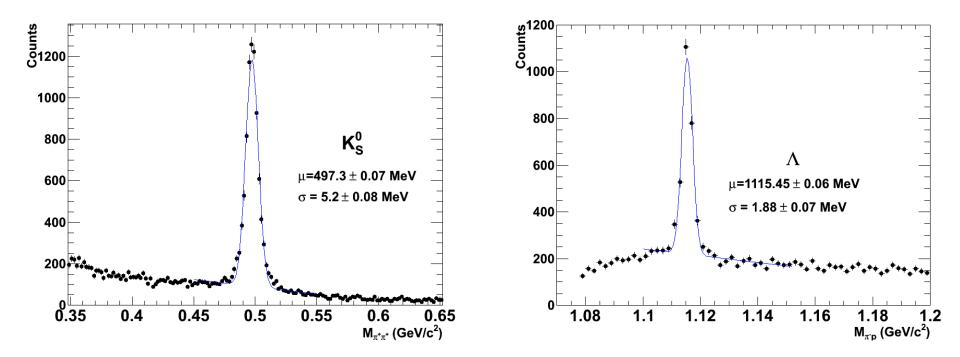
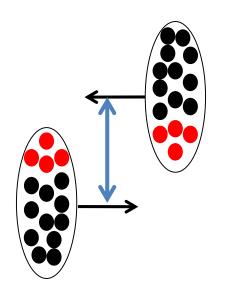
# Strangeness enhancement in lead-lead collisions

- •Analysis of large event samples from lead collisions
- •Find number of  $K_s$ ,  $\Lambda$ , anti- $\Lambda$
- Calculate particle yields
- •Calculate strangeness enhancement taking into account particle yields in proton collisions



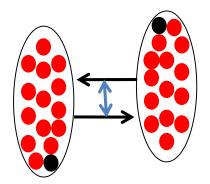
- Continuum : irreducible background due to random combinations of  $\pi^+\pi^-$  or  $\pi^-p$
- Fit curves to background (2<sup>nd</sup> degree polynomial) and peak (gaussian)
- Find number of  $K_s$ ,  $\Lambda$ , anti- $\Lambda$  after background subtraction

## Geometry of a Pb-Pb collision



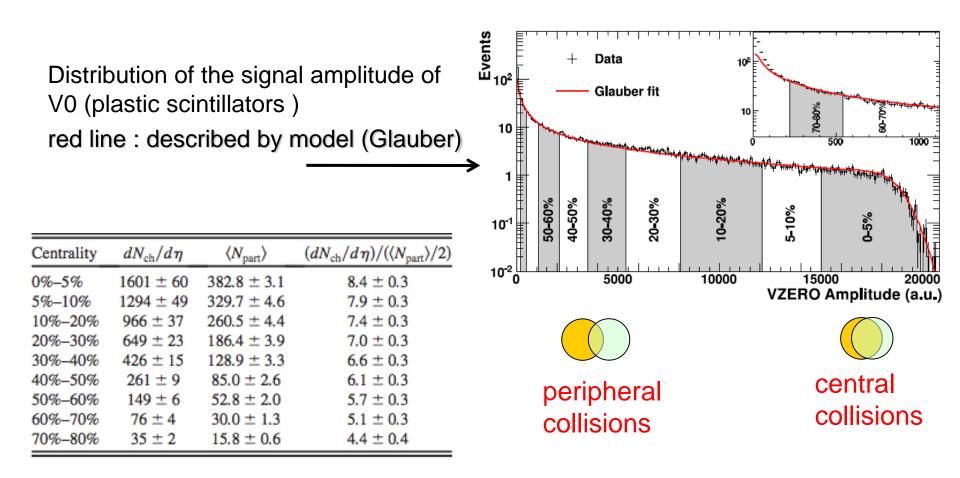
#### Peripheral collision

- Large distance between the centres of the nuclei
- Small number of participants
- Few charged particles produced (low multiplicity)



- Central collision
  - Small distance between the centres of the nuclei
  - Large number of participants
  - Many charged particles produced (high multiplicity)

### Centrality of Pb-Pb collisions



#### Strangeness enhancement calculation

Yield : number of particles produced per interaction = Nparticles(produced)/Nevents

Efficiency = Nparticles(measured)/Nparticles(produced)\*

Yield = Nparticles(measured)/(efficiency x Nevents)

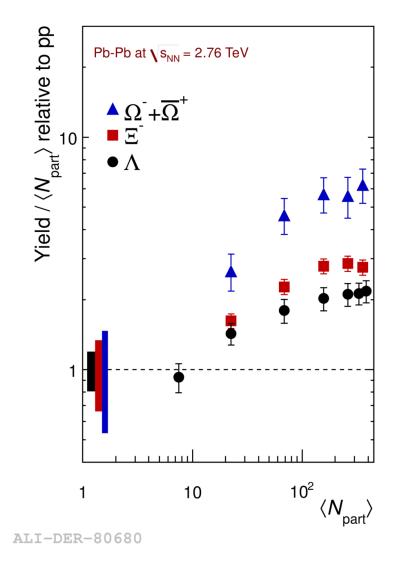
 $K_s$ -Yield (pp) = 0.25 /interaction ;  $\Lambda$ -Yield(pp) = 0.0617 /interaction ;  $\langle N_{part} \rangle = 2$  for pp

Strangeness enhancement: the particle yield normalised by the number of participating nucleons in the collision, and divided by the yield in proton-proton collisions\*\*

\*assumption on efficiency values : to match yields in Analysis Note Measurement of Ks and  $\Lambda$  spectra and yields in Pb–Pb collisions at  $\sqrt{sNN=2.76}$  TeV with the ALICE experiment

\*pp yields at 2.76 TeV from interpolation between 900 GeV and 7 TeV Analysis Note "Ks,  $\Lambda$  and anti $\Lambda$  production in pp collisions at 7 TeV"

#### Strangeness enhancement : one of the first signals of QGP



Enhancement increases with number of strange quarks in the hadron ( $\Omega$  has 3,  $\Xi$  has 2,  $\Lambda$  has 1)