

Field Off Scattering Studies: Current Status

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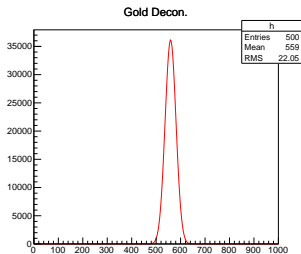
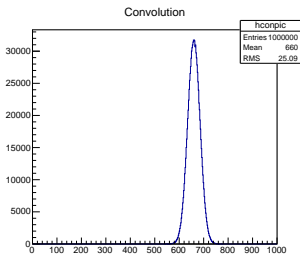
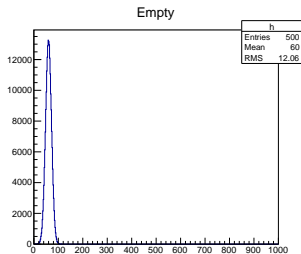
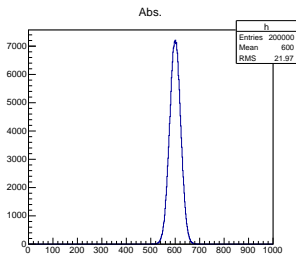
22/2/2019

Job List

- Develop toy model of deconvolution
 - ▶ Fill two random gaussian distributions
 - ▶ Convolve distributions
 - ▶ Deconvolve - test against original

Gold simple

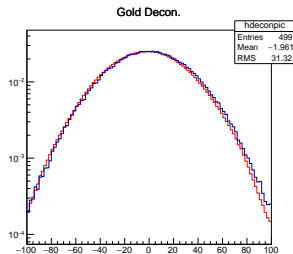
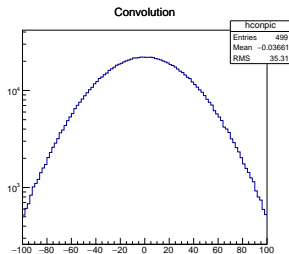
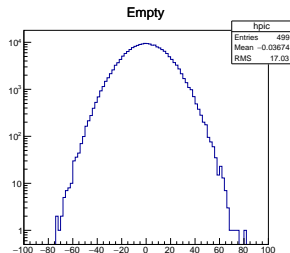
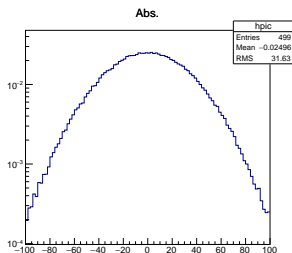
Expects a spectrum



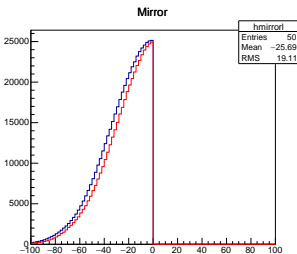
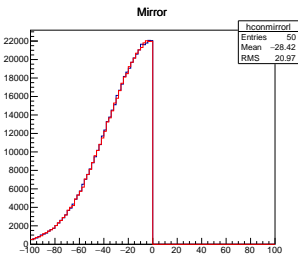
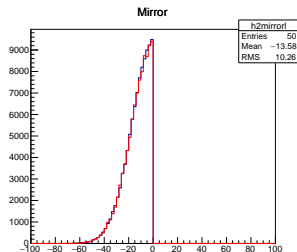
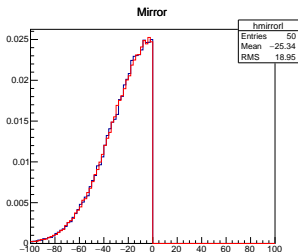
Gold MICE example

- Output is simply an array of values
- Create "scattering-like" distributions
- Read array and place array at origin using arbitrary offset
- This is the way in which the deconvolution was originally implemented in the analysis

Gold MICE example



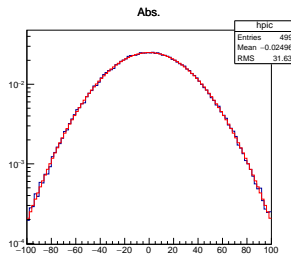
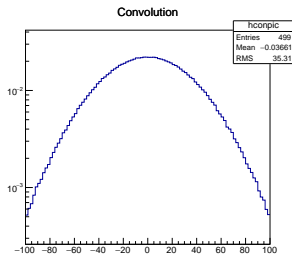
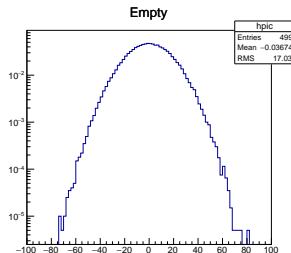
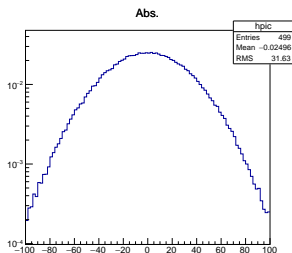
Gold MICE example - mirror



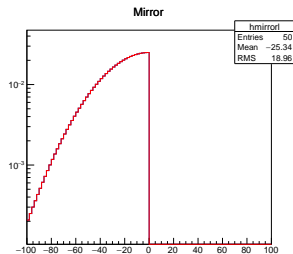
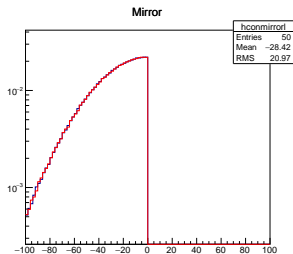
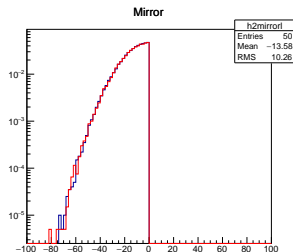
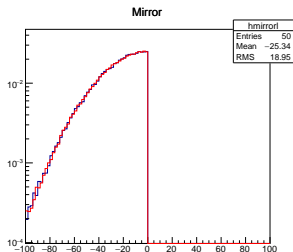
Gold symmetric example

- Output is simply an array of values
- Create "scattering-like" distributions
- Read array and place array at origin using arbitrary offset
- This is the way in which the deconvolution is implemented in the Note currently
- Force solution to be symmetric - not entirely satisfactory solution

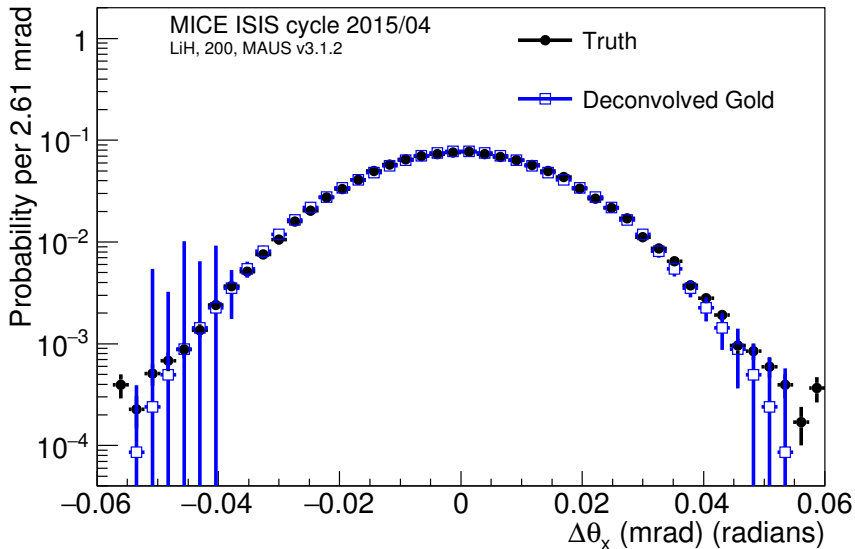
Gold symmetric example



Gold symmetric example - mirror



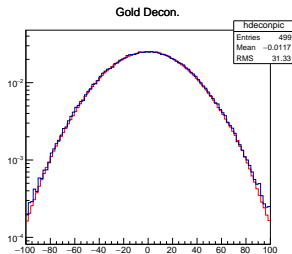
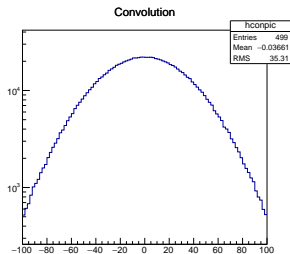
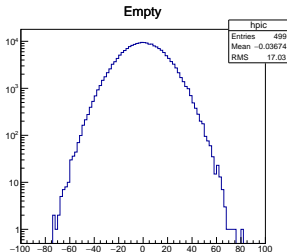
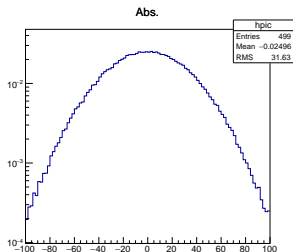
Gold symmetric example - mirror



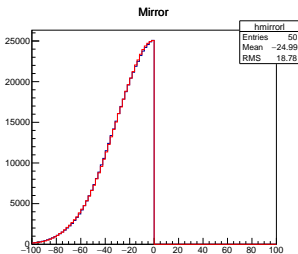
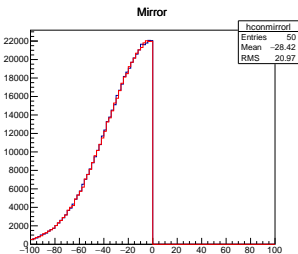
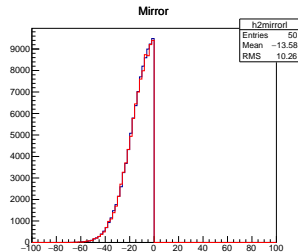
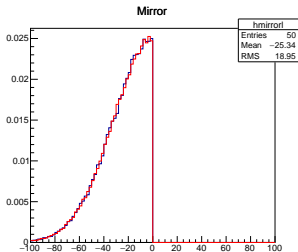
Gold calculate mean example

- Output is simply an array of values
- Create "scattering-like" distributions
- Read array and place array at origin using mean of deconvolved distribution
- This is the way in which the deconvolution is implemented in the analysis
- Find mean of distribution in spectrum output and read distribution from there

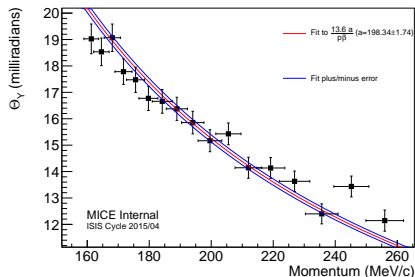
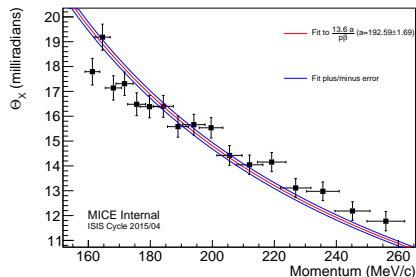
Gold calculate mean example



Gold calculate mean example - mirror



Θ as a Function of Momentum

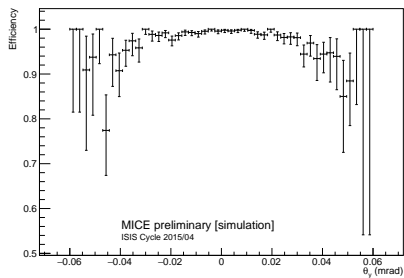
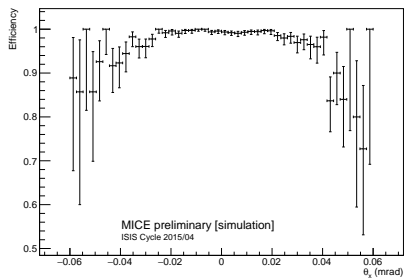


- Scan across the entire momentum range and measure scattering in both projections in each bin
- Fit is made for $a = \sqrt{\frac{z}{X_0}} (1 + 0.038 \ln \frac{z}{X_0})$

Job List

- Review of Note on Monday
- Implement Gold for θ_{Scatt}^2

Track Acceptance



Selection

| Selection | Description | μ Beams, LiH abs. | | |
|--------------------------|---|-----------------------|---------|---------|
| | | 172 | 200 | 240 |
| Upstream track selection | There is one US track and at most one track in the DS tracker (If there is no DS track $\theta_X = \theta_Y = 45^\circ$). | 69.13 % | 69.13 % | 69.13 % |
| TOF timing selection | Select muons from run at the target momentum. | 0.41 % | 0.52 % | 0.32 % |
| Fiducial selection | For projected US tracks $\sqrt{x^2 + y^2} < r_0$ at plane 5 of DS tracker, where $x = x_0 + (\frac{dx}{dz} \Delta z)$, $y = y_0 + (\frac{dy}{dz} \Delta z)$ and $r_0 = 90$ mm. | 0.08 % | 0.11 % | 0.08 % |
| Diffuser cut | US tracks are projected to the diffuser position any track within the radius of the diffuser annuli is rejected | 0.07 % | 0.1 % | 0.07 % |
| χ^2 cut | χ^2 /NDF of track is less than 4 up- & downstream | 0.07 % | 0.1 % | 0.07 % |

Scattering Data

Scattering Angle Definitions

- In the top diagram both the solid vectors are in the plane of the square i.e. the plain of the board. The y-axis is coming out of the board
- If both the up- and downstream vector were in the same plane then the subtraction of the simple projected angle would be sufficient
- The bottom figure is a side on view of the top figure. If the up- and downstream vectors are in two different planes then a more consider approach is required as detailed in <http://www.ppe.gla.ac.uk/~jnugent/Projected-angles.pdf> by John Cobb

