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## Derivation of relativistic Yakubovsky equations under Poincare invariance

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Recently, higher chiral-order nucleon-nucleon potentials have been developed with the chiral effective fields theory [1]. The three-body Faddeev equation had been extended by involving three-body forces [2]. The four-body Yakubovsky equations have also been extended as well [3]. In order to increase the accuracy of not only its two-body forces but also three-body forces, it is indispensable to study not only three-body systems but also four-nucleon systems using ab initio calculation.

Moreover, it is not ignorable that the effect of relativity in high energy region. We have been studying that in the proton-deuteron scattering the effect reveals at the backward of the scattering angle for the elastic process and three-body breakup [4]. It is, of course, expected that such a relativistic effect also appears in case of four-nucleon system.

I would like briefly to present my oral that I explain the Faddeev-Yakubovsky four-body equations including the three-body force [3]. Furthermore, these equations are extended in the framework of relativity. As the result we have the following coupled equations with three-body force  $W$ ,

$$\alpha = -G_0 T P P_{34} \alpha + G_0 T P \beta + (G_0 + G_0 T)(G_0 + G_0 t^\alpha) W (-P_{34} P + \tilde{P})(\alpha - P_{34} \alpha + \beta),$$

$$\beta = G_0 \tilde{T} \tilde{P} G_0 (1 - P_{34}) \alpha,$$

where  $\alpha$  and  $\beta$  are Yakubovsky components for 1+3 and 2+2 partitions, respectively,  $G_0$  is Green's function,  $T$ ,  $\tilde{T}$  are transition matrices for 1+3 and 2+2 partitions, respectively.  $P(\equiv P_{12}P_{23} + P_{13}P_{23})$ ,  $\tilde{P}(\equiv P_{13}P_{24})$  and  $P_{34}$  are permutation operators. Detail is written in [3]. In particular, these transition matrices are the solutions of the following equations,

$$T = \tau + \tau G_0 T,$$

$$\tau \equiv t^\alpha P + (1 + t^\alpha G_0) W (1 + P),$$

$$\tilde{T} = t^\beta + \tilde{T} \tilde{P} G_0 t^\beta,$$

where  $t^\alpha$  and  $t^\beta$  are 2-body transition matrix which are relativistically boosted depending on the partition sub-systems in the four-body system.

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