

Correlation of flow harmonics and mean transverse momentum in 5.02 TeV $p+Pb$ and $Pb+Pb$ collisions and event-plane dependence of HBT radii in high-multiplicity $p+Pb$ collisions with the ATLAS detector

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on behalf of the ATLAS Collaboration



**Correlation of flow harmonics
and mean transverse momentum
in 5.02 TeV $p+Pb$ and $Pb+Pb$ collisions**

[arXiv:1907.05176](https://arxiv.org/abs/1907.05176)

The idea

- Relate initial state quantity (event mean $[p_T]$) with evolution towards the final state (flow harmonics)
- Known that the correlation exists (ALICE Phys. Rev. C93, 034916)
- Pearson correlation coefficient R distorted by the limited event multiplicity
- A modified correlator ρ proposed (P. Bozek Phys. Rev. C93 044908)

- Replaces variances by dynamic counterparts $\text{Var}_{\text{dyn}}, c_k$
- Reproduces true R even with limited event multiplicity
→ detector independent measurement

$$R = \frac{\text{cov}(v_n\{2\}^2, [p_T])}{\sqrt{\text{Var}(v_n\{2\}^2)}\sqrt{\text{Var}([p_T])}}$$

$$\rho = \frac{\text{cov}(v_n\{2\}^2, [p_T])}{\sqrt{\text{Var}(v_n\{2\}^2)_{\text{dyn}}}\sqrt{c_k}}$$

- **Is the correlation present & positive or negative?**
Is it strong? Is it the same for all harmonics?
Is it the same in Pb+Pb an p+Pb?

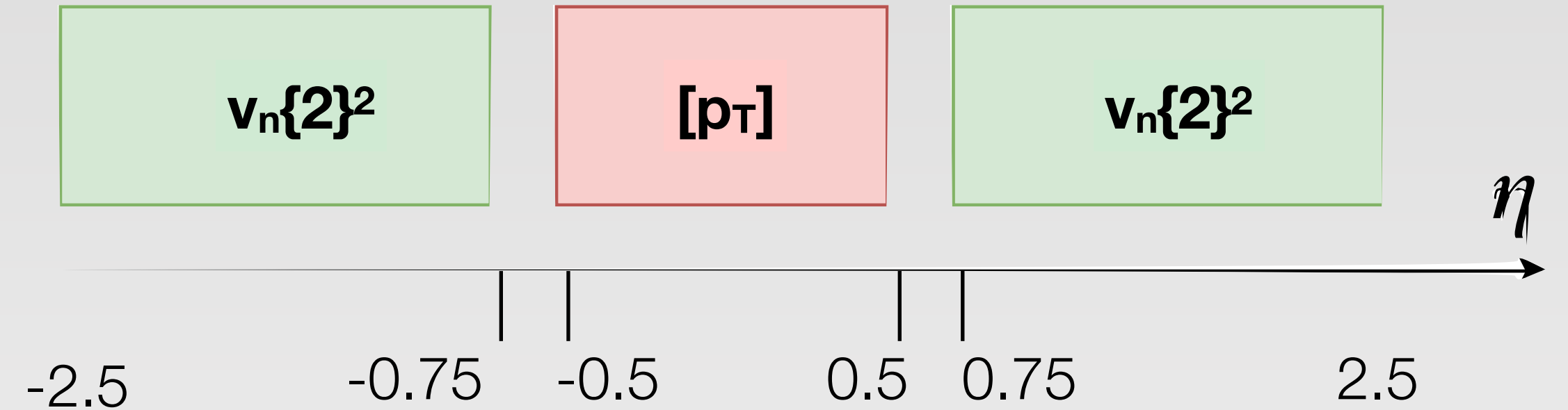
$$\text{Var}(v_n\{2\}^2)_{\text{dyn}} = \langle \text{corr}\{4\} \rangle - \langle \text{corr}\{2\} \rangle^2$$

$$c_k = \left\langle \frac{1}{N_{\text{pair}}} \sum_i \sum_{j \neq i} (p_{T,i} - \langle [p_T] \rangle)(p_{T,j} - \langle [p_T] \rangle) \right\rangle$$

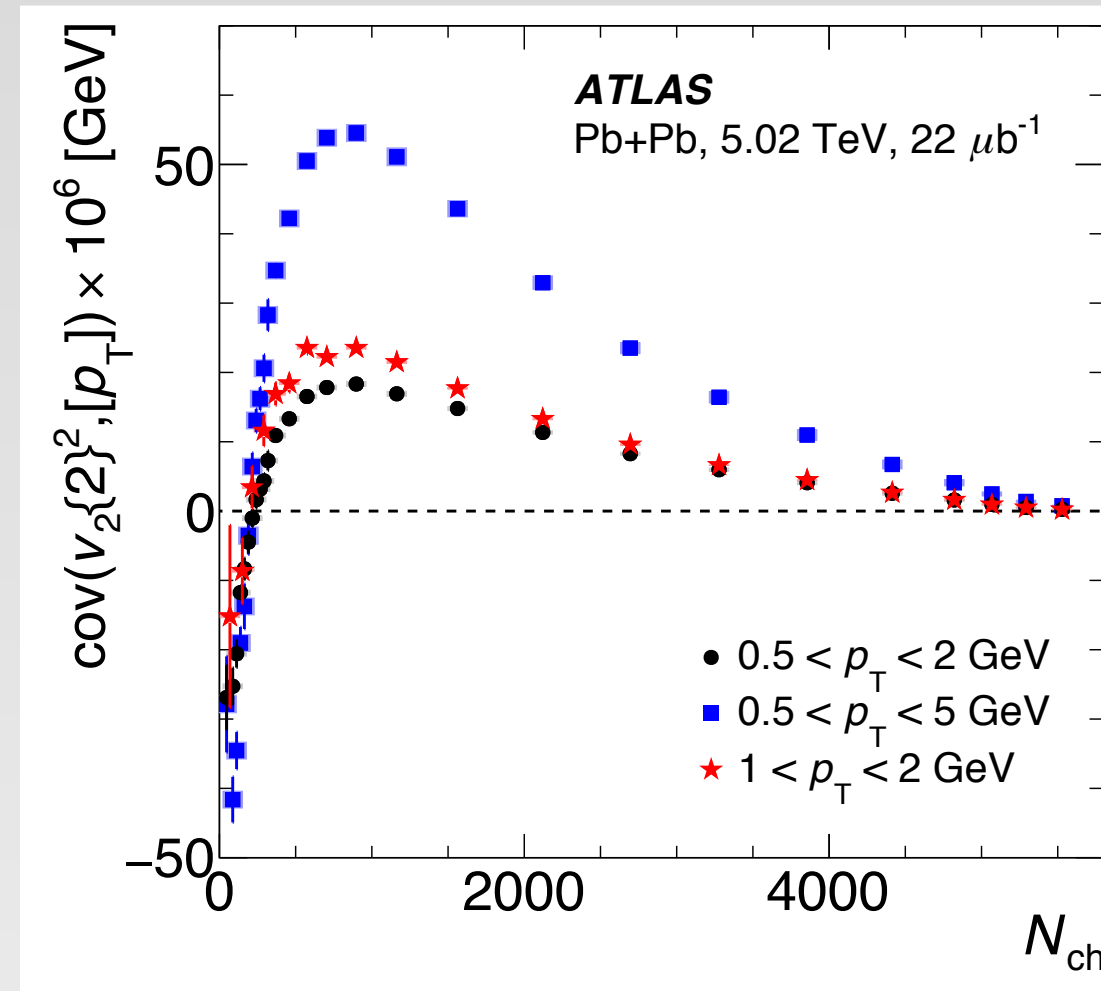
Details

$$\rho = \frac{\text{cov}(v_n\{2\}^2, [p_T])}{\sqrt{\text{Var}(v_n\{2\}^2)_{\text{dyn}}} \sqrt{c_k}}$$

- Dataset: $\sqrt{s_{NN}} = 5.02 \text{ TeV}$,
2015 $Pb+Pb$ $22\mu\text{b}^{-1}$, 2013 $p+Pb$ 28nb^{-1}
- Distinct sets of particles for $[p_T]$ and $v_n\{2\}^2$
- Rapidity gaps to suppress non-flow
- Analysis in narrow bins of multiplicity in forward regions
 - Mapped to N_{ch} and N_{part}
- Several p_T intervals: hydrodynamics region, energy loss region & region to test sensitivity to multiplicity change



Ingredients of the ρ for v_2 in $Pb+Pb$

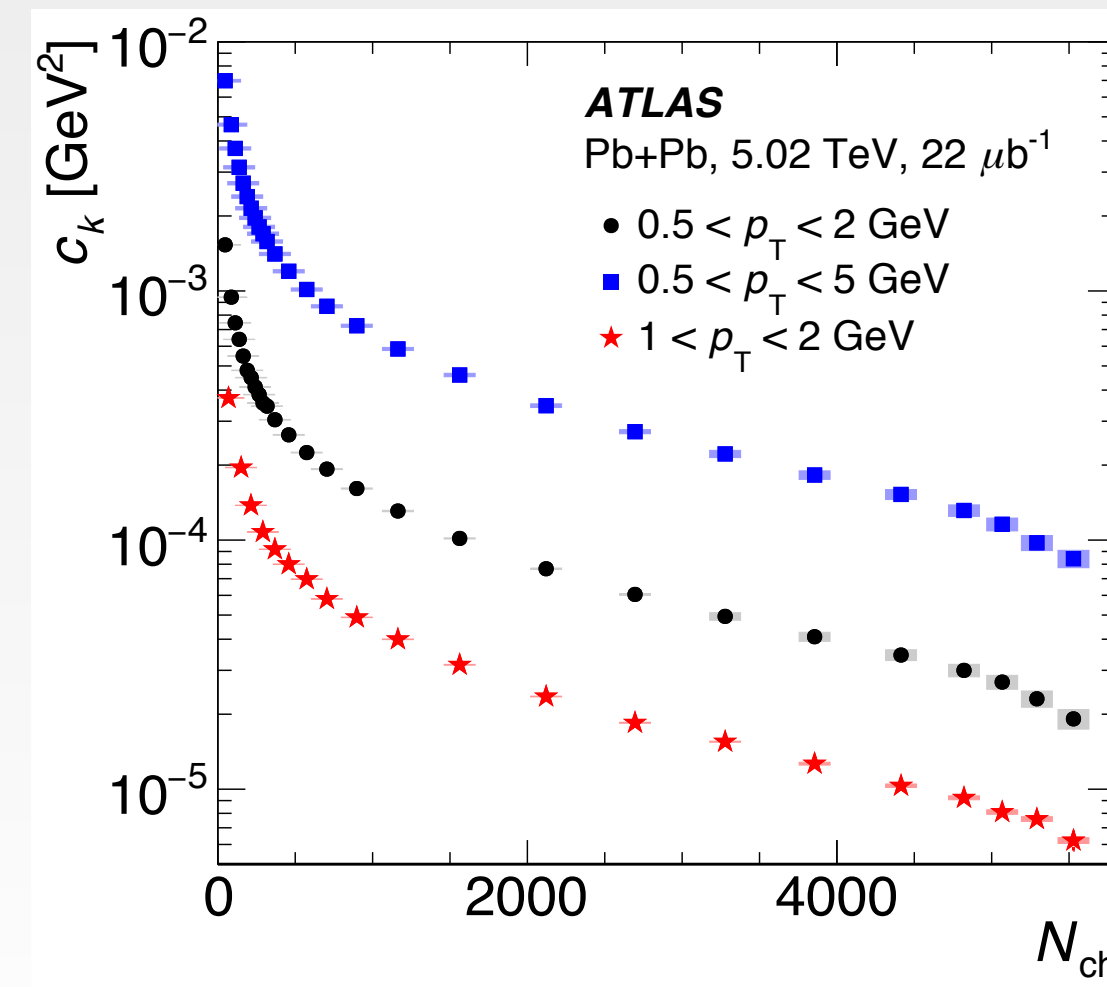
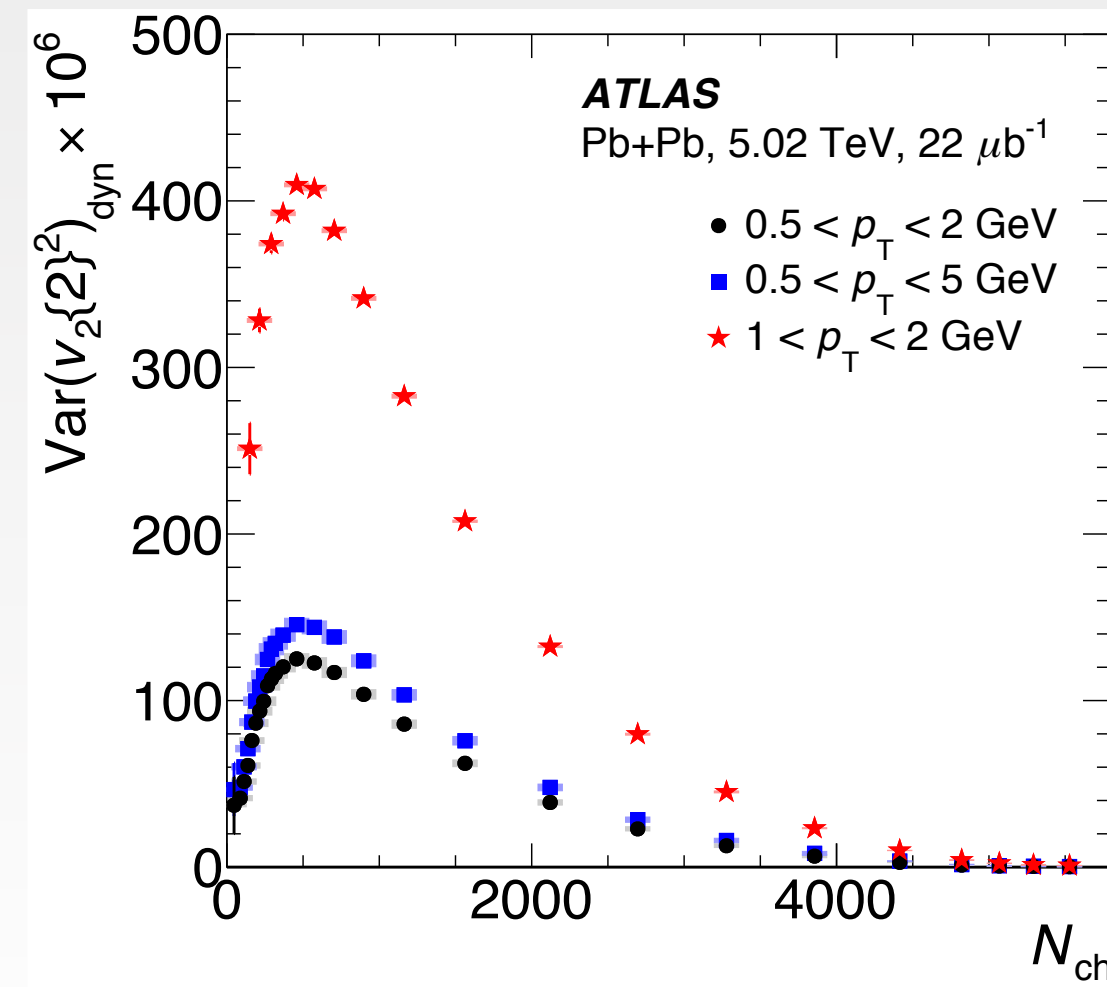


Significant variation with centrality
 Trend follows the v_2 magnitude
 Negative in peripheral events!

$\longrightarrow 0.5 < p_T < 5 \text{ GeV}, |\eta| < 2.5$

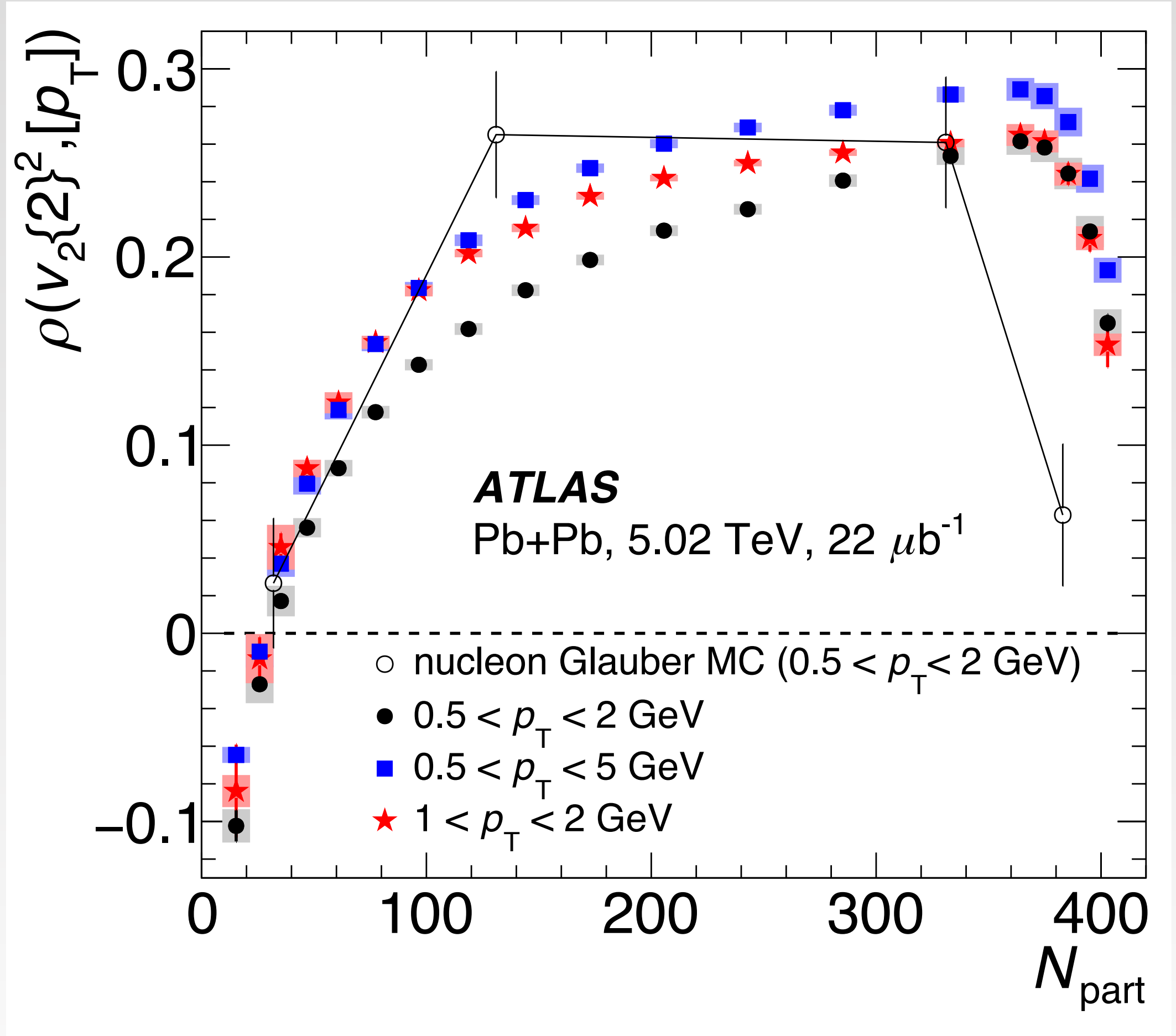
$$\rho =$$

Magnitude of v_2 fluctuations
 Similar trend to v_2
 Different p_T ordering as compared to cov



c_k quantifies magnitude of $[p_T]$ fluctuations
 Nontrivial p_T interval ordering, different than for cov and Var_{dyn}

Correlation coefficient ρ for v_2



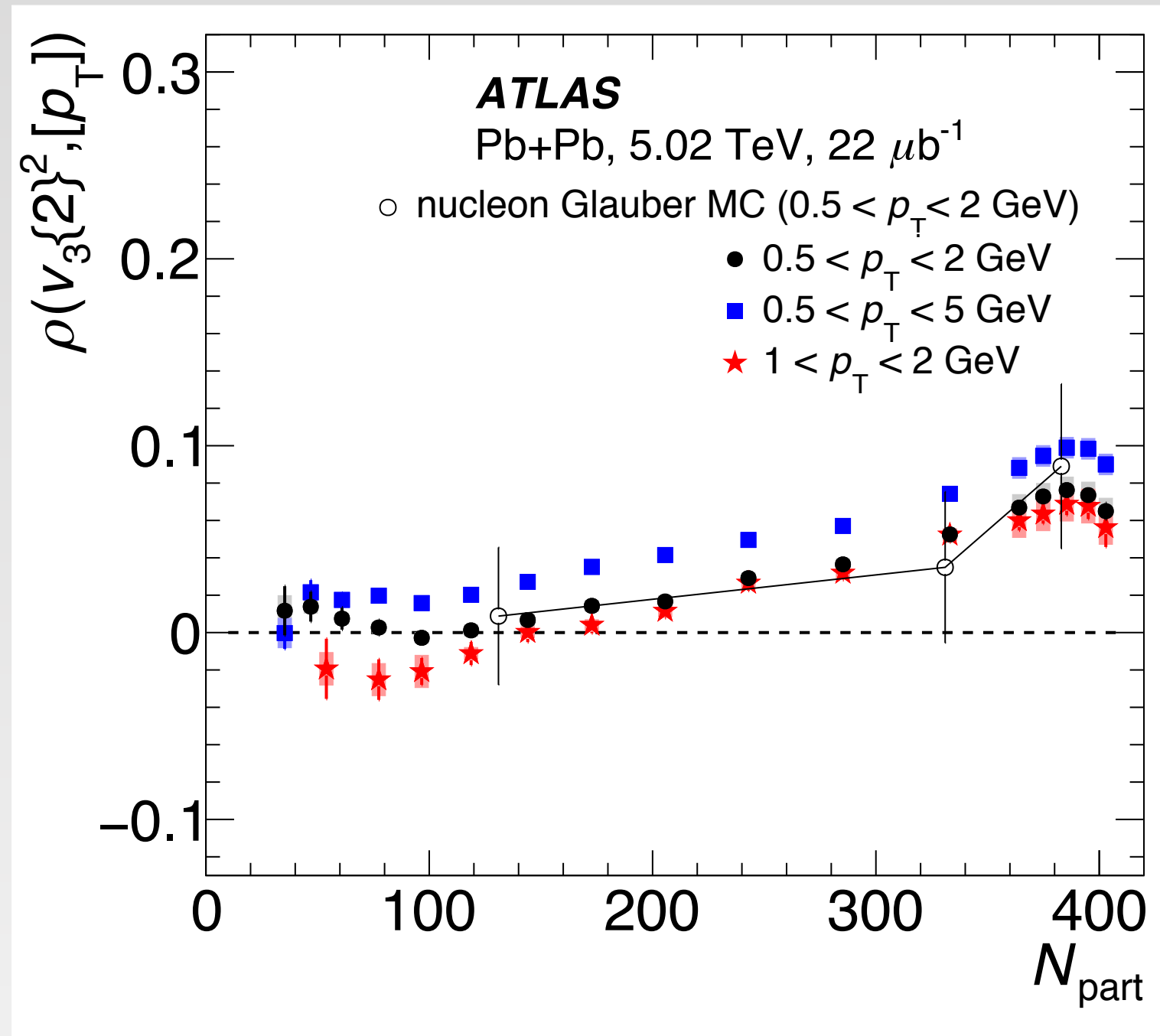
Negative correlation for v_2 in peripheral collisions
 → related to ecc. $\sim 1/r$

Gentle rise in mid central
 → stronger hydrodynamic response to initial eccentricities - interplay between radial and elliptic flow

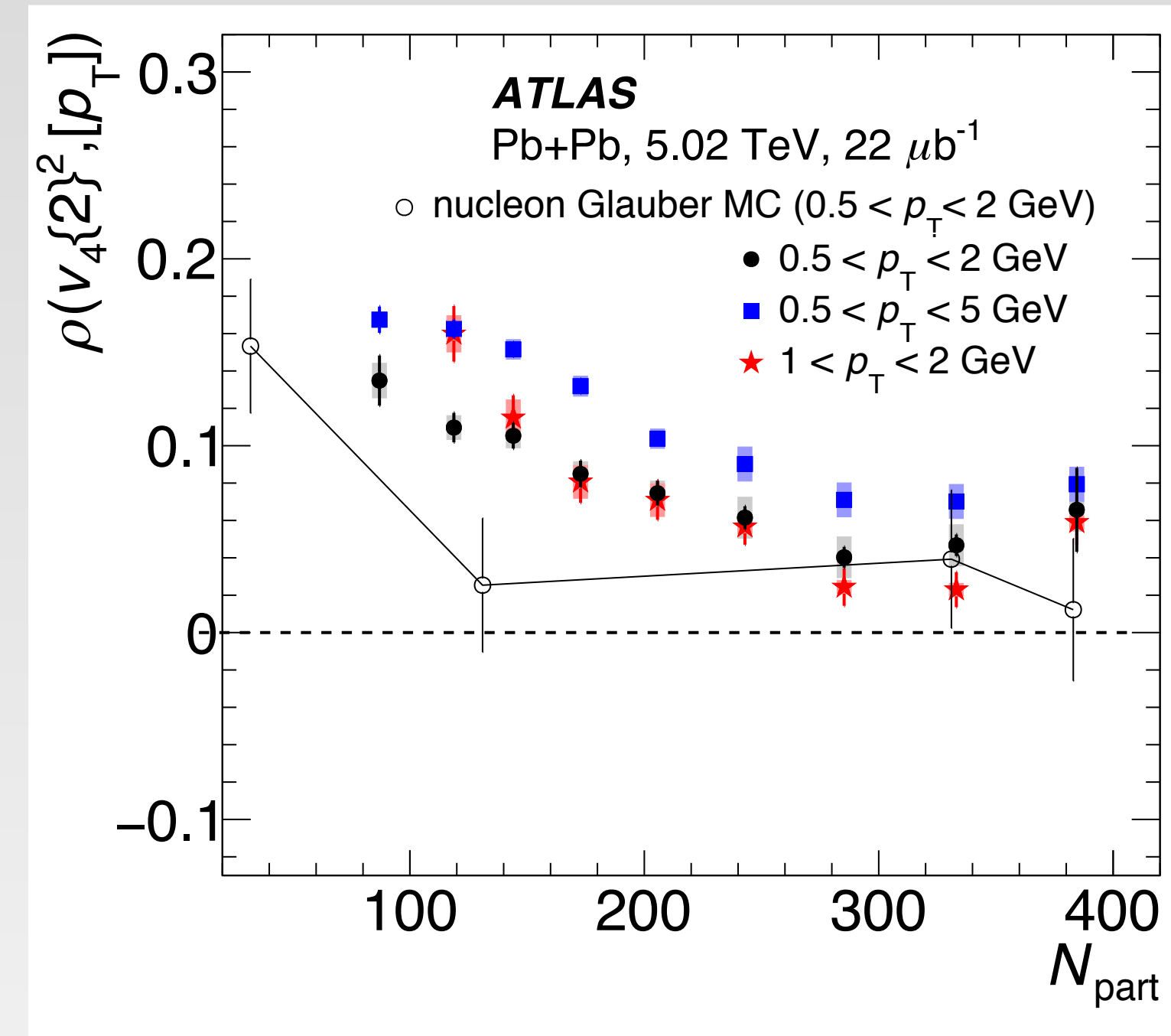
Fall in most central events

Hydrodynamics 1+3D (Phys. Rev. C93 044908), reproduces the behaviour qualitatively

Correlation coefficient ρ for v_3 and v_4

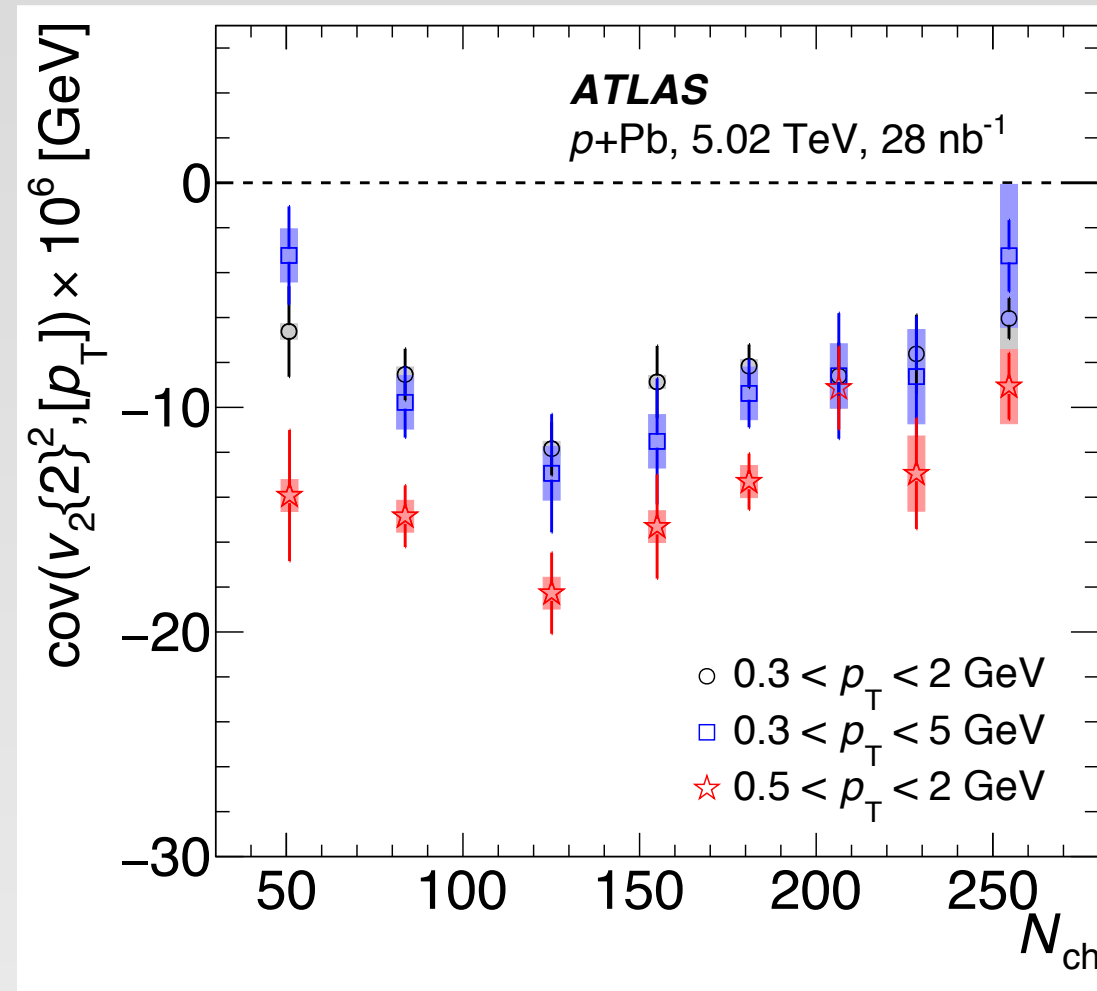


- Correlation for v_3 is weaker compared to v_2
- Positive except for $N_{\text{part}} < 100$ and $p_T > 1\text{GeV}$
- Above $N_{\text{part}} \approx 100$ steady rise



- Significant correlation for v_4
- The trend is inverted as compared to v_2 and v_3
- Change of the trend in central events
→ nonlinear hydro response to initial geometry fluctuations?

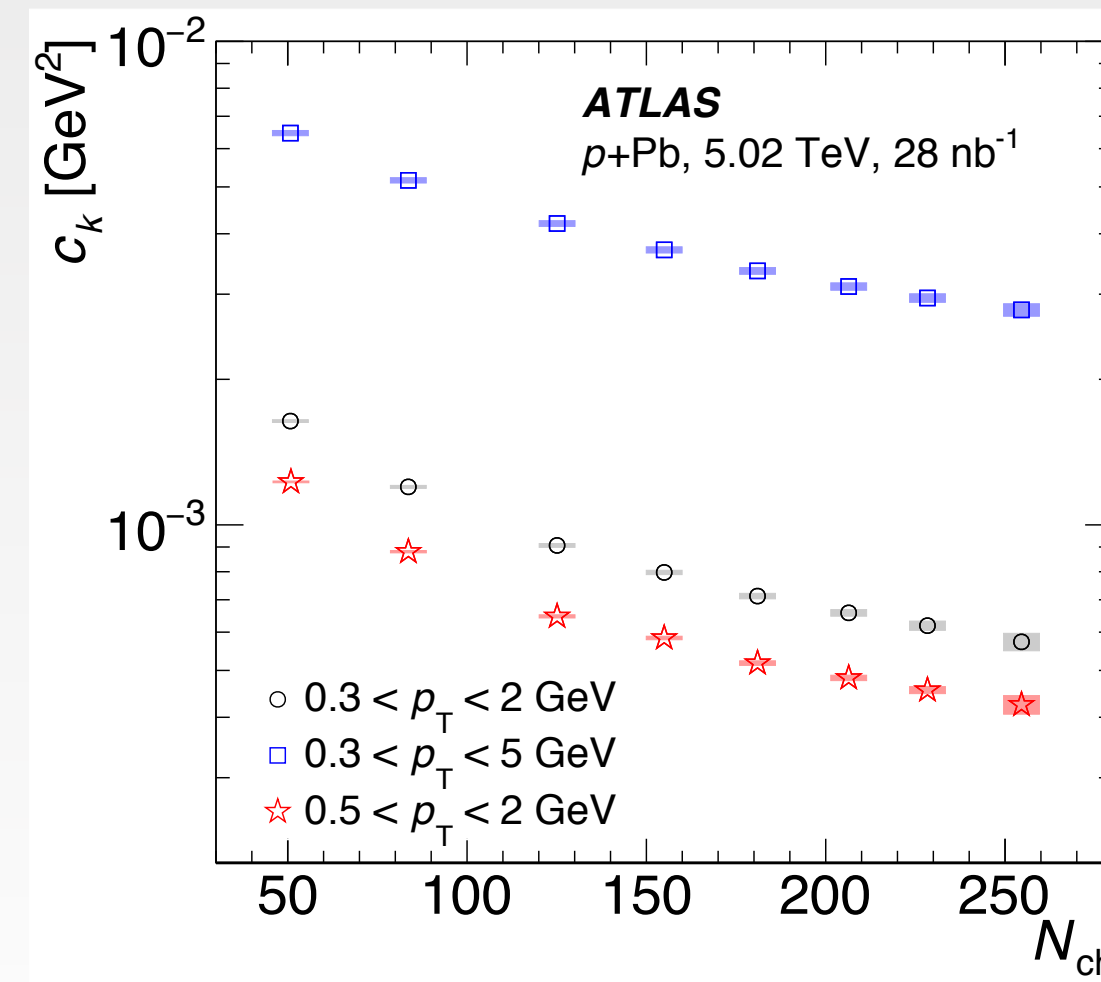
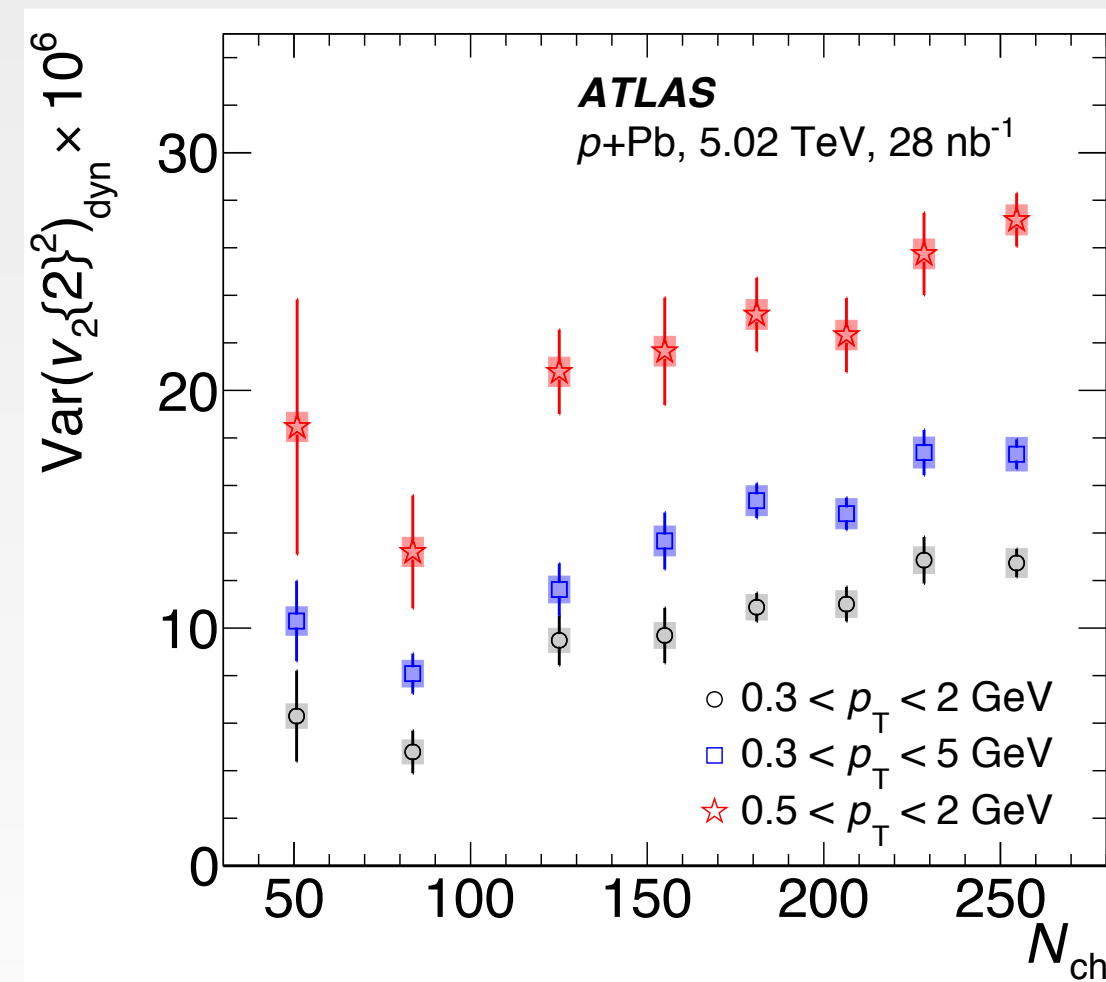
Ingredients of ρ for v_2 in $p+Pb$



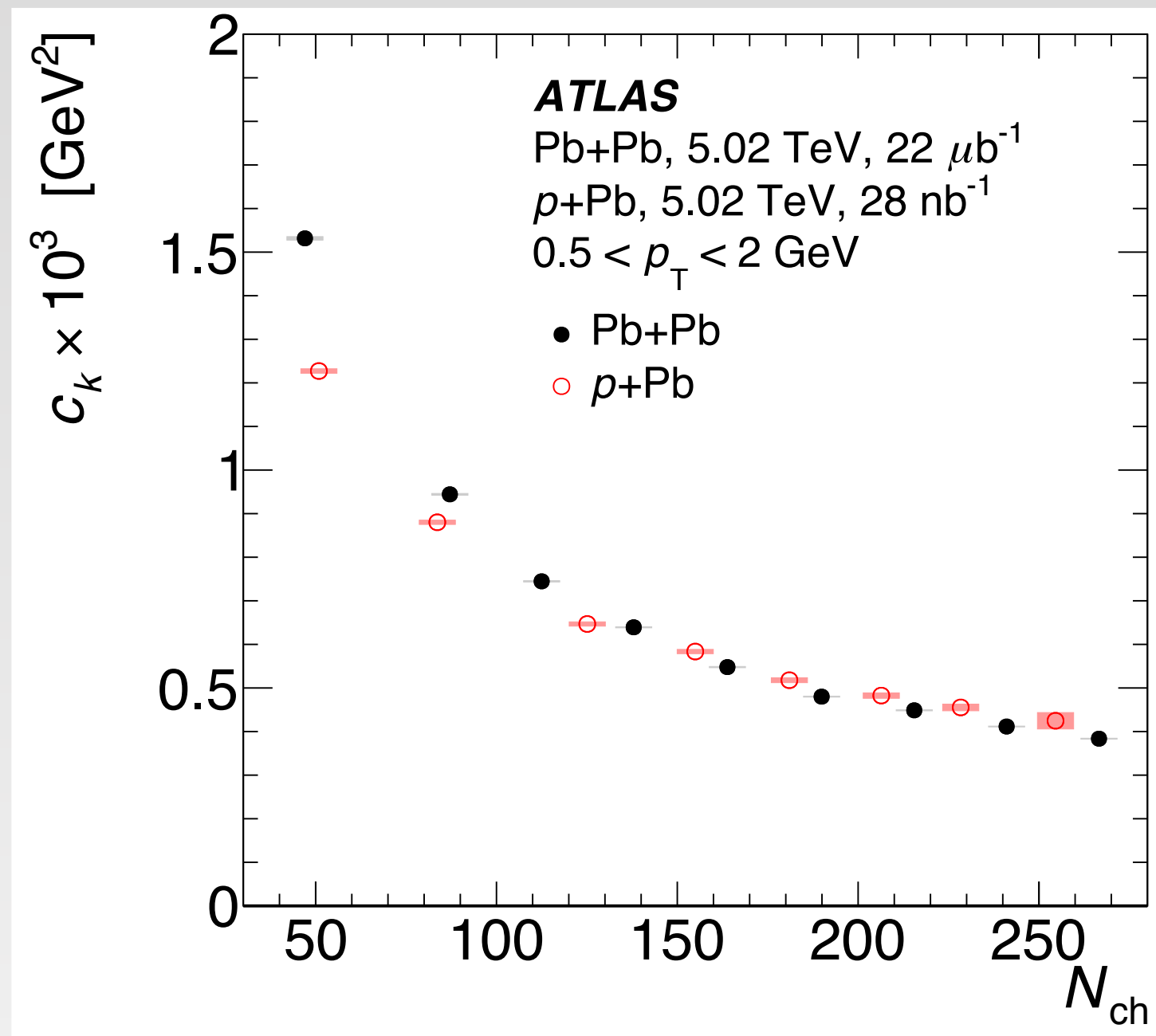
Negative covariance, will determine sign of ρ

$\rho =$

$\sqrt{\dots}$



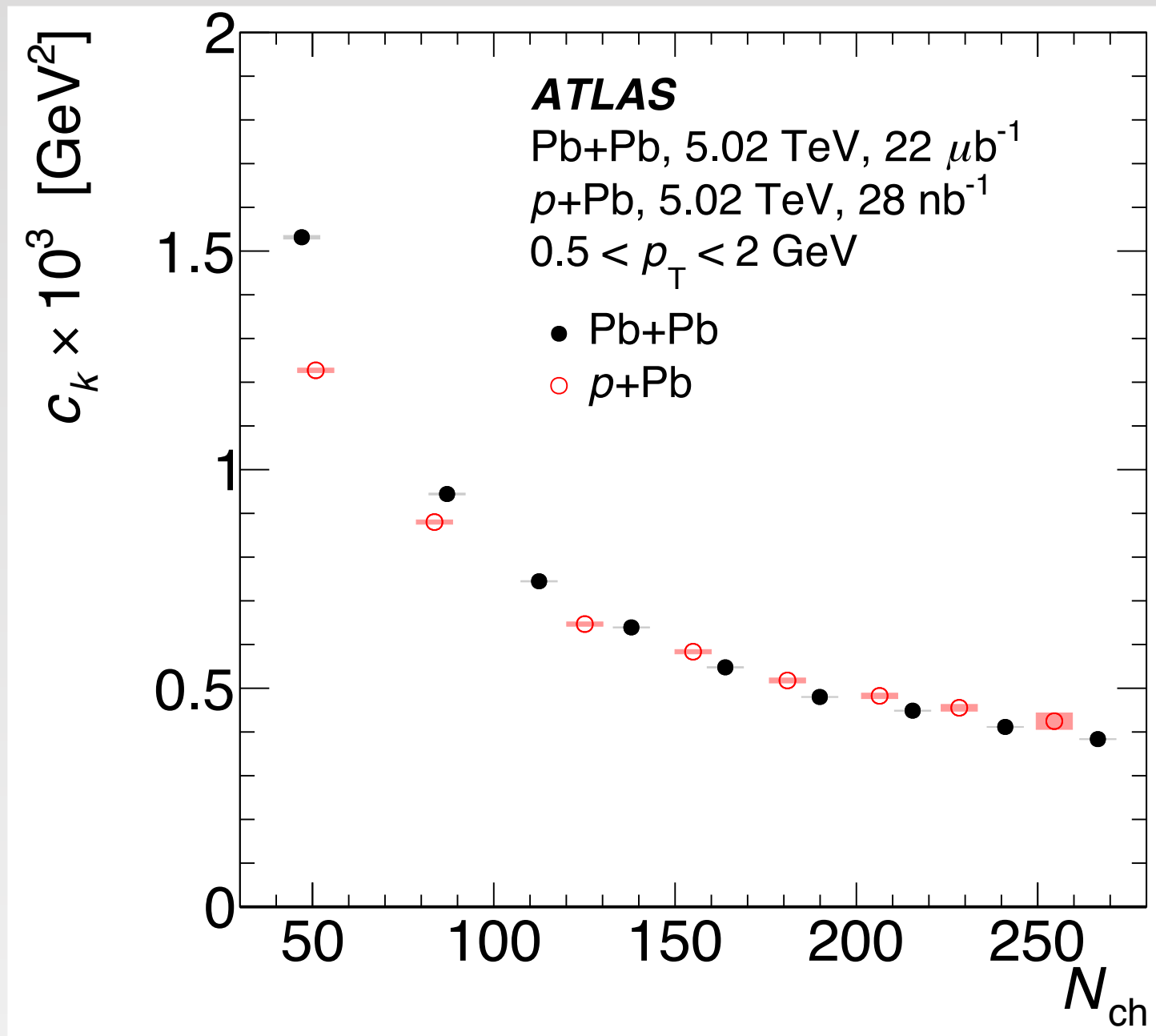
The ρ for v_2 in $p+Pb$ vs $Pb+Pb$



The $[p_T]$ fluctuations are of similar magnitude in $p+Pb$ and peripheral $Pb+Pb$ when matched N_{ch}

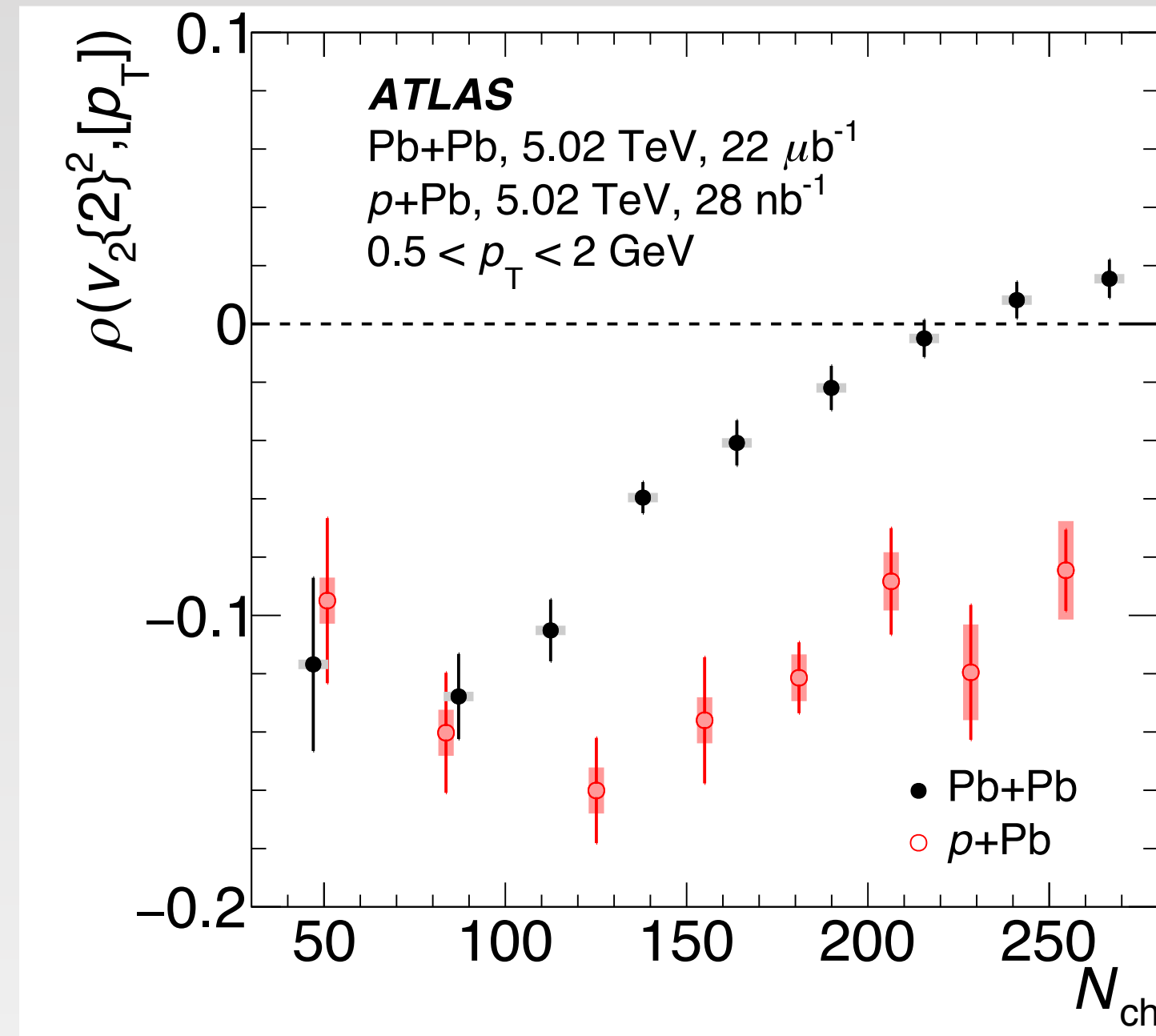
The difference in the ρ values driven by the flow

The ρ for v_2 in $p+Pb$ vs $Pb+Pb$



The $[p_T]$ fluctuations are of similar magnitude on $p+Pb$ and peripheral $Pb+Pb$ when matched N_{ch}

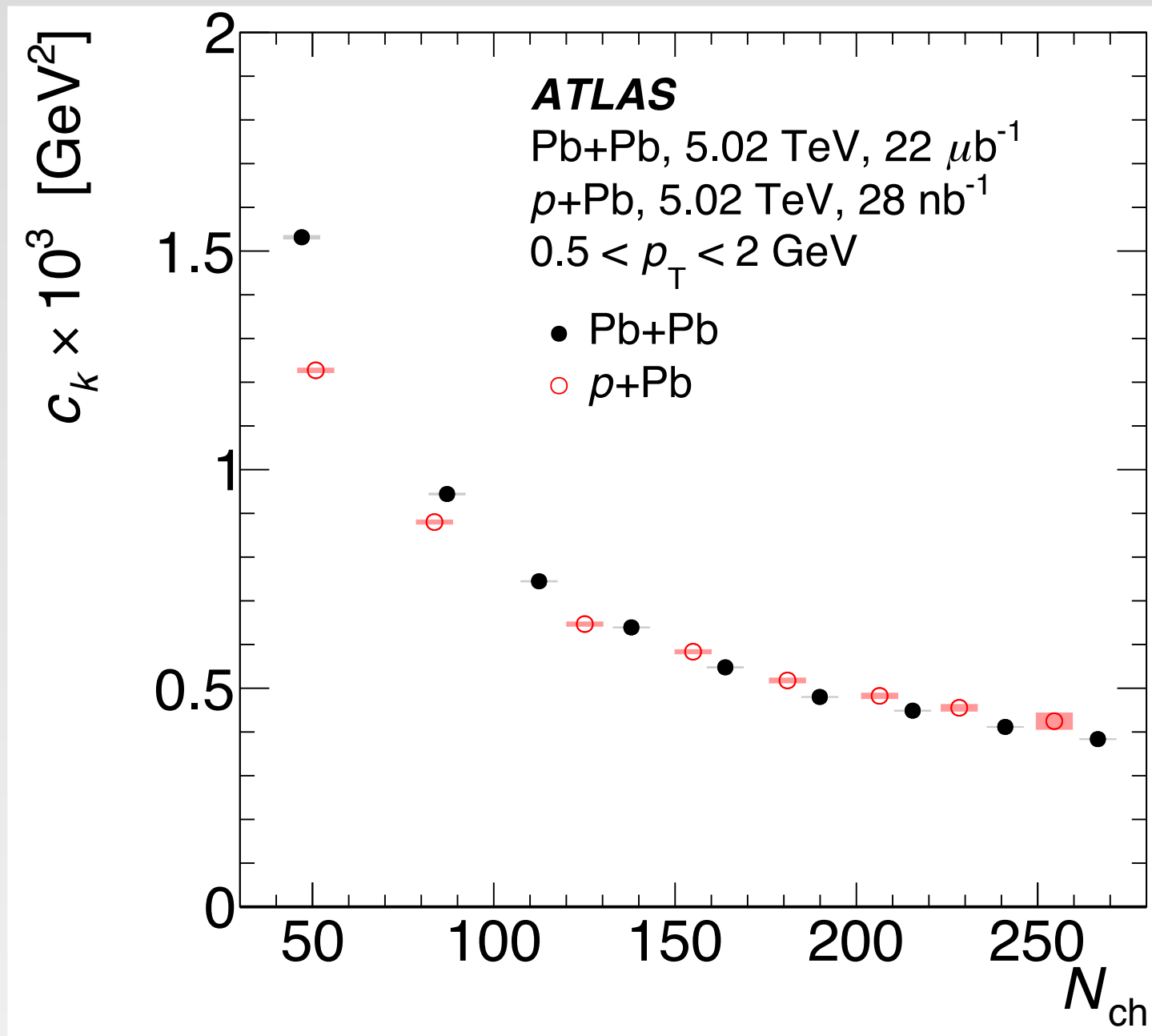
The difference in the ρ values driven by the flow



The ρ for v_2 is negative in high multiplicity $p+Pb$ collisions, for $N_{\text{ch}} < 100$, compatible with $Pb+Pb$

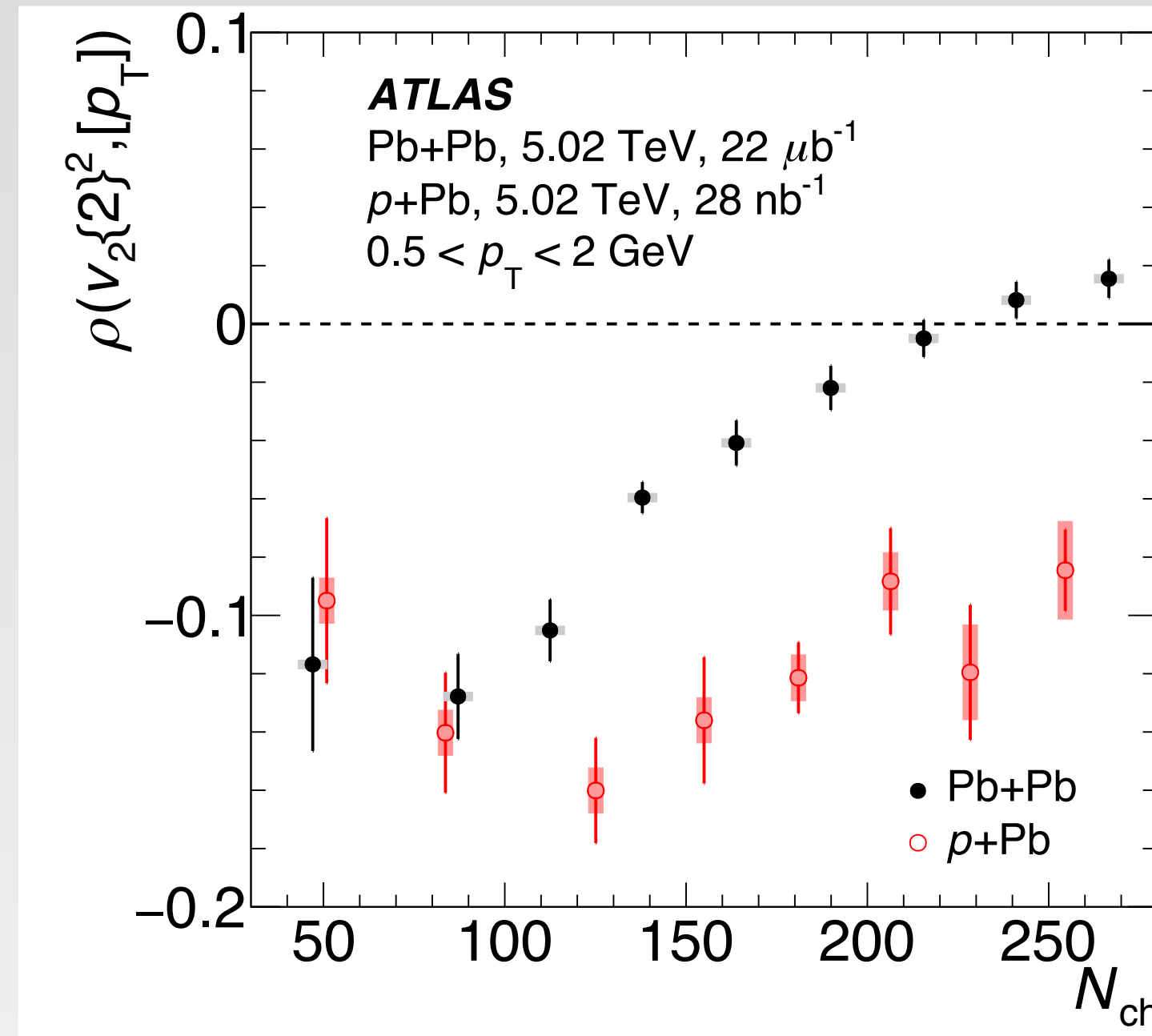
No geometry driven trend observed in $p+Pb$ compared to a clear effect in $Pb+Pb$

The ρ for v_2 in $p+Pb$ vs $Pb+Pb$



The $[p_T]$ fluctuations are of similar magnitude on $p+Pb$ and peripheral $Pb+Pb$ when matched N_{ch}

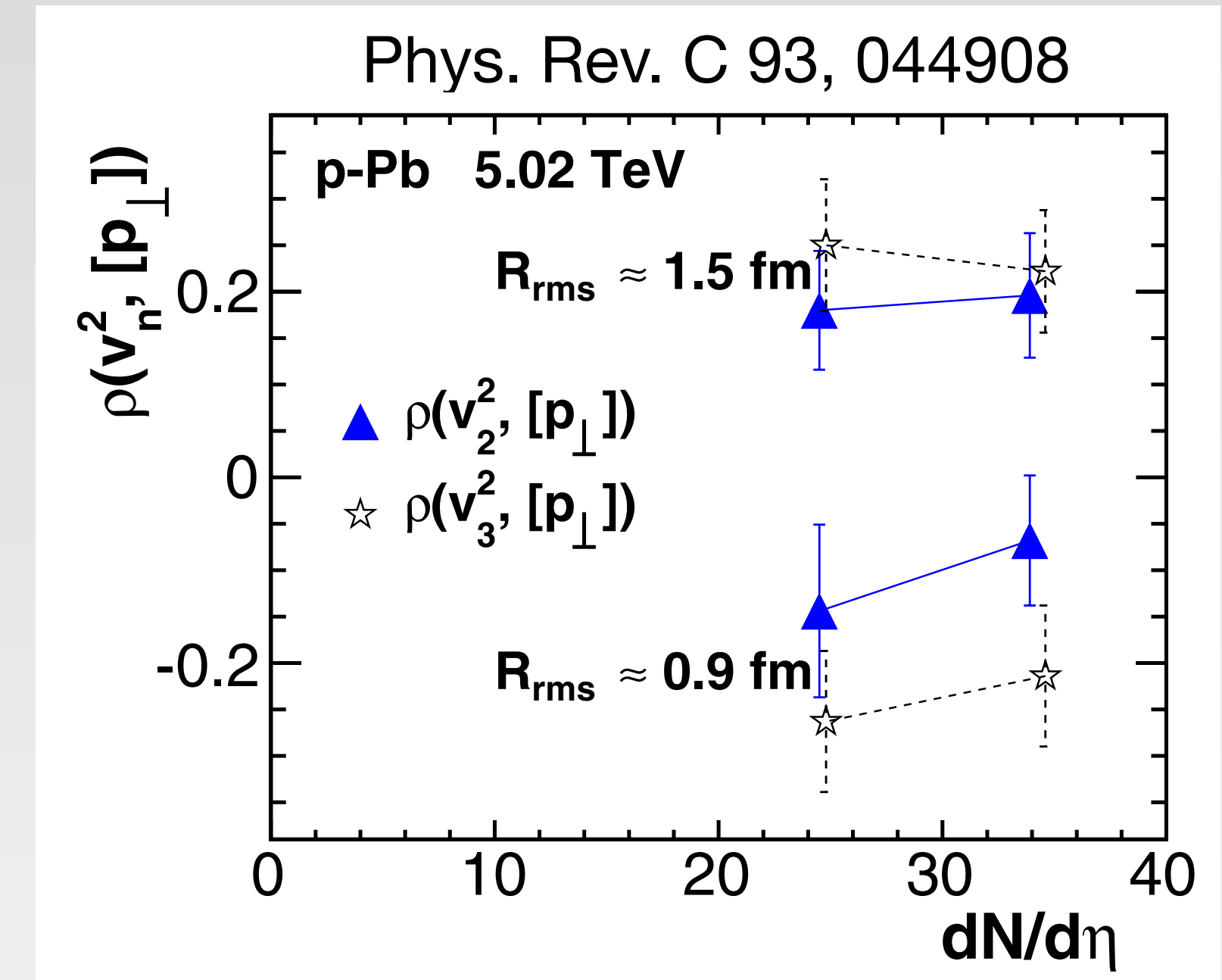
The difference in the ρ values driven by the flow



The ρ for v_2 is negative in high multiplicity $p+Pb$ collisions, for $N_{\text{ch}} < 100$, compatible with $Pb+Pb$

No geometry driven trend observed in $p+Pb$ compared to a clear effect in $Pb+Pb$

Favours small dimensions of the initial state -> higher pressure ($[p_T]$), low eccentricity (v_2)

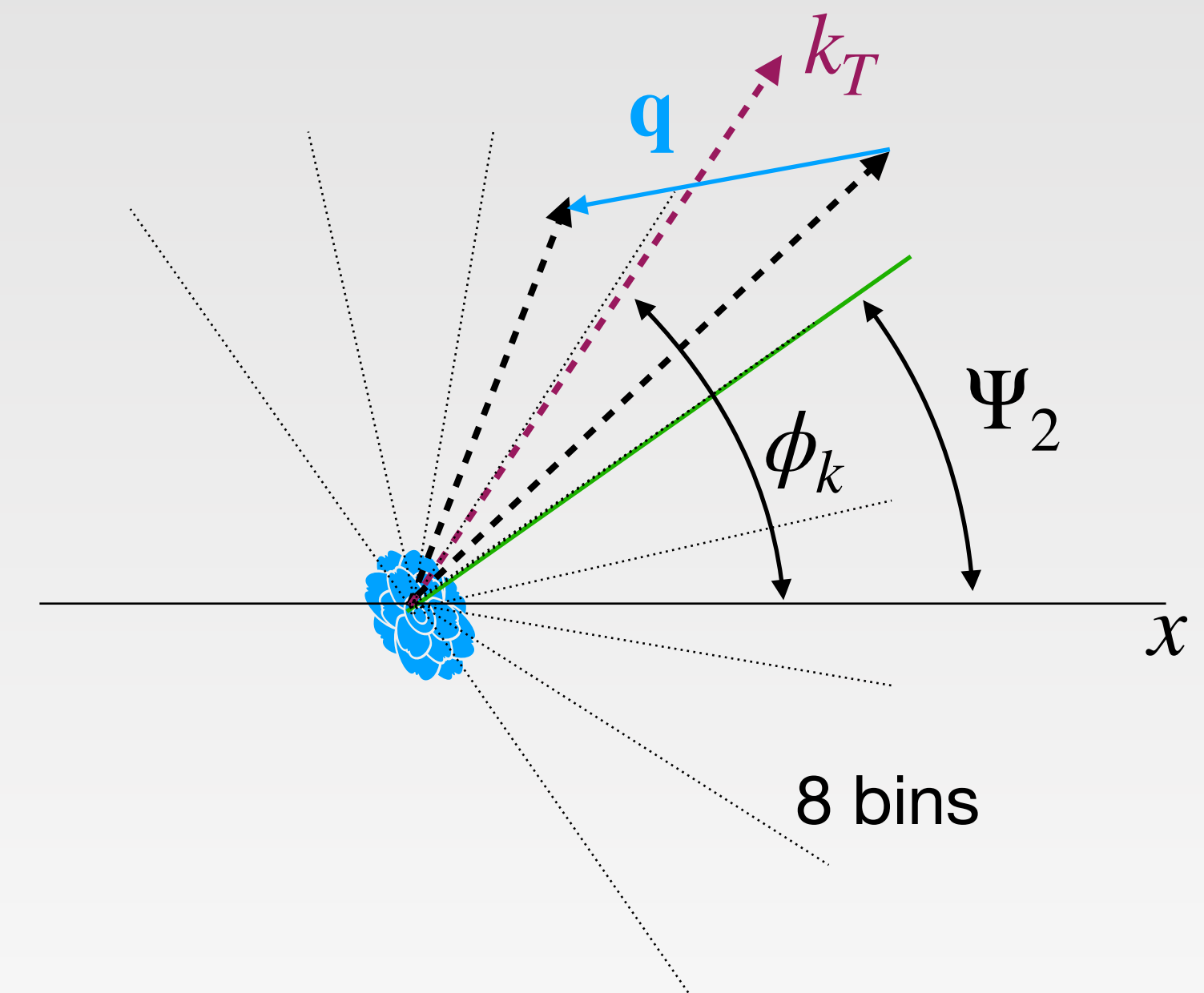


**Event-plane dependence of HBT radii in high-multiplicity
in 5.02 TeV $p+Pb$ collisions with the ATLAS detector**

ATLAS-CONF-2017-008

The idea

- Many observables point to the collective behaviour of the system created in $p+Pb$ collisions
 - Competitive theoretical explanations available, hydrodynamics vs “glasma” models
 - By measuring the shape of the fireball we can provide useful input
- Technique:
 - Measure the HBT radii with pions ($0.2 < k_T < 0.3$ GeV - late ev. stag) as a function of angular distance of k_T from $\Psi_2 - 2(\phi_k - \Psi_2)$
 - In bins of flow vector magnitude $|\vec{q}_2|$
- **Is there any modulation visible in $p+Pb$? How significant?**
- **Does it depend on the $|\vec{q}_2|$, does it become $\simeq 0$ for $|\vec{q}_2| \simeq 0$?**
- **Does it resemble the modulation in $A+A$?**

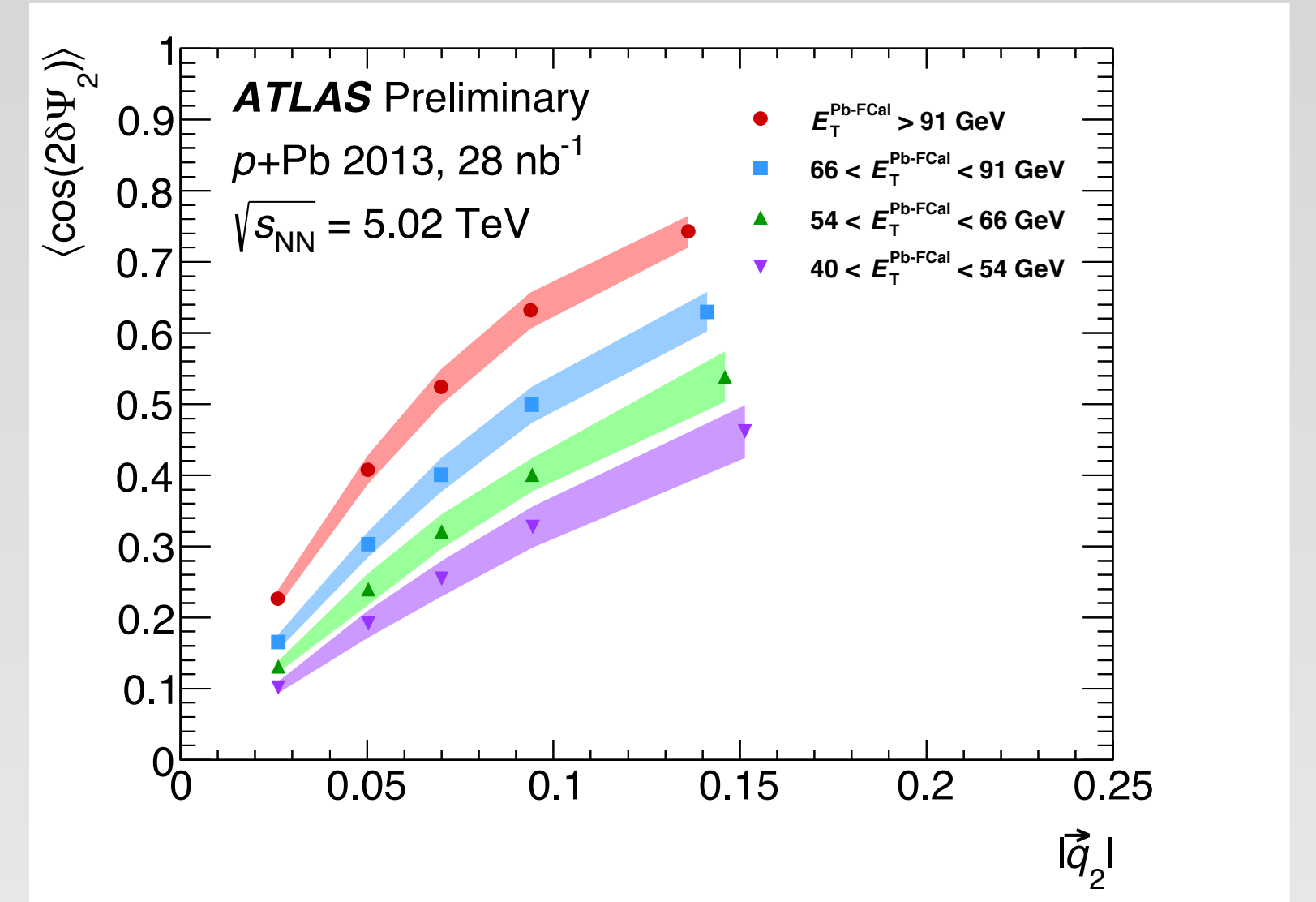


Analysis

- Events selection: 28nb^{-1} of $p+Pb$ data from 2013
- High multiplicity $N_{ch} > 130$
- Very careful treatment of detector effects applied
- $p_{T,min} = 0.1$ GeV, same-, mixed- events distribution corrected for Ψ_2 resolution (U. W. Heinz Phys. Rev. 044903),

$c_{BE}(\mathbf{q})$ includes corrections for:
 final state - Bowler-Sinyukov
 jets - opposite-sign + scaling from MC

- **Extracted modulation amplitude for:**
 \mathbf{R}_{out} -along k_T , \mathbf{R}_{side} - $\perp k_T$, \mathbf{R}_{os} , \mathbf{R}_{long} - along z



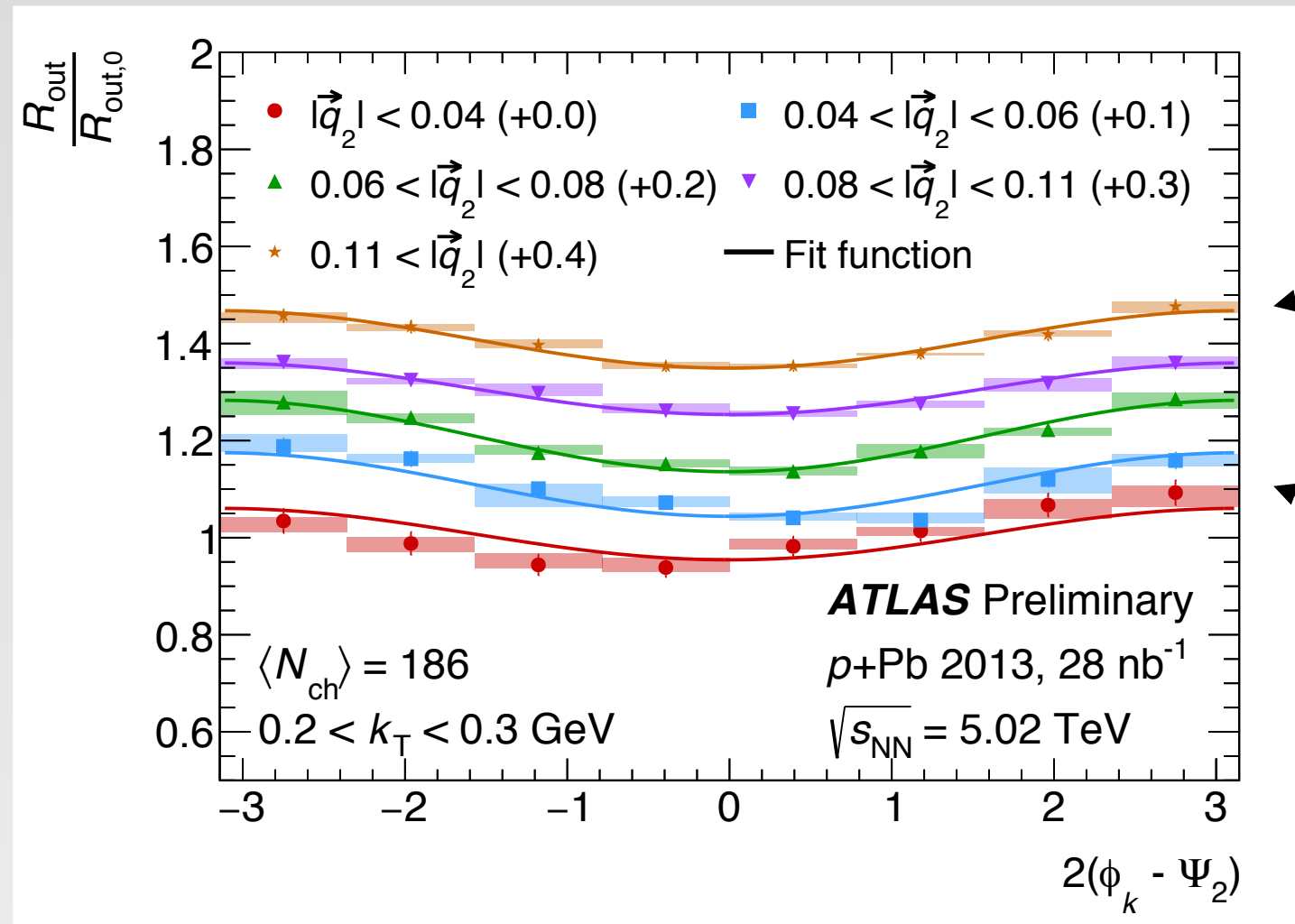
$$C_{BE}(\mathbf{q}) = 1 + e^{-\|\mathbf{R}\mathbf{q}\|}$$

$$R = \begin{pmatrix} R_{out} & R_{os} & 0 \\ R_{os} & R_{side} & 0 \\ 0 & 0 & R_{long} \end{pmatrix}$$

$$R_i = R_{i,0} \left(1 + 2 \frac{R_{i,2}}{R_{i,0}} \cos[2(\phi_k - \Psi_2)] \right)$$

$$R_{os} = 2R_{os,2} \sin[2(\phi_k - \Psi_2)]$$

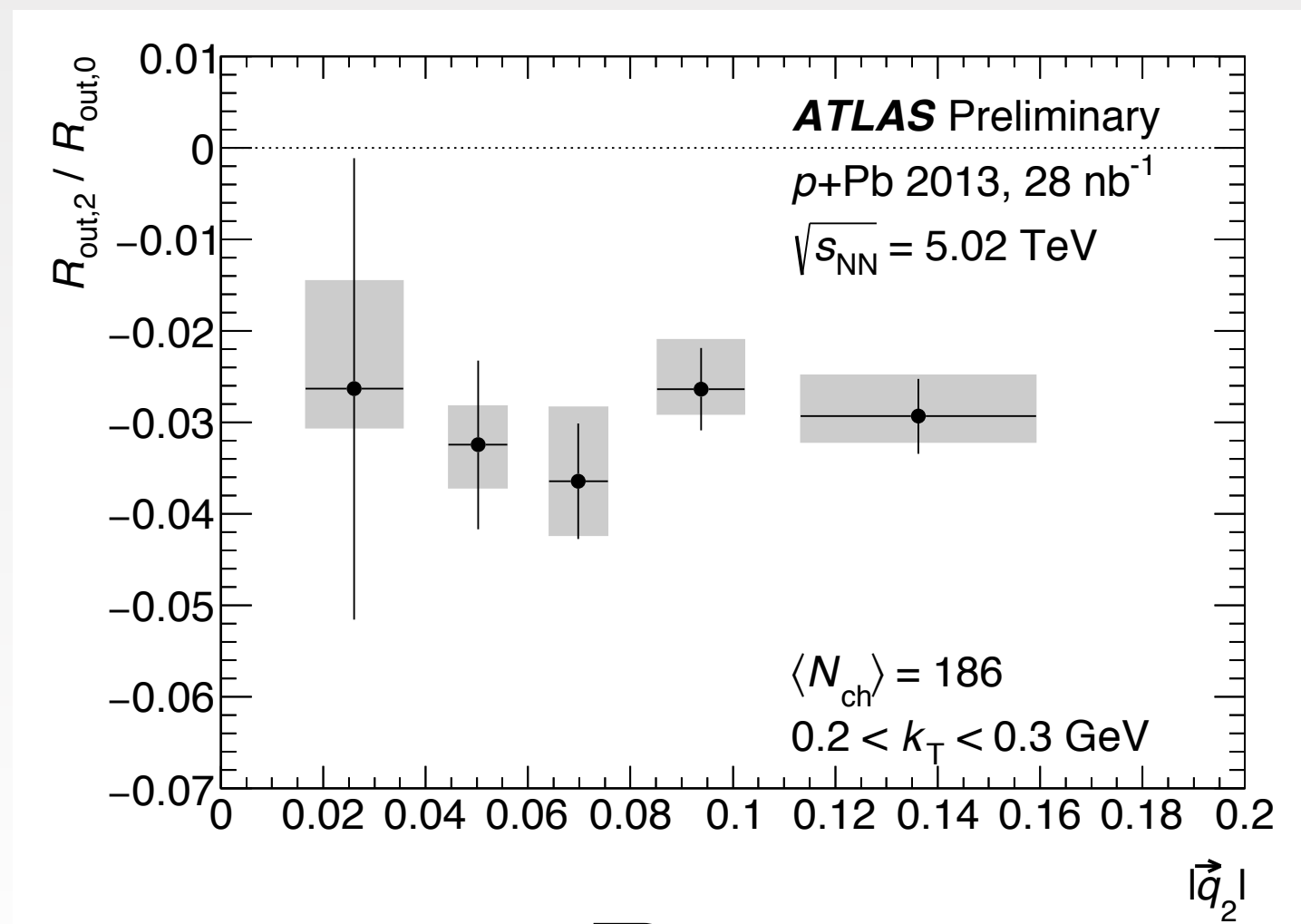
Extracted radii



large $|\vec{q}_2|$
+arbitrary shifts for visibility

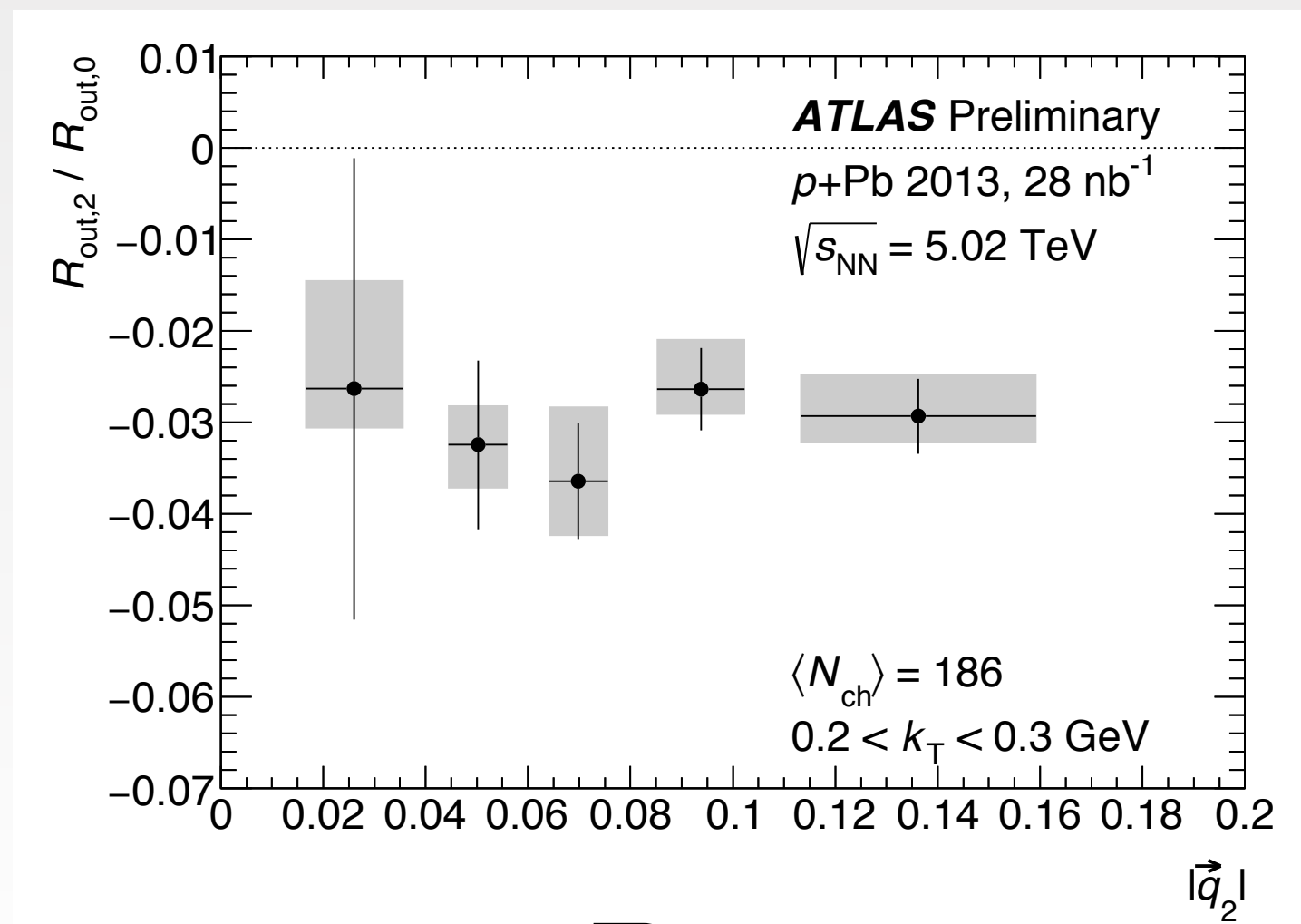
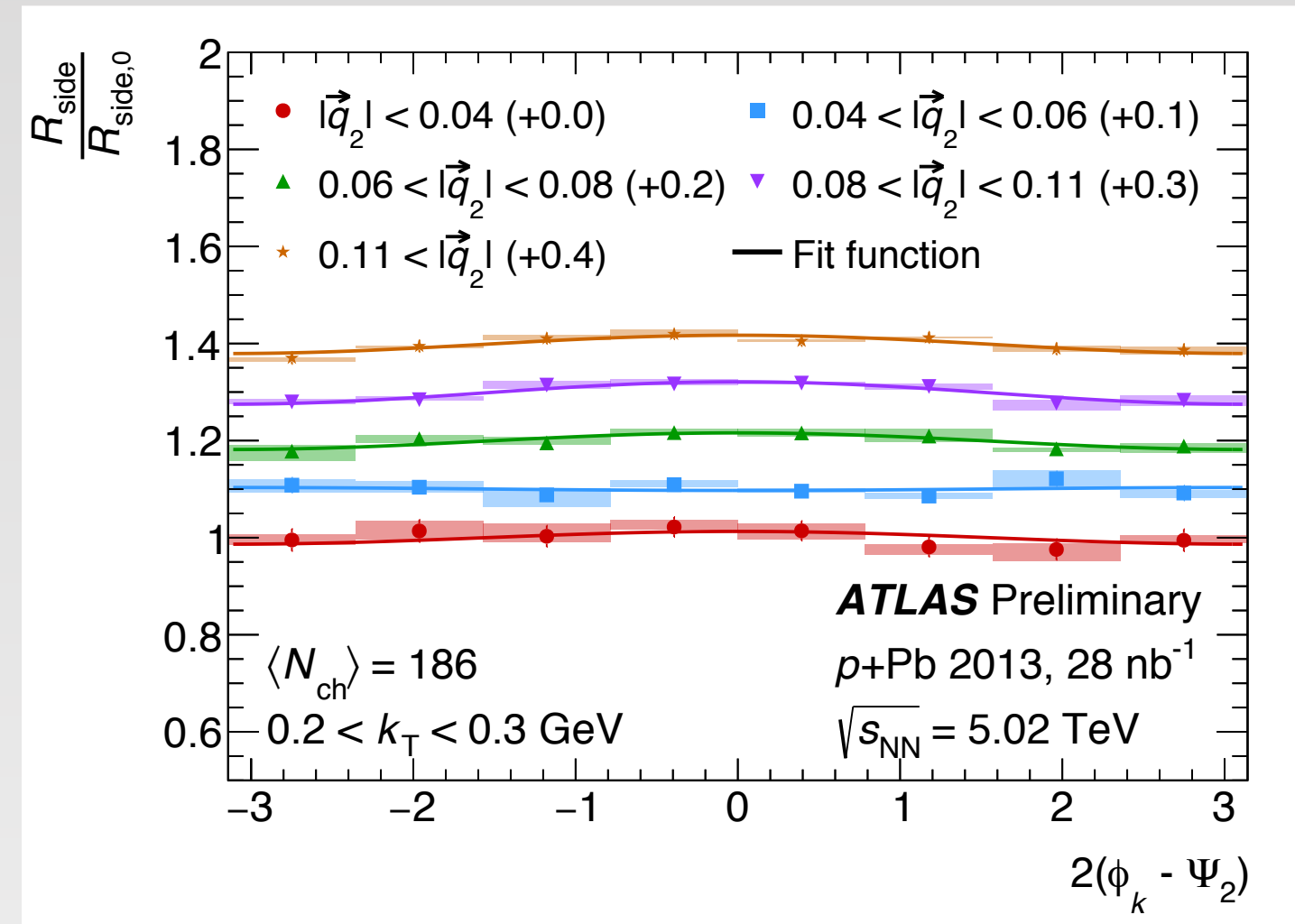
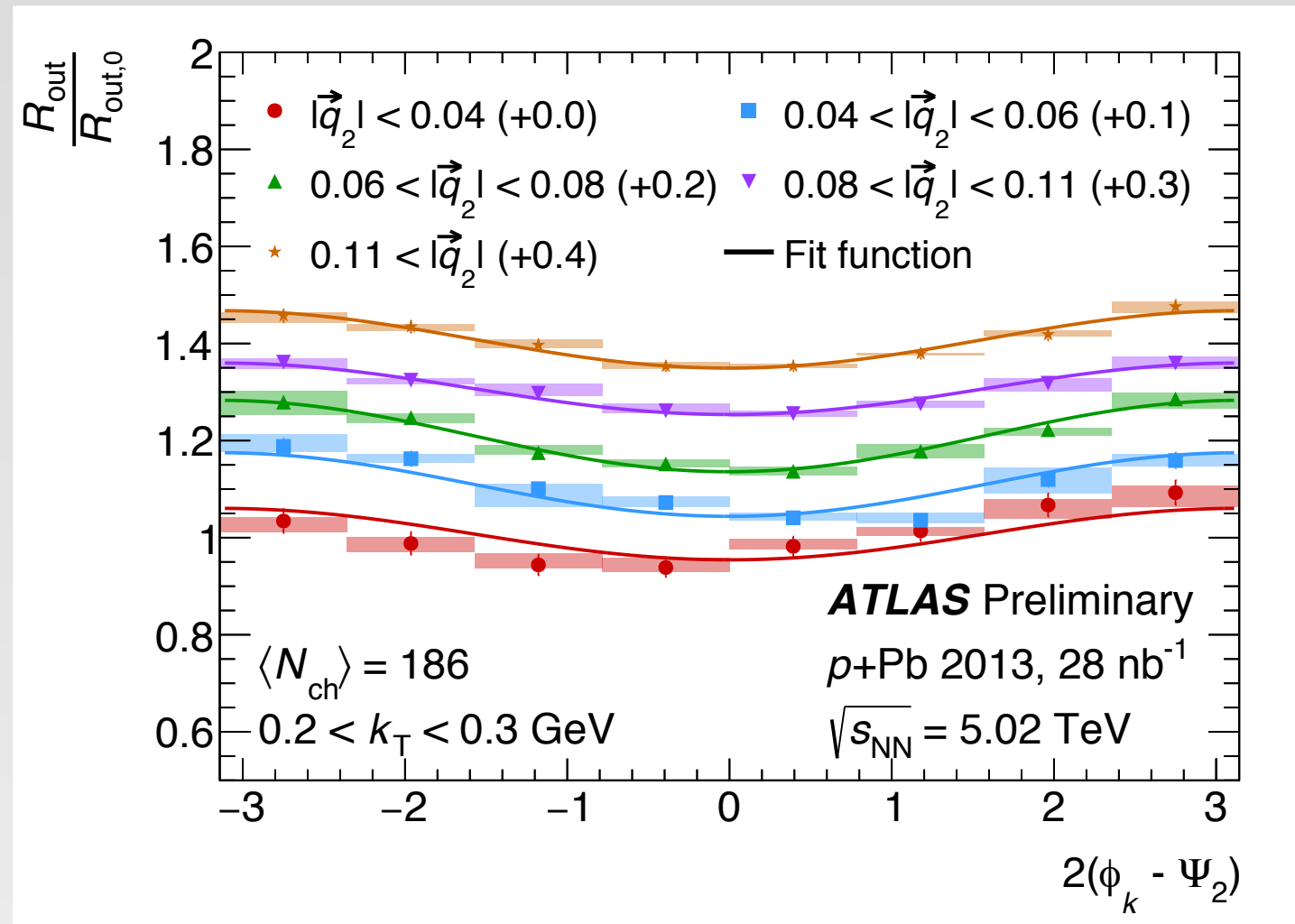
small $|\vec{q}_2|$

point - data
lines - cos/sin fits

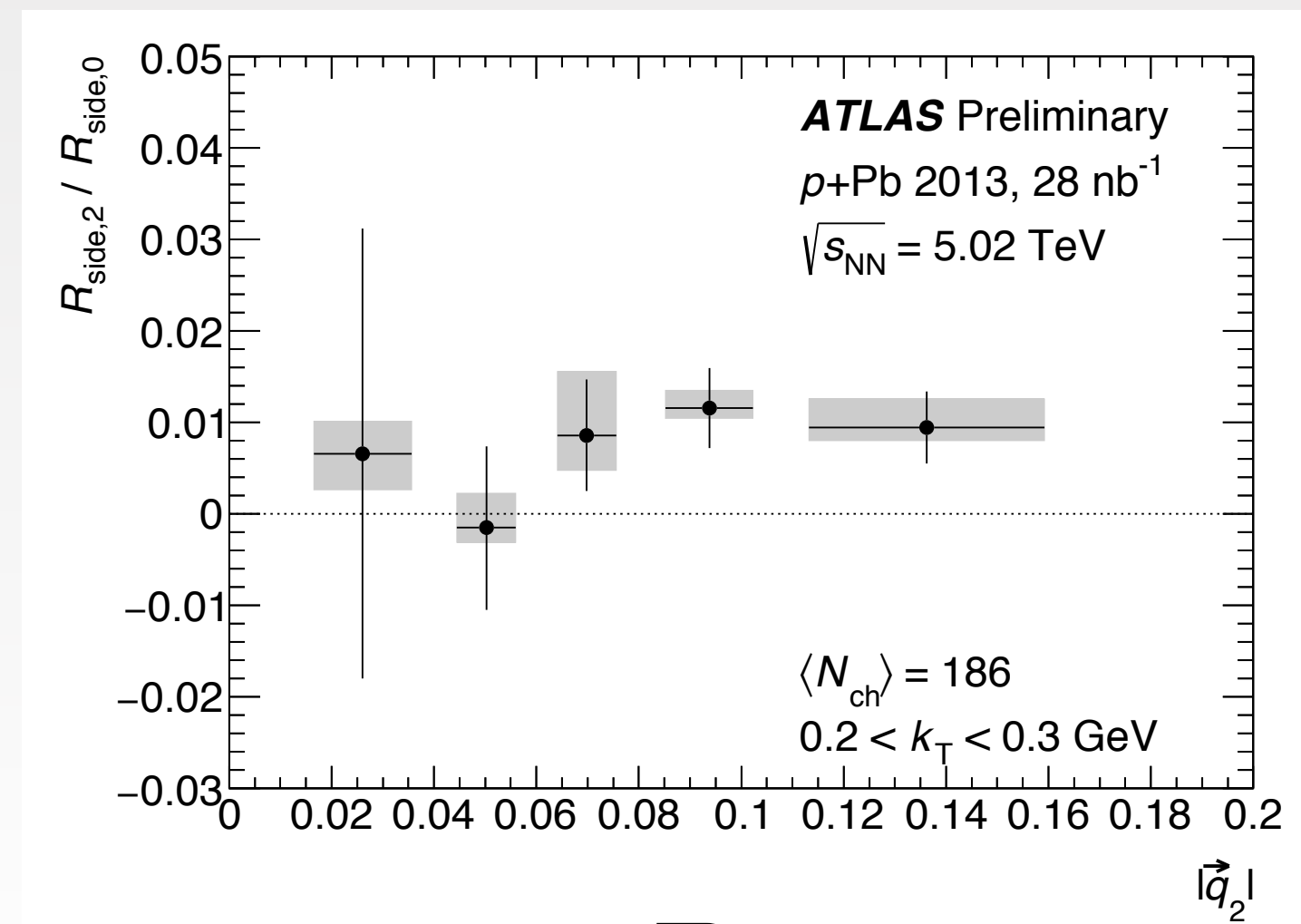


R_{out}

Extracted radii

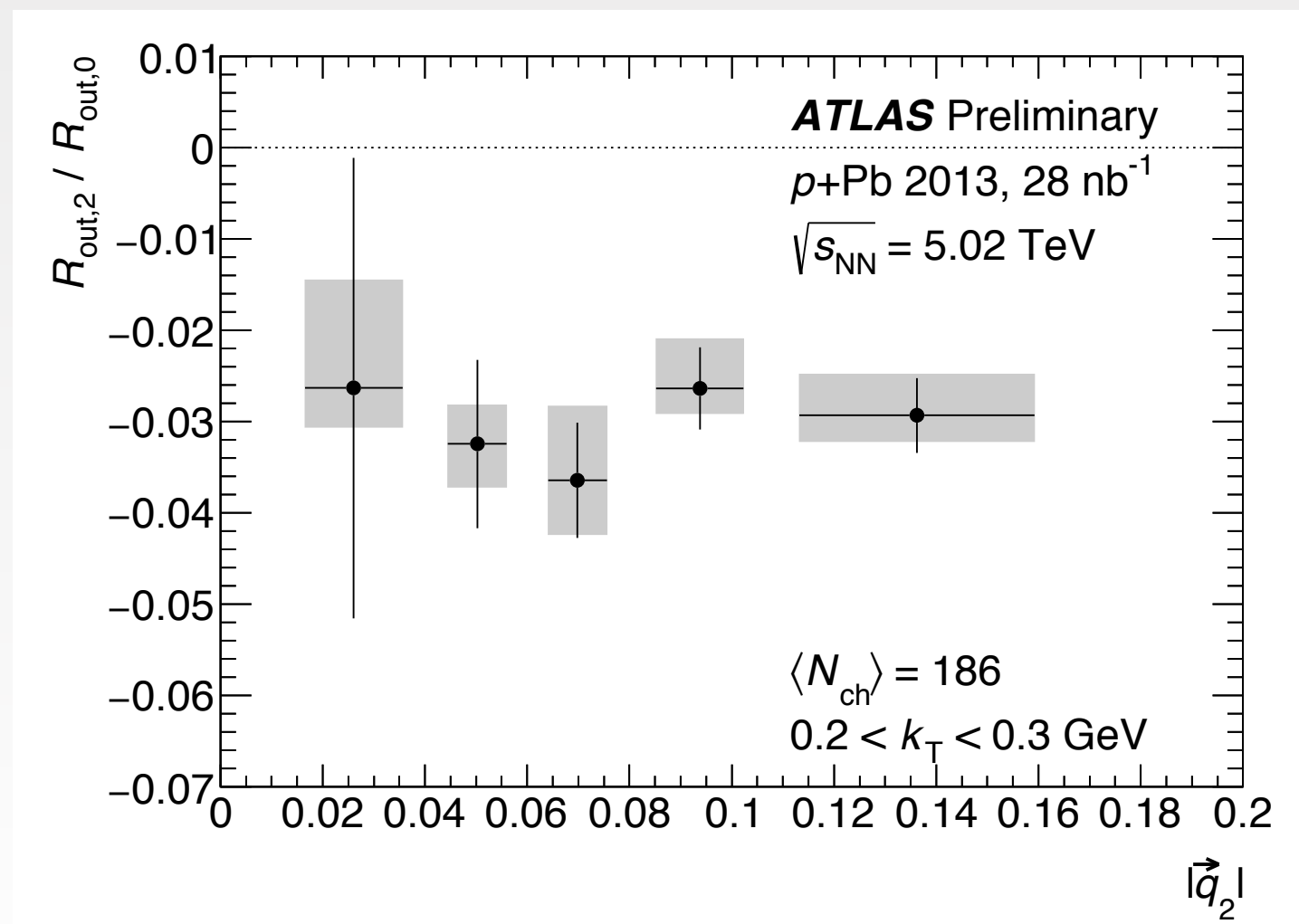
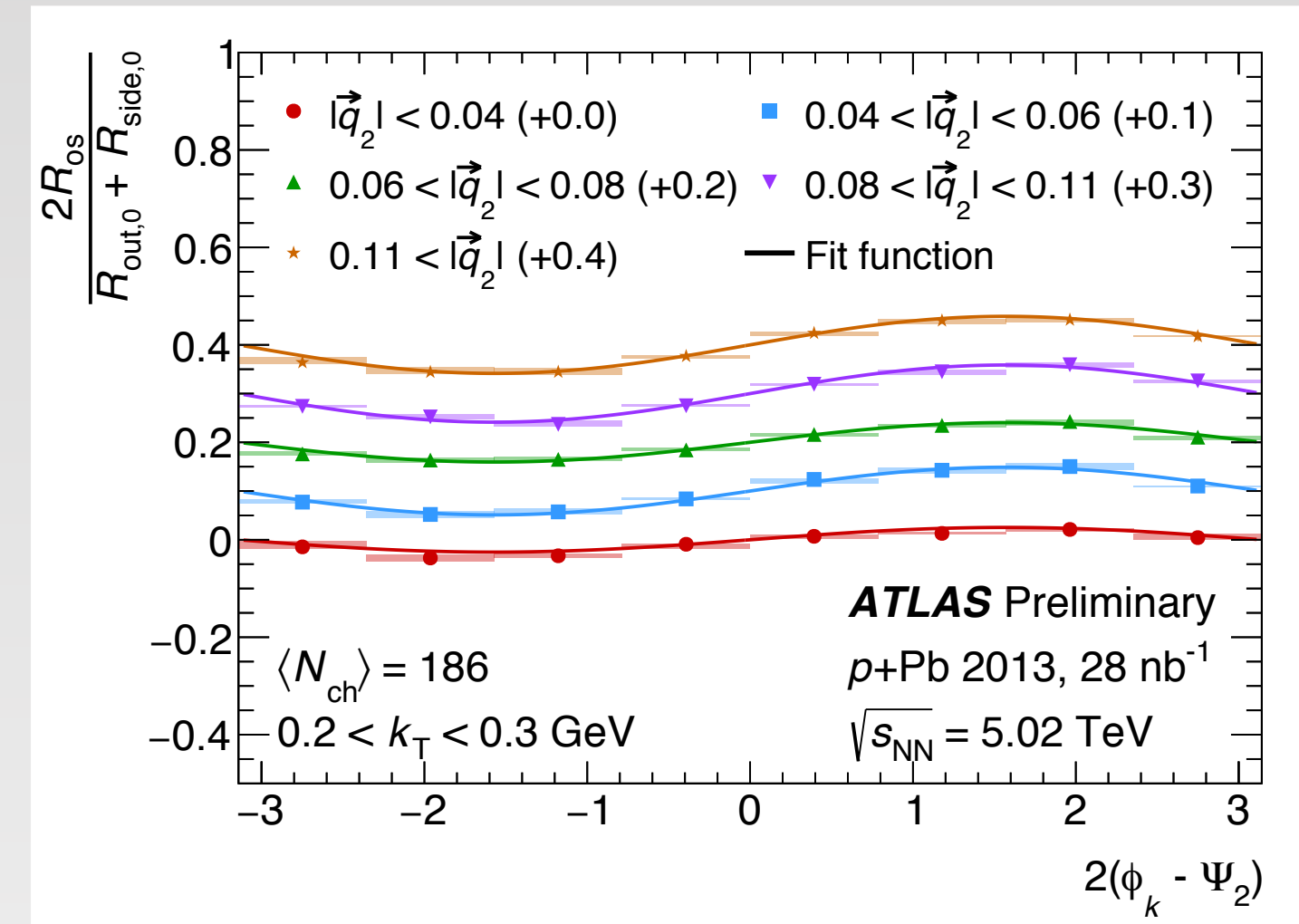
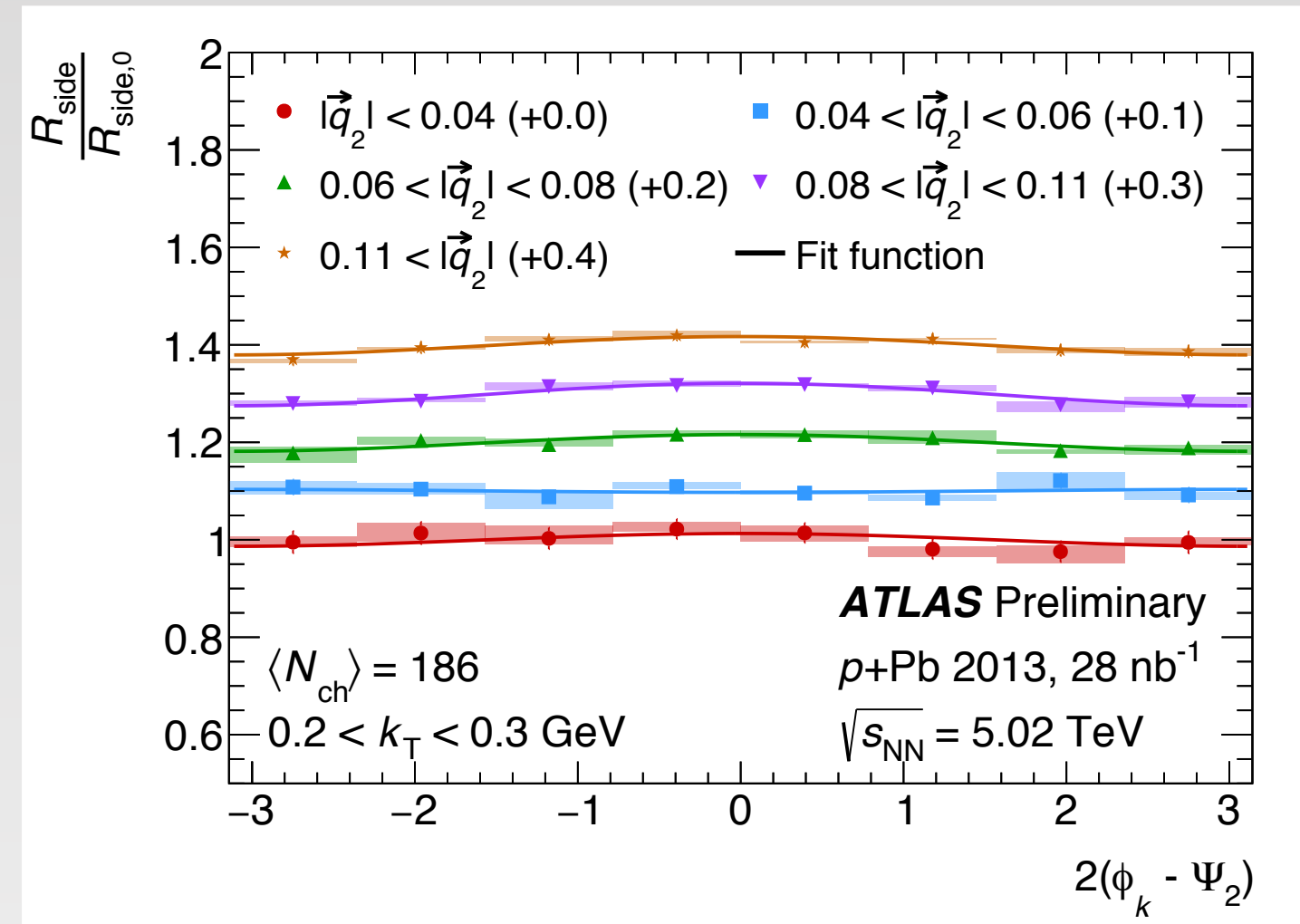
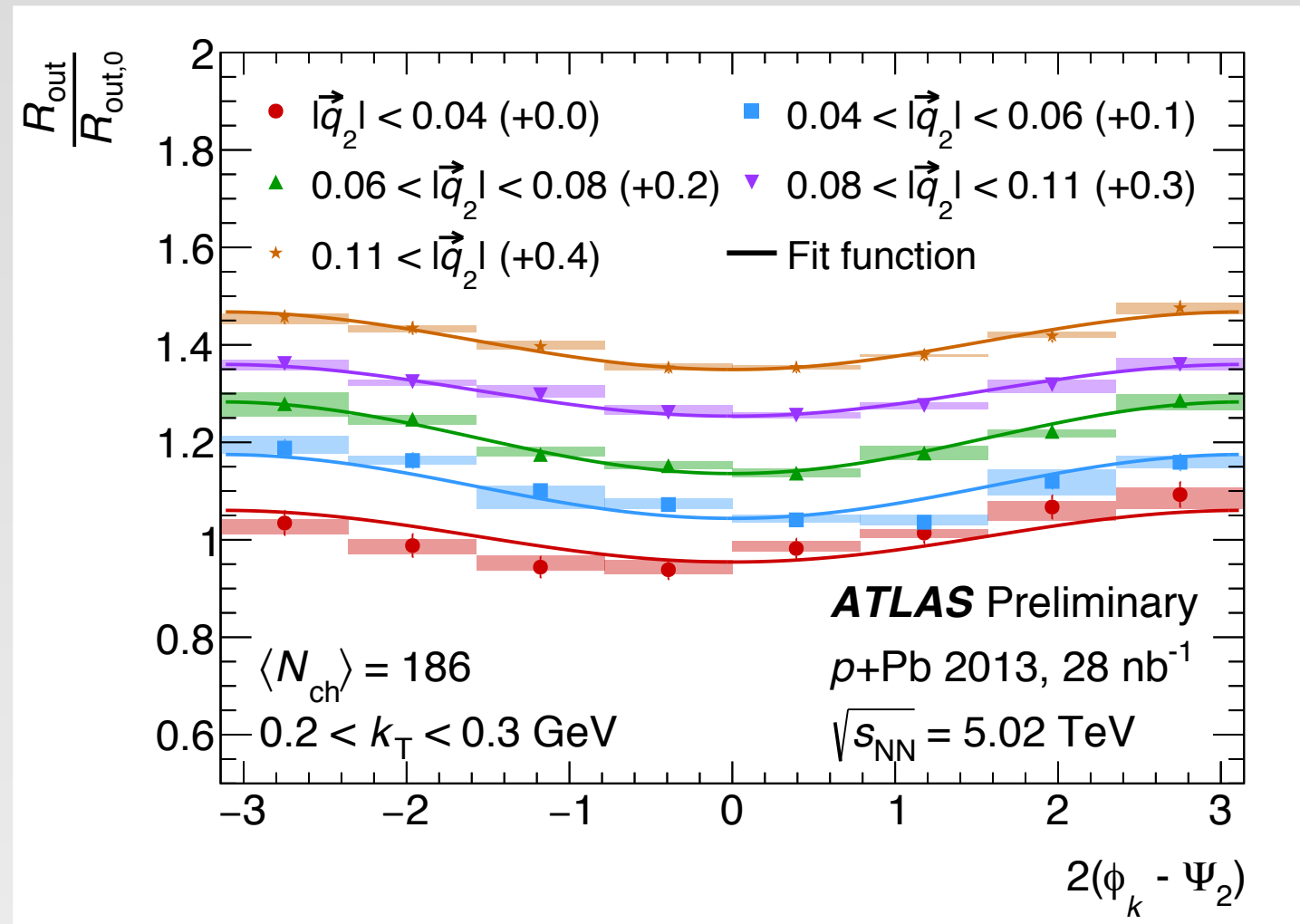


R_{out}

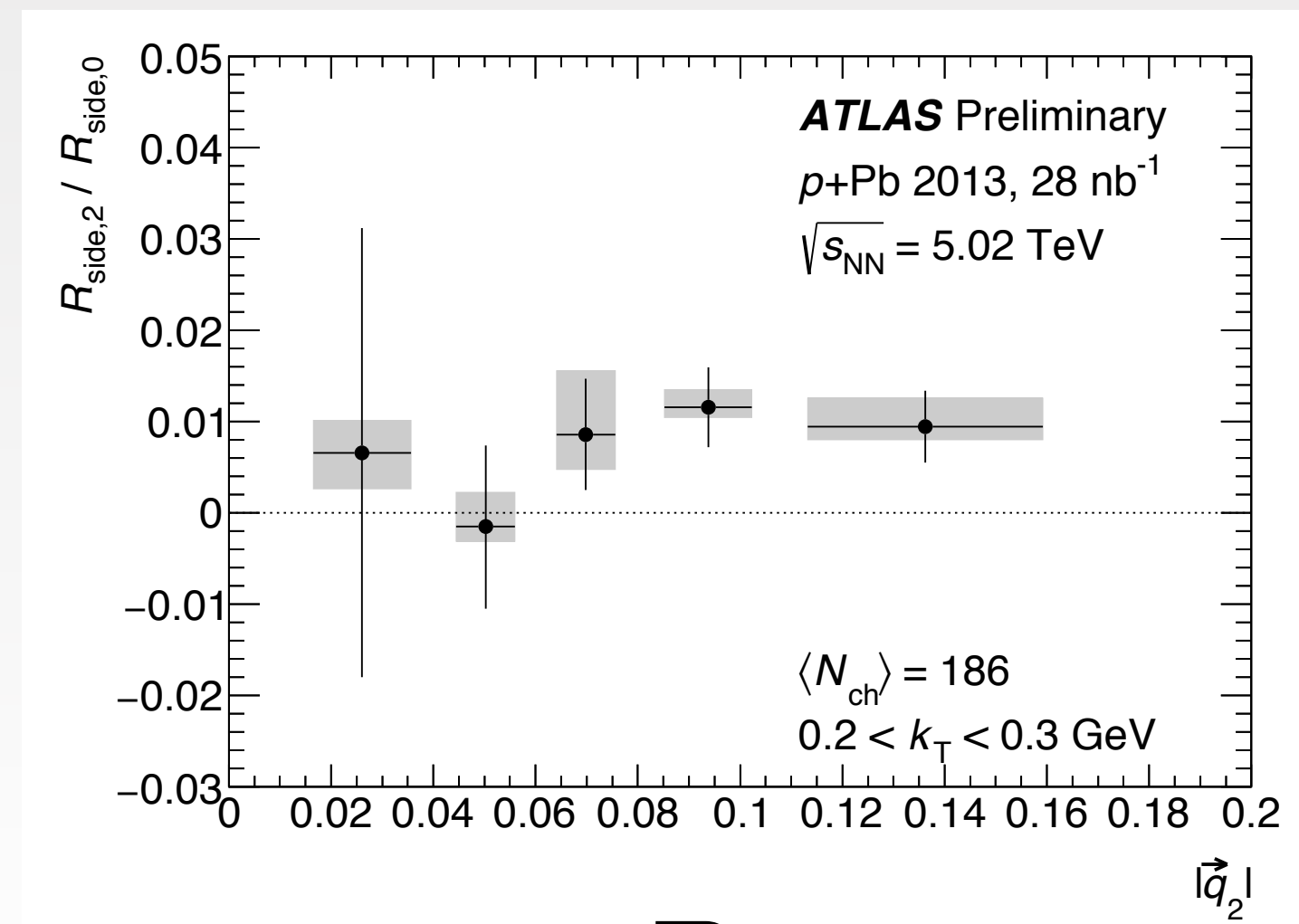


R_{side}

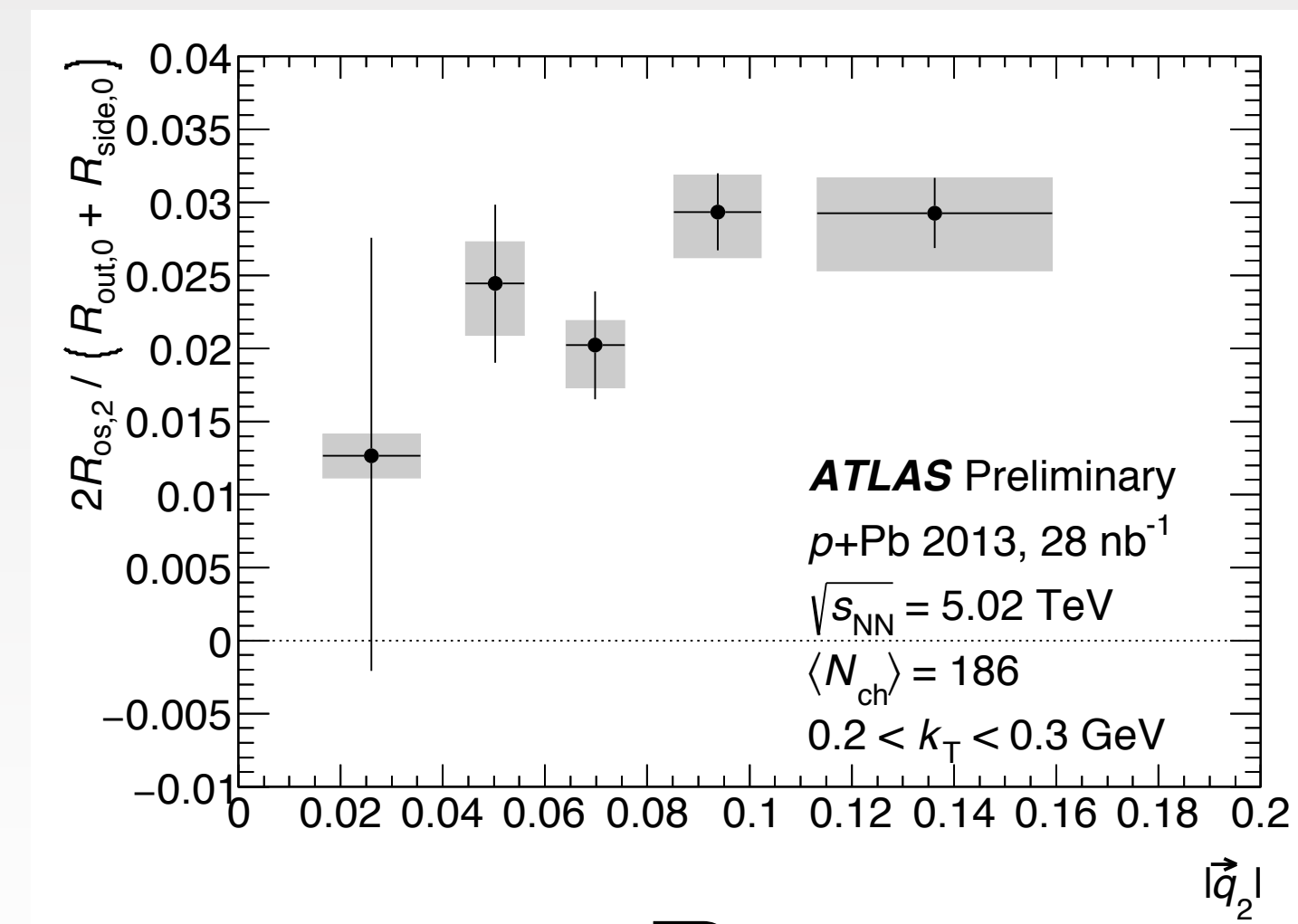
Extracted radii



R_{out}

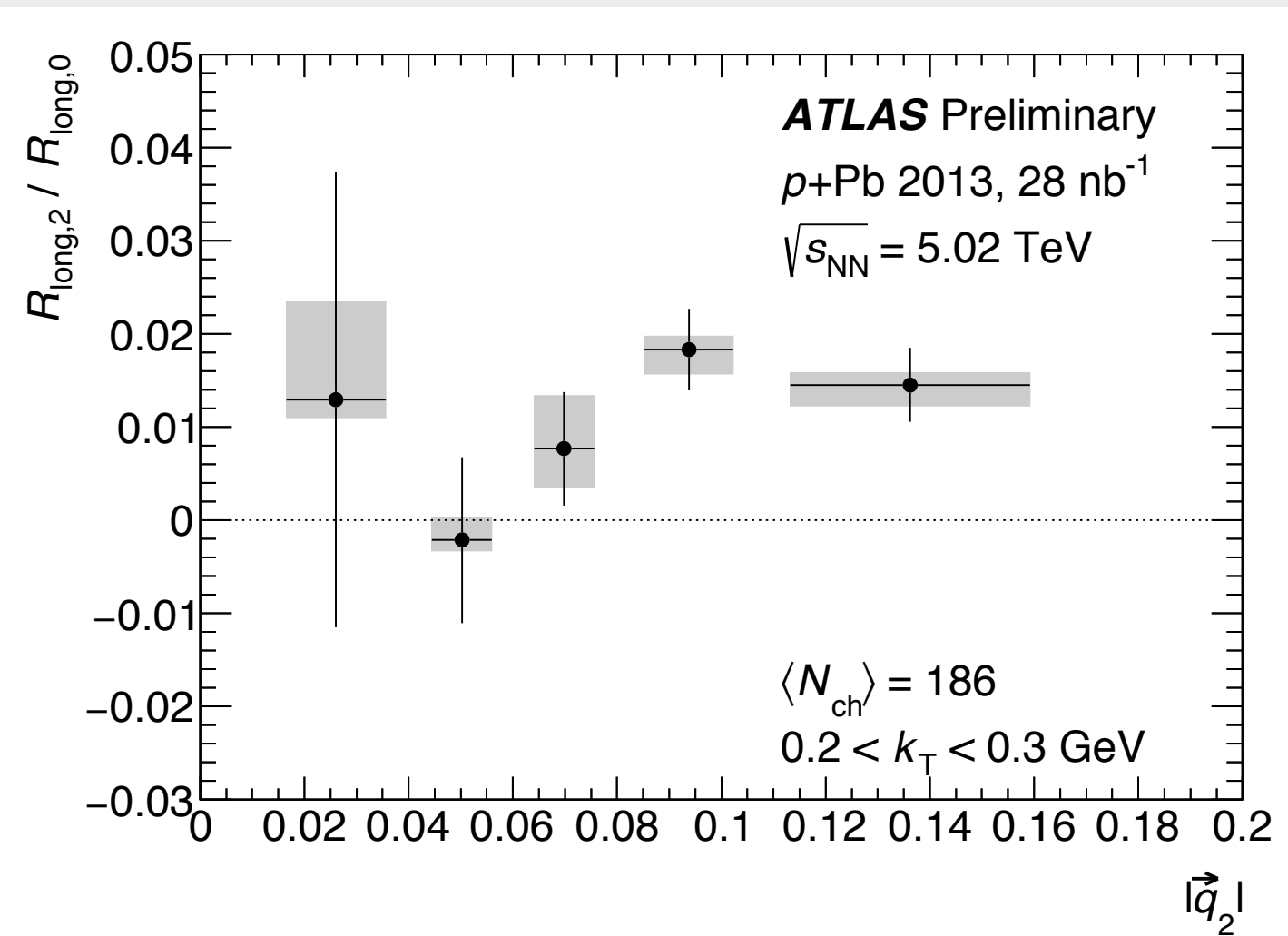
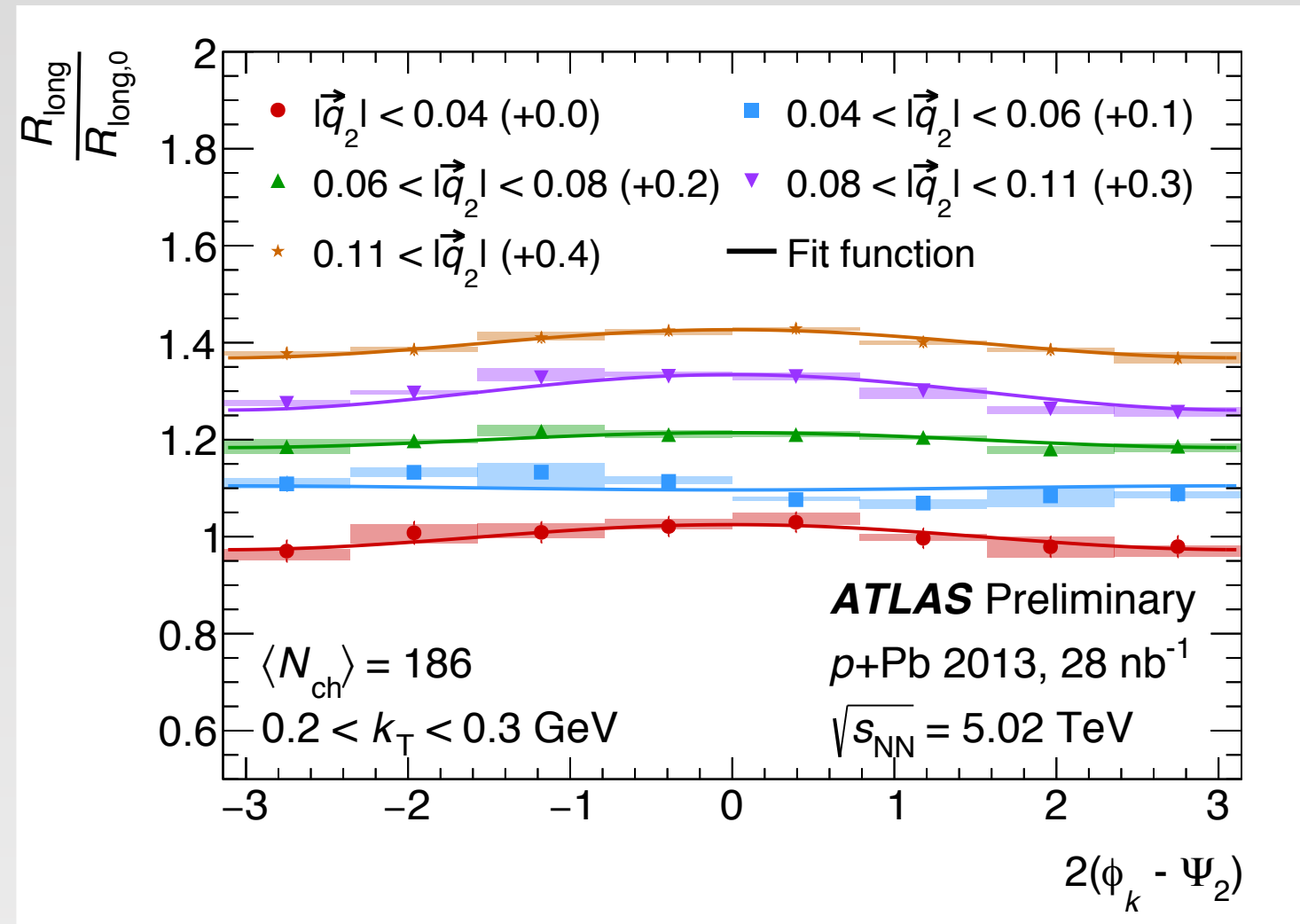


R_{side}



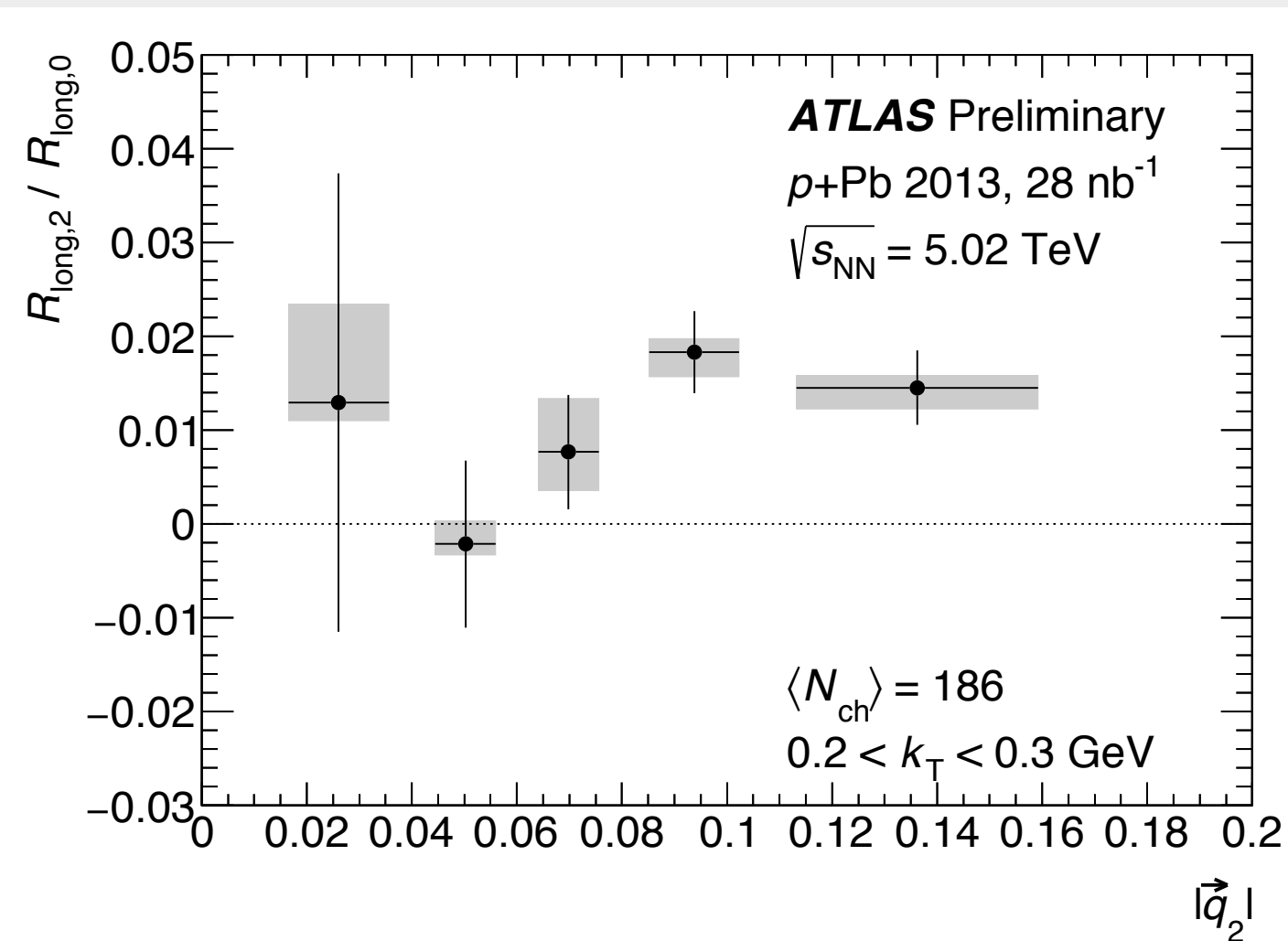
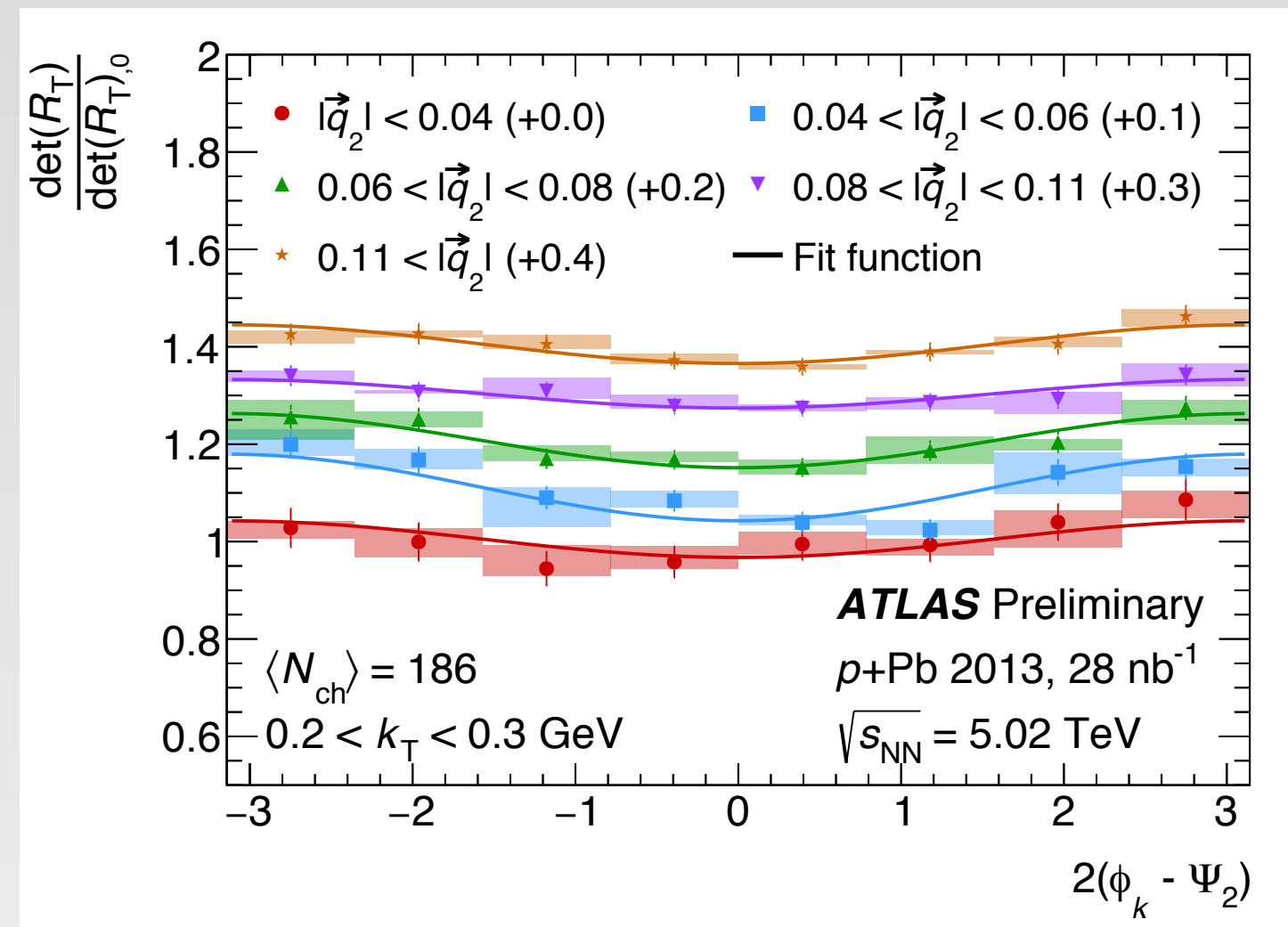
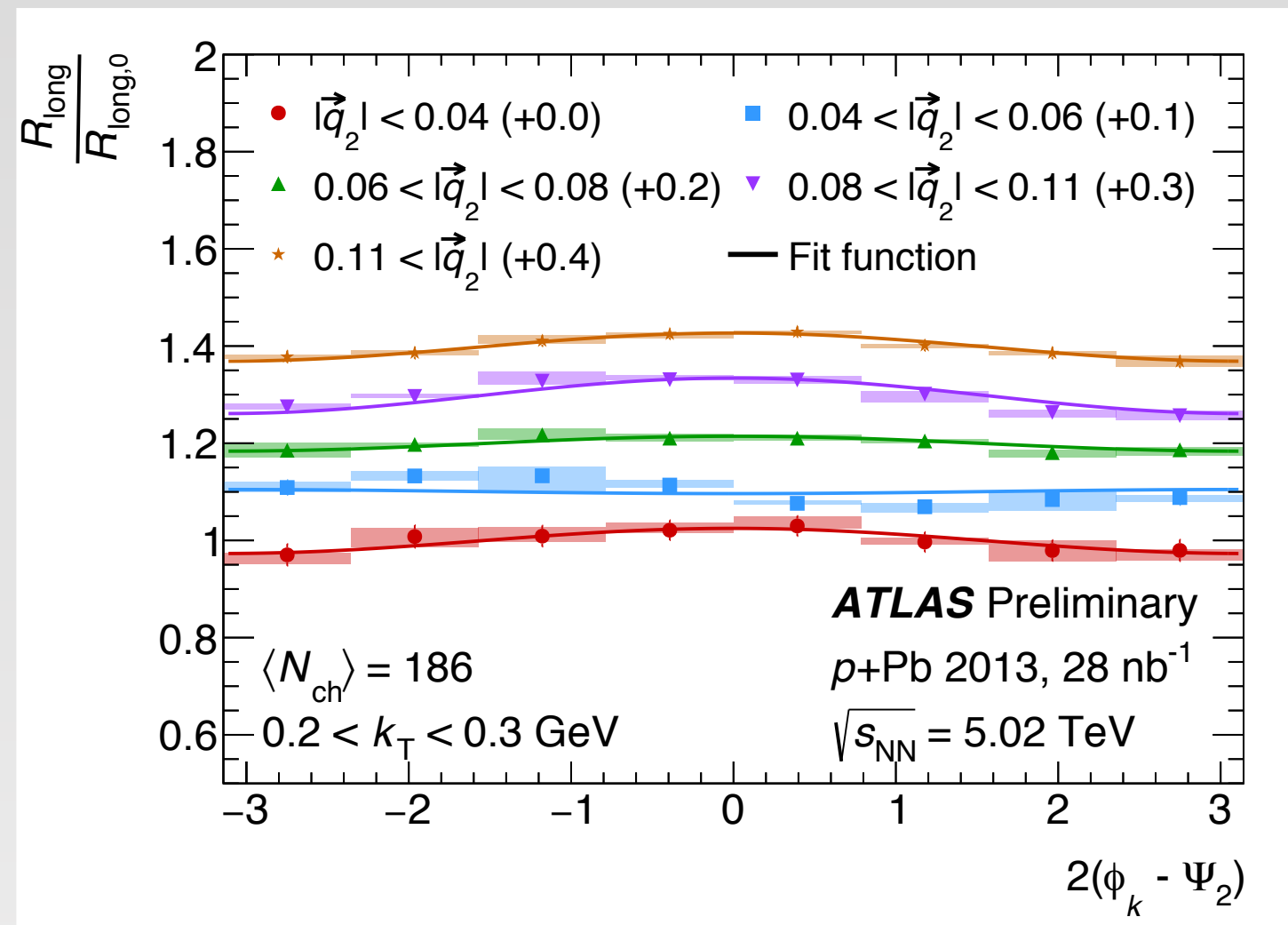
R_{os}

Extracted radii (cont)

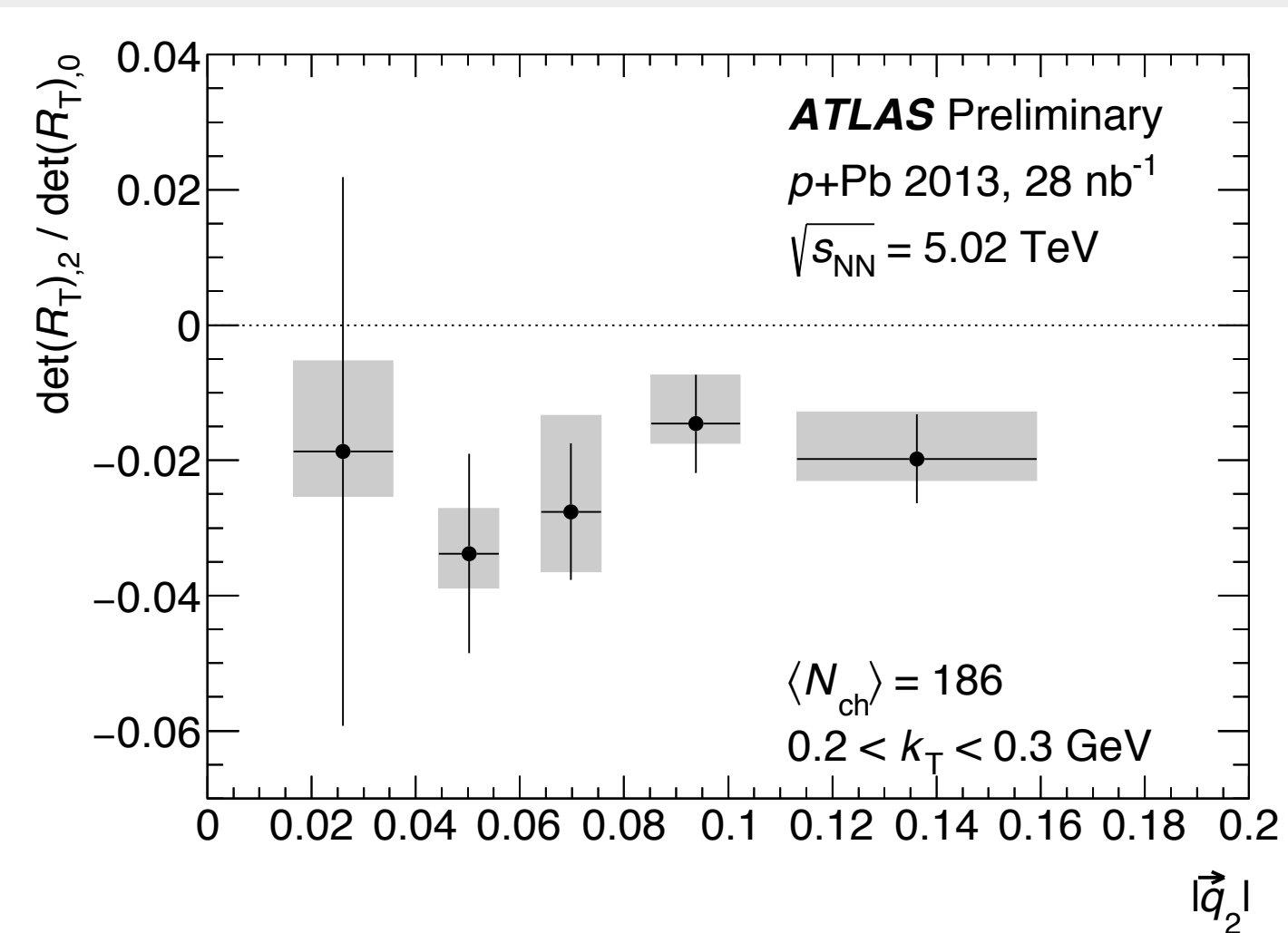


R_{long}

Extracted radii (cont)

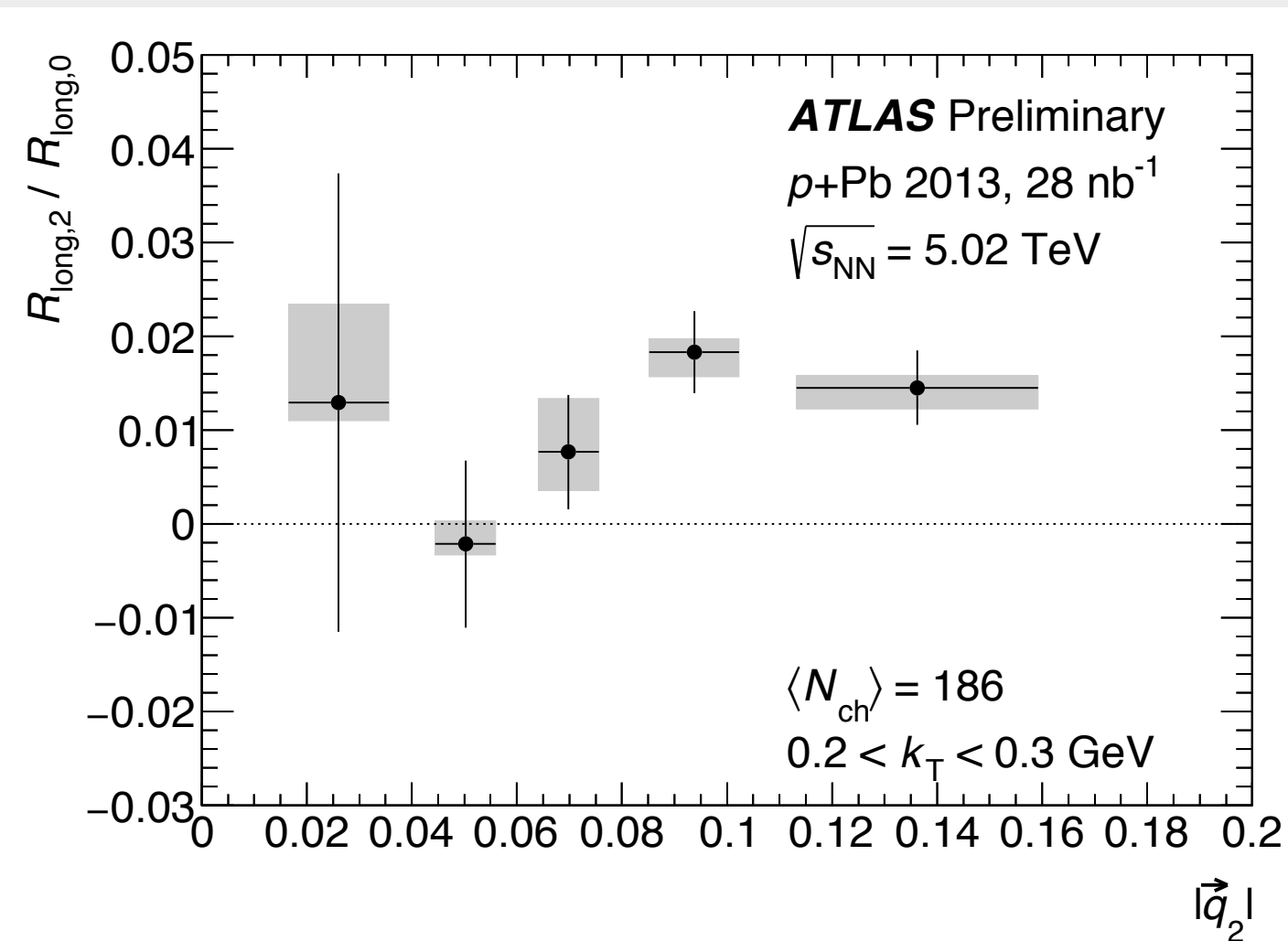
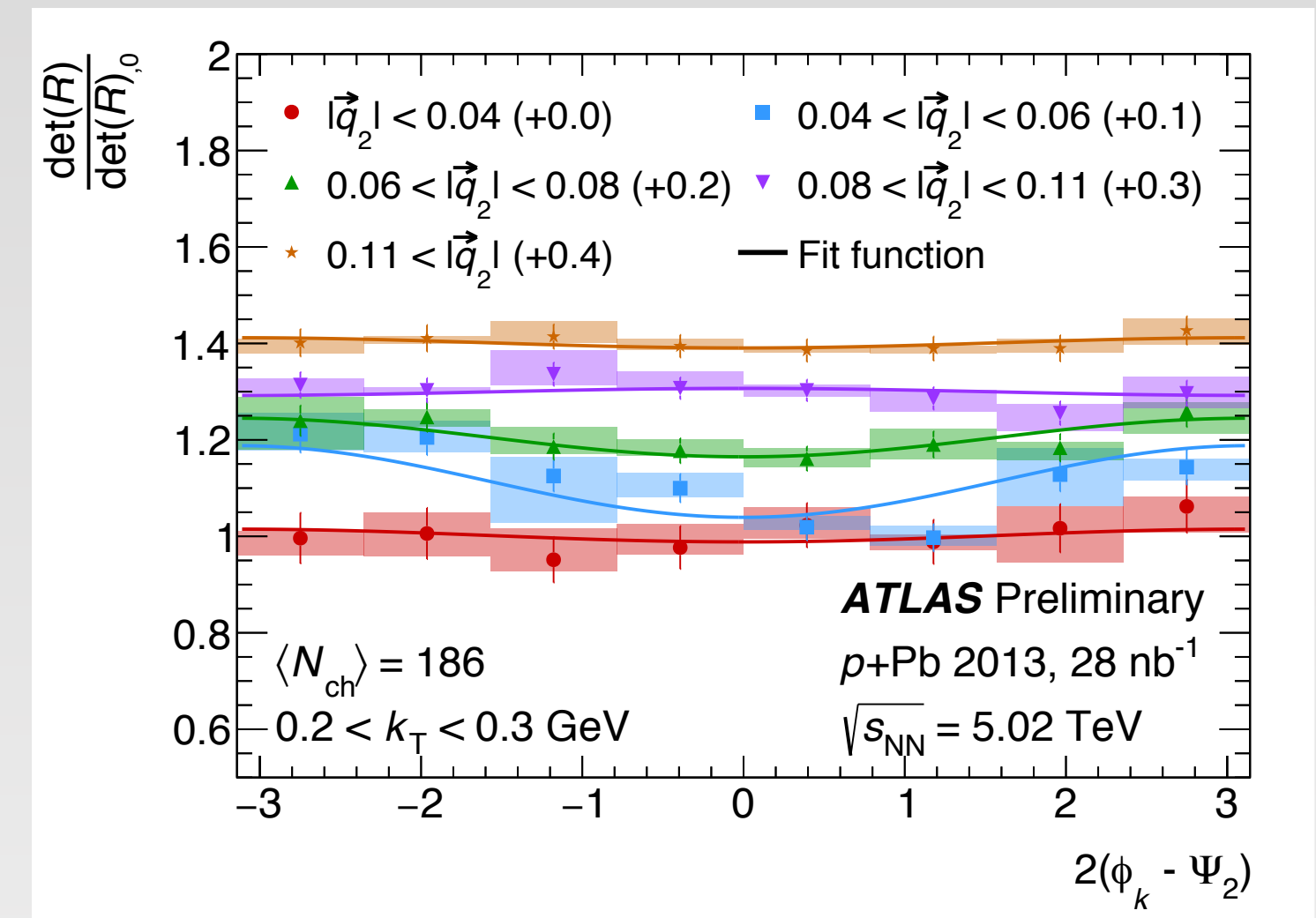
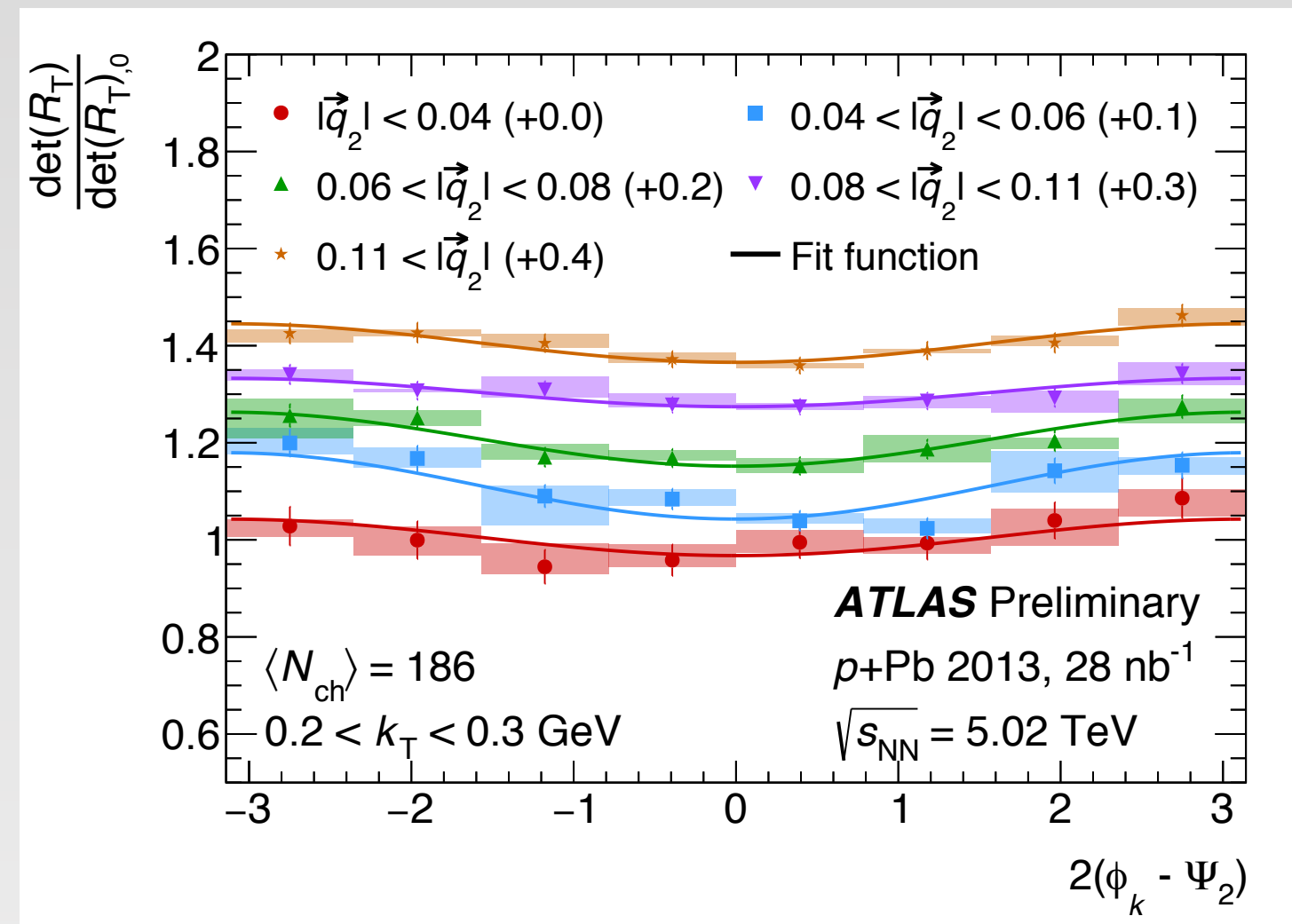
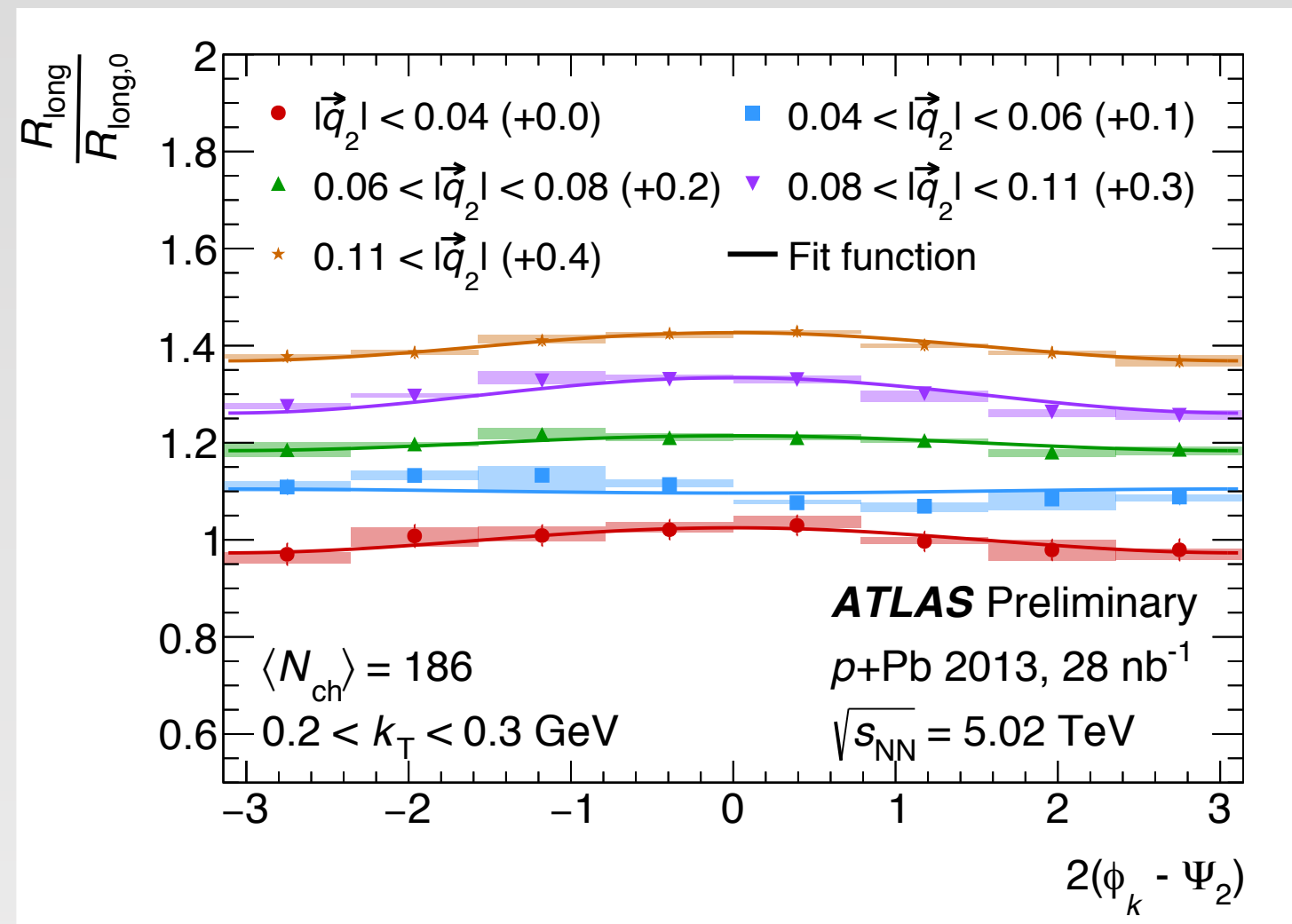


R_{long}

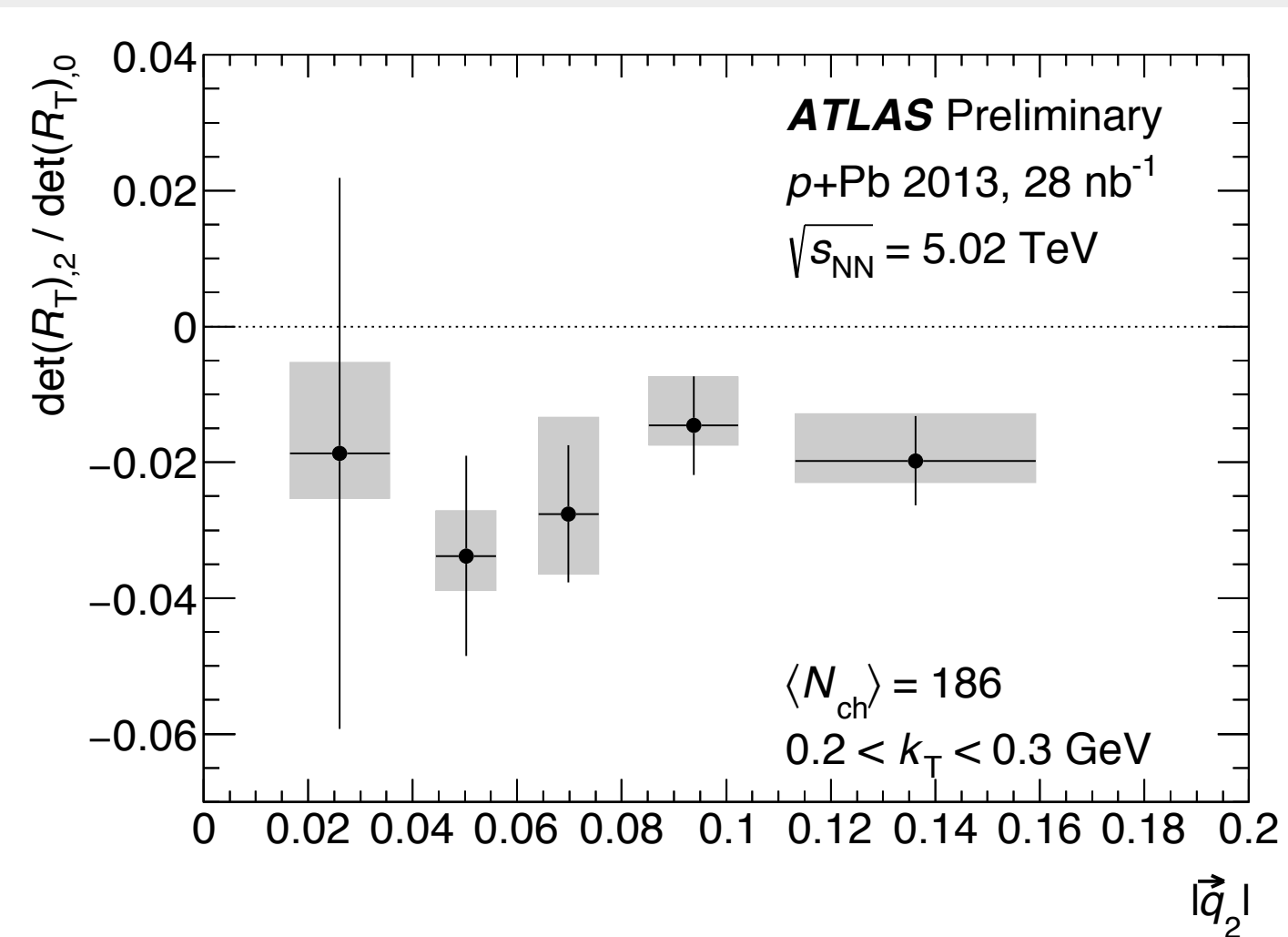


Det(R_T)

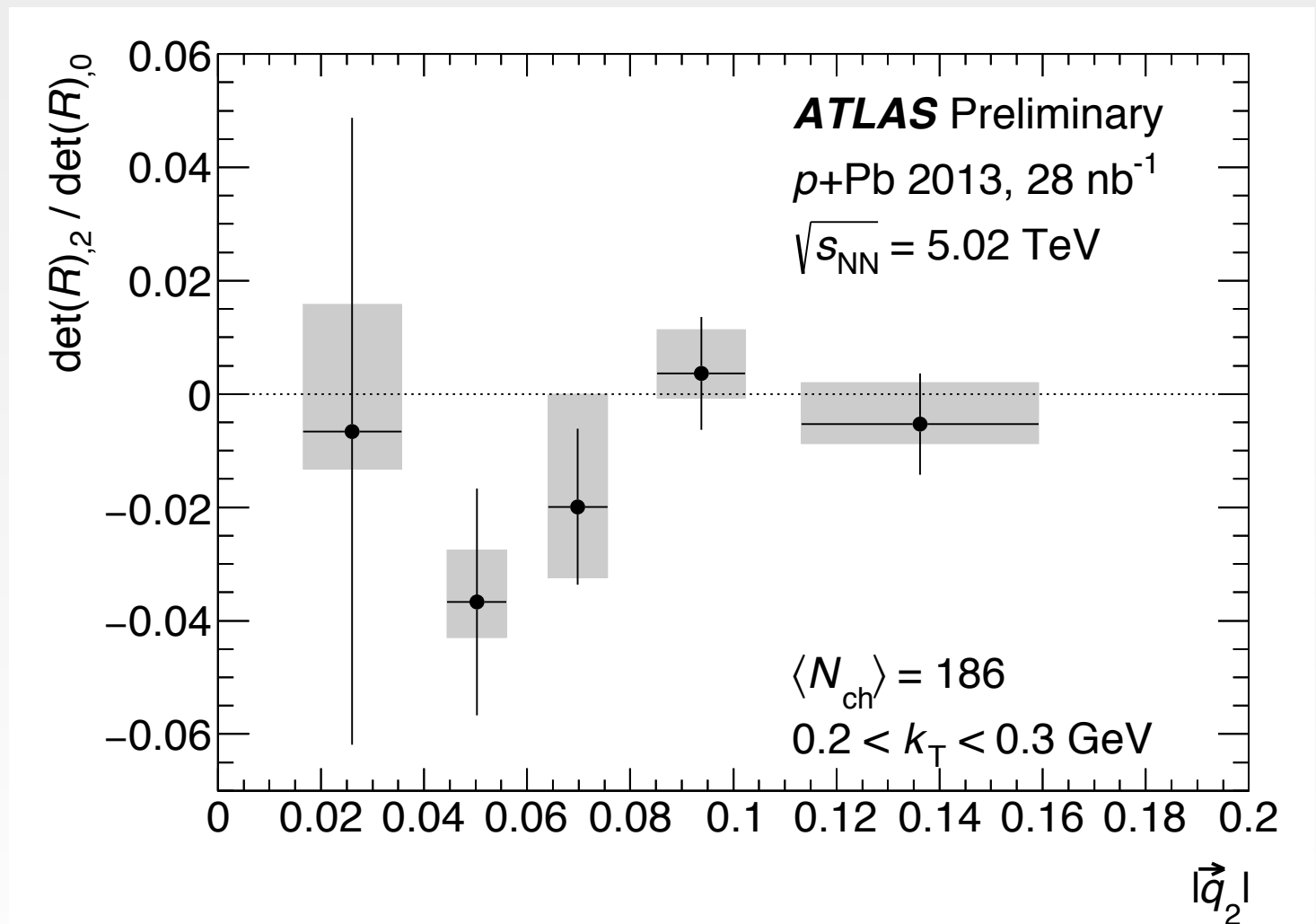
Extracted radii (cont)



R_{long}



Det(R_T)



Det(R) - volume

Conclusions

- ATLAS measured correlations of v_n with event mean- p_T in $Pb+Pb$ and $p+Pb$
 - Significant values for all harmonics in central $Pb+Pb$
 - Very different magnitudes and behaviour with centrality for v_2 , v_3 and v_4
 - For peripheral $Pb+Pb$ collisions and $p+Pb$ the ρ for v_2 correlation is negative and \sim compatible
 - Hydrodynamical simulations predicted such behaviour in $Pb+Pb$, useful insight into initial conditions in $p+Pb$
arXiv:1907.05176
- ATLAS measured azimuthal variation of HBT radii in $p+Pb$
 - Found significant radii modulation
 - Magnitude of $|\vec{q}_2|$ does not affect observed radii, except for very symmetric events
 - Qualitatively reassemble observations in $A+A$ systems
 - Naturally explained by hydrodynamics

Thank you