Detector Physics at Hadron Colliders (Part II)

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- Introduction to tracking detectors
- Gaseous tracking detectors
- Semiconductor tracking detectors

With material from:

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HASCO Summer School, Göttingen, 21-26 July 2019



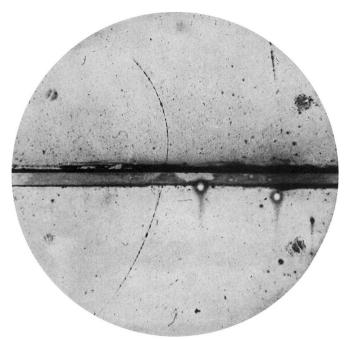




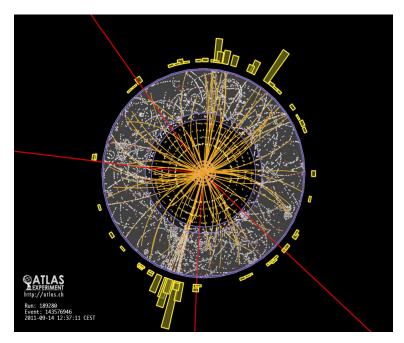


Tracking Detectors

- Tracking: reconstruction of trajectory (or track) of electrically charged particles in a detector (tracker), from patterns of measured hits
 - Important for: measurement of particle properties (momentum & charge with B field), heavy flavor identification (via identification of primary and secondary vertices) and aid in jet reconstruction (track separation inside jets). [also: dE/dX in low momentum tracks]



Cloud chamber (positron discovery 1932)

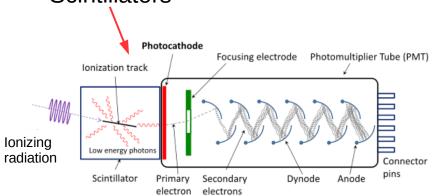


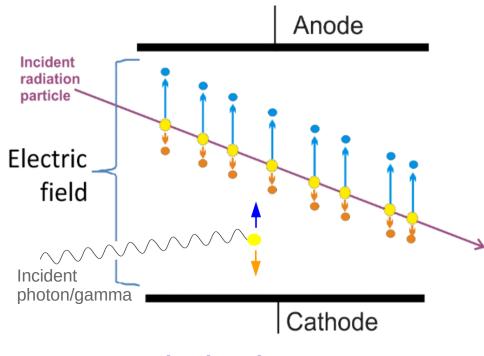
ATLAS 4 muon event (Run 1 - 2011)

Tracking Detectors

Two basic detector types:

- Gaseous (liquid) detectors
 - Ionization, proportional or Geiger mode operation
- Solid-state detector
 - Semiconductor-based
 - Scintillators





Ionization detectors

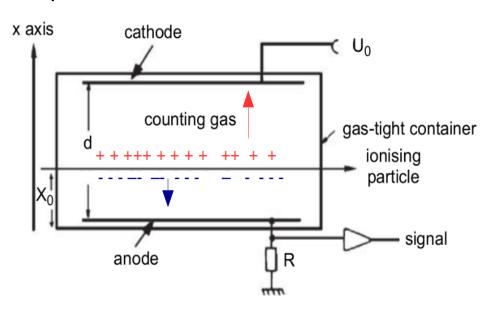
Ideal detector:

- High/good: efficiency and position resolution
- Low: fake rate, material budget, operational requirements and cost



Gaseous Detectors

"Simplest" detector:



Ionization counter

 Measures the amount of (primary) ionization produced by charged particle

Collected charge:

- Parallel plate capacitor: $Q = N e \rightarrow V = N e / C$ (C: capacitance of detector)
- Typical signal (for a ~few cm size detector)
 - 5 MeV α -particle in Ar (e-ion energy W=26 eV) with C = 10 pF \rightarrow V=3 mV
 - But: MIP in 4cm or Ar \rightarrow V=7 μ V (too small! \rightarrow will need to address this)

Signal formation:

How does the signal look like?

Shockley-Ramo theorem

- Given n electrodes in the detector, one wants to know the current i_k (k = 1, 2, ..., n) injected in one of these electrodes by the motion of a charge q somewhere between the electrodes
- The theorem says that current injected in this electrode is i_{1}

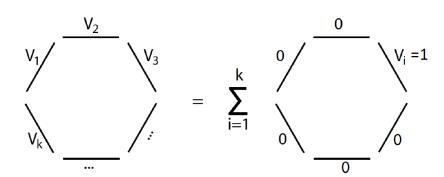
$$i_k = \frac{dQ_k}{dt} = q\vec{u_q}\vec{E_k}$$

- Where Q_k is the induced charge on the electrode k, u_q is the velocity of the charge q and E_k is the electric field at the point occupied by charge q when the electrode k is at 1 V potential and all other electrodes are set at zero potential (weighting field)
- Parallel plate capacitor:

$$\vec{E} = -\frac{V_0}{d}\vec{e}_x$$
 , $C = \frac{\epsilon\epsilon_0 A}{d}$

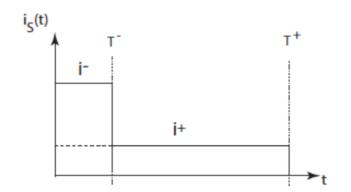
 $E_k = 1/d$, and for low E fields: $V = \mu E$

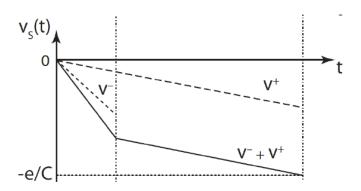
- mobility μ
- constant E field, ~constant drift velocity
- at high E filed, v saturates v=constant HASCO – July 2019



- Using Shockley-Ramo for parallel plate capacitor (with ${\it E_a}$ weighting field and u charge velocities)
- $i_{-} = -e\vec{u}_{-}\vec{E}_{a} = e\frac{u_{-}}{d}$ $i_{+} = e\vec{u}_{+}\vec{E}_{a} = e\frac{u_{+}}{d}$

 Electron drift velocity >> ion drift velocity (different mobilities)

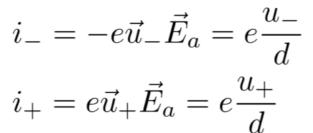


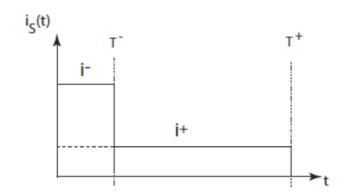


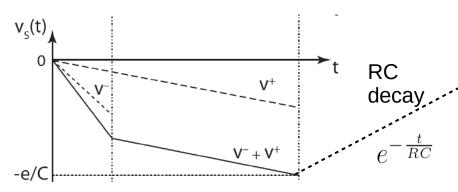
$$Q^{tot} = Q^- + Q^+ = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} u_- \left(\frac{d - x_0}{u_-} \right) - \frac{-Ne}{d} u_+ \left(\frac{x_0}{u_+} \right) = -Ne$$

As expected, Q=Ne (note that both electrons and ions contribute to signal)

- Using Shockley-Ramo for parallel plate capacitor (with $\boldsymbol{E_a}$ weighting field and \boldsymbol{u} charge velocities)
- Electron drift velocity >> ion drift velocity







$$Q^{tot} = Q^- + Q^+ = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_+ \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^+} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_0^{T^-} u_- \, dt + \int_0^{T^-} u_- \, dt \right) = -\frac{-Ne}{d} \left(\int_$$

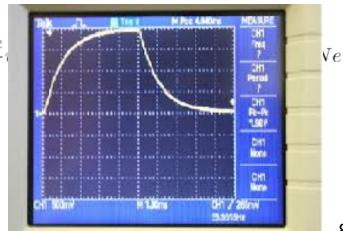
Typical:

E = 500V/cm

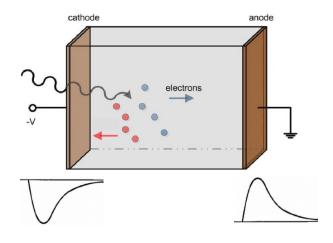
 $u_1 = 5 \text{ cm/}\mu\text{s}, u_2 = 5 \text{ cm/}m\text{s}, d\sim 10 \text{cm}$

 $T^-= 2 \mu s$, while $T^+= 2 m s$

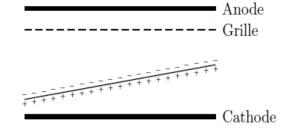
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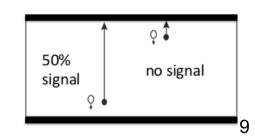
- Movement of both electron and ion charge create signals on both electrodes
- On each electrode a total charge of Q=Ne is induced



- If the produced charges have very different mobilities then part of the signal is lost (or comes too late) and the signal becomes dependent on where the charge was deposited!
- In gases, ion mobility << electron mobility => one solution would be to add a grid to define a new charge collection region (Fricsh grid)

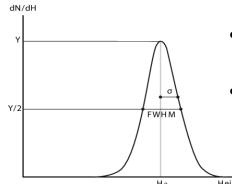


Another example is CdTe (high Z material for X-ray detectors)



Energy Resolution (Fano Factor)

- The production of pairs of charge carriers for a given energy loss is a statistical process. If, on average, N charge-carrier pairs are produced one would expect this number to fluctuate according to Poisson √N
- The fluctuation around the average value is smaller by a factor F depending on the material, since for a given energy deposit, the number of produced charge carriers is limited by energy conservation
- Fano factor: F = (observed variance in N)/(Poisson predicted variance) < 1
 - Material specific (Ar ~ 0.17, Xe ~ 0.17; Si ~ 0.12, Ge ~ 0.13)



- Limiting resolution: (FWHM)/H₀ (FWHM = 2 $\sqrt{(2 \ln(2))} \sigma = 2.35 \sigma$) $\sigma_{N_i}^2 = FN_i$
- Resolution:

$$\left(\frac{\sigma_{N_i}}{N_i}\right)^2 = \frac{F}{N_i}$$

Example:

• α particle with E= 5.5 MeV completely stopped in Ar gas with W \sim 30 eV

$$N_i = \frac{E_{abs}}{W} = \frac{5.5 \times 10^6}{30} = 1.83 \times 10^5 \text{pairs}$$
 $R = 2.35 \sqrt{\frac{F}{N_i}} = 0.213\%$

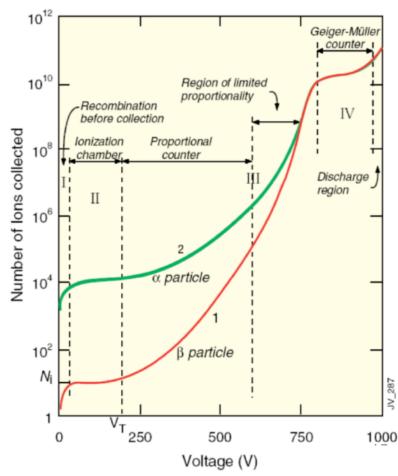
Corresponding to a width of R \times 5500 keV = 11.7 keV

Gaseous Detectors

- Ionization chambers do not yield enough signal for mip detection
- How to improve?
 - Reduce capacitance or, better, get more charge! (V = Q / C)
 - Increase HV to obtain signal gain

If field strength in some region of the counter volume is high, an electron can gain enough energy between two collisions to ionize another atom.

- Recombination before collection
- Ionization range
 - Collect ionization
- Proportional regime
 - Signal is amplified
 - Signal is proportional to primary ionization
- Geiger-Müller region
 - Photo-electron production dominates, loss of proportionality



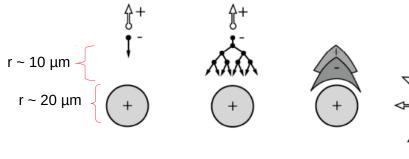
Gas Choice

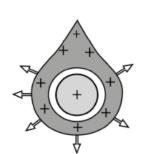
- Gas should **not** contain any electronegative component since electronegative molecule tends to form negative ions → no charge multiplication
- Since oxygen is electronegative → no air
- Noble gases are a good choice: not electronegative, easily purified and single atoms

 no rotation or vibration states that can absorb electron energy → avalanche occurs
 at a lower voltage than in other gases
- Argon is the least expensive → very frequent use
 - However:
 - De-excitation by photon emission (UV) \rightarrow possibility of UV absorption and e-emission \rightarrow avalanche repeat
 - Ions that reach the cathode may liberate new electrons → avalanche repeat
 - Solution: add "quenching" gas, typically polyatomic gas: isobutane (C_4H_{10}), methane (CH_4),... which have many degrees of freedom of rotation and vibration to disperse energy

Proportional Counters

- Wire surrounded by a tube with gas
- Electric field strong in vicinity of wire (E~1/r)
- Further ionizations generated close to wire
 - Drift time to wire proximity introduces "delay" in the signal
- Secondary ionizations proportional to the number of primary ionizations





$$\mathrm{d}N(x) = \alpha N(x)\,\mathrm{d}x$$

$$N(x)/N_0 = e^{\alpha x} = A \quad \text{(Gain)}$$

Anode Wire

Cathode

$$lpha = \sigma_{ion} \ n = rac{1}{\lambda_{ion}}$$
 1st Townsend coefficient

Gain key for mip detection:

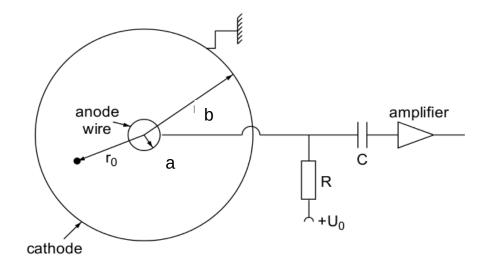
- α depends on free path, ionization energy, electric field, pressure...
- Note that ionization caused by electrons (not ions)
- In proportional regime, A = constant $\sim 10^4 10^6$
 - A can be easily measured, example:
 - X ray of energy E in gas with W energy for ionization: $N_0 = E/W$ and $Q = e N_0 A$

can do tracking

Proportional Counters

- To obtain the signal formation one can apply Shockley-Ramo
- The ratio of electron and ion charge:

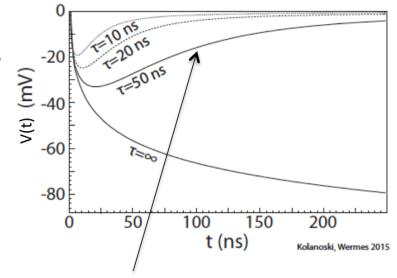
$$\left(\frac{Q_S^-}{Q_S^+}\right)_{r_0} = \frac{\ln r_0/a}{\ln b/r_0}$$



- For a=10 μm, b=1 cm
 - $r_0 = 13 \mu m : Q_s^- / Q_s^+ = 0.01$ (near wire)
 - Away from wire, no multiplication, no signal...

Summary

- Signal induced by electrons is small
- Signal (on wire) governed by the ion cloud moving away from the wire to the cathode
- Signal only induced after avalanche close to the wire



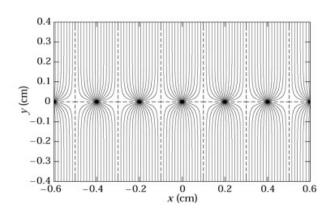
with RC filter

Note that PC does not give position information!

Multi-Wire Proportional Chambers (MWPC)

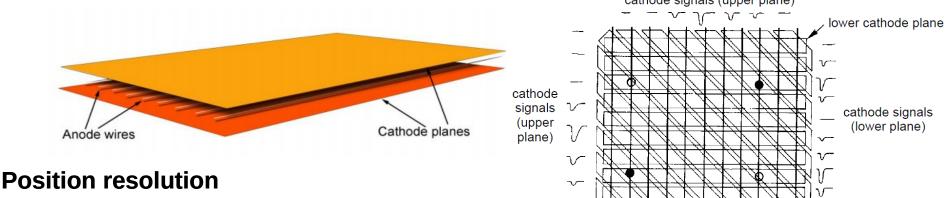
► Back to "tracking", reconstructing trajectory of particles...





- Two cathodes planes with series of anode wires between the planes
- E field and gas properties chosen so that chamber operates in proportional mode (avalanche near wires, signal collected from wires and corresponding strips)
- The electric field geometry close to the anode wires is very similar to the field in a proportional counter → each individual anode wire behaves as a proportional counter
- Anode wires: 20 μ m thick Au-plated W, AI; 2 mm spacing Counting gas: Ar, Kr, or Xe with admixture of CO $_2$, CH $_4$, isobutane, ... (high electron mobility) Amplification: 10 5 ; efficiency: ~100%

Multi-Wire Proportional Chambers (MWPC)



anode

wires

anode signals

- Given by pitch, inter-wire distance, d: $\sigma(x) = d/\sqrt{12}$
 - $\sigma(x) = 577 \, \mu \text{m} \text{ for d} = 2 \, \text{mm}$
- To improve resolution one can reduce d, however limited by electrostatic repulsion between wires
- Charge division to determine other coordinate (use wire resistivity, needs readout from both sides)

Further improve position resolution

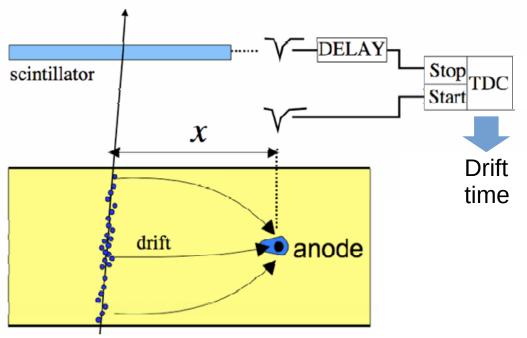
- Segment cathode planes into strips; strips run perpendicular (on one cathode) and at an angle or parallel (in the other) to the anode wires
 - Signal spread into several strips, use center of gravity to obtain position
 - Can achieve $\sigma(x) = 50-100 \mu m$ (depending on chamber size)
 - Improve further...: 2D cathode segmentation!

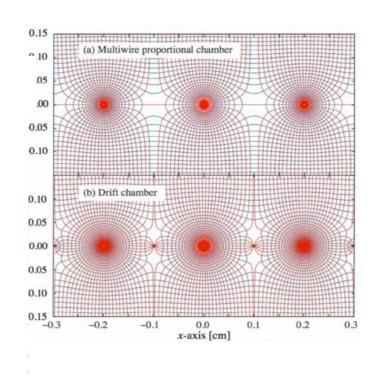
upper cathode

plane

Drift Chambers

- Another way to get position information: measure drift time of electrons to anode
 - Time measurement started by an external (fast) detector (scintillator counter)
- If constant drift velocity, then $x = v \Delta t$ (\rightarrow constant electric field is needed)
 - Introduce potential wires to produce suitable drift field



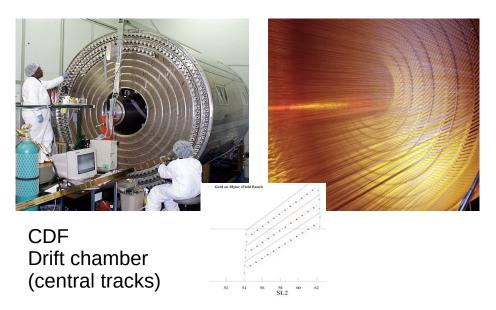


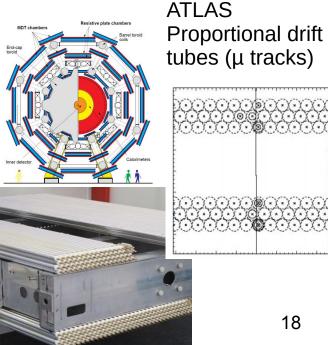
- Typical of gas Ar-C₄H₁₀
- Use slower drift velocity to optimize spatial resolution
- Can achieve: for large DC: 50-200 μm, small DC: 30-70 μm

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Drift Chambers

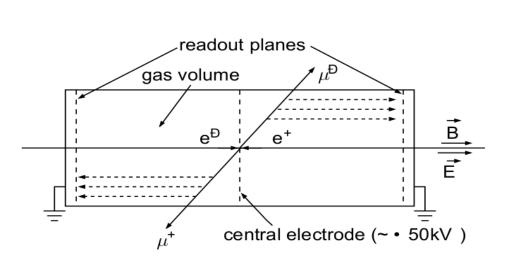
- Large drift chambers as central tracker in various collider experiments
 - Continuous segmentation allows powerful pattern recognition
 - Good solid angle coverage
 - Low material budget
 - Radiation hard (but not suitable for very high rates)
 - Gas flows through chamber, can react to chamber "aging" by tweaking gas
- Various geometries define cell sensing volumes

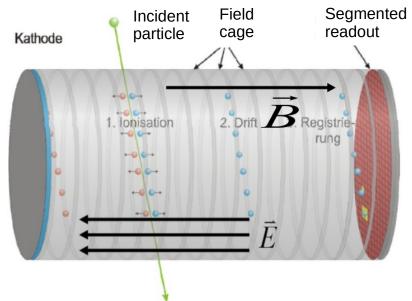




Time Projection Chamber (TPC)

- The Time Projection Chamber combines principles of a drift chamber & proportional chambers to measure 3-dimensional space points
- Get **X-Y** information from segmented readout in end-caps, **Z** information from drift time measurement (full 3D reconstruction)



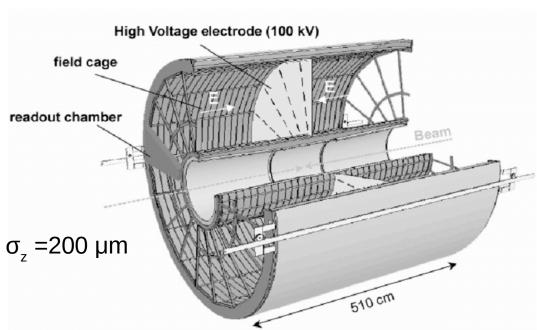


- Central electrode separated chamber in two
- If B field (usually // to E field) → then momentum determination
 - Also reduces diffusion perpendicular to the field

Time Projection Chamber (TPC)

ALICE TPC:

- MWPC as segmented readout
- Vol = 90 m³, 845 < r < 2466 mm and 2 x 2.5m drift length
 - max drift time 95 μs
- 550k readout channels
- Spatial resolution: $\sigma_{r\phi}$ =180 μ m, σ_{z} =200 μ m

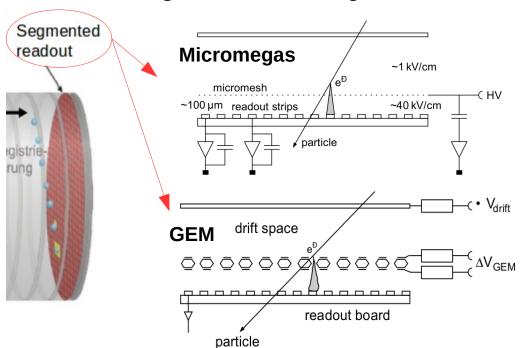


Some limitation of wire-based readout

- Limited by diffusion and space charge effects to accuracies of 50-100 μm
- Low rate capability

Micro Pattern Gas Detectors (MPGDs)

- Stability/flexibility of systems can be enhanced if anodes made in the form of strips or pads on insulating or semi-conducting surfaces instead of anode wires
- Two approaches in this direction
 - Foil with copper on both sides and large number of holes
 - GEM: Gas Electron Multiplier
 - Wire mesh just above the anode plane
 - Micromegas: micro mesh gaseous structure



MPGDs offer:

- excellent spatial resolution (smaller segmentation)
- low dead time: positive ions produced in avalanche drift a very short distance to cathode strips in vicinity of the anodes)
- improved the rate capability
- reduced radiation damage (smaller sensitive area per readout element)

Summary on Gas Detectors

Why gas-based tracking detectors?

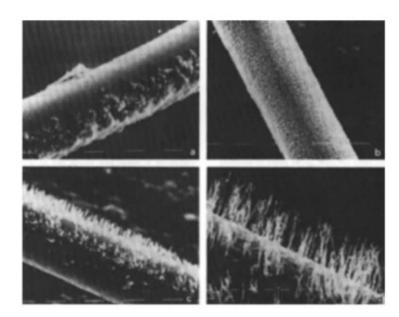
- Can be fully sensitive
- Offer good solid angle coverage
- Can achieve ~50 μm position resolution, but usually in the ~100 μm
- Cost effective technology to cover large area

However:

- Need tracking at high particle rates
- Usually better position resolution is required (e.g., for flavor tagging)

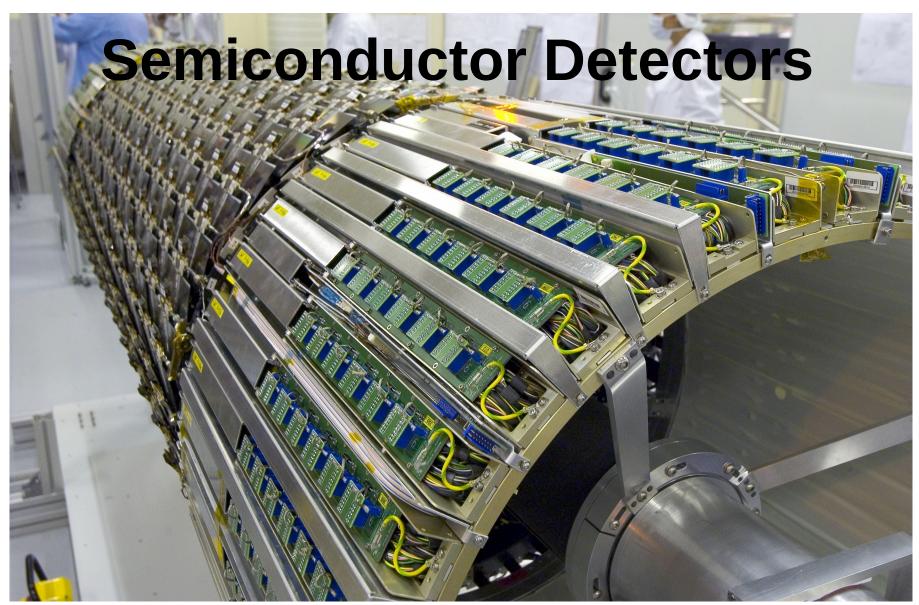
What technology can improve above?

Solid state detectors



Aging:

- Caused by gas impurities (or from detector)
- avalanche formation → micro plasma discharge → create molecule fragments (polymers)
 - → may attach to the electrodes
 - → reduce gain



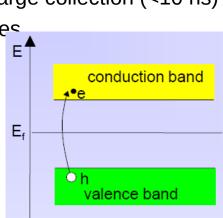
ATLAS Silicon Tracker - CERN

Solid State Detectors

What solid?

- Several materials used depending on specific needs...
- But silicon specially attractive for many HEP applications:
 - Silicon semiconductor that has 4 valence electrons
 - Small band gap: Eg = 1.12 eV; E(e-h pair) = 3.6 eV (≈ 30 eV for gas detectors)
 - High specific density: 2.33 g/cm³; dE/dx (mip) = 3.8 MeV/cm → 100 e-h/μm (average)
 - **High carrier mobility**: μe=1450 cm²/Vs, μn = 450 cm²/Vs → fast charge collection (<10 ns)
 - Very pure < 1ppm impurities and < 0.1ppb electrical active impurities
 - **Rigidity** of silicon allows thin self supporting structures
 - Detector production by microelectronic techniques

	Diamond	SiC (4H)	GaAs	Si	Ge
Atomic number Z	6	14/6	31/33	14	32
Bandgap E _g [eV]	5.5	3.3	1.42	1.12	0.66
E(e-h pair) [eV]	13	7.6-8.4	4.3	3.6	2.9
density [g/cm ³]	3.515	3.22	5.32	2.33	5.32
e-mobility μ_e [cm ² /Vs]	1800	800	8500	1450	3900
h-mobility μ_h [cm ² /Vs]	1200	115	400	450	1900

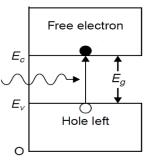


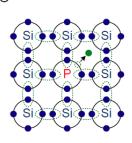
Well known industrial technology, relatively low price, small structures easily possible

silicon atom

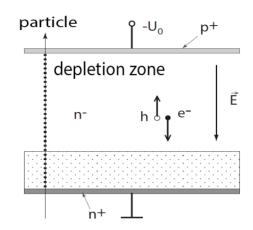
covalent bond

Silicon Detectors

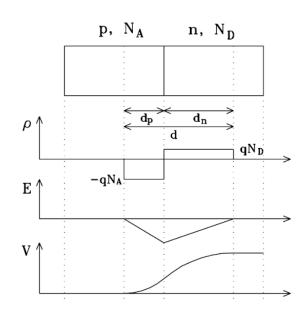




- Incident radiation generates e-h pairs that are collected by electric field
- $n = 2\left(\frac{2\pi m_n k_B T}{h^2}\right)^{3/2} e^{-(E_C E_F)/(k_B T)}$
 - Electron concentration in conduction band
- However, in pure intrinsic silicon electron (n) and hole (p) densities are equal and $n = p = 1.45E10 / cm^3$ (at room temp.)
 - But expected signal in typical (200 μ m thick) sensor is much smaller, 20000 e-h pairs
 - Solution: dope Si to form a p—n junction → zone that is free of charge carriers (depleted), enlarged by applying a voltage
 - Elements with 3 valence e- (p-type, B)
 - Elements with 5 valence e- (n-type, P)
- Silicon detector is basically a reverse biased p-n junction
- Depleted region (ionization collection region) depends on external voltage
- Key to sensor sensitivity is depletion depth, which can be adjusted with reverse bias and resistivity (both technology dependent)



Silicon Detectors



$$d=x_p+x_n$$
 (1) $N_Ax_p=N_Dx_n$ (2) charge neutrality

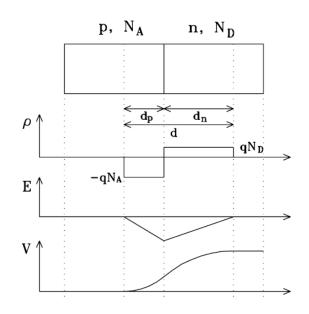
$$\rho(x) = \begin{cases} -eN_A, & -x_p < x < 0 \\ eN_D, & 0 < x < x_n, \end{cases} \frac{dE}{dx} = \frac{\rho(x)}{\varepsilon}$$

$$E(x) = \begin{cases} -eN_A(x+x_p)/\varepsilon, & -x_p < x < 0 \\ eN_D(x-x_n)/\varepsilon, & 0 < x < x_n, \\ 0 \end{cases}$$

$$V_{bi} = -\int_{-x_n}^{x_n} E(x) \ dx = \frac{e}{2\varepsilon} (N_A x_p^2 + N_D x_n^2)$$
 (3)

$$\rightarrow$$
 using (1), (2) and (3): $d=\sqrt{\frac{N_A+N_D}{N_AN_D}}~\frac{2\varepsilon}{e}~V_{bi}$

Silicon Detectors



$$d = \sqrt{\frac{N_A + N_D}{N_A N_D}} \, \frac{2\varepsilon}{e} \, V_{bi}$$

Usually, Na >> Nd or Nd >> Na:

$$d = \sqrt{2\epsilon V_{bi}/(eN_{eff})} \approx \sqrt{V \rho}$$

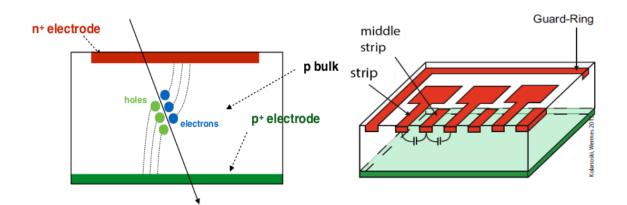
 ρ is resistivity $[\Omega \ cm]$

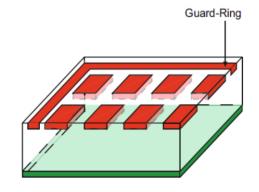
- For some typical values (Neff ~ 10^{12} cm⁻³, Vbi~0.5V) \rightarrow d ~ 20 μ m
- Apply external voltage to increase depletion region into the low (high) doped (resistivity) substrate
- Example:
 - $d = 300 \mu m$
 - Neff = $1.5 \ 10^{12} \ \text{cm}^{-3} \ (\rho = 1/(\mu e N) = 3k\Omega cm)$
 - Vdep = 100V

$$V_{dep} = \frac{e}{2 \,\epsilon} N_{eff} \, d^2$$

Types of Silicon Detectors

- Ideal silicon detector:
 - Provides excellent position resolution (~10μm)
 - Has ~100% efficiency
 - Sustain large radiation doses (both ionizing and non-ionizing radiation)
 - Maintain low fake trigger rate
 - Operate at 25ns clock (fast charge collection, fast electronics)





Pad detectors:

easiest to fabricate but poor position resolution

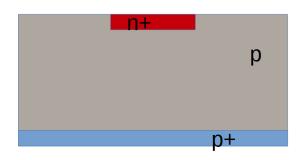
Strip detectors:

Pitch ~ 80 μm, but difficult to provide excellent 2D resolution

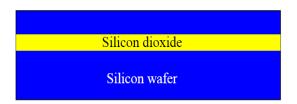
Pixel detectors:

Best position resolution, but: large power consumption & assembly cost

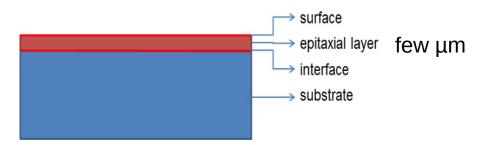
Types of Silicon Detectors: Substrates



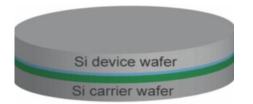
- Standard HEP detector on high ρ silicon substrate
- n-on-p for e collection (faster)



- Silicon On Insulator (SOI)
- SiO2 reduces parasitic capacitance
- Top layer varies with application
- Used in specialized processes



- Epitaxial layer on silicon bulk
- Usually deposited through CVD
- Used in CMOS processes
- Wafer to wafer bonding



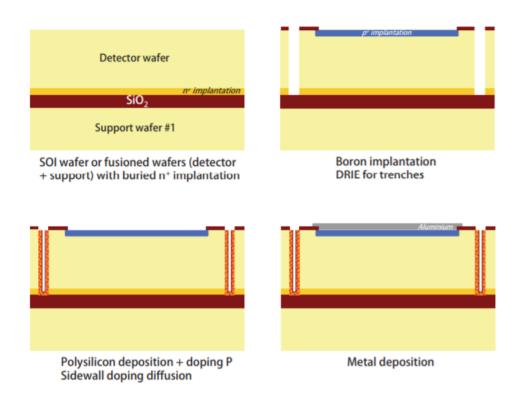
 Technology selection driven by experimental conditions & requirements and sensor fabrication strategies

Silicon Detectors: Fabrication



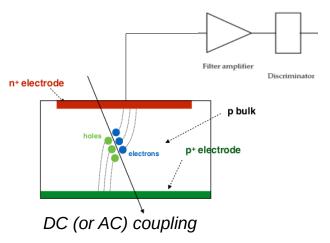
Silicon ingots → wafer starting point

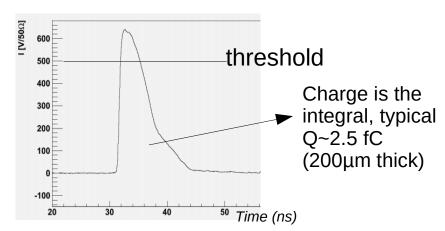




Sensor fabrication takes about ~50-100 steps of processing (pattering, passivation, etching, etc) in dedicated facilities.

Signal Processing





$$I_i(t) = q\vec{v}_{dr}(\vec{E}(\vec{r}(t))) \cdot \vec{E}_{i,w}(\vec{r}(t))$$

- Relatively small signals (20ke)
- Current induced in readout electrode as charge drift towards electrodes
- Need to amplify and discriminate signal
 - Signal processing done by electronics next to sensor ("front end", Application-Specific IC: ASIC)
 - Noise is an important factor to determine detector performance
 - For silicon detectors most important contribution given by C_{det} : $\sigma \sim C_{det}/\tau$ (τ is the peaking time of the shaped signal)
 - Signal-to-Noise: typical values >10-15, Radiation damage degrades the S/N

Silicon Micro-Strip Detectors

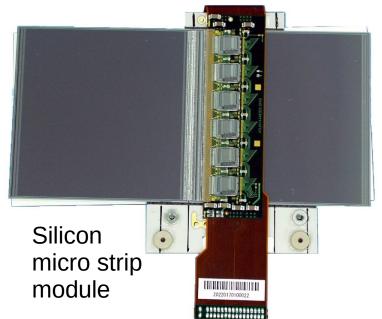
Segmented electrode into strips on one side

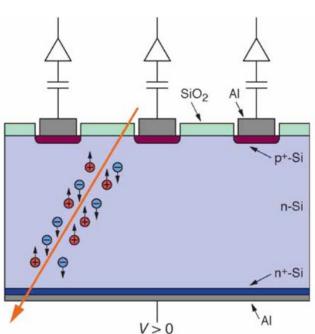
• Using n type silicon with a resistivity of 2 k Ω cm (N $_D$ ~2.2 10^{12} cm $^{-3}$) results in a depletion voltage ~ 150 V

Typical pitch about ~80 μm

• For a position resolution $\sigma \sim p/\sqrt{12} \sim 20 \ \mu m$

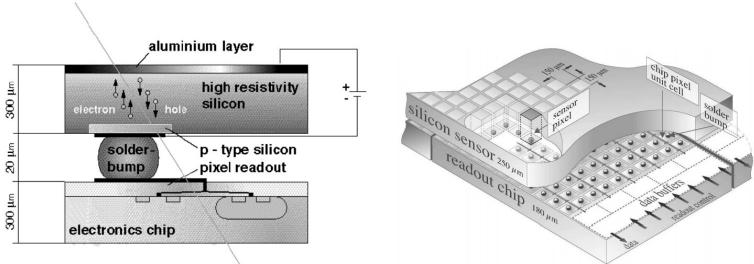
 Better for cluster size > 1 with center of gravity method



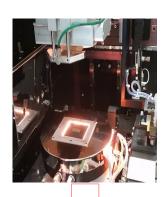


 Silicon strip detectors are frequently the core of the **tracking** detectors in hadron colliders

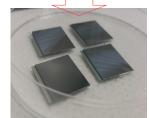
Pixel Detectors



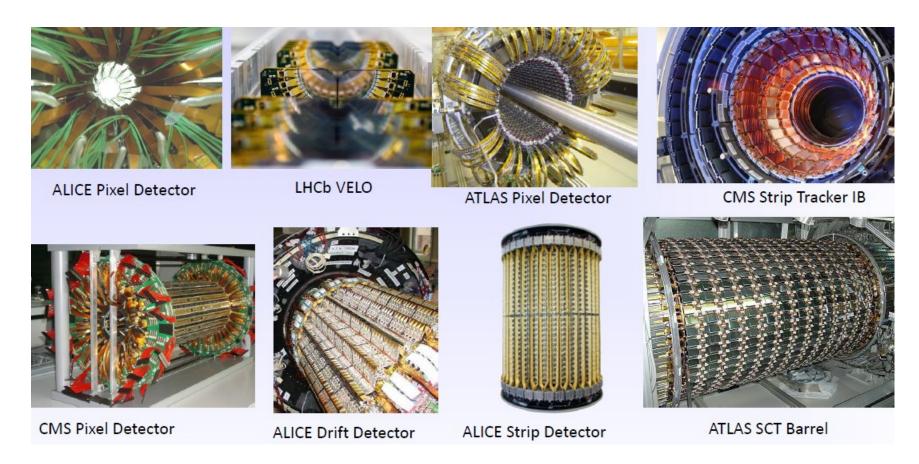
- Best position resolution needed for flavor tagging
 - Innermost layers critical for impact parameter resolution
- Typical (current) pixel size ~50x50 μm²
- Need to connect each pixel to a readout channel
 - Hybrid pixel module
 - Allows optimization of design of ASIC and sensor (radiation hardness)
 - Usually done through a solder ball (~25 μm diameter)
 - Expensive process, ~same as (ASIC+sensor)/cm²
 - Can we avoid hybridization?







Silicon Detectors in Operation



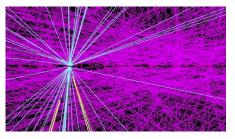
- Silicon tracking detectors are used in all LHC experiments:
- Different sensor technologies, designs, operating conditions,....

Radiation Damage



LHC accelerator upgraded periodically to keep exploring energy frontier

 Thus increase the amount of radiation experiments have to sustain



Two general types of radiation damage to the detector material:

- Bulk (crystal) damage due to Non Ionizing Energy Loss (NIEL)
 - Change of effective doping concentration & acceptor/donor removal (higher depletion voltage, under-depletion)
 - Increase of leakage current (increase of shot noise, thermal runaway)
 - Increase of charge carrier trapping (loss of charge)
- Surface damage due to Ionizing Energy Loss (IEL)
 - Accumulation of positive charge in the oxide (SiO2) and the Si/SiO2 interface
 - Affects: inter-strip/pixel capacitance (noise factor), breakdown behavior, ...

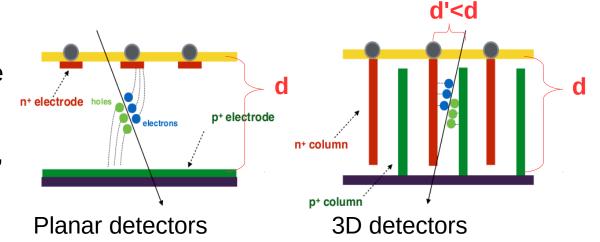
Impact on detector performance and charge collection efficiency (depending on detector type and geometry and readout electronics). Radiation damage: usually **critical** factor in hadron colliders.

~1E15 1-MeV neutron (equivalent)/year

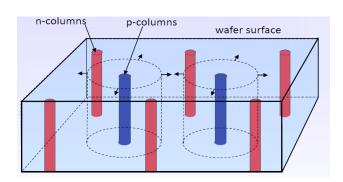
~100Mrad/year (1MGy)

Other detector topologies: 3D sensors

- To reduce charge trapping, one should reduce the distance between electrodes
- But in standard planar sensors, this would reduce the amount of change collected



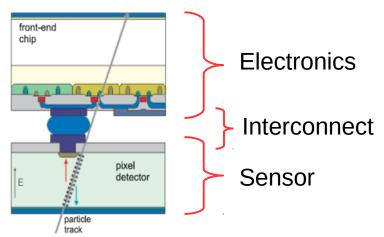
- One could add a multiplication layer (à la APD), but:
 - Large multiplication is not desirable (no time for quenching, want to maintain E~Qcoll, increase of noise...)
- 3D sensors improve radiation hardness through electrodes that penetrate the silicon bulk, thus decoupling the sensor thickness to the electrode distance
 - More radiation hard
 - But: more expensive (lower fabrication yield)



- Column diameter ~10 μm
- Inter column distance ~20 μm

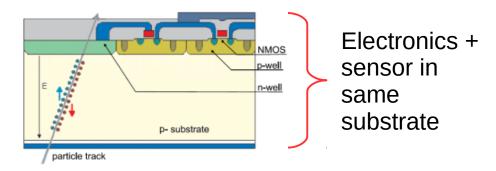
Other detector technologies: monolithic devices

Hybrid detectors



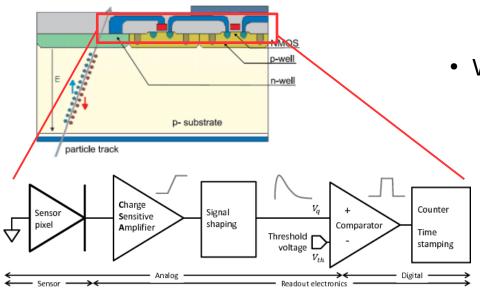
- Standard in current experiments
- Design allows for optimization of electronics and sensor
 - Radiation hardness, rate, power...

Monolithic detectors



- Less material, less complexity
 - And cost...
- Smaller pixel possible
 - No pixel size limitation due to interconnection

Other detector technologies: monolithic devices



Comparator and digital part can be in periphery of chip

 Future of silicon detectors at low to intermediate fluences?

• Why CMOS camera ≠ HEP-CMOS?

- "CMOS camera" ~ little depletion/mostly diffusion of charge
- Diffused charge slow and not collected after irradiation
- Need to increase depletion region for HEP, two approaches
 - Increase V (HV-CMOS)
 - Increase resistivity (HR-CMOS)
 - Common name: Depleted Monolithic Active Pixels (DMAPS)

$$d \sim \sqrt{\rho \cdot V}$$

Timing with Silicon in HEP

- To reduce "pile-up" (effect of secondary interactions) LHC experiments plan to deliver silicon-based timing detectors
 - Timing+rad hardness+compactness
- The target is to achieve about ~60 ps/mip/layer resolution: beyond standard silicon devices

$$\sigma_{\text{det}}^2 = \sigma_{\text{Landau}}^2 + \sigma_{\text{elec}}^2$$

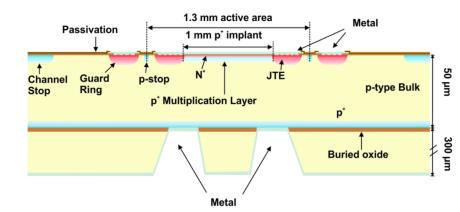
$$\sigma_{elec}^2 = \left(\frac{t_{rise}}{S/N}\right)^2 + \left(\left[\frac{V_{thr}}{S/t_{rise}}\right]_{RMS}\right)^2$$

Jitter

Time-walk

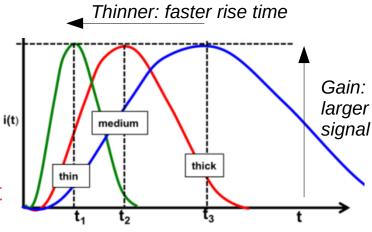
- Need fast signal and excellent S/N
 - A multiplication layer increases signal slope
 - Time-walk contribution negligible with CFD
- Thin sensors (50 μm) to reduce intrinsic Landau contribution to resolution

LGAD achieve 30ps resolution before irradiation, but degrades after irradiation (on-going R&D).



Low Gain Avalanche Detector (LGAD)

 Low gain (G=10-20): improve signal slope but control noise



Summary

- Instrumentation at LHC experiments critical to carry out physics program
- Tracking detectors fundamental for, well, track reconstruction and heavy flavor identification
- Both gaseous and semiconductor detectors undergoing heavy R&D to cope with LHC upgrades and future colliders
- In particular:
 - MPGD: fabrication, stability, long term operation...
 - Semiconductors: radiation hardness, further improve resolution...

HAVE FUN!

THE END