

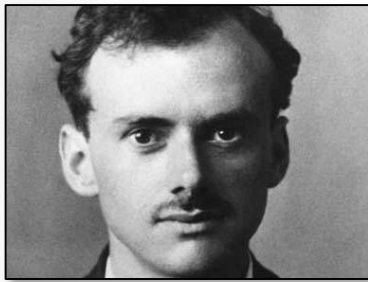
# Double Beta Decay and TeV Scale Physics

Frank Deppisch  
f.deppisch@ucl.ac.uk

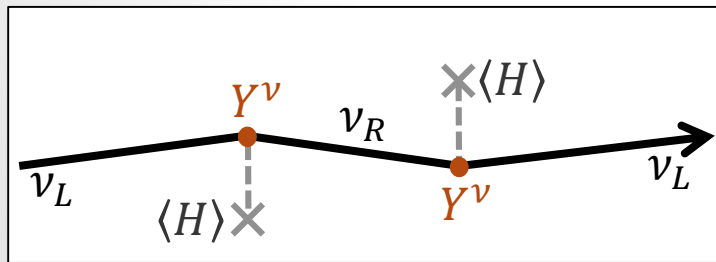
University College London

# Dirac vs Majorana

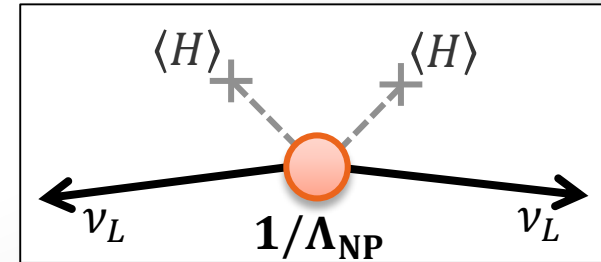
- ▶ Origin of neutrino masses beyond the Standard Model
- ▶ Two possibilities to define neutrino mass



Dirac mass analogous to other fermions but with  $m_\nu / \Lambda_{EW} \approx 10^{-12}$  couplings to Higgs



Majorana mass, using only a left-handed neutrino  
 → Lepton Number Violation

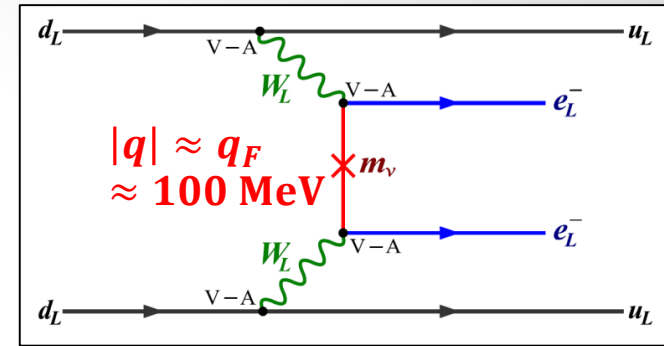


# Three Active Neutrinos

▶ Half-life

$$T_{1/2}^{-1} = |m_{\beta\beta}|^2 G^{0\nu} |M^{0\nu}|^2$$

▶ Particle Physics



$$\mathcal{A}_{\mu\nu}^{lep} = \frac{1}{4} \sum_{i=1}^3 U_{ei}^2 \gamma_\mu (1 + \gamma_5) \frac{\not{q} + m_{\nu_i}}{q^2 - m_{\nu_i}^2} \gamma_\nu (1 - \gamma_5) \approx \frac{\gamma_\mu (1 + \gamma_5) \gamma_\nu}{4q^2} \sum_{i=1}^3 U_{ei}^2 m_{\nu_i} \rightarrow m_{\beta\beta}$$

▶ Atomic Physics

- Leptonic phase space  $G^{0\nu} \propto Q^5$

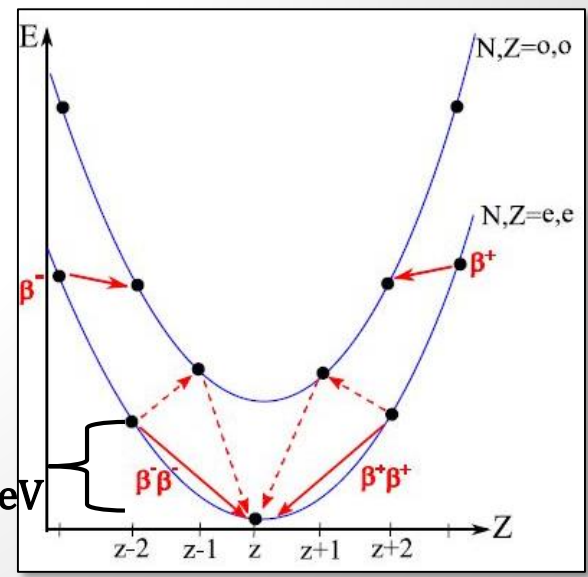
▶ Nuclear Physics

- Nuclear transition matrix element  $M^{0\nu} \approx 1$

$$T_{1/2}^{-1} \propto |m_{\beta\beta}|^2 q_F^2 G_F^4 Q^5$$

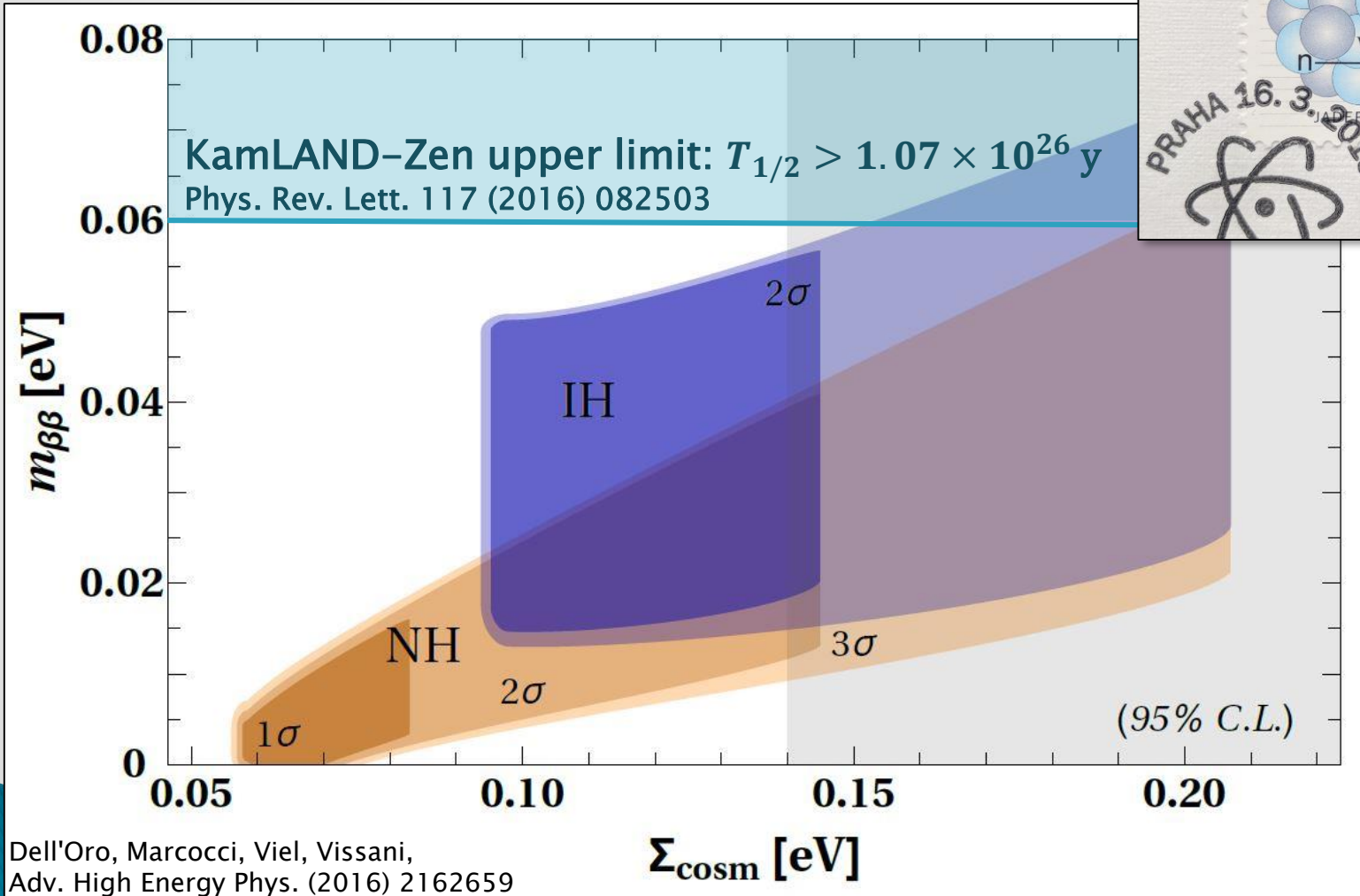
$$\frac{10^{25} y}{T_{1/2}} \approx \left( \frac{|m_{\beta\beta}|}{\text{eV}} \right)^2$$

$$Q + 2m_e \approx 3-5 \text{ MeV}$$

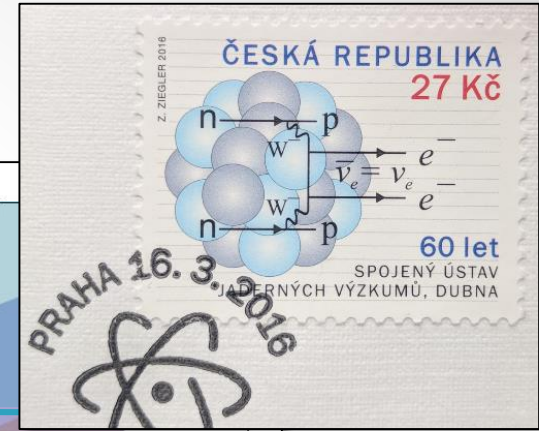


# Three Active Neutrinos

▶ Effective  $0\nu\beta\beta$  Mass



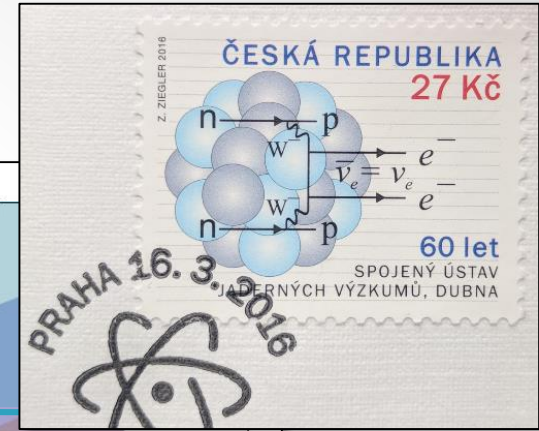
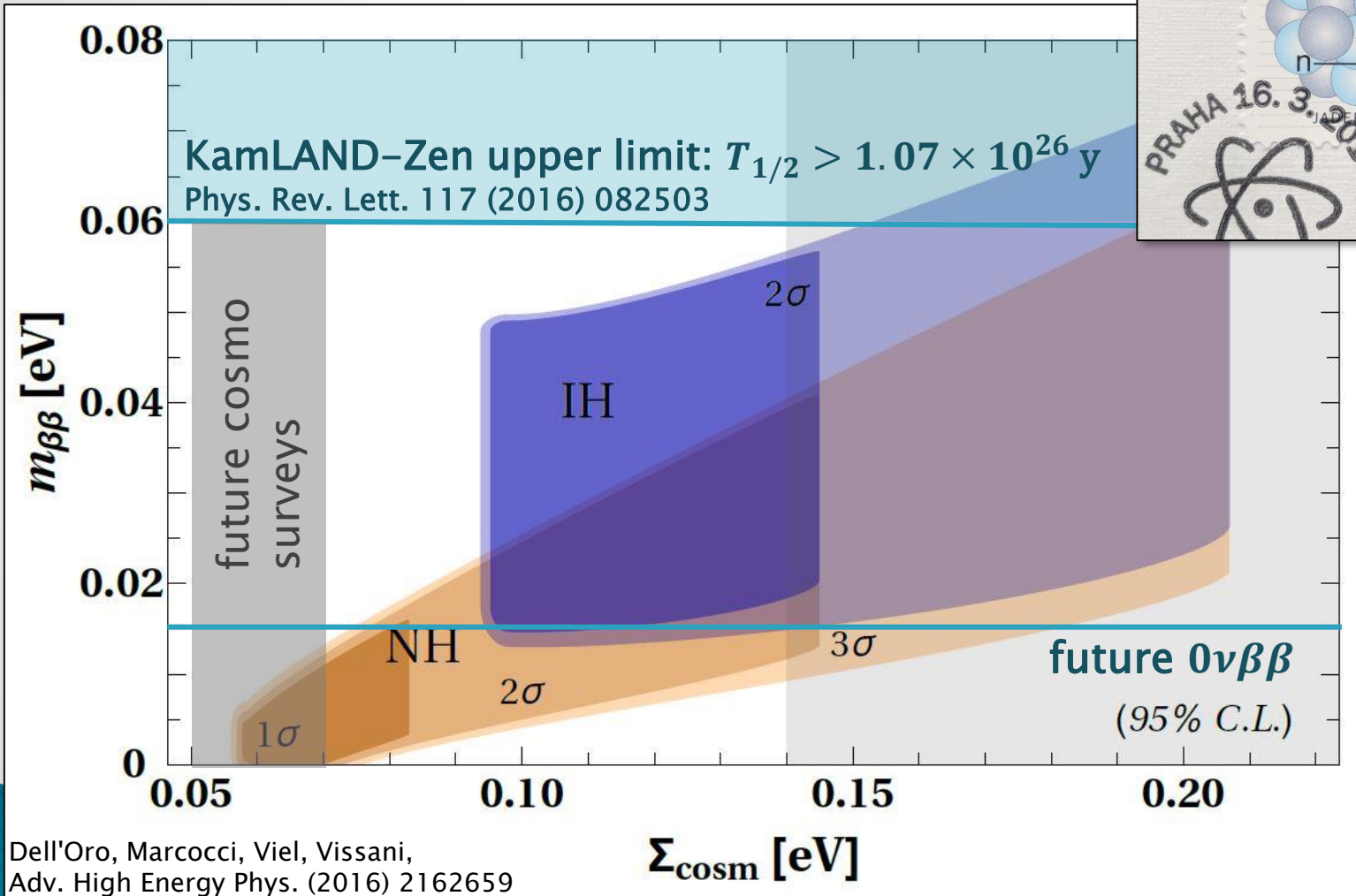
Dell'Oro, Marcocci, Viel, Vissani,  
 Adv. High Energy Phys. (2016) 2162659





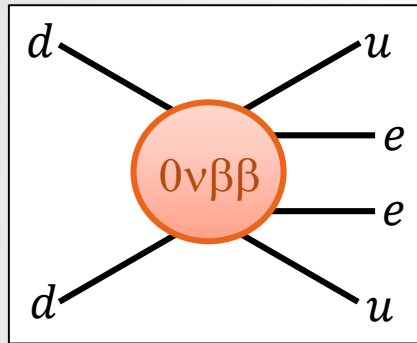
# Three Active Neutrinos

▶ Effective  $0\nu\beta\beta$  Mass

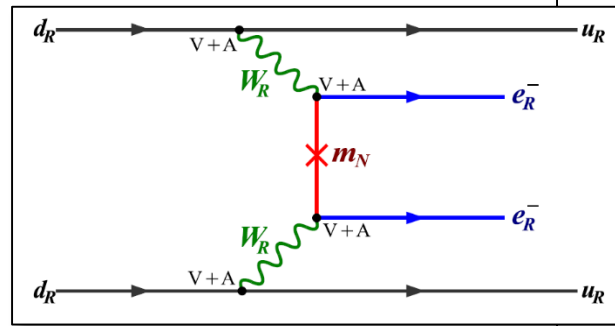


# New Physics and $0\nu\beta\beta$

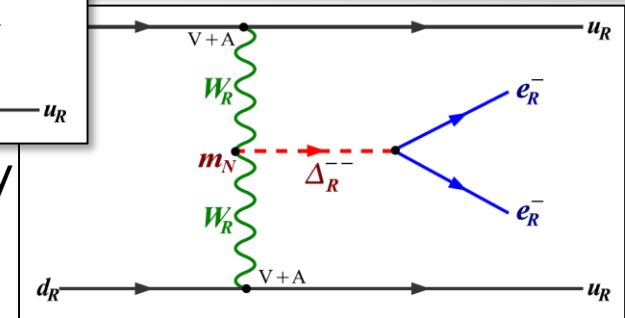
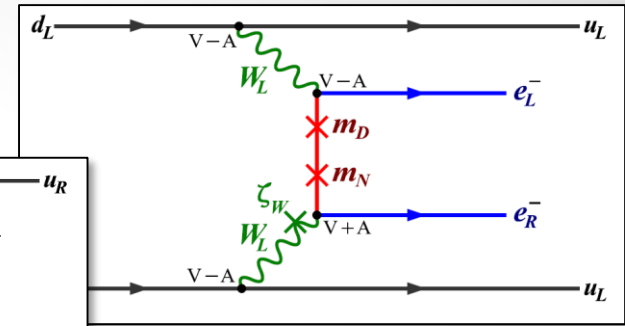
► Plethora of New Physics scenarios



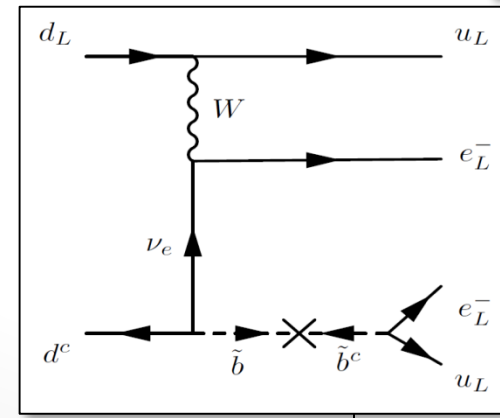
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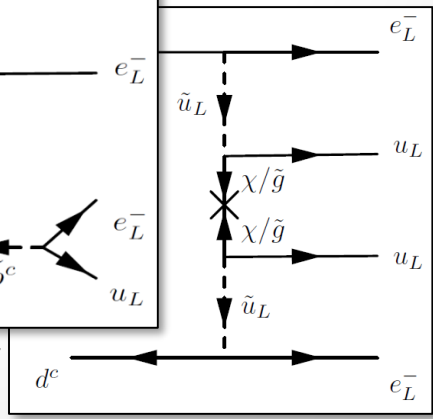
Left-Right Symmetry



$$T_{1/2}^{-1} = \epsilon_{NP}^2 G_{NP}^{0\nu} |M_{NP}^{0\nu}|^2$$



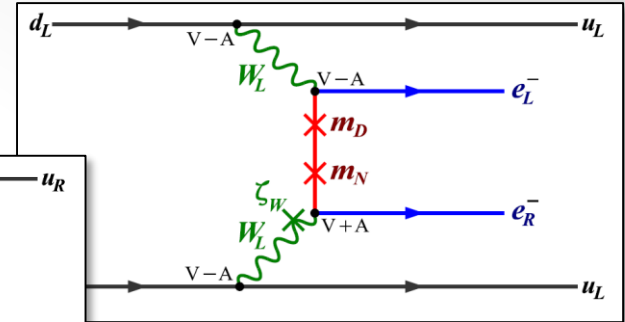
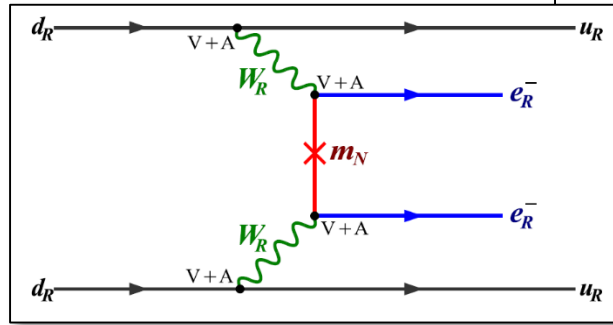
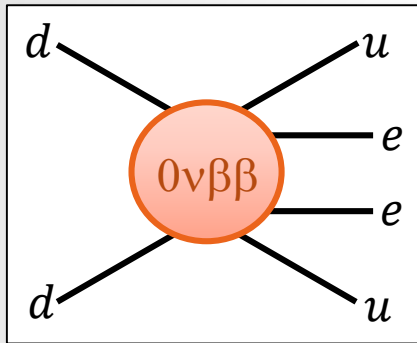
R-Parity Violating SUSY



- Extra Dimensions
- Majorons
- Leptoquarks
- ...

# New Physics and $0\nu\beta\beta$

## Examples in Left-Right Symmetry

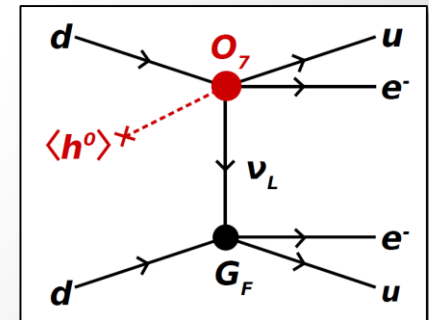
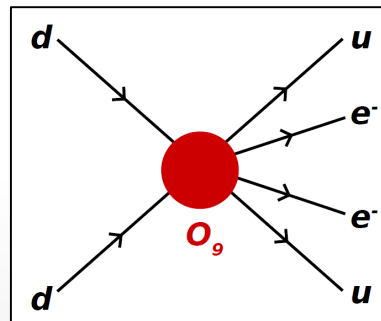


$$T_{1/2}^{-1} = \epsilon_{NP}^2 G_{NP}^{0\nu} |M_{NP}^{0\nu}|^2$$

$$\epsilon_3^{RRZ} = \sum_{i=1}^3 V_{ei}^2 \frac{m_p}{m_N} \frac{m_W^4}{m_{WR}^4} \approx \frac{10^{-8}}{(\Lambda/1 \text{ TeV})^5}$$

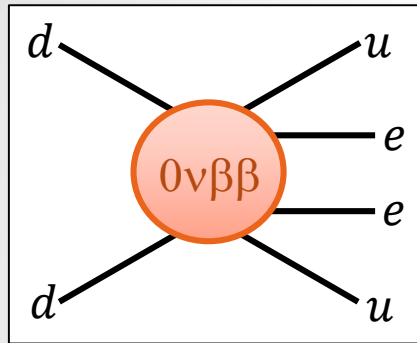
$$\epsilon_{V-A}^{V+A} = \sum_{i=1}^3 U_{ei} W_{ei} \tan \zeta_W \approx \frac{10^{-9}}{(\Lambda/10 \text{ TeV})^3}$$

- ▶  $0\nu\beta\beta$  probes the TeV scale
- ▶ Limits on 6D and 9D eff. operators

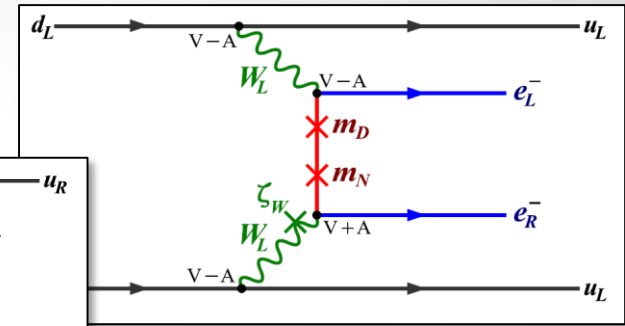
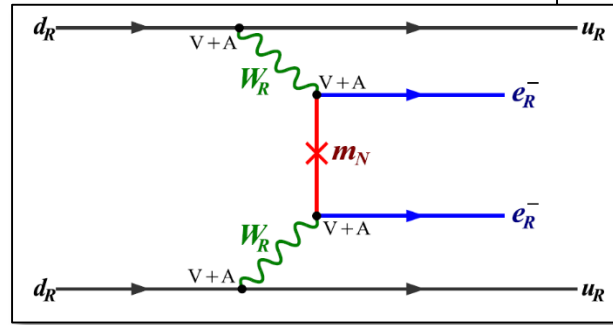


# New Physics and $0\nu\beta\beta$

## Examples in Left-Right Symmetry



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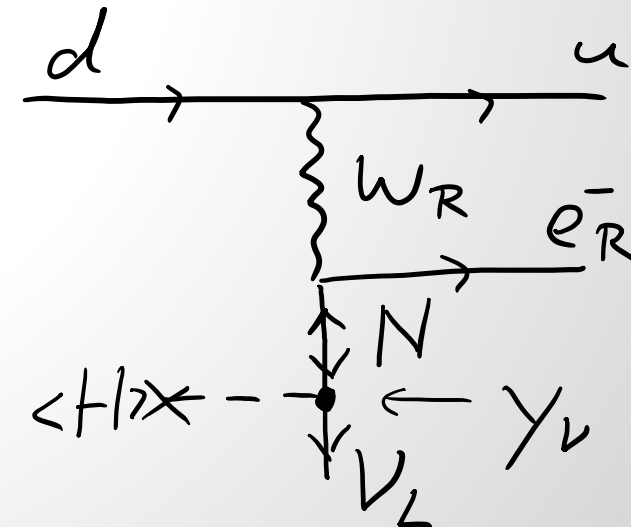
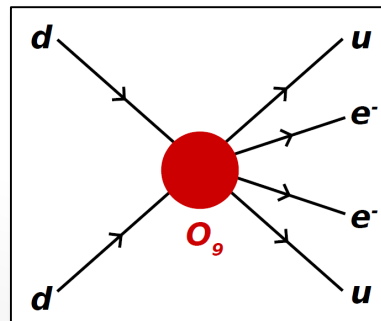


$$T_{1/2}^{-1} = \epsilon_{NP}^2 G_{NP}^{0\nu} |M_{NP}^{0\nu}|^2$$

- ▶  $0\nu\beta\beta$  probes the TeV scale
- ▶ Limits on 6D and 9D eff. operators

$$\epsilon_3^{RRZ} = \sum_{i=1}^3 V_{ei}^2 \frac{m_p}{m_N} \frac{m_W^4}{m_{WR}^4} \approx \frac{10^{-8}}{(\Lambda/1 \text{ TeV})^5}$$

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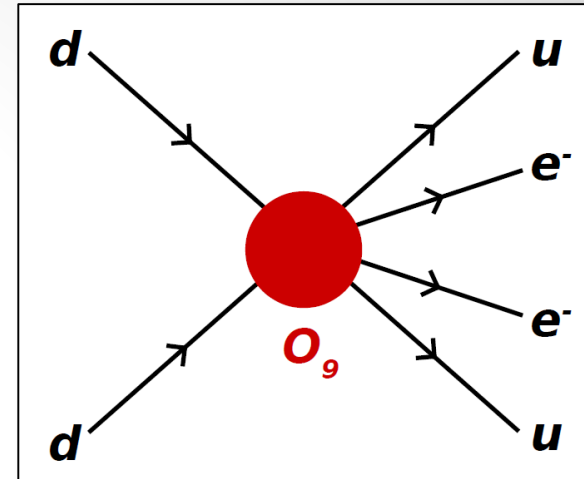
# Short-Range Mechanisms

- ▶ Evaluation of limits on short-range operators

(Graf, FFD, Iachello, Kotila, PRD 98, 095023)

- General parton level operators (Paes et al. '01)

$$L = \frac{G_F^2}{2m_p} (\epsilon_1 J J j + \epsilon_2 J^{\mu\nu} J_{\mu\nu} j + \epsilon_3 J^\mu J_\nu j + \epsilon_4 J^\mu J_{\mu\nu} j^\nu + \epsilon_5 J^\mu J j_\mu)$$

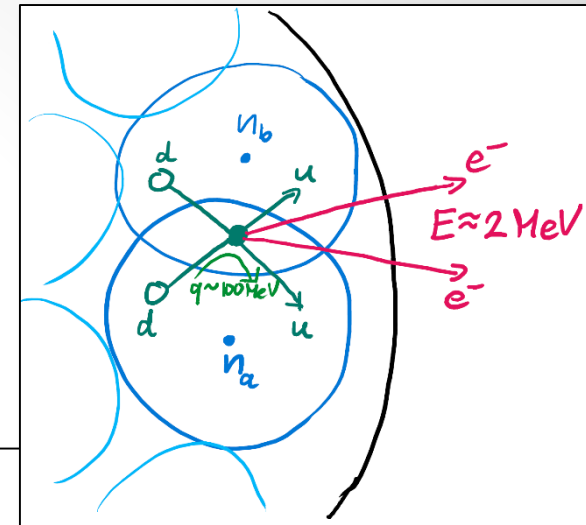


# Short-Range Mechanisms

## ► Evaluation of limits on short-range operators

(Graf, FFD, Iachello, Kotila, PRD 98, 095023)

- General parton level operators (Paes et al. '01)
- Nucleon currents



$$\langle p | \bar{u}(1 \pm \gamma_5)d | n \rangle = \bar{N}\tau^+ [F_S(q^2) \pm F_{PS}(q^2)\gamma_5] N',$$

$$\langle p | \bar{u}\gamma^\mu(1 \pm \gamma_5)d | n \rangle = \bar{N}\tau^+ \left[ F_V(q^2)\gamma^\mu - i\frac{F_W(q^2)}{2m_p}\sigma^{\mu\nu}q_\nu \right] N' \\ \pm \bar{N}\tau^+ \left[ F_A(q^2)\gamma^\mu\gamma_5 - \frac{F_P(q^2)}{2m_p}\gamma_5q^\mu \right] N',$$

$$\langle p | \bar{u}\sigma^{\mu\nu}(1 \pm \gamma_5)d | n \rangle = \bar{N}\tau^+ \left[ J^{\mu\nu} \pm \frac{i}{2}\epsilon^{\mu\nu\rho\sigma}J_{\rho\sigma} \right] N',$$

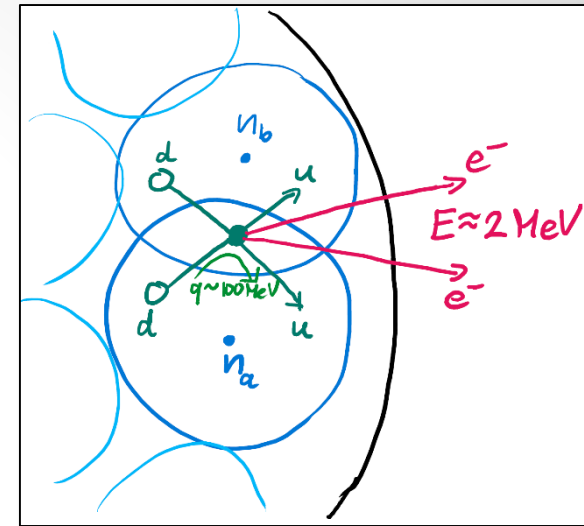
$$J^{\mu\nu} = F_{T_1}(q^2)\sigma^{\mu\nu} + i\frac{F_{T_2}(q^2)}{m_p}(\gamma^\mu q^\nu - \gamma^\nu q^\mu) + \frac{F_{T_3}(q^2)}{m_p^2}(\sigma^{\mu\rho}q_\rho q^\nu - \sigma^{\nu\rho}q_\rho q^\mu).$$

# Short-Range Mechanisms

## ► Evaluation of limits on short-range operators

(Graf, FFD, Iachello, Kotila, PRD 98, 095023)

- General parton level operators (Paes et al. '01)
- Nucleon currents
- Nucleon form factors



$$F_S(q^2) = \frac{g_S}{(1 + q^2/m_V^2)^2}, \quad g_S = 1.0 \quad [42],$$

$$F_{PS}(q^2) = \frac{g_{PS}}{(1 + q^2/m_V^2)^2} \frac{1}{1 + q^2/m_\pi^2}, \quad g_{PS} = 349 \quad [42],$$

$$F_V(q^2) = \frac{g_V}{(1 + q^2/m_V^2)^2}, \quad g_V = 1.0,$$

$$F_W(q^2) = \frac{g_W}{(1 + q^2/m_V^2)^2}, \quad g_W = 3.7,$$

$$F_A(q^2) = \frac{g_A}{(1 + q^2/m_A^2)^2}, \quad g_A = 1.27 \quad [43],$$

$$F_P(q^2) = \frac{g_P}{(1 + q^2/m_A^2)^2} \frac{1}{1 + q^2/m_\pi^2}, \quad g_P = 4g_A \frac{m_p^2}{m_\pi^2} \left(1 - \frac{m_\pi^2}{m_A^2}\right) = 231 \quad [44],$$

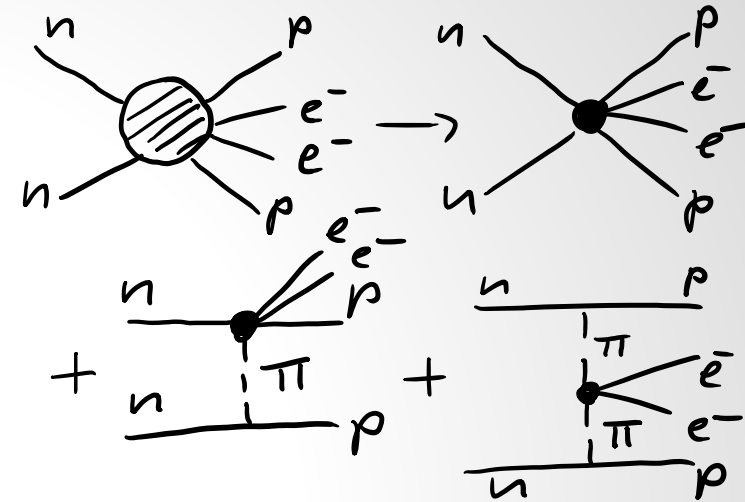
$$F_{T_i}(q^2) = \frac{g_{T_i}}{(1 + q^2/m_V^2)^2}, \quad g_{T_{1,2,3}} = 1.0, -3.3, 1.34 \quad [40].$$

# Short-Range Mechanisms

## ► Evaluation of limits on short-range operators

(Graf, FFD, Iachello, Kotila, PRD 98, 095023)

- General parton level operators (Paes et al. '01)
- Nucleon currents
- Nucleon form factors



## Pion-mediated contributions

- R-parity violating SUSY (Faessler, Kovalenko, Simkovic, Schwieger, Phys.Rev.Lett. 78 (1997) 183)
- Chiral EFT with Pion operators from Lattice QCD (Cirigliano, Dekens, de Vries, Graesser, Mereghetti, JHEP 1812 (2018) 097)

$$F_S(q^2) = \frac{g_S}{(1 + q^2/m_V^2)^2}, \quad g_S = 1.0 \text{ [42]},$$

$$F_{PS}(q^2) = \frac{g_{PS}}{(1 + q^2/m_V^2)^2} \frac{1}{1 + q^2/m_\pi^2}, \quad g_{PS} = 349 \text{ [42]},$$

$$F_V(q^2) = \frac{g_V}{(1 + q^2/m_V^2)^2}, \quad g_V = 1.0,$$

$$F_W(q^2) = \frac{g_W}{(1 + q^2/m_V^2)^2}, \quad g_W = 3.7,$$

$$F_A(q^2) = \frac{g_A}{(1 + q^2/m_A^2)^2}, \quad g_A = 1.27 \text{ [43]},$$

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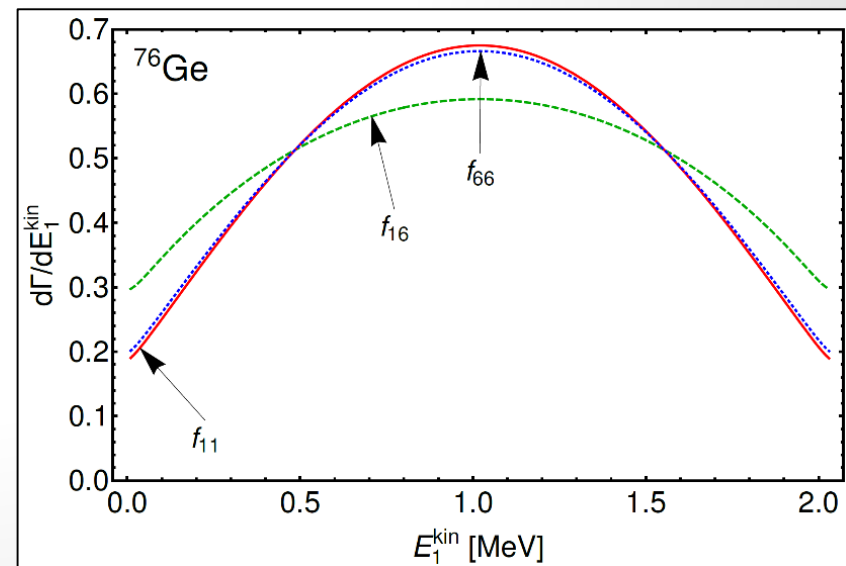
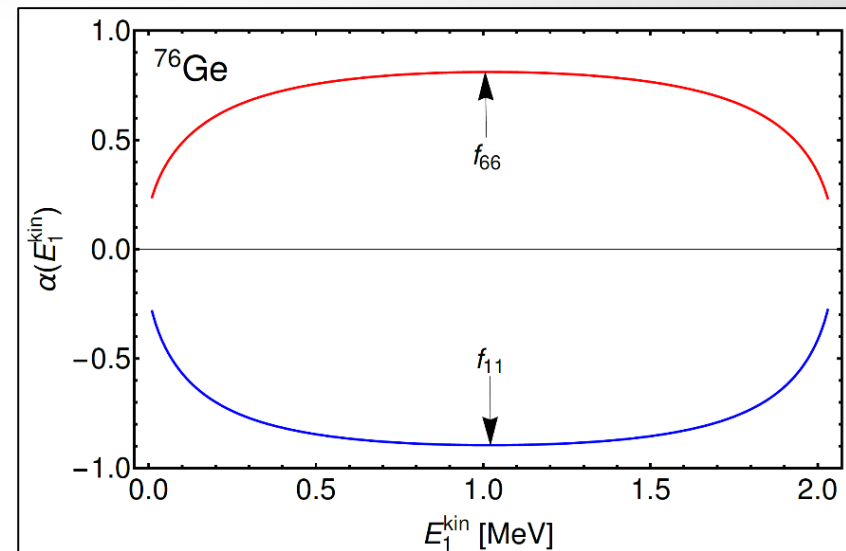
$$F_{T_i}(q^2) = \frac{g_{T_i}}{(1 + q^2/m_V^2)^2}, \quad g_{T_{1,2,3}} = 1.0, -3.3, 1.34 \text{ [40]}.$$

# Short-Range Mechanisms

## ▶ Evaluation of limits on short-range operators

(Graf, FFD, Iachello, Kotila, PRD 98, 095023)

- General parton level operators (Paes et al. '01)
- Nucleon currents
- Nucleon form factors
- Evaluation of additional NMEs
- Numerical determination of  $e^-$  wavefunctions (nuclear Coulomb potential and  $e^-$  cloud screening Type equation here. energy and angular distribution



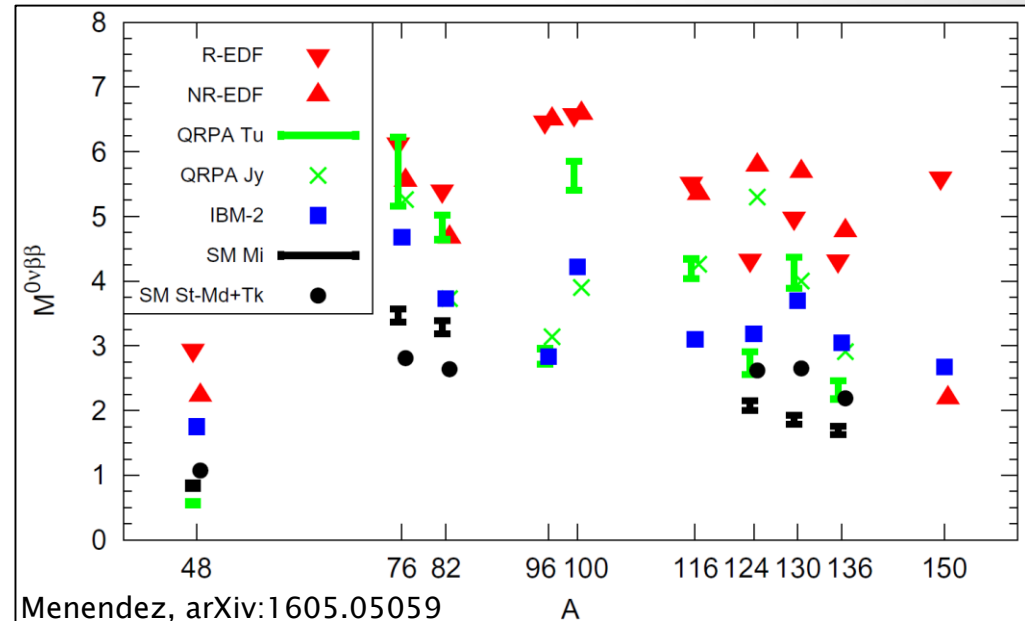


# Nuclear Matrix Elements

## ▶ Nuclear Matrix Element

$$M^{0\nu} = g_A^2 \left( M_{GT} - \frac{g_V^2}{g_A^2} M_F + M_T \right)$$

- Many-body problem
- Factor 2 - 3 uncertainty between nuclear models
- Additional suppression of axial nucleon coupling  $g_A$ ?



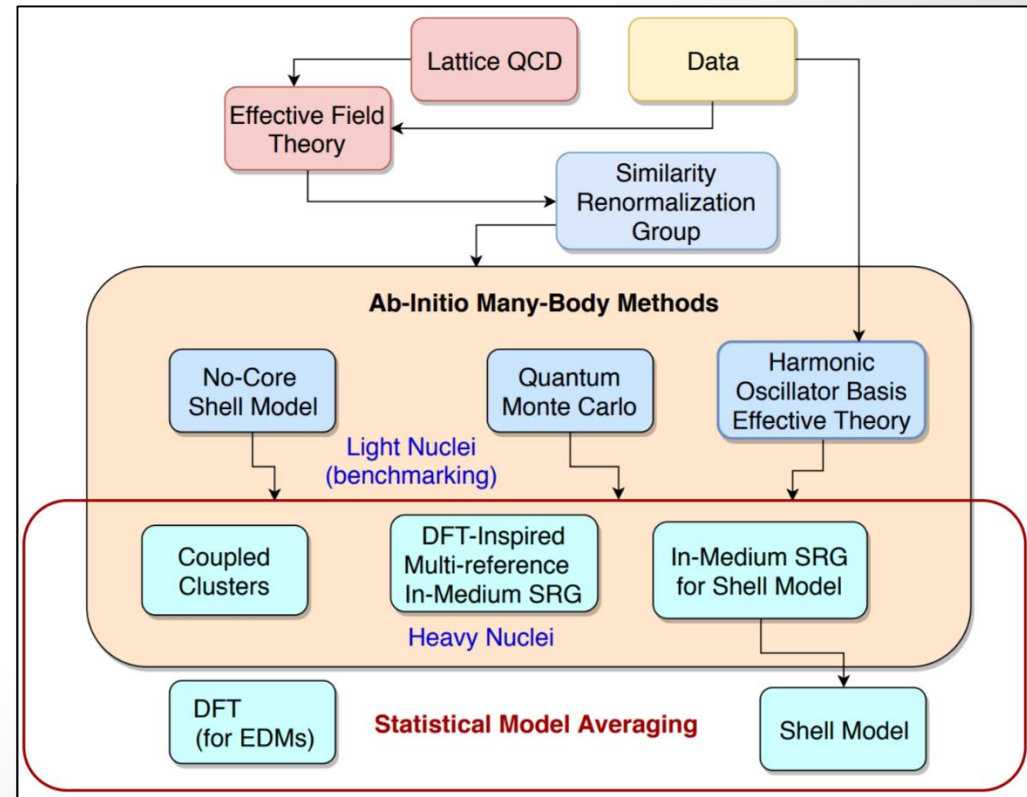
# Nuclear Matrix Elements

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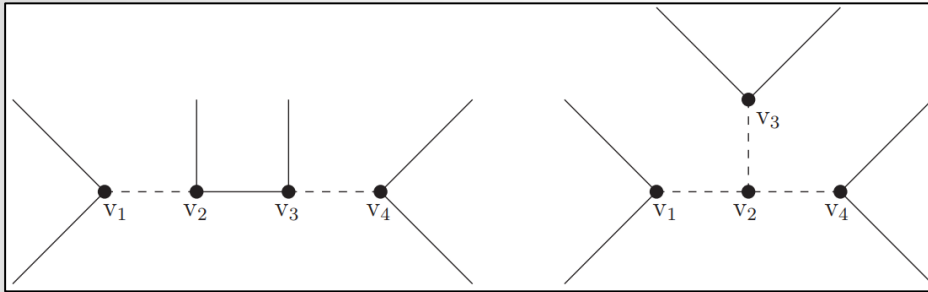
$$M^{0\nu} = g_A^2 \left( M_{GT} - \frac{g_V^2}{g_A^2} M_F + M_T \right)$$

- Many-body problem
  - Factor 2 - 3 uncertainty between nuclear models
  - Additional suppression of axial nucleon coupling  $g_A$ ?
- ▶ Strong theoretical and experimental effort to reduce uncertainty

J. Engel, Talk at ECT\* Workshop  
 “Progress and Challenges in  $0\nu\beta\beta$ ”  
[indico.ectstar.eu/event/33/timetable/#20190715](http://indico.ectstar.eu/event/33/timetable/#20190715)



# Short-Range Mechanisms



#	Decomposition	Long Range?	Mediator ( $U(1)_{em}, SU(3)_c$ ) $S$ or $V_\rho$	$\psi$	$S'$ or $V'_\rho$
1-i	$(\bar{u}d)(\bar{e})(\bar{e})(\bar{u}d)$	(a)	$(+1, \mathbf{1})$	$(0, \mathbf{1})$	$(-1, \mathbf{1})$
1-ii-a	$(\bar{u}d)(\bar{u})(d)(\bar{e}\bar{e})$		$(+1, \mathbf{8})$ $(+1, \mathbf{1})$	$(0, \mathbf{8})$ $(+5/3, \mathbf{3})$	$(-1, \mathbf{8})$ $(+2, \mathbf{1})$
1-ii-b	$(\bar{u}d)(d)(\bar{u})(\bar{e}\bar{e})$		$(+1, \mathbf{8})$ $(+1, \mathbf{1})$	$(+5/3, \mathbf{3})$ $(+4/3, \mathbf{3})$	$(+2, \mathbf{1})$ $(+2, \mathbf{1})$

- Evaluation of limits on short-range operators (Graf, FFD, Iachello, Kotila, PRD 98, 095023)
  - Improved limits on effective interactions and NP scales

$$\frac{1}{\Lambda_{NP}^5} = \frac{G_F^2}{2m_p} \epsilon_i$$

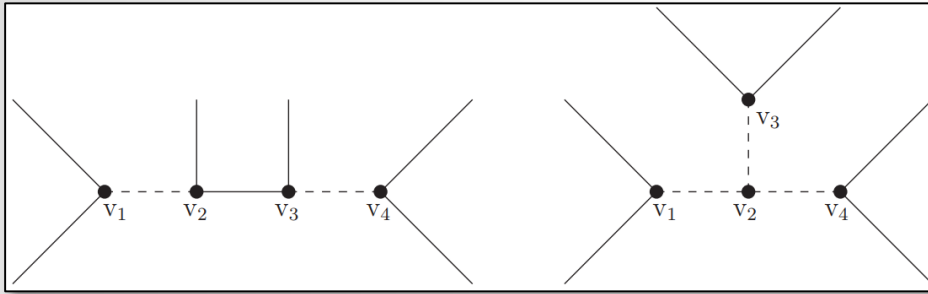
including QCD RGE effects (Mahajan, PRL 112, 031804; Gonzalez, Hirsch, Kovalenko, PRD 93, 013017)

Bonnet, Hirsch, Ota, Winter, JHEP 1303 (2013) 055

$T_{1/2}^{\text{exp}} [y]$	$JJj$		$J_{\mu\nu}J^{\mu\nu}j$		$J_\mu J^\mu j$		$J^\mu J_{\mu\nu}j^\nu$		$J_\mu Jj^\mu$	
	$ c_1^{XX} $	$ c_1^{LR} $	$ c_2^{XX} $	$ c_3^{XX} $	$ c_3^{LR} $	$ c_4^{XX} $	$ c_4^{LR} $	$ c_5^{XX} $	$ c_5^{RL,LR} $	
$^{76}\text{Ge}$ $5.3 \times 10^{25}$ [71]	0.62	0.36	88	160	260	580	400	25	12	
$^{130}\text{Te}$ $2.8 \times 10^{24}$ [72]	1.4	0.83	200	350	580	1300	880	59	28	
$^{136}\text{Xe}$ $1.1 \times 10^{26}$ [73]	0.24	0.14	32	72	130	250	190	9.6	4.7	

$\times 10^{-10}$

# Short-Range Mechanisms



- Evaluation of limits on short-range operators (Graf, FFD, Iachello, Kotila, PRD 98, 095023)
  - Improved limits on effective interactions and NP scales

#	Decomposition	Long Range?	Mediator ( $U(1)_{em}, SU(3)_c$ ) $S$ or $V_\rho$	$\psi$	$S'$ or $V'_\rho$	Models/Refs./Comments
1-i	$(\bar{u}d)(\bar{e})(\bar{e})(\bar{u}d)$	(a)	$(+1, \mathbf{1})$	$(0, \mathbf{1})$	$(-1, \mathbf{1})$	Mass mechan., RPV [58–60], LR-symmetric models [39], Mass mechanism with $\nu_S$ [61], TeV scale seesaw, e.g., [62, 63] [64]
1-ii-a	$(\bar{u}d)(\bar{u})(d)(\bar{e}\bar{e})$		$(+1, \mathbf{8})$ $(+1, \mathbf{1})$	$(0, \mathbf{8})$ $(+5/3, \mathbf{3})$	$(-1, \mathbf{8})$ $(+2, \mathbf{1})$	Bonnet, Hirsch, Ota, Winter, JHEP 1303 (2013) 055
1-ii-b	$(\bar{u}d)(d)(\bar{u})(\bar{e}\bar{e})$		$(+1, \mathbf{8})$ $(+1, \mathbf{1})$	$(+4/3, \mathbf{3})$ $(+4/3, \mathbf{3})$	$(+2, \mathbf{1})$ $(+2, \mathbf{1})$	
2-i-a	$(\bar{u}d)(d)(\bar{e})(\bar{u}\bar{e})$		$(+1, \mathbf{1})$ $(+1, \mathbf{8})$	$(+4/3, \mathbf{3})$ $(+4/3, \mathbf{3})$	$(+1/3, \mathbf{3})$ $(+1/3, \mathbf{3})$	RPV [58–60], LQ [65, 66]
2-i-b	$(\bar{u}d)(\bar{e})(d)(\bar{u}\bar{e})$	(b)	$(+1, \mathbf{1})$ $(+1, \mathbf{8})$	$(0, \mathbf{1})$ $(0, \mathbf{8})$	$(+1/3, \mathbf{3})$ $(+1/3, \mathbf{3})$	
2-ii-a	$(\bar{u}d)(\bar{u})(\bar{e})(d\bar{e})$		$(+1, \mathbf{1})$ $(+1, \mathbf{8})$	$(+5/3, \mathbf{3})$ $(+5/3, \mathbf{3})$	$(+2/3, \mathbf{3})$ $(+2/3, \mathbf{3})$	RPV [58–60], LQ [65, 66]
2-ii-b	$(\bar{u}d)(\bar{e})(\bar{u})(d\bar{e})$	(b)	$(+1, \mathbf{1})$ $(+1, \mathbf{8})$	$(0, \mathbf{1})$ $(0, \mathbf{8})$	$(+2/3, \mathbf{3})$ $(+2/3, \mathbf{3})$	
2-iii-a	$(d\bar{e})(\bar{u})(d)(\bar{u}\bar{e})$	(c)	$(-2/3, \mathbf{3})$ $(-2/3, \mathbf{3})$	$(0, \mathbf{1})$ $(0, \mathbf{8})$	$(+1/3, \mathbf{3})$ $(+1/3, \mathbf{3})$	RPV [58–60]
2-iii-b	$(d\bar{e})(d)(\bar{u})(\bar{u}\bar{e})$		$(-2/3, \mathbf{3})$ $(-2/3, \mathbf{3})$	$(-1/3, \mathbf{3})$ $(-1/3, \mathbf{6})$	$(+1/3, \mathbf{3})$ $(+1/3, \mathbf{3})$	RPV [58–60]

$$= \frac{G_F^2}{2m_p} \epsilon_i$$

QCD RGE effects  
[112, 031804; Gonzalez, Panko, PRD 93, 013017)

$$J_\mu J^\mu$$

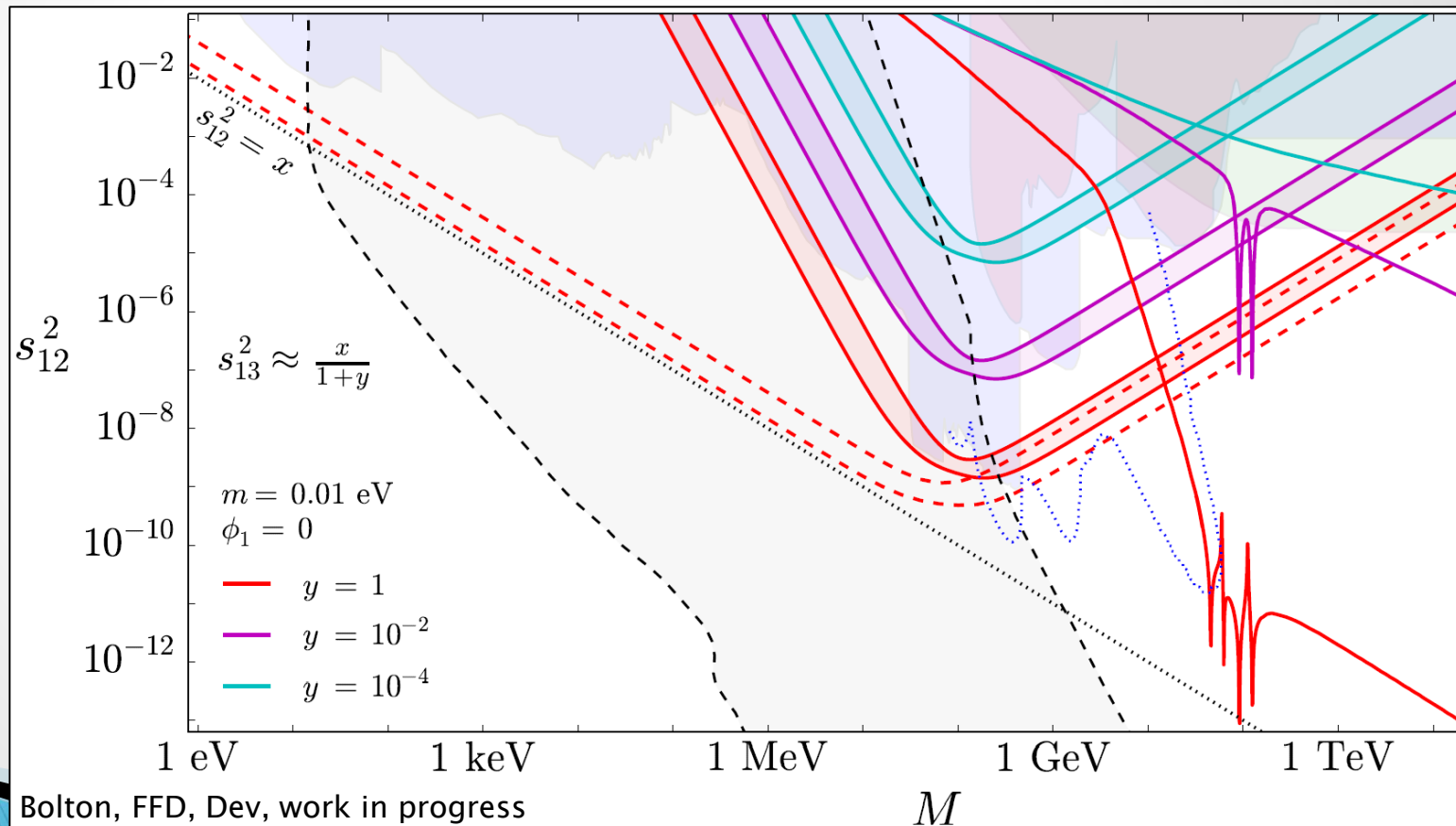
$c_5^{XX}$	$ c_5^{RL,LR} $
25	12
59	28
9.6	4.7

$\times 10^{-10}$

# Heavy Sterile Neutrinos

- ▶ with masses larger than  $\approx 100$  MeV

$$\mathcal{A}_{\mu\nu}^{lep} = \frac{1}{4} \sum_{i=1}^3 v_{ei}^2 \gamma_{\mu}(1 + \gamma_5) \frac{\not{q} + M_{N_i}}{q^2 - M_{N_i}^2} \gamma_{\nu}(1 - \gamma_5) \approx \frac{-\gamma_{\mu}(1 + \gamma_5)\gamma_{\nu}}{4} \sum_{i=1}^3 \frac{v_{ei}^2}{M_{N_i}}$$





# Interference with $m_{\beta\beta}$

Same lepton current

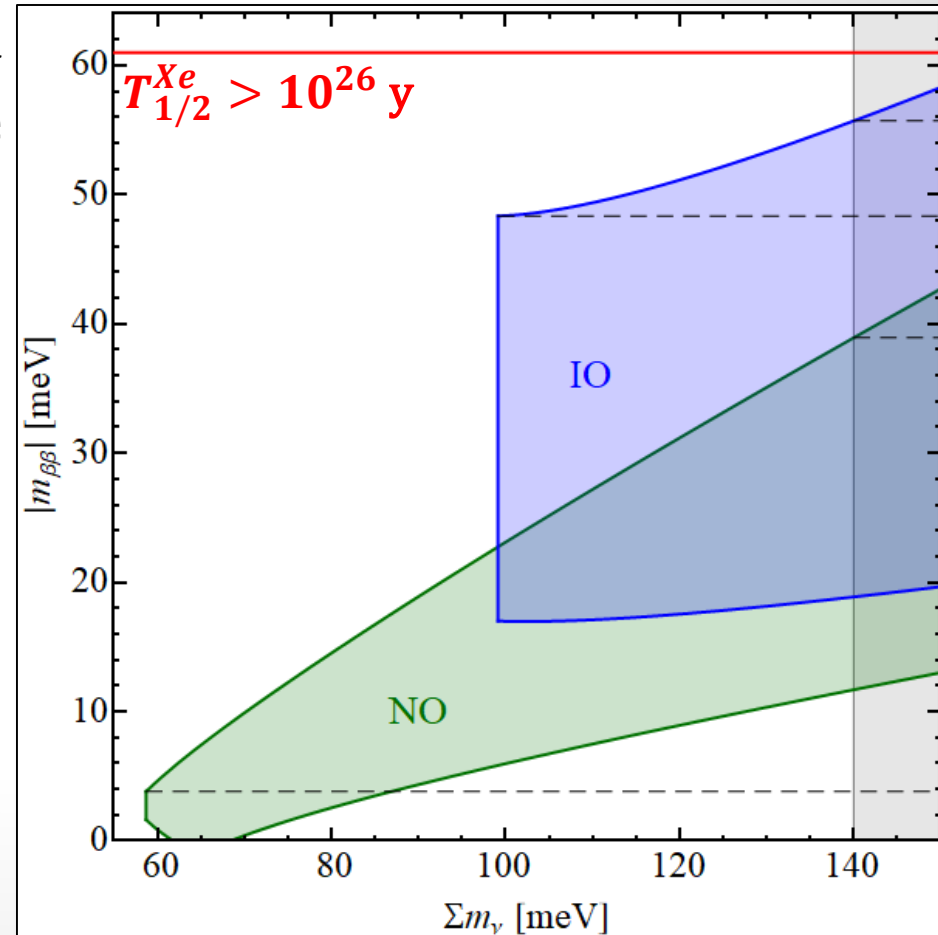
$$T_{1/2}^{-1} = G_\nu \left| \frac{m_{\beta\beta}}{m_e} \mathcal{M}_\nu + \epsilon \mathcal{M}_\epsilon \right|^2$$

e.g. heavy neutrino exchange  
Mitra, Pascoli, Wong, Phys. Rev. D 90 (2014) 093005

Different currents

$$T_{1/2}^{-1} = \frac{|m_{\beta\beta}|^2}{m_e^2} |\mathcal{M}_\nu|^2 G_\nu + |\epsilon|^2 |\mathcal{M}_\epsilon|^2 G_\epsilon + 2\text{Re} \left[ \frac{m_{\beta\beta}}{m_e} \epsilon^* \mathcal{M}_\nu \mathcal{M}_\epsilon^* \right] G_{\nu\epsilon}$$

To constrain an exotic  $\epsilon$  contribution,  $m_{\beta\beta}$  has to be inferred independently, e.g. use upper limit on  $\Sigma m_\nu$



# Interference with $m_{\beta\beta}$

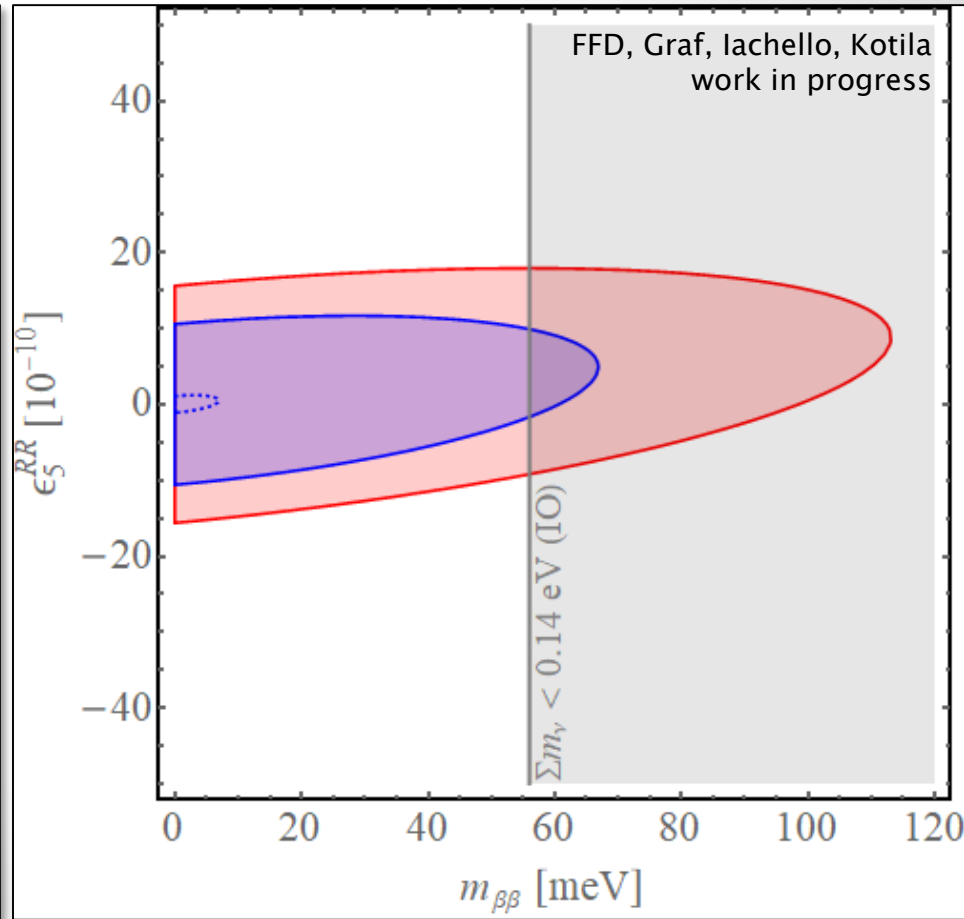
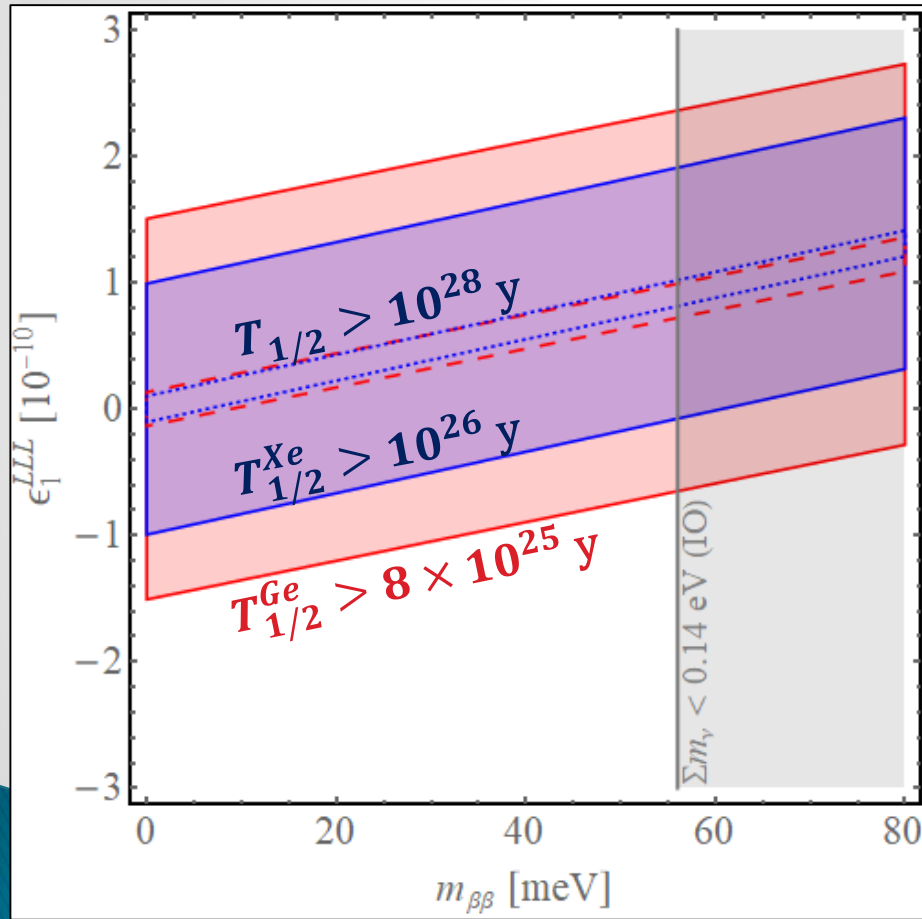
Same lepton current

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# Interference with $m_{\beta\beta}$

Same lepton current

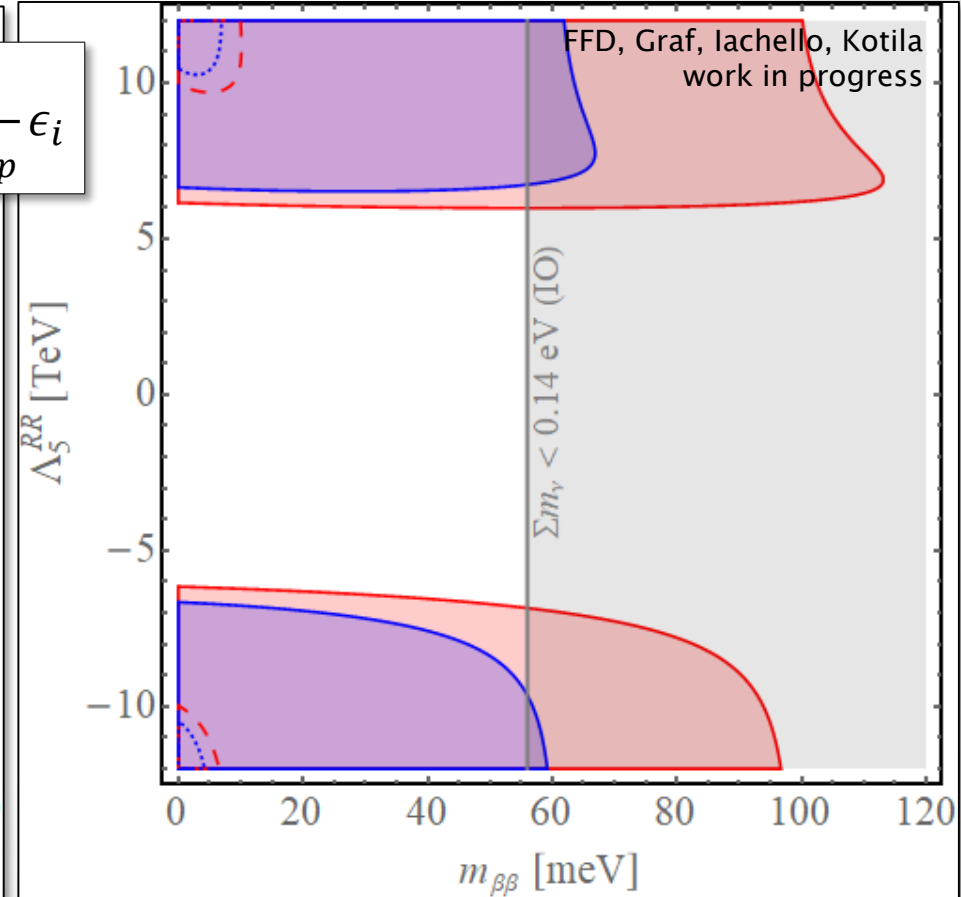
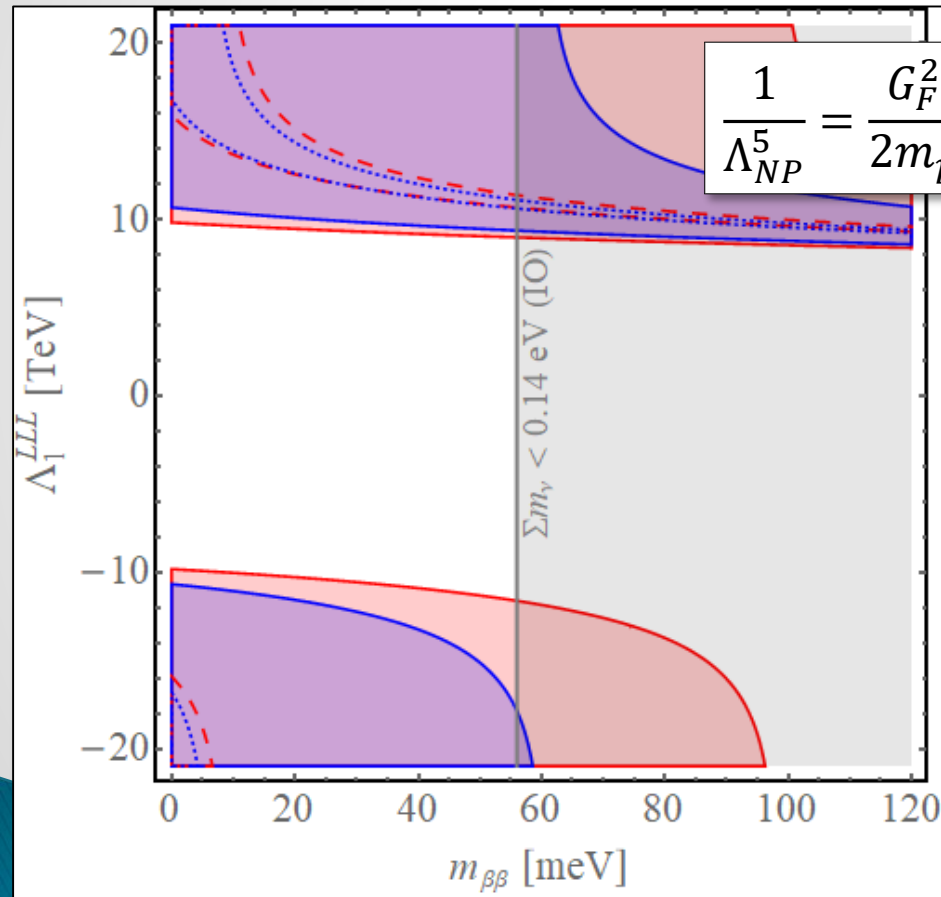
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Different currents

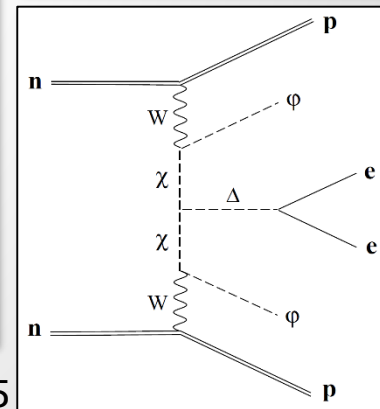
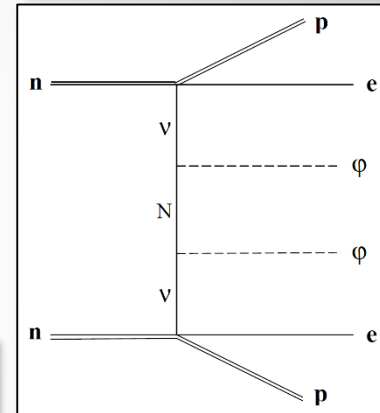
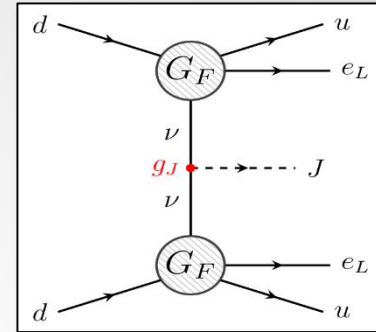
$$T_{1/2}^{-1} = \frac{|m_{\beta\beta}|^2}{m_e^2} |\mathcal{M}_\nu|^2 G_\nu + |\epsilon|^2 |\mathcal{M}_\epsilon|^2 G_\epsilon + 2\text{Re} \left[ \frac{m_{\beta\beta}}{m_e} \epsilon^* \mathcal{M}_\nu \mathcal{M}_\epsilon^* \right] G_{\nu\epsilon}$$

$$\frac{1}{\Lambda_{NP}^5} = \frac{G_F^2}{2m_p} \epsilon_i$$



# Majorons and MLPs

- ▶ Emission of one or more neutral bosons
  - Majoron model of neutrino mass generation
  - “Majoron-like” boson  $J$  with coupling to  $\nu$ , e.g.  $g_{ij} \bar{\nu}_i \gamma_5 \nu_j J$



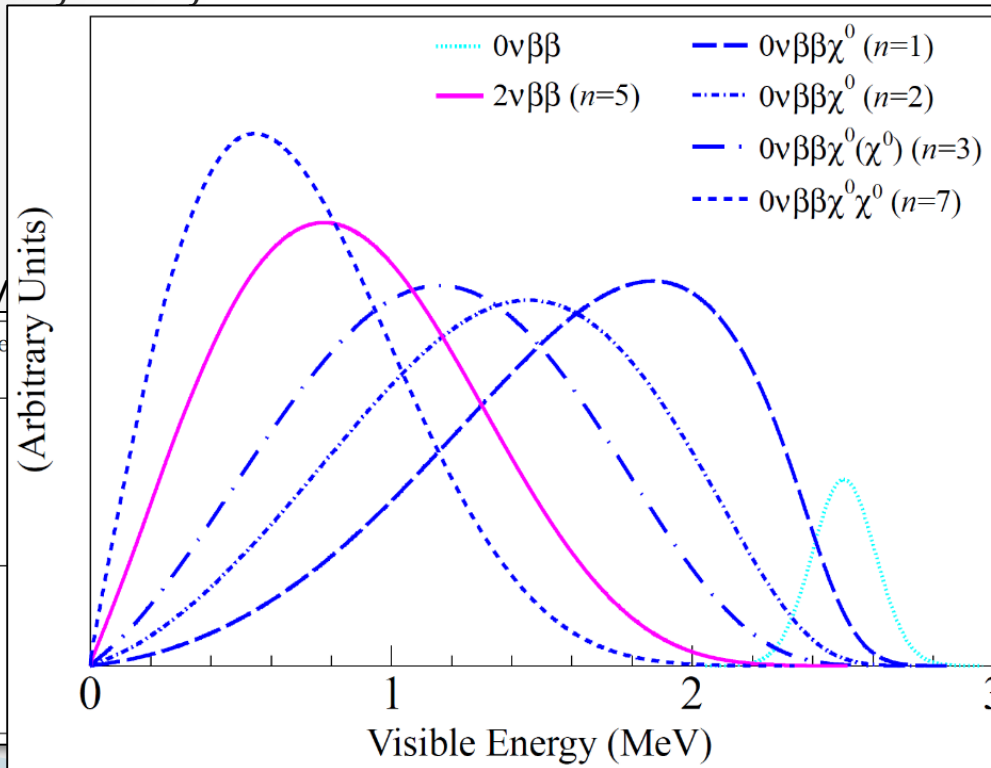
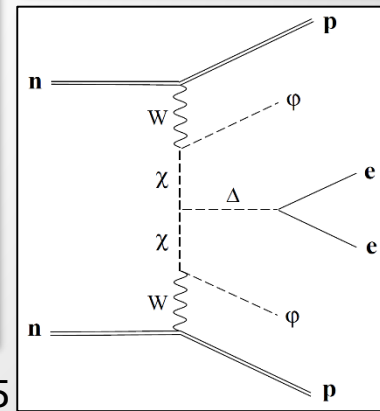
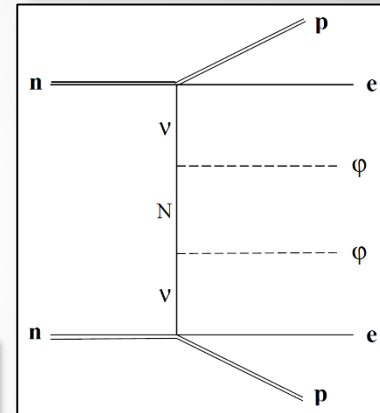
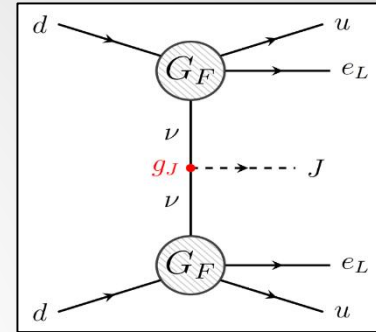
GERDA, Eur. Phys. J. C75 (2015) 9, 416

Model	n	Mode	Goldstone boson	$L$	$T_{1/2}^{0\nu\chi}$ [ $10^{23}\text{yr}$ ]	$\mathcal{M}^{0\nu\chi}$	$G^{0\nu\chi}$ [ $\text{yr}^{-1}$ ]	$\langle g \rangle$
IB	1	$\chi$	no	0	$> 4.2$	(2.30 – 5.82)	$5.86 \cdot 10^{-17}$	$< (3.4 - 8.7) \cdot 10^{-5}$
IC	1	$\chi$	yes	0	$> 4.2$	(2.30 – 5.82)	$5.86 \cdot 10^{-17}$	$< (3.4 - 8.7) \cdot 10^{-5}$
ID	3	$\chi\chi$	no	0	$> 0.8$	$10^{-3\pm 1}$	$6.32 \cdot 10^{-19}$	$< 2.1^{+4.5}_{-1.4}$
IE	3	$\chi\chi$	yes	0	$> 0.8$	$10^{-3\pm 1}$	$6.32 \cdot 10^{-19}$	$< 2.1^{+4.5}_{-1.4}$
IF	2	$\chi$	bulk field	0	$> 1.8$	–	–	–
IIB	1	$\chi$	no	-2	$> 4.2$	(2.30 – 5.82)	$5.86 \cdot 10^{-17}$	$< (3.4 - 8.7) \cdot 10^{-5}$
IIC	3	$\chi$	yes	-2	$> 0.8$	0.16	$2.07 \cdot 10^{-19}$	$< 4.7 \cdot 10^{-2}$
IID	3	$\chi\chi$	no	-1	$> 0.8$	$10^{-3\pm 1}$	$6.32 \cdot 10^{-19}$	$< 2.1^{+4.5}_{-1.4}$
IIE	7	$\chi\chi$	yes	-1	$> 0.3$	$10^{-3\pm 1}$	$1.21 \cdot 10^{-18}$	$< 2.2^{+4.9}_{-1.4}$
IIF	3	$\chi$	gauge boson	-2	$> 0.8$	0.16	$2.07 \cdot 10^{-19}$	$< 4.7 \cdot 10^{-2}$

Bamert, Burgess, Mohapatra '95

# Majorons and MLPs

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$\langle g \rangle$
$3.4 - 8.7 \cdot 10^{-5}$
$3.4 - 8.7 \cdot 10^{-5}$
$< 2.1^{+4.5}_{-1.4}$
$< 2.1^{+4.5}_{-1.4}$
-
$3.4 - 8.7 \cdot 10^{-5}$
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$< 2.2^{+4.9}_{-1.4}$
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Bamert, Burgess, Mohapatra '95

GERDA, Eur. Phys. J. A

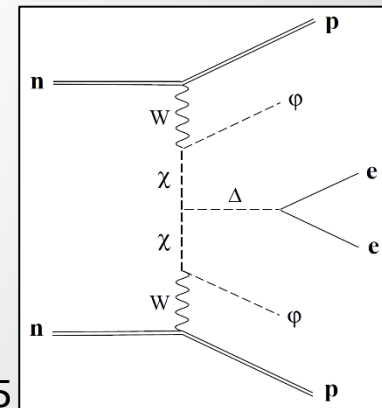
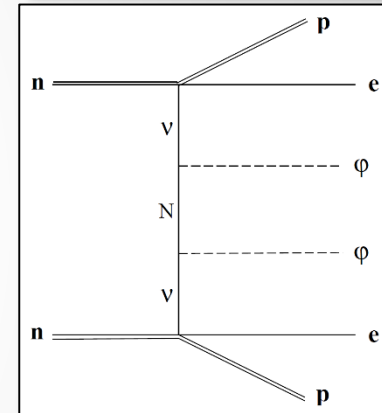
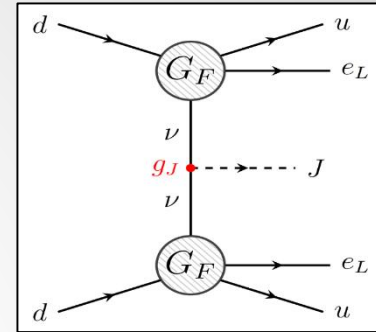
Model	n	Mode
IB	1	$\chi$
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ID	3	$\chi\chi$
IE	3	$\chi\chi$
IF	2	$\chi$
IIB	1	$\chi$
IIC	3	$\chi$
IID	3	$\chi\chi$
IIE	7	$\chi\chi$
IIF	3	$\chi$



# Majorons and MLPs

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  - Light scalar associated with Weinberg-like operator (Blum, Nir, Shavit, Phys. Lett. B785 (2018) 354)

$$\mathcal{L}_{d=6} = -\frac{\mathcal{Y}_{\alpha\beta}}{\Lambda^2} \phi(HL_\alpha)(HL_\beta)$$



Bamert, Burgess, Mohapatra '95

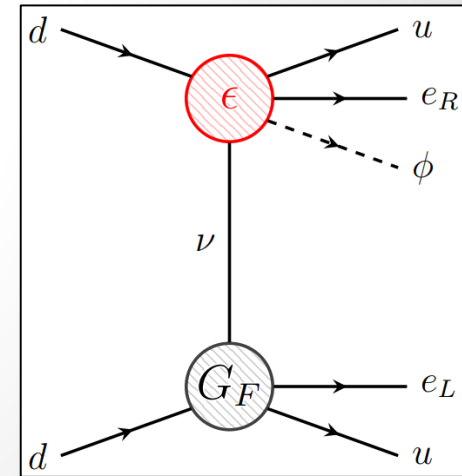
# Majorons and RH Currents

- ▶ Effective RH lepton currents with massless scalar  $\phi$   
(R. Cepedello, FFD, L. González, C. Hati, M. Hirsch, Phys. Rev. Lett. 122 (2019) 181801)

$$\mathcal{L}_{0\nu\beta\beta\phi} = \frac{G_F \cos \theta_C}{\sqrt{2}} \left( j_L^\mu J_{L\mu} + \frac{\epsilon_{RL}^\phi}{m_p} j_R^\mu J_{L\mu} \phi + \frac{\epsilon_{RR}^\phi}{m_p} j_R^\mu J_{R\mu} \phi \right) + \text{h.c.}$$

- ▶ Giving rise to long-range contribution to  $0\nu\beta\beta\phi$  decay

$$\mathcal{M} = \epsilon_{RX}^\phi \frac{(G_F \cos \theta_C)^2}{\sqrt{2} m_p} \sum_N \int d^3x d^3y \int \frac{d^3q}{2\pi^2 \omega} \phi(\mathbf{y}) e^{i\mathbf{q}(\mathbf{x}-\mathbf{y})} \times \left\{ \left[ \frac{J_{LX}^{\rho\sigma}(\mathbf{x}, \mathbf{y}) u_{\rho\sigma}^L(E_1 \mathbf{x}, E_2 \mathbf{y})}{\omega + \mu_N - \frac{1}{2}(E_1 - E_2 - E_\phi)} - \frac{J_{XL}^{\rho\sigma}(\mathbf{x}, \mathbf{y}) u_{\rho\sigma}^R(E_1 \mathbf{x}, E_2 \mathbf{y})}{\omega + \mu_N - \frac{1}{2}(E_1 - E_2 + E_\phi)} \right] - [E_1 \leftrightarrow E_2] \right\}$$



- No suppression with  $\nu$  mass
- ▶ Calculation follows long-range  $\eta$  and  $\lambda$  modes

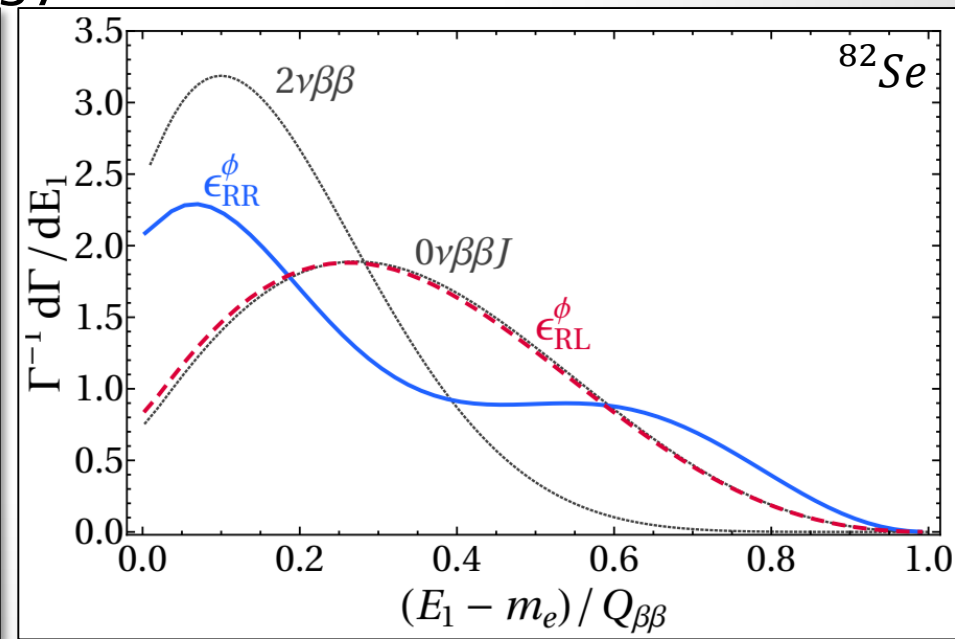
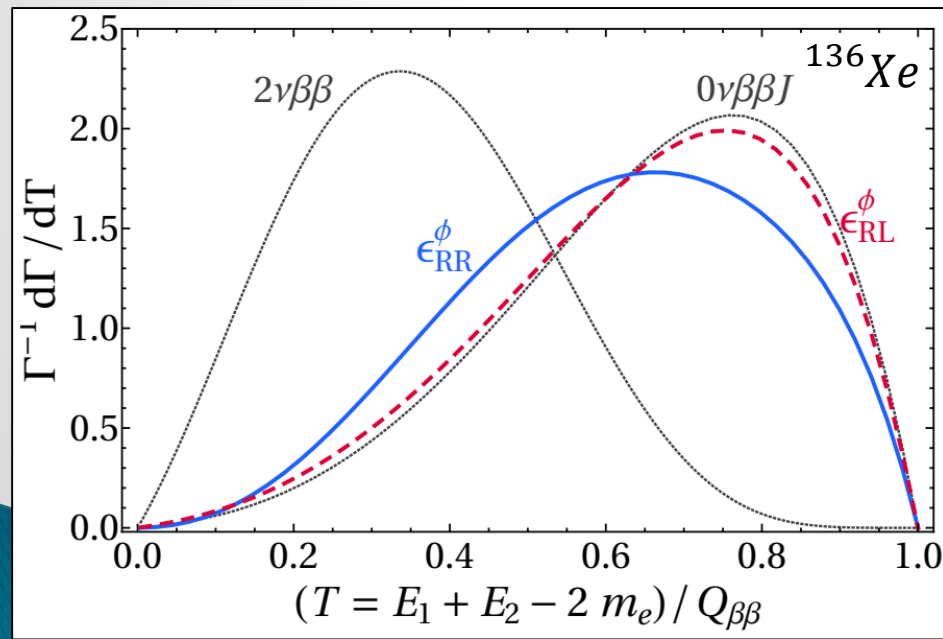
(Doi, Kotani, Takasugi, Prog. Theor. Phys. Suppl. 83 (1985) 1)

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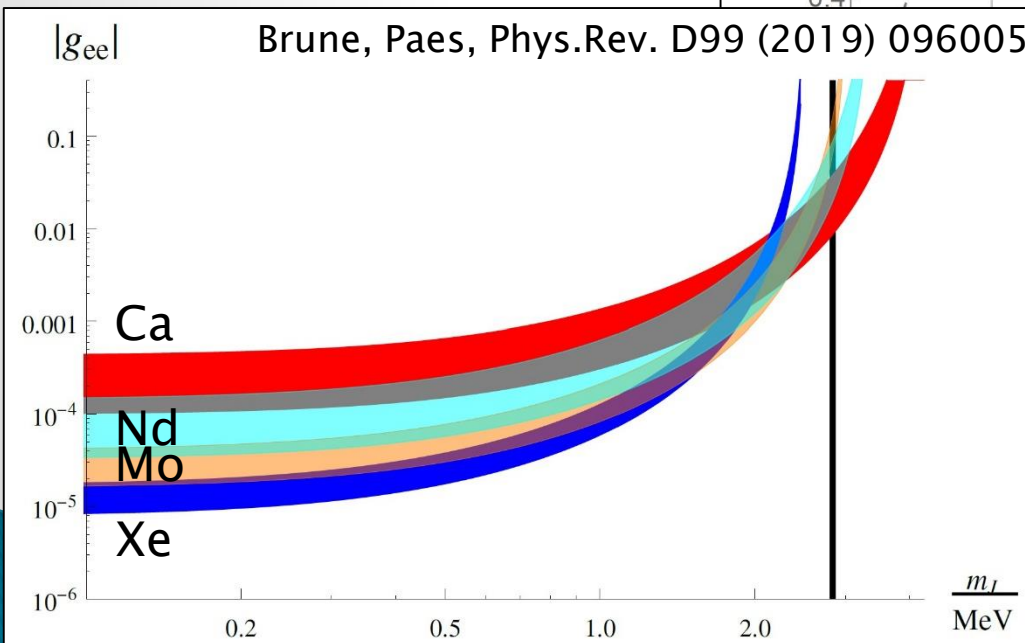
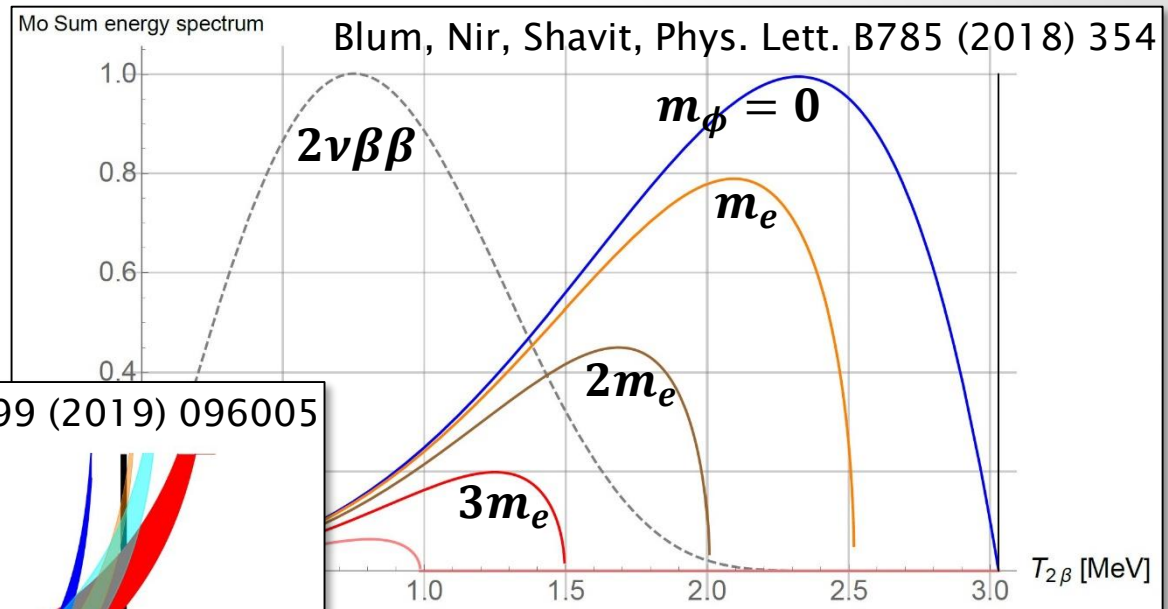
- ▶ Non-standard electron energy distributions



# Majorons and RH Currents

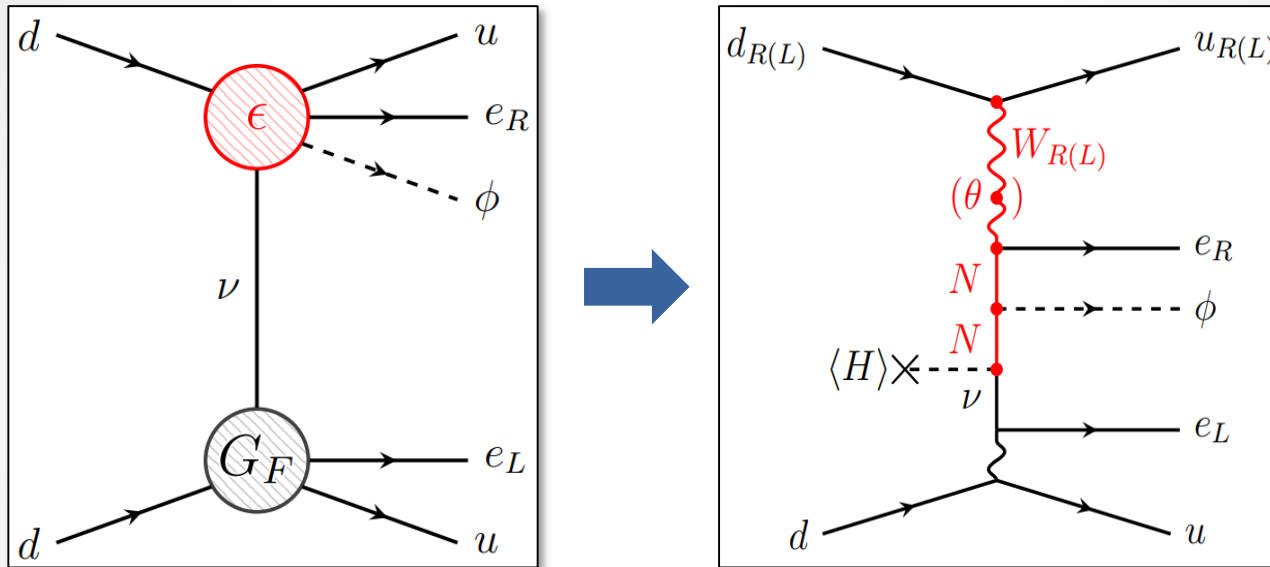
► Sensitivity modification for massive  $\phi$

- Suppression of phase space
- Decrease of  $S/\sqrt{B}$



# UV Model: LR Symmetry

## UV Diagram



## Sensitivity from $\epsilon_{RL}^\phi$

$$\frac{T_{1/2}^{\text{Xe}}}{10^{25} \text{ y}} \approx \left( \frac{1.4 \times 10^{-4}}{g_R^2 \kappa y_N y_\nu} \right)^2 \left( \frac{m_{W_R}}{25 \text{ TeV}} \right)^4 \left( \frac{m_N}{100 \text{ MeV}} \right)^4$$

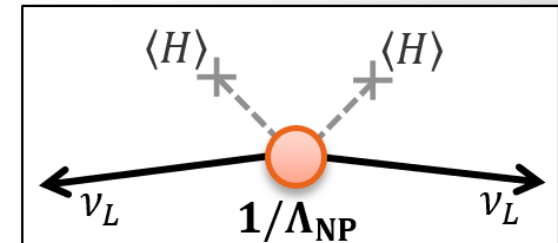


- ▶ **Neutrinos much lighter than other fermions**

- Dirac or Majorana? Lepton Number Violation?
- Natural suppression of charged LFV?
- Determination of absolute mass scale

- ▶  **$0\nu\beta\beta$  is crucial probe for BSM physics**

- Standard interpretation: New Physics near GUT scale breaking lepton number
- Important to look for alternative scenarios
  - Missing energy  $\rightarrow$  lepton number conserved?
  - Neutrino mass may be associated with exotic light particles



$$\frac{T_{1/2}^{0\nu\beta\beta}}{10^{28} \text{ y}} \approx \left( \frac{\Lambda_{\text{NP}}}{10^{15} \text{ GeV}} \right)^2$$

- ▶ **Importance of probing LNV around the TeV scale**

- Can we rule out mechanisms of neutrino mass generation?
- Impact on baryon asymmetry of the Universe  
(FFD, Harz, Hirsch, Phys. Rev. Lett. 112 (2014) 221601;  
FFD, Harz, Hirsch, Huang, Päs, Phys. Rev. D 92 (2015) 036005)

# Backup Slides

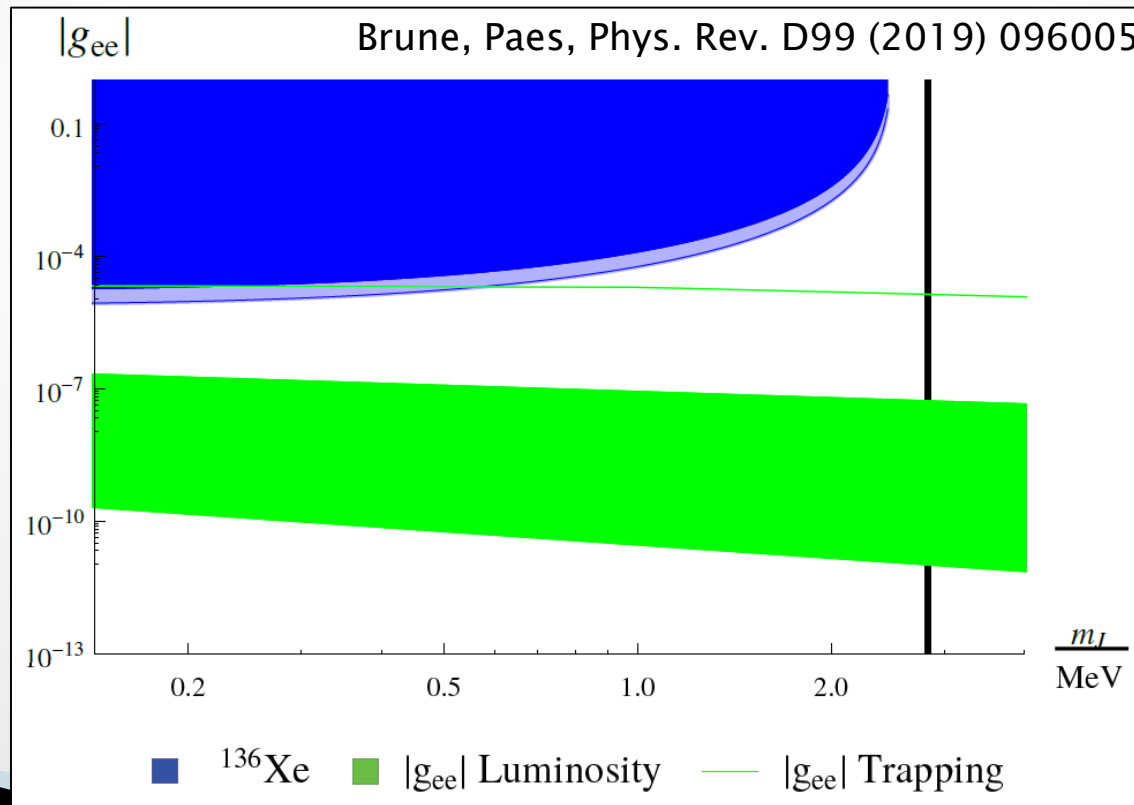
# Astrophysical Effects

- ▶ If massive, Majoron can be Dark Matter

  - Singlet Majoron Model

    - (Berezinsky, Valle, Phys. Lett. B318 (1993) 360; Garcia-Cely, Heeck, JHEP 05 (2017) 102)

- ▶ Strong constraints from Supernovae



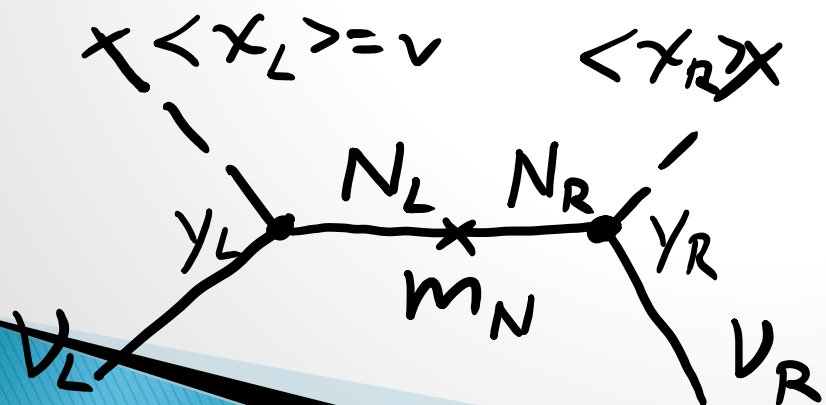
# UV Model: LR Symmetry

## Extended Gauge Symmetry

$$G_{LR} = SU(3)_C \times SU(2)_L \times SU(2)_R \times U(1)_X \rightarrow SU(3)_C \times SU(2)_L \times U(1)_Y$$

- Minimal LR model:  $X = B - L$
- We consider  $X \neq B - L$  broken but  $B - L$  conserved
- Dirac neutrinos (and charged SM fermions) via Dirac seesaw via heavy, vector-like fermions (Bolton, FFD, Hati, arXiv:1902.05802)

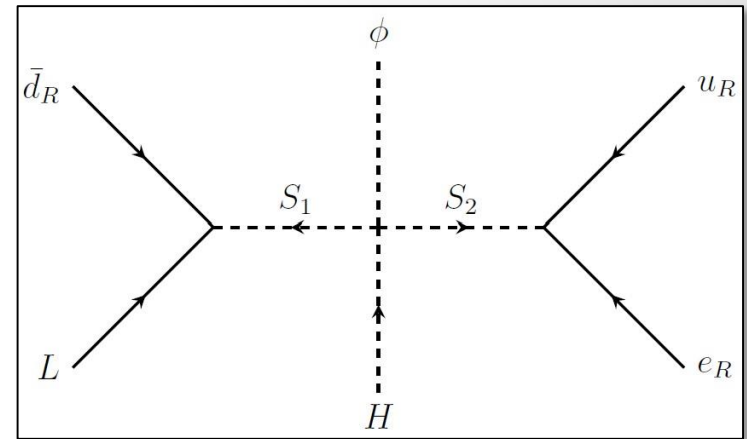
Field	$SU(2)_L$	$SU(2)_R$	$B - L$	$\zeta$	$X$	$SU(3)_C$
$q_L$	2	1	1/3	0	1/3	3
$q_R$	1	2	1/3	0	1/3	3
$\ell_L$	2	1	-1	0	-1	1
$\ell_R$	1	2	-1	0	-1	1
$U_{L,R}$	1	1	1/3	+1	4/3	3
$D_{L,R}$	1	1	1/3	-1	-2/3	3
$E_{L,R}$	1	1	-1	-1	-2	1
$N_{L,R}$	1	1	-1	+1	0	1
$\chi_L$	2	1	0	+1	1	1
$\chi_R$	1	2	0	+1	1	1
$\phi$	1	1	2	-2	0	1



# UV Model: Leptoquarks

▶ Add heavy scalar leptoquarks  $S_1(3,2,1/6)$ ,  $S_2(3^*,1,1/3)$

- Effective operator at tree level
- Lepton number conserved if  $L(S_1) = L(S_2) = -1, L(\phi) = -2$



- LNV and Majorana neutrino mass at two-loop if  $\langle \phi \rangle \neq 0$

