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# Search for $H \rightarrow e^+e^-$ using $140\text{fb}^{-1}$ of 13 TeV pp collision data with the ATLAS experiment



UNIVERSITY OF  
BIRMINGHAM



**ATLAS**  
EXPERIMENT

Russell Turner

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## Elementary Particles

		Fermions			Bosons			
Quarks		<i>u</i> up	<i>c</i> charm	<i>t</i> top	$\gamma$ photon	Force carriers		
		<i>d</i> down	<i>s</i> strange	<i>b</i> bottom	Z Z boson			
Leptons		$\nu_e$ electron neutrino	$\nu_\mu$ muon neutrino	$\nu_\tau$ tau neutrino	W W boson			
		<i>e</i> electron	$\mu$ muon	$\tau$ tau	<i>g</i> gluon			
		I	II	III	Three Families of Matter			

# Introduction

- Search for direct decay from Higgs to  $e^+e^-$
- Previous measurements and observations of the Higgs boson have been of third generation fermions and gauge bosons, so first generation fermions are mostly unexplored
- There are no results for this decay at 13 TeV, previous result was from CMS with 8 TeV data [1]
- Despite the low SM branching ratio ( $\sim 5 \times 10^{-9}$ ), this search has similar backgrounds and efficiencies to the  $H \rightarrow \mu^+\mu^-$  search [2], so we can use similar methodology

[1]

Phys.Lett. B744  
(2015) 184-207  
arXiv:1410.6679

[2]

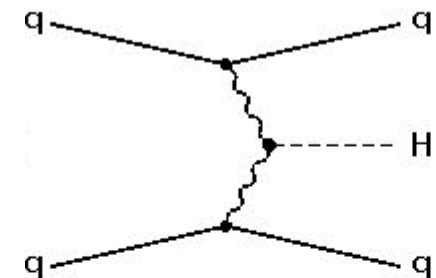
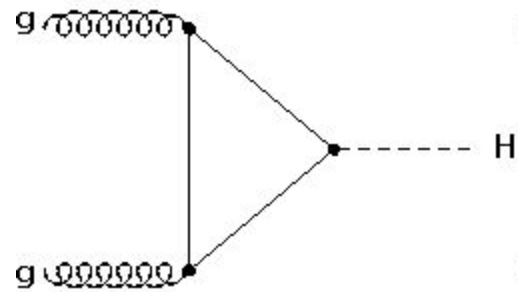
ATLAS-CONF-2018-026

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# Analysis Outline

Today's presentation covers 4 steps of the analysis:

- Event selection
- Event categorisation
- Fit to signal Monte Carlo (gluon-gluon fusion [ggF] and vector boson fusion [VBF], among others) to parameterise signal probability distribution function (PDF)
- Fit to data, with smooth PDF fitted to sidebands for the background, and fitted signal model used for signal efficiency
  - Branching ratio used as parameter of interest
  - Production cross-sections assumed to be SM values



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# Event Selection

## Electrons

$$p_T > 7 \text{ GeV}$$

$$|\eta| < 2.47$$

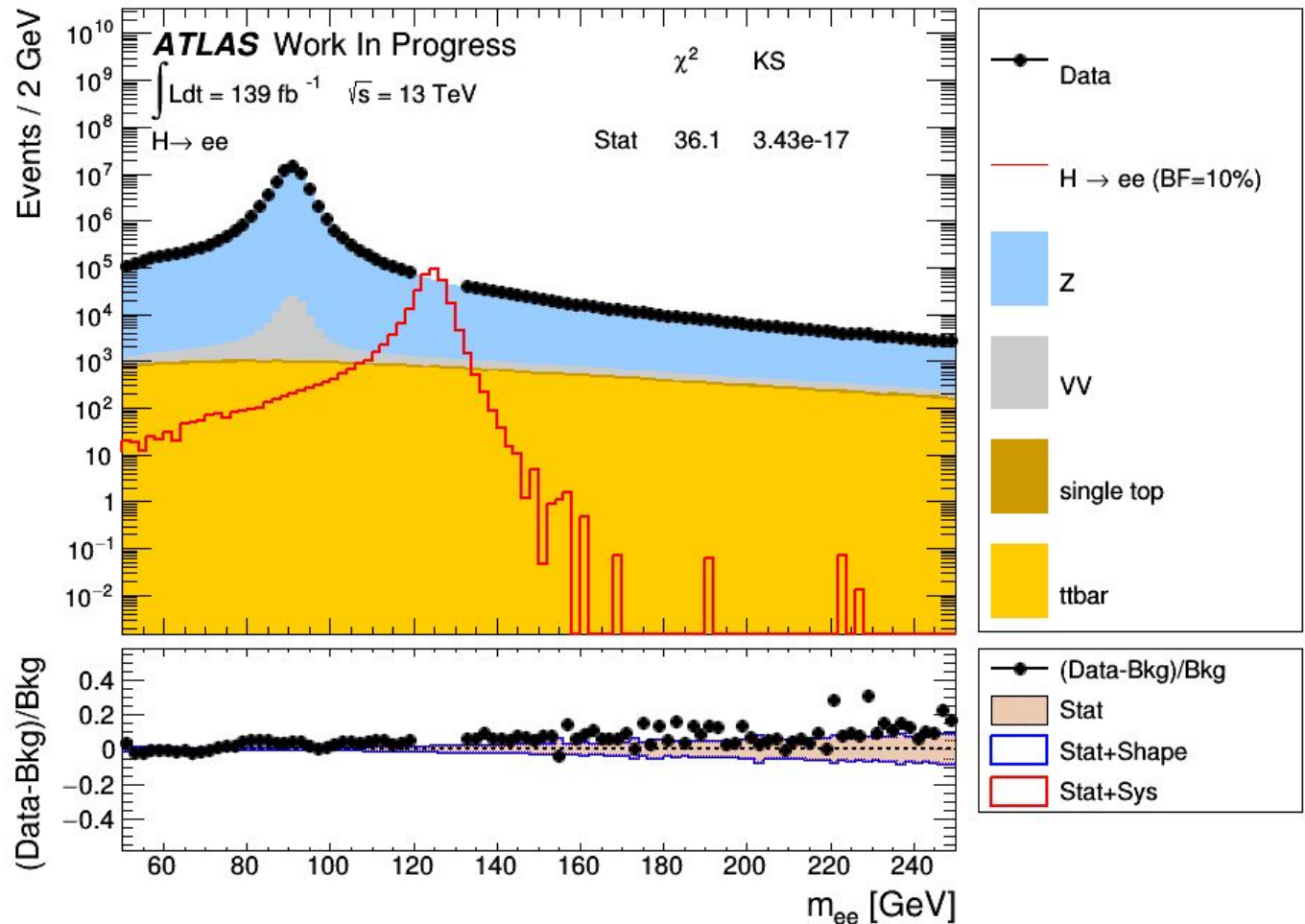
## Jets (used in VBF category)

$$p_T > 30 \text{ GeV}$$

$$|\eta| < 4.5$$

- Events pass a single electron trigger
- Two opposite sign electrons
  - $p_T > 27 \text{ GeV}$  for leading,  $p_T > 15 \text{ GeV}$  for sub-leading
- $\text{Sig}(\text{MET}) = \text{MET} / (\sum(p_T)^{\text{jets+leps}})^{1/2} < 3.5 \text{ GeV}^{1/2}$
- No events with jets tagged as containing a b-hadron (using a tagging algorithm with 60% efficiency)
- The signal region is defined as  $110 < M_{ee} < 160 \text{ GeV}$

# $M_{ee}$ distribution after selection



Background MC not used in analysis

VBF

# Event categorisation

Seven orthogonal categories are used, the first is designed to select “VBF-like” events:

- Two (or more) jets
- Leading jets in opposite ends of the detector ( $\eta_1 \eta_2 < 0$ )
- $\Delta(\eta_1, \eta_2) > 3$
- $M(j_1, j_2) > 500$  GeV

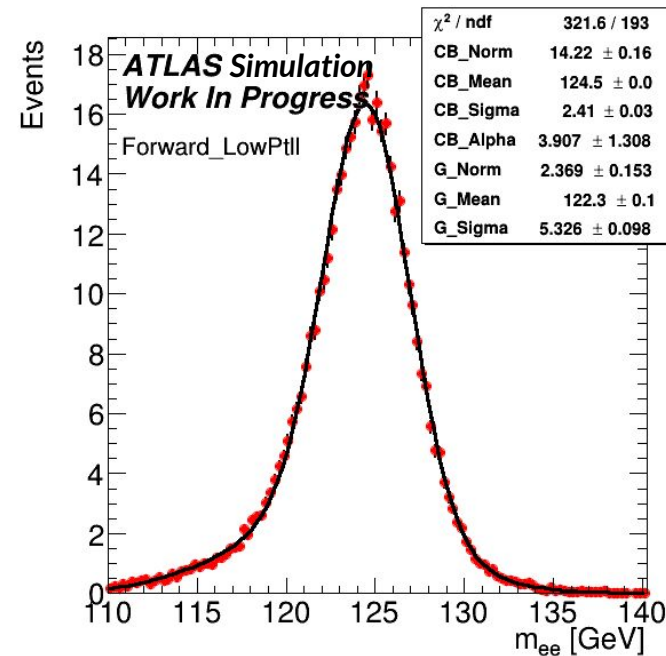
Non VBF-like events are split kinematically by electron  $\eta$

- Central ( $|\eta_{e1}| < 1.0$  AND  $|\eta_{e2}| < 1.0$ )
- Forward (NOT Central)

And then split further into low, medium, or high di-electron  $p_T$

$p_T^{ee}$ [GeV]	Cent	Forw
<15	LowC	LowF
>15 <50	MidC	MidF
>50	HiC	HiF

# Signal Modeling

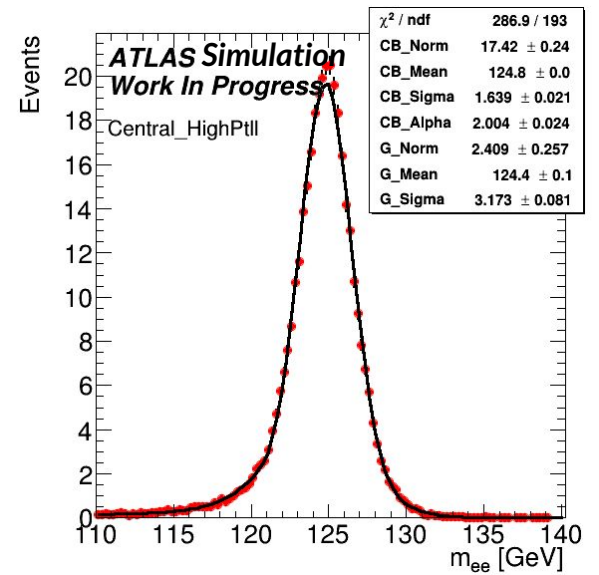
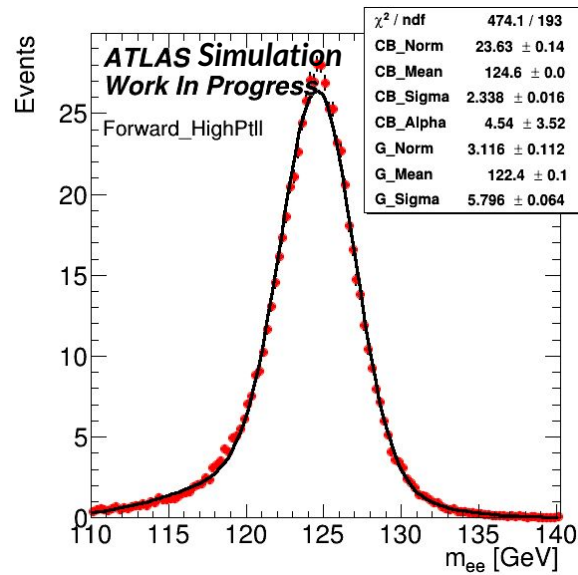
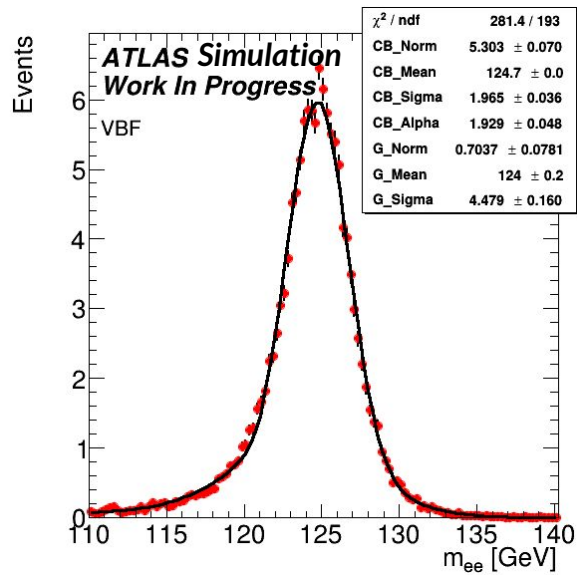


Model signal as sum of a Gaussian and Crystal Ball:

$$F_{\text{sig}} = (1 - f) \text{CB}(M_{ee}; \mu_C, \sigma_C, \alpha, n) + f G(M_{ee}; \mu_G, \sigma_G)$$

- $\mu$  = mean,  $\sigma$  = width
- $\alpha$  = “cut-off” parameter of Crystal Ball
- $n$  = “slope” parameter of Crystal Ball (fixed to 1)
- $f$  = fractional contribution of the Gaussian

# Signal Fits





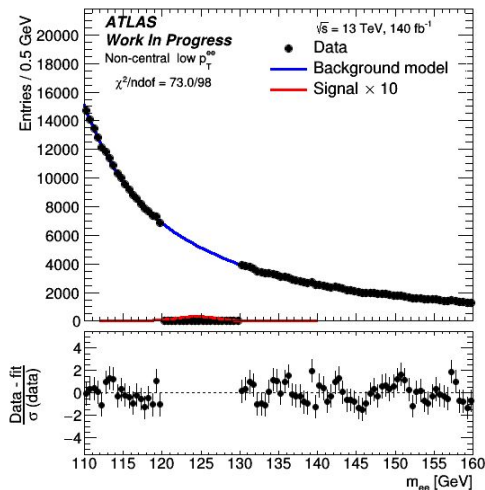
# Background Modeling

Sum of two functions:

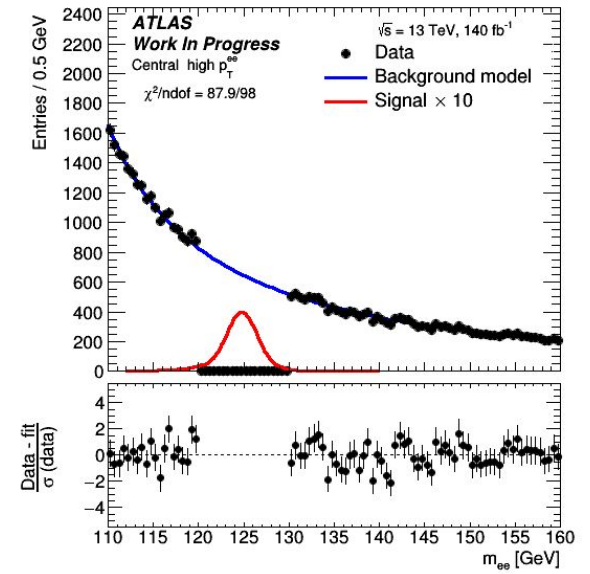
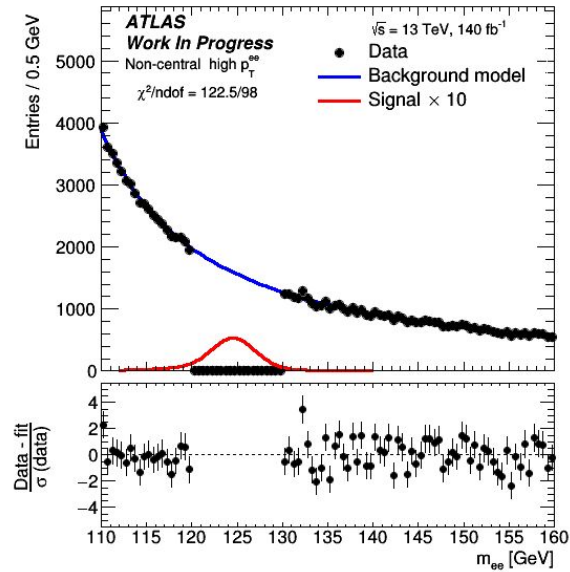
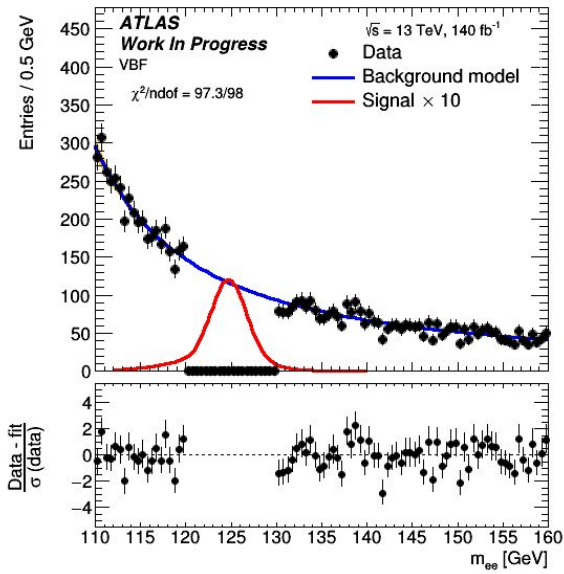
- Breit-Wigner (resonance)  $\otimes$  Gaussian (detector) ( $Z/\gamma^*$ )
- Exponential/ $x^3$  (VV/top)

$$F_{\text{bkg}} = f [ \text{BW}(M_{ee}; M_Z, \Gamma_Z) \otimes G(M_{ee}; \sigma_G) ] + (1 - f) \exp(B M_{ee}) / (M_{ee})^3$$

- $M_Z$  and  $\Gamma_Z$  set to PDG values (91.2 GeV and 2.49 GeV)
- $\sigma_G$  - resolution found using simple Gaussian fit to signal peak in MC, then fixed in fit to data
- B floating between -1 and 1, f floating between 0 and 1



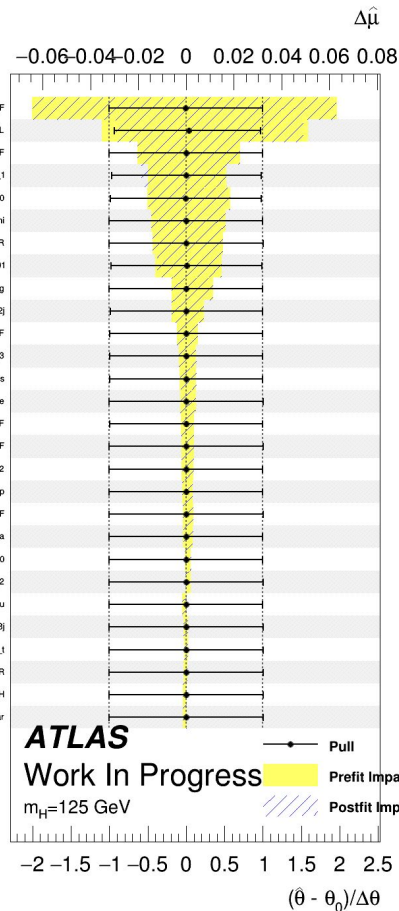
# Background Fits



# Systematic Variations

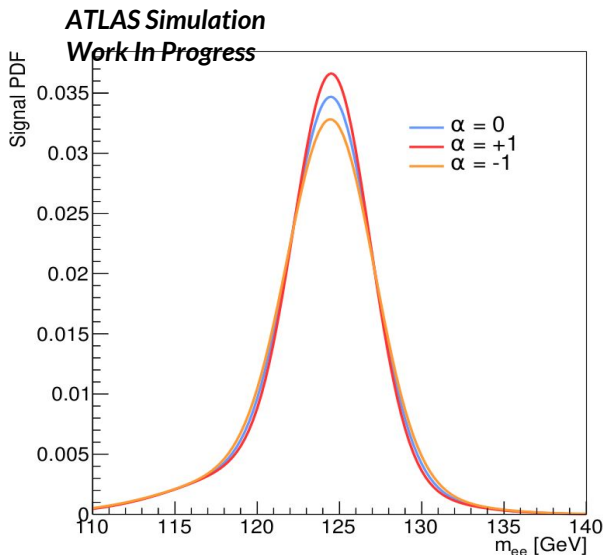
Three sources of systematics are considered

- Experimental shape and normalisation systematics on the signal, e.g. detector resolution in signal MC
- Theoretical signal systematics, e.g. the uncertainty on  $\sigma_{ggF}$  (since we are measuring a branching ratio)
- “Spurious signal” uncertainty, based on the background (mis-)modeling



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# Systematics



Signal modeling fit is repeated for each systematic set to  $+1\sigma$  and  $-1\sigma$

In the final fit to data, each systematic is represented by a nuisance parameter

The largest impact comes from the theoretical uncertainty on the ggF cross-section

However these uncertainties are still small compared to the statistical uncertainty

Spurious signal systematic still under investigation, but from preliminary results it is also expected to be small

# Systematics (Asimov Fit)



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# Final Fitting/Results

## CMS Paper:

Phys.Lett. B744  
(2015) 184-207  
arXiv:1410.6679

Likelihood computed from data and fitted PDFs (including systematic nuisance parameters)

95%  $CL_s$  limit on the branching ratio  $BR(H \rightarrow ee)$  computed through a scan of BR hypotheses

Expected limits on  $BR(H \rightarrow ee)$  at  $140\text{fb}^{-1}$ , compared with CMS observed limit at  $19.7\text{fb}^{-1}$ , 8 TeV [ $\times 10^{-4}$ ]:

CMS exp ( $19.7\text{fb}^{-1}$ )	CMS obs ( $19.7\text{fb}^{-1}$ )	Expected	+2 $\sigma$	+1 $\sigma$	-1 $\sigma$	-2 $\sigma$
24	19	3.3	6.3	4.6	2.4	1.8

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CMS Paper:

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## Conclusions

Expected limits on BR (  $H \rightarrow e^+e^-$  ) are factor  $\sim 5.5$  better than previously observed limits on the same branching ratio

While luminosity alone does not account for this improvement, there is a large increase (factor  $\sim 2.3$ ) in the production cross-section that contributes

Some analysis techniques have also changed which contributes to the change

Also shows an  $\sim 1.4$  factor improvement in sensitivity from an interpretation of the  $80\text{fb}^{-1}$  ATLAS  $H \rightarrow \mu\mu$  result, close to what you would expect from the increase in luminosity

This is due to this analysis using much more similar techniques to the ATLAS  $H \rightarrow \mu\mu$  analysis

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