

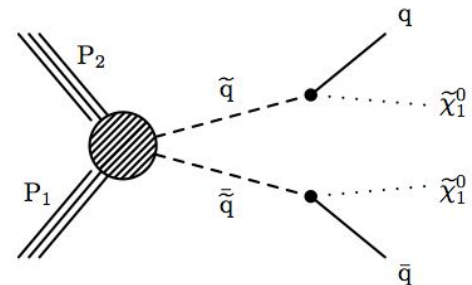
The Search for Dark Matter at Colliders

Jonathan Costa (Imperial College)
On behalf of MasterCode collaboration

LHC (re)interpretation workshop
03 April 2019

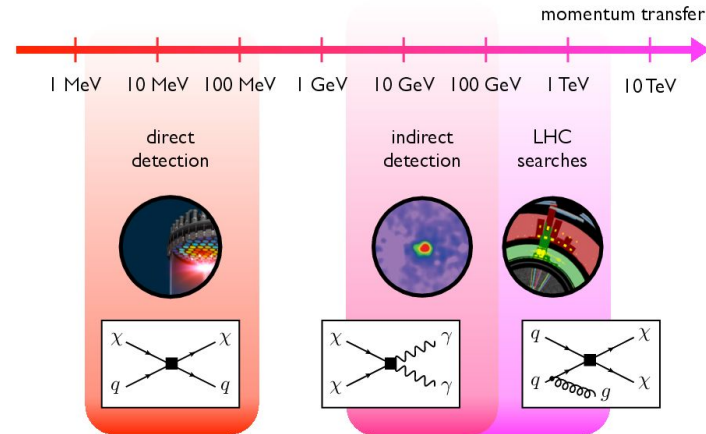
Dark Matter Simplified Models

- The nature of Dark Matter (DM) is one of the most pressing issues in contemporary physics
- Weakly-interacting massive particles (WIMPs)
 - Weigh $\mathcal{O}(\text{TeV})$
 - It could be produced at the LHC
- Several approaches to DM searches at the LHC
 - Models that predict WIMPs capable of providing the cold DM
 - SUSY
 - Production of heavier new particles
 - Direct production of DM particles in association with a single SM particle (mono-X signature).

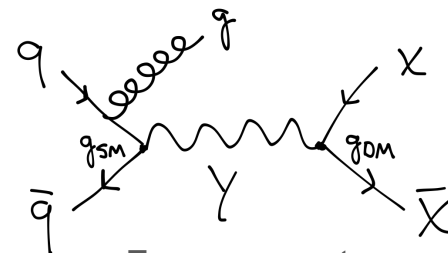


Dark Matter Simplified Models

- **Effective Field Theory (EFT)**
 - Focus on the mono-X signatures
 - Drawback: DM/SM interactions are likely to be mediated by particles in the TeV mass range
 - LHC might be capable of producing the mediator particle directly.
- **Dark Matter Simplified Models (DMSMs)**
 - Effective Lagrangians that include explicitly the mediator particle and its interactions with both DM and SM particles.
 - Mediators of spin one (vector and axial-vector) Y (this work)
 - Interactions are leptophobic
 - DM particle is a neutral Dirac fermion χ
 - Y -quark interactions are generation-independent



arXiv: 1810.09420



Free parameters:

$$m_Y, m_\chi, g_{SM}, g_{DM}$$

MasterCode framework

- Experimental results are often interpreted for fixed values of the couplings
- A more general approach is desirable for combining the direct DM constraints with those from the LHC
 - Obtaining the preferred cosmological value of $\Omega_\chi h^2$ requires values of g_{DM} and g_{SM} that depend on m_χ and m_γ .

micrOMEGAS

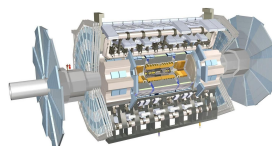
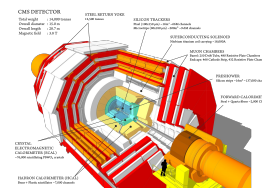
Madgraph5_aMC@NLO

DMSIMP

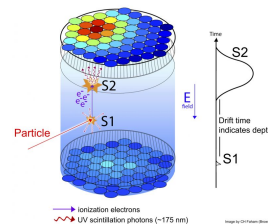
MultiNest



$$\chi^2 = \sum_i^{N_{meas}} \left(\frac{P_i - C_i}{\sigma_i} \right)^2$$



Collider data



Direct Detection



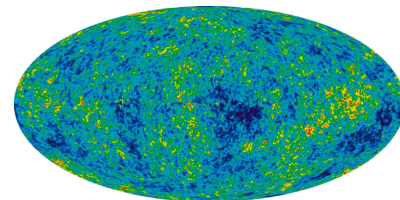
DM density

Astrophysical and LHC Constraints



Dark Matter density

Density of cold DM in the Universe is constrained by Planck measurements of the cosmic microwave background:

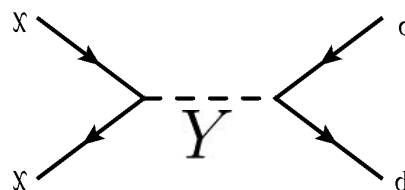


$$\Omega_{CDM}h^2 = 0.120 \pm 0.001$$

If dominant source is the WIMP:

$$\Omega_{\chi}h^2 \simeq \Omega_{CDM}h^2$$

$$\Omega_{\chi}h^2 \propto \frac{1}{\langle \sigma v \rangle} \quad \text{Annihilation cross-section}$$

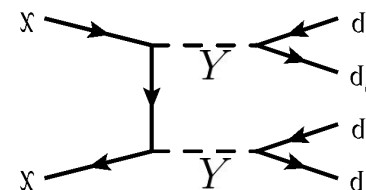


s-channel

$$\chi\chi \rightarrow Y^* \rightarrow SM$$

Resonant region

$$m_Y \simeq 2m_{\chi}$$



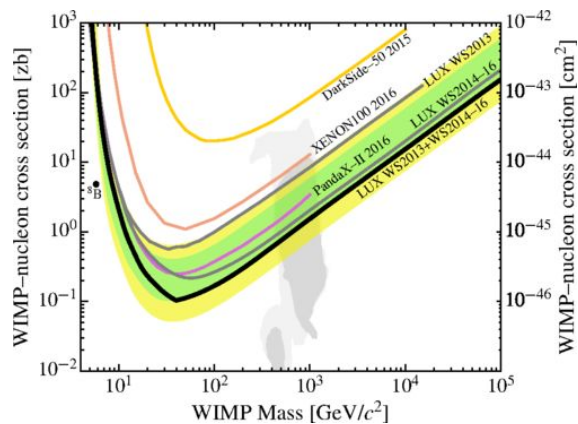
t-channel

$$\chi\chi \rightarrow YY$$

$$m_{\chi} > m_Y$$

Spin-dependent and -independent DM scattering

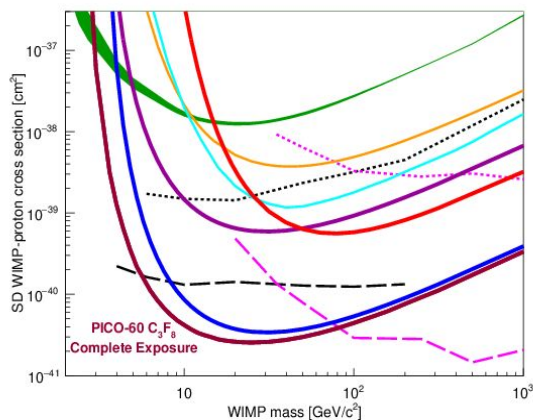
$$\sigma_p^{SI}$$



arXiv:1608.07648

LUX + PandaX-II + XENON1T

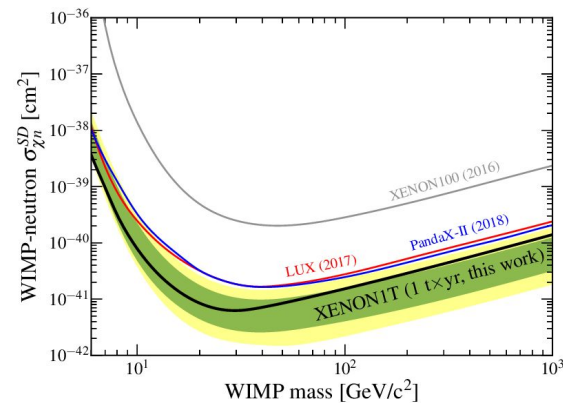
$$\sigma_p^{SD}$$



arXiv:1902.04031

PICO-60

$$\sigma_n^{SD}$$

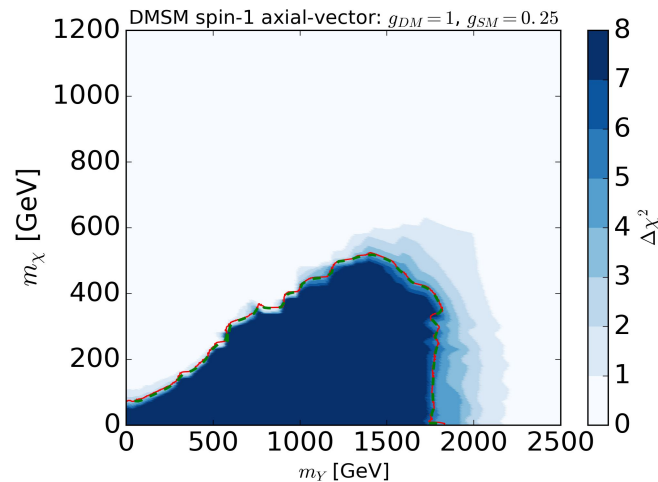
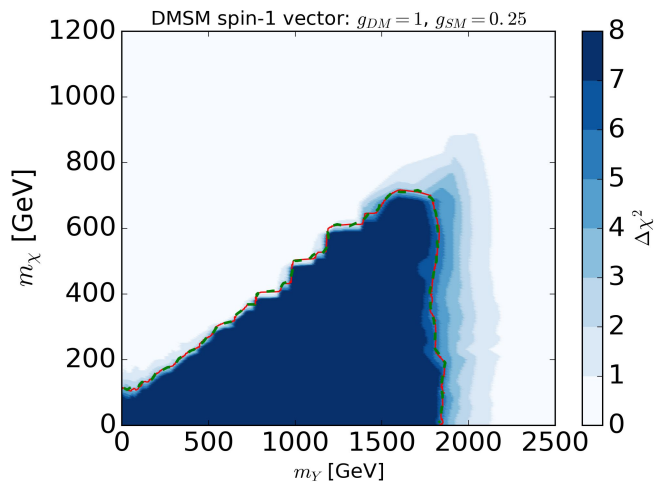


arXiv:1902.03234

XENON1T

Monojet Constraints

CMS 35.9/fb of data from collisions @ 13 TeV
Signal regions targeting monojet final states



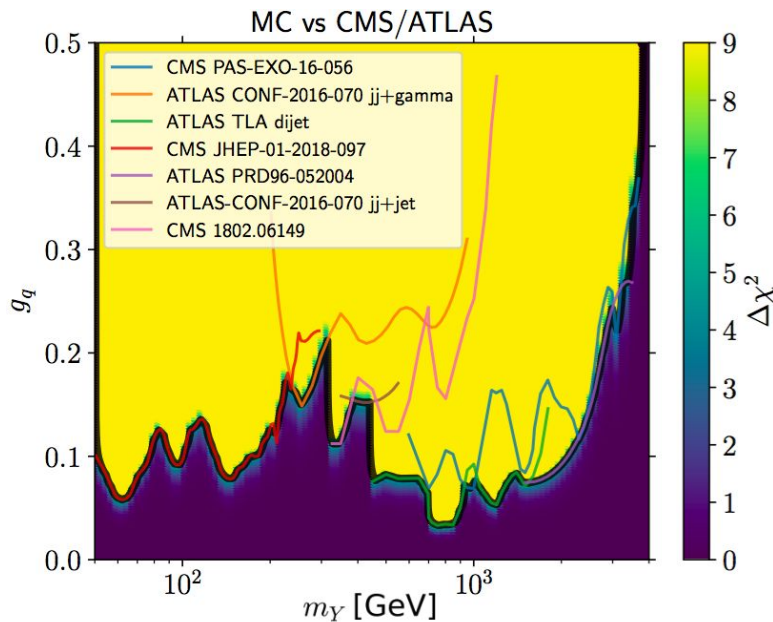
$$\Delta\chi^2 = 5.99 \times \left(\frac{1}{R_i^{UL}(\mathbf{m})} \frac{\sigma_{MG}(\mathbf{m})}{\sigma_{MG}^{fix}(\mathbf{m})} \right)^2$$

Dijet Constraints

ATLAS and CMS

constraints from dijet invariant
distributions on Z' resonances.

$$\Delta\chi^2 = 4 \times \left(\left[\frac{g_{SM}^4}{\Gamma_q + \Gamma_\chi} \right] / \left[\frac{(g_{SM}^*)^4}{\Gamma_q(g_{SM}^*) + \Gamma_\chi} \right] \right)^2$$

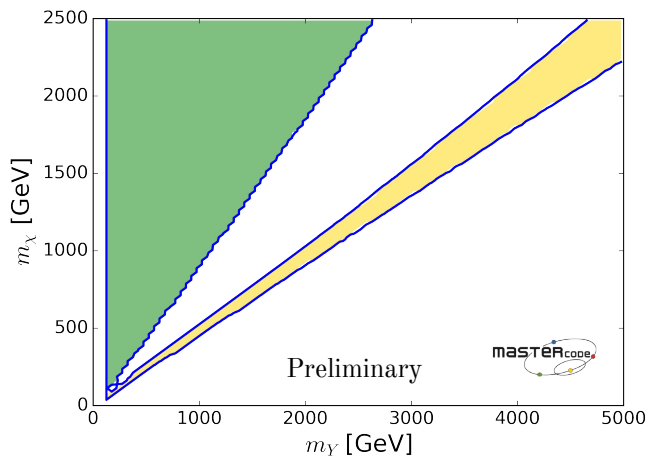


Preliminary results

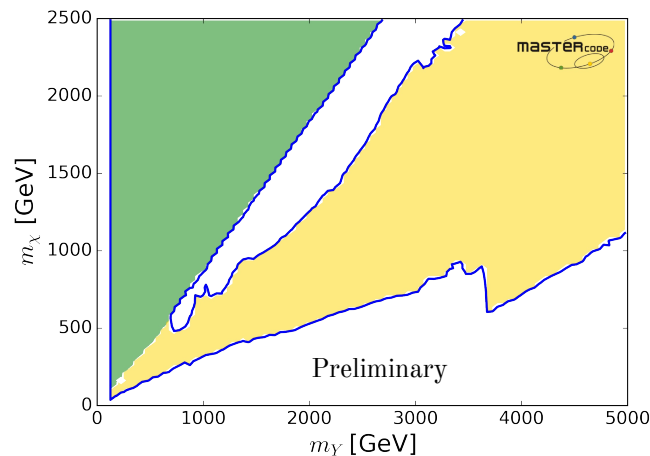


Mass plane

DMSM spin-1 Vector

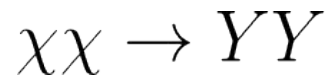


DMSM spin-1 Axial-Vector

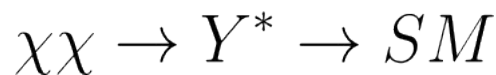


blue contours: 95% CL

 t-channel



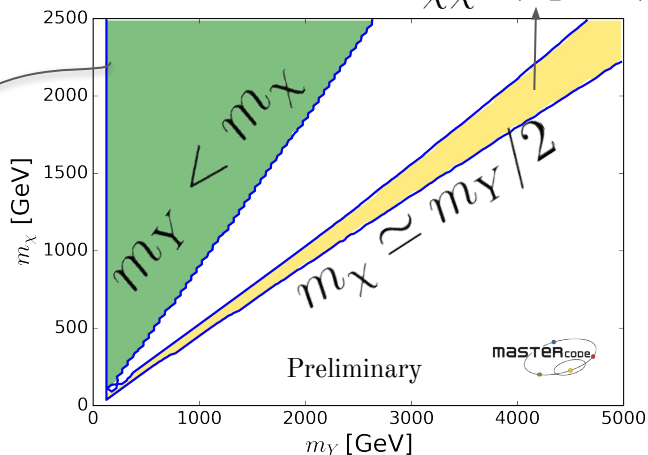
 s-channel



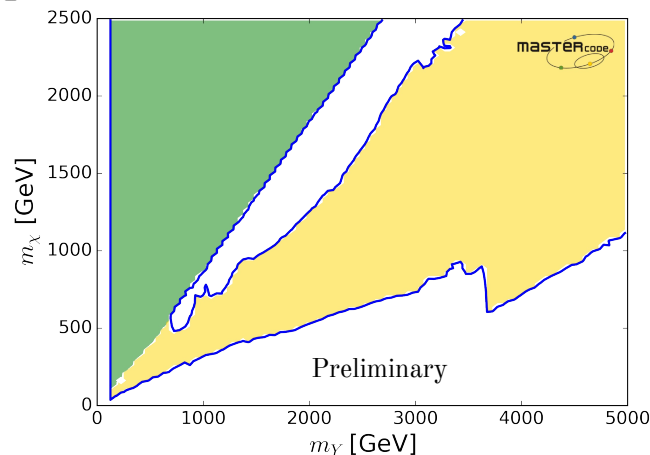
Mass plane

DMSM spin-1 Vector

$$\chi\chi \rightarrow Y^* \rightarrow SM$$



DMSM spin-1 Axial-Vector



$$\chi\chi \rightarrow YY$$

Annihilation cross-section

Proportional to g_{DM}^4

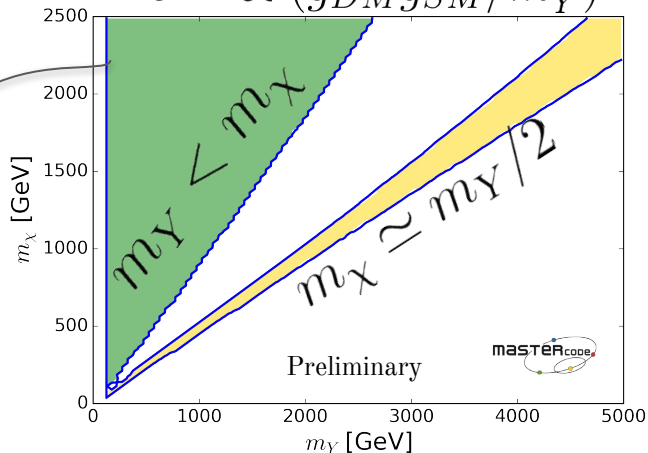
Independent of g_{SM}

t-channel

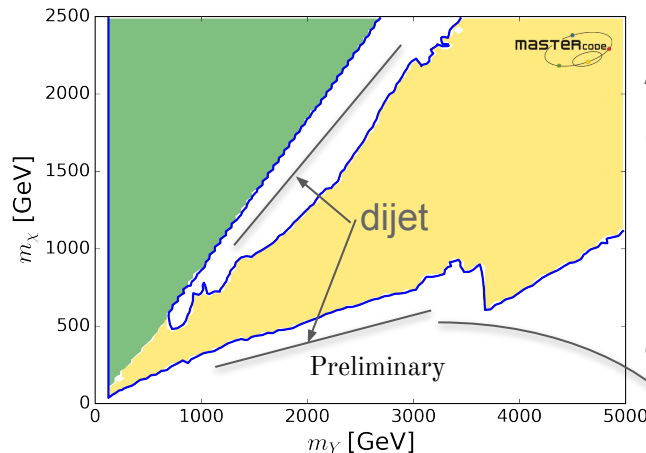
s-channel

Mass plane

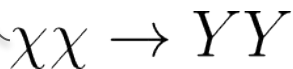
DMSM spin-1 Vector
 $\sigma^{SI} \propto (g_{DM}g_{SM}/m_Y^2)^2$



DMSM spin-1 Axial-Vector



Absent σ_p^{SI}
 Off-resonance
 regions with
 larger $g_{DM}g_{SM}$
 allowed



Annihilation cross-section

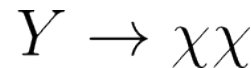
Proportional to g_{DM}^4

Independent of g_{SM}

t-channel

s-channel

$m_Y > 2m_X$



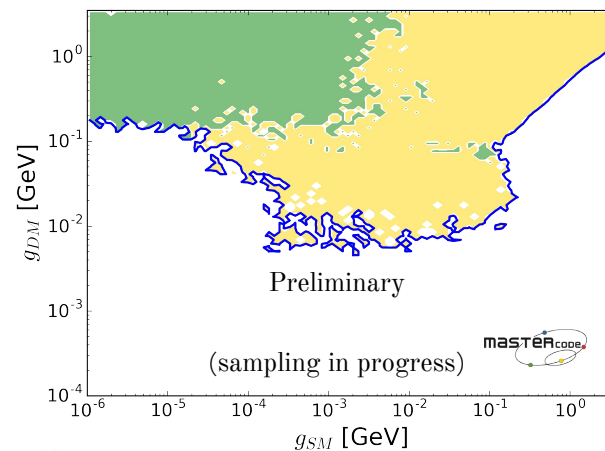
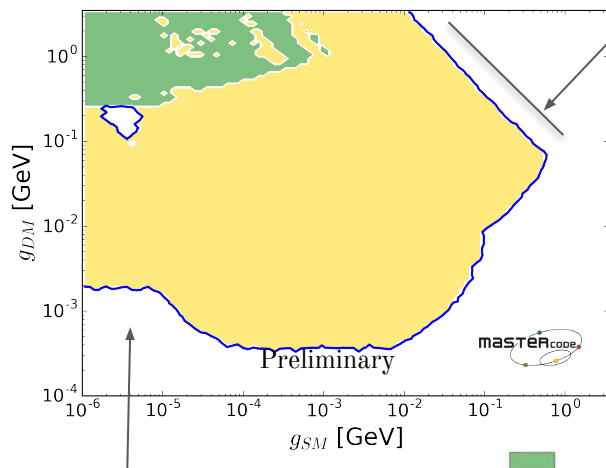
$BR(Y \rightarrow jj) < 100\%$

Coupling plane

DMSM spin-1 Vector

DMSM spin-1 Axial-Vector

$$\sigma^{SI} \propto (g_{DM} g_{SM} / m_Y^2)^2$$



overdense

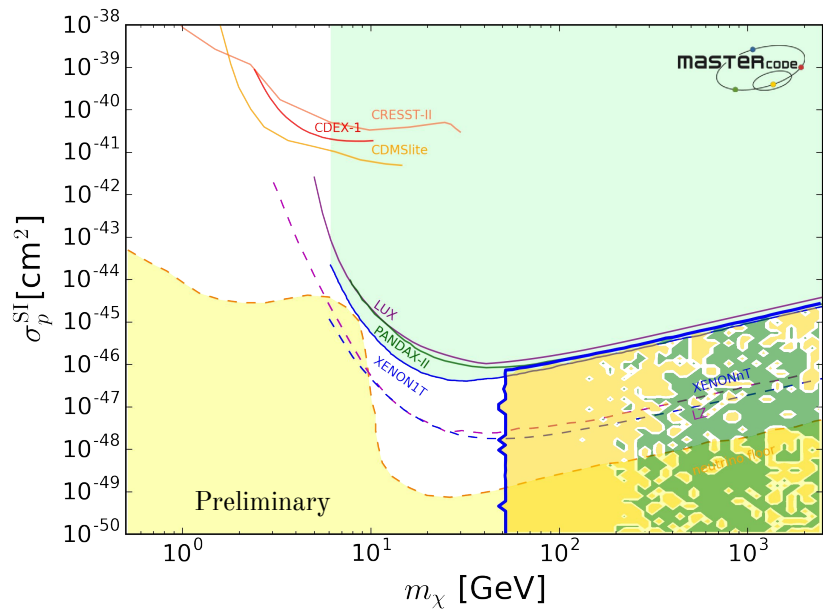
t-channel

s-channel

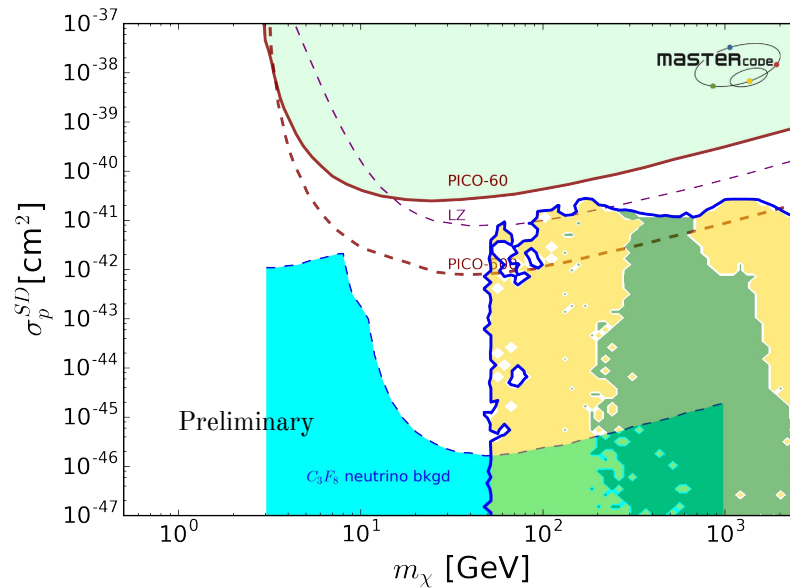
$$\Omega_\chi h^2 \propto m_Y^2 / g_{DM}^2$$

Direct Detection

DMSM spin-1 Vector



DMSM spin-1 Axial-Vector



s-channel

t-channel

Summary

- Global analysis of DMSMs using MasterCode
 - Vector and axial-vector mediators
 - Four free parameters: $m_Y, m_\chi, g_{SM}, g_{DM}$
- Astrophysical and LHC constraints
 - Monojet and Dijet (LHC)
 - Cosmological constraint on DM density
 - Upper limits on spin-independent and -dependent scattering on nuclei.
- Two main mechanisms to bring the cosmological DM density into the allowed region:
 - Annihilation via t-channel X exchange and annihilation via Y boson in the s-channel
- σ_p^{SI} within the range accessible to the upcoming LZ and XENONnT experiments (may be also be below the neutrino floor)
- σ_p^{SD} within reach of upcoming PICO-500 and LZ experiments.

Thank you



cern.ch/mastercode