Calculation of corrected BPM data with polynomials obtained from BpmLab: ESRF and ALBA showcases

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ESRF, DEELS-2019

What is BpmLab?

a FEM-based Matlab tool for BPM response simulation and treatment





Meshing:

Open-source tetrahedral mesh generator based on metric functions (*DistMesh*).

- Uniform or non-uniform meshes
- User-defined min/max mesh size
- Extremely reliable inner mesh
- Boundary mesh QA: by eye. Always check!



Examples of a badly converged mesh



Properly converged mesh

FEM Solver:

2D electrostatic Poisson solver with linear basis functions and boundary electric potential excitation (Diriclet boundary conditions):



Green's reciprocity theorem: the surface charge induced on an electrode due to a test charge at (x,y) is proportional to the potential at that same position when the test charge is absent and the electrode is excited by a potential V.

ESRF standard SR BPM







ALBA BPM family







30

25

known position

BPM response

Large EBS-BPM: DOS in 25x51 (591) map points

Injection: stored beam

10

20

0

25

20

-20

-30

-20

-10

Upcoming EBS BPM family

6



10

20

30

0



Chamber 12 (2b)

10

0

Chamber 12 (4b)

0

EBS Chamber 12: DOS in 29x51 (583) map points

10

20

known position

20

-10

EBS Chamber 12: DOS in 29x51 (583) map points

known position

BPM response

25

20

15

10

5

0

-5

-10

-15

-20

-25

25

20

15 10

5 0 -5

-10

-15

-20

-25

-20

-10

50

40

-20

known position

BPM response

Small EBS-BPM: DOS in 21x51 (353) map points



How to correct?

- Linear coefficient (real-time)
- Polynomial families (real-time)
- Specific formulae (real-time)
- Lookup tables (post-process)
- Voltage inversion (iterative optimization, so post-process)

At what level? (by DS/Libera? by end-user?)

How fast? (TbT 100x kHz, FA 10x kHz, SA 10x Hz)





Polynomial correction seems to be the straight-forward solution if you want to have large beam drifts, and have fast real-time position nonlinearity suppression.

2 polynomials need to be applied to each data sample:

					x15y0	42.447,588
	5/5		/>		x14y1	69,241
	OX/2	Ρχ(δχ/Σ. δι	J/Σ)		x14y0	1.586,775
A B C D			,,_,		x13y2	-147.300,086
	δν/Σ	Ρν(δχ/Σ δι	$\sqrt{\Sigma}$		x13y1	-30,787
	• // =	I y(0,7,2,0)	y / ∠)		x13y0	-38.002,923
					x12y3	-268,15
					x12y2	-5.824,034
Data points DOS map POLY	(map VINV map L5	DC	DS error POLY error	VINV error (x12y1	-23,161
	9				x12y0	-680,907
Large EBS-BPM: POLY 2D ⁹ on uniform grid LAB: POLY 2D ³			: POLY 2D [®] err	x11y4	192.923,913	
25	·		'		x11y3	108,826
	known reference				x11y2	135.707,181
20	POLY reference		20		x11y1	11,446
	·				x11y0	2.415,753
15					x10y5	264,206
	Polvi	nomials are o	coupled		x10y4	7.159,382
10				<u>y</u>	x10y3	251,661
	1 D tv	VNA			x10y2	3.999,233
° [ype.		100 C 1	x10y1	-53,746
0					x10y0	-613,595
				10 10	x9y6	-119.217,304
-5				and the second	x9y5	-89,889
	High	er power = r	nore		x9y4	-105.912,103
-10					xaaa	-102,727
	V coef	ficients eg·			x9y2	-30.718,33
-15		neienco, e.g			x9y1	6 009 224
		n_{1} $7 \cdot 26 + 0$	rmc		x9y0	76 501
-20	IVIAX	pwi 7. 50 te	11115		x0y7	20,301
	detach N d a sec	12.105		et	x8y5	-3.322,019
-25 L		pwr 13: 105	terms		x8y4	-5 465 52
-20 -10	0 10			0	x8v3	12,264
	etc.				x8v2	-90,818
					x8v1	33,628
Generate man	Channel m	ode	Corrections		x8v0	446,532
Generate map	Channer Inc	Jus	corrections		x7v8	35,815,842
Uniform grid: -15, 1, 15	-10 1 10 Add noise [%]	0000	DOS: P	OLY:	x7y7	-22,577
					x7y6	85.849,102
 Scattered points: 	100 Ampl/att coef:	1,1,1,1	kx 6.762	9 + Algo	x7y5	140,898
	1.51		KV 10 102	O 1 0		

ELS-2019 바퀴 만,

332,85

-91,782

649,664

-356,605

266,235

74,861

806,502

-5.875,599

-2.499,222

1.363,088

178.343,616

75.137,916

-20.805,545

21,457

21,769

-139,257

-346,509

23,971

-26,609

3.033,505

-1.229,843

979,278

-562,911 -383,234

100,256

264,434

128,623

-39,127

207,817

-280,47

-1.672,073 💌

-1.361,804

-83,2

-100.888,026

-128.358,48

14.514,828

11.464,579

-128.135,023

30.832,228

-1.013,609

Close

A Polynomial fit coefficients

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12 2↓

바퀴 만지

Horizontal polynomial 🔺

12 2↓

x15y0

x14y1

x14y0

x13y2

x13y1

x13y0

x12y3

x12y2

x12y1

x12y0

x11y4

x11y3

x11y2

x11y1

x11y0

x10y5

x10y4

x10y3

x10y2

x10y1

x10y0

x9y6

x9y5

x9y4

x9y3

x9y2

x9y1 x9y0

x8y7

x8y6

x8y5

x8y4

x8y3

x8y2

x8y1

x8y0

x7y8

x7y7

x7y6

x7y5

Ξ

==

Apply

Coupling (DOS positions)





Coupling:

Ratio of how much the position change in one dimension affect its change in the other dimension.

Using the polynomial corrected positions can minimize the coupling effect.

Coupling improved (Poly correction)





BpmLab: Sum, coherence

Sum signal



Signal Coherence



 $\Sigma = A + B + C + D$

1.6

1.4

1.2

0.8

0

-0.2





Sum & Coherence:

Strongly nonlinear.

Can be linearized with higher-order polynomials.

BpmLab: Polynomial ROI fitness

A polynomial is defined by its effective ROI and max power. Ho can we pick them?

Step 1) Fix max polynomial power (here: x^7y^7) and scan the ROI dimensions.

Accuracy starts to deteriorates as the poly needs to fit a more curvy surface:



BpmLab: Polynomial power fitness

Step 2) Fix the ROI (here $\pm 20 \text{ mm x} \pm 10 \text{ mm}$) and scan the poly power.

Step 3) Choose the power/ROI combination that fits your needs

Beware: speed of calculation can increase for higher power polynomials.



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BpmLab: Polynomial fitness

Finally we have to stop somewhere, e.g.:

ALBA SR BPM ROI = ±[22, 10] mm max pwr = 11

ESRF SR BPM ROI = ±[25, 14] mm max pwr = 15

EBS BPM Several Poly families selectable in Libera DS. max pwr = ??



BpmLab: Post-processing real signals

40

30

20

10

0

-10

-20

-30

-40





BpmLab: Button imperfections (retraction/protrusion)



Poly correction: channel A compensated





BpmLab: Signal manipulation

DOS treatment

Add noise (1%) to all channels:





Generate map	Channel mods	Correction	
Uniform grid: -25, 2, 25 -12, 2, 12	Add noise [%]: 1 s	DOS:	
Scattered points: 100	Ampl/att coef: 1.1,1,1,1	kx 15.629	

Poly correction



Algorithm: newton0 (minFunc) -

- 21 +

BpmLab summary

Requires Matlab toolbox-free installation (versions range 2014b-2017)

Instruments:

- meshing (DistMesh)
- short 50-line 2D electrostatic FEM solver
- optimization (minFunc)

Features:

- Easy arbitrary geometry input & many presets
- BPM response map calculation in 2D
- Correction polynomial calculation (within ROI)
- Direct voltage-to-position inversion (post-processing)
- Introduce geometry imperfections
- Signal manipulation (channel distortion, attenuation, amplification)
- Import real BPM signals for studies and post-processing

Download from here:

https://intranet.cells.es/Divisions/Accelerators/RF_Diagnostics/Diagnostics/Orbit Position/Tools/bpmlab

Now the interesting stuff...

Experiments!

Injecting with RF off: Signal SUM & COHERENCE



20

⁵⁰ Turn

Injecting with RF off: Polynomials vs. DOS

20

10

ESRF





RF off → beam spirals inwar Linear formula underestima Polynomial can see farther (

So finally, polynomials or DOS?





Polynomial power!!!

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Injecting with RF off: Scraper test

ALBA SR injection straight, PSA May2019



Beam kicks: vertical plane kick



(bunch length doesn't change?)





ESRF MDT Nov27: moderate H-kick, small loss





View of all BPMs



Again a very nice Q suppression

Beam kicks: horizontal plane kicks

ESRF MDT Nov27: H-kicks, loss variation



Sum oscillates only during H-kicks! Why? Gets under/over compensated by SumPoly correction. ESRF, DEELS-2019

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Thank you for your attention!



extras

Overlaying the measured Sum with the horizontal position -> no expected correlation:

1) **black dots** = simulated sum, so the sum does not get higher than 1 from beam moving left and right from the center.

2) beam goes right -> sum goes up, beam goes left -> sum goes down. How is this possible. The sum is supposed to behave symmetrically, going down in both cases after crossing zero?



Experimental application: ESRF (Nov 2018) kicks

MDT Nov27: H-kicks, loss variation

