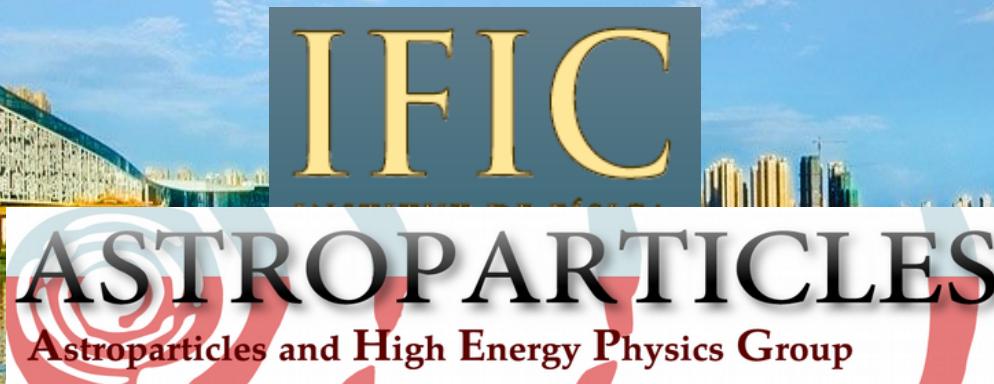


# neutrinos as gate to new physics

José W F Valle



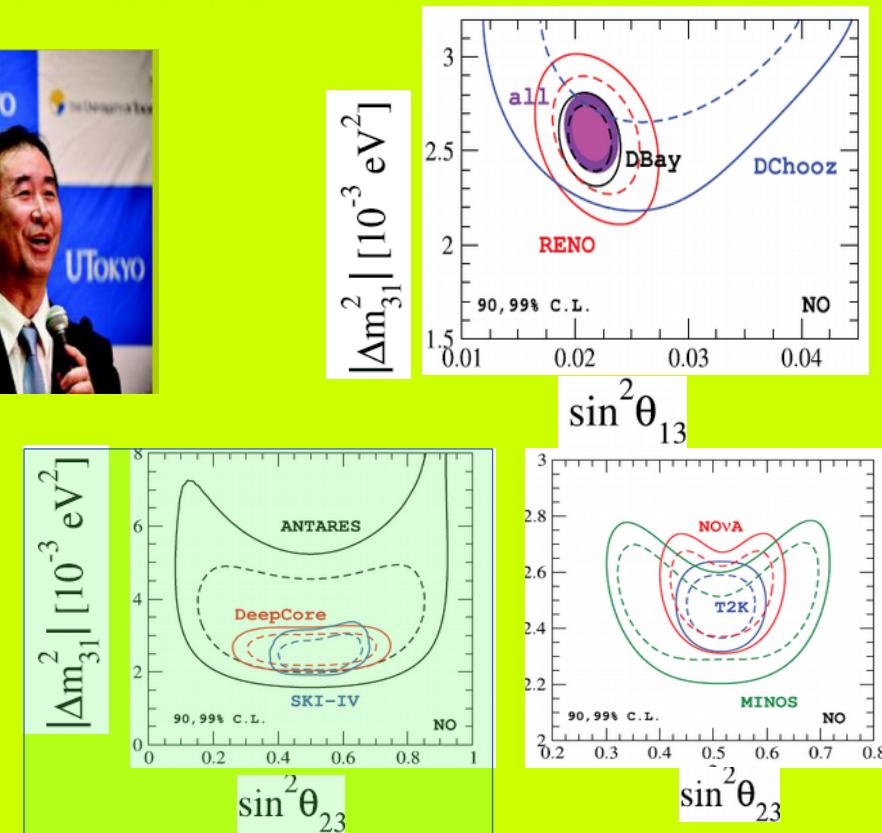
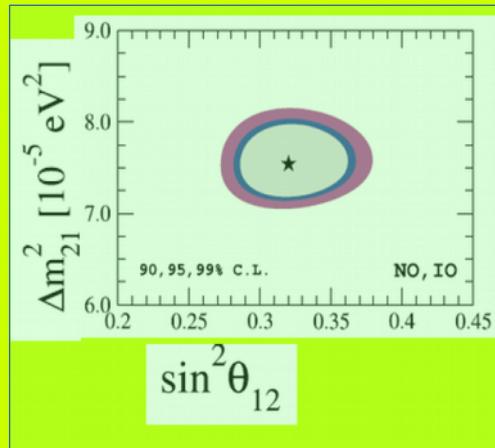
VNIVERSITAT  
DE VALÈNCIA



FLASY 2019

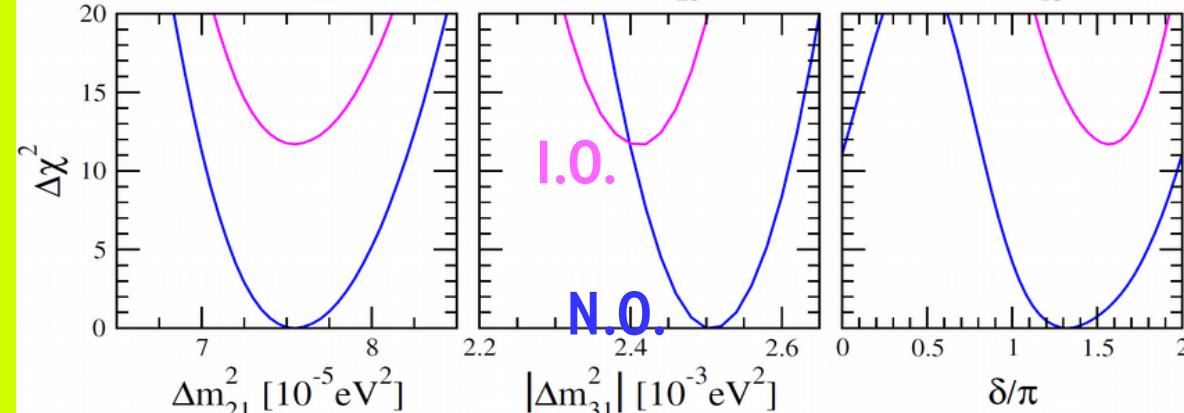
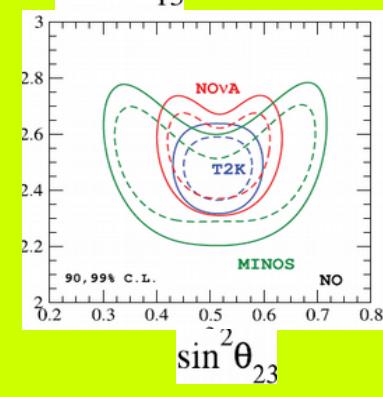
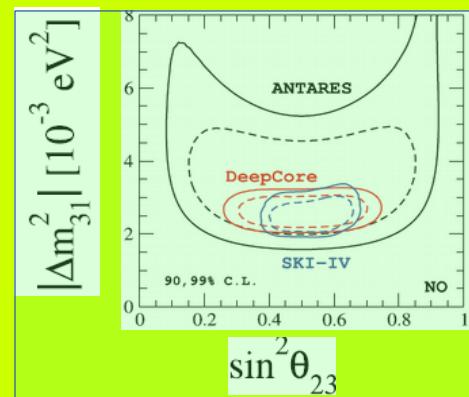
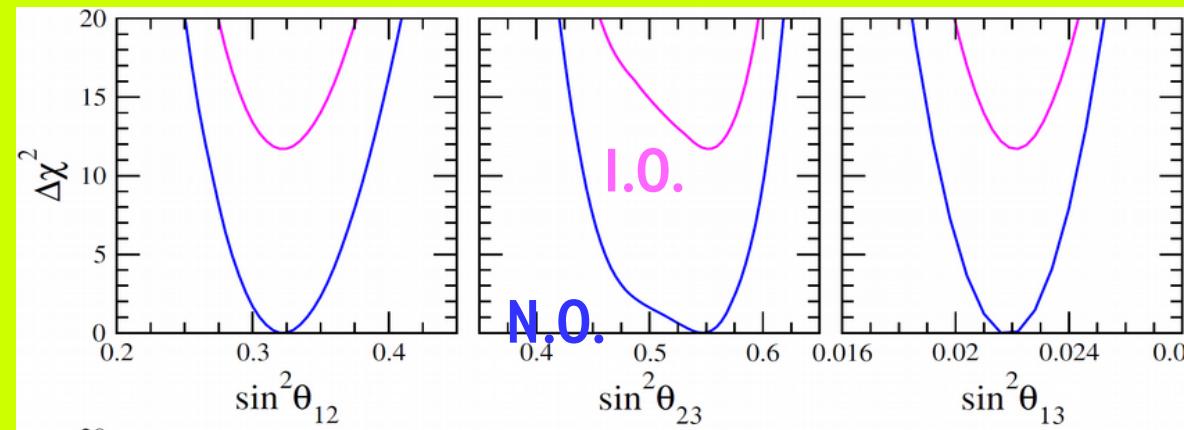
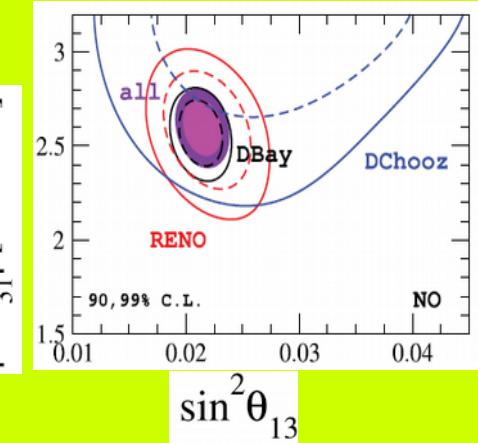
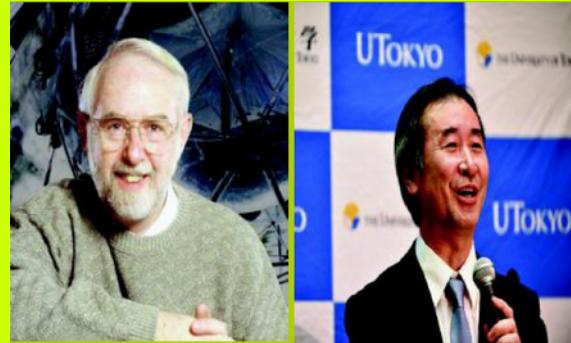
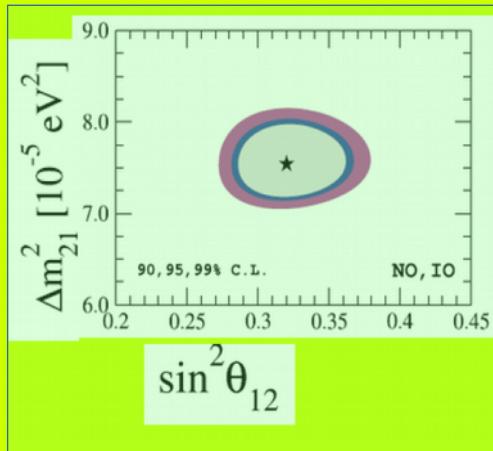
Hefei, China (July 2019)

# status of neutrino oscillations



P.F. de Salas et al, PLB782 (2018) 633  
<https://globalfit.astroparticles.es/>

# status of neutrino oscillations



P.F. de Salas et al, PLB782 (2018) 633  
<https://globalfit.astroparticles.es/>

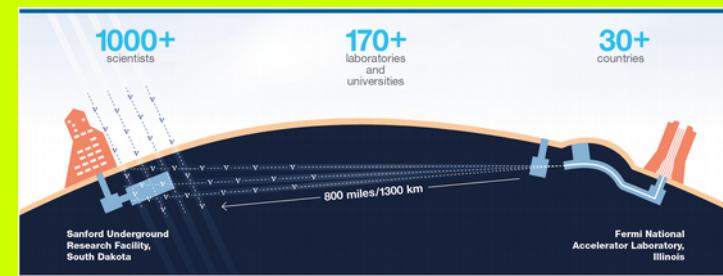
Consistent global picture  
 Good agreement amongst groups  
 mass ordering : normal @ >3σ

- CP phase
- atm octant

P.F. de Salas et al, PLB782 (2018) 633  
<https://globalfit.astroparticles.es/>

# leptonic

# CP violation

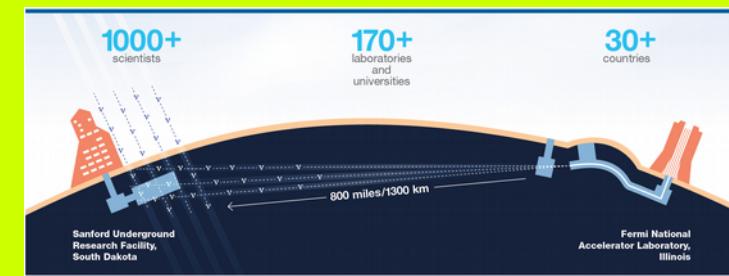


- CP phase
- atm octant

P.F. de Salas et al, PLB782 (2018) 633  
<https://globalfit.astroparticles.es/>

# leptonic

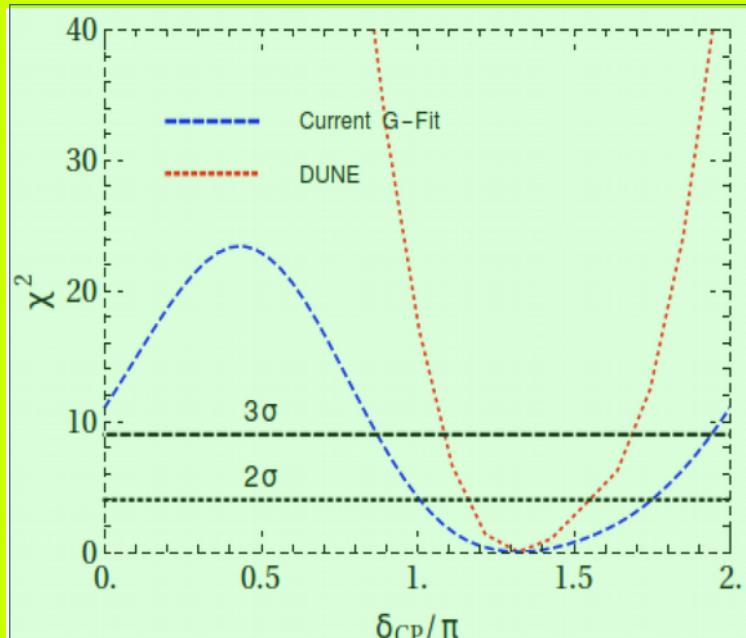
## CP violation



### improve at the next generation experiments

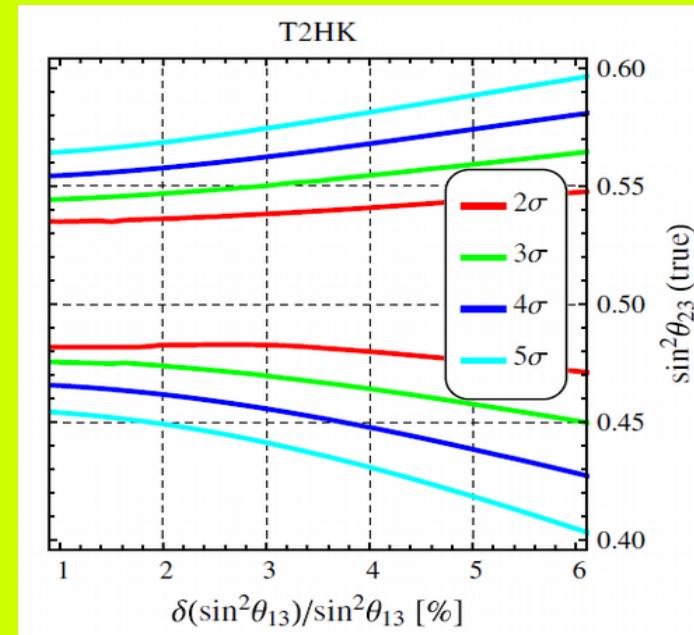
#### CP phase

from  
 1811.07040



#### atm octant

from  
 Phys. Rev. D 96, 011303(R) See also, e.g.  
 Phys. Rev. D97 (2018) 095025



2, 3, 4 and 5 $\sigma$   
 "octant-blind"  
 regions remain

# TBM lepton mixing pattern

$$\begin{bmatrix} \sqrt{\frac{2}{3}} & \frac{1}{\sqrt{3}} & 0 \\ -\frac{1}{\sqrt{6}} & \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{6}} & -\frac{1}{\sqrt{3}} & \frac{1}{\sqrt{2}} \end{bmatrix} \xrightarrow{\text{CP}} \begin{bmatrix} \sqrt{\frac{2}{3}} & \frac{e^{-i\rho}\cos\theta}{\sqrt{3}} & -\frac{ie^{-i\rho}\sin\theta}{\sqrt{3}} \\ -\frac{e^{i\rho}}{\sqrt{6}} & \frac{\cos\theta}{\sqrt{3}} - \frac{ie^{-i\sigma}\sin\theta}{\sqrt{2}} & \frac{e^{-i\sigma}\cos\theta}{\sqrt{2}} - \frac{i\sin\theta}{\sqrt{3}} \\ \frac{e^{i(\rho+\sigma)}}{\sqrt{6}} & -\frac{e^{i\sigma}\cos\theta}{\sqrt{3}} - \frac{i\sin\theta}{\sqrt{2}} & \frac{\cos\theta}{\sqrt{2}} + \frac{ie^{i\sigma}\sin\theta}{\sqrt{3}} \end{bmatrix}$$

$\sin^2\theta_{12} = \frac{\cos^2\theta}{\cos^2\theta + 2},$

$\sin^2\theta_{13} = \frac{\sin^2\theta}{3},$

$\tan\delta_{CP} = \frac{(\cos^2\theta + 2)\cot\sigma}{5\cos^2\theta - 2},$

PHYSICAL REVIEW D **98**, 055019 (2018)

systematic CP revamp

predicting solar

Harrison, Scott & Perkins 2002

P Chen et al

Phys.Lett. B753 (2016) 644-652

Phys.Rev. D94 (2016) 033002

JHEP 1807 (2018) 077

Phys.Lett. B792 (2019) 461-464

Phys.Rev. D99 (2019) 075005

Several other  
Revamped TBM ansatze  
possible

# TBM lepton mixing pattern

$$\begin{bmatrix} \sqrt{\frac{2}{3}} & \frac{1}{\sqrt{3}} & 0 \\ -\frac{1}{\sqrt{6}} & \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{6}} & -\frac{1}{\sqrt{3}} & \frac{1}{\sqrt{2}} \end{bmatrix} \xrightarrow{\text{CP}} \begin{bmatrix} \sqrt{\frac{2}{3}} & \frac{e^{-i\rho}\cos\theta}{\sqrt{3}} & -\frac{ie^{-i\rho}\sin\theta}{\sqrt{3}} \\ -\frac{e^{i\rho}}{\sqrt{6}} & \frac{\cos\theta}{\sqrt{3}} - \frac{ie^{-i\sigma}\sin\theta}{\sqrt{2}} & \frac{e^{-i\sigma}\cos\theta}{\sqrt{2}} - \frac{i\sin\theta}{\sqrt{3}} \\ \frac{e^{i(\rho+\sigma)}}{\sqrt{6}} & -\frac{e^{i\sigma}\cos\theta}{\sqrt{3}} - \frac{i\sin\theta}{\sqrt{2}} & \frac{\cos\theta}{\sqrt{2}} + \frac{ie^{i\sigma}\sin\theta}{\sqrt{3}} \end{bmatrix}$$

**PHYSICAL REVIEW D 98, 055019 (2018)**

$$\sin^2\theta_{12} = \frac{\cos^2\theta}{\cos^2\theta + 2},$$

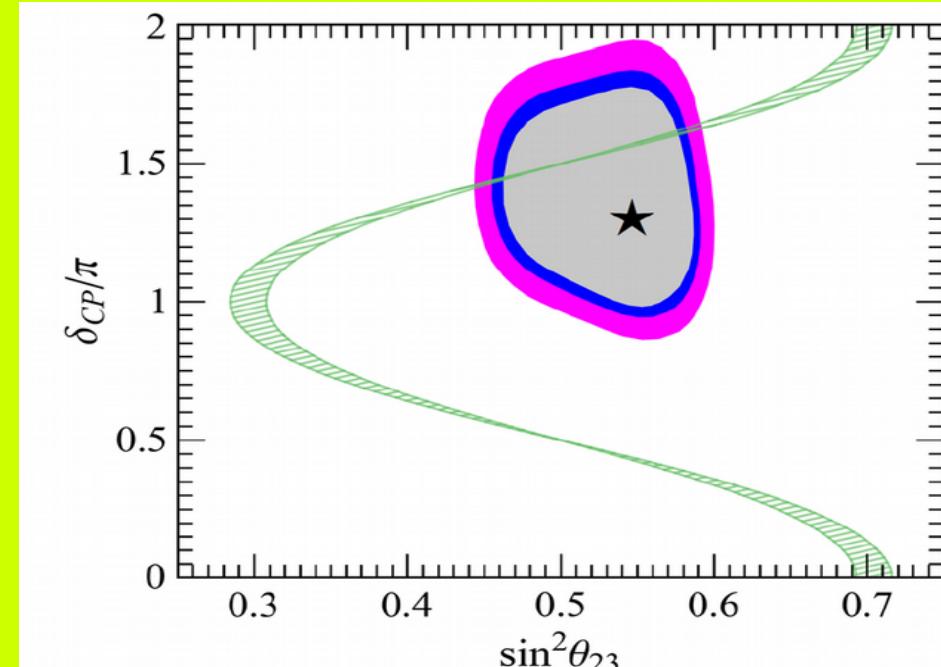
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systematic CP revamp

predicting solar

predicting CP



from Phys.Rev. D98 (2018) 055019

Several other  
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Harrison, Scott & Perkins 2002  
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Phys.Lett. B753 (2016) 644-652  
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JHEP 1807 (2018) 077  
Phys.Lett. B792 (2019) 461-464  
Phys.Rev. D99 (2019) 075005

# Bi-Large lepton mixing pattern

from 1904.05632

$$\begin{bmatrix} 1 - \frac{1}{2}\lambda^2 & -\lambda e^{i\phi} & A\lambda^3 e^{i\phi} \\ \lambda e^{-i\phi} & 1 - \frac{1}{2}\lambda^2 & -A\lambda^2 \\ 0 & A\lambda^2 & 1 \end{bmatrix} \quad \begin{bmatrix} 1 - \frac{5\lambda^2}{2} & 2\lambda & -\lambda \\ -2\lambda + 3\lambda^2 & 1 - \frac{13\lambda^2}{2} & 3\lambda \\ \lambda + 6\lambda^2 & -3\lambda + 2\lambda^2 & 1 - 5\lambda^2 \end{bmatrix}$$

Largest Q-mixing similar to smallest L-mixing  
Cabibbo angle as universal seed for flavor mixing

$\sin \theta_{12}^{\text{CKM}} = \lambda$  and  $\sin \theta_{23}^{\text{CKM}} = A\lambda^2$ , where  $\lambda = 0.22453 \pm 0.00044$ ,  $A = 0.836 \pm 0.015$

Phys.Rev. D86 (2012) 051301

Phys.Rev.D87 (2013) 053013

Phys.Lett. B748 (2015) 1-4

Phys.Lett. B792 (2019) 461-464

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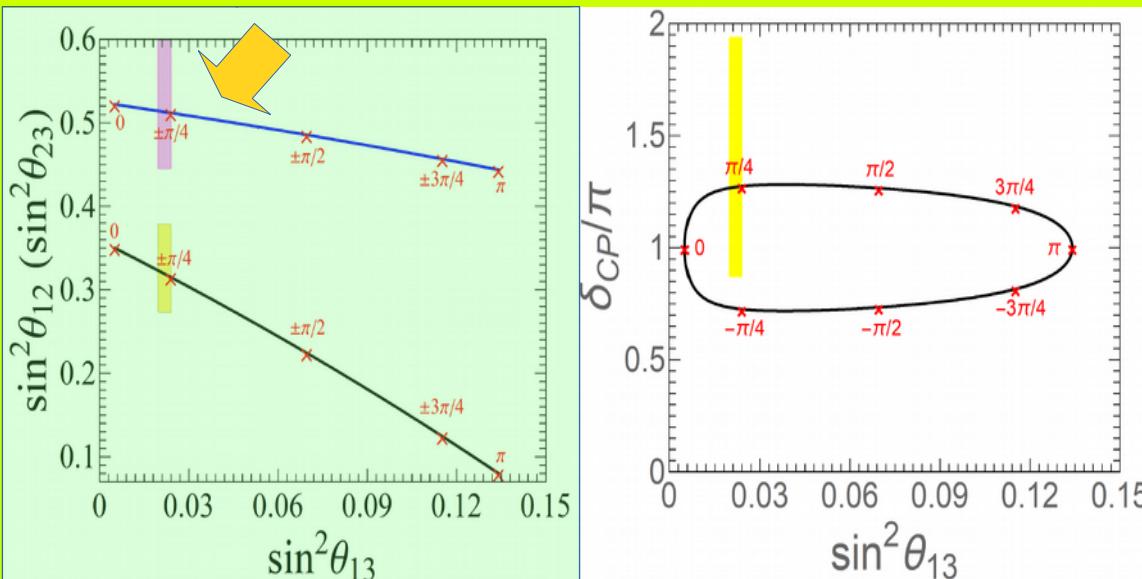
Largest Q similar to smallest L -mixing  
Cabibbo angle as universal seed for flavor mixing

Phys.Rev. D86 (2012) 051301

Phys.Rev.D87 (2013) 053013

Phys.Lett. B748 (2015) 1-4

Phys.Lett. B792 (2019) 461-464



predicting solar, atm & CP from reactor angle

also 2-parameter generalizations of Bi-Large mixing

# Bi-Large lepton mixing pattern

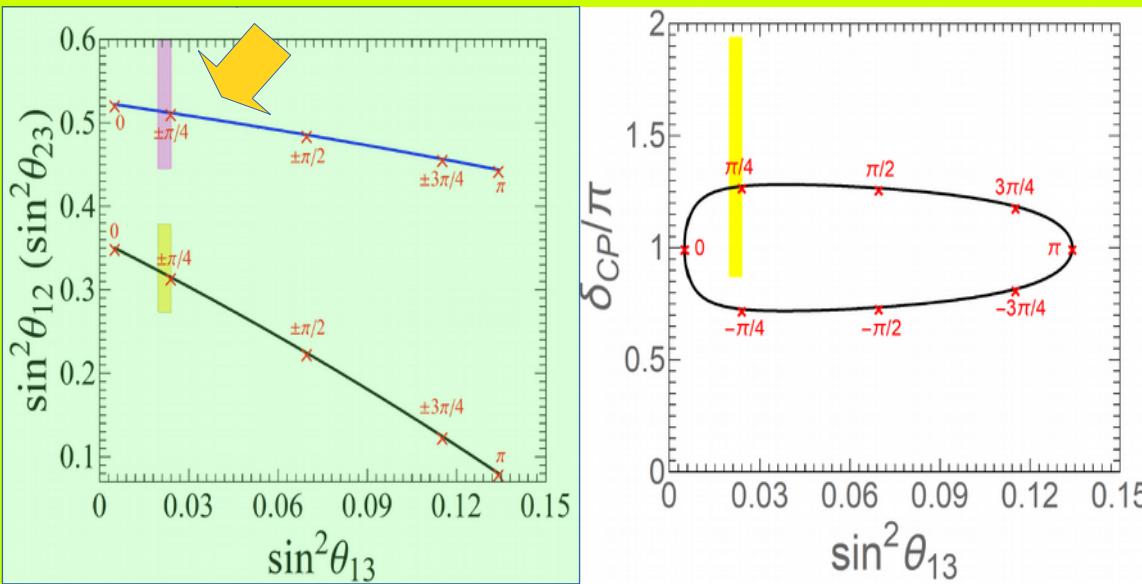
from 1904.05632

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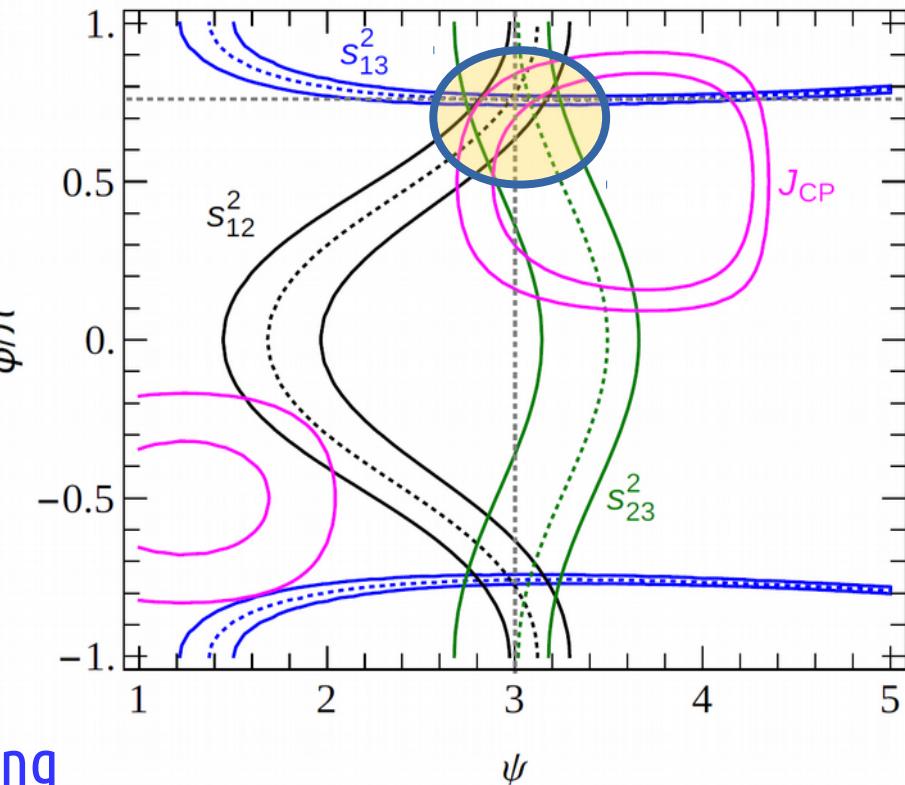
Phys.Rev. D86 (2012) 051301  
Phys.Rev.D87 (2013) 053013  
Phys.Lett. B748 (2015) 1-4  
Phys.Lett. B792 (2019) 461-464



predicting solar, atm & CP from reactor angle

also 2-parameter generalizations of Bi-Large mixing

from 1904.05632



# robustness

J.V. Phys.Lett. B199 (1987) 432-436  
Miranda & J.V. Nucl.Phys. B908 (2016) 436  
Escrihuela et al, Phys.Rev. D92 (2015) 053009

$$\begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{pmatrix} U$$

# unitarity test as seesaw scale probe

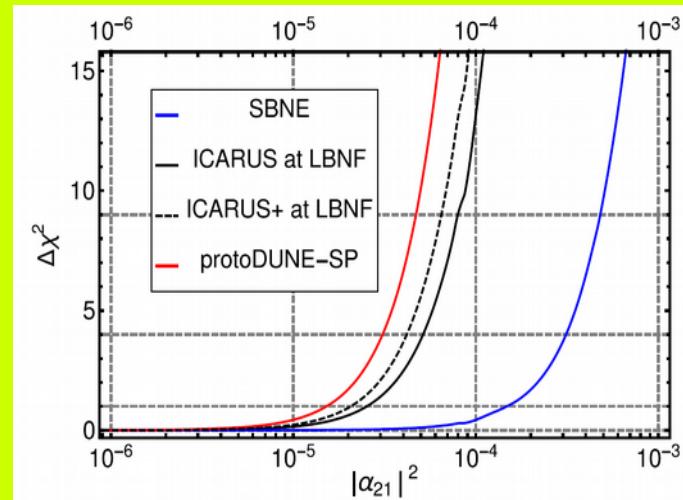
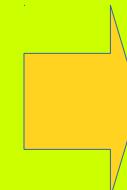
Phys.Rev. D95 (2017) 033005  
New J. Phys. 19 (2017) 093005

# robustness

J.V. Phys.Lett. B199 (1987) 432-436  
 Miranda & J.V. Nucl.Phys. B908 (2016) 436  
 Escrihuela et al, Phys.Rev. D92 (2015) 053009

$$\begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{pmatrix} U$$

One parameter (1 d.o.f.)		All parameters (6 d.o.f.)	
90% C.L.	$3\sigma$	90% C.L.	$3\sigma$
Neutrinos only			
$\alpha_{11} >$	0.98	0.95	0.96
$\alpha_{22} >$	0.99	0.96	0.97
$\alpha_{33} >$	0.93	0.76	0.79
$ \alpha_{21}  <$	$1.0 \times 10^{-2}$	$2.6 \times 10^{-2}$	$2.4 \times 10^{-2}$
$ \alpha_{31}  <$	$4.2 \times 10^{-2}$	$9.8 \times 10^{-2}$	$9.0 \times 10^{-2}$
$ \alpha_{32}  <$	$9.8 \times 10^{-3}$	$1.7 \times 10^{-2}$	$1.6 \times 10^{-2}$



nsi

Coloma, Huber et al, Miranda et al,  
 de Gouvea et al, Goswami et al,  
 Kopp et al, Antusch et al,  
 Fernandez, Lopez Pavon, et al ...

unitarity test as  
 seesaw scale probe

Phys.Rev. D95 (2017) 033005  
 New J. Phys. 19 (2017) 093005

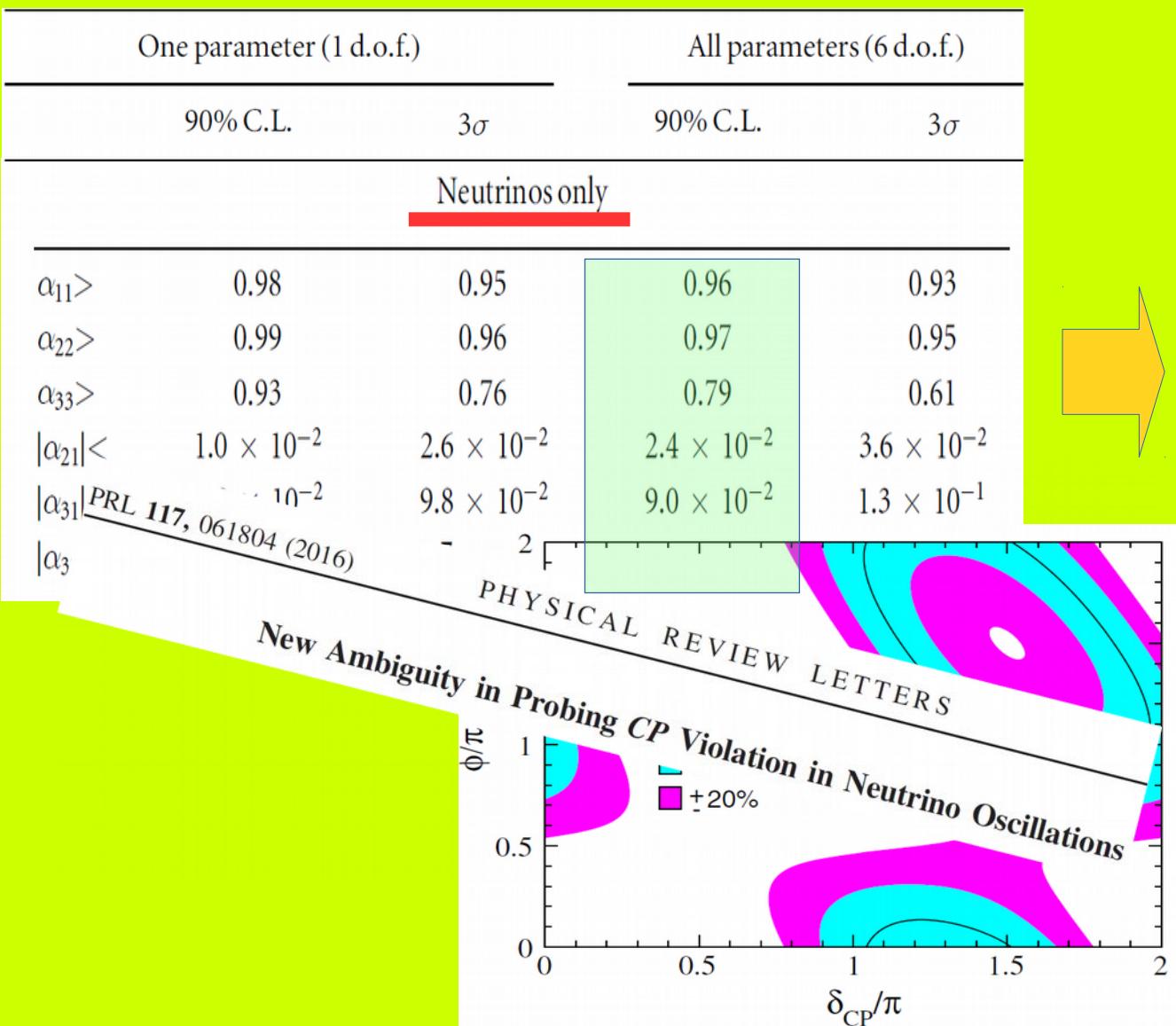
window to BSM physics

PRD97 (2018) 095026

# robustness

J.V. Phys.Lett. B199 (1987) 432-436  
 Miranda & J.V. Nucl.Phys. B908 (2016) 436  
 Escrihuela et al, Phys.Rev. D92 (2015) 053009

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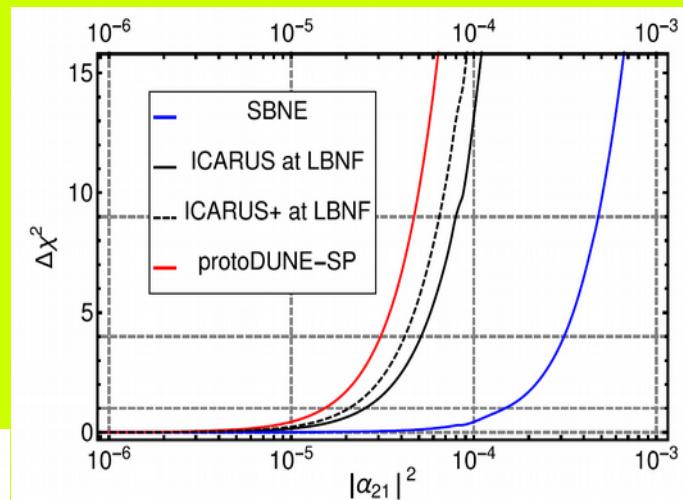


## unitarity test as seesaw scale probe

Phys.Rev. D95 (2017) 033005  
 New J. Phys. 19 (2017) 093005

## window to BSM physics

PRD97 (2018) 095026

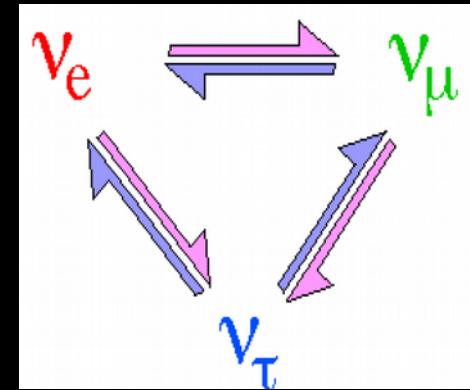


## nsi

Coloma, Huber et al, Miranda et al,  
 de Gouvea et al, Goswami et al,  
 Kopp et al, Antusch et al,  
 Fernandez, Lopez Pavon, et al ...

CP ambiguity Miranda et al,  
 Phys.Rev.Lett. 117 (2016) 061804

# new physics at last!!



Oscillations bring neutrinos to the center of the stage

addressing the dynamical origin of small neutrino mass  
touches the heart of the EW theory

besides neutrino mass there are other issues in particle physics & cosmology for which neutrinos may provide key input

e.g. flavor, EW breaking, unification, DM ...

# ABSOLUTE MASS & MAJORANA PHASES

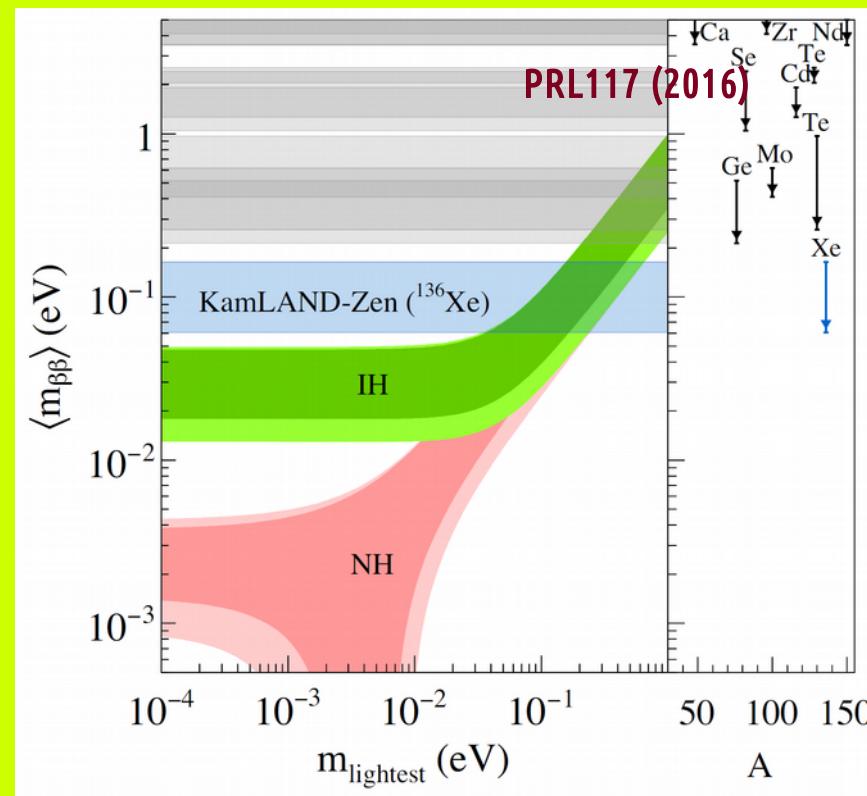
# neutrinoless doublebeta decay

## symmetric parametrization of lepton mixing matrix

Schechter & JV PRD22 (1980) 2227

Rodejohann, JV Phys.Rev. D84 (2011) 073011

$$\left| \sum_j U_{ej}^2 m_j \right| = |c_{12}^2 c_{13}^2 m_1 + s_{12}^2 c_{13}^2 m_2 e^{2i\phi_{12}} + s_{13}^2 m_3 e^{2i\phi_{13}}|$$



nEXO, CUORE , LEGEND (nGERDA/Majorana) ...

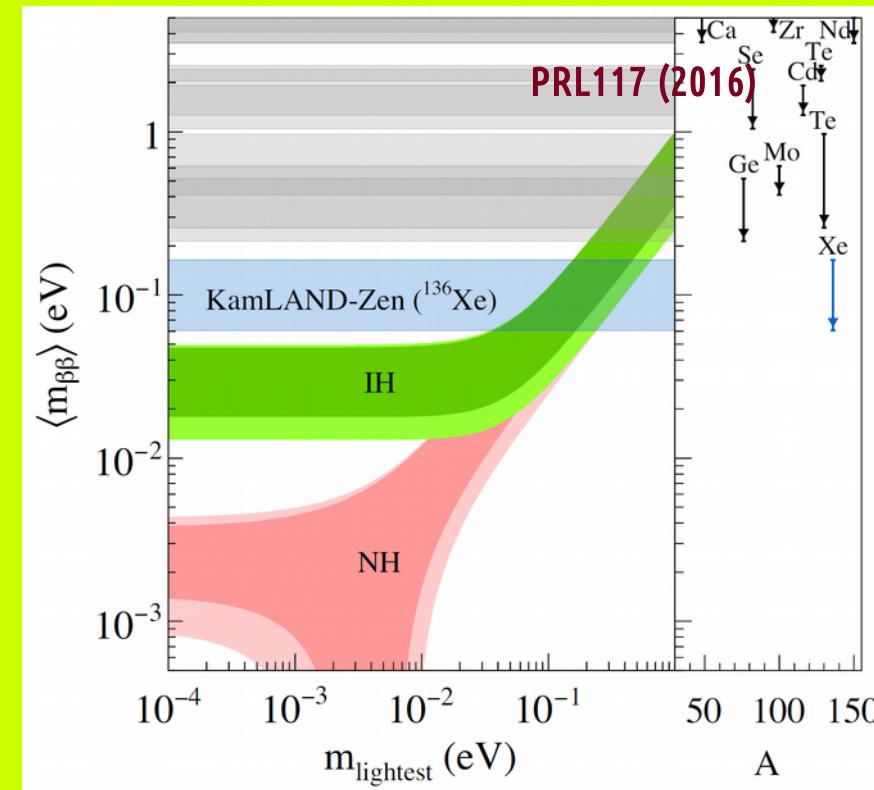
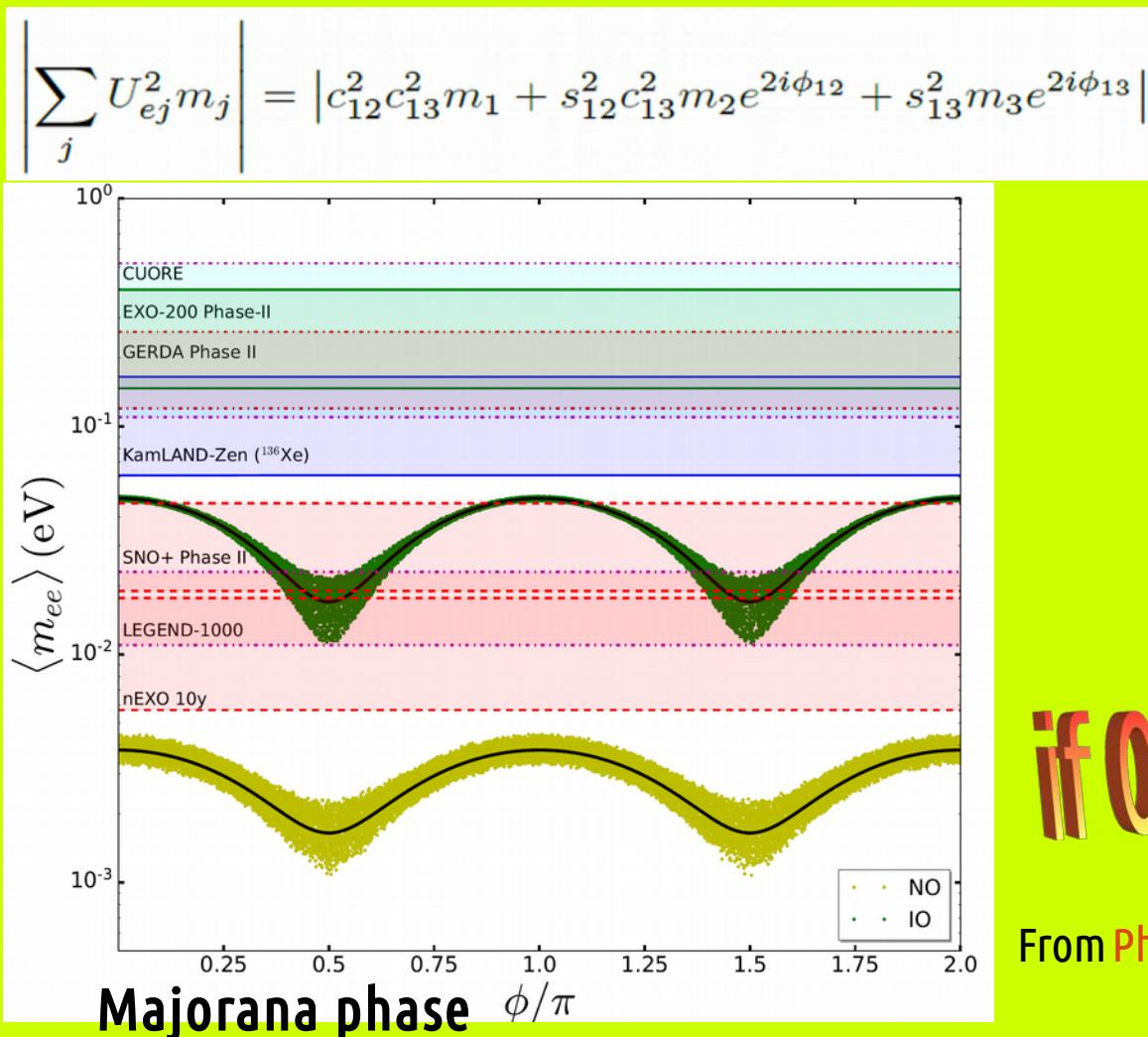
# ABSOLUTE MASS & MAJORANA PHASES

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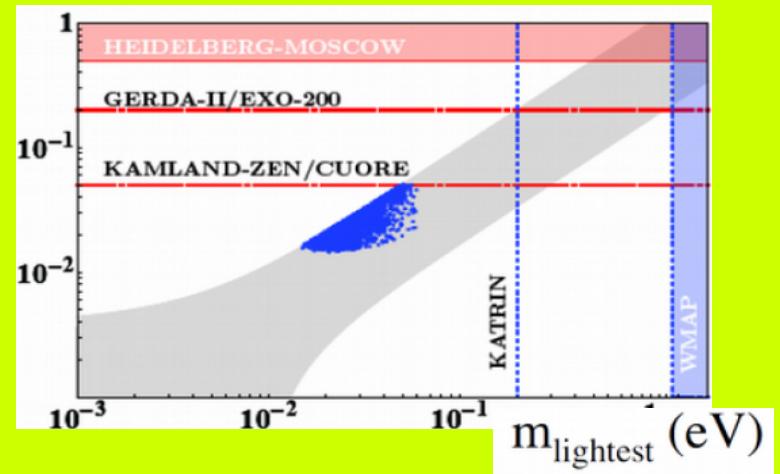
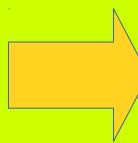
nEXO, CUORE , LEGEND (nGERDA/Majorana) ...

if one neutrino is massless

From Phys.Lett. B790 (2019) 303-307

# neutrinoless double beta decay

flavor sensitivity



lower bounds even for normal ordering

Dorame et al

NPB861 (2012) 259-270

Dorame et al

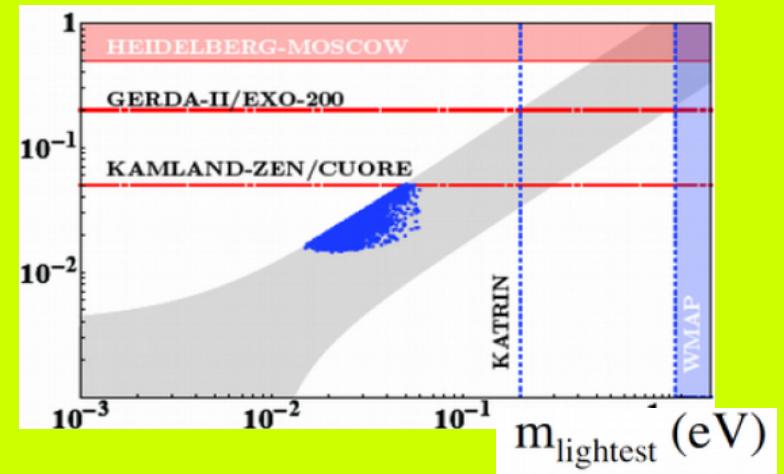
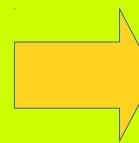
PhysRevD.86.056001

King et al

Phys. Lett. B 724 (2013) 68

# neutrinoless double beta decay

flavor sensitivity



lower bounds even for normal ordering

Dorame et al

NPB861 (2012) 259-270

Dorame et al

PhysRevD.86.056001

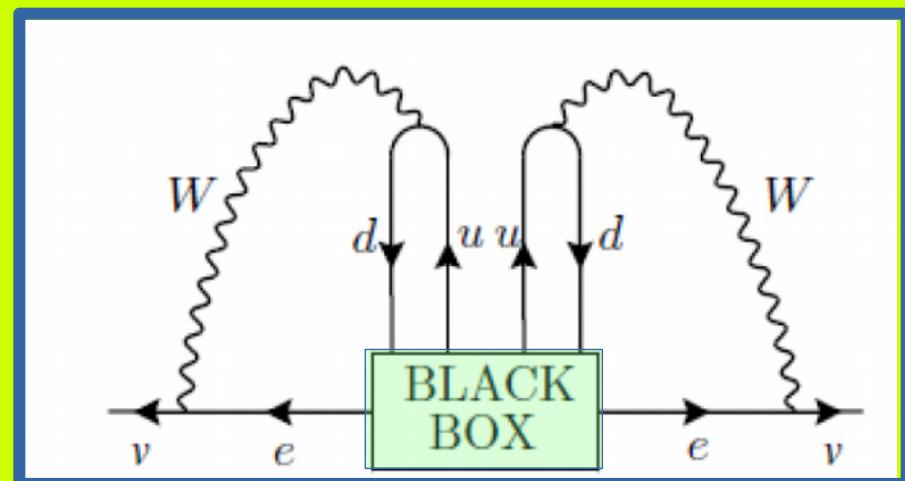
King et al

Phys. Lett. B 724 (2013) 68

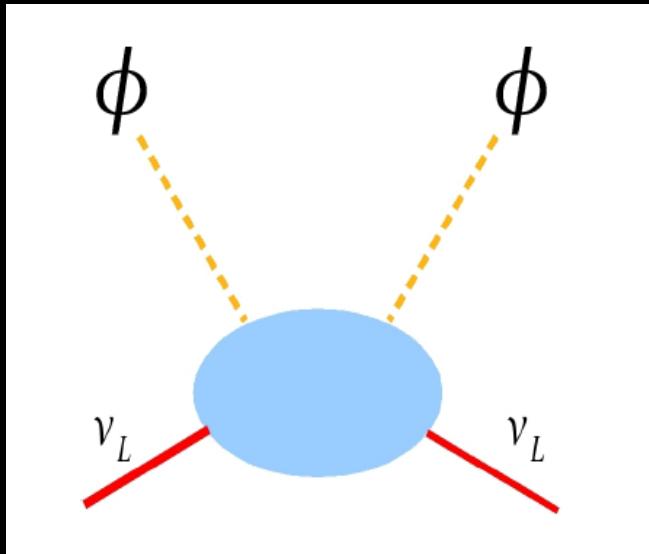
## Significance

Schechter, Valle 82

Lindner et al JHEP 1106 (2011) 091



# Origin of neutrino mass

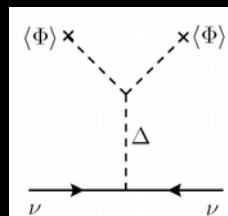
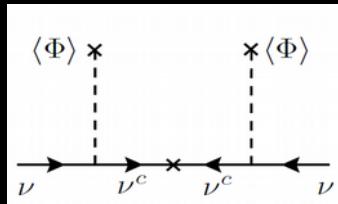
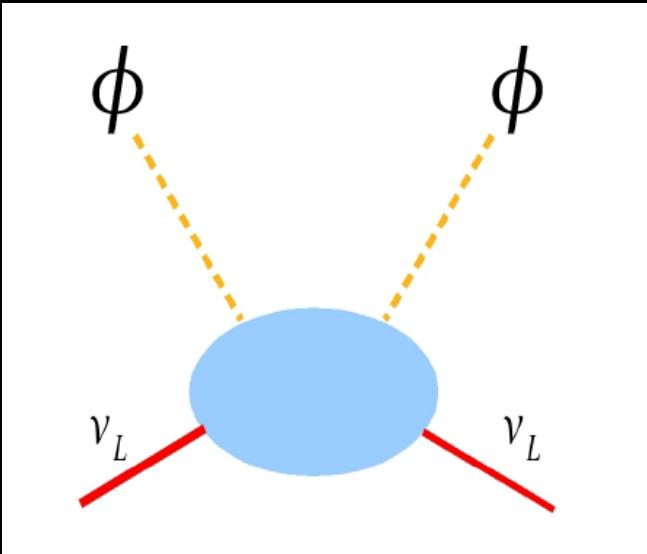


**seesaw**

$$v_3 v_1 \sim v_2^2$$

coefficient  
mechanism  
scale  
flavor structure

# origin of neutrino mass



## TYPE I

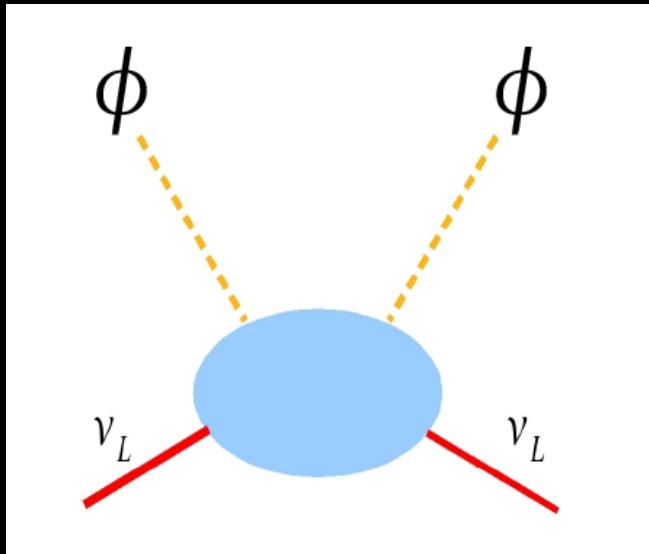
Minkowski 77  
Gellman Ramond Slansky 80  
Glashow, Yanagida 79  
Mohapatra Senjanovic 80  
Lazarides Shafi Weterrich 81  
Schechter-Valle 80 & 82

## seesaw

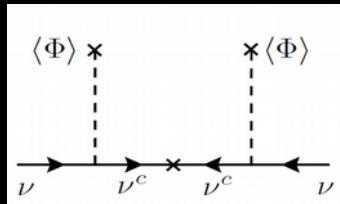
$$v_3 v_1 \sim v_2^2$$

coefficient  
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scale  
flavor structure

# Origin of neutrino mass



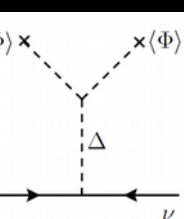
coefficient  
mechanism  
scale  
flavor structure



## TYPE I

Minkowski 77  
Gellman Ramond Slansky 80  
Glashow, Yanagida 79  
Mohapatra Senjanovic 80  
Lazarides Shafi Weterrich 81  
Schechter-Valle 80 & 82

# seesaw



## TYPE II

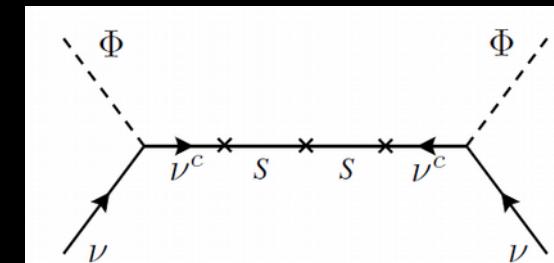
Schechter-Valle 80 & 82

$$v_3 v_1 \sim v_2^2$$

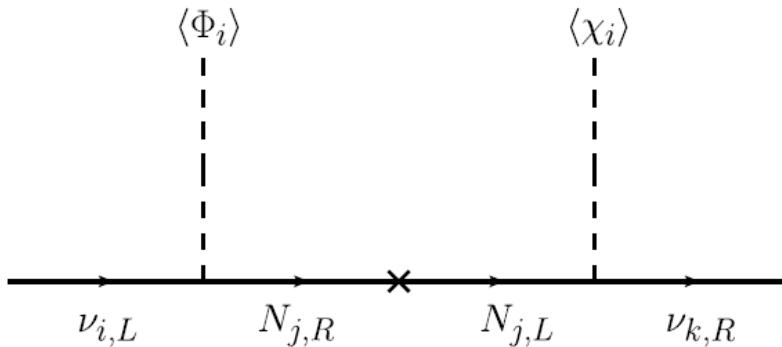
any number **m** of singlet R's  
**(3,2)**    **(3,1) SCOTO-SEESAW**    **(3,4) ...**

## (3,6) LOW-SCALE SEESAW

Mohapatra-Valle 86  
Akhmedov et al PRD53 (1996) 2752  
Malinsky et al PRL95(2005)161801  
Bazzocchi et al, PRD81 (2010) 051701



# Seesawing à la Dirac



**typeI**

Phys.Lett. B761 (2016) 431-436

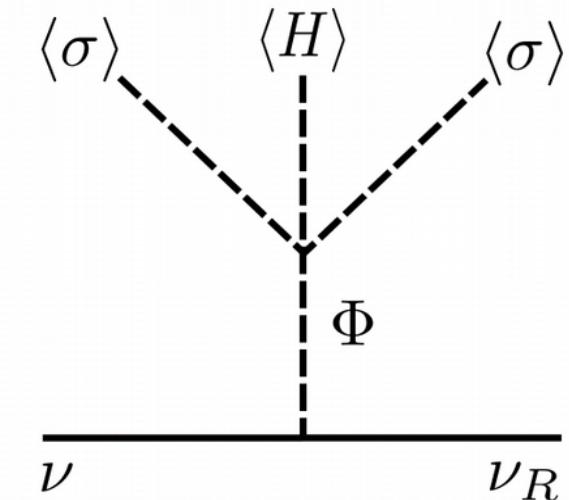
Phys.Lett. B767 (2017) 209-213



**symmetry protects  
small neutrino mass**

Phys.Rev. D98 (2018) 035009

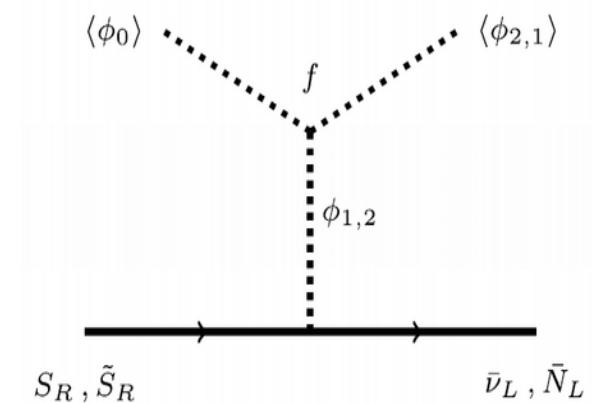
Phys.Lett. B781 (2018) 122-128



**typeII**

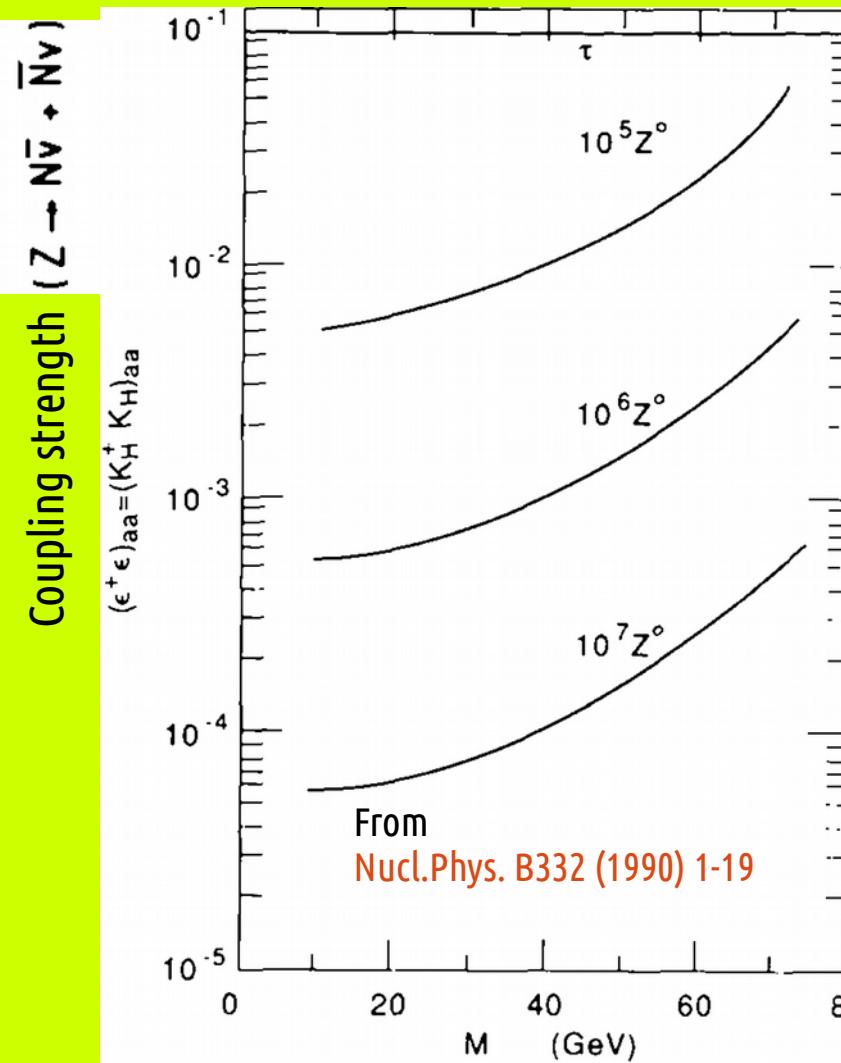
Phys.Lett. B762 (2016) 162-165

Phys.Rev. D94 (2016) 033012



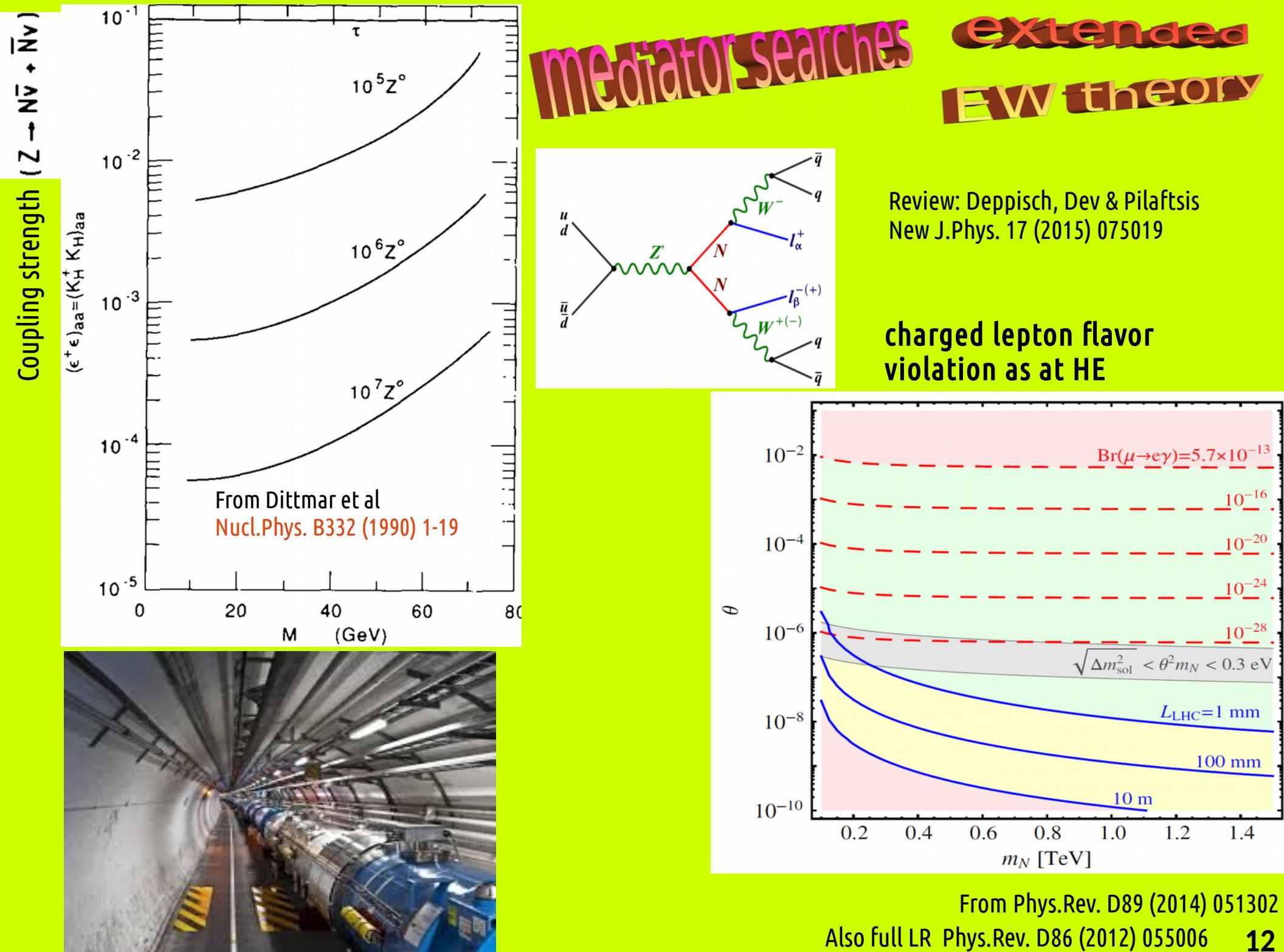
Addazi et al Phys.Lett. B759 (2016) 471-478

Phys.Lett. B755 (2016) 363-366



mediator searches





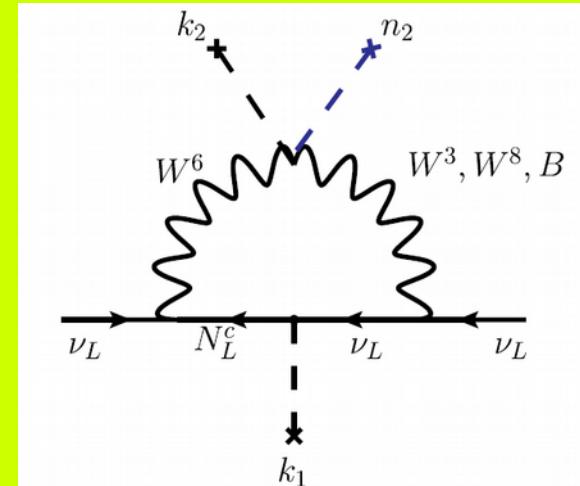
# Radiative neutrino mass in extended EW theory

## 331 motivation # families = # colours

Singer, Valle, Schechter, Phys.Rev. D22 (1980) 738

calculable  
neutrino mass

Gauge nu-mass mediators



Boucenna, Morisi, JHEP 090 (2014) 013

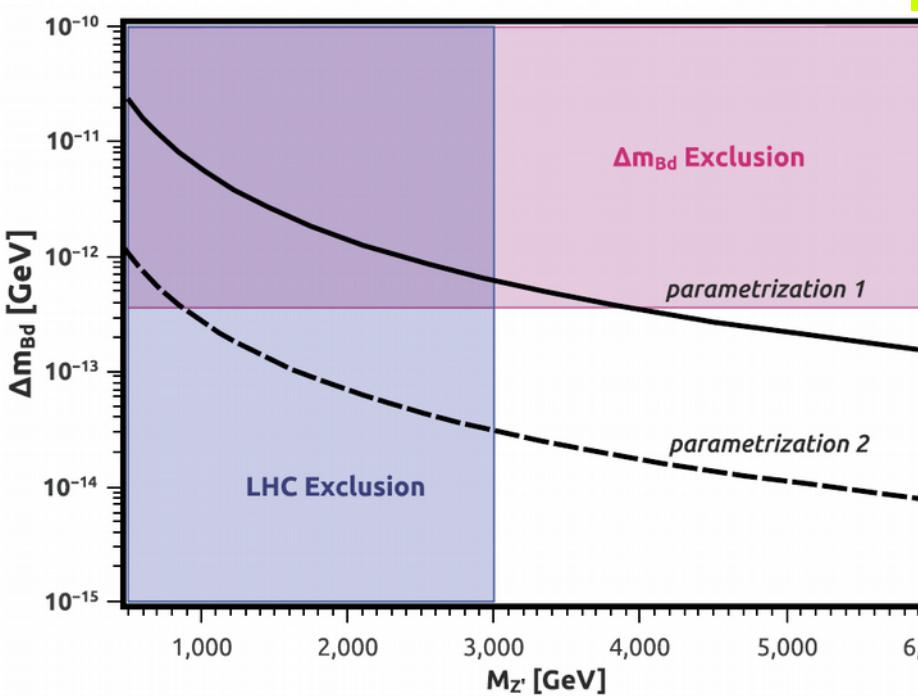
# Radiative neutrino mass in extended EW theory

## 331 motivation # families = # colours

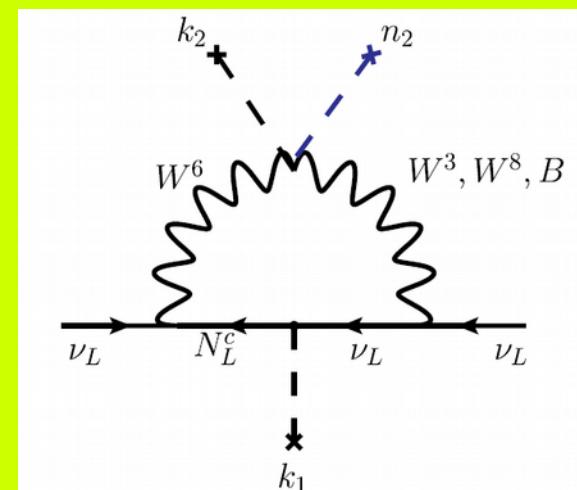
Singer, Valle, Schechter, Phys.Rev. D22 (1980) 738

## LOW SCALE

F.S. Queiroz et al. / Physics Letters B 763 (2016) 269–274

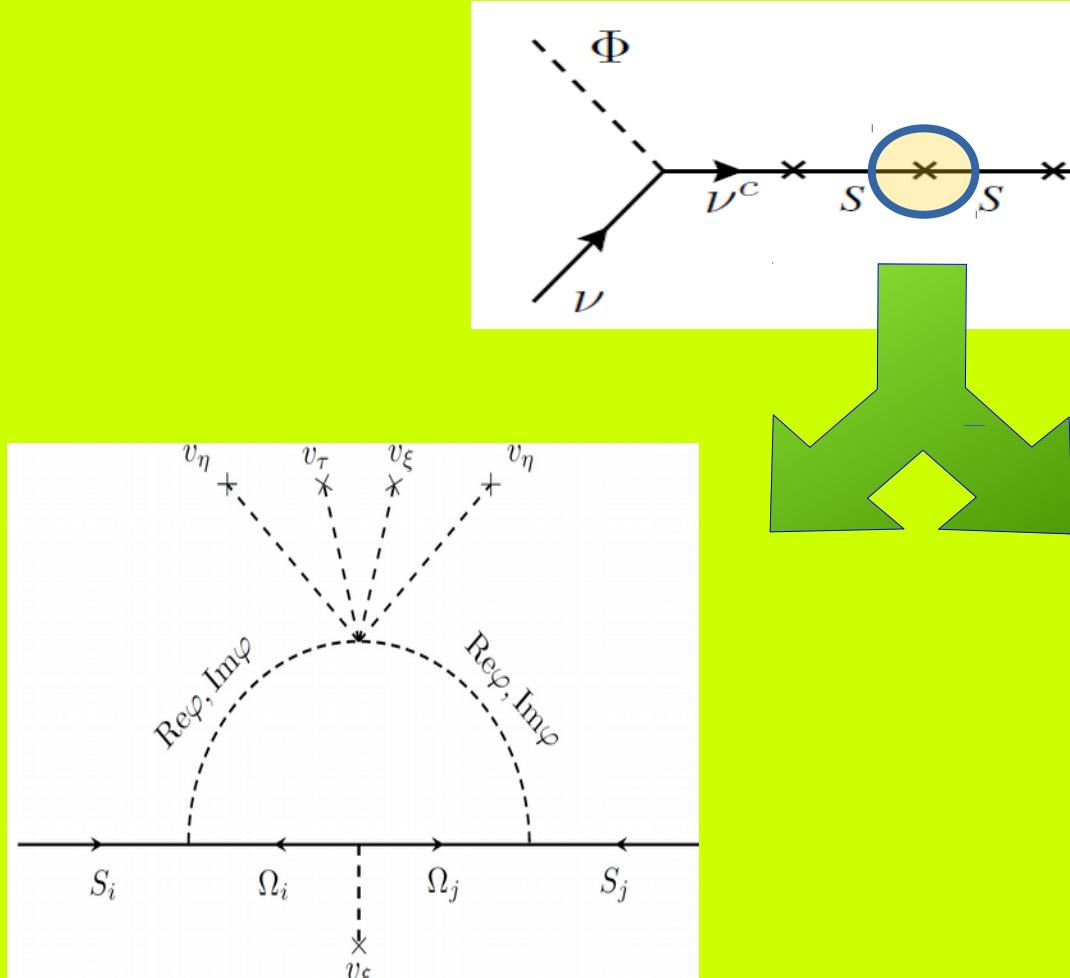


calculable  
neutrino mass  
Gauge nu-mass mediators



Boucenna, Morisi, JV Phys.Rev. D90 (2014) 013005

# combining low scale seesaw with radiative corrections



## radiative inverse/linear seesaw

Cárcamo Hernández et al JHEP 1902 (2019) 065

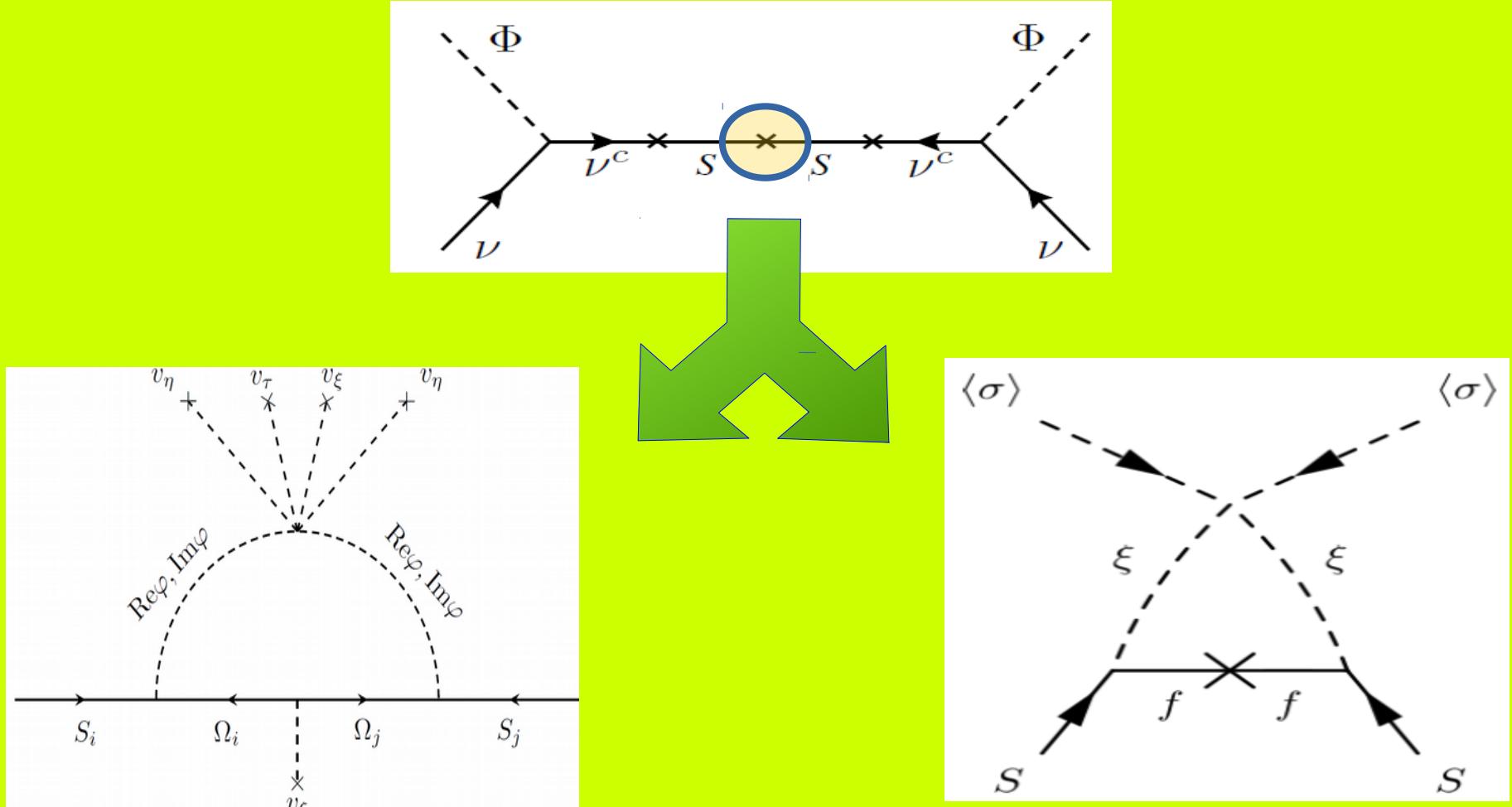
See also

Bazzocchi et al 0907.1262

Ma 0904.4450

Baldes et al 1304.6162

# combining low scale seesaw with radiative corrections



## radiative inverse/linear seesaw

Cárcamo Hernández et al JHEP 1902 (2019) 065

See also

Bazzocchi et al 0907.1262

Ma 0904.4450

Baldes et al 1304.6162

## scotogenic inverse seesaw

From arXiv:1907.07728



SM lacks an organizing principle to understand flavor

# Simplest flavor symmetry

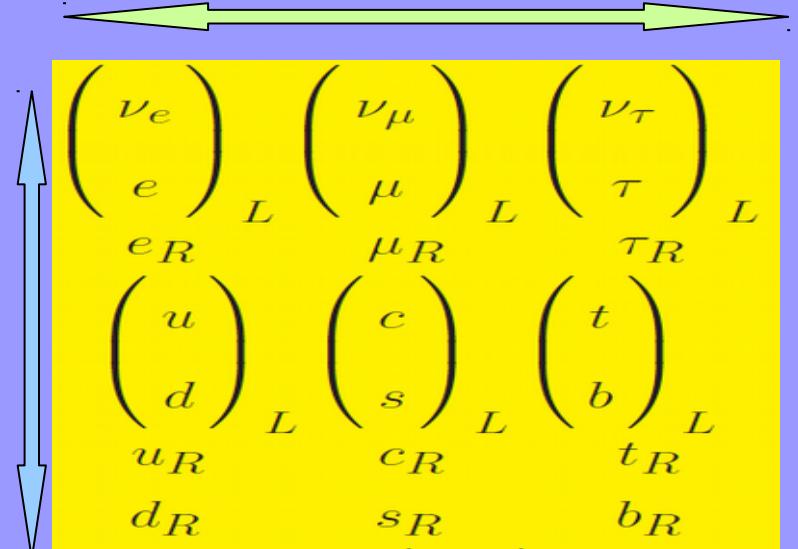
A4

$$\sin^2 \theta_{23} = 0.5$$

$$\sin^2 \theta_{13} = 0$$

Babu-Ma-Valle PLB552 (2003) 207

Hirsch et al PRD69 (2004) 093006



# Simplest flavor symmetry

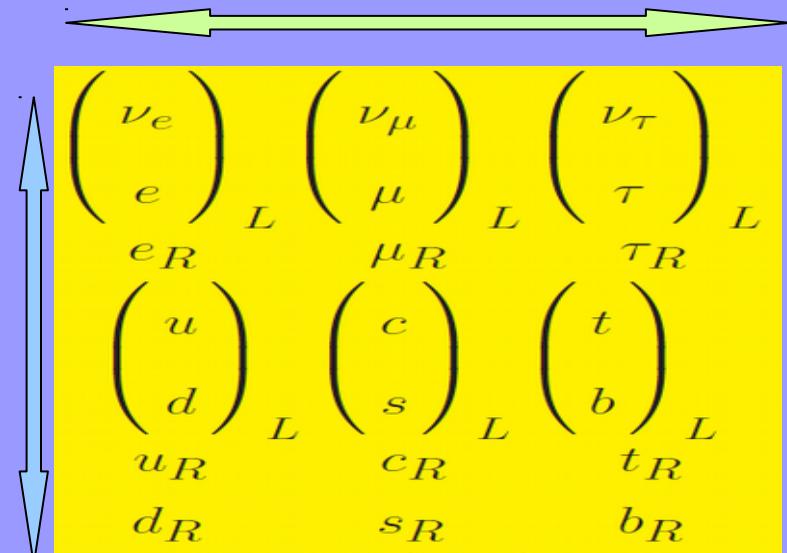
A4

$$\sin^2 \theta_{23} = 0.5$$

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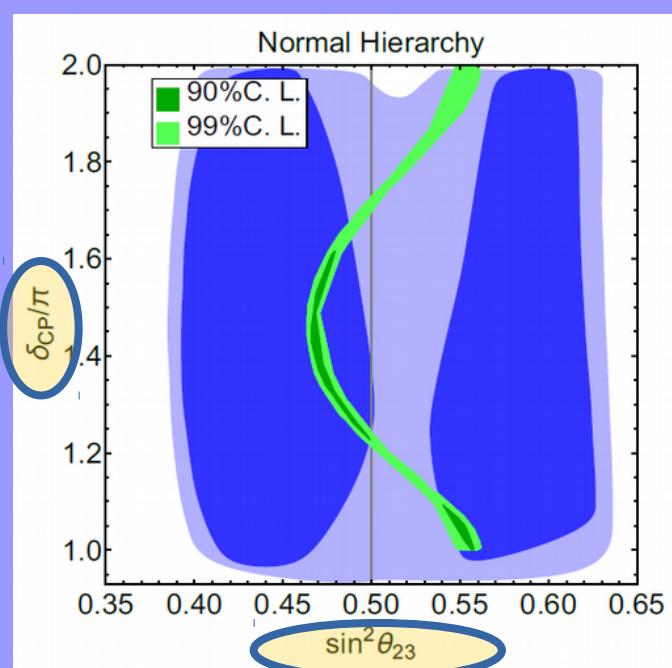
Babu-Ma-Valle PLB552 (2003) 207

Hirsch et al PRD69 (2004) 093006

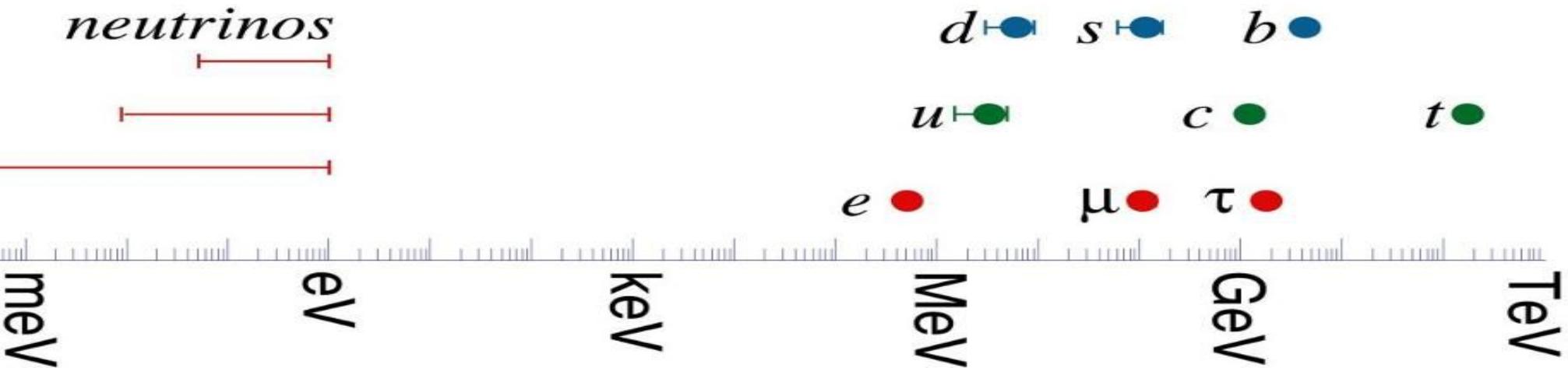


still good starting points ... predictive  
revamping ... Morisi et al, Phys.Rev. D88 (2013) 016003

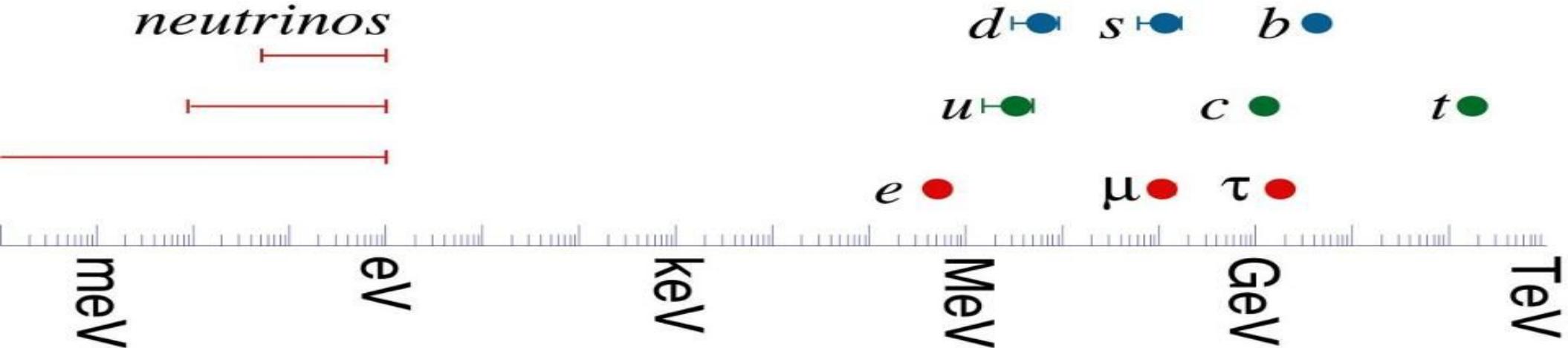
Constrained global fit  
Phys.Lett. B774 (2017) 179-182



to be probed at LBL  
experiments, e.g. DUNE...



from oscillations to  
charged fermion masses



# from oscillations to charged fermion masses

Morisi et al	Phys. Rev. D84 (2011) 036003
King et al	Phys. Lett. B 724 (2013) 68
Morisi et al	Phys. Rev. D88 (2013) 036001
Bonilla et al	Phys. Lett. B742 (2015) 99

Golden Q-L  
unification

$$\frac{m_\tau}{\sqrt{m_e m_\mu}} \approx \frac{m_b}{\sqrt{m_d m_s}}$$

# warped SM With flavor

:Chen et al  
JHEP01(2016)007

**mass hierarchies from geometry**

# Warped SM With flavor

Chen et al  
JHEP01(2016)007

mass hierarchies from geometry

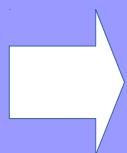
→ angles related by symmetry

$$\sin^2 \theta_{12} = \frac{1}{2 - \sin 2\theta_v \cos \phi_v}$$

$$\sin^2 \theta_{13} = \frac{1}{3} (1 + \sin 2\theta_v \cos \phi_v)$$

$$\sin^2 \theta_{23} = \frac{1 - \sin 2\theta_v \sin(\pi/6 - \phi_v)}{2 - \sin 2\theta_v \cos \phi_v}$$

$$J_{\text{CP}} = -\frac{1}{6\sqrt{3}} \cos 2\theta_v$$



# Warped SM With flavor

## Constrained global fitting

Chen et al  
JHEP01(2016)007

mass hierarchies from geometry

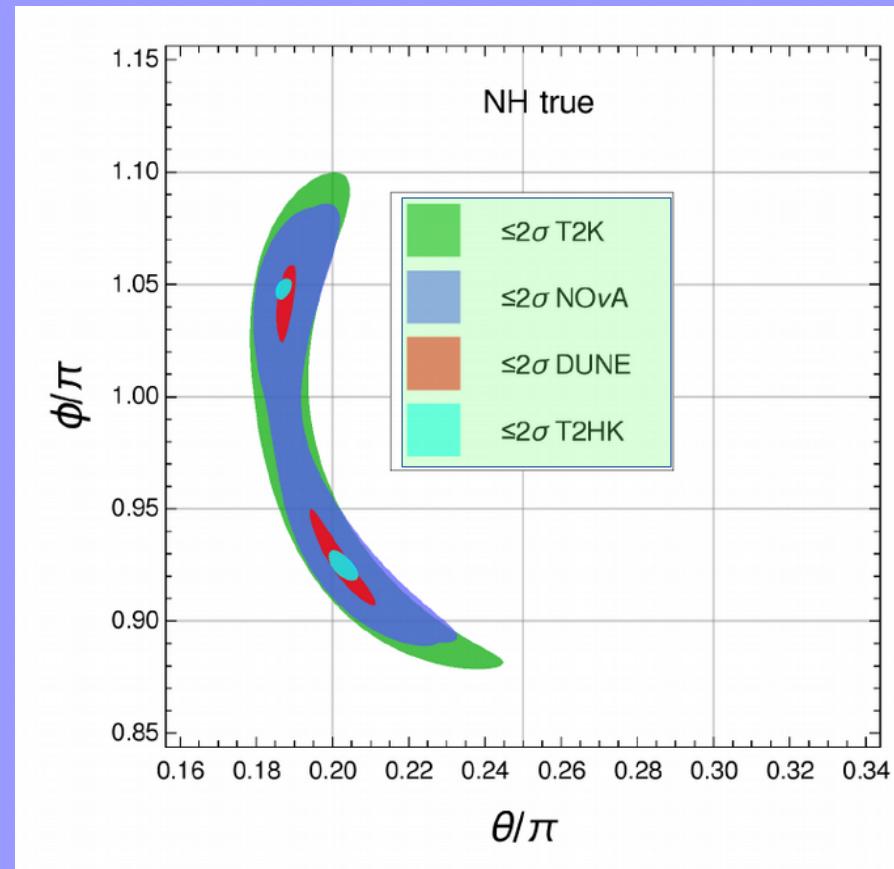
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$$\sin^2 \theta_{13} = \frac{1}{3} (1 + \sin 2\theta_v \cos \phi_v)$$

$$\sin^2 \theta_{23} = \frac{1 - \sin 2\theta_v \sin(\pi/6 - \phi_v)}{2 - \sin 2\theta_v \cos \phi_v}$$

$$J_{CP} = -\frac{1}{6\sqrt{3}} \cos 2\theta_v$$



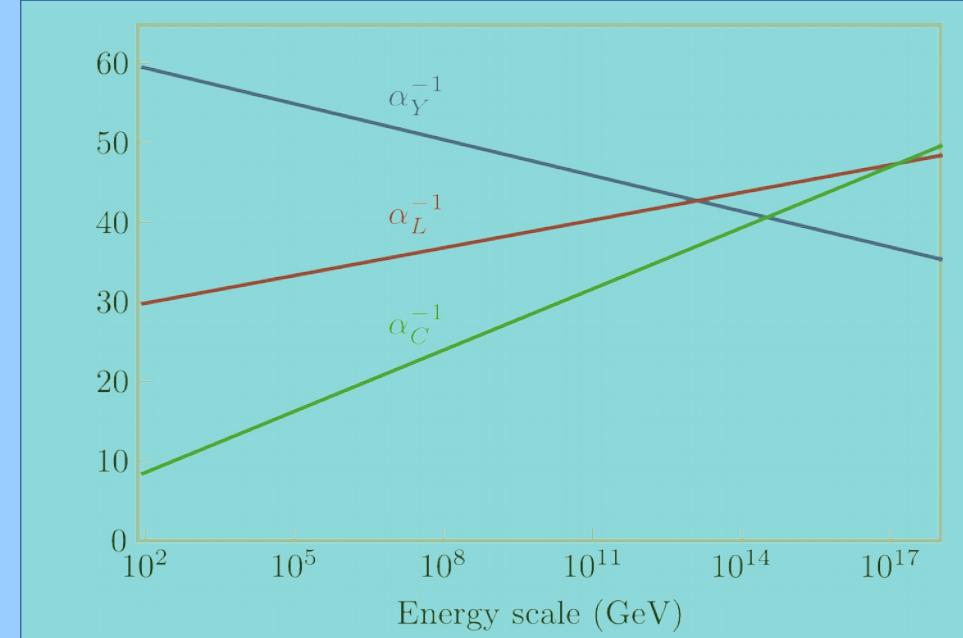
Predictions for LBL experiments

Phys. Rev. D95 (2017) 095030

Phys. Lett. B771 (2017) 524

# Standard model

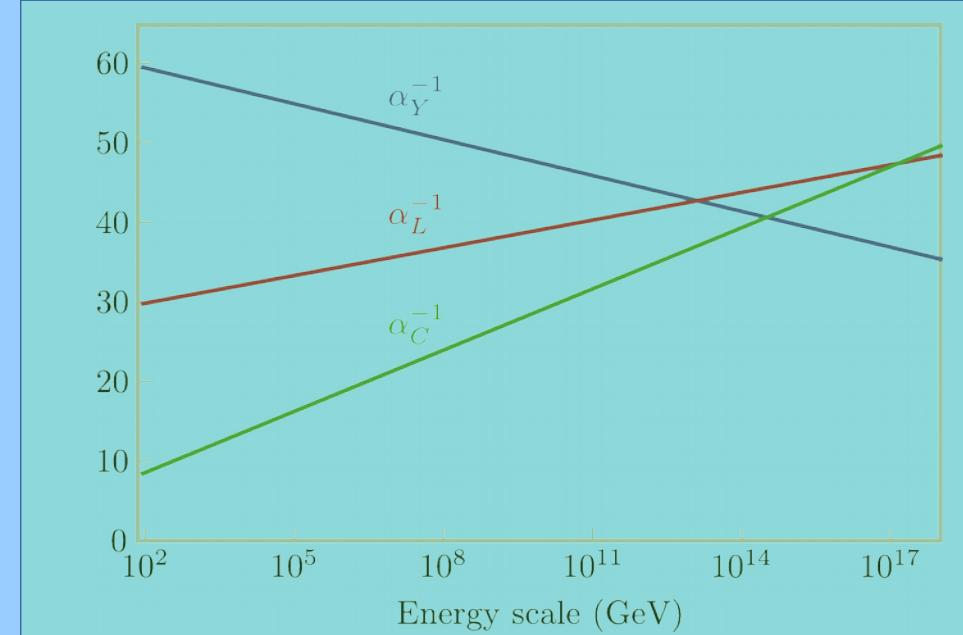
although unification is missed ...  
the trend is there ...



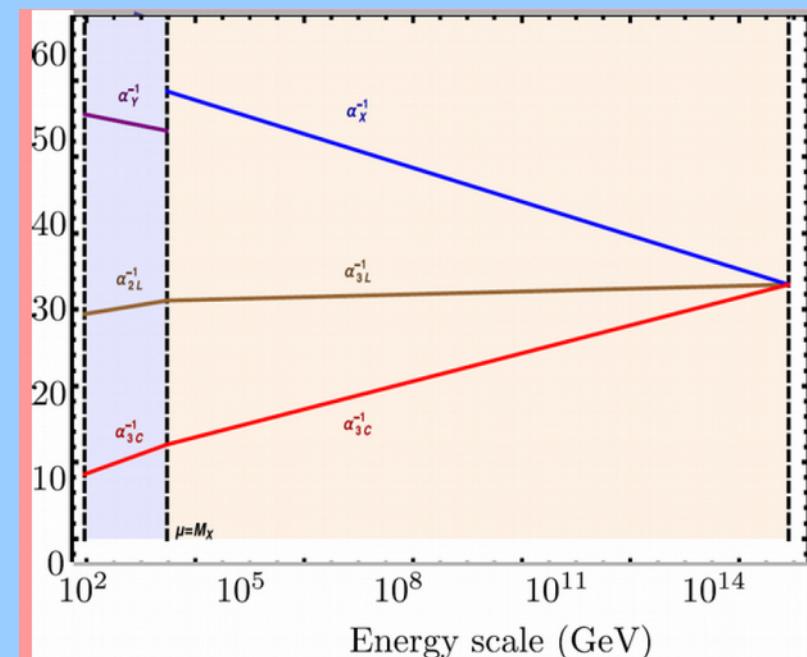
SUSY would make the gauge couplings unify at GUT scale,  
But ... so far no p decay nor super-partners ...

# Standard model

although unification is missed ...  
the trend is there ...



SUSY would make the gauge couplings unify at GUT scale,  
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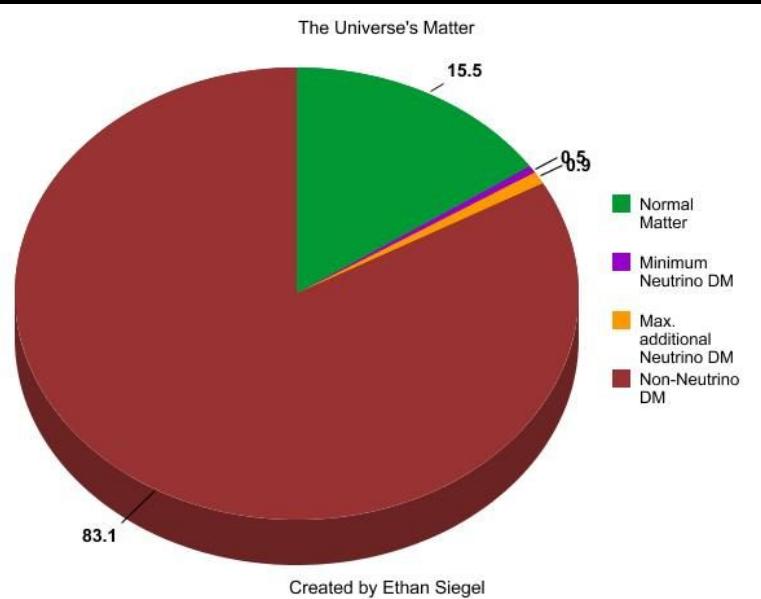
## neutrinos & unification

the physics responsible for neutrino masses  
may also induce gauge coupling unification

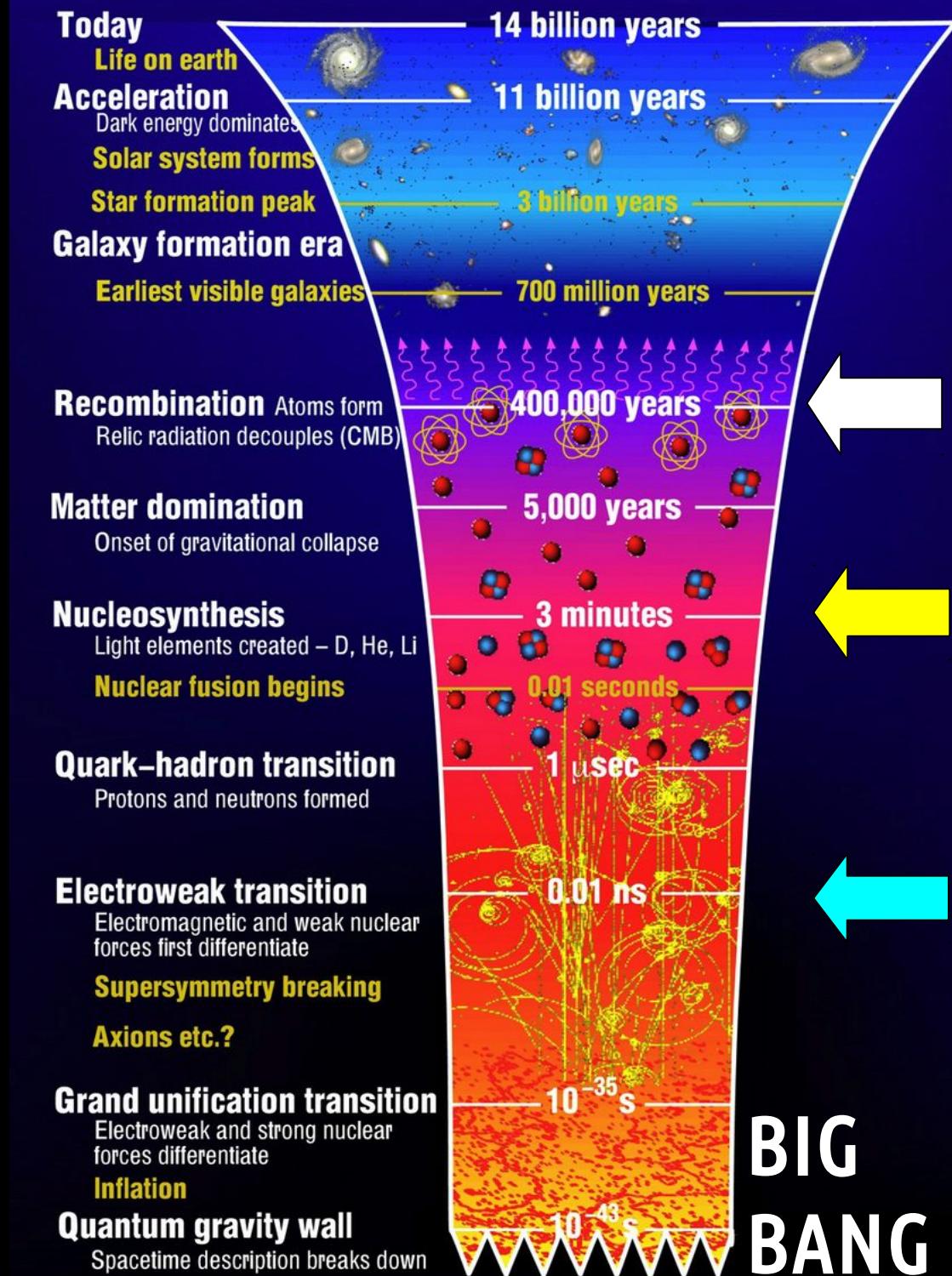
E(6) F-theory GUT

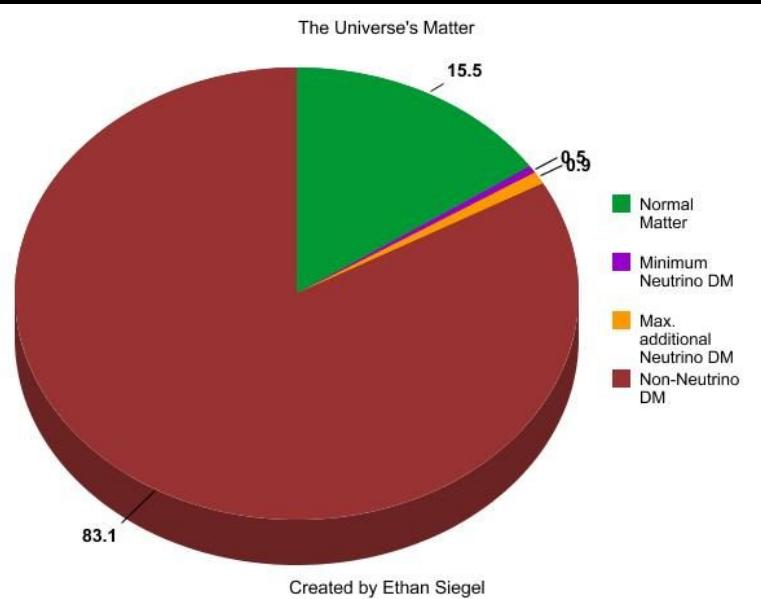
Boucenna et al Phys. Rev. D 91, 031702 (2015)

Deppisch et al Phys.Lett. B762 (2016) 432



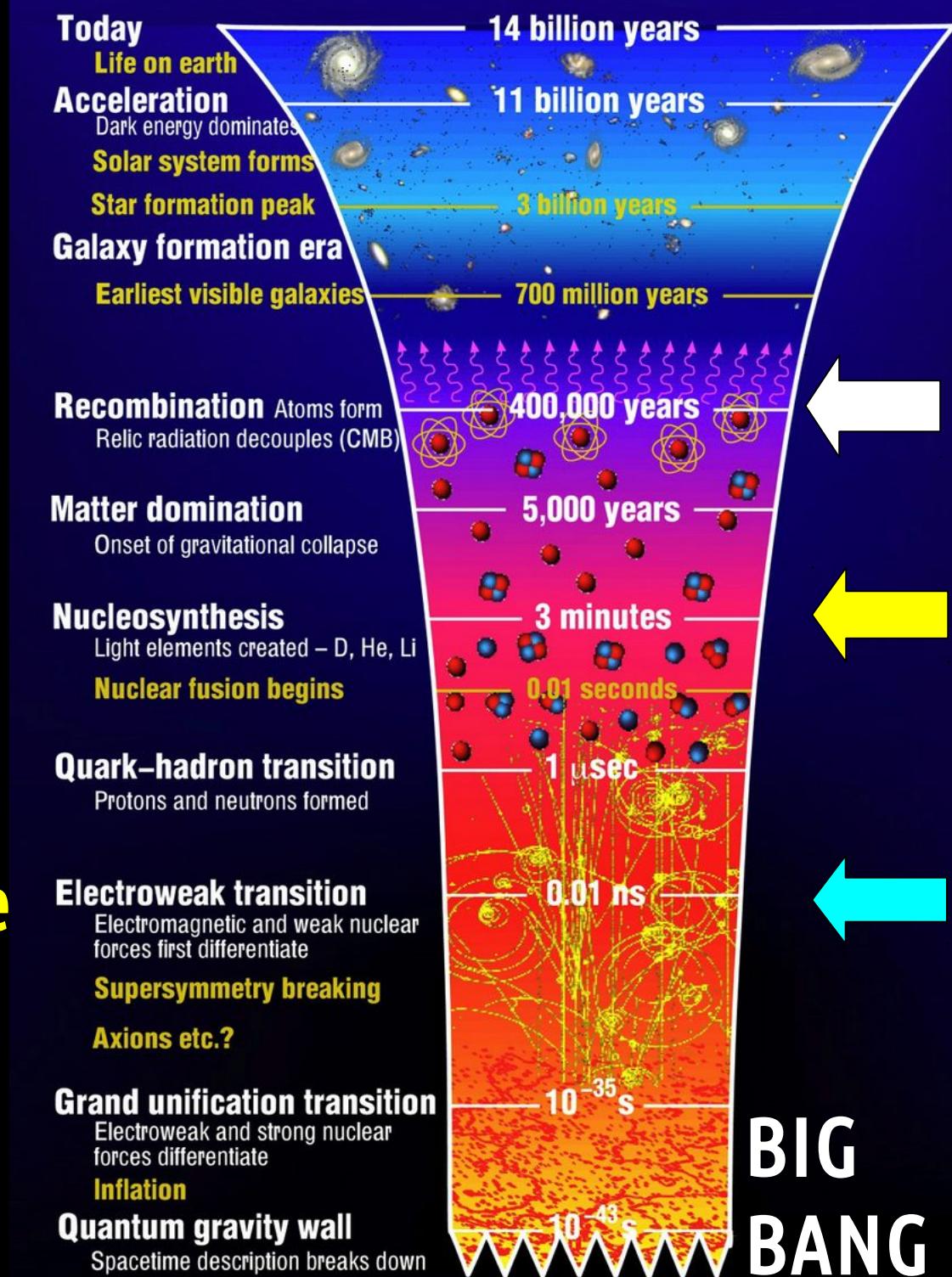
# need for dark matter



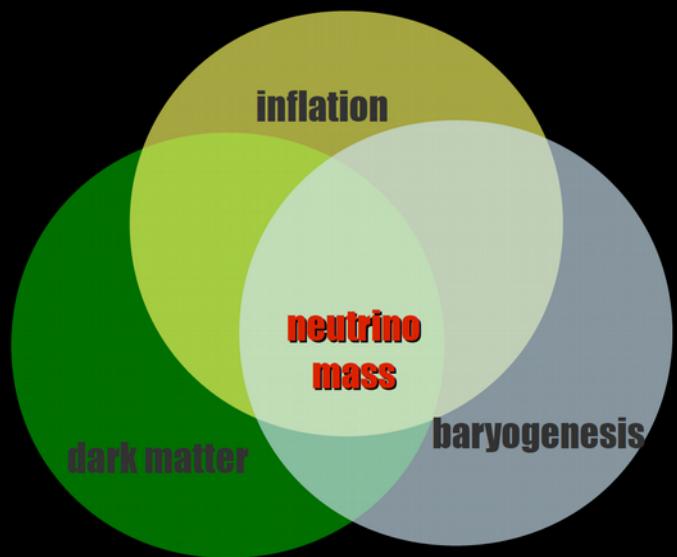


# need for dark matter

nu's at most 1% but can be  
key to understanding DM



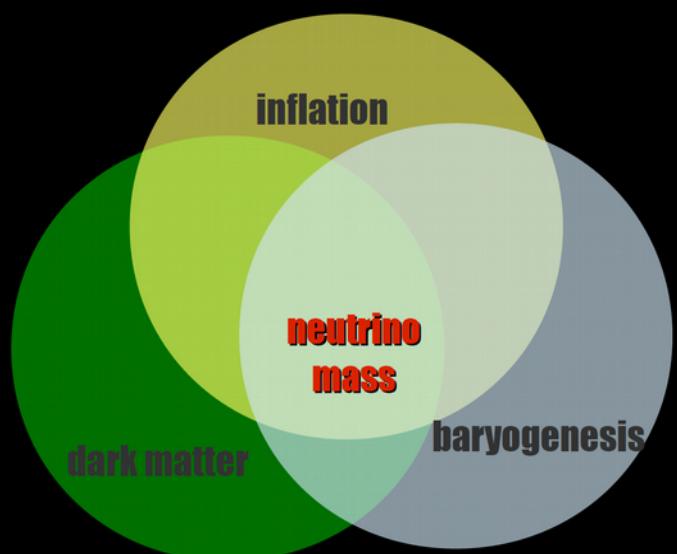
**neutrino mass generation  
may be key to DM and other  
cosmological puzzles**



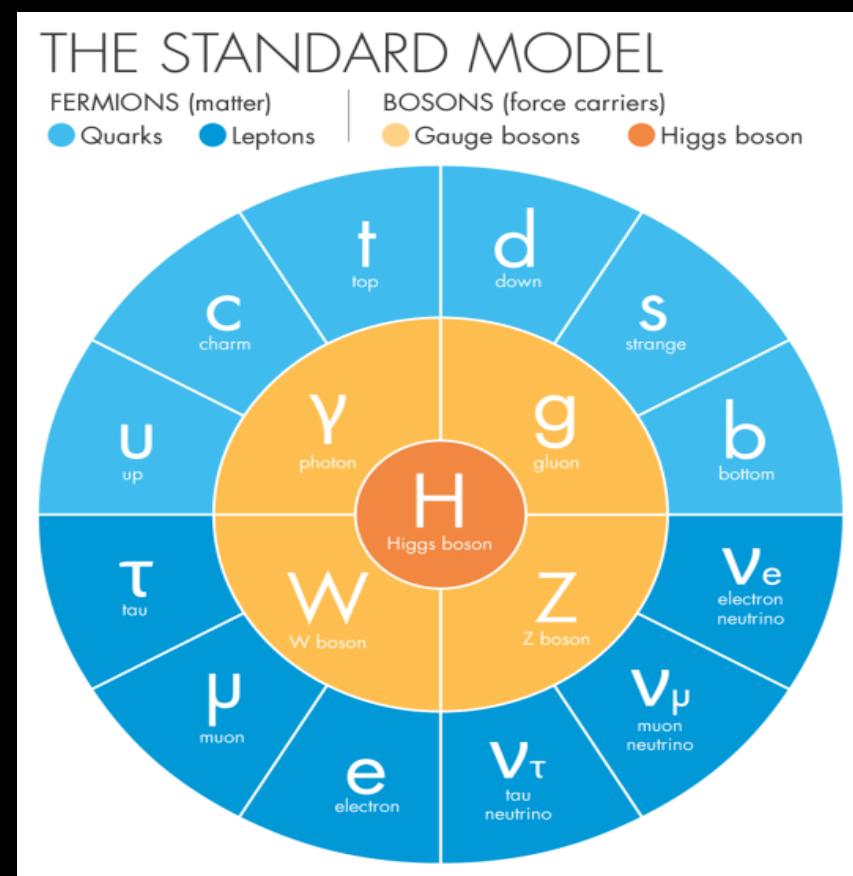
# take home

- › bright future for oscillation physics + nsi/non-unitarity
- › searching mediators via LFV @ HE colliders
- › neutrinos may shed light on flavor & unification
- › comprehensive unification: forces & families
- › neutrinos and EWSB

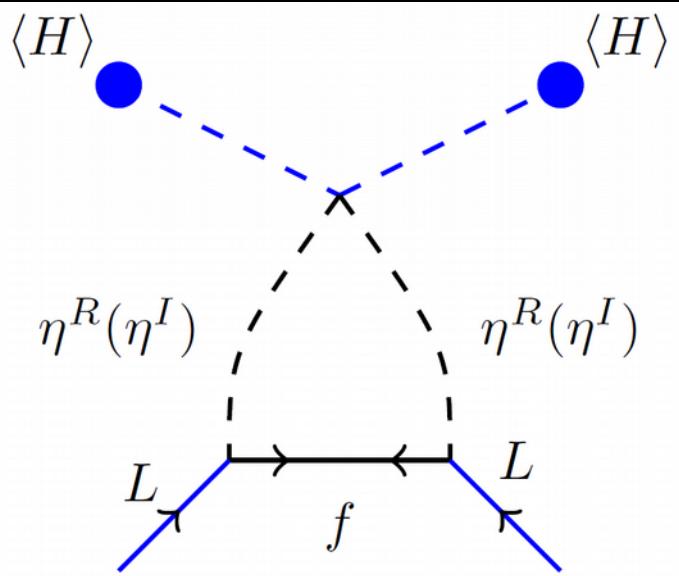
**neutrino mass generation  
may be key to DM and other  
cosmological puzzles**



*THE END*

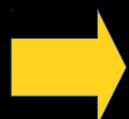


# Back-ups

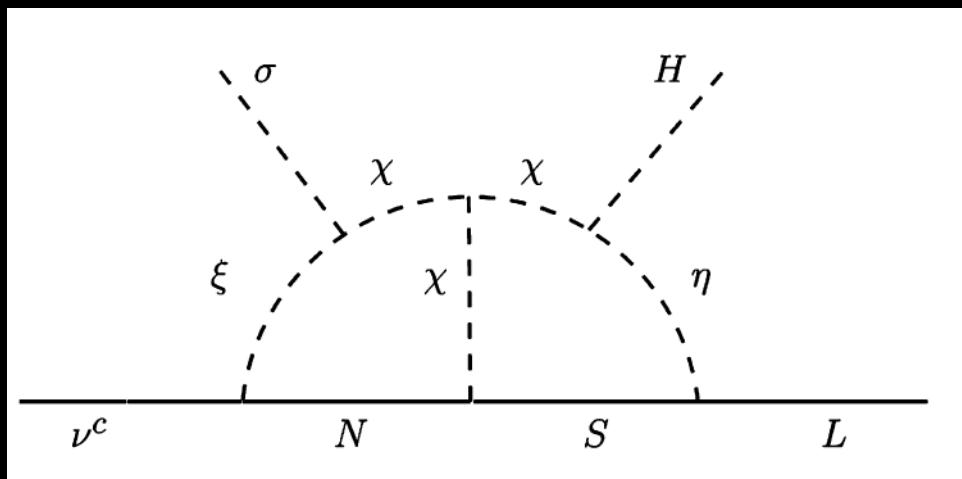


E Ma 2006 "scotogenic"  
 Hirsch et al JHEP 1310 (2013) 149  
 Merle et al JHEP 1607 (2016) 013  
 Diaz et al JHEP01(2016)007

**WIMP dark matter as  
neutrino mass mediator**

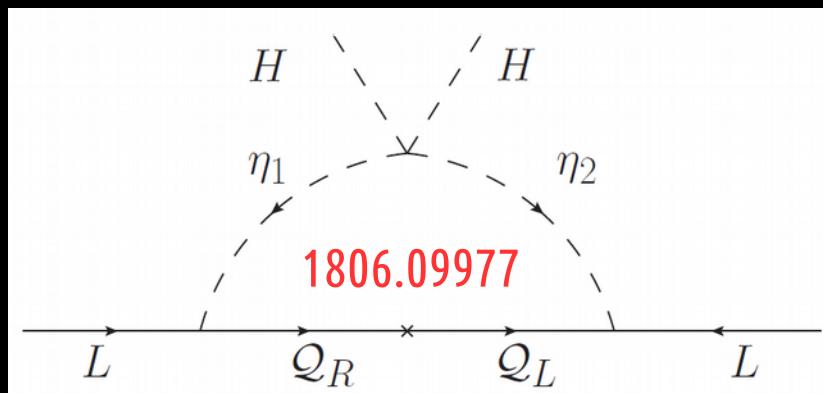


**Z2 preserved by RGE  
many variants, e.g.**



**See also scotogenic with  
Gauged matter parity arXiv:1902.05966**

# dark matter as bound-state of neutrino mass mediator



Reig, Restrepo, Valle, Zapata

De Luca, Mitridate, Redi, Smirnov, Strumia

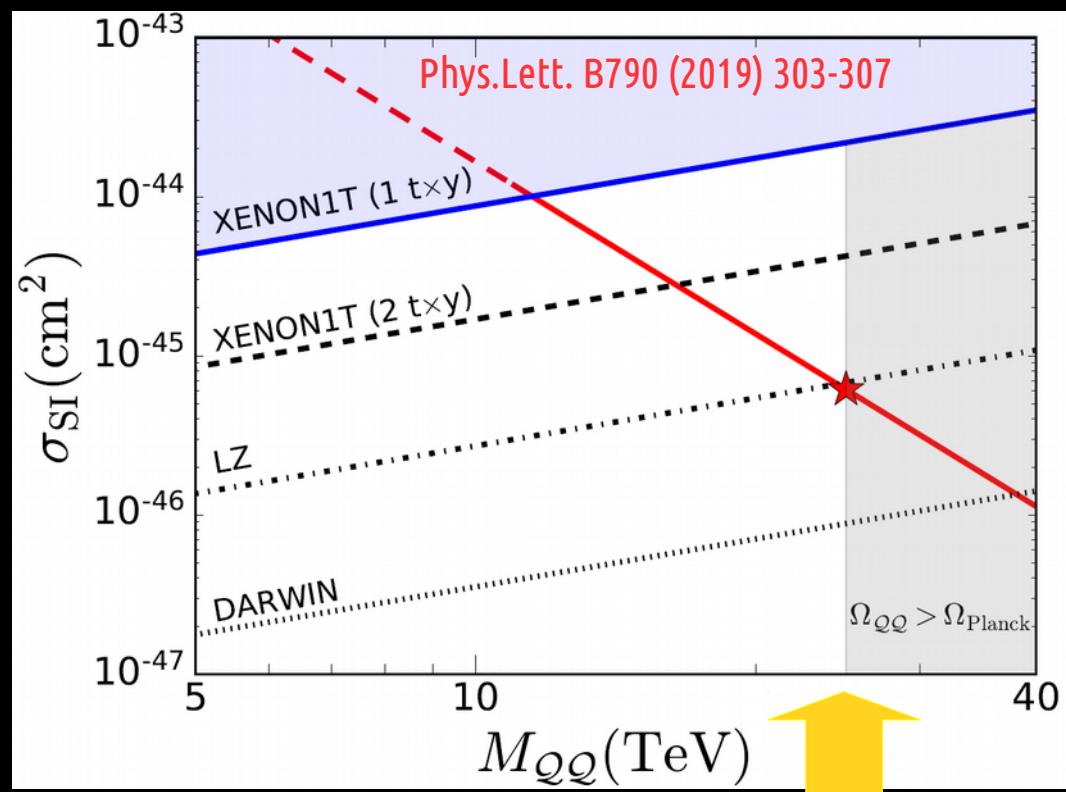
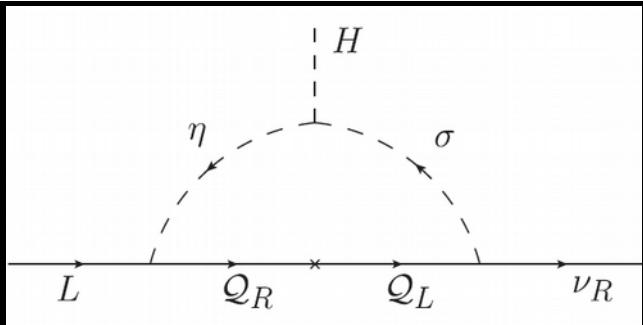


FIG. 2. Spin-independent cross section as a function of  $M_{QQ} = 2M_Q$  (red). The star represents the mass required for a thermal bound state 25 TeV dark matter. Lower values can be probed by direct searches, the current bound is indicated in blue, while the black lines (dashed, dotted and dot-dashed) correspond to future sensitivities.



Phys.Rev. D97 (2018) 115032

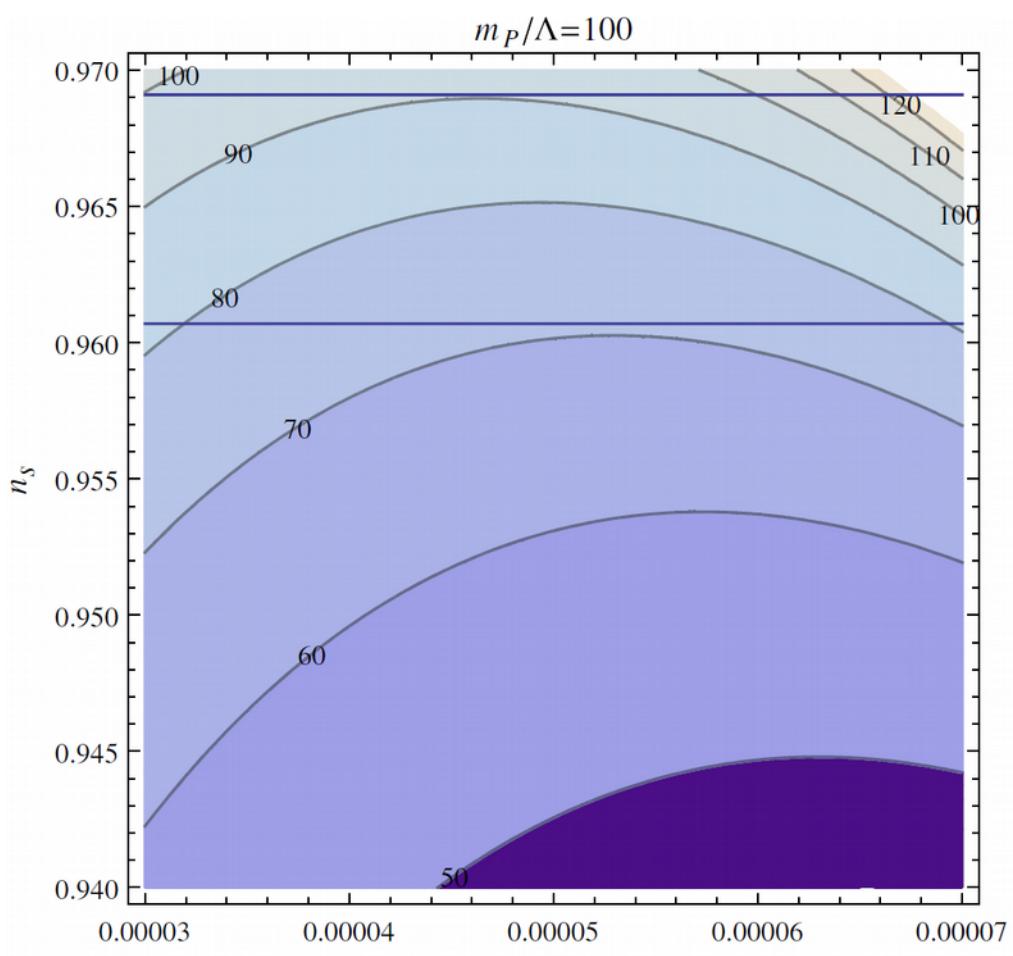
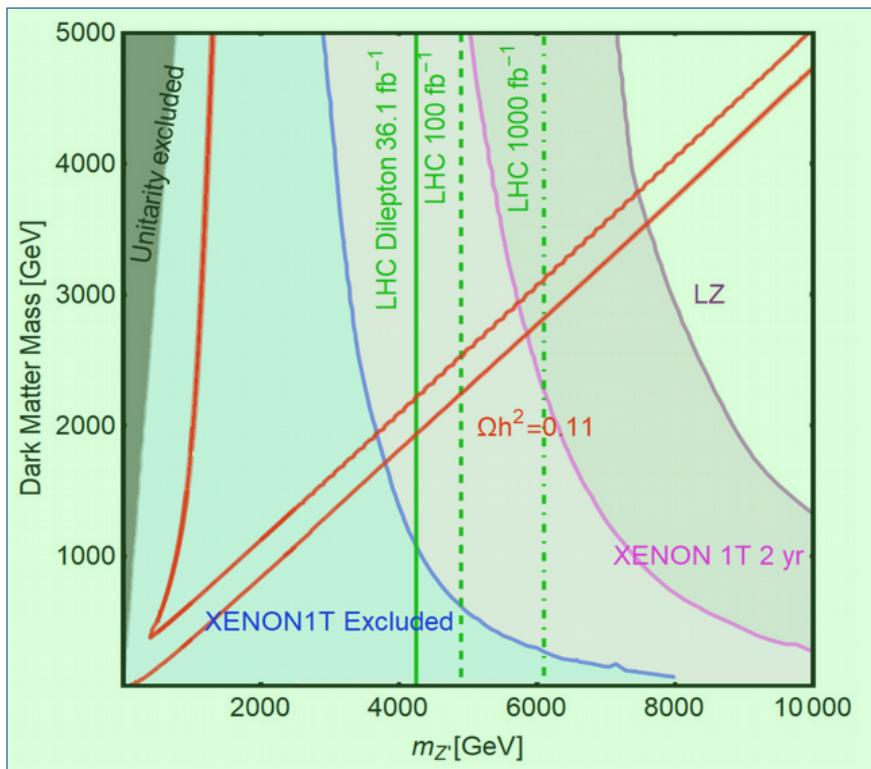
DM stability from Diracness

# cosmology from seesaw

Alves et al Phys.Lett. B772 (2017) 825–83

From Phys. Rev. D 99, 055040 (2019)

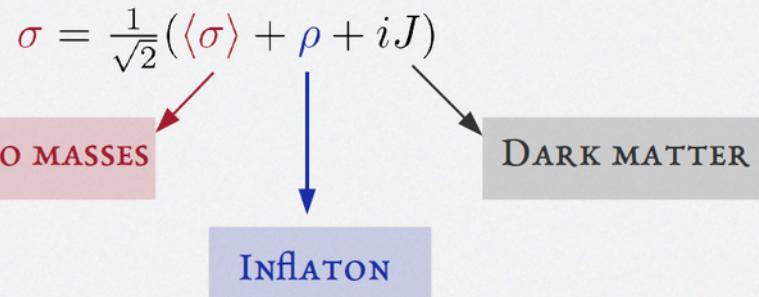
## WIMP Dirac dark matter



## DM stability from gauge matter parity

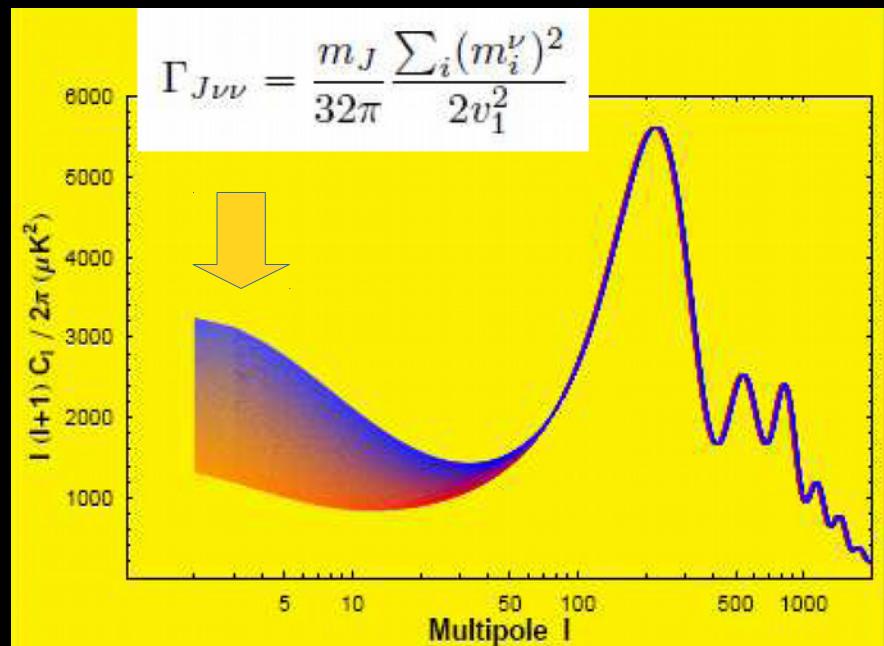
Asymmetric Dark Matter, Inflation and Leptogenesis from B-L Symmetry Breaking

# majoron dark matter



## Consistency with CMB

Lattanzi & Valle, PRL99 (2007) 121301



large  
scale  
structure

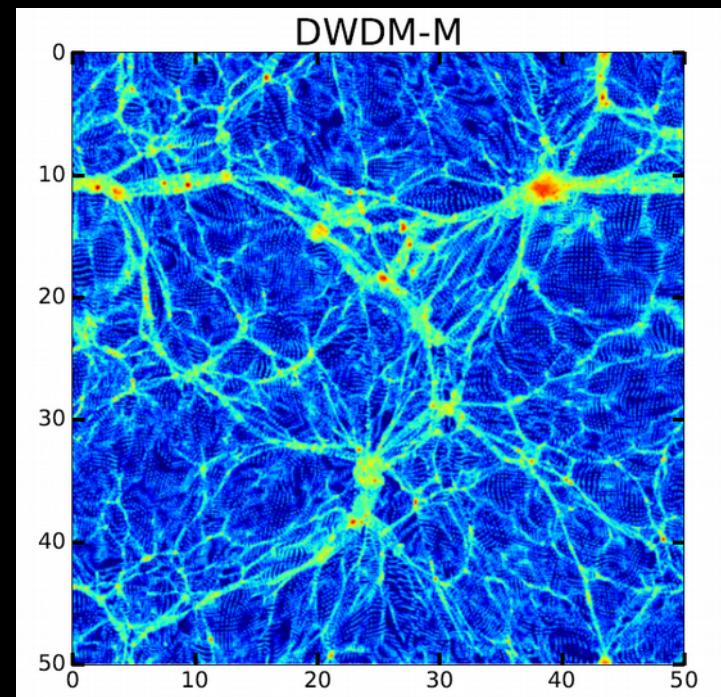
Kuo et al  
JCAP 1812 (2018) 026

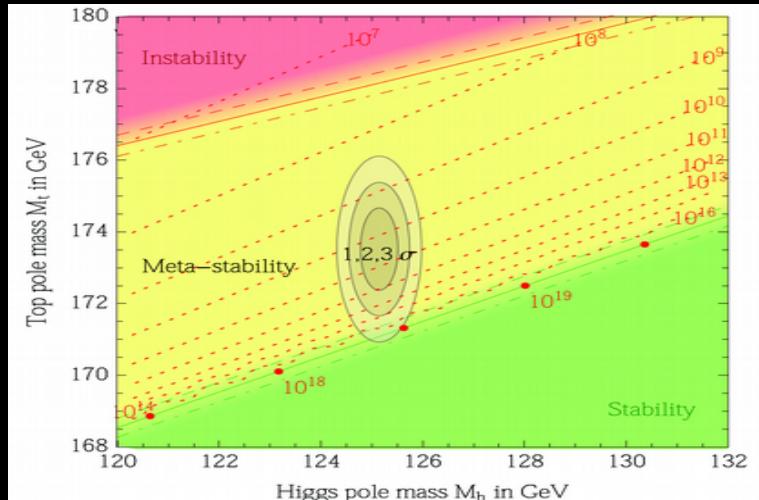
Berezinsky, Valle PLB318 (1993) 360  
Boucenna, Morisi, Shafi, Valle  
Phys.Rev. D90 (2014) 055023  
Aristizabal et al JCAP 1407 (2014) 052

## Seesaw leptogenesis & Inflation

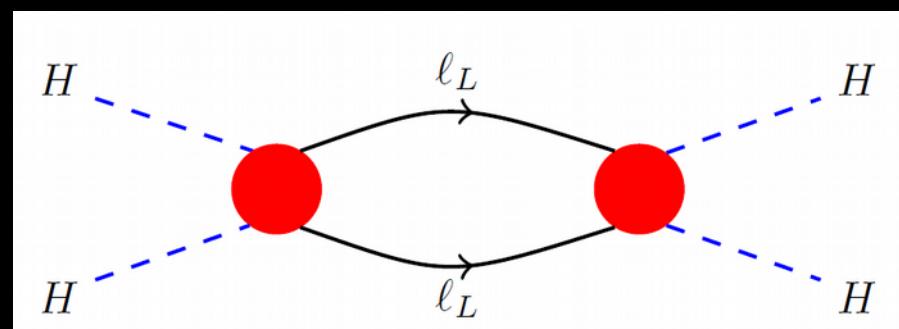
## X-rays from DM decay

Bazzocchi & al JCAP 0808 (2008) 013  
Esteves et al, PRD 82, 073008 (2010)  
Lattanzi et al PRD88 (2013) 063528





# neutrino mass & EW vacuum



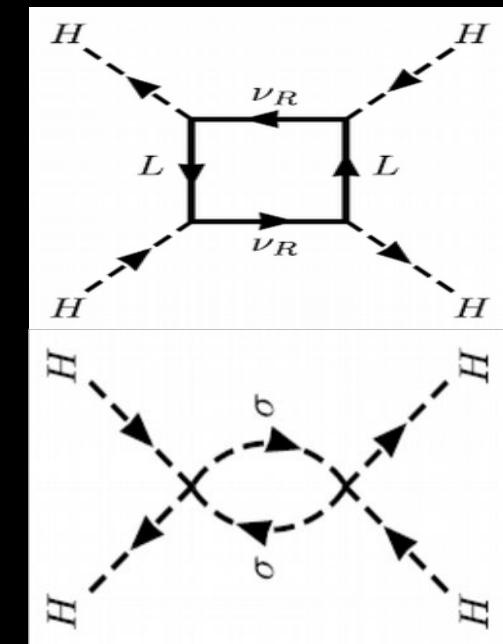
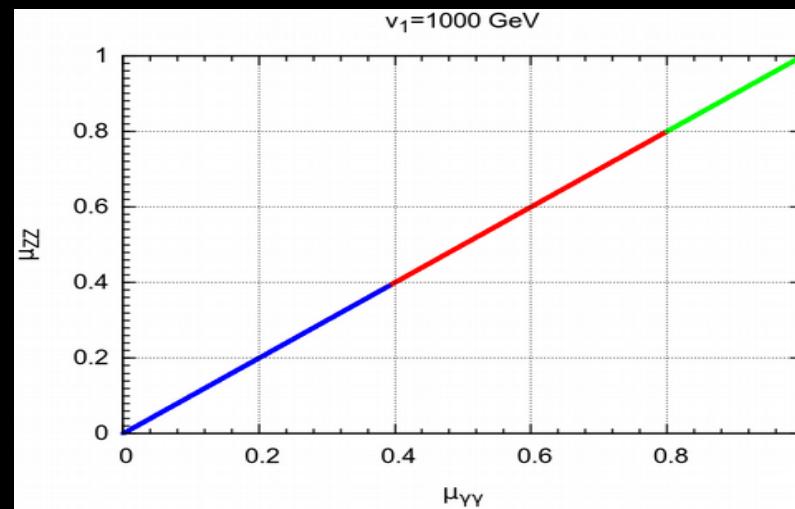
From Buttazzo et al: JHEP 1312 (2013) 089

Higgs searches Bonilla et al

Phys.Lett. B756 (2016) 345-349

New J. Phys. 18 (2016) 033033

Phys.Rev. D91 (2015) 113015



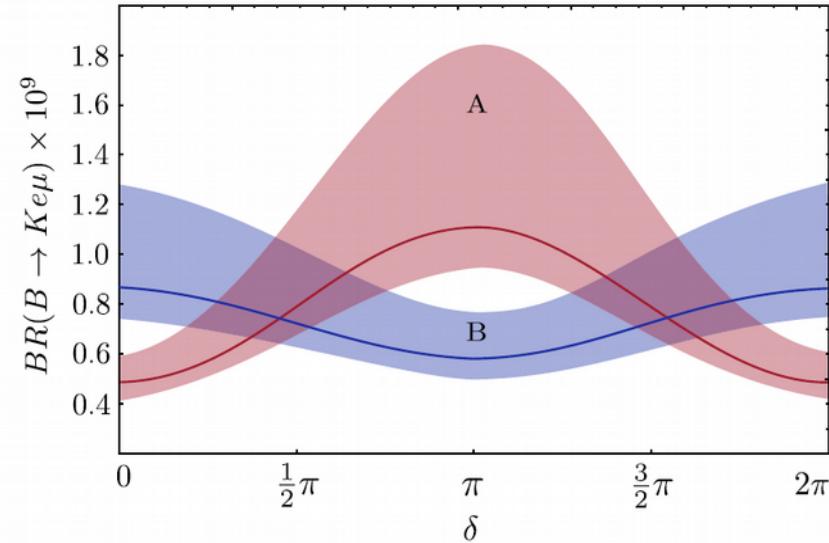
EW consistency also requires perturbative unitarity, etc

Phys.Rev. D92 (2015) 075028

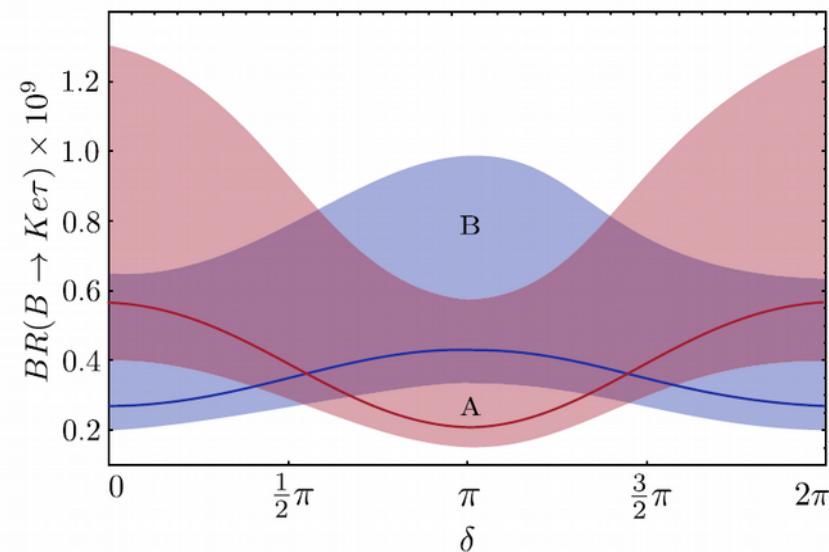
# Are the B decay anomalies related to neutrino oscillations?

Sofiane M. Boucenna <sup>a</sup>, José W.F. Valle <sup>b</sup>, Avelino Vicente <sup>b,c,\*</sup>

Phys.Lett. B750 (2015) 367-371

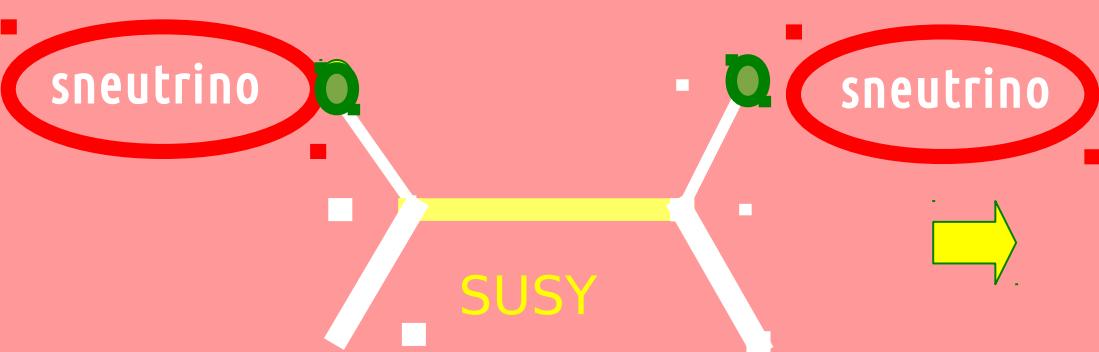


**Fig. 1.** The branching ratio of the decay  $B \rightarrow Ke\mu$  versus the CP violating phase  $\delta$  in scenarios A and B. The bands are obtained by taking the leptonic mixing angles within their  $1\sigma$  range w.r.t. the best-fit value (solid line) [26].

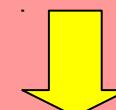


# SUSY origin of neutrino mass

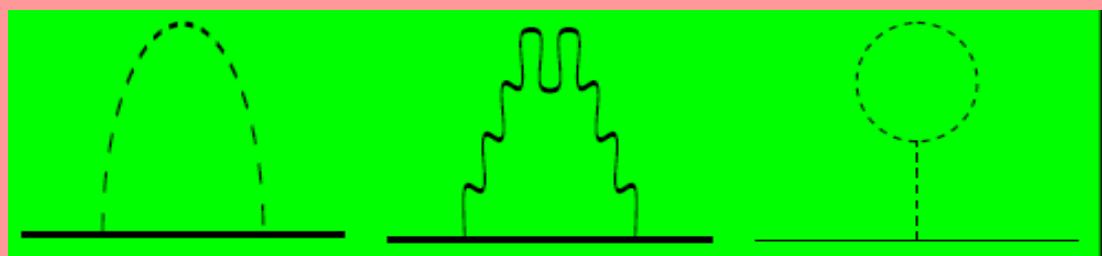
Masiero & Valle, PLB251 (1990) 273  
Bhattacharyya & Pal, PRD82 (2010) 055013



*EFF. BILINEAR RPV*



**ATM SCALE  
SUSY-SEESAW**



**SOLAR SCALE  
RADIATIVE**

Diaz et al PRD68 (2003) 013009, PRD62 (2000) 113008

Bazzocchi et al JHEP 01 (2013) 033 arXiv:1202.1529

# LIGHTEST NEUTRALINO DECAYS from cascade squark & gluino decays

De Campos et al  
Phys.Rev. D86 (2012) 075001

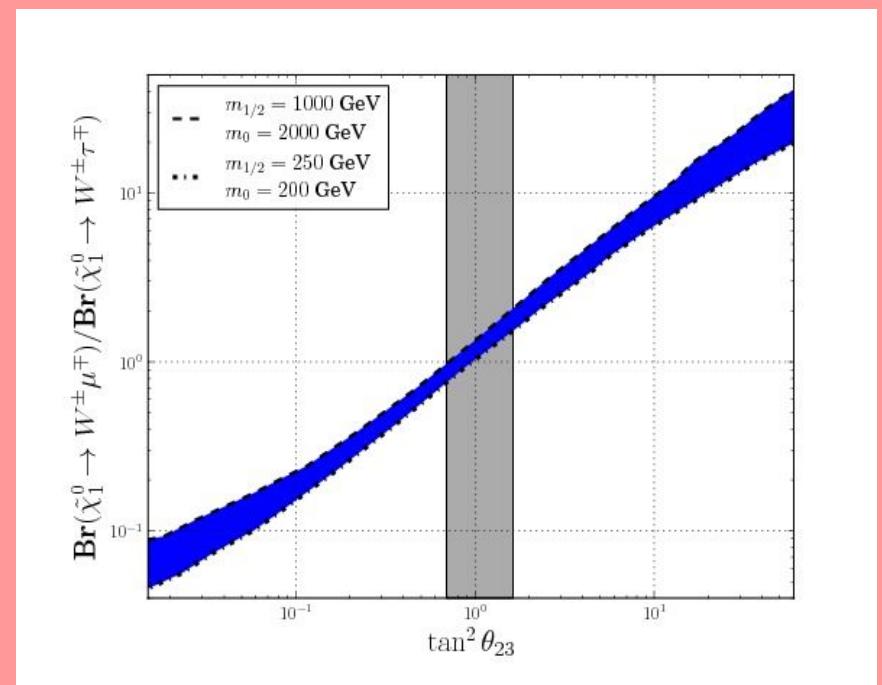
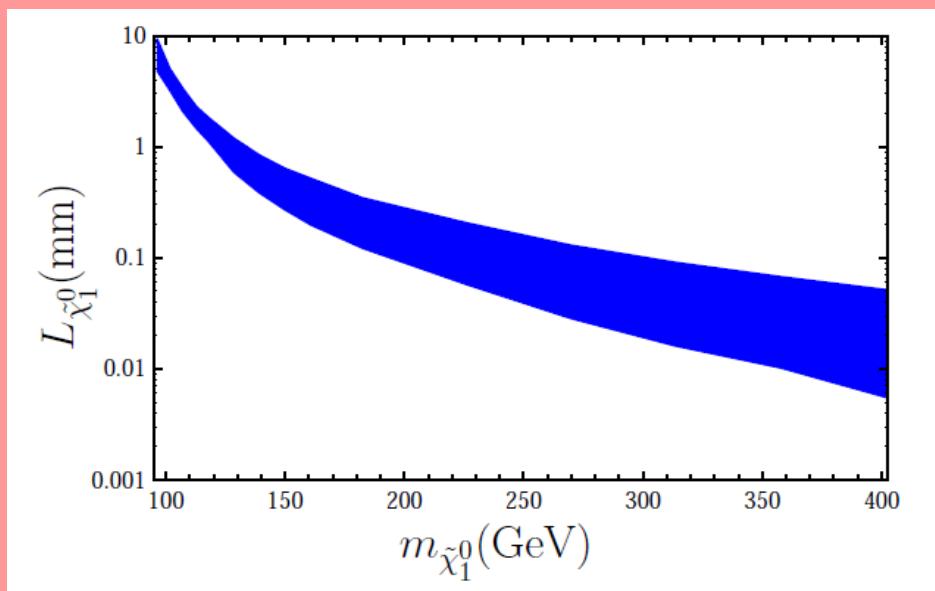
$$\tilde{\chi}_1^0 \rightarrow W^\pm l_i^\mp$$

$$\tilde{\chi}_1^0 \rightarrow Z^0 \nu_i$$



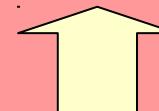
Lightest neutralino decay correlates with atm angle

Lightest neutralino decay length



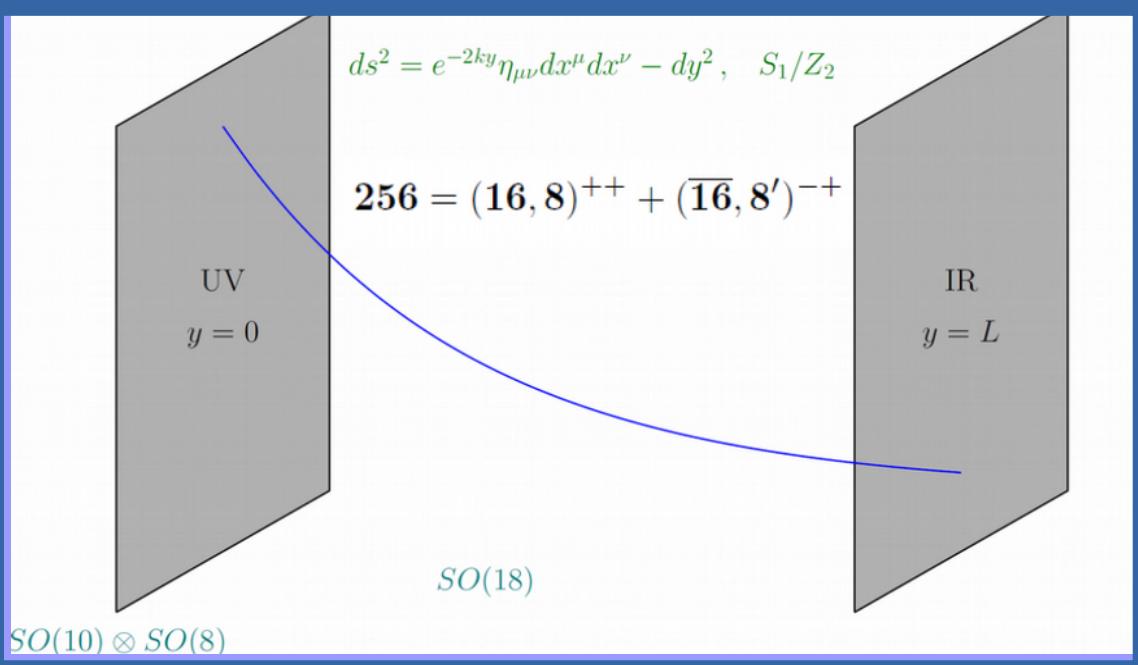
back

PROBING INUS @ LHC



# Unifying forces & families

inspired by beauty of neutrinos in SO10



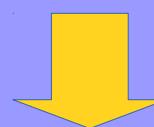
$$16 \rightarrow (3, 2, 1/6) + (1, 2, -1/2) + (\bar{3}, 1, 1/3) \\ + (\bar{3}, 1, -2/3) + (1, 1, 1) + (1, 1, 0),$$

Reig, Valle, Vaquera-Araujo, Wilczek

Phys.Lett. B774 (2017) 667-670

unwanted chiral families bound  
by new hypercolor force above TeV

**new spectroscopy**



promote M4 to AdS5 & use orbifold BC to decouple mirrors

## SO(3) family symmetry

Reig, JV, Wilczek

Phys.Rev. D98 (2018) 095008

	$q_L$	$u_R$	$d_R$	$l_L$	$e_R$	$\nu_R$	$\Phi^u$	$\Phi^d$	$\Psi^u$	$\Psi^d$	$\sigma$	$\rho$
$SU(3)_c$	3	3	3	1	1	1	1	1	1	1	1	1
$SU(2)_L$	2	1	1	2	1	1	2	2	2	2	1	1
$U(1)_Y$	$\frac{1}{6}$	$\frac{2}{3}$	$-\frac{1}{3}$	$-\frac{1}{2}$	-1	0	$-\frac{1}{2}$	$\frac{1}{2}$	$-\frac{1}{2}$	$\frac{1}{2}$	0	0
$SO(3)_F$	3	3	3	3	3	3	5	5	3	3	5	1
$U(1)_{PQ}$	1	-1	-1	1	-1	-1	2	2	2	2	2	2

