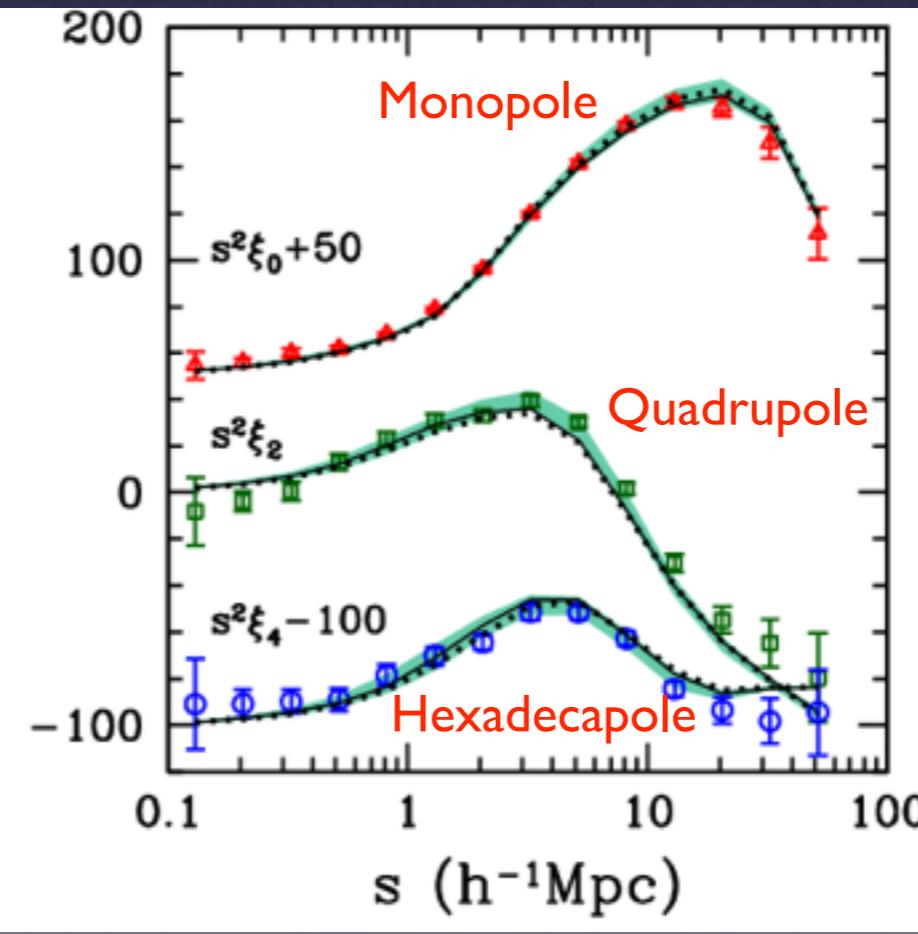
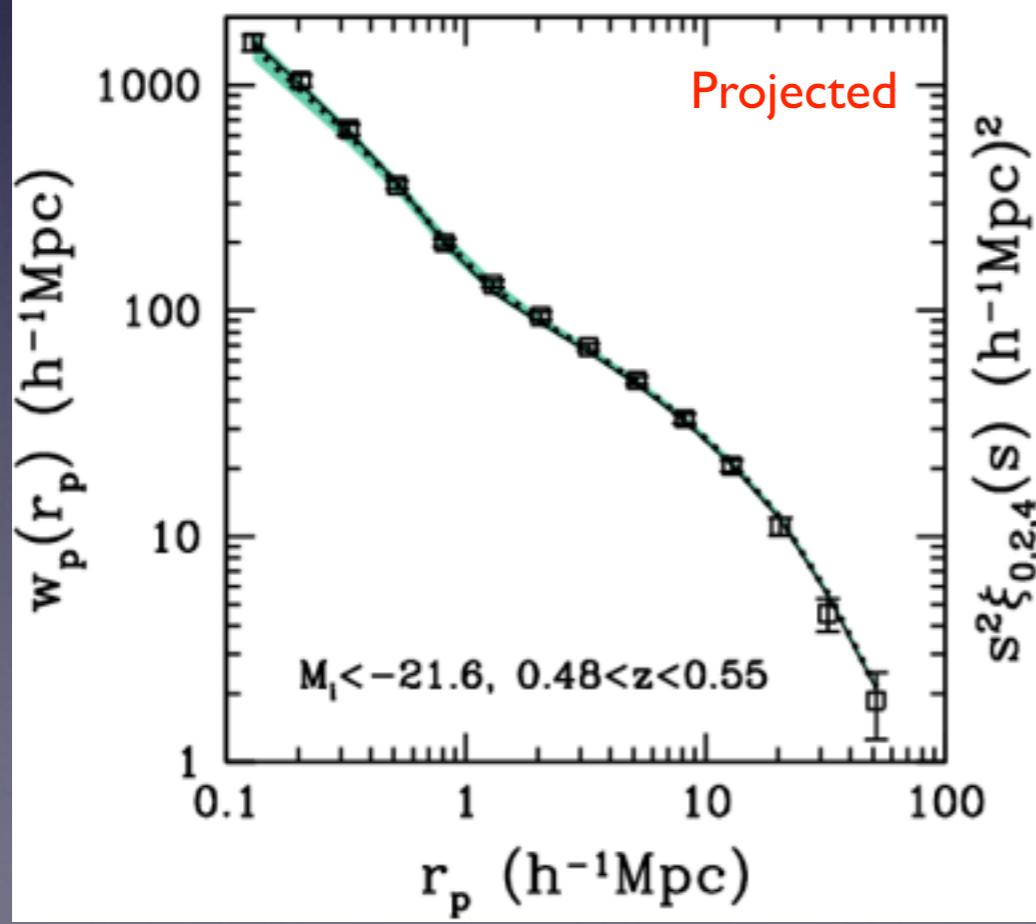


# Modeling the Redshift-Space Galaxy Clustering

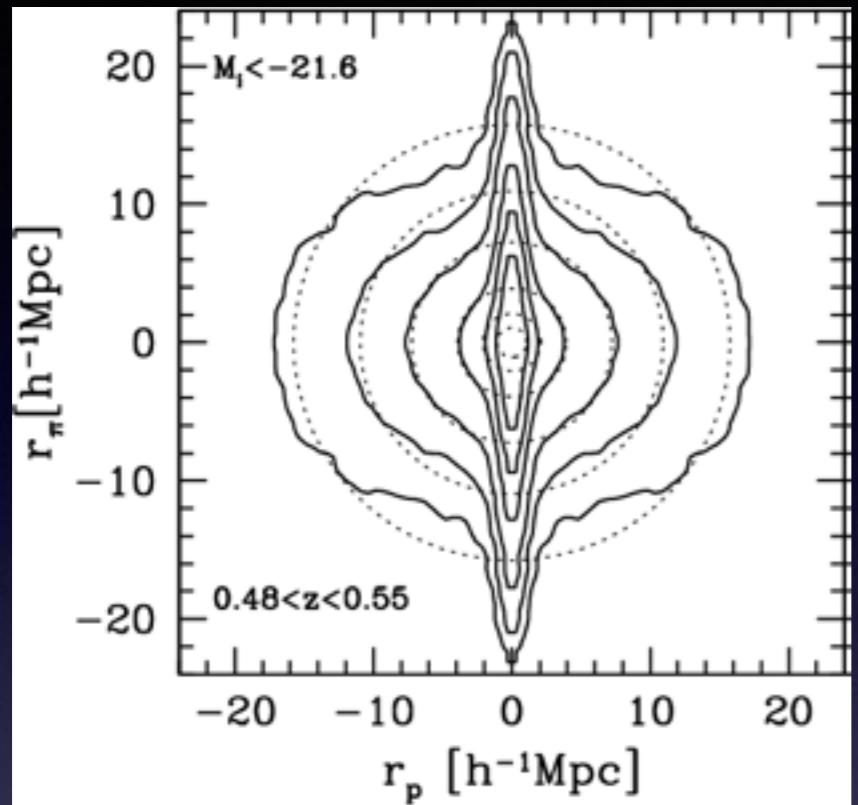


BOSS Galaxies  
 $z \sim 0.5$

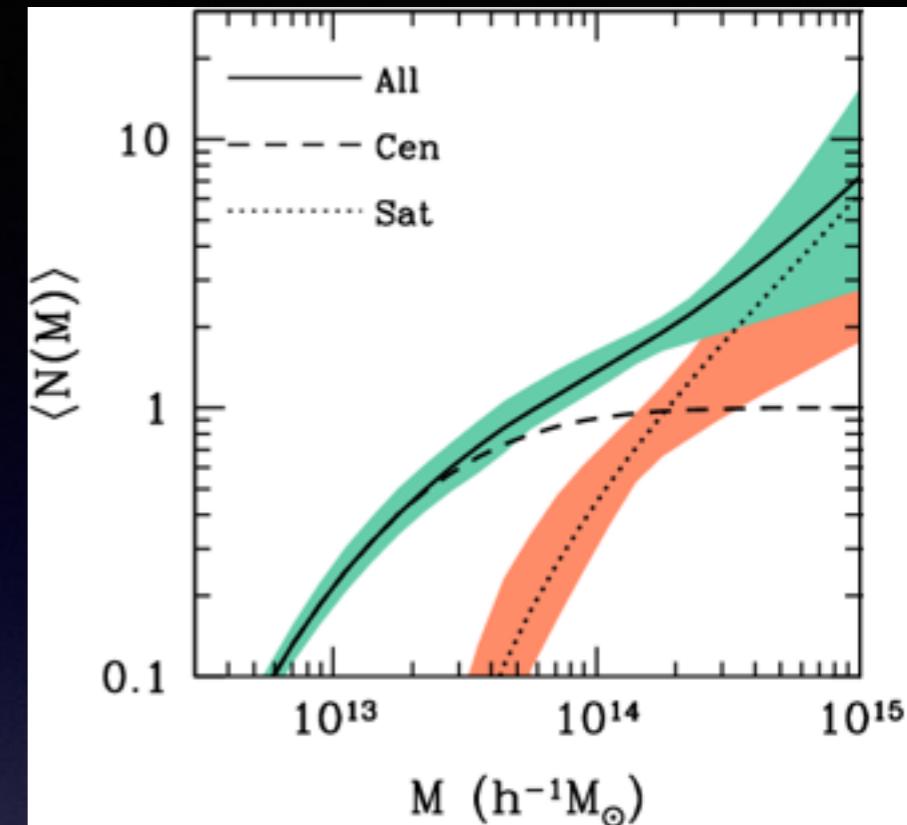
Guo, ZZ, et al. (2015a)



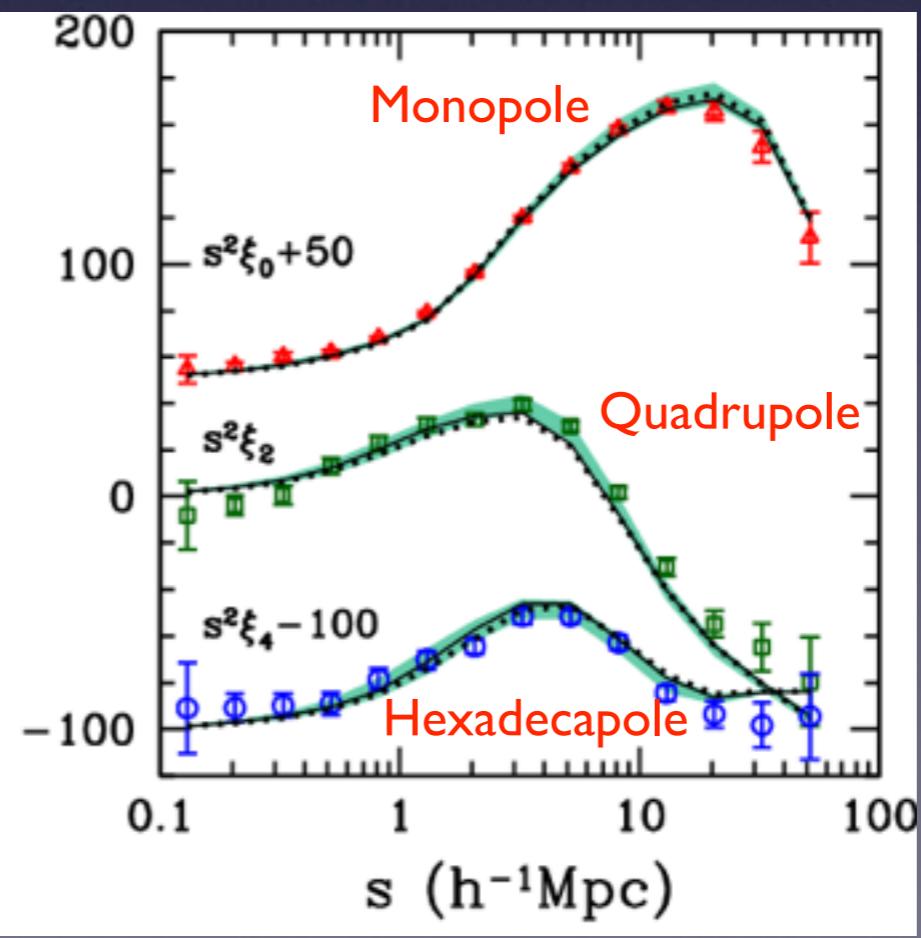
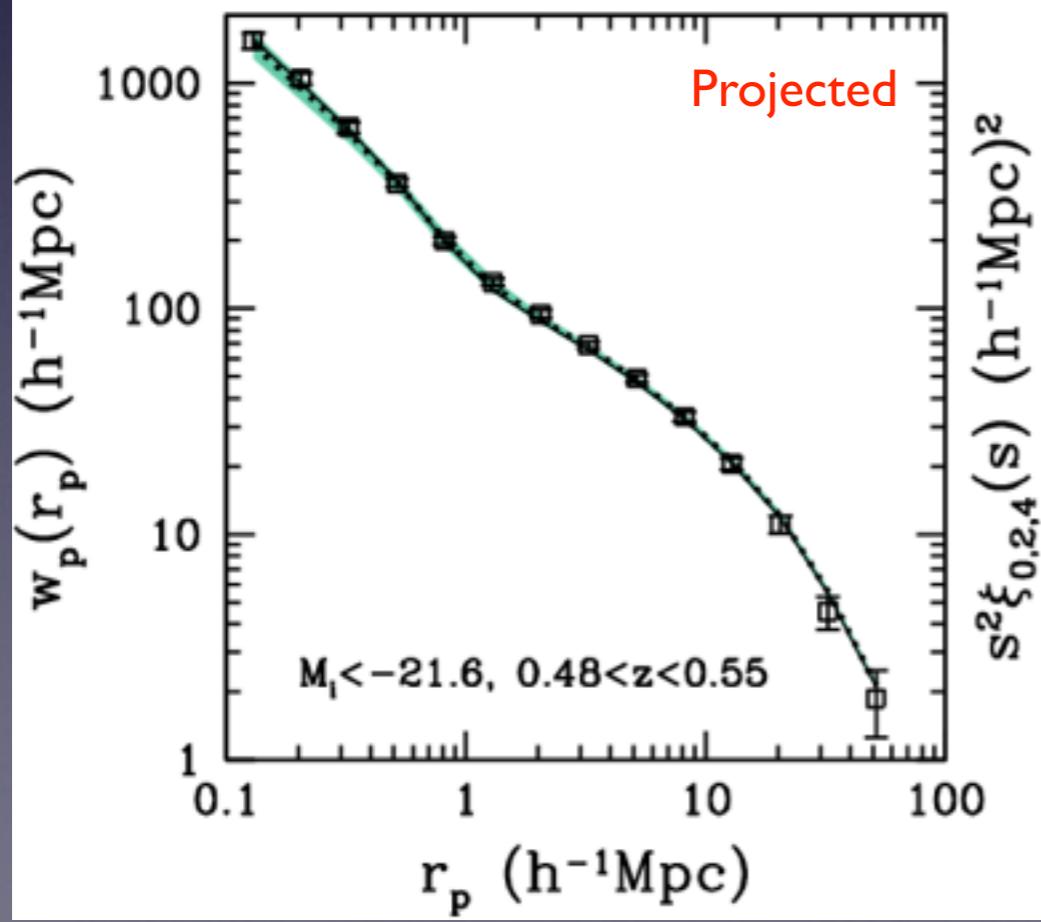
# Modeling the Redshift-Space Galaxy Clustering



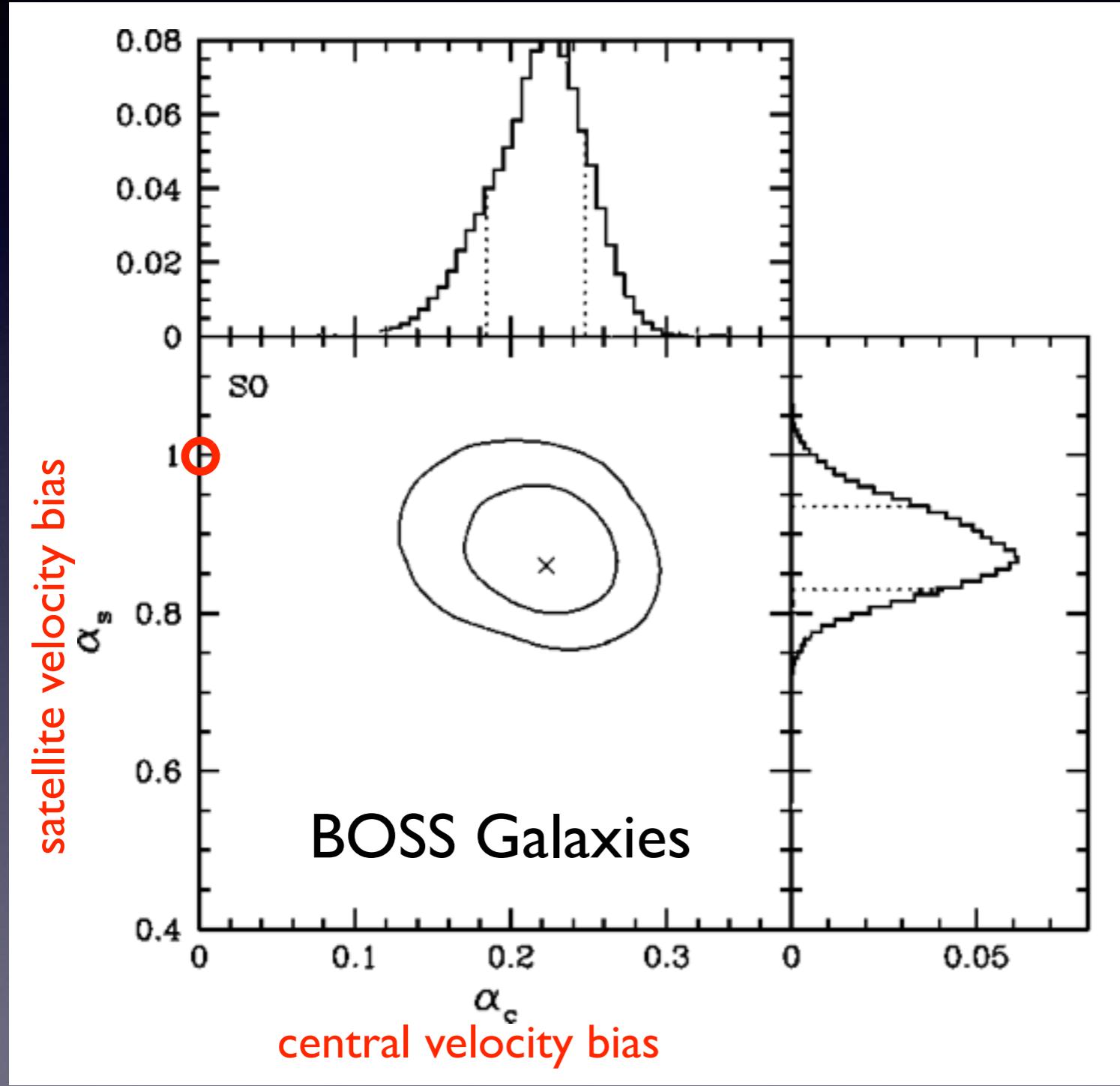
BOSS Galaxies  
 $z \sim 0.5$



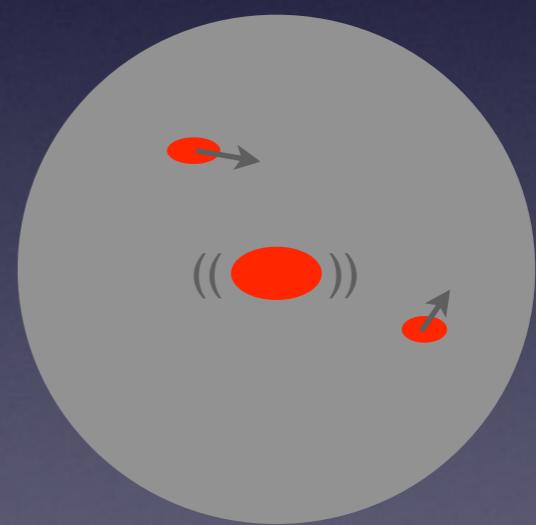
Guo, ZZ, et al. (2015a)



# Galaxy Kinematics inside Halos

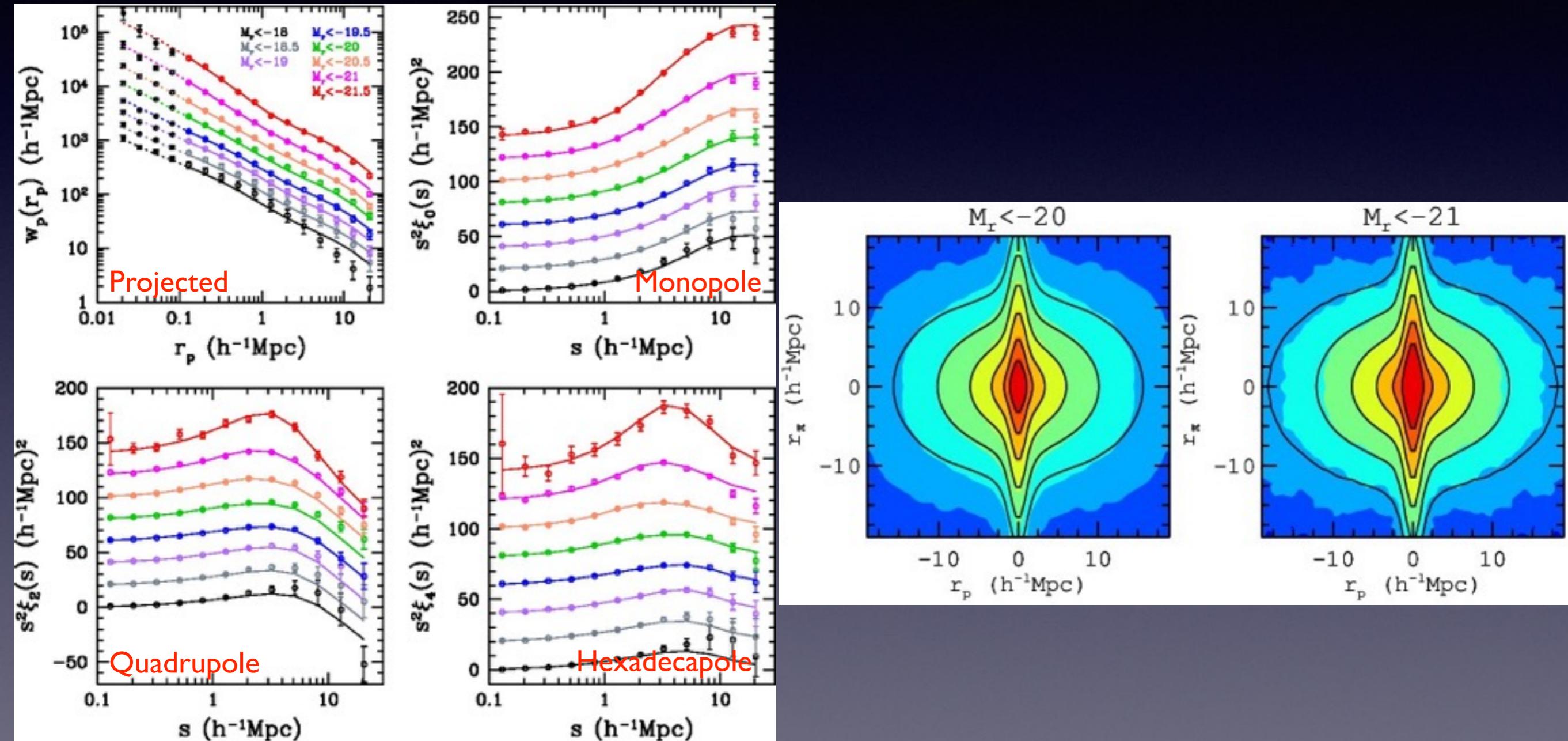


important ingredient to remove uncertainties in cosmological constraints

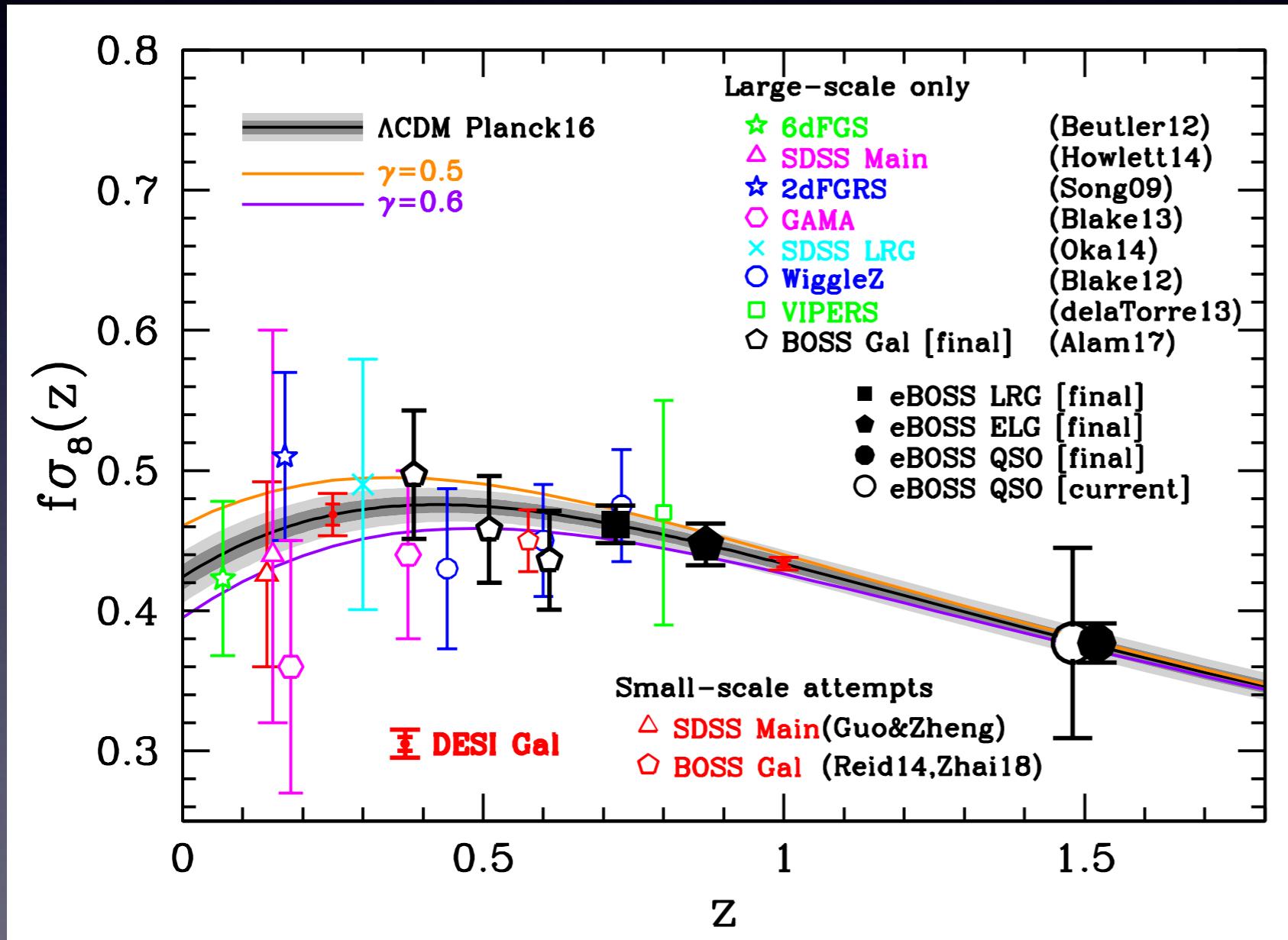


The central galaxy in a halo is not at rest w.r.t. the halo.

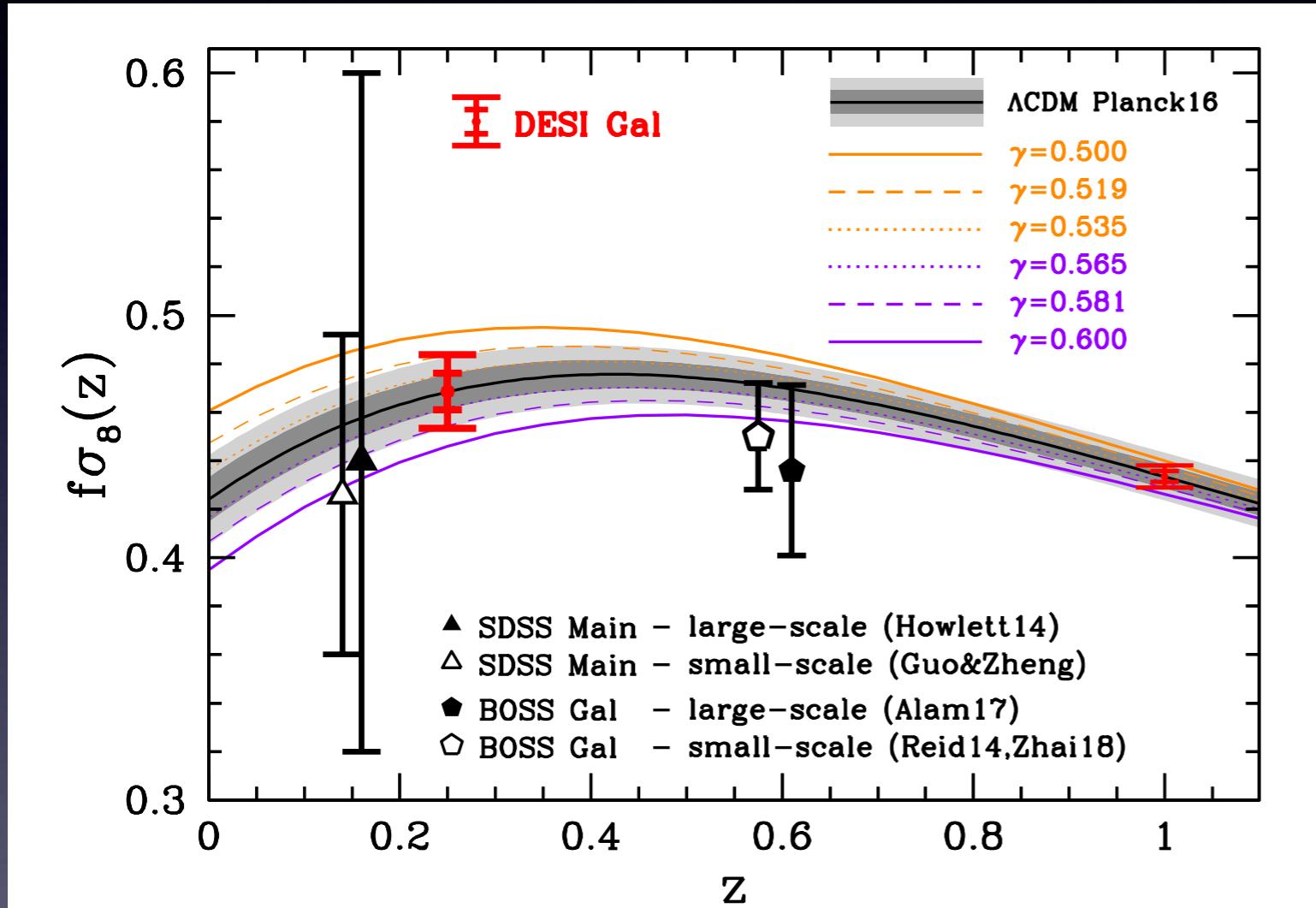
# SDSS Main Galaxy Sample ( $z \sim 0.1$ )



# Tightening Cosmological Constraints from Small- and Intermediate-Scale Redshift-Space Distortions



# Tightening Cosmological Constraints from Small- and Intermediate-Scale Redshift-Space Distortions



Substantial Gain  
like a survey with **4x** volume!

Comparison with large-scale-only constraints,  
**2x** improvement in  $f\sigma_8$

1.5% with DESI BGS ( $z \sim 0.25$ )  
0.5% with DESI ELGs ( $z \sim 1.0$ )

comparable to or better than  
the Planck prediction

# Potential Theoretical Systematics

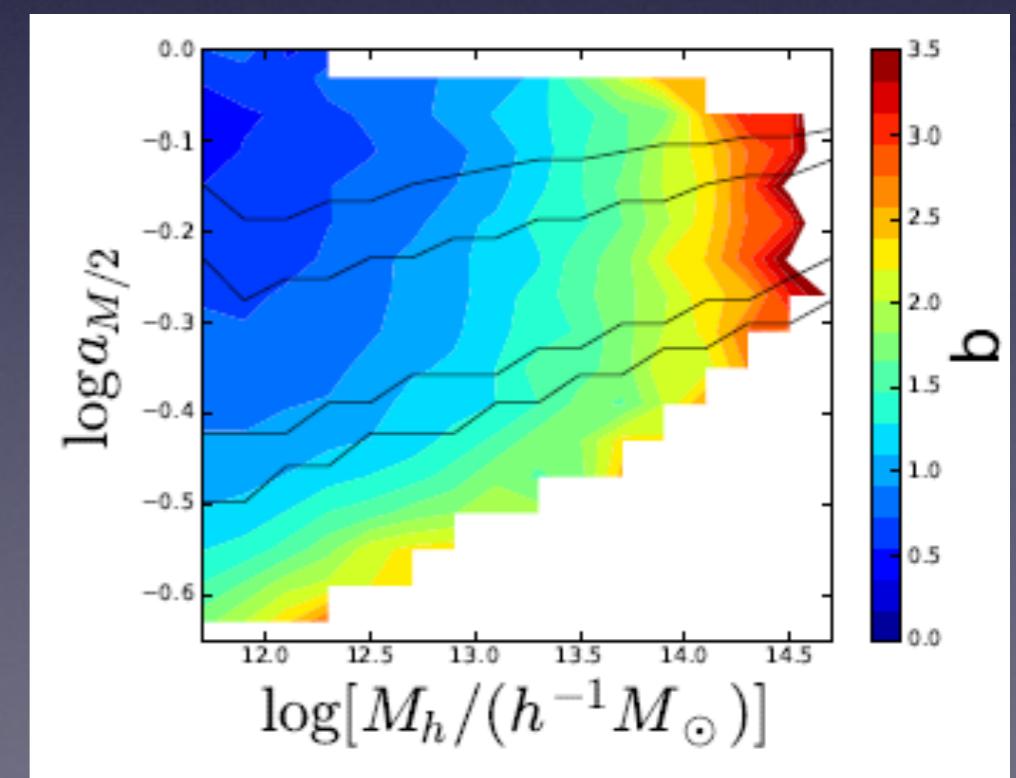
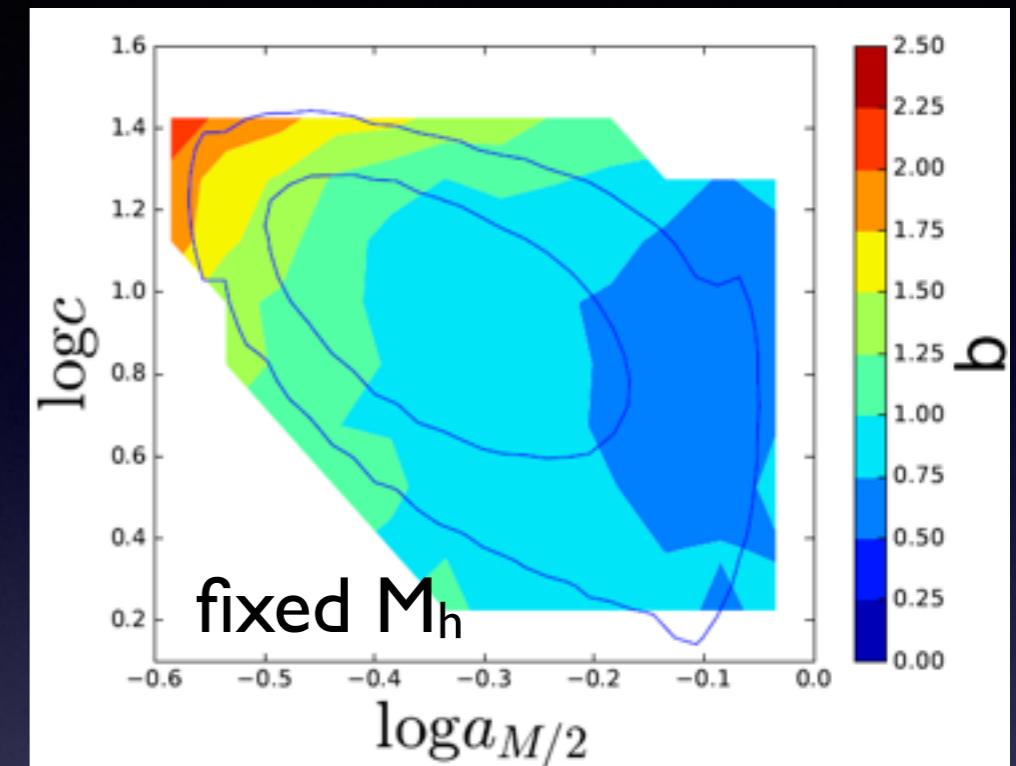
Basic halo model of galaxy clustering (e.g., HOD) assumes that galaxy content in a halo only depend on halo mass.

However, halo clustering at fixed halo mass is found to depend on halo assembly history and environment (**halo assembly bias**; e.g. , Gao+2005).

If galaxy-halo relation depends on variables other than halo mass, we would have **galaxy assembly bias**, which may possibly lead to bias in cosmological constraints (e.g., Zentner+2014).

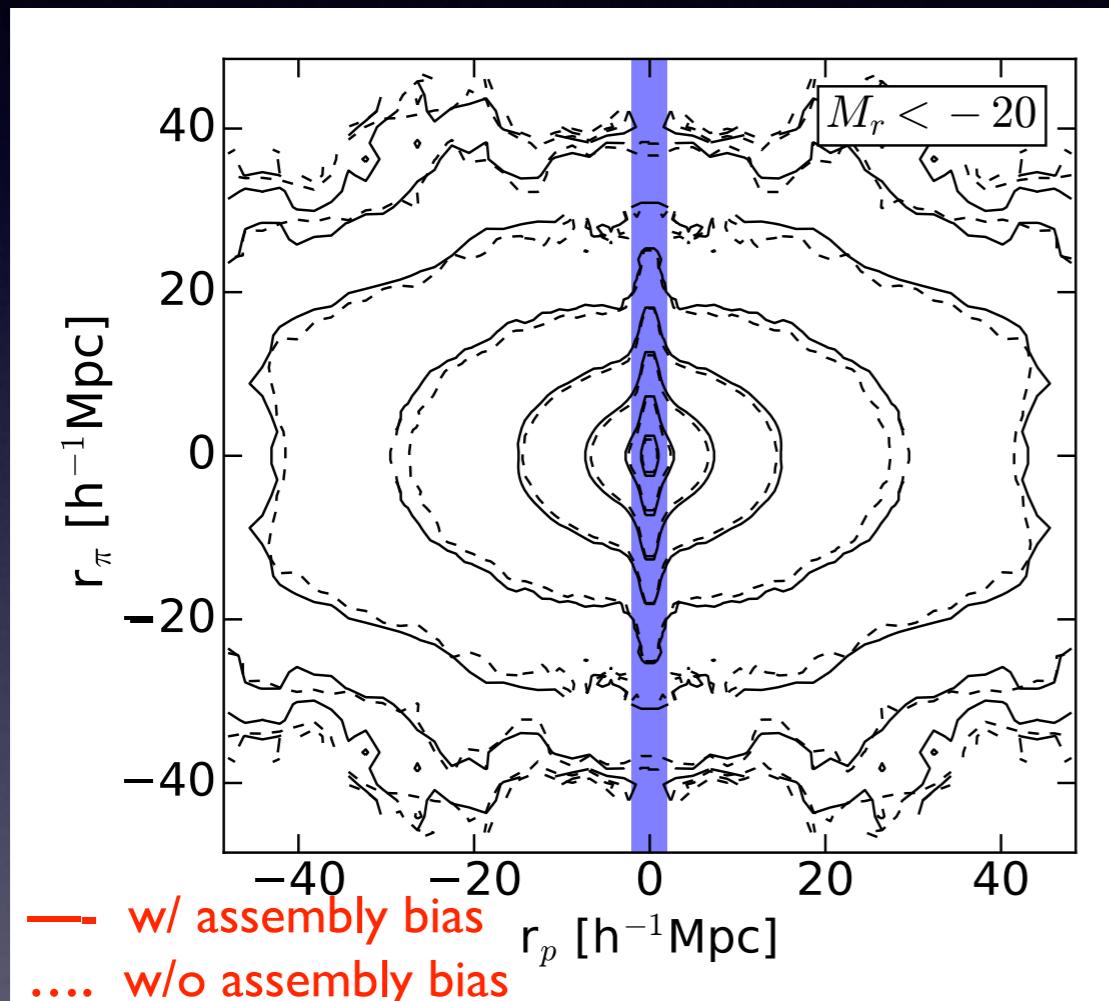
Extending the halo model by effectively including assembly bias prescription (Xu&Zheng 2018, 2019)

# Assembly Bias



# Potential Theoretical Systematics

# Assembly Bias



McCarthy&Zheng (2019)

large-scale 3D redshift 2PCF

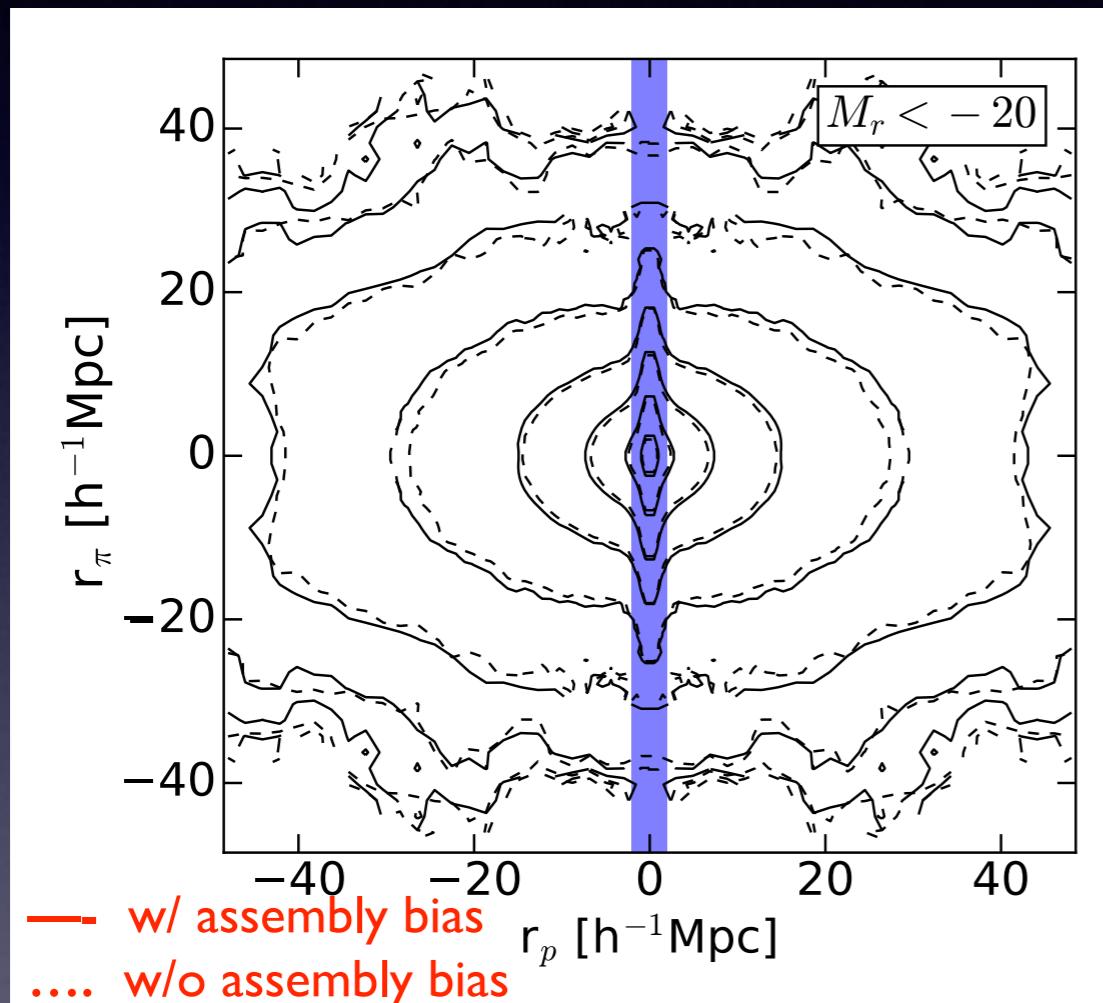
amplitude =>  $b\sigma_8$

shape =>  $\frac{f}{b}$

$\} \Rightarrow f\sigma_8$

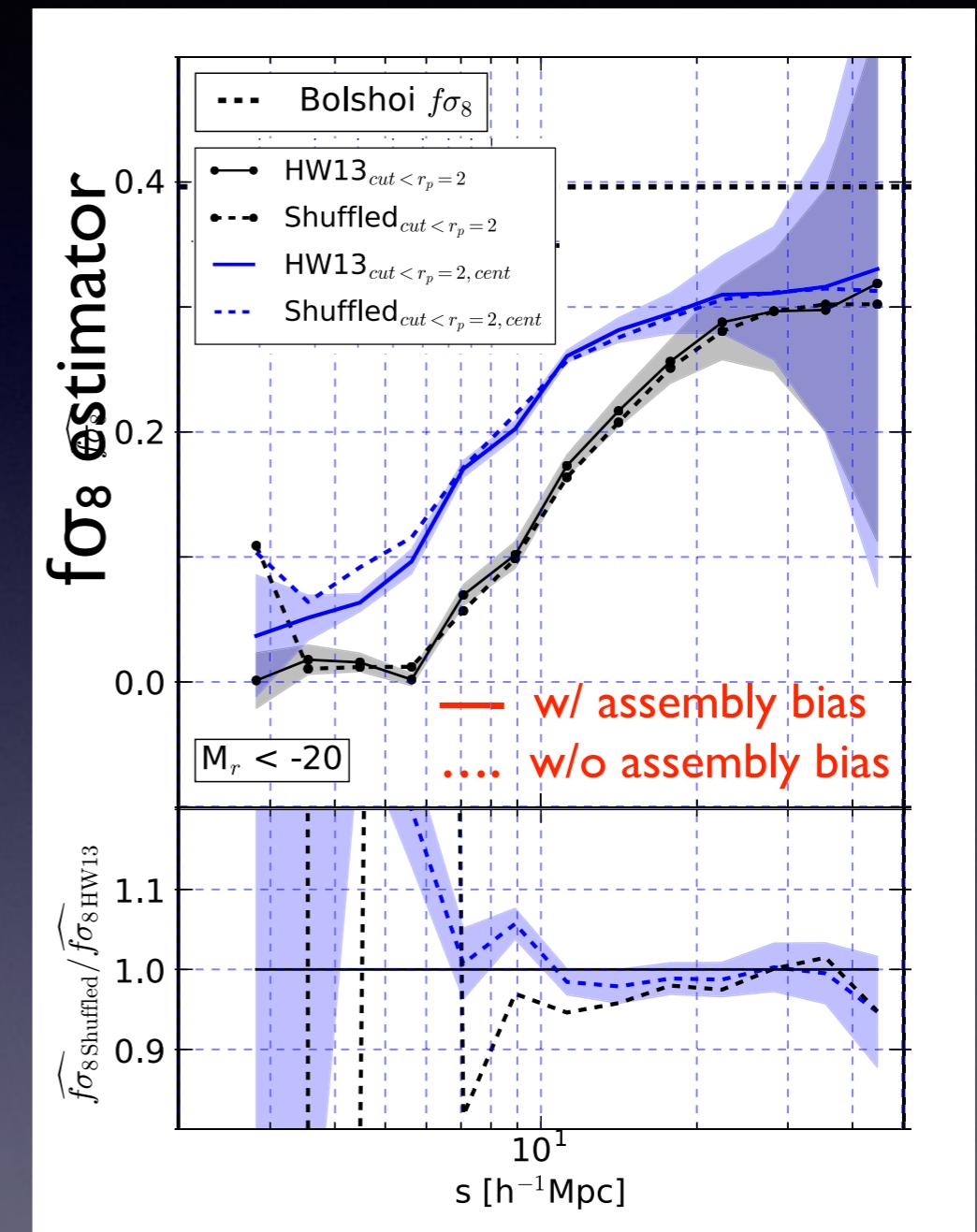
insensitive to assembly bias

# Potential Theoretical Systematics



McCarthy&Zheng (2019)

# Assembly Bias

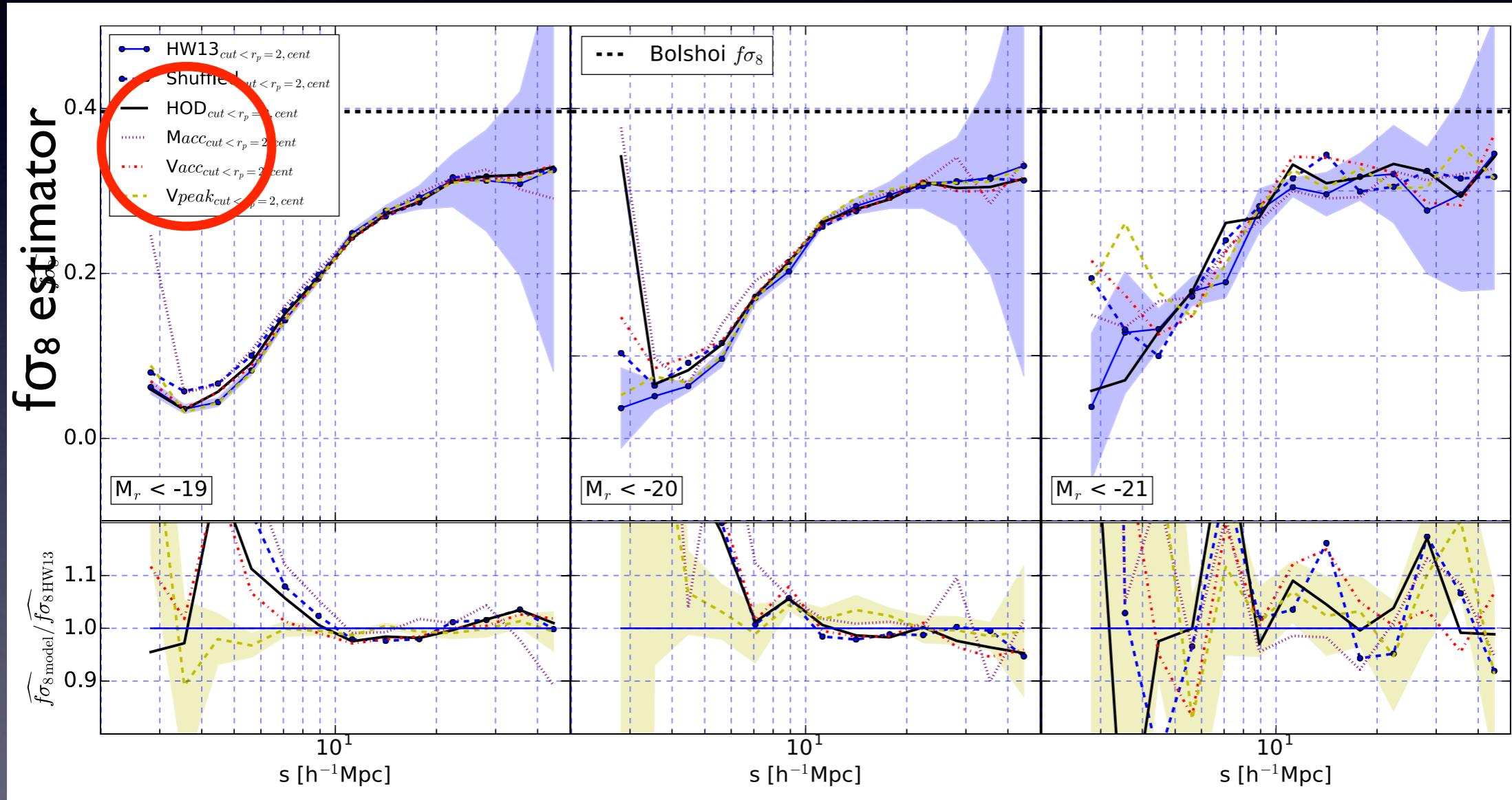


How about intermediate/small scales?

# Potential Theoretical Systematics

# Assembly Bias

McCarthy&Zheng (2019)



With RSD down to scales  $\sim 8\text{Mpc}/h$  for a sample of central galaxies, halo models with no or incorrect assembly bias prescription can still give the correct  $f\sigma_8$ .

# Summary

- Accurate and efficient modeling of small- and intermediate-scale redshift-space galaxy clustering by tabulating necessary information of halos in N-body simulations
- Successful applications to model the RSD of SDSS galaxies to constrain galaxy kinematics inside halos

potential gain in tightening  $f\sigma_8$  constraints  
(~4x survey volume; low investment, high return)
- Potential theoretical systematics from assembly bias

encouraging message from preliminary investigations  
more studies needed to quantify any bias in cosmological constraints