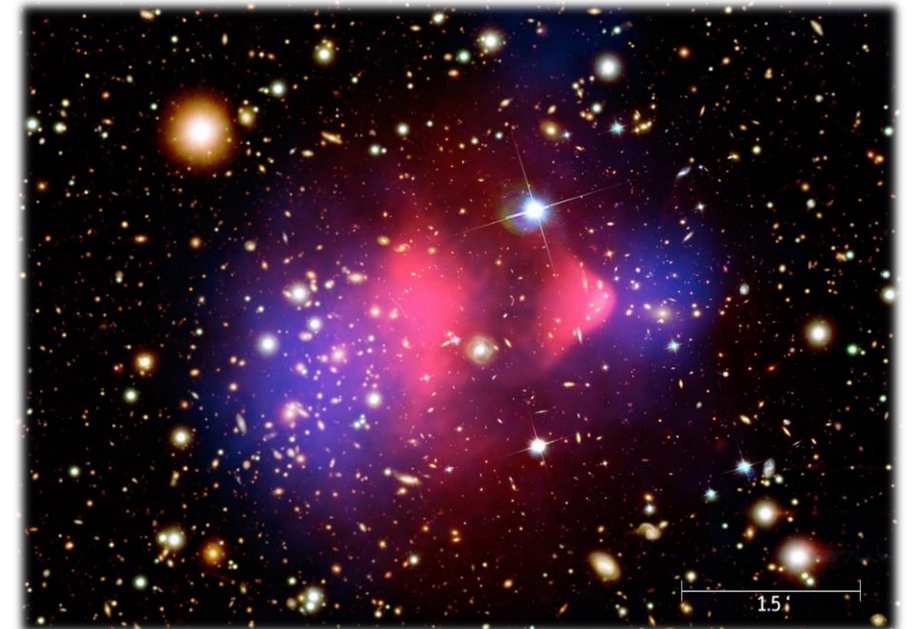


## Searching for **light DM** with molecular matter-waves

Armin Shayeghi, Philipp Rieser & Markus Arndt

*Vienna Center for Quantum Science and Technology (VCQ)  
University of Vienna  
Faculty of Physics*



# The quantum wave nature of massive matter



??? m > 1.000.000 amu

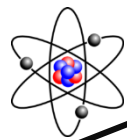
Medium-large molecules: 100 – 30.000 amu

Quantum-assisted metrology...

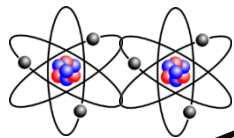


1923 De Broglie

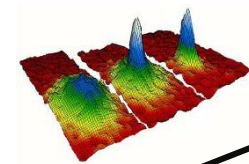
1927 Electrons



1930 He atoms & H<sub>2</sub>

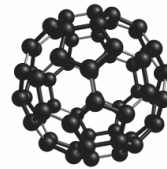


1936 Neutrons



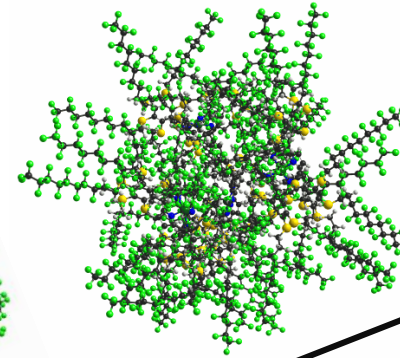
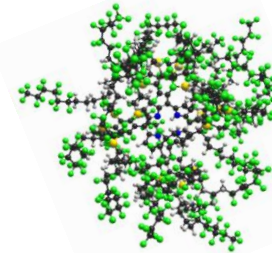
90's I<sub>2</sub>, He<sub>2</sub>, Na<sub>2</sub>

1995 BEC

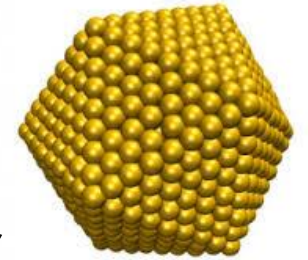


1999 Fullerenes C<sub>60</sub> & C<sub>70</sub>

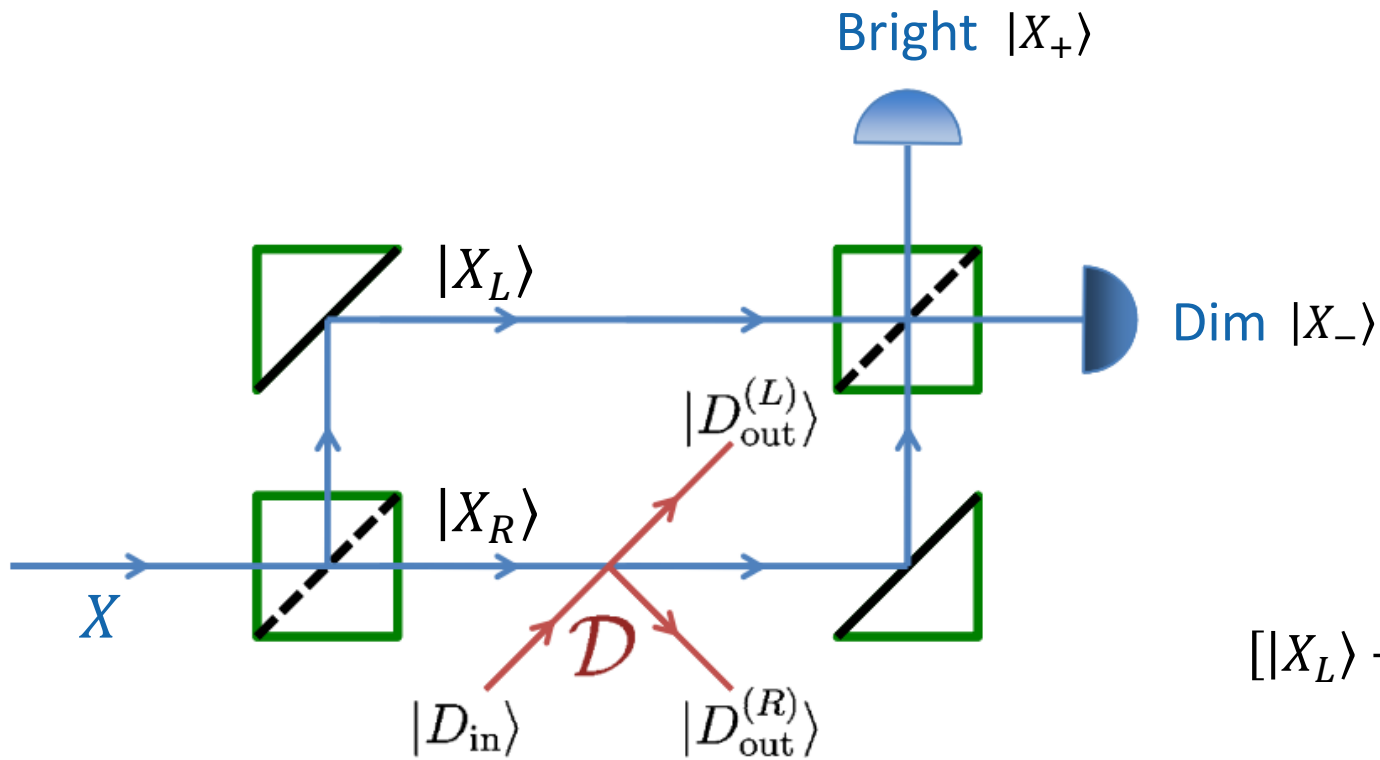
2013 m > 10.000 amu



2019 m > 25.000 amu



...Test of quantum theory on large mass scales



Measure  $X$  in the basis

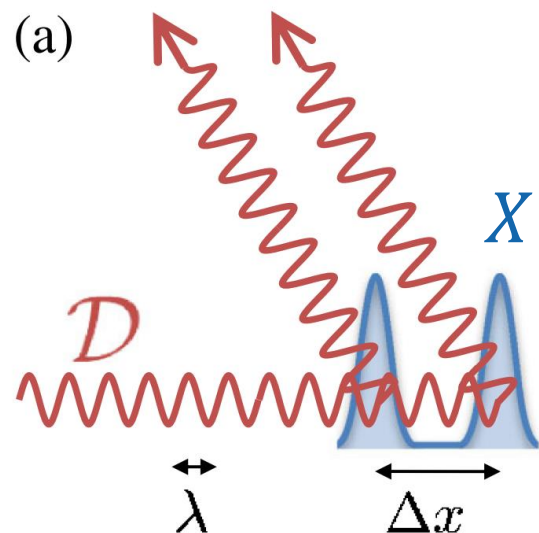
$$\{|X_{\pm}\rangle = |X_L\rangle \pm |X_R\rangle\}$$

$$[|X_L\rangle + |X_R\rangle]|D_{\emptyset}\rangle \rightarrow [ |X_L\rangle + |X_R\rangle ] |D_{\emptyset}\rangle \quad \text{no event}$$

$$[|X_L\rangle + |X_R\rangle]|D_{\text{in}}\rangle \rightarrow |X_L\rangle |D_{\text{out}}^L\rangle + |X_R\rangle |D_{\text{out}}^R\rangle \quad \text{event}$$

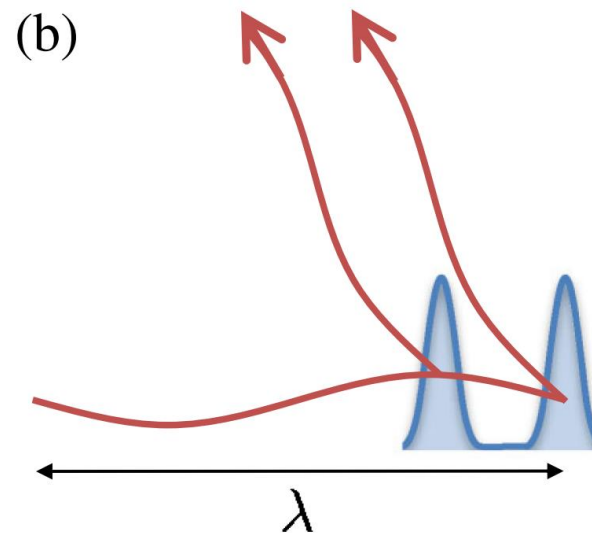
Mach-Zehnder Interferometer

$$\langle D_{\text{out}}^L | D_{\text{out}}^R \rangle \approx 0 \quad \text{„which-path“ information!}$$



$$\gamma = \langle D_{\text{out}}^L | D_{\text{out}}^R \rangle \approx 0$$

Single event sufficient



$$\gamma = \langle D_{\text{out}}^L | D_{\text{out}}^R \rangle^n \approx 0$$

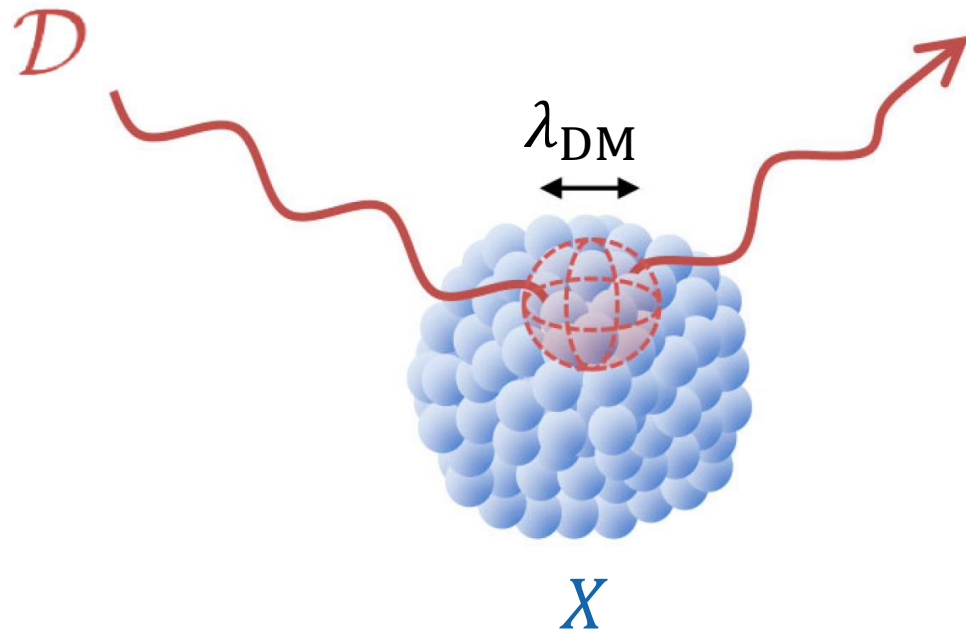
Many events required

State of  $X$  after  $\tau$  in basis  $\{|X_L\rangle, |X_R\rangle\}$

$$\rho_X = \frac{1}{2} \begin{pmatrix} 1 & \gamma \\ \gamma^* & 1 \end{pmatrix}$$

$$\begin{aligned} \gamma &= \langle D_{\text{out}}^L | D_{\text{out}}^R \rangle \\ &= e^{-\left[ \int_0^\tau dt \Gamma(\Delta \vec{x}) \right]} \end{aligned}$$

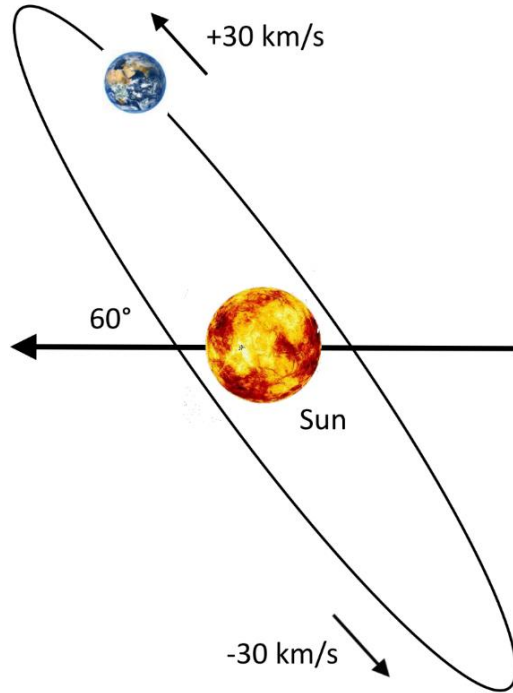
$$= e^{-s_{\text{DM}} + i\phi_{\text{DM}}}$$



$$V_{\text{coh}} = \frac{4}{3}\pi \left(\frac{\lambda_{\text{DM}}}{2}\right)^3 \quad V_X < V_{\text{coh}} \rightarrow \sigma_{\text{eff}} \approx N_X^2 \sigma$$

enhancement to spin-independent scattering cross section!

- sub-MeV DM is ghostly
- At least two ways of increasing likelihood:
  1. Increase  $\tau$  by lengthening interferometer/slowing down  $X$ .
  2. Superpose large clusters made of  $N$  atoms!
- $\lambda_{\text{DM}}$ : larger than atomic spacing but smaller than wave function spread
- nucleons contribute coherently to amplitude of same out-state.
- DM does not “know” which nucleon it has scattered from and nucleons recoil together uniformly

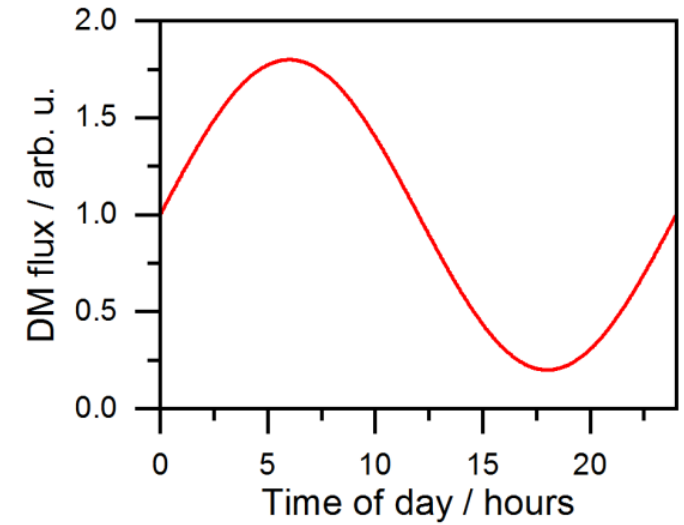
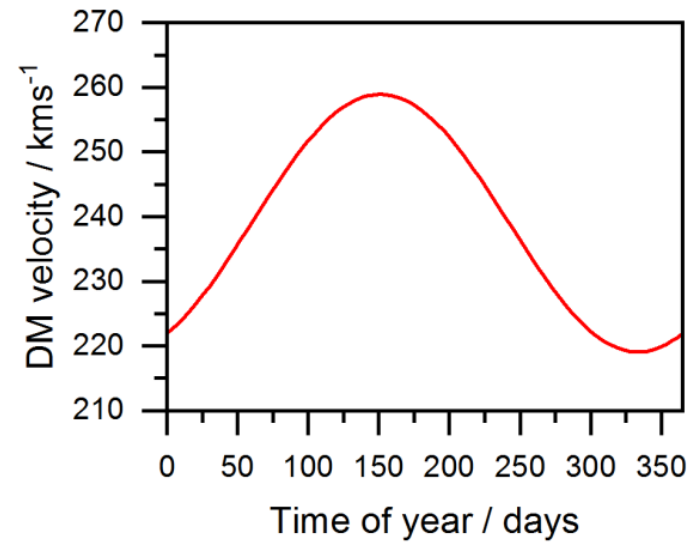


$$v_{\text{DM}} = 240 \text{ km/s}$$

$$\rho_{\text{DM}} = 0.4 \text{ GeV/cm}^3$$

$$v_s = 30 \text{ km/s}$$

$$t_0 = 151^{\text{st}} \text{ day}$$



$$v_e(t) = v_{\text{DM}} + v_s \cos(60^\circ) \cos(\omega(t - t_0))$$

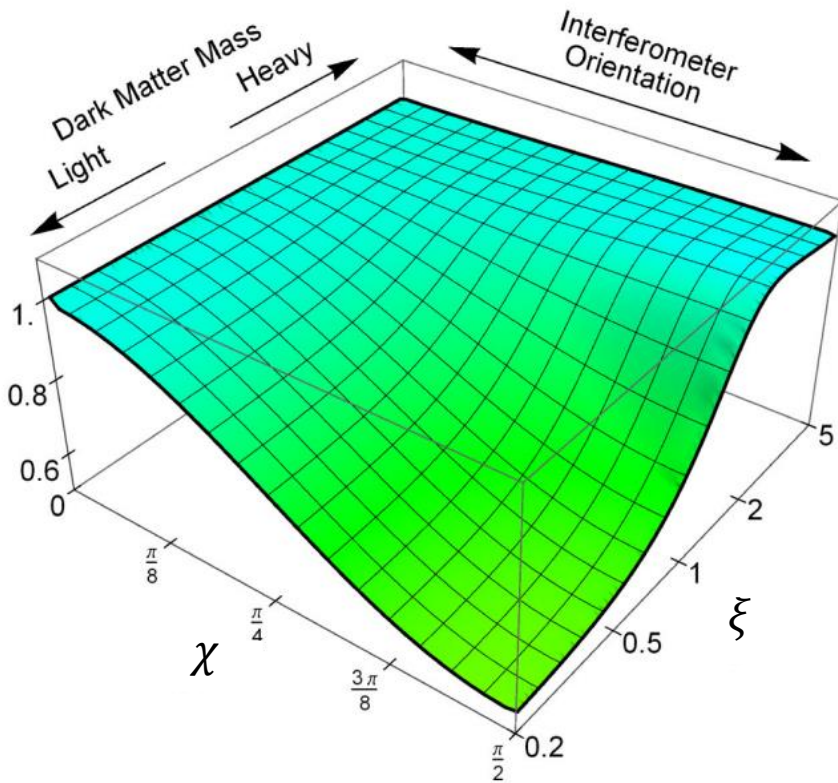
$$j = v_{\text{DM}} \frac{\rho_{\text{DM}}}{m_{\text{DM}}} \quad \Gamma \propto \sigma j$$

- $\sigma \geq 10^{-29} \text{ cm}^2$     attenuation length in lead: 1m
- $\geq 10^{-31} \text{ cm}^2$     underground laboratory 2000 m
- $\geq 10^{-35} \text{ cm}^2$     "earth" as a giant windscreen

# Visibility of the dark matter wind



$$\frac{\Gamma_{\text{Re}}(\Delta\vec{x})}{\Gamma_{\text{Re}}(\Delta\vec{x})_{\chi=0}}$$

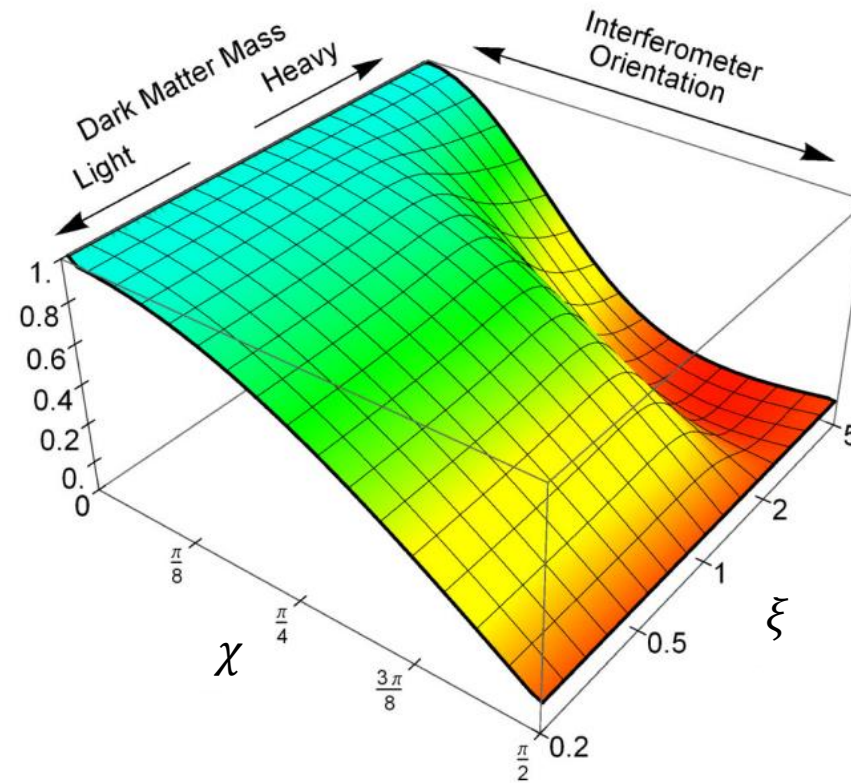


$$\xi = \frac{\Delta x}{\lambda_{\text{DM}}}$$

Decoherence rate

$\chi$  = angle between  $\vec{v}_e$  and displacement  $\Delta\vec{x}$

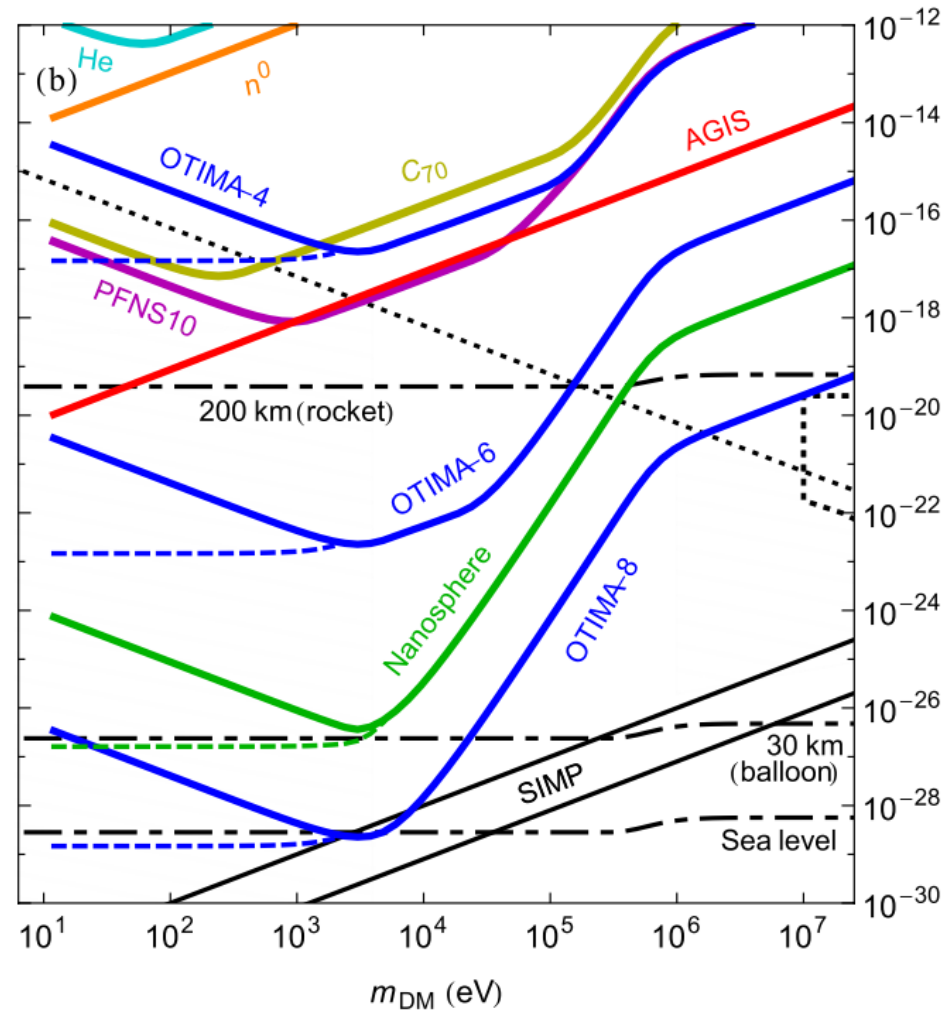
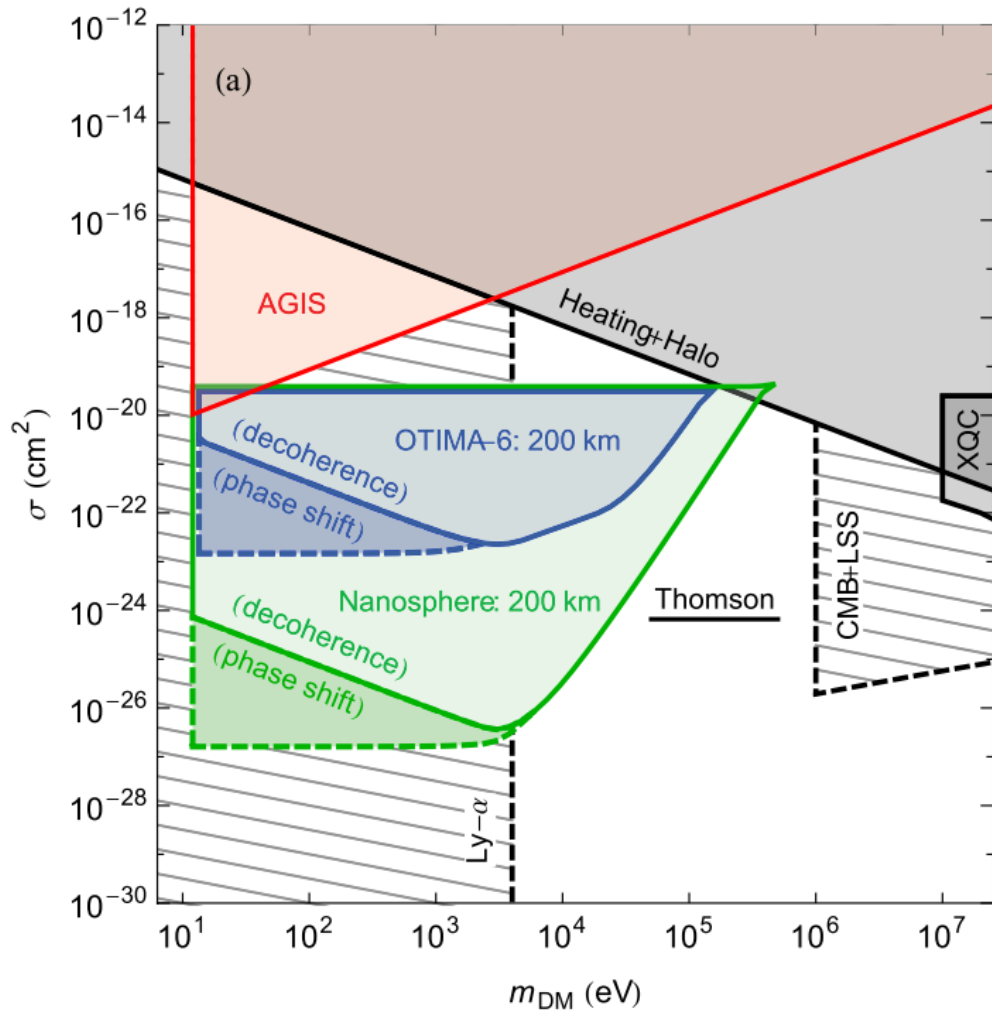
$$\frac{\Gamma_{\text{Im}}(\Delta\vec{x})}{\Gamma_{\text{Im}}(\Delta\vec{x})_{\chi=0}}$$



Phase shift

For small  $\Gamma_{\text{Re}}(\Delta\vec{x})$ , state not decohered.  
Position-dependent phase/coherent classical force.

# Sensitivity of existing and proposed experiments



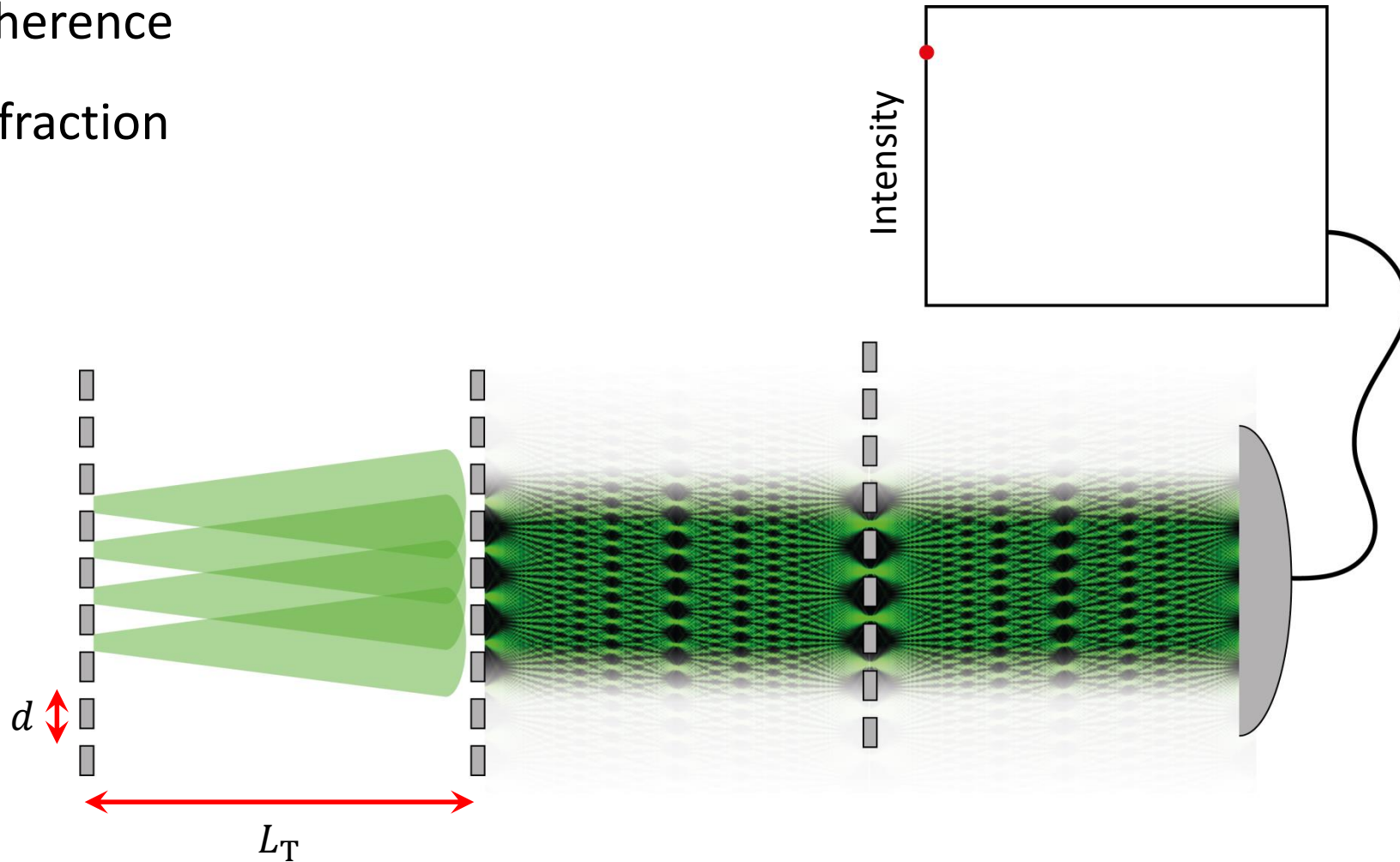
$$|\gamma| = \frac{1}{e}$$

$$\chi = 0$$



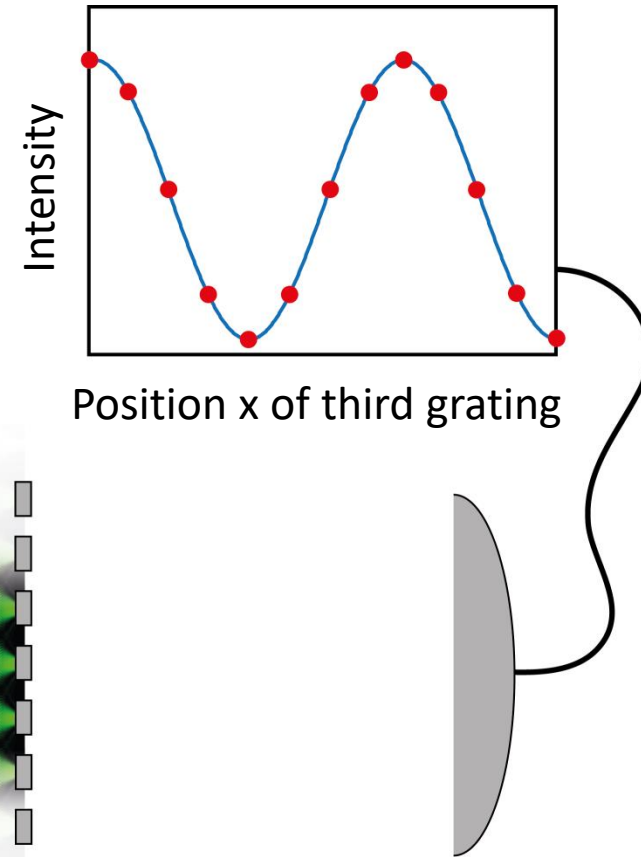
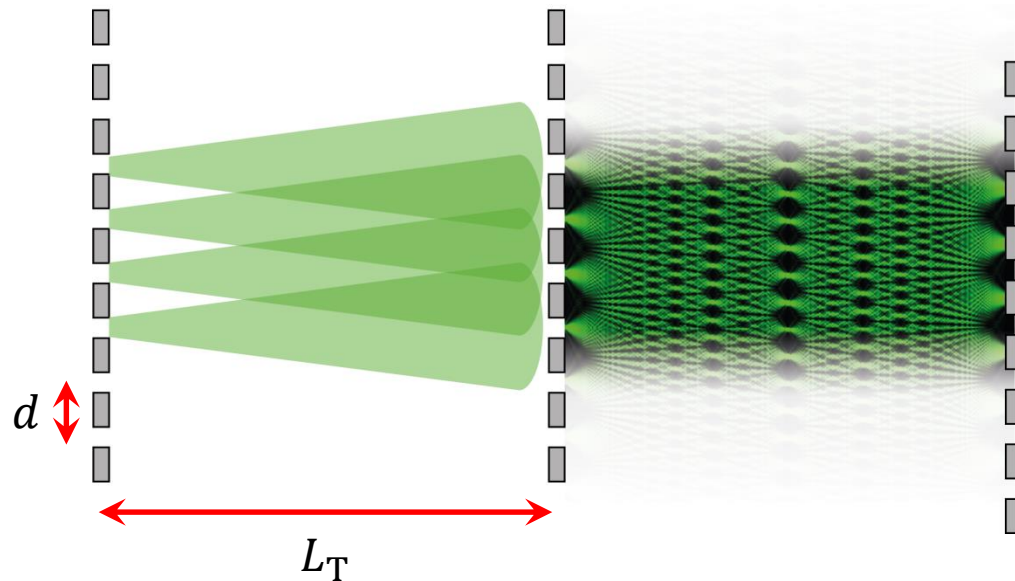
1. Grating: Coherence
2. Grating: Diffraction

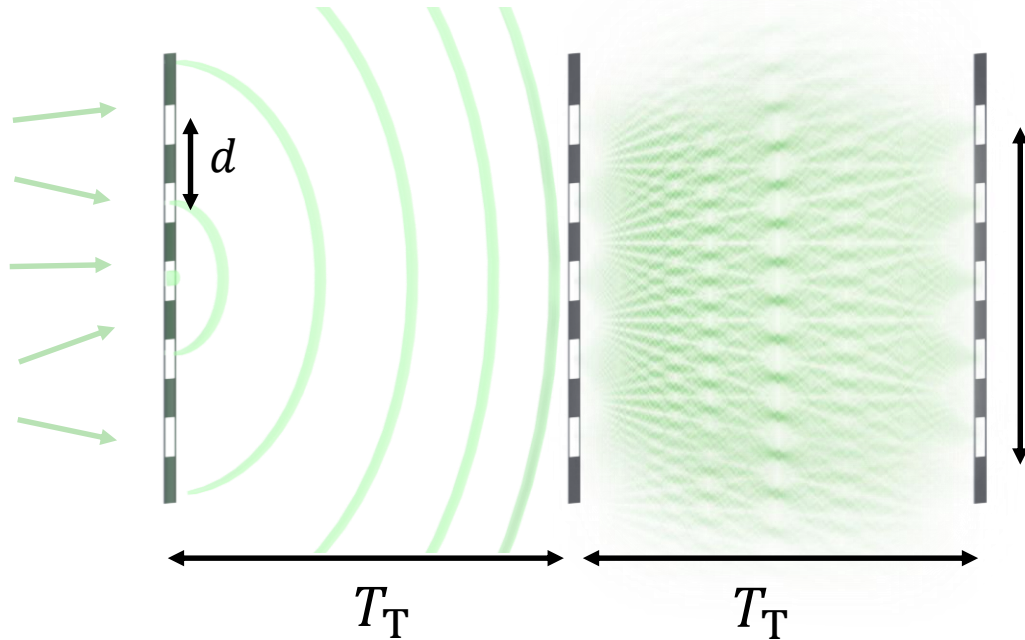
$$L_T = \frac{d^2}{\lambda_{dB}}$$



1. Grating: Coherence
2. Grating: Diffraction
3. Grating: Detection

$$L_T = \frac{d^2}{\lambda_{dB}}$$





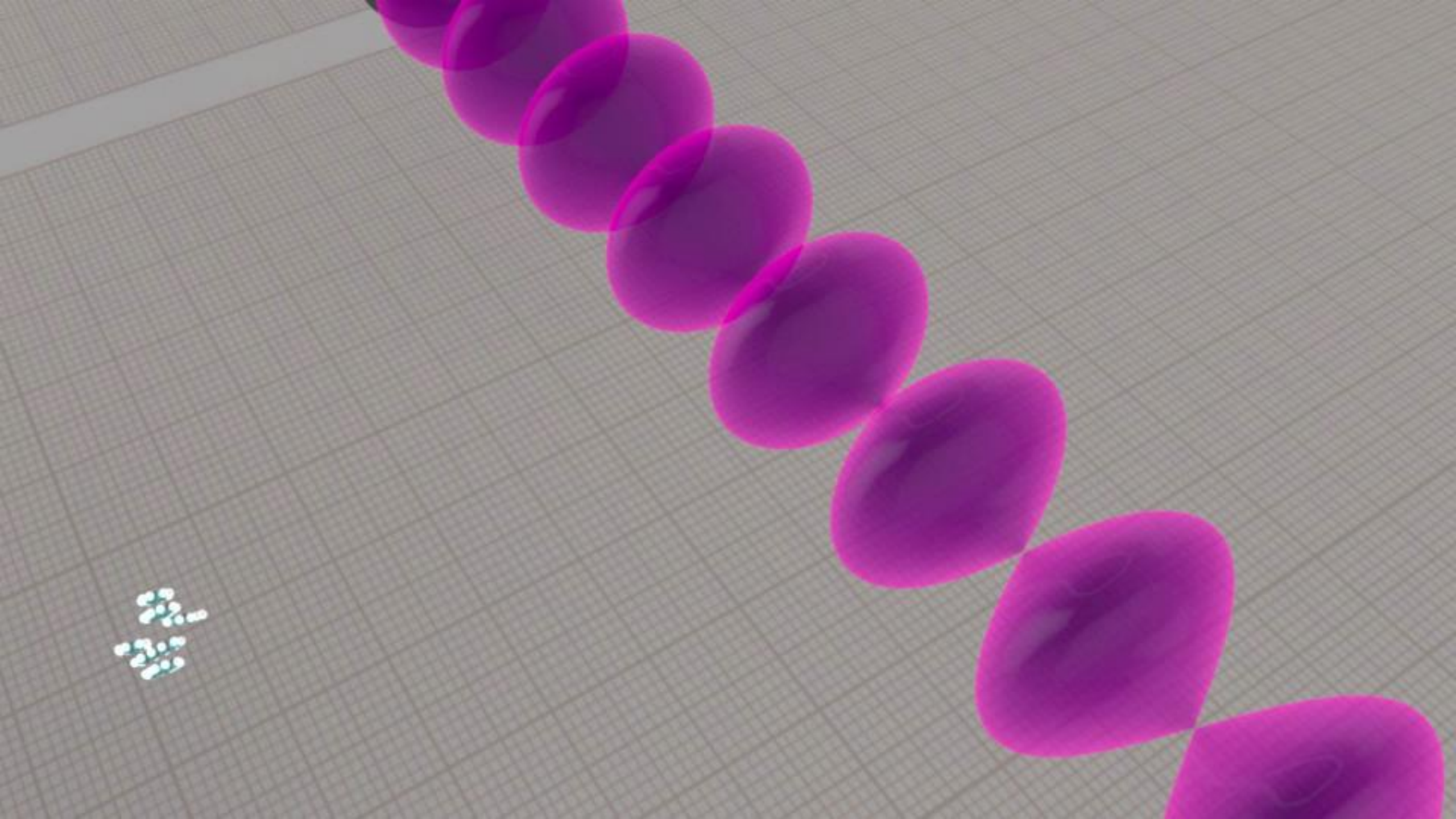
All particles with the same mass:

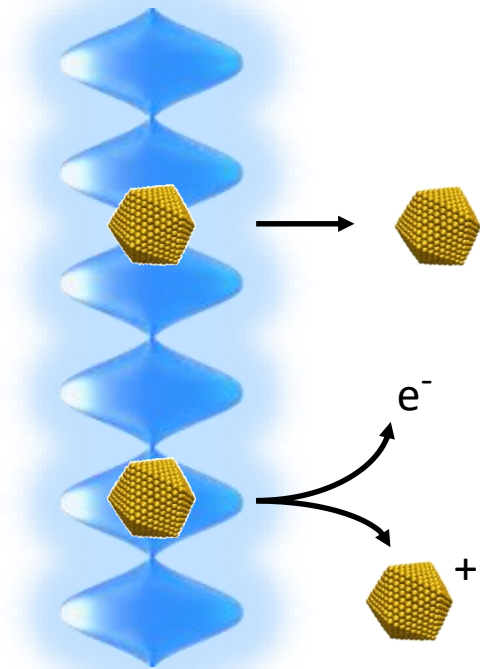
- contribute to the same interference pattern
- at a certain time
- regardless of their velocity
- No clogging

How to implement?

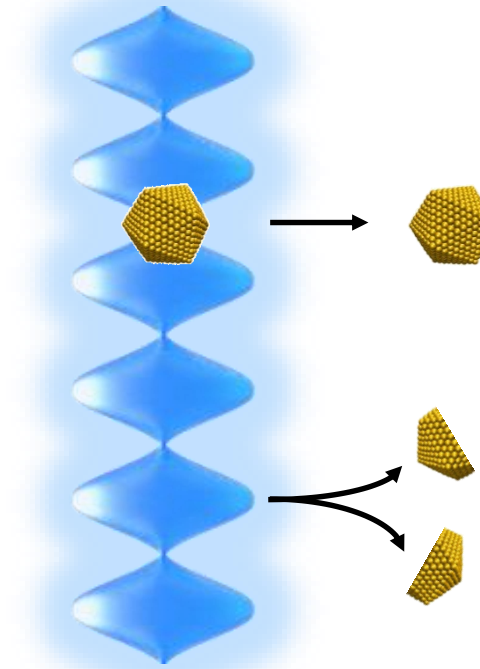
Pulsed VUV standing waves

$$L_T = \frac{d^2}{\lambda_{dB}} \xrightarrow[\frac{L_T}{v}]{\text{time-domain}} T_T = \frac{md^2}{h}$$

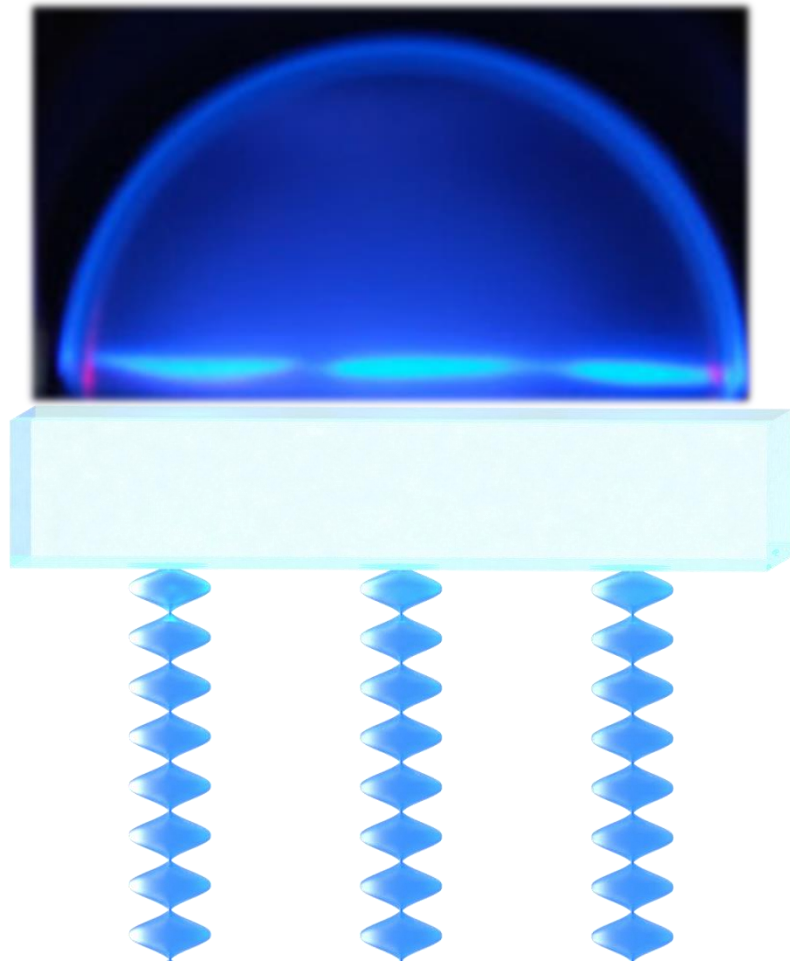




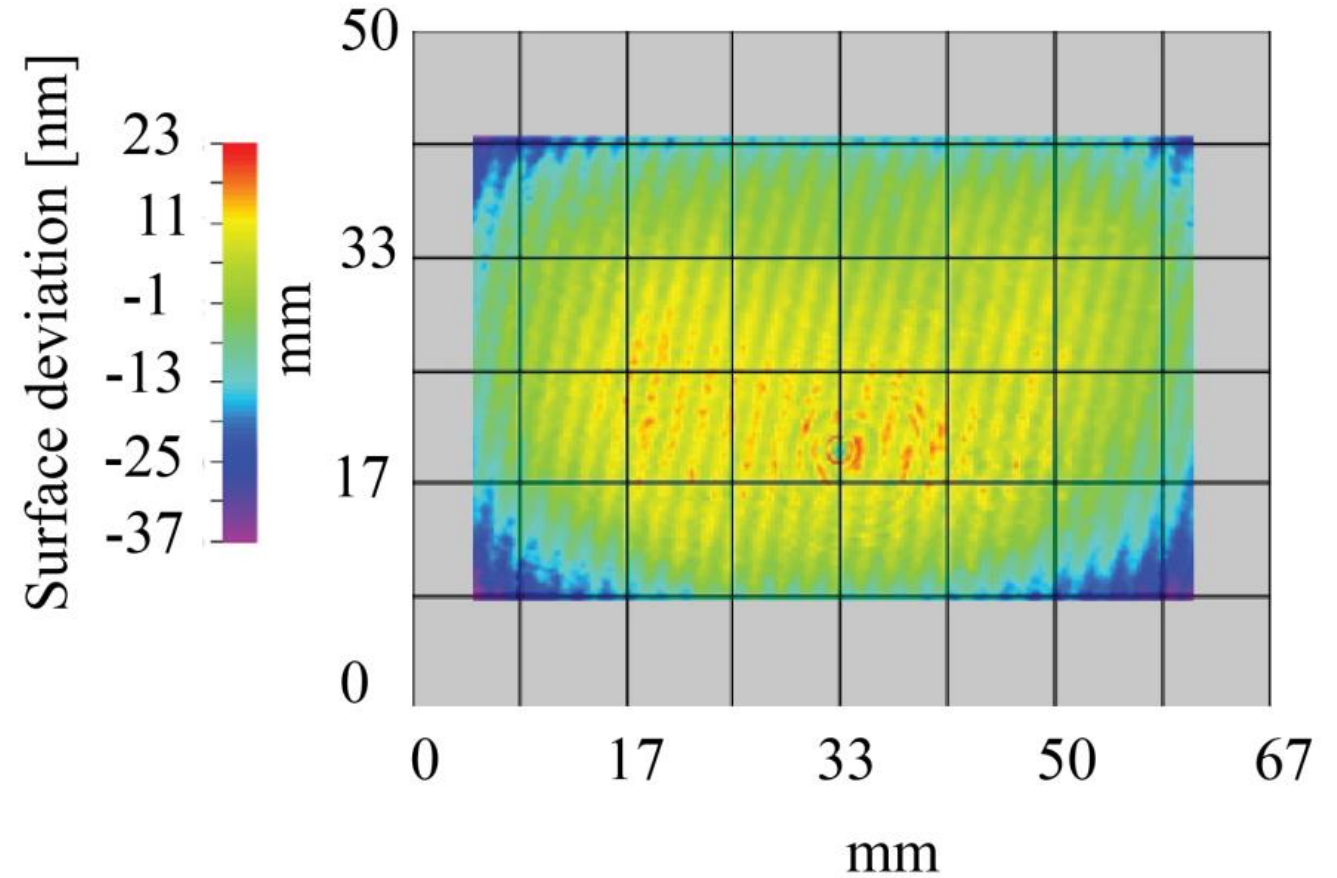
ionization gratings

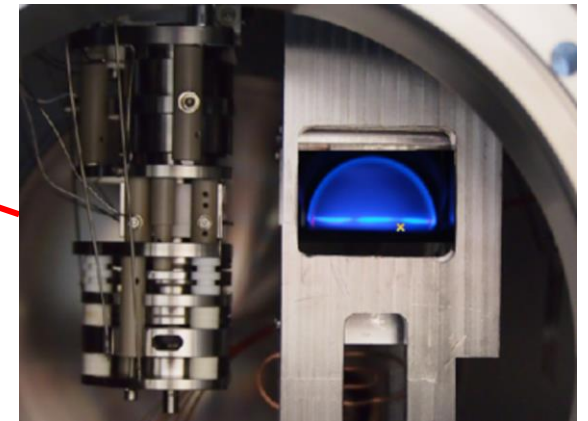
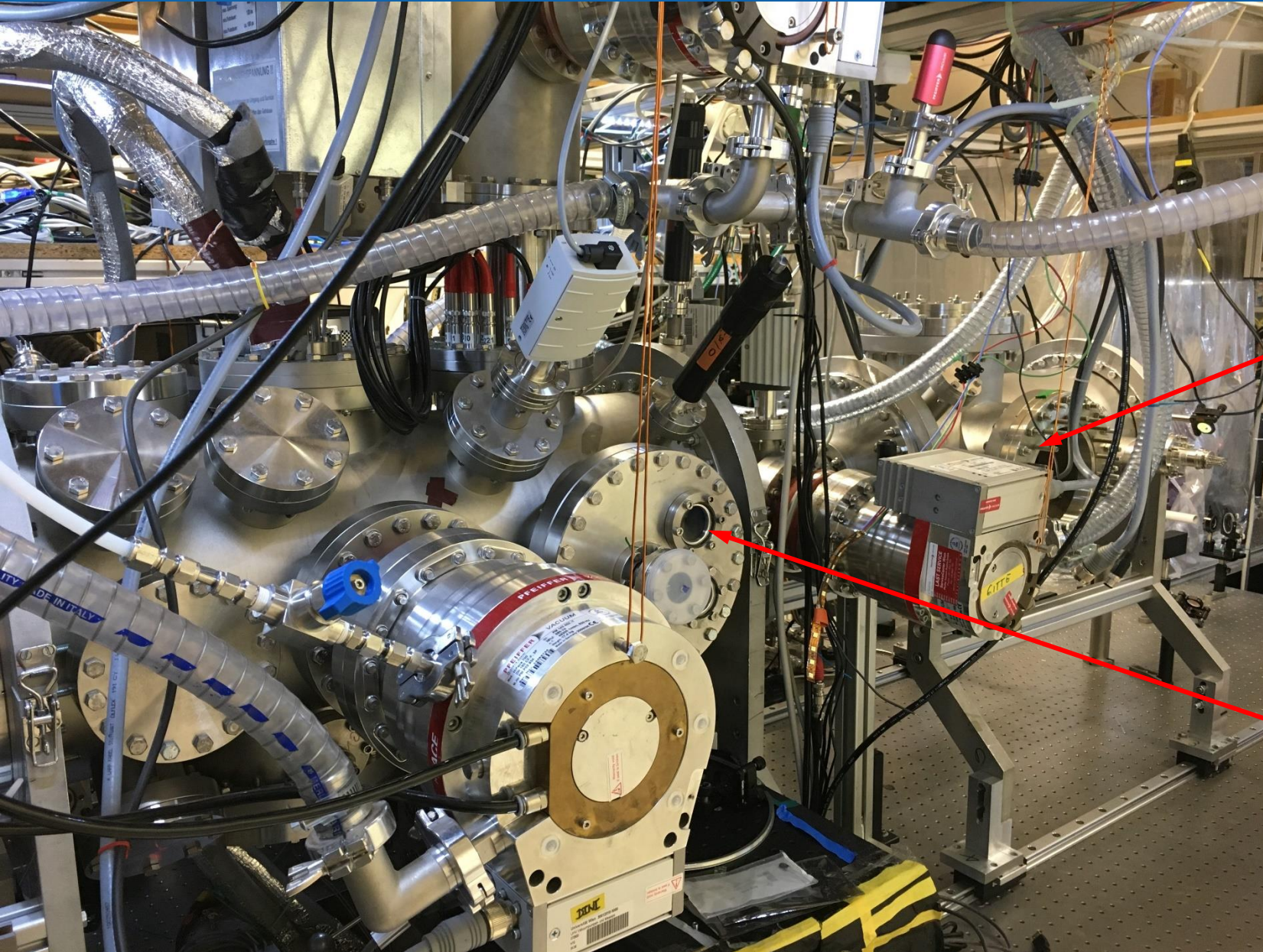


fragmentation gratings



$$\Delta\phi = \frac{2\pi}{d} (\Delta x_1 - 2\Delta x_2 + \Delta x_3)$$





Off-resonant:

$$T_1 + 100 \text{ ns} = T_2$$

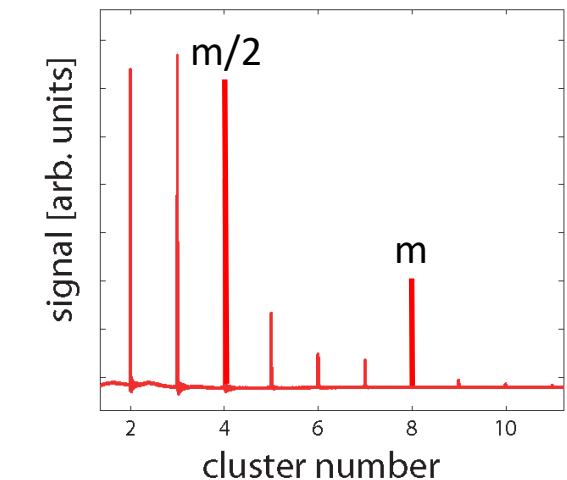
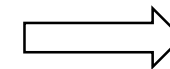
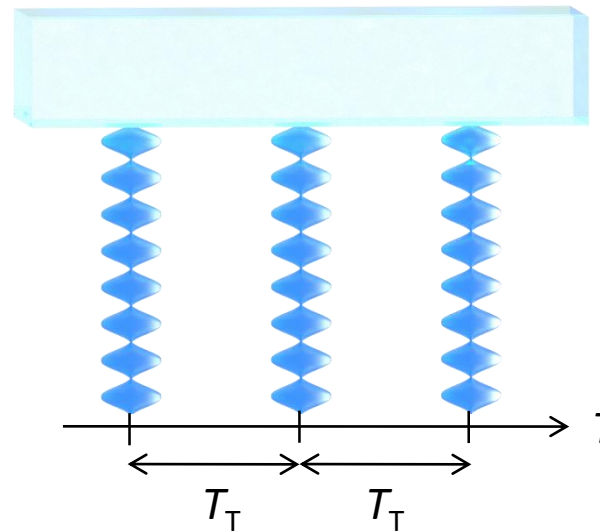
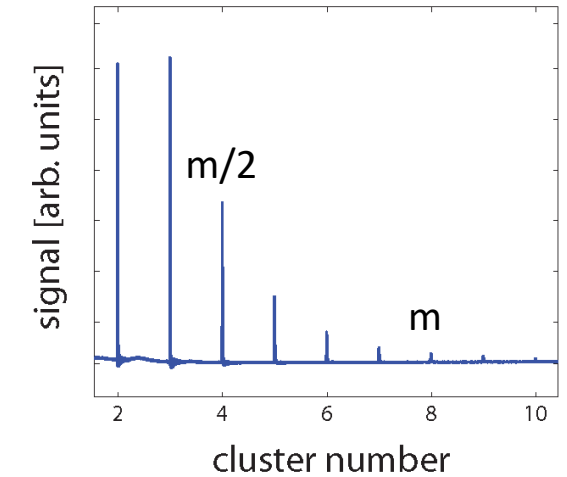
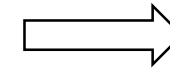
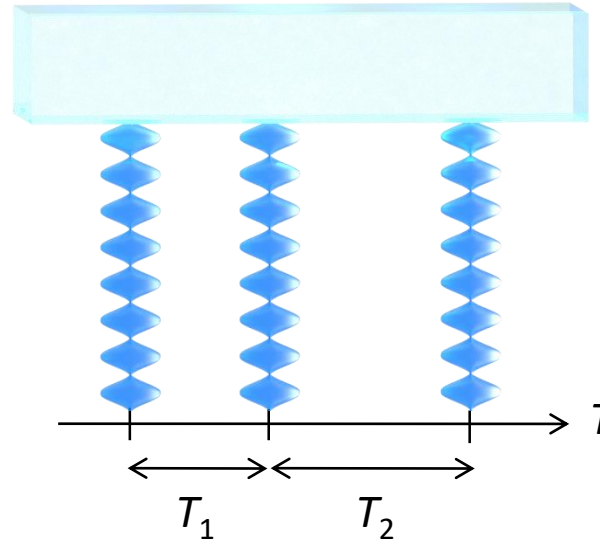
Tiny mismatch destroys interference

$$S_N = \frac{S_{\text{res}} - S_{\text{off}}}{S_{\text{off}}}$$

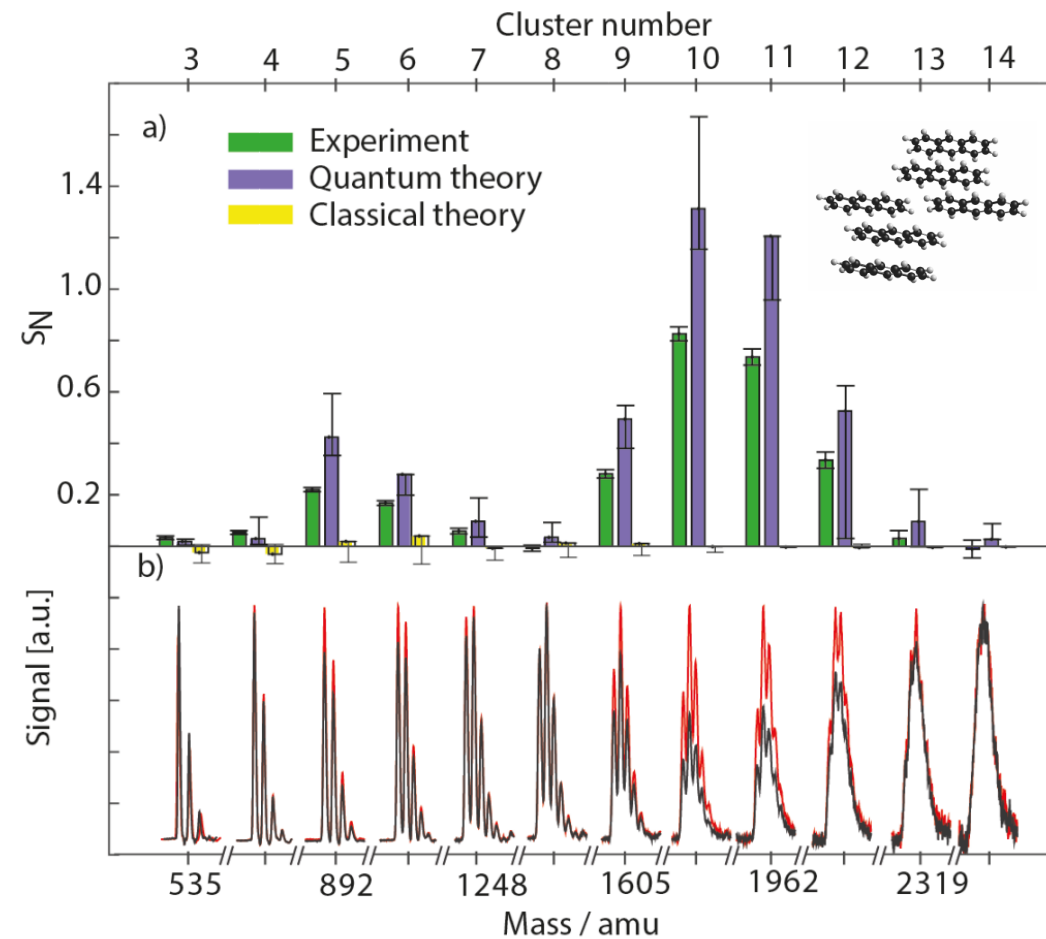
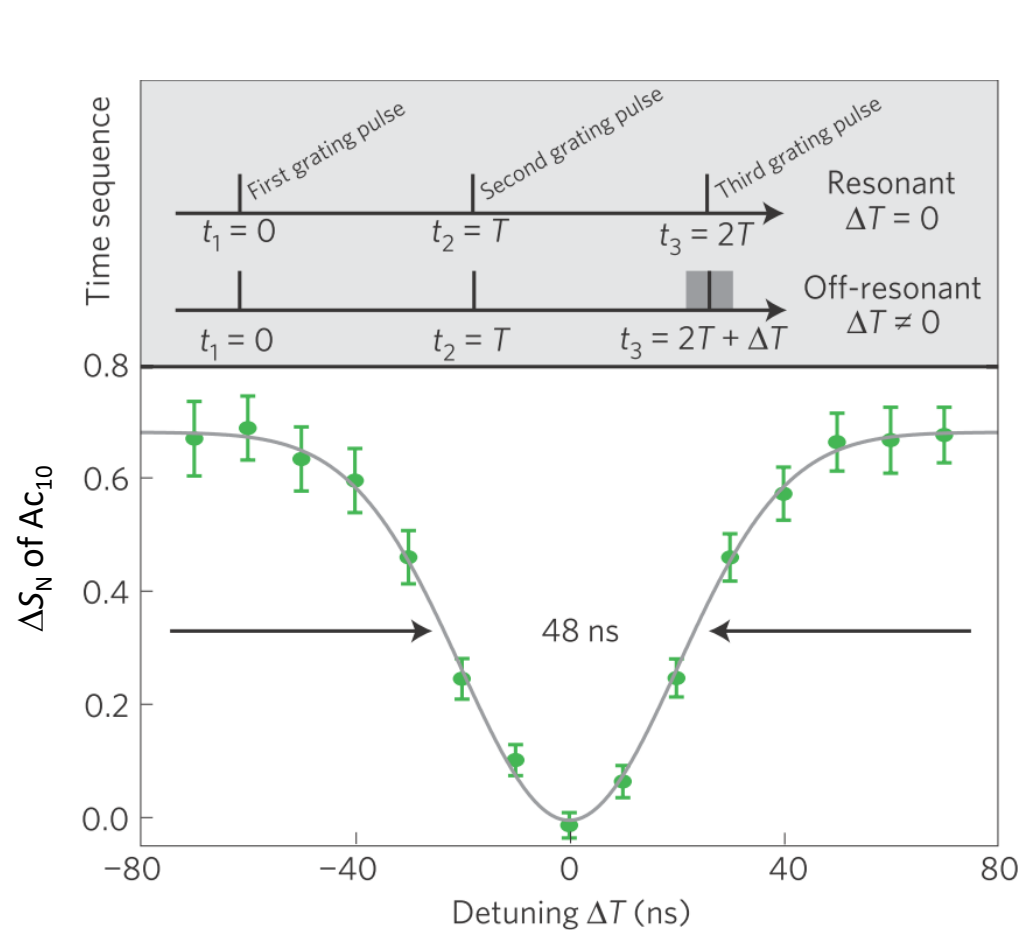
Resonant (for mass  $m$ ):

$$T_1 = T_2 = T_T(m)$$

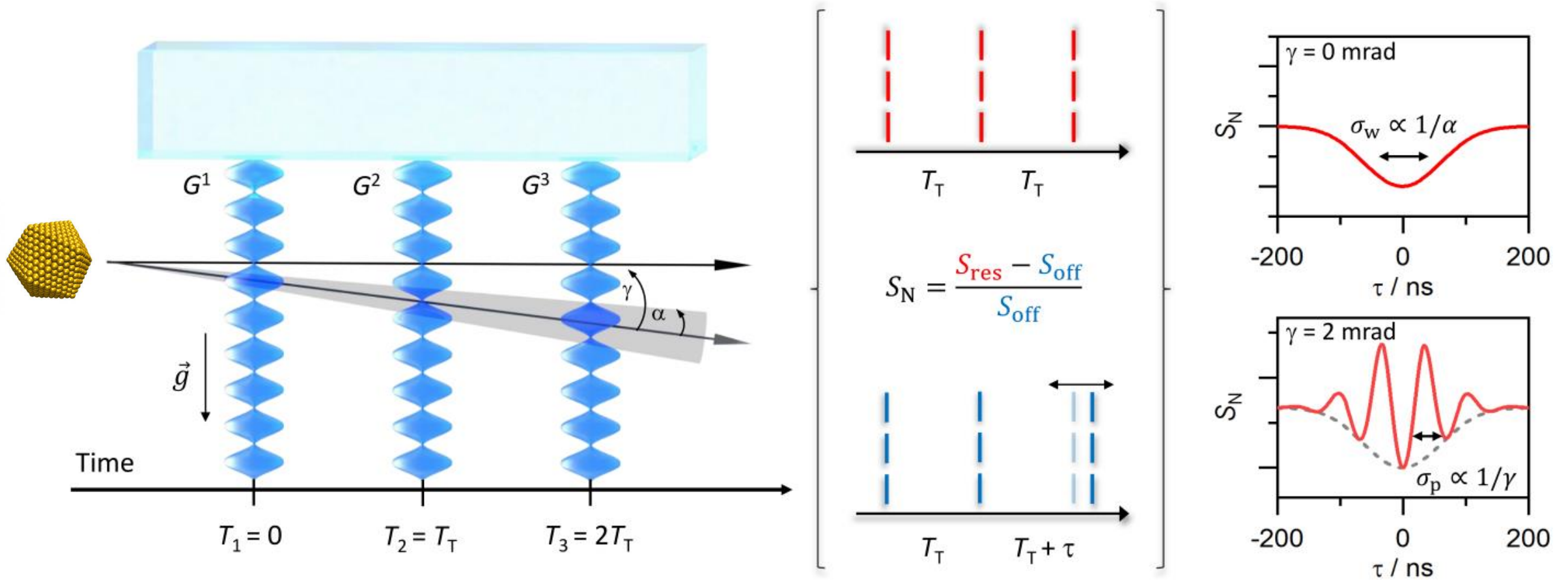
Interference modulates transmission

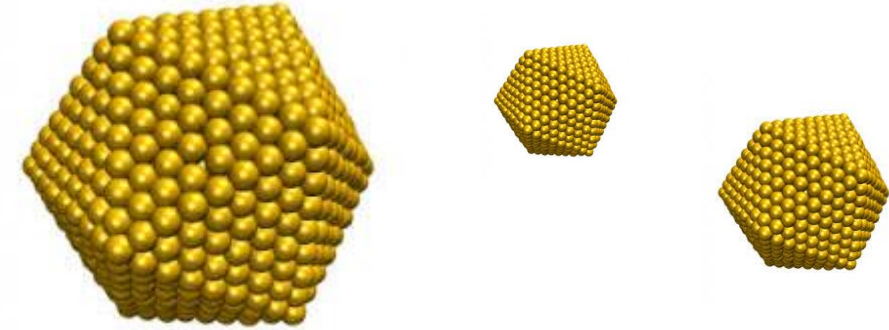
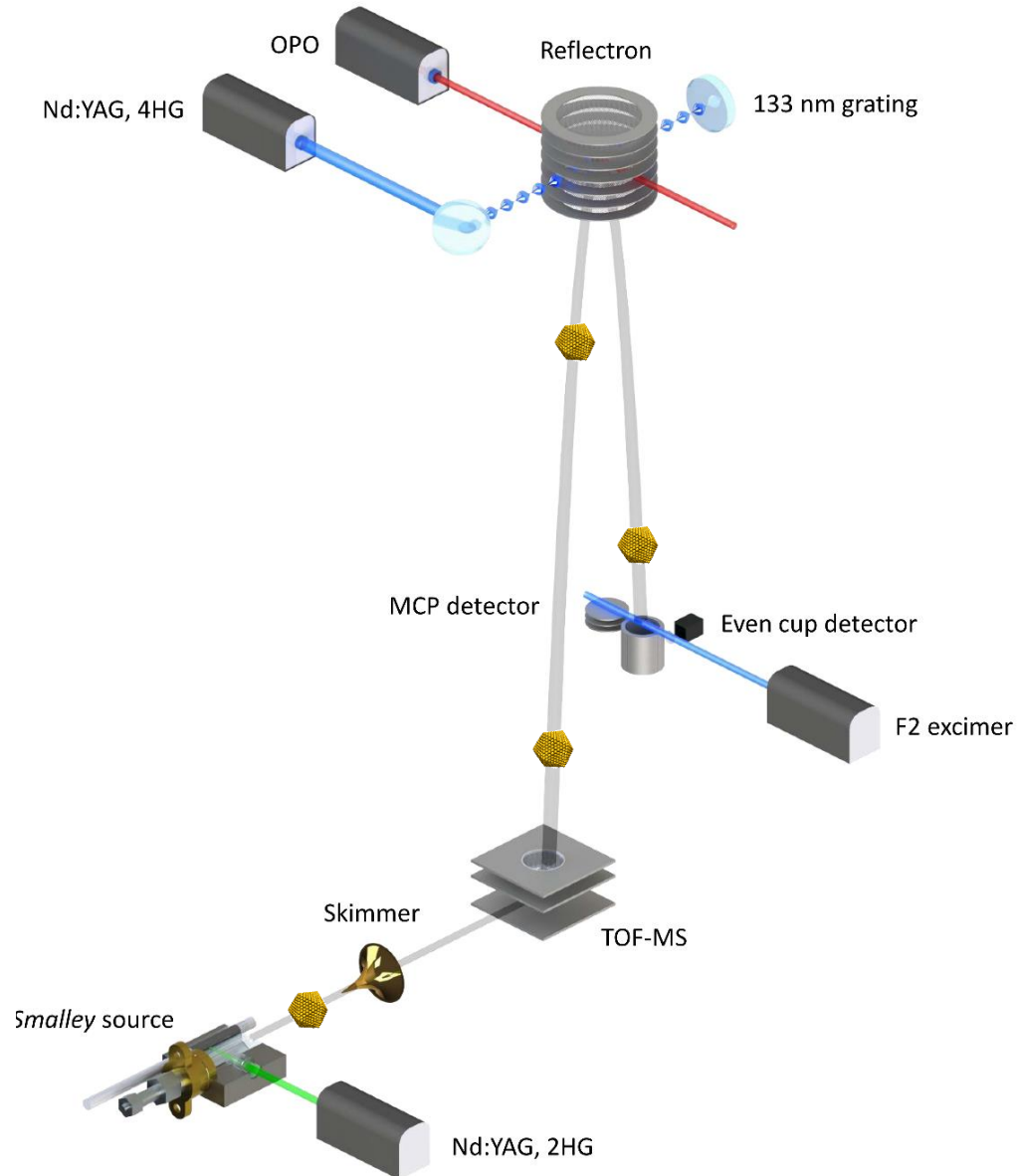






# Imprinting spatial fringes





- Source of high-mass metal cluster anions  
**Smalley, Magnetron, ESI?**
- Deceleration in a reflectron TOF-MS
- Photodetachment
- Interferometry at low velocities
- Detection after free-fall

$$T_T = \frac{md^2}{h} \approx 15 \text{ ms @ } 157 \text{ nm for } 10^6 \text{ amu}$$

# Acknowledgements

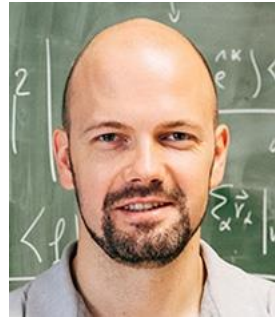


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Markus Arndt



Josef Pradler



Philipp Rieser



Hauke Fischer

