

Probing sterile neutrino in meson decays with and without sequential neutrino decay

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Contents

- Introduction
- Choosing appropriate production modes
- Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$
- Probing Dirac and Majorana nature of N
- Conclusion

Introduction

- **Unresolved mysteries of (active) neutrinos:**
mass? why so light? (& PMNS parameters, CP)
Dirac or Majorana particle?
.....
- **Possible the best solution:**
see-saw with heavy (Majorana) sterile neutrinos
 light mass
Majorana (active) nu
(possible candidate of) dark matter

NEED to discover Sterile Neutrino(s)

Introduction

- Search of (sterile) neutrino

Lepton Number Violating (LNV) processes at LHC

especially (on-shell) W-decays, $W^+ \rightarrow e^+ e^+ \mu^- \bar{\nu}$

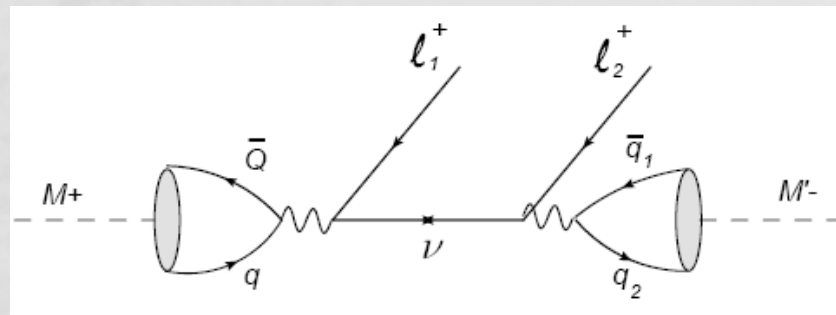
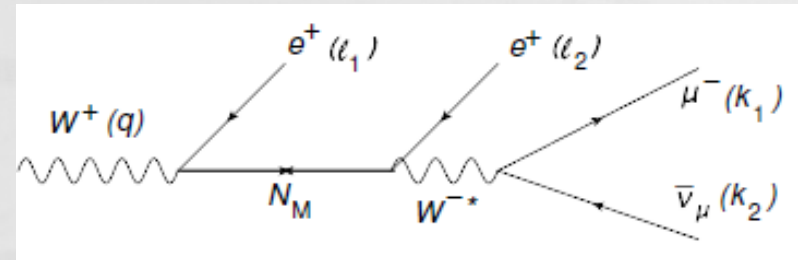
LNV tau decays

LNV rare meson decays

rare LNV decays of $K, D_{(s)}, B_{(c,s)}, \dots$ mesons

eg. $B \rightarrow ll\pi, B \rightarrow Dll\pi, \dots$ at Belle-II, LHCb, BES, ...

(to give constraints on m_N and U_{Nl})



Introduction

- $B \rightarrow D^{(*)} ll\pi$ vs. $B \rightarrow D^{(*)} lN$
 $B \rightarrow D^{(*)} ll\pi = B \rightarrow D^{(*)} lN (\rightarrow l\pi)$

- 1. life-time of N ($>$ detector size L_D)
2. possible helicity-flip depending on $N \rightarrow l^\pm \pi^\mp$

- (a) Up until now, no systematic analysis including suppression factors of 1 (and 2), step-by-step

(b) $Br(B \rightarrow DlN) \gg Br(B \rightarrow Dll\pi)$

$B \rightarrow DlN$ can be useful only at Belle-II.

(* Need full reconstruction of initial B)

Choosing appropriate production modes

- **Sterile neutrino is**

(a) **electrically neutral** $B \rightarrow D l \nu$ \longrightarrow $B \rightarrow D l N$
 $D \rightarrow K l N, K \rightarrow \pi l N, \dots$ (OK) $B \rightarrow D l N \gg B \rightarrow l N$

(b) **spin 1/2 fermion**

$B \rightarrow D^* l N, D \rightarrow K^* l N, B \rightarrow K N N, \dots$ (spin=3/2, so **Not OK**)

(c) **massive**

Non-zero fixed mass, so $B \rightarrow D \mu \nu_\mu \nu_e \bar{\nu}_e$ not background

(d) **long-living**

Need careful systematic analysis for τ_N and $L_{\text{detector}}, \dots$

→ **Displaced vertex signatures can also be used to veto any background events**

Choosing appropriate production modes

- Need fully reconstructed initial B for $B \rightarrow D l N$

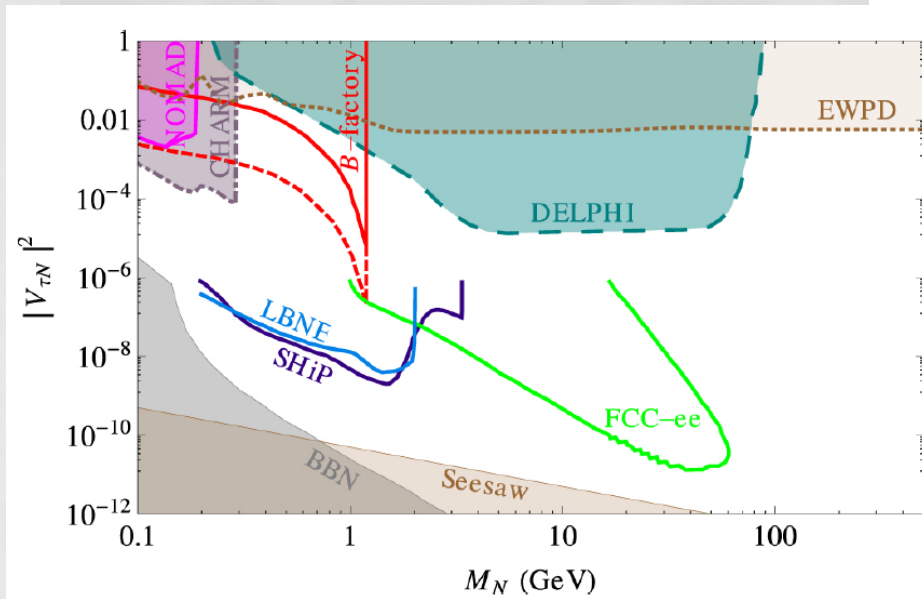
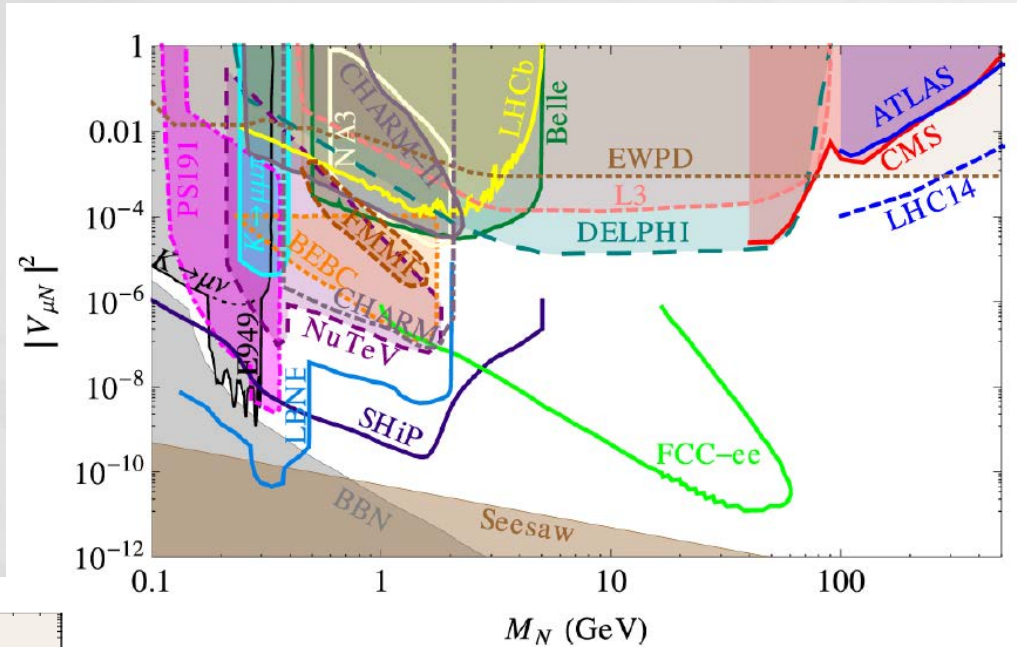
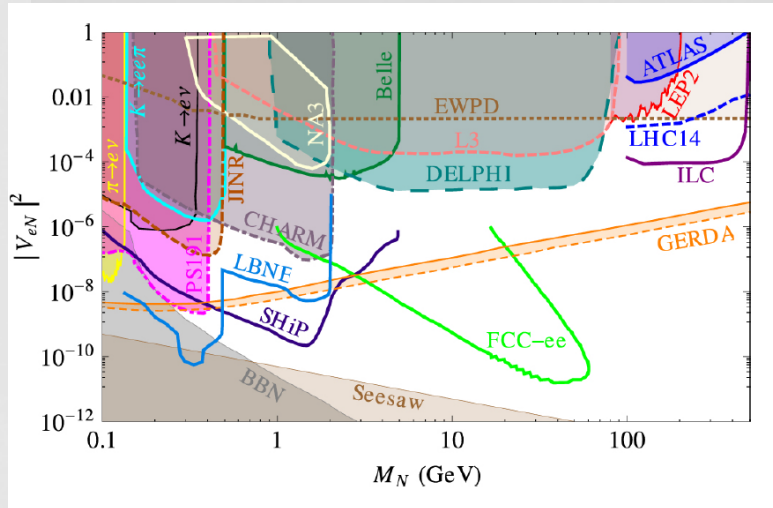
upgraded LHCb can do $B \rightarrow D \mu^\pm \mu^\pm \pi^\mp$ with $4.8 \times 10^{12} B$

Belle-II can do $B \rightarrow D l N$ with fully reconstructed $4.8 \times 10^8 B$

about 0.61% of charged B events and 0.34% of neutral B events can be fully reconstructed from hadronic tagging

for $B \rightarrow D \tau N$, assuming 0.1% chance of full reconstruction of tau from its decay (3-4 prongs) $4.8 \times 10^5 B$

Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$



Present Bounds

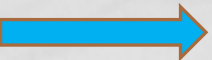
Ref: F. Deppish et al, New J. Phys. 17 (2015)

Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$.

• Constraints from

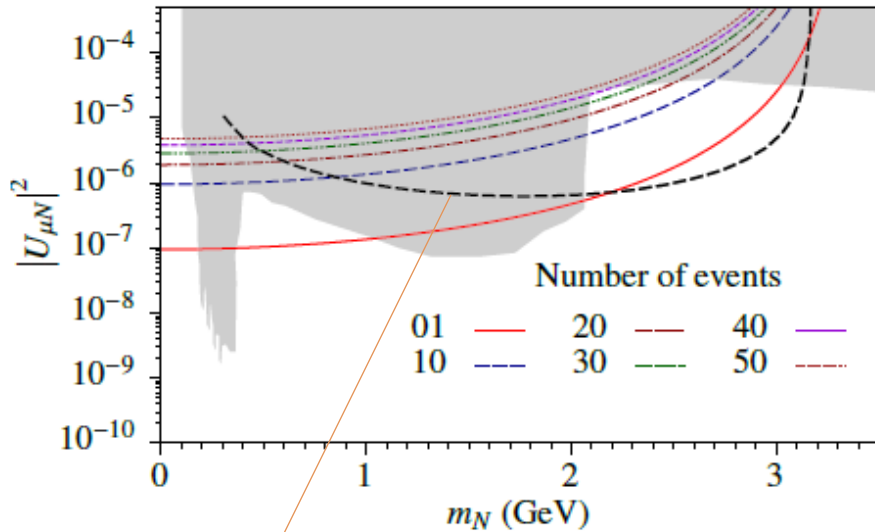
$$|U_{\ell N}|^2 = \frac{N_{B \rightarrow D\ell N}}{N_B \times \underline{Br}(B \rightarrow D\ell N)}.$$

where $N_{B \rightarrow D\ell N}$ the number of such decays observed in the detector
 N_B the total number of fully reconstructed parent B
 $\underline{Br}(B \rightarrow D\ell N)$ the canonical branching ratio of a decay by
 factoring out $|U_{\ell N}|^2$ from theoretically calculable branching ratio

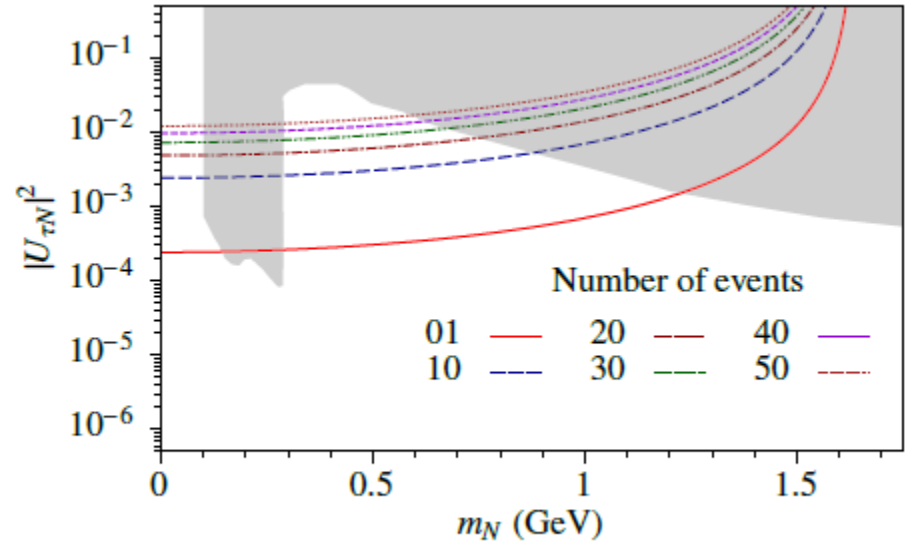
•  We can show $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$ as function of m_N
 for $N_{B \rightarrow D\ell N} = 1, 10, 20, \dots$ and
 $N_B = 4.8 \times 10^8 B$ and
 assuming 0.1% chance of full reconstruction of tau

$$N_B = 4.8 \times 10^5 B$$

Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$.



(a) From the decay $B \rightarrow D\mu N$.

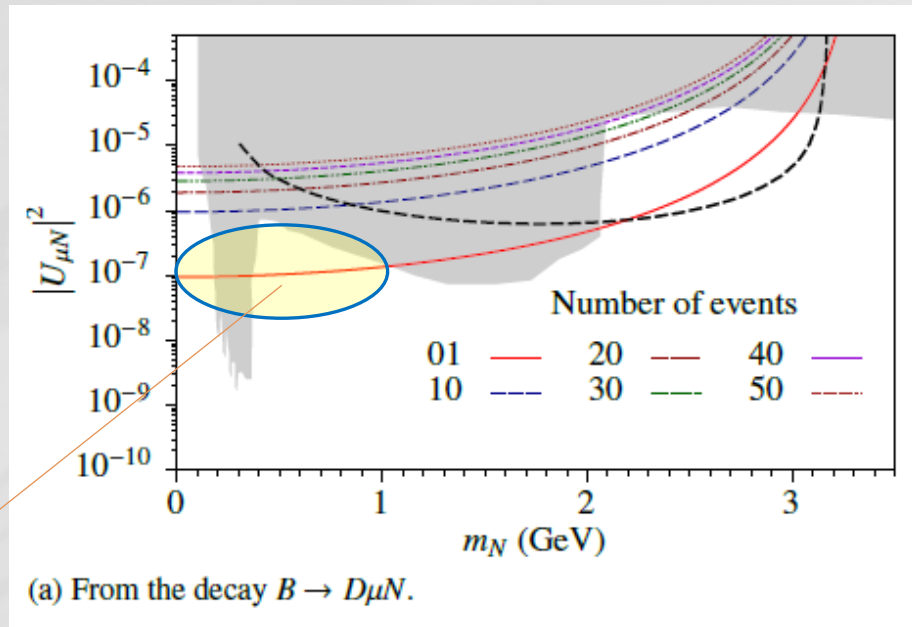


(b) From the decay $B \rightarrow D\tau N$.

— : 95% CL (ie 3 events) from $B \rightarrow D^* \mu^\pm \mu^\pm \pi^\mp$
 with $4.8 \times 10^{12} B$ at upgraded LHCb

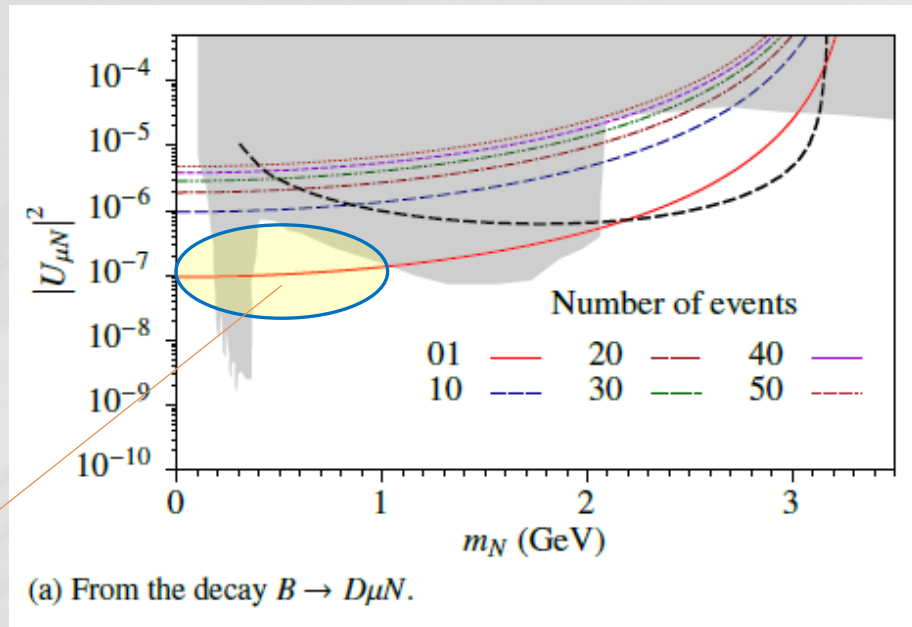
G Cvetic, CSK PRD100 (2019) 015014

Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$.



Very important region for very light sterile neutrino

Constraints on $|U_{\mu N}|^2$ and $|U_{\tau N}|^2$.



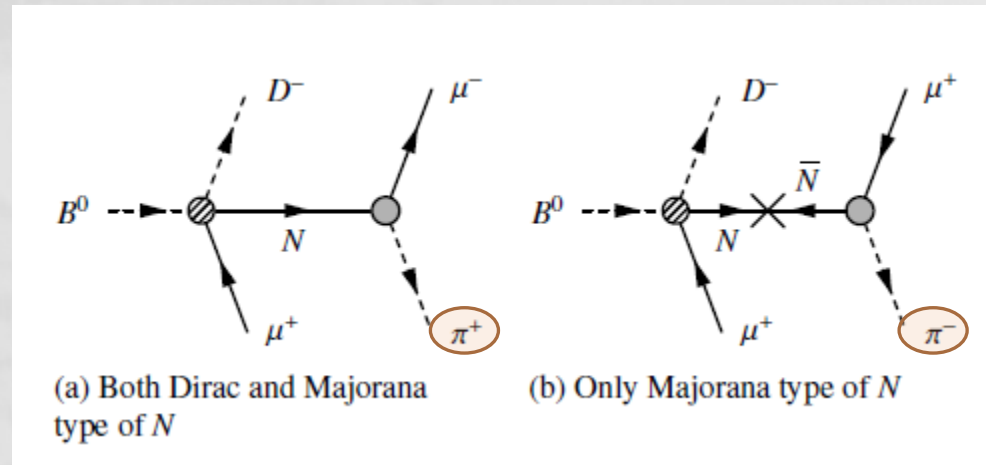
Very important region for very light sterile neutrino

- **One drawback:** the Dirac and Majorana nature of the sterile neutrino can be probed only when its sequential decay inside detector is considered.

Probing Dirac and Majorana nature of N

Need to consider the sequential decay of N ,

e.g. $B^0 \rightarrow D^- \mu^+ \mu^\mp \pi^\pm \equiv (B^0 \rightarrow D^- \mu^+ N) \otimes (N \rightarrow \mu^\mp \pi^\pm)$



- sterile neutrino is produced at the first vertex and decays at the second vertex \rightarrow vertex displacement
- X : the helicity flip, involved in the decay

Probing Dirac and Majorana nature of N

2 suppression factors

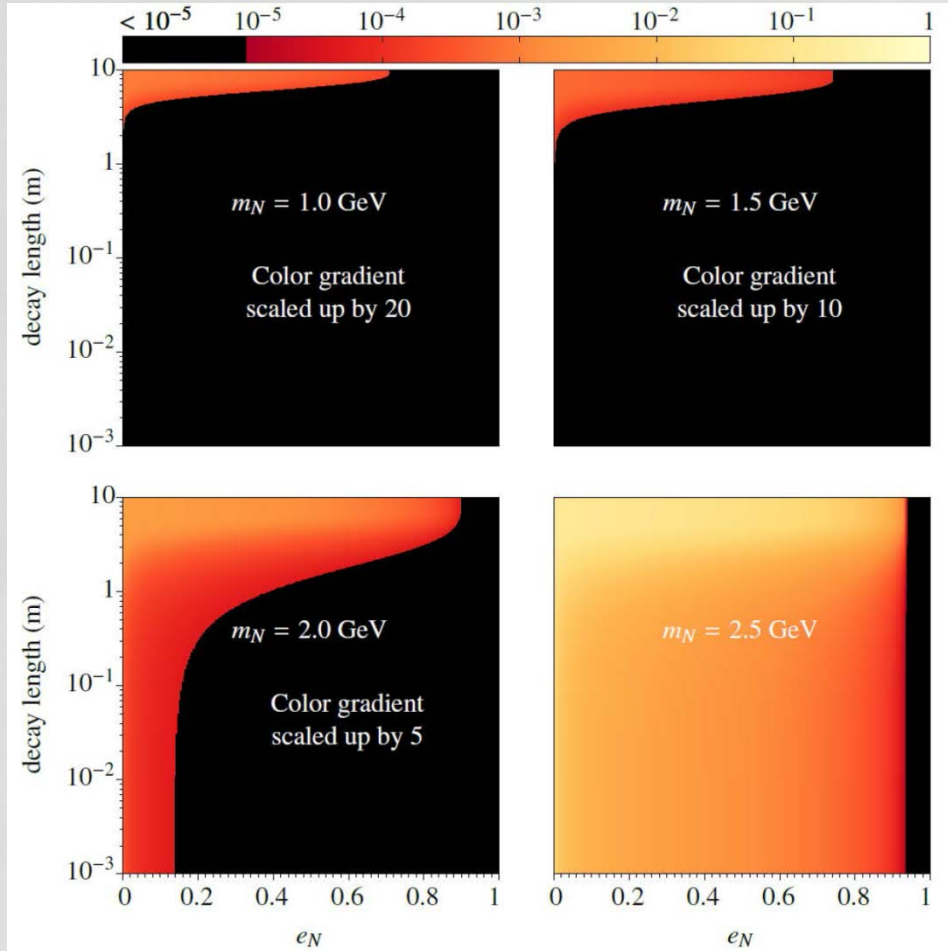
- (1) $P_{decay}(L)$, the probability of decay of N within $L < L_D$
- (2) $P_{flip}(E_N)$, the probability of helicity flip required for LNV

$$P_{decay}(L) = 1 - \exp\left(-\frac{L m_N \Gamma_N}{\sqrt{E_N^2 - m_N^2}}\right),$$
$$P_{flip}(E_N) = m_N^2 / \left(E_N + \sqrt{E_N^2 - m_N^2}\right)^2.$$

L : decay length L_D : detector size = 1 m (Belle-II)
= 0.751 m (LHCb)

$$P_{flip} \sim (m_N / E_N)^2$$

Probing Dirac and Majorana nature of N



$$e_N = \frac{E_N - E_N^{\min}}{E_N^{\max} - E_N^{\min}}$$

Detector size for vertex displacement

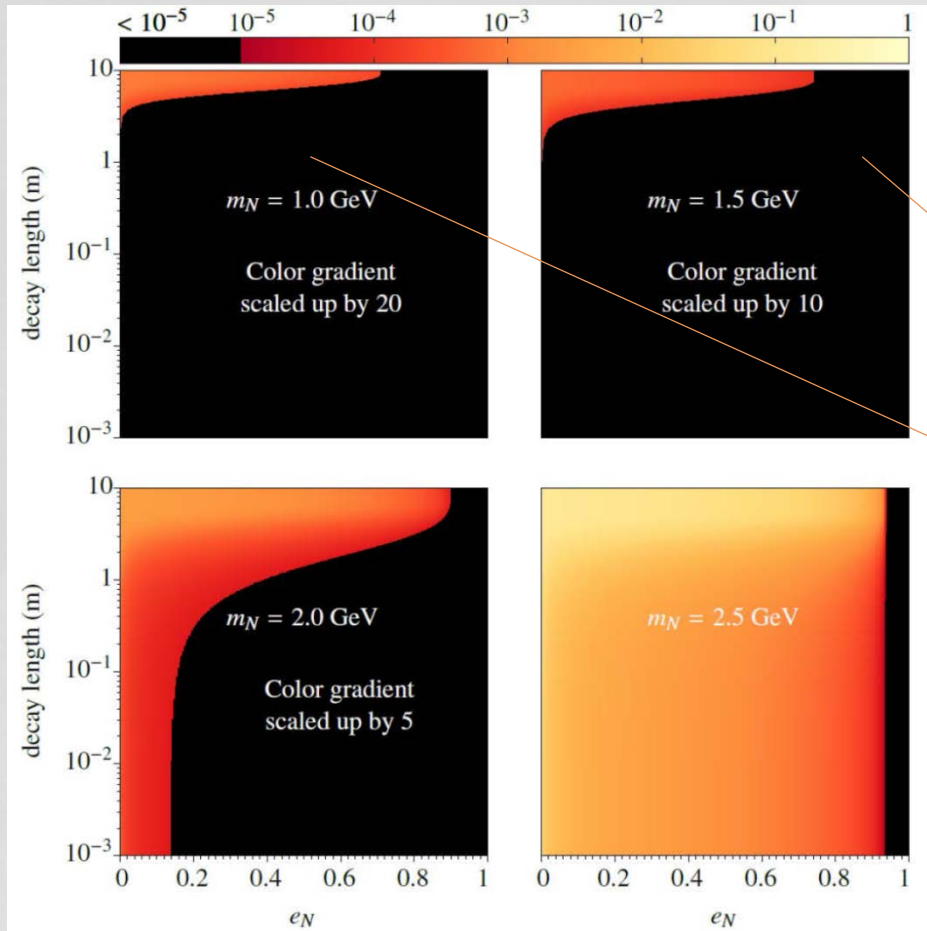
$$L_D = 1 \text{ m} \quad \text{Belle-II}$$

$$L_D = 0.751 \text{ m} \quad \text{LHCb}$$

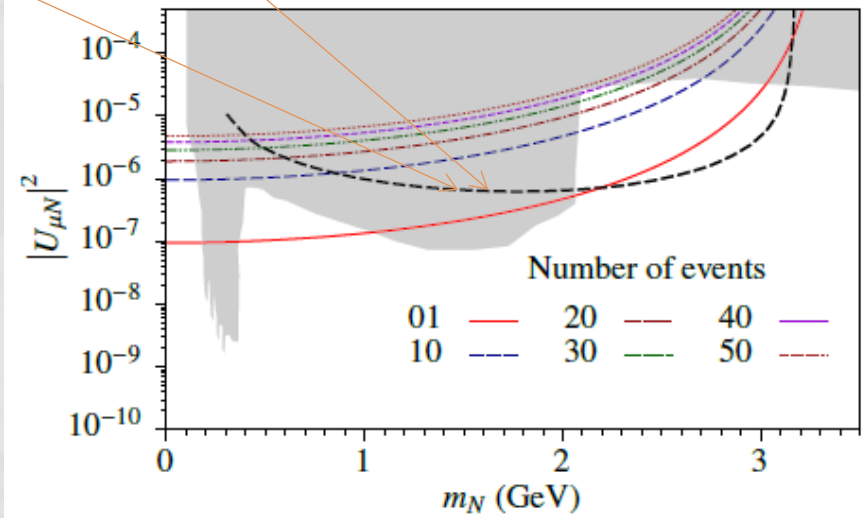
LNC case shown here.
LNV case slightly
more suppressed due to

$$P_{flip} \sim (m_N / E_N)^2$$

Probing Dirac and Majorana nature of N

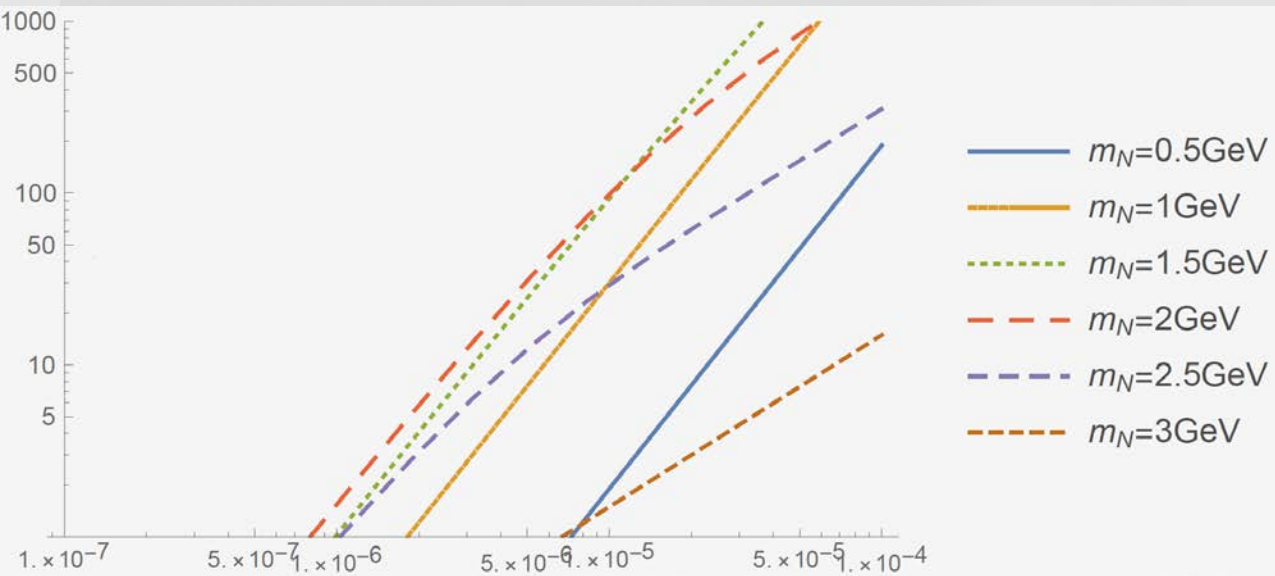


Strong suppression for $m_N < 2$ GeV



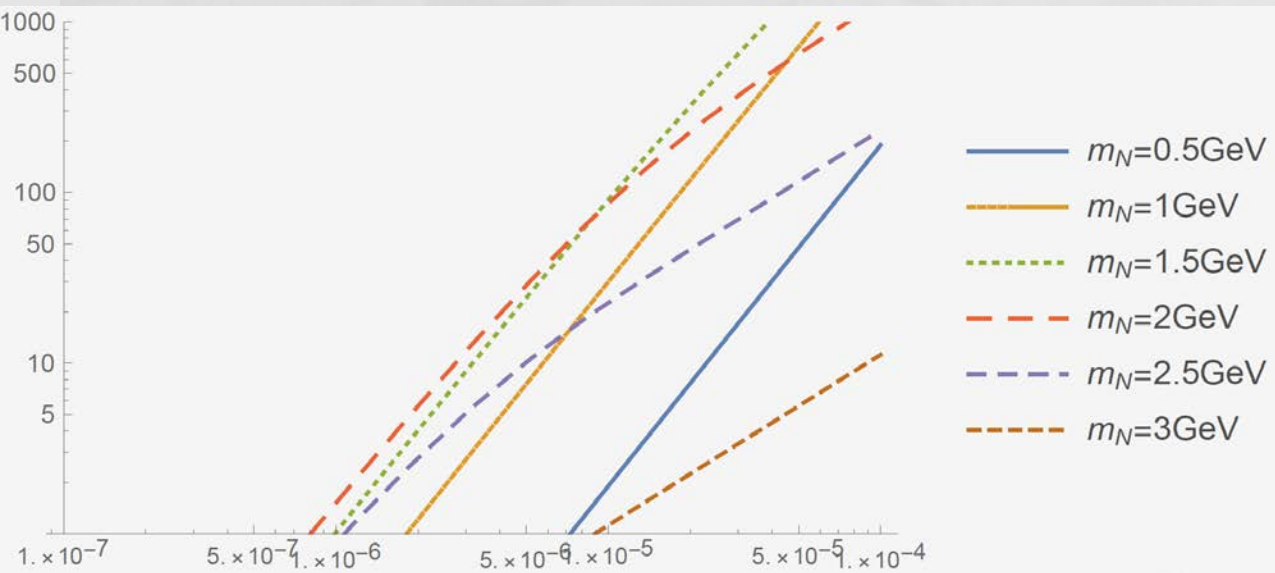
(a) From the decay $B \rightarrow D\mu N$.

Probing Dirac and Majorana nature of N



Observable number of events in terms of m_N and $|U_{\mu N}|^2$ at Belle-II.

- Above : LNC signals for Dirac N



- Below : LNV signals for Majorana N



Conclusion

- We have provided **the simple, most systematic and efficient strategy** to use the semi-leptonic decays $B \rightarrow Dln$ with $l = \mu, \tau$ to put much **stringent constraint** on the active-sterile mixing parameters $|U_{NI}|^2$

Sterile neutrino is

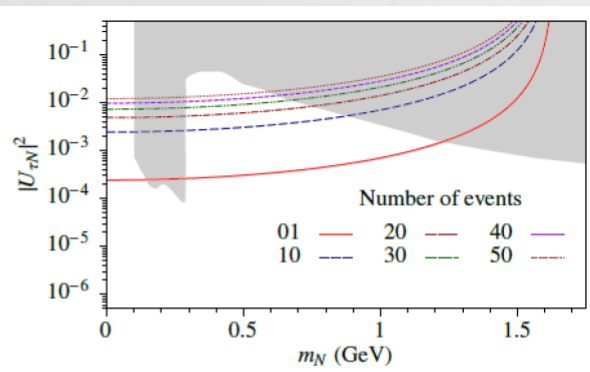
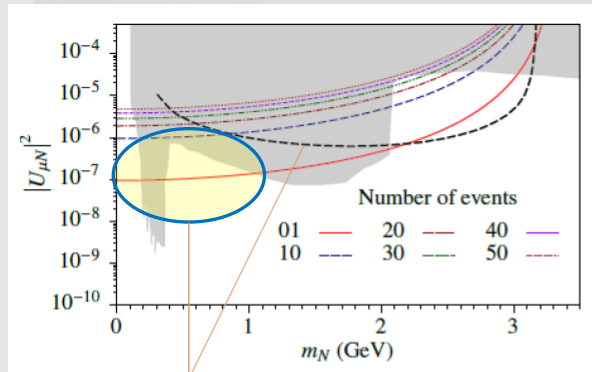
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 $B \rightarrow D^*ln, D \rightarrow K^*ln, B \rightarrow KNN, \dots$ (spin=3/2, so **Not OK**)

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 Non-zero fixed mass, so $B \rightarrow D\mu\nu_\mu\nu_e\bar{\nu}_e$ not background

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Conclusion

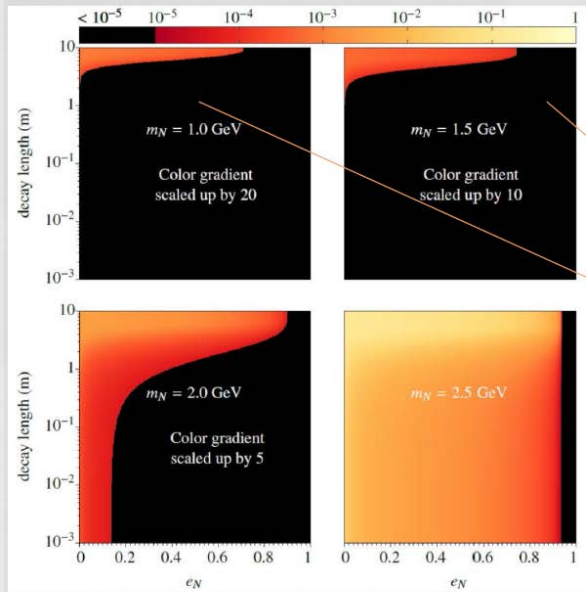


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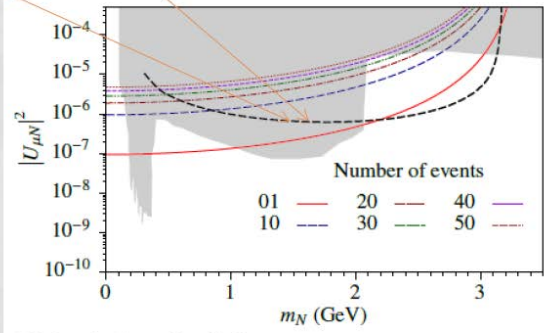
(b) From the decay $B \rightarrow D\tau N$.

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 with $4.8 \times 10^{12} B$ at upg

Very important region for very light sterile neutrino



Strong suppression for $m_N < 2$ GeV



(a) From the decay $B \rightarrow D\mu N$.