

$$H \rightarrow \gamma\gamma$$

Workshop on Photon Physics and Simulation at Hadron Colliders 2019

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on behalf of the ATLAS and CMS Collaboration

INFN Milano

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1 Higgs boson and its properties

2 ATLAS and CMS analyses

3 Conclusions

Date <sup>1</sup>	Collaboration	Topic	Luminosity	link
2018/6	ATLAS	Mass	36 fb <sup>-1</sup>	<i>Phys. Lett. B 784 (2018) 345</i>
2017/11	ATLAS	EFT from STXS	36 fb <sup>-1</sup>	ATL-PHYS-PUB-2017-018
2018/2	ATLAS	STXS + fiducial/diff	36 fb <sup>-1</sup>	<i>Phys. Rev. D 98 (2018) 052005</i>
2018/7	ATLAS	STXS + fiducial/diff	80 fb <sup>-1</sup>	ATLAS-CONF-2018-028
2018/4	CMS	coupling	36 fb <sup>-1</sup>	<i>JHEP 11 (2018) 185</i>
2018/7	CMS	fiducial/diff	36 fb <sup>-1</sup>	<i>JHEP 01 (2019) 183</i>
2019/3	CMS	STXS (ggF and VBF)	77 fb <sup>-1</sup>	CMS-PAS-HIG-18-029
2019/4	ATLAS	ttH	140 fb <sup>-1</sup>	ATLAS-CONF-2019-004
2018/10	CMS	ttH	77 fb <sup>-1</sup>	CMS-PAS-HIG-18-018

<sup>1</sup>of the preprint

A complex visualization of particle detector data, likely from the ATLAS or CMS experiments. It shows a dense network of colored lines (green, blue, orange, purple) representing particle tracks. The tracks are most concentrated in the center and spread out towards the edges, with some tracks ending in bright orange and yellow clusters, possibly representing high-energy jets or other significant particles. The background is dark, making the colorful tracks stand out.

## Higgs boson and its properties

Excess compatible with Higgs boson firmly established by ATLAS+CMS in 2012.

## Measurements

- Mass:  $m_H$  known at 0.2% (single experiment)
- $\sigma \times Br$ : inclusive, for each production-mode, fiducial region (STXS) (very optimized on the SM, acceptance extrapolations, **model dependent**)
- Fiducial cross sections or differential cross sections in fiducial regions (**minimal model dependence**)

## Interpretations

- Spin and parity:  $0^+$ , other models excluded in Run 1.
- Signal strengths:  $\mu_i = \sigma_i / \sigma_i^{SM}$  (inclusive, per-production-mode, ...)
- Coupling modifiers to SM particles (k-framework)
- EFT interpretations, CP, ...

Excess compatible with Higgs boson firmly established by ATLAS+CMS in 2012.

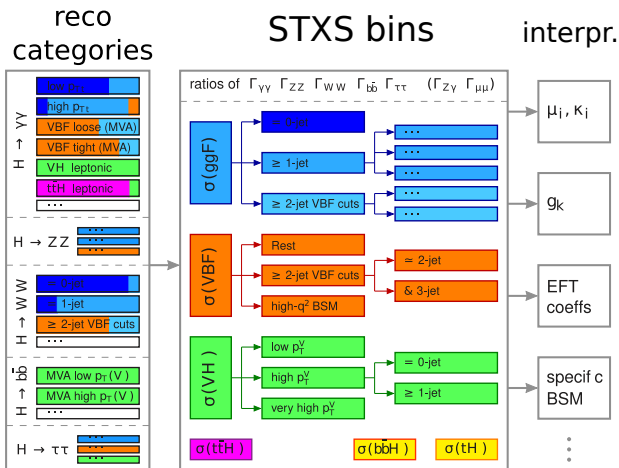
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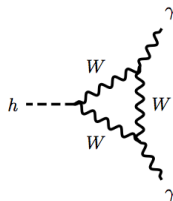
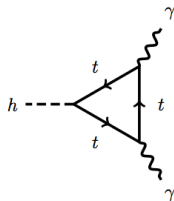
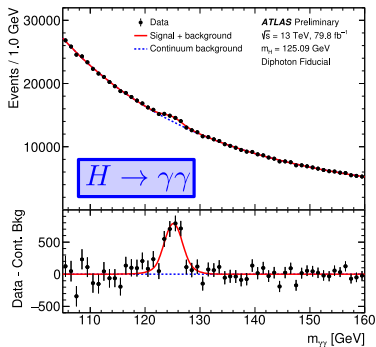
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- Coupling modifiers to SM particles (k-framework)
- EFT interpretations, CP, ...

- Exclusive fiducial regions defined by production mode,  $p_T^H$ ,  $N_j$ , VBF-topology,  $p_T^{j_1}$ ,  $p_T^{Hj}$ ,  $p_T^V$



- Design measurement to split events according to STXS

- Small Br:  $2.27 \times 10^{-3}$
- Loop decay: sensitive to BSM
- Simple final state: good resolution (1.4–2.1 GeV), good efficiency ( $\simeq 40\%$ )
- Very large background  $q\bar{q}/gg \rightarrow \gamma\gamma$  and fakes
- Falling background, can be modelled fitting data  $m_{\gamma\gamma}$  sidebands





The background of the slide is a complex visualization of particle detector data. It features a dense network of thin, light blue lines radiating from a central point, representing particle tracks. The lines are more concentrated in the lower half of the image, where they form a starburst pattern. The overall appearance is that of a high-energy collision event, with the central region being the most intense and the lines becoming sparser as they move away from the center. A solid blue horizontal bar is positioned across the middle of the image, containing the text 'ATLAS and CMS analyses' in white.

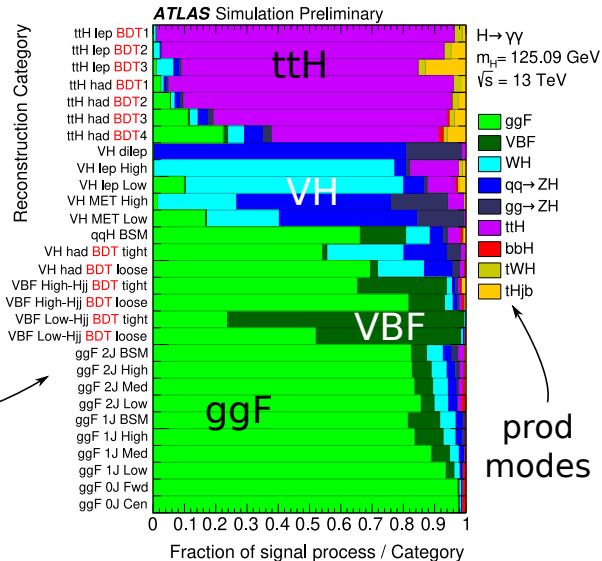
ATLAS and CMS analyses

## Shape ( $m_{\gamma\gamma}$ ) analysis in categories of selected events

- Use **fit to  $m_{\gamma\gamma}$**  to extract signal and bkg yields in selected sample
- Modeling background  $m_{\gamma\gamma}$  distribution with **analytical functions**
- Signal shape from MC, as double sided Crystall Ball (ATLAS) or sum of Gaussians (CMS)
- Photons are selected using shower shapes and isolation:
  - ATLAS: rectangular cuts (tight selection)
  - CMS: BDT, usually used as a continuous variable
- Extract signal in **different categories pure of events under study** (production mode, STXS, kinematic bin, ... )
  - Categories defined from properties of selected objects (kinematic, identification, quality, ... )
  - CMS has a predictor of the expected resolution

To measure many cross-sections with small correlation **split events in pure categories**

29 reco-categories  
inspired by STXS

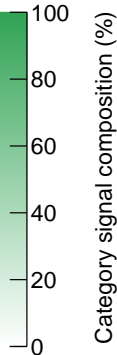
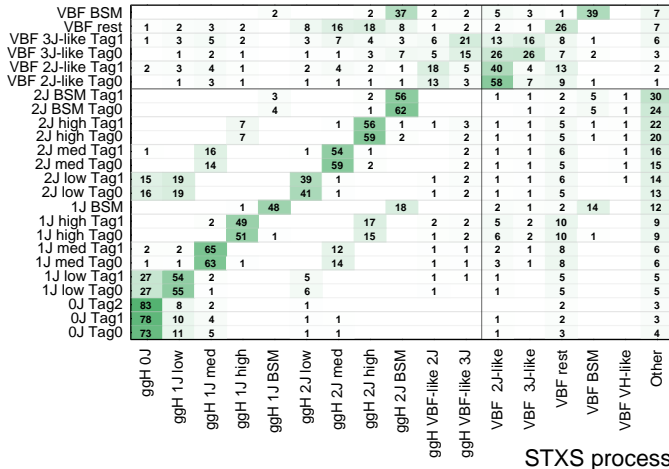


- **Diphoton-BDT** using photon kinematic, BDT-id score, mass resolution, vertex probability
- VBF categorization:
  - **dijet-BDT** trained with signal: VBF, background: ggF+jets and non-Higgs (from control region inverting photon id score)
  - 6 categories using dijet  $\otimes$  diphoton-BDT and  $p_T^{Hjj}$ ,  $m_{jj}$ ,  $p_T^j$  mimic STXS (2J, 3J, BSM, rest)
- ggF categorization:
  - mimic STXS using  $p_T^{\gamma\gamma}$  and number of jets. Split also by diphoton BDT ("Tag").
- All BDT validated on  $Z \rightarrow ee$

**CMS Simulation Preliminary**  $H \rightarrow \gamma\gamma$

13 TeV (2017)

Event category



ATLAS, great improvement using **agressive optimization**:

- Leptonic ( $\geq 1\ell$ ,  $\geq 1b$ ), hadronic ( $\geq 1b$ ,  $\geq 2j$ ,  $0\ell$ ) regions
- Train two BDT with **low-level variables**:  $p_T/m_{\gamma\gamma}, \eta, \phi$  of photons,  $p_\mu$  of up to two leptons,  $p_\mu$  of up to four/six jets (lep/had,  $p_T$  sorted), magnitude and  $\phi$  of  $E_T$ -miss
- Categories defined from the BDT output
- Trained on MC ttH signal and **control regions** (non-tight non-isolated) for background

CMS:

- Leptonic ( $\geq 1\ell$ ,  $\geq 1b$ ), hadronic ( $\geq 2j$ ,  $0\ell$ ) regions
- Train two BDT with:  $p_T/m_{\gamma\gamma}, \eta$ , BDT-id of photons,  $\Delta\phi_{\gamma\gamma}$  or  $\phi$ ,  $p_T$  and  $\eta$  of diphoton (had only), number of (b)-jets,  $p_T$  and  $\eta$  of the first three (four) jets ( $p_T$  ordering),  $\sum_{\text{all jets}} p_T$  (had),  $b$ -discriminant,  $p_T$  and  $\eta$  of the lepton,  $E_T$ -miss
- Categories defined from the numbers of leptons (1/2) and BDT output
- Trained on MC ttH signal, **bkg MC**, **ggF+VBF MC (only had)**

Main problem: theoretical systematic for ggF contamination (ggF+HF)

- ATLAS: 100% uncertainty on ggF, VBF, VH production (supported by  $H \rightarrow 4\ell$ ,  $ttbb$ ,  $Vb$ ). Impact 3-4%
- CMS (only ggF): parton shower (from difference in jet multiplicity aMCNLO/data  $tt+j$ ), gluon splitting (scaling the fraction of events from ggF+b in simulation by the measured difference data/simulation of  $\sigma(ttbb)/\sigma(ttjj)$ ). Impact 2%.

Better recipe?

- Background  $m_{\gamma\gamma}$  distributions are fitted directly on data with simple analytical functions both in ATLAS and CMS
- Different approach how the functional form (exponential, ...) are selected
- In ATLAS, for each category, one functional form is selected by dedicated studies on MC or control regions
- Due to the little  $s/b$ , small mismodeling on the shape can bias the signal yield
- Quantify bias using closure tests injecting 0 signal events: spurious signal
- Select functional form which pass criteria based on the spurious signal



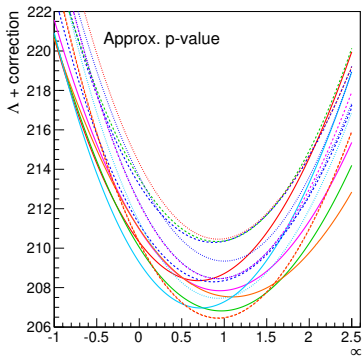
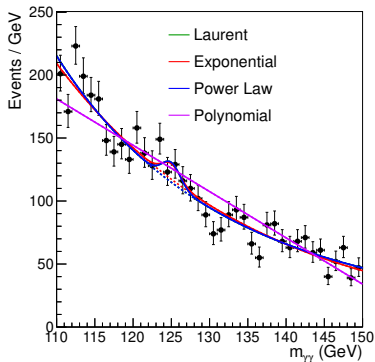
- Build a background-only template, usually mixing  $\gamma\gamma$  from **Sherpa NLO** and  $\gamma j$  from **control region**
- Run a signal + background fit
- The spurious signal (the bias) is the number of fitted events (positive or negative)
- Assume the systematic on the signal yield to be the  $\max_{m_H} |bias|$  changing  $m_H$  in a window

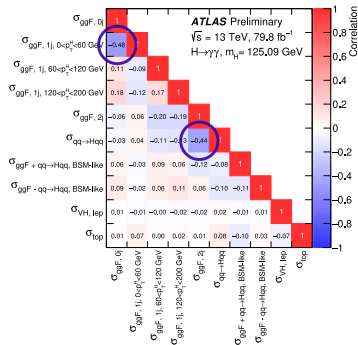
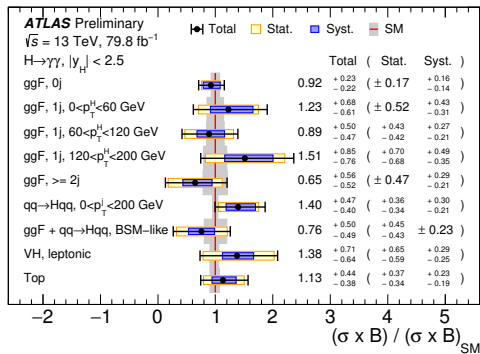
## Problems:

- MC is not data: need to try different variations (e.g.  $\gamma\gamma$  purity)
- MC is limited: **statistical fluctuation in the MC can increase the estimated spurious signal**
- Limiting factor of the procedure: **not scalable**
  - Produce faster MC (e.g. smeared truth MC, LO generators): billions of events
  - Use more flexible function (even not analytic) so that you expect better modeling (how to validate?)
  - Remove statistical fluctuation from your template

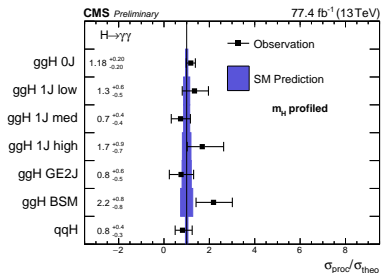
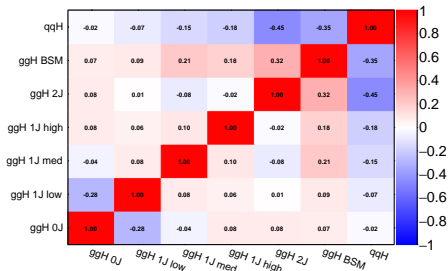
- Let the  $s + b$  fit on data choose the best background function and **profile**
- Consider functions with different number of degrees of freedom from exponential, power-law, ... families:
  - select functions that can describe data with injection test and F-test
- Add **penalty term** to the likelihood to account for the number of free parameters  $N_B$

$$-2 \log \tilde{L} = -2 \log L + N_B$$

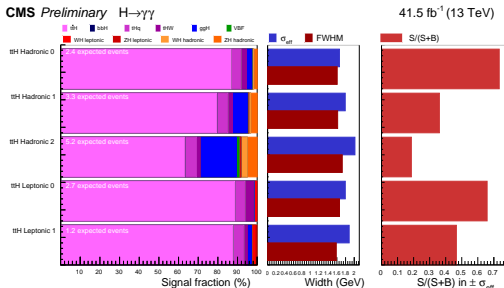
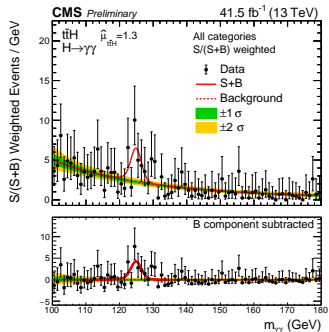




- Difficult to separate  $\text{ggF } 0j/\text{ggF } 1j \ p_T < 60 \text{ GeV}$  and  $\text{qq} \rightarrow \text{Hqq}/\text{ggF } 2j$
- Interpretation  $\mu = 1.06 \pm 0.08(\text{stat})_{-0.07}^{+0.08}(\text{exp})_{-0.06}^{+0.07}(\text{theo})$
- Main **theoretical uncertainty** on  $\mu$ : PS and UE (Pythia vs Herwig or AZNLO eigentunes variations for ggF); renormalization, factorization scales

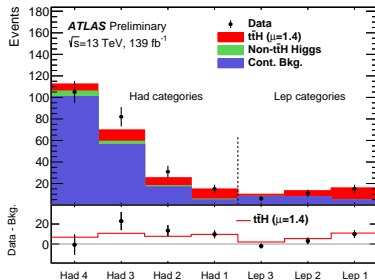
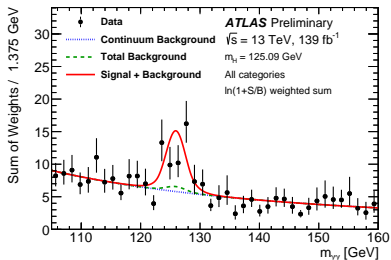
CMS Supplementary  $H \rightarrow \gamma\gamma$  $77.4 \text{ fb}^{-1}$  (13 TeV)

- Less correlation than ATLAS ( $ggF$  0j/ $ggF$  1j  $p_T < 60 \text{ GeV}$ ) (-28% vs -48%)
- ATLAS/CMS similar for ( $qq \rightarrow Hqq/ggF$  2j)
- ATLAS decided to merge BSM STXS bins to avoid large correlations



Very pure categories. Contamination from  $tH$ ,  $ggF$  (hadronic categories),  $VH$  (leptonic categories)

In the best category:  $s/(s+b)=70\%$ .  $ttH$ /all-Higgs = 89%. Resolution  $\sigma_{68} = 1.66 \text{ GeV}$ .



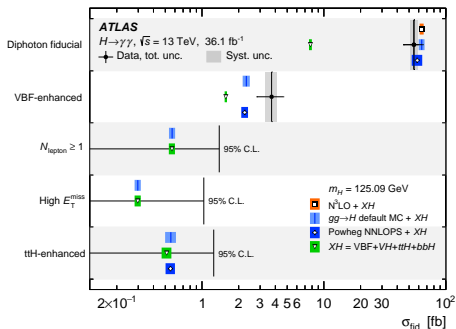
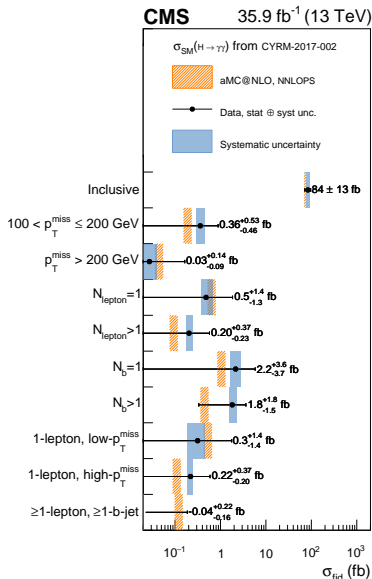
In the best category:  $s/(s+b)=60\%$ .  $ttH/\text{all-Higgs} = 95\%$ . Resolution  $\sigma_{68} = 1.39 \text{ GeV}$ .

	Luminosity [ $\text{fb}^{-1}$ ]	observed	expected
ATLAS $\gamma\gamma$	140	$4.9\sigma$	$4.2\sigma$
CMS $\gamma\gamma$	41.5	$3.1\sigma$	$2.2\sigma$
CMS $\gamma\gamma$	41.5+35.9	$4.1\sigma$	$2.7\sigma$
ATLAS combination	80	$5.8\sigma$	$4.9\sigma$
ATLAS combination	80 + Run1	$6.3\sigma$	$5.1\sigma$
CMS combination	36 + Run1	$5.2\sigma$	$4.2\sigma$

- Define fiducial regions close to experimental analysis cuts
- Avoid selections that can distort observables
- For each reco-bin fit  $m_{\gamma\gamma}$  distribution
- In addition CMS splits events by expected resolution
- CMS uses likelihood with **matrix method** (**no regularization**, since bins are large)
- ATLAS uses **bin-by-bin unfolding** (bias negligible)

Inclusive fiducial “diphoton” region	
ATLAS	CMS
$ \eta^\gamma  < 1.37$ or $1.52 <  \eta^\gamma  < 2.37$	$ \eta^\gamma  < 2.5$
$p_T^{\text{iso}}(R = 0.2)/p_T^\gamma < 0.05$	$p_T^{\text{iso}}(R = 0.3) < 10 \text{ GeV}$
$p_T^{\gamma 1}/m_{\gamma\gamma} > 0.35, p_T^{\gamma 2}/m_{\gamma\gamma} > 0.25$	$p_T^{\gamma 1}/m_{\gamma\gamma} > 1/3, p_T^{\gamma 2}/m_{\gamma\gamma} > 1/4$

# Fiducial cross sections (ATLAS and CMS 36 fb<sup>-1</sup>)



- Define fiducial regions where some production are enhanced
- Don't try to split production modes with additional variables
- Would be good to **harmonize** on the most interesting regions (**which ones?**)

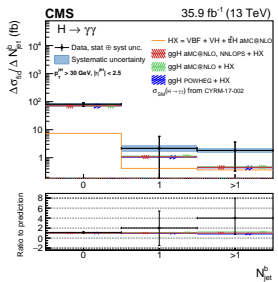
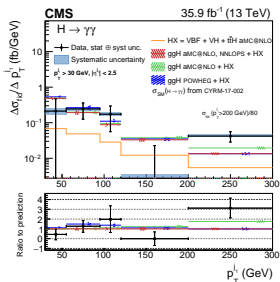
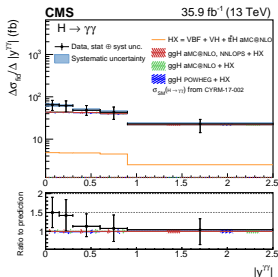
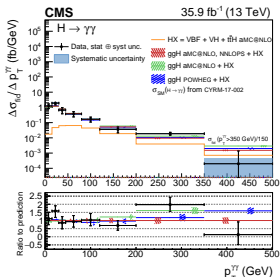


- Define fiducial regions only with kinematic cuts, close to the ones used in the analysis: **small model dependency**
- Many variables are investigated<sup>2</sup>:  $p_T^{\gamma\gamma}$ ,  $|y_{\gamma\gamma}|$ ,  $N_j$ ,  $p_T^i$ ,  $p_T^j$ ,  $|y_{j_1}|$ ,  $|y_{j_2}|$ ,  $|\cos(\theta^*)|$ ,  $\Delta\phi_{jj}$ ,  $|\Delta y_{jj}|$ ,  $\Delta\phi_{\gamma\gamma,jj}$ ,  $|\Delta\phi_{\gamma\gamma,j_1}|$ ,  $|\Delta y_{\gamma\gamma,j_1}|$ ,  $m_{jj}$ ,  $|\bar{\eta}_{jj} - \eta_{jj}|$ ,  $|\Delta\eta_{jj}|$ ,  $p_T^{\text{miss}}$ ,  $N_{b\text{-jets}}$ ,  $N_\ell$ .  
**Anything missing? Interesting to use different jet definitions ( $p_T$ , central/forward) ?**
- Also double differential cross sections:  $p_T^{\gamma\gamma} \times N_j$ ,  $p_T^{\gamma\gamma} \times |\cos(\theta^*)|$ . **More?**
- Already some variables are measured in specific phase space. Interesting to see **differential distributions in specific phase space (e.g.  $p_T^{\gamma\gamma}$ ,  $\Delta\phi_{jj}$  within different fiducial regions)?**

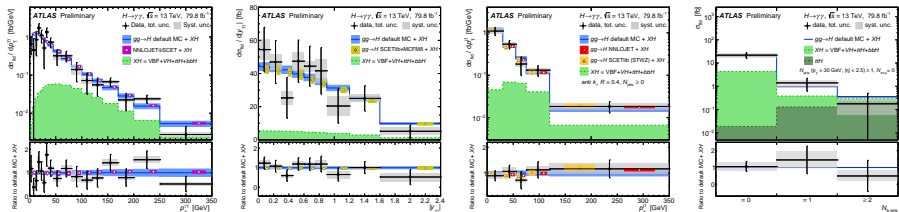
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<sup>2</sup>ATLAS only, CMS only

## Unfolded (matrix method) distribution for $p_T^{\gamma\gamma}$ , $y_{\gamma\gamma}$ , $p_T^j$ , $N_{b\text{-jets}}$



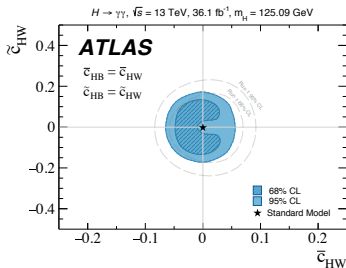
## Unfolded (bin by bin) distribution for $p_T^{\gamma\gamma}$ , $y_{\gamma\gamma}$ , $p_T^j$ , $N_{b-jets}$ (lepton-veto)



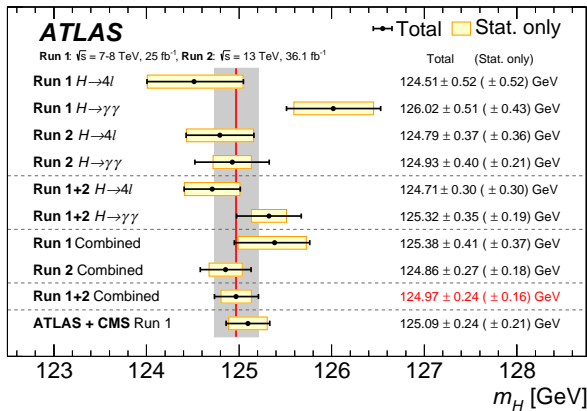
p-value( $\chi^2$ ) data/SM > 30%

EFT interpretation:

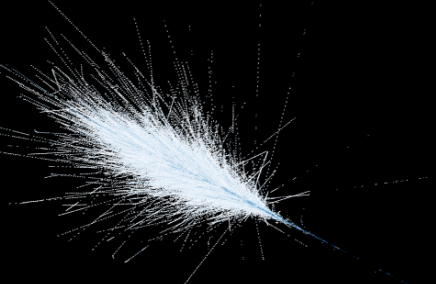
- introduce additional CP-even and CP-odd interactions in SILH framework
- inputs:  $p_T^{\gamma\gamma}$ ,  $N_j$ ,  $m_{jj}$ ,  $|\Delta\phi_{jj}|$ ,  $p_T^j$  and their correlations



- Hundreds of systematics on the energy/momentum scale
- Energy scale mostly from  $Z \rightarrow \ell\ell$  ( $\langle p_T^\ell \rangle \simeq 40 \text{ GeV}$ ) comparing data/MC
  - $H \rightarrow \gamma\gamma$  ( $\langle p_T^\gamma \rangle \simeq 60 \text{ GeV}$ ) starts to be dominated by systematics



Any interest to improve  $m_{H \rightarrow \gamma\gamma}$  with sys  $\gtrsim 100 \text{ MeV}$ ?



## Conclusions

Precision studies have been presented: no deviation from SM

- Two complementary approaches: coupling/STXS (very optimized, model dependent) vs fiducial/differential cross sections
- How much differential we should be? As much as possible? Or not useful to quote results with very large errors and correlations?
- In STXS we have tens of cross sections. What do we want to optimize?
- How to share results? Just values and covariance?
- Main difficulty from the experimental point of view: modeling the shape of the background and its systematic
- Being more differential means more difficult to evaluate theoretical uncertainties (e.g.  $ggF+HF$ )

Now working on final Run2 papers with  $140 \text{ fb}^{-1}$ . More complicated interpretations (EFT)

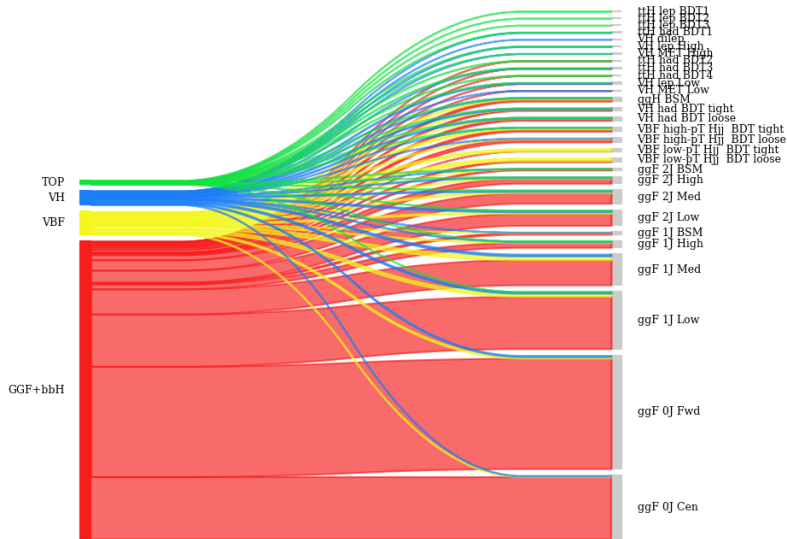
*Thanks for your  
attention*



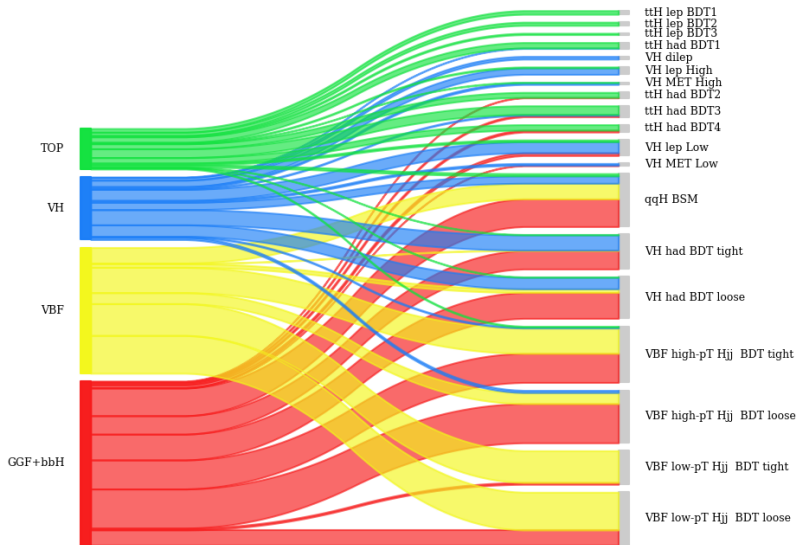
The image features a dense, multi-colored network graph on a black background. The graph consists of numerous nodes and edges, with colors ranging from blue and green to yellow and orange. The edges are thin and form a complex web of connections. A prominent feature is a central vertical cluster of nodes and edges that appears to be the core of the network. Two bright, fan-shaped clusters of orange and yellow nodes are visible on the left and right sides, suggesting hubs or specific clusters within the network. A solid blue horizontal bar is positioned across the middle of the image, containing the word "Backup" in white, sans-serif font.

Backup

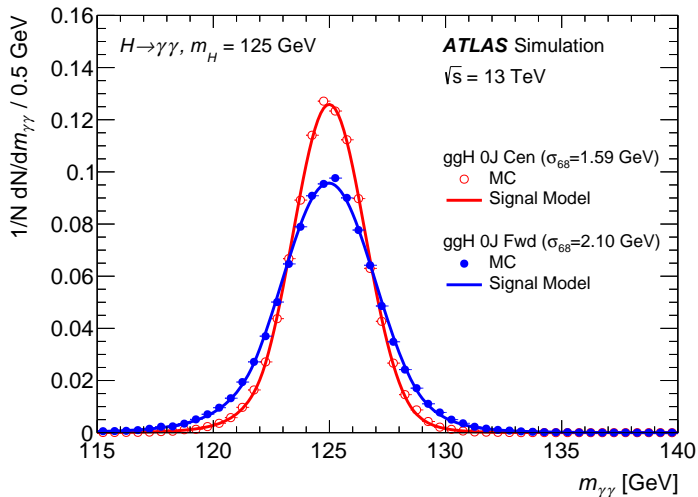




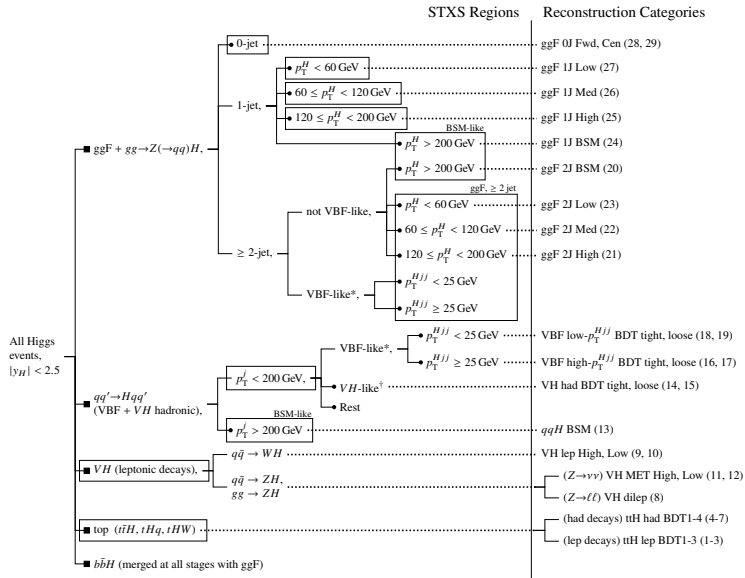
# Migrations ATLAS (no ggF categories)



Source	Systematic uncertainty on $m_H^{\gamma\gamma}$ [MeV]
EM calorimeter cell non-linearity	$\pm 180$
EM calorimeter layer calibration	$\pm 170$
Non-ID material	$\pm 120$
ID material	$\pm 110$
Lateral shower shape	$\pm 110$
$Z \rightarrow ee$ calibration	$\pm 80$
Conversion reconstruction	$\pm 50$
Background model	$\pm 50$
Selection of the diphoton production vertex	$\pm 40$
Resolution	$\pm 20$
Signal model	$\pm 20$



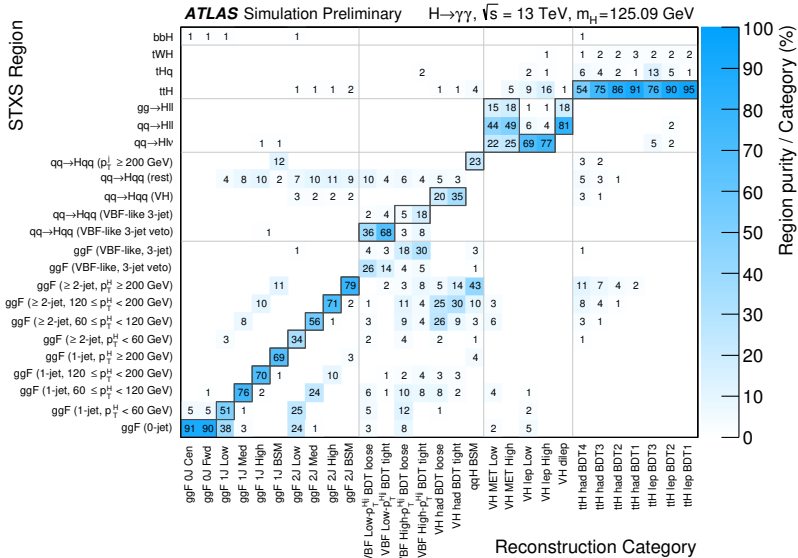
# STXS merged scheme (ATLAS)



\*VBF-like:  $m_{jj} > 400 \text{ GeV}$ ,  $|\Delta y_{jj}| > 2.8$

<sup>†</sup>VH-like:  $60 < m_{jj} < 120 \text{ GeV}$

Category label	Selection
ttH lep BDT1	$N_{\text{lep}} \geq 1, N_{b\text{-jet}} \geq 1, \text{BDT}_{\text{ttHlep}} > 0.987$
ttH lep BDT2	$N_{\text{lep}} \geq 1, N_{b\text{-jet}} \geq 1, 0.942 < \text{BDT}_{\text{ttHlep}} < 0.987$
ttH lep BDT3	$N_{\text{lep}} \geq 1, N_{b\text{-jet}} \geq 1, 0.705 < \text{BDT}_{\text{ttHlep}} < 0.942$
ttH had BDT1	$N_{\text{lep}} = 0, N_{\text{jets}} \geq 3, N_{b\text{-jet}} \geq 1, \text{BDT}_{\text{ttHhad}} > 0.996$
ttH had BDT2	$N_{\text{lep}} = 0, N_{\text{jets}} \geq 3, N_{b\text{-jet}} \geq 1, 0.991 < \text{BDT}_{\text{ttHhad}} < 0.996$
ttH had BDT3	$N_{\text{lep}} = 0, N_{\text{jets}} \geq 3, N_{b\text{-jet}} \geq 1, 0.971 < \text{BDT}_{\text{ttHhad}} < 0.991$
ttH had BDT4	$N_{\text{lep}} = 0, N_{\text{jets}} \geq 3, N_{b\text{-jet}} \geq 1, 0.911 < \text{BDT}_{\text{ttHhad}} < 0.971$
VH dilep	$N_{\text{lep}} \geq 2, 70 \text{ GeV} \leq m_{\ell\ell} \leq 110 \text{ GeV}$
VH lep High	$N_{\text{lep}} = 1,  m_{e\gamma} - 89 \text{ GeV}  > 5 \text{ GeV}, p_{\text{T}}^{\ell+E_{\text{T}}^{\text{miss}}} > 150 \text{ GeV}$
VH lep Low	$N_{\text{lep}} = 1,  m_{e\gamma} - 89 \text{ GeV}  > 5 \text{ GeV}, p_{\text{T}}^{\ell+E_{\text{T}}^{\text{miss}}} < 150 \text{ GeV}, E_{\text{T}}^{\text{miss}} \text{ significance} > 1$
VH MET High	$150 \text{ GeV} < E_{\text{T}}^{\text{miss}} < 250 \text{ GeV}, E_{\text{T}}^{\text{miss}} \text{ significance} > 9 \text{ or } E_{\text{T}}^{\text{miss}} > 250 \text{ GeV}$
VH MET Low	$80 \text{ GeV} < E_{\text{T}}^{\text{miss}} < 150 \text{ GeV}, E_{\text{T}}^{\text{miss}} \text{ significance} > 8$
qqH BSM	$N_{\text{jets}} \geq 2, p_{\text{T},j1} > 200 \text{ GeV}$
VH had BDT tight	$60 \text{ GeV} < m_{\text{jj}} < 120 \text{ GeV}, \text{BDT}_{\text{VH}} > 0.78$
VH had BDT loose	$60 \text{ GeV} < m_{\text{jj}} < 120 \text{ GeV}, 0.35 < \text{BDT}_{\text{VH}} < 0.78$
VBF high- $p_{\text{T}}^{Hjj}$ BDT tight	$ \Delta\eta_{jj}  > 2,  \eta_{\gamma\gamma} - 0.5(\eta_1 + \eta_2)  < 5, p_{\text{T}}^{Hjj} > 25 \text{ GeV}, \text{BDT}_{\text{VBF}}^{\text{high}} > 0.47$
VBF high- $p_{\text{T}}^{Hjj}$ BDT loose	$ \Delta\eta_{jj}  > 2,  \eta_{\gamma\gamma} - 0.5(\eta_1 + \eta_2)  < 5, p_{\text{T}}^{Hjj} > 25 \text{ GeV}, -0.32 < \text{BDT}_{\text{VBF}}^{\text{high}} < 0.47$
VBF low- $p_{\text{T}}^{Hjj}$ BDT tight	$ \Delta\eta_{jj}  > 2,  \eta_{\gamma\gamma} - 0.5(\eta_1 + \eta_2)  < 5, p_{\text{T}}^{Hjj} < 25 \text{ GeV}, \text{BDT}_{\text{VBF}}^{\text{low}} > 0.87$
VBF low- $p_{\text{T}}^{Hjj}$ BDT loose	$ \Delta\eta_{jj}  > 2,  \eta_{\gamma\gamma} - 0.5(\eta_1 + \eta_2)  < 5, p_{\text{T}}^{Hjj} < 25 \text{ GeV}, 0.26 < \text{BDT}_{\text{VBF}}^{\text{low}} < 0.87$
ggF 2J BSM	$N_{\text{jets}} \geq 2, p_{\text{T}}^{\gamma\gamma} \geq 200 \text{ GeV}$
ggF 2J High	$N_{\text{jets}} \geq 2, p_{\text{T}}^{\gamma\gamma} \in [120, 200] \text{ GeV}$
ggF 2J Med	$N_{\text{jets}} \geq 2, p_{\text{T}}^{\gamma\gamma} \in [60, 120] \text{ GeV}$
ggF 2J Low	$N_{\text{jets}} \geq 2, p_{\text{T}}^{\gamma\gamma} \in [0, 60] \text{ GeV}$
ggF 1J BSM	$N_{\text{jets}} = 1, p_{\text{T}}^{\gamma\gamma} \geq 200 \text{ GeV}$
ggF 1J High	$N_{\text{jets}} = 1, p_{\text{T}}^{\gamma\gamma} \in [120, 200] \text{ GeV}$
ggF 1J Med	$N_{\text{jets}} = 1, p_{\text{T}}^{\gamma\gamma} \in [60, 120] \text{ GeV}$
ggF 1J Low	$N_{\text{jets}} = 1, p_{\text{T}}^{\gamma\gamma} \in [0, 60] \text{ GeV}$
ggF 0J Fwd	$N_{\text{jets}} = 0, \text{one photon with }  \eta  > 0.95$
ggF 0J Cen	$N_{\text{jets}} = 0, \text{two photons with }  \eta  \leq 0.95$



Process	Generator	Showering	PDF set	$\sigma$ [pb] $\sqrt{s} = 13$ TeV	Order of $\sigma$ calculation
ggF	POWHEG NNLOPS	PYTHIA 8	PDF4LHC15	48.52	N <sup>3</sup> LO(QCD)+NLO(EW)
VBF	POWHEG-BOX	PYTHIA 8	PDF4LHC15	3.78	approximate-NNLO(QCD)+NLO(EW)
WH	POWHEG-BOX	PYTHIA 8	PDF4LHC15	1.37	NNLO(QCD)+NLO(EW)
$q\bar{q}' \rightarrow ZH$	POWHEG-BOX	PYTHIA 8	PDF4LHC15	0.76	NNLO(QCD)+NLO(EW)
$gg \rightarrow ZH$	POWHEG-BOX	PYTHIA 8	PDF4LHC15	0.12	NNLO(QCD)+NLO(EW)
$t\bar{t}H$	POWHEG-BOX	PYTHIA 8	PDF4LHC15	0.51	NNLO(QCD)+NLO(EW)
$b\bar{b}H$	POWHEG-BOX	PYTHIA 8	PDF4LHC15	0.49	NNLO(QCD)+NLO(EW)
$tHq$	MG5_AMC@NLO	PYTHIA 8	CT10	0.07	4FS(LO)
$tHW$	MG5_AMC@NLO	Herwig++	CT10	0.02	5FS(NLO)
$\gamma\gamma$	SHERPA	SHERPA	CT10		
$V\gamma\gamma$	SHERPA	SHERPA	CT10		
$t\bar{t}\gamma\gamma$	MG5_AMC@NLO	PYTHIA 8	PDF4LHC15		



