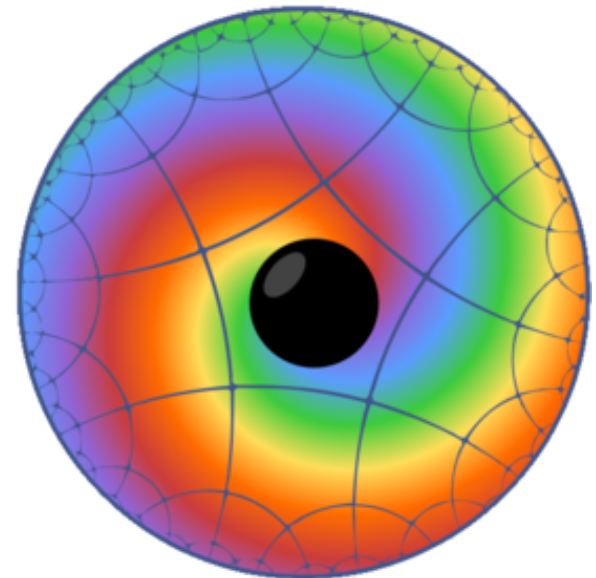
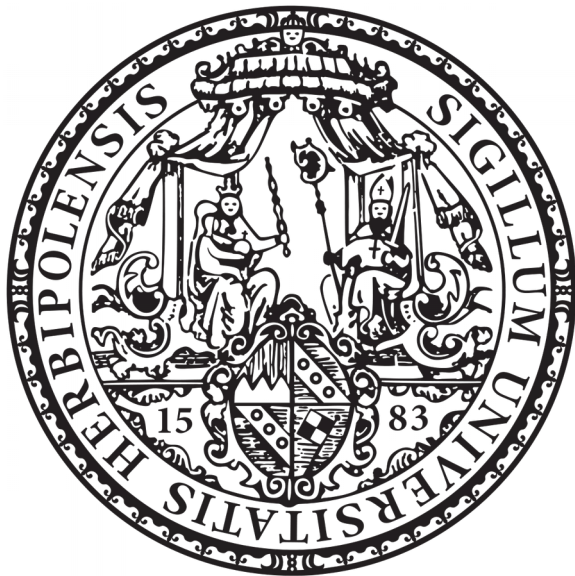


Applied Gauge/Gravity Duality in Particle and Condensed Matter Physics

Ioannis Matthaiakakis

University of Wuerzburg

HEP 2019

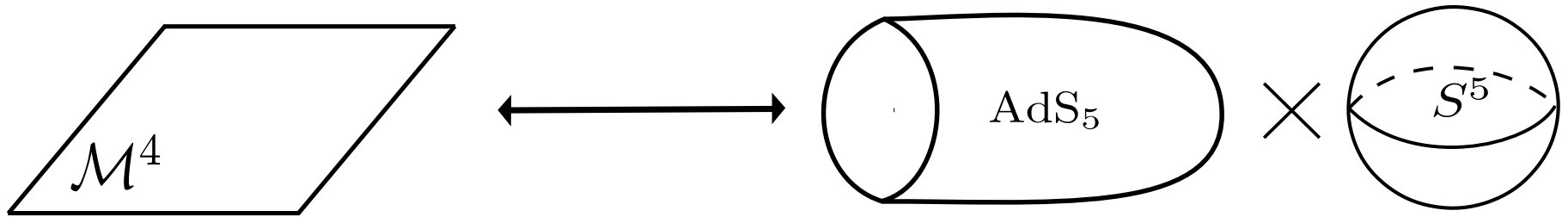


Outline

- Crash course in gauge/gravity
- Gauge/gravity and QCD
 - Meson spectrum
 - Jet quenching
- Gauge/gravity and CMT
 - Weyl semimetals
 - Hydrodynamics

The gauge/gravity duality

(Maldacena '97, Witten '98)



$$\mathcal{Z}_{\text{QFT}}[J] = e^{iS_G[J]}$$

Global symmetries \longleftrightarrow Gauge symmetries

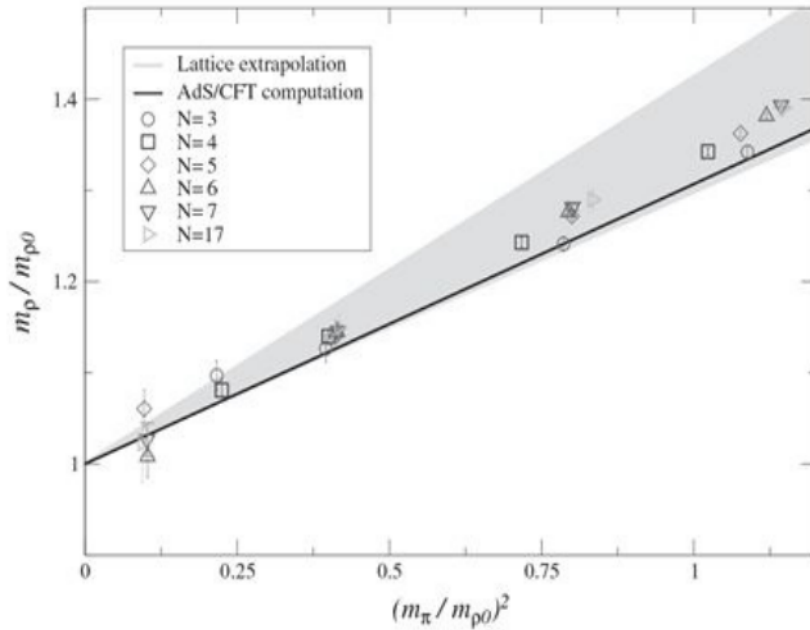
- For finite temperature QFTs, the dual geometry contains a black hole

Outline

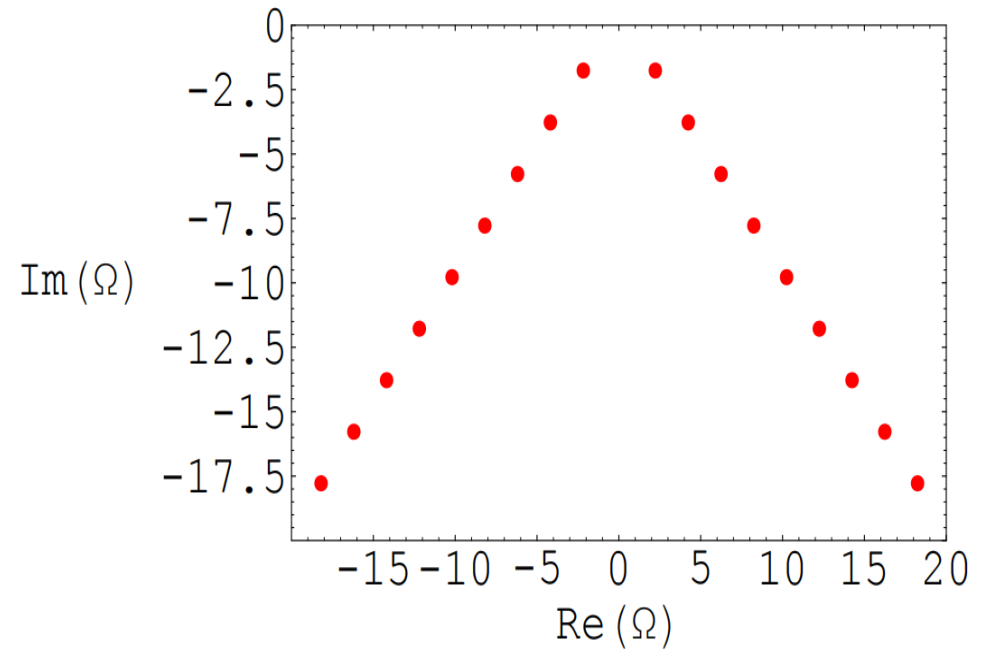
- ~~Crash course in gauge/gravity~~
- Gauge/gravity applied to QCD
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Meson spectrum

(Erdmenger, Evans, Kirsch, Threlfall '07)



Comparison with lattice data. $T=0$



Finite-T quasi-normal modes

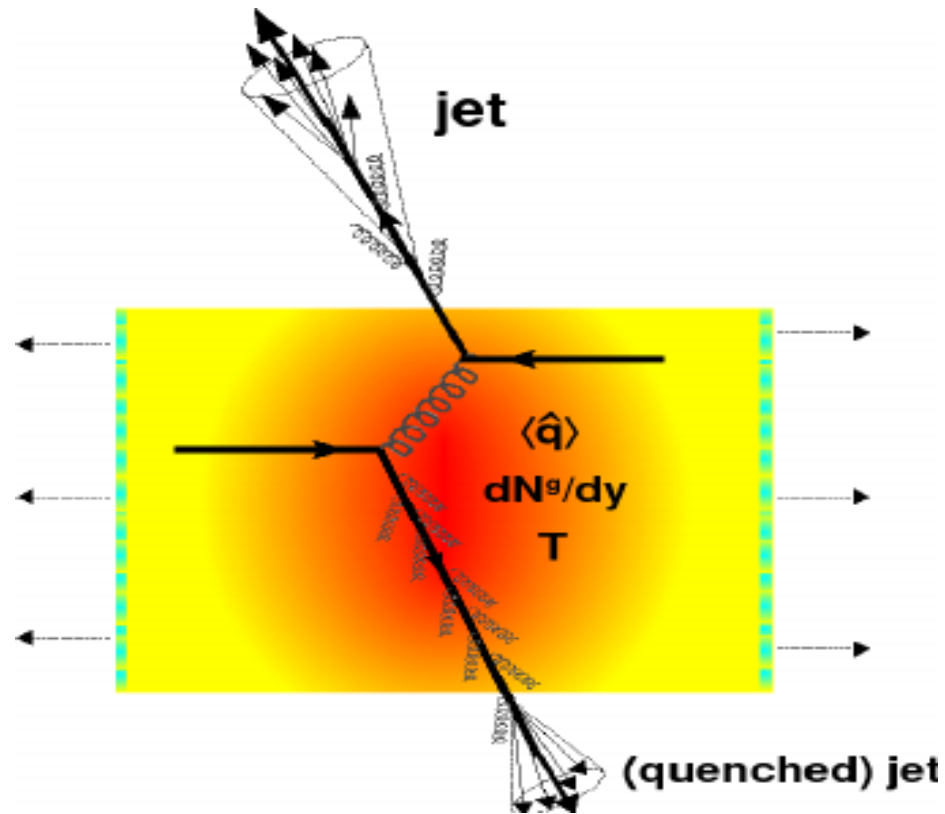
- Agreement with lattice-theory results
- Captures the finite-T decoherence of mesons into the plasma

Outline

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Jet quenching

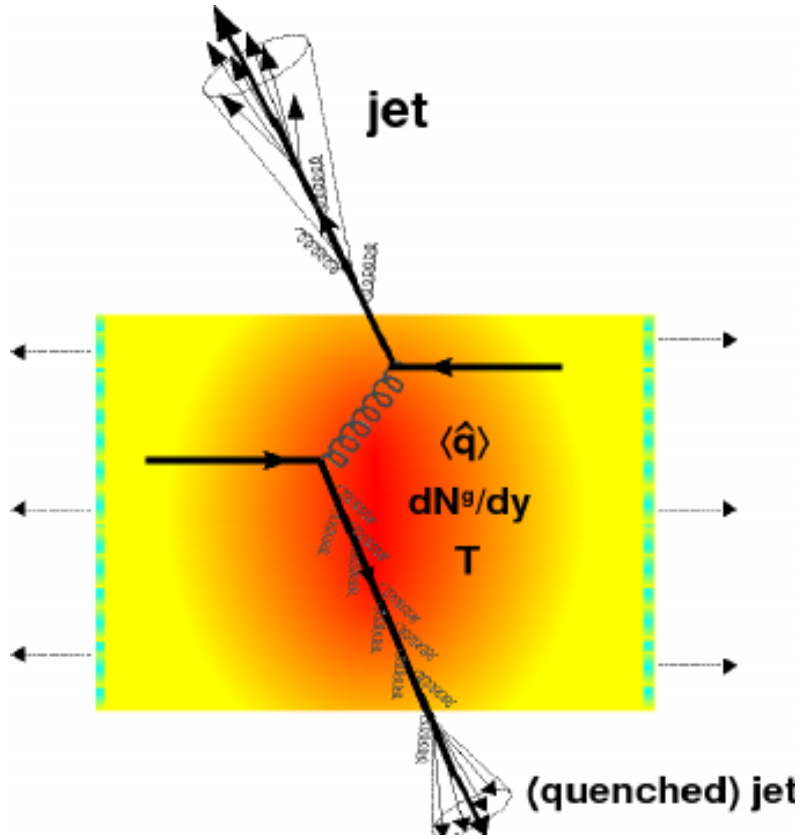
(Qin, Wang '15, Jet collaboration '13)



From d'Enterria, Betz '09

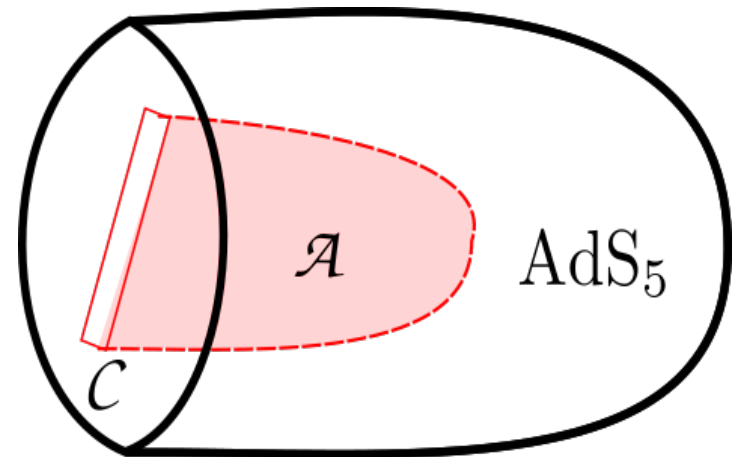
Jet quenching

(Qin, Wang '15, Jet collaboration '13)



$$\hat{q} = \frac{d\langle \Delta p_T^2 \rangle}{dL}$$

$$\langle W(\mathcal{C}) \rangle = e^{-\hat{q} \frac{L - L^2}{8\sqrt{2}}}$$

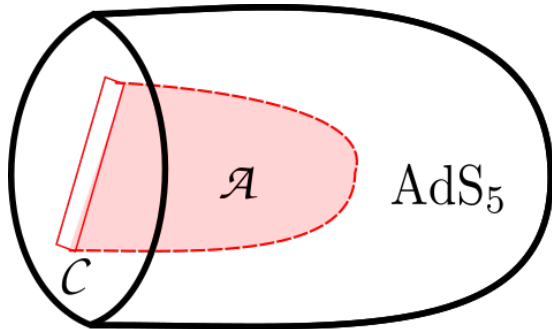


From d'Enterra, Betz '09

Jet quenching

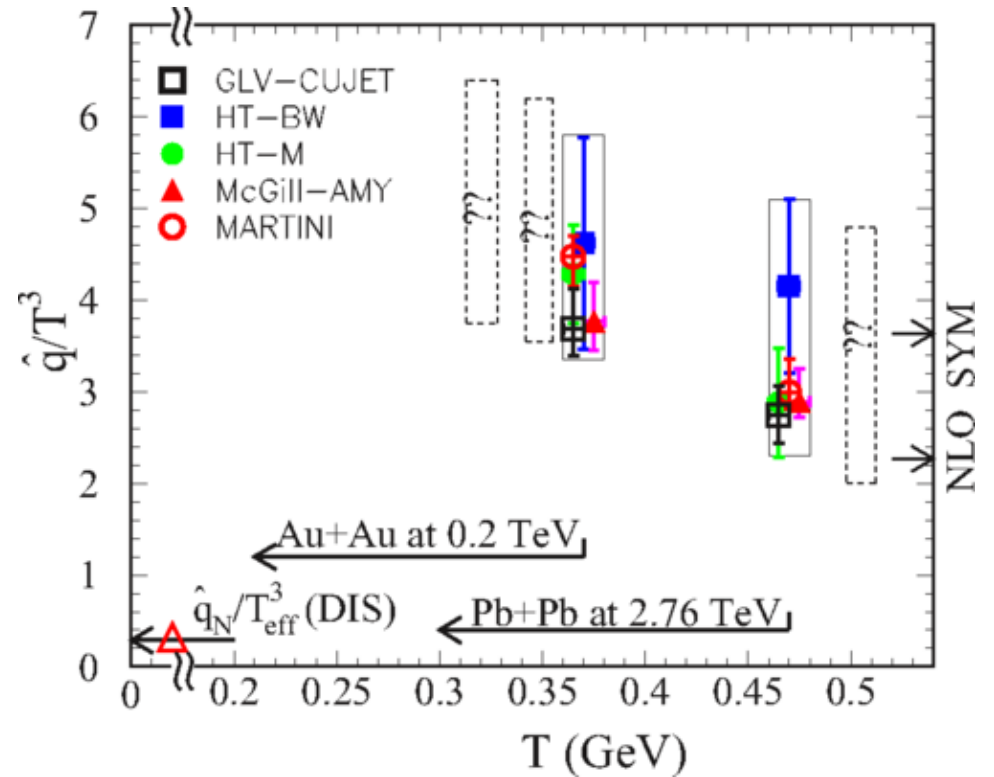
(Qin, Wang '15, Jet collaboration '13)

$$\langle W(\mathcal{C}) \rangle = e^{-\hat{q} \frac{L - L^2}{8\sqrt{2}}}$$



$$\hat{q}^{\text{NLO}} \simeq 7.5\sqrt{\lambda}T^3 \left(1 - \frac{1.97}{\sqrt{\lambda}}\right)$$

Zhang, Hou, Ren '13

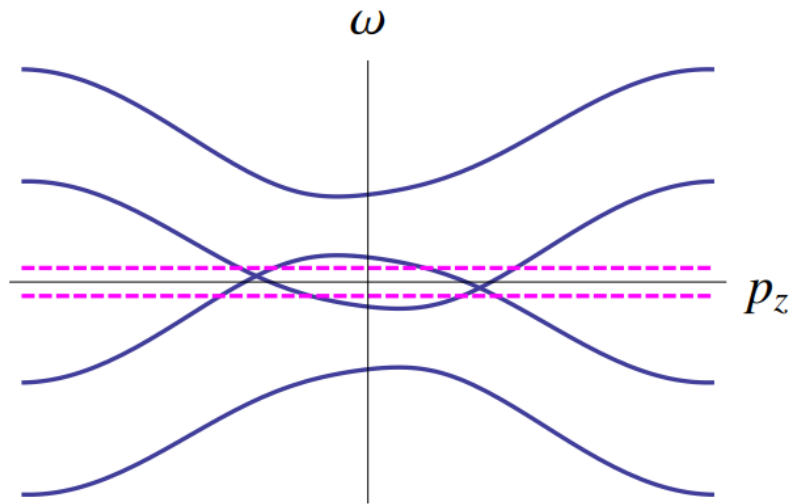


Outline

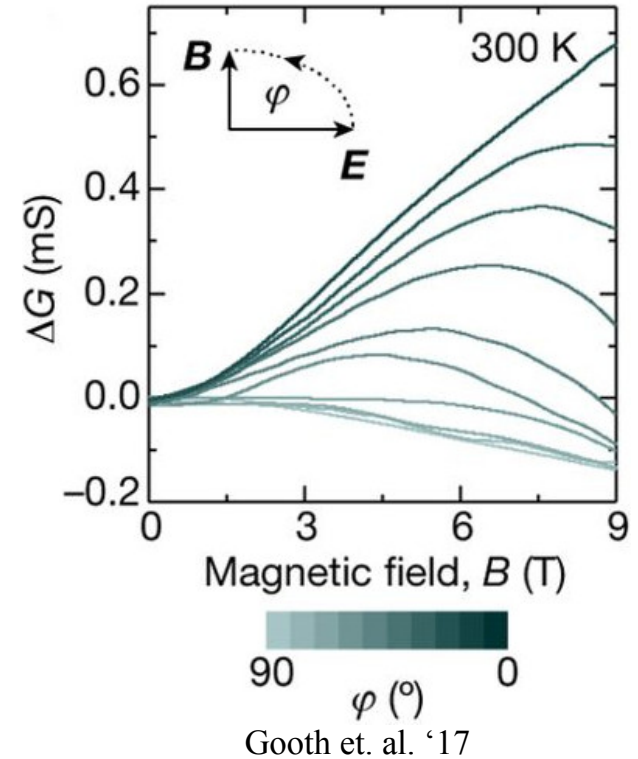
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Weyl semimetals

(Landsteiner '16)



$$H_{eff} = \pm v_F(k_0)\vec{\sigma} \cdot (\vec{k} - \vec{k}_0)$$



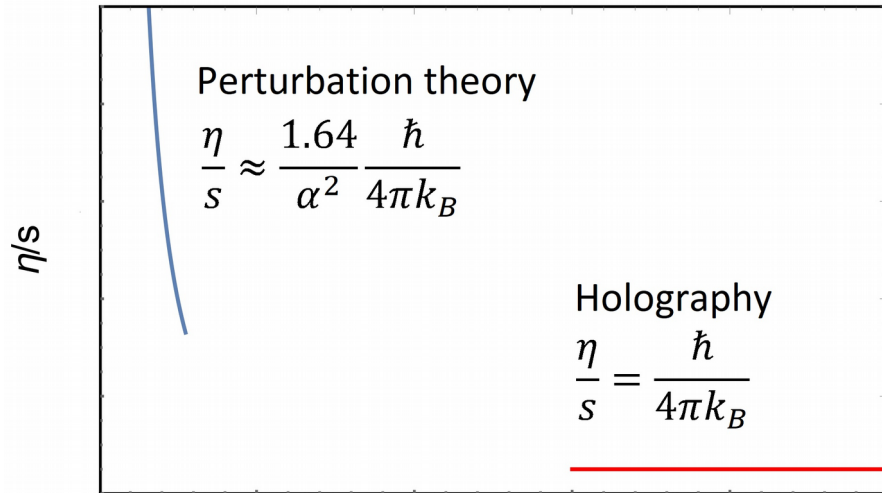
- Axial anomaly: $\partial_\mu J_5^\mu = \frac{1}{48\pi^2} \epsilon^{\mu\nu\rho\sigma} (3F_{\mu\nu}F_{\rho\sigma} + F_{\mu\nu}^5 F_{\rho\sigma}^5) \propto 3\mathbf{E} \cdot \mathbf{B} + \mathbf{E}^5 \cdot \mathbf{B}^5$
- Axial-torsional anomaly: $\partial_\mu J_5^\mu = \frac{e}{16\pi^2 l^2} \left(E^a \cdot B_a + \frac{l^2}{l_5^2} E_5^a \cdot B_a^5 \right)$ (Ferreiros et. al. '19)

Hydrodynamics

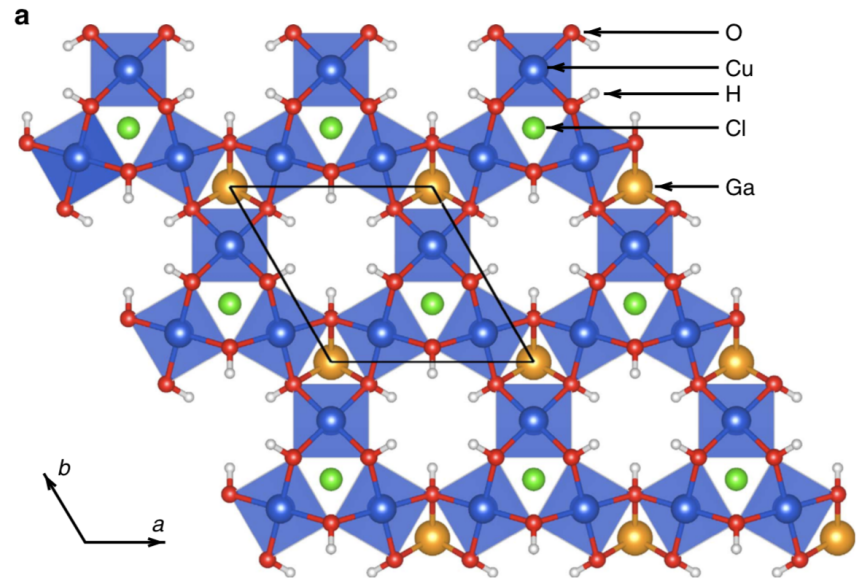
(Hubeny, Minwalla, Rangamani '11)

- Black holes naturally behave as fluids \longrightarrow Dual QFT behaves as a fluid
- Gauge/gravity = method to derive hydrodynamics
- Extends the Israel-Stewart formalism
- Can calculate all the transport coefficients, anomalous or not
- Alternative to kinetic theory approach at strong coupling
- Gives access to the thermalization process

Hydrodynamics & CMT



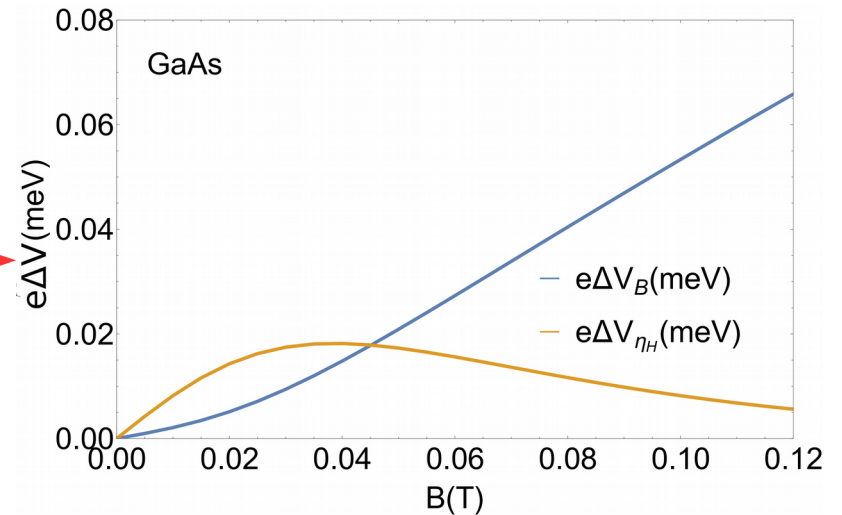
Erdmenger, I. M., Meyer, Rodríguez-Fernández
 '18



Di Sante, Erdmenger, I. M., Meyer, Rodríguez-Fernández,
 Thomale, Van Loon, Wehling (in preparation)

$$T^{\mu\nu} = \epsilon u^\mu u^\nu + P \Delta^{\mu\nu} - \eta \sigma^{\mu\nu} - \eta_H \tilde{\sigma}^{\mu\nu}$$

Erdmenger, Hankiewicz, I.M., Meyer, Rodríguez-Fernández, Tutschku
 arXiv: 1905.NNNNN



Conclusions

- 1) CMT systems have exotic phenomenological properties
- 2) Gauge/gravity provides an effective calculation tool at any temperature
- 3) Combining both can lead to lessons that carry over to BSM physics and quantum gravity.
- 4) Experimental verification possible through tabletop experiments

Thank you!