

The SMEFTsim package

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feynrules.irmp.ucl.ac.be/wiki/SMEFT

Brivio, Jiang, Trott JHEP 1712 (2017) 070

arXiv: 1709.06492



The Niels Bohr
International Academy



- ▶ Motivation: global SMEFT analysis @LHC
- ▶ What is SMEFTsim?
 - ▶ main characteristics
 - ▶ some details on the theory implementation
 - ▶ some technical specifications
- ▶ Validation
- ▶ Example of application: $h \rightarrow 4f$
- ▶ What's next?

The SMEFT for LHC experiments

lack of direct discoveries so far → systematic **indirect searches** needed

SMEFT is the best tool for this!

- ▶ reasonably **model-independent**
- ▶ **complete & well-defined** → long-term, extensible analysis plan
→ combination with other experiments

Most agnostic approach: minimize UV assumptions & arbitrary simplification

→ compute with the **full dim. 6 basis**

↔ Mike's talk

- ▶ avoids theory inconsistencies / basis dependence
- ▶ allows one-loop improvement, RGE etc
- ▶ provides a universal language
- ▶ requires a dedicated tool for signal generation

The SMEFTsim package

an UFO & FeynRules model with*:

Brivio, Jiang, Trott 1709.06492
feynrules.irmp.ucl.ac.be/wiki/SMEFT

1. the complete B-conserving Warsaw basis for 3 generations , including all complex phases and ~~CP~~ terms set up for unitary gauge, fermion mass basis
2. automatic field redefinitions to have **canonical kinetic terms**
3. automatic **parameter shifts** due to the choice of an input parameters set

↪ backup

Main scope:

estimate **LO SMEFT effects**: uncertainty is $\mathcal{O}\left(\frac{v^4}{\Lambda^4}\right) \rightarrow$ theo. accuracy $\gtrsim 1\%$

NLO not supported.

Shifts from input parameters

when testing a theory:

set of input
measurements

SM:

$$\Gamma(\mu \rightarrow e\nu\nu) \rightarrow \hat{G}_F(\bar{g}_1, \bar{g}_2, \bar{\nu})$$

$$\hat{m}_Z(\bar{g}_1, \bar{g}_2, \bar{\nu})$$

$$\text{Coulomb potential} \rightarrow \alpha_{\text{em}}^{\hat{}}(\bar{g}_1, \bar{g}_2)$$

$$\hat{m}_h(\bar{\lambda}, \bar{\nu})$$

$$\hat{m}_f(\bar{y}_f, \bar{\nu})$$

⋮

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Shifts from input parameters

when testing a theory:

set of input
measurements



infer numerical
values to theory
parameters

SM:

invert the relations:

$$\bar{v} = \hat{v}(\hat{G}_F)$$

$$\bar{\lambda} = \hat{\lambda}(\hat{m}_h, \hat{G}_F)$$

$$\bar{y}_f = \hat{y}_f(\hat{m}_f, \hat{G}_F)$$

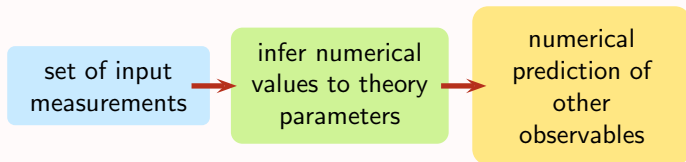
$$\bar{g}_1 = \hat{g}_1(\alpha_{\text{em}}, \hat{G}_F, \hat{m}_Z)$$

$$\bar{g}_2 = \hat{g}_2(\alpha_{\text{em}}, \hat{G}_F, \hat{m}_Z)$$

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Shifts from input parameters

when testing a theory:



SM:

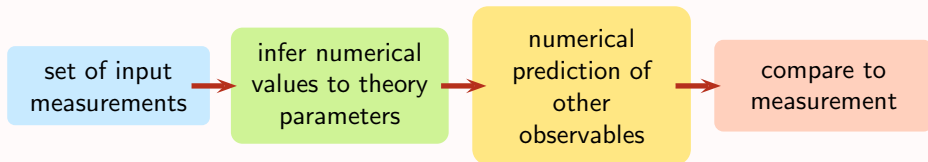
analytic calculations
Monte Carlo generation
...

e.g. at LO
 $\bar{m}_W = \bar{m}_Z \cos \bar{\theta}$

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Shifts from input parameters

when testing a theory:



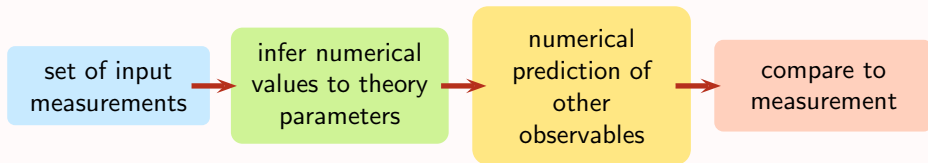
SM:

$$\hat{m}_W \stackrel{?}{=} \bar{m}_W$$

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Shifts from input parameters

when testing a theory:



SMEFT:

$$\Gamma(\mu \rightarrow e\nu\nu) \rightarrow \hat{G}_F(\bar{g}_1, \bar{g}_2, \bar{\nu}, \mathbf{C}_i)$$

$$\hat{m}_Z(\bar{g}_1, \bar{g}_2, \bar{\nu}, \mathbf{C}_i)$$

$$\text{Coulomb potential} \rightarrow \alpha_{\text{em}}^{\hat{}}(\bar{g}_1, \bar{g}_2, \mathbf{C}_i)$$

$$\hat{m}_h(\bar{\lambda}, \bar{\nu}, \mathbf{C}_i)$$

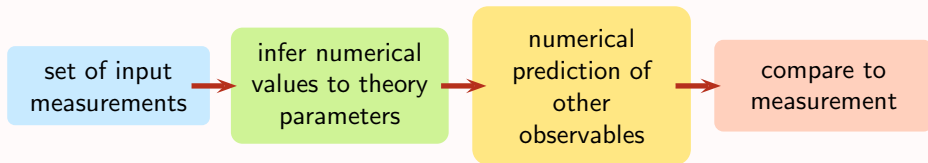
$$\hat{m}_f(\bar{y}_f, \bar{\nu}, \mathbf{C}_i)$$

⋮

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Shifts from input parameters

when testing a theory:



SMEFT:

invert the relations linearizing the C_i dependence

$$\bar{v} = \hat{v}(\hat{G}_F) + \delta v$$

$$\bar{\lambda} = \hat{\lambda}(\hat{m}_h, \hat{G}_F) + \delta \lambda$$

$$\bar{y}_f = \hat{y}_f(\hat{m}_f, \hat{G}_F) + \delta y_f$$

$$\bar{g}_1 = \hat{g}_1(\alpha_{\text{em}}, \hat{G}_F, \hat{m}_Z) + \delta g_1$$

$$\bar{g}_2 = \hat{g}_2(\alpha_{\text{em}}, \hat{G}_F, \hat{m}_Z) + \delta g_2$$

in a numeric code: convenient to replace

$$\bar{X} \rightarrow \hat{X} + \delta X \text{ everywhere in } \mathcal{L}$$

\bar{X} = parameter in canonical \mathcal{L} . \hat{X} = parameter inferred from SM relations.

Input parameter schemes for the EW sector

$\{\alpha_{\text{em}}, m_Z, G_f\}$ scheme

$$\alpha_{\text{em}}^{\hat{}} = \frac{\bar{g}_1 \bar{g}_2}{\bar{g}_1^2 + \bar{g}_2^2} \left[1 + \frac{\bar{v}^2}{\Lambda^2} \frac{\bar{g}_2^3 / \bar{g}_1}{\bar{g}_1^2 + \bar{g}_2^2} C_{HWB} \right]$$

$$\hat{m}_Z^2 = \frac{(\bar{g}_1^2 + \bar{g}_2^2) \bar{v}^2}{2} + \Delta m_Z^2$$

$$\Delta m_Z^2 = m_Z^2 \frac{\hat{v}^2}{\Lambda^2} \left[\frac{C_{HD}}{2} + \frac{2\bar{g}_1 \bar{g}_2}{\bar{g}_1^2 + \bar{g}_2^2} C_{HWB} \right]$$

$$\hat{G}_f = \frac{1}{\sqrt{2} \bar{v}^2} + \Delta G_f$$

$$\Delta G_f = \frac{\hat{v}^2}{\sqrt{2} \Lambda^2} \left[(C_{HI}^{(3)})_{11} + (C_{HI}^{(3)})_{22} - (C_{II})_{1221} \right]$$



$$\delta v^2 = \frac{\Delta G_f}{G_f}$$

$$\delta g_1 = \frac{s_{\hat{\theta}}^2}{2(1 - 2s_{\hat{\theta}}^2)} \left(\sqrt{2} \Delta G_f + \frac{\Delta m_Z^2}{m_Z^2} + 2 \frac{c_{\hat{\theta}}^3}{s_{\hat{\theta}}} C_{HWB} \hat{v}^2 \right),$$

$$s_{\hat{\theta}}^2 = \frac{1}{2} \left[1 - \sqrt{1 - \frac{4\pi \alpha_{\text{em}}^{\hat{}}}{\sqrt{2} \hat{G}_f \hat{m}_Z^2}} \right]$$

$$\delta g_2 = -\frac{c_{\hat{\theta}}^2}{2(1 - 2s_{\hat{\theta}}^2)} \left(\sqrt{2} \Delta G_f + \frac{\Delta m_Z^2}{m_Z^2} + 2 \frac{s_{\hat{\theta}}^3}{c_{\hat{\theta}}} C_{HWB} \hat{v}^2 \right)$$

Input parameter schemes for the EW sector

$\{m_W, m_Z, G_f\}$ scheme

→ Mike's talk

$$\hat{m}_W = \frac{\bar{g}_2^2 \bar{v}^2}{2}$$

$$\hat{m}_Z^2 = \frac{(\bar{g}_1^2 + \bar{g}_2^2) \bar{v}^2}{2} + \Delta m_Z^2$$

$$\hat{G}_f = \frac{1}{\sqrt{2} \bar{v}^2} + \Delta G_f$$

$$\Delta m_Z^2 = m_Z^2 \frac{\hat{v}^2}{\Lambda^2} \left[\frac{C_{HD}}{2} + 2c_{\hat{\theta}} s_{\hat{\theta}} C_{HWB} \right]$$

$$\Delta G_f = \frac{\hat{v}^2}{\sqrt{2} \Lambda^2} \left[(C_{HI}^{(3)})_{11} + (C_{HI}^{(3)})_{22} - (C_{II})_{1221} \right]$$



$$\delta v = \frac{\Delta G_f}{G_f}$$

$$\delta g_1 = -\frac{1}{2} \left(\sqrt{2} \Delta G_f + \frac{1}{s_{\hat{\theta}}^2} \frac{\Delta m_Z^2}{m_Z^2} \right)$$

$$\delta g_2 = -\frac{1}{\sqrt{2}} \Delta G_f$$

$$s_{\hat{\theta}}^2 = 1 - \frac{\hat{m}_W^2}{\hat{m}_Z^2}$$

SMEFTsim – implementations

6 different implementations available

Brivio, Jiang, Trott 1709.06492

$$\textcircled{3} \text{ flavor structures } \left\{ \begin{array}{l} \text{general} \\ U(3)^5 \text{ symmetric} \\ \text{linear MFV} \end{array} \right. \times \textcircled{2} \text{ input schemes } \left\{ \begin{array}{l} \hat{\alpha}_{em}, \hat{m}_Z, \hat{G}_f \\ \hat{m}_W, \hat{m}_Z, \hat{G}_f \end{array} \right.$$

feynrules.irmp.ucl.ac.be/wiki/SMEFT

[viki: SMEFT](#)
Standard Model Effective Field Theory – The SMEFTsim package
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Pre-exported UFO files (include restriction cards)

	Set A		Set B	
	α scheme	m_W scheme	α scheme	m_W scheme
Flavor general SMEFT	SMEFTsim_A_general_alphaScheme_UFO.tar.gz	SMEFTsim_A_general_MwScheme_UFO.tar.gz	SMEFT_alpha_UFO.zip	SMEFT_mW_UFO.zip
MFV SMEFT	SMEFTsim_A_MFV_alphaScheme_UFO.tar.gz	SMEFTsim_A_MFV_MwScheme_UFO.tar.gz	SMEFT_alpha_MFV_UFO.zip	SMEFT_mW_MFV_UFO.zip
$U(3)^5$ SMEFT	SMEFTsim_A_U35_alphaScheme_UFO.tar.gz	SMEFTsim_A_U35_MwScheme_UFO.tar.gz	SMEFT_alpha_FLU_UFO.zip	SMEFT_mW_FLU_UFO.zip

- ▶ Flavor general

completely general flavor indices:

2499 C_i parameters including all complex phases

SMEFTsim - available flavor assumptions

- ▶ Flavor general
- ▶ $U(3)^5$ flavor symmetric

assume a **flavor symmetry**

$$U(3)^5 = U(3)_q \times U(3)_u \times U(3)_d \times U(3)_l \times U(3)_e$$

The Yukawas are the only **spurions** breaking the symmetry:

$$Y_u \mapsto U_u Y_u U_q^\dagger \quad Y_d \mapsto U_d Y_d U_q^\dagger \quad Y_l \mapsto U_e Y_l U_l^\dagger$$

- ▶ only 81 C_i parameters (incl. phases)

Examples:

$$\begin{aligned} Q_{Hu} &= (H^\dagger i \overleftrightarrow{D}_\mu H) (\bar{u}_r \gamma^\mu u_s) \delta_{rs} \\ Q_{eB} &= B_{\mu\nu} (\bar{l}_r H \sigma^{\mu\nu} e_s) (Y_l)_{rs} \\ Q_{ll} &= (\bar{l}_r \gamma^\mu l_s) (\bar{l}_m \gamma_\mu l_n) \delta_{rs} \delta_{mn} \text{ or } \delta_{rn} \delta_{ms} \rightarrow C_{ll}, C'_{ll} \end{aligned}$$

SMEFTsim - available flavor assumptions

- ▶ Flavor general
- ▶ $U(3)^5$ flavor symmetric
- ▶ Linear Minimal Flavor Violation

MFV: assume $U(3)^5$ symmetry + CKM only source of \mathcal{CP}

▶ $C_i \in \mathbb{R}$

129 C_i parameters

▶ CP odd bosonic operators are absent ($\propto J_{CP} \simeq 10^{-5}$)

▶ includes the first order in flavor violation expansion. E.g.:

$$\mathcal{Q}_{Hu} = (H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{u}_r \gamma^\mu u_s) \left[\mathbb{1} + (Y_u^\dagger Y_u) \right]_{rs}$$

$$\mathcal{Q}_{Hq}^{(1)} = (H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{q}_r \gamma^\mu q_s) \left[\mathbb{1} + (Y_u^\dagger Y_u) + (Y_d^\dagger Y_d) \right]_{rs}$$

$$\hookrightarrow \bar{u}_L \gamma^\mu \left[\mathbb{1} + Y_u^\dagger Y_u + V_{\text{CKM}} Y_d^\dagger Y_d V_{\text{CKM}}^\dagger \right] u_L$$

$$+ \bar{d}_L \gamma^\mu \left[\mathbb{1} + V_{\text{CKM}}^\dagger Y_u^\dagger Y_u V_{\text{CKM}} + Y_d^\dagger Y_d \right] d_L$$

SMEFTsim - further specifications

- ▶ **SM** Higgs couplings $HGG, H\gamma\gamma, HZ\gamma$ included as effective vertices
loop functions $I(m_t, m_W)$ hard coded in the couplings
interaction order SMHLOOP associated to these terms
- ▶ interaction order **NP** associated to SMEFT parameters
→ in MG5: impose only 1 op./diagram with $NP \leq 1$
→ generate pure interference / quadratic with $NP^2 = 1, 2$
- ▶ restriction cards: SMLimit, massless, CPconserving,
top physics flavor assumptions ($U(2)^5$, only for general UFO)
- ▶ SMEFTsim supports the **WCxf** exchange format
`wcxf2smeftsim` → `param_card.dat`
- ▶ Mathematica notebook for **analytic Feynman rules** also available!

Aebischer et al. 1712.05298
<https://wcxf.github.io>

↪ Jacky's talk

SMEFTsim validation

1. Internal validation: 2 independent versions (A, B)

$\sigma(\text{SM}+\text{int}+\text{quadratic})$ for $C_i = 1, \Lambda = 1 \text{ TeV}$

process	coefficient	general α	general Mw	U(3) ⁵ α	U(3) ⁵ Mw	MFV α	MFV Mw
e+ e- > w+ w-	SMLimit	2.6156 0.059793	2.6788 0.061373	2.6156 0.059793	2.6788 0.061373	2.6156 0.059793	2.6788 0.061373
e+ e- > w+ w- NP=1	Hl3	-	-	4.3384 0.10296	4.4249 0.094337	4.3384 0.10296	4.4249 0.094337
e+ e- > w+ w- NP=1	Hl311	4.6686 0.098776	4.7797 0.10282	-	-	-	-
e+ e- > w+ w- NP=1	W	4.9648 0.10804	5.06 0.11063	4.9648 0.10804	5.06 0.11063	4.9648 0.10804	5.06 0.11063
e+ e- > w+ w- NP=1	Wtil	4.9895 0.10855	5.0848 0.1111	4.9895 0.10855	5.0848 0.1111	-	-
e+ e- > z h	SMLimit	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124
e+ e- > z h NP=1	eW	-	-	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124
e+ e- > z h NP=1	eW11	1.9983 0.0050475	0.01302 0.000033124	-	-	-	-
e+ e- > z h NP=1	He	-	-	1.1756 0.0031	1.1838 0.0031194	1.1756 0.0031	1.1838 0.0031194
e+ e- > z h NP=1	He11	1.1756 0.0031	1.1838 0.0031194	-	-	-	-
e+ e- > z h NP=1	HWB	0.040274 0.00009404	0.036476 0.000084148	0.040274 0.00009404	0.036476 0.000084148	0.040274 0.00009404	0.036476 0.000084148
p p > d s-	SMLimit	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.
p p > d s- NP=1	Delta2qd1	-	-	-	-	690 240. 9319.7	690 240. 9319.7
p p > d s- NP=1	DeltadHq3	-	-	-	-	703 760. 9607.7	703 760. 9607.7
p p > d s- NP=1	DeltadW	-	-	-	-	690 240. 9319.7	690 240. 9319.7
p p > d s- NP=1	dW	-	-	690 240. 9319.7	690 240. 9319.7	-	-
p p > d s- NP=1	dW12	692 740. 9950.4	690 240. 9319.7	-	-	-	-
p p > d s- NP=1	Hq312	706 050. 9205.5	706 050. 9205.5	-	-	-	-

xsec [pb]
err

MG5 results with set A

SMEFTsim validation

1. Internal validation: 2 independent versions 3 flavor assum. \times 2 schemes

$\sigma(\text{SM}+\text{int}+\text{quadratic})$ for $C_i = 1, \Lambda = 1 \text{ TeV}$

process	coefficient	general α	general Mw	U(3) ^{^5} α	U(3) ^{^5} Mw	MFV α	MFV Mw
e+ e- \rightarrow w+ w-	SMLimit	2.6156 0.059793	2.6788 0.061373	2.6156 0.059793	2.6788 0.061373	2.6156 0.059793	2.6788 0.061373
e+ e- \rightarrow w+ w- NP=1	Hl3	-	-	4.3384 0.10296	4.4249 0.094337	4.3384 0.10296	4.4249 0.094337
e+ e- \rightarrow w+ w- NP=1	Hl311	4.6686 0.098776	4.7797 0.10282	-	-	-	-
e+ e- \rightarrow w+ w- NP=1	W	4.9648 0.10804	5.06 0.11063	4.9648 0.10804	5.06 0.11063	4.9648 0.10804	5.06 0.11063
e+ e- \rightarrow w+ w- NP=1	Wtil	4.9895 0.10855	5.0848 0.1111	4.9895 0.10855	5.0848 0.1111	-	-
e+ e- \rightarrow z h	SMLimit	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124
e+ e- \rightarrow z h NP=1	eW	-	-	0.013009 0.000032914	0.01302 0.000033124	0.013009 0.000032914	0.01302 0.000033124
e+ e- \rightarrow z h NP=1	eW11	1.9983 0.0050475	0.01302 0.000033124	-	-	-	-
e+ e- \rightarrow z h NP=1	He	-	-	1.1756 0.0031	1.1838 0.0031194	1.1756 0.0031	1.1838 0.0031194
e+ e- \rightarrow z h NP=1	He11	1.1756 0.0031	1.1838 0.0031194	-	-	-	-
e+ e- \rightarrow z h NP=1	HWB	0.040274 0.00009404	0.036476 0.000084148	0.040274 0.00009404	0.036476 0.000084148	0.040274 0.00009404	0.036476 0.000084148
p p \rightarrow d s-	SMLimit	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.	688 390. 11 858.
p p \rightarrow d s- NP=1	Delta2qd1	-	-	-	-	690 240. 9319.7	690 240. 9319.7
p p \rightarrow d s- NP=1	DeltadHq3	-	-	-	-	703 760. 9607.7	703 760. 9607.7
p p \rightarrow d s- NP=1	DeltadW	-	-	-	-	690 240. 9319.7	690 240. 9319.7
p p \rightarrow d s- NP=1	dW	-	-	690 240. 9319.7	690 240. 9319.7	-	-
p p \rightarrow d s- NP=1	W12	692 740. 9950.4	690 240. 9319.7	-	-	-	-
p p \rightarrow d s- NP=1	W12	706 050. 9205.5	706 050. 9205.5	-	-	-	-

5–10 coeff. \times
 \sim 20 processes

xsec [pb]
err

MG5 results with set A

SMEFTsim validation

1. Internal validation: 2 independent versions (A, B)

2. Validation against dim6top

feynrules.irmp.ucl.ac.be/wiki/dim6top – G. Durieux, C. Zhang

Top WG note: Aguilar-Saavedra et al. 1802.07237

$\sigma(\text{int.})/\sigma(\text{SM})$ for C_i at 1 TeV [per mille]

SM	$pp \rightarrow t\bar{t}$	$pp \rightarrow t\bar{t}b\bar{b}$	$pp \rightarrow t\bar{t}\tau\bar{\tau}$	$pp \rightarrow t\bar{t}e^+e^-$	$pp \rightarrow t\bar{t}\mu^+\mu^-$	$pp \rightarrow t\bar{t}\gamma$	$pp \rightarrow t\bar{t}h$	$pp \rightarrow t\bar{t}$	$pp \rightarrow t e^+ e^-$	$pp \rightarrow t\mu^+\mu^-$	$pp \rightarrow t\gamma\gamma$	$pp \rightarrow t\gamma h$
c_{Q^2}	-0.25	-1.9	-1×10^2	-1×10^2	-0.87	-0.87	-0.71	55 pb	2.5 pb	0.0054 pb	0.39 pb	0.016 pb
c_{Q^3}	-0.16	-3.2	-34	-34	-0.91	-0.91	-0.27					
c_{Q^4}	-0.15	-5.6	1×10^2	1×10^2	-0.76	-0.76	-0.55					
c_{Q^5}	-0.053	-1.8	-41	-41	-0.18	-0.18	-0.15					
c_{Q^6}	-0.0095	0.72	-0.052	-0.052	-0.015	-0.015	-0.026					
c_{Q^7}	0.14	3.9	0.12	0.12	0.35	0.35	0.56					
$c_{\text{t}1}$			-1.9×10^2	-1.9×10^2								
$c_{\text{t}2}$			-0.059	-0.059	-0.02	-0.02	-0.039					
$c_{\text{t}3}$			0.11	0.11	0.26	0.26	0.56					
$c_{\text{t}4}$												
$c_{\text{t}5}$												
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$c_{\text{Q}^1}^1 \equiv 2C_{qq}^{1(3333)} - \frac{2}{3}C_{qq}^3(3333)$	$c_{\text{Q}^2}^1 \equiv 8C_{qq}^3(3333)$
$c_{\text{Q}^1}^1 \equiv C_{qu}^{1(3333)}$	$c_{\text{Q}^2}^8 \equiv C_{qu}^{8(3333)}$
$c_{\text{Q}^3,1} \equiv C_{qq}^3(i\bar{i}33) + \frac{1}{6}(C_{qq}^{1(i\bar{3}3i)} - C_{qq}^3(i\bar{3}3i))$	$c_{\text{Q}^3,8} \equiv C_{qq}^1(i\bar{3}3i) - C_{qq}^3(i\bar{3}3i)$
$c_{\text{Q}^4,1,1} \equiv C_{qq}^1(i\bar{i}33) + \frac{1}{6}C_{qq}^1(i\bar{3}3i) + \frac{1}{2}C_{qq}^3(i\bar{3}3i)$	$c_{\text{Q}^4,1,8} \equiv C_{qq}^1(i\bar{3}3i) + 3C_{qq}^3(i\bar{3}3i)$
$c_{\text{t}^1}^1 \equiv \text{Re}\{C_{uH}^{(33)}\}$	$c_{\text{H}^1} \equiv C_{Hq}^{1(33)} - C_{Hq}^{3(33)}$
$c_{\text{H}^3}^3 \equiv C_{Hq}^{3(33)}$	$c_{\text{H}^1}^3 \equiv C_{Hu}^{(33)}$

$c_{\text{t}13}$			
$c_{\text{t}18}$			
$c_{\text{t}11}$	-0.0023	-1.5	-0.39
$c_{\text{t}6}$		-3.6	-0.036
$c_{\text{t}6}$		-6.7	0.064

12 top processes

~ 50 coefficients

SMEFTsim validation

1. Internal validation: 2 independent versions (A, B)

2. Validation against dim6top

feynrules.irmp.ucl.ac.be/wiki/dim6top – G.Durieux, C.Zhang

Top WG note: Aguilar-Saavedra et al. 1802.07237

3. Validation against VBFNLO

Arnold et al. 0811.4559,1107.4038, Baglio et al 1404.3940

VBSCan Thessaloniki Workshop summary. To appear.

VBFNLO has hard coded matrix elements for selected EW processes
uses HISZ basis → could validate $O_{WWW} = \varepsilon_{ijk} W_\nu^{i\mu} W_\rho^{j\nu} W_\mu^{k\rho}$

checked: $pp \rightarrow e^+ \nu_e \mu^+ \mu^-$ and $pp \rightarrow e^+ \nu_e \mu^+ \nu_\mu jj$

LO, compared $\sigma_{SM} +$ distributions



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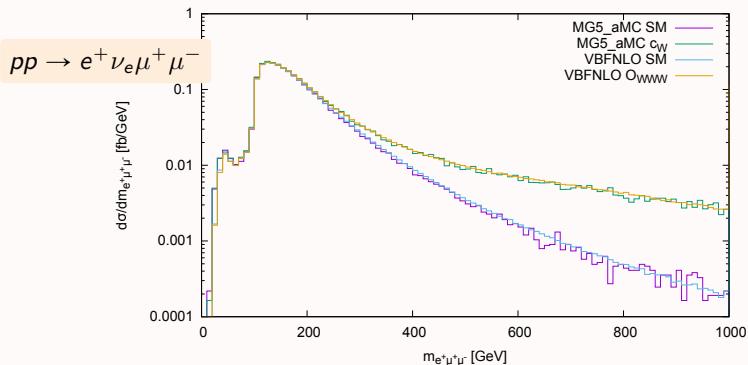
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using dedicated MadGraph5 plugin

SMEFT MC validation group,
CERN-LPCC-XXXX

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SMEFT MC validation group,
CERN-LPCC-XXXX

5. Validation against analytic expressions

Brivio, Trott SMEFT review 1706.08945

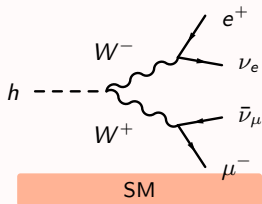
Brivio, Corbett, Trott, to appear.

Brivio, Hays, Trott, Žemaitytė, in preparation.

$z > e^+ e^-$	$z > u u^{\sim}$
$w^+ > l^+ \nu_l$	$w^+ > u q d q^{\sim}$
$h > a a$	$h > z a$
$h > b b$	$h > t a^+ t a^-$
$h > e^+ e^- \mu^+ \mu^- / a$	$h > e^+ \nu_e \mu^- \nu_\mu$
$p p > z h / a$	$g g > h$
$p p > w^+ h$	$p p > w^- h$
...	

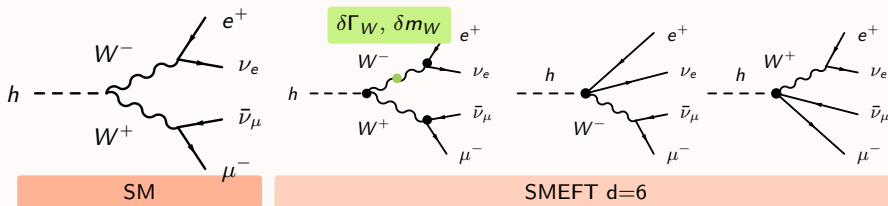
SMEFTsim – practical use

Example: SMEFT corrections to $\text{Br}(h \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu)$



SMEFTsim – practical use

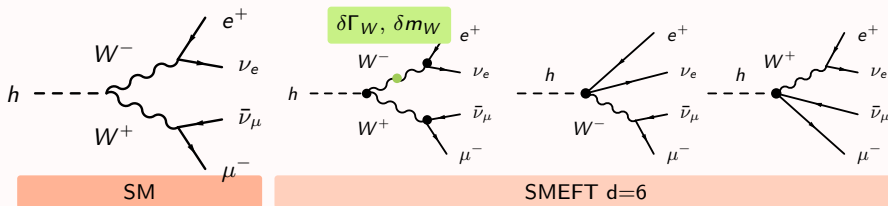
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- ▶ only 1 operator insertion / diagram. All corrections linearized.
- ▶ pick m_W as input parameter $\rightarrow \delta m_W = 0$

SMEFTsim – practical use

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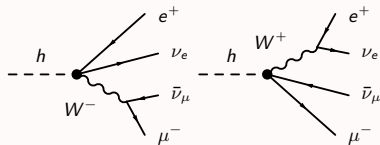
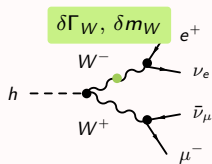
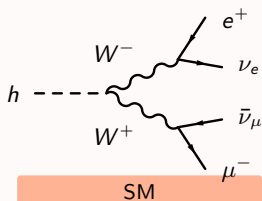


- ▶ only 1 operator insertion / diagram. All corrections linearized.
- ▶ pick m_W as input parameter $\rightarrow \delta m_W = 0$

$$\text{Br}(h \rightarrow 2\ell 2\nu) = \text{Br}(h \rightarrow 2\ell 2\nu)_{SM} \left[1 + \frac{\delta\Gamma_{h \rightarrow 2\ell 2\nu}}{\Gamma_{h \rightarrow 2\ell 2\nu, SM}} - \frac{\delta\Gamma_H}{\Gamma_{H, SM}} \right]$$

SMEFTsim – practical use

Example: SMEFT corrections to $\text{Br}(h \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu)$



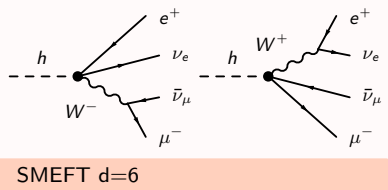
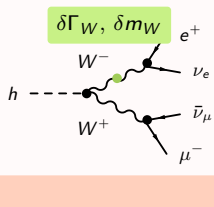
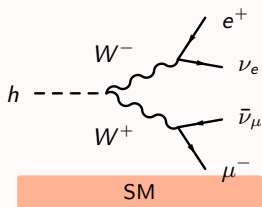
SMEFT d=6

most accurate
SM prediction

$$\text{Br}(h \rightarrow 2\ell 2\nu) = \text{Br}(h \rightarrow 2\ell 2\nu)_{SM} \left[1 + \frac{\delta\Gamma_{h \rightarrow 2\ell 2\nu}}{\Gamma_{h \rightarrow 2\ell 2\nu, SM}} - \frac{\delta\Gamma_H}{\Gamma_{H, SM}} \right]$$

SMEFTsim – practical use

Example: SMEFT corrections to $\text{Br}(h \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu)$

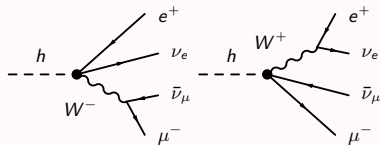
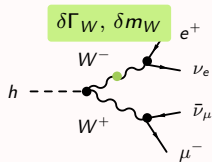
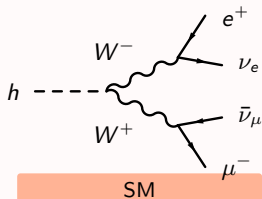


most accurate
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SMEFTsim – practical use

Example: SMEFT corrections to $\text{Br}(h \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu)$



most accurate
SM prediction

estimate with
MG5 + SMEFTsim
or analytically

$$\text{Br}(h \rightarrow 2\ell 2\nu) = \text{Br}(h \rightarrow 2\ell 2\nu)_{SM} \left[1 + \frac{\delta\Gamma_{h \rightarrow 2\ell 2\nu}}{\Gamma_{h \rightarrow 2\ell 2\nu, SM}} - \frac{\delta\Gamma_H}{\Gamma_{H, SM}} \right]$$

estimating $\delta\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e}/\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e,SM}$

1.

```
import model SMEFTsim_A_U35_MwScheme_UFO-massless
```

estimating $\delta\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e}/\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e,SM}$

1. `import model SMEFTsim_A_U35_MwScheme_UFO-massless`

2. `generate h > e+ ve mu- vm~ NP<=1 (NP^2==1)`

NP<=1 fixes max 1 op. insertion / diagram

with NP^2==1: interference only

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3. in the `param_card.dat`: – set EFT coefficients and Λ
– fix W width to SM value

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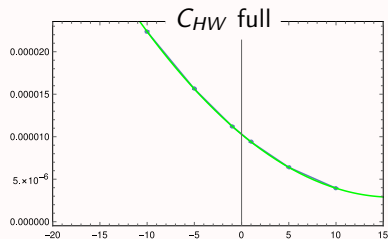
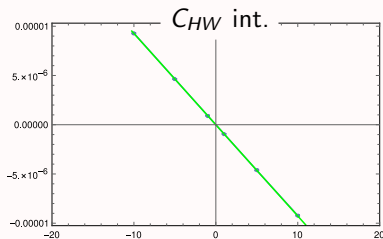
with NP^2==1: interference only

3. in the `param_card.dat`: – set EFT coefficients and Λ
– fix W width to SM value

4. `launch`

estimating $\delta\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e}/\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e,SM}$

- ▶ estimate full $\Gamma(h \rightarrow W^+ \mu^- \bar{\nu}_\mu)$ in SM limit
- ▶ estimate pure interference contribution with one C_i turned on ($\times 5$ values)
→ linear interpolation $x_i + y_i C_i$ → extract y_i
- ▶ estimate full $\Gamma(h \rightarrow W^+ \mu^- \bar{\nu}_\mu)$ with one C_i turned on ($\times 5$ values)
→ quadratic interpolation $x_i + y_i C_i + z_i C_i^2$ → extract y_i



estimating $\delta\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e}/\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e,SM}$

normalization:

$$\bar{C}_i = C_i \left(\frac{v^2}{\Lambda^2} \right)$$

	theory	MG interf	MG full xs
CHW	-1.48743	-1.48844	-1.48002
CHbox	2.	1.99786	2.00819
CHD	-0.5	-0.499802	-0.495254
CHL3	-3.76422	-3.77082	-3.76292
CLL1	3.	2.99626	2.99819

$y_i/\Gamma_{h\rightarrow e^+\nu_e\mu^-\bar{\nu}_\mu,SM}$
from pure interference

$y_i/\Gamma_{h\rightarrow e^+\nu_e\mu^-\bar{\nu}_\mu,SM}$
from linearized
full width

$\delta\Gamma_W$ omitted here

SMEFTsim – practical use

estimating $\delta\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e}/\Gamma_{h\rightarrow e^+\mu^-\bar{\nu}_\mu\nu_e,SM}$

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two SMEFTsim columns
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SMEFTsim – practical use

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validated with theory



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analytic calculation!

Brivio, Corbett, Trott to appear

$\delta\Gamma_W$ omitted here

The Higgs width in the SMEFT - analytically

Analytic calculation of the inclusive Γ_H on the way:

Brivio, Corbett, Trott, to appear

- ▶ LO in the EFT: up to Λ^{-2} .
- ▶ **tree level.**
SM couplings $H\gamma\gamma$, $HZ\gamma$, Hgg included for $H \rightarrow f\bar{f}\gamma / \gamma\gamma / gg$.
- ▶ Warsaw basis with **$U(3)^5$ flavor symmetry**
- ▶ EW input scheme: $\{m_Z, m_W, G_F\}$
- ▶ full calculation for $h \rightarrow 4f$: narrow width approximation for W, Z avoided

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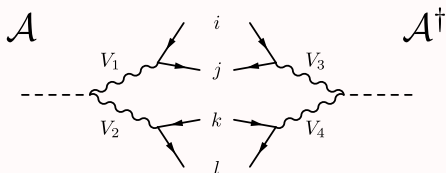
Why analytic?

- ▶ allows to separate contributions
- ▶ easier to linearize in $\delta\Gamma_V, \delta m_V$
- ▶ more stable for the massless fermions case with γ diagrams
- ▶ calculation can be **automated** once and for all
→ much faster than running MC every time

wait for the
next **tool!**

H \rightarrow 4f - analytic calculation

automated with general decomposition:



$$\mathcal{A}\mathcal{A}^\dagger \sim g_{HV_1V_2} g_{HV_3V_4} \sum_n \mathcal{T}^{(n)}$$

$$\mathcal{T}^{(n)} = \mathcal{K}^{(n)} \left(g_{L,R}^{ij,V_1}, g_{L,R}^{ij,V_3}, g_{L,R}^{kl,V_2}, g_{L,R}^{kl,V_4} \right) \mathcal{F}_{V_1V_2V_3V_4}^{(n)}(p_a, m_a), \quad a = \{i, j, k, l\}$$

► \mathcal{F} computed for every $\{V\}$ set.

numerical integration of phase space: **Vegas** in Mathematica.

cross-check: 2 independent parameterizations of phase space, RAMBO.

agreement w. SMEFTsim to **better than 1%** in all channels



H \rightarrow 4f - results

Example: $H \rightarrow e^+ e^- \mu^+ \mu^-$ $m_i, m_j, m_k, m_l = 0$

$$\frac{\delta\Gamma(H \rightarrow e^+ e^- \mu^+ \mu^-)}{\Gamma_{\text{SM}}(H \rightarrow e^+ e^- \mu^+ \mu^-)} = \sum_i a_i \bar{C}_i$$

	\bar{C}_{HW}	\bar{C}_{HB}	\bar{C}_{HWB}	$\bar{C}_{H\Box}$	\bar{C}_{HD}	$\bar{C}_{Hl}^{(1)}$	$\bar{C}_{Hl}^{(3)}$	\bar{C}_{He}	$\bar{C}_{Hq}^{(1)}$	$\bar{C}_{Hq}^{(3)}$	\bar{C}_{Hu}	\bar{C}_{Hd}	\bar{C}'_{ll}
Z	-0.78	-0.22	0.30	2	0.17	4.38	-1.62	-3.52					3.
A	1.04	-1.08	-0.68										
E						-2.23	-2.23	1.80					
G			-0.38		0.06	0.15	1.14	0.15	-0.39	-1.34	-0.20	0.15	-0.83
tot	0.26	-1.30	-0.76	2.	0.23	2.30	-2.71	-1.58	-0.39	-1.34	-0.20	0.15	2.17

Z	corrections to SM diagram
A	γ diagrams
E	contact diagrams ($HZee$)
G	$\delta\Gamma_Z^{\text{tot}}/\Gamma_{Z,SM}$ on + off-shell Z

H \rightarrow 4f - results

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	\bar{C}_{HW}	\bar{C}_{HB}	\bar{C}_{HWB}	$\bar{C}_{H\Box}$	\bar{C}_{HD}	$\bar{C}_{HI}^{(1)}$	$\bar{C}_{HI}^{(3)}$	\bar{C}_{He}	$\bar{C}_{Hq}^{(1)}$	$\bar{C}_{Hq}^{(3)}$	\bar{C}_{Hu}	\bar{C}_{Hd}	\bar{C}'_{ll}
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Z	corrections to SM diagram
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Impact of photon diagrams

☞ main contribution missed in the narrow width approx.

turns out to be a $\mathcal{O}(1 - 250)\%$ effect!

	with γ			without γ		
	\bar{C}_{HW}	\bar{C}_{HB}	\bar{C}_{HWB}	\bar{C}_{HW}	\bar{C}_{HB}	\bar{C}_{HWB}
$h \rightarrow e^+ e^- \mu^+ \mu^-$	0.26	-1.30	-0.38	-0.77	-0.22	0.30
$h \rightarrow \bar{u} u \bar{c} c$	1.45	-2.63	-0.29	-0.77	-0.22	1.33
$h \rightarrow e^+ e^- \bar{d} d$	0.50	-1.55	-0.37	-0.77	-0.22	0.47
$h \rightarrow e^+ e^- e^+ e^-$	0.02	-2.28	0.27	-0.76	-0.21	0.44
$h \rightarrow \bar{u} u \bar{u} u$	1.39	-2.72	-0.14	-0.76	-0.21	1.19
$h \rightarrow e^+ e^- \bar{\nu}_e \nu_e$	-1.49	0.01	-0.06	-1.48	-0.007	-0.07

The total Higgs width in the SMEFT

putting together all the main contributions* we obtain

$$\Gamma_H^{\text{tot}} = \Gamma_{H,SM}^{\text{tot}} \left[1 + \frac{\delta\Gamma_H^{\text{tot}}}{\Gamma_{H,SM}^{\text{tot}}} \right]$$

$$\Gamma_{H,SM}^{\text{tot}} = 4.100 \text{ MeV}$$

$$\begin{aligned} \frac{\delta\Gamma_H^{\text{tot}}}{\Gamma_{H,SM}^{\text{tot}}} = & -1.50 C_{HB} - 1.21 C_{HW} + 1.21 C_{HWB} + 50.6 C_{HG} \\ & + 1.83 C_{H\Box} - 0.43 C_{HD} + 1.17 C'_{II} \\ & - 0.06 |C_{uH}| - 1.16 |C_{dH}| - 0.13 |C_{eH}| \\ & + 0.002 C_{Hq}^{(1)} + 0.06 C_{Hq}^{(3)} + 0.001 C_{Hu} - 0.0007 C_{Hd} \\ & - 0.0009 C_{Hl}^{(1)} - 2.32 C_{Hl}^{(3)} - 0.0006 C_{He} \end{aligned}$$

* $gg + \gamma\gamma + \bar{b}b + \bar{c}c + \tau^+\tau^- + 4f + \bar{f}f\gamma$

PRELIMINARY

Main direction of improvement: optimize for signal generation for LHC

- ▶ **new flavor scheme** $U(2)^5$ to match with top physics
- ▶ include vertices with up to 6 legs
- ▶ **interaction orders** for individual operators
- ▶ improve treatment of **propagator corrections**
- ▶ more user friendly: public **FAQ** / **manual**
- ▶ open to suggestions!

Backup slides

X^3		φ^6 and $\varphi^4 D^2$		$\psi^2 \varphi^3$	
Q_G	$f^{ABC} G_{\mu}^{A\nu} G_{\nu}^{B\rho} G_{\rho}^{C\mu}$	Q_{φ}	$(\varphi^{\dagger}\varphi)^3$	$Q_{e\varphi}$	$(\varphi^{\dagger}\varphi)(\bar{l}_p e_r \varphi)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_{\mu}^{A\nu} G_{\nu}^{B\rho} G_{\rho}^{C\mu}$	$Q_{\varphi\Box}$	$(\varphi^{\dagger}\varphi)\Box(\varphi^{\dagger}\varphi)$	$Q_{u\varphi}$	$(\varphi^{\dagger}\varphi)(\bar{q}_p u_r \tilde{\varphi})$
Q_W	$\varepsilon^{IJK} W_{\mu}^{I\nu} W_{\nu}^{J\rho} W_{\rho}^{K\mu}$	$Q_{\varphi D}$	$(\varphi^{\dagger} D^{\mu}\varphi)^{\star} (\varphi^{\dagger} D_{\mu}\varphi)$	$Q_{d\varphi}$	$(\varphi^{\dagger}\varphi)(\bar{q}_p d_r \varphi)$
$Q_{\tilde{W}}$	$\varepsilon^{IJK} \tilde{W}_{\mu}^{I\nu} W_{\nu}^{J\rho} W_{\rho}^{K\mu}$				
$X^2 \varphi^2$		$\psi^2 X \varphi$		$\psi^2 \varphi^2 D$	
$Q_{\varphi G}$	$\varphi^{\dagger}\varphi G_{\mu\nu}^A G^{A\mu\nu}$	Q_{eW}	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi l}^{(1)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi) (\bar{l}_p \gamma^{\mu} l_r)$
$Q_{\varphi \tilde{G}}$	$\varphi^{\dagger}\varphi \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$	Q_{eB}	$(\bar{l}_p \sigma^{\mu\nu} e_r) \varphi B_{\mu\nu}$	$Q_{\varphi l}^{(3)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu}^I \varphi) (\bar{l}_p \tau^I \gamma^{\mu} l_r)$
$Q_{\varphi W}$	$\varphi^{\dagger}\varphi W_{\mu\nu}^I W^{I\mu\nu}$	Q_{uG}	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{\varphi} G_{\mu\nu}^A$	$Q_{\varphi e}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi) (\bar{e}_p \gamma^{\mu} e_r)$
$Q_{\varphi \tilde{W}}$	$\varphi^{\dagger}\varphi \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$	Q_{uW}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{\varphi} W_{\mu\nu}^I$	$Q_{\varphi q}^{(1)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi) (\bar{q}_p \gamma^{\mu} q_r)$
$Q_{\varphi B}$	$\varphi^{\dagger}\varphi B_{\mu\nu} B^{\mu\nu}$	Q_{uB}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{\varphi} B_{\mu\nu}$	$Q_{\varphi q}^{(3)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu}^I \varphi) (\bar{q}_p \tau^I \gamma^{\mu} q_r)$
$Q_{\varphi \tilde{B}}$	$\varphi^{\dagger}\varphi \tilde{B}_{\mu\nu} B^{\mu\nu}$	Q_{dG}	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) \varphi G_{\mu\nu}^A$	$Q_{\varphi u}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi) (\bar{u}_p \gamma^{\mu} u_r)$
$Q_{\varphi WB}$	$\varphi^{\dagger} \tau^I \varphi W_{\mu\nu}^I B^{\mu\nu}$	Q_{dW}	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi d}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi) (\bar{d}_p \gamma^{\mu} d_r)$
$Q_{\varphi \tilde{W}B}$	$\varphi^{\dagger} \tau^I \varphi \tilde{W}_{\mu\nu}^I B^{\mu\nu}$	Q_{dB}	$(\bar{q}_p \sigma^{\mu\nu} d_r) \varphi B_{\mu\nu}$	$Q_{\varphi ud}$	$i(\tilde{\varphi}^{\dagger} D_{\mu} \varphi) (\bar{u}_p \gamma^{\mu} d_r)$

$(\bar{L}L)(\bar{L}L)$		$(\bar{R}R)(\bar{R}R)$		$(\bar{L}L)(\bar{R}R)$	
Q_{ll}	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	Q_{ee}	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	Q_{le}	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{uu}	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{lu}	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{dd}	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	Q_{ld}	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{eu}	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{qe}	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{ed}	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$
				$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$
$(\bar{L}R)(\bar{R}L)$ and $(\bar{L}R)(\bar{L}R)$		B -violating			
Q_{ledq}	$(\bar{l}_p^j e_r)(\bar{d}_s^j q_t^j)$	Q_{duq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(d_p^\alpha)^T C u_r^\beta] [(q_r^j)^T C l_t^k]$		
$Q_{quqd}^{(1)}$	$(\bar{q}_p^j u_r) \varepsilon_{jk} (\bar{q}_s^k d_t)$	Q_{qqq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(u_s^\gamma)^T C e_t]$		
$Q_{quqd}^{(8)}$	$(\bar{q}_p^j T^A u_r) \varepsilon_{jk} (\bar{q}_s^k T^A d_t)$	Q_{qqq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} \varepsilon_{mnn} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(q_s^m)^T C l_t^n]$		
$Q_{lequ}^{(1)}$	$(\bar{l}_p^j e_r) \varepsilon_{jk} (\bar{q}_s^k u_t)$	Q_{duu}	$\varepsilon^{\alpha\beta\gamma} [(d_p^\alpha)^T C u_r^\beta] [(u_s^\gamma)^T C e_t]$		
$Q_{lequ}^{(3)}$	$(\bar{l}_p^j \sigma_{\mu\nu} e_r) \varepsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$				

Numerical inputs chosen

Input parameters	Value	Ref.
$\hat{\alpha}_{ew}(m_Z)$		1/127.950 PDG 2016, 1203.5425
\hat{m}_W	GeV	80.365 ± 0.016 TeVatron: 1307.7627
\hat{m}_Z	GeV	91.1876 ± 0.0021 PDG 2016, hep-ex/0509008,1203.5425
\hat{G}_F	GeV^{-2}	$1.1663787(6) \times 10^{-5}$ PDG 2016, 1203.5425
\hat{m}_h	GeV	$125.09 \pm 0.21 \pm 0.11$ 1503.07589
$\hat{\alpha}_s(m_Z)$	GeV	0.1185 ± 0.0011 PDG 2016
\hat{m}_e	GeV	$0.5109989461(31) \times 10^{-3}$ PDG 2016
\hat{m}_μ	GeV	$105.6583745(24) \times 10^{-3}$ PDG 2016
\hat{m}_τ	GeV	1.77686 ± 0.00012 PDG 2016
\hat{m}_u	GeV	$2.2^{+0.6}_{-0.4} \times 10^{-3}$ PDG 2016
\hat{m}_c	GeV	1.28 ± 0.03 PDG 2016
\hat{m}_t	GeV	$173.21 \pm 0.51 \pm 0.71$ PDG 2016
\hat{m}_d	GeV	$4.7^{+0.5}_{-0.4} \times 10^{-3}$ PDG 2016
\hat{m}_s	GeV	$0.096^{+0.008}_{-0.004}$ PDG 2016
\hat{m}_b	GeV	$4.18^{+0.04}_{-0.03}$ PDG 2016
CKM: λ		0.22506 PDG 2016
A		0.811 PDG 2016
ρ		0.124 PDG 2016
η		0.356 PDG 2016

Gauge bosons

$$\begin{aligned}\mathcal{L}_{\text{SMEFT}} \supset & -\frac{1}{4}B_{\mu\nu}B^{\mu\nu} - \frac{1}{4}W_{\mu\nu}^I W^{I\mu\nu} - \frac{1}{4}G_{\mu\nu}^a G^{a\mu\nu} + \\ & + C_{HB}(H^\dagger H)B_{\mu\nu}B^{\mu\nu} + C_{HW}(H^\dagger H)W_{\mu\nu}^I W^{I\mu\nu} + C_{HWB}(H^\dagger \sigma^I H)W_{\mu\nu}^I B^{\mu\nu} \\ & + C_{HG}(H^\dagger H)G_{\mu\nu}^a G^{a\mu\nu}\end{aligned}$$

to have **canonically normalized kinetic terms** we need to

1. redefine fields and couplings keeping (gV_μ) unchanged:

$$\begin{aligned}B_\mu &\rightarrow B_\mu(1 + C_{HB}v^2) & g_1 &\rightarrow g_1(1 - C_{HB}v^2) \\ \mathcal{W}_\mu^I &\rightarrow W_\mu^I(1 + C_{HW}v^2) & g_2 &\rightarrow g_2(1 - C_{HW}v^2) \\ G_\mu^a &\rightarrow G_\mu^a(1 + C_{HG}v^2) & g_s &\rightarrow g_s(1 - C_{HG}v^2)\end{aligned}$$

2. correct the rotation to mass eigenstates:

$$\begin{pmatrix} \mathcal{W}_\mu^3 \\ B_\mu \end{pmatrix} = \begin{pmatrix} 1 & -v^2 C_{HWB}/2 \\ -v^2 C_{HWB}/2 & 1 \end{pmatrix} \begin{pmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{pmatrix} \begin{pmatrix} Z_\mu \\ A_\mu \end{pmatrix}$$

(equivalent to a shift of the Weinberg angle)

Grinstein, Wise Phys. Lett. B265(1991)326
Alonso, Jenkins, Manohar, Trott 1312.2014

Higgs

$$\mathcal{L}_{\text{SMEFT}} \supset \frac{1}{2} D_\mu H^\dagger D^\mu H + C_{H\Box} (H^\dagger H) (\Box H) + C_{HD} (H^\dagger D_\mu H)^* (\Box H)$$

to have a canonically normalized kinetic term, in unitary gauge, we need to replace

$$h \rightarrow h \left(1 + v^2 C_{H\Box} - \frac{v^2}{4} C_{HD} \right)$$

Grinstein, Wise Phys. Lett. B265(1991)326
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