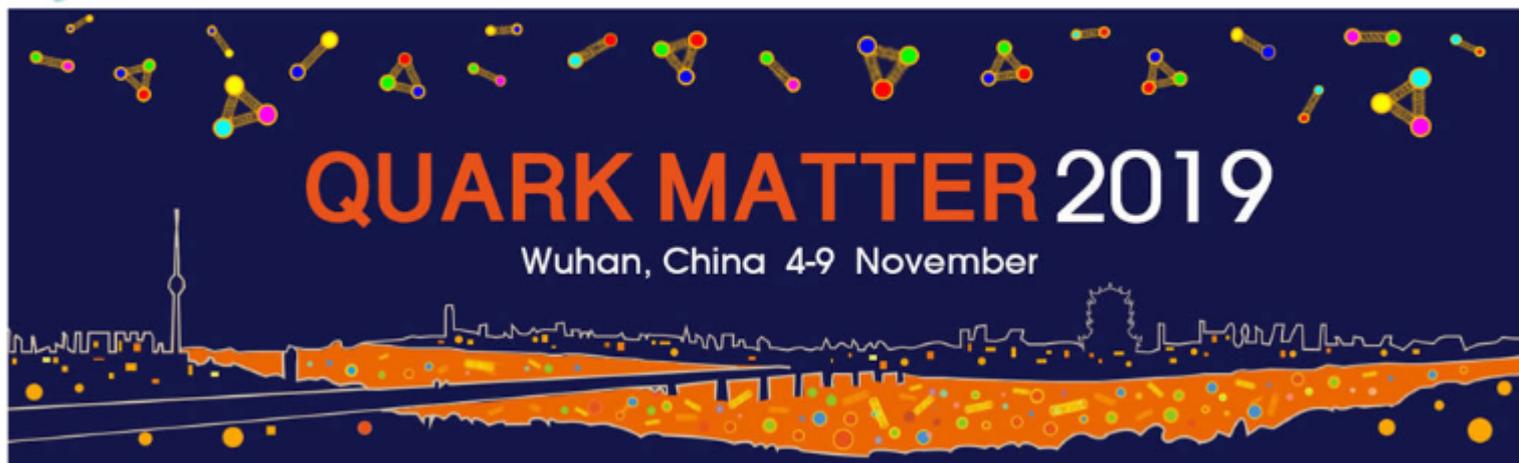




THE 28TH INTERNATIONAL CONFERENCE ON ULTRARELATIVISTIC NUCLEUS-NUCLEUS COLLISIONS



# Dijet Acoplanarity as a Probe of the Nonperturbative Color Structure of QCD Perfect Fluids with CUJET3

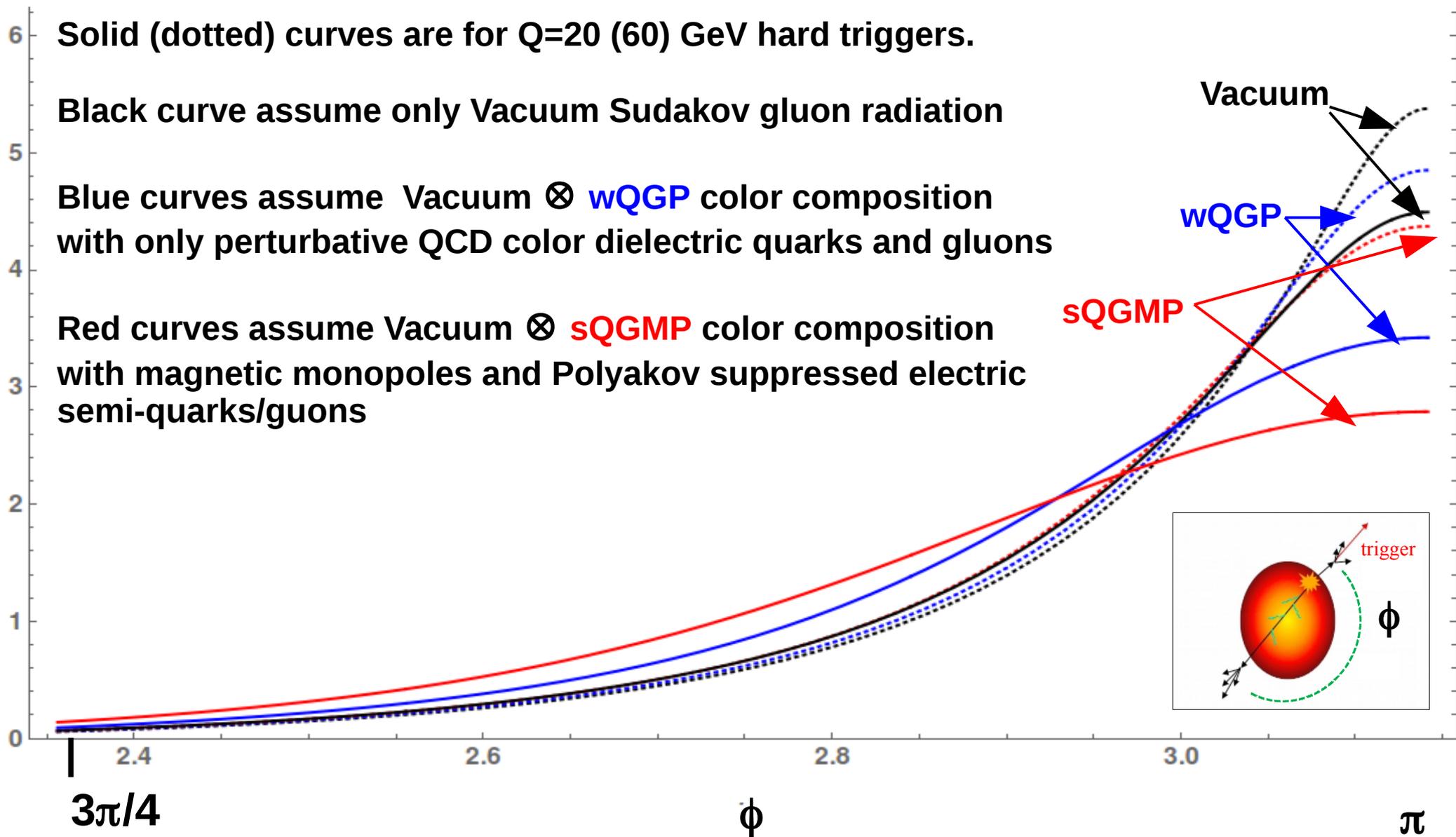
*Wednesday, 6 November 2019 12:00 (20 minutes)*

GYULASSY, Miklos (CCNU Wuhan)

**Co-authors:** JACOBS, Peter Martin (Lawrence Berkeley National Lab. (US)); LIAO, Jinfeng (Indiana University); SHI, Shuzhe (McGill University); WANG, Xin-Nian (Central China Normal University (China)) / Lawrence Berkeley Na); YUAN, Feng (LBNL)

Summary: With dynamical parameters *Constrained* by RAA&v2 RHIC&LHC data , CUJET3 predicts that **DiJet Acoplanarity**  $dN/d\phi$  can robustly discriminate between **wQGP** and **sQGMP** color d.o.f. of the QCD fluid in the crossover  $T \sim 150\text{-}300$  MeV region

## $dN/d\phi$



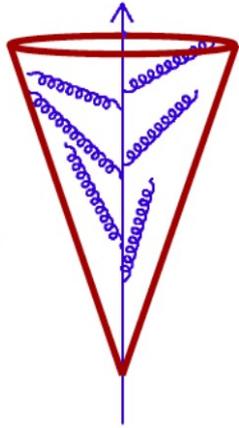


# Jet quenching observables

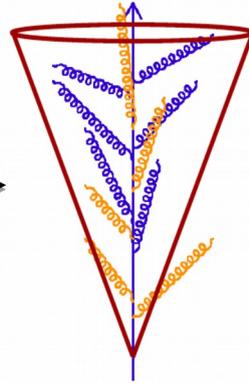
(See P.Jacobs, Tuesday 11am)



In vacuum



In-medium



## Jet quenching in high-EA pp collisions

### Inclusive $R_{AA}$

- Glauber scaling undefined, measurement not possible

### Acoplanarity

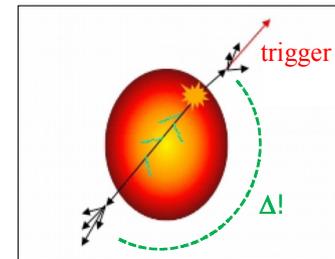
*D. A. Appel, PRD 33, 717 (1986)*

*J.P. Blaizot and L. McLerran, PRD 34, 2739 (1986)*

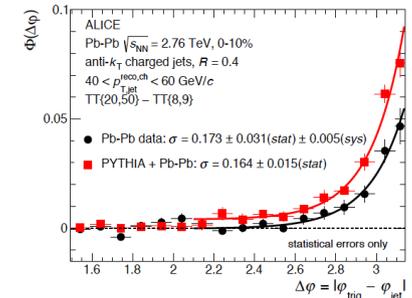
## Signatures of in-medium interactions

1. Energy transport out-of-cone  
→ yield suppression ( $R_{AA}$ ,  $I_{AA}$ )
2. Jet substructure modification
3. Jet deflection → **acoplanarity**

## Experimental techniques in place



*JHEP 09 (2015) 170*



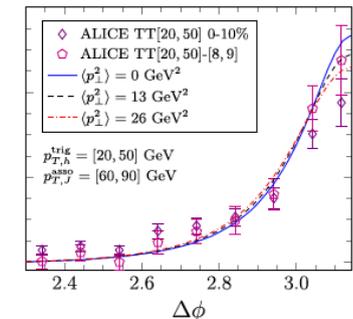
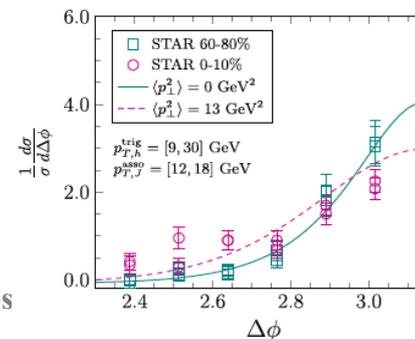
## All must occur

Different observables probe different aspects of jet quenching

- explore all three, require consistent picture

## Background: initial-state (Sudakov) radiation

*L. Chen et al., Phys.Lett. B773 (2017) 617*



Current State of “Acoplanarity Art”

L. Chen et al. / Physics Letters B 773 (2017) 672–676

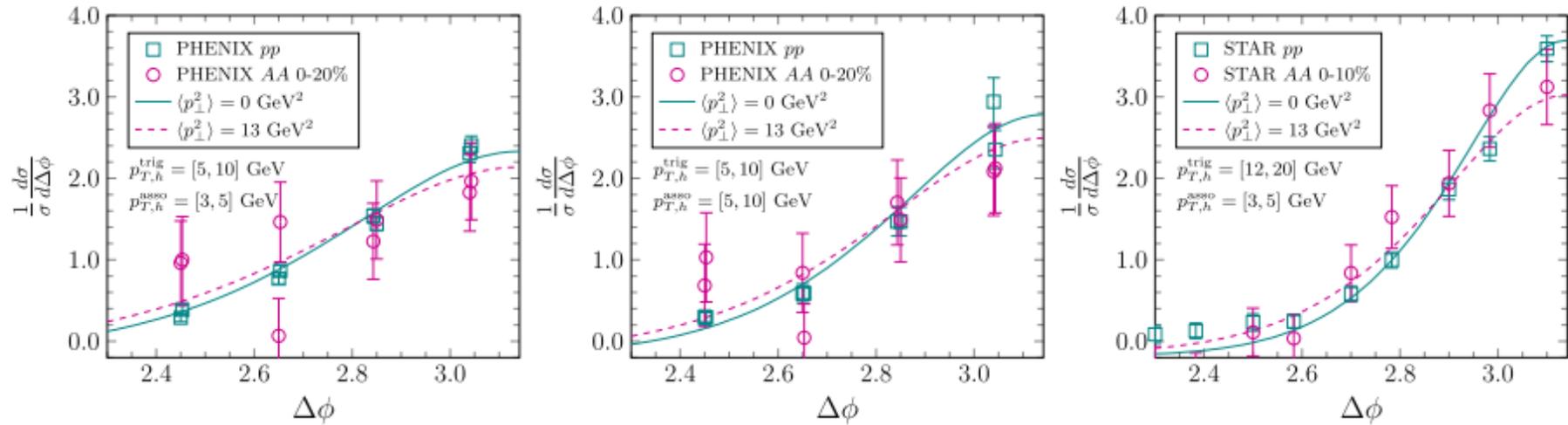
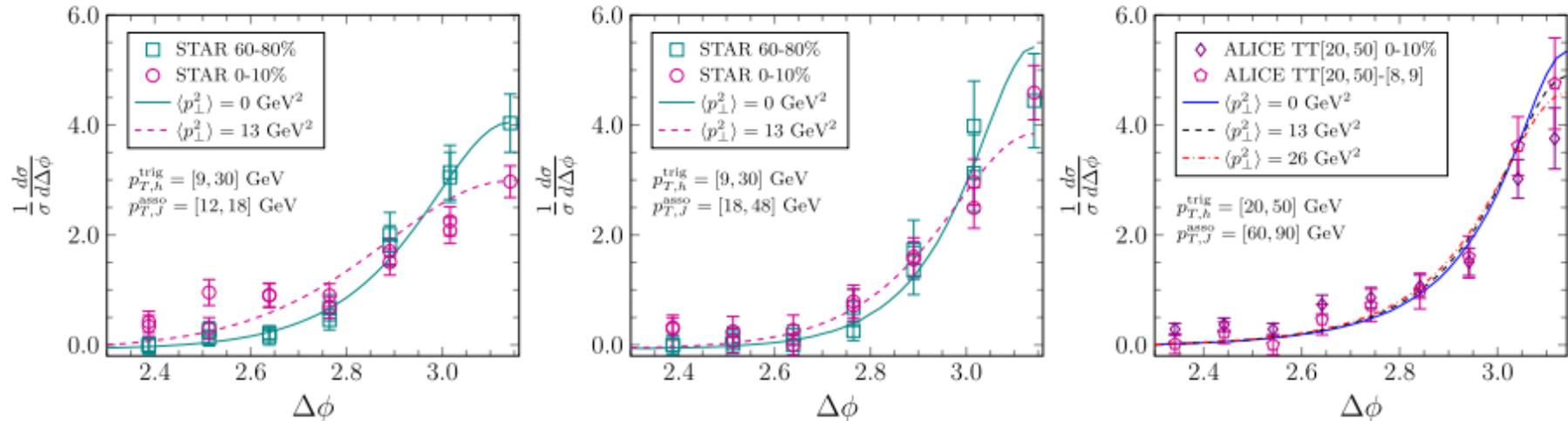


Fig. 1. Normalized dihadron angular correlation compared with PHENIX [51] and STAR [52] data.



As a stand alone observable, Acoplanarity does not constrain  $Q_s^2$  better than RAA&v2.  
 However, we show below that in combination with RAA&v2,  
 Acoplanarity can greatly increase discriminating power to falsify dynamical models of AA

Acoplanarity distribution is a convolution of [Vacuum Sudakov](#) and [Medium induced](#) transverse deflection distributions ( proposed as QGP signal 33 years ago! )

D. A. Appel, PhysRD33, 717 (1986); J. P. Blaizot, L. D. McLerran, PRD34, 2739 (1986)

F.~D'Eramo et al, JHEP 1305 (2013) 031; 1901 (2019) 17, MG et al , QM18 NPA982 (2019) 627.

We utilized the formalism of

Mueller, Wu, Xiao, Yuan, PLB763, 208 (2016); PRD 95, 034007 (2017)

Chen, Qin, Wei, Xiao, Zhang, PLB773, 672 (2017)

$$\frac{dN}{dq^2} \approx \frac{1}{Q^2} \frac{dN}{d\Delta\phi} = \int b db J_0(|q(Q, \Delta\phi)|b) e^{-S_{vac}(Q,b) - S_{med}(Q,b)}$$

$$S_{vac} \approx (\alpha/2\pi) \sum_{q,g} \left\{ (A_1 (\log(Q^2/\mu_b^2))^2 / 2 + (B_1 + D_1 \log(1/R^2)) \log(Q^2/\mu_b^2)) \right\} + S_{NP}(Q, b)$$

The medium induced broadening in **one parameter** multi soft Gaussian BDMS approx

$$S_{BDMS}(b; Q_s) = b^2 Q_s^2 / 4$$

$$Q_s^2 = \int dt \hat{q}(T(\vec{r}(t), t), Q)$$

The **two parameter** opacity  $\chi = L/\lambda$  and screening  $\mu$  multiple Yukawa scatt approx

$$S_{GLV}(b; \chi, \mu) = \chi(\mu b K_1(\mu b) - 1) \approx b^2 \log[1/(b\mu)^2] (\chi \mu^2) / 4$$

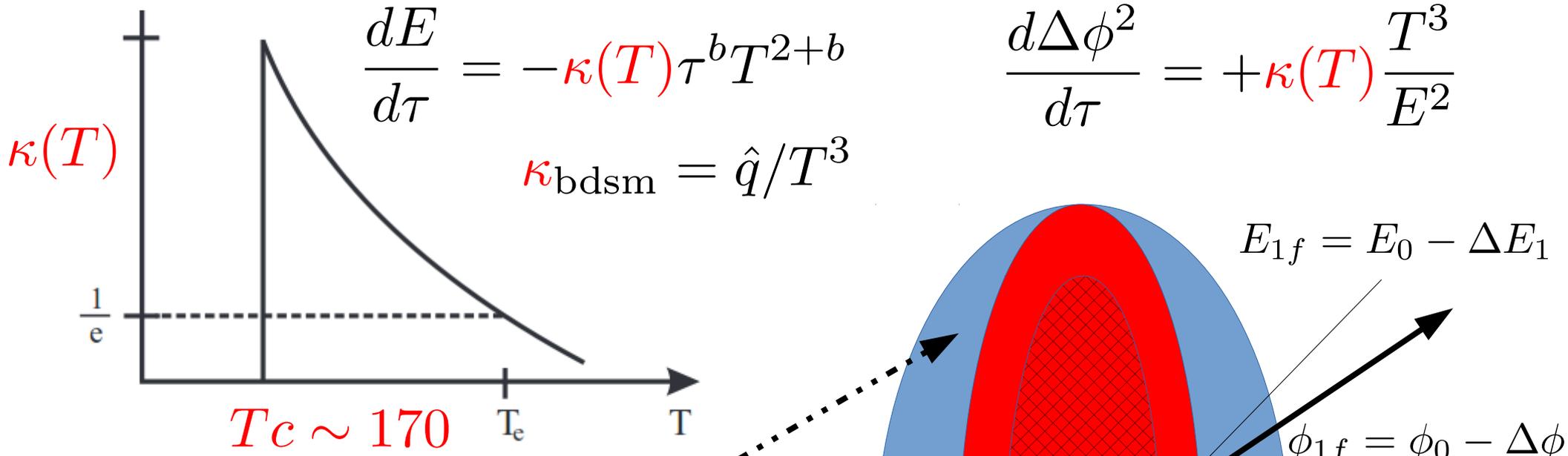
# Part 2 : CUJET3 example of RAA Constrained Dijet Acoplanarity Tomography

Refs: Shuzhe Shi, Jinfeng Liao , M.G. :

“Probing the Color Structure of the Perfect QCD Fluids via Soft+Hard Event-by-Event Azimuthal Correlations,” *Chin.Phys.C42*, 104104 (2018)

“Global constraints from RHIC and LHC on transport properties of QCD fluids in CUJET/CIBJET framework,” *Chin.Phys.C43*, 044101 (2019)

**J. Liao and E. Shuryak**, Angular Dependence of Jet Quenching Indicates Its Strong Enhancement Near the QCD Phase Transition, **PRL102 (2009)**; **Shuryak PRC66 (2002)**



The Idea:  
**Emergent Color Magnetic Monopole** d.o.f near  $T_c$  enhances jet  $\Delta E$  and  $v_2$  due to jet- monopole Dirac constraint:  
 $\alpha_E \alpha_M = 1$

**“Crossover Region”**

$T < T_c$

$T \sim (1-2) T_c$

$T > 2 T_c$

$\Rightarrow$  **K** peak near (1-2)  $T_c$  enhances dijet azimuthal acoplanarity!

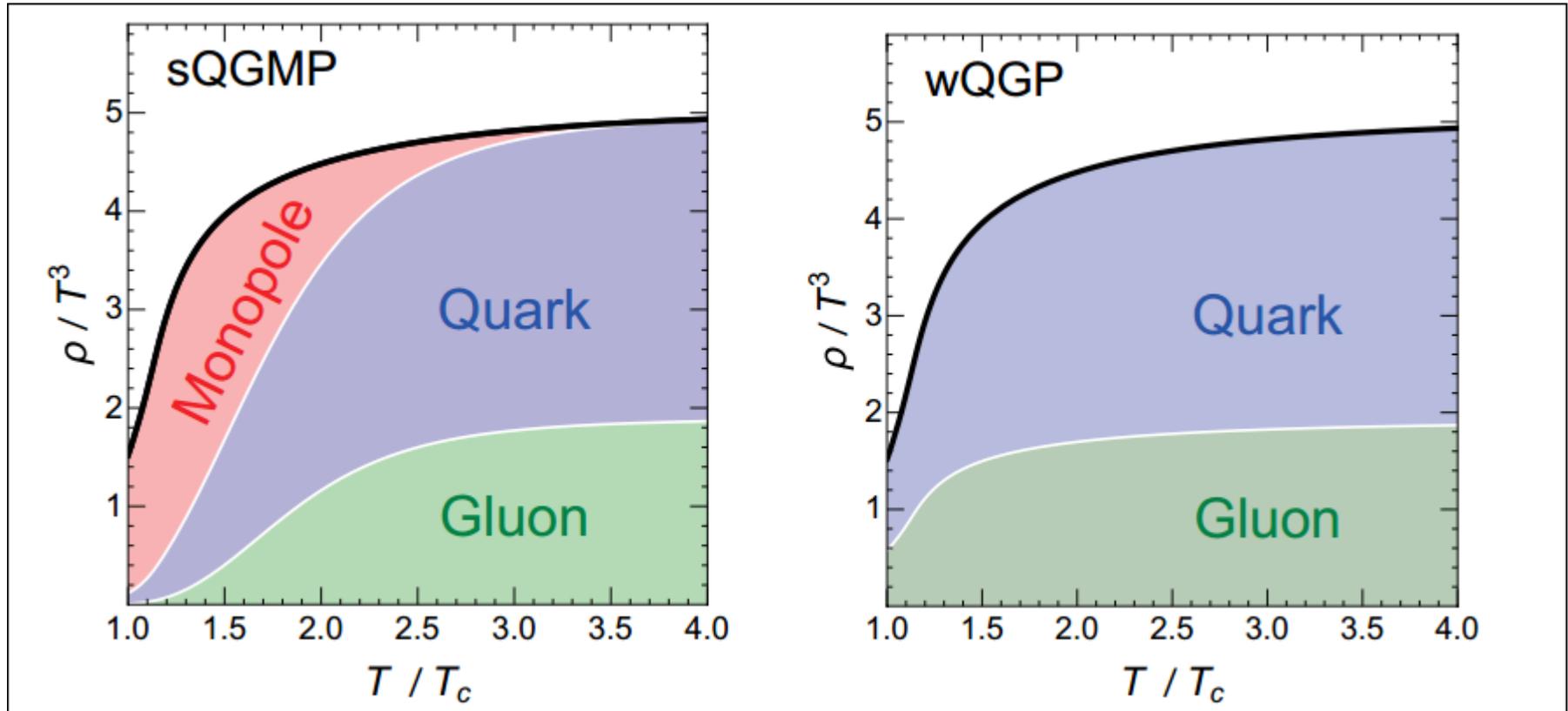
$E_{2f} = E_0 - \Delta E_2$

$\phi_{2f} = \pi + \phi_0 - \Delta\phi_2$

# Probing the color structure of the perfect QCD fluids via soft-hard-event-by-event azimuthal correlations<sup>\*</sup>

施舒哲      廖劲峰      许乐世  
Shuzhe Shi<sup>1)</sup>    Jinfeng Liao<sup>1;1)</sup>    Miklos Gyulassy<sup>2,3,4</sup>

$$P/T = \rho_q + \rho_g + \rho_m \quad \text{vs} \quad P/T = \rho_q + \rho_g$$

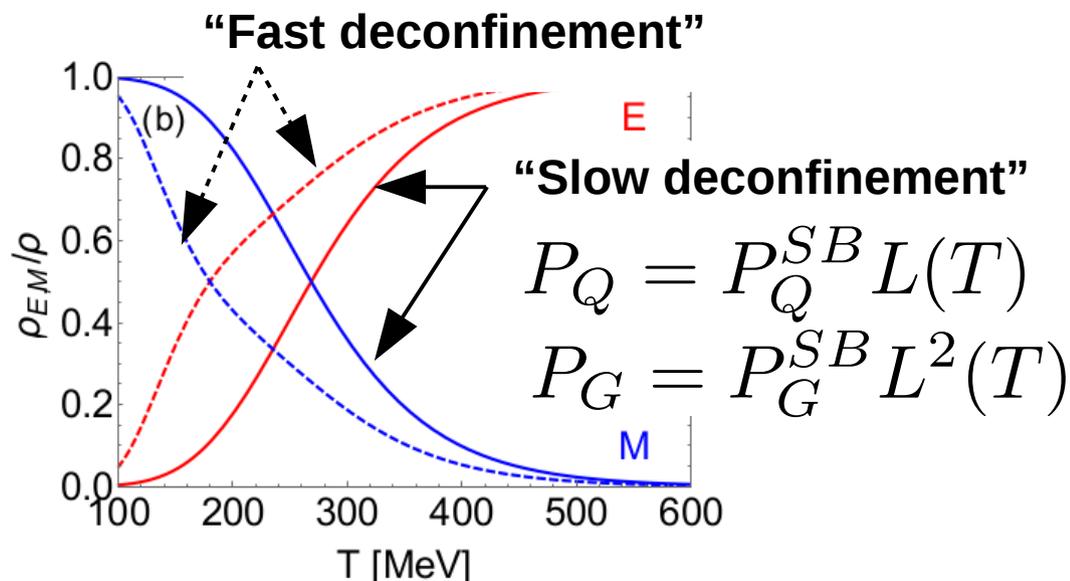
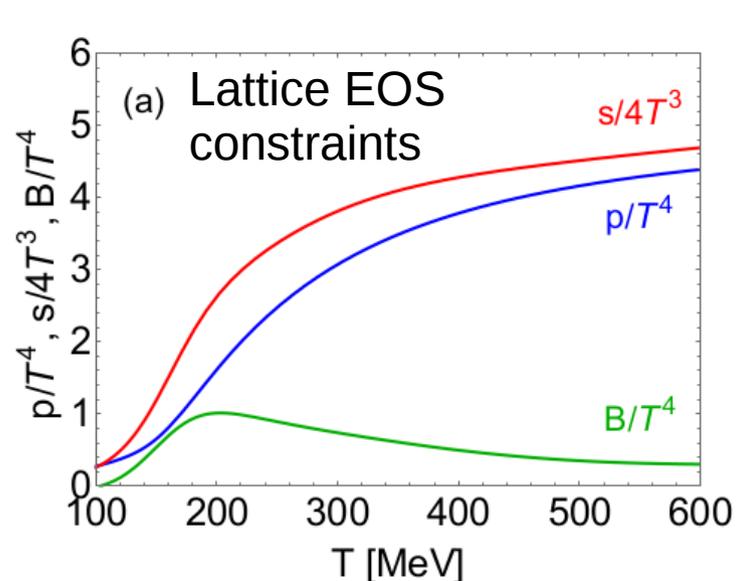


CUJET3 = (OSU VISHNU)(soft hydro) + DGLV(hard jets) + sQGMP

Jiechen Xu et al

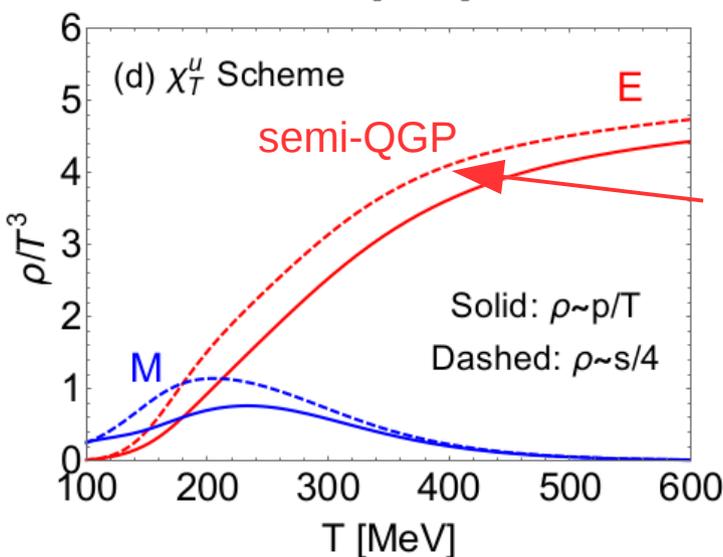
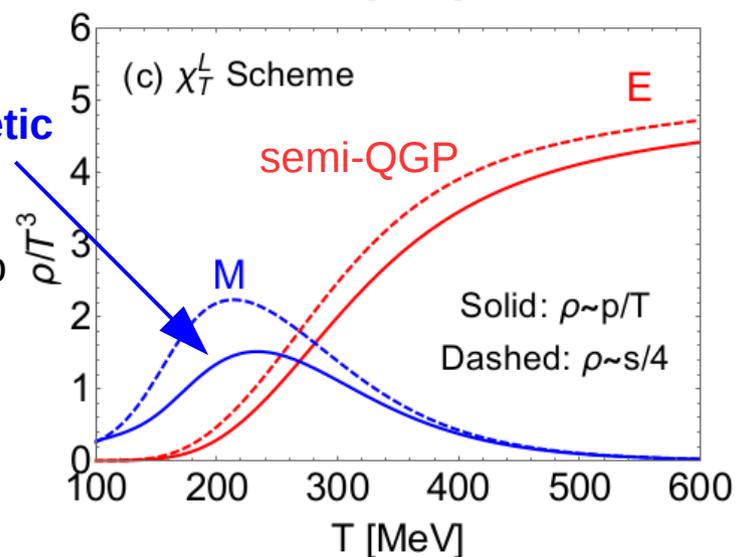
CIBJET = event-by-event CUJET3

Shuzhe Shi et al<sub>8</sub>



**Emergent Color Magnetic Monopole d.o.f.**

Shuryak, Liao

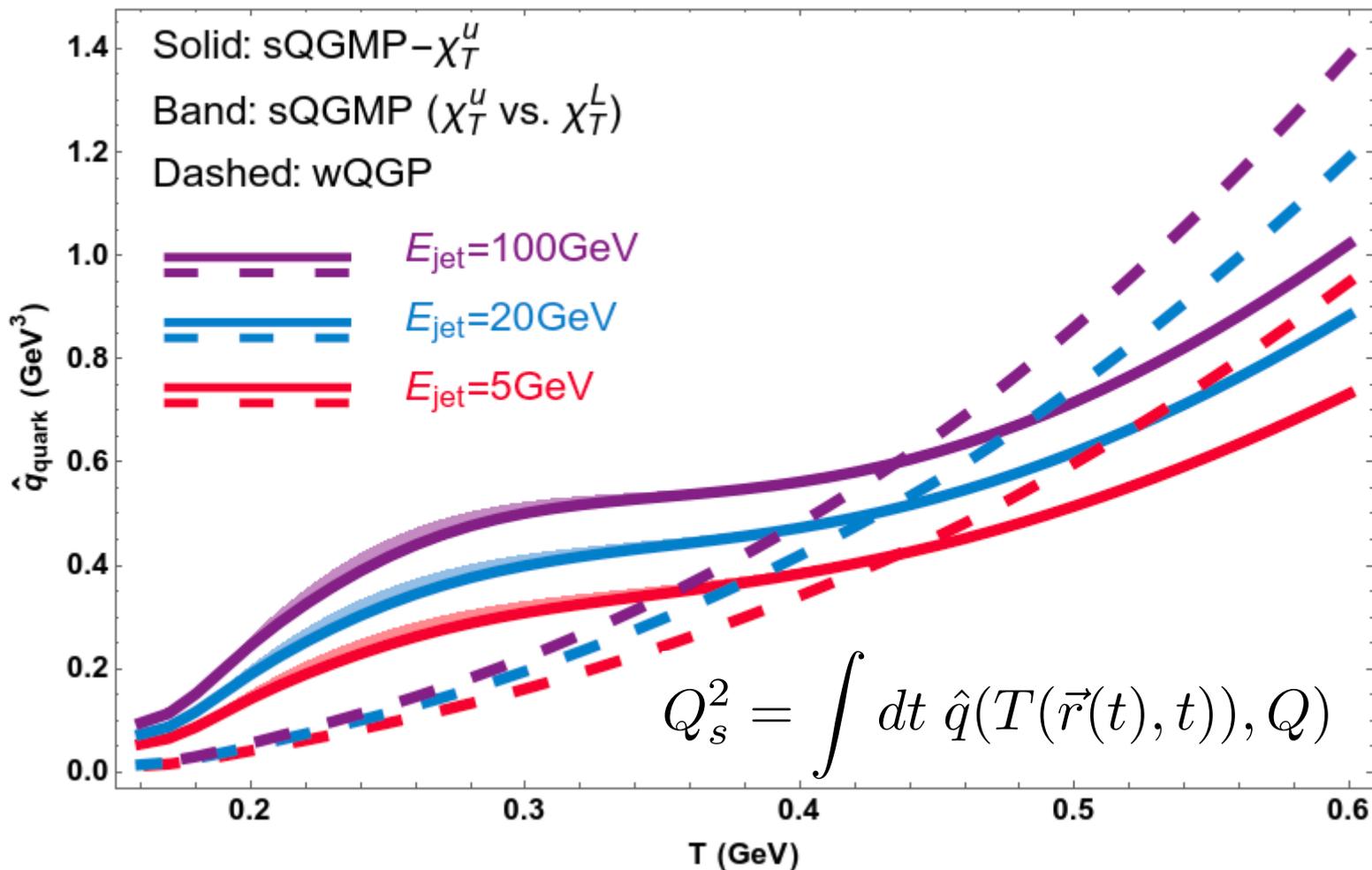


**Suppressed Color Electric “semi-QGP”**

Hidaka, Pisarski

sQGMP is a lattice QCD constrained model of the 1974 suggestion by **t’Hooft, Polyakov and Mandelstam** that emergent color magnetic monopole d.o.f. may play an important role in confining color electric q and g d.o.f.

# CUJET Temperature dependence of Jet transport coeff constrained by RHIC&LHC $R_{AA}$



$$\hat{q}_F(E, T) = \int_0^{6ET} dq_{\perp}^2 \frac{2\pi}{(\mathbf{q}_{\perp}^2 + f_E^2 \mu^2(\mathbf{z}))(\mathbf{q}_{\perp}^2 + f_M^2 \mu^2(\mathbf{z}))} \rho(T)$$

E+E

$$\times \left\{ [C_{qq} f_q + C_{qg} f_g] \cdot [\alpha_s^2(\mathbf{q}_{\perp}^2)] \cdot [f_E^2 \mathbf{q}_{\perp}^2 + f_E^2 f_M^2 \mu^2(\mathbf{z})] + \right.$$

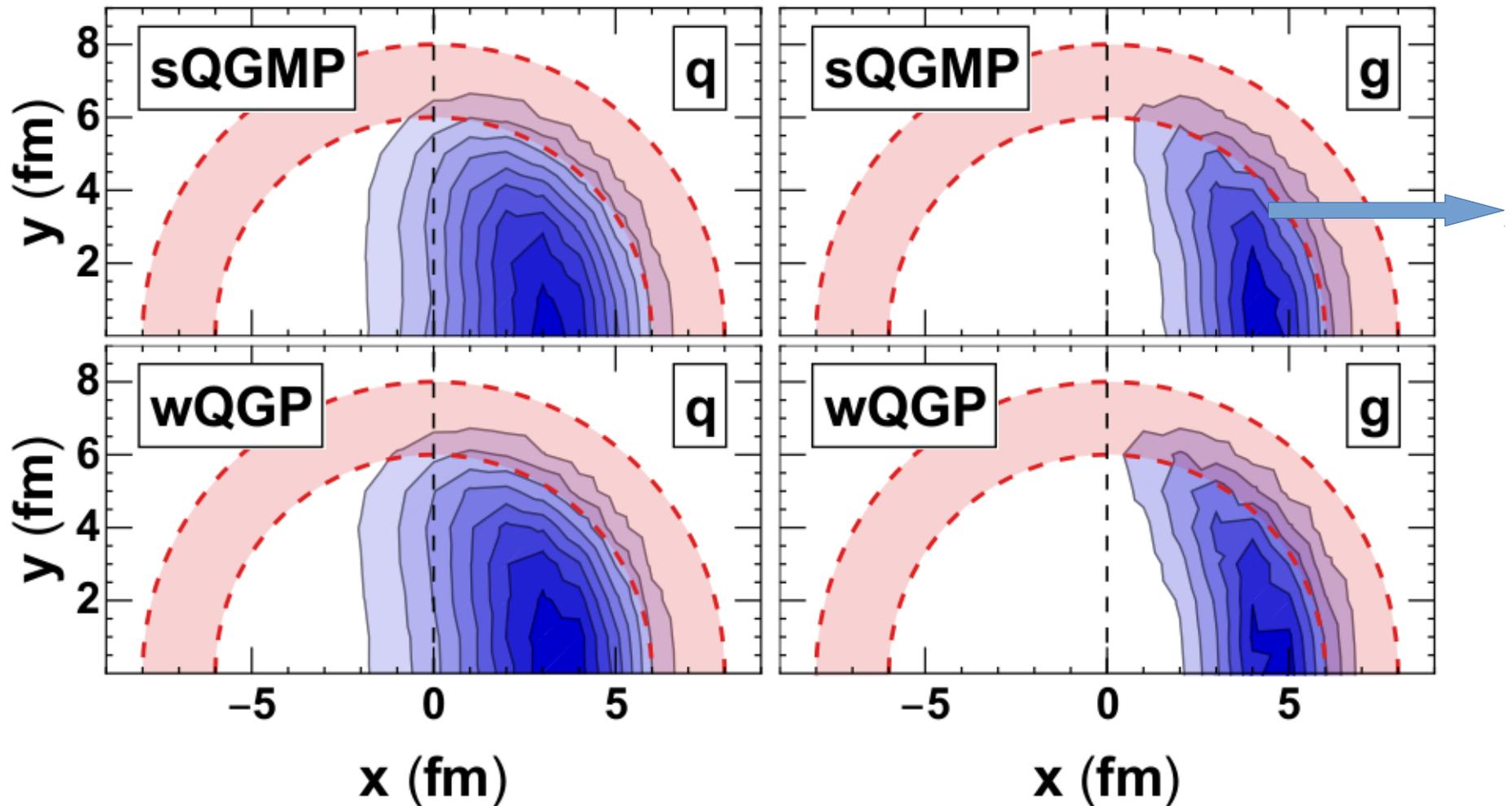
E+M

$$\left. [C_{qm}(1 - f_q - f_g)] \cdot [1] \cdot [f_M^2 \mathbf{q}_{\perp}^2 + f_E^2 f_M^2 \mu^2(\mathbf{z})] \right\},$$

Spatial trigger bias of Quenched partons in wQGP and sQGP are nearly identical  
 Because both media couplings are **constrained** by same soft+hard RHIC&LHC data on  $R_{AA}^{h\pm}$

Example: trigger  $E_{\text{fin}}=20$  GeV and  $\phi_0 = 0$

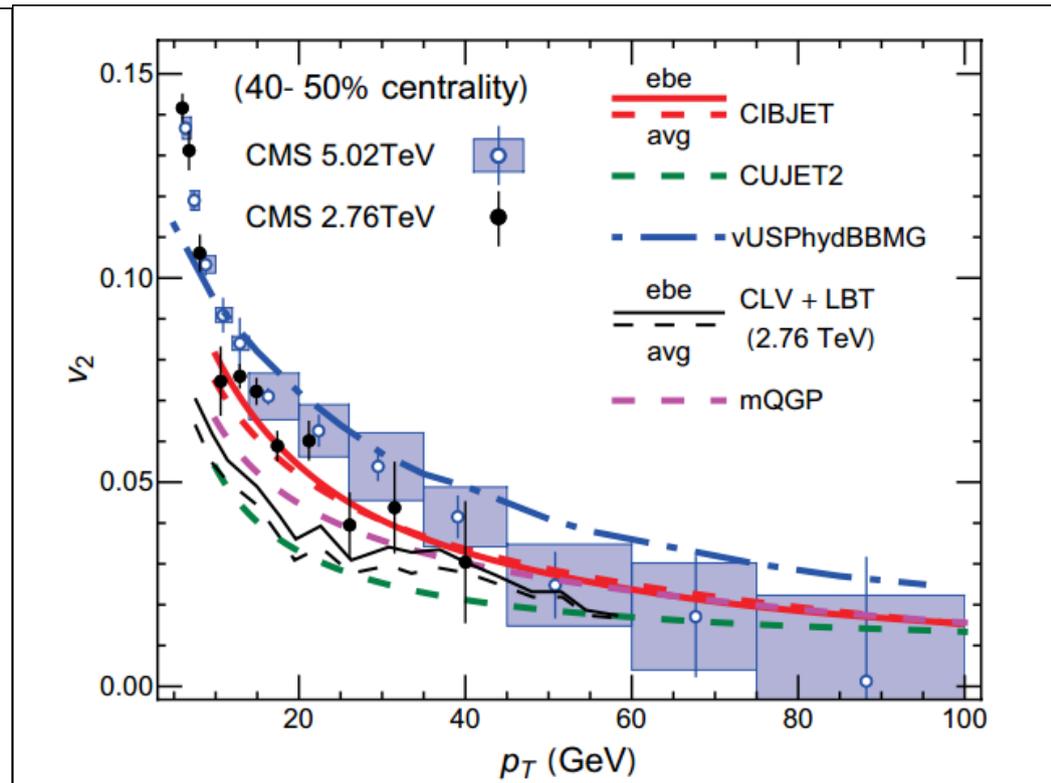
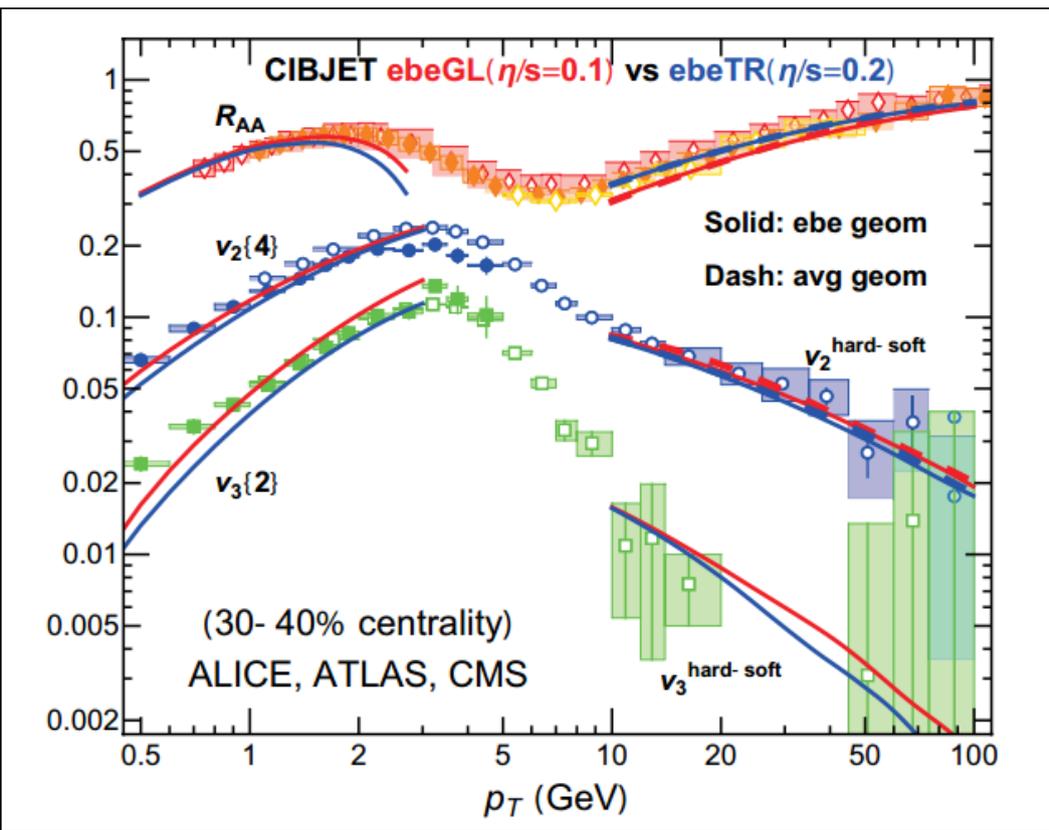
5.02 ATeV  $b=0$  centrality geometry shown for illustration



Red band shows initial VISHNU “crossover”  $160 < T(x,y,t=0.6) < 320$  MeV region where

$$\hat{q}_{\text{sQGP}} / \hat{q}_{\text{wQGP}} \sim 2-4$$

CIBJET (sQGMP) provides a  $\chi^2/dof < 2$  solution to all RAA,  $v_2$ ,  $v_3$  data at RHIC and LHC



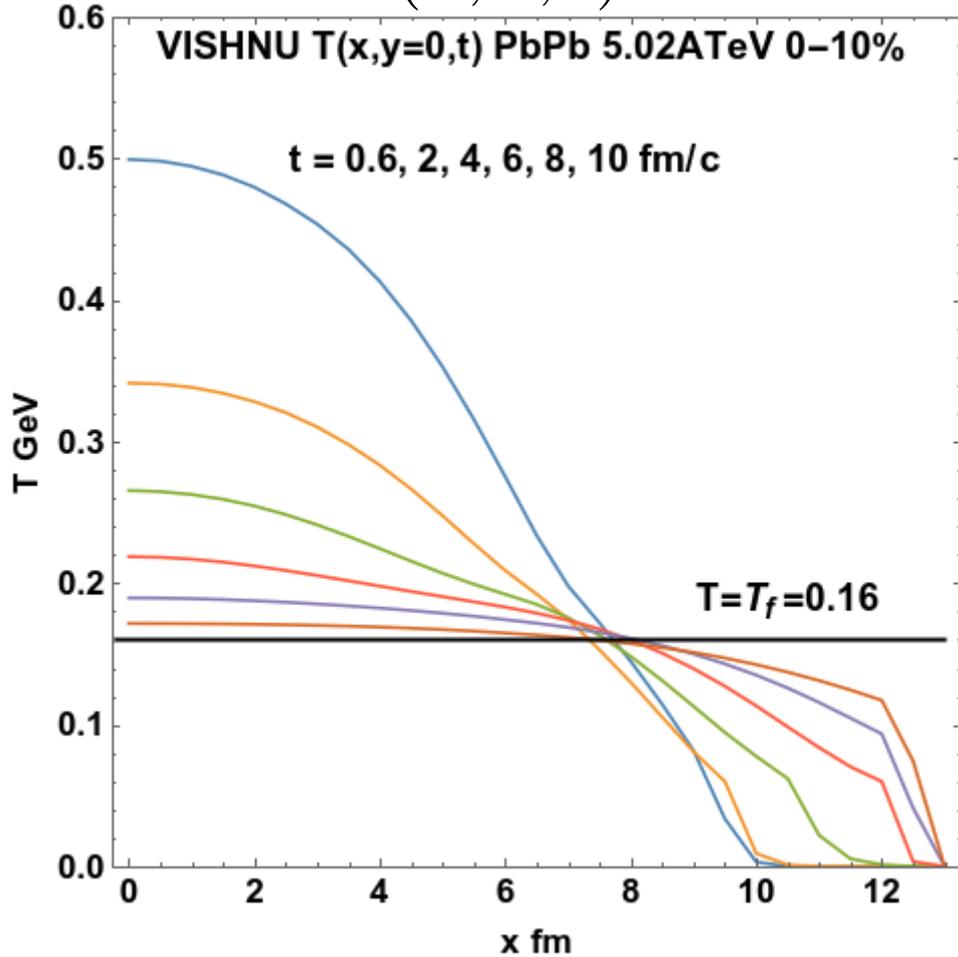
However other globally consistent RHIC+LHC RAA& $v_2$  solutions also exist:

1. J. Noronha Hostler et al, PRL116,252301 (2016)  
"Event-by-Event Hydro +Jet Energy Loss: A Solution to the RAA $\otimes$  $v_2$  Puzzle"
2. C. Andres et al, PoS HardProbes2018 (2019) 070  
"Constraining energy loss from high-T azimuthal asymmetries"

➡ **We need other observables to break theoretical degeneracies !**  
**Constrained Dijet Acoplanarity Tomography can help**

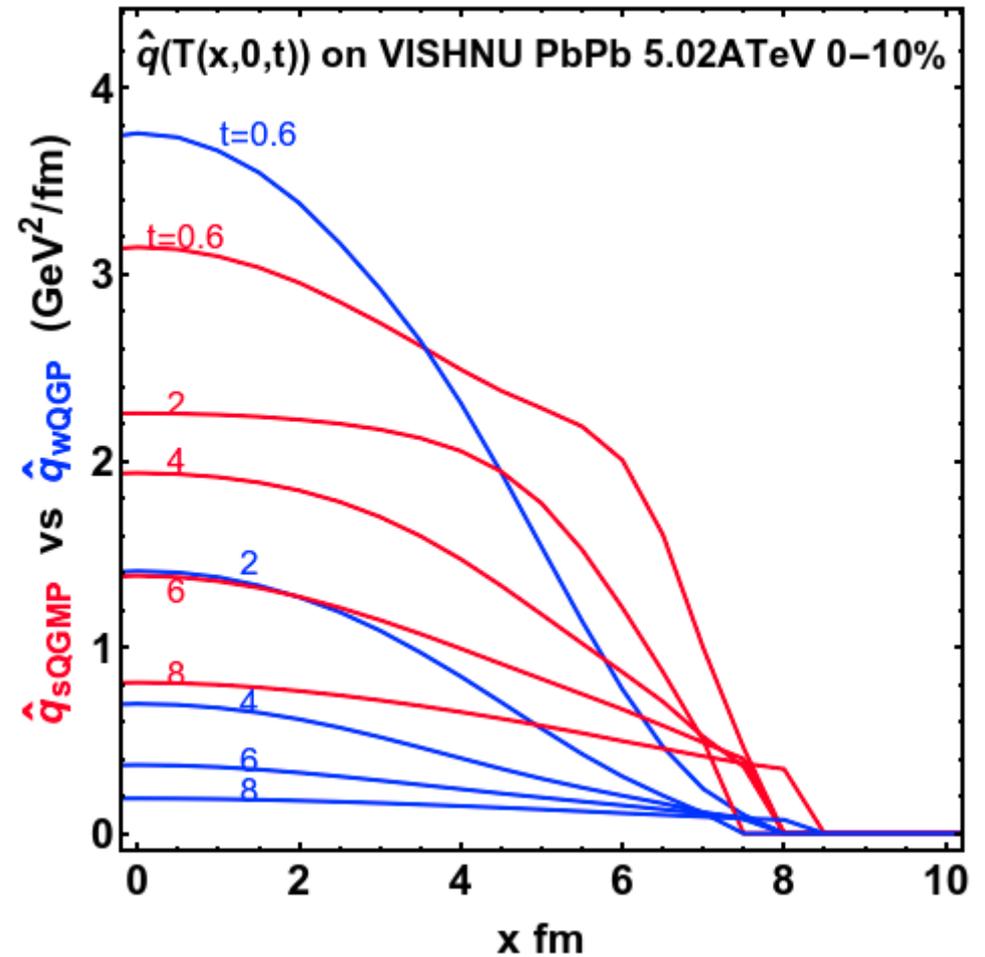
# VISHNU Temperature field Evolution For 0-10% PbPb 5.02 ATeV

$$T(x, 0, t)$$



# CUJET3 $\hat{q}$ Evolution wQGP (blue) vs sQGMP (red)

$$\hat{q}(T(x, 0, t), E = 20)$$

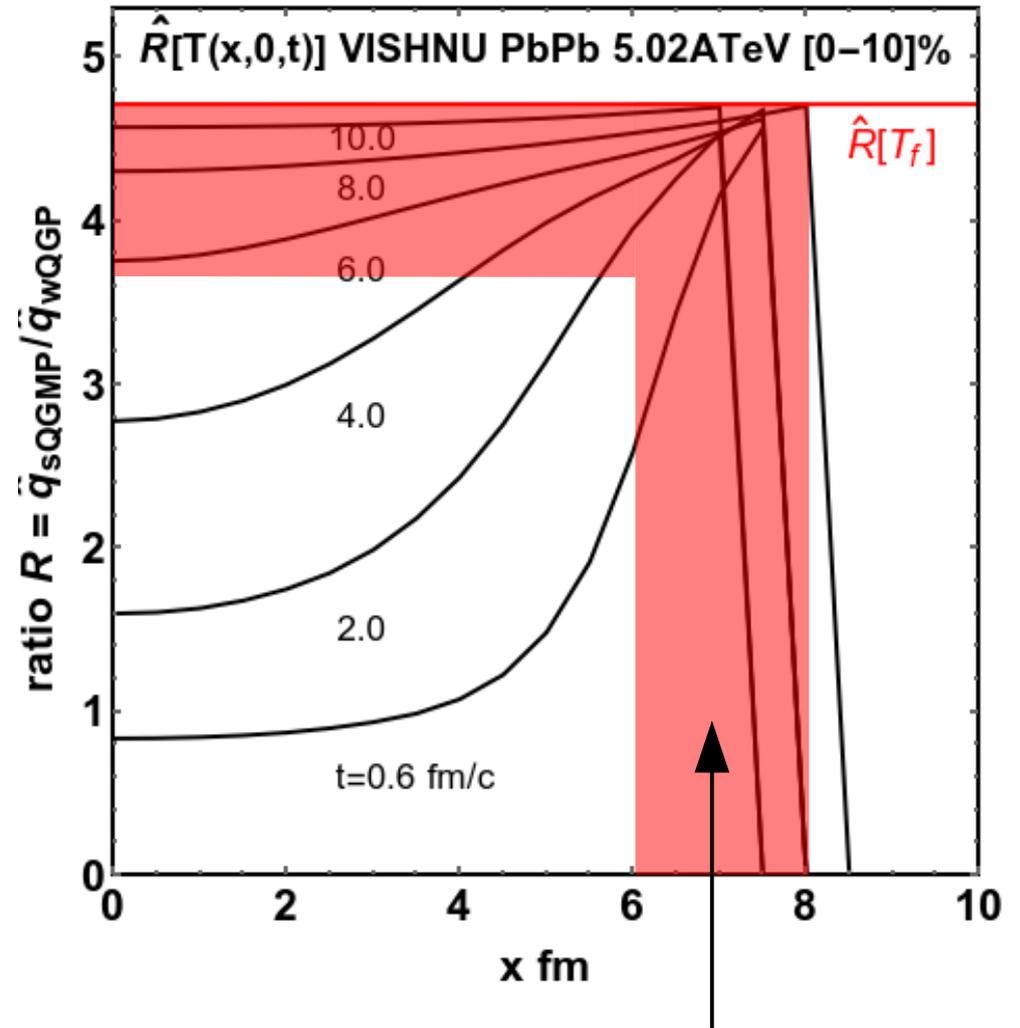
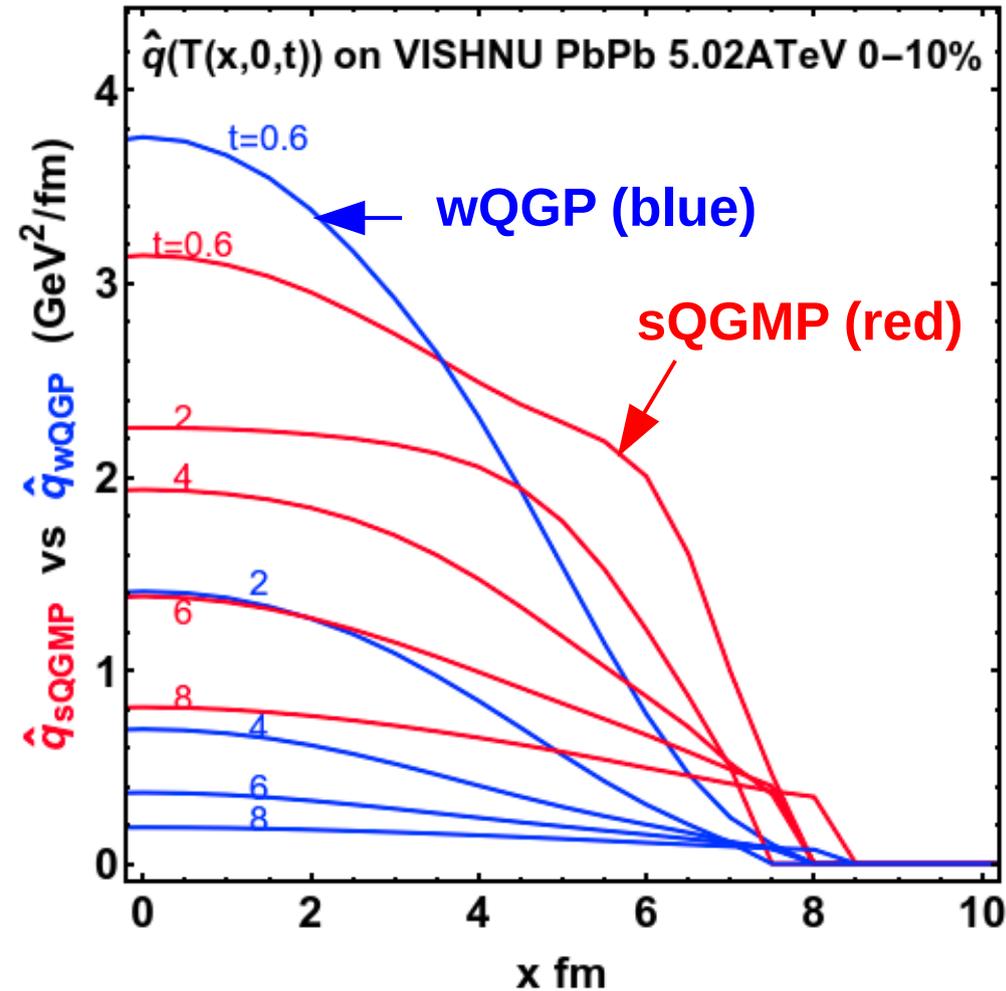


# CUJET3 $\hat{q}$ Evolution

$$\hat{q}(T(x, 0, t), E = 20)$$

# CUJET3 Evolution of $\hat{q}$ Ratio

$$\hat{q}_{\text{sQGMP}} \text{ (red)} / \hat{q}_{\text{wQGMP}} \text{ (blue)}$$

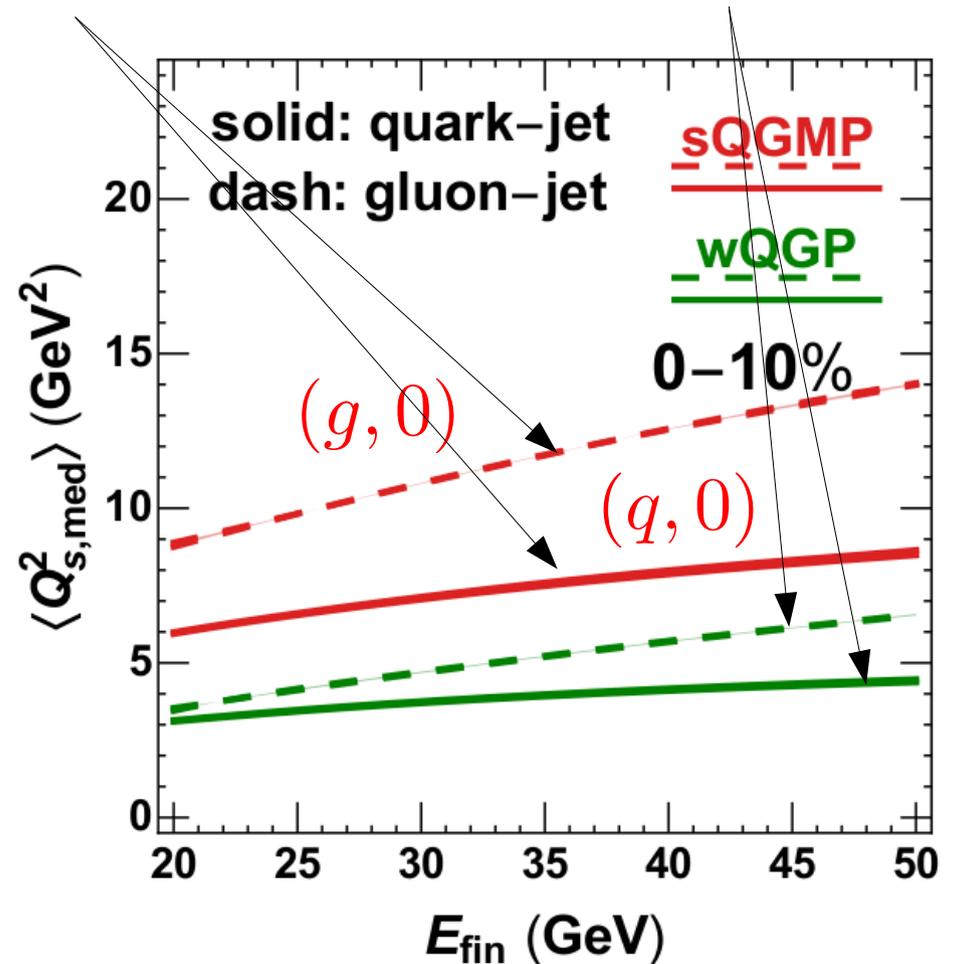
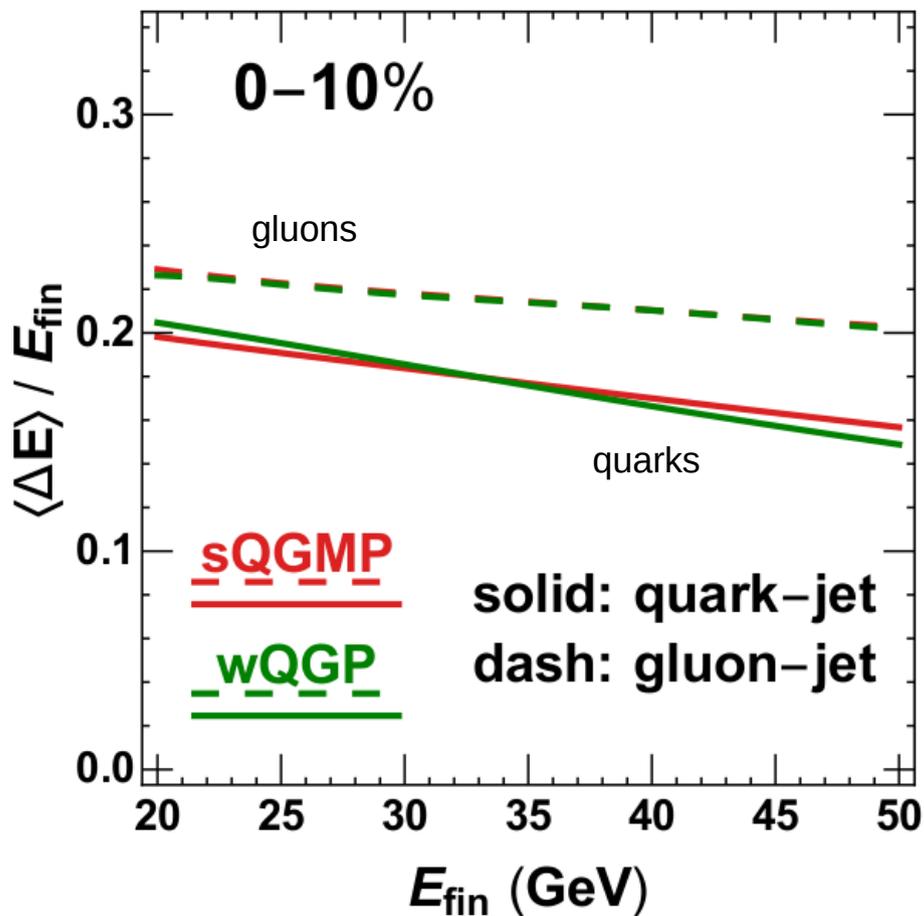


Large enhancement of  $\hat{q}$  (sQGMP) in “crossover”  $T_c < T < 2T_c$  hyper-surface due to emergent jet-monopole interactions with (Dirac)  $\alpha_E \alpha_M = 1 \gg \alpha_E \alpha_E \sim 0.1$

Using global  $\chi^2[\alpha_c, c_m; R_{AA} \& v_2]/d.o.f. < 2$

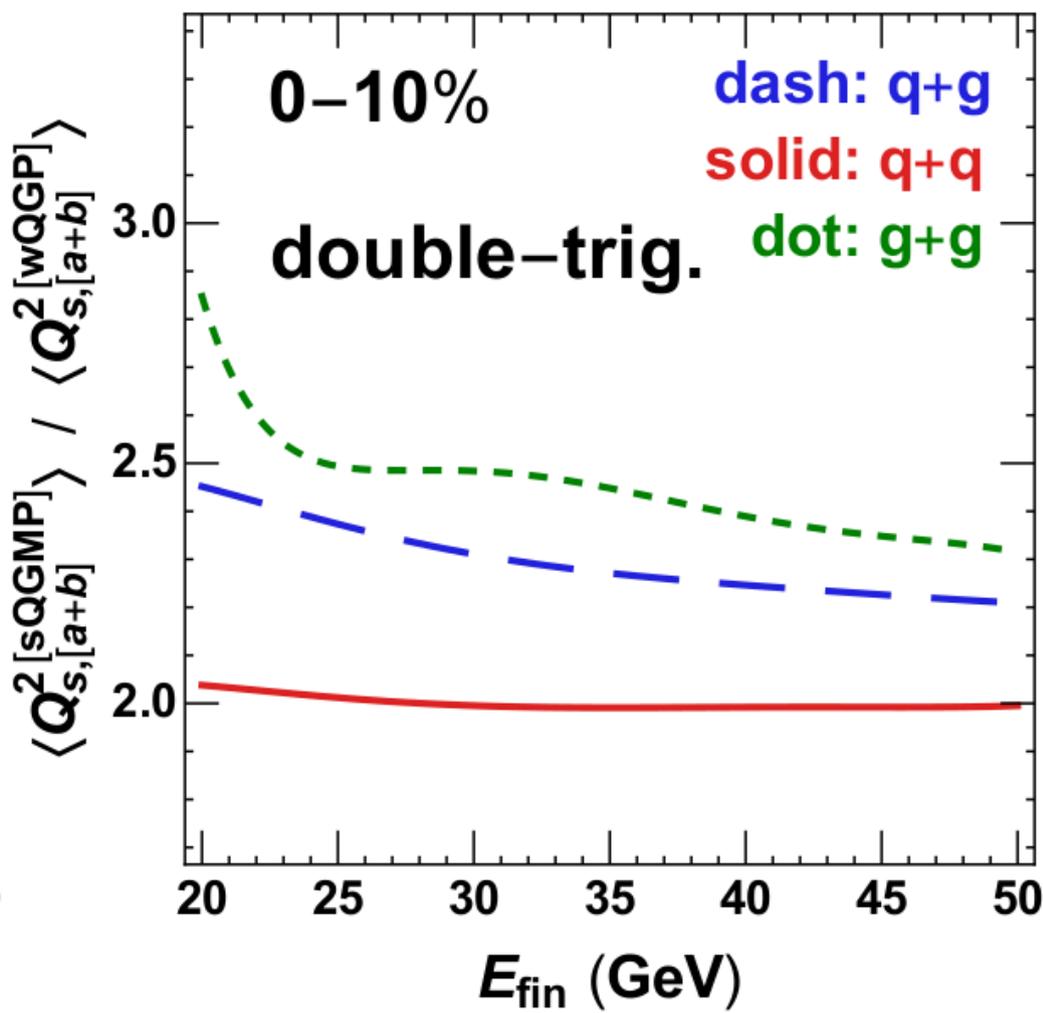
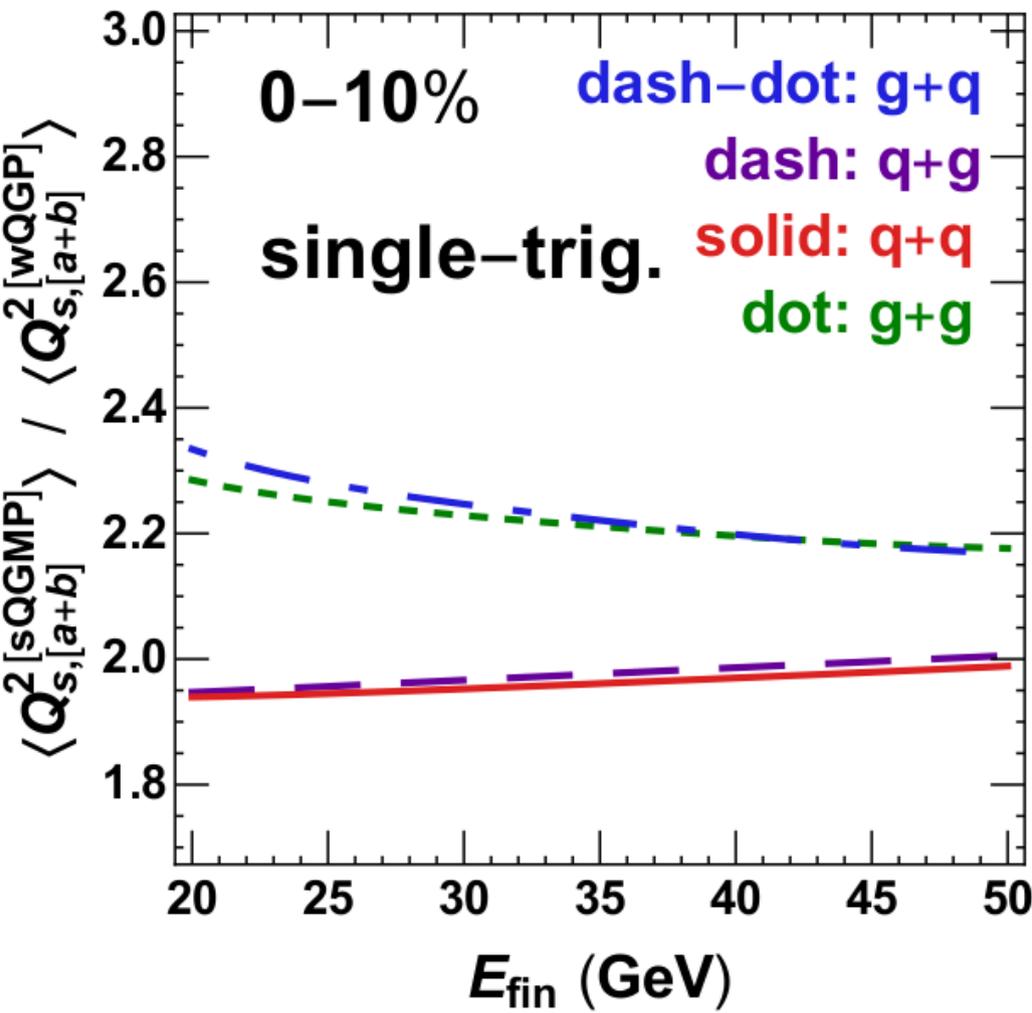
**Shuzhe Shi** found that  
 RAA&v2 constrained CUJET3.1  
 Predicts ~2 enhancement of  
 saturation scale in **sQGMP** vs **wQGP**

$$\langle Q_s^2 \rangle_{\text{sQGMP}} \approx 2 \times \langle Q_s^2 \rangle_{\text{wQGP}}$$



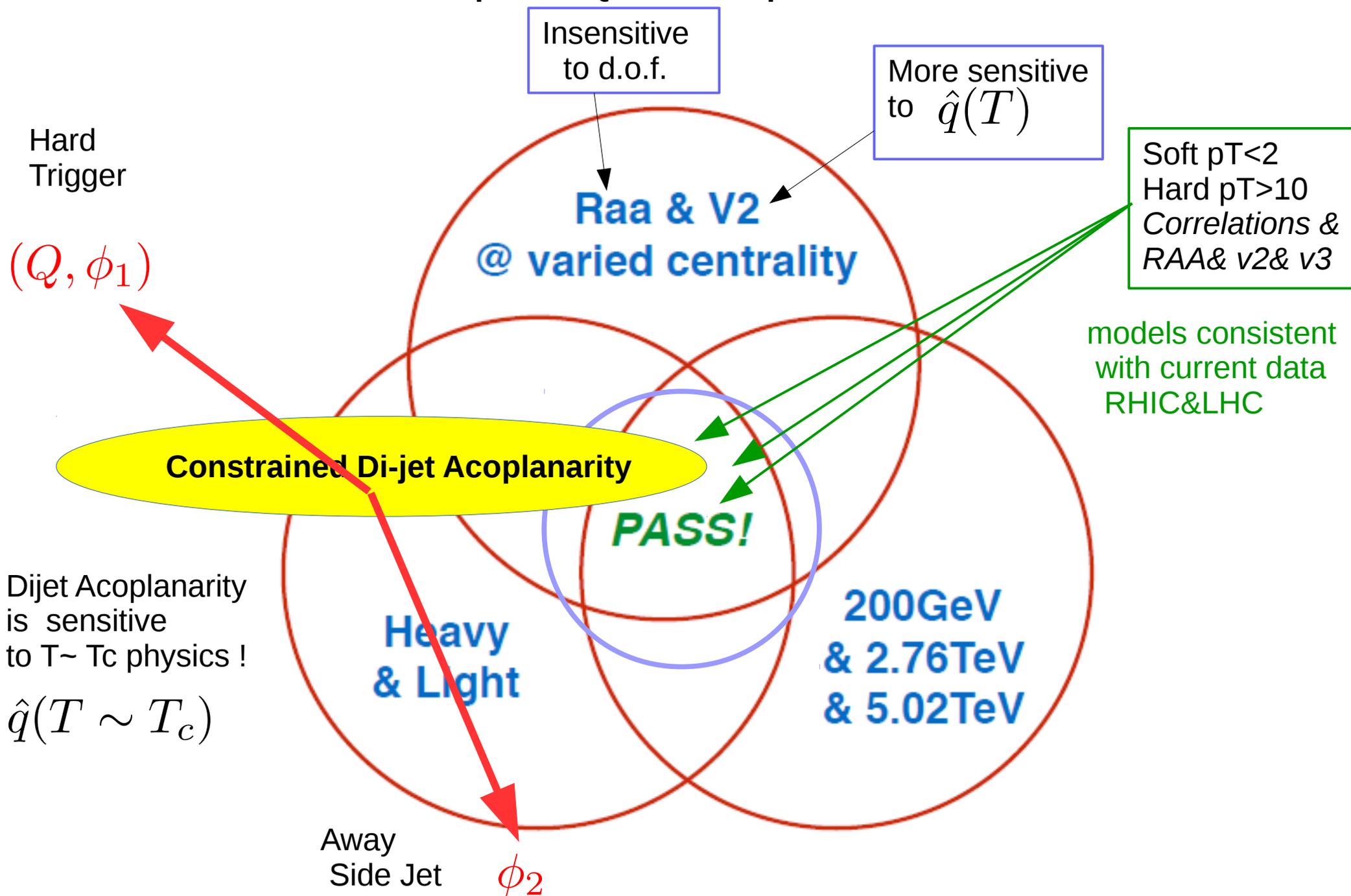
Robustness of  $\frac{Q_s^2[a+b](sQGMP)}{Q_s^2[a+b](wQGP)} \sim 2$

To single or double trigger



## Summary 2:

**RAA&v2 Constrained Dijet Acoplanarity Tomography can help to falsify competing models of the color d.o.f. in perfect QCD fluids produced at RHIC and LHC**



Extra Slides:

In CUJET3 DGLV Radiative energy loss is generalized to sQGMP fluids

$$\Gamma_a(\tau, \mathbf{q}_\perp) = \sum_b \rho_b(z^\mu(\tau)) d^2 \sigma_{ab}(z^\mu(\tau)) / d^2 \mathbf{q}_\perp$$

$$\Delta E_a[z^\mu(\tau)]/E \propto C_a \int d\tau \rho(\mathbf{z}) \Gamma(\mathbf{z}) \int d^2 \mathbf{q}_\perp \frac{1}{\mathbf{q}_\perp^2} \left[ \frac{\alpha_s^2 \chi_T f_E^2}{\mathbf{q}_\perp^2 + f_E^2 \mu^2(\mathbf{z})} + \frac{(1 - \chi_T) f_M^2}{\mathbf{q}_\perp^2 + f_M^2 \mu^2(\mathbf{z})} \right]$$

$$\times \int_0^1 dx_+ \int d^2 \mathbf{k}_\perp \alpha_s \left( \frac{\mathbf{k}_\perp^2}{x_+(1-x_+)} \right) \left[ 1 - \cos \left( \frac{(\mathbf{k}_\perp - \mathbf{q}_\perp)^2 + \chi^2(\mathbf{z})}{2x_+ E} \tau \right) \right] \left( 1 + \frac{\mathbf{k}_\perp^2}{4x_+^2 E^2} \right)$$

$$\times \frac{-2(\mathbf{k}_\perp - \mathbf{q}_\perp)}{(\mathbf{k}_\perp - \mathbf{q}_\perp)^2 + \chi^2(\mathbf{z})} \left[ \frac{\mathbf{k}_\perp}{\mathbf{k}_\perp^2 + \chi^2(\mathbf{z})} - \frac{(\mathbf{k}_\perp - \mathbf{q}_\perp)}{(\mathbf{k}_\perp - \mathbf{q}_\perp)^2 + \chi^2(\mathbf{z})} \right] \quad \begin{array}{l} \text{Interference between vacuum} \\ \text{And medium "Antennas"} \end{array}$$

The HT/CCNU qhat approx follows from expanding  $d^2 \mathbf{k}_\perp$  integrand in powers of  $\mathbf{q}_\perp^n$  and keeping only the quadratic  $\mathbf{q}_\perp^2$  term. However all  $\mathbf{q}^{n>2}$  terms all DIVERGE as  $E \rightarrow \infty$  !!

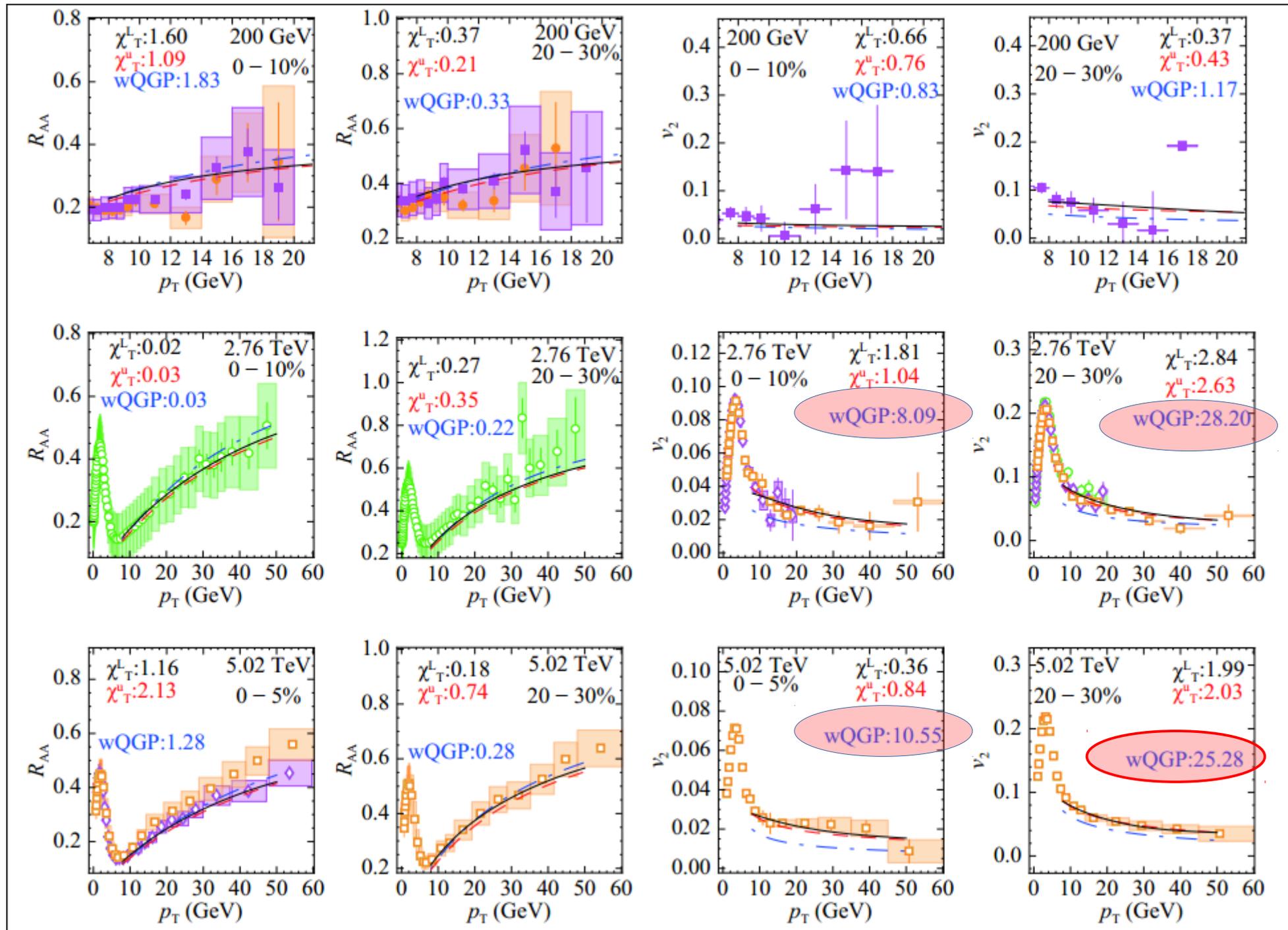
$$\Delta E_a^{HT}/E \propto \int d\tau \left\{ \hat{q}(\tau) = \int d^2 q_\perp q_\perp^2 d\Gamma_a(\tau, \mathbf{q}_\perp) = dQ_s^2(\tau)/d\tau \right\}$$

$$\times \left\{ \int_0^1 dx_+ \int d^2 \mathbf{k}_\perp \alpha_s \left( \frac{\mathbf{k}_\perp^2}{x_+(1-x_+)} \right) \left[ 1 - \cos \left( \frac{\mathbf{k}_\perp^2 + \chi^2(\mathbf{z})}{2x_+ E} \tau \right) \right] \left( 1 + \frac{\mathbf{k}_\perp^2}{4x_+^2 E^2} \right) \frac{2(\mathbf{k}_\perp - \chi^2(\mathbf{z}))^2}{(\mathbf{k}_\perp^2 + \chi^2(\mathbf{z}))^4} \right\}$$

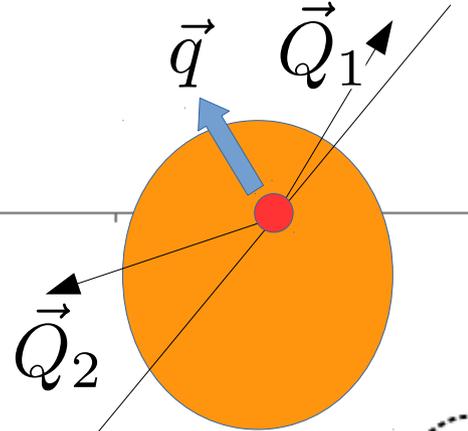
This qhat factorization of integrand is valid for  $E \rightarrow \infty$  but for  $E < 100$  GeV and  $T < 400$  MeV the numerical CUJET energy loss is not well approximated by the HT approx.

While,  $\Delta E_s^{DGLV} \neq \int dt t^1 \hat{q}_a(x(t), t)$

$$Q_s^2 = \int dt \hat{q}(x(t), t) \quad \text{Holds by definition}$$

CUJET3 (sQGMP) is one solution to the RAA vs  $v_2$  puzzle

**h+Jet Acoplanarity  $dN_{\text{bdms}}/d\Delta\phi$  vs  $\Delta\phi$**   
 for Vac+BDMS  $\alpha=0.09$  for  $Q=20$ (solid),60(dots)  
 $Q_s = 0$  (black),3 (blue), 5 (red)



a+b=q+g approx

Dijet transverse acoplanarity momentum

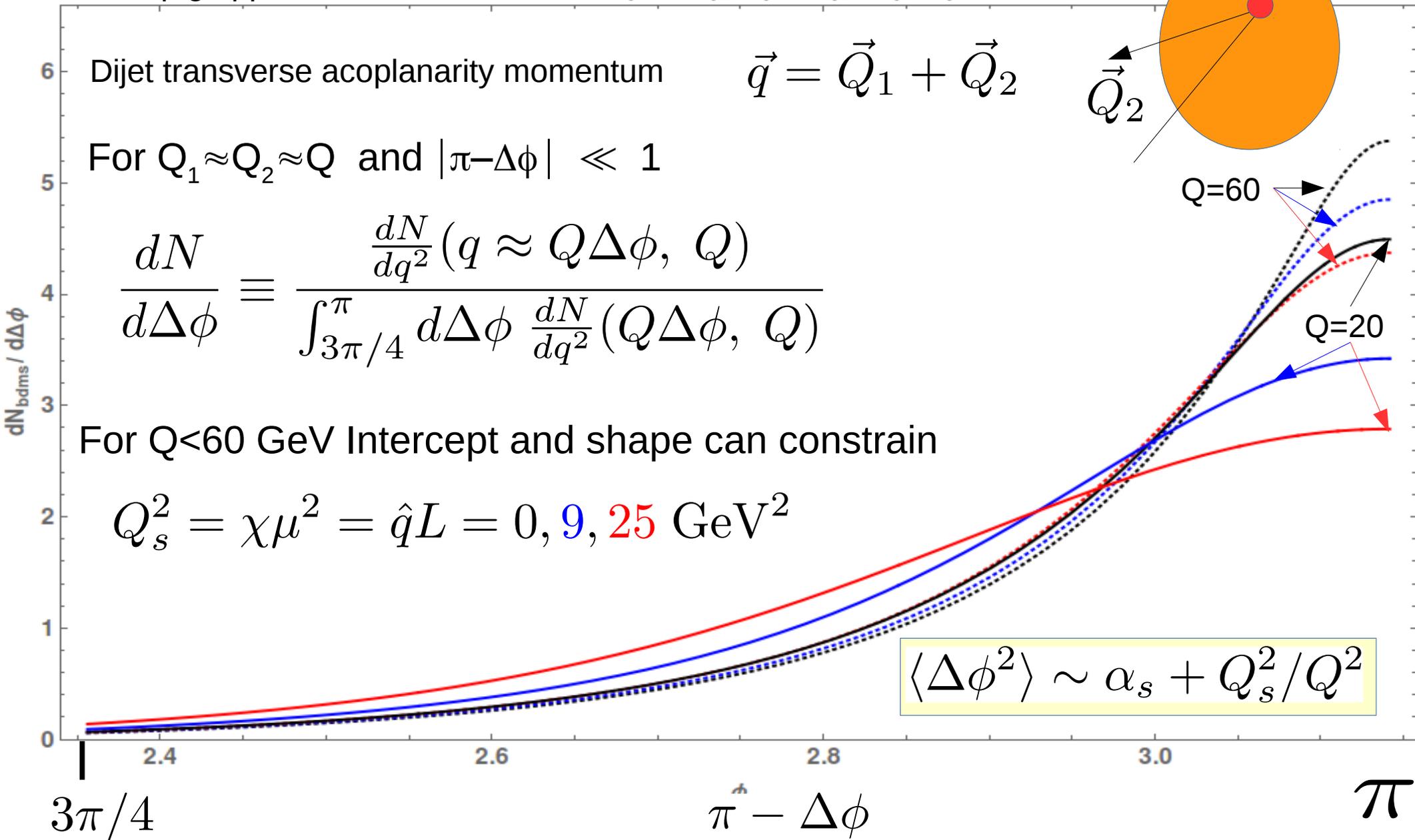
$$\vec{q} = \vec{Q}_1 + \vec{Q}_2$$

For  $Q_1 \approx Q_2 \approx Q$  and  $|\pi - \Delta\phi| \ll 1$

$$\frac{dN}{d\Delta\phi} \equiv \frac{\frac{dN}{dq^2}(q \approx Q\Delta\phi, Q)}{\int_{3\pi/4}^{\pi} d\Delta\phi \frac{dN}{dq^2}(Q\Delta\phi, Q)}$$

For  $Q < 60$  GeV Intercept and shape can constrain

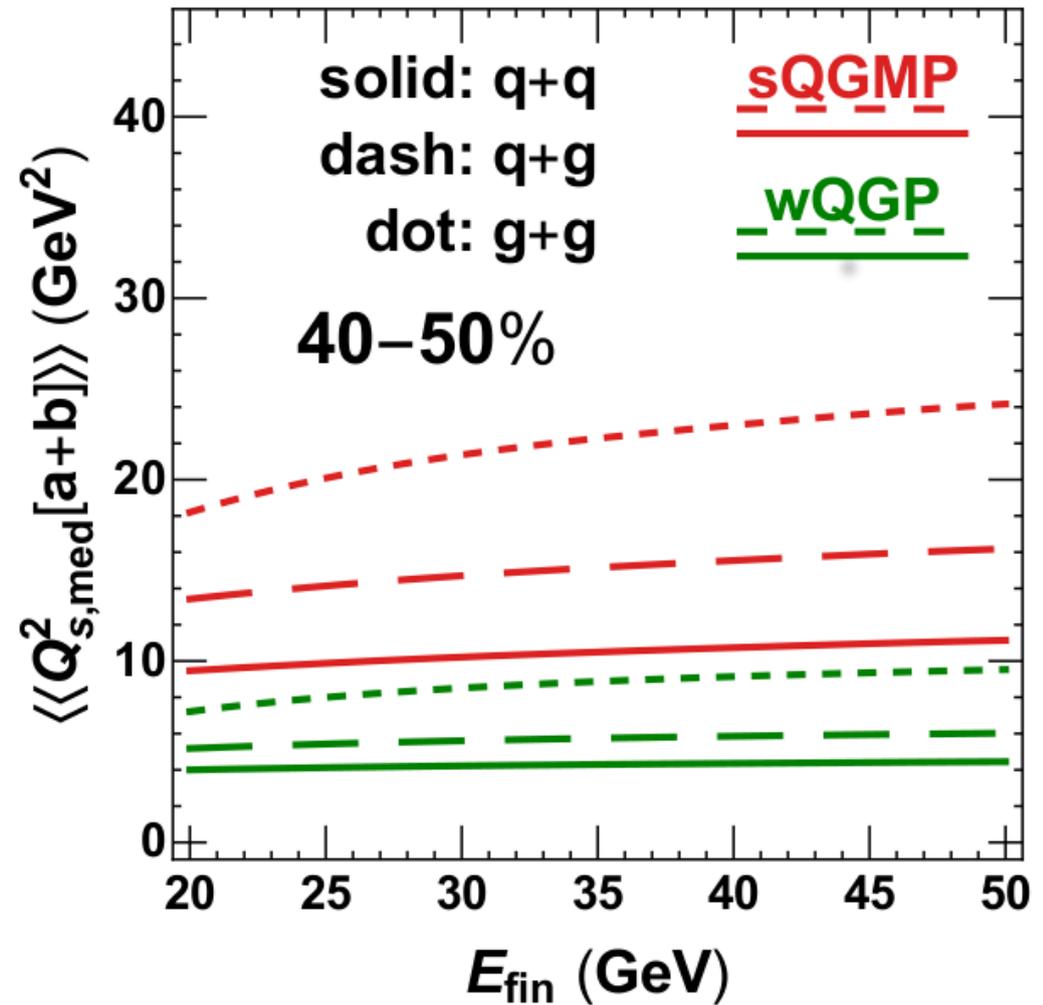
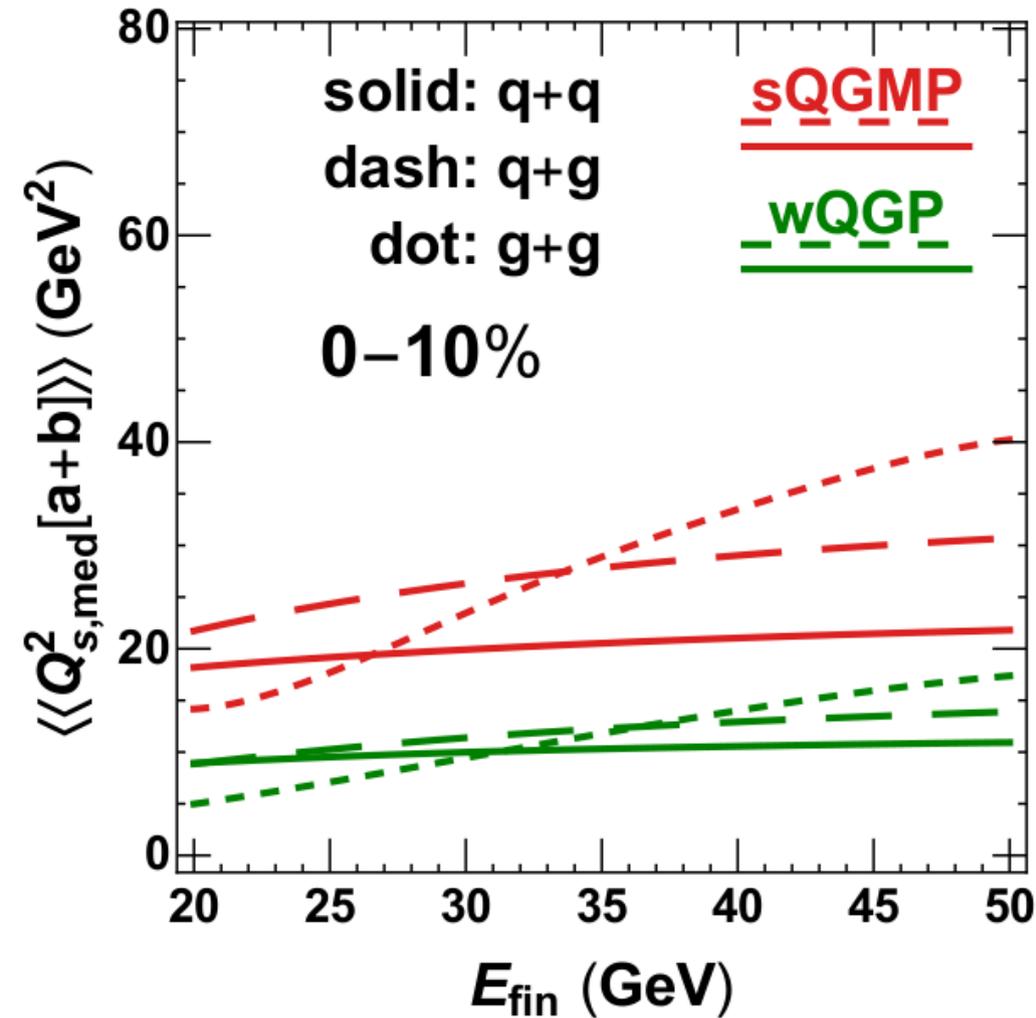
$$Q_s^2 = \chi\mu^2 = \hat{q}L = 0, 9, 25 \text{ GeV}^2$$



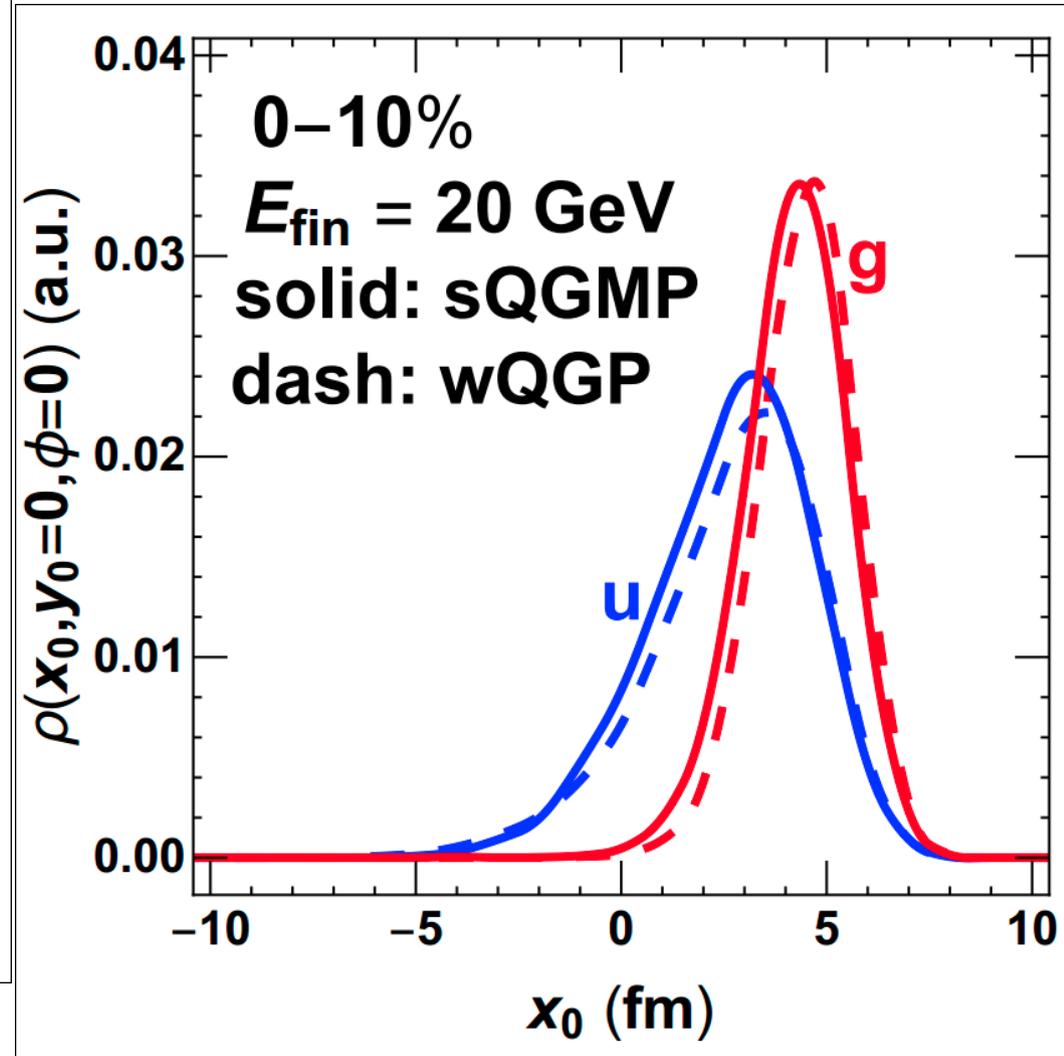
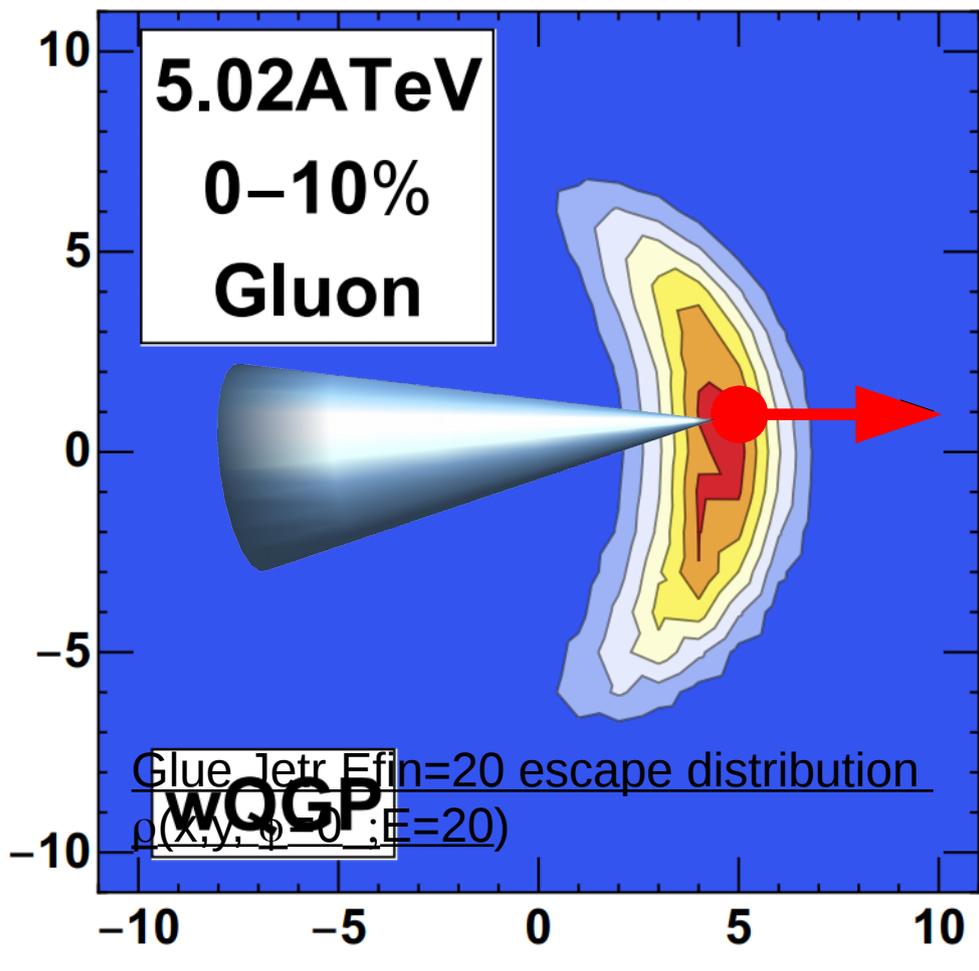
Enhancement approx  
Independent of  
dijet {a,b} channels

$$\frac{Q_s^2[a+b](sQGMP)}{Q_s^2[a+b](wQGP)} \sim 2$$

Also weak  
Dependence on  
trigger  $E_{fin}$



Single Jet trigger surface bias depends on jet Casimir  $q=4/3$  or  $g=3$

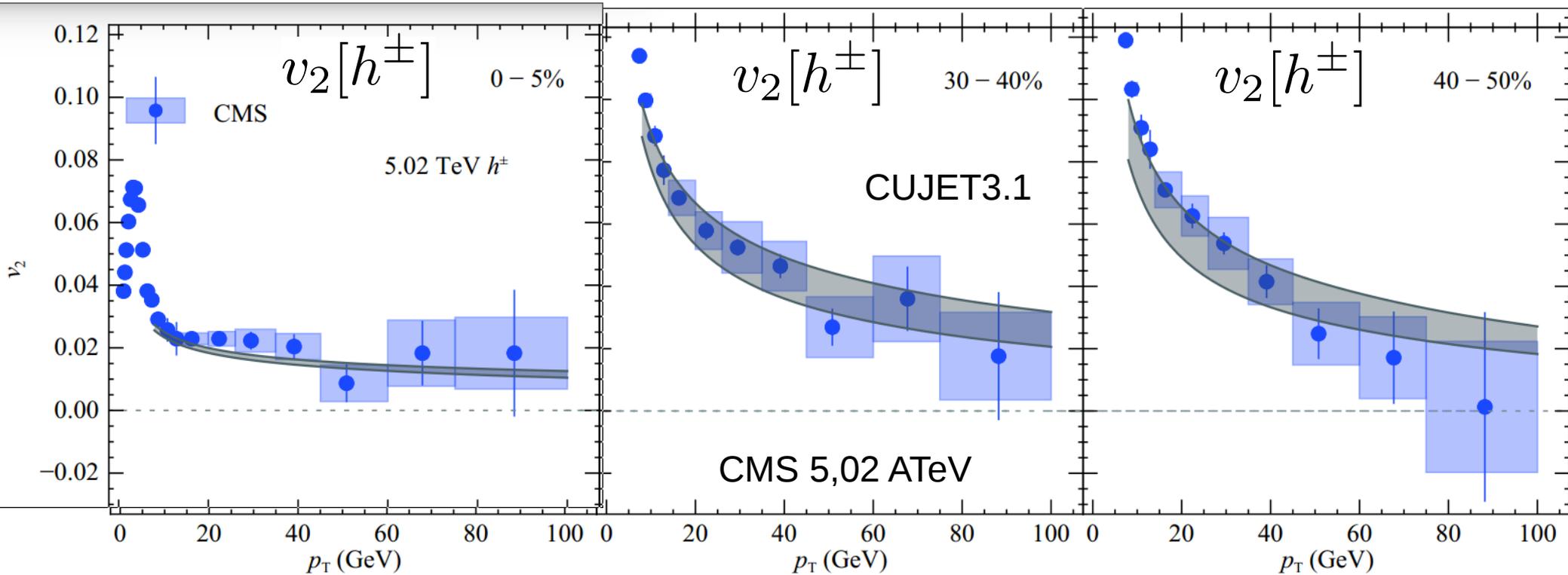
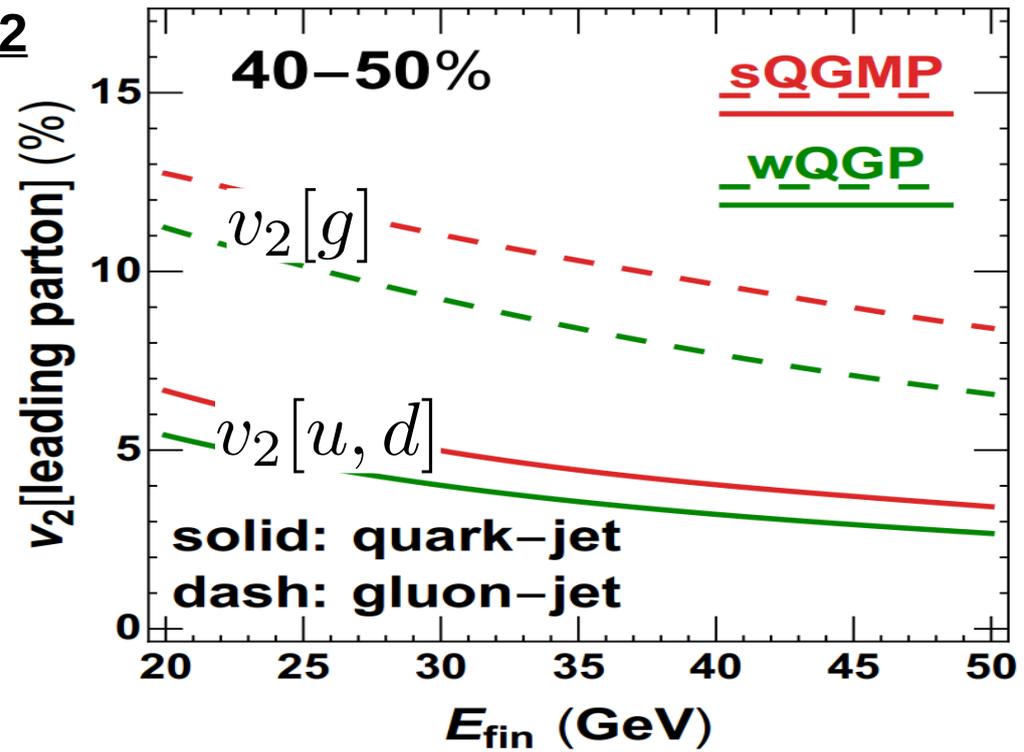
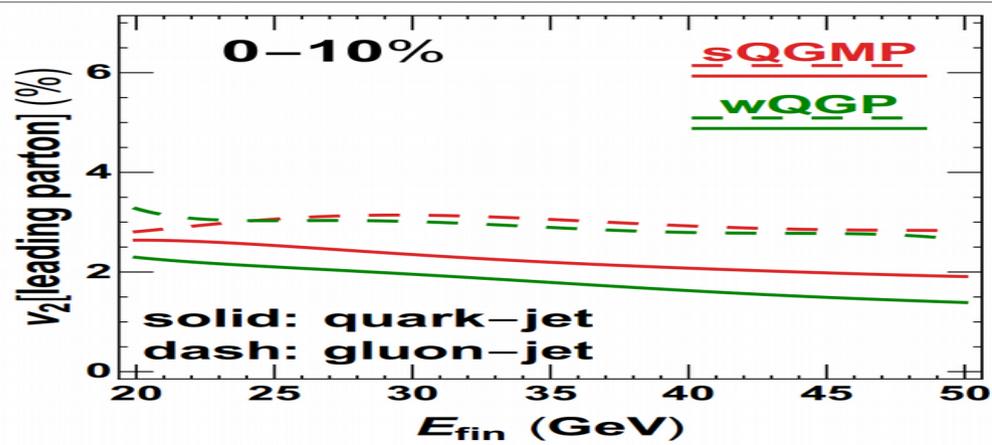


However, CUJET shows that the bias is *independent* of the color composition of fluid  
*IF* coupling is constrained by global  $\chi^2$  fit to RHIC+LHC data on RAA( $p_T$ ; s, cent%)

Implies that Jet Acoplanarity is mostly sensitive to  $T(x,t) \sim (1-2)T_c$  hypersurface

CUJET3.1 PbPb 5.02 ATeV Partonic Level v2

Constrained by  
Charged Hadronic level RAA and v2



Can **Constrained** Acoplanarity help to break the current degeneracy of AA dynamical models that account at  $\chi^2 < 2$  level for **soft&hard RAA&v2&v3 light&heavy RHIC & LHC** data ?

**CDAT:**

**Constrained  
Dijet  
Acoplanarity  
Tomography**

$$(E_{ini} - \Delta E_a) \hat{n}(\phi_0 + \delta\phi_a)$$

$$E_{ini} \hat{n}(\phi_0)$$

$$\delta\phi_a(E_{ini}, \vec{x}_0, \phi_0)$$

$$\Delta E_a(E_{ini}, \vec{x}_0, \phi_0)$$

$\Delta\phi_{ab}$

$\vec{x}_0$

$$(E_{ini} - \Delta E_b) \hat{n}(\pi + \phi_0 + \delta\phi_b)$$

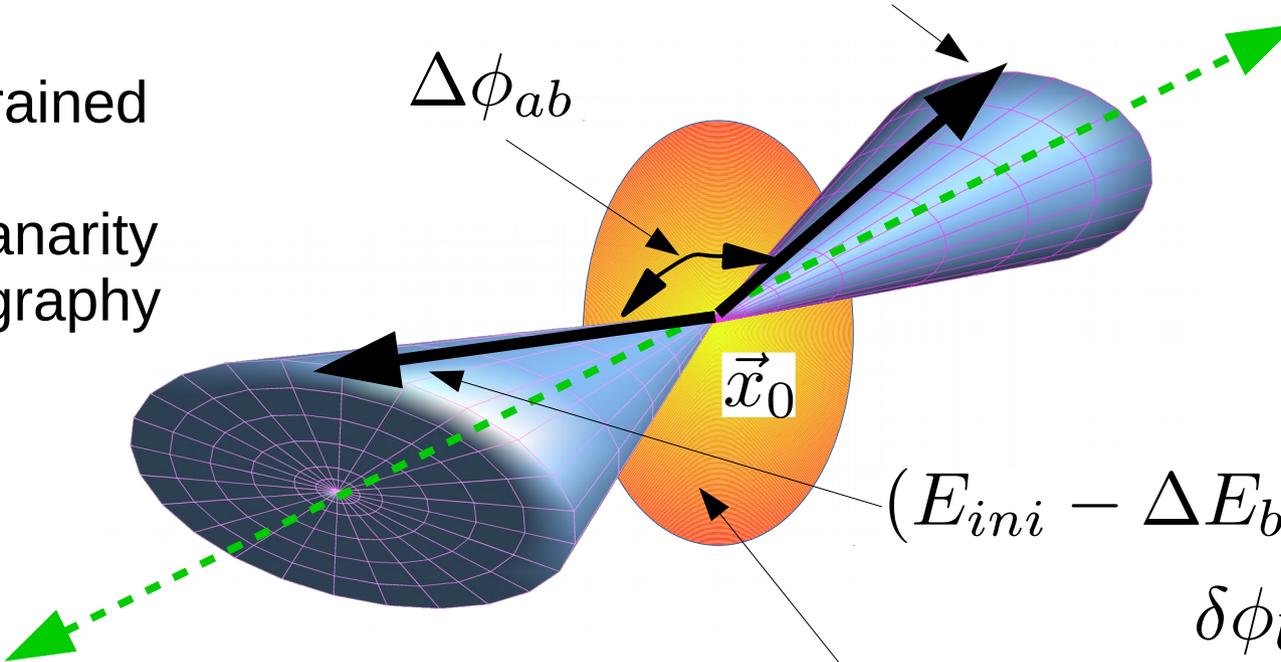
$$\delta\phi_b(E_{ini}, \vec{x}_0, \pi - \phi_0)$$

$$\Delta E_b(E_{ini}, \vec{x}_0, \pi - \phi_0)$$

$$E_{ini} \hat{n}(\pi + \phi_0)$$

**QCD fluid  
T>160**

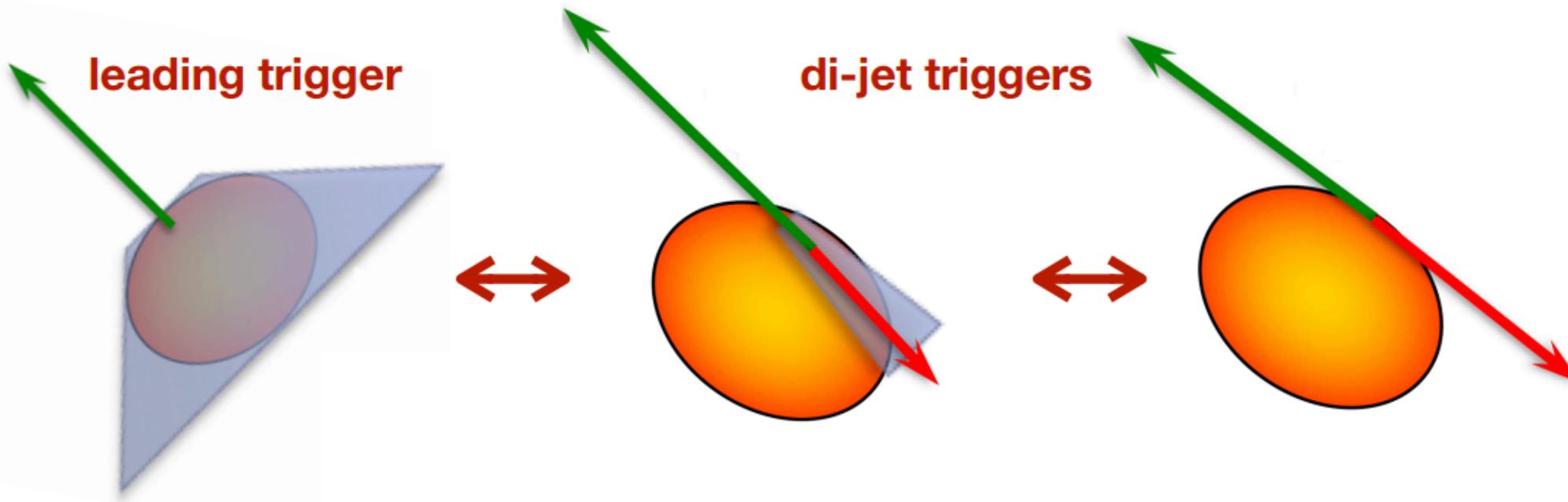
$$\delta\phi_a = \delta\phi_a^{vac} + \delta\phi_a^{med}$$



# Jet trigger bias

(Nick Elsey, STAR, High  $p_T$  2019)

this bias can be helpful - opportunity to use jet definition ( $R$ ,  $p_T^{\text{const}}$ ) to select jet production vertex and di-jet orientation -  
**jet geometry engineering**



**jet+hadron correlations,  
hadron+jet spectra**

STAR, PRL 112, 122301 (2014)

STAR, PRC 96, 024905 (2017)

**di-jet imbalance,  
di-jet hadron correlations**

STAR, Phys. Rev. Lett. 119, 062301 (2017)

**2+1 correlations**

STAR, PRC 83 061901 (2011)

STAR, PRC 87 44903 (2013)